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SYSTEM AND TABLES

OF

LIFE INSURANCE.

A TREATISE DEVELOPED FROM THE EXPERIENCE AND RECORDS OF
THIRTY AMERICAN LIFE OFFICES, UNDER THE DIRECTION
OF A COMMITTEE OF ACTUARIES.

BY

LEVI W. MEECH,

ACTUARY IN CHARGE.



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PREFACE.

THE origin of the present collection of statistics, dates from the re-organization of the Chamber of Life Insurance in 1873. Among the leading objects, it was provided that, "there shall be a standing Committee on Mortality Experience, appointed by the Executive Committee, immediately after the Annual Election of the Chamber, in each year, and consisting of five members, to whom shall be terred the work of collecting the statistics of Mortality Experience, classifying, arranging, and tabulating them for practical use, with power to employ skilled assistance."

In entering upon the duties assigned them, this Committee, after some preliminary consultation, decided to invite a more full expression of opinions in a general meeting of Actuaries, which was held in New York, Nov. 19, 1874. Among those present and participating in the deliberations, besides the Committee, were S. C. Chandler, Jr., D. Parks Fackler, C. M. Hibbard, Sheppard Homans, Jas. Weir Mason, Prof. C. F. McCay, Emory McClintock, George W. Phillips, William D. Whiting, and Charlton T. Lewis, Secretary of the Chamber. Besides these, a considerable number communicated their views by letter. An enlarged plan of operations having been generally called for, the Committee, in concurrence, subsequently issued the following Circular, under date of March 16, 1875; copies of which were addressed to all Life Insurance Companies in the United States:

SIR:

The Chamber of Life Insurance has, through its Executive Committee, appointed the undersigned a Committee upon Mortality Experience, with instructions to procure from every American Company willing to furnish it, their experience in full up to a recent period. In accordance therewith, we respectfully and most earnestly request you to favor us with the data of your company to December 31, 1874, as indicated below. While the amount of labor to be performed both by the companies and the Committee will be considerable, the importance of this work, if well done, to American companies, cannot be over estimated. Tables made from such experience can justly be regarded as of higher authority, and will probably more nearly approximate the true average of mortality among insured American lives than any now in use. And should similar examinations be made hereafter, as we trust may be the case, in which the results of the work now in hand may be merged, by such periodic examinations, and the aggregation of experience, we shall be able measurably to trace any general improvement in longevity, the effect of causes operating specially within the period under consideration, the effect of public sanitary measures, and probably many other points of interest incident to the development and improvement of a new and growing country. We hope that the present undertaking is but the beginning of a systematic and profound study of the mortality among insured American lives.

In settling the details of this work, we have had in view certain important classifications, leaving many minor though interesting ones to be wrought out by the companies themselves; and the saving of all but indispensable labor to the companies contributing their data.

The points agreed upon by this Committee for consideration are:

First, The general mortality among insured lives;

Second, The mortality by sexes:

Third, The mortality by localities, taking the State as a basis, except in certain States where the County is to be designated;

Fourth, The mortality by years of insurance, in order to show the effect and duration of medical selection;

Fifth, The ratio of financial loss to sums exposed to risk:

Sixth, A classification of the causes of death, in general, by locality, and such other special relations as may be deemed advisable hereafter.

For these purposes the Committee have adopted the enclosed card, as enabling the companies to furnish the necessary data with the least possible labor. The instructions upon another page will enable a clerk to make correct and rapid use of it.

Companies which have already arranged their data for their own examination in a manner to supply the Committee what is called for by the card, need only furnish their cards or sheets already prepared or their classifications if these correspond to those above stated, and any such material will be returned after use; and, if desired, all cards will be returned. No tabulation or exhibit will be made in any manner of the separate mortality of any company, and the data will be held as confidentially given. It is our desire that the data may be given with all reasonable speed, and in view of the great interest and importance attaching to the work, we trust all will make this matter one of special care and attention, and employ in it sufficiently skilled labor to insure neat and accurate execution. The cards should be carefully verified before being sent to the Committee, which will have no means of correcting errors made at the offices of the companies.

The results of this labor will be reported to the Chamber at the earliest practicable moment, and by it published so as to be accessible to all desiring it.

We believe it to be the general conviction among American and foreign Insurance officials and actuaries that the material now capable of being supplied here will give results of peculiar value and importance, and that American companies owe it to the business at large and to their own interests that these should be collated and properly classified; and that it would be a cause of regret should any Company fail to join in this work, which is not undertaken for the benefit of the Chamber alone, or of the companies belonging to it, but for that of all companies doing business in this country. We promise our best endeavors to make the character of the work worthy of its importance.

Please indicate at once to the Chairman at Hartford, Conn., the number of cards you may need, and the probable time at which they can be completed.

Respectfully,

JACOB L. GREENE, Chairman. EDWIN W. BRYANT, ROBERT A. GRANNISS, LEYI W. MEECH, HOWELL W. ST. JOHN.

The way had been opened for this investigation, by the London Institute of Actuaries, which had collected the records of twenty Life Offices in England and Scotland. But the strongest incentive, lay in the recent remarkable increase of Life Insurance in the United States, creating a demand for a more systematic exposition of insured experience. The following summary from the current Massachusetts and New York State Reports, comprising the greater part of the Companies in the Union, may serve to illustrate the magnitude of the business at this epoch.

In a general statement, the fifty thousand policies of 1859 had, in four years or in 1863, increased to a hundred thousand. Then the rate of increase was temporarily doubled, and within two years more, at the end of the year 1865, the number exceeded two hundred thousand. In another two years, or in 1867, it exceeded four hundred thousand. And in 1872, the number of policies had risen to eight hundred thousand. By this time, the annual discontinuances began to balance the diminished number of entrants; and at the epoch of the experience, Dec. 31, 1874, the total number exposed to risk has been nearly stationary for five or six years, with about eight hundred thousand policies in force.

The preceding Circular was accompanied by the adopted form of policy eards, and instructions, which are given hereafter. In the final result, twenty-three Companies returned the eards, filled out from their office records; and seven gave the results of their own investigations, brought down to the beginning of the year 1874. The latter returns were accompanied by collateral explanations and results sufficient for verifying

and resolving them into the original elements, in uniformity with the eard reductions. In this manner the entire returns were united; and it was found that, of all the valid experience, recorded upon the office registers in the United States, so favorable had the enterprise been regarded, fully three-fourths had been contributed for this collection.

The following are the names of the Companies whose combined experience is given in the succeeding pages, with the year of organization and aggregate number of policies:

	COMPANIES. ORG	ANIZ	ATION.	Companies. Organiza	TION.
1.	AETNA LIFE, Connecticut,		1850	16. Massachusetts Mutual, Massachusetts,	1851
2.	AMERICAN MUTUAL, Connecticut,		1848	3 17. METROPOLITAN, New York,	1867
3.	BROOKLYN, New York,		1864	18. MUTUAL LIFE, New York,	1843
4.	CHARTER OAK, Connecticut,		1850	19. MUTUAL BENEFIT, New Jersey,	1845
5.	CONNECTICUT GENERAL, Connecticu	t, .	1865	20. NATIONAL OF UNITED STATES, Illinois,	1868
6.	CONNECTICUT MUTUAL, Connecticut,		1846	21. NEW ENGLAND MUTUAL, Massachusetts,	1844
7.	CONTINENTAL, New York,		1866	22. NORTHWESTERN, Wisconsin,	1858
8.	COVENANT, Missouri,		1853	23. PENN MUTUAL, Pennsylvania,	1847
9.	EQUITABLE, Iowa,		1867	24. St. Louis Mutual, Missouri,	1858
	EQUITABLE, New York,				1866
11.	GERMANIA, New York,		1860	26. UNION CENTRAL Ohio,	1867
	GLOBE, New York,				1849
13.	JOHN HANCOCK, Massachusetts,		1862	28. United States, New York,	1850
14.	LIFE ASSOCIATION, Missouri,		1868	29. Washington, New York,	1860
15.	MASSACHUSETTS HOSPITAL, Mass.,		1823	30. Western New York	1868
	SUMMARY IN 1874.	NET	Numbe	ER OF POLICIES OR LIVES. AMOUNT INSURED.	
	Existing or not terminated				
	9	-		. 431,568 1,159,867,000	
	Discontinuou,			1,100,001,000	

Existing or not terminated, .	549,418	\$1,367,217,000
Discontinued,	431,568	1,159,867,000
Died,	46,543	130,224,000
Whole Number,	1,027,529	\$2,657,308,000
Exposed to Risk one Year,	4,504,797	\$11,839,005,500

These figures represent the net numbers after more than a hundred thousand secondary and other policies have been omitted or transferred according to the rules of reduction. Thus the total Experience of the Thirty Life Offices has a net basis of more than a million of policies, or lives, insured for more than twenty-six hundred millions of dollars.

The arrangement of so extensive a series of tables has been guided, as far as possible, by the best established precedents, and mere innovation has been earefully avoided. In several particulars, however, the system of Life Tables as described in that great repository, the Journal of the Institute of Actuaries, was found to be still in a state of progress. Different courses were indicated for determining the proper resultant between the effects of the medical selection and the counter selection of the insured, such as the omission of the first three or five years experience. Also shorter methods were demanded for changing the standard life table to higher or lower grades of mortality. another desideratum was the condensation within a convenient compass of the voluminous tables for term policies, endowments, and joint lives, to give monthly as well as annual values. It has been much easier to describe, than to supply what is needed. That an advance might be made to meet these difficulties, the actuary in charge has given them all the consideration which other duties have permitted; with what success the examination of the following pages prepared by him, must determine. Among the improvenents to meet the necessities of the work, may be named, the principles of transformation of Office data, the system of final series, the life table graded for different

climates, the proof of the logarithmic law of mortality, the general valuation tables, the arrangement of joint lives and survivorships, with new investigations described hereafter.

The first reductions of the Mortality Experience, were commenced in November, 1875; but the principal part of the returns arrived in the following summer, when the number of clerks engaged in their reduction, was angmented from three to ten. Other returns came in at later dates; and the last was received at the close of the year 1877. With an adequate clerical force, the reductions were pressed forward as fast as the returns arrived; and in March 1878, the first fruits appeared in the issue of copies of the Climatic Tables for examination.

It may here be mentioned, that after the preliminary arrangements had been initiated and were fairly in progress, two of the Committee withdrew from membership though not from interest in the work, and their places were supplied in succession by the election of Emory McClintock and George W. Phillips. The former actuary had especially advocated the importance of the returns of losses and amounts insured; while the latter actuary, by elaborate office reductions, had prepared the way for the present climatic statistics. For the position of chairman of the committee, Levi W. Meech was chosen, who had at an early stage been designated to take charge of the returns, and to make the proper reductions at the expense of the Chamber. And in May, 1878, after the dissolution of the Chamber, John M. Taylor, Sceretary of the Connecticut Mutual Life Office, accepted the position of Treasurer.

In the medical department, the classification of diseases given by the cards, required the services of a physician long conversant with office examinations, and the current applications from different parts of the United States. Such an examiner was found in J. C. Jackson, M.D., of Hartford, by whom the numerous returns of diseases were faithfully examined during several months, till the medical statistics were classified under the most favorable conditions of accuracy and anthority. It should also be mentioned that the returns from two Western Life Companies, were generously furnished by the late William E. Harvey, Actuary, after his own reductions. And in this connection, for maintaining the highest attainable accuracy, thanks and commendation are due to our clerical force, especially to M. C. Spring, S. E. Warner, and S. M. Hayward, assistants. From the amateur collection courteously furnished by Mr. J. Downes, of Washington, D. C., we have copied the accurate table of anti-logarithms, reduced from the cleven place values of Dodson, compared with Vega; and have added proportional parts for the middle of each division, computed with three extra decimals.

To give confidence in employing the vital statistics, it may be proper to state, that all the original returns had been copied under responsible direction, from regular Office records, alike free from objection. The subsequent reductions by the Committee, have been verified by two independent operations; and a further check was obtained by comparison of the parallel columns of Lives and Amounts. The work has been nearly six years in progress, under a single direction of large experience; and with favorable conditions, has thus resulted in an authentic standard for reference.

LEVI W. MEECH, in Charge. EDWIN W. BRYANT, EMORY McCLINTOCK, GEORGE W. PHILLIPS, HOWELL W. ST. JOHN.

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LXIX. LXXI. LXXII. LXXIII. LXXIV. LXXV.	D and N Columns for Two Equal Ages, 4 per cent. D and N Columns for Two Equal Ages, 4½ per cent. D and N Columns for Two Equal Ages, 5 per cent. D and N Columns for Two Equal Ages, 6 per cent. Annuities on the Joint Continuance of Two Lives. Annual Premium for Insurance on Two Joint Lives. Single Premium or Reserve on Two Joint Lives. Ten Payment Premiums with Valuation Factors General Valuation of Annual Premium Policies on Joint Lives.	*208 *209 *210 *211 *212 *213 *214 *215 *216
LXIX. LXXI. LXXII. LXXIII. LXXIV. LXXVI. LXXVI.	D and N Columns for Two Equal Ages, 4 per cent. D and N Columns for Two Equal Ages, $4\frac{1}{2}$ per cent. D and N Columns for Two Equal Ages, 5 per cent. D and N Columns for Two Equal Ages, 6 per cent. Annuities on the Joint Continuance of Two Lives. Annual Premium for Insurance on Two Joint Lives. Single Premium or Reserve on Two Joint Lives. Ten Payment Premiums with Valuation Factors General Valuation of Annual Premium Policies on Joint Lives. Female Life Table. Expectation of Life.	*208 *209 *210 *211 *212 *213 *214 *215 *216
LXIX. LXXI. LXXII. LXXIII. LXXIV. LXXVI. LXXVI.	D and N Columns for Two Equal Ages, 4 per cent D and N Columns for Two Equal Ages, 4½ per cent D and N Columns for Two Equal Ages, 5 per cent D and N Columns for Two Equal Ages, 6 per cent Annuities on the Joint Continuance of Two Lives Annual Premium for Insurance on Two Joint Lives Single Premium or Reserve on Two Joint Lives Ten Payment Premiums with Valuation Factors General Valuation of Annual Premium Policies on Joint Lives FEMALE LIFE TABLE. Expectation of Life FEMALE LIFE. D, N, \alpha, and Correction of Age. 4 per cent	*208 *209 *210 *211 *212 *213 *214 *215 *216
LXIX. LXXI. LXXII. LXXIII. LXXIV. LXXVI. LXXVII. LXXVIII.	D and N Columns for Two Equal Ages, 4 per cent. D and N Columns for Two Equal Ages, 4½ per cent. D and N Columns for Two Equal Ages, 5 per cent. D and N Columns for Two Equal Ages, 6 per cent. Annuities on the Joint Continuance of Two Lives. Annual Premium for Insurance on Two Joint Lives. Single Premium or Reserve on Two Joint Lives. Ten Payment Premiums with Valuation Factors General Valuation of Annual Premium Policies on Joint Lives. FEMALE LIFE TABLE. Expectation of Life. FEMALE LIFE. D, N, a, and Correction of Age. 4 per cent. MISCELLANEOUS.	*208 *209 *210 *211 *212 *213 *214 *215 *216 *224 *226
LXIX. LXXI. LXXII. LXXIII. LXXIV. LXXV. LXXVI. LXXVII. LXXVIII.	D and N Columns for Two Equal Ages, 4 per cent. D and N Columns for Two Equal Ages, 4½ per cent. D and N Columns for Two Equal Ages, 5 per cent. D and N Columns for Two Equal Ages, 6 per cent. Annuities on the Joint Continuance of Two Lives. Annual Premium for Insurance on Two Joint Lives. Single Premium or Reserve on Two Joint Lives. Ten Payment Premiums with Valuation Factors General Valuation of Annual Premium Policies on Joint Lives. FEMALE LIFE TABLE. Expectation of Life. FEMALE LIFE. D, N, a, and Correction of Age. 4 per cent. MISCELLANEOUS. Comparison of different Life Tables. Expectation of Life by various Tables.	*208 *209 *210 *211 *212 *213 *214 *215 *216 *224 *226 *228 *230

PART FIRST.

ELEMENTARY OBSERVATIONS AND TABLES.

The Elementary Observations and Tables of Part First are classed into four Divisions, as follows:

First. Mortality and Loss Experience, - - Tables I-IV.

Second. Climatic Tables, - - - - - - " V-VIII.

Third. Medical Statistics, - - - - - - " IX-XVI.

Fourth. Time and Monetary Tables - - - " XVII-XXV.

DIVISION FIRST.

MORTALITY AND LOSS EXPERIENCE.

The received method of reduction presupposes the new business of different calendar years to be superimposed or brought together, as if the entrant insurances were all effected in one calendar year. Thus the entrants at the age of thirty, for example, are all classified together, as entering in the same initial year. From this origin, the annual deaths and discontinuances are traced forward and noted year by year, through the whole course of insured experience. Such are the elementary observations given in Tables I–IV, for male, and for female life. Let us first glance at the methods from the beginning.

SECTION I.

Instructions and Cards.

The following Instructions of the Committee in March, 1875, were published and attached to folio card-boards, for constant reference in filling out the blank cards, from the Office records.

INSTRUCTIONS.

LET each figure and word be plainly written with a pointed pencil of medium hardness.

Private mark and number of Policy.

The *first* blank, in the left hand upper corner, is for the convenience of the Committee in separating the eards, and will contain their private mark for the several companies, and need not be regarded by you,—nor the *second*, which contains the policy-number,—inserted consecutively by the printer's numbering machine.

Residence.

The third blank, "residence," is to be filled with the name of the State only, except that in the following States the County is also to be inserted, viz.: Virginia, North Carolina, South Carolina, Georgia, Florida, Alabama, Tennessee, Arkansas, Mississippi, Louisiana and Texas.

In case the residence be in any foreign country, draw a line through the word "State" and write the name of the country in the same space.

Amount and Kind.

The series of blanks relating to the amount, kind, and duration of the policy are to be treated as follows:

In the top space, under "Amount," write the amount insured, thousands at the left hand, and hundreds at the right hand of the light perpendicular line, using no ciphers, where even hundreds or thousands are entered.

On the same horizontal line under "Kind," indicate the kind of policy by L for Life, E for Endowment, and T for Term Policies.

Years of Entry and Exit.

On the same horizontal line, under "Cal. Year of Entry," enter the calendar year in which the policy was issued.

If the policy be still in force, make a dash after the figures "18" in the same horizontal line, under the "Cal. Year of Exit."

If it has ceased to be in force for any reason except death, enter upon that line and under the "Cal. Year of Exit," the calendar year in which it ceased, and make a dash in the blank "Cause of Death."

Exit by Death.

If it ceased by death, make the same entries, but carefully write D after the year of exit.

Changes in Amount and Kind.

If any changes have occurred in the amount or kind, the original number, age and date being retained, other entries must be made as follows:

The original amount, kind and year of entry having been entered as above, the calendar year in which the change was made is to be taken as the year of exit of the original policy, and entered in the top line under that head.

Then an entry of the changed amount or kind, as the case may be, is to be made under the proper head on the second line, and the date of the change is to be taken as the calendar year of entry of the changed policy, which will of course correspond with the calendar year of exit of the original policy.

Exit by Death under CHANGED Policies.

The termination by death or otherwise of the second or changed policy is to be treated in the same manner as has been pointed out for the original.

Second Changes.

Should the changed policy have been still further changed, the proper entries are to be made upon the third line, under the several heads, in the same manner as required for the changes from the original.

Third and subsequent Changes.

If more than two changes have taken place, the subsequent ones may be entered in the bottom blank for memoranda.

When changed Policy is in force.

If the policy in which change has been made, be in force, make a dash after the figures "18" under the "Cal. Year of Exit," in the horizontal line occupied by that policy.

Revival of lapsed Policies.

If a policy has lapsed and has subsequently been revived under the same number, date, age, etc., and the revival has taken place in the calendar year in which the lapse occurred no entry of these facts need be made.

If the revival has taken place in a later calendar year than that in which the lapse occurred, then the calendar year of lapse is to be entered as the year of exit of the original policy, and the revival is to be treated as a change, and the proper entries are to be made upon the second line, the calendar year of revival being taken as the year of entry of the changed policy, and write the letter R. in the memorandum blank at the bottom.

Revival or change WITHOUT new medical examination,

If revival or change has been made by a policy under a new number, without a new medical examination, let the card for the new policy contain in the memorandum blank the number of the original policy also, with an O written before it.

Policies lapsed and good for "PRO RA-TA" amounts. In case policies after lapse remain good by their own terms for a fixed or "pro rata" amount of the original sum insured, the year of lapse is to be taken as the year of exit of the original, and also as the year of entry of the changed or "pro rata" amount.

Revival of "PRO RATA" Policies. In case such policies, after continuing for a time for the "pro rata" amount, are revived under the same number, date, etc., such revival is to be treated as a second change and entered accordingly.

Age of Entry.

The blank "Age at Entry," is to be filled with the office age, or that upon which the premium is written.

"Rated Age."
"True Age."

When for any special reason, the age has been rated higher or lower than the true age, the true age at nearest birthday should be stated in the memorandum blank with the words "true age" before it.

The blank following "Age of Entry," upon the same line, may be disregarded, being for the use of the Committee only.

Sex.

The blank "Sex" is to be marked with a dash for a male life, and with a capital F for a female life.

Cause of Death.

In the blank "Cause of Death" write the cause stated upon the Company's register.

The following special cases must be carefully noted:

"Not Taken" Pol's.

Omit all policies "not taken" or not actually put in force.

" Re-insur." Pol's.

Omit all policies of re-insurance, or for the benefit of other companies.

Joint Life Policies.

In case of a "joint life policy" make a card in full for each life, using a separate card for the second, but writing in the number.

Joint Life Policies.

Mark each card in the memorandum blank with a capital J, and place them both in an envelope also marked J.

It may sometimes happen that a "joint life policy" is discontinued as to one of the lives, and so adjusted as to continue upon the other life singly.

The card representing the life upon which the insurance is *discontinued* will show the amount, kind, calendar year of entry and calendar year of exit, in the usual manner of a terminated policy.

The card representing the life upon which the insurance is continued will show the change in the same manner as other changes are indicated, with the addition of the letter S in the memorandum blank, signifying "Single Life."

Limited premium Policies.

No special designation need be made of policies with a limited number of premium payments, whether completed or otherwise.

Policies terminated by causes other than Death. When a policy has terminated for any eause other than death, the cause need not be stated, but be careful to make a dash in the blank "Cause of Death."

SAMPLE CARDS.

A.		AA.			
RESIDENCE.	State. Maine.	DEGIDENCE	State. Maine.		
RESIDENCE.	County.	RESIDENCE.	County.		
Amount.	Kind. Cal. Year of Entry. of Exit.	Amount.	Kind, Cal. Year of Entry. Cal. Year of Exit.		
10	L 1864 18-	10	L 1864 18—		
	18 18		18 18		
	18 18		18 18		
Age at Entry.	30 10	Age at Entry.	30 10		
Sex.		Sex.	T.		
Cause of Death.		Cause of Death.			

В.				
RESIDENCE.	State. Virginia.			RESI
RESIDENCE.	Cor	inty. Cen	rico.	RESI
Amount.	Kind.	Cal. Year of Entry.	Cal. Year of Exit.	Aı
7 5	0	1860	18 <i>C3</i>	
3	L	1863	18	3
		18	18	Ŋ
Age at Entry.	37			Age a
Sex.				\$
Cause of Death.				Cause

C.				
RESIDENCE.	State. Mass.			
ILESIDENCE.	County.			
Amount.	Kind.	Cal. Year of Entry.	Cal. Year of Exit.	
5	L	1855	186-4	
3		1864	1869	
7 5		1869	18	
Age at Entry.	25			
Sex.				
Cause of Death.				

I	Э.					
DEGI	DENCE.	State. Miss.				
RESIL	ENCE.	Cou	inty. Bali	var.		
Am	ount.	Kind. Cal. Year of Entry. Cal. Year of Exit.				
10		, G	1865	1870 D		
			18	18		
			18	18		
Age at	t Entry.	42				
S	ex.					
Cause o	of Death.	Ty	sphoid C	Fever.		

E.					
RESIDENCE.	State. Kansas.				
RESIDENCE.	County.				
Amount.	Kind.	Cal. Year of Entry.	Cal. Year of Exit.		
5	Ğ	1860	1865		
5	L	1865	18 <i>72 </i>		
		18	18		
Age at Entry.	34				
Sex.	_	_			
Cause of Death.	In	eumonia			

F			G.					
RESIDENCE.	State. Mar	yland.	RESIDENCE.	Star	State. Termont.			
RESIDENCE.	County.		RESIDENCE,	Cou	inty.			
Amount.	Kind. Cal. Year of Entry.	Cal. Year of Exit.	Amount.	Kind.	Cal. Year of Entry.	Cal. Year of Exit.		
3	L 1860	1800	10	2	1870	1872		
2 5	E 1866	1868			18	18		
8	1868	1873 9			18	18		
Age at Entry.	29		Age at Entry.	35				
Sex.			Sex.					
Cause of Death.	Remillent	Fever.	Cause of Death.					
					•			
H.	11293		нн.		11293			
DEGIDENCE	State. Mich	hiyan.	DUGIDDNGD	Stat	te. Mich	higan.		
RESIDENCE.	County.		RESIDENCE.	Cou	inty.			
Amount.	Kind. Cal. Year of Entry.	Cal. Year of Exit.	Amount.	Kind.	Cal. Year of Entry.	Cal. Year of Exit.		
3 5	2 1839	18	3 5	2	1859	18		
	18	18			18	18		
	18	18			18	18		
	34		Age at Entry.	32				
Age at Entry.								
Age at Entry. Sex.			Sex.					
			Sex. Cause of Death.	ترخ				
Sex.	J.			J				

ī.		II.	
INTO INTO INTO INTO INTO INTO INTO INTO	State. New York		State. New York.
RESIDENCE.	County.	RESIDENCE	County.
Amount.	Kind. Cal. Year Cal. Y of Entry. of Ex	ear t. Amount.	Kind. Cal. Year of Entry. Cal. Year of Exit.
7 5	L 1849 1870	7 5	2 18-49 1870 9
	18 18		18 18
	18 18		18 18
Age at Entry.	36	Age at Entry.	30
Sex.		Sex.	T,
Cause of Death.		Cause of Death	Cerebro Spinal Meningilis.
	J		J. S.
K.	9378	KK.	9378
	9378 State. Fenn.		9378 State. Jenn.
IX.		IXIX. RESIDENCE.	
	State. Fenn.	RESIDENCE.	State. Jenn.
RESIDENCE.	State, Fenn. County. Cal. Year Cal. Year	RESIDENCE. Amount.	State. Jenn. County. Cal. Year Cal. Year
RESIDENCE.	County. Cal. Year of Entry. Cal. Year of Exi	RESIDENCE. Amount.	State. Jenn. County. Cal. Year of Entry. of Exit.
RESIDENCE. Amount.	State. Fenn. County. Kind. Cal. Year of Entry. of Exi 2 1860 1870	RESIDENCE. Amount.	State. Jenn. County. Kind. Cal. Year of Entry. of Exit.
RESIDENCE. Amount.	State. Fenn. County. Kind. Cal. Year of Entry. of Exi 2 1860 1870 — 1870 18—	RESIDENCE. Amount.	State. Jenn. County. Kind. Cal. Year of Entry. of Exit. 1860 1870 18 18
RESIDENCE. Amount.	State. Fenn. County. Kind. Cal. Year of Entry. of Exi 1860 1870 1870 18— 18 18	ar Amount.	State. Jenn. County. Kind. Cal. Year of Entry. of Exit. 1860 1870 18 18 18 18
Amount. S Age at Entry.	State. Fenn. County. Kind. Cal. Year of Entry. of Exi 1860 1870 1870 18— 18 18	RESIDENCE. Amount. Age at Entry.	State. Jenn. (County. Kind. Cal. Year of Entry. of Exit. 1860 1870 18 18 18 18

M.		N.	
RESIDENCE.	State, N. H.	RESIDENCE.	State. Mississijipi.
RESIDENCE.	County.	RESIDENCE.	County. Jackson.
Amount.	Kind. Cal. Year of Entry. Cal. Year of Exit.	Amount.	Kind, Cal. Year of Entry. Cal. Year of Exit.
5	L 1860 1865	5	1872 18—
2 5	L 1865 1868		18 18
5	L 1868 18—		18 18
Age at Entry.	30	Age at Entry.	37
Sex.		Sex.	
Cause of Death.		Cause of Death.	
	R		()—19263

DESCRIPTION OF SAMPLE CARDS.

EACH of the sample eards is marked with a letter of the alphabet—a single letter for male lives and a double letter for female lives—the single and double letter cards each showing the same data.

Thus, A shows a policy on the life of a resident of Maine, insured at age 30 for \$10,000; Life Policy; year 1864; still in force; male life. AA shows precisely the same data for a female life.

B shows a policy on the life of a resident of Virginia, Henrico County, for \$7,500; Endowment; issued 1860; changed in 1863 to a \$3,000 Life Policy; still in force; age at entry 37.

C shows a policy on the life of a resident of Massachusetts for \$500; Life; issued in 1855; changed in 1864 to \$3,000 Life; changed in 1869 to \$7,500 Life; still in force; age at entry 25.

D shows a policy on a resident of Bolivar County, Mississippi, for \$10,000; Endowment; issued in 1865; terminated by death in 1870; age at entry 42; cause of death, Typhoid Fever.

E shows a policy upon a resident of Kansas for \$5,000; Endowment; issued in 1860; ehanged in 1865 to a Life policy for the same amount; terminated in 1872 by death from Pneumonia; age at entry 34.

F shows a policy upon a resident of Maryland for \$3,000; Life; issued in 1860; changed in 1866 to \$2,500; Endowment; and changed again in 1868 to \$800 Endowment; terminated in 1873 by death from Remittent Fever; age at entry 29.

G shows a policy upon a resident of Vermont; issued for \$10,000; Life; in 1870; terminated in 1872 for any cause other than death; age at entry 38.

H and HH are the proper cards for a Joint Life Policy upon residents of Miehigan; male and female; for \$3,500 Life; issued in 1859; still in force; age of the male 34; age of the female 32.

I and II are the cards of a Joint Life Policy upon residents of New York, issued for \$7,500; Life; in 1849; terminated by death of female in 1870, from Cerebro Spinal Meningitis; age at entry of male 36; age of female 30.

K and KK are cards representing Joint Lives; insured for \$5,000 in 1860; and from which the female life was dropped in 1870; the policy adjusted to continue as a single insurance upon the male from that date.

L shows a policy upon the life of a resident of New Jersey for \$5,000; Life; issued in 1860; at age 25; lapsed in 1865; revived in 1866, and still in force.

M shows a policy upon the life of a resident of New Hampshire for \$5,000; Life; issued in 1860; at age 30; lapsed in 1865; continuing good by its own terms for \$2,500, and revived for the original amount in 1868; still in force.

N shows a life Policy still in force, npon the life of a resident of Jackson County, Mississippi, issued for \$5,000, in 1872, at age 37, without medical examination, to revive or take the place of Policy No. 19,263, upon the same life, lapsed.

SECTION II.

Adjustment of Cards. Durations. Joint Lives. Transfers.

After an interval of four years, during which these Instructions have been followed to their proper completion, the following additional remarks and specifications may be noted.

The general plan has been guided by the adoption of two important precepts. First, that every insurance must commence with a Medical Examination. Second, that after the Medical Examination at the beginning, the method of reduction must correctly trace the counter selections of the insured, which are continued from year to year, by changes of the Amount Insured, that is, by increase or by decrease, by taking out additional policies, or by total lapse, surrender, or decease. In this aspect, the investigation might not inappropriately be termed the Problem of the Selections.

To accord with the latter precept, the English method of *Lives*, on the plan of a censns of living and deaths only, without the sums insured, has been supplemented by parallel columns of the *Amounts*, treating dollars as lives. The present statistics, therefore, are two-fold; and have required more than double the usual labor in their preparation.

The cards, on reception, were first examined from beginning to end, to select out all the secondary insurances, such as the preceding sample card N, marked O underneath. This particular entry O—19,263 simply refers from the secondary to the original insurance noted on card No. 19,263. The secondary or "O-cards" so called, were next copied on the middle line of the originals, which were sought out for this purpose, before the regular order of the cards by number was broken up. The O-cards, being about one-tenth of the whole, together with Reversionary Dividends, were laid aside as supernumerary.

After this and other preparations, presently described, the next step was to note the Duration on each card of single insurance, which was found by subtracting the first "Cal. Year of Entry" from the last "Cal. Year of Exit," or (in ease of Nonterminated or Existing policies) from the *Epoch* 1874, when the experience was inventoried. Thus on the preceding eards A, and AA, the difference of 1864 and 1874, that is, Duration 10, is noted opposite the age. We may observe that the sum of the age and duration, or 30 and 10 on the card A, gives the advanced age of the insured, 40 years, in 1874. A more full account of the connection of Age and Duration will be given hereafter.

With respect to eards having two or more successive insurances, the Durations are noted, after preparation, in the following manner. To refer to a few instances:—Where the amounts are alike as on the preceding eard E, the entries may be regarded as two parts of one experience, or \$5,000 exposed to risk through a duration of 12 years, like a single policy. Where the amounts are different, as shown on the preceding card F, the above rules require its resolution into three new separately written eards, all commencing with the medical examination of 1860; that is, (1) a Death eard of the last amount \$800 for the whole Duration 13 years; (2) a Discontinued eard of the difference 2,500–800, or \$1,700 from 1860 to 1868 or Duration 8 years; and (3) another Discontinued eard of the difference 3,000–2,500, or \$500 from 1860 to 1866 or Duration 6 years.

All the other similar cards B, C, M, can be superseded by single eards on the same principle. Indeed, experience seems to indicate that separate eards are more convenient in practice, than the three ruled lines of the present arrangement. Thus the card B is to be resolved (1) into an Existing card of the last amount \$3,000 for Duration 14 years, and (2) a Discontinued card of the difference 7,500–3,000 or \$4,500 for 3 years.

On eards C, M, the lower amount always subtracted from the next preceding amount over it, will give a negative difference. The corresponding eards of this species are to be reserved for future subtraction from positive results of the same age and duration. Thus, card C is to be superseded by (1) an Existing eard of the last amount \$7,500 from 1855 to 1874 or 19 years; (2) a Discontinued card for the negative difference—\$4,500 from 1855 to 1869 or Duration 14 years; and (3) another Discontinued card for the negative difference—\$2,500 from 1855 to 1864 or Duration 9 years. These cards (2), (3) are to be reserved for future subtraction as above mentioned. These reductions will be best understood by clerks who are familiar with algebraic operations.

Heretofore, the eards of *Joint Lives* have usually been reduced as single lives. But the death of the first of a couple, is occasionally followed by the death of the second in the same year; and such second deaths, although noted on the single life plan, escape the record of joint lives. To correct for this omission, let q, q' or 1-p, 1-p' denote the probabilities that two persons insured for a each will die within one year. As single lives, the Expectation of Loss in one year will be a(q+q'). As joint lives, the Expectation of Loss will be a(1-pp'), or a-a(1-q)(1-q'), that is, a(q+q'-qq'); which may evidently take the form

$$aq(1-\frac{1}{2}q')+aq'(1-\frac{1}{2}q).$$

The last expression of Probable Loss may also represent the Actual Loss on Joint Lives. Hence it each Actual Loss is divided by the six months probability $(1-\frac{1}{2}q')$ of the survivor, the results will correspond to the experience of single lives. Since the average value of $\frac{1}{2}q'$ is about $\frac{1}{2}$ of 1 per cent, we may for every 200 Death cards of Joint Lives, select and change into a Death card one Discontinued card of the same

sex, and of similar age, duration and amount. After this simple correction, first devised in the present investigation, the pairs of cards of joint lives can be separated, and the whole series united with the other cards for single lives.

Another practical artifice was employed to change a few thousand policies from the plan of next birthday to the American custom of nearest birthday. Instead of dating back each eard of the whole series half a year, each alternate eard was dated back a whole year; since all the policies were for ordinary amounts, and opposite errors would compensate each other. Another large collection of data with ages according to last birthday, was dated forward on the same convenient principle.

There were also several thousand *Transferred Policies*, or policies which on the winding-up of the Company that issued them, had been transferred to another Company. The transfer was accompanied with the original ages or years of Entry of the Existing policies, but the corresponding Discontinuances and Deaths up to the time of transfer, were not stated. Thus, suppose 100 or more persons to have entered the Cadmus Life Company at the age of 30 years. Five years after, the Cadmus is closed up, and the survivors at the age of 35, are transferred to a second Company. The valid experiences commencing at age 35, or five years after the medical examination, should enter Tables I and II, not on the first line, but on the fifth line below, at Duration 5.

This object can be accomplished by writing two cards for each transfer; the card (1) beginning with the medical examination at the age of 30, and extending forward into the returns of the second Company, as usual; and the card (2) beginning at the same age of 30, to be discontinued after a Duration of 5 years. The latter is to be reserved for future subtraction from positive Discontinuances of the same age and duration. In this way, the first five years exposure of the card (1) will finally be cancelled by the card (2), as was proposed.

In relation to *Endowment Insurances*, composed of two parts; that is, of a Temporary Insurance, and a Pure Endowment for the same amount; since the maturity of the Endowments was not specified on our cards, their effect on the whole experience is that of Temporary Insurance only.

Death Claims reduced by compromise or by litigation have been restored to the original amount, as the uniform standard of this investigation. In the case of a single Company where the amount actually paid, had been given in lieu of the normal Death Claims, a small correction of about $2\frac{1}{2}$ per cent. was applied for compromised and litigated claims, taken together.

Having thus represented the whole series by single cards, each commencing with a medical examination, and having noted on each of them its proper Duration, we apply the advantages of the card system as follows.

SECTION III.

Classifications of Data.

The next operation was to separate the cards of *Male Life* from those of *Female Life*. Each of these groups was then divided into the three classes of *Existing*, *Discontinued*, and *Died*.

Each of these classes was then sub-classified according to the *Durations of Policy*, 0, 1, 2, 3, 4, And these were next sub-divided into smaller packages of cards corresponding to the *Age of Entry*. The counting of cards in these packages, gave the Existing, Discontinued, and Died, of *Lives* in Table I and II. And the addition of the corresponding *Amounts*, by the same packages, gave the parallel columns of

Existing, Discontinued and Death Claims. The latter were first added in full, and then changed to the nearest *Thousands* of Dollars, omitting the last three residual figures.

For every Age of Entry, the sum of the Existing, Discontinued, and Died, expresses the total Number of Entrants at the head of the columns. For example, at the age of 27 years, on Page 90; 36,221 had entered, and were insured for the initial amount of \$87,030,000. Of these policies, 18,328 were still in force, or existing at the epoch in 1874; also 16,790 had been discontinued; and 1,103 had died, as noted at the foot of the columns. Of the Deaths, the largest number in any one year, and more than one-third of the Discontinuances had occurred in the second year, shown opposite Duration 1. This feature is common to all the Companies. The first ten or fifteen years Duration comprise the greatest part of the business; and the whole is practically limited to thirty years; although a few cases are of older date.

SECTION IV.

Calendar Years and Policy Years.

For greater convenience, as before mentioned, the new business of different eal-endar years is superimposed, for this investigation, as if all the insured entered the Company uniformly during one initial year. On the average they enter at the middle of this year; and so the average are exposed for only the latter half of the first calendar year. The Exits as well as the Entrances of subsequent years, are likewise assumed to occur uniformly during each separate calendar year. Average Policy Years thus begin and end with the middle of Calendar Years; and the average birthday is taken at the middle of the initial year.

The ratio of mortality for the first year has been a subject of discussion in the *Journal of the Institute*; but, as there stated, "it is difficult to devise a better plan;" and in practice, the regular formula for subsequent years has been generally applied to the first year, as will be presently exhibited.

Throughout the Tables I and II, the first column headed "Years of Insurance," 0, 1, 2, 3, etc. expresses the *Durations* found by subtracting the Year of Entry on the eards from the Year of Exit or termination. For future reference, the more definite scale, $0-\frac{1}{2},\frac{1}{2}-1\frac{1}{2},1\frac{1}{2}-2\frac{1}{2}$, etc. is also given in the right hand columns of Summary A and B, at the beginning of Tables I and II. As before described, assuming the entrances to occur uniformly during the twelve months of the initial calendar year, the average date of insurance or entry is taken at the middle of the year, when the "Years of Insurance" begin, as follows. The title "Years of Insurance" is synonymous with "Durations" and with "Policy Years."

CALENDAR YEARS,	YEARS OF INSURANCE.		Existing, Discontinued, Died.
Beginning Middle End Middle End Middle End Middle Middle End Middle End	Beginning Middle End Beginning Middle End Beginning	1 1 1 1 1 2 2 2	Insurances commence. Average date of Entrance. First Year's "Existing" record closes, Average date of Deaths and Discontinued, Survivors enter on second Policy Year. Second Year's "Existing" record closes. Average date of Deaths and Discontinued, Survivors enter on third Policy Year. Third Year's "Existing" record closes.

SECTION V.

Notation and Annual Equations.

Let N = number of admissions during any year of Age.

D = " Deaths during any year of Age.

r = " Discontinuances during any year of Age.

 $\varepsilon =$ " " survivors entering on any year of Age.

R = " Existing at the end of the year.

 N_1 , D_1 , r_1 , ε_1 , R_1 = the like numbers for the next higher year of age, etc. These are here adopted from the short method of W. S. B. Woolhouse in the *Journal of the Institute*, Vol. 13, page 10.

 $M = \varepsilon + \frac{1}{2}N - \frac{1}{2}(r + D) =$ number exposed at the middle of the year, if the changes occur uniformly. M can also denote the middle altitude of a trapezoid, whose base is unity or one year, and whose area represents the total exposure of the year. Assuming half the annual decrement to occur before, and the other half to occur after, the middle of the year, we have,

$$p = \frac{M - \frac{1}{2}D}{M + \frac{1}{2}D}$$
 = the proportion that survive one year's exposure to Death.

$$p' = \frac{\mathbf{M} - \frac{1}{2}r}{\mathbf{M} + \frac{1}{2}r} =$$
 the proportion that survive one year's exposure to Discontinuance.

$$p'' = \frac{M - \frac{1}{2}(r+D)}{M + \frac{1}{2}(r+D)} = \frac{\varepsilon_1 + R}{\varepsilon} = \text{the proportion that survive one year's exposure to}$$
 both Death and Discontinuance.

$$q = \frac{\mathrm{D}}{\mathrm{M} + \frac{1}{2}\mathrm{D}} = 1 - p = \text{proportion that die in one year.}$$

$$\beta = M + \frac{1}{2}D = \varepsilon + \frac{1}{2}N - \frac{1}{2}r =$$
 Exposed to Risk [of Death]. The last denominator $M + \frac{1}{2}D$ or β has been named the "Exposed to Risk," although it differs from the mean exposure M shown above.

$$q = \frac{\mathrm{D}}{\frac{1}{2}(\mathrm{N} - r)}$$
, for the initial year of Entry or Duration 0.

$$1 - p' = \frac{r}{M + \frac{1}{2}r} = \frac{r}{\beta + \frac{1}{2}r - \frac{1}{2}D} = \text{proportion that discontinue in one year.}$$

$$1 - p'' = \frac{r + D}{M + \frac{1}{2}(r + D)} = \frac{r + D}{\beta + \frac{1}{2}r} = \text{proportion of both deaths and discontinuances}$$
 in one year.

For Duration 0,
$$\varepsilon_{0} = N = \text{Sum of } (R + D + r),$$
 $\beta_{0} = \frac{1}{2}(N - r_{0}),$ $\varepsilon_{1} = N - (R_{0} + D_{0} + r_{0}),$ $\beta_{1} = \varepsilon_{1} - \frac{1}{2}r_{1},$ $\beta_{2} = \varepsilon_{2} - \frac{1}{2}r_{2},$ $\varepsilon_{2} = \varepsilon_{1} - (R_{1} + D_{1} + r_{1}),$ $\beta_{2} = \varepsilon_{2} - \frac{1}{2}r_{2},$ $\beta_{3} = \varepsilon_{3} - \frac{1}{2}r_{3},$ etc. $\beta_{3} = \varepsilon_{4} - \frac{1}{2}r_{3},$ etc.

By eliminating ε , and by transposition, or substitution,

$$\begin{split} \beta_1 &= 2\beta_0 - R_0 - D_0 - \frac{1}{2}r_1, \\ \beta_2 &= \beta_1 - R_1 - D_1 - \frac{1}{2}r_1 - \frac{1}{2}r_2, \\ \beta_3 &= \beta_2 - R_2 - D_2 - \frac{1}{2}r_2 - \frac{1}{2}r_3, \\ \text{etc.} \end{split}$$

$$\begin{split} \mathbf{R}_0 &= {}^{2}\beta_{0} - \beta_{1} - \mathbf{D}_{0} - \frac{1}{2}r_{1}, \\ \mathbf{R}_1 &= \beta_{1} - \beta_{2} - \mathbf{D}_{1} - \frac{1}{2}r_{1} - \frac{1}{2}r_{2}, \\ \text{etc.} & \text{etc.} \end{split}$$

$$\mathbf{M}_0 &= \frac{1}{2}\mathbf{N} - \frac{1}{2}(r_{0} + \mathbf{D}_{0}), \\ \mathbf{M}_1 &= 2\mathbf{M}_{0} - \mathbf{R}_{0} - \frac{1}{2}(r_{1} + \mathbf{D}_{1}), \\ \mathbf{M}_2 &= \mathbf{M}_{1} - \mathbf{R}_{1} - \frac{1}{2}(\mathbf{D}_{1} + r_{1}) - \frac{1}{2}(\mathbf{D}_{2} + r_{2}), \\ \mathbf{M}_3 &= \mathbf{M}_{2} - \mathbf{R}_{2} - \frac{1}{2}(\mathbf{D}_{2} + r_{2}) - \frac{1}{2}(\mathbf{D}_{3} + r_{3}), \\ \text{etc.} & \text{etc.} \end{split}$$

A method for earrying forward the Existing to their proportional terminations in the columns of Discontinued and Died, will be described hereafter in Section IX.

SECTION VI.

Transformation of Data.

The foregoing equations have been particularly serviceable in transforming the results, which had been wrought out by different Actuaries and Companies, to a uniform system. A brief memorandum of some of the operations may be useful for future reference. The Experience of one, designated as Company A, gave the values of N, β , and D for *Lives* at every age, with but an abstract of the values of r. After the latter had been interpolated for all ages, the Existing were then found from the above equations of R.

Having now obtained the elementary data for Lives, the omitted Amounts were next supplied by proportions wrought out for the Existing, Discontinued, and Died, separately at each age. Thus, taking the first two terms from the general experience of the other similar Companies, we have the simple statement, as R of the Lives is to R of the Amounts, so is R of the Lives in Company A, to the corresponding Amount at the same age.

The returns from another, which may be designated as Company B, gave the Deaths and Exposed to Risk by Policy years, accompanied by the following explanation. "The classification is by Calendar Years of Issue and Policy Years after Issue. In regard to fractions of years, a policy for \$10,000 lapsed or discontinued at the end of $3\frac{1}{2}$ years stands pro rata in the fourth year as \$5,000, etc. If a policy was terminated by Death, it was entered as at risk for the whole year, and entered as a death for the whole amount." In order to change to the forms of the card system, the data P, D in thousands of dollars were first added as follows. Here P denotes the Amount Exposed to risk in one Policy year, and D the corresponding Death Claims.

AGE		Values of P. 1st Policy Year.								
ENTRY.	1869	"70	'71	'72	'73	'74A	P.			
14		1			6		7			
15	3					1	6			
16										
17	5			5	1	1	12			
18	6		1	8			13			
19	5			3		7	13			

	AGE		P. 2D POLICY YEAR.							
	ENTRY.	1869	'70	'71	'72	'73A	Р.			
	14		1			6	7			
	15									
ı	16				5		8			
	17					1	1			
	18	5		1	8		14			
1	19	8			3		8			
	••••									

For any one Age of Entry, as 18 years, let D'_1 , P_1 , denote the Deaths and the Exposure of the 1st Policy Year; D'_2 , P_2 , the like quantities for the 2d Policy Year; and so on. Let us assume the entrants to begin, on an average, in the middle of the initial calendar year. Then if the deaths occur uniformly in each year, and D_0 , D_1 , D_2 , ... denote the Deaths on the card system, we have

$$D_0 = \frac{1}{2}D'_1;$$
 $D_1 = \frac{1}{2}D'_1 + \frac{1}{2}D'_2;$ $D_2 = \frac{1}{2}D'_2 + \frac{1}{2}D'_3;$ etc.

In like manner if R₀, R₁, etc. denote the Existing on the card system, at the end of Calendar years or the middle of Policy years, and Deaths were included as above described, we shall have by the middle ordinate of the trapezoid denoting the exposure of the policy year, restricted to the last columns denoted by '74A, '73A, '72A, ...

$$R_0 = P_1 - \frac{1}{2}D'_1; \quad R_1 = P_2 - \frac{1}{2}D'_2; \quad R_2 = P'_3 - \frac{1}{2}D'_3; \quad \text{etc.}$$

Lastly if r_0 , r_1 , r_2 , denote the *Discontinued* on the eard system, r_0 only is to be estimated, being about one-half, or rather 0.45 of r_1 . It is evident that discontinuances and lapses will occur mostly at the end of policy years, that is, at the middle of calendar years, on the average. We also note that by adding and subtracting $\frac{1}{2}D'_1$, the middle ordinate $P_1 - \frac{1}{2}D'_1$ becomes P_1 , at the beginning, and $P_1 - D'_1$ at the end of the policy year. Consequently P_2 is the value at the beginning of the next year; and the Existing R_0 were withdrawn (at the end of the calendar year) six months previous. Taking the difference, we have

$$r_1 = P_1 - D'_1 - R_0 - P_2;$$
 $r_2 = P_2 - D'_2 - R_1 - P_3;$ etc.

After transformation of the Amounts given by Company B, in accordance with these three series of equations, investigated for the purpose, the corresponding normal number of Lives or Policies was then obtained conversely from the principle of proportions employed for Company A.

The records of a third Company, denoted as Company C, gave the Deaths and Exposed for both Lives and Amounts, according to Calendar years of exposure, with correction for fractional parts of the year. The age nearest to Jan. 1st had been taken as the Age of Entry. After the first Policy on any life, the subsequent policies or surrenders, had been regarded merely as increase or decrease of the first Policy. By aid of further statistics, the stated Loss actually paid, was corrected to the Loss as insured. The lives were assumed to enter the Company at the middle of the initial calendar year, on an average, and in this sense, at their real ages. The results annually wrought out by the Office, had been given in the form of summation tables of the quantities N, M, D, R, which, besides determining the final ratios of mortality, were sufficiently extensive for other purposes. In order to unite with the returns of other Companies, as here presented, it became necessary to resolve the results into their original or annual elements. A single example will illustrate the special process devised for this object.

Years of	Probable	Probable Ages.								
Insurance,	Deaths			34	35	36	37	38		
0	136.33									
1	258.86									
2	230.55									
3	212.97									
4	198.11									
5	179.33			-						
Probable Deaths.	2,283.48			53,56	55.37	57.83	60.04	61.33		

The horizontal and vertical sums were thus given, and it was required to fill out the series of squares, with such compatible numbers as should make up these sums. Instead of resorting to equations of condition for five year periods, the squares were first filled out approximately, from the Experience of another similar Company. Their vertical sums, when compared with the true sums, gave a multiplier for each column, such that the vertical sums of products agreed with the true sums, shown at the foot of the columns. Next, the same products were added horizontally; their sums when compared with the actual sums in the left hand column, gave a new set of multipliers, such that the horizontal sums of the new products agreed with those stated in the left hand column respectively. The same products were next added vertically, to get new multipliers and products as first described, and so on. It proved to be a converging process, which terminated when the last multipliers became virtually 1; and the joint conditions of horizontal and of vertical summation were satisfactorily fulfilled. The resulting Probable Losses when divided by the same tabular probabilities previously nsed as multipliers to determine the Probable Loss, gave the corresponding values of M as required.

After this leading determination, different courses were suggested. Approximate values of D could readily be found by applying the known ratios of mortality to the values of M; and approximate values of R and r could then be derived from the foregoing Equations for M (page 26), by assuming the ratio of R to r to be the same as in the general experience of other similar Companies, at the same age and duration. Each equation would then have only one unknown quantity. And these approximate values could lastly be made to accord with the given sums by slight percentage corrections. But the work being already performed, the present sketch sufficiently indicates the methods of interpolation. The new converging process, which opened the way as above described, could be applied more extensively, as where the sums of the columns had been taken in the two directions vertically and diagonally.

SECTION VII.

Exposed to Risk.

After the original data had been reduced to the three forms of Existing, Discontinued, and Died, shown in Tables I and II, the next process was to fill out the columns of Exposed to Risk [of Death]. This peculiar term has already been defined under Notation, by the quantity β , or $M + \frac{1}{2}D$.

To explain the application,—in Table I Male Life, Age at Entry 33 years, for example, the Number of Entrants 40,498 at the head of the first columns, was found by adding the first three sums at the foot of the columns. And the Entrant Amount Insured \$104,474,000 was found in like manner. Then by the preceding equations for β (page 25), half the number of entrants less half of 1,872 the discontinuances of the year 0, gives 19,313 years of exposure in the year 0. And the number of entrants N diminished by the sum of Existing, Discontinued, and Died of the Year 0, gave the surviving entrants $\cdot \epsilon_1$, on the year 1. And ϵ_1 diminished by half the discontinued 6,484 of the year 1, gave β , or 32,927 Exposed to risk during the year 1. After the first year, the process is uniform, as follows.

YEAR OF INSURANCE.	ENTRANTS LESS EXISTING, DISCONTINUED, AND DIED.	SURVIVING ENTRANTS.	SUBTRACT ½ ĎISC'D.	EXPOSED TO RISK.
0	40,498—(2,349+1,872+108)	$\frac{1}{2}(40,498)$ 36,169	$\frac{1}{2}(1,872)$ $\frac{1}{2}(6,484)$	19,313 32,927
2	36,169 - (2,181 + 6,484 + 219)	27,285	$\frac{1}{2}(2,845)$	25,8621
3	27,285 – (1,776 + 2,845 + 218)	22,446	$\frac{1}{2}(1,856)$ \cdots	21,518

FROM TABLE I. AGE AT ENTRY 33 YEARS.

In the columns of Amounts, the Exposed to Risk [of Death] are found in the same manner. Thence, the ratios of mortality, and of discontinuance, or of both combined, can be determined by the preceding formulas. The collective data will be found unusually complete for these, as well as other inquiries.

The preceding principles require that, after passing from Deaths to the Ratios of mortality, or to the life table, the current Ages on the plan of "nearest birthday" are to be diminished by ½ year, as if changing the Ages from the middle to the beginning of the year of the ratio. Thus $29\frac{1}{2}$ current is changed to 29 years. The English custom of age "next birthday" would require a similar, final change of one year, reducing the current age 30 to 29, for example, as noted in the first volume of the Institute Experience, page 18.

SECTION VIII.

Comparative Results. Ratios of Mortality and of Loss to the Year 1874.

The collection of the Thirty Life Offices represents an aggregate of about 1,177,000 original policies. But under the rules of reduction, before described, these were adjusted to the net number stated below, comprising above a million of regular observations. It will be seen that the number of female entrants was relatively small; the total proportion being twenty-two males to one female insured. The ages of entry group themselves above and below the mean age of thirty-five, the half of "three-score years and ten."

Numbers.	MALES.	FEMA	LES.	TOTAL.
Number of Entrants	982,734 44,485 35.23 36.27	41,7 2,0 34. 34.	58 46	1,027,529 46,543 35.20 36.23
Proportions:	EXISTING.	DISCON- TINUED.	DIED.	Тотаь.
Of 982,734 Male Entrants	53.7	41.8	4.5	

Dividing now the corrected number "Exposed to Risk" by the whole number of Entrants, we find at the epoch of the Experience in 1874, the *Mean Duration of Policies* was 4.36 years. Adding this to the Average Age of Entry 35.23 years, we find that the Lives Insured had attained the Average Age of 39.6 years at the epoch. In the older Experience of the Twenty British Offices, the Mean Duration of Policies at the epoch in 1863 was 9.12 years; the average Age of Entry was 35.3 years; and the average age attained by all the lives insured, was 44.4 years. Resuming the Experience of the American Offices, we have next the following results.

MEAN PERCENTAGE OF MORTALITY ACCORDING TO THE YEAR OF INSURANCE, ALL AGES. TO 1874.

I INSURANCE.	DEATHS	CLAIMS		1	YEAR	
	PER CENT.	PER CENT.	DEATHS PER CENT.	CLAIMS PER CENT.	OF Insurance.	
. 0	0.63	0.63	0.86	0.93	0	
1	0.81	0.85	1.08	1.12	1	
2	0.92	1.00	1.06	1.09	2	
3	1.00	1.06	1.14	1.27	3	
4	1.09	1.19	1.16	1.32	4	
5	1.13	1.23	1.28	1.43	5	
6	1.17	1.27	1.40	1.54	6	
7	1.22	1.34	1.33	1.35	7	
8	1.20	1.27	1.06	1.16	8	
9	1.23	1.25	1.73	1.54	9	
Total,	1.03	1.10	1.16	1.23	Total.	

The preceding abstract, from Tables III and IV (B), shows how many die out of 100 Exposed to one year's mortality, the average being above one per cent. In the "Year of Insurance" 0, as before explained, the observations extend, on the average, over half a year from the day of entry, although the percentage is the annual rate. The "Year of Insurance" 1 extends from $\frac{1}{2}$ a year to $1\frac{1}{2}$ years from entry; and so on.

The principal effect of the medical selection is more correctly exhibited on Pages 31–33, for Equal Ages of Exposure; the average rate being generally attained within 2½ years. At the same time, the counter selections of the insured are proceeding by changes of amount, so that the final claims are generally about four per cent. in excess of what would be the loss for equal Policies or amounts insured.—Compare p. 192.

The computation of the following summary for Male Life may be thus illustrated. For "Years of Insurance" 0, for example, we add the Deaths and Exposed in Table I for Ages of Exposure 30, 31, 32, 33, 34, 35 Years, which give 89, 90, 95, 108, 99, 94, or a total of 575 Deaths, and in like manner 115,458.5 Exposed to Risk. These Deaths divided by the Exposed give 0.498 per cent. as stated in the Table on next page. The six middle Ages current, strictly represent the period $29\frac{1}{2}$ – $35\frac{1}{2}$; the central five years of which are 30–35 years; the fraction being excluded only to facilitate future comparisons. From the true middle age $32\frac{1}{2}$, dropping $\frac{1}{2}$ year leaves the middle initial age 32, as before specified. It will be seen that the ages bordering on the five-year periods, as 25, 30, etc. are added twice. The ratios of Death Claims were found in the same manner, subject in ease of future graduation to a small correction shown in Section X, 3.

For the summary of Female Life, a parallel method was employed; the data being first added in regular five-year periods, such as 30, 31, 32, 33, 34; then 35, 36, 37, 38, 39, etc., or $29\frac{1}{2}-34\frac{1}{2}$; $34\frac{1}{2}-39\frac{1}{2}$; etc. To advance these periods $\frac{1}{2}$ year, that is, to 30-35; 35-40, etc., one-tenth of the increase from one quinquennial to the next, was added to the former ratio. Thus for the periods (0) $24\frac{1}{2}-29\frac{1}{2}$, $29\frac{1}{2}-34\frac{1}{2}$, the ratios of Deaths per cent. are $27\div3956$ and $36\div4258$ or .6825 and .8455. One-tenth of their difference .0163 added to the former gives .6988 or .699 as stated in the abstract on next page under 25–30 at the head of the column. As a method of adjustment, there appears little or no ground of preference between this and the former operation for Male Life, with a fair measure of regularity in the data.

MALE LIFE. DEATHS AND CLAIMS PER CENT. TO 1874.

37	Ages of Exposure.							
YEARS OF	15-20		20-25		25-30		30–35	
Insurance.	DEATHS PER CENT.	CLAIMS PER CENT.	DEATHS PER CENT.	CLAIMS PER CENT.	DEATHS PER CENT.	CLAIMS PER CENT.	DEATHS PER CENT.	CLAIMS PER CENT.
0 1 2 3 4	.735 .673 .802 .634 .590	.597 .625 .746 .544 .776	.571 .677 .782 .685 .740	.446 .620 .846 .626 .719	.481 .607 .691 .777 .811	.442 .603 .735 .737 .868	.498 .617 .691 .744 .833	.485 .613 .764 .758 .854
5 6 7 8 9	.400 1.288 2.116	.421 .305 1.227	.899 1.223 1.003 .306 1.022	1.038 .650 1.209 .548 .337	.796 .879 .860 .812 .561	.885 .905 .879 .897 .459	.827 .801 .837 .799 .801	.914 .882 .827 .856 .841
0-4 5-9 10-14 15-19 20-24	.709 .725	.636 .432	.672 .967 1.890	.620 .910 1.572	.647 .823 1.295 .862	.645 .879 .850 .386	.666 .817 1.037 1.243 2.778	$\begin{array}{c} .683 \\ .879 \\ 1.194 \\ 1.634 \\ 1.105 \end{array}$
Total,	.709	.627	.689	.634	.671	.673	.705	.732
	35-40		40-45		45-50		50-55	
0 1 2 3 4	.520 .709 .785 .852 .920	.528 .831 .871 .884 1.000	.663 .845 .931 .958 1.019	.666 .839 .942 .950 1.108	.840 1.034 1.126 1.096 1.184	.802 1.031 1.107 1.118 1.252	1.186 1.322 1.442 1.403 1.469	$egin{array}{c} 1.354 \\ 1.309 \\ 1.495 \\ 1.525 \\ 1.512 \\ \end{array}$
5 7 8 9	.865 .914 .946 .789 .869	.956 .963 1.003 .843 .918	1.045 1.028 1.007 1.013 .900	1.124 1.071 1.038 1.020 .961	1.185 1.145 1.127 1.099 1.036	1.206 1.241 1.291 1.102 1.014	$\begin{array}{c} 1.392 \\ 1.557 \\ 1.506 \\ 1.525 \\ 1.568 \end{array}$	1.424 1.489 1.611 1.517 1.398
0—4 5—9 10–14 15–19 20–24	.758 .883 .933 .929 2.201	.829 .948 .936 1.006 2.010	.892 1.013 1.007 .903 1.135	.905 1.061 1.015 1.031 1.566	1.069 1.133 1.185 1.134 1.019	1.074 1.194 1.309 1.212 1.067	1.379 1.497 1.423 1.379 1.460	1.442 1.488 1.467 1.453 1.567
25–29 Total,	.802	.866	3.150 .938	6.349	1.393 1.102	2.534 1.138	1.828 1.426	2.653 1.469

MALE LIFE. DEATHS AND CLAIMS PER CENT. TO 1874.

YEARS	Ages of Exposure.								
OF INSURANCE.	55-60		60-65		65-70		70-75		
	DEATHS PER CENT.	CLAIMS PER CENT.	DEATHS PER CENT.	CLAIMS PER CENT.	DEATHS PER CENT.	CLAIMS PER CENT.	DEATHS PER CENT.	CLAIMS PER CENT.	
0 1 2 3 4 5 6 7 8 9 0—4 5—9 10-14 15-19 20-24 25-29	1.550 1.851 1.887 2.021 2.158 2.077 1.992 2.079 2.121 2.074 1.926 2.064 1.824 1.875 1.790	1.739 1.806 2.071 2.113 2.018 2.117 2.121 2.121 2.179 2.060 1.968 2.122 1.920 2.037 2.053 1.708	2.425 2.721 2.644 2.867 2.913 3.008 2.761 2.903 2.585 2.724 2.756 2.820 2.619 2.681 2.775 2.871	2.429 2.708 2.423 2.886 3.164 2.820 3.402 3.153 2.727 3.074 2.767 3.043 2.583 3.005 3.214 2.940	3.200 3.142 3.460 3.610 3.689 3.811 3.706 4.631 3.819 3.537 3.482 3.921 3.794 4.211 4.523 3.727	5.010 2.713 3.821 4.169 3.899 3.797 4.341 4.285 3.339 4.140 3.809 3.819 4.624 5.494 4.098	4.138 4.902 3.663 3.338 3.464 6.452 6.656 4.928 5.405 7.355 3.726 6.109 6.014 5.037 6.131 6.061	3.003 5.066 4.484 2.193 3.136 4.626 6.849 4.937 6.438 7.901 3.437 6.027 5.531 4.934 6.396 6.145	
Total,	1.942	2.017	2.756	2.899	3.934	4.236	5.631	5.550	
	75-80		80-85		85-90		All Ages.		
0-4 5-9 10-14 15-19 20-24 25-29 Total,	5.096 8.430 9.707 7.942 8.234 10.336 8.483	5.150 8.066 8.808 7.119 6.943 9.848 7.724	14.286 2.636 9.677 11.834 12.012 11.282 11.332	9.524 1.550 9.160 13.598 9.825 9.778 10.342	4.445 21.239 20.779 16.667	5.333 25.478 18.065 17.757	.881 1.179 1.171 1.679 2.339 2.943 1.028	.937 1.267 1.433 1.798 2.582 3.173 1.096	

FEMALE LIFE. DEATHS AND CLAIMS PER CENT. TO 1874.

YEARS OF INSURANCE.	Ages of Exposure.							
	15-20		20-25		25-30		30–35	
	DEATHS PER CENT.	CLAIMS PER CENT.	DEATHS PER CENT.	CLAIMS PER CENT.	DEATHS PER CENT.	CLAIMS PER CENT.	DEATHS PER CENT.	CLAIMS PER CENT.
0 1 2 3 4	.808 .585 .600 1.415	.784 .463 .396 2.307	1.062 .952 1.049 1.122 .993	1.042 .944 1.031 1.383 .526	$ \begin{array}{c} .699 \\ 1.056 \\ 1.019 \\ 1.023 \\ 1.047 \end{array} $.621 1.004 1.091 1.113 1.561	.840 1.076 .946 1.139 1.018	1.104 1.148 .814 1.292 1.085
5 6 7 8			.380 1.894 1.020 1.916	.455 .924 1.193 1.674	1.175 1.065 1.184 2.083	1.054 1.231 .959 6.180	1.010 1.372 1.023 1.250 2.071	.882 1.491 $.713$ 1.206 1.388
0—4 5—9 10–14 15–19 Total,	.714	.707	1.024 .991 1.108	1.017 .764 .999	.971 1.180 .949 	1.015 1.419 2.110 1.065	1.009 1.199 1.013 5.310 1.052	1.080 1.081 .948 3.124 1.084

FEMALE LIFE. DEATHS AND CLAIMS PER CENT. TO 1874.

YEARS				Ages of	Exposure.			
OF	35-	-40	40-	-45	45-	-50	50-	-55
Insurance.	DEATHS PER CENT.	CLAIMS PER CENT.	DEATHS PER CENT.	CLAIMS PER CENT.	DEATHS PER CENT.	CLAIMS PER CENT.	DEATHS PER CENT.	CLAIMS PER CENT.
0 1 2 3 4	.795 1.157 .917 .916 .789	.946 1.322 1.080 .785 .780	.838 1.101 1.009 1.108 1.145	.955 1.007 1.027 1.159 1.197	.975 .899 .806 1.239 1.124	1.013 .763 .724 1.399 1.563	1.193 1.064 1.496 1.179 1.550	.842 1.545 1.570 1.470 1.524
5 6 7 8 9	1.086 1.264 .937 1.509 .913	1.145 1.383 1.078 1.531 .868	1.090 1.097 .909 .410 1.456	1.390 1.027 1.118 $.479$ 1.646	1.393 1.287 1.497 .351 1.257	1.533 1.656 1.332 .233 .963	1.804 1.601 1.427 .954 1.941	1.943 1.627 1.470 .976 1.481
0—4 5—9 10–14 15–19 20–24	.946 1.142 .843 2.440	1.030 1.221 .839 3.128	1.051 1.000 1.294 1.031 .940	1.064 1.147 1.435 1.252 .678	.997 1.239 1.027 .830 1.116	1.052 1.312 .994 .766 .986	1.295 1.568 1.189 1.299 .826	1.441 1.594 1.153 1.509 $.590$
25–29 Total,	1.002	1.082	1.049	1.104	2.564 1.059	1.786 1.103	1.341	1.432
	55-	-60	60-	-65	65-	70	70-	-75
0 1 2 3 4	1.388 1.492 1.862 1.351 1.898	1.932 1.964 2.149 1.962 1.743	1.957 3.434 2.125 3.173	1.541 3.301 2.438 4.035	4.032 4.496 4.445 5.489	2.899 6.344 8.375 8.595	28.571 6.250 3.279	18.182 5.000 1.482
5 6 7 8 9	2.067 1.936 2.867 1.145 2.035	2.521 2.411 2.842 0.878 1.242	$egin{array}{c} 3.479 \\ 1.651 \\ 3.042 \\ 2.406 \\ 2.160 \\ \end{array}$	5.128 2.953 3.603 1.989 2.316	3.509 5.368 6.017 3.429 7.429	4.301 4.989 6.049 1.250 8.154	10.127 2.899 17.168	14.595 5.042 10.222
0—4 5—9 10–14 15–19 20–24	1.601 2.057 1.621 2.372 2.251	1.950 2.215 1.819 1.877 2.093	2.418 2.650 1.847 1.207 3.070	2.590 3.585 2.100 2.561 2.758	4.211 4.799 4.533 2.367 3.292	6.038 4.722 4.643 2.124 4.466	4.407 5.458 5.262 3.112 5.377	3.100 6.171 4.905 6.316 7.292
25-29 Total,	1.695 1.831	1.064 2.015	2.385	2.822	4.039	4.937	4.783	5.617
	75-	-80	80-	-85	85-	-90	All A	Ages.
0-4 5-9 10-14 15-19 20-24	14.909 8.207 25.352 6.203 21.536	14.107 8.523 17.391 8.516 23.482	40.000 23.000 9.091 31.666	28.571 16.250 24.000 35.952	50.000	50.000	1.060 1.329 1.373 1.545 2.179	1.135 1.423 1.439 1.876 2.270
25–29 Total,	14.587	14.428	20.128	22.013	16.282	21.363	0.717 1.158	0.431 1.234

Such are some of the effects in the aggregate. But a more exact impression will be given by glancing down the columns of these tables, and noting the incessant fluctuations of the rates. For instance, in the periods 50–55, 65–70 the claims per cent. of the first year have exceeded those of the second year for Male Life; and in Female Life, the same feature prevails as often as its opposite, for all ages. It should be noted that in each vertical column, the percentages refer to different groups of persons insured. The percentages for the same group proceed forward and downward in a diagonal direction, for five-year periods. Thus for the same class of females entering at the Ages 25–30, the successive Claims per cent. in five-year periods are given as 1.015, 1.081, 0.839, 1.252, 0.986,

It may be proper to observe that in the national census, the mortality of females, in the great mass, is less than that of the male population. In life insurance statistics, the same feature would undoubtedly prevail, if a fair representation of the female class in the community were insured. But in practice, the class that actually insure have so many unhealthy lives, especially in the period of maternity, that the total claims per cent. of females (1.23) have very considerably exceeded the rate (1.10) of insured males. The principal causes of this difference will be developed hereafter in the Medical Statistics. Table XIV (B) indicates especially the risk incident to the birth of the first child, which is well known to be far greater than at any subsequent delivery, with compensations in the future conditions of life. Compare also results from the Census of Scotland in the Journal of the Institute of Actuaries, Vol. 22, page 233.

COMPARISON OF DEATHS PER CENT. FROM SEVERAL TABLES OF MORTALITY.

AGES.	30 Am	ERICAN OF	FICES.	20 Bi	RITISH OF	FICES.	AMERICAN LIFE, 1858.	CARLISLE TABLE.
	MALES.	FEMALES.	DIFF.	MALES.	FEMALES.	DIFF.	M. AND F.	M. AND F.
1520	0.71	0.68	+.03	0.47	0.76	29	1.31	0.68
20-25	0.69	1.10	41	0.69	0.85	16	1.07	0.70
25-30	0.67	1.00	33	0.69	1.18	49	0.78	0.82
30-35	0.71	1.05	34	0.82	1.13	31	1.04	1.01
35-40	0.80	1.00	20	0.95	1.21	÷.26	0.98	1.09
40-45	0.94	1.05	11	1.07	1.28	21	0.83	1.41
45-50	1.10	1.06	+.04	1.36	1.39	03	1.13	1.44
50-55	1.43	1.34	+.09	1.74	1.57	+.17	1.55	1.52
55-60	1.94	1.83	+.11	2.40	2.02	+.38	1.87	2.20
60-65	2.76	2.39	+.37	3.48	2.86	+ .62	4.34	3.68
65-70	3.93	4.04	11	5.02	4.37	+.65	4.15	4.45
70-75	5.63	4.78	+.85	7.33	6.84	+.49	5.19	6.97
75-80	8.48	14.59	-6.11	11.00	10.66	+.34	8.48	10.54
80-85	11.33	20.13	-8.80	16.52	12.51	+4.01		13.86
85-90	16.67	16.28	+.39	22.35	22.82	47		19.92
90-95				32.73	22.68	+10.05		28.61
Deaths,	44,485	2,058		20,521	3,335		750	1,840
Entrants,	982 734	44,795		130,243	16,604		19,725	

This Table represents the percentages from original observations simply. Graduation would require a small correction described in Section X, 3. In the columns of the Thirty Offices, under the age of forty-five, the mortality of females will be seen to exceed that of males by at least one-third part, for a considerable extent; from the age of forty-five to sixty-five, the order is reversed, and the mortality of males exceeds that

of females by a much smaller difference relatively. Above sixty-five, the female experience is small in numbers, and fluctuating in value. Yet in the larger experience of British females from sixty-five to eighty, the excess of male mortality is still continued, though reversed afterward.

The last column but one, is derived from the published Report of the Experience of the Mutual Life Insurance Company of New York to Feb. 1, 1858, pages 10, 11. From its middle ages, between thirty and sixty, Mr. Sheppard Homans, the Company's Actuary, constructed the common American Experience Table of 1858, with some modifications.

Passing now to the last column, we note that all the percentages of the Carlisle Table exceed those of male life in the Thirty Offices Experience. And the percentages of the Twenty British Offices, male as well as female, with one or two exceptions at the beginning, show a similar excess over that of American insured males.

SECTION IX.

Continuation of the Experience of 1874 to Final Series.

The record of a Life Office noted upon the card returns will now be regarded as an inventory of the state of its business up to that particular time; from which the average for a longer series of years remains to be determined.

The applications of the Life Table to the current business of Insurance, whether to the surrender or change of policies, or to reserves, all presuppose that such Life-Table is based on terminated experience. In the analogous problem of the theory of probabilities, where the game is stopped prematurely, it is proved that the stakes should be divided among the players, in proportion to their probabilities of winning. Although the game stops, the determination of the several portions evidently depends on a knowledge of the chances, or law of the game when played through.

In the present case, the returns of 1874 comprise 549,418 Existing policies, of which the record closes before their future experience is determined. The column of Existing in Tables I and II now represents only first experiences, cut into dissimilar portions by the end of the 1st, the 2d, and other years after the medical examination, according to the year chosen for making out the cards or returns. Had the canvass of the office registers been deferred fifteen or twenty years, the most of the policies or lives would evidently have passed to their termination, and would have been returned as Discontinued or Died. And this mature experience, including the present returns, would have furnished the genuine elements for constructing the Life Table.

But not to wait for such supplementary experience by natural termination, we have found that it can be approximately supplied by carrying forward the Existing to their proportional terminations in the columns of Discontinued and Died; and the same for Amounts Insured and Claims. The present experience down to 1874 will give the requisite multipliers, and the products so found, may be conveniently termed Final Series.

Let us here investigate the weights or multipliers for this purpose. On page 25 is a formula assigning the probability p'' of surviving one year's exposure to **both** death and discontinuance. Hence from any age of Entry in Tables I and II we can determine the surviving entrants, N, Np_1'' , $Np_1''p_2''$, ... of Final Series denoted by N, ε'_1 , ε'_2 , ... as they would be, if the present Existing, all proceeded to their terminations in Discontinuance or Death. And the annual differences, $N-\varepsilon_1'$, $\varepsilon_1'-\varepsilon_2'$, etc. are

evidently multipliers of the corresponding sums of discontinued and died on the same line of Table I. Hence their respective ratios will give the required weights or multipliers (w) of Tables III and IV.

Thus in the accompanying illustration, the first columns of Existing. Discontinued and Claims are simply the sums of the corresponding Amounts from Table I in Thousands of Dollars under Ages of Entry 36 and 37, (mean age 36½). The product of these (except Existing), by the Multiplier opposite in the last column, gives the Discontinued Amounts and Claims, (which now include the Existing earried forward), under Final Series.

AMOUNTS FROM TABLE I. AGES AT ENTRY 36 AND 37 YEARS.

YEARS	Exp	ERIENCE	ENDING	1874.		I	FINAL SE	ERIES.	
INSUR- ANCE.	Existing (R).	DISCON- TINUED.	CLAIMS.	Entrants (ε) .	Entrants (ε') .	DISCON- TINUED.	DEATH CLAIMS.	Exposed to Risk.	Multiplier (w).
0 1 2 3 4	11,763 10,058 8,433 7,692 8,705	7,443 27,369 15,564 10,655 7,753	457 1,743 1,250 959 916	196,462 176,799 137,637 112,390 93,084	196,462 188,562 157,522 138,278 123,989	7,443 29,181 17,813 13,109 10,327	457 1,859 1,431 1,180 1,220	94,509.5 173,971.5 148,615.5 131,723.5 118;825.5	1,0000 1.0665 1.1445 1.2304 1.3320
5 6 7 8 9	9,533 9,629 8,991 7,915 5,659	5,665 3,433 2,617 1,508 707	922 665 470 366 217	75,710 59,590 45,863 33,785 23,996	112,442 102,659 95,599 89,164 84,218	8,414 5,914 5,455 3,980 2,481	1,369 1,146 980 966 762	108,235 99,702 92,871,5 87,174 82,977.5	1.4852 1.7228 2.0845 2.6392 3,5098
10 11 12 13 14	3,659 2,427 1,107 852 937	496 330 191 167 142	179 224 149 113 124	17,413 13,079 10,098 8,651 7,519	80,975 77,836 74,539 72,029 69,697	2,307 1,964 1,410 1,391 1,316	832 1,333 1,100 941 1,149	79,821.5 76,854 73,834 71,838.5 69,039	4.6505 5.9515 7.3819 8.3264 9.2700
15 16 17 18 19	730 596 339 341 390	78 57 44 37 40	78 98 77 59 55	6,316 5,430 4,679 4,219 3,782	67,232 65,572 63,700 62,051 60,639	830 688 599 544 641	830 1,184 1,050 868 881	66,817 65,228 63,460 61,779 60,318.5	10.645 12.076 13.615 14.709 16.035
20 21 22 23 24	273 196 198 264 347	45 16 31 17 6	49 53 74 56 69	3,297 2,930 2,665 2,362 2,025	59,117 57,431 56,081 53,872 52,206	807 313 652 388 155	879 1,037 1,557 1,278 1,783	58,713.5 57,274.5 55,755 53,678 52,128.5	17.931 19.602 21.044 22.808 25.781
25 26 27 28 29	477 377 345 160 35	3 20 3 	48 30 33 11 1	$\begin{array}{c} 1,603 \\ 1,075 \\ 648 \\ 267 \\ 96 \end{array}$	50,268 48,670 46,413	94 903 215	1,504 1,354 2,361	50,221 48,218.5 46,305.5	£1.362 45.277 71.618
30 32 38	56		1 1 2	60					•••••
	102,484	84,429	9,549						

The first column of Entrants (ε) is readily computed by the formula of page 25, preparatory to obtaining the values of p'' by the formula there given.

$$\varepsilon_1' = \varepsilon' p''.$$
 $w = \frac{\varepsilon'}{\varepsilon}.$ $p'' = \frac{R + \varepsilon_1}{\varepsilon}.$ $r' = wr.$ $D' = wD.$

Here ε_1 denotes the entrants on the line or space next below that of the existing R and entrants ε . Multiplying N or 196,462 in this example by the first value of p'' gives

188,562, that is, the second value of ε' ; and this by the next value of p'' gives the next value of ε' ; and so on. The entrants ε' are here computed through 27 years, omitting the rest on account of the smallness and irregularity of the last data. Now the first difference of column ε' or 7,900 divided by the sum of the first Discontinued and Claims 7,443 + 457 gives 1, the first multiplier in column (w). The second difference of ε' or 31,040 divided by 27,361 + 1,743 gives 1.0665 the second multiplier in column (w), and so on.

Another Solution. Since Entrants (ε) always commence where Existing (R) end, at the beginning of any one year, we have first the proportion; Entrants: Discontinued in the following twelve month:: Existing: proportional Discontinued. The sum of the second and fourth terms gives the Discontinued of Final Series, on the same line of the Table. And the Deaths of Final Series are found in like manner. Adding the third term to the Existing at the beginning of the next year, and then subtracting the two-fourth terms of Discontinued and Deaths just found, will give the entire surviving Existing from previous years, which will be the third term of the proportions for the next year, and so on.

Exposed to Risk. After applying either solution, the Discontinued and Deaths so found, will give the Exposed to Risk, in Final Series through the usual formula on page 25, by making the Existing (R) to be zero. Or in a different way, the Exposed to Risk may be found by multiplying the Exposed to Risk in the first series of 1874, by the same multiplier (w) that is used to change the Discontinued and Died on the same line to Final Series, from Tables I or II. This implies that the percentages of Death and Discontinuance, but not their absolute numbers, are virtually alike on the same line of the series of 1874, and of Final Series. This agreement is shown in the following examples, computed with five-place logarithms, from Amounts Insured.

ELEMENTARY CLAIMS PER CENT.

YEARS OF	OF 36 AND 37.		AGES OF 56 AN		YEARS OF		F ENTRY	Ages of Entry 56 and 57.		
Insur-	(1874).	FINAL SERIES.	(1874).	FINAL SERIES,	Insur-	(1874).	FINAL SERIES.	(1874).	FINAL SERIES.	
0 1 2 3 4	$\begin{array}{c} 0.484 \\ 1.069 \\ 0.963 \\ 0.896 \\ 1.027 \end{array}$	0.484 1.069 0.963 0.896 1.027	$egin{array}{c} 1.352 \\ 1.852 \\ 2.206 \\ 2.436 \\ 3.125 \\ \end{array}$	1.352 1.850 2.206 2.436 3.123	13 14 15 16 17	$\begin{array}{c} 1.319 \\ 1.655 \\ 1.243 \\ 1.814 \\ 1.653 \end{array}$	1.319 1.664 1.242 1.815 1.656	7.816 4.847 3.170 4.248 11.007	7.817 4.850 3.175 4.249 11.012	
5 6 7 8 9	$\begin{array}{c} 1.265 \\ 1.149 \\ 1.055 \\ 1.108 \\ 0.918 \end{array}$	1.265 1.149 1.055 1.108 0.918	2.761 4.243 3.716 3.200 3.237	2.760 4.240 3.718 3.198 3.235	18 19 20 21 22	1.405 1.462 1.496 1.814 2.793	1.405 1.461 1.497 1.811 2.793	0.899 9.848 10.687 5.066 19.954	$egin{array}{c} 0.899 \\ 9.852 \\ 10.674 \\ 5.072 \\ 19.914 \\ \end{array}$	
10 11 12	1.043 1.735 1.490	1.042 1.734 1.490	$4.200 \\ 5.478 \\ 5.071$	4.201 5.488 5.071	23 24 25	2.380 3.413 2.997	2.381 3.420 2.995	7.233 4.396 13.123	7.229 4.412 13.115	

Weights. The foregoing system of multipliers (w) will be seen to coincide with the method of weights, used in the process of average. It is evident that the weights (w) have the same relation to a life table designed for questions of population, without interest,—that discounted weights (w, v^n) , where n denotes the "Years of Insurance," have to a life table designed to give the well known Commutation Columns, for different rates of interest.

Accordingly, discounted weights $(w. v^n)$, assuming v to be $1 \div 1.04$, have been preferred in Tables III and IV, for determining the Claims of Final Series. In eonsequence of large irregularities in the statistics of Female Life, only the mean weights, (w) and $(w. v^n)$ were tabulated by their logarithms in Table IV (C). Deferring further explanations, and the construction of life tables to Part II, we subjoin an example of the preparatory operation for a single Age of Exposure of Male Life; the weights of Table III being changed from (w) to $(w. v^n)$.

AGGREGATE CLAIMS PER CENT. EXAMPLE. AGE OF EXPOSURE 241 TO 251.

YEARS OF	AGE OF	Log'M WEIGHT.	(1	874).	FINAL	SERIES.
Insurance.	Entry.	WEIGHT.	CLAIMS.	Exposed.	CLAIMS.	Exposed.
0 1 2 3 4	25 24 23 22 21	0.0000 0.0142 0.0318 0.0510 0.0908	168.0 305.0 257.0 111.0 68.0	36,205.0 50,185.0 30,560.5 17,851.0 9,781.0	168.0 315.2 276.5 124.8 83.8	36,205.0 51,856.0 32,885.0 20,077.0 12,056.0
5 6 7 8	20 19 18 17 16	0.1348 0.1938 0.3009 0.4288 0.5670	52.0 18.0 14.0 6.0 1.0	4,374.5 2,079.5 951.0 448.0 227.5	70.9 28.1 28.0 16.1 3.7	5,966.2 3,249.4 1,901.5 1,202.5 839.7
10 11 12 13	15 14 13 12	0.6271 0.6781 0.6875 0.6559	1.0	93.0 67.0 8.0 11.5	4.2	394.1 319.3 38.9 52.1
Sum			1,002.0	152,842.5	1,124.1	167,042.7
Claims pe	er cent	• • • • • • • • • • • • • • • • • • • •	0.	656	0.	673

SECTION X.

Notes on Graduation. Short Method for the Expectation of Life. Graduation by Formula and by Divided Differences. Loss relative to Term and other species of Insurances.

In further preparation for the construction of life tables in Part II, and other applications, the following notes of investigation are here placed on record. To correct for minor irregularities in the data, the observations may be grouped in five or ten-year periods. And from these five or ten-year sums, the annual values are again derived in a more regular and continuous series, by the process of graduation. This may be done in several ways.

1. The Graphic Method. On a base line representing years, or one of the two dimensions, set off distances corresponding to the given periods of age. Each of these distances is made the base of a rectangle, whose altitude is the average obtained by dividing the respective group of observations by its number of years. Having plotted this series of rectangles, whose upper contour forms a broken line, draw with a free

hand, a mean curve to supersede the broken line. This curved line must be drawn as little curved as the conditions admit of, and never change its direction abruptly. It will generally cut off a triangular space from one corner of each rectangle, and by compensation take from without, an equal space above the next corner of the rectangle. A preliminary curve is often drawn in pencil, and then successively adjusted by measuring, till the spaces exterior and interior to each rectangle are made equal. Finally, the ordinates of the curve measured year by year, give the graduated series required.

The living and the deaths for the Carlisle Table were graduated separately by this method, as described in Milne on Annnities and Insurances, Vol. I, page 100, (London, 1815). In respect to the vital statistics of the city of Carlisle and other places, he observes, it is very desirable that the exact numbers be given monthly for the first three months after birth; quarterly for the remaining three quarters of the first year of age; and after that, separately for the 2d, 3d, 4th and 5th years of age. And then intervals of five years to the extremity of life may do very well. And if the number of inhabitants be very considerable, intervals of ten years may be employed after the age of twenty or thirty.

2. Short Method. When life tables have once been formed by the graphic or other correct method, they may furnish corrections to shorten future applications. From the three life tables constructed by Milne, Vol. II, pages 404, 405, 564, 534, 566, we have derived for future reference, the following method for passing directly from the original data, to an outline of the Expectations of Life. And the same process might easily be adapted to Life Annuities. At the age of 80 years, the Expectation of Life is generally 5 years, more or less; and the deviations of the Expectations, and the Logarithms of the probabilities of life, from their mean values, appear very nearly proportional to each other, in different Tables. On this clue, are founded the equations below, which give a close approximation to the Relative and to the True Expectation at the age of 80. From the Relative Expectation at 80, we derive the Relative values at 70, 60, 50.... 5 years, to which a small correction is to be added to give the true Expectations.

EXAMPLE FROM THE ORIGINAL	DATA	OF THE	CARLISLE	TABLE.
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PERIOD	Living	DEATHS	$n \times \lambda \frac{\mathbf{L} - \frac{1}{2}\mathbf{D}}{\mathbf{L} + \frac{1}{2}\mathbf{D}}.$		Expect	PATION.	Dı	FFEREN	CE.	Cor.
n.	L.	D.	$n \times n + \frac{1}{2}D$	AGE.	CALC'D.	TRUE.	CARL.	S. M.	S. F.	COR.
0- 5 5- 10	9,868.5 8,703	812 89	$\overline{1.816225}$ 1.977795	0 5	51.26	38.72 51.25	01	02	+ .02	04
10- 15	6,853.5	34	$\frac{1.989230}{1.985235}$	10 15	48.85 45.02	48.82 45.00	03 02	+ .01	+ .01 + .02	01
15- 20 20- 30	6,471 12,730.5	44 96	1.96725	20	41.49	41.46	03	00	+.03	0
30- 40 40- 5)	8,406 8,226	89 118	1.95402 1.93770	30 40	34.35 27.63	34.34 27.61	01 02	$01 \\ 00$	+ .01 + .03	0 0
50- 60 60- 70	5,638.5 4,194	103 173	1.92067 1.82083	50 60	21.13 14.37	21.11 14.34	02 02	01 + .01	+.02 +.03	$\begin{array}{c c} \frac{1}{120} & C \\ \frac{1}{60} & C \end{array}$
70- 80	1,831.5	152 98	$\begin{array}{c} 1.63936 \\ \overline{1.23529} \end{array}$	70 80	9.22 5.46	9.18 5.51	$04 \\ +.05$	+ .05 + .01	$\begin{bmatrix} 00 \\05 \end{bmatrix}$	1 C C
80- 90 90-100	558 94.5	28	$\frac{1.25525}{2.70366}$	90		3.28	+ .00		00	
100-105	18	4		100		2.28		••••		
	73,593	1,840	λp^n .							

The third column shows the Deaths in the city of Carlisle during nine years; and the second, the corresponding Population exposed to risk, as adjusted from two censuses. The third column is derived from these by the formula at the head of the column, where L and D correspond to the period n, that is, 5 or 10 years, on the same line. It expresses the common logarithm of an approximate probability of surviving the period, as noted at the foot of the column.

Let s denote the sum of the Logarithms of the three given probabilities from the age of 50 to 80. In the present example s is $\overline{1.38086}$ or -0.61914.

Also let e'_x , e_x , denote the Relative and the True Expectation at the age 80, as defined by the following equations:

$$e'_{80} = 10.844 + 10.315s$$
, $e_{80} = 7.833 + 3.833s$.

The multipliers of C to give the correction, *Cor.* are shown in the lower part of the last column of the accompanying Table. From e' at 80, the decennial values of e' are derived one from another successively down to the age of 20, by the relative formula,

$$e'_{x-10} = 5 + p^{10}(e'_x + 5).$$

 $e_x = e'_x + \text{Cor.}$ $C = e_{80} - e'_{80}.$

Under 20 years of age, the formula for five-year intervals will be

$$e'_{x-5} = 2.5 + p^5(e'_x + 2.5).$$

The probability p^{10} or p^5 is obtained at once from the fourth column of the Table, corresponding to the given interval of age. The first equations applied to the Carlisle data give $e'_{80} = 4.46$ and $e_{80} = 5.46$; whence their difference C = 1.00. And the corrections to be added to e' are known from the last column of the Table. From the age of 80 down to 5, the Expectations calculated by this simple process, differ but slightly from the standard results of the graphic method, as shown in the last column but three. And the next two columns headed S. M. and S. F. derived from the data and Tables of Swedish Males and Swedish Females found in Milne's treatise, show even smaller residuals.

- 3. Correction. A plausible but erroneous assumption is occasionally made, that when the sum of the Deaths from 60 to 65 years of age, for example, is divided by the sum of the Exposed to Risk at the same ages, the resulting ratio of mortality will be that of the middle age, 62–63. In respect to the values of l, so found in the life table, a correction will be required, which is additive up to about the age of 72, and subtractive after that age. Mr. Woolhouse finds the required correction to be the central second difference plus one-fifth of the fourth difference (of the five values of l in the period), to be applied with the sign just described. In the same communication will be found Woolhouse's Method of Final Adjustment, after a previous graduation. (Journal, Vol. XXI, p. 58, and Vol. XIII, p. 98.)
- 4. Graduation by Formula. Among various formulas presented for choice, let us here employ a modified geometric progression, with three constants to be determined from the data. For example, the observations of three five-year periods of age A, B, C are given, to be resolved into the series for single years. Let u_z denote the number for the age x; then for annual and for five-year periods:

$$u_x = a + bc^x$$
, $u_0 = a + b$, $u_1 = a + bc^1$, $u_2 = a + bc^2$,
 $A = 5a + bs$, $B = 5a + bsc^5$, $C = 5a + bsc^{10}$;

$$s = 1 + c + c^{2} + c^{3} + c^{4} = \frac{c^{5} - 1}{c - 1}, \quad c^{5} = \frac{C - B}{B - A},$$

$$5a = B - \frac{C - B}{c^{5} - 1}, \quad b = \frac{(B - A)(c - 1)}{(c^{5} - 1)^{2}};$$

$$u_{6} = a + bc^{6}, \quad u_{7} = a + bc^{7}, \quad u_{8} = a + bc^{8}.$$

Thus from A, B, C may be found u_6 , u_7 , u_8 , the three middle terms of B. From B, C, D may be similarly found the three middle terms of C, and so on. Then u_9 , u_{10} the two omitted terms between these triplets can be supplied by divided differences, as presently described. And the six other initial or final terms of the whole series, can be regularly computed by the local process above. In case the sum of any five computed terms differ from the original given sum, one-fifth of the excess can be apportioned to each term. Also instead of five-year periods, the same solution applied to ten-year periods will give five sums of two terms cach, which can afterwards be separated into single terms, by applying series. And instead of interpolating Deaths D, and Living L, separately, it may be preferable to take the combinations $L-\frac{1}{2}D$, and $L+\frac{1}{2}D$, for greater regularity.

$$c = \frac{u_2 - u_1}{u_1 - u_0}, \qquad c^z = 1 + \frac{u_x - u_0}{u_1 - u_0}(c - 1).$$

$$\frac{u_x - u_0}{u_1 - u_0} = x + \frac{x(x - 1)}{1.2}(c - 1) + \frac{x(x - 1)(x - 2)}{1.2.3}(c - 1)^2 + \dots$$

5. Interpolation by Divided Differences. It has just been shown in 3. how far the divided sum or average of five terms differs from the middle term. But to substitute the divided difference of the extremes at the middle point, for the middle difference, is much more accurate, since it differs from the truth by only half the central third difference. Although often insensible, yet provision will be made for correcting even this slight residual, whenever it appears. Embarrassment is sometimes experienced in bringing together portions of the life table interpolated separately, so that the differences at the junctions shall be free from break or abrupt changes. The new artifice here suggested, is that of substituting divided differences at the middle points.

For one of the simpler applications, let us first suppose that two terms d, e, interpolated by different formulas are to be reconstructed so as to present a regular continuity. Let the series be

...
$$a \ b \ c \ (d, e) \ f \ g \ h$$
.. $3y = (f-c) - \left(\frac{f-a}{5} + \frac{g-b}{5} + \frac{h-c}{5}\right)$. $d = c + y + \frac{f-a}{5}$, $e = d + y + \frac{g-b}{5}$, $f = e + y + \frac{h-c}{5}$.

Thus, at first canceling the terms d, e, which include the junction, we find a slight correction y, such that the three divided differences each corrected by y, shall make up the proper quantity f-c. Then d, e are computed; also f, to prove the operation, by coinciding with the previous value of f, as above indicated.

For the reconstruction of four terms f, g, h, i by five differences, let the adjacent terms be

 \dots a b c d e (f g, h i) j k l m n \dots

$$\begin{split} 5y &= (j-e) - \left(\frac{j-a}{9} + \frac{k-b}{9} + \frac{l-c}{9} + \frac{m-d}{9} + \frac{n-e}{9}\right). \\ f &= e + y + \frac{j-a}{9}, \quad g = f + y + \frac{k-b}{9}, \quad h = g + y + \frac{l-c}{9}, \text{ etc.} \end{split}$$

The same principle might evidently be extended to the omission and re-computation of second or third differences; so that it offers facilities of unusual precision and importance.

6. Loss Experience on different Species of Policies. An inspection of the ratios below, may give the most correct impression. The experience of Term Policies is fluctuating, and appears generally dependent on particular circumstances in connection with other classes of Insurance. Besides ten Companies classified in regard to Species, the statistics of six Companies in the general collection, were classified in respect to the Amount of Policy. A difference of opinion exists in respect to the value of such minor classifications, which might be indefinitely extended to Paid-up Life, Ten Payment Life, Paid-up Endowment Policies, and others.

LOSS ON DIFFERENT SPECIES OF POLICIES.

Number of	Life	POLICIES.		Endowne	ENT INSURANCE	ES.	TERM POLICIES.			
COMPANIES.	PROBABLE L.	ACTUAL L.	RATIO.	PROBABLE L.	ACTUAL L.	RATIO.	PROBABLE L.	ACTUAL L.	RATIO.	
	\$	\$	100:	\$	\$	100:	\$	\$	100:	
3	3,661,757	3,799,225	104	645,702	533,013	83	169,204	165,500	98	
2	7,076,232	7,068,489	99	1,119,234	859,350	77	408,101	448,530	110	
2	3,611,112	3,766,759	104	302,716	264,537	87	55,419	84,067	152	
3	2,997,823	3,614,288	120	399,790	391,172	98	77,285	42,900	56	
10	17,346,924	18,248,761	105	2,467,442	2,048,072	83	710,009	740,997	105	

LOSS RELATIVE TO THE AMOUNT OF POLICY.

Species of	Und	er \$4,000.		\$4,000	то \$10,000.		Over	\$10,000.	
Policies.	PROBABLE L.	ACTUAL L.	RATIO.	PROBABLE L.	ACTUAL L.	RATIO.	PROBABLE L.	ACTUAL I.	RATIO.
	\$	\$	100:	\$	*	100:	\$	\$	100:
Life Policies	1,994,890	1,915,905	96	2,718,160	2,874,100	106	33,440	35,000	105
Endowment Ins.	258,228	222,699	86	261,060	190,000	73	1,575	20,000	
Term Policies	88,717	101,967	115	82,126	74,000	90	4,750		
7 Companies	3,827,440	3,672,003	96	4,393,274	4,679,100	106	119,157	85,000	71

DIVISION SECOND.

CLIMATIC TABLES.

Or thirty life insurance Companies included in the general collection, twenty-seven have returned the locality of the insured, by States or Counties. The results are given in Tables V, VI and VII.

In Table VI, the Order and Variability of Ratios is shown in detail, according to twelve Companies whose mean ratios are less than 94, six Companies whose mean ratios were between 94 and 100, and nine Companies whose mean ratios were greater than 100. The last six columns exhibit the Probable and the Actual Loss in Thousands of Dollars; that is, 870 there signifies \$870,000, and so on. For any State or group of adjacent States, the variability may be estimated by comparing the mean with the associated values horizontally.

SECTION I.

Computations of Probable Loss.

For future applications, as well as to illustrate the method of computing the columns of Probable Loss, we here insert the two accompanying Tubles of multipliers (A), (B), to three decimals, based on the Thirty Offices Experience. A policy of \$5,000 entered at the Age of 37, for example, has the Duration or Years of Insurance $10\frac{1}{2}$, and is in force or Existing at the epoch of Office investigation. The tabular probability of dying in this interval is .101, which multiplied by 5,000 gives \$505, the total Probable Loss since the day of Entry. Had the same policy been Discontinued or Died, the other Table (B) would have given the multiplier .095, and the product of .095 by 5,000 or \$475 would be the Probable Loss for ten years. The result differs from the former for Existing, by half a year's exposure, according to the general system of reduction described in Division I. page 24. Accordingly, the values (A) are simply the means of the adjacent values (B). Thus the first Table gives Multipliers for the sum of Probable Losses for $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, years Existing, and the second Table for 0, 1, 2, 3, vears till Death or Discontinuance.

A modification to give the annual values separately, has been practiced by several Life Offices, that compute the Probable Loss at the end of every business year. For this object, Table XXVI will give the annual multiplier q for every age attained, denoted by x+n. A policy of \$6,000 exposed for the half or third of a year, is accounted as \$3,000 or \$2,000 respectively exposed for the whole year; and so for other fractional parts. A joint-life policy terminates at the first death. To shorten the labor, sometimes, the tabular multipliers represent only the two nearest decimals; and a compensation of positive and negative errors is assumed in the final sum.

THIRTY OFFICES EXPERIENCE.

(A). Multiplier for Existing to give the whole Probable Loss.

	AGE OF ENTRY x.												
10-14	15-19	20-24	25-29	30-34	35-39	40-44	45-49	50-54	55-59	60-64	65-69	$n + \frac{1}{2}$.	
.003 .010 .017 .023 .029	.003 .010 .017 .024 .030	.003 .011 .017 .025 .032	.003 .011 .018 .026 .033	.004 .012 .020 .027 .035	.004 .013 .022 .031 .040	.005 .015 .026 .037 .047	.006 .019 .032 .045 .059	.008 .024 .041 .059 .077	.011 .033 .056 .080 .105	.016 .047 .079 .114 .149	.023 .069 .116 .165 .216	$\begin{array}{c} 0^{\frac{1}{2}} \\ 1^{\frac{1}{2}} \\ 2^{\frac{1}{2}} \\ 3^{\frac{1}{2}} \\ 4^{\frac{1}{2}} \end{array}$	
.036 .042 .049 .055 .062	.037 .044 .050 .057 .064	.038 .045 .053 .059 .066	.040 .048 .055 .063 .071	.044 .052 .061 .069 .079	.050 .059 .069 .079 .090	.059 .070 .083 .096 .109	.074 .089 .104 .121 .138	.096 .117 .138 .159 .183	.132 .160 .189 .219 .250	.186 .225 .264 .305 .347	.267 .319 .372 .425 .477	5 1 2 1 2 1 2 1 2 1 2 1 2 1 2 1 2 1 2 1	
.068 .074 .081 .087 .094	.070 .077 .084 .091 .098	.074 .081 .088 .096 .103	.079 .087 .095 .103 .112	.088 .097 .106 .116 .126	.101 .112 .124 .136 .149	.122 .137 .152 .167 .184	.156 .175 .194 .215 .237	.207 .232 .259 .286 .315	.283 .317 .352 .388 .425	.389 .433 .477 .521 .565	.529 .580 .630 .677 .722	$10\frac{1}{2}$ $11\frac{1}{2}$ $12\frac{1}{2}$ $13\frac{1}{2}$ $14\frac{1}{2}$	
.100 .107 .113 .119 .127	.104 .111 .118 .126 .133	.110 .118 .126 .134 .143	.121 .130 .139 .148 .158	.137 .148 .159 .170 .182	.162 .175 .189 .205 .220	.201 .218 .237 .256 .277	.259 .283 .308 .333 .360	.345 .376 .408 .440 .474	.462 .500 .539 .578 .616	.608 .650 .692 .731 .769	.765 .804 .838 .870 .898	$15\frac{1}{2}$ $16\frac{1}{2}$ $17\frac{1}{2}$ $18\frac{1}{2}$ $19\frac{1}{2}$	
.133 .139 .147 .154 .161	.140 .148 .155 .163 .171	.151 .159 .169 .178 .187	.168 .178 .189 .200 .212	.195 .208 .221 .236 .251	.236 .253 .271 .289 .309	.298 .321 .344 .369 .394	.388 .417 .446 .477 .509	.509 .544 .579 .614 .650	.654 .692 .728 .763 .796	.804 .837 .866 .892 .915	.921 .941 .957 .970 .981	$\begin{array}{c} 20\frac{1}{2} \\ 21\frac{1}{2} \\ 22\frac{1}{2} \\ 23\frac{1}{2} \\ 24\frac{1}{2} \end{array}$	
.168 .175 .183 .190 .198	.179 .187 .196 .205 .214	.196 .207 .217 .228 .239	.224 .237 .250 .264 .278	.266 .283 .300 .318 .337	.330 .351 .374 .397 .421	.420 .447 .476 .505 .535	.541 .574 .607 .640 .673	.685 .719 .752 .784 .814	.827 .856 .882 .905 .925	.934 .951 .964 .975	.988 .993 .996 .998 .999	25½ 26½ 27½ 28½ 29½	
.205 .213 .222 .231 .240	.223 .233 .243 .254 .265	.251 .263 .276 .289 .303	.293 .309 .326 .343 .361	.356 .377 .398 .421 .444	.446 .472 .499 .527 .555	.565 .596 .627 .659	.705 .737 .768 .798 .826	.842 .868 .892 .913 .932	.942 .957 .969 .978 .986	.989 .994 .997 .999	.999	$\begin{array}{c} 30\frac{1}{2} \\ 31\frac{1}{2} \\ 32\frac{1}{2} \\ 33\frac{1}{2} \\ 34\frac{1}{2} \end{array}$	
.249 .258 .267 .278 .288	.276 .287 .300 .313 .326	.318 .333 .349 .366 .383	.379 .399 .420 .441 .463	.468 .493 .519 .546 .573	.585 .614 .644 .674 .704	.721 .751 .781 .809 .835	.853 .877 .898 .919 .936	.947 .960 .971 .980 .987	.991 .995 .997 .999	.999	• • • •	$35\frac{1}{2}$ $36\frac{1}{2}$ $37\frac{1}{2}$ $38\frac{1}{2}$ $39\frac{1}{2}$	
.298 .310 .322 .335 .349	.340 .355 .370 .386 .403	.401 .420 .440 .461 .483	.487 .512 .537 .562 .588	.601 .630 .658 .687 .716	.733 .762 .790 .817 .842	.860 .883 .904 .923 .940	.951 .963 .973 .982 .988	.992 .995 .997 .999	.999			$\begin{array}{c} 40\frac{1}{2} \\ 41\frac{1}{2} \\ 42\frac{1}{2} \\ 43\frac{1}{2} \\ 44\frac{1}{2} \end{array}$	
	.003 .010 .017 .023 .029 .036 .042 .049 .055 .062 .068 .074 .081 .100 .107 .113 .119 .127 .133 .139 .147 .154 .161 .168 .175 .183 .190 .198 .205 .213 .222 .231 .240 .249 .258 .267 .278 .288	.003 .003 .003 .010 .010 .017 .017 .023 .024 .029 .030 .036 .037 .042 .044 .049 .050 .055 .057 .062 .064 .068 .070 .074 .077 .081 .084 .087 .091 .094 .098 .100 .104 .107 .111 .113 .118 .119 .126 .127 .133 .140 .139 .148 .147 .155 .154 .163 .161 .171 .168 .179 .175 .187 .183 .196 .190 .205 .198 .214 .205 .223 .213 .233 .222 .243 .231 .254 .240 .265 .287 .267 .300 .278 .313 .288 .326 .298 .340 .355 .382 .337 .335 .386	.003 .003 .003 .003 .010 .011 .017 .017 .017 .017 .023 .024 .025 .029 .030 .032 .036 .044 .045 .049 .050 .053 .055 .057 .059 .062 .064 .066 .068 .070 .074 .074 .077 .081 .084 .088 .087 .091 .096 .094 .098 .103 .100 .104 .110 .107 .111 .118 .113 .118 .126 .134 .127 .133 .143 .143 .143 .145 .151 .139 .148 .159 .147 .155 .169 .154 .163 .178 .161 .171 .187 .168 .179 .196 .175 .187 .207 .183 .196 .217 .190 .205 .228 .198 .214 .239 .205 .228 .241 .239 .240 .265 .303 .249 .276 .318 .258 .287 .333 .263 .249 .276 .318 .258 .287 .333 .263 .288 .326 .383 .366 .388 .329 .340 .440 .335 .386 .4461 .335 .386 .4461 .335 .386 .4461 .335 .386 .4461 .335 .386 .4461 .335 .386 .4461	.003	.003 .003 .003 .004 .010 .010 .011 .011 .012 .017 .017 .017 .018 .020 .023 .024 .025 .026 .027 .029 .030 .032 .033 .035 .036 .037 .038 .040 .044 .042 .044 .045 .048 .052 .049 .050 .053 .055 .061 .055 .057 .059 .063 .069 .062 .064 .066 .071 .079 .068 .070 .074 .079 .088 .074 .077 .081 .087 .097 .081 .084 .088 .095 .106 .087 .091 .096 .103 .116 .094 .098 .103 .112 .136 .100 .104 .110 .121 .137	.003	.003 .003 .003 .004 .004 .005 .010 .010 .011 .011 .012 .013 .015 .017 .017 .018 .020 .022 .026 .023 .024 .025 .026 .027 .031 .037 .029 .030 .032 .033 .035 .040 .047 .036 .037 .038 .040 .044 .050 .059 .042 .044 .045 .048 .052 .059 .070 .049 .050 .053 .055 .061 .069 .083 .055 .057 .059 .063 .069 .079 .096 .062 .064 .066 .071 .079 .090 .109 .068 .070 .074 .079 .088 .101 .122 .074 .077 .081 .087 .097 .112 .137	.003 .003 .003 .003 .004 .004 .005 .006 .010 .010 .011 .011 .012 .013 .015 .019 .017 .017 .017 .025 .026 .027 .031 .037 .045 .029 .030 .032 .032 .036 .037 .045 .029 .030 .032 .033 .035 .040 .047 .059 .049 .044 .050 .059 .070 .089 .049 .050 .053 .055 .061 .069 .083 .104 .055 .057 .059 .063 .069 .079 .096 .121 .062 .064 .066 .071 .079 .090 .109 .138 .068 .070 .074 .079 .088 .101 .122 .156 .074 .077 .081 .087 .097 .112 .137 .175 .081 .084 .088 .095 .106 .124 .152 .194 .087 .091 .096 .103 .116 .186 .167 .215 .091 .094 .098 .103 .112 .126 .149 .184 .237 .100 .104 .110 .121 .137 .162 .201 .259 .111 .138 .148 .130 .148 .175 .218 .288 .131 .118 .126 .139 .159 .189 .237 .306 .131 .147 .155 .169 .184 .152 .128 .220 .277 .360 .133 .144 .155 .169 .178 .208 .253 .321 .447 .155 .187 .207 .237 .238 .238 .351 .447 .574 .183 .196 .217 .250 .300 .374 .476 .607 .190 .224 .266 .330 .420 .541 .175 .238 .238 .239 .238 .244 .256 .330 .351 .447 .574 .183 .196 .217 .250 .300 .374 .476 .607 .190 .205 .228 .264 .318 .397 .505 .640 .826 .328 .321 .254 .289 .344 .257 .256 .333 .251 .254 .259 .256 .333 .251 .254 .259 .256 .333 .351 .254 .258 .258 .351 .254 .255 .356 .358 .257 .358 .257 .358 .351 .447 .574 .155 .169 .189 .231 .251 .344 .446 .550 .236 .259 .369 .477 .661 .171 .187 .250 .236 .289 .369 .477 .661 .171 .187 .250 .236 .289 .369 .477 .661 .171 .187 .250 .300 .374 .476 .607 .190 .205 .228 .264 .318 .397 .505 .640 .256 .303 .361 .444 .555 .660 .826 .249 .256 .333 .351 .447 .574 .183 .196 .217 .250 .300 .374 .476 .607 .190 .205 .228 .264 .318 .397 .505 .640 .826 .249 .256 .303 .361 .444 .555 .690 .826 .249 .256 .303 .361 .444 .555 .690 .826 .249 .256 .303 .361 .444 .555 .690 .826 .249 .256 .303 .361 .444 .555 .690 .826 .249 .256 .303 .361 .444 .555 .690 .826 .249 .256 .303 .361 .444 .555 .690 .826 .249 .256 .303 .361 .444 .555 .690 .826 .249 .256 .303 .361 .444 .555 .690 .826 .249 .256 .303 .361 .444 .555 .690 .826 .249 .256 .303 .361 .444 .555 .690 .826 .249 .256 .303 .361 .444 .555 .690 .826 .249 .256 .303 .361 .444 .555 .690 .826 .	.003 .003 .003 .003 .004 .004 .005 .006 .008 .010 .010 .011 .011 .012 .013 .015 .019 .024 .023 .024 .025 .026 .027 .031 .037 .045 .059 .029 .030 .032 .033 .035 .040 .047 .059 .077 .036 .037 .048 .052 .056 .027 .031 .037 .045 .059 .077 .036 .037 .038 .040 .044 .050 .059 .074 .096 .042 .044 .045 .048 .052 .059 .070 .089 .117 .049 .050 .053 .055 .061 .069 .083 .104 .138 .055 .057 .059 .063 .009 .079 .096 .121 .159 .062 .064 .066 .071 .079 .090 .109 .138 .183 .068 .070 .074 .087 .097 .112 .137 .175 .232 .081 .084 .088 .095 .106 .124 .152 .194 .259 .087 .091 .096 .103 .116 .136 .167 .215 .286 .094 .098 .103 .112 .126 .149 .184 .237 .315 .100 .104 .110 .121 .137 .162 .201 .259 .345 .113 .113 .118 .126 .139 .148 .175 .218 .283 .376 .113 .118 .126 .139 .148 .175 .237 .387 .494 .144 .155 .160 .144 .151 .136 .148 .170 .205 .256 .333 .440 .127 .133 .143 .158 .182 .220 .277 .360 .474 .147 .155 .169 .189 .221 .271 .344 .446 .579 .154 .161 .171 .187 .212 .251 .309 .304 .509 .650 .474 .157 .157 .258 .258 .258 .351 .447 .544 .147 .155 .169 .189 .221 .271 .344 .446 .579 .154 .163 .175 .232 .251 .309 .304 .509 .650 .474 .158 .159 .158 .257 .358 .408 .159 .158 .257 .358 .408 .159 .158 .257 .358 .408 .159 .158 .257 .358 .408 .159 .158 .257 .358 .408 .159 .158 .257 .358 .408 .159 .158 .257 .357 .360 .474 .157 .157 .158 .257 .256 .333 .440 .127 .133 .143 .158 .159 .159 .358 .351 .447 .544 .147 .155 .169 .189 .221 .271 .344 .446 .579 .154 .163 .178 .200 .236 .258 .369 .477 .614 .161 .171 .187 .212 .251 .309 .304 .509 .650 .168 .179 .196 .224 .266 .330 .420 .541 .685 .175 .187 .207 .237 .238 .351 .447 .574 .719 .183 .196 .217 .250 .300 .374 .476 .607 .752 .256 .338 .498 .298 .389 .498 .291 .291 .291 .291 .291 .291 .291 .291	.003 .003 .003 .003 .004 .004 .005 .006 .008 .011 .010 .017 .017 .018 .029 .022 .026 .032 .041 .056 .023 .024 .025 .026 .027 .031 .037 .045 .059 .080 .029 .030 .032 .033 .035 .040 .047 .059 .077 .105 .036 .037 .038 .044 .044 .050 .047 .059 .077 .105 .036 .037 .038 .040 .044 .050 .059 .074 .096 .132 .044 .044 .045 .048 .052 .059 .070 .089 .117 .160 .049 .050 .053 .055 .061 .069 .083 .104 .138 .189 .055 .057 .059 .063 .069 .079 .096 .121 .159 .219 .062 .064 .066 .071 .079 .090 .109 .138 .183 .250 .068 .070 .074 .079 .088 .101 .122 .137 .175 .233 .317 .081 .084 .088 .095 .106 .124 .152 .194 .259 .352 .097 .091 .096 .103 .112 .126 .149 .184 .237 .315 .425 .094 .098 .101 .121 .138 .139 .094 .098 .103 .112 .126 .149 .184 .237 .315 .425 .112 .131 .131 .131 .131 .131 .138 .139 .139 .139 .139 .149 .138 .139 .149 .138 .143 .158 .139 .149 .138 .144 .575 .218 .231 .156 .007 .008 .008 .009 .009 .009 .009 .009 .009	.003 .003 .003 .003 .003 .004 .004 .005 .006 .008 .011 .016 .010 .010 .011 .011 .012 .013 .015 .019 .024 .033 .047 .017 .017 .017 .018 .020 .022 .026 .033 .041 .056 .079 .033 .024 .025 .026 .027 .031 .037 .045 .059 .080 .114 .029 .030 .032 .033 .035 .040 .047 .059 .077 .105 .149 .036 .037 .038 .040 .044 .050 .059 .074 .096 .132 .186 .042 .044 .045 .048 .052 .059 .070 .089 .117 .160 .225 .049 .055 .057 .059 .063 .069 .079 .098 .117 .160 .225 .059 .057 .059 .068 .061 .069 .053 .104 .138 .189 .264 .055 .057 .059 .063 .069 .079 .096 .121 .159 .219 .305 .062 .064 .066 .071 .079 .090 .109 .138 .183 .250 .347 .068 .070 .074 .079 .088 .101 .122 .156 .207 .283 .389 .074 .077 .081 .087 .097 .112 .137 .175 .232 .317 .433 .081 .034 .084 .088 .095 .106 .124 .152 .104 .259 .352 .079 .087 .091 .096 .103 .112 .137 .155 .236 .388 .521 .094 .098 .103 .112 .126 .149 .184 .237 .315 .425 .565 .100 .104 .110 .121 .137 .162 .201 .259 .345 .467 .091 .111 .118 .130 .148 .175 .218 .283 .376 .500 .659 .111 .118 .118 .118 .126 .139 .159 .237 .308 .408 .539 .692 .177 .133 .143 .148 .155 .169 .189 .237 .308 .408 .539 .692 .177 .133 .143 .148 .155 .169 .189 .237 .308 .408 .539 .692 .177 .133 .143 .148 .155 .169 .189 .237 .308 .408 .539 .692 .171 .137 .137 .138 .144 .575 .169 .189 .237 .308 .408 .539 .692 .171 .137 .138 .148 .155 .169 .189 .237 .308 .408 .539 .692 .171 .137 .138 .148 .158 .183 .220 .277 .300 .474 .616 .769 .138 .148 .155 .178 .208 .233 .321 .417 .544 .692 .837 .147 .155 .169 .189 .221 .271 .344 .446 .579 .728 .866 .154 .163 .178 .209 .236 .289 .388 .509 .654 .804 .139 .148 .155 .169 .189 .237 .308 .408 .539 .692 .171 .344 .446 .579 .728 .866 .154 .163 .178 .209 .236 .289 .388 .509 .654 .804 .139 .148 .155 .169 .189 .237 .308 .408 .539 .692 .171 .344 .446 .579 .728 .866 .154 .163 .178 .209 .236 .289 .389 .309 .477 .614 .763 .892 .391 .147 .544 .692 .837 .147 .544 .692 .837 .147 .544 .692 .837 .147 .544 .692 .837 .147 .544 .692 .837 .148 .148 .155 .169 .189 .237 .308 .409 .509 .509 .505 .228 .264 .318 .397 .505 .640 .784 .995 .	.003 .003 .003 .003 .004 .004 .005 .006 .008 .011 .016 .023 .010 .010 .011 .011 .012 .018 .015 .019 .024 .033 .047 .069 .027 .031 .032 .026 .032 .041 .056 .079 .116 .023 .024 .025 .026 .027 .031 .037 .045 .050 .080 .114 .165 .029 .030 .032 .033 .035 .040 .047 .059 .077 .105 .149 .216 .028 .037 .038 .040 .044 .050 .059 .074 .096 .132 .186 .267 .042 .044 .045 .048 .052 .059 .070 .089 .117 .160 .225 .319 .049 .050 .053 .055 .061 .069 .083 .104 .138 .189 .264 .372 .005 .057 .050 .030 .079 .096 .121 .159 .219 .305 .425 .002 .064 .066 .071 .079 .090 .109 .138 .183 .250 .347 .477 .068 .070 .074 .077 .081 .087 .077 .112 .159 .219 .305 .425 .002 .064 .066 .071 .079 .090 .109 .138 .183 .250 .347 .477 .068 .070 .074 .077 .081 .087 .097 .112 .137 .175 .232 .317 .433 .580 .081 .084 .088 .095 .106 .124 .152 .194 .259 .352 .477 .630 .081 .084 .088 .095 .106 .124 .152 .194 .259 .352 .477 .630 .087 .091 .096 .103 .116 .136 .167 .215 .286 .388 .521 .677 .094 .098 .103 .112 .126 .149 .184 .237 .315 .425 .565 .725 .100 .104 .110 .121 .137 .162 .201 .259 .345 .462 .608 .765 .107 .111 .118 .126 .139 .148 .175 .218 .233 .376 .500 .508 .804 .133 .118 .126 .139 .148 .175 .238 .338 .408 .539 .692 .838 .110 .126 .134 .148 .170 .205 .256 .333 .440 .578 .731 .870 .127 .133 .148 .158 .182 .220 .277 .360 .474 .616 .769 .898 .133 .140 .151 .168 .195 .236 .333 .440 .578 .731 .870 .127 .133 .148 .158 .182 .220 .277 .360 .474 .616 .769 .898 .133 .140 .151 .168 .195 .236 .238 .3876 .500 .550 .804 .131 .118 .126 .139 .159 .189 .237 .308 .477 .614 .763 .892 .970 .127 .136 .148 .159 .178 .298 .235 .321 .417 .544 .602 .837 .941 .147 .155 .169 .189 .221 .271 .344 .466 .579 .728 .866 .957 .154 .163 .178 .208 .238 .331 .447 .574 .616 .769 .898 .133 .140 .151 .168 .195 .236 .238 .386 .407 .614 .763 .892 .970 .161 .171 .187 .212 .251 .309 .394 .509 .654 .894 .991 .990 .223 .251 .293 .351 .447 .544 .602 .837 .941 .147 .155 .187 .207 .237 .283 .351 .447 .544 .602 .837 .941 .991 .990 .223 .243 .251 .293 .356 .446 .565 .705 .898 .999 .90 .90 .90 .90 .90 .90 .	

THIRTY OFFICES' EXPERIENCE.

(B). Multiplier for Discontinued and Died to give the whole Probable Loss.

DURA-					A	GE OF	Entry	x.					DURA-
n.	10–14	15-19	20-24	25-29	30-34	35-39	40-44	45-49	50-54	55-59	60-64	65-69	n.
0 1 2 3 4	.000 .006 .013 .020 .026	.000 .007 .013 .020 .027	.000 .007 .014 .021 .028	.000 .007 .014 .022 .029	.000 .008 .016 .023 .031	.000 .008 .017 .026 .035	.000 .010 .020 .031 .042	.000 .012 .025 .038 .052	.000 .016 .032 .050 .068	.000 .022 .044 .068 .092	.000 .031 .063 .096	.000 .045 .092 .140 .190	0 1 2 3 4
5 6 7 8	.032 .039 .045 .052 .058	.033 .040 .047 .053	.035 .041 .049 .056	.036 .044 .051 .059	.039 .048 .056 .065	.045 .054 .064 .074 .084	.053 .064 .076 .089 .102	.066 .081 .096 .112	.086 .106 .127 .148 .171	.118 .146 .174 .203 .234	.167 .205 .244 .284 .326	.241 .293 .345 .398 .451	5 6 7 8 9
10 11 12 13 14	.065 .071 .077 .084 .090	.067 .073 .080 .087 .094	.070 .077 .084 .092 .099	.074 .083 .091 .099 .107	.083 .092 .101 .111 .121	.095 .106 .118 .130 .142	.115 .129 .144 .159 .175	.147 .165 .184 .204 .225	.194 .219 .245 .272 .300	.266 .299 .334 .369 .406	.368 .411 .455 .499 .543	.503 .555 .605 .654 .700	10 11 12 13 14
15 16 17 18 19	.097 .103 .110 .116 .123	.101 .107 .114 .122 .129	.106 .114 .122 .130 .138	.116 .125 .134 .143 .153	.131 .142 .153 .164 .176	.155 .168 .182 .197 .212	.192 .209 .227 .246 .266	.248 .271 .295 .320 .346	.329 .360 .391 .424 .457	.443 .481 .519 .558 .597	.586 .629 .671 .712 .751	.744 .785 .822 .855 .885	15 16 17 18 19
20 21 22 23 24	.130 .136 .143 .150 .157	.136 .144 .151 .159 .167	.147 .155 .164 .173 .182	.163 .173 .183 .194 .206	.188 .201 .214 .228 .243	.228 .244 .262 .280 .299	.287 .309 .332 .356 .381	.374 .402 .431 .461 .493	.491 .526 .561 .596 .632	.635 .673 .710 .746 .780	.787 .821 .852 .879 .904	.910 .932 .949 .964 .976	20 21 22 23 24
25 26 27 28 29	.164 .171 .179 .186 .194	.175 .183 .191 .200 .209	.191 .201 .212 .222 .233	.218 .230 .243 .256 .271	.258 .274 .291 .308 .327	.319 .340 .362 .385 .408	.407 .433 .461 .490 .519	.524 .557 .590 .623 .656	.667 .702 .735 .768 .799	.812 .842 .869 .894 .915	.925 .943 .958 .970 .980	.985 .991 .995 .997 .999	25 26 27 28 29
30 31 32 33 34	.201 .209 .217 .226 .235	.218 .228 .238 .248 .259	.245 .257 .269 .282 .296	.285 .301 .317 .334 .351	.346 .366 .387 .409 .432	.433 .459 .485 .513 .541	.550 .580 .611 .643 .674	.689 .721 .753 .783 .812	.828 .856 .880 .903 .923	.934 .950 .963 .974 .982	.987 .992 .995 .998 .999	.999 .999 .999	30 31 32 33 34
35 36 37 38 39	.244 .253 .262 .272 .283	.270 .281 .293 .306 .319	.310 .325 .340 .357 .374	.370 .389 .409 .430 .452	.456 $.480$ $.506$ $.532$ $.559$.570 .599 .629 .659 .689	.705 .736 .766 .795 .822	.840 .865 .888 .909 .928	.940 .954 .966 .976 .984	.989 .993 .996 .998 .999	.999 .999 .999	• • • •	35 36 37 38 39
40 41 42 43 44	.293 .304 .316 .328 .341	.333 .347 .362 .378 .395	.392 .410 .430 .450 .471	.475 .499 .524 .549 .575	.587 .615 .644 .672 .701	.718 .748 .776 .804 .830	.848 .872 .894 .914 .932	.944 .957 .968 .978 .985	.990 .994 .996 .998 .999	.999			40 41 42 43 44
	10–14	15–19	20-24		30-34	35-39 A, Mult	40-44 iplier =	2	50-54	55-59	60-64	65-69	

The climatic Tables being already in use, are retained in the original form, based on multipliers from the common American Table of 1858. Parallel computations of the total, lead to the following precepts: To change the *Probable Loss* Am. 1858, in Tables V, VI, or VII, to the standard of—

The Thirty American Offices Table; Deduct \(\frac{1}{30} \)th part.

"Twenty British" \(\text{H}^{M} \); Add 5\(\frac{1}{3} \) per cent.

"Seventeen British" \(\text{Add } 8\) \(\frac{3}{3} \) per cent.

The corresponding factors are 0.9667, 1.0519, 1.0837, and their logarithms 1.98530, 0.02198, 0.03492. The columns of *Actual Loss* of course remain unchanged. By these precepts, a present Probable Loss of \$1,204,521 to be represented on the basis of the Thirty Offices Table, is changed to \$1,164,370. And the tabular ratio of 100:134 becomes 96%: 134, or 100:139 nearly.

SECTION II.

Classification of Counties. Miscellaneous Statistics.

Preparatory to the classification of Counties in respect to Mortality, the simple division shown on the common Geological maps of the United States may be noted. First, the lowland or Alluvial Counties commencing with the eastern shores of Maryland and Virginia, and following the line of tide-water on the Atlantic and Gulf coasts to the borders of Mexico, and up the valley of the Mississippi to the mouth of the Ohio river. These alluvial Counties are denoted in Table VII by one dot annexed. Between these and the line of 400 feet elevation, are the Middle Counties, of which the tertiary portion are here denoted by three dots, and the few cretaceous by two dots. The remaining or Upland Counties above the line of 400 feet elevation, according to Prof. Guyot, are here indicated by the absence of dots. The Counties of Indiana admit of separate consideration. Also the present object may be found to require a modification of these divisions.

CLASSIFICATION OF COUNTIES

STATES.	ALLUVIAI	L Count's.	MIDDLE (COUNTIES.	UPLAND (Counties.	TOTAL	Counties.
D1111135	Prob. Loss.	Act. Loss.	Prob. Loss.	Act. Loss.	Prob. Loss.	Act. Loss.	PROB. Loss.	Act, Loss.
Alabama Arkansas Florida Georgia Louisiana Mississippi N. Carolina S. Carolina Tennesee . Texas Virginia	$\begin{array}{c} 98,449 \\ 133,347 \\ 2,117 \\ 1,252,180 \\ 301,087 \\ 225,053 \\ 374,487 \\ 708,436 \end{array}$	544,453 221,995 224,596 7,500 2,194,255 552,260 358,555 446,438 1,488,636 511,467 13,000	175,977 125,202 28,758 524,221 23,901 416,626 390,924 192,307 181,460 332,901 385,727	194,580 196,084 32,550 603,540 30,660 585,344 442,633 182,193 209,380 572,267 349,100	523,007 46,238 355,738 13,491 178,804 179,009 467,280 184,655 141,204	729,014 80,040 257,860 15,660 201,721 227,004 544,055 264,238 202,750	1,204,521 295,418 181,635 950,653 1,363,520 795,476 843,815 753,060 1,383,648 778,713 646,188	1,618,048 508,119 303,852 911,536 2,400,915 1,308,632 1,069,409 864,635 2,262,121 1,358,972 673,350
Total	3,709,002	6,558,155	2,778,001	3,398,331	2,089,426	2,522,342	9,196,642	13,279,589
Ratio (Am. By 30 Office By 20 Office By 17 Office	s Table, s Table, H	100:177 100:183 4.,100:168 100:163	100 100	: 122 : 127 : 116 : 113		: 125 : 115	100 100	: 144 : 149 : 137 : 133

A singular feature is presented in the close agreement of the elimatic Ratios for Middle and Upland Counties, indicating that these may be united; or that hereafter, two classes, Alluvial and Upland, will generally be sufficient. A wide contrast is shown between their characteristic Ratios, 100: 183 and 100: 126, by the Thirty Offices Table. It will also be noted that the Upland Counties of Georgia at the southern termination of the Alleghany mountains are exceptionally healthy in the ratio of 100: 72.

In the State of Indiana, the experience of eleven smaller Companies gave a Probable Loss of \$563,770 and an Actual Loss of \$743,866; Ratio 100:132. By the accession of other Companies, the total ratio was materially altered, as shown at the end of Table VII. The less healthy Counties are reported to lie in the north-eastern part of the State, and along the Wabash and Ohio rivers.

The following additional data pertaining to the Southern States, are arranged from the statements of particular Companies, more especially to show in the last column the Age corresponding to the mean Rate of Probable Loss divided by the number Exposed to Risk. The results of the 27 Companies in Table V, and the 3 other Companies, for the whole United States, are subjoined.

Companies.	DEATHS OR Loss.	EXPOSED TO RISK.	PROBABLE DEATHS or Loss.	RATE OF PROB- ABLE.	AGE OF RATE.	TABLE EMPLOYED.	Prob.: Act. As 100:
Ætna Life (III)	1,366.3	74,270	966.90	1.3019	46.27	17 Offices	141
St. Louis Mutual	677	37,940	442.96	1.1675	46.26	Am. 1858	153
Covenant "	243.3	17,594	203.95	1.1592	46.07		119
Continental, N. Y	459.8	20,937	249.31	1.1910	44.56	20 Offices	184
Scottish Amicable	139	5,966	79.94	1.3400	46.60	" "	174
27 Companies, U. S		9,327,400 2,909,037	104,531.5 37,580.7	1.1209 1.2919	45.11 48.69	Am. 1858	98 85

AGE OF MEAN RATE OF PROBABLE LOSS.

It may here be noted that the Experience of the Ætna, Covenant and Continental, also of the 27 Companies and 3 Companies, is stated in thousands of dollars. Three-fourths of the business of the Covenant of St. Louis was located in the State of Missouri. The Experience of the Scottish Amicable here represents only the portion located in the British colonies of the West Indies; where the climatic ratio by the 20 Offices Table, 100:174 so far exceeds the like ratio 100:168 before found for Alluvial counties in the Southern States. With the omission of the Continental, N. Y., whose business appears somewhat exceptional, the Age of the mean Rate of Probable Loss relative to exposure, differs little from 46.3 years, in the Southern or tropical experience of the other four Companies.

With regard to the comparative Mortality of insured Females, the Southern experience of the St. Louis Mutual, comprising 628 deaths of Males, and 48 of Females, gave the ratio of Probable to Actual Loss (Am. 1858) for Males 1.51, and for Females 1.70; thus indicating greater mortality on the part of Females.

In relation to the Mortality by Policy years, the total experience of the St. Louis

Mutual, comprising 1486 deaths, North and South, gave the following ratios of Probable Loss, denoted by 1, to Actual Loss (Am. 1858):

ST. LOUIS MUTUAL.

Policy Years	1st.	2d.	3d.	4th.	5th.	6th.	7th.	8th.	9th.	10th.	Total.
Deaths	360	330	232	180	146	87	73	40	20	7	1486
Ratios	1.13	1.35	1.55	1.26	1.68	1.21	1.52	1.81	1.34	1.36	1.33

SCOTTISH AMICABLE IN THE WEST INDIES.

Deaths	9	10	13	12	14	6	After 6th year, 75	139
Ratios	1.59	0.97	1.47	1.59	2.12	1.03	(Am. 1858), 1.91	1.65

The mean rate 1.33 of the former Company is reached in the second year; that of the latter, nearly in the first year, but the ratios are irregular from paucity of data. For information upon other portions of the globe, reference may be made especially to the following articles in the *Journal of the Institute of Actuaries*:

On the rates of extra premium for foreign travelling and residence. By ARTHUR H. Bailly, Esq. Actuary of the London Assurance Corporation. Vol. 15, pp. 77-94, 1869.

On the Additional Premium required for Residence in Foreign Climates. By the Honorary President, James Meikle, Fellow, etc. Vol. 19, p. 268, 1876.

On the Death Rate among Assured Lives in the West Indies, being the Experience of the Scottish Amicable Life Assurance Society during Thirty Years, 1846–76. By John Stott, late Manager of the Society, Fellow, etc. Vol. 21, p. 153, 1878.

In proceeding from the temperate to the torrid zone, it is generally admitted that, "other things being equal,—height, soil, and river drainage,—the mortality will increase as we go South; and that heat stimulates the vital functions, so that maturity is reached earlier, and decay commences earlier."

Climate Extra. The net extra to meet the additional risk, is roughly found by dividing the excess of the Actual above the Probable Loss, by the Exposure. Thus among the examples given by the distinguished actuary and manager T. B. Sprague, in the Journal of the Institute, Vol. 19, page 297, the years of Life exposed in India were 229, Actual Deaths 11, Probable Deaths, II^M, 3.499. And (11—3.499) ÷229=.03276; or the Climate Extra is 3.276 per cent. of the sum insured. By a more extensive method, Mr. A. H. Baily now President of the Institute, in his memoir above quoted, first constructed a life table from the foreign experience, and thence a scale of annual premiums; the difference between this and the home scale, gave the climate extras for the several ages of exposure. Besides the ordinary extra, which averaged one per cent. in the West Indies, the difference between unacclimated and acclimated lives led the Scottish Amicable to charge an additional extra of one per cent. of the sum insured, during the first three years of foreign residence. On returning to reside in Great Britain, with ordinary health, all extras are omitted.

SECTION III.

The Life Table graded for different Climates.

Let us now consider the application of Table VI to permanent life insurances for different grades of mortality. In a State, for example, where the ratio of Probable to Actual Loss by Table VI corrected to the Thirty Offices Table, has been 100:139 in the mean Experience of 27 Companies; and the ratios were 100:112, 100:153, and 100:161 in the three component groups of Companies, the most experienced actuaries and managers could best determine the single resultant or probable climatic ratio for Office premiums. Such examination would be influenced by the probable extent of new business, the medical and counter selections, prevailing causes of death,—and south of the latitude of 36° 30', also extending north of it, the alluvial Counties distinguished in Table VII. For convenience, the net ratio thus conventionally adopted may be denoted by $100:100\rho$, that is $1:\rho$.

The Thirty Offices collection defines the experience of insured mortality along a wide belt of the temperate zone, the middle line centering nearly on the latitude of the city of New York. The resulting standard, Table XXVI has the advantage of unusually large data, critical accuracy and improved construction. To construct other life Tables, from the small numbers of more distant climates, North or South, would involve great labor and complexity. The difficulties are marvellously reduced by the discovery of a double gradation. That is, Table XXVI being graduated in the direction of the scale of ages, is virtually graded in another direction also, by its commutation columns, which represent life tables for so many different climates, or climatic ratios. And the values for intermediate ratios, can be found by simple interpolation.

This improvement was first suggested by the entire agreement of Table XXVI with the well-known law of Gompertz, modified by Makeham, observing that in previous comparisons of the annual rate or $(\log p)$, change of the first term $(\log s)$ of Makeham's formula, corresponded with changes of mortality due to local or climatic causes; the other term or power of (q) being nearly constant for a long series of years or ages.

Again, from a different source, but on the same principle, the experience of the Scottish Amicable in the West Indies, was stated by the late manager and actuary to be represented by the Northampton table better than any other of the current life tables. Yet our examination indicates, that by a simple change of the rate of interest, the Carlisle Table might be substituted, as shown by the following comparison of life annuities; and the same might be extended to life premiums, with a simple modification presently described.

LIFE ANNUITIES.

Age, Years Northampton 4 per cent Carlisle 5 per cent	25	35	45	55	65	75
	15.44	14.04	12.28	10.20	7.76	4.96
	15.30	14.13	12.65	10.35	7.77	4.99
Northampton 5 per cent	13.57 13.46	12.50 12.57	11.11 11.43	9.38 9.52	7.28 7.28	4.74 4.76

In the first publication of the climatic Tables, it was provisionally assumed that, above the age of twenty or some lower limit, the different grades of mortality (q) are proportional to those of the standard Table. The preceding comparison of annuities as well as other reasons, afterwards suggested to the writer the more convenient and exact hypothesis, to which Mr. McClintock appears to have arrived in a different way, that the probabilities of survival (p) for different grades of mortality, are proportional to those of the standard Life Table. In another expression, the rates of survival and of interest may be commuted. That is, so far as relates to life annuities, an increase of the rate of mortality, may be represented by an increase in the rate of interest; and conversely.

For illustration, let us distinguish the Northampton values by an accent, and write the well-known formulas below; then since annuities are assumed to be equal:

Hence it appears that with very simple modifications, the Northampton values at 4 per cent. can all be derived virtually from the 5 per cent. Carlisle values.

In like manner, the values corresponding to different grades of climatic mortality, can be conveniently derived from the columns of the Thirty Offices Table. The age of the mean ratio of mortality has been determined on page 47 to be about 46 years. For the present purpose, this determination will supply the place of another element, the mean ratio of probable loss to the number exposed to risk, in the climatic district.

In a given locality, let the probable loss as computed by the Thirty Offices Table, be to the actual loss as $1:\rho$. That is, let ρ denote the climatic ratio; and let an accent distinguish the values of v, q, p for the locality. Then by the Relation preceding, and by page 47,

$$v'p'_{46} = vp_{46}, \quad \text{or } v'(1-q'_{46}) = vp_{46}, \qquad q'_{46} = \rho q_{46}.$$
 Eliminating $q'_{46}, \quad \rho = \frac{v'-vp_{46}}{v'q_{46}}.$

Let the value of v' depend constantly on 4 per cent. interest; that of p_{46} , q_{46} on the Thirty Offices Table. Then if v depends on 4, $4\frac{1}{2}$ or 5 per cent. interest, the values of ρ thus found will be 1, 1.405, 1.805 respectively; which may be termed Special Climatic Ratios.

For the First Special Ratio 1.405, we have $p'_x = \frac{1.040}{1.045}p_x$. From this, we might construct a special life table, and 4 per cent. commutation columns, which would give the net life premium on 1000, at the age of 30 years for example, 19.50. But the same can be found much more easily by the preceding formula, $\pi'_x = (\pi_x, 4\frac{1}{2} \text{ per cent.}) + 1000(v'-v)$; where $\frac{1}{1.04} - \frac{1}{1.045} = 0.00460066$, to be multiplied by 1000. And so for other similar formulas.

For the Second Special Ratio 1.805, we have $p'_x = \frac{1.04}{1.05}p_x$.

Also $\pi'_x = (\pi_x, 5 \text{ per cent.}) + 1000(v'-v)$; where $\frac{1}{1.04} - \frac{1}{1.05} = 0.00915751$ to be multiplied by 1000.

Therefore for the D, N, S columns according to 4 per cent. interest and the Climatic Ratio 1.405, we have in Table VIII substituted the $4\frac{1}{2}$ per cent. columns of the Thirty Offices standard. And for the D, N, S columns corresponding to 4 per cent. and the Climatic Ratio 1.805, Table VIII gives the equivalent 5 per cent. columns of the standard. But it is needful to observe, that this substitution could not be extended to the C, M, R columns, without modification. Nor is it necessary, since all the formulas can be expressed in terms of D, N, S, v' and v.

In conclusion, the Climatic Ratios given in Tables V, VI and VII, being first changed to the basis of the Thirty Offices Table, the corresponding 4 per cent. premiums and annuities may be found from those of the Special Ratios in Table VIII by proportion or interpolation. And the preceding formulas may be extended to other species of Premiums and Reserves. The relation v'p' = vp first occurs in the treatise on Policy Life Lines, by James Meikle, Edinburgh, 1870.

DIVISION THIRD.

MEDICAL STATISTICS.

Statistics of Diseases or Causes of Death have been returned by twenty-seven of the thirty Companies included in the general collection. These twenty-seven are the same which gave the Climatic Statistics, with one exception. The total number of Deaths from All Causes was 37,624; of which 35,442 were Deaths of Males, and 2,182 of Females; also there were 8,919 Deaths additional in the three Companies not specifying diseases. Under experienced medical advice and direction, the results are given in the most approved forms for reference in Tables IX-XVII. The classification of diseases accords nearly with the last plan of Dr. Farr, as recently applied in the Medical Report of the Mutual Life of New York.

An examination of medical treatises, including special works on Medical Examination for Life Insurance, like Brinton or Allen, will suggest many inquiries, to which the present Tables will often give an instructive answer. What diseases increase, and what diminish as age advances? What diseases or causes of death are beyond the cognizance, and what are most easily recognized by medical examination, and at what ages? What is the distribution of diseases in different parts of the United States? On these and kindred topics, the statistics give valuable information, and will suggest, in lieu of extended commentary, a ready reference to the Tables themselves.

In examining these records, we are reminded of the more numerous unrecorded eases, in which, the innate vital force has reverted from morbid or diseased conditions into the old channels of health. The struggle to rise from a diseased condition, may be short and decisive, terminating in death or in convalescence, or it may be longer prolonged with varying fortunes. The contending forces often appear so equally balanced, that a very little will turn the seale. The struggle between the tendency to health and the tendency to disease, acute or chronic, may last from a day to months, and even years. Thus medical statistics illustrate the nature of the mysterious vital force, by its final developments under varied conditions of age, duration, sex and climate.

SECTION I.

Description of the Tables.

The first of the series, Table IX, is a general Table giving firstly the Number of Deaths of insured males, and similarly of females, by 160 Diseases, in seven classes, eommencing with zymotic. The next three columns give the results for two, for five, and for twenty Companies arranged to include about one-third of the whole, or nearly 12,541 in each group. By glancing across the three columns horizontally, the Variability by each disease is ordinarily indicated. For example, the deaths by Typhoid Fever, at the head of the list, appear to have been quite uniformly distributed.

In the last column, the 37,624 deaths are represented on the percentage seale of 100.00 distributed proportionally to the number of deaths by each disease. The principal or leading diseases in order, are Typhoid Fever 5.99 per cent., other Fevers 4.35, Consumption 18.31, Apoplexy 4.70, Paralysis and Disease of Brain 4.34, Heart Disease 3.61, Pneumonia or Inflammation of the Lungs 7.68, Accidents and Injuries 7.21 per cent. of all. These and other results may be deemed as correct as can possibly be obtained under existing circumstances. Some allowance is to be made for the inexactness of medical science, with gradual changes and transposition of medical terms. Also when one disease is accounted as the producing cause of another, the last or fatal disease is the one noted in these statistics, from Office registers.

Table X, XI, XII contain only the absolute numbers of Deaths, which constitute one of the two terms of ratio or comparison in the Tables following, with separate columns for males (A), and Females (B).

Tables XIII and XV are a further development of Table X with respect to Duration of Insurance. After the seven general classes, the statistics are subjoined for thirty-nine leading Diseases. The corresponding Exposure of the living is given at the foot of the columns in Table XIII. For example, in the first column, 2,445 Deaths divided by 356,210 years Exposed gives 0.00686, that is, 0.686 Deaths per cent. or 68.6 in 10,000 Exposed to Risk, as shown at the head of the column. It will be noticed that during the first two or three years of Male Life, the deaths from Zymotic diseases, and from Accidents and Injuries, have generally exceeded the average, thus showing this part of the mortality to be uncontrolled by the Medical examination. And the same may be remarked in Female Life, including Childbirth and Puerperal Diseases. On the other hand the efficient diagnoses of Constitutional and Heart diseases, and, in general, of "All Canses," is very evident from the inspection.

Tables XIV and XVI give, according to the Ages of Life or Exposure, in extension from Table XI, the ratio of deaths to the Living, and the ratio to total Deaths. The Exposed to Risk by Ages are inserted at the foot of Table XIV; and the number of diseases is further reduced in Tables XV (B) and XVI (B) for female life. All these results by Ages of Life, will be found not less valuable than those from the different point of view of the Durations of insurance.

Finally, Tables XII, and XVII (A), (B), (C), indicate the Climatic Distribution of Diseases in the United States. These figures relate to Actual Deaths, while the Climatic Tables V, VI, and VII are based on Amounts Insured; the one class may supplement the other. In comparing the deaths of 703 Foreign Males, Table XVII (A), with an equal number of the native-born insured, the greater exemption of foreigners from Zymotic and Constitutional Diseases is counterbalanced by an excess of deaths from Apoplexy (chiefly of Germans in one Company), from Abscess, Hemorrhage etc. of Lungs, and Accidents and Injuries. About two-thirds of this experience, however, occurred in British America, and the remaining numbers are too small for final conclusions.

Again, comparing insured Male Deaths with those of the U. S. Census of 1870, shown in Table XVII, for equal totals, the *proportions* dying from three of the seven classes, that is, from Circulatory, Respiratory and Miscellaneous Diseases, are nearly equal. And the decreased mortality of insured lives from Constitutional Diseases is counterbalanced by a marked excess of deaths from Nervous and Digestive Diseases, and a small excess from Zymotic Diseases. In respect to Female life the differences of distribution evidently follow a different order.

Representing the total deaths by 100, in each of the seven groups of States, we have in Table XVII (B) the relative proportions of insured males dying from thirty-

seven principal diseases. It is the comparison of a part with the whole, that is, deaths with total deaths, since the living or Exposed to Risk are here omitted.

But the last Table, XVII (C) gives a sanitary survey of the United States, according to the deaths and diseases among 10,000 living insured in each group of States. To arrive at the living, the following process was employed. First, as verified in the mean of two of the largest Life Companies, the ratio of Probable to Actual Claims in Table V was assumed to be the same as the like ratio for Deaths; and the Age of mean Probable Deaths, to be 46 years, as already indicated, page 47. That is, in any group of States,

$$\begin{split} \frac{Probable\ Deaths}{Actual\ Deaths} &= \frac{Probable\ Claims}{Actual\ Claims};\ \frac{Probable\ Deaths}{Exposed} = q_{46};\ \text{or} \\ \frac{Actual\ Deaths}{Exposed} &= q_{46} \times \frac{Actual\ Claims}{Probable\ Claims} = \frac{Tabular\ Deaths}{10,000\ Living}. \end{split}$$

Here the second equation is divided by the first, to give the third. By changing the middle member to a decimal, then multiplying both numerator and 1 the denominator by 10,000 we obtain the last member, as shown at the head of Table (C). The value of q or 0.011562 corresponds to the Aetual and Probable Claims found in Table V. The rest of the values in Table C were then readily found by multiplying the head of the column into the proportional parts of Table XVII (B). By this technical process, an additional and very important Table is obtained.

SECTION II.

Statistics of Consumption Compared. Sanitary Survey of the United States.

To illustrate the relation of the statistics to any specified disease, let us take for a first example, Consumption, the most fatal of all. Firstly in Table IX, the deaths 2,283, 2,231, and 2,372 in three groups, prove the deaths from Consumption to have occurred at a nearly uniform rate of frequency in all the Life Insurance Companies. Again, the 18.31 per cent. of total deaths shown in the last column, when increased, as it probably should be, by one-thirteenth of the deaths by Pneumonia (chronic cases), and by deaths registered from Absecss of Lungs, Hemorrhage of Lungs and Disease of Lungs, becomes 20.67 per cent., or more than one-fifth of the whole mortality.

Table XIII confirmed by XV, shows the effect of medical selection exhausted and the average mortality of consumptive eases reached in the third year of Duration of the Insurance. Table XIV confirmed by XVI, shows the largest mortality by consumption to occur between the Ages of 20 and 30 years. But after this period, the proportion of consumptive deaths of Males, bears a two-fold aspect. That is, when compared with the number of living exposed (Table XIV), it slowly decreases to a minimum rate between 50 and 60 years, and then gradually rises again, with a heavy mortality all the while, in every period of age.

FROM TABLE XIV (A).

Ratio of Consumptive Deaths, to 10,000 Living at each Age.

Age	Under 20	2030	30-40	40-50	50-60	60-70	70-80	All Ages.
Ratio	12.0	22.7	19.6	17.4	15.8	17.6	19.1	18.6

But when compared with the total contemporary deaths (Table XVI), the proportion from consumption continually decreases, as the complementary proportion from other causes, increases above the age of thirty years. For Female Life, with more extensive data, the general statement would doubtless, be similar to that before given for males.

FROM TABLE XVI (A).

Ratio of Consumptive Deaths, to 100 total Deaths at each Age.

Age		20-30	30-40	40-50	50-60	60-70	70-80	All Ages.	
Ratio	• • •	30.3	25.8	17.8	10.8	6.5	3.5	18.3	

Passing now to the Climatic Distribution in Table XVII (A) we observe that North of latitude 36° 30′, the deaths from consumption are 18.7 per cent. of the total Deaths for male life, and 19.3 for females. While south of 36° 30′, the percentages are 12.3 and 9.0 respectively. The apparent deficiency from consumption in the latter, proceeds only from comparison with a larger total, including an excess from malarial or other diseases.

Compared with the United States Census of 1870, the percentage of consumptive deaths 18.3 in a total of 100 deaths of insured, is less than the result of the Census, which is represented by 26.2 for males, and by 29.7 for females. Thus the rejection of lives uninsurable from incipient consumption is manifest.

Table XVII (B) exhibits in more full detail, the percentage of insured males dying from consumption regarded as a part of a total of 100 deaths in each group of States. In the composition of 100 deaths, the consumptive element will be seen to decrease in the following order of groups, iii, i, iv, ii, v, vii, vi: as the numbers 21, 20, 18, 17, 16, 15, 12. Thus in proceeding towards the tropical regions, the ratio of deaths by consumption to those from other diseases, gradually diminishes. But further statistics in the next Table (C) will prove such change of ratio to proceed, not from absolute decrease of consumptive deaths, but entirely from increased mortality by other causes.

The practical question, what part of the United States is most favorable to consumptive invalids, can now be satisfactorily answered, so far as average yearly results are concerned, from Table XVII (C).

Ratio of Consumptive Deaths, to 10,000 Living.

Group of States	III	v	VI	I	IV	II	VII
Ratio	22.2	21.5	21.0	20.8	18.5	16.9	16.9

Group III comprises New Jersey and Pennsylvania; V, Delaware, Maryland, Dist. of Columbia, Virginia, Kentucky and Missouri; VI, States south of lat. 36° 30′; I, New England and New York; IV, Ohio, Indiana, Illinois, Iowa and Kansas; II, Michigan, Wisconsin, Minnesota and Nebraska; VII, Washington, Oregon, California, Utah, Dacotah and New Mexico.

By an obvious generalization, the first four groups, comprising the Atlantic and Gulf States, from Maine to Florida and from Florida to the borders of Mexico, have very nearly the same rate of consumptive deaths, or 21 annual deaths to 10,000 living. The Western States show a decrease of the consumptive rate to $18\frac{1}{2}$ in group IV; while the groups II, and VII, or the Northwestern and Pacific States agree in the

A SANITARY SURVEY OF THE UNITED STATES.

The bold figures refer to the seven groups of States in the margin. The respective annexed figures are arranged in ascending order, to show the Proportional Deaths by each disease, among 10,000 Insured Males, living in each group of States-From Table XVII (C).

Ī	DISEASES.			Le	ast M	fort	ality.				Grea	test	Mort	alit	y.	Mean.	
						ń				-				١.			GROUPS.
	Att Causes.	2	97.7	4	104.5	1	105.3	3	107.1	7	112 2	5	130.5	6	170.5	118.3	1.
-	Zymotie Diseases	7	15.9	3	16.6	1	17.6	2	18.5	4	18.7	5	27.5	6	48.4	23.3	New York.
	Constitutional Diseases	2	21.4	7	22.1	4	23.0	6	26.3	1	26.4	5	27 3	3	27.9	21.9	New Tork.
Crimina	Nervous Diseases	2	11.5	4	14.4	1	15.4	3	15.4	7	18.4	5	20.1	6	22.3	16.8	
7.36.30	Circulatory Diseases	2	4.1	4	4.6	1	6.6	5	6.7	6		3	7.3	7	9.2	6.5	2.
Crrs	Respiratory Diseases	3	12.1	1 7	13.3	2	14.6	7	14.6	4		5	18.1	6	21.5	15.8 12.0	Northwest.
	Digestive Diseases Miseellanous Diseases	1 4	8.6 16.0	3	9.1	2 2	10.0 17.3	3	11.2 17.4	4 5	11.2 18.9	5	11.9 22.9	6	22.0 23.2	18.9	Michigan.
1_						Ĩ.		Î.		Ĭ		Щ		_			Wisconsin. Minnesota.
	Typhoid and Typhus }	6	4.8	7	5.2	4	6 7	3	6.8	5	6.9	1	7.6	2	8.5	6.6	Nebraska.
	Fever	1	1.7	3	1.8	7	1.9	2	2.3	4	3.3	5	3.8	6	11.8	38	
	Emainalan	_	1.0	3	1.0	2	1.3	4	1.3	5	1.3	6	1.5	7	2.2	1.4	3.
Tumotio	Dysentery	3	.9	2	1.4	4	1.4	7	1.5	1	1.7	5	3.6	6	5.8	2.3	New Jersey.
730	Diarrhea	7	.2	2	.7	4	.8	1	.9	3	1.0	5	1.6	6	3.6	1.3	Pennsylvania.
	Cholera	6	.8	1	.9	7 2	.9	3	1.1	4 4	2.0	6 5	2.4	5	3.5	1.7	
	Other Zymotie Diseases.	4	2.8	2	3.2	7	3.4	1	3.6	3	3.7	5	6.3	6	18 2	5.9	4.
-		_				-	_	_		-		_			_		Ohio.
1000	Dropsy	2	1.6	1	1.8	4	1.9	7	1.9	6	2,2	5	2.2	3	2.6	2.0	Indiana.
"utic	Caneer	6	1.1	2	1.5	4	1.6	7	1.9	1	2.1	3	2.1	5	2.2	1.8	Illinois.
Constitutional	Consumption	7	16.9	2	16.9	4	18.5	1	20.8	6	21.0	5	21.5	3	22.2	19.7	Iowa.
2	Diseases	3	1.0	4	1.0	2	1.4	5	1.4	7	1.4	1	1.7	6	2.0	1.4	Kansas.
-	Apoplexy	2	3.8	4	4.2	3	5.0	1	5.2	7	6.8	5	7.2	6	8.2	5,8	5.
	G	1	1.5	2	1.5	7	1.7	3	2.1	4	2,5	5	29	6	4.9	2.4	Delaware.
Nonrous	Paralysis, Softening, etc. of Brain	2	5.2	4	6.2	3	6.5	1	7.2	7	7.3	6	7.5	5	7.8	6.8	Maryland.
Non	Epilepsy and Convul-	1	.3	2	.3	4	.4	5	.5	3	.6	6	.7	7	1.5	.6	Dist. Columbia.
	other Nervous Diseases.	2	.7	6	1.0	7	1.1	4	1.1	3	1.2	1	1.2	5	1.7	1.1	Virginia.
-				_					-	-		Н	-	-			Kentneky.
Osm'n	Diseases of Heart	2	4.1	4	4.4	1	6.1	5	6.3	6	6.6	3	7.1	7	7.4	6.0	Missonri.
3	Other Circulatory Dis-	6	.2	4	.2	3	.2	2	.3	5	.4	1	,5	7	1.8	.5	6.
-	Pnenmonia	3	6.6	1	7.3	2	8.5	7	9.0	_ 4	9.8	5	10.8	6	12.6	9.2	South of 36° 30'.
0000	Congestion of Lungs	7	.9	3	1.2	2	1.7	4	1.7	1	1.8	5	2.2	6	2.2	1.7	North Carolina.
- Control	Brouchitis and Pleurisy.	3	1.5	5	1.8	1	1.8	2	2.0	4	2.0	7	2.2	6	3.4	2.1	South Carolina.
Dooningtons	Abscess, Hemorrhage, etc. of Lungs	7	1.8	6	1.9	1	1.9	3	2.0	2	2.0	5	2.4	4	2.4	2.1	Tennessee.
٩	Other Respiratory Dis-	1	.4	2	.4	7	.7	4	.7	3	.8	5	.9	6	1.4	.8	Georgia. Florida.
-				-		-		_		-		-		-			Alabama.
	Diseases of Stomach		1.3	1	1.6	4	1.9	3	2.0	5	2.1	2	2.3	6	5.1	2.3	Misslssippi.
Sec. 10620.0	Diseases of Bowels	7	1.6	1	1.9	2 1	2.2	5	2.5	2	2.5	5 4	2.5	6	5.8	2.7	Arkansas.
8	Diseases of Liver	2	2.4	6	2.7	3	3.7	4	3.7	5	3.9	7	4.2	6	4.8	3.6	Louisiana.
, a	Other Digestive Dis-	7	1.7	1	1.7	3	2.0	2	2.3		2.3	_	2.7		5.8	2.6	Texas.
-	eases	<u> </u>		-				_		-		_		_	-		7.
	Diabetes	6	.3	4	.4	3	.5	2	.5	1	.5	7	.6	5	.8	.5	Pacific, etc.
	Diseases of Kidneys	2	1.4	4	1.9		2.1	6	2.4	7	2.6	3	3.1	1	3.5	2.4	Washington.
TE and leave some	Other Urinary Diseases. Abseess, Hemorrhage, \(\)		.5	7	.7	2	.8	1	.9	5	.9	3	1.1		1.2	1.0	Oregon,
Ham	Old Age	7	.3	2	.8	١.	1.0	3	1.1	4	1.1	1					California.
1	Prostration	4	.7	2	1.0	1	1.0	6	1.1	7	1.2		1.3	•	2.4	1.2	Utah.
-	Aecidents and Injuries Suicides	3	1.3		7.2		9.0	5	9.3	2 5	9.7		12.8	6	13.3	9.6 1.8	Dakotah.
	Unknown Causes	2	1.0		1.1	4	1.1	7	1.3	5	1.4	_	1.8		2.5	1.5	New Mexico.
	A .		1	8													

more favorable rate of 17 consumptive deaths to 10,000 living. In establishing these important conclusions, the statistics entirely concur without discordance. Invalids experiencing this or any other disease will be interested to note the effect of climatic conditions shown in the accompanying Sanitary Survey of the United States.

Relation of Height and Weight.

For convenient reference, the following Standard Table is introduced, showing the average or most healthful Weight relative to a given Height or stature. The medium circumference around the chest is added, although of less importance. "As a rule, twenty per cent. or one-fifth is almost the maximum variation from this within the limits of health." The Table is especially applicable to the medical examination of males between 30 and 60 years of age, relative to consumption.

	ΠE	IGH	т.	W	EIGHT			MEDIUM	CHEST.
5	feet	1	inch	Should	weigh	120	lbs.	34.06 a	nches.
5	66	2	66	"	66	125	66	35.13	66
5	66	3	66	6.	46	130	66	35.70	66
5	66	4	66	66	46	135	"	36.26	66
5	66	5	66	"	66	140	66	36.83	66
5	66	6	66	"	46	143	"	37.50	44
5	66	7	66	"	66	145	66	38.16	66
5	46	8	66	66	46	148	66	38.53	66
5	66	9	46	46	46	155	66	39.10	46
5	66	10	6.	66	66	160	"	39.66	66
5	66	11		"	66	165	66	40.23	66
6	66	0	66	"	66	170	"	40.80	66

SECTION III.

The Germ Theory of Malarial Diseases. Table of Sickness and Recovery in Adult Life.

The statistics of Fever in Table IX comprise nine or ten kindred varieties, all of which are included in the general class of Zymotic diseases, of which the family of fevers constitutes about three-fifths. Malarial Fever is used to designate yellow fever, remittent fever, and intermittent fever or fever and ague; to which some would add one or two other varieties, with a part of the cases of fever unspecified. Table XVII (C) will show that Zymotic diseases including fevers, have been the most prevalent in the groups of States, V and VI. And the more extended Table VII will suggest the separation of Alluvial counties, as a class, in which the greatest mortality has occurred. It may also be observed, that a large portion of the insurances in group V are located in the chief cities, including Baltimore, Washington and St. Louis.

The space already given to medical Statistics, will here forbid a more extended discussion of fevers and other diseases. Yet the growing importance of the germ theory of miasm, and its favorable acceptance among physicians, may claim a passing notice.

Our knowledge of the phenomena of fevers, is announced to be especially promoted by discoveries with the microscope. In examining the organs and secretions of persons who have died of fever, the membrane lining the stomach was almost

invariably covered with a multitude of microscopic plants. These often covered the whole intestinal tract; some were found on the surface of the lungs, and some were detected in the blood. On living patients, these parasites have been found in the substance, which is formed at an advanced stage of the fever, at the corners of the mouth and eyes. In the secretions of persons in full health they cannot be detected.

Water taken up and placed in the rays of the sun till stagnant, became coated with a green superficial film, on which the microscope showed plants closely resembling those found in the human body. Some of these parasites showed cell-articulations; others were hollow and others showed nuclei and spores.

A writer on the eauses of Ague remarks that of these "agne plants" is formed the greyish film wherever black damp earth is turned up and exposed to the sun. Thence issue innumerable atomic seeds or spores which rise into the air, carrying pestilence with them. The danger from their growth is greatest in a hot dry season following a wet one.

By day, the atmosphere is shown by the microscope to be free from those organisms. After sunset, the spores of the "ague plants" rise with the evening dews, recalling "the pestilence that walketh in darkness."

In different parts of the world, these eryptogamie spores rise in the night mists, to definite heights. In the United States, they seldom rise more than thirty-five to sixty-five feet above the low levels; in England, not more than from fifteen to thirty feet. But the spores of the "agne plants" having risen and become entangled in the mists, may all be earried by the wind, far perhaps from the place of germination.

"Around the entire continent of Africa, except where the headlands jut out into the sea, there extends a belt of low malarious country from twenty to sixty miles wide. Within this belt it is unsafe for an unaeclimated person to spend a night, although, as the malaria does not extend higher than about twelve feet from the ground, it is believed that it greatly conduces to health to sleep in the second or third story. Travelers visiting Africa should at once go to the higher lands, not allowing themselves to sleep a single night on the coast."

According to this theory, the therapeutical effect of einchona bark and its alkaloids, in malarial fevers, is due to a process of withering or destroying the fast growth of the poisonous fungoids in the human system. Recently, Pasteur has extended inoculation with "cultivated" germs of disease, to protect life against the more malignant types.

Precise	AT THE BEG	INNING OF THE	YR. of Age.	IN THE EN	SUING TWELVE	Months.	Weeks of Sickness	
Age.	Number Number Number Living. Healthy. Sick.			CASES OF SICKNESS.	CASES OF RECOVERY.	DIED.	Aver	AGE.
25 30 35 40 45 50	1000 1000 1000 1000 1000 1000	981.3 980.5 980.7 977.7 975.3 968.8	18.7 19.5 19.2 22.3 24.7 31.2	222.4 206.6 206.6 209.4 212.4 227.1	214.2 197.1 197.5 198.0 199.8 211.6	7.0 8.5 8.5 11.4 12.0 14.8	.969 .998 1.024 1.160 1.304 1.644	0.78 0.78 0.86 1.01 1.17 1.48 1.98
55 60 65 70 75 80	1000 1000 1000 1000 1000 1000	962.2 950.4 927.6 885.4 811.8 723.6	37.8 49.6 72.4 114.6 188.2 276.4	244.4 265.1 282.6 303.7 307.8 298.6	224.6 233.8 242.9 236.1 231.8 183.6	19.8 27.6 34.4 55.1 78.2 135.4	$\begin{array}{c} 1.973 \\ 2.684 \\ 3.913 \\ 6.306 \\ 9.760 \\ 13.664 \end{array}$	$\begin{bmatrix} 2.72 \\ 4.03 \\ 6.30 \\ 10.08 \\ 15.07 \\ 20.71 \end{bmatrix}$

TABLE OF SICKNESS, RECOVERY AND MORTALITY.*

^{*} Abstract of 800,000 observations in Friendly Societies, from Assurance Magazine, Vol. 16, p. 413. To show Healthy Life, cases of chronic sickness and the returns from sailors, miners and colliers were left out by Mr. Finlaison. Only the last column, from Mr. Ratcliffe's collection in (1872), includes All Classes.

DIVISION FOURTH.

TIME AND MONETARY TABLES.

FOR INTEREST AND ANNUITIES CERTAIN.

SECTION I.

The System of Interest and Annuities.

By general custom, interest is understood to increase uniformly, by equal increments of interest in equal times, during twelve months or the period of conversion, and is then added to the principal, to form a new principal. When the interest is added at the end of each successive year, it is said to be compounded annually; when the interest is added to the principal at the end of every six months, it is said to be compounded semi-annually, and so on.

When the rate of interest is 6 per cent, for example, the increase on \$1 principal is \$0.005 monthly, which at the end of twelve months or a year, amounts to \$1.06. Or omitting the character \$ or £ the yearly interest on 1 unit of money is in this case 0.06. Let i denote .04, .05, .06 or any other rate of interest on 1 for one year; then will 1+i denote the amount at the end of a year. By proportion, 1:1+i:: new principal $1+i:(1+i)^2$, the amount at the end of two years. In like manner $(1+i)^3$ will be the amount of 1 at the end of three years. And in general, $(1+i)^n$ expresses the amount of 1 at the end of n years, with compound interest.

The present value of 1 payable at the end of a year, is such a sum v as with its interest, will exactly amount to 1. By proportion 1:1+i::v:1; whence $v=\frac{1}{1+i}=(1+i)^{-1}$. Thus defined, v is the present value of 1 receivable at the end of a year; and v^n is the present value of 1 payable at the end of n years.

Annuities. On this principle, the whole amount of 1 per annum, payable at the end of each year, with compound interest, will at the end of any number n of years, evidently be the sum of the geometric series,

$$(1+i)^{n-1}+(1+i)^{n-2}+\ldots+(1+i)+1=\frac{(1+i)^n-1}{i}=A.$$

In like manner, the whole *present value of* 1 *per annum*, payable and discounted at the end of each year, will be, for *n* years,

$$v + v^2 + v^3 + \dots + v^n = \frac{v - v^{n+1}}{1 - v} = \frac{1 - (1 + i)^{-n}}{i} = V.$$

It may be proper to observe, that the sum of the preceding series has long since been demonstrated without geometrical progression. Thus at the rate of interest i,

the annual income from the so-called perpetuity $\frac{1}{i}$ will evidently be 1, to continue forever. Deducting from this, the present value of the perpetuity deferred n years, that is $\frac{(1+i)^{-n}}{i}$, we have the expression equal to V above, or the present value of n annual payments of 1. And multiplying this whole present value by $(1+i)^n$, we reproduce the above amount A for the end of n years.

In practice, these formulas are seldom computed; since time and labor are saved by recourse to the standard Monetary Tables of present values and amounts, calculated for various rates of interest. And generally, \$1 and its tabular result, or the latter alone when multiplied by the proposed principal or number of dollars, gives the value required, in practical business.—For the Value of an Increasing Annuity, see page 276.

Table XVIII is a Time Table giving in triple columns the day of the month and the day of the year, also the corresponding decimal of a year of 365 days. The star (*) designates Monday, or one day in the week (as shown in the last column), from which any adjacent day of the week is readily noted. Also from any given date, the interval to the end of the year is found by subtracting the day of the year from 365, in common years, or the corresponding decimal of a year from 1; to be increased for any extension into the following year.

SECTION II.

Interest Tables for Days.

Required the interest on \$4500 from May 27 to Sept. 8 at 6 per cent. The difference of the days of the year in the Time Table, 147 and 251, gives the interval 104 days; which guides in the same Table, to the fraction of a year 0.28493. The interest for a whole year is $4500 \times .06$; that is 270; and the product of 270 by the preceding fraction gives \$76.93, the interest required. But the next Table is designed to give the interest by a more convenient process.

Table XIX. Simple Interest for Days at 5 per cent. The whole year is accounted to be 365 days; but if required to change the resulting interest to the basis of 360 days to the year, add $\frac{1}{12}$ part to the tabular result.

It will be seen that the interest for days is a circulating decimal of eight places, which can be continued as a repetend to any degree of accuracy. The new arrangement here tabulated for the first time, was suggested from the previous construction of the Copy Multiplication Table to be presently described. Both give the products at sight, to be copied and added as in "contracted multiplication."

The given interval of Days, guides first to the Reference in the upper part of the Table; and the Reference guides to the required multiples of interest in the body of the Table. For illustration, the interval of 111 Days gives the Ref. 104 near the top of the page; and 104 guides below to the line which shows the interest on 0, 1, 2, 3, ..., 9. It is needful to observe that after the first three horizontal figures in each column, the other final figures are to be read vertically downward to the drawn line below, then recommencing at the drawn line above to read down again. Indeed these eight final figures between drawn lines, are a repetend or period of eight figures, which may be repeated to any extent. Thus for 111 days (Ref. 104), the interest on \$1 is \$.015 or the horizontal figures to which are annexed the vertical figures 205479... making the interest on \$1 to be .01'52054794'52054... In like manner, the interest

on \$5, by column 5, is .07'60273972'60...; and on \$9, it is .13'68493150'68... The decimal point thus occurs on the left of the tabular interest when the dollars are 9 or a less integer. And the accents merely indicate the part continually repeated.

For any other rate, the interest is first found by the Table at 5 per cent.; and this increased by one-fifth part gives the interest at 6 per cent., by two-fifths gives the interest at 7 per cent. ctc. From the interest at 5 per cent. subtract one-tenth part to give the interest at $4\frac{1}{2}$ per cent., or add one-tenth part to give the interest at $5\frac{1}{2}$ per cent. etc.

Example 1. Required the interest on \$85,762.00 for 141 days at 7 per cent.

	\$85762.00	
The right hand figure of DAYS occurs along the head of	1545.205	8
Table XIX, Ref. 110. Each product is copied to begin one place	096.575	5
to the right of its digit in the multiplicand, to bring all the deci-	13.520	7
mal points under each other.	1.158	6
	.038	2
Interest at 5 per cent	- 1656.496	
Add $\frac{2}{6}$ or $\frac{4}{10}$	- 662.60	
Interest at 7 per cent	- \$2319.10	

Example 2. What is the amount of \$593,704.75 from May 15 to August 28, at 5 per cent. per annum?

	\$593,704.750	
	07,191.780	5
Interval 105 Days,	1,294.520	9
	043.150	3
Table XIX, Ref. 132.	10.068	7
	.057	4
	10	7
h	0	5
Amount	\$602,244.335	

Copy Multiplication Table. In this Table, from which the Interest Table originated, the carrying figure is added to the next product figure, as usual, and the sum given by inspection. It presents within a convenient compass, a generalization of the common process, and was suggested to the writer, by the early design of "Napier's rods or bones," by the first Table of Crelle, the Tables of Laundy, and others. For large numbers, or "contracted multiplication," it appears specially adapted, as well as for "proof," or correction of the common method, and various other objects.

The bold types or figures of the Table, taken singly, represent every possible multiplicand, however extended. These are repeated immediately over their product figures, which may be copied rapidly in any order, as from left to right. In a few places, the construction of the Table required 10 to be tabulated as a single figure, denoted by X or x, and so written. But after the usual addition, this character will disappear in the final product. Also by practice, an easy habit may be acquired of reading off two figures at a time. Thus on reading 94 (nine, four) of the multiplicand, look first under 9 only, to read off its product figure 7, passing immediately under 4 to find the other figure 1, and copy 71. The same routine must be strictly followed in every example, as follows:

1. Prefix a small cipher to the multiplier to distinguish it, and to be used as its first figure. On account of "carrying figures" in the construction of the Table, all single ciphers, when effective, are to be treated like significant figures.

MULTIPLICATION.

	0	0 100		300	400	
00	01 23 45 67 89 00 00 00 00 00	01 23 45 67 89 01 23 45 67 89	01 23 45 67 89 02 46 80 24 68	01 23 45 67 89 03 69 25 81 47	01 23 45 67 89 04 82 60 48 26	00
12	01 23 45 67 89	01 23 45 67 89	01 23 45 67 89	01 23 45 67 89	01 23 45 67 89	12
13	00 00 00 00 01 01 23 45 67 89	01 23 45 67 9x 01 23 45 67 89	02 46 80 24 69 01 23 45 67 89	03 69 25 81 48 01 23 45 67 89	04 82 60 48 27 01 23 45 67 89	13
15	00 00 00 00 11 01 23 45 67 89	01 23 45 67 9x 01 23 45 67 89	02 46 80 24 79 01 23 45 67 89	03 69 25 81 58 01 23 45 67 89	04 82 60 48 37 01 23 45 67 89	15
17	00 00 00 01 11 01 23 45 67 89	01 23 45 68 9x 01 23 45 67 89	02 46 80 25 79 01 23 45 67 89	03 69 25 82 58 01 23 45 67 89	04 82 60 49 37 01 23 45 67 89	17
20	00 00 00 11 11 01 23 45 67 89	01 23 45 78 9x 01 23 45 67 89	02 46 80 35 79 01 23 45 67 89	03 69 25 92 58 01 23 45 67 89	04 82 60 59 37 01 23 45 67 89	20
23	00 00 01 11 11 01 23 45 67 89	01 23 46 78 90 01 23 45 67 89	02 46 81 35 79 01 23 45 67 89	03 69 26 92 58 01 23 45 67 89	04 82 61 59 37 01 23 45 67 89	23
25	00 00 01 11 12 01 23 45 67 89	01 23 46 78 91 01 23 45 67 89	02 46 81 35 7x 01 23 45 67 89	03 69 26 92 59 01 23 45 67 89	04 82 61 59 38 01 23 45 67 89	25
29	00 00 11 11 22 01 23 45 67 89	01 23 56 78 x1 01 23 45 67 89	02 46 91 35 8x 01 23 45 67 89	03 69 36 92 69 01 23 45 67 89	04 82 71 59 48 01 23 45 67 89	29
	00 00 11 12 22 01 23 45 67 89	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	02 46 91 36 8x 01 23 45 67 89	03 69 36 93 69 01 23 45 67 89	04 82 71 5x 48 01 23 45 67 89	
30	00 00 11 12 22 01 23 45 67 89	01 23 56 79 01 01 23 45 67 89	02 46 91 36 80 01 23 45 67 89	03 69 36 93 69 01 23 45 67 89	04 82 71 50 48 01 23 45 67 89	30
34	00 01 11 22 23 01 23 45 67 89	01 24 56 89 02 01 23 45 67 89	02 47 91 46 81 01 23 45 67 89	03 6x 36 x3 6x 01 23 45 67 89	04 83 71 60 49 01 23 45 67 89	34
	00 01 11 22 33 01 23 45 67 89	01 24 56 89 12 01 23 45 67 89	02 47 91 46 91 01 23 45 67 89	03 6x 36 x3 7x 01 23 45 67 89	04 83 71 60 59 01 23 45 67 89	38
40	00 01 12 22 33 01 23 45 67 89	01 24 57 89 12 01 23 45 67 89	01 23 45 67 89 02 47 92 46 91 01 23 45 67 89	01 23 49 67 89 03 60 37 03 70 01 23 45 67 89	01 23 45 67 89 04 83 72 60 59 01 23 45 67 89	40
43	00 01 12 23 33 01 23 45 67 89	01 24 57 8x 12 01 23 45 67 89	02 47 92 47 91 01 23 45 67 89	01 23 45 67 89 03 60 37 04 70 01 23 45 67 89	01 23 45 67 89 04 83 72 61 59 01 23 45 67 89	43
45	00 01 12 23 34	01 24 57 8x 13	02 47 92 47 92	03 60 37 04 71	04 83 72 61 5x	45
50	01 23 45 67 89 00 11 22 33 44	01 23 45 67 89 01 34 67 90 23	01 23 45 67 89 02 57 02 57 02	01 23 45 67 89 03 70 47 14 81	01 23 45 67 89 04 93 82 71 60	50
56	01 23 45 67 89 00 11 22 33 45	01 23 45 67 89 01 34 67 90 24	01 23 45 67 89 02 57 02 57 03	01 23 45 67 89 03 70 47 14 82	01 23 45 67 89 04 93 82 71 61	5 6
58	01 23 45 67 89 00 11 22 34 45	01 23 45 67 89 01 34 67 91 24	01 23 45 67 89 02 57 02 58 03	01 23 45 67 89 03 70 47 15 82	01 23 45 67 89 04 93 82 72 61	58
60	01 23 45 67 89 00 11 23 34 45	01 23 45 67 89 01 34 68 91 24	01 23 45 67 89 02 57 03 58 03	01 23 45 67 89 03 70 48 15 82	01 23 45 67 89 04 93 83 72 61	60
63	01 23 45 67 89 00 11 23 34 55	01 23 45 67 89 01 34 68 91 34	01 23 45 67 89 02 57 03 58 13	01 23 45 67 89 03 70 48 15 92	01 23 45 67 89 04 93 83 72 71	63
67	01 23 45 6/89 00 12 23 44 56	01 23 45 67 89 01 35 68 x1 35	01 23 45 67 89 02 58 03 68 14	01 23 45 67 89 03 71 48 25 93	01 23 45 67 89 04 94 83 82 72	67
70	01 23 45 67 89 00 12 23 45 56	01 23 45 67 89 01 35 68 01 35	01 23 45 67 89 02 58 03 68 14	01 23 45 67 89 03 71 48 25 93	01 23 45 67 89 04 94 83 82 72	70
72	01 23 45 67 89 00 12 23 45 56	01 23 45 67 89 01 35 68 02 35	01 23 45 67 89	01 23 45 67 89 03 71 48 26 93	01 23 45 67 89	72
75	01 23 45 67 89		01 23 45 67 89 02 58 13 69 24	01 23 45 67 89 03 71 58 26 x3	01 23 45 67 89	75
78	01 23 45 67 89 00 12 33 45 67	01 23 45 67 89 01 35 78 02 46	01 23 45 67 89 02 58 13 69 25	01 23 45 67 89 03 71 58 26 x4	01 23 45 67 89 04 94 93 83 83	78
80	01 23 45 67 89	01 23 45 67 89	01 23 45 67 89	01 23 45 67 89	01 23 45 67 89	80
84	00 12 34 45 67 01 23 45 67 89 00 12 34 55 67	01 35 79 02 46 01 23 45 67 89	02 58 14 69 25 01 23 45 67 89 02 58 14 79 25	03 71 59 26 04 01 23 45 67 89	04 94 94 83 83 01 23 45 67 89	84
86	01 23 45 67 89 00 12 34 56 67	01 35 79 12 46 01 23 45 67 89	01 23 45 67 89	03 71 59 36 04 01 23 45 67 89 03 71 59 37 04	04 94 94 93 83 01 23 45 67 89 04 94 94 94 83	86
88	01 23 45 67 89 00 12 34 56 77	01 35 79 13 46 01 23 45 67 89 01 35 79 13 56	02 58 14 7x 25 01 23 45 67 89 02 58 14 7x 35	01 23 45 67 89 03 71 59 37 14	01 23 45 67 89 04 94 94 94 93	88
89	01 23 45 67 89 00 12 34 56 78	01 23 45 67 89 01 35 79 13 57	02 58 14 7x 35 01 23 45 67 89 02 58 14 7x 36	01 23 45 67 89 03 71 59 37 15	01 23 45 67 89 04 94 94 94 94	89
90	01 23 45 67 89	01 23 45 67 89	01 23 45 67 89	01 23 45 67 89	01 23 45 67 89	90
-	00 12 34 56 78	100	200	300	$\frac{04 \ 94 \ 94 \ 94 \ 94}{400}$	
					100	

For intermediate numbers in the side column, use the upper or less. Thus, for 25, 26, 27, or 28, use the line of 25.

MULTIPLICATION.

	500	600	700	800	980	
00	01 23 45 67 89 05 05 05 05 05	01 23 45 67 89 06 28 40 62 84	01 23 45 67 89 07 41 85 29 63	01 23 45 67 89 08 64 20 86 42	01 23 45 67 89 09 87 65 43 21	00
12	01 23 45 67 89 05 05 05 05 06	01 23 45 67 89 06 28 40 62 85	01 23 45 67 89 07 41 85 29 64	01 23 45 67 89 08 64 20 86 43	01 23 45 67 89 09 87 65 43 22	12
13	01 23 45 67 89 05 05 05 05 16	01 23 45 67 89 06 28 40 62 95	01 23 45 67 89 07 41 85 29 74	01 23 45 67 89 08 64 20 86 53	01 23 45 67 89 09 87 65 43 32	13
15	01 23 45 67 89 05 05 05 06 16	01 23 45 67 89 06 28 40 63 95	01 23 45 67 89 07 41 85 2x 74	01 23 45 67 89 08 64 20 87 53	01 23 45 67 89 09 87 65 44 32	15
17	01 23 45 67 89 05 05 05 16 16	01 23 45 67 89 06 28 40 73 95	01 23 45 67 89 07 41 85 3x 74	01 23 45 67 89 08 64 20 97 53	01 23 45 67 89 09 87 65 54 32	17
20	01 23 45 67 89 05 05 06 16 16	01 23 45 67 89 06 28 41 73 95	01 23 45 67 89 07 41 86 30 74	01 23 45 67 89 08 64 21 97 53	01 23 45 67 89 09 87 66 54 32	20
23	01 23 45 67 89 05 05 06 16 17	01 23 45 67 89 06 28 41 73 96	01 23 45 67 89 07 41 86 30 75	01 23 45 67 89 08 64 21 97 54	01 23 45 67 89 09 87 66 54 33	23
25	01 23 45 67 89 05 05 16 16 27	01 23 45 67 89 06 28 51 73 x6	01 23 45 67 89 07 41 96 30 85	01 23 45 67 89 08 64 31 97 64	01 23 45 67 89 09 87 76 54 43	25
29	01 23 45 67 89 05 05 16 17 27	01 23 45 67 89 06 28 51 74 x6	01 23 45 67 89 07 41 96 31 85	01 23 45 67 89 08 64 31 98 64	01 23 45 67 89 09 87 76 55 48	29
30	01 23 45 67 89 05 05 16 17 27	01 23 45 67 89 06 28 51 74 06	01 23 45 67 89 07 41 96 31 85	01 23 45 67 89 08 64 31 98 64	01 23 45 67 89 09 87 76 55 43	30
34	01 23 45 67 89 05 06 16 27 28	01 23 45 67 89 06 29 51 84 07	01 23 45 67 89 07 42 96 41 86	01 23 45 67 89 08 65 31 x8 65	01 23 45 67 89 09 88 76 65 44	34
38	01 23 45 67 89 05 06 16 27 38	01 23 45 67 89 06 29 51 84 17	01 23 45 67 89 07 42 96 41 96	01 23 45 67 89 08 65 31 x8 75	01 23 45 67 89 09 88 76 65 54	38
40	01 23 45 67 89 05 06 17 27 38	01 23 45 67 89 06 29 52 84 17	01 23 45 67 89 07 42 97 41 96	01 23 45 67 89 08 65 32 08 75	01 23 45 67 89 09 88 77 65 54	40
43	01 23 45 67 89 05 06 17 28 38	01 23 45 67 89 06 29 52 85 17	01 23 45 67 89 07 42 97 42 96	01 23 45 67 89 08 65 32 09 75	01 23 45 67 89 09 88 77 66 54	43
45	01 23 45 67 89 05 06 17 28 39	01 23 45 67 89 06 29 52 85 18	01 23 45 67 89 07 42 97 42 97	01 23 45 67 89 08 65 32 09 76	01 23 45 67 89 09 88 77 66 55	45
50	01 23 45 67 89 05 16 27 38 49	01 23 45 67 89 06 39 62 95 28	01 23 45 67 89 07 52 07 52 07	01 23 45 67 89 08 75 42 19 86	01 23 45 67 89 09 98 87 76 65	50
56	01 23 45 67 89 05 16 27 38 4x	01 23 45 67 89 06 39 62 95 29	01 23 45 67 89 07 52 07 52 08	01 23 45 67 89 08 75 42 19 87	01 23 45 67 89 09 98 87 76 66	56
58	01 23 45 67 89 05 16 27 39 4x	01 23 45 67 89 06 39 62 96 29	01 23 45 67 89 07 52 07 53 08	01 23 45 67 89 08 75 42 1x 87	01 23 45 67 89 09 98 87 77 66	58
60	01 23 45 67 89 05 16 28 39 40	01 23 45 67 89 06 39 63 96 29	01 23 45 67 89 07 52 08 53 08	01 23 45 67 89 08 75 43 10 87	01 23 45 67 89 09 98 88 77 66	60
63	01 23 45 67 89 05 16 28 39 50	01 23 45 67 89 06 39 63 96 39	01 23 45 67 89 07 52 08 53 18	01 23 45 67 89 08 75 43 10 97	01 23 45 67 89 09 98 88 77 76	63
67	01 23 45 67 89 05 17 28 49 51	01 23 45 67 89 06 3x 63 x6 3x	01 23 45 67 89 07 53 08 63 19	01 23 45 67 89 08 76 43 20 98	01 23 45 67 89 09 99 88 87 77	67
70	01 23 45 67 89 05 17 28 49 51	01 23 45 67 89 06 30 63 06 30	01 23 45 67 89 07 53 08 63 19	01 23 45 67 89 08 76 43 20 98	01 23 45 67 89 09 99 88 87 77	70
72	01 23 45 67 89 05 17 28 4x 51	01 23 45 67 89 06 30 63 07 30	01 23 45 67 89 07 53 08 64 19	01 23 45 67 89 08 76 43 21 98	01 23 45 67 89 09 99 88 88 77	72
75	01 23 45 67 89 05 17 38 4x 61	01 23 45 67 89 06 30 73 07 40	01 23 45 67 89 07 53 18 64 29		01 23 45 67 89 09 99 98 88 87	75
78	01 23 45 67 89 05 17 38 4x 62	01 23 45 67 89 06 30 73 07 41	01 23 45 67 89 07 53 18 64 2x	01 23 45 67 89 08 76 53 21 x9	01 23 45 67 89 09 99 98 88 88	78
80	01 23 45 67 89 05 17 39 40 62	01 23 45 67 89 06 30 74 07 41	01 23 45 67 89 07 53 19 64 20	01 23 45 67 89 08 76 54 21 09	01 23 45 67 89 09 99 99 88 88	80
84	01 23 45 67 89 05 17 39 50 62	01 23 45 67 89 06 30 74 17 41	01 23 45 67 89 07 53 19 74 20	01 23 45 67 89 08 76 54 31 09	01 23 45 67 89 09 99 99 98 88	84
83	01 23 45 67 89 05 17 39 51 62	01 23 45 67 89 06 30 74 18 41	01 23 45 67 89 07 53 19 75 20	01 23 45 67 89 08 76 54 32 09	01 23 45 67 89 09 99 99 99 88	86
88	01 23 45 67 89 05 17 39 51 72	01 23 45 67 89 06 30 74 18 51	01 23 45 67 89 07 53 19 75 30	01 23 45 67 89 08 76 54 32 19	01 23 45 67 89 09 99 99 99 98	88
89	01 23 45 67 89 05 17 39 51 73	01 23 45 67 89 06 30 74 18 52	01 23 45 67 89 07 53 19 75 31	01 23 45 67 89 08 76 54 32 1x	01 23 45 67 89 09 99 99 99 99	89
90	01 23 45 67 89 05 17 39 51 73	01 23 45 67 89 06 30 74 18 52	01 23 45 67 89 07 53 19 75 31	01 23 45 67 89 08 76 54 32 10	01 23 45 67 89 09 99 99 99 99	90
	500	600	700	800	900	

- 2. The rule of arithmetic requires "the multiplicand to be successively multiplied by each figure of the multiplier." So here the left-hand pointer is to be located in the Table once for each single figure of the multiplier, by finding such single figure at the head of the column, and passing down to its two right-hand companion figures, found at the side; such three figures may be termed a triplet. At each location of a triplet, the single figures of the multiplicand are all to be read, and the product figures under them copied; each line beginning one place to the right.
- 3. When the right-hand figure of the triplet, noted above, *locates between* two given figures of the side column in the Table, always use the upper, or less of the two. And when such two right-hand figures of a triplet are one or both lacking on the right hand of the multiplier, let ciphers be assumed in their place.

Example. Multiply 34986 by 752. To the multiplier 752 prefix a cipher making °752, which shows there will be four locations of triplets. First "locate" the left-hand pointer in column 0, under the line 75. Here finding each figure of the multiplicand, as 34, etc. read off and copy the figures underneath, as 23 etc. from left to right, with the right hand.

Common Process.	34986	By the Table.	34986	Locations
	752		0752	in Table.
	69972		23664	- 075
	174930		20705 -	752
	244902			52°
Product,	26309472		68862 -	200
·		Product,	26309472	

Again, locate the left-hand finger or pointer for the triplet 752, in the column 7, under line 52, or rather line 50 which is the next "upper," and beginning to copy 20 etc. one place to the right, proceed as before. Again, locate in column 5, under line 20, etc. Again and lastly, locate in column 2, under line 00, and copy as before. In adding up to obtain the total product, the sum of each vertical column is the same as when found by the common method. The separately written triplets °75, 752, etc. noted on the right of the example, for illustration, are to be omitted in practice.

SECTION III.

Compound Interest and Discount Tables. For Twelve Rates of Interest and for 100 Years.

Table XX. The Amount of \$1 at the end of any number of years; or $(1+i)^n$.

Table XXI. The *Present Value* of \$1 due at the end of any number of years; that is v^n or $(1+i)^{-n}$.

Table XXII. The Amount of \$1 per annum, at the end of any number of years; or $\frac{(1+i)^n-1}{i}$.

The annuity of \$1 is payable at the end of each year.

Table XXIII. The *Present Value* of \$1 per annum, for any number of years; or $\frac{1-(1+i)^{-n}}{i}$.

Table XXIV. The *Annuity* which \$1 will purchase for any number of years; or $\frac{\imath}{1-(1+i)^{-n}}$.

It is the Annual Payment or Annual Sinking Fund to pay a present debt of \$1 with its interest, in any number of years.

Table XXV. Common Logarithm of the Present Value of \$1 due at the end of any number of years; $\lambda(1+i)^{-n}$, or λv^n .

As in Milne's treatise, λ denotes the common logarithm of the quantity, before which it is placed.

The above named Monetary Tables are derived from the original series published by John Smart, London, 1726. A portion of Smart's Tables, for half years depend on $\sqrt{1+i}$ as the interest factor for six months. But mercantile usage has decided in favor of (1+i) as the yearly factor, and $(1+\frac{1}{2}i)$ as the factor for the odd six months; hence the half-yearly columns in his Tables are not now in use. A part of Smart's Tables, those under 7 per cent., we have here collated with new values computed with four extra decimals, or with the accurate Tables of Chisholm.

Connection of the Tables. It will be observed that for a given value of n and i, Tables XX and XXI are each the reciprocal of the other. Tables XXIII and XXIV, are another couple having the same reciprocal property.

Again, the amounts in Table XX, are the annual differences of Table XXII; and the present values in Table XXI, are the differences of Table XXIII, as will be seen by inspection.

Amount of Premiums paid. For illustration, the annual premium of \$50 has just been paid at the beginning of the seventh year. Required the amount at that date, of the seven premiums, at 4 per cent. By Table XXII the amount of \$1 annual premium is given at \$7.89829; the product of this by 50 is \$394.91, the amount required. Had it been a single premium of \$50 paid six years ago, the different Table XX would give $50 \times 1.2653 = \$63.27$, the amount at compound interest 4 per cent.

Deferred Annuity. If the annuity of 1 for n years is to be deferred t years and then commence, the present value is evidently shown in the expression,

$$(1+i)^{-t} \times \frac{1-(1+i)^{-n}}{i} = V$$
, or

$$\frac{1 - (1+i)^{-t-n}}{i} - \frac{1 - (1+i)^{-t}}{i} = V.$$

That is, from the present value of an annuity for t+n years, withdraw that of t years. A deferred annuity is sometimes called a reversion or a reversionary annuity. Another phrase for the present value of an annuity of 1, is "the number of years' purchase," or "years' purchase," which occurs on page 66, Example 3.

SECTION IV.

To find the Rate of Interest of an Annuity.

In these Monetary Tables at 3, $3\frac{1}{2}$, 4, per cent. the differences of $\frac{1}{2}$ or 1 per cent., prove to be so large, that the corresponding columns cannot be correctly interpolated by first differences, horizontally, except when the correction is small. Among

various methods, an approximate solution of the analytic formula was given by Francis Baily in the appendix of his *Doctrine of Interest and Annuities* in 1808. But the writer's examination of this noted problem was suddenly brought to a close, by observing that the tabular quantities to be interpolated are nearly in geometrical progression. Consequently, interpolation must be applicable to their logarithms, adjusted by induction, as follows:

Let n = the given number of years, X = " amount, or the present value of \$1 annuity; and i = its rate of interest.

Entering the proper Table XXII or XXIII, let n, X guide to the tabular values A, B, nearest to X which falls between them, and let a, b denote their respective rates of interest. As before mentioned, let common log. A be denoted by λA , and so generally.

For Amounts in Table XXII, $h = B_{n+1} - B_n$. For Values in Table XXIII, $h = \frac{1}{2}A_{\frac{1}{2}n}$

 $i = a + (b-a) \times \frac{\lambda(X-h) - \lambda(A-h)}{\lambda(B-h) - \lambda(A-h)}$

Example 1. From David Jones on Annuities, page 36. "At what rate per cent. will £20 per annum, amount in 10 years to £232.07?"

Here n = 10, and $232.07 \div 20 = 11.6035 = X$ amount of 1 per annum. Table XXII, 13.14199 - 11.73139 = h; or h = 1.41. $\lambda(X-h) = 1.00832333$.

$$a = 0.03,$$
 $A = 11.463879,$ $\lambda (A-h) = 1.00233365.$ $b = 0.035,$ $B = 11.731393,$ $\lambda (B-h) = 1.01373832.$ $i = .03 + .005 \times \frac{.0059897}{.0114047} = 0.0326260.$

The true value is 0.0326261, showing a difference of 1 only in the last decimal place. A less correct result 0.03239 was found from first differences of the numbers X, A, B.

Example 2. An annual payment of \$1 at the end of each year, has amounted to \$763.387795 at the end of 81 years. Required the rate of compound interest, to be interpolated from the columns, at 4 and 5 per cent. in Table XXII.

Here
$$n = 81$$
, $h = B_{82} - B_{81} = 52.039513$, $a = .04$, $b = 05$.
 $\lambda(X-h) = 2.8520823$, $\lambda(A-h) = 2.7178828$, $\lambda(B-h) = 2.9862120$.
 $i = 0.04 + .01 \times \frac{.1341995}{.2683292} = .045001$; true value .045000.

Example 3. "The Long Annuities, which have 30 years to run, are now sold at 19 years' purchase; what rate of interest does the purchaser obtain for his money?" From David Jones' treatise, page 42.

By Table XXIII, since
$$n = 30$$
, $h = \frac{1}{2}\Lambda_{15} = 5.968968$, $a = .03$, $b = .035$. $X = 19$; $\lambda(X-h) = 1.1149788$, $\lambda(A-h) = 1.1345428$, $\lambda(B-h) = 1.0942292$.

$$i = 0.03 + .005 \times \frac{.0195640}{.0403136} = 0.032426.$$

The true value found by Woolhouse, is 0.032425. The preceding method can also be applied to interpolate Life Annuities, according to the relations of Makeham's law.

Note.—Since the ratio 1+i differs not greatly from unity, the known average of the sum of the terms must be nearly equal to the unknown middle term of the geometric series. With some adjustment, we have thus found a ready approximation from the *amount* of \$1 annuity:

$$\lambda(1+i) = \left(\frac{1}{\frac{1}{n}n} - \frac{1}{200}\right) \times \lambda \frac{X-1}{n-1}$$
, nearly.

This formula when applied to the first two of the preceding examples, gives approximately .03250 and .04537, which may be further corrected by the method of trial and error with the following formula for X or A.

The other elements, amount, present value and the time n are precisely determined by the formulas:

For Amount,
$$A = \frac{(1+i)^n - 1}{i}$$
, $n = \frac{\lambda(1+iA)}{\lambda(1+i)}$.
For Present Value, $V = \frac{1 - (1+i)^{-n}}{i}$, $n = -\frac{\lambda(1-iV)}{\lambda(1+i)}$.

SECTION V.

To find the Rate of Interest on the Price of Funded Stocks or Bonds.

In the first case, let us suppose that the stocks are arranged to pay a fixed interest forever, or perpetuities, so called, as in most of the government debts of Europe. For illustration, if £100 in the 3 per cent. British consols are sold for £93; the simple proportion 93:3::100:x, gives 3.226 the rate of interest, to be realized on the purchase. Although the £3 is paid half-yearly, the difference from an annual payment is not here regarded, on account of the frequent change of rate, or delays in the re-investment of small sums.

In the second case, as in the public funds of the United States, let the interest cease, and the principal be repaid, at the end of a stated number of years.

Example 1. A Bond bearing 6 per cent. interest, and having 20 years to run, the principal being then payable, is bought at the price of \$1.05 on the dollar of par value. What rate of interest will the purchaser have received at maturity?

Let i' = the required rate of interest on the transaction.

i = the given rate of interest on the Bond.

p = the purchase price per dollar of the principal of the Bond.

n = the number of years the Bond is to run.

Strictly, the annual interest i is to be regarded as an annuity for n years; the present value of which at the rate i', is evidently $\frac{1-(1+i')^{-n}}{i'} \times i$ or $(1-v'^n)\frac{i}{i'}$.

The purchase price p must be equated to this, plus the present value v'^n of each \$1 of the principal, stipulated to be paid at the end of n years. That is,

$$p = (1 - v^{\prime n}) \times \frac{i}{i'} + v^{\prime n}; \text{ whence } i' = \frac{i}{p} + \frac{i(\frac{1}{p} - 1)}{p(1 + i')^n - 1},$$

$$i' = \frac{i(1 - v^{\prime n})}{p - v^{\prime n}} = i + \frac{i(1 - p)}{p - v^{\prime n}}.$$

For p=1, i'=i. For n=1, $i'=\frac{i}{p}+\left(\frac{1}{p}-1\right)$. For Perpetuities, $n=\infty$, $i'=\frac{i}{p}$.

As the period n approaches 40 years and upward, this last formula gives a close approximation.

For a more general approximation, we assume the amount $p(1+i')^n = (1+i)^n$. Substituting this in the right-hand member preceding, we have a very convenient second approximation, which being further corrected by an interpolated time n', for ordinary rates, leads to $n' = n + 0.6 \left(\frac{1}{p} - 1\right)n$,

$$i'=i+\left(\frac{1}{p}-1\right).V_{n'};$$
 where $V_{n'}=\frac{i}{1-v^{n'}}$, given in Table XXIV.

Table of the auxiliary factor $(\frac{1}{p}-1)$.

PRICE ON 100.	0	1	2	3	4	5	6	7	8	9
5	1.0000	0.9608	0.9231	0.8868	0.8519	0.8182	0.7857	0.7544	0.7241	0.6949
6	0.6667	.6393	.6129	.5873	.5625	.5385	.5152	.4925	.4706	.4493
7	0.4286	.4085	.3889	.3699	.3514	.3333	.3156	.2987	.2821	.2658
8	0.2500	.2346	.2195	.2048	.1905	.1765	.1628	.1494	.1364	.1236
9	0.1111	.0989	.0870	.0753	.0638	.0526	.0417	.0309	.0204	.0101
10	0000	0099	0196	0291	0385	0476	0566	0654	0741	0826
11	0909	0991	1071	1150	1228	1304	1379	1453	1525	1597
12	1667	1736	1803	1870	1935	2000	2063	2126	2187	2248
13	2308	2366	2424	2481	2537	2593	2647	2701	2754	2806
14	2857	2908	2958	3007	3056	3103	3151	3197	3243	3289

The new expression for i' will be sufficient for most purposes. By successive substitution, however, in the right-hand member of the original formula preceding, the approximation can be earried to any extent of accuracy.

In the Example stated above, the price on 100 is 105, or p = 1.05. Also $n' = 20 - 0.6 \times .0476 \times 20 = 19.4$ years; whence the required rate of interest

$$i' = .06 - .048 \times .088 = .06 - .0042 = .0558.$$

Here the factor -.048 or rather .0476 is found in the above Table, corresponding with the price 105; and the other factor V or .088 corresponds to n' or 19.4 years and 6 per cent. in Table XXIV. Provided the Bond is continued to maturity, the approximate interest realized on the purchase will be 5.58 per cent.

Example 2. Required the rate of interest to be realized when the price is 75 on the 100, or p=0.75, the rate of interest i being 7 per cent., and the Bond to be redeemed in 40 years. Here $n'=40+0.6\times.333\times40=48$ years; then $i'=.07+.333\times.0728=.0942$; that is, 9.42 per cent. on the purchase price.

Example 3. When n=30 years, i=.06, p=0.5. Then $n'=30+.6\times1\times30=48$ years, $i'=.06+1\times.0639=.1239$. The result 12.39 per cent. is correct to four places, as verified.

It is worthy of remark that in these three arbitrary examples, having periods of 20, 40 and 30 years, the approximate formula, $i' = i \div p$, should give results so near the truth as 5.71, 9.33 and 12.00; the true rates being 5.58, 9.42, and 12.39 per cent, respectively.

SECTION VI.

Interest Compounded Oftener than Once a Year.

When interest is compounded at m equal intervals in a year, the amount at the end of the first of them is $\left(1+\frac{i}{m}\right)$; and this raised to the mth power, gives the amount at the end of m terms, or one year; thus:

$$\left(1+\frac{i}{m}\right)^m = 1+i+\frac{1-\frac{1}{m}}{1.2}i^2+\frac{\left(1-\frac{1}{m}\right)\left(1-\frac{2}{m}\right)}{1.2.3}i^3+\dots$$

When interest is compounded *momently* or at the end of every instant, the number of intervals m in a year becomes very great or infinite, which evidently causes m to vanish in the right-hand member, leaving at the year's end,

$$\left(1+\frac{i}{m}\right)^m = 1+i+\frac{1}{1\cdot 2}i^2+\frac{1}{1\cdot 2\cdot 3}i^3+\dots = \varepsilon^i.$$

Here ε is the number whose Napierian logarithm is 1; that is $\varepsilon = 2.7182818285$. Thus on the supposition of compounding momently, the amount of \$1 principal at the end of n years, will be ε^{in} .

In the common formulas of compound interest, the interest for one interval may take the place of *annual interest*, when *periods of conversion* are substituted for the number of *years*. And if there are m equal periods in one year, there will evidently be mn equal periods in n years. Writing m equal to 1, 2, 4, or infinity, let Y, H, Q, M denote the Amount of \$1 with its compound interest, at the end of n years, according as the interest is convertible into principal, Yearly, Half-yearly, Quarterly, or Momently.

Then
$$Y = (1+i)^n$$
, $Q = \left(1+\frac{i}{4}\right)^{4n}$, $M = \varepsilon^{in}$.

The $Present\ Value\ of\ 1$ due n years hence, with interest compounded m times in the year, is

 $\left(1+\frac{i}{m}\right)^{-mn}$

In the case of Annuities payable half-yearly, quarterly, or generally m times in the year, let us firstly assume the interest to be compounded in the same way, or m times in the year, and that the annuity or yearly payment of 1 is divided into m payments of $\frac{1}{m}$ each, at equal intervals. Then by substitution as shown by Dr. Price:

Amount of Annuity for
$$n$$
 years $=\frac{1}{m} \cdot \frac{m}{i} \left[\left(1 + \frac{i}{m}\right)^{mn} - 1 \right].$

Present Value of Annuity for
$$n$$
 years $=\frac{1}{i}\left[1-\left(1+\frac{i}{m}\right)^{-mn}\right]$.

When payable yearly, m = 1; half-yearly, m = 2; quarterly, m = 4.

Secondly and more generally, let interest be convertible m times in a year, and the annuity be payable m' times, each payment being $\frac{1}{m'}$. In this case, the discount factor to give the present value for one year, is $\left(1+\frac{i}{m}\right)^{-m}$; or for t years, or a fraction, the factor is $\left(1+\frac{i}{m}\right)^{-mt}$. Now dividing one year by the number of its payments of annuity, we have $\frac{1}{m'}=t$, the time or interval from one payment to another. Hence the present value of the m'n payments in n years, will be the sum of the geometric progression; since m't=1:

$$\frac{1}{m'} \left[\left(1 + \frac{i}{m} \right)^{-mt} + \left(1 + \frac{i}{m} \right)^{-2mt} + \dots + \left(1 + \frac{i}{m} \right)^{-m'nmt} \right].$$

$$= \frac{1}{m'} \times \frac{\left(1 + \frac{i}{m} \right)^{-mt} - \left(1 + \frac{i}{m} \right)^{-nm-mt}}{1 - \left(1 + \frac{i}{m} \right)^{-mt}} = \frac{1}{m'} \times \frac{1 - \left(1 + \frac{i}{m} \right)^{-mn}}{\left(1 + \frac{i}{m} \right)^{mt} - 1}.$$

When m and m' are equal, this manifestly coincides with the last formula on page 69.

In the denominator, developing by the binomial theorem, since $\frac{1}{m'} = t$,

$$\left(1 + \frac{i}{m}\right)^{mt} - 1 = \frac{i}{m'} \left[1 + \left(\frac{1}{m'} - \frac{1}{m}\right)\frac{i}{2} + \left(\frac{1}{m'} - \frac{1}{m}\right)\left(\frac{1}{m'} - \frac{2}{m}\right)\frac{i^2}{1 \cdot 2 \cdot 3} + \dots\right]$$

Substituting the series in the above denominator, and dividing,

Present Value =
$$\left[\frac{1}{i} + \frac{1}{2}\left(\frac{1}{m} - \frac{1}{m'}\right) - \left(\frac{1}{m^2} - \frac{1}{m'^2}\right) \cdot \frac{i\left(1 - \frac{i}{2m}\right)}{12} + \dots\right] \times \left[1 - \left(1 + \frac{i}{m}\right)^{-nm}\right].$$

In the case of annual interest, or m = 1, we have,

Present Value =
$$\left(\frac{1}{i} + \frac{m'-1}{2m'}\right) \cdot [1 - (1+i)^{-n}]$$
, nearly,
= $\frac{1 - (1+i)^{-n}}{i} + \frac{m'-1}{2m'}$, nearly, = $V_n + \frac{m'-1}{2m'}$.

When the annuity is half-yearly, or m'=2, the last term becomes 0.25; which agrees with the usual approximate correction for Life Annuities. More accurately, when i=.04, the third term of the series above, when united to the second, gives 0.24755. This correction from Annuities Certain, strikingly agrees with those computed by Mr. Sprague from Life Annuities at ages where the initial rate of mortality plus that of interest equals 4 per cent. Compare Journal of the Institute, Vol. 13, pp. 212, 308.

Finally for illustration, the annexed Table from David Jones on Annuities will indicate the effect of compounding oftener than once a year to increase the yearly rate of interest. In long periods of years, the difference becomes more material:

AMOUNT	OF	\$1	IN	ONE	YEAR,	AND	ITS	LOGARITHM.
--------	----	-----	----	-----	-------	-----	-----	------------

ANNUAL RATE OF INTEREST.	PAY- ABLE.	AMOUNT IN ONE YEAR.	Logarithm.	ANNUAL RATE OF INTEREST.	PAY- ABLE.	AMOUNT IN ONE YEAR.	LOGARITHM.
2 per cent.	Y H Q M	$\begin{array}{c} 1.020000 \\ 1.020100 \\ 1.020150 \\ 1.020201 \end{array}$	$\begin{array}{c} .00860\ 01718 \\ .00864\ 27476 \\ .00866\ 42470 \\ .00868\ 58896 \end{array}$	5 per cent.	Y H Q M	$\begin{array}{c} 1.050000 \\ 1.050625 \\ 1.050946 \\ 1.051271 \end{array}$.02118 92991 .02144 77: 08 .02158 01275 .02171 47241
$\begin{array}{c} 2\frac{1}{2} \\ \text{per cent.} \end{array}$	Y H Q M	$\begin{array}{c} 1.025000 \\ 1.025156 \\ 1.025235 \\ 1.025315 \end{array}$	$.01072\ 38654\\.01079\ 00638\\.01082\ 35735\\.01085\ 73620$	6 per cent.	Y H Q M	$\begin{array}{c} 1.060000 \\ 1.060900 \\ 1.061364 \\ 1.061837 \end{array}$	$\begin{array}{c} .02530\ 58653 \\ .02567\ 44494 \\ .02586\ 41690 \\ .02605\ 76689 \end{array}$
3 per cent.	Y H Q M	$\begin{array}{c} 1.030000 \\ 1.030225 \\ 1.030339 \\ 1.030454 \end{array}$.01283 72247 .01293 20845 .01298 02193 .01302 88345	7 per cent.	Y H Q M	$\begin{array}{c} 1.070000 \\ 1.071225 \\ 1.071859 \\ 1.072508 \end{array}$	$\begin{array}{c} .0293837777 \\ .0298806996 \\ .0301376716 \\ .0304006137 \end{array}$
$\begin{array}{c} 3\frac{1}{2} \\ \text{per cent.} \end{array}$	Y H Q M	$\begin{array}{c} \textbf{1.035000} \\ \textbf{1.035306} \\ \textbf{1.035462} \\ \textbf{1.035620} \end{array}$	$ \begin{array}{c} .01494\ 03498 \\ .01506\ 88358 \\ .01513\ 41909 \\ .01520\ 03069 \end{array} $	8 per cent.	Y H Q M	$\begin{array}{c} 1.080000 \\ 1.081600 \\ 1.082432 \\ 1.083287 \end{array}$	$\begin{array}{c} .03342\ 37555 \\ .03406\ 66786 \\ .03440\ 06870 \\ .03474\ 35586 \end{array}$
per cent.	Y H Q M	1.040000 1.040400 1.040604 1.040811	$.0170333393\\.0172003435\\.0172854951\\.0173717793$	9 per cent.	Y H Q M	1.090000 1.092025 1.093083 1.094175	.03742 64979 .03823 25809 .03865 32667 .03908 65034

Note.—The period required for a given principal to double itself at compound interest, is defined by the well-known equation for n years,

$$(1+i)^n = 2, \qquad n = \frac{\log 2}{\log 2(1+i)} = \frac{69.31}{i} + 0.35 \text{ nearly}. \qquad \quad \text{Also } \left(1 + \frac{i}{m}\right)^{mn} = 2.$$

Thus, dividing 70 by the rate of interest as an integer, will give a close approximation, easily remembered. In the last formula making m = 1, 2, 4, and infinite as before, we find the following more exact series.

Doubling Period in Years and Decimals.

Interest compounded yearly: 6 2 3 5 8 Rate per cent. 14.207 11.896 10.245 9.006 Doubling Period. 35.004 23.45017.673 Interest compounded semi-annually: 4 5 6 2 3 Rate per cent. 17.502 11.725 10.075 23.278 14.036 8.837 Doubling Period. 34.830 Interest compounded quarterly: 7 8 2 3 4 5 6 Rate per cent. 9.989 8.751 34.743 23.191 17.415 13.946 11.639 Doubling Period. Interest compounded momently: 7 2 3 4 5 6 8 Rate per cent. 23.105 17.32913.863 11.552 9.902 8.665 Doubling Period. 34.657



TABLES IN PART FIRST.

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MALE LIFE. SUMMARY (A). OBSERVATIONS CLASSIFIED ACCORDING TO THE AGE OF EXIT OR EXPOSURE.

Age	Whole	Number (OF ENTRA	NTS, 982,734.	2,568,	856 Thousani	Dollars	Insured.	Age at Exit or
Exit.	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'd.	Death Claims.	Exposed to Risk.	Exposure.
0 1 2 3 4	1 9 8 6 5	1 7 8 8		3.5 34 69 86 99	1 18 19 13 11	2 9 26 15		6.5 66 144.5 186 211.5	$\begin{array}{cccc} 0 - & \frac{1}{2} \\ \frac{1}{2} - & 1\frac{1}{2} \\ 1\frac{1}{2} - & 2\frac{1}{2} \\ 2\frac{1}{2} - & 3\frac{1}{2} \\ 3\frac{1}{2} - & 4\frac{1}{2} \end{array}$
5 6 7 8 9	$ \begin{array}{c} 10 \\ 8 \\ 10 \\ 14 \\ 7 \end{array} $	12 9 10 15 11	2	107 105.5 110 108.5 107.5	19 16 20 31 23	25 19 21 24 25	6	230 230.5 241 237 228.5	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
10 11 12 13 14	20 20 32 34 74	$ \begin{array}{r} 14 \\ 28 \\ 35 \\ 46 \\ 97 \end{array} $	2 3	139 174 239 361.5 732.5	49 42 58 76 129	20 43 59 77 199	3 3	289.5 361.5 490.5 741.5 1,499	$\begin{array}{c} 9\frac{1}{2}-10\frac{1}{2} \\ 10\frac{1}{2}-11\frac{1}{2} \\ 11\frac{1}{2}-12\frac{1}{2} \\ 12\frac{1}{2}-13\frac{1}{2} \\ 13\frac{1}{2}-14\frac{1}{2} \end{array}$
15	96	212	3	1,405	226	388	4	2,863	$\begin{array}{c} 14\frac{1}{2} - 15\frac{1}{2} \\ 15\frac{1}{2} - 16\frac{1}{2} \\ 16\frac{1}{2} - 17\frac{1}{2} \\ 17\frac{1}{2} - 18\frac{1}{2} \\ 18\frac{1}{2} - 19\frac{1}{2} \end{array}$
16	224	394	11	2,375.5	411	764	17	4,632.5	
17	353	615	24	3,693	667	1,132	36	7,134	
18	639	972	32	5,736.5	1,188	1,817	55	11,035.5	
19	940	1,782	68	8,857.5	1,666	3,261	118	16,774.5	
20	1,536	2,845	116	13,773.5	2,783	5,308	200	26,120	19½-20½
21	2,383	4,323	158	21,040.5	4,376	8,210	266	41,378.5	20½-21½
23	3,246	6,335	200	30,596	6,297	12,672	333	62,732	21½-22½
23	4,452	8,488	312	42,003	8,711	17,543	609	89,221.5	22½-23½
24	6,044	10,333	326	54,367.5	12,056	22,187	707	119,483	23½-24½
25	7.309	11,753	468	67,546.5	14,780	26,663	1,002	152,867.5	24½-25½
26	8.879	13,346	530	80,629	18,739	30,876	1,229	186,725	25½-26½
27	10,221	13,891	639	92,781	21,831	33,441	1,452	218,231.5	26½-27½
28	11,799	14,782	758	106,513	25,843	35,733	1,734	250,743.5	27½-28½
29	12,876	15,751	784	118,901	28,841	38,245	1,925	281,450	28½-29½
30	17,480	16,082	819	129,868	32,578	40,227	2,093	312,842.5	29½-30½
31	15,092	16,571	961	136.354	34,273	42,664	2,410	339,736	30½-31½
32	15,991	16,130	979	143,956.5	37,781	42,288	2,444	361,484	31½-32½
33	16,618	16,148	1,057	151,141	38,901	42,554	2,788	381,961	32½-33½
34	17,784	16,351	1,193	157,277.5	42,133	43,599	3,213	400,764.5	33½-34½
35	17,712	16,286	1,196	161,673.5	43,697	43,855	3,234	414,914.5	34 <u>4</u> -35 <u>4</u>
36	18,444	16,477	1,218	165,280.5	46,172	44,175	3,380	427,076	35 <u>4</u> -36 <u>4</u>
37	18,806	15,497	1,299	166,330	47,066	43,243	4,028	432,046	36 <u>4</u> -37 <u>4</u>
38	18,850	14,888	1,403	166,100	45,893	41,408	3,865	432,402	37 <u>4</u> -38 <u>4</u>
39	19,317	14,325	1,398	164,729.5	47,916	40,246	3,931	432,874	38 <u>4</u> -39 <u>4</u>
40	19,351	13,675	1,401	162,619	48,845	38,935	3,823	430,914.5	$\begin{array}{c} 39\frac{1}{2}-40\frac{1}{2} \\ 40\frac{1}{2}-41\frac{1}{2} \\ 41\frac{1}{2}-42\frac{1}{2} \\ 42\frac{1}{2}-43\frac{1}{2} \\ 43\frac{1}{2}-44\frac{1}{2} \end{array}$
41	19,683	13,234	1,430	158,904.5	49,273	37,094	4,091	425,161.5	
42	18,465	12,134	1,401	152,323	46,579	35,982	4,023	413,268	
43	17,165	11,438	1,456	146,097	44,676	33,604	3,941	401,060	
44	17,305	10,671	1,446	139,838	44,846	31,433	4,055	387,327	
45	16,605	9,847	1,244	133,033.5	43,646	29,657	3,453	372,103	44½-45½
46	16,518	9,235	1,339	126,308.5	43,846	27,922	4,012	356,838.5	45½-46½
47	15,230	8,397	1,325	117,740	41,080	25,782	3,827	336,969	46½-47½
48	13,811	7,536	1,280	109,560.5	37,684	24,249	3,905	317,001	47½-48½
49	13,191	6,891	1,157	102,105	36,291	21,180	3,565	298,249.5	48½-49½

MALE LITE, SUMMARY (A). OBSERVATIONS CLASSIFIED ACCORDING TO THE AGE OF EXIT OR EXPOSURE.

Age	WHOLE	Number of	OF ENTRA	NTS, 982,734.	2,568	,856 Thousani	DOLLARS	Insured.	Age at Exit or
at Exit.	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'd.	Death Claims.	Exposed to Risk.	Exposure.
50 51 52 53 54	12,511 11,365 10,643 9,686 9,480	6,243 5,780 4,935 4,413 3,849	1,192 1,187 1,108 1,032 988	94,951.5 87,291 79,336.5 71,744 64,574.5	34,761 32,004 30,397 27,339 27,483	19,532 18,619 16,366 14,529 13,619	3,554 3,606 3,487 3,227 2,975	280,485 260,386 238,306.5 216,122 195,270	49½-50½ 50½-51½ 51½-52½ 52½-53½ 53½-54½
55 56 57 58 59	8,335 7,582 6,519 5,612 4,985	3,294 2,824 2,360 1,922 1,640	982 876 813 756 721	57,089.5 50,184 43,729 38,164.5 33,284.5	25,161 22,555 19,400 16,246 14,851	11,550 9,552 8,194 6,837 5,756	3,183 2,744 2,718 2,313 2,300	172,957.5 151,660 132,555 115,575 101,140.5	$54\frac{1}{2} - 55\frac{1}{2}$ $55\frac{1}{2} - 56\frac{1}{2}$ $56\frac{1}{2} - 57\frac{1}{2}$ $57\frac{1}{2} - 58\frac{1}{2}$ $58\frac{1}{2} - 59\frac{1}{2}$
60 61 62 63 64	4,178 3,637 3,313 2,849 2,333	1,348 1,060 798 605 499	733 649 531 509 457	28,892 24,959.5 21,189 17,725 14,678.5	12,630 11,274 9,528 8,712 6,748	4,891 3,784 2,915 2,275 1,907	2,102 2,130 1,624 1,686 1,336	87,621 75,419.5 63,379.5 53,175 43,325	$\begin{array}{c} 59\frac{1}{2}-60\frac{1}{2} \\ 60\frac{1}{2}-61\frac{1}{2} \\ 61\frac{1}{2}-62\frac{1}{2} \\ 62\frac{1}{2}-63\frac{1}{2} \\ 63\frac{1}{2}-64\frac{1}{2} \end{array}$
65 66 67 68 69	2,056 1,634 1,395 1,071 837	407 311 246 150 130	416 368 271 259 224	12,116.5 9,732 7,716.5 6,042.5 4,694	6,023 4,797 3,867 3,176 2,610	1,258 1,204 798 601 431	1,517 1,080 815 792 600	35,712 28,233 22,082.5 17,188.5 13,025.5	$\begin{array}{c} 64\frac{1}{2} - 65\frac{1}{2} \\ 65\frac{1}{2} - 66\frac{1}{2} \\ 66\frac{1}{2} - 67\frac{1}{2} \\ 67\frac{1}{2} - 68\frac{1}{2} \\ 68\frac{1}{2} - 69\frac{1}{2} \end{array}$
70 71 72 73 74	586 469 365 300 216	95 68 52 31 24	189 134 136 93 80	3,595.5 2,783.5 2,148 1,627 1,221.5	1,602 1,289 1,043 749 512	334 211 134 77 73	528 353 348 236 176	9,625 7,322 5,576.5 4,131.5 3,104.5	$69\frac{1}{2} - 70\frac{1}{2}$ $70\frac{1}{2} - 71\frac{1}{2}$ $71\frac{1}{2} - 72\frac{1}{2}$ $72\frac{1}{2} - 73\frac{1}{2}$ $73\frac{1}{2} - 74\frac{1}{2}$
75 76 77 78 79	146 94 77 51 39	20 7 10 8 7	60 53 54 47 29	914.5 701.5 547.5 410 306.5	426 305 244 135 86	$ \begin{array}{c} 37 \\ 11 \\ 20 \\ 16 \\ 14 \end{array} $	143 129 96 102 86	2,382 1,800 1,353 998.5 749	$74\frac{1}{2} - 75\frac{1}{2}$ $75\frac{1}{2} - 76\frac{1}{2}$ $76\frac{1}{2} - 77\frac{1}{2}$ $77\frac{1}{2} - 78\frac{1}{2}$ $78\frac{1}{2} - 79\frac{1}{2}$
80 81 82 83 84	39 28 16 12 3	6 3 7	21 18 21 7 7	232 168.5 119 79 59.5	109 77 46 43 11	13 7 15	50 36 38 20 13	563.5 395.5 273 182 118.5	79½-80½ 80½-81½ 81½-82½ 82½-83½ 83½-84½
85 86 87 88 89	12 3 1 4 1	2	6 5 4 2 3	48 29 21 16.5	29 10 3 5 1	4	11 11 5 2 7	92 50 29 21.5 15	$84\underline{\cancel{1}}-85\underline{\cancel{1}}\\85\underline{\cancel{1}}-86\underline{\cancel{1}}\\86\underline{\cancel{1}}-87\underline{\cancel{1}}\\87\underline{\cancel{1}}-88\underline{\cancel{1}}\\88\underline{\cancel{1}}-89\underline{\cancel{1}}\\$
90 91 92 93 94	1	1	2 1 1	$\begin{array}{c} 6.5 \\ 4 \\ 4 \\ 2 \\ 1 \end{array}$	1	1	2 1 1	6.5 4 4 2 1	$\begin{array}{c} 89\frac{1}{2} - 90\frac{1}{2} \\ 90\frac{1}{2} - 91\frac{1}{2} \\ 91\frac{1}{2} - 92\frac{1}{2} \\ 92\frac{1}{2} - 93\frac{1}{2} \\ 93\frac{1}{2} - 94\frac{1}{2} \end{array}$
95	${527,157}$	411,092	$\frac{1}{44,485}$	$\frac{1}{4,327,086.0}$	1,328,404	1,114,487	$\frac{1}{125,965}$	$\frac{1}{11,493,967.5}$	944-951

TABLE I.

MALE LIFE. SUMMARY (B). OBSERVATIONS CLASSIFIED ACCORDING TO YEARS OF INSURANCE,

Years of Insurance.	Wholi	E NUMBER	OF ENTRA	NTS, 982,734.	2,568,	856 THOUSANI	Dollars	Insured.	Duration of
Year	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'd,	Death Claims.	Exposed to Risk.	Insurance.
0 1 2 3 4	60,190 51,189 49,307 45,000 48,697	46,913 158,722 67,850 44,573 30,418	6,428 5,733 5,114	467,910.5 793,327 622,424 511,172.5 423,563	153,950 132,847 113,202 105,929 117,147	99,417 378,590 208,799 140,830 98,064	7,787 18,131 16,668 14,531 13,409	1,234,719.5 2,118,407 1,673,734.5 1,369,050 1,129,143	$egin{array}{cccccccccccccccccccccccccccccccccccc$
5 6 7 8 9	48,237 48,663 45,160 38,200 28,037	21,452 14,043 11,563 5,352 3,231	3,911 3,205 2,569 1,837 1,344	344,308 274,412.5 209,741.5 153,555 109,226.5	126,106 127,146 117,454 100,312 69,922	69,899 44,140 30,606 15,703 8,937	11,213 9,166 7,311 5,045 3,525	914,605.5 720,267 546,582 398,662.5 280,985.5	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
10 11 12 13 14	18,210 10,977 5,120 3,779 4,123	2,146 1,359 830 586 574	982 751 647 519 469	77,157 56,212.5 43,390 36,915 32,037	43,800 26,698 13,301 10,656 11,331	6,006 3,688 2,349 1,730 1,624	2,619 2,153 1,805 1,472 1,290	200,067 148,801 116,931.5 99,786 85,981	$\begin{array}{c} 9\frac{1}{2} - 10\frac{1}{2} \\ 10\frac{1}{2} - 11\frac{7}{2} \\ 11\frac{1}{2} - 12\frac{1}{2} \\ 12\frac{1}{2} - 13\frac{7}{2} \\ 13\frac{1}{2} - 14\frac{1}{2} \end{array}$
15 16 17 18 19	3,110 2,254 1,916 1,707 1,377	304 261 180 157 124	399 401 349 298 303	27,006 23,214.5 20,339 17,905.5 15,760	8,506 6,229 4,706 4,452 3,914	843 734 528 390 325	1,080 1,201 987 951 758	72,126.5 61,752 53,691 47,539 41,778.5	$\begin{array}{c} 14\frac{1}{2} - 15\frac{1}{2} \\ 15\frac{1}{2} - 16\frac{1}{2} \\ 16\frac{1}{2} - 17\frac{1}{2} \\ 17\frac{1}{2} - 18\frac{1}{2} \\ 18\frac{1}{2} - 19\frac{1}{2} \end{array}$
20 21 22 23 24	1,148 950 1,019 1,541 2,140	110 95 77 61 35	270 269 274 261 218	13,963 12,442.5 11,137.5 9,775.5 7,925.5	3,114 $2,499$ $2,529$ $3,790$ $4,977$	337 261 230 184 82	758 771 837 768 605	36,775.5 32,604.5 29,089 25,516 20,825	$\begin{array}{c} 19\frac{1}{2} - 20\frac{1}{2} \\ 20\frac{1}{2} - 21\frac{1}{2} \\ 21\frac{1}{2} - 22\frac{1}{2} \\ 22\frac{1}{2} - 23\frac{1}{2} \\ 23\frac{1}{2} - 24\frac{1}{2} \end{array}$
25 26 27 28 29	1,946 1,420 930 467 189	24 28 10 6 5	155 105 54 31 10	5,538 3,411 1,867 875 371.5	4,679 4,094 2,838 1,391 453	53 85 23 9 17	490 329 161 83 15	15,175.5 9,937.5 5,460.5 2,445.5 958.5	$\begin{array}{c} 24\frac{1}{2} - 25\frac{1}{2} \\ 25\frac{1}{2} - 26\frac{1}{2} \\ 26\frac{1}{2} - 27\frac{1}{2} \\ 27\frac{1}{2} - 28\frac{1}{2} \\ 28\frac{1}{2} - 29\frac{1}{2} \end{array}$
30 31 32 33 34	154	2	8 1 1 1	169.5 7 7 6 4	432	1	31 1 5 2	480.5 16 16 15 9.5	$\begin{array}{c} 29\frac{1}{2} - 30\frac{1}{2} \\ 30\frac{1}{2} - 31\frac{1}{2} \\ 31\frac{1}{2} - 32\frac{1}{2} \\ 32\frac{1}{2} - 33\frac{1}{2} \\ 33\frac{1}{2} - 34\frac{1}{2} \end{array}$
35 36 37 38 39			1	2 2 2 2 1			2 5	7 7 7 7 5	$\begin{array}{c} 34\frac{1}{2} - 35\frac{1}{2} \\ 35\frac{1}{2} - 36\frac{1}{2} \\ 36\frac{1}{2} - 37\frac{1}{2} \\ 37\frac{1}{2} - 38\frac{1}{2} \\ 38\frac{1}{2} - 39\frac{1}{2} \end{array}$
	527,157	411,092	44,485	4,327,086.0	1,328,404	1,114,487	125,965	11,493,967.5	

Excepting the first Aggregates, the Amounts Insured are stated in Thousand Dollars in the columns \$, where I denotes \$1000, etc.

		Age	e at	t Entr	y, () Y	ear	S.				Age	e at	t Entr	у, :	2 Y	ear	s.	
of ace.	No.	of B	ENTR	ANTS, 7.	*	13,000	Ins	URED.	Exit.	of ice.	No.	of E	NTR.	ANTS, 39.	49	94,00	0 Ins	URED.	Exit.
Years of Insurance,	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at]	Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at Exit.
0 1 2 3 4	1	1 1		3.5 6 5.5 4.5 4	\$ 1	\$ 1 3	#	\$ 6.5 12 11.5 9.5 8	0 1 2 3 4	0 1 2 3 4	4 1 4 1	6 3 1 2		19.5 32 27.5 24.5 19	\$ 10 1 9 2	\$ 22 6 2 4	*	\$ 47 73 59 54 42	2 3 4 5 6
5 6 7 8 9	2			4 2 2 2 2	2			8 6 6 6	5 6 7 8 9	5 6 7 8 9	4 3 1 4	2 1	1	16 9.5 6 5 1	10 8 2 8	3	1	36.5 22.5 13 11 3	7 8 9 10 11
10 11 12	$\frac{1}{\frac{1}{5}}$	2	_	$ \begin{array}{c c} 2 \\ 1 \\ 1 \\ \hline 39.5 \end{array} $	$\begin{vmatrix} 3 \\ 3 \\ 9 \end{vmatrix}$	4		$\frac{6}{3}$ $\frac{3}{91.5}$	10 11 12	10 11 12 13				1 1 1 1	3			3 3 3	12 13 14 15
				t Enti	.1		7007				23	15	1	164.0	53	40	1	373.0	
												Age	at	Entr	y, §	3 Y	ears	s.	
0	-		NTRA	NTS, 57.) Insi	URED.			No.	of Er	NTRA	NTS, 26.	81	12,000		nID.	
0 1 2 3 4	9 4 5 3 1	1 6 3 4		28 44 37 30.5 24	18 9 11 8 2 8	2 8 5 7		54 86 73 59.5 45.5	1 2 3 4 5	0 1 2 3 4	1	1 2 5 3 1		12.5 23 19.5 14.5 12.5	2	1 13 8 3		30.5 57 48.5 97	3 4 5 6 7
6 7 8 9	2 4 2	2		17 14 8.5 8	3 10 3	3 2		32 27.5 15 14	7 8 9 10	5 6 7 8	2 1 1 3	2		11 7.5 6 5	5 3 2 7	3 5		28.5 19.5 14 12	8 9 10 11
10 11 12 13	2 1 2			6 4 3 1	4 1 5			11 7 6 1	11 12 13 14	10	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	- 15		$\frac{2}{1}$ $\frac{1}{114.5}$	$\begin{vmatrix} 3 \\ 2 \\ \hline 25 \end{vmatrix}$	37		$ \begin{array}{r} 5 \\ 2 \\ 285.5 \end{array} $	13
14 15				1 1				1	15 16			Age	at	Entr	y, 4	1 Y	ear	s.	
16 17				1 1				1 1	17 18		No.	or E	NTRA	NTS, 28.	**	56,000	Ins	URED.	
18 19				$\begin{array}{c c} 1 \\ 1 \end{array}$				1	19 20	0	1			14	$\begin{vmatrix} - \\ 2 \end{vmatrix}$			28	4 5
20 21		1		1		1		1	21 22	1 2 3	$\frac{1}{2}$	2 2 3		26 24 20.5	2 4	3 4 5		52.5 49 42.5	5 6 7
	39	18		253.5	82	28		479.0		4	~	1		16.5	*	2		35	8

				<u> </u>															
		Age	e at	Entr	y, 4	ł Y	ear	S.				Age	e at	Entr	y, "	7 Y	ear	s.	
of 1ce.	No.	ог Е	NTRA	NTS, 28.	, \$5	56,000	Ins	URED.	Exit.	of 1ce.	No.	ог Е	NTRA	ANTS, 24.	4	53,000) Ins	URED.	Exit.
Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at	Years of Insurance.	Existing.	Discon-	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at Exit.
5 6 7 8 9	1 1 1 2 3	3		16 13.5 10.5 9 7	\$ 2 3 2 5 7	\$ 5 1	46	\$ 34 29.5 23.5 21 16	9 10 11 12 13	0 1 2 3 4	1 1 1 1	1 4 1 3 3	1	11.5 20 16.5 12.5 8.5	\$ 2 2 12 1	\$ 1 7 2 5 4	1	\$ 26 46.5 40 23.5 18	7 8 9 10 11
10 11 12 13	$ \begin{array}{c c} 2 \\ 1 \\ \hline 1 \\ \hline 16 \end{array} $	12		$ \begin{array}{ c c } 4 \\ 2 \\ 1 \\ 1 \\ 165.0 \end{array} $	$\begin{array}{c c} 4\\3\\2\\36\end{array}$	20		$ \begin{array}{c} 9 \\ 5 \\ 2 \\ \hline 2 \\ 349.0 \end{array} $	14 15 16 17	5 6 7 8 9	2 1 1 1 1	1		7 5 4 3 1.5	5 3 2 1 3	2	**************************************	16 11 8 6 4	12 13 14 15 16
	110		1			<u> </u>					10	13	1	89.5	31	21	1	199.0	
		Age	e at	t Entr	y, {	5 Y	ear 	S.				Ag	e a	t Entr	у, В	8 Y	ear	.s.	
	No.	ог Е	NTRA	NTS, 18.	8-	43,000	Ins	URED.			No.	or E	NTR	ANTS, 22.	8	36,000) Ins	URED.	
0 1 2 3 4	2 1 1 1	1 2 1 1	1	$9 \\ 15.5 \\ 13 \\ 9.5 \\ 8.5$	5 2 1	2 7 2 3	5	21.5 37 30.5 20 17.5	5 6 7 8 9	0 1 2 3 4	2 2 1	1 3 3 2 1		$ \begin{array}{c c} 10.5 \\ 17.5 \\ 12.5 \\ 10 \\ 7.5 \end{array} $	$\begin{bmatrix} 2\\2\\1 \end{bmatrix}$	1 7 3 4 2		17.5 29.5 22.5 19 15	8 9 10 11 12
5 6 7 8 9	1 1 1	1		7 5 3.5 3 2	$\begin{vmatrix} 4\\2\\3\\2\end{vmatrix}$	1		14 10 7.5 7 4	10 11 12 13 14	5 6 7 8 9	1 2	1		7 6.5 6 6 5	2 4	1		14 13.5 13 13 11	13 14 15 16 17
10 11 12	$\frac{1}{11}$	6	1	$\begin{bmatrix} 1 \\ 1 \\ 1 \\ \hline 79.0 \end{bmatrix}$	$\frac{2}{23}$	15	5	$ \begin{array}{c c} 2 \\ 2 \\ 2 \\ 175.0 \end{array} $	15 16 17	10 11 12 13 14				3 3 3				7 7 7 7	18 19 20 21 22
		Age	e at	Entr	y, (3 Y	ear	s.		15		1		2.5		1		6.5	23
0	No.	of E	NTRA	9.5	2	1	Ins	19.5	6	16 17 18 19	1			$\begin{bmatrix} 2\\2\\1\\1 \end{bmatrix}$	2			$\begin{bmatrix} 6 \\ 6 \\ 4 \\ 4 \end{bmatrix}$	24 25 26 27
1 2 3 4	2	1 3 4 1		17.5 15.5 10 7.5	4 5	2 3 6 2		$\begin{vmatrix} 36 \\ 33.5 \\ 25 \\ 21 \end{vmatrix}$	7 8 9 10	20 21 22 23	1			1 1 1 1	4			4 4 4 4	28 29 30 31
5 6 7 8	2			6	5			15 15	11 12		10	12		116.0	17	19		245.5	
7 8 9	1 2 1	10		$\frac{4}{3}$ $\frac{1}{80.0}$	$\frac{3}{4}$ $\frac{3}{3}$ 26	14			13 14 15										

		A	ge	at	t Entr	y, §) Y	ear	S.				Age	at	Entry	, 1	1	Yea	rs.	
of Ge.	No	o. of	E	NTR	ANTS, 30.	*	58,000	Ins	URED.	Exit.	of ice.	No.	of E	NTR	ANTS, 78.	*1	148,00	0 In	SURED.	Exit.
Years of Insurance	Existing.	Discon-	tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at E	Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinned.		Exposed to Risk.	Age at Exit
0 1 2 3 4		. '	3 7 1		15 28.5 22.5 19 17.5	\$ 1 2 1	\$ 4 5	este.	\$ 29 56 50.5 48 45	9 10 11 12 13	0 1 2 3 4	7 2 3 3 2	4 22 8 4 5		37 56 39 30 22.5	\$ 10 3 6 6 13	\$ 8 30 13 11 9	*	* 70 115 90.5 72.5 56.5	11 12 13 14 15
5 6 7 8 9	1 1 1 3 1		1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1		15.5 14 12.5 10.5 6.5	1 2 5 5 2	1 1 3 1		42.5 41 38.5 31.5 24.5	14 15 16 17 18	5 6 7 8 9	1 1 3 2	1 2 1		17.5 15 13 10 7.5	2 3 8 4	3 5		37.5 31.5 26 18 13.5	16 17 18 19 20
10 11 12 13 14					5 4 2 1 1	1 18 1			22 21 3 2 2	19 20 21 22 23	10 11 12 13 14	1	1		6.5 6 6 6	2	4		11 9 9 9	21 22 23 24 25
15		-1-	-		1_	2		_	2	24	15 16		1		4.5		1		6.5	26 27
	15				175.5	41	17		458.5		17 18	1 1			4 3	$\frac{1}{2}$			$\frac{6}{5}$	28 29
		Αę	ge —	at	Entry	, 1	0	Y ea	rs.		19				2				3	30
0 1 2 3	5 3 4		1 3	TR	36.5 61.5 48 39	19 16 7 3	1 21 19 15	0 In	78 126.5 90.5 66.5	10 11 12 13	20 21 22 23 24				2 2 2 2				3 3 3	31 32 33 34 35
4	4	: 6	3		30.5	2	10		51	14	25 26 27	1			$\begin{bmatrix} 2 \\ 1 \\ 1 \end{bmatrix}$	$\begin{vmatrix} 2 \\ 1 \end{vmatrix}$			3 1 1	36 37 38
5 6	$\begin{vmatrix} 3 \\ 6 \end{vmatrix}$				24 19.5	6 13	1 3		43.5 35.5	15 16	21	$\frac{1}{29}$	49	-	$\frac{1}{309.5}$	$\frac{1}{63}$	85		$\frac{1}{624.5}$	90
8	2				13 11	4			21 17	17 18		1	Age	at	Entry	, 1	2	Yea	rs.	
9 10	$\begin{vmatrix} 1 \\ 1 \end{vmatrix}$				11 10	1 1			17 16	19 20		No.	of Er	TRA	NTS, 155.	\$2	296,00	0 In	SURED.	
11 12 13 14 15		6	3		8.5 8 7 6 6		1		13 11 10.5 10	21 22 23 24 25	0 1 2 3 4	16	5 23 12 12 7	1	75 121.5 100 72 56.5		7 30 30 16 15	1	$144.5 \\ 250 \\ 210 \\ 167 \\ 141.5$	12 13 14 15 16
16 17 18 19 20	2				6 4 4 4 4 4	2			10 8 8 8 8	26 27 28 29 30	5 6 7 8 9	7 14 9 2 2	4 1 1		48 38.5 23.5 14 12	6 19 29 37 3	7 3 1		125.5 114.5 93.5 64 27	17 18 19 20 21
21 22 23 24	2				4 2 2	2 6			8 8 6 6	31 32 33 34	10 11 12 13	1 1 1	1		9.5 8 7 6.5	5 2 3	1		21.5 14 12 11.5	22 23 24 25
	41	33	3		373.5	82	75		687.0		14		1		4.5		2		17	26

TABLE I.

		A	ge	at Enti	.y, :	12	Yea	ırs.				A	ge	at Entr	:y, :	14	Yea	rs.	
of 1ce.	No.	of E	NTRA	NTS, 155.	-	296,00	0 Ins	SURED.	Exit.	of ice.	No.	of Er	TRA	ANTS, 722.	\$1	,491,0	00 In	ISURED.	Exit,
Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon-	Death Claims.	Exposed to Risk.	Age at]	Years of Insurance.	Existing.	Discontinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at]
15 16 17 18 19	1	1	1	4 3 2.5 2 2	\$	\$	\$ 1	\$ 6 5 4.5 4	27 28 29 30 31	0 1 2 3 4	28 26 38 40 45	36 117 60 44 26	1 2 2 1 1	343 598.5 482 390 314	\$ 64 52 62 75 75	\$ 64 234 142 125 68		\$713.5 1,244 1,002 802.5 630	14 15 16 17 18
20 21 22	83	69	$ \begin{array}{c c} 1 \\ 1 \\ 1 \\ \hline 613.0 \end{array} $	175	118	1 3	$\begin{array}{c} 1 \\ 1 \\ 1 \\ \hline 1,430.0 \end{array}$	32 33 34	5 6 7 8 9	50 38 34 27 18	18 9 10 4 1	1 3	246 181.5 131 90 60.5	83 51 76 41 28	64 39 20 12 4	1 1	487 351.5 270 178 129	19 20 21 22 23	
		A	ge	at Enti	ry,	13	Yea	ırs.		10 11	8 4	2	2	39 28	25 3	5	1 1	95.5 67	24 25
	No.	of E	NTRA	ANTS, 235.	\$	458,00	0 In	SURED.		12 13	1 1		2	23 19	1		1	63 58	26 27
0 1 2 3 4	14 16 8 11 16	8 40 18 16 16	1 2	113.5 192 145 120 93	34 24 21 32 20	17 82 35 38 22	2 1	220.5 364 280.5 223 161	13 14 15 16 17	14 15 16 17 18	3		1	18 14 14 13 13	11		1	57 45 45 44 44	28 29 30 31 32
5 6 7 8 9	13 11 5 4 2	10 6 1 2 1	1 1 2 1	64 42 26.5 18 11.5	12 18 10 8 4	24 16 5 4 1	4 1 3 1	118 82 52.5 35 23.5	18 19 20 21 22	20 21 22 23 24	1 2 1 4 2		1	13 12 10 8 8	3 9 14		1	44 40 37 27 27	33 34 35 36 37
10 11 12 13 14	2	2	1	8 5 4 4 3	2	4	5	17 13 8 8 7	23 24 25 26 27	25 26 27 28 29	1 1			$egin{array}{c} 4 \\ 2 \\ 2 \\ 1 \\ 1 \\ 1 \end{array}$	9 1 3			13 4 4 3 3	38 39 40 41 42 43
15 16 17 18 19	1		1	3 3 2 1	3		1	7 7 4 3	28 29 30 31 32			327	20	3,079.5	-	777	19	6,531.0	40
20 21 22 23	1			1 1 1 1	3			3 3 3	33 34 35 36										
	105	120	10	865.5	192	248	18	1,653.0											

Age	at	Entr	v 1	5	Years.
1120	au	10111	Y 9 🕹	U	T Carro

Years of Insurance.	N	UMBER OF	ENTRANTS	5, 1,086.		\$2,088,000	Insured.		Age
Year	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontined.	Death Claims.	Exposed to Risk.	Exit.
0 1 2 3 4	46 44 50 46 67	58 207 88 59 35	1 4 7 4 5	514 877.5 682 551.5 454.5	\$ 112 81 82 66 99	\$ 93 386 221 155 101	\$ 2 7 6 6 16	\$ 997.5 1,688 1,296.5 1,020.5 820.5	15 16 17 18 19
5 6 7 8 9	62 54 41 32 30	$egin{array}{c} 29 \\ 26 \\ 17 \\ 1 \\ 4 \\ \end{array}$	$\begin{bmatrix} 1 \\ 2 \\ 3 \end{bmatrix}$	350.5 260 182.5 129.5 95	94 92 71 70 77	82 30 22 9 4	1 2 7	614 463 343 249.5 173	20 21 22 23 24
10 11 12 13 14	12 13 2 3 2	1 3 1 2	1 1	$62.5 \\ 47.5 \\ 32 \\ 29.5 \\ 25$	10 13 2 7 6	2 2 4 2	1	93 80 65 61 51	25 26 27 28 29
15 16 17 18 19	1 2 1 1		1	22 21 19 17 16	2 2 4 2		1	44 42 40 35 33	30 31 32 33 34
20 21 22 23 24	1 1 4 3		1	16 16 15 14 9	3 1 11 11		1	33 33 30 29 17	35 36 37 38 39
25 26 27	5 1			6 1 1	5 1			6 1 1	40 41 42
	524	531	31	4,466.5	924	1,113	51	8,359.5	

Age at Entry, 16 Years.

	N	UMBER OF I	ENTRANTS	s, 1,659.	\$3,063,000 Insured.				
0 1 2 3 4 5 6 7 8 9	118 93 95 61 83 78 75 60 44 32	100 318 139 93 66 51 23 15 7	5 7 7 5 3 2 2 1	779.5 1,277 948.5 730.5 585 440.5 323.5 227.5 155.5 107	206 189 193 112 114 125 114 87 68 74	174 524 287 237 142 110 61 26 9 5	6 12 17 11 4 1 2 2	1,444.5 2,415 1,808.5 1,336.5 1,024 780 568.5 409 302.5 227.5	16 17 18 19 20 21 22 23 24 25

				Age at Er	ntry, 16	Years.			
Years of Insurance.	N	UMBER OF	Entrant	s, 1,659.	\$3,063,000 INSURED.				
Yea	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
10 11	18	4	1	71 49.5	\$ 30 17	* 8 1	\$ 1	\$ 146 110.5	26 27
12 13 14	5 8 1	3 1	$\frac{1}{3}$	40.5 34 24.5	19 7 1	9 2	$\frac{1}{2}$	88.5 65 56	28 29 30
15 16 17 18	2 3 3 2	1		20 17.5 14 11	3 12 3 7	2	~	52 48 35 32	31 32 33 34
19 20 21	3			9 9 6	6			25 25 19	35 36 37
22 23 24	1 2		1	$\begin{bmatrix} 6 \\ 5 \\ 4 \end{bmatrix}$	5 11		1	19 18 13	38 39 40
25	2			2	2			2	41
	796	824	39	5,897.5	1,405	1,597	61	11,070.0	

Age at Entry, 17 Years.

	N	UMBER OF	ENTRANTS	8, 2,455,		\$4,692,000	INSURED.		
						1	1)
0	137	142	9	1,156.5	275	225	17	2,233.5	17
1	134	445	10	1,944.5	250	813	12	3,768.5	18
2	126	238	10	1,459	220	554	16	2,823	19
3	95	142	9	1,133	168	314	13	2,153	20
4	121	83	10	916.5	184	194	9	1,718	21
5	124	70	7	709	217	157	16	1,349.5	22
6	134	39	6	523.5	212	98	8	989	23
7	94	17	3	355.5	228	30	7	705	24
8 9	61	8	1	246	120	14	6	448	25
9	64	4	1	178	119	6	1	312	26
10	30		2	111	49		4	189	27
11	11	2	2	78	20	5	1	133.5	28
12	5	2 3		63	12	2 3		109	29
13	8	3		55.5	13	3		94.5	30
14	4		2	46	8		4	80	31
15	6		1	40	5		4	68	32
16				33		~		59	33
17	4	1		32.5	3	1		58.5	34
18	1			28	1			55	35
19	3		1	27	9		1	54	36
20	4		1	23	4		4	44	37
21	2			18	7			36	38
22				16				29	39
23	2		1	16	2		2	29	40
24	6			13	12			25	41

Age at Entry,	17 Years.
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Years of Insurance.	N	UMBER OF	ENTRANT	s, 2,455.	\$4,692,000 INSURED.				
Yea Insu	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
25 26	3			7	\$ 4 5	\$	\$	\$ 13 9	42 43
27 28	2	1		2.5	2	2		3 2	44 45
	1,182	1,197	76	9,237.0	2,149	2,418	125	17,590.0	

Age at Entry, 18 Years.

	N	UMBER OF	Entrants	s, 3,973.		\$7,466,000	Insured.		
0 1 2 3 4	288 225 181 175 178	291 832 329 232 139	9 21 21 9 7	1,841 2,969 2,142.5 1,660 1,290.5	563 386 341 263 292	466 1,413 813 463 303	14 36 42 14 16	3,500 5,716.5 4,181.5 3,160.5 2,500.5	18 19 20 21 22
5 6 7 8 9	174 198 123 111 66	113 47 30 20 1	11 5 5 1 2	979.5 714.5 473 320 197.5	322 362 279 194 129	253 107 50 32 6	14 7 14 2 6	1,914.5 1,398.5 951 617 402	23 24 25 26 27
10 11 12 13 14	39 16 3 5 9	6 4 1	2	$ \begin{array}{c} 126 \\ 80 \\ 61.5 \\ 58 \\ 52.5 \end{array} $	74 35 5 9 21	11 11 3	8	258.5 165.5 123.5 117 107	28 29 30 31 32
15 16 17 18 19	7 3 5 1 5		2 1	42 35 30 24 23	10 2 4 1 10		7 4	84 74 65 57 56	33 34 35 36 37
20 21 22 23 24	2 1 2 2 3		1	18 16 15 13 10	3 6 3 6 8		4	46 43 37 34 24	38 39 40 41 42
25 26 27 28	2 2		1 1	7 5 2 1	3 3		4 4	16 13 6 2	43 44 45 46
	1,827	2,046	100	13,206.5	3,336	3,933	197	25,670.5	

Age at	Entry,	19	Years.
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Years of Insurance.	N	UMBER OF	Entrant	8, 6,365.		\$11,576,000	Insured.		Age
Yea	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
0 1 2 3 4	387 363 294 277 273 298 285	559 1,451 526 353 191 121 80	25 39 26 13 15	2,903 4,668.5 3,278 2,518.5 1,956.5 1,512.5 1,104	\$ 713 625 521 435 419 478 498	\$ 875 2,497 1,024 825 456 256 191	\$ 37 78 65 24 34 39 18	\$ 5,350.5 8,702.5 6,239 4,728.5 3,629 2,820 2,079.5	19 20 21 22 23 24 25
7 8 9	219 146 102	48 16 8	11 2 1	735 473 313	353 304 218	91 39 18	30 4 1	1,422.5 974.5 638	26 27 28
10 11 12 13 14	48 34 10 11 6	7 5 3 1 4	2 1 1 2 1	$202.5 \\ 146.5 \\ 107.5 \\ 94.5 \\ 79$	94 65 24 26 12	24 10 7 4 5	3 2 3 1 3	398 284 208.5 176 144.5	29 30 31 32 33
15 16 17 18 19	8 7 5 4 6	1 1	3	69.5 60.5 50 45 41	14 9 5 8 5	2 5	8	126 108.5 89 84 76	34 35 36 37 38
20 21 22 23 24 25	6 5 5 6 2	1	2 1 1	33.5 25 18.5 12 6 4	8 7 4 20 4	1	5 3 5	65 50 39.5 30 10	39 40 41 42 43 44
26	$\frac{2}{2,811}$	3,377	177	20,459.0	4,875	6,334	367	38,483.0	45

Age at Entry, 20 Years.

	N	UMBER OF E	NTRANTS,	10,110.	\$19,252,000 Insured.				
0	704 562	817 2,297	38 59	4,646.5 7,402.5	1,324 1,085	1,415 4,232	58 112	8,918.5 14,339	20 21
2 3	464 438	790 589	43 31	5,238 4,041.5	800 678	1,769 1,359	64 51	10,141.5 7,713.5	22 23
4	450	368	18	3,094	721	954	45	5,828	24
5 6	420 414	191 131	26 18	2,346.5 $1,739.5$	713 697	421 291	52 33	4,374.5 $3,253.5$	25 26
8	$\frac{361}{245}$	81 27	8 7	1,201.5 778.5	671 455	141 58	$\begin{array}{c} 19 \\ 21 \end{array}$	2,307.5 1,518	27 28
9	164	22	2	502	297	39	4	993.5	29

				Age at En	itry, 20	Years.			
Years of Insurance.	N	umber of 1	ENTRANTS	, 10,110.		\$19,252,000	Insured.		Age
Year	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
10 11 12 13 14 15	77 36 25 9 16 27	11 6 6 1 2	3 5 3 3	319.5 231 184 152.5 139 122 94.5	\$ 161 66 52 12 43 45 31	\$ 22 21 12 6 4	\$ 3 13 11 3	\$ 662 476.5 381 309 289 244 197	30 31 32 33 34 35 36
17 18 19 20 21	15 2 10 6	3 1		80 63.5 59.5 49	$ \begin{array}{c c} 31 \\ 20 \\ 2 \\ 17 \\ 13 \\ 15 \end{array} $	6 1		164 141 135.5 118 103.5	37 38 39 40 41
22 23 24	5 5 10 4	$\begin{bmatrix} z \\ 1 \\ 2 \end{bmatrix}$	1	35.5 30 19	7 31 11	2	4	86.5 79 47	42 43 44
25 26 27 28 29	6 4 2 1			13 7 3 1	8 16 4 3			31 23 7 3 3	45 46 47 48 49
	4,496	5,349	265	32,636.5	7,998	10,761	493	62,887.5	

Age at Entry, 21 Years.

	Nt	UMBER OF E	NTRANTS,	14,896.	\$30,749,000 INSURED.					
0	1,058	1,094	49	6,901	2,018	2,125 $6,571$ $2,948$ $1,994$ $1,224$	62	14,312	21	
1	794	3,382	68	11,004	1,628		115	23,258.5	22	
2	672	1,183	70	7,859.5	1,428		184	16,756	23	
3	662	852	42	6,100	1,194		89	12,673	24	
4	697	495	40	4,722.5	1,170		68	9,781	25	
5	622	318	24	3,579	1,254	833	$ \begin{array}{r} 40 \\ 66 \\ 54 \\ 31 \\ 7 \end{array} $	7,514.5	26	
6	638	176	25	2,686	1,179	428		5,590	27	
7	503	133	26	1,868.5	1,086	252		4,005	28	
8	360	48	13	1,249	777	113		2,682.5	29	
9	265	21	5	841.5	546	61		1,787.5	30	
10 11 12 13 14	108 79 28 40 33	18 8 4 8 3	2 6 2 3	552 429 342 302 254.5	236 154 66 95 56	44 22 11 26 6	4 8 12 1 8	$ \begin{array}{r} 1,182 \\ 909 \\ 730.5 \\ 634 \\ 522 \end{array} $	31 32 33 34 35	
15	28	2	2	$ \begin{array}{c} 216 \\ 184 \\ 146 \\ 117.5 \\ 100.5 \end{array} $	62	4	3	453	36	
16	35	2	1		78	2	1	385	37	
17	26	2	1		41	6	4	302	38	
18	15	1	1		29	3	2	252.5	39	
19	23	1	2		62	1	5	219.5	40	

				Age at Er	ntry, 21	Years.			
Years of Insurance.	N	Number of Entrants, 14,896. \$30,749,000 Insured.							Age
Year	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed,	Death Claims.	Exposed to Risk.	Exit.
					\$	\$	\$	\$	
20	13		1	75	15		4	152	41
21	4		1	61	8		1	133	42
22	10		1	56	23		1	124	43
23	6		1	45	14		1	100	44
24	21			38	44			85	45
. 25	6			17	14			41	46
26	4	2		10	9	1		26.5	47
27	2			5	8			17	48
28	1			3	3			9	49
29	1	1		1.5	3	3		4.5	50
	6,754	7,754	388	49,766.0	13,300	16,678	771	104,641.5	

Age at Entry, 22 Years.

	N	UMBER OF I	ENTRANTS	, 19,955.		\$42,124,000	Insured.		
0 1 2 3 4	1,263 1,019 913 812 895	1,554 4,603 1,627 1,057 594	57 114 75 58 48	9,200.5 14,779.5 10,531.5 8,201.5 6,506	2,690 2,004 1,745 1,452 1,749	2,945 9,035 4,058 2,712 1,482	89 193 158 111 128	19,589.5 31,882.5 23,139 17,851 14,191	22 23 24 25 26
5 6 7 8 9	827 869 700 515 332	437 244 192 73 28	44 32 24 16 12	5,047.5 3,836 2,717 1,860.5 1,279	1,684 1,830 1,364 1,240 786	1,020 640 376 177 80	96 72 55 31 28	11,063 8,453 6,043 4,347.5 2,948	27 28 29 30 31
10 11 12 13 14	218 132 41 54 47	31 16 12 6 9	8 6 4 7	905.5 656 504 450 381.5	532 282 94 130 96	72 30 33 12 15	19 14 9 22	2,058 1,456 1,128.5 1,003 837.5	32 33 34 35 36
15 16 17 18 19	56 31 40 40 13	5 3 1 2 1	3 2 3 1	$\begin{array}{c} 327.5 \\ 264.5 \\ 228.5 \\ 185 \\ 140.5 \end{array}$	113 73 74 90 23	7 5 4 11 1	3 2 1 5 5	730.5 608.5 529 446.5 345.5	37 38 39 40 41
20 21 22 23 24	17 10 7 28 23	2 2 1 1	1	125 107 95 86.5 57.5	40 19 16 76 56	11 7 4 3	3	311.5 266 240.5 219 139.5	42 43 44 45 46
25 26 27 28 29	16 6 4 2 1		. 1	$\begin{array}{c} 33 \\ 17 \\ 10 \\ 6 \\ 4 \end{array}$	32 17 12 6 3		5	80 48 26 14 8	47 48 49 50 51
30	3			3	5			5	52
	8,934	10,501	520	68,546.0	18,333	22,740	1,051	150,008.0	

Risk Risking Diecontinued Died Exposed to Risk Risk					Age at Er	ntry, 23	Years.			
0 1,629 1,748 62 11,413 \$ 3,459 3,349 122 25,490.5 25 1 1,379 5,393 113 18,438.5 2,926 10,977 253 41,911.5 25 2 1,105 1,897 96 13,301.5 2,135 5,367 257 30,560.5 2 3 1,025 1,319 85 10,492.5 2,008 3,475 176 23,747.5 2 4 1,195 792 55 8,327 2,348 2,172 149 18,740 2 5 1,093 497 52 6,432.5 2,283 1,305 136 14,504.5 2 6 968 325 42 4,876.5 2,001 816 112 11,025 3 8 689 83 29 2,573.5 1,587 206 66 6,120 3 9 450 49 16 1,789.5 1,008 <th>s of ance.</th> <th>N</th> <th>UMBER OF I</th> <th>Entrants,</th> <th>, 24,574.</th> <th></th> <th>\$54,330,000</th> <th>Insured.</th> <th></th> <th>Age</th>	s of ance.	N	UMBER OF I	Entrants,	, 24,574.		\$54,330,000	Insured.		Age
0 1,629 1,748 62 11,413 \$ 3,459 3,349 122 25,490.5 25 1 1,379 5,393 113 18,438.5 2,926 10,977 253 41,911.5 25 2 1,105 1,897 96 13,301.5 2,135 5,367 257 30,560.5 2 3 1,025 1,319 85 10,492.5 2,008 3,475 176 23,747.5 2 4 1,195 792 55 8,327 2,348 2,172 149 18,740 2 5 1,093 497 52 6,432.5 2,283 1,305 136 14,504.5 2 6 968 325 42 4,876.5 2,001 816 112 11,025 3 8 689 83 29 2,573.5 1,587 206 66 6,120 3 9 450 49 16 1,789.5 1,008 <td>Year</td> <td>Existing.</td> <td></td> <td>Died.</td> <td>Exposed to Risk.</td> <td></td> <td></td> <td></td> <td>Exposed to Risk.</td> <td>Exit.</td>	Year	Existing.		Died.	Exposed to Risk.				Exposed to Risk.	Exit.
6 968 325 42 4,876.5 2,001 816 112 11,025 2 7 829 243 17 3,582.5 1,756 495 30 8,256.5 3 8 689 83 29 2,573.5 1,587 206 66 6,120 3 9 450 49 16 1,789.5 1,008 117 53 4,305.5 3 10 280 34 14 1,282 683 103 37 3,134.5 3 11 150 31 12 955.5 362 81 50 2,322.5 3 12 113 13 13 771.5 254 29 44 1,855.5 3 13 62 9 4 634.5 153 14 7 1,536.5 3 14 79 7 4 560.5 244 11 9 1,363.5	0 1 2 3	1,379 1,105 1,025	5,393 1,897 1,319	113 96 85	18,438.5 13,301.5 10,492.5	3,459 2,926 2,135 2,008	$ \begin{array}{r} 3,349 \\ 10,977 \\ 5,367 \\ 3,475 \end{array} $	122 253 257 176	25,490.5 41,911.5 30,560.5 23,747.5	23 24 25 26 27
11 150 31 12 955.5 362 81 50 2,322.5 3 12 113 13 13 771.5 254 29 44 1,855.5 3 13 62 9 4 634.5 153 14 7 1,536 3 14 79 7 4 560.5 244 11 9 1,363.5 3 15 55 8 2 470 122 17 3 1,096.5 3 16 54 7 405.5 144 11 957.5 3 17 48 2 7 347 91 5 35 805.5 4 18 36 3 4 289.5 59 4 8 675 4 19 33 3 246.5 78 6 5 603 4 20 34 1 3 1	6 7 8	968 829 689	325 243 83	42 17 29	4,876.5 3,582.5 2,573.5	2,001 1,756 1,587	816 495 206	112 30 66	11,025 8,256.5 6,120	28 29 30 31 32
16 54 7 405.5 144 11 957.5 3 17 48 2 7 347 91 5 35 805.5 4 18 36 3 4 289.5 59 4 8 675 4 19 33 3 246.5 78 6 5 603 4 20 34 3 209 101 7 517 4 21 14 1 3 171.5 30 5 9 406.5 4 22 21 2 4 153 32 3 16 363.5 4 23 33 1 126.5 99 4 312 4 24 33 2 93 85 7 211 4 25 28 1 58 52 5 119 4	11 12 13	150 113 62	31 13 9	12 13 4	955.5 771.5 634.5	362 254 153	81 29 14	50 44 7	2,322.5 1,855.5 1,536	33 34 35 36 37
21 14 1 3 171.5 30 5 9 406.5 4 22 21 2 4 153 32 3 16 363.5 4 23 33 1 126.5 99 4 312 4 24 33 2 93 85 7 211 4 25 28 1 58 52 5 119 4	16 17 18	54 48 36	7 2 3	7	$\begin{array}{c} 405.5 \\ 347 \\ 289.5 \end{array}$	144 91 59	11 5 4	35 8	957.5 805.5 675	38 39 40 41 42
70	21 22 23	14 21 33	2	$\frac{3}{4}$	171.5 153 126.5	30 32 99	3	9 16	406.5 363.5 312	43 44 45 46 47
27 10 28 7 29 2 21 31 31 11 2 2	26 27 28	10 10 7		1	29 19 9 2	18 31 11 2			62 44 13 2	48 49 50 51 52
11,464 12,467 643 88,059.5 24,162 28,572 1,596 201,061.0		11,464	12,467	643	88,059.5	24,162	28,572	1,596	201,061.0	
Age at Entry, 24 Years.					Age at En	try, 24	Years.			

	Nt	UMBER OF E	INTRANTS,	28,504.	\$64,563,000 Insured.				
0	1,967	1,895	57	13,304.5	4,230	3,793	103	30,385	24
1	1,546	5,871	135	21,649.5	3,321	12,504	305	50,185	25
2	1,388	2,225	119	15,920.5	3,113	6,330	296	37,142	26
3	1,225	1,400	108	12,601	2,323	3,768	225	28,684	27
4	1,344	890	74	10,123	2,502	2,456	172	23,024	28
5	1,278	599	65	7,960.5	2,645	1,608	150	18,318	29
6	1,246	369	42	6,133.5	2,686	981	103	14,228.5	30
7	1,012	308	27	4,507	2,167	580	59	10,659	31
8	856	124	15	3,252	2,111	292	44	7,997	32
9	580	63	12	2,287.5	1,325	140	33	5,626	33

Age a	at En	try, &	24	Yea	ars.
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Years of Insurance.	Nt	UMBER OF I	Entrants	, 28,504.		\$64,563,000	Insured.		Age
Yeal	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing,	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
					\$	\$	\$	\$	0.1
10	394	57	13	1,635.5	1,006	119	41	4,138.5	34
11	192	28	10	1,186	495	84	16	2,990	35
12	108	29	11	955.5	304	75	29	2,399.5	36
13	89	12	8	816	233	33	29	2,012.5	37
14	93	10	13	708	211	10	33	1,729	38
15	80	10	5	592	187	23	15	1,468.5	39
16	63	6	5	499	191	20	10	1,245	40
17	58	5	2	425.5	126	14	7	1,027	41
18	47	2	$\tilde{1}$	362	132	5	3	884.5	42
19	46	$\tilde{1}$	3	312.5	129	4	9	745	43
10	1 30			012.0	120	- X			
20	27	2	2	262	64	2	10	604	44
21	20	1	3	231.5	45	2	10	528	45
22	25	1		207.5	54	3		470.5	46
23	31	2	4	181	72	7	7	411.5	47
24	38		3	145	76		5	329	48
25	36		1	104	94		2	248	49
26	31	2		66	69	8		148	50
27	17	~	1	34	40		5	75	51
28	6		1	16	14		4	30	52
29	2		1	9	5	1	-	12	53
30	7			7	7			7	54
	13,852	13,912	740	106,494.0	29,977	32,861	1,725	247,751.0	

Age at Entry, 25 Years.

	N	UMBER OF I	Entrants.	, 32,680	\$76,582,000 INSURED.						
0	2,209	2,120	84	15,280	4,998	4,172	168	36,205	25		
1	1,840	6,496	137	25,019	4,184	14,301	338	60,093.5	26		
2	1,585	2,396	136	18,596	3,388	6,966	299	44,938	27		
3	1,513	1,606	127	14,874	3,182	4,307	276	35,614.5	28		
4	1,575	964	110	11,949	3,479	2,834	293	28,586	29		
=	1 500	000	CC	0.420	2 400	1 00%	910	99 422 E	30		
5	1,562	688	66	9,438	3,422	1,927	218	22,433.5	31		
6	1,427	427	56	7,252.5	3,066	1,209	157	17,225.5			
7	1,261	341	47	5,385.5	2,900	777	116	13,009.5	32		
8	972	149	34	3,832.5	2,240	380	88	9,415	33		
9	618	82	20	2,711	1,747	197	49	6,798.5	34		
10	443	49	18	2,007.5	1,034	124	56	4,842	35		
11	239	32	11	1,506	605	66	32	3,657	36		
12	137	28	14	1,226	348	53	33	2,960.5	37		
13	116	22	13	1,050	321	35	27	2,535.5	38		
14	116	19	8	900.5	304	45	33	2,147.5	39		
								· ·			
15	102	15	9	759.5	281	30	23	1,773	40		
16	77	7	9	637.5	189	23	24	1,442.5	41		
17	70	4	3	546	167	17	8	1,209.5	42		
18	46	4	10	469	67	14	29	1,019	43		
19	49	3	4	409.5	112	7	13	912.5	44		

Age at	Entry.	25	Years.
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Years of Insurance.	N	Number of Entrants, 32,680.			\$76,582,000 Insured.				
Yea	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed	Death Claims.	Exposed to Risk.	Exit.
20 21 22 23 24	26 31 27 44 46	1 1 1 1	2 3 3 3 1	354.5 325.5 290.5 259.5 211.5	\$ 79 77 61 142 90	\$ 5 1 8 1 4	\$ 7 5 4 1	\$ 781.5 692.5 606 536.5 388	45 46 47 48 49
25 26 27 28 29	66 47 22 15 2		4 4 1	164 94 43 20 5	72 95 58 19 4		16 17 5	295 207 95 32 13	50 51 52 53 54
30	$\frac{3}{16,286}$	15,457	937	$\frac{3}{125,619.5}$	$\frac{9}{36,740}$	37,503	2,339	9 300,473.5	55

Age at Entry, 26 Years.

	N	UMBER OF	Entrants	3, 34,138.		\$80,236,000	Insured.		
0	2,265	2,182	82	15,978	5,018	4,022	182	38,107	26
1	1,864	6,541	175	26,338.5	4,258	14,556	394	63,736	27
2	1,592	2,560	142	19,749	3,498	7,161	348	48,225.5	28
3	1,530	1,647	111	15,911.5	3,244	4,517	277	38,540.5	29
4	1,561	1,111	115	12,891.5	3,538	2,985	280	31,268.5	30
5	1,506	776	94	10,272	3,391	2,194	216	24,861	31
6	1,451	488	70	8,040	3,213	1,353	169	19.480.5	32
7	1,304	396	61	6,077	3,074	931	174	14,956.5	33
8	1,045	181	37	4,423.5	2,523	462	115	11,012	34
9	750	100	32	3,201	1,813	234	78	8,026	35
10	498	66	17	2,336	1,213	194	36	5,921	36
11	318	41	12	1,767.5	755	102	32	4,524	37
12	126	29	16	1,402.5	327	74	29	3,649	38
13	124	22	11	1,235	329	57	25	3,227.5	39
14	170	20	12	1,079	426	63	29	2,813.5	40
15	130	10	2	882	359	18	5	2,318	41
16	72	9	8	740.5	184	31	23	1,929.5	42
17	90	6	3	653	208	13	9	1,700.5	43
18	51	3	3	555.5	126	8	10	1,473	44
19	65	2	2	499	209	7	2	1,329.5	45
20	44	4	2	429	111	$\begin{bmatrix} 14 \\ 3 \\ 3 \\ 10 \\ 5 \end{bmatrix}$	4	1,108	46
21	31	2	5	380	69		17	984.5	47
22	32	2	6	342	75		17	895.5	48
23	50	2	4	302	128		4	797	49
24	65	3	4	245.5	179		12	657.5	50

30

OBSERVATIONS ON MALE LIFE.

				Age at En	ntry, 26	Years.			
Years of Insurance,	Nt	MBER OF I	ENTRANTS	, 34,138.	\$80,236,000 Insured.				
Yea	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
0.5	0.0				\$	*	\$	\$	
25	63		3	175	135		18	464	51
26	44	1	1	108.5	123	1	5	310.5	52
27	29	1	1	62.5	76	4	4	180	53
28	17		1	32	46		5	98	54
29	9			14	24			47	55

Age at Entry, 27 Years.

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39,022

2,519

38,695

5

16,901 | 16,205 | 1,032 | 136,127.5

56

23

332,664.0

	Nt	JMBER OF H	ENTRANTS,	36,221.		\$87,030,000	Insured.		
0 1 2	2,274 2,019 1,660	2,050 6,753 2,877	81 201 150	17,085.5 28,439.5 21,404.5	5,478 4,678 3,687	4,344 15,314 8,413	189 479 367	41,343 69,362 52,341.5	27 28 29
3 4	$\begin{bmatrix} 1,689 \\ 1,703 \end{bmatrix}$	$\begin{bmatrix} 1,672 \\ 1,168 \end{bmatrix}$	128 126	17,320 14,083	$3,604 \\ 3,634$	4,741 $3,360$	$\begin{array}{c} 306 \\ 307 \end{array}$	41,710.5 33,750	30 31
5 6 7 8 9	1,651 1,658 1,413 1,213 873	776 473 431 201 120	90 63 53 36 32	11,282 8,916.5 6,743.5 4,961.5 3,552	3,578 3,781 3,225 2,883 2,133	2,224 1,270 984 489 300	247 188 118 94 77	27,017 21,445 16,349 12,269.5 8,898	32 33 34 35 36
10 11 12 13 14	559 347 150 140 161	77 45 35 33 23	15 22 19 15 12	2,548.5 1,913.5 1,504.5 1,301.5 1,118.5	1,343 814 371 381 410	222 118 81 86 74	50 63 43 31 31	6,427 4,864 3,887.5 3,390 2,898	37 38 39 40 41
15 16 17 18 19	99 78 74 63 55	11 11 4 11 3	8 7 7 5 3	928.5 810.5 718 629.5 554.5	239 196 154 179 158	20 24 5 28 11	22 17 24 8 13	2,410 2,127 1,899.5 1,705 1,498.5	42 43 44 45 46
20 21 22 23 24	42 41 41 47 79	5 3 3 3 1	1 5 4 4 2	492.5 445.5 396.5 348.5 295.5	132 100 104 111 174	$17 \\ 5 \\ 6 \\ 15 \\ 4$	$\begin{array}{c} 2 \\ 10 \\ 10 \\ 11 \\ 7 \end{array}$	1,313.5 1,168.5 1,053 928.5 797	47 48 49 50 51
25 26 27 28 29	71 58 36 16 9	1	4 3 4 1	$\begin{array}{c} 213.5 \\ 138 \\ 77 \\ 37 \\ 20 \end{array}$	188 164 118 38 24	3	9 2 17 1	$612.5 \\ 414 \\ 248 \\ 113 \\ 74$	52 53 54 55 56
30	9		2	11	44		6	50	57
	18,328	16,790	1,103	148,290.5	42,123	42,158	2,749	362,364.0	

Age at	Entry,	28	Years.
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Years of Insurance,	N	UMBER OF	Entrants	, 41,636.		\$93,734,000	Insured		Age
Year	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
0	2,457	2,052	91	19,792	\$ 5,979	\$ 4,193	\$ 165	\$ 44,770.5	28
1 2	2,078	7,044	178 153	$33,514 \\ 26,277.5$	$5,178 \\ 3,940$	16,133 8,513	$\frac{415}{423}$	75,330.5 57,414.5	29 30
3	1,905 $1,696$	2,917 1,797	143	$\frac{20,277.5}{18,862.5}$	3,631	5,175	318	46,207.5	31
4	1,834	1,210	132	15,520	3,972	3,598	258	37,872	32
5	1,705	815	113	12,541.5	3,695	2,382	285	30,652	33
6 7	1,691 $1,565$	527 478	97 80	$\begin{array}{c c} 10,052.5 \\ 7,762 \end{array}$	3,701 3,759	1,458 1,281	$\begin{array}{c} 228 \\ 187 \end{array}$	24,752 19,453.5	34 35
8	1,330	210	50	5,773	3,299	557	128	14,588.5	36
9	983	129	43	4,223.5	2,392	339	114	10,713.5	37
10	685	78	31	3,094	1,670	212	69	7,932	38
11 12	$\frac{407}{223}$	$\frac{45}{37}$	$\begin{vmatrix} 19\\21 \end{vmatrix}$	2,316.5 $1,849.5$	986 565	$156 \\ 117$	42 49	6,009 $4,844.5$	39 40
13	164	30	12	1,572	459	89	34	4,127.5	41
14	182	26	14	1,368	488	65	38	3,557.5	42
15	143	15	12	1,151.5	381	$\begin{vmatrix} 33 \\ 34 \end{vmatrix}$	23 38	2,982.5 2,545	43 44
16 17	98	$\begin{array}{c} 16 \\ 7 \end{array}$	$\begin{vmatrix} 10 \\ 7 \end{vmatrix}$	$\frac{981}{861.5}$	$ \begin{array}{c} 239 \\ 219 \end{array} $	34	20	2,234	44 45
18	102	7	8	747.5	260	18	26	1,969	46
19	65	5	7	631.5	197	4	20	1,672	47
20 21	48 40	4	8 3	555 494	$ \begin{array}{c c} & 120 \\ & 84 \end{array} $	13 15	$\begin{array}{c} 26 \\ 5 \end{array}$	1,446.5 $1,286.5$	48 49
22	40	6 3	7	446.5	118	7	21	1,186.5	50
23	54	1	6	392.5	146	4	10	1,042	51 52
24	94	4	4	330	243	7	15	880.5	53
25 26	74 63	2 3	$\begin{bmatrix} 5 \\ 1 \end{bmatrix}$	$\begin{array}{c} 229 \\ 147.5 \end{array}$	167 187	$\begin{array}{c c} 12 \\ 1 \end{array}$	20 6	613 419.5	54
27	38	9	$\frac{1}{2}$	82	119		9	226	55
28 29	24		1	$\begin{array}{c} 42 \\ 17 \end{array}$	66		1	$\begin{array}{c} 98 \\ 31 \end{array}$	56 57
	11			6	18			23	58
30 31	5			$\frac{\sigma}{1}$	10			5	<i>59</i>
32				1				5	60
33				1 1				5 5	61 62
35		,		1				5	63
36				1				5	64
37				1 1				5 5	65 66
38			1	$\frac{1}{1}$			5	5	67
	22,909	17,468	1,259	171,642.0	46,286	44,450	2,998	406,925.0	
					The same of the sa	- (·10			

				Age at Er	ntry, 29	Years			
Years of Insurance.	Nı	umber of]	Entrants	, 38,787.		\$96,811,000	Insured.		Age
Year	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
0 1 2 3 4	2,483 2,119 1,829 1,557 1,821	2,017 6,783 2,959 1,842 1,228	86 181 147 124 111	18,385 30,809.5 23,638.5 19,262 16,046	\$ 6,013 5,078 4,258 3,940 4,189	3,356 15,605 8,724 5,801 3,614	\$ 217 470 388 326 306	\$ 46,727.5 79,422.5 61,710 49,801.5 40,828	29 30 31 32 33
5 6 7 8 9	1,770 1,765 1,631 1,399 1,081	884 592 476 204 135	133 79 59 53 34	13,058 10,417 8,039 6,009 4,387.5	4,154 4,321 4,005 3,398 2,574	3,082 1,848 1,151 599 343	360 241 141 121 69	32,985 26,006 19,944.5 14,923.5 10,933.5	34 35 36 37 38
10 11 12 13 14	734 448 193 158 184	88 55 40 22 36	22 16 17 13 16	3,161 2,333.5 1,822 1,581 1,381	1,779 1,133 444 398 459	239 146 103 43 86	56 35 37 35 30	7,999.5 5,972 4,679.5 4,125.5 3,628	39 40 41 42 43
15 16 17 18 19	130 94 91 78 59	12 10 12 6 6	7 9 8 6 6	1,157 1,009 895 787 697	356 229 247 188 210	33 28 23 5 18	14 47 14 9 14	3,079.5 2,679 2,377.5 2,102.5 1,894	44 45 46 47 48
20 21 22 23 24	50 44 44 71 90	9 6 5 2	7 4 5 8	$\begin{array}{c} 624.5 \\ 560 \\ 506.5 \\ 454 \\ 373.5 \end{array}$	127 111 127 163 246	$\begin{array}{c c} 14 \\ 17 \\ 17 \\ 6 \\ 4 \\ \end{array}$	21 14 28 14 13	1,654 ·1,490.5 1,348.5 1,182 1,000	49 50 51 52 53
25 26 27 28 29	109 57 58 17 15	3 1 2 1	$\begin{bmatrix} 1 \\ 2 \end{bmatrix}$	273.5 161.5 101 42 23.5	268 162 167 50 41	4 3 1 4	4 8 3	737 461.5 289.5 122 67	54 55 56 57 58
30	$\frac{8}{20,187}$	17,437	1,163	8 168,003.0	48,859	44,917	3,035	24 430,195.0	59

Age at Entry, 30 Years.

	Nt	JMBER OF E	Intrants,	42,300.	\$105,978,000 Insured.				
0 1 2 3	2,663 2,279 1,952 1,855	2,184 7,141 2,998 1,937	89 226 176 163	20,058 33,793.5 26,219 21,623.5	6,517 5,266 4,622 4,052	4,702 17,016 9,145 5,665	218 593 466 437	50,638 86,033 67,093.5 54,600.5	000000000000000000000000000000000000000
4 5 6 7	1,931 1,862	$\begin{vmatrix} 1,317 \\ 995 \\ 650 \\ 516 \end{vmatrix}$	150 92 119	17,978.5 14,547.5 11,702	4,528 4,774 4,748	4,158 2,974 1,926	398 271 293	45,200 36,708 29,213	9 9 9
8 9	$ \begin{array}{c c} 1,802 \\ 1,648 \\ 1,264 \end{array} $	516 228 155	80 45 45	9,138 $6,884$ $4,999.5$	4,358 3,834 2,896	$ \begin{array}{c c} 1,347 \\ 672 \\ 371 \end{array} $	$ \begin{array}{c c} 241 \\ 136 \\ 131 \end{array} $	$22,535.5 \\ 16,927 \\ 12,435.5$	3

Age at Entry,	30	Years.
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Years of Insurance.	N	umber of J	Entrants	, 42,300.		\$105,978,00	0 Insured.		Age
Yea	Existing.	Discontinued:	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed	Death Claims.	Exposed to Risk.	Exit.
10	005	110	9.0	0 == 4	\$	\$	\$	\$	
10	805	118	33	3,554	1,868	293	90	9,076.5	40
11	547	60	21	2,627	1,284	150	52	6,897	41
12	215	41	19	2,008.5	544	122	40	5,425	42
13	179	25	14	1,741.5	460	69	43	4,745.5	43
14	182	33	20	1,519.5	486	90	50	4,163	44
15	160	21	12	1,290.5	468	66	37	3,549	45
16	102	10	12	1,103	302	36	52	2,993	46
17	95	12	9	978	263	40	35	2,601	47
18	69	8	7	864	175	19	10	2,273.5	48
19	72	5	7	781.5	174	12	19	2,073	49
			· (1~	10		40
20	65	4	4	698	163	22	13	1,863	50
21	49	2	4	626	139	4	9	1,674	51
22	57	2	5	571	138	7	23	1,520.5	52
23	98	4	8	506	243	6	23	1,353	53
24	116	2	6	397	286	11	12	1,078.5	54
25	93	1	6	273.5	241	4	23	פאא	65
26		1	3	174	219	4		773	55
27	73 45	1	0	97.5		4	10	507	56
28	$\frac{45}{29}$	$\frac{1}{2}$	1	50	$\begin{array}{c} 152 \\ 67 \end{array}$	$\frac{4}{2}$	1	276	57 58
		2				2		120	
29	13			20	33			52	59
30	7			7	19			19	60
	22,452	18,472	1,376	186,831.0	53,319	48,933	3,726	474,416.5	

Age at Entry, 31 Years.

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				Age at Én	try, 31	Years.			
Years of Insurance.	N	umber of 1	Entrants	, 39,923.		\$100,042,000	Insured.		Age
Yea	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
					\$	\$	\$	\$	
20	66	4	4	638	199	8	14	1,713	51
21	44	2	11	565	124	4	26	1,494	52
22	42	5	10	506.5	111	9	27	1,337.5	53
23	85	4	8	450	205	11	32	1,189.5	54
24	95		9	355	230		26	947	55
25	82	1	2	250.5	201	3	10	689.5	56
26	80		2	166	214		5	477	57
27	43		3	84	122		5	258	58
28	20			38	95			131	59
29	11			18	26			36	60
30	7			7	10			10	61
	21.665	16,856	1,402	181.964.5	51,901	44,324	3,817	457,841.0	

Age at Entry, 3	12	Years	Š.
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				Age at 1m		L Otti S.			
	N	umber of 1	Entrants	, 40,089.		\$101,772,00	0 Insured.		
0	2,428	1,868	95	19,110.5	6,080	4,061	244	48,855.5	32
1	2,037	6,409	187	32,493.5	5,163	15,640	459	83,567	33
2	1,916	2,813	189	25,658.5	4,583	8,484	543	65,883	34
3	1,805	1,776	168	21,259	4,000	5,326	434	53,852	35
4	1,943	1,316	139	17,740	4,488	3,985	368	44,762.5	36
5	1,856	905	118	$14,547.5 \\ 11,826.5 \\ 9,304 \\ 7,005 \\ 5,166.5$	4,742	2,556	288	36,636	37
6	1,860	589	125		4,435	1,742	339	29,457	38
7	1,841	486	100		4,332	1,273	297	23,175.5	39
8	1,582	230	61		4,084	644	156	17,588	40
9	1,288	161	48		2,997	410	133	12,821	41
10	833	91	30	3,704.5	2,055 $1,104$ 626 456 494	224	87	9,374	42
11	504	87	23	2,752.5		159	77	7,040.5	43
12	261	38	21	2,163		115	56	5,722.5	44
13	187	24	19	1,850		72	57	4,947	45
14	197	28	16	1,618		81	36	4,357.5	46
15	145	13	14	1,384.5	389	33	37	3,770.5	47
16	105	9	16	1,214.5	262	7	44	3,324.5	48
17	90	12	18	1,083	237	43	32	2,993.5	49
18	82	10	11	964	252	31	33	2,687.5	50
19	61	9	8	861.5	159	24	27	2,375	51
20	$ \begin{array}{c c} 93 \\ 47 \\ 59 \\ 65 \\ 117 \end{array} $	3	9	786.5	313	21	36	2,166.5	52
21		6	12	680	127	11	30	1,801.5	53
22		3	10	616.5	162	8	20	1,635	54
23		1	13	545.5	130	4	39	1,447	55
24		2	3	466	310	6	6	1,273	56
25 26 27 28 29	129 99 52 25 11	$\begin{bmatrix} 1\\2\\1 \end{bmatrix}$	3 4 1	344.5 211 106.5 54 28	299 279 176 84 23	$\begin{matrix} 1 \\ 10 \\ 3 \end{matrix}$	10 14 4	$\begin{array}{c} 953.5 \\ 639 \\ 339.5 \\ 162 \\ 74 \end{array}$	57 58 59 60 61
30	17			17	51			51	62
	21,735	16,893	1,461	185,562.0	52,892	44,974	3,906	473,732.0	

at Entry, 33 Years.
at Entry, 00 Fours.

1									
Years of Insurance.	N	UMBER OF 1	Entrants	, 40,498.		\$104,474.000) Insured.		Age
Year	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontined.	Death Claims.	Exposed to Risk.	Exit.
0 1 2 3 4	2,349 2,181 1,776 1,843 2,000	1,872 6,484 2,845 1,856 1,292	108 219 218 173 161	19,313 32,927 25,862.5 21,518 17,928	\$ 6,073 5,438 4,580 4,327 4,821	\$ 4,107 15,517 8,877 5,817 3,966	\$ 232 584 604 511 502	\$ 50,183.5 86,303.5 68,084.5 55,553.5 45,824	33 34 35 36 37
5 6 7 8 9	1,866 1,958 1,920 1,676 1,282	900 577 525 232 142	132 97 95 73 53	14,671 11,934.5 9,328.5 6,935 4,999	4,652 4,900 4,549 4,057 3,117	2,815 1,824 1,252 668 385	385 264 223 197 131	37,110.5 29,754 23,052 17,320 12,539.5	38 39 40 41 42
10 11 12 13 14	756 524 240 161 187	108 63 32 30 31	51 26 19 25 15	3,539 2,646.5 2,049 1,759 1,542.5	1,793 1,262 522 433 543	261 157 84 82 91	118 102 49 75 55	8,968.5 6,848.5 5,364 4,710 4,115.5	43 44 45 46 47
15 16 17 18 19	130 86 80 109 79	9 12 10 5 4	21 13 17 7 14	1,320.5 1,159 1,049 944.5 824	359 223 171 280 216	48 49 22 6 16	69 35 39 41 30	3,448 2,971.5 2,678 2,454 2,122	48 49 50 51 52
20 21 22 23 24	57 63 41 77 117	4 4 5 2 6	$egin{array}{c} 9 \\ 7 \\ 14 \\ 10 \\ 4 \\ \end{array}$	727 657 582.5 524 433	136 151 99 180 269	11 19 21 11 11	26 30 33 43 10	1,862.5 1,685.5 1,484.5 1,336.5 1,102.5	53 54 55 56 57
25 26 27 28 29	127 83 38 34 4	1	6 5 4 2	309 175.5 86.5 44 8	286 223 126 100 13	2 4	14 13 15 2	818 517 278 135 33	58 59 60 61 62
30	4			4	20	10.730	4 490	20	63
	21,848	17,052	1,598	185,800.0	53,919	46,123	4,432	478,677.5	

Age at Entry, 34 Years.

	Nt	UMBER OF E	Intrants,	39,624.	\$102,664,000 INSURED.				
0 1 2 3 4	2,491 2,026 1,828 1,813 1,864	1,669 6,097 2,895 1,791 1,258	99 192 163 174 169	18,977.5 32,316.5 25,602.5 21,268.5 17,757	6,401 5,508 4,435 4,285 4,395	3,469 14,753 8,303 5,707 3,899	262 497 494 481 446	49,597.5 85,155.5 67,622.5 55,688.5 46,119.5	34 35 36 37 38
5 6 7 8	1,976 1,977 1,975 1,599 1,237	836 574 476 249 144	139 109 85 62 49	14,677 11,857 9,246 6,823.5 4,966	4,849 5,160 4,937 4,025 2,967	2,729 1,696 1,224 683 422	402 305 223 155 118	37,964.5 30,501 23,576 17,462.5 12,730	39 40 41 42 43

				Age at Er	ntry, 34	Years.			
Years of Insurance.	N	UMBER OF	ENTRANTS	, 39,624.		\$102,664,000	Insured.		Age
Yea	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
10 11 12 13 14 15 16 17 18	789 458 277 160 169 161 111 89 96	98 74 36 27 27 19 16 11	45 25 29 21 12 16 13 14 8	3,559 2,639 2,101 1,763.5 1,555.5 1,351.5 1,157 1,019.5 906	\$ 1,972 1,079 722 430 425 423 298 208 263	\$ 290 213 134 88 67 39 40 14 37	\$ 105 76 107 55 37 49 40 48 27	\$ 9,289 6,960.5 5,632 4,692 4,129.5 3,614.5 3,103 2,738 2,456.5	44 45 46 47 48 49 50 51 52
19 20 21 22 23 24	50 61 49 52 59 80 119	8 6 7 5	9 12 6 11 8	793.5 711 646 575.5 504.5 411	183 124 147 152 216 287	25 6 14 25 13	21 30 17 37 29	2,135.5 1,895 1,740 1,543.5 1,355.5 1,096	52 53 54 55 56 57 58
25 26 27 28 29	86 87 45 29 10	1 2	3 9 2 2	283.5 193 96 49 18	245 229 153 84 15	1 4	10 14 4 5	779.5 522 277 120 31	59 60 61 62 63 64
	21,781	16,343	1,500	183,832.5	54,633	43,895	4,136	480,543.5	

Age at Entry, 35 Years.

	N	UMBER OF H	Intrants.	39,759.	\$103,782,000 Insured.				
0	2,192	1,826	94	18,966.5	5,722	3,955	231	49,913.5	35
1	2,023	6,257	209	32,518.5	5,292	15,063	633	86,342.5	36
2	1,738	2,673	203	25,821.5	4,423	8,570	597	68,601	37
3	1,833	1,761	190	21,663.5	4,324	5,703	519	56,444.5	38
4	1,993	1,252	187	18,134	4,887	4,157	517	46,671.5	39
5	1,967	891	153	14,882.5	5,120	2,684	426	37,847	40
6	2,034	605	126	12,014.5	4,923	1,760	311	30,079	41
7	1,923	520	87	9,292	4,358	1,325	255	23,302.5	42
8	1,577	233	67	6,905.5	3,905	662	178	17,696	43
9	1,254	155	48	5,067.5	3,079	440	120	13,062	44
10	835	97	47	3,639.5	1,899	262	119	9,512	45
11	500	59	27	2,679.5	1,142	184	80	7,271	46
12	249	37	28	2,104.5	724	105	73	5,904.5	47
13	189	23	26	1,797.5	496	94	71	5,008	48
14	183	33	12	1,554.5	509	114	31	4,337	49
15	139	16	19	1,335	351	54	56	3,713	50
16	115	11	15	1,163.5	332	25	40	3,266.5	51
17	79	8	13	1,024	235	14	32	2,875	52
18	69	9	13	923.5	151	14	33	2,594	53
19	72	6	12	834	245	16	43	2,395	54

	Age at Entry, 35 Years.											
Years of Insurance.	N	UMBER OF	Entrants	, 39,759.		\$103,782,00	0 Insured.		Age			
Yea	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed	Death Claims.	Exposed to Risk.	Exit.			
					\$	\$	\$	\$				
20	54	6	17	744	146	9	51	2,094.5	55			
21	50	9	10	665.5	156	24	31	1,881	56			
22	32	5	12	598.5	70	19	31	1,672.5	57			
23	91	3	10	550.5	195	1 7	35	1,558.5	58			
24	93	1	7	447.5	213	2	20	1,324	59			
25	120	1	7	346.5	293	2	17	1,089	60			
26	101	4	4	217	423	5	15	775.5	61			
27	63		1	110	178		1	335	62			
28	28		2	46	90		1	156	63			
29	11	1		15.5	, 39	4		63	64			
30	2		2	4	7		15	22	65			
	21,609	16,502	1,648	186,066.5	53,927	45,273	4,582	487,806.5				

Age at Entry, 36 Years.

	N	UMBER OF	ENTRANTS	, 38,034.		\$102,433,00	0 Insured.		
0	2,233	1,632	103	18,201	6,295	3,859	279	49,287	36
1	1,973	5,731	231	31,200.5	5,509	14,327	1,120	84,836.5	37
2	1,734	2,564	206	24,849	4,343	8,256	656	66,916	38
3	1,757	1,675	198	20,789.5	4,279	5,440	505	55,069	39
4	1,850	1,176	174	17,409	4,348	4,151	454	45,489.5	40
5	1,885	841	148	14,376.5	4,849	2,799	496	37,212.5	41
6	1,844	575	110	11,635.5	4,985	1,745	346	29,595.5	42
7	1,845	507	97	9,140.5	4,806	1,279	206	22,752.5	43
8	1,588	260	89	6,815	4,034	792	214	16,705	44
9	1,234	146	39	4,935	2,867	345	110	11,888.5	45
10	888	78	31	3,550	1,754	204	97 115 56 54 66	8,637	46
11	556	58	36	2,563	1,315	170		6,599	47
12	206	40	18	1,922	514	84		5,042	48
13	165	29	19	1,663.5	423	99		4,380.5	49
14	188	28	17	1,451	496	68		3,820	50
15	147	11	12	1,226.5	401	49	28	3,199.5	51
16	94	11	19	1,056.5	236	24	65	2,734	52
17	65	5	14	935.5	138	16	35	2,413	53
18	78	7	8	850.5	185	30	17	2,217	54
19	64	9	12	756.5	217	18	31	1,991	55
20	44	6	7	673	109	23	32	1,722.5	56
21	51	4	11	617	135	10	27	1,565	57
22	38	4	10	551	106	10	41	1,393	58
23	62	3	9	499.5	129	9	30	1,236.5	59
24	107	1	10	426.5	156	3	27	1,071.5	60
25 26 27 28 29	109 69 56 23 13	$\begin{bmatrix} 1\\2\\1\end{bmatrix}$	12 4 4 2	308.5 186 111.5 51 26	279 198 181 89 13	3 20 3	33 5 19 6	885.5 562 347.5 146 51	61 62 63 64 65

Age at	Entry,	36	Years.
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				- C					
Years of Insurance.	N	UMBER OF 1	Entrants	, 38,034.		\$102,433,000	Insured.		Age
Yeal	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
			,		\$	\$	\$	\$	
30	11			13	35			38	66
31				2				3	67
32			1	2			1	3	68
33			_	1				2	69
34				1				2	70
35				1				2	71
36				1				$\tilde{2}$	72
37				1				2	73
38			1	1			2	$\frac{\tilde{2}}{2}$	74
						10.00.			- 7
	20,977	15,405	1,652	178,799.5	53,424	43,836	5,173	469,821.5	

Age at Entry, 37 Years.

	Nı	JMBER OF I	Entrants	, 35,363.		\$94,029,000	Insured.		
0	2,074	1,462	73	16,950.5	5,468	3,584	178	45,222.5	37
1	1,731	5,294	222	29,107	4,549	13,034	623	78,282	38
2	1,624	2,432	188	23,291	4,090	7,308	594	62,939	39
3	1,572	1,506	171	19,510	3,413	5,215	454	51,993.5	40
4	1,753	1,160	162	16,434	4,357	3,602	462	43,718	41
5	1,782	814	139	13,532	4,684	2,866	426	35,665	42
6	1,690	536	113	10,936	4,644	1,688	319	28,278	43
7	1,687	472	96	8,629	4,185	1,338	264	21,802	44
8	1,538	258	63	6,481	3,881	716	152	16,326	45
9	1,212	129	48	4,686.5	2,792	362	107	11,754	46
10	785	92	35	3,316	1,905	292	82	8,528	47
11	465	66	32	2,417	1,112	160	109	6,315	48
12	221	37	28	1,868.5	593	107	93	4,960.5	49
13	165	28	23	1,587	429	68	59	4,187	50
14	168	25	23	1,372.5	441	74	58	3,628	51
15 16 17 18 19	117 116 87 64 60	12 15 5 6 6	18 14 13 16 8	1,163 1,014.5 874.5 769 683	329 360 201 156 173	29 33 28 7 22	50 33 42 42 42 24	3,077.5 2,667.5 2,244 1,983.5 1,771	52 53 54 55 56
20	57	4	7	610	164	22	17	$1,552 \\ 1,357 \\ 1,256.5 \\ 1,117 \\ 950.5$	57
21	28	2	8	543	61	6	26		58
22	39	6	9	503	92	21	33		59
23	60	3	11	450.5	135	8	26		60
24	93	2	10	377	191	3	42		61
25 26 27 28 29	82 61 58 28 14		5 6 4 1 1	273 186 119 57 28	198 179 164 71 22		15 25 14 5 1	716 503 299 121 45	62 63 64 65 66
30	$\frac{12}{19,443}$	14,372	1,548	13 167,781.5	49,060	40,593	4,376	22 443,281.0	67

TABLE I.

OBSERVATIONS ON MALE LIFE.

				A / TO	/ - 00	V			
				Age at Er	itry, 38	rears.			
Years of Insurance.	N	umber of I	Entrants	, 34,772.	\$93,522,000 Insured.				
Year	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing,	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
0 1 2 3 4	2,110 1,746 1,650 1,545 1,816	1,427 5,169 2,301 1,608 1,120	92 224 186 176 138	16,672.5 28,558.5 22,853.5 19,063 15,978	\$ 5,262 4,751 4,304 3,879 4,492	\$ 3,130 12,952 7,316 5,226 3,724	\$ 240 591 515 468 468	\$ 45,196 78,414 62,938 51,848 43,026	38 39 40 41 42
5 6 7 8 9	1,542 1,796 1,743 1,591 1,158	747 509 432 212 143	141 125 84 64 47	13,090.5 10,779.5 8,388 6,239 4,406.5	4,422 4,860 4,499 4,062 2,829	2,400 $1,657$ $1,188$ 582 362	334 308 242 170 103	35,004 28,219.5 21,629 16,003 11,299	43 44 45 46 47
10 11 12 13 14	711 457 231 149 195	91 58 34 24 23	38 31 25 15 12	3,084.5 2,261 1,727 1,442 1,254.5	1,625 1,080 537 447 610	$\begin{array}{c} 243 \\ 174 \\ 112 \\ 60 \\ 64 \end{array}$	96 91 53 45 49	8,064.5 6,135 4,821 4,145 3,591	48 49 50 51 52
15 16 17 18 19	101 88 64 69 47	13 13 7 7 7 2	14 14 13 12 11	1,029.5 901.5 789.5 705.5 620	295 238 163 187 120	37 34 24 15 10	34 35 43 39 29	2,881.5 2,517 2,215 1,989.5 1,751	53 54 55 56 57
20 21 22 23 24	38 35 33 45 102	4 3 3 2 1	9 6 11 9 10	559 508.5 464.5 418 362.5	108 115 88 113 234	$egin{array}{c} 11 \\ 16 \\ 3 \\ 11 \\ 4 \\ \end{array}$	20 24 31 39 25	1,591.5 1,450 1,301.5 1,175.5 1,016	58 59 60 61 62
25 26 27 28 29	85 60 48 22 6	1	10 4 1 2 1	250 154.5 90 41 16.5	237 182 167 74 18	10	37 7 1 1 3	755 476 282 114 37.5	63 64 65 66 67

Age at Entry, 39 Years.

12

39,368

4,144

50,010

15

439,901.0

68

9

19,291 13,955 1,526 162,717.5

30

	Nı	umber of E	Entrants,	32,206.	\$88,592,000 Insured.				
0	1,839	1,307	79	15,449.5	4,986	2,922	258	42,835	39
1	1,636	4,705	201	26,628.5	4,765	11,866	588	74,493	40
2	1,550	2,030	195	21,424	4,133	6,324	579	60,045	41
3	1,521	1,417	190	17,955.5	3,629	4,767	518	49,787.5	42
4	1,547	1,029	172	15,021.5	4,034	3,385	510	41,564.5	43
5	1,624	753	146	12,411.5	4,488	2,360	410	34,148	44
6	1,633	493	108	10,018.5	4,605	1,596	273	27,272	45
7	1,649	412	75	7,825	4,507	1,173	302	21,009.5	46
8	1,513	197	53	5,796.5	3,772	591	139	15,318.5	47
9	1,042	130	47	4,067	2,645	384	118	10,920	48

Age at Entry,	39 Years.
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Years of Insurance.	N	umber of J	Entrants	, 32,206.		\$88,592,000	Insured.		Age
Yea	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
10	698	80	31	2,873	\$ 1,759	\$ 182	* 110	* 7,874	49
11	403	65	37	2,071.5	996	155	108	5,836.5	50
12	191	26	29	1,586	523	85	89	4,612.5	51
13	139	19	17	1,343.5	433	72	51	3,922	52
14	148	19	15	1,168.5	393	80	46	3,362	53
15	112	10	14	991	356	17	31	2,874.5	54
16	102	7	$\frac{14}{14}$	856.5	275	22	50	2,468	55
17	63	4	9	735	192	7	20	2,128.5	56
18	70	4	15	659	171	27	55	1,899.5	57
19	53	4	11	570	141	6	28	1,657	58
		-	0			10	34		59
20 21	39 32	5 3	$\frac{8}{12}$	$501.5 \\ 450.5$	93 91	10 9	46	1,480 $1,343,5$	60
22	34	2	9	404	166	5	22	1,349.5 $1,199.5$	61
23	48	2	5	359	107	5	16	1,006.5	62
24	66	~	9	305	145		30	881	63
									0.1
25	75	2	5	229	160	1	22	705.5	64
26	68		6	148	227		24	523	65
27 28	$\begin{array}{c c} 30 \\ 21 \end{array}$	1	3 3	74	123 61	3	13 11	$ \begin{array}{c c} 272 \\ 134.5 \end{array} $	66
29	21	1	3	$\begin{array}{c} 40.5 \\ 16 \end{array}$	12	3	11	61	68
1			9				12		
30	9			9	45			45	69
	17,959	12,726	1,521	151,988.0	48,033	36,054	4,505	421,679.0	

Age at Entry, 40 Years.

					1					
	N	UMBER OF I	ENTRANTS	, 33,003.			\$90,364,000	Insured.		
0	1,883	1,346	90	15,828.5		5,034	3,001	271	43,681.5	40
1	1,712	4,760	222	27,304		4,910	11,946	668	76,085	41
2	1,534	2,114	204	21,933		3,276	7,046	564	61,011	42
3	1,449	1,447	193	18,414.5		3,332	4,951	594	51,172.5	43
4	1,639	1,045	173	15,526.5		3,850	3,490	560	43,026	44
P	1 1400	MOF	101	10.004 *		F 0.440		000	, i	
5	1,758	735	121	12,824.5		5,273	2,560	330	35,591	45
6	1,950	478	109	10,339		5.219	1,534	307	27,941	46
7	1,736	386	101	7,848		4,520	1,082	289	21,107	47
8	1,387	208	55	5,714		3,808	650	170	15,432	48
9	1,043	138	45	4,099		2,702	398	135	10,930	49
10	713	85	38	2,899.5		1,811	216	132	7,786	50
11	436	53	30	2,079.5		1,103	136	86	5,667	51
12	191	25	22	1,574.5		491	72	66	4,374	52
13	120	21	12	1,338.5		390	49	44	3,756.5	53
14	160	23	26	1,184.5		486	71	83		
17	100	20	~0	1,104.0		400	(1	00	3,262.5	54
15	122	9	13	982.5		361	32	36	2,642	55
16	84	8	21	839		259	32	78	2,213	56
17	66	7	17	726.5		155	35	46	1,842.5	57
18	54	2	15	639		126	1	40	1,623.5	58
19	37	5	12	566.5		88	13	26	1,450.5	59
		-	1 170	500.0		- 00	10	~0	1,400.0	00

Age at	Entry,	40	Years.
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Years of Insurance.	N	UMBER OF	Entrants	, 33,003.	\$90,364,000 Insured.				
Yea	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	at Exit.
					\$	\$	\$	\$	
20	37	5	11	512.5	110	13	23	1,323.5	60
21	41	4	14	460	93	17	55	1,175.5	61
22	43	2	13	402	96	4	34	1,017	62
23	54	2	10	344	119	3	32	883.5	63
24	65		6	279	149		20	731	64
25	89		9	208	208		33	562	65
26	45	1	2	109.5	138	3	4	319.5	66
27	30			62	89			176	67
28	19		1	32	48	1	1	87	68
29	9			12	35			38	69
30	3			3	3			3	70
	18,509	12,909	1,585	155,085.0	48,282	37,355	4,727	426,910.5	

Age at Entry, 41 Years.

	ı				a .				1
	N	UMBER OF I	ENTRANTS	, 27,981.		\$79,495,000	Insured.		
0	1,711	1,076	84	13,452.5	4,784	2,382	257	38,556.5	41
1	1,399	3,943	202	23,138.5	4,102	10,345	577	66,899.5	42
2	1,275	1,824	178	18,654	3,111	6,085	519	54,005.5	43
3	1,366	1,251	159	15,663.5	3,262	4,196	417	45,235	44
4	1,386	872	133	13,077	3,561	3,106	369	37,905	45
5	1,494	631	123	10,806.5	4,454	2,164	355	31,340	46
6	1,519	434	101	8,657	4,552	1,769	356	24,564.5	47
7	1,412	360	76	6,640	3,937	1,012	216	18,266	48
8	1,298	171	68	4,886.5	3,599	508	162	13,353	49
9	827	98	39	3,386	2,139	306	96	9,185	50
10 11 12 13 14	$\begin{array}{c} 602 \\ 369 \\ 179 \\ 122 \\ 132 \end{array}$	68 32 23 19 17	27 23 18 10 14	2,437 $1,758$ $1,338.5$ $1,120.5$ 970.5	1,594 937 490 373 427	222 83 86 64 72	60 62 74 23 36	6,686 4,879.5 3,796 3,157 2,693	51 52 53 54 55
15	92	$egin{array}{cccc} 12. & 6 & \\ 5 & 6 & \\ 4 & \end{array}$	11	810	261	48	32	2,170	56
16	64		13	698	182	33	48	1,836.5	57
17	38		9	615.5	106	22	24	1,579	58
18	50		9	563	152	19	22	1,428.5	59
19	47		13	499	130	. 4	25	1,243	60
20	31	2	10	436	68	4	27	1,084 986 908 786.5 676.5	61
21	19	3	9	392.5	56	2	19		62
22	39	1	12	362.5	87	4	30		63
23	35	2	9	310	79	5	27		64
24	71	1	10	264.5	108	3	35		65
25 26 27 28 29	63 37 34 17 7	1	$\begin{bmatrix} 6 \\ 4 \\ 3 \\ 1 \\ 1 \end{bmatrix}$	183 113.5 72 35 17	152 100 113 70 22	3	23 17 7 4 1	532 355.5 237 117 43	66 67 68 69 70

A 000	o.t	Enter	4.1	Years.
Age	att	EHULY.	41	Lears.

Years of Insurance.	Nı	JMBER OF I	Entrants	, 27,981.	\$79,495,000 INSURED.				
Year	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
30 31 32 33 34	6	2	1	9 2 2 2 2	\$ 18	\$	\$ 1	\$ 20 1 1 1 1 .5	71 72 73 74 75
	15,741	10,864	1,376	131,373.5	43,026	32,548	3,921	374,527.5	

Age at Entry, 42 Years.

	Nı	UMBER OF I	Entrants	, 26,450.		\$76,522,000	0 Insured.		
0	1,538	965	92	12,742.5	4,399	2,396	263	37,063	42
1	1,295	3,703	191	22,003.5	3,950	9,795	511	64,566.5	43
2	1,265	1,712	173	17,810	3,388	5,643	510	52,386.5	44
3	1,217	1,141	122	14,945.5	3,123	4,110	339	43,612	45
4	1,372	823	141	12,624.5	3,637	3,009	462	36,590.5	46
5	1,310	608	137	10,396	3,910	2,133	389	29,920.5	47
6	1,413	389	89	8,450.5	4,058	1,398	279	23,856	48
7	1,452	345	58	6,581.5	4,150	1,030	167	18,305	49
8	1,205	176	70	4,811	3,391	506	195	13,220	50
9	,929	90	59	3,403	2,405	293	147	9,234.5	51
10	553	71	26	2,334.5	1,394	205	59	6,433.5	52
11	350	47	25	1,696.5	903	168	59	4,794	53
12	156	25	20	1,285.5	465	58	52	3,719	54
13	120	20	15	1,087	352	62	47	3,142	55
14	113	14	13	935	285	43	40	2,690.5	56
15	63	8	12	798	177	18	43	2,335	57
16	57	5	12	716.5	175	26	36	2,093	58
17	55	8	11	641	155	27	44	1,855.5	59
18	49	2	10	570	148	3	46	1,641.5	60
19	39	3	9	508.5	121	8	20	1,442	61
20	18	4	12	457	53	20	31	1,287	62
21	25	4	14	423	83	19	27	1,183.5	63
22	29	3	10	380.5	51	13	36	1,057.5	64
23	57	2	15	339	159	4	58	962	65
24	81	3	13	264.5	226	5	46	740.5	66
25 26 27 28 29	68 44 29 11 4	2	5 3 2 1	169 96 48 16 4	189 102 101 27 4	2	11 15 10 5	466 266 148 36 4	67 68 69 70 71
	14,917	10,173	1,360	126,537.5	41,581	30,994	3,947	365,051.0	

Age at Entry, 43	Years	
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Years of Insurance,	Nı	UMBER OF I	Entrants	, 24,402.		\$69,852,000	Insured.		Age
Yea	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
0 1 2 3 4	1,384 1,340 1,244 1,205 1,244	937 3,382 1,529 1,030 723	90 187 172 166 146	11,732.5 20,300 16,317.5 13,622 11,374.5	\$ 3,928 3,731 3,234 3,171 3,378	\$ 2,170 8,782 5,404 3,511 2,691	\$ 235 548 497 503 424	\$ 33,841 59,128 47,756 39,567.5 32,792.5	43 44 45 46 47
5 6 7 8 9	1,266 1,259 1,329 1,012 806	518 392 281 152 88	136 85 92 60 49	9,364 7,507 5,826.5 4,189 2,997	3,589 3,444 3,629 2,835 2,157	1,880 1,304 858 523 264	434 293 289 155 107	26,705 21,090 16,272 11,663.5 8,280	48 49 50 51 52
10 11 12 13 14	466 359 134 105 108	49 32 26 14 8	$ \begin{array}{c} 32 \\ 23 \\ 19 \\ 15 \\ 16 \end{array} $	2,073.5 1,535 1,124 951 820	1,196 976 385 333 352	170 125 68 58 38	91 77 43 48 48	5,799 4,364.5 3,215 2,724 2,295	53 54 55 56 57
15 16 17 18 19	85 43 41 40 23	6 7 6 5 3	13 10 8 7 15	689 584.5 525 470.5 419.5	225 121 128 115 49	12 30 15 16 8	39 22 27 20 43	1,870 1,585 1,419.5 1,249 1,102	58 59 60 61 62
20 21 22 23 24	24 23 30 50 62	$\begin{matrix} 6 \\ 3 \end{matrix}$	8 15 8 13 8	377 340.5 301 262.5 198.5	74 48 73 138 149	15 8 3 1	22 48 35 35 26	998.5 891 791 681.5 506.5	63 64 65 66 67
25 26 27 28 29	31 33 24 13	2 1 2 1	5 3 2 3 1	127 89.5 53 26 8.5	77 85 69 40 6	4 6 1 3	17 8 3 9 1	$ \begin{array}{r} 329 \\ 230 \\ 134 \\ 61.5 \\ 10.5 \end{array} $	68 69 70 71 72
30	5	0.005	7 400	5	2	9N 090	4 1 4 8	2	73
	13,790	9,205	1,407	114,210.5	37,737	27,968	4,147	327,354.0	

Age at Entry, 44 Years.

	N	UMBER OF H	Intrants,	22,431.	\$64,953,000 Insured.				
0 1	1,374 1,076	830 3,072	73 163	10,800.5 18,618	3,956	1,911 7,802	187 432	31,521 54,998	44 45
2 3 4	1,083 $1,135$ $1,202$	$\begin{bmatrix} 1,477 \\ 987 \\ 679 \end{bmatrix}$	186 150 119	$ \begin{array}{c} 15,104.5 \\ 12,603.5 \\ 10,485.5 \end{array} $	2,921 2,793 3,155	4,943 3,582 2,531	563 445 404	45,194.5 37,448 31,153.5	46 47 48
5 6 7	1,124 1,256 1,097	535 354 284	103 102 72	8,557.5 6,886 5,209	3,291 3,822 3,409	1,676 1,250 811	305 294 207	25,491 20,432 15,285.5	49 50 51
8 9	933	132 78	59 47	3,832 2,735	2,765 1,887	415 271	186 130	$ \begin{array}{c} 13,283.5\\ 11,056.5\\ 7,762.5 \end{array} $	52 53

Age at	Entry,	44	Years.
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Years of Insurance.	Nu	MBER OF I	Entrants.	, 22,431.		\$64,953,000	Insured.		Age
ears		Discon-	1	Exposed to	Amounts	Amounts	Death	Exposed to	at
In	Existing.	tinued.	Died.	Risk.	Existing,	Discontin'ed.	Claims.	Risk.	Exit.
					\$	\$	\$	\$	
10	447	56	33	1,930	1,198	179	90	5,520.5	54
11	266	34	28	1,405	686	93	88	4,096.5	55
12	141	28	17	1,080	438	73	52	3,239.5	56
13	106	10	16	903	320	35	58	2,695.5	57
14	101	8	17	772	292	19	46	2,290.5	58
15	77	4	13	648	218	32	43	1,927	59
16	51	7	20	552.5	153	19	56	1,640.5	60
17	33	4	13	476	93	4	54	1,420	61
18	28	4	13	426	76	8	33	1,267	62
19	30	$\frac{1}{2}$	10	382	84	24	30	1,142	63
20	20	2	9	340	55	7	49	1,012.5	64
21	26	1	14	309.5	91	3	51	903.5	65
22	15		13	269	37		92	760	66
23	61	3	16	239.5	159	7	42	627.5	67
24	50		11	161	117		25	423	68
25	38		5	100	98		19	281	69
26	25	1	2	56.5	58	3	10	162.5	70
27	19			29	64			93	71
28	7			10	16			29	72
29	1			3	3			13	73
30	2			2	10			10	74
	12,515	8,592	1,324	104,925.5	35,264	25,698	3,991	309,896.5	

Age at Entry, 45 Years.

	Nt	IMBER OF H	ENTRANTS	21,980.	\$63,491,000 INSURED.				
0	1,241	859	69	10,560.5	3,441	1,947	222	30,772	45
1	1,137	3,043	180	18,289.5	3,319	8,169	537	53,796.5	46
2	1,076	1,361	170	14,770.5	2,724	4,349	455	43,681.5	47
3	1,055	906	158	12,391	3,034	3,277	450	36,689.5	48
4	1,217	657	131	10,396.5	3,136	2,223	418	30,455.5	49
5	1,135	482	96	8,479	3,329	1,624	286	24,978	50
6	1,193	339	104	6,837.5	3,635	1,145	279	19,978.5	51
7	1,101	274	79	5,234	3,312	897	246	15,043.5	52
8	949	113	55	3,860.5	2,732	406	169	10,834	53
9	745	95	42	2,752.5	2,054	330	91	7,565	54
10	490	56	30	1,890	1,266	176	73	5,167	55
11	289	38	16	1,323	773	104	37	3,688	56
12	112	17	13	990.5	336	44	43	2,804	57
13	90	6	20	854	250	35	52	2,385.5	58
14	81	14	23	734	252	35	59	2,048.5	59
15	58	6	20	620	164	14	46	1,713	60
16	38	6	11	536	120	17	38	1,487.5	61
17	45	3	10	482.5	99	10	30	1,316	62
18	44	5	12	423.5	120	6	34	1,179	63
19	15	4	7	363	39	11	13	1,016.5	64

Age a	at En	try, 4	5 Y	ears.
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1									
Years of Insurance.	N	UMBER OF	Entrants	, 21,980.	\$63,491,000 Insured.				
Year	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed	Death Claims.	Exposed to Risk.	at Exit.
					\$	\$		8	
20	19	3	11	337.5	68	4	23	957	65
21	22	4	14	304	54	11	35	858.5	66
22	31	1	11	265.5	68	8	38	760	67
23	32	$\frac{1}{2}$	6	222	86	6	50	647	68
24	52		13	183	146		32	508	69
25	42	;	8	118	104		15	330	70
26	21		2	68	75		13	211	71
27	25		2	45	71		4	123	72
28	11	1	1	17.5	33	3	3	46.5	73
29	2			5	6			9	74
30	3			3	3			3	75
	12,371	8,295	1,314	103,356.5	34,849	24,851	3,791	301.052.0	

Age at Entry, 46 Years.

	N	UMBER OF	Entrants	, 19,350,		\$57,757,00	0 Insured.		
0	1,135	711	67	9,319.5	$ \begin{array}{r} 3,449 \\ 3,146 \\ 2,507 \\ 2,607 \\ 2,825 \end{array} $	1,638	155	28,059.5	46
1	959	2,613	156	16,130.5		6,791	481	49,119.5	47
2	900	1,221	137	13,098.5		4,299	486	39,947.5	48
3	937	816	122	11,043		2,843	421	33,383.5	49
4	1,002	573	126	9,289.5		2,202	385	27,833	50
5	1,053	417	107	7,666.5	3,102	1,554	327	22,745	51
6	1,093	282	89	6,157	3,301	1,082	256	17,998	52
7	1,002	259	78	4,704.5	3,054	807	247	13,496.5	53
8	891	125	54	3,432.5	2,547	432	141	9,576	54
9	711	76	41	2,387	1,837	245	108	6,549.5	55
10	408	51	26	1,571.5	1,106	134	79	4,415	56
11	262	24	11	1,100	638	59	37	3,133.5	57
12	123	18	16	806	352	49	70	2,404.5	58
13	67	10	11	653	210	60	63	1,928	59
14	69	8	17	566	236	22	45	1,614	60
15	62	2	5	475	187	$\begin{array}{c} 6 \\ 21 \\ 10 \\ 4 \\ 6 \end{array}$	22	1,319	61
16	28	5	6	404.5	73		30	1,096.5	62
17	43	2	11	367	128		12	978	63
18	15	1	15	311.5	62		40	831	64
19	19	3	11	279.5	41		22	724	65
20 21 22 23 24	20 14 30 27 30	$\begin{bmatrix} 1\\3\\1\\2\\2 \end{bmatrix}$	12 8 9 6 3	247.5 213.5 189.5 149 114	46 50 75 57 68	$\begin{array}{c} 8 \\ 10 \\ 3 \\ 11 \\ 4 \end{array}$	35 24 31 15 8	654 564 483.5 370.5 291	66 67 68 69 70
25 26 27 28 29	26 20 16 4 2		5 3 2 1	80 49 26 8 3	58 61 27 21 10		21 7 2 3	213 134 66 37 13	71 72 73 74 75
30	$\begin{array}{ c c c c }\hline 1\\ \hline 10,969\\ \hline \end{array}$	7,226	1,155	90,843.0	31,884	22,300	3,573	$\frac{3}{269,980.5}$	76

Age at	Entry,	47 Years.
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Years of Insurance.	N	UMBER OF	Entrants	s, 16,859.		\$51,924,000) Insured.		Age
Year	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
0 1 2 3 4	955 788 781 853 863	634 2,246 1,082 703 479	61 173 133 96 120	8,112.5 14,086 11,461 9,654.5 8,114.5	\$ 2,704 2,394 2,185 2,231 2,450	\$ 1,528 6,252 3,860 2,608 1,903	\$ 178 546 369 317 358	\$ 25,198 44,388 36,392 30,604 25,800.5	47 48 49 50 51
5 6 7 8 9	953 1,019 938 765 572	368 252 206 118 64	66 77 65 53 43	6,708 5,379 4,054 2,889 1,980	2,829 3,137 2,936 3,341 1,528	1,409 950 644 391 160	214 210 210 150 94	21,336.5 17,114 12,970 9,306.5 5,540	52 53 54 55 56
10 11 12 13 14	341 187 107 56 45	35 27 9 8 8	22 14 17 7 10	1,315.5 921.5 702.5 570 499	937 454 275 168 119	$ \begin{array}{c} 102 \\ 60 \\ 53 \\ 25 \\ 21 \end{array} $	87 39 54 18 32	3,787 2,682 2,132.5 1,764.5 1,555.5	57 58 59 60 61
15 16 17 18 19	41 37 23 32 18	1 3 3 3 2	8 13 11 8 12	439.5 388.5 335.5 298.5 256	136 113 47 123 116	$\begin{array}{c} 2 \\ 10 \\ 17 \\ 7 \\ 4 \end{array}$	17 55 20 119 35	1,393 1,234 052.5 973.5 726	62 63 64 65 66
20 21 22 23 24	13 14 13 20 31	2 1 1 2	7 9 7 6 6	224 202.5 178.5 157 130	25 48 37 53 73	8 3 4 4	23 20 15 17 14	569 515.5 444 388 316	67 68 69 70 71
25 26 27 28 29	27 28 18 2 2	1	4 2 4 2 1	92.5 61 31 9 5	69 66 43 7 2	3	17 3 7 7	227.5 140 71 21 7	72 73 74 75 76
30	2			2	4			4	77
	9,544	6,258	1,057	79,257.5	28,650	20,028	3,246	248,653.0	

Age at Entry, 48 Years.

	Nt	UMBER OF I	ENTRANTS	, 15,825.	\$47,985,000 INSURED.				
0	905	582	72	7,621.5	$\begin{array}{c c} 2,555 \\ 2,466 \\ 2,426 \\ 1,888 \\ 2,342 \end{array}$	1,775	175	23,105	48
1	785	1,986	152	13,273		5,366	535	40,797	49
2	810	987	121	10,849.5		3,274	358	33,476	50
3	758	720	112	9,065		2,844	362	27,633	51
4	849	431	108	7,619.5		1,729	373	23,096.5	52
5	838	381	95	6,256.5	2,634	1,499	313	18,767.5	53
6	920	251	80	5,007.5	2,795	879	202	14,631.5	54
7	854	163	48	3,800.5	2,576	540	154	10,925	55
8	801	93	58	2,770.5	2,412	297	203	7,776.5	56
9	540	49	31	1,840.5	1,442	149	80	4,938.5	57

Correction of an error found in the "System and Tables of Life Insurance."

By LEVI W. MEECH.

SINCE the publication in The Spectator, page 57 (July 31), of the error in the 3½ Per Cent. Tables, so thoroughly examined by Prof. Kendall, this error has been traced to a clerk copying 0 in the antique form, employed by some writers, which was afterwards mistaken for 8. Fortunately the unusual rate of 3½ per cent, is alone affected by it, and only a portion of its tabular values. The D, C. M. R commutation columns and their tabular logarithms are all right, except at the age of 59, where D itself, after the verified computation, was copied as 8,803.10, instead of the true value 8,003.10, as before described.

In the "System and Tables" this erratum is easily rectified in D; and for all the other columns or portions of them, full correction is made in the columnar figures here subjoined. For desirable accuracy these can be cut in strips to be attached over the book figures indicated. To facilitate this object, extra copies have been printed separately. Although the greatest care was used in all the reductions and results of the Thirty Offices' Experience, continued for six years, to insure the highest precision, yet the fundamental Insurance Tables are the most important. Accordingly a reward of \$10 in a copy of the "System and Tables" is offered for the discovery of any further error in this class, to be communicated to the actuary in charge for publication. The present offer is limited to six years, and to the Standard Tables 26 to 42, with terminal figures as commonly computed. The table of Anti-logarithms is also included.

AGE.	Table 28. 3½ per ct.	Table 29. 3½ per ct.	Table 32. 3½ per ct.	Table 34. N. Hundreds.	Table 34.	Table 34. λ N.	Table 34. λ S.
10	5005	500	32	1 1	058,3	4523	2179
10	$\frac{5905}{4920}$	$\frac{500}{440}$	53	$ \begin{array}{c} 1,4 \\ 0,5 \end{array} $	456,9	4860	9187
2	3897	470	75	$\frac{0,5}{2,5}$	926,3	5108	
3	2835	598	99	7,2	463,7	5265	2652
4	1734	827	23	4,5	066.5	5324	
T	1101	0~1	~0	τ,υ	000.0	00%1	0000
15	0594	158	49	4,3	732,0	5283	5335
-6	9411	601	75	6,5		5135	1365
7	8183	166	03	1,1	241,1	4876	7178
8	6912	852	33	7.9	080,0	4501	2764
9	5595	668	64	6,8	18,972,1	4002	8116
20	4230	625	96	7.8	915,2	3376	3224
1	2817	724	31	0.7	907.4	2616	8079
2	1355	974	66	5,6		1714	2672
3	19.9841	388	50.04	2,2	031,1	0664	6991
4	8274	972	44	0,7	158,8	9458	1027
		1					
25	6655	733	85	0,8	328,0	8089	4768
- 6	4980	689	29	2,5	537,2	6548	8202
7	3250	842	75	5.8	784,6	4826	1318
8	1462	206	23	0.6	068,8	2915	4101
9	9616	797	74	6.8	388,1	0805	6540
30	7713	621	27	4.4	741,3	8484	8618
1	5747	699	84	3,3	126,8	5943	0323
2	3721	8042	43	3.5	543,5	3170	1637
;}	1632	3670	55.06	4,9	7,989,9	0152	2544
4	9481	9593	72	7,5	464,9	6877	3028
35	7266	5836	41	1,3	967,3	3330	3068
6	4989	2407	15	$\hat{6}, \hat{1}$		5,649496	2648
7	2646	9342	92	2,0	049,8	5361	1746
8	0237	6661	74	8,9	627,8		0340
9	7765	4378	61	6,8	228.8		8409
40	5227	2526	52	5,6	852,0	0972	5927
1	2625	1126	.49	5,3		5452	2871
2	15.9957	5.0220	52	5,8	61,1	5.499536	19213
3	7227	5,9825	60	7.3	45,2	73200	84925
4	4432	6.9989	75	279.5	47,9	46421	49978
45	1576	8.0738	97	2,5	68,4	19172	14339
6	8659			6,2	05,9	91426	
7	5682	0.4173	64	0,7	59,6		
8	2647	1.6942		5,9			
9	3.9556	3.0482	1.66	1, 7	12,9	04894	64164
50	3.6411	4.4845	3.31	8,2	11,1		
1	3.3216	6.0085	5.07	5,4			
2	2.9971	7.6268	6.94			12679	
3	2.6682	9.3463		1,5	84,2		6.199820
4	2.3350	1.1744	1.07	0,4	32,7	47491	56158
55	1.9978	3.1199	3,35		2,2	13637	
6	1.6573	5.1894					
~	1.3137	7.3939	8.39				
8	0.9677	9.7418		01,4	2,0		69420
9	0.6195	2.2457	4.17	92,9	0,5	68446	19359

Age a	t Entry,	48	Years.
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Years of Insurance.	N	UMBER OF]	Entrants	, 15,825.		\$47,985,000	Insured.		Age
Year	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
10	278	31	22	1,229.5	\$ 646	\$ 115	\$ 68	\$ 3,284.5	58
11	227	19	13	904.5	575	68	40	2,479	59
12	83	13	16	648.5	208	37	56	1,811.5	60
13	60	10	10	538	157	31	27	1,513.5	61
14	62	9	8	458.5	173	23	31	1,302.5	62
15	50	3	11	382.5	184	8	40	1,083	63
16	22	3	8	318.5	62	11	23	849.5	64
17	19		8	287	63		19	759	65
18	23	3	9	258.5	65	4	20	675	66
19	18	3	11	223.5	48	5	31	585.5	67
20	9	3	11	191.5	27	8	33	500	68
21	11	1	8	169.5	33	5	18	433.5	69
22	17	1	7	149.5	47	3	23	378.5	70
23	26	1	5	124.5	51	2	8 35	$\frac{306}{246}$	71 72
24	37		11	93	81				175
25	13		3	45	28	1	9	130	73
26	10		4	29	29		11	93	74
27	6			15	14			53	75
28	4			9 5	21 11			39 18	76 77
29	2								
30	2			3	2			7	78
31				. 1				5	79
32 33			1	1			5	5 5	80 81
90		W 4146			20.001	10 0190			0.1
	9,039	5,743	1,043	74,190.0	26,061	18,672	3,252	221,708.5	

Age at Entry, 49 Years.

	No	UMBER OF H	Intrants	, 13,873.	\$43,119,000 Insured.				
0 1	795 686	456 1,776	57 128	6,708.5 11,677	2,405 2,155 2,071	1,090 4,937 2,887	181 356 383	21,014.5 36,974.5 30,551.5	49 50 51
2 3 4	680 725 758	841 614 394	125 118 90	$9,554.5 \\ 8,022 \\ 6,675$	1,973 1,907	2,204 1,594	383 277	25,552 21,297	53 53
5 6 7 8	854 826 774 588	291 219 148 82	96 86 63 38	5,484.5 4,279.5 3,184 2,232	2,594 2,545 2,350 1,874	1,993 851 481 296	289 295 173 120	17,319.5 $13,014.5$ $9,508.5$ $6,597$	54 55 56 57
9 10 11	261 146	54 30 18	38 32 17	1,538 1,047 730	1,163 715 419	150 72 53	120 81 54	4,380 2,986 2,127.5	58 59 60
12 13 14	71 45 51	7 8 4	10 10 10	554.5 466 405	206 134 166	35 29 9	$ \begin{array}{c c} 36 \\ 26 \\ 25 \end{array} $	1,610.5 1,336.5 1,157.5	61 62 63

Age	at	Entry,	49	Years.
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Years of Insurance,	N	UMBER OF	Entrants	, 13,873.		\$43,119,000	Insured.		Age
Yea	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims	Exposed to Risk.	Exit.
1		1			\$	\$	\$	\$	
15	39	2	11	341	107	10	39	957	64 65
16	32		18	290	114		55	806	65
17	10	1	16	239.5	30	1	40	636.5	66
18	21	2	6	212	67	3	15	564.5	67
19	10	2	11	183	25	3	22	479.5	68
20	17	1	9	160.5	53	11	17	425.5	69
21	9	1	8	133.5	18	1	$\frac{1}{34}$	349.5	70
22	14		12	116	30		28	297	71
23	9		6	90	19		12	239	72
24	17		6	75	43		28	208	73
25	15	2	4	51	28	1	9	136.5	74
26	13		3	31	50		6	99	75
27	4		1	15	10		4	43	76
28	5			10	14		-	29	77
29	2			5	4			15	78
30	1	1	1	2.5	3	3	5	9.5	79
	7,889	4,954	1,030	64,512.5	23,292	16,714	3,113	200,721.5	

Age at Entry, 50 Years.

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	Nt	UMBER OF H	ENTRANTS	, 13,650.		\$41,776,000	Insured.		
0	857	491	85	6,579.5	2,445	1,110	280	20,333	50
1	667	1,796	163	11,319	1,949	4,860	581	35,511	51
2	652	836	147	9,173	1,893	3,108	487	28,997	52
3	673	575	132	7,668.5	1,875	1,986	467	24,070	53
4	831	382	104	6,385	2,266	1,447	340	20,011.5	54
5	823	252	93	5,133	2,707	$ \begin{array}{r} 1,032 \\ 615 \\ 558 \\ 254 \\ 100 \end{array} $	298	16,166	55
6	768	177	62	4,002.5	2,393		209	12,337.5	56
7	784	150	72	3,009	2,541		287	9,149	57
8	575	66	44	2,045	1,725		131	5,915	58
9	364	36	29	1,375	1,020		86	3,882	59
10	236	38	26	$945 \\ 657 \\ 510.5 \\ 425 \\ 355$	603	188	59	2,632	60
11	120	14	17		320	43	54	1,854.5	61
12	63	5	16		142	29	57	1,444.5	62
13	52	8	11		176	19	19	1,221.5	63
14	53	6	9		153	23	25	1,005.5	64
15	34	4	$ \begin{array}{c} 12 \\ 6 \\ 6 \\ 10 \\ 4 \end{array} $	288	119	12	28	810	65
16	19	3		238.5	56	16	11	649	66
17	18	2		211	53	5	22	571.5	67
18	15	1		185.5	33	1	55	493.5	68
19	11	1		159.5	26	4	13	403	69
20 21 22 23 24	16 6 13 10 19	1 1 1	10 3 7 3 5	$\begin{array}{c} 143.5 \\ 116.5 \\ 106.5 \\ 86 \\ 73 \end{array}$	49 17 30 21 42	6 3 1	27 7 19 8 8	359 278.5 252.5 203 174	70 71 72 73 74

Age	at	Entry,	50	Years.
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Years of Insurance.	Nı	umber of 1	Entrants	, 13,650.	\$41,776,000 INSURED.				
Yea	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
					\$	\$	\$	\$	
25	17		4	49	46		10	124	75
26	7	2	3	27	15	2	7	67	76
27	8		1	16	18		1	44	77
28	3		1	7	8		2	25	78
29		9		3				15	79
30	3			3	15			15	80
	7,717	4,848	1,085	61,295.0	22,756	15,422	3,598	189,014.0	

Age at Entry, 51 Years.

	Nı	UMBER OF]	Entrants	, 10,458.		\$32,807,000	Insured.		
0 1 2 3 4	619 546 556 513 626	406 1,381 607 423 317	56 135 95 90 83	5,026 8,686.5 7,011.5 5,845.5 4,872.5	1,703 1,565 1,642 1,510 1,847	1,067 3,899 2,373 1,641 1,266	177 445 362 359 285	15,870 27,910.5 22,764.5 18,753.5 15,431	51 52 53 54 55
5 6 7 8 9	607 591 557 398 254	225 155 127 44 31	83 61 41 49 29	3,892.5 3,012.5 2,219.5 1,536 1,051.5	2,035 1,924 1,683 1,149 837	918 554 426 140 159	260 215 132 141 95	12,207 9,176 6,547 4,449 3,009.5	56 57 58 59 60
10 11 12 13 14	171 91 58 35 47	12 9 5 5 3	25 22 7 11 6	747 540.5 420.5 350.5 300.5	422 234 162 126 134	33 31 18 18	55 63 12 29 16	1,981.5 1,472.5 1,151 959 792	61 62 63 64 65
15 16 17 18 19	31 26 22 17 7	1 1 3 2 1	8 10 3 7 4	$245.5 \\ 205.5 \\ 167.5 \\ 140 \\ 114.5$	109 70 67 64 16	8 3 8 7 2	18 17 7 9 8	635 502.5 410 328.5 251	66 67 68 69 70
20 21 22 23 24	3 8 19 12 14	1 1	5 4 6 9 2	$\begin{array}{c} 102.5 \\ 93.5 \\ 81 \\ 56 \\ 35 \end{array}$	5 6 22 28 33	2 1	$\begin{array}{c} 9 \\ 10 \\ 11 \\ 23 \\ 1 \end{array}$	225 209.5 193 160 109	71 72 73 74 75
25 26 27 28 29	5 1 2 3 2		2	19 10 9 5 2	48 5 4 6 2		9	75 18 13 8 2	76 77 78 79 80
	5,841	3,760	857	46,799.0	17,458	12,580	2,769	145,613.5	

3,803.5

OBSERVATIONS ON MALE LIFE.

4	Age at Entry, 52 Years.										
Years of Insurance.	N	UMBER OF	Entrants	s, 9,452.		\$29,239,000	Insured.		Age		
Yeal	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontined.	Death Claims.	Exposed to Risk.	Exit.		
0 1 2 3 4	566 476 529 497 566	299 1,222 551 354 263	42 104 113 92 83	4,576.5 7,934 6,467.5 5,373 4,475.5	\$ 1,745 1,372 1,507 1,375 1,719	\$ 694 3,329 1,959 1,531 1,025	\$ 162 286 325 303 246	\$ 14,272.5 24,973.5 20,671.5 17,094.5 14,138.5	52 53 54 55 56		
5 6 7 8 9	561 546 503 444 266	178 100 90 44 19	62 65 75 33 21	3,606 2,844 2,138 1,493 984.5	1,736 1,747 1,741 1,336 833	730 405 272 208 62	199 223 181 91 67	11,296 8,793.5 6,485 4,323 2,761	57 58 59 60 61		
10 11 12 13 14	166 111 44 28 25	11 8 5 1 2	21 18 10 5 6	682.5 486 350.5 293.5 259	464 303 75 75 48	45 17 - 14 - 6 21	58 47 25 18 17	1,807.5 1,254.5 889 779 672.5	62 63 64 65 66		
15 16 17 18 19	31 25 13 2 9	3 1 2 1 1	7 7 6 10 4	225.5 185.5 152 131.5 118.5	72 92 46 6 25	9 3 5 2 2	26 19 10 22 4	592.5 488.5 373.5 314 284	67 68 69 70 71		
20 21 22 23 24	6 10 5 14 13	1 1 1	8 3 4 7 3	$ \begin{array}{c} 105 \\ 90.5 \\ 76.5 \\ 66.5 \\ 45 \end{array} $	16 14 11 39 28	3 2 1	16 5 9 20 8	254 220.5 199 177.5 118	72 73 74 75 76		
25 26 27 28 29	10 3 3	1	$\frac{6}{4}$	28.5 12 5 2 2	23 7 10	3	18 16	80.5 38 15 5 5	77 78 79 80 81		
30 31 32 33 34	1		1	2 1 1 1 1	3		2	5 2 2 2 2	82 83 84 85 86		
	5,473	3,159	820	43,215.5	16,468	10,348	2,423	133,389.5			
				Age at En	ntry, 53	Years.					
	N	UMBER OF	ENTRANTS	3, 8,213.		\$25,055,000	INSURED.				
0 1 2 3 4	537 477 412 415 432	301 1,061 493 306 219	32 74 99 93 89	3,956 6,812.5 5,484.5 4,574 3,803.5	1,306 1,336 1,070 1,187 1,276	579 3,145 1,963 1,222 835	130 218 384 294 273	12,238 21,467.5 17,359.5 14,313	53 54 55 56 57		

1.276

11,803.5

Age at Entry, 53 Years.

Years of Insurance.	N	UMBER OF	Entrants	s, 8,213.		\$25,055,000	Insured.		Age
Year	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
5 6 7 8 9	457 530 393 358 226	173 101 82 41 26	63 47 36 39 20	3,086.5 2,429.5 1,761 1,270.5 840	\$ 1,465 1,555 1,353 1,135 645	\$ 714 399 255 137 74	\$ 172 122 89 120 53	\$ 9,480 7,286.5 5,282.5 3,644.5 2,284	58 59 60 61 62
10 11 12 13 14	117 92 38 28 32	10 7 2 4 1	14 16 14 10 5	576 436.5 324 269 228.5	303 172 98 110 97	40 37 6 14 3	26 46 44 24 11	$1,529 \\ 1,161.5 \\ 922 \\ 770 \\ 627.5$	63 64 65 66 67
15 16 17 18 19	26 13 9 15 9	1 2 3	10 7 7 3 6	$190.5 \\ 153 \\ 130.5 \\ 113 \\ 94$	85 53 20 45 34	3 6 3	24 22 12 8 15	516.5 403 323.5 290 236	68 69 70 71 72
20 21 22 23 24	5 4 5 4 16	1	5 6 2 4 6	77.5 67 57 50 42	7 2 17 5 47	4	16 24 4 7 3	184 159 133 112 100	73 74 75 76 77
25 26 27	5 4 8		$\begin{bmatrix} 1 \\ 2 \end{bmatrix}$	20 14 8	16 7 15		2 10	50 32 15	78 79 80
	4,667	2,836	710	36,868.5	13,461	9,441	2,153	112,723.0	

Age at Entry, 54 Years.

	Nu	MBER OF I	Entrants	, 7,146.	\$22,521,000 Insured.				
0	495	241	50	3,452.5	1,657	467	160	11,027	54
1	356	898	88	5,911	1,040	2,624	283	18,925	55
2	403	412	87	4,812	1,243	1,541	308	15,519.5	56
3	361	272	81	3,980	964	1,194	302	12,601	57
4	370	197	83	3,303.5	1,097	789	206	10,343.5	58
5	440	141	64	2,681.5	1,447	549	263	8,371.5-	59
6	386	94	50	2,060	1,155	380	141	6,197	60
7	351	61	51	1,546.5	1,237	201	161	4,610.5	61
8	343	28	20	1,100	971	71	79	3,076.5	62
9	203	15	25	715.5	540	56	79	1,963	63
10	117	11	12	474.5	285	49	24	1,291.5	64
11	51	6	12	337	158	22	26	947	65
12	20	1	12	270.5	65	1	18	751.5	66
13	25	3	4	236.5	75	6	11	665	67
14	25	2	11	205	69	4	15	574	68

				Age at Er	ntry, 54	Years.			
Years of Insurance.	N	UMBER OF	Entrant	s, 7,146.		\$22,521,000) Insured.		Age
Yea	Existing.	Discoutinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
15	24	3	11	166.5	\$ 74	\$ 17	\$ 25	\$ 479.5	69
16 17	8 10	1 1	5 5	$129.5 \\ 115.5$	35 34	1 1	$\frac{9}{23}$	$371.5 \\ 326.5$	70
18	3	2	3	99	11	2	7	268	72
19 20	5 8	1	6	92	25		14	249	73
21	3	1	5 5	$\begin{array}{c} 80.5 \\ 67 \end{array}$	21 8	3	$\frac{6}{14}$	$\begin{array}{c} 208.5 \\ 180 \end{array}$	74 75
22 23	$\frac{6}{13}$	1	$\frac{6}{1}$	$\begin{array}{c} 59 \\ 46.5 \end{array}$	13 29	2	$\begin{array}{c} 13 \\ 1 \end{array}$	$\begin{array}{c} 158 \\ 131 \end{array}$	76
24	7		2	32	15		5	100	78
25 26	9 4	$\frac{2}{1}$	$\frac{1}{3}$	$\begin{array}{c} 22 \\ 10.5 \end{array}$	$\begin{array}{c} 25 \\ 12 \end{array}$	4 3	$\begin{array}{c} 2\\13 \end{array}$	78 47.5	79 80
27 28	1		ĭ	3			3	21	81
29	1			2	8 10			18 10	82 83
	4,048	2,394	704	32,012.0	12,323	7,987	2,211	99,510.0	

Age at Entry, 55 Years.

N4	UMBER OF	ENTRANTS	s, 5,963.		\$18,939,000	Insured.		
384	193	49	2,885	1,190	478	214	9,230.5	55
					2,255		15,929.5	56
				906	1,264	231	12,911	57
			3,351.5	1,009	1,079	198		58
308	172	59	2,762	926	721	160	8,495.5	59
349	111	64	2,253.5	1,114	443	170	6,827.5	60
				1,172	308	120		61
			1,316	958	150	128		62
		23	917	674	98			63
193	15	20	624.5	540	47	59	1,631.5	64
108	10	7	399	278	23	29	997.5	65
			278	175	6			66
			193	80	15			67
13		5	152	49				68
19	2	4	132	43	5	13	302.5	69
10	1	5	107.5	25	2	9	243	70
	4		90	20	4	21		71
7			71	21				72
4	1	1	56.5	11	1			73
5		4	51	8		6	105	74
8		3	42	24		3	91	75
2				5				76
			29	1				77
		2	28	4		2		78
9		4	24	15		9		79
	384 319 285 325 308 349 343 333 249 193 108 75 33 13 19 10 7 4 5 8 2	384	384 193 49 319 7770 76 285 348 74 325 227 65 308 172 59 349 111 64 343 61 43 333 44 31 249 26 23 193 15 20 108 10 7 75 2 7 33 4 5 19 2 4 10 1 5 10 4 7 7 4 1 5 4 8 3 2 1 2 2	319 770 76 4,952 285 348 74 3,998 325 227 65 3,351.5 308 172 59 2,762 349 111 64 2,253.5 343 61 43 1,754.5 333 44 31 1,316 249 26 23 917 193 15 20 624.5 108 10 7 399 75 2 7 278 33 4 5 193 13 2 5 152 19 2 4 132 10 1 5 107.5 7 7 71 4 7 90 71 4 7 90 7 7 71 4 51 3 42 31 29 28	384 193 49 2,885 1,190 319 770 76 4,952 1,018 285 348 74 3,998 906 325 227 65 3,351.5 1,009 308 172 59 2,762 926 349 111 64 2,253.5 1,114 343 61 43 1,754.5 1,172 333 44 31 1,316 958 249 26 23 917 674 193 15 20 624.5 540 108 10 7 399 278 75 2 7 278 175 33 4 5 193 80 13 2 5 152 49 19 2 4 132 43 10 1 5 107.5 25 10 4 7	384 193 49 2,885 1,190 478 319 770 76 4,952 1,018 2,255 285 348 74 3,998 906 1,264 325 227 65 3,351.5 1,009 1,079 308 172 59 2,762 926 721 349 111 64 2,253.5 1,114 443 343 61 43 1,754.5 1,172 308 333 44 31 1,316 958 150 249 26 23 917 674 98 193 15 20 624.5 540 47 108 10 7 399 278 23 75 2 7 278 175 6 33 4 5 193 80 15 13 2 5 152 49 4 4 1 5 107.5 25 2 10 1	384 193 49 2,885 1,190 478 214 319 770 76 4,952 1,018 2,255 241 285 348 74 3,998 906 1,264 231 325 227 65 3,351.5 1,009 1,079 198 308 172 59 2,762 926 721 160 349 111 64 2,253.5 1,114 443 170 343 61 43 1,754.5 1,172 308 120 333 44 31 1,316 958 150 128 249 26 23 917 674 98 59 193 15 20 624.5 540 47 59 108 10 7 399 278 23 29 75 2 7 278 175 6 14 33 4 5 193 80 15 15 13 2 5 152 49 4 16 19 2 4 132 43 5 13 10 1 5 <th>$\begin{array}{c ccccccccccccccccccccccccccccccccccc$</th>	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$

Age at Entry,	55	Years.
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Years of Insurance.	N	UMBER OF	Entrant	s, 5,963.	\$18,939,000 Insured.				
Yea	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed	Death Claims.	Exposed to Risk.	Exit.
					\$	\$	\$	\$	
25			1	11			1	28	80
26	7			10	19			27	81
27	2		1	3	6		2	8	82
	3,403	1,993	567	26,522.0	10,291	6,903	1,745	80,926.0	

Age at Entry, 56 Years.

	1			-					
	N	UMBER OF	Entrants	, 4,978.		\$16,256,000	Insured.		
0 1 2 3 4	335 220 231 230 243	155 634 284 194 140	38 77 68 64 69	2,411.5 4,133 3,377 2,839 2,378	1,056 686 726 829 857	409 1,837 999 808 538	117 288 244 266 201	7,923.5 13,755.5 11,363.5 9,490 7,722	56 57 58 59 60
5 6 7 8 9	299 328 285 212 159	86 48 43 18 8	59 40 32 22 14	$\begin{array}{c} 1,953 \\ 1,528 \\ 1,114.5 \\ 767 \\ 520 \end{array}$	1,008 942 929 710 443	450 180 127 77 20	160 160 113 67 50	6,170 4,687 3,431.5 2,287.5 1,462	61 62 63 64 65
10 11 12 13 14	74 56 23 20 19	8 2 5 2 2	13 8 11 10 8	339 247 179.5 142 110	217 130 76 72 50	23 9 8 4 4	41 40 28 25 24	$947.5 \\ 673.5 \\ 495 \\ 385 \\ 284$	66 67 68 69 70
15 16 17 18 19	5 3 6 4 2	1 1	1 7 6 1 5	82 76 65.5 52.5 47	19 15 9 8 2	1 1	3 14 27 1 13	208 186 156.5 119.5 110	71 72 73 74 75
20 21 22 23 24	3 2 3 3 8	1	3 4 3 1 2	40 33.5 27 21 17	11 5 8 9 20	2	7 7 8 1 2	95 76 63 47 37	76 77 78 79 80
25 26 27 28 29	1 2 1		1	7 5 2 1	3 7 2		1	15 11 3 1	81 82 83 84 85
	2,778	1,632	568	22,516.0	8,850	5,497	1,909	72,206.5	

Age	at	Entry,	57	Years.
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Years of Insurance.	N	UMBER OF	Entrant	s, 4,212.		\$13, 878,000	Insured.		Age
Yea	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontined.	Death Claims.	Exposed to Risk.	Exit.
0 1 2 3 4	290 199 275 200 238	126 464 244 139 119	28 66 54 60 57	2,043 3,536 2,917 2,396.5 2,007.5	\$ 1,042 579 795 655 758	\$ 296 1,406 871 635 456	\$ 82 184 224 162 250	\$ 6,791 11,755 9,853.5 8,081.5 6,719	57 58 59 60 61
5 6 7 8 9	297 264 230 171 122	53 42 38 12 10	47 35 37 22 13	1,626.5 1,235 896 604 400	923 974 801 548 328	265 243 127 36 32	158 209 113 59 30	5,350.5 4,015.5 2,647.5 1,652 1,011	62 63 64 65 66
10 11 12 13 14	63 42 13 11 10	11 3 2	7 6 8 8 1	254.5 177.5 127 105 85.5	144 60 44 33 28	27 6 2	25 21 15 28 1	623.5 438 353 293 231.5	67 68 69 70 71
15 16 17 18 19	5 9 6 3 2	1 2	5 2 2 1 4	73.5 62 50 42 38	23 40 18 9 3	1 2	10 1 4 1 7	201.5 167 125 103 93	72 73 74 75 76
20 21 22 23 24	3 8	1	6 4 1 1	$\begin{array}{c} 32 \\ 24 \\ 20.5 \\ 16 \\ 15 \end{array}$	9 8	3	12 15 5 1	83 62 52.5 36 31	77 78 79 80 81
25 26 27	2 1	1	1	5.5 4 1	7	3	3	15.5 11 1	82 83 84
	2,466	1,269	477	18,794.5	7,843	4,412	1,623	60,797.0	

Age at Entry, 58 Years.

	Nu	MBER OF E	NTRANTS,	3,605.	\$11,429,000 Insured.				
0	243	100	16	1,752.5	715	220	77	5,604.5	58
1	212	375	62	3,058.5	609	1,171	166	9,831.5	59
2	183	167	54	2,513.5	486	675	165	8,133.5	60
3	171	117	59	2,134.5	501	546	225	6,872	61
4	242	72	42	1,810	716	336	125	5,705	62
5	294	58	43	1,461	920	219	143	4,586.5	63
6	228	43	36	1,073.5	681	173	118	3,327.5	64
7	197	31	28	772.5	668	99	90	2,392.5	65
8	156	7	20	528.5	517	28	44	1,571	66
9	100	8	10	345	299	19	38	986.5	67

Age at	Entry,	58	Years.
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Years of Insurance.	N	UMBER OF	Entrants	, 3,605.		\$11,429,000	Insured.		Age
Year	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims	Exposed to Risk,	Exit.
					\$	\$	\$	\$	0.0
10	65	4	12	229	206	10	37	635	68
11	36	1	5	149.5	99	8	12	383	69
12	9	3	8	106.5	34	6	17	265	70
13	10	1	6	87.5	34	1	19	210.5	71
14	13	1	3	70.5	42	1	5	156.5	72
15	3		2	54	3		5	109	73
16	6		$\frac{\sim}{3}$	49	6	1	$\ddot{6}$	101	74
17	3		3	40	7		7	89	74 75
18	2		$\stackrel{\circ}{2}$	34	5		4	75	76
19	2		5	30	6		7	66	77
20			4	23			10	53	78
21	1		1	19	$\frac{4}{3}$		1	43	79
22	1		3	17			3	38	80
23	2		2	13	11		4	32	81
24	4		2	9	6		4	17	82
25	1			3	1			7	83
26				2				6	84 85
27	1			$\begin{array}{c} 2 \\ 2 \\ 1 \end{array}$	3			6	85
28								3	86
29	1			1	3			3	87
	2,186	988	431	16,389.5	6,585	3,512	1,332	51,308.5	

Age at Entry, 59 Years.

	N	JMBER OF I	ENTRANTS	, 2,933.		\$9,413,000	Insured.		
0	190	110	20	1,411.5	581 504	252 1,007	73 250	4,580.5 8,003.5	59 60
1	154	$\begin{array}{c} 330 \\ 133 \end{array}$	76 56	2,448 $1,986.5$	476	498	162	6,497	61
2 3	$\begin{bmatrix} 144 \\ 151 \end{bmatrix}$	94	42	1,673	492	400	117	5,410	62
4	180	65	38	1,400.5	611	330	145	4,436	63
5	197	41	37	1,129.5	644	175	88	3,427.5	64
6	176	29	31	860.5	589	91	135	2,562.5	65
7	169	17	33	630.5	528	64	60	1,761	66
8 9	137	7	19	416.5	361	19	38	1,131.5	67
9	59	3	10	255.5	195	14	38	716	68
10	38	1	13	184.5	120	6	29	473	69
11	27	1	14	132.5	63	3	25	319.5	70
12	8	1	6	90.5	34	1	17	229.5	71
13	10	1	17	75.5	32	3	16	176.5	72
14	13	1	2	57.5	41	3	7	125.5	73
15	5	1	1	41.5	8	1	1	75.5	74
16	1			35	6			66	75
17	1	1	3	33.5	2	1	4	59.5	76
18				29				53	77
19	1		5	29	3		4	53	78

Age	at	Entry,	59	Years.
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Years of Insurance.	N	UMBER OF	ENTRANT	s, 2,933.	\$9,413,000 Insured.				
Yea	Existing. Discontinued. Died. Exposed to Risk.				Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	at Exit.
					\$	*	\$	\$	
20		1	1	22.5		1	1	45.5	79
21	1	1	2	20.5	7	2	5	43	80
22	2		2	17	5		2	30	81
23	2		4	13	8		4	23	82
24	5		1	7	8		1	11	83
25				1				2	84
26	1			1	2			2	85
	1,672	838	423	13,002.5	5,320	2,871	1,222	40,313.0	

Age at Entry, 60 Years.

	N	UMBER OF	ENTRANTS	s, 2,682.		\$8,497,000	Insured.		
0 1 2 3 4	179 147 144 152 132	81 282 147 82 53	32 55 55 50 49	1,300.5 2,249 1,832.5 1,519 1,249.5	619 456 485 446 386	165 747 516 345 271	103 191 147 187 138	4,166 7,236.5 5,958 4,895.5 3,954.5	60 61 62 63 64
5 6 7 8 9	165 187 139 117 74	50 27 18 7 6	$ \begin{array}{c} 34 \\ 27 \\ 20 \\ 10 \\ 10 \end{array} $	$ \begin{array}{r} 1,017 \\ 779.5 \\ 543 \\ 371.5 \\ 238 \end{array} $	535 562 409 402 202	167 144 55 55 18	115 99 59 25 23	3,211.5 $2,406$ $1,645.5$ $1,122.5$ 659	65 66 67 68 69
10 11 12 13 14	39 26 8 3 5	4 1 1 2 1	3 6 5 5 2	149 104.5 71.5 57 47.5	94 61 26 10 15	23 4 4 17 3	7 11 18 16 3	413.5 299 223 168.5 132.5	70 71 72 73 74
15 16 17 18 19	6 2 1	2	1 2 3 2	39 31 27 23 21	12 7 5	6	4 2 11 5	110 91 82 66 61	75 76 77 78 79
20 21 22 23 24	1 3 1 1		1 4 1 1	$\begin{array}{c} 21 \\ 19 \\ 16 \\ 11 \\ 9 \end{array}$	5 8 1 12		5 3 7 1	61 51 43 39 20	80 81 82 83 84
25 26 27 28 29	4	1	1 1	7.5 2 1 1	11		1 3	18.5 6 3 3 3	85 86 87 88 89
	1,536	765	381	11,758.5	4,769	2,541	1,187	37,149.0	

Age at 1	Entry,	61	Years.
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Years of Insurance.	N	UMBER OF	Entrants	3, 1,683.		\$5,239,000	Insured.		Age
Yea	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
0 1 2 3 4	90 74 73 121 128	53 187 68 54 46	20 24 29 32 27	815 1,426.5 1,201 1,038 835	\$ 219 207 277 291 342	\$ 117 591 257 266 228	\$ 77 80 89 90 125	\$ 2,561 4,530.5 3,819.5 3,192 2,564	61 62 63 64 65
5 6 7 8 9	109 118 101 61 30	35 8 15 5 3	23 15 20 10 10	639.5 486 341.5 210.5 135.5	250 401 306 180 72	171 30 28 9 11	77 40 67 35 37	1,897.5 1,470 1,000 608.5 383.5	66 67 68 69 70
10 11 12 13 14	18 11 4 4 4	1 2 2 1	6 4 1 2 2	93.5 68 51 44.5 38	53 58 4 11 8	1 9 6 2	12 12 5 1 8	268.5 198.5 121 108 95	71 72 73 74 75
15 16 17 18 19	1 1 2	1.	2 2 5 2 1	32 29 25.5 18 16	1 4 5	3	5 1 12 12 3	79 73 66.5 48 36	76 77 78 79 80
20 21 22 23 24	1 1 3	1	1 1 1 1	15 13.5 11 10 8	2 4 4	2	3 3 3 1	33 29 23 20 15	81 82 83 84 85
25 26 27 28 29	2		1 1	5 2 1 1	6		2 2 1	11 3 1 1 1	86 87 88 89 90
	957	482	244	7,611.5	2,705	1,731	803	23,257.0	

Age at Entry, 62 Years.

	N	UMBER OF 1	Entrants,	1,206.	\$4,188,000 Insured.				
0	89	27	20	589.5	341	71	38	2,058.5	62
1	52	118	33	1,011	213	333	115	3,571.5	63
2	55	42	21	846	185	181	71	2,986.5	64
3	64	48	29	725	157	161	114	2,559.5	65
4	95	25	27	595.5	305	186	79	2,115	66
5	62	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	18	453	239	155	33	1,560.5	67
6	89		11	362	330	19	28	1,201.5	68
7	78		19	252.5	329	33	55	817.5	69
8	46		6	147	131	8	16	413	70
9	28		6	92.5	76	14	12	255	71

Age	at	Entry,	62	Years.
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Years of Insurance.	N	UMBER OF	Entrant	в, 1,206.		\$4,188,000	Insured.		Age
Yea	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
10 11 12 13 14	5 8 3 1 1	1	2 4 1 2 1	58 50.5 37.5 33 30	\$ 20 23 5 6 3	\$ 3 1	\$ 3 6 5 6 1	\$ 160 135.5 104.5 94 82	72 73 74 75 76
15 16 17 18 19	2 1 1 1 1	1	4 3 1 2	27.5 21 17 16 14	9 10 1 5 2	2	9 7 1 3	77 58 41 40 34	77 78 79 80 81
20 21 22 23 24	1 1 1		1 4	11 10 9 7 3	4 3 6		3 9	$egin{array}{c} 29 \\ 25 \\ 22 \\ 13 \\ 4 \\ \end{array}$	82 83 84 85 86
25 26 27	1		1	3 3 1	2 1		1	4 4 1	87 88 89
	687	303	216	5,425.5	2,406	1,167	615	18,466.5	

Age at Entry, 63 Years.

	1	NUMBER OF	ENTRANT	s, 957.		\$2,897,000	Insured.		
0 1 2 3 4	52 47 56 37 64	24 116 52 37 32	9 23 24 18 15	$\begin{array}{r} 466.5 \\ 814 \\ 660 \\ 535.5 \\ 446 \end{array}$	159 171 192 92 181	62 316 143 107 106	24 60 79 74 42	1,417.5 2,494 2,033.5 1,637.5 1,365	63 64 65 66 67
5 6 7 8 9	62 54 47 46 15	15 10 6 2 2	12 14 6 5 6	343.5 257 181 124 71	161 172 166 99 31	144 30 17 8 5	48 43 16 13 14	1,017 721 482.5 288 169.5	68 69 70 71 72
10 11 12 13 14	9 5 3 4 1	1 1 1	$\begin{bmatrix} 3 \\ 4 \\ 4 \end{bmatrix}$	48.5 35.5 25.5 17.5 12	34 6 10 22 1	1 3 2 1	5 6 2 5 2	$121.5 \\ 80.5 \\ 66 \\ 52.5 \\ 25$	73 74 75 76 77
15 16 17 18 19	1	1	1 1	9 8 8 7 4.5	6	3	5 3	22 21 21 16 5.5	78 79 80 81 82

				Age at En	ntry, 63	Years.			•
Years of Insurance.	1	NUMBER OF	ENTRANT	rs, 957.		\$2,897,000	Insured.		Age
Year	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
20			1	4	\$	\$	\$	\$ 4	83
21 22				3				3	84 85
23			1	3			1	3	86
24 25	2			$\begin{bmatrix} 2 \\ 2 \end{bmatrix}$	2			2 2	87
20	$\left \frac{z}{506} \right $	301	150	4,091.0	$\frac{2}{1,506}$	948	443	$\frac{2}{12,073.5}$	00

Age at Entry, 64 Years.

				1					1
	N	NUMBER OF	ENTRANT	rs, 770.		\$2,381,000	INSURED.		
0 1 2 3 4	56 35 34 39 50	18 75 39 33 7	6 23 13 12 12	376 652.5 537.5 454.5 383.5	179 101 105 114 179	32 189 127 93 64	19 58 51 49 39	1,174.5 2,056.5 1,739.5 1,473.5 1,232	64 65 66 67 68
5 6 7 8 9	63 50 27 41 16	13 10 4 2 3	14 12 11 10 3	$\begin{array}{c} 311.5 \\ 223 \\ 154 \\ 113 \\ 59.5 \end{array}$	159 134 102 140 37	99 25 29 3 7	42 47 41 34 5	932.5 669.5 461.5 302.5 123.5	69 70 71 72 73
10 11 12 13 14	11 1 2	2	1 1 2 3 2	38 25 24 20 16	20 2 2	3	$egin{array}{c} 1 \\ 4 \\ 6 \\ 7 \\ 4 \end{array}$	76.5 54 50 41.5 34	74 75 76 77 78
15 16 17 18 19	2	1	1 1 3 1	12 11 8 7.5 4	1	3	2 3 13 3	28 26 22 20.5	79 80 81 82 83
20 21 22 23			2	3 1 1 1			2	3 1 1 1	84 .85 86 87
	427	209	134	3,436.5	1,275	675	431	10,530.0	

		\$\bigstyle{\bigytyle{\biytyle{\biytyle{\biytyle{\biytyle{\biytyle{										A	ge	at Ent	ry,	66	Yea	rs.	
of ice.	No.	of E	NTRA	NTS, 592.	\$:	1,726,0	00 In	SURED.	Exit.	of ace.	No.	of En	TRA	NTS, 301.	*	858,00	00 Ins	URED.	Exit.
Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.		_	Death Claims.	Exposed to Risk.	Age at 1	Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at I
0 1 2 3 4	46 20 24 27 34	66 42 17	11 12 15	490 405 339.5	53 37 71 77	22 192 110 79	36 32 43 41	\$ 852 1,519 1,299 1,090.5 911.5		15 16 17 18 19		1	3	7 4 3 3 2.5	\$	\$	\$ 5 2	\$ 12 7 5 3.5	81 82 83 84 85
5 6 7 8 9	44 31 45 21 12	8 6	10 5 5	159 111 58	95 111 56	39 31	27 9 23	704.5 457.5 300.5 165 81.5	70 71 72 73 74	20 21 22 23 24			1	$egin{array}{cccccccccccccccccccccccccccccccccccc$			1	2 2 1 1 1	86 87 88 89 90
10 11 12 13				12 12				$ \begin{array}{c c} 32 \\ 20 \\ 20 \\ 19 \\ \end{array} $	75 76 77 78	25 26	$\frac{1}{130}$	94	77	$\frac{1}{1,363.5}$	$\frac{1}{397}$	259	202	$\frac{1}{4,215.5}$	91 92
14 15			2	9			2	14 12	79 80		,	A	ge	at Ent	rv.	67	Yea	rs.	
16 17		1		5.5		1		10.5	81 82		NTo				1				
18 19								8	83 84	0	11	8	8	110.5	22	14	45	291.5	67
20 21 22 23 24	1			$\begin{array}{c} 2 \\ 1 \\ 1 \end{array}$	3			8 4 1 1 1	85 86 87 88 89	1 2 3 4	8 4 8 18	22 13 11 8	0 8 7 3 3	191 157.5 134.5 114	12 11 17 47	64 22 44 12	25 25 9 9	484 404 335 281	68 69 70 71
25			1	1			1	1	90	5	11 18	6 3	4	86 66.5	25 66	15 5	7 6	211.5 169.5	72 73
	309			2,485.5						7 8 9	9 9 6	3	2	$ \begin{array}{c c} 42 \\ 28.5 \\ 18 \end{array} $	13 39 12	2 4	4	94 74 33	74 75 76
			.ge a	at Entr						10	2		1	12	7		1	21	77
0	9 23	11 29	5 8	145 261.5	37 5	25 69	11 14	416.5 750.5	66 67	11 12 13 14			1	9 8 8 7			1	$egin{array}{ccc} 13 \\ 12 \\ 12 \\ 11 \\ \end{array}$	78 79 80 81
2 3 4	11 7 10	20 17 3	11 8 8	206 165.5 140.5	29 42 44	58 50 4	29 32 25	668 556 455	68 69 70	15 16 17			1 1 1	7 6 5 4			$egin{array}{c} 1 \\ 2 \\ 1 \end{array}$	11 10 8	82 83 84
5 6 7 8 9	21 12 13	6 2 3	9 5 2	118 84 64.5	64 47 36	28 8 2	$\begin{array}{c c} 16 \\ 18 \\ 4 \end{array}$	370 272 202	71 72 73	18	1		7	4	4			7	85
8 9	13 6	1	$\begin{bmatrix} 2\\2\\2 \end{bmatrix}$	47.5 31.5	$\begin{vmatrix} 30 \\ 32 \\ 20 \end{vmatrix}$		4 9	155.5 113.5	74 75	20 21 22			1 1	$\begin{array}{c} 3 \\ 2 \\ 1 \end{array}$			1	$\begin{array}{c} 3 \\ 2 \\ 1 \end{array}$	87 88 89
10 11	2 2		3	23 18	20 20		7 3	84 57	76 77	23 24				1 1 1				1 1	90 91
12 13			3 3	13 10			6 16	34 28	78 79	25	105	76	$\frac{1}{48}$	$\frac{1}{1,027.5}$	275	189	$\frac{1}{140}$	$\frac{1}{2,498.5}$	92
14			1	7				12	80		100	.0	10	1,0001.0	213	10%	140	≈,±30.0	

		Ag	e a	t Entr	y, 6	8	Yea	rs.				Age	at	Entry	, 7	0	Yea	rs.	
of ice.	No.	or Ei	NTRA	NTS, 151.	\$	378,0	00 In	SURED.	Exit.	of ice.	No.	of E	NTRA	ANTS, 58.	\$1	20,00	0 Ins	SURED.	Exit.
Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at I	Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at]
0 1 2 3 4	6 3 1 5 6	5 16 6 7 6	$\begin{bmatrix} 1 \\ 2 \\ 5 \end{bmatrix}$	73 131 115 102.5 91	\$ 6 17 5 14 19	\$ 24 3 13 10	\$ 1 6 20	\$ 188 357 320.5 287.5 262	68 69 70 71 72	0 1 2 3 4	2 1 1 3 4	7 9 3 1	1 2 2 2	25.5 43.5 34.5 29.5 24	\$ 4 1 1 10 15	\$ 8 11 9 5	\$ 3 5 4 1	\$ 56 99.5 83.5 71.5 58	70 71 72 73 74
5 6 7 8 9	16 11 4 8 3	3 1 2 1	8 5 3 3 2	79.5 53.5 36 28 16.5	50 22 15 36 16	7 6 7	12 16 8 15 2	233.5 165 120.5 94 42	73 74 75 76 77	5 6 7 8 9	3 5 3 1	1	1 1 1	19.5 15 9 8 5	7 10 6 1	1	$\begin{bmatrix} 1 \\ 6 \\ 2 \end{bmatrix}$	42.5 34 18 16 10	75 76 77 78 79
10 11 12 13 14	1	1 1 1	2 1 1 1	$ \begin{array}{c} 10.5 \\ 6.5 \\ 6 \\ 4.5 \\ 3 \end{array} $	2	5 2 1	5 1 3 1	20.5 10 9 7.5 4	78 79 80 81 82	10 11 12 13 14		1	1	3 3 3 2.5		1	5	8 8 8 8 7.5	80 81 82 83 84
15 16 17 18 19				2 2 2 2 2				n n n n	83 84 85 86 87	15 16 17 18 19			1	1 1 1 1			2	2 2 2 2 2	85 86 87 88 89
20			74	2			9	3 3	88 89		23	22	13	233.0	55	35	30	538.5	
21 22		1	1	2 .5		1	2	5	90			Age	at	Entry	7, 7	1	Yea	rs.	
	64	51	36	771.0	202	83	93	2,142.5			No.	of E	NTR.	ANTS, 31.	\$	79,00	0 Ins	URED.	
	No.			t Entr				SURED.		0 1 2	1 1 4	5 2	2 2	15.5 27.5 21	2 1 1 1	8 3	9 8	39.5 73 57.5	71 72 73
0 1 2 3 4	3 1 4 6	6 7 5 1	1 5 1 5 2	46 88 73.5 65.5 53.5	8 1 9 17	24 34 14 3	$\begin{vmatrix} 1 \\ 12 \\ 1 \\ 6 \\ 3 \end{vmatrix}$	132 251 202 176 152.5	69 70 71 72 73	3 4 5 6 7	$\begin{bmatrix} 3 \\ 1 \\ 1 \\ 3 \end{bmatrix}$	2 1	1 1	14 10 8 6 3.5			1 1 5	47 35 33 29 20.5	74 75 76 77 78
5	9	3	2	43.5	36	14	3	124 77	74 75		14	10	7	105.5	37	18	24	334.5	
6 7 8	8 6 1	2	5	30 16 9	19 15 10	2	$\begin{vmatrix} 10 \\ 4 \end{vmatrix}$	47 28	76 77			Age	at	Entry	7, 7	2	Yea	rs.	
9		2		17	10	4		16	78		No.	of E	NTR.	ANTS, 24.	\$	59,00	0 Ins	SURED.	
10 11 12 13	2 2	26	1	$\begin{bmatrix} 6 \\ 3 \\ 1 \\ 1 \\ 443.0 \end{bmatrix}$	$\frac{2}{10}$	0.5	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	$ \begin{array}{c c} 14 \\ 11 \\ 1 \\ 1 \\ 1.232.5 \end{array} $	79 80 81 82	0 1 2 3 4	1 3 1	1 1 1 1 1	1 1 1 1	11.5 20.5 15.5 13.5 11.5	2 7 3 5	1 1 1 3 1	1 1 4 4	29 54.5 45.5 40.5 34.5	72 73 74 75 76

	£	1ge	at	Entry	, 7	2	Yea	rs.			1	Age	at	Entry	, 7	5	Yea	rs.	
of nce.	No.	of E	NTRA	ANTS, 24.	\$	59,000	Ins	URED.	Exit.	of ace.		of E	NTRA	NTS, 11.		19,00	0 Ins	URED.	Exit.
Years of Insurance.	Existing.	Discontinued.	Died.	Exposed to Risk.	Existing.		Death Claims.	Exposed to Risk.	Age at	Years of Insurance,	Existing.	Discon- tinued.	Died.	Exposed to Risk.	-	Discon-	Death Claims.	Exposed to Risk.	Age at]
5 6 7 8 9	1 1	1 1	1 1 1 1	8.5 6.5 5 3 1	\$ 1 2	\$ 2 2	\$ 2 5 5 1	\$ 24 20 14 8 5	77 78 79 80 81	0 1 2 3 4	1	2	1	5.5 11 10 9 7	*1	\$	\$ 2	\$ 9.5 19 17 16.5 15	75 76 77 78 79
10 11 12 13	1 9	7	8	$egin{bmatrix} 1 \\ 1 \\ 1 \\ 1 \\ 100.5 \end{bmatrix}$	5 25	11	23	$ \begin{array}{r} 5 \\ 5 \\ 5 \\ 5 \\ 295.0 \end{array} $	82 83 84 85	5 6 7 8 9	4 1	1		6.5 2 1 1 1	10 3	1		14.5 4 1 1	80 81 82 83 84
	<u> </u>			Entry			-			10 11 12				1 1 1				1 1 1	85 86 87
	No. of Entrants, 19. \$44,000 Insures						SURED.		13 14				1 1				1 1	88 89	
0 1 2 3 4	1 2	2 3 1	1 1 1	9.5 16 13.5 9.5 8	3 2	9 8 5	1 1 1	22 35.5 27 18.5 15	73 74 75 76 77	15 16 17 18 19				1 1 1 1 1				1 1 1 1 1	90 91 92 93 94
5			2 2	7 5			$\frac{1}{2}$	14 13	78 79	20			1	1			1	1	95
6 7 8	1	2		2	5	6		8 5	80 81		6	3	2	65.0	14	2	3	109.5	
	4	8	7	71.5	10	28	6	158.0			d	Age	at	Entry	7, 7	6	Yea	rs.	
	1	Age	at	Entry	, 7	4	Zea	rs.			No.	of I	ENTR	ANTS, 2.	4	3,000	Ins	URED.	
	No.	оғ Е	NTRA	ANTS, 11.	\$	22,000	Ins	URED.		0				1 2				1.5	76 77
0 1 2	1	1 1 1		5 8.5 7.5	1	1 1 1		10.5 19.5 18.5	74 75 76	1 2 3 4	1			2 2 2 2	2			9 9 9	78 79 80
3 4	3		1	7 7	6		4	18 18	77 78	5 6		1		1		1		1 .5	81 82
5 6				3				8	79 80		1	1		10.5	2	1		15.0	
7 8 9								5.5 1	81 82 83					Entry	, 7	7	Yea	rs.	
10	10 1					1	84		No.	of E	NTRA	ANTS, 1.	*	2,000	Ins	URED.			
12 13 14	1			1 1 1 1	1			1 1 1 1	85 86 87 88	0 1 2	1			.5 1 1	2			1 2 2	77 78 79
	6	4	1	50.5	10	8	4	113.0			1			2.5	2			5.0	

		Age	at	Entry	, 7	8	Yea	rs.				Age	e at	Entry	7, 8	32	Yea	rs.	
of ce.	No.	of I	ENTR	ANTS, 4.	1	5,000	Inst	URED.	Zxit.	oe.	No.	of I	Entr	ANTS, 1.	\$	1,000	Inst	JRED.	xit.
Years of Insurance.	Existing.	Discontinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at Exit.	Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at Exit
0										0	1			.5	\$ 1	\$	\$	\$.5	82
1 2 3 4			1				1	2.5 2 1	79 80 81 82	Age	at :	Ent	ry,	83 , 8 Yea		85,	86	3, and	87
		3	1	8.5		4	1	12.5			No.	of H	ENTR	ANTS, 0.		\$0,000	Insi	URED.	
A	ges	at	Ent	ry, 7 9) ai	nd	80	Years	3.										
	No.	of l	ENTR	ANTS, 0.	\$	0,000	Inst	JRED.			ı	Age	at	Entry	, 8	8	Year	rs.	
											No.	of I	ENTR	ANTS. 1.	98	\$1,000	Inst	URED.	
		Age	at	Entry	, 8	1	Yea	rs.		0 1				1.5				1.5	88 89
	No.	of]		ants, 2.	49	2,000	Inst	URED.		0 1 2 3 4				1 1 1				1 1 1	90 91 92
0		1	1	1 .5		1	1	1.5	81	5			1	1			1	1	93
		1	1	1.5		1	1	1.5					1	5.5			1	5.5	

FEMALE LIFE. SUMMARY (A). OBSERVATIONS CLASSIFIED ACCORDING TO THE AGE AT EXIT OR EXPOSURE.

Age	WHOLE	Number o	F ENTRA	NTS, 44,795.	88,4	52 Thousand	Dollars I	NSURED.	Age at
at Exit.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims,	Exposed to Risk.	Exit or Exposure.
0 1 2 3 4		1 1 1		2.5 5.5 7 9		1 1 1		3 6.5 8 10	$\begin{array}{cccc} 0 & - & \frac{1}{2} \\ \frac{1}{2} & - & 1\frac{1}{2} \\ 1\frac{1}{2} & - & 2\frac{1}{2} \\ 2\frac{1}{2} & - & 3\frac{1}{2} \\ 3\frac{1}{2} & - & 4\frac{1}{2} \end{array}$
5 6 7 8 9	1 1 3	2 1 2 2 2		9.5 8 8 10.5 14.5	2 1 7	2 1 2 2 2		10.5 8 8 10.5 21.5	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
10 11 12 13 14	1 4 3 5 13	2 5 2 11 15	1 2	22 39 56.5 74 112.5	5 9 16 17 28	2 6 2 8 28	1	34 56 93 124 175	$\begin{array}{c} 9\frac{1}{2} - 10\frac{1}{2} \\ 10\frac{1}{2} - 11\frac{1}{2} \\ 11\frac{1}{2} - 12\frac{1}{2} \\ 12\frac{1}{2} - 13\frac{1}{2} \\ 13\frac{1}{2} - 14\frac{1}{2} \end{array}$
15 16 17 18 19	17 19 39 39 60	28 48 74 107 178	1 2 8 3	187 282 387.5 546.5 791	30 22 48 56 91	31 60 95 131 363	1 2 15 5	283.5 426.5 608.5 939 1,362	$\begin{array}{c} 14\frac{1}{2}-15\frac{1}{2}\\ 15\frac{1}{2}-16\frac{1}{2}\\ 16\frac{1}{2}-17\frac{1}{2}\\ 17\frac{1}{2}-18\frac{1}{2}\\ 18\frac{1}{2}-19\frac{1}{2} \end{array}$
20 21 23 23 24	103 137 183 248 329	251 326 448 500 610	7 20 16 28 34	1,134 1,548 2,014.5 2,544 3,044.5	162 211 276 417 480	408 561 819 939 1,133	14 28 28 63 46	1,939.5 2,696.5 3,534.5 4,478.5 5,398	19½-20½ 20½-21½ 21½-22½ 22½-23½ 23½-24½
25 26 27 28 29	365 403 455 489 572	661 745 719 768 845	31 45 52 47 47	3,519 4,025.5 4,489.5 4,977 5,417	592 621 720 773 904	1,229 1,471 1,481 1,653 1,838	40 92 118 88 117	6,552 7,655.5 8,609.5 9,551.5 10,436	24½-25⅓ 25½-26⅓ 26½-27⅓ 27½-28⅓ 28½-29⅓
30 31 32 33 34	644 631 741 744 795	826 778 769 816 811	56 64 64 80 68	5,791 6,098 6,348 6,524.5 6,623.5	1,082 1,080 1,248 1,192 1,363	1,799 1,611 1,771 1,912 1,915	115 149 114 157 143	11,275 12,073 12,770 13,137.5 13,283	29½-30½ 30½-31⅓ 31½-32⅓ 32½-33½ 33½-34½
35 36 37 38 39	825 783 822 843 807	780 724 722 725 648	74 68 59 66 60	6,661.5 6,638.5 6,614 6,537.5 6,361	1,471 1,399 1,554 1,432 1,393	1,838 1,809 1,737 1,646 1,393	151 158 128 148 113	13,384 13,250.5 12,944 12,636 12,470.5	34½-35½ 35½-30½ 36½-37½ 37½-38½ 38½-39½
40 41 42 43 44	792 821 746 692 716	632 614 588 509 444	59 60 58 62 58	6,241 6,027.5 5,634.5 5,323 5,046	1,442 1,377 1,323 1,122 1,340	1,554 1,555 1,350 1,246 1,119	89 118 127 140 145	12,326 11,823 11,135 10,540.5 10,064	39½-40½ 40½-41½ 41½-42½ 42½-43½ 43½-44½

FEMALE LIFE. SUMMARY (A). OBSERVATIONS CLASSIFIED ACCORDING TO THE AGE AT EXIT OR EXPOSURE.

Age	WHOLE	Number o	f Entrai	NTS, 44,795.	88,45	2 THOUSAND	Dollars I	NSURED.	Age at
Exit.	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims	Exposed to Risk.	Exit or Exposure.
45 46 47 48 49	628 610 586 541 573	407 390 356 321 281	57 44 42 41 36	4,770 4,539 4,230.5 3,979.5 3,763	1,150 1,073 1,148 1,033 1,048	1,014 865 877 740 621	119 79 83 75 89	9,350 8,847.5 8,278 7,699 7,294	44½-45½ 45½-46½ 46½-47½ 47½-48½ 48½-49½
50 51 52 53 54	534 435 411 420 394	279 262 216 169 164	39 38 37 45 26	3,445.5 3,128.5 2,865.5 2,601.5 2,293.5	986 782 706 765 731	615 654 543 413 438	78 82 67 89 65	6,714 6,070 5,511.5 5,028 4,402.5	$\begin{array}{c} 49\frac{1}{2}-50\frac{1}{2} \\ 50\frac{1}{2}-51\frac{1}{2} \\ 51\frac{1}{2}-52\frac{1}{2} \\ 52\frac{1}{2}-53\frac{1}{2} \\ 53\frac{1}{2}-54\frac{1}{2} \end{array}$
55 56 57 58 59	344 293 228 241 170	151 137 109 93 76	25 35 34 29 18	2,028 1,776.5 1,538.5 1,366 1,169	631 517 421 400 338	398 327 246 215 152	54 62 80 73 27	3,845 3,360 2,965.5 2,662.5 2,333.5	$54\underline{1}-55\underline{1}$ $55\underline{1}-56\underline{1}$ $56\underline{1}-57\underline{1}$ $57\underline{1}-58\underline{1}$ $58\underline{1}-59\underline{1}$
60 61 62 63 64	138 170 105 111 87	63 42 43 34 29	20 15 17 16 20	$ \begin{array}{c} 1,039.5 \\ 935 \\ 779.5 \\ 676.5 \\ 573.5 \end{array} $	260 323 199 188 151	$ \begin{array}{c} 153 \\ 118 \\ 115 \\ 74 \\ 54 \end{array} $	50 39 36 35 40	2,050 1,809.5 1,484 1,280 1,115	$\begin{array}{c} 59\frac{1}{2}-60\frac{1}{2} \\ 60\frac{1}{2}-61\frac{1}{2} \\ 61\frac{1}{2}-62\frac{1}{2} \\ 62\frac{1}{2}-63\frac{1}{2} \\ 63\frac{1}{2}-64\frac{1}{2} \end{array}$
65 66 67 68 69	64 67 49 47 38	23 31 14 12 12	21 9 15 9 15	486.5 409.5 332 264.5 203	138 141 100 68 62	38 64 30 23 26	44 17 46 26 30	973 810 641.5 482 380	$\begin{array}{c} 64\frac{1}{2} - 65\frac{1}{2} \\ 65\frac{1}{2} - 66\frac{1}{2} \\ 66\frac{1}{2} - 67\frac{1}{2} \\ 67\frac{1}{2} - 68\frac{1}{2} \\ 68\frac{1}{2} - 69\frac{1}{2} \end{array}$
70 71 72 73 74	23 10 10 12 10	$egin{array}{c} 1 \\ 4 \\ 3 \\ 3 \\ 4 \end{array}$	5 5 3 5 2	149.5 121 103.5 88.5 68.5	36 14 21 18 23	1 6 9 4 10	10 15 10 13 2	291 245 210 174 136.5	$\begin{array}{c} 69 \ 2 - 70 \ 3 \\ 70 \ 2 - 71 \ 3 \\ 71 \ 3 - 72 \ 3 \\ 72 \ 3 - 73 \ 4 \\ 73 \ 2 - 74 \ 2 \end{array}$
75 76 77 78 79	4 6 3 2 2	3 1	9 1 6 4 5	55 42 35.5 27 20	6 7 5 3 6	8 1 3	19 2 10 7 10	105 78 70 56 44.5	$74\frac{1}{2}-75\frac{1}{2}$ $75\frac{1}{2}-76\frac{1}{2}$ $76\frac{1}{2}-77\frac{1}{2}$ $77\frac{1}{2}-78\frac{1}{2}$ $78\frac{1}{2}-79\frac{1}{2}$
80 81 82 83 84	2		6 1 1	12.5 11.5 6 5 4	7		10 1 6	27.5 21.5 12 11 5	$79\frac{1}{2} - 80\frac{1}{2}$ $80\frac{1}{2} - 81\frac{1}{2}$ $81\frac{1}{2} - 82\frac{1}{2}$ $82\frac{1}{2} - 83\frac{1}{2}$ $83\frac{1}{2} - 84\frac{1}{2}$
85 86 87 88 89	1			3 3 2 2 1	1		2	4 4 2 2 1	84½-85½ 85½-86½ 86½-87½ 87½-88½ 88½-89½
90			1	1	00.016	45,000	1	1	891-901
	22,261	20,476	2,058	177,710.5	38,813	45,380	4,259	345,038.0	

FEMALE LIFE. SUMMARY (B). OBSERVATIONS CLASSIFIED ACCORDING TO YEARS OF INSURANCE.

s of ance.	WHOLE	Number o	F ENTRA	NTS, 44,795.	88,45	2 Thousand	Dollars I	NSURED.	Duration
Years of Insurance.	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'd.	Death Claims.	Exposed to Risk.	of Insurance.
0 1 2 3 4	2,266 1,986 2,604 2,193 2,537	2,040 8,253 3,410 2,471 1,611	184 391 297 252 204	21,377.5 36,178.5 27,970 22,128.5 17,642.5	4,057 3,539 4,447 3,557 4,283	3,397 15,798 8,442 6,603 4,351	$ \begin{array}{r} 397 \\ 814 \\ 612 \\ 556 \\ 450 \end{array} $	42,527.5 72,702 56,229 43,647.5 34,057.5	$\begin{array}{cccc} 0 & - & \frac{1}{2} \\ \frac{1}{2} & - & 1\frac{1}{2} \\ 1\frac{1}{2} & - & 2\frac{1}{2} \\ 2\frac{1}{2} & - & 3\frac{1}{2} \\ 3\frac{1}{2} & - & 4\frac{1}{2} \end{array}$
5 6 7 8 9	2,411 2,383 2,080 1,490 793	1,010 580 511 211 124	174 143 95 49 50	13,591 10,211 7,139.5 4,603.5 2,897	4,063 4,233 3,806 2,762 1,362	2,849 1,436 1,193 544 260	369 295 180 98 80	25,724.5 19,150 13,307.5 8,453 5,191	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
10 11 12 13 14	391 207 61 31 54	77 50 29 14 17	27 22 16 17 11	1,953.5 1,472 1,203.5 1,105 1,041.5	659 404 114 75 133	176 90 55 27 28	48 43 26 42 17	3,531 2,691 2,171.5 1,990.5 1,846	$\begin{array}{c} 9\frac{1}{2} - 10\frac{1}{2} \\ 10\frac{1}{2} - 11\frac{1}{2} \\ 11\frac{1}{2} - 12\frac{1}{2} \\ 12\frac{1}{2} - 13\frac{1}{2} \\ 13\frac{1}{2} - 14\frac{1}{2} \end{array}$
15 16 17 18 19	45 37 32 26 27	12 6 10 12 10	11 15 11 17 11	962 897 837 783 729	89 98 61 54 49	24 14 21 14 20	30 42 20 21 19	1,670 1,532 1,374.5 1,276 1,184	$\begin{array}{c} 14\frac{1}{2} - 15\frac{1}{2} \\ 15\frac{1}{2} - 16\frac{1}{2} \\ 16\frac{1}{2} - 17\frac{1}{2} \\ 17\frac{1}{2} - 18\frac{1}{2} \\ 18\frac{1}{2} - 19\frac{1}{2} \end{array}$
20 21 22 23 24	41 45 60 122 147	4 4 7 2 1	13 18 5 12 11	684 626 557.5 488 352.5	72 68 98 175 240	8 13 12 3 2	31 28 5 15 19	1,102 988.5 880 769.5 577	$\begin{array}{c} 19\frac{1}{2} - 20\frac{1}{2} \\ 20\frac{1}{2} - 21\frac{1}{2} \\ 21\frac{1}{2} - 22\frac{1}{2} \\ 22\frac{1}{2} - 23\frac{1}{2} \\ 23\frac{1}{2} - 24\frac{1}{2} \end{array}$
25 26 27 28 29	122 59 8 2		2	194 70 11 3 1	197 94 20 3		2	317 118 24 4 1	$\begin{array}{c} 24\frac{1}{2} - 25\frac{1}{2} \\ 25\frac{1}{2} - 26\frac{1}{2} \\ 26\frac{1}{2} - 27\frac{1}{2} \\ 27\frac{1}{2} - 28\frac{1}{2} \\ 28\frac{1}{2} - 29\frac{1}{2} \end{array}$
30	$\frac{1}{22,261}$	$\frac{1}{20,476}$	2,058	$\frac{1}{177,710.5}$	$\frac{1}{38,813}$	45,380	4,259	$\frac{1}{345,038.0}$	$29\frac{1}{2}-30\frac{1}{2}$

Excepting the first Aggregates, the Amounts Insured are stated in Thousand Dollars in the columns \$, where 1 denotes \$1000, etc.

		Ag	e a	t Enti	у,	1	Yea	r.				Age	e at	Entr	y, 4	4 Y	ear	s.	
of ace.	No.	of I	ENTR.	ANTS, 5.	8	6,000	Insi	URED.	Exit.	of ace.	No	of E	NTR	ANTS, 3.	\$	3,000	Inst	URED.	Exit.
Years of Insurance,	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at]	Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinned.	Death Claims.	Exposed to Risk.	Age at Exit
0 1 2 3 4	1	1		2.5 4.5 4 4 4	\$	\$ 1	\$	\$ 3 5.5 5 5 5 5	1 2 3 4 5	0 1 2 3 4		1 1		1 1.5 1 1	46	\$ 1 1	***	\$ 1 1.5 1 1 1 1	4 5 6 7 8
5 6		1		2.5		1		2.5	6 7	5	-	$\frac{1}{3}$		6.0	-	$\frac{1}{3}$		$\frac{.5}{6.0}$	9
6 7 8 9	1			2 2 2 1	1			$\frac{2}{2}$	8 9 10)	Age	e at	Entr	y, ŧ	5 Y	ear	'	
10	1			1	1			1	11		No.	of E	INTR.	ANTS, 1.		31,000	Inst	JRED.	
	3	$\frac{2}{\Lambda g}$	e at	29.5 Entr	y, :	2 2 Y	ear	34.0 s.		0 1 2		1		.5 1 .5		1		.5 1 .5	5 6 7
	No.	of I	Entr.	ANTS, 2.	89	2,000	Insi	URED.				1		2.0		1		2.0	
0		1		1 1.5		1		1 1.5	2 3			Age	e at	Entr	y, (3 Y	ears	3.	
2 3				1				1 1	4 5		No.	of F	ENTR	ANTS, 1.		31,000	Inst	TRED.	
5		1		.5		1		1 .5	6	0				1.5				$\frac{.5}{1}$	6 7
	-	2		6.0		2		6.0		1 2 3				1 1				$\frac{1}{1}$	8 9
		Age	e at	Entr	y, {	3 Y	ear	S.		4 5				1 1				1 1	10
	No.	ог І	Entr.	ANTS, 3.	*	3,000	Inst	URED.		5 6 7				1 1				1 1	12 13
0				1.5				1.5	3	8 9		1		1		1		.5	14 15
1 2		1		$\begin{vmatrix} 3 \\ 2.5 \end{vmatrix}$		1		3 2.5	5			1		9.0		1		9.0	
3 4	1			$\frac{2}{1}$	1			$\frac{2}{1}$	6 7			Age	e at	Entr	y, 7	7 Y	ear	S.	
5	1	$\frac{1}{2}$		10.5	1	$\frac{1}{2}$		$\frac{.5}{10.5}$	8		No.	of E	NTR	ANTS, 4.	\$	4,000	Inst	JRED.	
	1	~		10.0		~		10.0		0 1 2 3 4		1		2 3.5 3 2.5 2		1		2 3.5 3 2.5 2	7 8 9 10 11

		Age	e at	Entr	y, 7	7 Y	ear	'S.				Λ_{ξ}	ge a	at Ent	ry,	9	Yea	ırs.	
of nce.		ог Е	INTR.	ANTS, 4.	8-	1,000	Inst	JRED.	Exit.	of nce.		of E	NTR	ANTS, 7.	\$2	21,000	Ins	URED.	Exit.
Years of Insurance.	Existing.	Discon-	Died.	Exposed to Risk.		Discon- tinued.	Death Claims.	Exposed to Risk.	Age at]	Years of Insurance.	Existing.	Discon-	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at Exit.
5 6 7	1	1 3		$ \begin{array}{c c} 2 \\ 1 \\ .5 \\ \hline 16.5 \end{array} $	* 1 1	\$ 1 3	\$	$ \begin{array}{c} $	12 13 14	10 11 12 13 14				1 1 1 1	**	\$	***	\$ 2 2 2 2 2	19 20 21 22 23
		Age	e at	t Entr	y, 8	3 Y	ear	'S.		15 16 17				1 1 1				2 2 2	24 25 26
	No.	of I	ENTR	ANTS, 5.	\$	5,000	Inst	URED.		18	$\frac{1}{4}$	3	_	$\frac{1}{32.0}$	$\frac{2}{14}$	7	_	$\frac{2}{84.0}$	27
0 1 2 3 4	1			2.5 5 4	1			$\begin{array}{c} 2.5 \\ 5 \\ 4 \end{array}$	8 9 10		-		at	Entry			Yea		
3 4		2		$\frac{3}{2}$		2		$\frac{3}{2}$	11 12		No.	of E	NTR.	ANTS, 18	*2	22,000	Ins	URED.	
5 6 7 8 9	1			2 1 1 1 1	1			2 1 1 1 1	13 14 15 16 17	0 1 2 3 4	1	2 1	1	9 17 13.5 13 12.5	2	3 1	1	11 20.5 15.5 15 14.5	10 11 12 13 14
10 11 12 13 14				1 1 1 1				1 1 1 1	18 19 20 21 22	5 6 7 8 9	1	2 3		11 10 7.5 6 6	1	3 2		13 11.5 9 8 8	15 16 17 18 19
15 16	$\frac{1}{3}$			$\frac{1}{29.5}$	$\frac{1}{3}$			$\frac{1}{29.5}$	23 24	10 11 12 13	1	1		5 4.5 3	1	1		7 6.5 5	20 21 22
	0	2		29.0	9	~		29.0		14				3				5 5	23 24
\	1			Entry						15 16 17 18	0	1		2.5 2 2 2	4	1		4.5 4 4	25 26 27
	-	1 1	ENTR	ANTS, 7.		1,000	Ins	URED.		10	$\frac{2}{6}$	 11		$\frac{z}{132.5}$	$\frac{4}{9}$	12	1	$\frac{4}{171.0}$	28
0 1 2 3 4	1 1	1 1		3 4.5 3 3	5 5	1		$\begin{array}{c} 10 \\ 14.5 \\ 9 \end{array}$	9 10 11			-		Entry					
3 4				3				9	12 13		No.	OF E	NTRA	ANTS, 25.	\$4	10,000	Ins	URED.	
5 6 7 8 9	1	1		2.5 1 1 1 1	2	5		6.5 2 2 2 2	14 15 16 17 18	0 1 2 3 4	2 1 1 2 1	1 1 7 3	1	$ \begin{array}{c c} 12 \\ 21.5 \\ 16.5 \\ 10.5 \\ 6 \end{array} $	6 5 5 2 1	1 1 5 4	2	19.5 32.5 24.5 15 9	11 12 13 14 15

		Age	at	Entry	7, 1	1	—— Yea	ırs.				Age	at	Entry	y, 1	2	Yea	ırs.	
of ice.		of E	NTR.	ants, 25.	\$4	10,000) Ins	URED.	Exit.	of 1ce.	No.	оғ Е	NTR.	ANTS, 27.	\$	62,000) Ins	URED.	Exit.
Years of Insurance.	Existing.	Discon-	Died.	Exposed to Risk.	Existing.	Discon-	Death Claims.	Exposed to Risk.	Age at	Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at]
5 6 7 8	1			5 5 4 4 4	\$ 2	\$	\$	\$ 8 8 6 6	16 17 18 19 20	20 21 22 23	1	10	_	2 2 1 1	\$ 1 1 20	\$	\$	\$ 2 2 1 1 1 2 5 0 5	32 33 34 35
10 11 12 13		2		4 3 2 2		4		6 4 2 2	21 22 23 24		1	12 Age	at	136.5 Entry	1	3 T		259.5 rs.	
14		1		$\tilde{1}.5$		1		1.5	25		No.	of E	NTR	ANTS, 27.	\$	42,000) Ins	URED.	
15 16 17 18 19				1 1 1 1				1 1 1 1	26 27 28 29 30	0 1 2 3 4	$\begin{bmatrix} 1 \\ 3 \\ 2 \\ 1 \\ 1 \end{bmatrix}$	3 3 2		13.5 24.5 18.5 14 12	$\begin{bmatrix} 1 \\ 12 \\ 2 \\ 1 \\ 2 \end{bmatrix}$	4 8 1		21 39 21 14.5 13	13 14 15 16 17
20 21	$\frac{1}{9}$		<u> </u>	$\frac{1}{1}$ 108.0	$\frac{1}{22}$	16	2	$\frac{1}{1}$ $\frac{1}{157.0}$	31 32	5 6 7	2 1 2	2		10 7 6	3 2 2	1		10.5 7 5	18 19 20
	1			Entry						8 9 10 11	2			4 2	ĩ			3 2 2	21 22 23 24
		or E	NTRA	12.5	-	52,000	Ins	URED.	12	12 13				2 2 2				2 2 2	25 26
0 1 2 3 4	$\begin{bmatrix} 1\\2\\2\\1\\1 \end{bmatrix}$	4 3 2	1	13.5 24 18.5 13 11	10 10 3 1 1	3 10 5	1	50.5 34 22.5 19	13 14 15 16	14 15 16 17 18				2 2 2 2				2 2 2 2	27 28 29 30 31
5 6 7 8 9	3 1	1 2		10 6.5 4 3 3	3 1	1 6		18 14.5 10 7 7	17 18 19 20 21	19 20 21 22				2 2 2				2 2 2 2 2	32 33 34 35 36
10 11 12	4			3 3	2			7 7 7	22 23 24 25	23 24 25 26	1			2 2 2 2 1	1			$\begin{bmatrix} 2\\2\\1 \end{bmatrix}$	37 38 39
13 14	1			3 2	5			7 2	26	27 28	1			1 1	1			1 1	40 41
15 16 17 18 19				2 2 2 2				2 2 2 2 2	27 28 29 30 31		17	10		146.5	28	14		171.0	

		Ag	ge :	at Entr	y, 1	4	Yea	rs.				Αę	ge	at Enti	y, 1	15	Yea	rs.	
of ice.	No.	of E	NTRA	ANTS, 86.	\$	130,00	00 Ins	SURED.	Exit.	of nce.	No.	of En	TRA	NTS, 136.	8%	208,000) Ins	URED.	Exit.
Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at	Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discontinued.	Death Claims.	Exposed to Risk.	Age at
0 1	4 7	3 17	-	41.5	\$ 8 13	\$ 3 13	\$	\$ 63.5 112.5	14 15	25 26	1			1 1	\$	\$	9%	\$ 4 4	40
2 3 4	2 4 2	7 7 3	1	51.5 41.5 31.5	3 2 2	17 9 5	$\begin{bmatrix} 1 \\ 1 \end{bmatrix}$	84.5 67.5 57.5	16 17 18		54	78	4	520.0	95	104	9	995.0	
5	2	4		26	2	11		47.5	19			Aş	ge	at Enti	ry, 1	6	Yea	rs.	
6 7 8	3 3 1	3 3 2		$\begin{bmatrix} 20.5 \\ 14.5 \\ 9 \end{bmatrix}$	7 4 2	2 2 2		$ \begin{array}{c} 39 \\ 30 \\ 24 \end{array} $	20 21 22		No.	of Er	TRA	ANTS, 164.	\$	229,00	0 In	SURED.	
9	2	î		6.5	$1\overset{\sim}{5}$	$\frac{\tilde{2}}{2}$		20	23	0	9	4	1	80 130.5	11	6 50	1	111.5 187	16 17
10 11 12	1	1		$\begin{array}{c} 4\\4\\2.5\end{array}$	1	1		4 4 2.5	24 25 26	2 3	6 11 1	13 6	1	96.5 75	7 13 1	18 11	1	145 116.5	18 19
13 14	1			$\frac{2}{1}$	1			2 1	27 28	5	5	8 4		67 55	12	19		75	20
	33	51	2	326.5	61	67	2	559.5	_	6 7	13 5	3 2		46.5	15 13	7 2		63.5	22
_		A	ge	at Ent	ry,	15	Yea	rs.	1	8 9	9 5	2	1	25 14	7	2	1	$\begin{array}{c} 30 \\ 21 \end{array}$	24 25
	No.	[NTRA	ANTS, 136.	-	1	00 Ins	URED.		10 11	1			8 6	8 5			19 11	26
0 1	6	33		65.5 108.5	$\begin{array}{c c} 13 \\ 6 \\ 16 \end{array}$	33 18		102 174.5 143	15 16 17	12 13 14	3			5 5 5	2			$\begin{array}{c} 6 \\ 6 \\ 6 \end{array}$	28 29 30
2 3 4	8 1 5	11 6 11	2	80.5 64 52.5	1 1 11	13 19	7	111.5 87.5	18 19	15 16	0			2	~			4 4	31 32
5 6	5	4 2	2	40 32	6 12	$\begin{vmatrix} 4\\2 \end{vmatrix}$	2	65 56	20 21	17 18				2 2 2 2				4 4	33 34
8	5 5	5		19.5 12	5 6	10		36 26	22 23	19 20			1	$\frac{2}{1}$			1	3	35 36
9	3	1		3.5	5	1		20 14.5	24	21 22				1 1				3 3	37 38
11 12				3				14 14	26	23 24	1			1	3			3	39 40
13 14				3 3				14 14	28		77	83	4	664.5	102	123	4	977.0	
15 16	1			3 2	5			14 9	30			Ag	ge	at Ent	ry,	17	Yea	irs.	
17 18 19				2 2 2 2				9 9	33 33 34		No.	of En	TRA	ANTS, 209.	\$	336,00	0 Ins	SURED.	
20 21								9 9	35 36	0 1	16 6	12 51	2	98.5 155.5	16 8	16 61	3	160 273.5	17 18
22 23 24	į			2 2 2 2 2	5			9 9	37 38 39	2 3 4	9 4 7	11 13 6	1 2	116.5 95.5 81	16 4 12	25 32 15	5	219.5 175 142.5	19 20 21

		Α.	ge	at Ent	ry,	17	Yea	ırs.				A	ge	at Enti	ry, 1	18	Yea	rs.	
of ice.	No.	of E	NTRA	ANTS, 209.	\$	336,00	0 Ins	URED.	Exit.	of ice.	No.	of E	TR/	ANTS, 372.	\$	651,00	0 Ins	SURED.	Exit.
Years of Insurance.	Existing.	Discon- tinned.	Died.	Exposed to Risk.	Existing.	Discontinued.	Death Claims.	Exposed to Risk.	Age at 1	Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims,	Exposed to Risk.	Age at]
5 6 7 8 9	8 17 9 6 5	9 5 2 2	1	64.5 49.5 29 17 10	\$ 14 33 15 9 12	\$ 18 7 1 2	\$ 2	\$ 113 86.5 49.5 31 21	22 23 24 25 26	20 21 22 23 24	1 2 1			5 5 5 4 2	\$ 4 2 1	\$	₩	\$ 8 8 4 2	38 39 40 41 42
10		1		4.5		1		9	27 28	25	_1			1	_1			1	43
11 12				4 4			ı	8 8	29		118	241	13	1,120.5	180	449	22	1,941.0	
13 14				4				8 8	30			Ag	ge	at Enti	cy, 1	19	Yea	rs.	
15 16				4 4				8 8	3.3 33		No.	of En	TRA	NTS, 496.	\$	831,00	00 In	SURED.	
17 18 19 20 21 22 23 24	1 1 1 1		1	4 4 3 3 3 3 2 1	1 1 1		5	8 8 3 3 3 3 2 1	34 35 36 37 38 39 40 41	0 1 2 3 4 5 6	30 20 17 18 19 27 26	35 115 61 44 13 8 7	2 3 1 1 1	230.5 371.5 260.5 190 142.5 113 78.5	47 38 23 22 30 27 33	61 176 133 87 47 14 11	$\begin{bmatrix} 4 \\ 6 \\ 3 \\ 1 \end{bmatrix}$	385 631 432.5 296.5 206.5 146 106.5	19 20 21 22 23 24 25
		112	7	768.5		178	16	1,359.5		8	$\frac{11}{9}$	6 3		$\frac{46}{30.5}$	$\begin{array}{ c c }\hline 16\\11\\ \end{array}$	7 3		$64.5 \\ 43.5$	26
		A	ō.6	at Enti	'V.	18	Yea	rs.		9	Je d	1		19.5	8	1	}	30.5	28
1-	No			ANTS, 372				URED.		10 11 12	1	3		10.5 8 8	1	4		$\frac{20}{17}$	29 30 31
0 1 2 3	16 11 21 12	31 109 40 26	3 1 3	170.5 267.5 181 127	28 11 27 18	32 230 72 57	4 1 7	309.5 472 309 217.5	18 19 20 21 23	13 14 15 16 17	1	1	1	7.5 6 6 5	5	1	3	16.5 11 11 8 8	31 32 33 34 35 36
5	8	12	1	93 72.5	16 12	16 23	1 2	156 119.5	23	18 19	1			5 4	1		-	8 7	37 38
6 7 8 9	16 8 1 4	5 4 2 1	2	52.5 30 19 16.5	21 25 1 5	6 4 8 1	1	91 64 33 27.5	24 25 26 27	20 21 22 23	1	1	1	4 3 2.5 2	2	2	1	7 5 4 3	39 40 41 42
10 11 12 13 14	2 2		1	12 10 7 7 7	4 3		5	22 18 10 10	28 29 30 31 32	24	1 189	298	9	1,560.0	$\frac{2}{266}$	547		2	43
15 16 17 18 19	4		1	6 5 5 5 5			1	9 8 8 8	33 34 35 36 37										

		\mathbf{A}_{i}	ge	at Enti	ry, s	20	Yea	ırs.				Ag	ge	at Entı	y, 2	21	Yea	rs.	
of ice.	No.	of E	NTR	ANTS, 745.	\$1	,287,0	00 In	SURED.	Exit.	of ice.	No.	of En	TRA	ANTS, 880.	\$1	,548,0	00 In	ISURED.	Exit.
Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discontinued.	Death Claims.	Exposed to Risk.	Age at 1	Years of Insurance.	Existing.	Discon- tinned.	Died.	Exposed to Risk.	Existing.	Discontinued.	Death Claims.	Exposed to Risk.	Age at]
0 1 2 3 4	42 38 31 32 42	68 167 71 37 37	3 9 2 2 3	338.5 548.5 382.5 295.5 224.5	\$ 66 72 51 47 61	\$ 103 265 159 87 72	\$ 3 11 4 3 2	\$ 592 982.5 687.5 509.5 380	20 21 22 23 24	0 1 2 3 4	45 43 44 39 30	56 225 72 60 30	3 5 8 5 1	412 663.5 467 349 260	\$ 64 63 68 55 49	\$ 78 400 159 110 86	13	\$735 1,202 853.5 638 475	21 22 23 24 25
5 6 7 8 9	23 23 20 19 5	17 7 14 3 2	4 1 2 2	152.5 113.5 79 48.5 25	45 38 42 45 8	27 13 19 6 2	3 1 3 1	267.5 199.5 144.5 87 37	25 26 27 28 29	5 6 7 8 9	36 32 35 19 6	21 8 7 5 2	1 2 2 1	203.5 152 111.5 68.5 44	53 65 48 26 11	38 18 17 8 6	$\begin{array}{c} 1 \\ 3 \\ 3 \\ 21 \\ 2 \end{array}$	363 281 195.5 132 78	26 27 28 29 30
10 11 12 13 14	3 1 1	2		18 14 13 12 12	7 1 1	3		26.5 18 17 16 16	30 31 32 33 34	10 11 12 13 14	7 3 1	1 3	1	35.5 25.5 21 20 20	15 4 5 5	2 4	1	61 42 36 31 31	31 32 33 34 35
15 16 17 18 19			1	12 11 11 11 11 10			1	16 15 15 15 14	35 36 37 38 39	15 16 17 18 19	1 1	1		19 18 17 17 16.5	$\begin{vmatrix} 1\\2 \end{vmatrix}$	1		26 25 23 23 22.5	36 37 38 39 40
20 21 22 23 24	1 1 3 1		1	10 9 8 8 5	$\begin{bmatrix} 1\\3\\3\\1 \end{bmatrix}$		1	14 13 10 10 7	40 41 42 43 44	20 21 22 23 24	1 1 2 4 2			16 15 14 12 8	2 1 3 4 2			22 20 19 16 12	41 42 43 44 45
25 26 27 28	2			3 1 1 1	4			5 1 1 1	45 46 47 48	25 26	$\frac{4}{2}$ 359	491	30	$\frac{\frac{6}{2}}{3,013.5}$	$\begin{vmatrix} 8\\ 2\\ 556 \end{vmatrix}$	927	65	$\frac{10}{2} \\ \overline{5,374.5}$	46 47
30	1			1	1			1	49 50										
	289	425	31	2,380.0	497	756	34	4,119.5											

				Age at Er	ntry, 22	Years.			
Years of Insurance.	N	UMBER OF	Entrants	s, 1,141.		\$1,986,000	Insured.		Age
Year	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
0 1 2 3 4	56 45 60 60 44	75 278 121 61 39	7 8 9 4 6	533 864 611.5 451.5 337.5	\$ 88 79 94 68 74	\$ 116 482 262 145 60	\$ 16 23 14 5 21	\$ 935 1,525 1,051 739.5 564	22 23 24 25 26
5 6 7 8 9	34 35 33 29 11	$25 \\ 11 \\ 16 \\ 19 \\ 2$	2 3 1 1 1	255.5 201.5 150 98.5 58	56 40 50 46 11	57 14 44 29 6	5 7 1 2 1	410.5 314 238 150.5 85	27 28 29 30 31
10 11 12 13 14	14 5 3	1	2	$\begin{array}{c} 45 \\ 28.5 \\ 23 \\ 19.5 \\ 19 \end{array}$	21 10 2 5	1 3	4	70 44.5 34 30.5 29	32 33 34 35 36
15 16 17 18 19	2 2	1	2	17.5 17 17 13 13	2	1	2	23.5 23 23 19 19	37 38 39 40 41
20 21 22 23 24	2 2 4			11 11 11 9 7	3 3 8			18 18 18 15 12	42 43 44 45 46
25 26	2 1			3 1	2 2			4 2	47 48
	445	650	46	3,826.5	665	1,220	101	6,415.0	

Age at Entry, 23 Years.

	N	UMBER OF I	ENTRANTS.	1,264.		\$2,268,000	Insured.		
			1]		
0	68	81	9	591.5	114	130	22	1,069	23
1	59	300	7	956	92	536	11	1,734	24
2	82	104	8	688	114	221	11	1,252.5	25
3	44	73	7	509.5	60	176	16	929	26
4	57	37	5	403.5	84	87	15	721.5	27
						20		× 40	00
5	51	29	5	308.5	66	60	9	549	28
6	52	14	3	231	80	27	5	430.5	29
7	55	18		160	106	18		323	30
8	30	2		95	67	4		206	31
9	10	2		63	26	4		135	32
								4.0%	0.0
10	7			52	11	_		107	33
11	6	1	1	44.5	13	2	1	95	34
12	3	2		36	5	1		79.5	35
13				32				74	36
14	2	1		31.5	8	2		73	37

Age a	at Enti	v. 23	Years.
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Years of Insurance.	_	SMBER OF	Entrants	3, 1,264		\$2,268,000	Insured.		Age
Yea	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
15 16 17	2	1	2	29 25 24.5	\$ 9	\$	\$	\$ 64 49	38 39
18 19	2 2		1	24. 5 24 22	16 2	1	3	48.5 48 32	40 41 42
20 21 22 23 24	3 2 2 3 4		1	19 16 14 11 8	3 2 3 7 4		1	27 24 22 18 11	43 44 45 46 47
25 26 27	3			4 1 1	3			7 4 4	48 49 50
	550	665	49	4,400.5	899	1,269	100	8,136.5	

Age at Entry, 24 Years.

I									
	N	UMBER OF	ENTRANTS	s, 1,899.		\$2,603,000	Insured.		
0 1 2 3 4	64 57 88 61 67	77 328 130 84 51	6 11 10 7 5	$ \begin{array}{c} 661 \\ 1,088 \\ 791 \\ 586 \\ 450.5 \end{array} $	102 108 133 100 109	132 567 240 191 156	5 17 25 17	1,235.5 2,080.5 1,552 1,178.5 888	24 25 26 27 28
5 6 7 8 9	59 54 42 34 22	34 11 14 8 7	3 5 2 1 2	336 251.5 180 125 82.5	114 106 63 75 33	96 25 26 15 14	6 10 3 1 2	$640 \\ 459.5 \\ 318 \\ 231.5 \\ 141$	29 30 31 32 33
10 11 12 13 14	5 8 1 3	1 1	1	54.5 47.5 39 39 37.5	8 11 10 8	1 1 2	2	98.5 87.5 76 76 65	34 35 36 37 38
15 16 17 18 19	1 1 1	1		34 33 32 30.5 30	5 1 5	1		$56 \\ 51 \\ 50 \\ 44.5 $	39 40 41 42 43
20 21 22 23 24	2 1 4 6		2	30 30 28 27 21	5 1 5 13		2	44 44 39 38 31	44 45 46 47 48

Age at Entry, 2	4	Years.
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Years of Insurance.	N	UMBER OF	Entrant	s, 1,399.	\$2,603,000 INSURED.					
	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed	Death Claims.	Exposed to Risk.	Exit.	
					\$	\$	\$	\$		
25	8		1	15	9		1	18	49	
26	5			6	7			8	50	
27	1			1	1			1	51	
	595	748	56	5,086.5	1,032	1,467	104	9,596.0		

Age at Entry, 25 Years.

	N	UMBER OF	Entrants	s, 1,547.		\$3,119,000 Insured.				
0 1 2 3 4	66 68 79 49 72	103 347 126 93 58	3 15 9 6 4	722 1,201.5 882 684.5 554	134 94 107 71 93	161 697 337 275 206	3 22 24 12 10	1,479 2,472.5 1,839.5 1,402.5 1,079	25 26 27 28 29	
5 6 7 8 9	81 62 49 45 23	40 18 19 8 4	3 4 2 1 4	$\begin{array}{c} 429 \\ 316 \\ 231.5 \\ 167 \\ 115 \end{array}$	136 142 126 77 33	94 45 37 19 4	3 8 3 2 4	$\begin{array}{c} 826 \\ 617.5 \\ 426.5 \\ 269.5 \\ 179 \end{array}$	30 31 32 33 34	
10 11 12 13 14	15 7 1 2 1	1 2 2 2	1	85.5 69 60 56 53	23 15 1 3 2	3 2 1 3	1	138.5 113 96.5 92.5 88	35 36 37 38 39	
15 16 17 18 19	2 2 3 2 1	1	1 2	50.5 47 43 38.5 36	5 2 3 2 2	1	$\begin{array}{c c} 1\\4\\2\end{array}$	83 75 69 63.5	40 41 42 43 44	
20 21 22 23 24	1 3 1 6 10		2	35 34 31 30 22	2 3 2 9 16		5	59 57 54 52 38	45 46 47 48 49	
25 26	7 5			12 5	15			22 7	50 51	
	663	825	59	6,010.0	1,125	1,889	105	11,760.0		

				Age at En	ntry, 26	Years.			
Years of Insurance.	N	UMBER OF	Entrant	s, 1,664.		\$3,0 52,000	Insured.		Age
Year	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
0 1 2 3 4	81 77 82 71 73	119 345 136 94 66	5 17 8 6 6	772.5 1,286.5 952 747 590	\$ 132 129 128 91 117	\$ 231 649 329 244 165	\$ 6 35 16 10 10	\$ 1,410.5 2,358.5 1,705.5 1,275 969.5	26 27 28 29 30
5 6 7 8 9	73 76 60 57 30	37 18 23 4 7	3 6 3 5	$\begin{array}{c} 459.5 \\ 356 \\ 253.5 \\ 177 \\ 109.5 \end{array}$	92 112 113 94 42	76 40 42 6 10	$\begin{array}{c} 2\\10\\4\\8\\2\end{array}$	722 570 407 266 156	31 32 33 34 35
10 11 12 13 14	12 7	4 1 3	1	73 57.5 48.5 47 46	17 11 3	5 1 8	2	104.5 82.5 67 63 62	36 37 38 39 40
15 16 17 18 19	2 2 2 1			44 42 40 37.5 36	6 1 2 1	1		59 53 52 49.5 48	41 42 43 44 45
20 21 22 23 24	3 4 3 3 9		1	36 33 28 25 22	5 6 3 8 11		1	48 43 36 33 25	46 47 48 49 50
25 26	8 4			12 4	8 5			13 5	51 52

Age at Entry, 27 Years.

1,137

6,335.0

858

742

64

1,807

108

10,683.5

	Nt	UMBER OF I	Entrants	, 1,624.	\$3,233,000 Insured.				
0 1 2 3 4	79 69 105 74 82	75 335 148 108 60	9 12 9 6 5	774.5 1,293.5 971 729 565	113 138 176 123 140	118 627 390 288 173	16 20 18 10 13	1,557.5 2,672.5 2,006 1,473 1,109.5	27 28 29 30 31
5 6 7 8 9	85 56 59 51 31	28 18 17 8 4	5 6 4 4	434 321 241.5 166 105	137 88 93 105 51	99 41 42 18 5	12 15 3 6	820.5 601.5 457 331 208.5	32 33 34 35 36

				Age at En	itry, 27	Years.			
Years of Insurance.	N	UMBER OF	ENTRANT	s, 1,624.		\$3,233,000	Insured.		Age
Year	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
10 11 12 13 14	10 9 4 1	3 1 1 1	1	70.5 57.5 47.5 42.5 40	\$ 26 17 10 1 2	\$ 8 2 1 1	2	\$ 151 118 99.5 88.5 86	37 38 39 40 41
15 16 17 18 19	1 1 2	1	1	39 38.5 37 36 33.5	3 1 3	1	2	84 83.5 81 78 75.5	42 43 44 45 46
20 21 22 23 24	3 3 6 6	2		30 26 26 23 17	8 6 9 14	4		70 60 60 54 45	47 48 49 50 51
25 26	8 3			11 3	23 8			31 8	52 53
	749	811	64	6,178.5	1,295	1,819	119	12,510.0	

Age at Entry, 28 Years.

	N	umber of	ENTRANTS	, 1,852.	\$3,462,000 Insured.				
0 1 2 3 4	70 75 112 93 100	102 382 158 91 67	4 12 8 10 8	875 1,485 1,128 883.5 701.5	111 112 167 187 143	168 678 422 158 180	7 29 8 21 13	1,647 2,837 2,146 1,681 1,304	28 29 30 31 32
5 6 7 8 9	88 107 89 57 37	36 15 15 6 6	8 2 4 2 3	542 420.5 296.5 193 128	127 185 197 116 64	77 36 42 24 18	13 3 4 3 4	$ \begin{array}{r} 1,019.5 \\ 823 \\ 596 \\ 362 \\ 222 \end{array} $	33 34 35 36 37
10 11 12 13 14	18 8 4 2	4 1 1	1 1 2	83 61.5 51.5 47 45	27 18 14 3	8 2 1	2 1 3	141 107 86.5 72 69	38 39 40 41 42
15 16 17 18 19	2 2 2 1 2	1 1	1 1	43 40 37 34.5 32.5	3 6 7 1 2	1 5	2 1	66 61 54 46.5 42.5	43 44 45 46 47

Age at Entry, 28 Years. Years of Insurance. NUMBER OF ENTRANTS, 1,852. \$3,462,000 INSURED. Age at Discontinued. Exposed to Risk. Amounts Existing. Amounts Discontin'ed. Death Claims. Exposed to Risk. Exit. Existing. Died. \$ \$ \$ 50 3 7 1,820 13,549.0 7,255.0 1,526

Age at Entry, 29 Years.

	N	UMBER OF	ENTRANT	s, 1,713.		\$3,520,000	Insured.		1
		I	1				1	1	
0	78	89	6	812	150	139	12	1,690.5	29
1	63	323	18	1,378.5	107	599	54	2,919.5	30
2 3	79	133	16	1,069.5	130	354	31	2,282	31
	81	104	10	856	125	309	25	1,789.5	32
4	93	57	8	684.5	146	208	18	1,381	33
5	89	47	5	531.5	152	124	8	1,051	34
6	90	23	5	402.5	186	60	8	799	35
7	79	27	3	282.5	160	60	8	545	36
8	55	8	3	183	94	21	6	336.5	37
9	38	3	1	119.5	77	9	2	221.5	38
10	15	6	3	76	24	10	17	133	39
11	5	3	1	53.5	12	5	2	94.5	40
12	1			46	2			78	41
13	1	1	3	44.5	2	1	13	75.5	4.2
14	3			40	9			60	43
15	3	1	1	36.5	2	1	3	50.5	44
16	3			32	11			45	45
17	1	1		28.5	1	1		33.5	46
18	1		1	27	1		2	32	47
19				25			<u> </u>	29	48
20	2			25	3			29	49
21	1			23	1			26	50
22	2			22	3			25	51
23	5			20	6			22	52
24	8			15	9			16	53
25	4			7	4			7	54
26	3			3	3			3	55
	803	826	84	6,843.5	1,420	1,901	199	13,774.5	

Age	at	Entry,	30	Years
7750	au	TULLUL Y a	00	T Care.

Years of Insurance.	N	UMBER OF	Entrant	s, 1,944.		\$3,837,000	Insured.		Age
Yea	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
0 1 2 3 4	90 76 111 93 103	79 356 146 102 82	8 18 9 18 8	932.5 1,589 1,244 1,000 797	\$ 149 116 174 144 156	\$ 150 659 354 299 232	\$ 16 51 14 38 17	\$ 1,843.5 3,192.5 2,519 2,004.5 1,557	30 31 32 33 34
5 6 7 8 9	125 87 110 67 43	50 23 21 15 2	6 11 2	620 452.5 332.5 204.5 127	207 166 176 109 76	174 61 67 31 6	9 34 3	1,181 847.5 583.5 358.5 228	35 36 37 38 39
10 11 12 13 14	14 11 2 1	2	1 3 1 1 1	82.5 67 52 . 48 46	22 31 6 1 5	1 6	1 3 5 1 1	148.5 125 88 74 72	40 41 42 43 44
15 16 17 18 19	2 1 1 1	1 2	1	44 41.5 40 38 35	3 1 1 1	3	$\frac{1}{2}$	66 61.5 59 56.5 53	45 46 47 48 49
20 21 22 23 24	1 1 1 10 8	2	1 1	33 32 30 27 16	1 1 2 13 16	4	1 1	51 50 47 42 28	50 51 52 53 54
25 26	$\frac{4}{4}$			8 4	3 9			12 9	55 56
	968	884	92	7,943.0	1,589	2,050	198	15,357.5	

Age at Entry, 31 Years.

	N	umber of l	Entrants	, 1,674.		\$3,563,000	Insured.		
0	75	64	4	805	116	108	18	1,727.5	31
1	93	313	13	1,374.5	158	628	15	3,007	32
2	107	125	10	1,049.5	135	368	17	2,336	33
3	85	98	6	821	141	306	25	1,847	34
4	91	75	5	643.5	148	232	8	1,412	35
5	79	39	6	490.5	134	225	$egin{array}{cccc} 11 & & & & \\ 4 & & & & \\ 12 & & & & \\ 10 & & & & \\ & 1 & & & \\ \end{array}$	1,027.5	36
6	85	18	3	377	215	46		747	37
7	80	18	5	271	144	27		491.5	38
8	53	6	4	174	77	13		315.5	39
9	29	5	1	111.5	54	9		217.5	40

Age at En	try.	31	Years.
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Years of Insurance.	N	UMBER OF	Entrants	3, 1,674.		\$3,563,000	Insured.		Age
Yea	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
10 11 12 13 14 15 16 17 18 19	15 11 3 1 4 2 2	4 5 3 1 2	2 1	77 55.5 39.5 35 33.5 - 28 - 25 23 20 20	\$ 24 19 7 1 14 5 4 8	\$ 12 7 3 2 3	\$ 1 5	\$ 152 117.5 88.5 80 78 61.5 55 51 42 42	41 42 43 44 45 46 47 48 49 50
20 21 22 23 24 25 26	2 1 2 5 4 2	1 1	2	20 18 16.5 15.5 13 6 2	11 2 5 13 4 2	1 2	2	42 31 28.5 27 21 6 2	51 52 53 54 55 56 57
	833	778	63	6,565.0	1,441	1,992	130	14,053.5	

Age at Entry, 32 Years.

	N	UMBER OF I	Entrants	, 1,763.		\$3,671,000	0 Insured.		
0 1 2 3 4	81 65 87 78 101	60 383 139 83 62	8 14 10 10 5	851.5 1,422.5 1,082.5 874.5 714	139 122 193 120 158	100 755 392 256 150	17 23 21 19 7	1,785.5 3,037.5 2,319 1,781 1,439	32 33 34 35 36
5 6 7 8 9	84 103 87 53 30	34 35 27 6 7	8 4 2 1 1	560 433.5 295.5 190 129.5	162 183 174 106 60	145 85 50 18 15	22 6 6 1 5	1,126.5 827.5 571 357 233.5	37 38 39 40 41
10 11 12 13 14	19 14 1 2	3 1 3	1 1 1	95 74.5 58.5 56 53.5	22 27 2	3 2 5	1 3 2	161 137.5 108 104 98.5	42 43 44 45 46
15 16 17 18 19	4 2 1 2	1	1	48.5 44 40.5 40 39	1 1 5	2	3	89.5 85 65 64 63	47 48 49 50 51

	ø			Age at Er	ntry, 32	Years.			
Years of Insurance.	N	UMBER OF	Entrants	s, 1,763.		\$3,671,000	Insured.		Age
Year	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
90	9			05.5	\$	\$	\$	\$ 50 5	52
$\begin{array}{c} 20 \\ 21 \end{array}$	$\frac{2}{2}$	1		$\begin{array}{c} 35.5 \\ 33 \end{array}$	3 3	1		$\begin{array}{c} 56.5 \\ 53 \end{array}$	53
22	7			31	8			50	54
23	6			24	11			42	55
24	8			18	15			31	56
25	6			10	10			16	57
26	4			4	6			6	58
	849	846	68	7,258.5	1,554	1,980	137	14,707.5	

Age at Entry, 33 Years.

	N	UMBER OF	Entrant	s, 1,785.		\$3,471,000	Insured.		
0 1 2 3 4	101 69 100 87 107	56 324 129 100 65	9 14 11 10 5	864.5 1,457 1,147.5 922 742.5	180 112 163 158 186	88 626 310 268 179	24 26 23 12 15	1,691.5 2,866 2,260 1,785 1,391.5	33 34 35 36 37
5 6 7 8 9	103 92 94 71 28	41 24 22 7 4	6 4 3	577.5 436 317 205.5 129	153 159 162 97 53	145 62 50 10	7 5 3	$\begin{array}{c} 1,028.5\\ 765\\ 545\\ 350\\ 244.5 \end{array}$	38 39 40 41 42
10 11 12 13 14	15 8 3 1 2	3 3 4 3	1 2 2	95.5 76.5 65 58 55.5	30 16 5 1 5	17 12 11 3	1 2 3	178.5 133 105.5 93 90.5	43 44 45 46 47
15 16 17 18 19	6 5 3 2 3	2	1 1	49.5 43 38 33 29	8 10 6 7 3	2	1 1	80 71 61 53 44	48 49 50 51 52
20 21 22 23 24	1 1 4 7	1 1	2	26 25.5 23.5 22 18	1 1 6 9	1 3	2	41 40.5 37.5 35 29	53 54 55 56 57
25 26	6 2		1	9 2	14 3		1	18	58 59
	921	790	74	7,467.5	1,548	1,796	127	14,040.5	

				Age at Eu	try, 34	Years.			
Years of Insurance.	N	UMBER OF	Entrants	a, 1,688.		\$3,345,000	Insured.	Death Claims. Exposed to Risk. \$ 22 1,600.5 46 2,695.5 27 2,090.5 9 1,565 17 1,195.5 10 908 5 712 447.5 2 289 10 181.5 1 123 101.5 89 83 80 76 66 65 65 65	
Yean Insu	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	at Exit.
0 1 2 3 4	102 61 109 84 85	79 308 124 96 62	7 18 11 3 7	804.5 1,346 1,051 821 655	\$ 181 100 201 130 130	\$ 144 605 313 282 179	$ \begin{array}{c} 22 \\ 46 \\ 27 \\ 9 \end{array} $	1,600.5 2,695.5 2,090.5 1,565	34 35 36 37 38
5 6 7 8 9	73 91 76 62 32	48 24 20 11 3	4 3 3 1 4	508 395 279 184.5 114.5	86 175 94 84 44	102 98 71 38 5	$\begin{array}{c} 5 \\ 10 \\ 2 \end{array}$	$712 \\ 447.5 \\ 289$	39 40 41 42 43
10 11 12 13 14	14 6 4 3	4 1 2	1	75 58.5 50 45 42	19 9 4 3 2	4 1 4	1	101.5 89 83	44 45 46 47 48
15 16 17 18 19	3 1 2	1	1	40.5 37 36 36 36	8 1 6	4	1	66 65	49 50 51 52 53
20 21 22 23 24	3 3 2 9 7			33 30 27 25 16	$\begin{array}{c} 4 \\ 4 \\ 6 \\ 14 \\ 15 \end{array}$			58 54 50 44 30	54 55 56 57 58
25 26 27	5 2 2			9 4 2	6 2 7			15 9 7	59 60 61
	842	783	63	6,760.5	1,335	1,850	160	12,765.5	
				Age at En	try, 35	Years.			

Age a	at E	ntry,	35	Years.
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	N	JMBER OF I	ENTRANTS	, 1,705.		\$3,622,000			
0	82	77	7	814	158	123	19	1,749.5	35
1	69	270	16	1,404	124	569	45	3,037.5	36
2	94	121	11	1,123.5	188	375	20	2,396.5	37
3	102	94	9	911	156	275	13	1,863.5	38
4	100	67	4	719.5	125	163	4	1,475.5	39
5	91	36	3	564	142	132	5	1,199	•40
6	117	28	7	438	188	115	14	928.5	41
7	94	17	3	291.5	182	69	10	634.5	42
8	53	6	1	183	108	58	1	379	43
9	34	10	1	121	41	38	2	222	44
10	18	3	1	79.5	35	4	1	158	45
11	7		1	59	12		1	120	46
12	2			51	2			107	47
13	4	1	. 2	48.5	20	3	5	103.5	48
14	3	1		41.5	2	2		76	49

				Age at Er	ntry, 35	Years.			
Years of Insurance.	N	UMBER OF	Entrant	s, 1,705.		\$3,622,000	Insured.		Age
Yea	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing,	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
15 16 17 18	2 1 1	2 1	1 1 1 1	38 35 33 29.5	\$ 5 1 5 5	\$ 5 1 2	\$ 1 5 2	\$ 73 67 59.5 53.5	50 51 52 53
19 20 21 22 23 24	2 8 6	1	1	27.5 24 23 23 21 13	4 9 7	2	3	$egin{array}{c} 47 \\ 39 \\ 36 \\ 36 \\ 32 \\ 23 \\ \end{array}$	54 55 56 57 58 59
25 26 27	$\begin{bmatrix} 4\\2\\1 \end{bmatrix}$			7 3 1	10 3 3			16 6 3	60 61 62
	899	735	71	7,127.0	1,534	1,934	154	14,941.0	

Age at Entry, 36 Years.

	N	UMBER OF	ENTRANT	s, 1,551.		\$3,002,000	Insured.		
0 1 2 3 4	63 70 80 88 111	63 281 110 78 47	3 13 8 7 8	744 1,281.5 1,003 821 663.5	93 133 121 186 181	127 505 262 217 115	9 29 31 11 8	1,437.5 2,520.5 1,975 1,583.5 1,220.5	36 37 38 39 40
5 6 7 8 9	88 78 77 66 26	38 25 22 8 7	3 5 1 1	502 379.5 273 180 105.5	$ \begin{array}{c} 123 \\ 110 \\ 166 \\ 169 \\ 44 \end{array} $	86 47 50 19 13	3 8 2 5 1	931 738.5 572 369.5 179.5	41 42 43 44 45
10 11 12 13 14	17 6 4 2 3	3 4 1 1	1	73.5 52 · 44 39.5 36.5	24 19 8 2 7	5 9 1 1	1	125.5 93.5 70 61.5 58.5	46 47 48 49 50
15 16 17 18 19	2		1	33 33 33 31 30	3 1		1	51 51 51 48 47	51 52 53 54 55
20° 21 22 23 24	1 6 5 5 4		1	29 28 21 16 11	1 10 5 9		1	46 45 34 29 20	56 57 58 59 60
25 26	6			7	10			11 1	61 62
	810	688	53	6,471.5	1,435	1,457	110	12,370.5	

	Age at Entry, 37 Years.											
Years of Insurance.	N	UMBER OF	Entrant	s, 1,548.	\$3,045,000 Insured.				Age			
Year	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.			
0 1 2 3 4	73 81 91 84 100	64 270 103 92 51	8 15 7 6 3	742 1,268 985.5 790 628.5	\$ 147 146 143 143 167	\$ 86 500 223 280 123	\$ 16 35 15 12 6	\$ 1,479.5 2,546 2,003.5 1,594 1,237.5	37 38 39 40 41			
5 6 7 8 9	79 91 94 47 29	32 18 12 7 1	7 1 2 1 4	$\begin{array}{r} 484 \\ 373 \\ 266 \\ 160.5 \\ 108.5 \end{array}$	156 134 164 140 41	94 41 39 24 10	14 2 5 1 6	956 718.5 542.5 342 184	42 43 44 45 46			
10 11 12 13 14	12 7 2 2 2	3 2 1 1	1	73.5 59 50.5 46.5 44	19 8 5 4 3	4 1 1 1	5	130 108.5 99.5 88.5 84	47 48 49 50 51			
15 16 17 18 19	1 2 3 1	2 1 1 3	2	41 38.5 33.5 30 27.5	1 8 4 1	6 1 5 3	7	78 73.5 55.5 49 46.5	52 53 54 55 56			
20 21 22 23 24	1 5 5 7		1	26 25 25 20 15	$\begin{bmatrix} & 4 & \\ & 6 & \\ & 7 & \\ & 12 & \end{bmatrix}$		2	45 41 41 35 28	57 58 59 60 61			
25 26	4 3			3	7			14 7	63			
	826	664	58	6,371.0	1,477	1,442	126	12,627.5				

Age at Entry, 38 Years.

	N	UMBER OF I	Entrants	, 1,508.	\$3,086,000 Insured.				
0 1 2 3 4	69 65 82 77 88	66 240 119 76 67	5 14 15 10 5	721 1,248 989.5 795 636.5	148 150 181 134 153	110 464 316 237 155	13 26 27 23 7	1,488 2,583 2,017 1,532.5 1,179.5	38 39 40 41 42
5 6 7 8 9	107 97 65 45 43	$\begin{bmatrix} 32 \\ 8 \\ 17 \\ 6 \\ 4 \end{bmatrix}$	6 5 5	$ \begin{array}{c} 494 \\ 361 \\ 246.5 \\ 165 \\ 115 \end{array} $	159 159 123 82 68	89 24 45 13 8	14 - 7 11	897.5 668 467.5 304.5 212	43 44 45 46 47

				Age at En	ntry, 38	Years.			
Years of Insurance.	N	UMBER OF	Entrants	s, 1,508.	\$3,086,000 Insured.				
Yea	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	at Exit.
10 11 12 13 14	10 8 1 2 5	2 2	1	69 56 47 46 44	\$ 23 16 1 6 14	\$ 12 2	\$ 1	\$ 134 103 86 - 85 79	48 49 50 51 52
15 16 17 18 19	3 1	1	5 1	38 37.5 34 32.5 27	5 1	3	4	64 62.5 56 54.5 50	53 54 55 56 57
20 21 22 23 24	3 1 5 3	1	5 1	26 17.5 15 10 10	4 5 9 4	5	10	49 32.5 24 15 15	58 59 60 61 62
25 26	5 2			7 2	7 4			11 4	63 64

Age at Entry, 39 Years.

1,484

146

12,274.0

6,290.0 1,456

787

642

79

	N	UMBER OF	Entrants	, 1,330.	\$2,782,000 INSURED.				
0 1 2 3 4	81 51 101 72 65	45 209 105 89 53	6 10 4 8 10	642.5 1,093.5 875.5 673.5 522.5	148 102 209 130 73	80 414 290 237 185	$14 \\ 14 \\ 5 \\ 12 \\ 25$	1,351 2,333 1,865 1,387.5 1,034.5	39 40 41 42 43
5 6 7 8 9	77 76 60 41 21	29 20 10 5 3	7 1 4	$406.5 \\ 298 \\ 206 \\ 134.5 \\ 89.5$	133 120 116 99 37	78 48 29 16 3	30 1 7	805 579 419.5 274 165.5	44 45 46 47 48
10 11 12. 13 14	16 8 3	2	1 1	67 51 41 36 36	34 10 6	6	1 2 1	127 93 79 68 68	49 50 51 52 53
15 16 17 18 19	3 2 1	2 2	3	34 34 30 29 23	15 2 5	4	3	66 66 49 47 38.5	54 55 56 57 58

Age	at	Entry,	39	Years.	
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Years of Insurance.	N	UMBER OF	Entrants	з, 1,330.	\$2,782,000 Insured.				
Yea	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed	Death Claims.	Exposed to Risk.	Exit.
					\$	\$	*	\$	
20	1			21	1			30	59
21	2		1	20	3		1	29	60
22				17				25	61
23	3		2	17	4		2	25	62
24	5			12	6			19	63
25	4			7	5			13	64
26	1			3	4			8	65
27	2			2	4			4	66
	697	574	59	5,422.0	1,267	1,397	118	11,068.5	

Age at Entry, 40 Years.

	. N	UMBER OF	ENTRANTS	3, 1,444.		\$2,888,000	Insured.		
0 1 2 3 4	73 67 94 62 83	63 242 110 77 65	5 17 5 10 9	690.5 1,182 922 729.5 586.5	129 119 174 88 164	108 527 243 204 184	8 33 19 20 21	1,390 2,379.5 1,842.5 1,426 1,124	40 41 42 43 44
5 6 7 8 9	84 87 81 45 25	22 18 16 4 2	7 5 3	451 340 231 137 89	133 160 147 87 37	64 34 33 9 6	17 10 4	815 616 412.5 240.5 146	45 46 47 48 49
10 11 12 13 14	16 7 1 2 2	2 2 2 1 1		61 43 34 31.5 28.5	20 14 1 3 10	3 3 77 5 3		103.5 80.5 61.5 54.5 47.5	50 51 52 53 54
15 16 17 18 19	1	1	1	26 25 24.5 22 22	1 2	2	2	36 34 33 29 29	55 56 57 58 59
20 21 22 23 24	1 4 7	1	2 1	21 21 18.5 16 11.5	1 7 9	1 2	1 1	27 27 25.5 23 15	60 61 62 63 64
25	747	630	67	5,768.0	5 1,311	1,438	139	5 11,023.0	65

Age at	Entry,	41	Years.
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Years of Insurance.	N	UMBER OF	Entrant	s, 1,077.		\$2,277,000	Insured.		Age		
Yea	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.		
0 1 2 3 4 5 6	50 43 58 53 74 68 63	35 182 74 62 43 26 12	3 10 10 5 4 5 4	521 898 717 581 470.5	\$ 84 97 122 107 139 111 116	\$ 67 374 192 168 117 61 37	\$ 8 16 20 14 8 12 9	\$ 1,105 1,931 1,535 1,213 949.5 713.5 541.5	41 42 43 44 45 46 47		
7 8 9	64 46 15	19 3 2	2 1	183.5 106.5 57	138 78 21	60 12 5	3 1	$ \begin{array}{r} 368 \\ 191 \\ 103.5 \end{array} $	48 49 50		
10 11 12 13 14	8 2 2 1 3	6	1	38 27 25 22 21	11 4 2 1 8	25	1	67 44 40 37 36	51 52 53 54 55		
15 16 17 18 19	1 2 1		1 1	18 18 17 14 12	5 3 1		2 1	28 28 23 18 16	56 57 58 59 60		
20 21 22 23 24 25 26	1 1 1 4 1 2	1	1	12 11 11 9.5 7	1 1 1 5 3	1	1	16 15 15 13.5 11 6 3	61 62 63 64 65 66 67		
20	$\frac{z}{564}$	465	48	$\frac{\sim}{4,426.0}$	1,062	1,119	96	9,067.5			

Age at Entry, 42 Years.

	N	UMBER OF I	Entrants,	1,101.	\$2,242,000 Insured.				
0 1	64 39	42 176	4 10	529.5 903	124 56	71 348	9 27	1,085.5 1,864	42 43
2 3 4	$\begin{array}{c} 65 \\ 69 \\ 64 \end{array}$	74 55 3 5	$\begin{bmatrix} 10 \\ 8 \\ 4 \end{bmatrix}$	$729 \\ 589.5 \\ 467.5$	119 92 137	174 162 81	23 29 9	1,520 1,210 967.5	44 45 46
5 6 7	69 65 54	22 25 11	7 5 2	371 271.5 183.5	134 131 100	67 58 23	$\begin{array}{c} 14 \\ 7 \\ 2 \end{array}$	747.5 537 358.5	47 48 49 50
8 9	43 17	5 2	1	119.5 73	86 42	10	1	$240 \\ 147.5$	50 51

Age a	at :	Entry,	42	Years.
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Years of Insurance.	N	UMBER OF	Entrants	s, 1,101.		\$2,242,000	Insured.		Age
Yea	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
10 11 12 13 14	11 9 2 1	2	1	53 41 32 29 27.5	\$ 17 26 4 1 2	\$ 4	\$	\$ 101 82 56 51 49	52 53 54 55 56
15 16 17 18 19	2 1 2 1 1 1	2		26 23 21 19	7 2 2 2	6		46 36 31 29 29	57 58 59 60 61
20 21 22 23 24 25	1 1 6 4		1	18 18 16 16 15	1 1 8 9		2	27 27 24 24 23	62 63 64 65 66 67
26	5 596	452	 53	$\frac{5}{4,624.5}$	$\frac{6}{1,109}$	1,009	124	$\frac{6}{9,333.5}$	68

Age at Entry, 43 Years.

				404		\$2.00F.000	Y		
		NUMBER OF	ENTRANT	rs, 981.		\$2,065,000	Insured.		
0 1 2 3 4	56 38 65 52 69	37 144 60 49 31	5 8 7 6 5	472 811 663 536.5 438.5	79 92 114 82 140	$\begin{array}{c} 49 \\ 338 \\ 179 \\ 149 \\ 68 \end{array}$	13 17 19 12 14	1,008 1,755 1,387.5 1,090.5 888	43 44 45 46 47
5 6 7 8 9	62 64 66 40 12	21 12 16 3 3	3 3	338.5 257 176 97.5 54.5	153 106 123 77 15	52 17 32 4 9	. 19 4	674 484.5 335 190 106.5	48 49 50 51 52
10 11 12 13 14	12 2 2	3 2	3 1	39.5 22 18 16 15.5	25 4 6	3 4 3	9	85.5 48 41 35 33.5	53 54 55 56 57
15 16 17 18 19	1		1	14 14 13 12 12	3 2		1	27 27 26 23 23	58 59 60 61 62

Age a	t Entry	, 43 Y	ears.
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Years of Insurance.	r	Number of	Entran	rs, 981.		\$2,065,000	Insured.		Age
Yea Insu	Existing.	Discontinued.	Died.	Exposed to Risk.	Amounts Existing.	Amounts Discontin'ed.	Death Claims.	Exposed to Risk.	Exit.
20 21 22 23 24	2 1 1 1		1	11 9 7 6 5	\$ 2 1 5 1	*	1	\$ 21 19 17 12 11	63 64 65 66 67
25 26	$\begin{array}{c} 3 \\ 1 \\ \hline 552 \end{array}$	382	47	4 1 4,063.5	5 1 1,041	907	117	$ \begin{array}{c} 6 \\ 1 \\ \hline 8,375.0 \end{array} $	68 69

Age at Entry, 44 Years.

		NUMBER OF	ENTRANT	rs 926		\$1.871.000	Insured.		
		TO MEDIAN OZ	13111111111	15, 5%.		12,512,600			
0	67	22	5 10	452	125	37	14 15	917	44
1 2	28 55	$\begin{array}{c} 136 \\ 54 \end{array}$	10	$\begin{array}{c} 764 \\ 631 \end{array}$	48 101	$ \begin{array}{r} 296 \\ 125 \end{array} $	15 5	1,547 $1,273.5$	1.5 46 47
2 3	45	47	5	520.5	62	139	8	1,035.5	47
4	67	32	6	431	103	78	19	857	48
5	66	13	3	335.5	140	50	9	671	49
6	63	19	5	250.5	155	48	13	473	50
7 8	49 42	$\frac{6}{5}$	2 2	$170 \\ 113.5$	73 64	14 11	$\frac{2}{3}$	$\begin{array}{c} 274 \\ 186.5 \end{array}$	51 52
9	23	1	$\frac{2}{2}$	66.5	43	2	3	113	53
10	9	3	1	39.5	18	3	2	64.5	54
11	8	1	$\begin{bmatrix} \frac{1}{2} \\ 1 \end{bmatrix}$	27.5	13	1	5	42.5	55
12	1		1	17	1		2	24	56
13 14				15 15				$\frac{21}{21}$	57 58
					-				
15 16	1		2	15 14	1		2	$\frac{21}{20}$	59 60
17	1		~	12	5		~	18	61
18		1		10.5		1		12.5	62
19				10				12	63
20	1		1	10	1		3	12	64
21				8		4		8	65
22 23		1	1	7.5		1	1	7.5 7	66 67
24	3		1	6	3		1	6	68
25	1			3	1			3	69
26	1			2	1			2	70
27	1			1	1			1	71
	532	341	53	3,954.5	959	806	106	7,650.5	

		A	ge	at Ent	ry,	45	Yea	rs.				Ag	ge	at Entr	y, 4	16	Yea	rs.	
of ce,	No.	of En	TRA	NTS, 921.	\$1	,804,0	00 In	SURED.	Exit.	of ice.	No.	OF EN	TRA	NTS, 784.	\$1,	608,00	0 In	SURED.	Exit.
Years of Insurance.	Existing.	Discontinued.	Died.	Exposed to Risk.	Existing.	Discontinued.	Death Claims.	Exposed to Risk.	Age at E	Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.		Death Claims.	Exposed to Risk.	Age at]
0 1 2 3 4	44 41 58 45 67	$ \begin{array}{r} 31 \\ 148 \\ 56 \\ 50 \\ 25 \end{array} $	6 4 5 5	445 766 619 504 416.5	\$ 93 62 153 70 105	\$ 48 294 178 114 54	\$ 8 3 4 10 19	\$ 878 1,508 1,207 904 740	45 46 47 48 49	15 16 17 18 19	1	1		10 10 10 10 8.5	3	\$	*	\$ 13 13 13 13 13 9.5	61 62 63 64 65
5 6 7 8 9	65 47 61 38 19	26 8 8 5 1	5 3 2 3 3	319 232 174 104.5 60.5	120 66 76 71 35	50 16 14 10 3	16 7 10 7 5	564 395 307 209 124.5	50 51 52 53 54	20 21 22 23 24	2 2		1	8 7 6 6 3	1 2		2	9 7 5 5 3	66 67 68 69 70
10 11	$\frac{12}{2}$	2 2		37 23	26 2	1 11		82.5 50.5	55 56	25	1	0.27	0.4	1	1	~~		1	71
12	$\tilde{1}$		1	20	1		1	43	57 58		429	321	34	3,155.5	792	758	58	6,267.0	
13 14		2		17 16		4		37	59			Ag	ge	at Enti	:y, 4	17	Yea	rs.	
15 16	4	1	1	15.5 10	6	1	10	36.5 20	60 61		No.	of Er	TRA	NTS, 653.	\$1.	299,00	0 In	SURED.	
17 18 19				10 10 10				20 20 20	62 63 64	0 1 2	32 36 43	21 82 52	2 6 2	316 557 448	63 61 81	32 163 102	9 8 3	633.5 1,113.5 912	47 48 49
20 21	$\begin{vmatrix} 1\\3 \end{vmatrix}$			10 9	$\begin{vmatrix} 2 \\ 6 \end{vmatrix}$			20 18	65 66	3 4	36 44	34 28	2	$\frac{360}{291}$	54 92	92 89	6	731 584.5	50 51
22 23 24	1 3			6 6 5	2 4			$ \begin{array}{c c} 12 \\ 12 \\ 10 \\ 6 \end{array} $	67 68 69 70	5 6 7 8	35 45 38 29	12 4 2 4	4 3 2 1	223 176 125 82	49 74 70 57	45 11 7 10	8 7 2 1	419.5 334.5 244.5 164	52 53 54 55
25	$\frac{2}{514}$	365	$\frac{1}{42}$	$\frac{2}{3.847.0}$	$\frac{6}{906}$	798	100	7,283.0	10	9	21	3	$\frac{1}{2}$	48.5	45	5	2	98.5	56
				at Ent						10 11 12	7 5	1 1		23.5 15.5 10	17 11	6 2		46 25 13	57 58 59
	No.	of E	NTR	ANTS, 784.	\$	1,608,0	000 IN	SURED.		13 14	1			10 10	1			13 13	60 61
0 1 2 3 4	53 30 48 45 50	29 128 47 40 25	6 3 8	377.5 634 510.5 416 330.5		273 123 107	13 6	781 1,321.5 1,033.5 839.5 669.5	48 49	15 16 17 18 19	1			9 9 9	1			12 12 12 12 12 12	62 63 64 65 66
5 6 7 8 9	45 35 46 43 15			254.5 191.5 146 93 44.5	93 72 79 70 31	32 14	1	509.5 371 275 173 84.5	52 53 54	20 21 22 23 24	1 1 3 1		1	8 7 7 5 2	1 3 2		1	11 9 9 7 4	67 68 69 70 71
10 11 12	6 4 2	2	2 1	26 19 13	9 8 3		5 1	44.5 30 17	57 58	25	$\frac{1}{380}$	244	29	$\frac{1}{2,770.5}$	$\left \frac{2}{686} \right $	564	49	$\frac{2}{5,447.5}$	72
13 14				10 10				13 13	59 60										

		A	ge	at Ent	ry,	18	Yea	rs.				A	ge	at Entr	y, 4	19	Yea	rs.	
of nce.		of E	NTRA	ANTS, 778.	\$1	,622,0	00 In	SURED.	Exit.	of nce.	No.	of E	NTRA	NTS, 555.	\$1	,145,0	00 In	SURED.	Exit.
Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at]	Years of Insurance.	Existing.	Discon-	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at]
0 1 2 3 4	30 57 60 38 43	30 103 50 53 22	2 4 9 7 6	374 664.5 527 406.5 324	86	\$ 59 213 131 136 75		\$ 781.5 1,399.5 1,141.5 902 700.5	48 49 50 51 52	15 16 17 18 19	1 1			7 7 7 6	\$ 1 1	\$	\$	\$ 10 10 10 10 9	64 65 66 67 68
5 6 7 8 9	51 53 36 28 14	19 17 5 3	7 2 1	254.5 178.5 112.5 71.5 42	88 120 73 61 17	44 62 20 8	7 2 1	516 368 205 117 52	53 54 55 56 57	20 21 22 23	2 2 2 2 2 1	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	1	$ \begin{array}{c c} 4.5 \\ 3 \\ 2 \\ 2,196.5 \end{array} $	3 595	3	1	$ \begin{array}{r} 6.5 \\ 4 \\ 3 \\ \hline 4.126.0 \end{array} $	69 70 71 72
10 11 12 13	15 1 1 1	1 1		28 13 11.5 9.5	11 2 2 1	1 3		35 24 21.5 17.5	58 59 60 61		1	A	ge	at Enti	ry, t	50	Yea	rs.	
14	1			8	1			15	62 63	0				NTS, 588.				SURED.	50
16 17 18 19	6 7 7 14 14 14 14 14 14 14 14 14										36 26 41 31 51	24 77 37 20 17	6 9 6 2 3	282 483.5 391.5 316 264.5	84 41 73 50 86	50 196 93 64 45	7 17 7 7 8	577.5 966 763.5 605 493.5	50 51 52 53 54
20 21 22 23 24	1 2 1		1	6 5 4 2	1 4 1		2	9 8 6 2 1	68 69 70 71 72	5 6 7 8 9	39 39 23 25 11	14 9 6 3 1	3 5 1 2	195 141.5 92 59.5 31.5	68 62 40 39 28	42 27 10 7	$\begin{array}{c} 3 \\ 5 \\ 10 \\ 2 \\ 2 \end{array}$	356 250.5 165 106.5 61.5	55 56 57 58 59
25 26	1			1 1	1			1 1	73 74	10 11	$\begin{vmatrix} 4\\2 \end{vmatrix}$	1	1	$17.5 \\ 12.5$	4 3	$\frac{1}{2}$	1	$\frac{30.5}{25}$	60 61
	435	304	39	3,080.0	799	752	71	6,394.0		12 13	2			9 7.	3			20 17	62 63
		A	ge	at Enti	·y, 4	19	Yea	rs.		14 15				7				17 17	64 65
		1		NTS, 555.			1	ISURED.		16 17			1	7			1	17 17	66
1	29	13 74	3	271 465	48	$\begin{array}{c} 25 \\ 133 \end{array}$	9	560 921.5	49 50	18 19	1			6 5	1			16 15	68 69
2 3 4	41 37 39	29 37 15	5 6 7	381.5 302.5 233.5	77 51 92	55	14 18	762 584.5 445.5	51 52 53	20 21 22	1 1	1	1	5 3.5 3 2	5 1	2	5	15 9 8 3	70 71 72 73
5 6	40 38	7 9	3	176.5 124.5	60 52	31 15	9	292.5 198.5	54 55	23 24	1		_	1	2			2	74
8 9	27 14 6	5 2 3	3	$76.5 \\ 43 \\ 26.5$	$\begin{vmatrix} 40 \\ 24 \\ 9 \end{vmatrix}$	17 2 5	6	$ \begin{array}{r} 121.5 \\ 66 \\ 38.5 \end{array} $	56 57 58		334	211	43	2,356.5	590	040	75	4,573.5	
10 11 12 13 14	4 4	2 1	1	18 11.5 7 7	7 4	3	2	25.5 14.5 10 10 10	59 60 61 62 63										

		Ag	ge a	at Entr	y, ŧ	51	Yea	rs.				A	ge	at Ent	ry,	52	Yea	ırs.	
of ce.	No.	of Er	NTRA	NTS, 465.	*	905,00	0 Ins	SURED.	Exit.	of 1ce.	No.	of Ex	NTRA	NTS, 433.	\$	902,00	0 Ins	SURED.	Exit.
Years of Insurance.	Existing.	Discontinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at]	Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at]
0 1 2 3 4	30 27 34 25 42	21 66 23 18 16	1 3 7 2 1	222 380 305.5 244 200	\$ 37 38 52 43 68	\$ 33 136 66 38 47	9	\$ 436 766 618 503 412.5	51 52 53 54 55	15 16 17 18 19	1 2		1 1	11 10 7 6 6	\$ 1 1 1 1 1	\$	1 2	* 13 12 10 8 8	67 68 69 70 71
5 6 7 8 9	33 26 19 15 6	10 7 7	4 1 3 1	144 98.5 64.5 39 22.5	65 60 35 37 18	26 14 20 1	1	307 210 132 83 44.5	56 57 58 59 60	20 21 22 23 24	1 2 1 1			5 5 4 2 1	$\begin{bmatrix} 1\\3\\1\\2\\- \end{bmatrix}$			7 7 6 3 2	72 73 74 75 76
10 11 12 13	7	2	1	16 8 7 6	10	5	1	26 13.5 11 10	61 62 63 64		273	1		1,827.5 at Enti			-)	
14 15 16 17 18 19 20 21 22 23 24 25 26	1 1 1 1 1 1 2 2 6 8	1791	1 1 -	6 6 6 6 5 5 5 4 4 3 2 1 1,816.0	$\begin{bmatrix} 1 \\ 3 \\ 1 \\ 2 \\ 170 \end{bmatrix}$	388	2	10 10 10 10 10 9 9 9 7 7 6 3 2 3,674.5	65 66 67 68 69 70 71 72 73 74 75 76 77	0 1 2 3 4 5 6 7 8 9 10	No. 15 26 17 21 21 15 25 12 16 4 4 1	16 45 22 11 9 8 2 2 2	2 3 2 2 1 3 2 2	152 264.5 202 166.5 133.5 103 80 51 35 17.5 13 8	\$\begin{align*} 14 \\ 61 \\ 41 \\ 27 \\ 34 \\ 28 \\ 23 \\ 14 \\ 6 \\ 2 \end{align*}	35 108 51 20 21 31 2 6 1	2	299 528 369.5 287 236.5 175.5 129 90 56.5 32.5 18	53 54 55 56 57 58 59 60 61 62 63 64
	200			at Enti						12 13 14	1		1	7 6 5	1	Î	1	9 8 7	65 66 67
0 1 2 3 4 5 6 7	31 34 26 37 34 25 26 22	1	1 2 1 3 7 3	368.5 295 249 192 138 103.5 70	68 80 50 59 64 60 41 48	8 101 60 54	1 6 3 6 14 8 6	447 774.5 608 498 379.5 266.5 185.5 129.5 72.5	52 53 54 55 56 57 58 59 60	15 16 17 18 19 20 21 22 23 24	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	1	1	5 4 4 3.5 3 3 3 2 1	$\begin{bmatrix} 1 \\ 2 \\ 212 \end{bmatrix}$	2	1	7 6 6 5 4 4 4 4 4 3 2 2 2 2 2 2 2 2 2 2 2 2 2 2	68 69 70 71 72 73 74 75 76 77
8 9 10 11 12 13 14	11 13 3 2	3	1	43.5 31 17 14 12 12 11.5	13 25 7 6	9	3	72.5 55 27 20 14 14 13.5	60 61 62 63 64 65 66		181	119	20	1,275.5			43	2,301.5	

		A	ge	at Ent	ry,	54	Yea	ırs.	•			A	ge	at Ent	ry,	55	Yea	rs.	
of ice.	No.	of E	NTR.	ANTS, 327.	1	675,0	00 In	SURED.	Exit.	of ice.	No.	or Er	NTR	ANTS, 297.	\$	638,00	00 In	SURED.	Exit.
Years of Insurance.	Existing.	Discon-	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at 1	Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at I
0 1 2 3 4	22 24 26 14 29	18 44 15 15 5	2 2 4 2 2	154.5 263 207.5 162.5 136.5	\$ 46 38 40 22 48	\$ 31 121 42 43 12	\$ 4 11 4 2 3	\$ 322 533.5 403 316.5 265	54 55 56 57 58	15 16 17 18 19	1		1	6 6 6 5 5	\$	\$	\$ 5	16 16 16 16 11	70 71 72 73 74
5 6 7	19 21 16	5 5 1	1	$ \begin{array}{c c} 100.5 \\ 76.5 \\ 52.5 \end{array} $	43 26 32	15 15 4	5	$\begin{array}{c} 200.5 \\ 142.5 \\ 107 \end{array}$	59 60 61	20 21	$\frac{1}{155}$	 114	3 	$\frac{4}{1}$ 1,231.5	$\frac{1}{307}$	240	8	$\frac{9}{1}$ 2.615.0	75 76
8 9	11	1		34.5 23	$\begin{array}{c} 9 \\ 12 \end{array}$	1		67.5 58	62 63					at Ent					
10 11	3 4		$\frac{1}{1}$	$\begin{array}{c c} 16 \\ 12 \end{array}$	8		5	46 33	64 65						1				
12 13				7				18 18	66 67	0	12	6	2	110	18	16	6	235.5	56
14 15		1	1	6.5 5		1	1	$\begin{array}{c c} 17.5 \\ 16 \end{array}$	68 69	1 2	11 15	33 16	4 2	189.5 150	$\begin{vmatrix} 10 \\ 20 \\ 19 \end{vmatrix}$	64 35	10 2	415 335.5	57 58
16 17				5 5				16 16	70	3	10 10	14	$\frac{\tilde{1}}{4}$	118 96.5	19 11	41 14	$\stackrel{\sim}{1}$	276.5 229	59 60
18 19			1	5 5			5	16 16	72 73	5 6	20 13	4	2	77 51.5	35 40	$\begin{vmatrix} 9 \\ 12 \end{vmatrix}$	10	193.5 138	61 62
20 21		1		$\frac{4}{3.5}$		ñ		11 8.5	74 75	7 8	11 9	3 2	1 3	36 23	13 31	6	2 6	138 89 71	63 64
22 23	1	1		3 2	1	,		6 5	76 77	9	5		2	11	18		4	34	65
24	1.0%	111	2	2		200	5	5	78	10 11 12	1			4	2			12 12	66
	197			1,299.0		-		<u>' </u>		13 14	1		1	3 3 1	2		5	$\begin{array}{c c} 10 \\ 10 \\ 3 \end{array}$	68 69 70
-				at Enti					_	15				1 .				3	71
				NTS, 297.				SURED.	ہ بہ	16 17 18				1 1 1				3	72
1	14	12 46	2 2	142.5 246	38	26 81	3 4	306 530.5	55 56	19				1				3	74 75
3 4	17 20 14	21 13 8	3 3	192.5 154.5 121	22 46 30	57 22 16	21 22 5	419.5 337 250	57 58 59	20 21 22				1 1 1				3 3	76 77 78
5	12 26	4 3	2	98 80.5	26 42	12 10	$\begin{array}{c} 4 \\ 10 \end{array}$	201 160	60 61	23	$\frac{1}{119}$	85	22	$\frac{1}{886.5}$	$\frac{3}{231}$	$\frac{-}{197}$	<u>-</u> 59	$\frac{3}{2,091.0}$	79
7 8 9	11 12 4	$\begin{array}{c c} 1 \\ 1 \\ 2 \end{array}$	1 1 1	51.5 38.5	25 20 5	$\begin{array}{c c} 5 \\ 1 \\ 1 \end{array}$	2 1 1	100.5 70.5 48.5	62 63									_	
10	4	2	1	24 17	5 11	8	1	38	64 65										
11 12	1	1	1 1	10.5	1	1	2 1	21.5	66										
13 14			1	6			1	17 16	68 69										

		A	ge	at Ent	ry,	57	Yea	ırs.				A	ge	at Ent	ry,	58	Yea	rs.	
of ice.	No.	of E	TRA	NTS, 200.	1	\$455,0	00 Ins	SURED.	Exit.	of nce.	No.	of E	NTRA	NTS, 181.	\$-	102,000).Ins	SURED.	Exit.
Years of Insurance.	Existing.	Discon- tinned.	Died.	Exposed to Risk.	Existing.	Discon-	Death Claims.	Exposed to Risk.	Age at]	Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.		Death Claims.	Exposed to Risk.	Age at]
0 1 2 3 4	11 17 5 12 19	5 23 9 9	3 5 3 1 1	97.5 169.5 131.5 114.5 96	\$ 23 27 13 23 76	\$ 7 50 11 25 7	\$ 12 14 5 2	\$ 224 388 316.5 280.5 239.5	57 58 59 60 61	20 21 22 23	1 89	65	$\frac{2}{\frac{1}{27}}$	$ \begin{array}{r} 4 \\ 4 \\ 2 \\ 1 \\ \hline 841.0 \end{array} $	2 189	147	$\begin{array}{c c} \$ \\ 5 \\ \hline 1 \\ \hline 66 \end{array}$	$ \begin{array}{c} \$ \\ 8 \\ 8 \\ 3 \\ 1 \\ \hline 1,793.5 \end{array} $	78 79 80 81
5 6 7 8 9	13 14 12 6 6	5 4 1	4 1 1	72.5 51 33.5 20 13	19 22 21 14 5	17 11 5 8	17 5 4	150.5 100.5 65.5 38 20	62 63 64 65 66	=		Λξ	ge	at Enti	ry, {	59	Yea		
10 11 12 13 14	1 1			6 6 5 4 4	1 1			11 11 10 9 9	67 68 69 70 71	0 1 2 3 4	3 6 11 7 8	3 14 9 3 4	2 1 2 3	65.5 121 101.5 83.5 71	4 19 8 20 7	7 45 27 5 8	2 1 3 4	123 219.5 162.5 137.5 108	59 60 61 62 63
15 16 17 18 19		1	1	4 4 2.5 2		1	5	9 9 3.5 3	72 73 74 75 76	5 6 7 8 9	12 10 9 1 3	2	2 3 3 2	56 40 27 14 10	10 10 24 2 2	7	2 4 2 1	89.5 74 60 28.5 20	64 65 66 67 68
20 21	1		1	2 2	2		1	3	78	10 11	1 1			7	5			18 13	69 70
	118		21		-			1,906.5		12 13 14	1			5 4	2			$ \begin{array}{c} 12 \\ 10 \\ 10 \end{array} $	71 72 73
-	No			at Ent				SURED.	1	15			4	4			٠,	10	74
0 1	10 11	$\begin{vmatrix} 3\\25 \end{vmatrix}$	2	89 155.5	24 31	5 42	6	198.5 352	58 59	16 17 18 19	1		1	4 3 3 1	1		5 1	10 5 5 3	75 76 77 78
3	5 9	12 10	$\begin{bmatrix} 5 \\ 1 \end{bmatrix}$	124 103	15 13	18 36	14	285 229	60	20	_1			1	3			3_	79
5	8	4 7	3	86 70.5	$\begin{vmatrix} 11 \\ 39 \end{vmatrix}$	18 20	8	187 151	62 63		75	39	20	631.5	1118	110	25	1,121.5	
6 7	11 6	2 2	$\begin{bmatrix} 2 \\ 3 \end{bmatrix}$	49 34	25 7	5 3	$\begin{vmatrix} 3 \\ 6 \end{vmatrix}$	91.5 59.5	64 65			A	ge	at Ent	ry,	60	Yea	rs.	
8 9	6 3		2	24 18	12 4		6	$\begin{array}{c} 45 \\ 33 \end{array}$	$\frac{66}{67}$		No.	of En	TRA	NTS, 122.	*	215,00	0 Ins	SURED.	1
10 11 12 13 14	2		1 2	13 11 9 9	1 2		2 6	23 22 18 18 12	68 69 70 71 72	0 1 2 3 4	7 6 8 4 8	2 8 9 3 2	3 4 1 2	60 109 91.5 73.5 66	22 7 11 8 8	4 17 23 3	3 4 3 6	105.5 180.5 150.5 122.5 108.5	60 61 62 63 64
15 16 17 18 19	1 1		1	7 6 5 5 5	2 1		1	12 10 9 9	73 74 75 76 77	5 6 7 8 9	6 8 6 6 4	1 8 1 1 2	3	54.5 41 25.5 18.5 11	12 14 16 12 5	1 9 1 1 2	5	92.5 71.5 47.5 30.5 17	65 66 67 68 69

			Ag	e a	t Entr	y, 6	30	Yea	ırs.				Age	at	Entry	7, 6	2	Yea	rs.	
of	lce.	No.	of E	NTRA	ANTS, 122.	\$	215,0	00 Ir	NSURED.	Exit.	of ice.	No.	of E	NTR.	ANTS, 54.	\$1	111,00	00 In	SURED.	Exit.
Years of	Insuran	Existing.	Discontinued.	Died.	Exposed to Risk.	Existing.	Discon-	Death Claims.	Exposed to Risk.	Age at E	Years of Insurance.	Existing.	Discon-	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at Exit
10 11 12 13 14	2	1	1	1	6 6 6 5.5 4	\$ 2	\$	\$	\$ 11 11 11 10.5 8	70 71 72 73 74	0 1 2 3 4	8 3 1 5	5 5 2 3	1 2 2	27 43.5 34.5 29 23.5	\$ 16 12 5 13	\$ 9 8 4 9	\$ 5 2 2	\$ 55.5 90.5 65 57 43.5	62 63 64 65 66
15 16 17 18 19	3	1			3 2 2 2 2 2	1			7 6 6 6	75 76 77 78 79	5 6 7 8 9	7 2 3 1	1 2 1		16.5 9 8 5 1.5	11 3 3 1	$\begin{bmatrix} 2 \\ 5 \end{bmatrix}$		25 13 10.5 5 1.5	67 68 69 70 71
20 21		1		2	2 2			6	6	80 81		30	19		197.5	64	38		366.5	
	6	5	38	19	593.0	118	65	32	1,021.0				Age	at	Entry	, 6	3	Y ea	rs.	
			Age	e a	t Entr	y, 6	31	Yea	ırs.			No. 3	ог E	NTR	NTS, 61.	-	<u> </u>	0 Ins	SURED.	
	Age at Entry, 61 Years. No. of Entrants, 90. \$195,000 Insured. 2														29.5 52	3	3 14	1 ~	68.5 128	63 64
0		3	1	7	44.5	7	2	7	96.5	61	2 3 4	1 4	5 2	3	43.5 36	9	11 10	15 7 10	112.5 86	65 66 67
1 2 3 4		2 8 7 6	12 6 2 2	1 2 3 1	80 68 54 42	1 10 13 17	26 13 3 2	1 3 6 1	173 151.5 130.5 109	62 63 64 65	5 6 7	8 4 6	1 1 2	3	29.5 17.5 11 4	21 3 8	$\begin{vmatrix} 1\\2\\3 \end{vmatrix}$	7	64.5 32 19.5 10	68 69 70
5 6		$\frac{9}{6}$	$\frac{1}{2}$		33.5 23	33 15	5		87.5 51.5	66 67	8 9	2			4 2	3			10 7	71 72
8 9		3 5 2	ĩ	1 1	15.5 11 5	8 8 6	5	5 1	33.5 18 9	68 69 70	10 11 12				2 2 2 2				7 7	73 74 75
10 11					3 3				3	71	13 14			1 1	$\frac{2}{1}$			2 5	7 5	76 77
12					3 3				3	73 74		30	21	10	238.0	50	44	46	571.0	
14				1	3 2			1	3 2	75 76		1	Age	at	Entry	, 6	4	Yea	rs.	
16					2 2 2 2 2				2 2 2 2 2	77 78		No.	of E	NTRA	ANTS, 50.	\$1	04,00	0 Ins	SURED.	
18 19									1	79 80	0 1	1 1 2	1 4 5	2	24.5 46 38.5	1 5 4	5 4 5	2	49.5 96 84.5	64 65 66
20 21				1	2 1			1	2 1	81 82 83	2 3 4	3 2 3	5 2 2	1	32 27	2 3	3 2	15 6	76.5 57	67
22 23		1			1 1	_1			1 1	84	5	2	3	1	20.5	10	10	1	42	69
	5	2	27	11	406.5	119	57	19	890.0		6 7 8	2 1		1	16 14 12	$\begin{vmatrix} 1\\2\\5 \end{vmatrix}$		3	26 25 20	70 71 72
											9	4 2		3	8	3		3	15	73

	L	Age	at	Entry	, 6	4	Yea	rs.			1	Age	at	Entry	, 6	6	Yea	rs.	
of 10e.	No.	of E	NTR	ANTS, 50.	\$1	04,00	0 In	SURED.	Exit.	of ice.	No.	of E	NTRA	NTS, 28.	\$5	4,000	Inst	URED.	Exit.
Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at I	Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at Exit.
10 11 12 13 14		1	1	2.5 2 1 1 1	\$	\$ 3	1	\$ 7.5 6 5 5 5	74 75 76 77 78	0 1 2 3 4	1 2	3 6	1 1 2 1	13 24.5 18 14 12	1 6	\$ 2 6 12	\$ 3 1 1 1	\$ 26 49 36 27 26	66 67 68 69 70
15 16	$\frac{1}{22}$	18	10	$\frac{1}{248.0}$	$\frac{5}{41}$	32	31	$ \begin{array}{r} 5\\ 5\\ \hline 530.0 \end{array} $	79 80	5 6 7 8	1 2 1	1	1	9 8.5 6 4	5 4 1	3	3	19 17.5 8 4	71 72 73 74
	1			Entry				rs.	<u> </u>	9 10 11 12			1 1 1	3 2 2 1			1 1 1	$\frac{3}{2}$	75 76 77 78
					-	1 .			65		17	${12}$	9	117.0	17	23		220.5	
0 1 2 3	1 2 3	4 -5 2	1	19 34.5 29	5 2 4	13 5	1	41 70.5 59.5	66 67		1	Age	at	Entry	-				
4	$\begin{vmatrix} 6 \\ 6 \end{vmatrix}$	1	3	24 17.5	16 9	2	12	52 35	68 69		No.	of E	NTRA	NTS, 14.	\$1	19,000	Ins	URED.	
5 6 7 8 9	1 1 1	1	2	8 7 4.5 2.5 1	1 1 1	1 2	6	13 12 5.5 3 1	70 71 72 73 74	0 1 2 3 4	1 2	1	2	$7 \\ 14 \\ 10.5 \\ 8.5 \\ 6$	1 2	1 1	2	9.5 19 15.5 13.5	67 68 69 70 71
10 11 12 13 14				1 1 1 1				1 1 1 1	75 76 77 78 79	5 6 7 8 9		1		6 6 6 5.5		1		11 11 11 11 10.5	72 73 74 75 76
15 16 17 18 19				1 1 1 1				1 1 1 1	80 81 82 83 84	10 11 12 13 14		1	2	5 3 2.5 1 1		1	2	10 8 7.5 6 6	77 78 79 80 81
20 21 22 23	1			1 1 1 1	1			1 1 1	85 86 87 88	15 16	3	4	1 7	$\begin{array}{c c} 1\\ \hline 1\\ \hline 90.0 \end{array}$	3	4	$\frac{6}{12}$	$\frac{6}{6}$ $\frac{172.5}{172.5}$	82 83
	22	14	6	161.0	-	27	19	306.5			1	Age	at	Entry	, 6	8 3	Zear	rs.	
										1	No.	of E	ENTR	ANTS, 5.	\$	7,000	Inst	JRED.	
										0 1 2 3 4			1	2.5 5 5 4 4			2	3.5 7 7 5 5	68 69 70 71 72

OBSERVATIONS ON FEMAL

		Age	e at	Entr	y, (68	Yea	ırs.				Age	e at	Entry	7, "	70	Yea	rs.	,
of ace.	No.	OF	Ent	RANTS, 5		\$7,00	0 Ins	SURED.	Exit.	of ice.	No.	. OF	Enti	RANTS, 4.		\$7,00) Ins	URED.	Exit.
Years of Insurance.	Existing.	Discon-	Died.	Exposed to Risk.	Existing.	Discon-	Death Claims.	Exposed to Risk.	Age at I	Years of Insurance,	Existing.	Discon-	Died.	Exposed to Risk.	Existing.	Discon-	Death Claims.	Exposed to Risk.	Age at Exit.
5 6 7 8 9	2		1	4 2 1 1 1	\$ 3	*	\$ 1	\$ 5 2 1 1 1 1	73 74 75 76 77	5 6 7 8 9		1	1	1.5 1 1 1 1	45	\$ 2	\$	\$ 4 3 3 3 3	75 76 77 78 79
10	1			1	1		_	1	78		1	2	2	16.0		3	4	40.0	
	3	1 000	2	30.5	4	20.	3	38.5			A	.ge	at .	Entry,	7	1 Y	ear	s.	
	1			Entry				-	(No.	of I	INTR.	ANTS, O.	\$	30,000	Inst	JRED.	
	No.	OF E	INTR	ANTS, S.	*	20,000	INS	URED.											
0 1 2 3 4		1		4 8 8 7.5		5		13 26 26 23.5	69 70 71 72		A	ge	at I	Entry,	72	2 Y	ears	•	
		1		6.5		1		20.5	73		No.	or E	NTR	ANTS, 2.	\$	3,000	Insu	RED.	
5 6 7 8 9	2	2		5 2 2 1 1	12	6		17 2 2 1 1	74 75 76 77 78	0 1 2 3	1		1	1 2 1 1	1		2	1.5 3 2 2	72 73 74 75
10				1				1	79		1		1	5.0	1		2	8.5	
11 12 13 14				1 1 1 1				1 1 1 1	80 81 82 83		1			Entry,					
15 16		1		1 1				1 1	84 85		No.	of E	NTRA	NTS, 0.	\$0	0,000	Insu	RED.	
17 18 19				1 1 1 1				1 1 1	86 87 88		A	ge a	at 1	Entry,	74	· Y	ears.	<u></u>	
20 21			1	1			1	1 1	89 90		No.	of E	NTRA	NTS, 1.	\$1	1,000	Insu	RED.	
	3	4	1	57.0	13	12	1	144.0		0				.5				.5	74
	A	.ge	at	Entry,	, 7	0 Y	ear	's.		1		1		1.0		$\frac{1}{1}$		1.0	75
	No. o	F E	TRA	NTS, 4.	\$7	7,000	Insui	RED.						- 11					
0 1 2 3 4		1	1	2 2.5 2 2 2		1	1	3.5 5.5 5 5 5	70 71 72 73 74										

TABLE II.

	A	ge	at :	Entry,	75	5 Y	ears	S.				Age	at	Entry	, 7	7	Yea	rs.	
of ice.		of]	ENTR	ANTS, 3.	*	4,000	Inst	JRED.	Exit.	of ice.	No.	ог І	ENTR	ANTS, 1.	9	2,000	Inst	JRED.	Exit.
Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discontinued.	Death Claims.	Exposed to Risk.	Age at 1	Years of Insurance.	Existing.	Discon- tinued.	Died.	Exposed to Risk.	Existing.	Discon- tinued.	Death Claims.	Exposed to Risk.	Age at Exit.
0 1 2 3 4	1	1		1.5 2 2 2 1.5	\$ 1	\$	\$	\$ 2 3 3 3 2	75 76 77 78 79	5 6 7 8 9			1	1 1 1 1	\$	\$	\$ 2	\$ 2 2 2 2 2	82 83 84 85 86
5 6			1	1 1			1	1	80 81				1	9.5		_	2	19.0	
	1	1	$\frac{1}{1}$	11.0	1	2	1	15.0		Ag	ges	at	Ent	try, 7 8	3 a	nd	79	Years	3.
	1			Entry,	1				1		No.	of I	Entr	ANTS, 0.	*	0,000	Inst	JRED.	
	No.	OF I	INTR	ANTS, 1.	*	1,000	Inst	JRED.				Age	at	Entry	. 8	0	Yea	 rs.	
0 1 2 3			1 1	$ \begin{array}{c c} .5 \\ 1 \\ 1 \\ 1 \\ \hline 3.5 \end{array} $			$\frac{1}{1}$	$ \begin{array}{c} .5 \\ 1 \\ 1 \\ \hline 1 \\ \hline 3.5 \end{array} $	76 77 78 79	0				ANTS, 1. .5	1			.5	80
\			1	0.0			1			1	-		$\frac{1}{1}$	$\frac{1}{1.5}$	-		$\frac{1}{1}$	$\frac{1}{1.5}$	01
	1	\ge	at	Entry	, 7	7	Yea	rs.				1 ~~		Table 4	. 0	1 7	V ac		
	No.	of I	INTR	ANTS, 1.	*	2,000	Inst	TRED.			ı			Entry					
0				.5				1	77		No.	of E	NTR.	ANTS, 1.	- \$	1,000	Inst	JRED.	
1 2 3				$egin{array}{c c} 1 & & \\ 1 & & \\ 1 & & \end{array}$				2 2 2	78 79 80	0 1			1	.5			1	.5	81 82
3 4				1				2	81				1	1.5			1	1.5	

MALE LIFE (A). MORTALITY AND DEATH CLAIMS PER CENT. OF THE LIVING OR EXPOSED, BY EXPERIENCE ENDING (1874), AND BY FINAL SERIES:

ALSO, AVERAGE SUM INSURED (1874.)

Age at Begin-	Mortality,	Death Claims,	Death Claims.	Claims.	Ave	erage Sum 1	Insured (1	874.)	Age at Begin-
ning of Year.	Per Cent. (1874.)	Per Cent. (1874.)	Per Cent. Final Se- ries.	Final Series.	Existing.	Discontin- ued.	Died.	Exposed.	ning of Year.
				\$	\$	\$	\$	\$	
10					2,275	1,575		2,080	10
11					1,923	1,619		2,063	11
12	0.333	0.244	0.337	1	2,030	1,679	1,500	2,052	12
13	.457	.268	.266	3	1,898	1,930	1,200	2,048	13
14	.281	.160	.158	4	2,088	1,900	1,167	2,041	14
15	.370	.280	.277	11	1,991	1,901	1,500	1,983	15
16	.577	.450	.445	27	1,868	1,879	1,514	1,939	16
17	.594	.501	.503	48	1,870	1,858	1,625	1,927	17
18	.685	.622	,626	92	1,808	1,844	1,730	1,906	18
19	.813	.741	.740	168	1,797	1,852	1,728	1,895	19
20	.787	.690	.688	247	1,827	1,886	1,701	1,939	20
21	.693	.575	.579	322	1,896	1,959	1,673	2,016	21
22	.705	.620	.626	511	1,950	2,038	1,840	2,093	22
23	.662	.631	.646	729	1,979	2,111	2,063	2,166	23
24	.651	.627	.648	961	2,010	2,212	2,152	2,234	24
25	.674	.657	.674	1,258	2,071	2,292	2,236	2,292	25
26	.674	.662	.680	1,534	2,124	2,361	2,294	2,335	26
27	.701	.679	.705	1,869	2,165	2,413	2,281	2,353	27
28	.684	.688	.712	2,175	2,216	2,423	2,373	2,361	28
29	.644	.676	.686	2,376	2,023	2,465	2,507	2,389	29
30	.669	.690	.706	2,731	2,052	2,539	2,530	2,451	30
31	.692	.692	.664	3,093	2,318	2,598	2,502	2,502	31
32	.690	.704	.687	3,424	2,352	2,628	2,570	2,519	32
33	. 730	.767	.806	3,926	2,355	2,651	2,667	2,538	33
34	.749	.790	.849	4,403	2,418	2,680	2,699	2,557	34
35	.738	.786	.828	4,525	2,486	2,687	2,740	2,575	35
36	.759	.862	.861	4,899	2,503	2,734	2,943	2,591	36
37	.813	.913	.921	5,432	2,469	2,786	2,921	2,600	37
38	.847	.901	.918	5,573	2,458	2,795	2,783	2,615	38
39	.855	.898	.940	5,827	2,502	2,828	2,770	2,639	39
40	.881	.924	.975	6,137	2,514	2,825	2,796	2,663	40
41	.910	.968	.974	6,145	2,513	2,881	2,866	2,694	41
42	.957	.978	.984	6,219	2,561	2,952	2,787	2,729	42
43	1.015	1.014	1.085	6,871	2,597	2,942	2,755	2,757	43
44	.986	.989	1.080	6,750	2,610	2,977	2,791	2,783	44
45	.996	1.024	1.066	6,537	2,641	3,017	2,890	2,811	45
46	1.092	1.130	1.184	7,178	2,675	3,046	2,943	2,843	46
47	1.146	1.182	1.260	7,547	2,712	3,140	2,968	2,877	47
48	1.151	1.214	1.232	7,120	2,740	3,149	3,065	2,907	48
49	1.192	1.230	1.270	7,107	2,764	3,100	3,031	2,937	49

Note. The Percentages by Lives and by Amounts (1874) were found from the sum or mean of data at two adjacent Ages in Table I (A). The Final Series Percentages depend on the factor of Table III (C) discounted at 4 per cent. per annum, and applied to Death Claims and Exposed in Table I. By (1874) is meant the experience from organization to the year 1874. To the fifth column annex ,000.

MALE LIFE (A). MORTALITY AND DEATH CLAIMS PER CENT. OF THE LIVING OR EXPOSED, BY EXPERIENCE ENDING (1874), AND BY FINAL SERIES;
ALSO, AVERAGE SUM INSURED (1874.)

Age at Begin-	Mortality,	Death Claims,	Death Claims,	Claims,	Ave	erage Sum	Insured (1	1874.)	Age at Begin-
ning of Year.	Per Cent. (1874.)	Per Cent. (1874.)	Per Cent. Final Se- ries.	Final Series.	Existing.	Discontin- ued.	Died.	Exposed.	ning of Year.
				\$	\$	\$	\$	\$	
50	1.305	1.324	1.440	7,946	2,796	3,101	3,010	2,968	50
51	1.377	1.422	1.554	8,403	2,835	3,265	3,091	2,993	51
52	1.416	1.477	1.564	7,997	2,840	3,305	3,137	3,008	52
53	1.482	1.508	1.571	7,577	2,860	3,407	3,070	3,018	53
54	1.619	1.672	1.750	8,018	2,955	3,524	3,126	3,027	54
55	1.732	1.826	1.830	7,685	2,998	3,449	3,190	3,026	55
56	1.799	1.922	1.848	7,222	2,975	3,423	3,234	3,026	56
57	1.916	2.028	1.988	7,301	2,938	3,510	3,207	3,030	57
58	2.067	2.129	2.108	6,950	2,935	3,535	3,123	3,033	58
59	2.338	2.332	2.326	7,073	2,999	3,563	3,027	3,036	59
60	2.566	9 500	9.560	7,327	3.050	3 603	2 000	2 000	60
61	$\frac{2.500}{2.557}$	$egin{array}{c} 2.596 \ 2.705 \end{array}$	2.569 2.578	6,654	3,059 $2,993$	3,603 $3,606$	$3,062 \\ 3,181$	3,027 3,008	60 61
62	2.673	2.840	$\frac{2.318}{2.823}$	6,413	2,960	3,699	3,183	2,995	62
63	2.981	3.132	3.429	6,899	2,983	3,788	3,128	2,978	63
64	3.258	3.610	4.014	7,362	2,910	3,493	3,268	2,950	64
0.5									
65	3.588	4.061	4.243	6,908	2,932	3,429	3,312	2,927	65
66	3.662	3.766	4.020	5,399	2,860	3,594	2,966	2,884	66
67 68	3.852 4.499	$4.092 \\ 4.607$	4.421	5,096	2,856	3,533	3,032	2,854	67
69	4.982	4.980	4.734 5.101	4,974 4,491	3,032 $2,960$	$3,686 \ 3,400$	2,882 2,731	2,814 $2,732$	68 69
00		1.000	0.101	7, 701	2,000	0,400	2,101	2,102	0.0
70	5.063	5.199	5.753	4,293	2,740	3,344	2,728	2,657	70
71	5.475	5.435	5.934	3,832	2,796	2,875	2,596	2,615	71
72	6.066	6.016	6.062	3,275	2,695	2,542	2,550	2,572	72
73	6.073	5.694	6.257	2,849	2,444	2,727	2,382	2,540	73
74	6.554	5.814	7.069	2,640	2,591	2,500	2,279	2,569	74
75	6.993	6.504	7.174	2,185	3,046	1,778	2,407	2,588	75
76	8.567	7.136	6.726	1,671	3,211	1,824	2,103	2,524	76
77	10.548	8.420	8.686	1,712	2,961	2,000	1,960	2,456	77
78	10.607	10.758	11.159	1,633	2,456	2,000	2,474	2,439	78
79	9.285	10.362	11.505	1,137	2,500	2,077	2,720	2,437	79
80	9.738	8.968	11.406	688	2,776	2,222	2,205	2,394	80
81	13.565	11.070	13.608	526	2,795	2,200	1,897	2,325	81
82	14.141	12.747	18.352	502	3,179	2,143	2,071	2,298	82
83	10.108	10.982	15.705	230	3,600	1,000	2,357	2,170	83
84	12.093	11.401	20.479	182	2,667	1,667	1,846	1,958	84
85 86	14.286	15.493	36.489	238	2,600	2,000	2,000	1,844	85
87	$18.000 \\ 16.000$	20.253	44.465 47.876	173 83	$3,250 \\ 1,600$		1,778	1,580	86
88	18.182	$\begin{vmatrix} 13.861 \\ 24.658 \end{vmatrix}$	31.326	28	1,200		1,167 1,800	$\begin{array}{c} 1,347 \\ 1,327 \end{array}$	87 88
89	28.571	41.860	43.678	8	1,000	1,000	1,800	1,327	89
			20,010						
All Ages	1.0280	1.0959			2,520	2,711	2,832	2,656	
		-							

MALE LIFE (B). ANNUAL MORTALITY AND DISCONTINUED PER CENT. OF THE EXPOSED, ACCORDING TO YEARS OF INSURANCE. ALSO, AVERAGE SUM INSURED.

Years of Insurance.		tality		ntinued t. (1874.)	D. and Dis. Per Cent. (1874.)	A	verage Su (187		d.	Years of Insurance.
Yea	By Lives.	By Am'ts.	By Lives.	By Am'ts.	By Am'ts.	Existing.	Discon- tinued.	Died.	Exposed.	Yea
0 1 2 3 4	.629 .810 .921 1.000 1.091	.631 .856 .996 1.061 1.187	9.576 18.255 10.383 8.396 6.969	7.764 16.470 11.798 9.833 8.371	8.346 17.191 12.680 10.793 9.462	\$ 2,558 2,595 2,296 2,354 2,406	\$ 2,119 2,385 3,077 3,160 3,224	\$ 2,646 2,821 2,907 2,841 2,901	\$ 2,639 2,670 2,689 2,678 2,666	0 1 2 3 4
5 6 7 8 9	1.136 1.168 1.225 1.196 1.231	1.226 1.273 1.338 1.266 1.255	6.076 5.019 5.397 3.446 2.933	7.405 5.983 5.483 3.887 3.150	8.542 7.181 6.748 5.104 4.366	2,614 2,613 2,601 2,626 2,494	3,258 3,143 2,647 2,934 2,766	2,867 2,860 2,846 2,746 2,623	2,656 2,625 2,606 2,596 2,572	5 6 7 8 9
10 11 12 13 14	1.273 1.336 1.491 1.406 1.464	$\begin{array}{c} 1.309 \\ 1.447 \\ 1.544 \\ 1.475 \\ 1.500 \end{array}$	$\begin{array}{c} 2.760 \\ 2.405 \\ 1.909 \\ 1.586 \\ 1.789 \end{array}$	$\begin{array}{c} 2.977 \\ 2.466 \\ 2.004 \\ 1.732 \\ 1.885 \end{array}$	4.247 3.877 3.517 3.181 3.358	2,405 2,432 2,598 2,820 2,748	2,799 2,714 2,830 2,952 2,829	2,667 2,867 2,790 2,836 2,751	2,593 2,647 2,695 2,703 2,684	10 11 12 13 14
15 16 17 18 19	1.477 1.727 1.716 1.664 1.923	1.497 1.945 1.838 2.001 1.814	1.128 1.128 .889 .880 .791	1.171 1.193 .988 .825 .782	2.651 3.115 2.808 2.809 2.582	2,735 2,764 2,456 2,608 2,842	2,773 2,812 2,933 2,484 2,621	2,707 2,995 2,828 3,191 2,502	2,671 2,660 2,640 2,655 2,651	15 16 17 18 19
20 21 22 23 24	1.934 2.162 2.460 2.670 2.751	2.061 2.365 2.877 3.010 2.905	.792 .769 .698 .630 .447	.922 .807 .799 .729 .399	2.964 3.153 3.654 3.718 3.293	2,713 2,631 2,482 2,460 2,326	3,064 2,747 2,987 3,016 2,343	2,807 2,866 3,055 2,942 2,775	2,634 2,620 2,612 2,610 2,628	20 21 22 23 24
25 26 27 28 29	2.799 3.078 2.892 3.543 2.692	3.229 3.311 2.949 3.394 1.565	.439 .830 .542 .696 1,355	.354 .866 .427 .374 1.772	3.572 4.148 3.363 3.755 3.309	2,404 2,883 3,052 2,979 2,397	2,208 3,036 2,300 1,500 3,400	3,161 3,133 2,982 2,677 1,500	2,740 2,913 2,925 2,795 2,580	25 26 27 28 29
30 31 32 33 34	4.720 14.286 16.667 25.000	6.452 6.250 33.333 21.053	.602	.643	7.054 6.250 33.333 30.000	2,805	3,000	3,875 1,000 5,000 2,000	2,835 2,286 2,286 2,500 2,375	30 31 32 33 34
35 36 37 38 39	50.000 100.000	28.571 100.000			28.571 100.000			2,000 5,000	3,500 3,500 3,500 3,500 5,000	35 36 37 38 39
Total	1.028	1.096	9.114	9.297	10.293	2,520	2,711	2,832	2,656	

MALE LIFE (C). LOGARITHM OF THE MULTIPLIER (w) TO CARRY FORWARD THE AMOUNTS EXISTING TO THEIR PROPORTIONAL TERMINATIONS INCLUSIVE IN THE FOLLOWING COLUMNS OF TABLE I, THAT IS, TO FINAL SERIES.

Years of Insurance.			A	GES OF	ENTRY	•			Years of Insurance.
Y	16 to 19	20, 21	22, 23	24, 25	26, 27	28, 29	30, 31	32, 33	Ye
0 1 2 3	0.00000 .03167 .06848 .11133	0.00000 .03251 .07103 .11282	$0.00000 \\ .03076 \\ .06595 \\ .10211$	$0.00000 \\ .03125 \\ .06651 \\ .10598$	$0.00000 \\ .02975 \\ .06416 \\ .09944$	0.00000 .02950 .06304 .09678	0.00000 0.02886 0.06108 0.09379	0.00000 0.02756 0.05870 0.09200	0 1 2 3
5 6 7 8	0.21081 .29608 .42017 .56518	.15897 0.22007 .30419 .41418 .56338	.14333 0.20526 .28311 .38348 .49498	.14795 0.20511 .27934 .37144 .48051	0.19508 0.26141 0.34663 0.44877	.13500 0.18536 .24597 .32425 .42394	0.17896 0.24303 0.32288 0.41637	.12865 0.17856 .24077 .31871 .41552	5 6 7 8
9 10 11 12 13 14	.72039 0.90595 1.03608 .13428 .18797 .24499	.72029 0.88140 .98935 1.06705 .11745 .17096	.63628 0.76332 .88288 .96695 1.02247 .07471	.60940 0.73569 .85079 .93098 .98875 1.04638	.56752 0.68621 .78971 .87108 .91419 .96450	.53940 0.65580 .76447 .85081 .90053 .94898	.52961 0.64871 .75669 .84310 .89185 .94126	.53480 0.65832 .76347 .84680 .89522 .93814	9 10 11 12 13 14
15 16 17 18 19	1.29687 .34188 .38040 .40808 .44173	1.22848 .30143 .39219 .45412 .49038	1.14839 .20883 .27406 .33330 .39645	1.10994 $.17915$ $.24687$ $.30876$ $.35785$	1.03495 .09429 .13776 .18436 .22871	1.01171 .06871 .11044 .15738 .20863	1.00502 .06272 .11365 .15951 .20061	0.99613 1.04468 .08012 .11317 .16153	15 16 17 18 19
20 21 22 23 24			1.44609 .52848 .56209 .59941 .77465	1.42734 .47540 .52180 .57132 .68447	1.28963 .33599 .37204 .41461 .48049	1.26198 .29878 .33082 .37611 .44200	1.23978 .28672 .32485 .36530 .45187	1.20003 .25242 .28933 .32815 .38124	20 21 22 23 24
	34, 35	36, 37	38, 39	40, 41	42, 43	44, 45	46, 47	48, 49	
0 1 2 3 4	0.00000 .02736 .05863 .09011 .12711	0.00000 .02797 .05861 .09003 .12451	$\begin{matrix} 0.00000 \\ .02612 \\ .05685 \\ .08992 \\ .12542 \end{matrix}$	0.00000 .02682 .05787 .08450 .11724	0.00000 .02637 .05685 .08871 .12499	0.00000 .02667 .05506 .08557 .12342	0.00000 .02592 .05485 .08437 .12055	0.00000 .02522 .05414 .18785 .12281	0 1 2 3 4
5 6 7 8 9	0.17563 .24009 .32266 .42283 .53758	$ \begin{vmatrix} 0.17178 \\ .23623 \\ .31900 \\ .42148 \\ .54528 \end{vmatrix} $	0.17432 .23728 .32222 .43019 .55948	0.16137 .23311 .32714 .43705 .57120	0.17407 .23927 .32248 .43852 .56882	0.17291 .23703 .33015 .44456 .57546	0.16813 .23415 .32644 .44387 .61384		5 6 7 8 9
10 11 12 13 14	0.65714 .76034 .83609 .89591 .94054	0.66750 .77463 .86817 .92046 .96708	0.68624 .79305 .87863 .93184 .98309	0.69490 .81533 .91130 .96849 1.02026	0.70469 .81133 .91464 .97285 1.02834	$ \begin{vmatrix} 0.70987 \\ .82799 \\ .92110 \\ .98229 \\ 1.03559 \end{vmatrix} $	0.76135 .89096 .98369 1.05109 .09971	0.77771 .88884 .99857 1.05690 .10516	10 11 12 13 14

MALE LIFE (C.) LOGARITHM OF THE MULTIPLIER (w) TO CARRY FORWARD THE AMOUNTS EXISTING TO THEIR PROPORTIONAL TERMINATION INCLUSIVE IN THE FOLLOWING COLUMNS OF TABLE I, THAT IS, TO FINAL SERIES.

Years of Insurance.			A	GES OF	ENTR	7.			Years oi Insurance.
Y (Ins	34, 35	36, 37	38, 39	40, 41	42, 43	44, 45	46, 47	48, 49	Y
15	0.99234	1.02716	1.05255	1.09514	1.08940	1.09572	1.15306	1.17165	15 16
16 17	$1.04190 \\ .08799$.08194	.10557 $.15389$	$15674 \\ 20898$.13412	.14549	.20908 .24690	.24176 .293 3 2	17
18	.12433	.16757	.19163	.24450	.21191	.21942	.28698	.32466	18
19	.16214	.20506	.23491	.28703	.25451	.25687	.33896	.37522	19
20	1.20632	1.25361	1.27022	1.32455	1.28544	1.28311	1.39109	1.40787	20
21	.23740	.29230	.30026	.35877	.31108	.31230	.41859	.44997	21 22
22 23	.27625 .30803	.32312 $.35808$.33458 $.38224$.39109	34072 37225	.35177 $.38598$.46206 $.52132$.48151	23
24	.37613	.41130	.42984	.49325	.46483	.48744	.59343	.60108	24
25	1.47904	1.49649	1.53001	1.58489	1.63230	1.64291	1.71368	1.76675	25
26	.62925	.65588	.67472	.76986	.81786	.83406	.87907	.87790	26
27	.94425	.85502	.91484	.96749	2.03817	2.03844	2.16395	2.13867	27
28	2.28653	2.21526	2.24928	2.26639	.47507	.47829	.50773	.26995	28
	50, 51	52, 53	54, 55	56, 57	58, 59	60, 61	62, 63	64, 65	
0	0.00000	0.00000	0.00000	0.00000	0.00000	0.00000	0.00000	0.00000	0
1 2	.02578 $.05292$.02589 $.05435$.03195 $.06092$	0.03235 0.05647	.02877	.02832 $.05577$	0.03272 0.06376	.02596	2
3	.08601	.08721	.09767	.09116	.09101	.09351	.10001	.07247	3
4	.12422	.12676	.13934	.13230	.13035	.13840	.12885	.10867	4
5	0.18118	0.18340	0.19199	0.18767	0.19541	0.19452	0.20007	0.17234	5
6	.26561	.26048	.27789	.27283	.29568	.27301	.28121	.26813	6
7 8	.36828	.36581	.38372	.38968 $.54590$.40959 $.56757$.40603	.42073 $.65071$.37843	7 8
9	.51439 .66341	.50572 $.67694$.52739 $.68911$.72297	.74676	.74438	.83539	.82438	9
10	0.80739	0.83452	0.85481	0.89414	0.90593	0.88890	0.97509	1.03826	10
11	.92290	.95311	.98318	1.01557	1.07042	1.00005	1.07081	.19434	11
12	1.00623	1.05377	1.08678	.10290	.19273	.12747 $.17079$.13848	.19434	12 13
13 14	.06246 $.12941$.09947 $.15676$.14336 $.20055$.17348	.26270	.20889	.28163	.23468	14
15	1.20760	1.20986	1.26238	1.32928	1.51441	1.25803	1.29866	1.25587	15
16	.28547	.27998	.33082	.37798	.54211	.29116	.35042	.25587	16
17	.33760	.35163	.37702	.45536	.57575	.32190	.41536	.27011	17
18	.39651	.40659	.43473	.50500	.60526 .62313	.35842	.42304 $.52626$.27011	18
29	.45631	.44707	.46092	.53992				11	
20	1.48627	1.50172	1.50610	1.55195	1.66091	1.35842	1.55182	1.27011 .47423	20 21
21 22	.53167 $.55351$.52717 $.54756$.57961 $.60488$.61034	.66091 .72603	.38443	.60981	.47423	22
23	.61165	.58759	.63576	.69605	.78501	.45300	.79733	.47423	23
24	.68100	.66743	.72109	.75003	2.00995	.61650	.79733		24

FEMALE LIFE (A). MORTALITY AND DEATH CLAIMS PER CENT. OF THE LIVING OR EXPOSED, BY EXPERIENCE ENDING (1874), AND BY FINAL SERIES.

ALSO AVERAGE SUM INSURED (1874).

Begin'	Mortality.	Death Claims.	Death Claims. Per Cent. Final Se-		Average Sum	Insured (1874)	g of Year.
Age at Begin- ning of Year.	(1874.)	Per Cent. (1874.)	Final Serries.	Existing.	Discontin- ued.	Died.	Exposed.	Age at ning
10 11 12 13 14	1.639 1.047 1.072 .668	1.111 .671 1.003 .654		\$ 2,800 3,571 4,125 2,500 1,933	\$ 1,143 1,143 769 1,385 1,372	\$ 1,000 1,000 1,500 1,500	\$ 1,475 1,560 1,663 1,603 1,531	10 11 12 13 14
15 16 17 18 19	.213 .448 1.071 .822 .519	$\begin{array}{c} .141 \\ .290 \\ 1.099 \\ .869 \\ .575 \end{array}$.754 (.671) [.757]	$1,444 \\ 1,207 \\ 1,333 \\ 1,485 \\ 1,552$	1,197 1,270 1,249 1,733 - 1,797	1,000 1,000 1,700 1,818 1,900	$\begin{array}{c} 1,514 \\ 1,546 \\ 1,657 \\ 1,720 \\ 1,715 \end{array}$	15 16 17 18 19
20 21 22 23 24	1.007 1.011 .965 1.109 .990	.906 .899 1.136 1.104 .720	1.013 (.999) [.850]	1,554 1,522 1,608 1,555 1,545	1,679 1,783 1,854 1,867 1,858	1,556 1,556 2,068 1,758 1,323	1,729 1,749 1,758 1,767 1,821	20 21 22 23 24
25 26 27 28 29	1.007 1.139 1.046 .904 .919	$\begin{array}{c} .929 \\ 1.291 \\ 1.134 \\ 1.026 \\ 1.069 \end{array}$	1.160 (1.065) [1.182]	1,579 1,563 1,582 1,581 1,633	1,920 2,016 2,108 2,164 2,176	1,737 2,165 2,081 2,181 2,252	1,883 1,910 1,918 1,923 1,937	25 26 27 28 29
30 31 32 33 34	1.009 1.028 1.119 1.126 1.069	1.131 1.059 1.046 1.136 1.102	1.108 (1.084) [1.133]	1,696 1,697 1,643 1,660 1,749	2,126 2.186 2,324 2.352 2.359	2,200 2,055 1,882 2,027 2,070	1,964 1,996 2,013 2,009 2,007	30 31 32 33 34
35 36 37 38 39	1.068 .958 .951 .977 .944	1.160 1.092 1.079 1.040 .815	1.127 (1.082) [1.207]	1,785 1,840 1,793 1,712 1,773	2,425 2,452 2,338 2,213 2,302	2,176 2,252 2,208 2,071 1,697	2,003 1,977 1,945 1,946 1,968	35 36 37 38 39
40 41 42 43 44	.970 1.012 1.095 1.157 1.172	.857 1.067 1.232 1.383 1.360	1.163 (1.104) [1.285]	1,748 1,723 1,700 1,749 1,853	2,495 2,417 2,366 2,482 2,507	1,740 2,076 2,225 2,375 2,296	1,968 1,969 1,978 1,987 1,978	40 41 42 43 44
45 46 47 48 49	1.085 .981 1.011 .995 1.040	1.088 .946 .989 1.094 1.192	1.049 (1.103) [1.391]	1,796 1,857 1,935 1,868 1,837	2,358 2,335 2,388 2,261 2,207	1,960 1,884 1,904 2,130 2,227	1,955 1,953 1,946 1,936 1,943	45 46 47 48 49

Note. The percentages by Mortality and by Death Claims were derived from the sum or mean of data at two adjacent Ages in Table II (A). The quinquennial percentages (Final Series) depend on \boldsymbol{w} . \boldsymbol{v}^{u} from Table IV (C) applied to Death Claims and Exposed to Risk in Table II. Under these and

FEMALE LIFE (A). MORTALITY AND DEATH CLAIMS PER CENT. OF THE LIVING OR EXPOSED, BY EXPERIENCE ENDING (1874), AND BY FINAL SERIES.

ALSO AVERAGE SUM INSURED (1874).

at Begin-	Mortality.	Death Claims.	Death Claims, Per Cent. Final Se-	1	Average Sum l	Insured (1874)).	Begin- f Year.
Age at ning of	(1874.)	Per Cent. (1874.)	Final Series.	Existing.	Discontin- ued.	Died.	Exposed.	Age at ning of
50 51 52 53 54	1.171 1.251 1.500 1.451 1.180	1.252 1.287 1.480 1.633 1.443	1.310 (1.432) [1.567]	\$ 1,825 1,759 1,770 1,838 1,846	\$ 2,346 2,504 2,483 2,556 2,654	\$ 2,078 1,987 1,902 2,169 2,333	\$ 1,945 1,932 1,928 1,927 1,908	50 51 52 53 54
55 56 57 58 59	1.577 2.081 2.169 1.854 1.721	1.610 2.245 2.719 2.002 1.757	1.959 (2.015) [2.015]	1,802 1,800 1,750 1,796 1,942	2,517 2,329 2,282 2,172 2,194	1,933 2,058 2,429 2,128 2,026	1,894 1,908 1,938 1,971 1,985	55 56 57 58 59
60 61 62 63 64	1.773 1.866 2.266 2.880 3.868	2.306 2.277 2.569 3.131 4.023	2.687 (2.822) [2.863]	1,893 1,898 1,792 1,712 1,914	2,581 2,741 2,454 2,032 1,769	2,543 2,344 2,151 2,083 2,049	1,955 1,921 1,898 1,916 1,970	60 61 62 63 64
65 66 67 68 69	3.348 3.237 4.024 5.134 5.674	3.421 4.340 6.409 6.496 5.961	4.357 (4.937) [4.370]	2,130 2,078 1,750 1,529 1,607	1,889 2,089 2,039 2,042 2,077	2,033 2,625 3,000 2,333 2,000	1,990 1,958 1,884 1,844 1,904	65 66 67 68 69
70 71 72 73 74	3.697 3.563 4.167 4.459 8.907	4.664 5.495 5.989 4.831 8.696	5.250 (5.617) [6.844]	1,515 1,750 1,773 1,864 2,071	$\begin{array}{c} 1,400 \\ 2,143 \\ 2,167 \\ 2,000 \\ 2,571 \end{array}$	2,500 3,125 2,875 2,143 1,909	1,981 2,027 2,000 1,978 1,956	70 71 72 73 74
75 76 77 78 79	10.309 9.032 16.000 19.149 15.385	11.475 8.108 13.492 16.915 3.889	14.776 (12.232) [10.662]	1,300 1,333 1,600 2,250 3,250	2,250 1,000 1,500 1,500	2,100 1,714 1,700 1,889 2,000	1,887 1,910 2,016 3,138 2,215	75 76 77 78 79
80 81 82 83 84	25.000 40.000 18.182 11.111	20.408 32.836 30.435 37.500	(22,01) [12,51]	3,500 1,000 1,000		1,667 1,571 3,500 6,000	2,042 1,914 2,091 1,778 1,286	80 81 82 83 84
85 86 87 88 89	16.667 20.000 50.000	25.000 33.333 50.000	(21.43) [22.82]	1,000 1,000		2,000 2,000 1,000	1,333 1,200 1,000 1,000 1,000	85 86 87 88 89
All Ages.	1.1581	1.2344	•	1,744	2,216 from the pre	2,070	1,942	Death

enclosed in parentheses are the quinquennial values from the preceding column or from Death Claims (1874). And the values in brackets are the quinquennial ratios from the Female Experience of the Twenty British Offices.

FEMALF LIFF (B) ANNUAL MORTALITY AND DISCONTINUED PER CENT. OF THE EXPOSED ACCORDING TO YEARS OF INSURANCE. ALSO, AVERAGE SUM INSURED.

Years of Insurance.	Mort Per Cent		Discon		D. and Dis. Per Cent. (1874.)	Av	erage Su (187		d.	Years of Insurance.
Ye	By Lives.	By Am'ts.	By Lives.	By Am'ts.	By Am'ts.	Existing.	Discontinued.	Died.	Exposed.	YeIns
0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16	.861 1.081 1.062 1.139 1.156 1.280 1.401 1.331 1.064 1.726 1.382 1.494 1.329 1.538 1.056 1.143 1.672	.934 1.120 1.088 1.274 1.321 1.434 1.541 1.353 1.159 1.541 1.359 1.598 1.197 2.110 .921 1.796 2.742	9.146 20.576 11.549 10.633 8.781 7.210 5.561 6.955 4.504 4.226 3.892 3.365 2.397 1.269 1.628 1.247 .672	7.716 19.700 14.037 14.148 12.083 10.566 7.282 8.636 6.270 4.923 4.896 3.316 2.516 1.362 1.512 1.440 .922	8.579 20.610 14.978 15.248 13.250 11.853 8.713 9.875 7.358 6.390 6.190 4.861 3.684 3.443 2.419 3.210 3.639	\$ 1,790 1,782 1,708 1,622 1,688 1,685 1,776 1,830 1,854 1,718 1,685 1,952 1,869 2,419 2,463 1,978 2,649	\$ 1,665 1,914 2,476 2,672 2,701 2,821 2,476 2,335 2,578 2,097 2,286 1,800 1,897 1,928 1,647 2,000 2,333	\$ 2,158 2,082 2,061 2,206 2,206 2,121 2,063 1,895 2,000 1,600 1,778 1,955 1,625 2,471 1,545 2,727 2,800	\$ 1,989 2,010 2,010 1,973 1,930 1,893 1,875 1,864 1,836 1,792 1,808 1,828 1,804 1,801 1,772 1,736 1,708	0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16
17 18 19 20	$ \begin{array}{c c} 1.314 \\ 2.171 \\ 1.509 \\ 1.901 \end{array} $	1.455 1.646 1.605 2.813	1.195 1.538 1.373 .589	1.527 1.100 1.689 .734	2.960 2.728 3.266 3.526	1,906 2,077 1,815 1,756	2,100 $1,167$ $2,000$ $2,000$	1,818 1,235 1,727 2,385	$ \begin{array}{c c} 1,642 \\ 1,630 \\ 1,624 \\ 1,611 \end{array} $	17 18 19 20
21 22 23 24	2.875 .897 2.459 3.121	2.833 .568 1.949 3.293	.646 1.253 .414 .288	1.325 1.358 .393 .352	4.121 1.919 2.335 3.633	1,511 1,633 1,434 1,633	3,250 1,714 1,500 2,000	1,556 1,000 1,250 1,727	1,579 1,578 1,577 1,637	21 22 23 24
25 26 27 28 29 30	1.031	.631			.631	1,615 1,593 2,500 1,500 1,000		1,000	1,634 1,686 2,182 1,333 1,000 1,000	25 26 27 28 29 30
	1.158	1.234	10.954	12.412	13.499	1,744	2,216	2,070	1,942	

TABLE IV.

FEMALE LIFE (C.) LOGARITHM OF THE AVERAGE FACTORS (w), (wv^n), TO CARRY FORWARD THE AMOUNTS EXISTING IN TABLE II TO THEIR PROPORTIONAL TERMINATIONS INCLUSIVE IN THE FOLLOWING COLUMNS, $i.\ e$, TO FINAL SERIES.

Years of Insurance.	Log w.	$Log(w.v^n)$	Years.	Log w.	$\left \operatorname{Log}(w.v^n) \right $	Years.	Log w.	$\log(w.v^n)$
0 1 2 3 4	0.00000 .02133 .04603 .08533 .12601	0.00000 .00430 .01196 .03423 .05788	10 11 12 13 14	$\begin{array}{c} 0.86339 \\ .95711 \\ 1.03036 \\ .05439 \\ .07156 \end{array}$	0.69306 .76974 .82596 .83296 .83309	20 21 22 23 24	1.21692 .24727 .27938 .33135 .44621	0.87625 .88957 .90465 .93958 1.03741
5 6 7 8 9	0.18963 .27044 .38586 .54308 .72467	0.10446 .16824 .26663 .40681 .57137	15 16 17 18 19	1.10460 .12902 .15871 .17888 .19810	*0.84910 .85649 .86914 .87228 .87447	25	1.69101 $v = \frac{1}{1}$	1.26518

PROBABLE LOSS AND ACTUAL LOSS BY STATES AND TEXRITORIES.

Alabama	States, &c.	Probable Loss.	Actual Loss.	Ratio.
Arkansas 295,413 508,119 172 California 2,489,469 2,414,340 97 Colorado 150,821 131,000 87 Comnecticut 3,604,783 3,369,951 94 Dakota 5,412 5,000 92 Delaware 253,963 224,526 88 District of Columbia 580,298 660,006 114 Florida 181,635 303,852 167 Georgia 950,653 911,536 96 Idaho 23,552 15,743 67 Illinois 7,320,753 6,365,344 87 Indiana 2,465,769 2,590,728 105 Indian Territory 10,007 5,000 50 Iowa 1,659,034 1,255,512 76 Kansas 454,910 391,470 86 Kentucky 2,169,340 2,337,220 103 Louisiana 1,383,520 2,400,915 176 Maryland 2,573	Alabama			100:134
California 2,489,469 2,414,340 97 Colorado 150,821 131,000 87 Connecticut 3,604,783 3,999,951 94 Dakota 5,412 5,000 92 Delaware 253,963 224,526 88 District of Columbia 580,298 660,006 114 Florida 181,635 303,862 167 Georgia 950,653 911,536 96 Idaho 23,532 15,743 67 Illinois 7,320,753 6,365,344 87 Indian 2,465,799 2,590,728 105 Indian 16,59,034 1,255,512 76 Kansas 454,910 391,470 86 Kentucky 2,169,340 2,337,220 103 Louisian 1,826,915 1,511,492 83 Maryland 2,573,670 3,311,815 129 Massachusetts 11,977,364 10,309,004 86 Michigan				
Colorado. 150,821 131,000 87 Connecticut. 3,604,783 3,369,951 94 Dakota. 5,412 5,000 92 Delaware. 253,963 224,526 88 District of Columbia. 580,298 660,006 114 Florida. 181,635 303,852 167 Georgia. 950,653 911,536 96 Idaho. 23,532 15,743 67 Illinois. 7,320,753 6,365,344 87 Indiana. 2,465,769 2,590,728 105 Indian Territory. 10,007 5,000 50 Iowa. 1,659,034 1,255,512 76 Kansas. 454,910 391,470 86 Kentucky. 2,169,340 3237,220 103 Louisiana. 1,363,520 2,400,915 176 Maine. 1,826,915 1,511,492 83 Maryland. 2,573,670 3,311,815 129 Massachusetts. </td <td>Arkansas</td> <td></td> <td></td> <td></td>	Arkansas			
Connecticut. 3,604,783 3,369,951 94 Dakota. 5,412 5,000 92 Delaware. 253,963 224,526 88 District of Columbia. 580,288 660,006 114 Florida. 181,635 303,852 167 Georgia. 950,653 911,536 96 Idaho. 23,532 15,743 67 Illinois. 7,320,753 6,365,344 87 Indian 2,465,769 2,590,728 105 Indian Territory. 10,007 5,000 50 Iowa. 1,659,034 1,255,512 76 Kansas. 454,910 391,470 86 Kentucky 2,169,340 2,237,220 103 Louisiana. 1,363,520 2,400,915 176 Maine. 1,826,915 1,511,492 83 Maryland 2,573,670 3,311,815 129 Massachusetts. 11,977,364 10,309,004 86 Michigan	Colorado.		2,414,340	
Dakota. 5,412 5,000 92 Delaware. 253,963 224,526 88 District of Columbia. 580,238 660,006 114 Florida. 181,635 303,852 167 Georgia. 950,653 911,536 96 Idaho. 23,532 15,743 67 Illinois. 7,320,753 6,365,344 87 Indian Territory. 10,007 5,000 50 Iowa. 1,659,034 1,255,512 76 Kansas. 454,910 391,470 86 Kentucky 2,169,340 2,237,220 103 Louisiana. 1,363,520 2,400,915 176 Maine. 1,826,915 1,511,492 83 Maryland. 2,573,670 3,311,815 129 Missachusetts. 11,977,364 10,309,004 86 Michigan. 2,371,866 2,119,010 89 Minnesota. 735,380 785,907 107 Missouri.<		The state of the s		
Delaware. 253,963 224,526 88				
District of Columbia	Delaware.			
Georgia 950,653 911,536 96 Idaho 23,532 15,743 67 Illinois 7,320,753 6,365,344 87 Indian 2,465,769 2,590,728 105 Indian Territory 10,007 5,000 50 Iowa 1,659,034 1,255,512 76 Kansas. 454,910 391,470 86 Kentucky 2,169,340 2,237,220 103 Louisiana 1,363,520 2,400,915 176 Maine 1,826,915 1,511,492 83 Maryland 2,573,670 3,311,815 129 Massachusetts. 11,977,364 10,309,004 86 Michigan 2,371,856 2,119,010 89 Minnesota 735,380 785,907 107 Mississippi 795,476 1,308,632 164 Missouri 4,336,484 4,810,720 111 Mortana 21,824 5,000 23 Nebraska	District of Columbia		660,006	114
Idaho	Florida	181,635	303,852	167
Illinois	Georgia			
Indian	Idaho			
Indian Territory	Illinois			
Iowa	Indian Territory			
Kansas. 454,910 391,470 86 Kentucky 2,169,340 2,237,220 103 Louisiana 1,363,520 2,400,915 176 Maine 1,826,915 1,511,492 83 Maryland 2,573,670 3,311,815 129 Massachusetts 11,977,364 10,309,004 86 Michigan 2,371,856 2,119,010 89 Minnesota 735,380 785,907 107 Mississippi 795,476 1,308,632 164 Missouri 4,336,484 4,810,720 111 Montana 21,824 5,000 23 Nebraska 223,736 136,300 61 Nevada 157,256 177,905 113 New Hampshire 1,264,848 1,123,093 89 New Jersey 2,666,988 2,515,832 94 New Mexico 17,778 29,500 166 New York 22,271,323 21,059,726 95 North C		,	1	
Kentucky 2,169,340 2,237,220 103 Louisiana 1,363,520 2,400,915 176 Maine 1,826,915 1,511,492 83 Maryland 2,573,670 3,311,815 129 Massachusetts 11,977,364 10,309,004 86 Michigan 2,371,856 2,119,010 89 Minnesota 735,380 785,907 107 Mississippi 795,476 1,308,632 164 Missouri 4,336,484 4,810,720 111 Montana 21,824 5,000 23 Nevada 157,256 177,905 113 New Hampshire 1,264,848 1,123,093 89 New Jersey 2,666,988 2,515,832 94 New Mexico 17,778 29,500 166 New York 22,271,323 21,059,726 95 North Carolina 843,815 1,069,409 127 Ohio 5,689,260 5,292,302 93 <	Kansas			
Louisiana 1,363,520 2,400,915 176 Maine 1,826,915 1,511,492 83 Maryland 2,573,670 3,311,815 129 Massachusetts 11,977,364 10,309,004 86 Michigan 2,371,856 2,119,010 89 Minnesota 735,380 785,907 107 Mississippi 795,476 1,308,632 164 Missouri 4,336,484 4,810,720 111 Montana 21,824 5,000 23 Nebraska 223,736 136,300 61 Nevada 157,256 177,905 113 New Hampshire 1,264,848 1,123,093 89 New Jersey 2,666,988 2,515,832 94 New Mexico 17,778 29,500 166 New York 22,271,323 21,069,726 95 North Carolina 843,815 1,069,409 127 Ohio 5,689,260 5,292,302 93 Oregon 164,380 141,000 86 Pennsylvania <	Kentucky			
Maine 1,826,915 1,511,492 83 Maryland 2,573,670 3,311,815 129 Massachusetts 11,977,364 10,309,004 86 Michigan 2,371,856 2,119,010 89 Minnesota 735,380 785,907 107 Mississippi 795,476 1,308,632 164 Missouri 4,336,484 4,810,720 111 Mortana 21,824 5,000 23 Nebraska 223,736 136,300 61 Nevada 157,256 177,905 113 New Hampshire 1,264,848 1,123,093 89 New Jersey 2,666,988 2,515,832 94 New York 22,271,323 21,069,726 95 North Carolina 843,815 1,069,409 127 Ohio 5,689,260 5,292,302 93 Oregon 164,380 141,000 86 Pennsylvania 10,393,537 9,578,003 92 Rhode Island 1,058,688 945,152 89 South Carolina <td>Louisiana</td> <td></td> <td></td> <td></td>	Louisiana			
Massachusetts. 11,977,364 10,309,004 86 Minchigan. 2,371,856 2,119,010 89 Minnesota. 735,380 785,907 107 Mississippi. 795,476 1,308,632 164 Missouri. 4,336,484 4,810,720 111 Montana. 21,824 5,000 23 Nebraska. 223,736 136,300 61 Nevada. 157,256 177,905 113 New Hampshire. 1,264,848 1,123,093 89 New Jersey. 2,666,988 2,515,832 94 New Mexico. 17,778 29,500 166 New York. 22,271,323 21,059,726 95 North Carolina. 843,815 1,069,409 127 Ohio. 5,689,260 5,292,302 93 Oregon. 164,380 141,000 86 Pennsylvania. 10,393,537 9,578,003 92 Rhode Island. 1,058,688 945,152 89	Maine	1,826,915	1,511,492	83
Massachusetts. 11,977,364 10,309,004 86 Michigan. 2,371,856 2,119,010 89 Minnesota. 735,380 785,907 107 Mississippi. 795,476 1,308,632 164 Missouri. 4,336,484 4,810,720 111 Montana. 21,824 5,000 23 Nebraska. 223,736 136,300 61 Nevada. 157,256 177,905 113 New Hampshire. 1,264,848 1,123,093 89 New Jersey. 2,666,988 2,515,832 94 New Mexico. 17,778 29,500 166 New York. 22,271,323 21,059,726 95 North Carolina. 843,815 1,069,409 127 Ohio. 5,689,260 5,292,302 93 Oregon. 164,380 141,000 86 Pennsylvania. 10,393,537 9,578,003 92 Rhode Island. 1,058,688 945,152 89 <	Maryland	2,573,670		129
Minnesota 735,380 785,907 107 Mississippi 795,476 1,308,632 164 Missouri 4,336,484 4,810,720 111 Montana 21,824 5,000 23 Nebraska 223,736 136,300 61 Nevada 157,256 177,905 113 New Hampshire 1,264,848 1,123,093 89 New Jersey 2,666,988 2,515,832 94 New Mexico 17,778 29,500 166 New York 22,271,323 21,059,726 95 North Carolina 843,815 1,069,409 127 Ohio 5,689,260 5,292,302 93 Oregon 164,380 141,000 86 Pennsylvania 10,393,537 9,578,003 92 Rhode Island 1,058,688 945,152 89 South Carolina 753,060 864,635 115 Tennessee 1,383,648 2,362,121 163 Tex	Massachusetts			
Mississippi 795,476 1,308,632 164 Missouri 4,336,484 4,810,720 111 Montana 21,824 5,000 23 Nebraska 223,736 136,300 61 Nevada 157,256 177,905 113 New Hampshire 1,264,848 1,123,093 89 New Jersey 2,666,988 2,515,832 94 New Mexico 17,778 29,500 166 New York 22,271,323 21,059,726 95 North Carolina 843,815 1,069,409 127 Ohio 5,689,260 5,292,302 93 Oregon 164,380 141,000 86 Pennsylvania 10,393,537 9,578,003 92 Rhode Island 1,058,688 945,152 89 South Carolina 753,060 864,635 115 Tennessee 1,383,648 2,262,121 163 Texas 778,713 1,358,972 175 Utah 14,328 39,500 276 Vermont 723,750<	Michigan			
Missouri 4,336,484 4,810,720 111 Montana 21,824 5,000 23 Nebraska 223,736 136,300 61 Nevada 157,256 177,905 113 New Hampshire 1,264,848 1,123,093 89 New Jersey 2,666,988 2,515,832 94 New Mexico 17,778 29,500 166 New York 22,271,323 21,059,726 95 North Carolina 843,815 1,069,409 127 Ohio 5,689,260 5,292,302 93 Oregon 164,380 141,000 86 Pennsylvania 10,393,537 9,578,003 92 Rhode Island 1,058,688 945,152 89 South Carolina 753,060 864,635 115 Tennessee 1,383,648 2,262,121 163 Texas 778,713 1,358,972 175 Utah 14,328 39,500 276 Vermont 723,750 578,092 80 Virginia 646,188				
Montana 21,824 5,000 23 Nebraska 223,736 136,300 61 Nevada 157,256 177,905 113 New Hampshire 1,264,848 1,123,093 89 New Jersey 2,666,988 2,515,832 94 New Mexico 17,778 29,500 166 New York 22,271,323 21,059,726 95 North Carolina 843,815 1,069,409 127 Ohio 5,689,260 5,292,302 93 Oregon 164,380 141,000 86 Pennsylvania 10,393,537 9,578,003 92 Rhode Island 1,058,688 945,152 89 South Carolina 753,060 864,635 115 Tennessee 1,383,648 2,262,121 163 Texas 778,713 1,358,972 175 Utah 14,328 39,500 276 Vermont 723,750 578,092 80 Virginia		*		
Nebraska 223,736 136,300 61 Nevada 157,256 177,905 113 New Hampshire 1,264,848 1,123,093 89 New Jersey 2,666,988 2,515,832 94 New Mexico 17,778 29,500 166 New York 22,271,323 21,059,726 95 North Carolina 843,815 1,069,409 127 Ohio 5,689,260 5,292,302 93 Oregon 164,380 141,000 86 Pennsylvania 10,393,537 9,578,003 92 Rhode Island 1,058,688 945,152 89 South Carolina 753,060 864,635 115 Tennessee 1,383,648 2,262,121 163 Texas 778,713 1,358,972 175 Utah 14,328 39,500 276 Vermont 723,750 578,092 80 Virginia 646,188 673,350 104 Washington	Montana		4,810,720	
New Hampshire. 157,256 177,905 113 New Hampshire. 1,264,848 1,123,093 89 New Jersey. 2,666,988 2,515,832 94 New Mexico. 17,778 29,500 166 New York. 22,271,323 21,059,726 95 North Carolina 843,815 1,069,409 127 Ohio. 5,689,260 5,292,302 93 Oregon 164,380 14,000 86 Pennsylvania 10,393,537 9,578,003 92 Rhode Island 1,058,688 945,152 89 South Carolina 753,060 864,635 115 Tennessee 1,383,648 2,262,121 163 Texas 778,713 1,358,972 175 Utah 14,328 39,500 276 Vermont 723,750 578,092 80 Virginia 646,188 673,350 104 Washington 23,270 6,000 West Virginia 314,438 255,755 81 Wyoming <t< td=""><td>Nebraska</td><td></td><td></td><td>_</td></t<>	Nebraska			_
New Hampshire. 1,264,848 1,123,093 89 New Jersey. 2,666,988 2,515,832 94 New Mexico. 17,778 29,500 166 New York. 22,271,323 21,059,726 95 North Carolina. 843,815 1,069,409 127 Ohio. 5,689,260 5,292,302 93 Oregon. 164,380 141,000 86 Pennsylvania. 10,393,537 9,578,003 92 Rhode Island. 1,058,688 945,152 89 South Carolina. 753,060 864,635 115 Tennessee. 1,383,648 2,262,121 163 Texas. 778,713 1,358,972 175 Utah. 14,328 39,500 276 Vermont. 723,750 578,092 80 Virginia. 646,188 673,350 104 Washington. 23,270 6,000 West Virginia. 31,438 255,755 81 Wyoming. 4,022 1,000 Wyoming.	Nevada		177,905	
New Mexico 17,778 29,500 166 New York 22,271,323 21,059,726 95 North Carolina 843,815 1,069,409 127 Ohio 5,689,260 5,292,302 93 Oregon 164,380 141,000 86 Pennsylvania 10,393,537 9,578,003 92 Rhode Island 1,058,688 945,152 89 South Carolina 753,060 864,635 115 Tennessee 1,383,648 2,262,121 163 Texas 778,713 1,358,972 175 Utah 14,328 39,500 276 Vermont 723,750 578,092 80 Virginia 646,188 673,350 104 Washington 23,270 6,000 West Virginia 314,438 255,755 81 Wisconsin 3,009,760 2,316,213 77 Wyoming 4,022 1,000 Unknown 37,337 67,818 182 British America 1,425,150	New Hampshire	1,264,848	1,123,093	89
New Mexico 17,778 29,500 166 New York 22,271,323 21,059,726 95 North Carolina 843,815 1,069,409 127 Ohio 5,689,260 5,292,302 93 Oregon 164,380 141,000 86 Pennsylvania 10,393,537 9,578,003 92 Rhode Island 1,058,688 945,152 89 South Carolina 753,060 864,635 115 Tennessee 1,383,648 2,262,121 163 Texas 778,713 1,358,972 175 Utah 14,328 39,500 276 Vermont 723,750 578,092 80 Virginia 646,188 673,350 104 Washington 23,270 6,000 West Virginia 314,438 255,755 81 Wisconsin 3,009,760 2,316,213 77 Wyoming 4,022 1,000 Unknown 37,337 67,818 182 British America 1,425,150	New Jersey	2,666,988	2,515,832	94
North Carolina 843,815 1,069,409 127 Ohio 5,689,260 5,292,302 93 Oregon 164,380 141,000 86 Pennsylvania 10,393,537 9,578,003 92 Rhode Island 1,058,688 945,152 89 South Carolina 753,060 864,635 115 Tennessee 1,383,648 2,262,121 163 Texas 778,713 1,358,972 175 Utah 14,328 39,500 276 Vermont 723,750 578,092 80 Virginia 646,188 673,350 104 Washington 23,270 6,000 West Virginia 314,438 255,755 81 Wisconsin 3,009,760 2,316,213 77 Wyoming 4,022 1,000 Unknown 37,337 67,818 182 British America 1,425,150 1,033,812 73 Other Foreign 841,215 948,616 113	New Mexico		29,500	
Ohio 5,689,260 5,292,302 93 Oregon 164,380 141,000 86 Pennsylvania 10,393,537 9,578,003 92 Rhode Island 1,058,688 945,152 89 South Carolina 753,060 864,635 115 Tennessee 1,383,648 2,262,121 163 Texas 778,713 1,358,972 175 Utah 14,328 39,500 276 Vermont 723,750 578,092 80 Virginia 646,188 673,350 104 Washington 23,270 6,000 West Virginia 314,438 255,755 81 Wisconsin 3,009,760 2,316,213 77 Wyoming 4,022 1,000 Unknown 37,337 67,818 182 British America 1,425,150 1,033,812 73 Other Foreign 841,215 948,616 113	New York.			
Oregon 164,380 141,000 86 Pennsylvania 10,393,537 9,578,003 92 Rhode Island 1,058,688 945,152 89 South Carolina 753,060 864,635 115 Tennessee 1,383,648 2,262,121 163 Texas 778,713 1,358,972 175 Utah 14,328 39,500 276 Vermont 723,750 578,092 80 Virginia 646,188 673,350 104 Washington 23,270 6,000 West Virginia 314,438 255,755 81 Wisconsin 3,009,760 2,316,213 77 Wyoming 4,022 1,000 Unknown 37,337 67,818 182 British America 1,425,150 1,033,812 73 Other Foreign 841,215 948,616 113	Obje			
Pennsylvania 10,393,537 9,578,003 92 Rhode Island 1,058,688 945,152 89 South Carolina 753,060 864,635 115 Tennessee 1,383,648 2,262,121 163 Texas 778,713 1,358,972 175 Utah 14,328 39,500 276 Vermont 723,750 578,092 80 Virginia 646,188 673,350 104 Washington 23,270 6,000 West Virginia 314,438 255,755 81 Wisconsin 3,009,760 2,316,213 77 Wyoming 4,022 1,000 Unknown 37,337 67,818 182 British America 1,425,150 1,033,812 73 Other Foreign 841,215 948,616 113				
Rhode Island 1,058,688 945,152 89 South Carolina 753,060 864,635 115 Tennessee 1,383,648 2,262,121 163 Texas 778,713 1,358,972 175 Utah 14,328 39,500 276 Vermont 723,750 578,092 80 Virginia 646,188 673,350 104 Washington 23,270 6,000 West Virginia 314,438 255,755 81 Wisconsin 3,009,760 2,316,213 77 Wyoming 4,022 1,000 Unknown 37,337 67,818 182 British America 1,425,150 1,033,812 73 Other Foreign 841,215 948,616 113	Penneylvania			_
South Carolina 753,060 864,635 115 Tennessee 1,383,648 2,262,121 163 Texas 778,713 1,358,972 175 Utah 14,328 39,500 276 Vermont 723,750 578,092 80 Virginia 646,188 673,350 104 Washington 23,270 6,000 West Virginia 314,438 255,755 81 Wisconsin 3,009,760 2,316,213 77 Wyoming 4,022 1,000 Unknown 37,337 67,818 182 British America 1,425,150 1,033,812 73 Other Foreign 841,215 948,616 113	Rhode Island			
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	South Carolina	753,060	864,635	
Utah 14,328 39,500 276 Vermont 723,750 578,092 80 Virginia 646,188 673,350 104 Washington 23,270 6,000 West Virginia 314,438 255,755 81 Wisconsin 3,009,760 2,316,213 77 Wyoming 4,022 1,000 Unknown 37,337 67,818 182 British America 1,425,150 1,033,812 73 Other Foreign 841,215 948,616 113	Tennessee	1,383,648	2,262,121	163
Utah 14,328 39,500 276 Vermont 723,750 578,092 80 Virginia 646,188 673,350 104 Washington 23,270 6,000 West Virginia 314,438 255,755 81 Wisconsin 3,009,760 2,316,213 77 Wyoming 4,022 1,000 Unknown 37,337 67,818 182 British America 1,425,150 1,033,812 73 Other Foreign 841,215 948,616 113				
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Utah			· ·
Washington 23,270 6,000 West Virginia 314,438 255,755 81 Wisconsin 3,009,760 2,316,213 77 Wyoming 4,022 1,000 Unknown 37,337 67,818 182 British America 1,425,150 1,033,812 73 Other Foreign 841,215 948,616 113				
West Virginia 314,438 255,755 81 Wisconsin 3,009,760 2,316,213 77 Wyoming 4,022 1,000 Unknown 37,337 67,818 182 British America 1,425,150 1,033,812 73 Other Foreign 841,215 948,616 113	Washington			
Wisconsin 3,009,760 2,316,213 77 Wyoming 4,022 1,000 Unknown 37,337 67,818 182 British America 1,425,150 1,033,812 73 Other Foreign 841,215 948,616 113				
Wyoming 4,022 1,000 Unknown 37,337 67,818 182 British America 1,425,150 1,033,812 73 Other Foreign 841,215 948,616 113	Wisconsin			
Unknown 37,337 67,818 182 British America 1,425,150 1,033,812 73 Other Foreign 841,215 948,616 113	Wyoming			
British America 1,425,150 1,033,812 73 Other Foreign 841,215 948,616 113				
Other Foreign	British America	1,425,150	1,033,812	73
	Other Foreign			
	Total	\$104,531,520	\$102,048,996	98

Note. Tables V, VI and VII refer to the common American Table of 1858. To change to the Thirty Offices Table, subtract \$\frac{1}{80}\$th part from the Probable Loss. Or add \$\frac{1}{26}\$th to the last term of the Ratio.

ORDER AND VARIABILITY OF RATIOS OF PROBABLE TO ACTUAL LOSS IN THIRTY-FIVE STATES.

	I	Ratios			Thousand Dollars Loss.				oss.	
States and District.	Number	of Co	mpan	ies.	15	2	6		9	
	27	12	6	9	Prob. L.	Act. L.	Prob. L.	Act. L.	Prob. L.	Act. L.
Iowa. Wisconsin. Vermont. West Virginia. Maine.	100:76 77 80 81 83	62 74 78 58 93	94 88 81 100 78	80 81 82 93 83	870 2,122 305 108 512	538 1,559 236 63 475	611 530 288 23 1,113	575 468 234 23 870	177 358 131 184 202	143 289 107 170 167
Oregon	86 86 86 87 88	102 68 80 81	103 112 88 86 109	50 92 95 98 104	72 218 3,654 2,776 43	$ \begin{array}{r} 74 \\ 149 \\ 2,934 \\ 2,259 \\ 1 \end{array} $	$\begin{vmatrix} 40 \\ 124 \\ 7,244 \\ 2,823 \\ 80 \end{vmatrix}$	42 139 6,346 2,427 87	52 113 1,080 1,722 132	26 103 1,029 1,680 137
Rhode Island. Michigan New Hampshire. Pennsylvania Ohio	89 89 89 92 93	77 96 81 82 83	98 84 92 95 97	84 93 91 97 102	316 686 377 3,030 2,107	242 657 307 2,472 1,746	587 1,203 742 3,018 2,229	572 1,012 683 2,872 2,169	156 484 146 4,346 1,354	131 450 134 4,234 377
Connecticut. New Jersey. New York. Georgia California	94 94 95 96 97	73 78 90 89 96	104 111 98 118 105	104 105 98 96 88	1,234 1,185 9,071 353 959	905 921 8,126 314 920	1,683 598 7,690 117 880	1,751 663 7,515 137 923	687 885 5,510 481 651	714 932 5,419 460 571
Kentucky Virginia Indiana Minnesota Missouri	103 104 105 107 111	106 86 104 114 96	81 100 99 94 121	123 130 116 92 122	701 309 1,045 469 1,835	743 265 1,088 537 1,768	736 97 855 144 906	595 97 846 136 1,101	733 241 565 122 1,595	900 312 657 113 1,942
District of Columbia. South Carolina. North Carolina. Maryland. Alabama	114 115 127 129 134	95 123 103 137 108	124 71 105 131 148	141 113 163 119 156	280 499 306 847 531	266 615 315 1,161 571	173 91 214 746 70	214 65 225 979 104	127 163 324 981 603	179 185 529 1,171 943
Tennessee Mississippi. Florida. Arkansas. Texas Louisiana.	163 164 167 172 175 176	156 121 120 230 170 119	123 43 357 180 192 218		498 310 120 141 256 525	777 376 145 324 434 625	176 33 18 6 35 43	218 14 63 10 67 93	710 453 44 149 488 796	1,268 918 97 174 857 1,683
Average	98	90	96	111	1,074	970	999	954	749	838

STATE OF ALABAMA.

Counties.	Prob. Loss.	Actual Loss.	Counties.	Prob. Loss.	Actual Loss.
Antanga	\$3,403	5,220	Lowndes	18,785	17,720
Baker	219		Macon	18,814	25,820
Baldwin .	1,952		Madison	26,163	44,600
Barbour	22,093	10,220	Marengo	25,991	21,000
Bibb	1,882	5,220	Marion	535	
Blount	198		Mobile.	394,284	544,453
Bullock	11,868	18,440	Monroe	3,782	5,220
Butler	12,833	20,880	Montgomery	94,225	171,574
Calhoun	7,739	15,420	Morgan	2,763	1,000
Chambers	16,168	20,880	Perry	63,414	63,260
Cherokee	528		Pickens	19,328	39,000
Choctaw	4,220		Pike	2,091	
Clarke	985		Randolph	1,236	
Clay	1,169		Russell	6,529	30,440
Coffee	552		Shelby	4,831	6,500
Colbert	3,029	10,440	St. Clair	2,685	5,220
Conecuh	1,831	5,000	Sumpter	14,185	10,000
Coosa	1,291		Talladega	18,576	19,100
Covington	19		Tallapoosa	3,169	
Crenshaw	2,049		Tuscaloosa	18,138	5,000
Dale	1,389		Walker	411	5,000
Dallas	114,320	151,700	Washington	1,581	10,220
Elmore	7,586	2,500	Wilcox	28,311	33,000
Escambia	227		Unknown	6,085	15,000
Etowah	2,596		Additional	103,216	134,941
Fayette	597		Total	1,204,521	1,618,048
Franklin	3,575		Ratio	100	: 134
Greene	37,285	79,140			
Hale	7,901	6,000		000000	× 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
Henry	2,895		Alluvial.	396,236	544,453
Jackson	1,065		Ratio	100	: 137
Jefferson	6,371	10,440	Middle	175,977	194,580
Lauderdale	4,616	10,440	Ratio	100	:111
Lawrence	11,310	5,220	Upland	523,007	729,074
Lee	22,109	27,600	Ratio	100	: 139
Limestone	7,523	5,220			
	ST	ATE OF A	ARKANSAS.		
Arkansas .	\$3,270	15,660	Crittenden .	5,901	16,630
Ashley.	995	5,000	Cross.	837	
Benton	411	3,000	Dallas	3,457	10,000
Bradley	1,656		Desha .	3,625	13,220
Calhoun	1,169		Drew.	5,876	15,660
Carroll	95		Franklin	197	5,000
Chicot.	4,588	5,220	Fulton	334	2,500
Clarke	2,390		Grant	496	
Columbia	2,071	5,220	Greene	1,890	5,220
Conway	2,178	5,000	Hempstead	4,046	10,220
Craighead	199	5,220	Hot Springs	1,439	

STATE OF ARKANSAS.—Continued.

Counties.	Prob. Loss.	Actual Loss.	Counties.	Prob Loss.	Actual Loss.
Izard	131		Scott	322	
Jackson	9,044	19,440	Sebastian	7,581	15,220
Jefferson .	25,782	42,050	Sevier	104	
Johnson .	1,556	1,000	Sharpe	142	
Lafayette	1,148	/	St. Francis.	2,677	10,220
Lawrence	599		Union	9,463	
Little River		10,000		/	
	1,484	10,000	Washington	1,071	· · · ·
Madison	103		White	3,322	5,220
Marion	65		Woodruff	9,075	8,000
Mississippi .	2,849		Yell	1,361	6,000
Monroe	3,041	5,424	Unknown	15,615	4,000
Montgomery	19		Additional	9,909	6,000
Ouachita	8,744	15,660	Total	295,413	500 110
Perry			Ratio		508,119
Phillips.	42,049	98,335	Ratio	100	: 172
Pike 1	570	3,000			
Poinsett	149		Alluvial.	98,449	221,995
Polk	7		Ratio	100	: 226
Pope	482	1.000	Middle	125,202	196,084
Prairie	3,829	7,220	Ratio	100	: 157
Pulaski	71,442		Upland		
		110,120		46,238	80,040
Randolph Saline	2,724	5,000	Ratio	100	: 173
Danne	248	• • •			
		STATE OF	FLORIDA.		
Alachua .	6,419	42,500	Orange.	350	
	6,419 404	42,500		350 12	
Alachua . Baker . Bradford .			Polk .	12	
Baker . Bradford .	404 282		Polk . Putnam .	3,385	1,000
Baker . Bradford . Clay .	404 282 566	5,000	Polk . Putnam . Santa Rosa .	3,385 4,455	1,000
Baker . Bradford . Clay . Columbia .	404 282 566 86	5,000 3,000	Polk . Putnam . Santa Rosa . St. Johns .	12 3,385 4,455 2,527	1,000
Baker . Bradford . Clay . Columbia . Dade .	404 282 566 86 369	5,000 3,000	Polk . Putnam . Santa Rosa . St. Johns . Sumpter .	12 3,385 4,455 2,527 62	1,000
Baker . Bradford . Clay . Columbia . Dade . Duval.	404 282 566 86 369 31,126	5,000 3,000 66,111	Polk . Putnam . Santa Rosa . St. Johns . Sumpter . Suwannee .	12 3,385 4,455 2,527 62 1,201	1,000
Baker . Bradford . Clay . Columbia . Dade . Duval. Escambia .	$ \begin{array}{r} 404 \\ 282 \\ 566 \\ 86 \\ 369 \\ 31,126 \\ 23,796 \end{array} $	5,000 3,000 66,111 29,000	Polk . Putnam . Santa Rosa . St. Johns . Sumpter . Suwannee . Volusia .	12 3,385 4,455 2,527 62 1,201	1,000
Baker . Bradford . Clay . Columbia . Dade . Duval. Escambia . Franklin .	404 282 566 86 369 31,126 23,796 7,689	5,000 3,000 66,111 29,000 7,000	Polk . Putnam . Santa Rosa . St. Johns . Sumpter . Suwannee . Volusia . Wakulla .	12 3,385 4,455 2,527 62 1,201 17 57	1,000
Baker . Bradford . Clay . Columbia . Dade . Duval. Escambia . Franklin . Gadsden .	404 282 566 86 369 31,126 23,796 7,689 5,465	5,000 3,000 66,111 29,000 7,000 15,000	Polk . Putnam . Santa Rosa . St. Johns . Sumpter . Suwannee . Volusia . Wakulla .	12 3,385 4,455 2,527 62 1,201 17 57 164	1,000
Baker . Bradford . Clay . Columbia . Dade . Duval. Escambia . Franklin . Gadsden . Hamilton .	404 282 566 86 369 31,126 23,796 7,689 5,465 753	5,000 3,000 66,111 29,000 7,000	Polk . Putnam . Santa Rosa . St. Johns . Sumpter . Suwannee . Volusia . Wakulla . Walton . Unknown	12 3,385 4,455 2,527 62 1,201 17 57 164 380	1,000 1,000
Baker . Bradford . Clay . Columbia . Dade . Duval. Escambia . Franklin . Gadsden . Hamilton .	404 282 566 86 369 31,126 23,796 7,689 5,465 753 380	5,000 3,000 66,111 29,000 7,000 15,000	Polk . Putnam . Santa Rosa . St. Johns . Sumpter . Suwannee . Volusia . Wakulla .	12 3,385 4,455 2,527 62 1,201 17 57 164	1,000
Baker . Bradford . Clay . Columbia . Dade . Duval. Escambia . Franklin . Gadsden . Hamilton . Hernando . Hillsborough .	404 282 566 86 369 31,126 23,796 7,689 5,465 753 380 564	5,000 3,000 66,111 29,000 7,000 15,000	Polk . Putnam . Santa Rosa . St. Johns . Sumpter . Suwannee . Volusia . Wakulla . Walton . Unknown Additional	12 3,385 4,455 2,527 62 1,201 17 57 164 380	1,000 1,000
Baker . Bradford . Clay . Columbia . Dade . Duval. Escambia . Franklin . Gadsden . Hamilton . Hernando . Hillsborough .	404 282 566 86 369 31,126 23,796 7,689 5,465 753 380 564 5,960	5,000 3,000 66,111 29,000 7,000 15,000	Polk . Putnam . Santa Rosa . St. Johns . Sumpter . Suwannee . Volusia . Wakulla . Walton . Unknown Additional	12 3,385 4,455 2,527 62 1,201 17 57 164 380	1,000 1,000 11,000
Baker . Bradford . Clay . Columbia . Dade . Duval. Escambia . Franklin . Gadsden . Hamilton . Hernando . Hillsborough . Jackson Jefferson .	404 282 566 86 369 31,126 23,796 7,689 5,465 753 380 564	5,000 3,000 66,111 29,000 7,000 15,000	Polk . Putnam . Santa Rosa . St. Johns . Sumpter . Suwannee . Volusia . Wakulla . Walton . Unknown Additional	12 3,385 4,455 2,527 62 1,201 17 57 164 380 18,781	1,000 1,000 11,000 35,706
Baker . Bradford . Clay . Columbia . Dade . Duval. Escambia . Franklin . Gadsden . Hamilton . Hernando . Hillsborough . Jackson Jefferson .	404 282 566 86 369 31,126 23,796 7,689 5,465 753 380 564 5,960	5,000 3,000 66,111 29,000 7,000 15,000 25,000 10,000	Polk . Putnam . Santa Rosa . St. Johns . Sumpter . Suwannee . Volusia . Wakulla . Walton . Unknown Additional	12 3,385 4,455 2,527 62 1,201 17 57 164 380 18,781	1,000 1,000 11,000 35,706
Baker . Bradford . Clay . Columbia . Dade . Duval. Escambia . Franklin . Gadsden . Hamilton . Hernando . Hillsborough . Jackson Jefferson . Leon(Tallahassee).	404 282 566 86 369 31,126 23,796 7,689 5,465 753 380 564 5,960 9,911	5,000 3,000 66,111 29,000 7,000 15,000 25,000 10,000 33,435	Polk . Putnam . Santa Rosa . St. Johns . Sumpter . Suwannee . Volusia . Wakulla . Walton . Unknown Additional	12 3,385 4,455 2,527 62 1,201 17 57 164 380 18,781	1,000 1,000 11,000 35,706
Baker . Bradford . Clay . Columbia . Dade . Duval. Escambia . Franklin .	404 282 566 86 369 31,126 23,796 7,689 5,465 753 380 564 5,960 9,911 23,461	5,000 3,000 3,000 66,111 29,000 7,000 15,000 25,000 10,000 33,435	Polk . Putnam . Santa Rosa . St. Johns . Sumpter . Suwannee . Volusia . Wakulla . Walton . Unknown Additional Total Ratio	12 3,385 4,455 2,527 62 1,201 17 57 164 380 18,781 181,635 100	1,000 1,000 11,000 35,706 303,852 167
Baker . Bradford . Clay . Columbia . Dade . Duval. Escambia . Franklin . Gadsden . Hamilton . Hernando . Hillsborough . Jackson Jefferson . Leon(Tallahassee). Levy . Madison	404 282 566 86 369 31,126 23,796 7,689 5,465 753 380 564 5,960 9,911 23,461 90 22,798	5,000 3,000 66,111 29,000 7,000 15,000 25,000 10,000 33,435 7,550	Polk . Putnam . Santa Rosa . St. Johns . Sumpter . Suwannee . Volusia . Wakulla . Walton . Unknown Additional Total Ratio	12 3,385 4,455 2,527 62 1,201 17 57 164 380 18,781 181,635 100	1,000 1,000 11,000 35,706 303,852 : 167
Baker . Bradford . Clay . Columbia . Dade . Duval. Escambia . Franklin . Gadsden . Hamilton . Hernando . Hellsborough . Jackson Jefferson . Leon (Tallahassee). Levy . Madison Marion .	404 282 566 86 369 31,126 23,796 7,689 5,465 753 380 564 5,960 9,911 23,461 90 22,798 1,942	5,000 3,000 3,000 66,111 29,000 7,000 15,000 25,000 10,000 33,435 7,550	Polk . Putnam . Santa Rosa . St. Johns . St. Johns . Sumpter . Suwannee . Volusia . Wakulla . Walton . Unknown Additional Total Ratio Alluvial . Ratio	12 3,385 4,455 2,527 62 1,201 17 57 164 380 18,781 181,635 100 133,347 100	1,000 1,000 11,000 35,706 303,852 : 167 224,596 : 169
Baker . Bradford . Clay . Columbia . Dade . Duval. Escambia . Franklin . Gadsden . Hamilton . Hernando . Hillsborough . Jackson Jefferson . Leon(Tallahassee). Levy . Madison	404 282 566 86 369 31,126 23,796 7,689 5,465 753 380 564 5,960 9,911 23,461 90 22,798 1,942	5,000 3,000 66,111 29,000 7,000 15,000 25,000 10,000 33,435 7,550	Polk . Putnam . Santa Rosa . St. Johns . Sumpter . Suwannee . Volusia . Wakulla . Walton . Unknown Additional Total Ratio	12 3,385 4,455 2,527 62 1,201 17 57 164 380 18,781 181,635 100	1,000 1,000 11,000 35,706 303,852 : 167

STATE OF GEORGIA.

Counties.	Prob. Loss.	Actual Loss.	Counties.	Prob. Loss.	Actual Loss.
Appling	\$263		Jackson	1,058	
Baker	1,028		Jasper	916	
Baldwin	9,221		Jefferson	9,169	
Bartow	3,524	14,500	Johnson	4,477	11,250
Berrien	99		Jones	404	
Bibb	63,130	78,380	Laurens	945	
Brooks	2,003		Lee	4,811	10,220
	52		Liberty	1,045	10,220
Bryan	95	• • • •	Lincoln	2,185	
Bullock Burke		7 000			2,500
	5,033	7,000	Lowndes	5,637	
Butts	13		Lumpkin		* # 990
Calhoun	99	0 700	Macon	4,294	5,220
Camden.	1,876	2,500	Marion	2,005	10,220
Campbell	2,913		McIntosh	429	
Carroll	1,174		Merriweather	343	
Case	285		Miller	180	
Catoosa	47		Mitchel	1,718	
Charlton.	241	5,000	Monroe	7,202	5,220
Chatham	200,436	259,895	Montgomery	544	
Chattahoochee	185		Morgan	7,512	10,440
Chattooga	496		Murray	808	
Cherokee	231		Muscogee	47,445	59,597
Clarke	26,408	15,220	Newton	3,407	
Clay	1,449		Oglethorpe	4,318	
Clinch	279		Pierce	883	7,500
Cobb	17,259	10,000	Pike	1,757	5,000
Coffee	73		Polk	492	6,000
Columbia	7,171	2,000	Pulaski	7,502	11,440
Coweta	9,870	10,440	Putnam	9,462	
Crawford	142		Quitman	633	
Dade	269		Randolph	6,901	
Decatur	4,064	17,220	Richmond	107,140	83,160
De Kalb	1,868		Schley	959	
Dooly	492		Scriven	483	
Dougherty	16,371	28,308	Spalding	16,084	
Early	3,137		Stewart	4,885	
Effingham	427		Sumpter	20,040	21,240
Elbert	1,305		Talbot	5,004	5,000
	13,686		Tatnall	475	0,000
Floyd	703		Taylor	1,815	
Forsyth		59,000	Telfair	1,273	
Fulton	101,439	5,000	Terrell	10,814	5,000
Glynn	3,361			10,459	5,330
Gordon	664	2 000	Thomas		
Greene	1,963	3,000	Troup	9,145 $2,882$	$\begin{bmatrix} 5,220 \\ 10,000 \end{bmatrix}$
Gwinnett	198		Twiggs	76	10,000
Hall	98	10.000	Union	578	
Hancock	4,262	13,000	Upson	82	• • • •
Harris	558		Walker		* * * *
Hart	18		Walton	3,753	• • • •
Heard	793		Ware	707	
Henry	15	****	Warren	3,506	15 000
Houston	12,837	17,940	Washington	3,451	15,000
Irwin	424		Wayne	347	

STATE OF GEORGIA.—Continued.

Counties.	Prob. Loss.	Actual Loss.	Counties.	Prob. Loss.	Actual Loss.
Webster White Whitfield Wilcox Wilkes Wilkinson Worth Unknown Additional 'Total Ratio	\$394 760 5,686 83 7,320 983 66 6,691 61,886 950,653 100	10,440 1,000 10,000 8,500 38,636 911,536 : 96	Alluvial . Ratio Middle Ratio Upland Ratio	2,117 100 524,221 100 355,738 100	7,500 : 354 603,540 : 115 257,860 : 72

STATE OF LOUISIANA.

Parishes.			Parishes.		
Ascension.	\$937		Plaquemines .	2,577	7,000
Assumption .	2,088		Point Conpée.	19,361	27,380
Avoyelles.	19,799	20,880	Rapides .	9,458	7,000
Bienville	2,968	5,220	Richland.	2,320	5,220
Bossier.	4,734	5,220	St. Charles .	472	
Caddo .	50,677	134,090	St. Helena	2,070	
Calcasieu.	505		St. James .	1,040	10,000
Caldwell.	1,297	3,000	St. Landry.	10,677	10,440
Carroll .	12,683	15,440	St. Martin .	13,457	5,220
Catahoula	3,347	10,220	St. Mary.	6,668	11,440
Claiborne	5,832		St. Tammany.	502	
Coneordia.	4,094		Tangipahoa .	848	1,000
De Soto	4,138	15,220	Tensas.	14,095	20,880
E. Baton Rouge.	14,447	18,440	Terrebonne.	3,703	30,000
E. Feliciana .	21,616	61,100	Union	2,413	
Franklin .	4,861	14,220	Vermilion .	468	5,220
Grant.	2,747		Washington	2,631	
Iberia.	1,091		W. Baton Rouge .	3,181	10,220
Iberville.	5,275	15,660	W. Feliciana.	10,751	32,440
Jackson	487		Winn	15	
Jefferson.	16,427	11,300	Unknown	20,208	23,000
Lafayette.	6,290		Additional	67,231	153,000
Lafourehe.	7,505	26,262	Total	1,363,520	2,400,915
Livingston.	583		Ratio	100	1:176
Madison .	3,618	20,220			. 170
Morehouse.	8,024	8,350	Alluvial.	1,252,180	2,194,255
Natchitoches.	4,096	10,000	Ratio	100	: 175
Orleans.	949,144	1,593,793	Middle	23,901	30,660
Ouachita .	10,064	52,820	Ratio	100	: 128

STATE OF MISSISSIPPI.

Counties.	Prob. Loss.	Actual Loss.	Counties.	Prob. Loss.	Actual Loss.
Adams.	33,747	43,220	Montgomery	49	5,220
Aleorn	3,239		Neshoba	105	
Amite	21,673	5,000	Newton	910	
Attala	1,546	10,000	Noxubee	23,170	15,255
Bolivar.	16,677	93,520	Oktibbeha	12,837	5,179
Calhoun	1,933		Panola .	17,765	26,100
Carroll	14,214	15,440	Perry	99	5,220
Chickasaw	5,995	10,440	Pike	10,667	51,440
Choctaw	5,584	12,720	Pontotoc	2,006	01,110
Claiborne.	7,535	5,000	Prentiss	29	
Clark	12,427	17,220	Rankin	3,947	11,500
Coahoma.	12,571	27,440	Seott	942	
Copiah	18,284	19,930	Simpson	132	
Covington	10,701	2,500	Smith	2,075	
De Soto .	22,695	43,760	Sunflower.	3,488	10,220
Franklin	3,183		Tallahatehie	13,442	10,440
Grenada	22,809	39,540	Tippah	2,151	10,410
Haneoek.	794	3,000	Tishemingo	1,927	
Harrison.	5,734	12,440	Tuniea.	7,191	10,220
Hinds	41,040	90,660	Union	1,141	5,220
Holmes	8,614	23,440	Warren(Vieksb'g).	95,136	151,200
Issaquena.	5,243	5,000	Washington .	19,770	51,760
Itawamba	1,438	••••	Wayne	194	
Jackson.	4,850		Wilkinson.	8,559	20,000
Jasper	2,305		Winston	2,545	2,000
Jefferson.	9,951	30,660	Yalabusha	22,858	26,100
Kemper	3,034	7,000	Yazoo .	29,381	18,720
Lafayette	14,357	15,660	Unknown	21,650	51,000
Lauderdale	12,515	18,000	Additional	$\frac{21,600}{42,622}$	104,368
Lawrence	6,739	10,000			
Leake	877		Total	795,476	1,308,632
Lee	3,151	5,000	Ratio	100	: 164
Lincoln	6,564	5,220	Alluvial.	301,087	552,260
Lowndes	50,669	82,670	Ratio	100	: 184
Madison	25,873	41,220	Middle	416,626	585,344
Marion			Ratio	100	: 140
Marshall	34,520	16,550	Upland	13,491	15,660
Monroe	6,308	15,220	Ratio	100	: 116
			TH CAROLINA.		
Alamanee	4,556	5,000	Camden .	878	
Alexander	8	1	Carteret.	7,652	18,500
Anson	5,714	1,000	Caswell	1,488	15,000
Beaufort.	7,920	2,000	Catawba	1,841	
Bertie .	15,815	24,000	Chatham	6,455	8,000
Bladen	10,342	12,000	Cherokee	57	
			Chowan.	4,866	16,000
	66+		OHO HELLE	2,000	10,000
Brunswick.	66 653		Cleaveland	3,450	
Brunswick . Buncombe	653			3,450	7,500
Brunswick.			Cleaveland		

STATE OF NORTH CAROLINA.—Continued.

C	Prob. Loss.	Actual Loss.	Counties.	Prob. Loss.	Actual Loss.
Currituck.	\$286		Pasquotank.	8,794	15,000
Davidson	3,280		Perquimans .	4,307	4,000
Davie	1,215		Person	110	
Duplin	6,115		Pitt	13,556	22,000
Edgecombe	48,389	11,000	Polk	123	
Forsyth	1,508	2,000	Randolph	1,653	
Franklin	8,369	6,000	Richmond	4,481	
Gaston	3,246	20,000	Robeson	6,924	6,500
Gates.	4,909	16,500	Rockingham	2,100	••••
Granville	14,830		Rowan	18,079	15,000
Greene	13,266	13,000	Rutherford	1,719	
Guilford	7,260	7,000	Sampson	7,421	2,000
Halifax	28,183	55,000	Stanley	123	
Harnett	3,368		Stokes	180	
Haywood	114		Surry	285	
Henderson	178		Tyrrell.	1,526	2,000
Hertford	3,576	5,000	Union .	761	2,000
Hyde.	726		Wake	128,886	131,633
Iredell	5,252	5,000	Warren	11,350	13,000
Jackson	1,045		Washington .	5,868	1,085
Johnston	12,848	20,000	Watanga .	38	1
Jones .	1,593	7,000	Wayne	22,752	33,000
Lenoir	22,149	62,000	Wilkes	354	-
Lincoln	4,430	02,000	Wilson	21,075	36,500
Macon	285		Yadkin	855	5,000
Madison	237		Unknown	16,053	33,500
Martin .	13,783	20,000	Additional	32,981	38,000
McDowell	3,872	2,000		02,001	
Mecklenburg	47,667	66,720	Total	843,815	1,069,409
Mitchell	45	••••	Ratio	100	:127
Montgomery	101				
More	2,104		Alluvial.	995 059	252 555
Nash	2,740	5,000	Ratio	225,053	353,555
New Hanover.	103,265	144,850	Middle	390,924	: 157
Northampton	1,304	3,000	Ratio	100	442,633
Onslow.	1,696		Upland	178,804	:113
Orange	. 13,932	19,501	Ratio	100	201,721 :113
	STAT	E OF SOU	TH CAROLINA.		1 1 2 2 2
Abbeville	26,231	23,940	Edgefield	7,285	
Anderson	14,784	33,820	Fairfield	13,682	28,390
	9,449	2,000	Georgetown.	7,177	
Barnwell	0.403	15,000	Greenville	15,789	
Barnwell Beaufort .	8,462	20,000			1 4 . 27 1 4
Barnwell Beaufort . Charleston .	347,589	417,440	Horry .		
Barnwell Beaufort . Charleston . Chester				5,360	10,340
Barnwell Beaufort . Charleston . Chester Chesterfield	347,589	417,440	Horry . Kershaw Lancaster	5,360 9,373	10,340
Barnwell Beaufort . Charleston . Chester Chesterfield Clarendon	347,589 21,728	417,440 31,000 5,000	Kershaw	5,360 9,373 4,257	10,340 2,500
Barnwell Beaufort . Charleston . Chester Chesterfield	347,589 21,728 4,883	417,440 31,000	Kershaw Lancaster	5,360 9,373	17,914 10,340 2,500 38,720

STATE OF SOUTH CAROLINA.—Continued.

Counties.	Prob. Loss.	Actual Loss.	Counties.	Prob. Loss.	Actual Loss.
Marlborough	\$5,412		Unknown	5,542	9,000
Newberry	26,516	10,720	Additional	1,715	
Oconee	7		. Total	753,060	864,635
Orangeburgh	20,718	16,253	Ratio	100	:115
Pickens	628				
Richland (Colum-				0.000	
bia)	90,086	120,440	Alluvial.	374,487	446,438
Spartanburg	7,446	15,000	Ratio	100	:119
Sumter	16,034	15,000	Middle	192,307	182,193
Union	6,707	15,000	Ratio	100	:95
Williamsburg	8,230	5,000	Upland	179,009	227,004
York	15,961	10,000	Ratio	100	:127

STATE OF TENNESSEE.

Anderson	1 000				
	1,365		Henderson	1,683	
Bedford	16,423	31,660	Henry	4,250	10,220
Benton	614		Hickman	2,329	
Bledsoe	545		Humphreys	710	5,000
Blount	1,263		Jefferson	1,337	
Bradley	8,422	2,000	Johnson	99	
Campbell	1,585		Knox	27,321	28,440
Cannon	99		Lake.	616	
Carroll	2,692		Lauderdale .	16,212	15,660
Carter	1,022		Lawrence	314	
Cheatham	130		Lincoln	18	
Claiborne	397		Macon	160	
Cocke	149	5,000	Madison	44,568	38,320
Coffee	552	2,000	Marion	2,555	2,000
Crocket	99		Marshall	4,325	
Cumberland	802		Maury	59,708	68,441
Davidson (Nash-		202 222	McMinn	3,602	1,000
ville)	147,911	208,386	McNairy	1,632	
Decatur	560		Meigs	992	0.000
De Kalb	397	2,000	Monroe	4,599	3,068
Dickson	665	10.440	Montgomery	54,768	48,640
Dyer.	9,871	10,440	Obion	9,517	20,880
Fayette	40,039	60,600	Perry	1,041	
Franklin	7,482	2,500	Polk	3,238	
Gibson	12,263	20,880	Rhea	518	
Giles	22,868	15,660	Roane	1,953	10.440
Grainger	2,629	2.000	Robertson	3,454	10,440
Greene	2,675	2,000	Rutherford	26,064	73,880
Grundy	294		Scott	4,215 49	• • • •
Hamilton	13,934	5,000	Sequatchie	$\frac{49}{397}$	
Hancock	496	F 920	Sevier Shallar (Momphia		1 420 520
Hardeman	8,174	5,220	Shelby (Memphis.	652,127	1,439,536
Hardin	3,369		Smith	1,187	• • • •
Hawkins	496		Stewart	2,534	
Haywood	49,859	47,040	Sullivan	1,381	

STATE OF TENNESSEE.-Continued.

Counties.	Prob. Loss.	Actual Loss.	Counties.	Prob. Loss.	Actual Loss.
Sumner	\$5,652	11,220	Additional	14,405	5,000
Tipton.	29 610	23,000	Total	1,383,648	2,262,121
Union	1,190		Ratio	100	:163
Warren	146		100010	100	. 100
Washington	458		4.77		1 100 000
Wayne	843	5,220	Alluvial.	708,436	1,488,636
Weakley	6,564	6,220	Ratio	100	: 210
White	99		Middle	181,460	209,380
Williamson Wilson	3,683	5,000	Ratio	100	: 115
Unknown	9,317 12,067	$5,550 \ 15,000$	Upland Ratio	467,280	544,055
OHRHOWH	1.2,007	10,000	Teacto	100	1.110
		STATE O	F TEXAS.		
Anderson	3,419	2,500	Freestone	5,956	20,880
Angelina	642		Frio	846	
Atascosa	1,522		Galveston.	158,697	389,487
Austin	11,964	20,880	Gillespie	595	
Bastrop	3,163		Goliad	3,523	
Bee	351		Gonzales	12,321	20,677
Bell	1,720	10,000	Grayson	9,657	22,440
Bexar Blanco	35,418	32,220	Grimes	10,750	5,220
Bosque	528 2,625		Gaudalupe Hardeman	5,869	5,220
Bowie	5,458	10,440	Hardin .	290	5,000
Brazoria .	14,540	41,220	Harris	69,767	177,280
Brazos	24,633	25,660	Harrison	17,623	26,100
Burleson	2,321	10,000	Hays	2,712	
Burnet	2,412		Henderson	347	
Caldwell	4,412	10,000	Hill	2,650	
Calhoun.	8,331	15,000	Hood	5	
Cameron.	2,210	5,000	Hopkins	644	
Chambers.	458		Houston	4,699	8,000
Cherokee	690		Jack	563	
Coleman	76		Jackson .	49	
Collin	1,864		Jasper.	1,552	2,000
Colorado	8,446	13,720	Jefferson.	3,331	16,660
Comal	3,514	1,000	Johnson	1,700	
Comanche	480		Karnes	4,726	F 000
Cook	758		Kaufman	1,227	5,000
Coryell Dallas	899 5,105	10,220	Kendall Kerr	517	
Danas Davis	1,007	5,000		47	• • • •
Davis Denton	1,719	3,000	Kinney Lamar	960 4,201	10,440
De Witt	4,042	10,000	Lampasas	248	
Ellis	6,164	5,220	Lavacca	14,609	5,220
El Paso	190		Leon	1,991	
	3,912	20,440	Liberty .	2,987	6,220
rans		, , , , ,		10,001	
Falls Fannin		10,440	Limestone	13.644	10.220
Fannin Fayette	5,821 10,816	10,440 $21,390$	Limestone Live Oak	13,644	$ \begin{array}{c c} 10,220 \\ 5,220 \end{array} $

STATE OF TEXAS.—Continued.

Counties.	Prob. Loss.	Actual Loss.	Counties.	Prob. Loss.	Actual Loss.
Madison	\$296		Titus	2,789	
Marion	28,156	85,498	Travis	13,656	7,500
Matagorda .	6,716	5,000	Trinity	297	
McLennan	24,387	46,880	Tyler	47	
Medina	532	2,000	Upshur	1,898	
Milam	4,625	6,220	Uvalde	1,759	
Montgomery	3,417	5,000	Van Zandt	190	
Nacogdoches	902		Victoria.	5,609	5,220
Navarro	14,073	5,220	Walker	2,202	7,500
Newton .	7		Washington	20,767	47,100
Nueces.	1,986		Wharton .	144	
Orange.	1,661		Williamson	1,113	2,000
Palo Pinto	787		Wilson	920	
Panola	1,632		Wise	8	1,000
Parker	2,216	5,220	Wood	418	
Polk	168		Unknown	26,794	5,000
Red River	5,887		Additional	21,065	6,000
Refugio.	1,779				
Robertson	22,096	66,100	Total Ratio	778,713	1,358,972 :175
Rusk	3,239	3,000	natio	100	:170
Sabine	967		Alluvial.	214,043	511,467
San Saba	276		Ratio	100	:239
Shelby	2,012		Middle	332,901	572,267
Smith	1,301		Ratio	100	:172
Starr	296		Upland	184,655	264,238
Tarrant	2,661	5,220	Ratio	100	:143

STATE OF VIRGINIA.

			1		
Accomack.	3,163	12,000	Elizabeth City	3,087	
Albemarle	8,819	15,000	Essex	2,288	10,000
Alexandria	37,319	35,500	Fairfax	7,147	9,000
Amelia	100	5,000	Fauguier	2,647	
Amherst	1,350		Fluvanna	123	5,000
Appomattox	47		Franklin	411	
Augusta	10,080	18,500	Frederick	897	15,750
Bedford	541		Giles	228	
Botetourt	285		Gloucester	2,356	2,500
Brunswick	1,297	13,000	Goochland	139	• • • •
Buckingham	449		Greenville	1,426	
Campbell	28,090	10,000	Halifax	1,181	
Caroline	1,276		Hanover	2,342	
Charles City	884		Henrico	149,712	127,500
Charlotte	3,117	21,500	Henry	7	
Chesterfield	8,259	12,500	Highland	48	
Clark	1,036		Isle of Wight	260	
Craig	6		James City	617	
Culpepper	2,026	10,000	King and Queen		
Cumberland	115		King George	665	
Dinwiddie	124,042	84,500	King William	847	
Diliwiddie	12,042	01,000			

STATE OF VIRGINIA.—Continued.

Counties.	Prob. Loss.	Actual Loss.	Counties.	Prob. Loss.	Actual Loss.
Lancaster	\$279	2,000	Roanoke	3,972	5,000
Lee	11		Rockbridge	1,662	5,000
Loudon	12,312	30,000	Rockingham	636	
Louisa	48		Shenandoah	271	
Lunenburg	230		Smyth	815	1,000
Madison	584		Southampton	1,285	
Matthews	595		Spottsylvania	25,838	18,100
Mecklenburg	1,171	2,000	Stafford	693	
Middlesex	1,075		Surry	33	
Montgomery	503		Sussex	798	5,000
Nansemond	2,932		Warren	261	5,000
Nelson	296		Warwick	30	
New Kent	749	2,000	Washington	1,347	9,000
Norfolk	42,309	59,000	Westmoreland	551	
Northampton.	38		Wythe	363	
Northumberland	813		York	1,950	1,000
Nottoway	47		Unknown	11,378	27,000
Orange	1,359		Additional	104,312	81,500
Page	190		Total	646,188	673,350
Pittsylvania	5,075	3,000	Ratio	100	: 104
Powhatan	19				
Prince Edward	564		Alluvial.	3,567	13,000
Prince George	922	5,000	Ratio	100	: 364
Princess Anne	1,095	2,500	Middle	385,727	349,100
Prince William .	366	1,000	Ratio	100	:90
Rappahannock	91	2,000	Upland	141,204	202,750
Richmond	7,543		Ratio	100	:144

STATE OF INDIANA.

Adams	\$2,636	2,500	Floyd	68,366	60,713
Allen	83,143	84,500	Fountain	6,716	7,000
Bartholomew	24,058	29,500	Franklin	4,579	7,000
Benton	293		Fulton	5,691	8,100
Blackford	310	750	Gibson	17,638	21,000
Boone	9,993	14,500	Grant	6,392	3,000
Brown	1,078	5,000	Green	3,805	2,000
Carroll	9,535	9,000	Hamilton	17,261	21,249
Cass	21,080	20,000	Hancock	8,126	2,500
Clarke	35,387	40,000	Harrison	3,741	
Clay	12,967	9,000	Hendricks	14,113	11,000
Clinton	1,217		Henry	13,671	19,390
Crawford	6,709	16,900	Howard	5,267	5,000
Daviess	11,227	16,000	Huntington	10,303	6,343
Dearborn	35,840	24,500	Jackson	14,297	13,000
Decatur	18,782	14,000	Jasper	679	
DeKalb	6,249	2,000	Jav	668	
Delaware	21,134	45,220	Jefferson	69,401	68,000
Du Bois	3,402	11,000	Jennings	2,003	
Elkhart	8,649	1,100	Johnson	21,018	7,300
Fayette	17,726	4,200	Knox	7,807	3,000

STATE OF INDIANA.—Continued.

Counties.	Prob. Loss.	Actual Loss.	Counties.	Prob. Loss.	Actual Loss.	
Kosciusko	\$10,464	4,500	Scott	124	1,000	
La Grange	1,879	4,000	Shelby	20,163	37,000	
Lake	1,392		Spencer	31,383	43,894	
La Porte	54,045	45,700	Starke	360		
Lawrence	7,266	348	Steuben	1,757		
Madison	48,863	65,088	St. Joseph	50,975	60,350	
Marion	220,246	214,050	Sullivan	5,157	4,000	
Marshall	15,564	18,200	Switzerland	10,845	9,200	
Martin	425	2,000	Tippecanoe	40,246	42,080	
Miami	16,601	10,500	Tipton	6,181	2,800	
Monroe	10,969	4,000	Union	2,481		
Montgomery	20,974	26,100	Vanderburgh	54,739	75,642	
Morgan	14,592	8,500	Vermillion	2,107		
Newton	2,064		Vigo	57,339	72,500	
Noble	6,564	5,000	Wabash	18,655	12,325	
Ohio	1,662		Warren	2,758	2,000	
Orange	7,355	4,165	Warrick	8,856	1,000	
Owen	5,134	2,000	Washington	5,378	9,500	
Parke	5,799	12,400	Wayne	69,563	56,500	
Perry	7,791	5,500	Wells	1,632		
Pike	302		White	745		
Porter	27,004	21,800	Whitley	1,888	5,000	
Posey	33,638	50,100	Unknown	7,077	8,900	
Pulaski	27		Additional	836,541	975,321	
Putnam	49,785	34,100	Total	2,465,769	2,590,728	
Randolph	15,568	13,900	Ratio	100	: 105	
Ripley	957	2,000	Teacto	100	. 100	
Rush	8,932	2,500				

THIRTY OFFICES' EXPERIENCE. COMMUTATION TABLE FOR THE SPECIAL CLIMATIC RATIOS 1.405 AND 1.805.

4 PER CENT.

	1		1	11	i .					-
AGE.	1.405	1.805	.400	1.405	1.805	.400	1.405	1.805	.400	AGE.
11011	D_{∞} .	D_{x} .	Diff.	N _x .	N_x .	Diff.	π_{α^*}	π_{∞} .	Diff.	102
10 11 12 13 14	64,393 61,221 58,204 55,334 52,605	61,391 58,089 54,963 52,005 49,205	3,002 3,132 3,241 3,329 3,400		915,231		13.803 13.969 14.143 14.327 14.520	17.878 18.030 18.190 18.360 18.539	4.061 4.047 4.033	10 11 12 13 14
15 16 17 18 19	45,192 42,959	46,554 44,045 41,670 39,422 37,294	3,455 3,495 3,522 3,537 3,540	940,291 890,282 842,742 797,550 754,591	767,468 723,423 681,753	126,269 122,814 119,319 115,797 112,259	14.723 14.937 15.164 15.402 15.652	18.728 18.928 19.139 19.362 19.598	3.991 3.975 3.960	15 16 17 18 19
20 21 22 23 24	38,813 36,891 35,061 33,322 31,666	35,279 33,372 31,566 29,857 28,239	3,534 3,519 3,495 3,465 3,427	713,757 674,944 638,054 602,992 569,670	569,759 536,387 504,820		15.917 16.196 16.489 16.799 17.126	19.847 20.111 20.389 20.683 20.993	3.915 3.900 3.884	20 21 22 23 24
25 26 27 28 29	30,092 28,593 27,167 25,810 24,519	26,707 25,256 23,882 22,581 21,350	3,385 3,337 3,285 3,229 3,169	538,004 507,912 479,319 452,152 426,342	420,018 394,762 370,880	84,557 81,272	17.470 17.834 18.217 18.622 19.049	21.322 21.669 22.036 22.425 22.835	3.835 3.819 3.803	25 26 27 28 29
30 31 32 33 34	23,290 22,120 21,007 19,947 18,938	20,183 19,078 18,031 17,040 16,101	3,107 3,042 2,976 2,907 2,837	401,822 378,532 356,412 335,405 315,458	326,949 $306,766$ $287,688$ $269,657$ $252,617$		21.010	23.269 23.729 24.215 24.730 25.274	3.753 3.736 3.720	30 31 32 33 34
35 36 37 38 39	17,977 17,062 16,190 15,359 14,568	15,211 14,368 13,569 12,812 12,094	2,766 2,694 2,621 2,547 2,474	296,520 278,543 261,482 245,292 229,933	236,516 221,305 206,937 193,369 180,557	60,004 57,238 54,545 51,923 49,376	23.454 24.155	$26.461 \\ 27.108$	3.670 3.654 3.638	35 36 37 38 39
40 41 42 43 44	13,815 13,096 12,411 11,758 11,135	11,413 10,768 10,156 9,576.1 9,025.7		215,364 201,550 188,454 176,043 164,285	168,463 157,050 146,282 136,125 126,549	46,901 44,500 42,172 39,918 37,736	27.396 28.328	29.288 30.104 30.969 31.886 32.860	3.590 3.573 3.558	40 41 42 43 44
45 46 47 48 49	8,423.0	7,537.3 7,090.6 6,666.4	1,966.2 1,895.6 1,825.7 1,756.6	153,150 142,609 132,635 123,202 114,286	117,523 109,020 101,012 93,474.9 86,384.3	35,627 33,589 31,623 29,727 27,902	31.478 32.658 33.910	33.893 34.991 36.156 37.394 38.710	3.513 3.498 3.484	45 46 47 48 49
50 51 52 53 54	7,501.6 7,071.2 6,659.7	6,263.5 5,880.7 5,516.9 5,171.1 4,842.3	1,620.9 1,554.3 1,488.6	105.863 97,910.9 90,409.3 83,338.1 76,678.5	73,454.4 67,573.8	26,145 24,457 22,836 21,281 19,793	38.154 39.751 41.450	40.109 41.597 43.181 44.867 46.663	3.443 3.430 3.417	50 51 52 53 54
	D, 4½p.c.	D,5 p.c.		$N, 4\frac{1}{2}$ p.c.	N, 5 p. c.		Insu	rance 1	000	

THIRTY OFFICES' EXPERIENCE. COMMUTATION TABLE FOR THE SPECIAL CLIMATIC RATIOS 1.405 AND 1.805.

4 PER CENT.

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$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$		1,405	1.805	.400	1.405	1.805	400	1.405	1.805	400	
55 5,889.8 4,529.8 1,360.0 70,412.4 52,043.4 18,369.0 45.184.48.577 3.393 55 56 5,589.4 4,282.4 1,297.0 64,522.7,447,513.7 17,009.0 47,235.50.616 3,381.5 56 57 5,184.5 3,949.6 1,234.9 58,993.343,281.3 15,712.0 49,422.52,791 3.369.57 58 58 4,583.1 3,424.3 1,113.8 48,954.5 35,651.4 13,303.1 54,229.57.583 3,349.5 59,345.5 2,948.8 996.7 40,181.0 29,046.4 11,134.6 56,896.60,233 3.337 66 61 3,945.5 2,948.8 896.7 40,181.0 29,046.4 11,346.5 57,326.60.60,233.33.37 66 63 3,147.9 2,319.9 774.8 26,017.5 18,531.4 7,486.1 73,182.76.60.60.833.33.39 66 65 2,904.7 2,199.9 774.8 26,017.5 18,531.4 7,486.1 73,184.60.43 3,280.0 67 67	AGE.										AGE.
56 5,529.4 4,282.4 1,297.0 64,522.747,513.7 17,009.0 47,235.50,616 3,381 57 58 4,584.3 3,680.4 1,173.9 53,808.8 39,331.7 14,477.1 51,752.55.111 3,359.58 58 60 4,235.4 3,180.7 1,054.7 44,16.4 32,227.1 12,189.3 56.896.60.233 3.337 66 61 3,945.5 2,948.8 996.7 40,181.0.29.046.4 11,134.6 50,732.63.060.3 3,328.6 66 62 3,667.9 2,728.3 39.6 63,235.526.097.6 10,137.9 62,762.66.06.933 3.339.8 66 34,767.9 2,319.3 828.6 29,165.40,850.1 8,315.3 69.472.72.770 33.98 66 65 2,904.7 2,129.9 774.8 26,017.5 18,531.4 7,486.1 7,168.60.93 3,417.9 2,319.3 82.6 29,165.40.80.80.8 3,417.9 3,133.9 65 2,904.7 2,195.01 752.1 23,112.816,401.5 6,711.3 77.11.466.1 5,715.6	-					7,10,					
56 5,529.4 4,282.4 1,297.0 64,522.747,513.7 17,009.0 47,235.50,616 3,381 57 58 4,584.3 3,680.4 1,173.9 53,808.8 39,331.7 14,477.1 51,752.55.111 3,359.58 58 60 4,235.4 3,180.7 1,054.7 44,16.4 32,227.1 12,189.3 56.896.60.233 3.337 66 61 3,945.5 2,948.8 996.7 40,181.0.29.046.4 11,134.6 50,732.63.060.3 3,328.6 66 62 3,667.9 2,728.3 39.6 63,235.526.097.6 10,137.9 62,762.66.06.933 3.339.8 66 34,767.9 2,319.3 828.6 29,165.40,850.1 8,315.3 69.472.72.770 33.98 66 65 2,904.7 2,129.9 774.8 26,017.5 18,531.4 7,486.1 7,168.60.93 3,417.9 2,319.3 82.6 29,165.40.80.80.8 3,417.9 3,133.9 65 2,904.7 2,195.01 752.1 23,112.816,401.5 6,711.3 77.11.466.1 5,715.6	55	5,889.8	4,529.8	1,360.0	70,412.4	52,043.4	18,369.0	45.184	48.577	3,393	55
57 5 8 4, 854.3 3, 680.4 1, 173.9 58, 993.343, 281.3 15, 712.0 49.4225 52, 791 3, 369 57 4, 358.1 3, 424.3 1, 113.8 48, 954.5 35, 651.4 13, 303.1 54, 239 57.58 8, 3349 59 60 4, 235.4 3, 180.7 1, 054.7 44, 416.4 32, 227.1 12, 189.3 56, 896 60.233 3, 337 60 62 3, 667.9 2, 728.3 939.6 36, 235.5 26, 097.6 10, 137.9 62, 276.3 3, 139.3 828.6 29, 165.4 20, 850.1 8, 315.3 66, 094.7 2, 139.9 774.8 26, 017.5 18, 531.4 7, 486.1 73, 182 76, 472 3, 299 65 65 2, 904.7 2, 1950.1 722.1 23, 112.8 16, 401.5 6, 711.3 71, 154.80.434 3, 280 66 2, 457.2 1, 1465.5 571.6 16, 751.7 11, 053.8 4, 697.9 90.866 94.116 3, 250 69 2, 037.1 1, 465.5 571.6 15, 751.7 11, 053.8 4, 697.9 90.866 94.116 3, 250 69 2, 037.1 1, 465.5 571.6 15, 751.7 11, 053.8 4, 697.9 90.866 94.116 3, 250 69 2, 037.1 1, 183.8 4 434.1 10, 204.9 7, 081.1 3, 123.8 107.7 9111.00 3, 21 72 1, 492.5 1, 038.4 434.1 10, 204.9 7, 081.1 3, 123.8 107.7 9111.00 3, 21 72 1, 492.5 1, 038.4 434.1 10, 204.9 7, 081.1 3, 123.8 107.7 9111.00 3, 21 72 1, 492.5 1, 038.4 434.1 10, 204.9 7, 081.1 3, 123.8 107.7 9111.00 3, 21 72 1, 492.5 1, 038.4 434.1 10, 204.9 7, 081.1 3, 123.8 107.7 9111.00 3, 21 72 1, 492.5 1, 038.4 434.1 10, 204.9 7, 081.1 3, 123.8 107.7 9111.00 3, 21 72 1, 492.5 1, 038.4 434.1 10, 204.9 7, 081.1 3, 123.8 107.7 9111.00 3, 21 72 1, 492.5 1, 038.4 434.1 10, 204.9 7, 081.1 3, 123.8 107.7 9111.00 3, 21 72 1, 492.5 1, 038.4 434.1 10, 204.9 7, 081.1 3, 123.8 107.7 9111.00 3, 21 72 1, 492.5 1, 038.4 434.1 10, 204.9 7, 081.1 3, 123.8 107.7 9111.00 3, 21 72 1, 492.5 1, 038.4 434.1 10, 204.9 7, 081.1 3, 123.8 107.7 9111.00 3, 21 72 1, 492.5 1, 038.5 18 50.8 7, 381.7 5, 083.5 2, 298.2 121.6 16.6 16.1 10.1 10.5 10.1 10.1							17,009.0				
59 4,538.1 3,424.3 1,113.8 48,954.5 356.651.4 13,030.1 54,239.57.588 3.340 59 60 1,335.5 2,948.8 996.7 40,181.0 29,046.4 11,134.6 62,367.9 2,728.3 939.6 36,235.5 26,097.6 10,137.9 62,763.6 60.004.69.313 3.330 61 63 3,402.2 2,518.6 88.6 32,567.6 23,369.3 9,198.3 66.004.69.313 3.309 66 64 3,147.9 2,129.9 774.8 26,017.5 18,531.4 7,486.1 73,182 76.472 3.290 66 67 2,450.1 722.1 23,112.8 16,401.5 6,711.3 77.164.80.434 3.280 66 67 2,470.1 1,465.5 577.6 670.7 20,440.6 14,451.5 5,989.1 81.411.84.682 3.271 67 68 2,233.6 1,321.4 524.2 13,714.6 9,588.3 4,126.3 77.158.80.441 73.182.7642 68.291.106.842 73.179.508 80.411.63.250				1,234.9							57
60											
62 3,667.9 2,728.3 939.6 36,235.5 26,097.6 10,137.9 62.763 66.081 3.318 62 63 3,402.2 2,518.6 883.6 32,567.6 23,369.3 9,198.3 66.004 69,313 3.309 63 64 3,147.9 2,319.3 828.6 29,165.4 20,850.1 8,315.3 69.472 72.770 3.298 64 65 2,904.7 2,129.9 74.8 26,017.5 18,531.4 7,486.1 73,182 76.472 3,299 65 66 2,672.2 1,950.1 722.1 3,112.8 16,401.5 6,711.3 77.154 80,434 3.280 66 67 2,450.3 1,779.6 670.7 20,440.6 14,451.5 5,989.1 81.411 84.682 3.271 67 68 2,238.6 1,618.1 620.5 17,7990.3 12.671.9 5,318.4 85.971 89.232 3.261 68 69 2,037.1 1,465.5 571.6 15,751.7 11,053.8 4,697.9 90.866 94.116 3,250 69 70 1,845.6 1,321.4 524.2 13,714.6 9,588.3 4,126.3 96.111 99.351 3.240 70 71 1,664.1 1,185.8 478.3 11,869.0 8,266.9 3,602.1 101.74 104.97 3.23 71 72 1,492.5 1,058.4 434.1 10,204.9 7,081.1 3,123.8 107.79 111.00 3.21 72 1,492.5 1,058.4 434.1 10,204.9 7,081.1 3,123.8 107.79 111.00 3.21 72 73 1,330.8 939.23 391.6 8,712.4 6,022.8 2,689.6 114.28 117.49 3.21 73 74 1,179.0 828.18 350.8 7,381.7 5,083.5 2,298.2 121.26 124.45 3.19 74 75 1,037.2 725.09 312.1 6,202.62 4,255.34 1,947.3 128.76 131.93 3.17 75 76 905.40 629.93 275.5 5,165.42 3,530.25 1,635.2 136.8 2139.97 3.15 76 905.40 629.93 275.5 5,165.42 3,530.25 1,635.2 136.8 2139.97 3.15 76 950.24 29.90 31 179.2 2,804.41 1,894.63 99.98 1 44.82 157.94 3.12 78 78 79 570.22 391.09 179.2 2,804.41 1,894.63 99.98 1 175.55 85.34 1,035.21 688.52 346.69 133.55 166.51 2,96 83 240.60 138.36 68.24 774.32 512.97 261.35 228.36 231.26 2.90 84 206.60 138.36 68.24 774.32 512.97 261.35 228.36 231.26 2.90 84 206.60 138.36 68.24 774.32 512.97 261.35 288.63 31.26 2.90 84 27.70 193.395 126.094 44.531 331.9338.16 2.90 84 4.0382 2.5783 1.460 7.213 84.608 186.348 98.320 282.16 284.88 2.72 87 88 66.390 43.619 2.77 193.395 126.094 44.531 331.9338.40 2.57 88 66.390 43.619 2.77 193.395 126.094 44.531 331.9338.40 2.57 88 66.390 43.619 2.77 193.395 126.094 44.531 331.9338.40 2.57 88 66.390 4.7042 30.760 16.28 12.706 48.81 82.70 30.992 17.128 887.00889.39.29 91 12.267 81.006 2.6409 1.555 6.346 4.9234 1.1355 5.0793 719.70720	59	1	3,424.3	1,113.8	48,954.5	35,651.4	13,303.1	54.239	57.588	3.349	59
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86 122.41 81.199 41.21 407.081 267.547 139.53 262.25 265.03 2.78 86 87 91.272 60.254 31.02 284.668 186.348 98.320 282.16 284.88 2.72 87 88 66.390 43.619 22.77 193.395 126.094 67.301 304.82 307.46 2.64 88 89 47.042 30.760 16.28 127.006 82.475 44.531 331.93 334.50 2.57 89 90 31.844 20.723 11.12 79.9643 51.715 28.249 359.77 362.26 2.49 90 91 20.473 13.260 7.213 48.1201 30.992 17.128 387.00 389.39 2.39 91 92 12.567 8.1007 4.466 27.6470 17.732 9.9150 416.10 418.37 2.27 92 93 7.3390 4.7081 2.631 7.7408 4.9234 2.8174 483.21 485.21	84	206.60	138.36	68.24	774.32	512.97	261.35	228.36	231.26	2.90	84
87 91.272 60.254 31.02 284.668 186.348 98.320 282.16 284.88 2.72 87 88 66.390 43.619 22.77 193.395 126.094 67.301 304.82 307.46 2.64 88 89 47.042 30.760 16.28 127.006 82.475 44.531 331.93 334.50 2.57 89 90 31.844 20.723 11.12 79.9643 51.715 28.249 359.77 362.26 2.49 90 91 20.473 13.260 7.213 48.1201 30.992 17.128 387.00 389.39 2.39 91 92 12.567 8.1007 4.466 27.6470 17.732 9.9150 416.10 418.37 2.27 92 93 7.3390 4.7081 2.631 7.7408 4.9234 2.8174 488.21 450.36 2.15 93 94 4.0382 2.5783 1.460 7.7408 4.9234 2.8174 483.21 485.21 2.00 94 95 2.0773 1.3199 .7574 3.70262	1		107.06	53.57	567.713						
88 66.390 43.619 22.77 193.395 126.094 67.301 304.82 307.46 2.64 88 89 47.042 30.760 16.28 127.006 82.475 44.531 331.93 334.50 2.57 89 90 31.844 20.723 11.12 79.9643 51.715 28.249 359.77 362.26 2.49 90 91 20.473 13.260 7.213 48.1201 30.992 17.128 387.00 389.39 2.39 91 92 12.567 8.1007 4.466 27.6470 17.732 9.9150 416.10 418.37 2.27 92 93 7.3390 4.7081 2.631 7.7408 4.9234 2.8174 448.21 450.36 2.15 93 94 4.0382 2.5783 1.460 7.7408 4.9234 2.8174 483.21 485.21 2.00 94 95 2.0773 1.3199 .7574 3.70262 <											
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97 .41960 .26409 .1555 .63145 .39664 .2348 626.04 627.37 1.33 97 98 .16062 .10061 .0600 .21185 .13255 .0793 719.70 720.58 0.88 98 99 .05123 .03194 .0193 .05123 .03194 .0193 961.54 961.54 0.00 99		2.0773	1.3199	.7574	3.70262						
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2, 12 p.o. 11, 0 p. o.		D.41nc	D.5 n.c		N 41 nc	N. 5 p. c		Insu	rance 1	.000	
		, 2, 5.0.	, p.o.		1, 12 p.c.						

GENERAL TABLE OF DISEASES AND DEATHS IN TWENTY-SEVEN LIFE INSURANCE COMPANIES FROM THEIR ORGANIZATION TO THE YEAR 1874.

The columns headed (2), (5,) (20) record the Deaths in so many Companies.

	DISEASES.	Nun	iber of De	aths.	Varial	oility. M	and F.	Per Cent.
		Males.	Females.	Total.	(2)	(5)	(20)	of Total.
	All Causes.	35,442	2,182	37,624	12,845	12,456	12,323	100.00
SUMMARY.	Zymotic Diseases Constitutional Diseases Nervous Diseases Circulatory Diseases Respiratory Diseases Digestive Diseases Miscellaneous Diseases	6,356 8,175 5,106 1,986 4,771 3,344 5,704	303 548 193 106 291 273 468	6,659 8,723 5,299 2,092 5,062 3,617 6,172	2,285 2,898 1,977 785 1,682 1,251 1,967	2,172 2,868 1,715 668 1,641 1,229 2,163	2,202 2,957 1,607 639 1,739 1,137 2,042	17.70 23.19 14.08 5.56 13.45 9.61 16.42
Zymotic Diseases.	Typhoid Fever Typhus Fever Cerebro-spinal Fever Yellow Fever Remittent Fever Intermittent Fever Congestive Fever Typho-malarial Fever Fever Small Pox Measles Scarlet Fever Diphtheria and Malignant sore throat } Erysipelas Pyæmia Carbuncle Influenza Dysentery Diarrhæa Cholera Cholera-morbus Goitre Malignant pustule Glanders Purpura hæmorrhægica Alcoholism	2,147 159 23 252 412 159 213 46 255 298 13 38 127 374 70 62 12 587 328 431 195 4 11 11	107 11 1 6 25 7 13 4 12 7 2 2 6 10 4 1 2 35 22 15 8 0 0 0 1	2,254 170 24 258 437 166 226 50 267 305 15 40 133 384 74 63 14 622 350 446 203 4 11 1 21 118	744 82 23 577 156 38 94 17 66 74 4 19 36 161 21 28 4 254 129 155 63 2 1 3 50	775 48 1 1 88 122 56 66 21 132 101 5 15 44 128 27 16 7 167 96 136 79 2 4 0 5 31	735 40 0 113 159 72 66 12 69 130 6 6 5 26 19 3 201 125 155 61 0 5 0 13 37	5.99 .45 .06 .69 1.16 .44 .60 .13 .71 .81 .04 .11 .35 1.02 .20 .17 .04 1.65 .93 1.19 .54 01 .03 .00 .06 .31
Constitutional.	Anemia Cancer Dropsy Gout Rheumatism Gangrene Tubercular meningitis Lumbar abscess	59 621 622 23 169 51 10	$ \begin{array}{c c} & 2 \\ & 44 \\ & 56 \\ & 0 \\ & 11 \\ & 0 \\ & 1 \\ & 0 \end{array} $	71 665 678 23 180 51 11	20 241 205 13 52 18 3 6	33 216 237 4 75 13 3	18 208 236 6 53 20 5 2	.00 .19 1.77 1.80 .06 .48 .14 .03 .03

GENERAL TABLE OF DISEASES AND DEATHS IN TWENTY-SEVEN LIFE INSURANCE COMPANIES FROM THEIR ORGANIZATION TO THE YEAR 1874.

The columns headed (2), (5), (20) record the Deaths in so many Companies.

		Num	ber of Dea	aths.	Variab	oility. M.	and F.	Per Cent.
	DISEASES.	Males.	Females.	Total.	(2)	(5)	(20)	of Total.
	All Causes.	35,442	2,182	37,624	12,845	12,456	12,323	100.00
Constitutional.	Scrofula Tabes Mesenterica Morbus Coxæ Consumption Other Constitutional	25 88 12 6,474 10	6 5 0 412 1	31 93 12 6,886 11	15 31 5 2,283 6	$ \begin{array}{c} 10 \\ 36 \\ 3 \\ 2,231 \\ 4 \end{array} $	$\begin{bmatrix} 6 \\ 26 \\ 4 \\ 2,372 \\ 1 \end{bmatrix}$.08 .25 .03 18.31 .03
Nervous,	Apoplexy Congestion of brain Softening of brain Paralysis Disease of brain Convuls'ns and epilepsy Insanity Anxiety Fright Encephalitis Cerebro-spinal sclerosis Cerebral embolism Anamia of brain Effusion on brain Neuralgia Progressive muscular atrophy Tetanus Inflam't'n of spinal cord Disease of spinal cord Congest'n of spinal cord Other Nervous Diseases	1,705 655 399 841 721 130 140 2 77 1 1 8 48 17 3 47 18	61 14 9 32 37 8 6 0 0 10 0 0 0 3 1 0 4 0 6	1,766 669 408 873 758 138 146 2 1 287 1 1 8 51 18 43 3 54	653 234 1777 360 239 52 63 2 1 109 1 1 4 10 5 2 10 10 21 21	599 239 93 250 251 50 41 0 0 101 0 2 23 8 1 24 5 10 0 0 18	514 196 138 263 268 36 42 0 0 77 0 0 2 18 5 0 17 3 12 1	4.70 1.78 1.09 2.32 2.02 .37 .39 .01 .00 .76 .00 .02 .14 .05 .01 .14 .05 .11 .01 .14
Girculatory.	Disease of heart Peri- and endo-carditis Hypertrophy of heart Valvular disease of heart Fatty degen't'n of heart Dropsy of heart Rheumatism of heart Atrophy of heart Paralysis of heart Abseess of heart Angina pectoris Aneurism of aorta Rupture of aorta Embolus of pulmo- nary artery Phlebitis Other Circulatory	1,297 104 100 98 42 56 66 4 27 5 79 51 16 5	62 9 4 6 3 6 6 0 1 0 4 1 1 1	1,359 113 104 104 45 62 72 4 28 5 83 52 17 6 18 20	534 29 28 14 21 27 30 4 3 1 46 25 6	418 38 47 55 15 13 17 0 12 0 17 14 7 3 9 3	407 46 29 35 9 22 25 0 13 4 20 13 4 2	3.61 .30 .28 .28 .12 .16 .19 .01 .07 .01 .22 .14 .05 .02

GENERAL TABLE OF DISEASES AND DEATHS.

Ī		Nur	nber of Dea	aths.	Variat	ility. M.	and F.	Per Cent.
	DISEASES.	Males.	Females.	Total.	(2)	(5)	(20)	of Total.
	All Causes.	35,442	2,182	37,624	12,845	12,456	12,323	100.00
Respiratory.	Epistaxis Disease of Larynx Bronchitis Pleurisy Congestion of Lungs Pneumonia Abscess of Lungs Hemorrhage of Lungs Disease of Lungs Emphysema, Asthma Pulmonary Apoplexy Gangrene of Lungs Edema of Lungs Other Respiratory	8 112 437 172 568 2,713 78 283 264 63 34 13 16	0 3 21 7 29 176 6 7 31 8 1 0 0 2	8 115 458 179 597 2,889 84 290 295 71 35 13 16 12	2 30 144 75 187 990 25 93 92 21 10 4 1 8	3 44 144 64 198 899 36 90 111 25 16 3 7	3 41 170 40 212 1,000 23 107 92 25 9 6 8 3	.02 .31 1.21 .48 1.59 7.68 .22 .77 .78 .19 .09 .03 .04 .03
Digestive.	Inflammat'n of Stomach Ulceration of Stomach Disease of Stomach Hemorrhage of Stomach Congestion of Stomach Tumor of Stomach Inflammation of Bowels Ulceration of Bowels Ulceration of Bowels Ulceration of Bowels Congestion of Bowels Disease of Bowels Obstruction of Bowels Perforation of Bowels Peritonitis Gastro-enteritis Disease of Stomach and Bowels Hemorrhage Strangulated Hernia Colic, Tympanites and Constipation Dyspepsia Gangrene of Tongue Stricture of Esophagus Fistula in Ano Disease of Spleen Leucocythæmia Ascites Abdominal Tumor Undefined Diseases, Abdominal Organs Jaundice Inflammation of Liver Cirrhosis of Liver Abscess of Liver	75 150 57 23 4 425 67 84 22 100 36 6 246 165 127 9 43 69	39 6 5 1 2 0 45 6 2 5 10 1 1 1 41 7 7 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	358 81 155 58 25 4 470 73 86 27 110 37 7 287 182 134 9 55 72 46 3 11 12 22 8 49 38 11 77 283 110 283 110 283 110 283 110 283 110 283 110 110 110 110 110 110 110 110 110 11	121 34 58 18 7 3 189 39 33 8 47 9 3 101 41 31 4 18 22 13 14 3 15 11 7 80 38 28	116 29 577 20 9 1 130 15 24 14 32 12 2 102 74 41 3 17 28 8 5 4 0 20 20 20 20 20 20 20 20 20 20 20 20 2	121 18 40 20 9 0 151 19 29 5 31 16 2 84 67 62 20 20 22 4 4 4 5 14 7 4 19 10 10 10 10 10 10 10 10 10 10	.95 .22 .41 .15 .07 .01 1.25 .19 .23 .07 .29 .10 .02 .76 .48 .36 .02 .15 .19 .12 .01 .03 .03 .06 .02 .13 .10 .03 .06 .02 .13 .10 .03

GENERAL TABLE OF DISEASES AND DEATHS.

	DIGHAGEG	Nun	iber of De	aths.	Varia	bility. M	and F.	Per Cent.
	DISEASES.	Males.	Females.	Total.	(2)	(5)	(20)	of Total.
	All Causes.	35,442	2,182	37,624	12,845	12,456	12,323	100.00
Digestive.	Diseases of Liver Congestion of Liver Hypertrophy of Liver Acute Yellow Atrophy } of Liver Fatty Degeneration of }	448 63 36 9	19 3 2 0	467 66 38 9	153 29 11 3	180 22 14 3	134 15 13 3	1.24 .18 .10 .02
iges	Liver } Biliary Calculus	15	1	16	4	6	6	.04
H	Obstruction of Hepa-)	15 4	0	15	6	6	3	.04
	tie Duct \(\) Rupture of Gall Bladder	2	0	$\frac{4}{2}$	1	1		.01
	Other Digestive	$1\overset{\sim}{4}$	2	$1\overset{\sim}{6}$	6	$\frac{1}{9}$	i	.04
	Bright's Disease Inflammation of Kidneys Abscess of Kidneys Tumor of Kidney Disease of Kidneys Diabetes Addison's Disease Inflammation of Bladder Disease of Bladder Hemorrhage of Bladder	$ \begin{array}{c} 12 \\ 1 \\ 255 \\ 158 \\ 12 \\ 74 \\ 54 \\ 5 \end{array} $	17 1 0 0 9 3 0 2 1	567 61 12 1 264 161 12 76 55	181 17 3 1 116 78 3 24 24	184 24 5 81 44 5 16 16 2	202 20 4 67 39 4 36 15	1.51 .16 .03 .70 .43 .03 .20 .15
	Rupture of Bladder Urinary Calculi Gravel	$\begin{array}{c c} & 1 \\ 20 \\ 13 \end{array}$	0 1 0	1 21 13	1 4 8	11 0	6 5	.06
us.	Disease of Prostate (Gland	39	0	39	16	13	10	.10
Miscellaneous.	Stricture of Urethra Gangrene of Scrotum Other Urinary Childbirth and Puer-)	5 1 66	0 0 5	5 1 71	$\begin{array}{c c} & 4 \\ 1 \\ 16 \end{array}$	1 25	30	.01
A	peral Diseases		197	197	61	73	63	.52
	Diseases of Breast and Uterus		110	110	29	53	28	.29
	Debility, Exhaustion (and Prostration)	377	28	405	145	136	124	1.08
	Abscess Hemorrhage Tumors Inflammation of Joints Old Age Accidents and Injuries Suicides	117 66 55 15 87 2,678	5 9 3 0 12 34 7	122 75 58 15 99 2,712 482	43 18 21 8 63 806 150	38 33 23 2 18 1,019 180	41 24 14 5 18 887 152	.32 .20 .15 .04 .26 7.21 1.28
	Causes unknown or ill defined	508	24	532	125	161	246	1.42

(A.) DISEASES AND DURATIONS OF POLICY AT DEATH OF 35,442 INSURED MALES.

				Dur	ation or Y	Tears of I	nsurance.		
	DISEASES.	$0 - \frac{1}{2}$	$\frac{1}{2} - 1\frac{1}{2}$	$1\frac{1}{2}$ — $2\frac{1}{2}$	$2\frac{1}{2}-4\frac{1}{2}$	$4\frac{1}{2}$ — $9\frac{1}{2}$	$9\frac{1}{2}$ — $19\frac{1}{2}$	$19\frac{1}{2} - 29\frac{1}{2}$	Total.
	All Causes.	2,445	5,161	4,651	7,803	10,062	4,089	1,197	35,442
SUMMARY.	Zymotic Diseases Constitutional Diseases Nervous Diseases Circulatory Diseases Respiratory Diseases Digestive Diseases Miscellaneous Diseases	842 226 297 75 312 216 477	978 620 190 761 493	943 1,124 591 199 626 461 707	1,297 2,091 1,078 411 1,031 717 1,178	1,424 2,635 1,525 641 1,322 949 1,566	509 937 745 330 553 402 613	118 182 247 140 165 105 240	6,356 8,175 5,107 1,986 4,770 3,344 5,704
Zymotic.	Typhoid, Typhus Fever Malarial Fever Erysipelas Dysentery Diarrhœa Cholera Alcoholism Other Zymotic Diseases	316 108 22 92 27 102 8 167	473 163 41 105 49 97 24 271	357 123 54 75 52 67 13 202	468 176 79 124 66 75 29 280	492 186 113 124 74 67 26 342	160 62 53 52 48 21 17 96	40 13 12 15 12 2 24	2,306 831 374 587 328 431 117 1,382
Const'l.	Dropsy Cancer Consumption Other Constitutional	25 15 155 31	74	66 51 947 60	147 155 1,691 98	180 216 2,113 126	96 95 689 57	23 44 89 26	$ \begin{array}{r} 611 \\ 632 \\ 6,474 \\ 458 \end{array} $
Nervous,	Apoplexy Congestion of Brain Paralysis, Softening etc., of Brain Epilepsy, Convulsions Other Nervous	115 64 101 4 13	210 102 253 15 40	208 85 234 19 45	357 147 452 35 87	468 179 724 37 117	250 63 357 17 58	96 15 112 3 21	1,705 655 2,236 130 381
Cir'y.	Diseases of Heart Other Circulatory	66	173 17	189 10	$\begin{array}{c} - \\ - \\ 386 \\ 25 \end{array}$	597 44	313 17	131	1,855 131
Respiratory.	Pneumonia Congestion of Lungs Bronchitis and Pleurisy Abscess, Hemorrhage etc., of Lungs Other Respiratory	188 44 21 46 13	447 92 87 102 33	355 81 71 89 30	572 107 154 159 39	750 149 170 200 53	310 70 76 75 22	89 25 31 12 8	2,711 568 610 683 198
Digestive.	Diseases of Stomach Diseases of Bowels Peritonitis Diseases of Liver Other Digestive	36 62 18 43 57	84 118 51 134 106	91 99 37 151 83	139 163 48 232 135	160 194 66 326 203	95 85 18 122 82	23 18 8 29 27	628 739 246 1,038 693
ous.	Diabetes Diseases of Kidneys Other Urinary Childbirth and Puer- peral Diseases	31 8	17 85 24	11 100 26	33 178 55	60 302 85	19 140 56	14 50 28	158 886 282
Miscellaneous.	Diseases of Breast and Uterus Abscess, Hemorrhage,	11	45	30	60	78	49	66	339
Mis	Old Age Debility, Exhaustion, Prostration, etc.	8	40	35	75	120	61	38	378
	Accidents and Injuries Suicides Unknown Causes	334 37 44	526 86 73	384 68 53	573 97 107	639 139 143	194 37 57	28 11 5	2,678 475 508

NOTE. The Total, 35,442, includes 26 more unknown and 8 above 291 Years.

(B.) DISEASES AND DURATIONS OF POLICY AT DEATH OF 2,182 INSURED FEMALES.

1				Du	ration or	Years of I	nsurance.		
	DISEASES.	$0 - \frac{1}{2}$	$\frac{1}{2}$ $-1\frac{1}{2}$	$\frac{1_{\frac{1}{2}}-2_{\frac{1}{2}}}{}$	$2\frac{1}{2}-4\frac{1}{2}$	$ 4\frac{1}{2}-9\frac{1}{2} $	$9\frac{1}{2}$ $19\frac{1}{2}$	$19\frac{1}{2} - 29\frac{1}{2}$	Total.
	All Causes.	197	403	341	467	513	190	70	2,182
SUMMARY.	Zymotic Diseases Constitutional Diseases Nervous Diseases Circulatory Diseases Respiratory Diseases Digestive Diseases Miscellaneous Diseases	48 19 16 9 23 28 54	62 86 30 11 62 53 99	48 101 31 12 45 37 67	61 118 47 24 65 56 96	57 148 35 32 66 67 108	23 65 23 9 20 19 31	4 12 12 9 12 9 12	303 549 194 106 293 269 468
Zymotic.	Typhoid, Typhus Fever Malarial Fever Erysipelas Dysentery Diarrhœa Cholera Alchoholism Other Zymotic Diseases	16 8 7 4 4 9	24 12 1 1 7 2	21 11 1 5 3 3 1 3	26 7 3 6 4 4 	22 6 4 12 3 2	7 5 1 3 1 	2 1 	118 49 10 35 22 15 1 53
Const'l.	Dropsy Cancer Consumption Other Constitutional	2 2 14 1	8 4 68 6	7 9 78 7	8 18 85 7	14 8 119 7	$\begin{array}{c} 6 \\ 11 \\ 41 \\ 7 \end{array}$	3 8 1	45 55 413 36
Nervous.	Apoplexy Congestion of Brain Paralysis, Softening etc., of Brain Epilepsy, Convulsions Other Nervous	7 2 6	10 2 13 1 4	8 4 15 	16 2 19 4 6	13 3 14 3 2	5 2 11 2 3	2 1 8 	61 16 86 10 21
Cir'y.	Diseases of Heart Other Circulatory	7 2	11	10 2	23 1	32	9	9	101 5
Respiratory.	Pneumonia Congestion of Lungs Bronchitis and Pleurisy Abscess, Hemorrhage etc., of Lungs Other Respiratory	19 1 2 1	37 5 5 15	24 5 5 8 3	43 4 10 6 2	37 9 3 13 4	12 3 2 1 2	5 2 2 1 2	177 28 28 46 14
Digestive.	Diseases of Stomach Diseases of Bowels Peritonitis Diseases of Liver Other Digestive	6 7 5 2 8	12 19 7 8 7	6 10 9 6 6	11 9 13 13 10	14 17 4 15 17	3 6 · · 4 6	2 2 3 2	54 70 41 48 56
ons.	Diabetes Diseases of Kidneys Other Urinary Childbirth and Puer- peral Diseases	3 30	3 51	 4 25	4 2 45	3 ° 9 3 40	2 6	1 1	3 27 9 197
Miscellaneous.	Diseases of Breast and Uterus Abscess, Hemorrhage	$\begin{bmatrix} 6 \\ 2 \end{bmatrix}$	23	20	25 5	28	6	3	110 28
Mis	Old Age Debility, Exhaustion, Prostration, etc.	2	3	4	3	9	6	2	29
	Accidents and Injuries Suicides Unknown Causes	5 2 4	7 1 4	$\begin{bmatrix} 4\\1\\3 \end{bmatrix}$	7 2 3	8 1 4	1 4	2 1	$\begin{bmatrix} 34 \\ 7 \\ 24 \end{bmatrix}$

Note. The Total, 2,182, includes 1 more unknown.

(A.) DISEASES AND AGES AT DEATH OF 35,442 INSURED MALES.

						ges at De	ath.			
	DISEASES.	$9\frac{1}{2}-19\frac{1}{2}$	$19\frac{1}{2}$ - $29\frac{1}{2}$	$29\frac{1}{2} \cdot 39\frac{1}{2}$	$39\frac{1}{2}-49\frac{1}{2}$	491-591	$59\frac{1}{2}-69\frac{1}{2}$	$69\frac{1}{2}$ - $79\frac{1}{2}$	$79\frac{1}{2} - 89\frac{1}{2}$	Total.
	All Causes.	133	3,476	9,321	10,840	7,576	3,357	647	92	35,442
Y.	Zymotic Constitutional	54 22	$903 \\ 1,117$	1,866 2,691	$1,943 \\ 2,441$	1,137 1,342	390 484	58 76	5 2	6,356 8,175
SUMMAR	Nervous Circulatory	9	238 61	$\frac{997}{328}$	$1,576 \\ 537$	1,410 582	733 389	135 81	8 5	5,107 $1,986$
SUM	Respiratory Digestive	$\begin{array}{c} 11 \\ 12 \end{array}$	$\begin{array}{c} 370 \\ 216 \end{array}$	1,168 758	1,524 1,134	1,117 811	$\frac{484}{361}$	88 45	9	4,770 $3,344$
=	Miscellaneous	22	571	1,513	1,685	1,177	516	164	56	5,704
	Typhoid, Typhus Malarial Fever	$\begin{bmatrix} 28 \\ 4 \end{bmatrix}$	472 72	702 252	620 286	$\begin{array}{c c} 361 \\ 154 \end{array}$	116 58	7 5	• •	2,306 831
otic.	Erysipelas Dysentery Diarrhœa Cholera	7	$\begin{array}{c} 27 \\ 62 \end{array}$	$\begin{array}{c} 86 \\ 165 \end{array}$	$\begin{array}{c} 132 \\ 160 \end{array}$	85 136	37 44	$\frac{6}{12}$	1 1	$\frac{374}{587}$
Zym		3 5	27 55	$\begin{array}{c} 77 \\ 134 \end{array}$	$\begin{array}{c c} 98 \\ 141 \end{array}$	$\begin{bmatrix} 74 \\ 73 \end{bmatrix}$	37 21	$\frac{10}{2}$	2	$\frac{328}{431}$
	Alcoholism Other Zymotic	7	$\begin{array}{c} 6 \\ 182 \end{array}$	41 409	$\begin{array}{c} 55 \\ 451 \end{array}$	$\begin{array}{c c} 14 \\ 240 \end{array}$	$\frac{1}{76}$	$\frac{\cdot \cdot}{16}$	1	$\frac{117}{1,382}$
1.1.2	Dropsy Cancer		19	103 72	191 186	183 239	99	$\frac{15}{20}$	1	$\frac{611}{632}$
Const'l.	Consumption Other Const'l	21 1	1,052 38	$2,406 \\ 110$	1,933 131	819 101	219 59	23 18	i	6,474 458
-	Apoplexy	1	42	238	500	598	279	46	1	1,705
Nervous.	CongestionBrain Paralysis, Soft-	3 4	53 109	190 431	231 663	130 572	$\begin{array}{c} 43 \\ 355 \end{array}$	5 79	6	655 2,236
Ner	ening Brain { Epilepsy and { Convulsions {		10	48	48	25	13	2		130
	Other Nervous	1	24	90	134	85	43	3	1	381
Cir'y	Diseases of Heart Other Circulat'y	3	$\begin{bmatrix} 59 \\ 2 \end{bmatrix}$	$\begin{bmatrix} 307 \\ 21 \end{bmatrix}$	488 49	$\begin{bmatrix} 553 \\ 29 \end{bmatrix}$	$\begin{bmatrix} 362 \\ 27 \end{bmatrix}$	78	5	$\frac{1,855}{131}$
ry.	Pneumonia Congest'n Lungs	$\begin{bmatrix} 6 \\ 2 \end{bmatrix}$	183 41	594 132	882 189	$\begin{bmatrix} 689 \\ 130 \end{bmatrix}$	305 57	49 16	$\begin{bmatrix} 3 \\ 1 \end{bmatrix}$	$2,711 \\ 568$
Respiratory	Bronchitis and Pleurisy	2	42	152	202	132	62	15	4	610
Resp	or age mangs)	1	90	240	192	112	42	6		683
	Other Respirat'y Dis. of Stomach	3	$\frac{14}{24}$	$\frac{50}{124}$	59 226	54 159	18 75	2	1 1	$-\frac{798}{628}$
Digestive.	Dis. of Bowels	2 2	72	219	206	159 42	73 15	5	$\begin{bmatrix} 1\\3\\1 \end{bmatrix}$	739 246
Dige	Peritonitis Dis. of Liver Other Digestive	$\begin{bmatrix} 2\\3 \end{bmatrix}$	37 48	209 133	410 215	266 185	101 97	11 12	2	1,038 693
-	Diabetes		5	32	58	26	33	4	••	158
	Dis. of Kidneys Other Urinary	4	59 11	$\begin{bmatrix} 160 \\ 31 \end{bmatrix}$	$\begin{bmatrix} 291 \\ 53 \end{bmatrix}$	239 78	107 82	25 25	$\begin{bmatrix} 1\\2 \end{bmatrix}$	886 282
ons.	Childbirth, Pu- erperal Dis.									• •
Miscellaneous	Dis. Breast and Uterus Abscess. Hem-									
Misce	or'age,Old Age (Debility, Ex-)	1	16	777	77	55	37	52	25	339
	liaustion, etc. (Accid'ts, Injuries	16	$\begin{bmatrix} 21 \\ 365 \end{bmatrix}$	60 894	88 820	102 449	79	25 15	2	378
	Suicides UnknownCauses	1	49 45	$ \begin{array}{c c} 126 \\ 133 \end{array} $	173 125	106 122	18 41	$\begin{bmatrix} 2\\16 \end{bmatrix}$	26	475 508
		1								

(B.) DISEASES AND AGES AT DEATH OF 2,182 INSURED FEMALES.

					Ag	es at Dea	th.			
	DISEASES.	91-191	$19\frac{1}{2} \cdot 29\frac{1}{2}$	$29\frac{1}{2} - 39\frac{1}{2}$	$39\frac{1}{2}-49\frac{1}{2}$	$49\frac{1}{2}-59\frac{1}{2}$	591-691	$69\frac{1}{2}$ - $79\frac{1}{2}$	$79\frac{1}{2} - 89\frac{1}{2}$	Total.
	All Causes.	18	360	698	563	317	164	51	11	2,182
SUMMARY.	Zymotic Constitutional Nervous Circulatory Respiratory Digestive Miscellaneous	6 5 3 4	48 99 26 5 36 33 113	98 195 45 22 78 89 171	75 158 44 34 78 73 101	51 70 40 22 48 47 39	17 20 29 18 34 24 22	6 2 9 5 12 5 12	2 0 2 1 6	303 549 194 106 293 269 468
Zymotic.	Typhoid, Typhus Malarial Fever Erysipelas Dysentery Diarrhœa Cholera Alcoholism Other Zymotic	2 1 1 1 1	25 2 1 4 4 4 4 8	33 15 2 11 14 5 	32 15 1 7 2 4 	21 9 5 5 1 1 1 8	5 5 1 5 	 1 3 	1 1 	118 49 10 35 22 15 1 53
Const'l.	Dropsy Cancer Consumption Other Const'l	3 2	2 1 91 5	$ \begin{array}{r} 12 \\ 5 \\ 165 \\ 13 \end{array} $	$ \begin{array}{r} 15 \\ 24 \\ 105 \\ 14 \end{array} $	15 16 38 1	$\begin{array}{c} 4\\4\\10\\2\end{array}$	2 	• •	$ \begin{array}{r} 45 \\ 55 \\ 413 \\ 36 \end{array} $
Nervous.	Apoplexy CongestionBrain Paralysis, Soft- ening Brain { Epilepsy and } Convulsions }		4 3 12 1 6	10 8 21 1 5	14 2 22 3 3	19 2 15 2 2	9 2 12 1 5	3 6	1 1	61 16 86 10 21
	Other Nervous Diseasesof Heart Other Circulat'y	• •	5	$\begin{bmatrix} 3\\21\\1 \end{bmatrix}$	31	22	17	5	•	101
Respiratory.	Pneumonia Congest'n Lungs Bronchitis and \ Pleurisy \ Abscess, Hem-\ or'age Lungs		18 4 4 8	45 8 9 13	53 6 6	26 4 5 8	27 1 4 2	7 3 1	·· 1 ··	177 28 28 46
Digestive.	Other Respirat'y	1 1 1 1	6 9 9 3 6	$ \begin{array}{r} 3 \\ \hline 19 \\ 27 \\ 17 \\ 16 \\ 10 \end{array} $	$ \begin{array}{c c} & 2 \\ \hline & 11 \\ & 15 \\ & 7 \\ & 20 \\ & 20 \\ & \end{array} $	$ \begin{array}{r} 5 \\ \hline 5 \\ 14 \\ 5 \\ 9 \\ 14 \end{array} $	7 5 2 3 7	5 	••	$ \begin{array}{r} 14 \\ \hline 54 \\ 70 \\ 41 \\ 48 \\ 56 \end{array} $
	Diabetes Dis. of Kidneys Other Urinary Childbirth, Pu-		5 1 66	9 3 94	2 8 34	1 4 4	i 1	1	••	$\frac{3}{27}$ $\frac{9}{9}$ 197
Miscellaneous	erperal Dis. { Dis. Breast } and Uterus { Abscess, Hem-} orkers Old Area	1	22	34 7	33 5	15	5	1 5	4	110 28
Mis	haustion, etc. \\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\		4 6	7 13	6	3 6 2	8 3	1 1	2	29 34 7
	Suicides UnknownCauses		3 5	4	2 7	4	i	3		24

(A) MALE LIFE. DISEASES AND NUMBER OF DEATHS BY STATES AND TERRITORIES.

	Typhoid and Typhus.	Other Zymotic.	Consumption.	Other Constitu- tional.	Apoplexy.	Other Nervous.	Diseases of Heart.	Pneumonia.	Other Respiratory.	Digestive System.	Diseases of Kidneys.	Accidents and Injuries.	Suicides.	All other Diseases.	All Causes.
Alabama Arkansas Calıfornia Colorado Connecticut Delaware Dist. of Col'bia Florida Georgia Idaho Illinois Indiana Iowa Kansas Kentucky Louisiana Maine Maryland Massachusetts Michigan Minnesota Mississippi Missouri Mon. Neb. Nev. New Hamps're New Jersey New Mexico New York N. Carolina Ohio Oregon Pennsylvania Rhode Island S. Carolina Tennessee Texas Utah Vermont Virginia Washington West Virginia	10 38 1 179 4 7 11 8 8 1 151 63 33 11 19 9 74 54 297 69 43 7 75 9 58 54 449 7 140 2 199 15 3 8 7 5	39 232 3 264 38 13 160 51	26 6 121 3 314 10 50 10 20 398 181 97 19 93 54 158 176 857 162 70 26 178 11 110 249 1431 25 408 85 75 80 143 163 163 163 163 163 163 163 163 163 16	7 3 38 1 96 4 7 6 106 37 28 7 24 127 57 229 41 9 9 49 5 22 44 395 7 167 24 6 8 167 167 167 167 167 167 167 167 167 167	10 2 47 2 67 3 9 12 92 24 19 1 33 18 59 182 40 21 13 66 2 33 49 1 424 6 111 35 26 111 35 26 111 113 113 113 113 114 114 115 115 115 115 115 115 115 115	23 8 84 1 148 3 21 4 20 133 92 73 14 49 44 79 133 379 77 29 14 122 14 65 97 768 14 203 1 21 21 23 21 23 23 23 23 23 23 23 23 23 23	12 4 67 1 131 2 9 6 7 105 38 36 3 26 13 34 6 6 2 44 51 20 9 49 2 23 7 4 4 4 4 8 9 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	20 111 63 2 108 77 199 3 166 2355 1266 466 133 533 155 488 822 455 91 170 1666 3 1744 300 9277 200 11 233 144 2 77	22 1 38 2 71 2 13 3 14 134 68 38 57 207 57 207 55 25 10 40 46 1 473 11 160 3 157 11 11 157 16 16 17 16 16 17 16 16 17 16 16 16 16 16 16 16 16 16 16	40 10 65 2 122 11 17 2 25 261 98 62 13 49 50 64 91 275 30 24 120 14 56 95 661 29 233 326 35 17 46 47 47 47 47 47 47 47 47 47 47	5 200 42 46 111 114 48 810 112 222 1366 13 32 2900 3 388 855 100 3 44 1 1	31 73 49 359 88 40 19 99 16	3 24 1 19 4 1 25 12 19 25 12 19 25 11 21 25 11 21 25 11 21 25 11 21 25 11 21 25 12 21 25 11 25 11 25 1	6 5 30 1 83 12 2 7 76 28 22 4 21 14 33 43 255 37 8 12 62 4 4 56 13 66 95 170 180 180 180 180 180 180 180 180 180 18	260 82 805 24 1648 60 203 48 197 6 2338 996 578 141 557 398 816 979 4108 945 356 220 1302 108 600 1029 6 7443 181 2186 36 2947 377 101 441 225 9 84 84 84 84 84 84 84 84 84 84 84 84 84
Wisconsin Unknown Brit'h America Other Foreign	121 1 29 6	142 5 37 33	227 2 73 41	71 1 9 11	46 23 25	106 45 21	51 24 17	114 4 35 16	86 1 45 17	145 1 39 22	17 1 10 2		33 1 5 3	64 24 19 17	$ \begin{array}{c c} 1362 \\ 45 \\ 439 \\ 264 \end{array} $
Total	2307	4049	6472	1705	1703	3403	1987	2711	2056	3345	887	2678	474	1665	35442

(B) FEMALE LIFE. DISEASES AND NUMBER OF DEATHS BY STATES AND TERRITORIES.

	Typhoid and Typhus.	Other Zymotic.	Consumption.	Other Constitu- tional.	Apoplexy.	Other Nervous.	Diseases of Heart.	Pneumonia.	Other Respiratory.	Digestive System.	Diseases of Kidneys.	Childbirth and Puerperal Diseases.	Diseases of Breast and Uterus.	All other Diseases.	All Causes.
Alabama	2	3	3	3		2		1	3			3		1	21
Arkansas				1				1					1		3
California		2	4	2		2	2	1	1	5		6	2	6	33
Colorado Connecticut	14	$\frac{\cdot \cdot}{16}$	36	10	6	19	7	7	10	20	2	9	5	13	174
Delaware	11	1	2			1.0	i		1	2			1		8
Dist. of Col'bia		2	3				1	2		2			1	1	12
Florida				1											1
Georgia		7	2		1		1	3		4			2		20
Idaho Illinois	11	15	35	7	2	 je	9	7	i0	23		19	8	16	169
Indiana	11	$\frac{10}{12}$	9	2	4	3	$\frac{3}{4}$	20	5	13		10	5	5	103
Iowa	5	5	11	$\frac{\tilde{2}}{2}$	1	3	4	3	4	8	1	5	3		55
Kansas	1.	3			1				2	2 3		1	1	2	13
Kentucky	٠.	6	3	1				4	3	3	1	4	3		28
Louisiana	• •	2 1	$\frac{1}{5}$	1	1	$\frac{1}{1}$	• •	1	2	$\frac{2}{1}$		9		2	11 13
Maine Maryland	9	4	16	5	$\frac{1}{4}$	7	4	4	9	11	4	2 3	3	3	72
Massachusetts	2 7	15	52	17	4	12	12	14	2 8	23	3	29	8	16	220
Michigan	4	8	19	11	3	4	4	7	5	8	1	6	7	6	93
Minnesota	1	1	1					3		3		6			15
Mississippi	3	3 6	1	1	1	• •	1	2 7	3	3 10	• •	$\begin{vmatrix} 1\\8 \end{vmatrix}$	$\frac{1}{2}$	$\frac{1}{3}$	18 58
Missouri Mon. Neb. Nev.	4		6	4	2	2.	$\begin{array}{c} 1 \\ 1 \end{array}$			10		1		1	4
New Hamps're	5		15	5	1	3	2	5	3	9	1	6	1	$\overline{2}$	58
New Jersey	5		14	3	5	3	4	4	5	5	2	5	2	5	62
New Mexico									0.0				9.4	1.0	205
New York	17	33 5	68 2	31	7 3	28 2	24 1	33	27	45 1	8	21 3	24 1	$\begin{array}{c} 19 \\ 1 \end{array}$	$ \begin{array}{c c} 385 \\ 19 \end{array} $
N. Carolina Ohio	6	14	31	10	7	11	5	21	12	16	1	18	9	10	171
Oregon												1			1
Pennsylvania	8	7	30	9	4	11	10	8	4	23		9	9	8	140
Rhode Island		1	6	2	3	1		$\begin{array}{c} 1 \\ 1 \end{array}$	$\frac{2}{1}$	4		$\frac{1}{2}$	1	1	21 11
S. Carolina Tennessee	1	3	3	1 1		$\frac{1}{2}$	1	3		4		~	1		19
Texas		1		1		1	1	1		1		3		1	10
Utah										:					27
Vermont	1	1	9	2	1	1		2	1	3		3	1	2	27
Virginia	• •	2	• •	• •		1	1		• •	1	• •			1	6
Washington West Virginia	1	• •			• •		2		• •		1			1	5
Wisconsin	7	3	13	4	1	4	$\tilde{1}$	5	1	8	2	9	5	3	66
Unknown		1								1				1	3
Brit'lı America			6	1			1	3 2	1	4	• •	3 1	3	2	26 8
Other Foreign	••	1	3	• •	• •	1	• •	2	• • •	• •	• •	1	• •		0
Total	118	184	409	138	63	132	105	176	116	273	27	198	110	133	2182
Louis	110	104	100	190	00	10%	100	1.00	110	7.10	70 1	200			,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,

MALE LIFE (A). RATIO OF DEATHS BY EACH DISEASE TO 10,000 LIVING EXPOSED TO RISK, AN EQUAL NUMBER 10,000 IN EACH STATED PERIOD OF INSURANCE.

				D	uration of	Years of	Insurance	э.		
	DISEASES.	$0-\frac{1}{2}$	12-11	$1\frac{1}{2}$ - $2\frac{1}{2}$	$2\frac{1}{2} \cdot 4\frac{1}{2}$	$4\frac{1}{2}9\frac{1}{2}$	$9\frac{1}{2}$ - $19\frac{1}{2}$	$19\frac{1}{2}.29\frac{1}{2}$	Total.	Act'lD'th
	All Causes.	68.6	80.4	93.1	102.5	114.5	140.9	213.5	102.0	35,442
SUMMARY.	Zymotic Constitutional Nervous Circulatory Respiratory Digestive Miscellaneous	23.7 6.3 8.3 2.1 8.9 6.0 13.3	19.0 15.3 9.6 3.0 11.9 7.6 14.0	18.8 22.5 11.8 4.0 12.6 9.2 14.2	17.1 27.5 14.1 5.4 13.6 9.3 15.5	16.3 30.0 17.2 7.3 15.0 10.7 18.0	17.5 32.3 25.6 11.3 19.1 13.8 21.3	21.1 32.4 43.8 25.0 29.4 18.7 43.1	18.3 23.5 14.7 5.7 13.7 9.6 16.5	6,356 8,175 5,107 1,986 4,770 3,344 5,704
Zymotic.	Typhoid, Typhus Malariai Fever Erysipelas Dysentery Diarrhœa Cholera Alcoholism Other Zymotic	8.9 3.0 .6 2.6 .8 2.8 .2 4.8	7.4 2.5 .6 1.6 .8 1.5 .4 4.2	7.2 2.4 1.1 1.5 1.0 1.3 .3 4.0	6.2 2.3 1.0 1.6 .9 1.0 .4 3.7	5.7 2.1 1.3 1.4 .8 .8 .3	5.6 2.1 1.8 1.8 1.6 .7 .6 3.3	7·2 2.3 2.1 2.7 2.1 .4 	6.6 2.4 1.1 1.7 1.0 1.2 .3 4.0	2,306 831 374 587 328 431 117 1,382
Const'l.	Dropsy Cancer Consumption Other Const'l	.7 .4 4.3 .9	1.1 .9 12.4 .9	$ \begin{array}{c} 1.3 \\ 1.0 \\ 19.0 \\ 1.2 \end{array} $	$ \begin{array}{r} 1.9 \\ 2.0 \\ 22.3 \\ 1.3 \end{array} $	$ \begin{array}{c c} 2.0 \\ 2.5 \\ 24.1 \\ 1.4 \end{array} $	3.3 3.3 23.7 2.0	$ \begin{array}{c} 4.1 \\ 7.8 \\ 15.9 \\ 4.6 \end{array} $	1.8 1.8 18.6 1.3	$ \begin{array}{r} 611 \\ 632 \\ 6,474 \\ 458 \end{array} $
Nervous.	Apoplexy CongestionBrain Paralysis,Soft- ening Brain Epilepsy and Convulsions Other Nervous	3.2 1.8 2.8 .1 .4	3.3 1.6 3.9 .2 .6	4.1 1.7 4.7 .4 .9	4.7 1.9 5.9 .5 1.1	5.3 2.0 8.2 .4 1.3	8.6 2.2 12.2 .6 2.0	17.0 2.7 19.9 .5 3.7	4.9 1.9 6.4 .4 1.1	1,705 655 2,236 130 381
Cir'y	Diseases of Heart Other Circulat'y	1.8	2.7	3.8	5.1	6.8	10.7	23.4 1.6	5.3 .4	1,855 131
Respiratory.	Pneumonia Congest'n Lungs Bronchitis and { Pleurisy { Abscess, Hem-} or'age Lungs { Other Respirat'y	5.4 1.2 6. 1.3 .4	7.0 1.4 1.4 1.6 .5	7.2 1.6 1.4 1.8	7.6 1.4 2.0 2.1 .5	8.6 1.6 1.9 2.3 .6	10.7 2.4 2.6 2.6 2.6	15.9 4.4 5.6 2.1 1.4	7.8 1.6 1.7 2.0	2,711 568 610 683 198
Digestive.	Dis. of Stomach Dis. of Bowels Peritonitis Dis. of Liver Other Digestive	1.0 1.7 .5 1.2 1.6	1.3 1.8 .8 2.1 1.6	1.8 2.0 .7 3.0 1.7	1.8 2.1 .6 3.0 1.8	1.8 2.2 .7 3.7 2.3	3.3 2.9 .6 4.2 2.8	4.1 3.2 1.4 5.2 4.8	1.8 2.1 .7 3.0 2.0	$\begin{bmatrix} 628 \\ 739 \\ 246 \\ 1,038 \\ 693 \\ \end{bmatrix}$
ons.	Diabetes Dis. of Kidneys Other Urinary Childbirth, Pu- erperal Dis. } Dis. Breast }	.1 .9 .2	.3 1.3 .4	.2 2.0 .5	.4 2.3 .7	.7 3.4 1.0	.7 4.8 1.9	2.5 9.0 5.0	.5 2.5 .8 	158 886 282
Miscellaneous.	and Uterus { Abscess, Hemorage,Old Age } Debility, Exhaustion, etc.	.3	.6	.6	.8	.9 1.4 7.4	1.7 2.1, 6.8	11.8 6.8 5.1	1.0 1.1 7.7	339 378 2,678
	Accid'ts, Injuries Suicides UnknownCauses Actnal Deaths	$ \begin{array}{c} 1.0 \\ 1.2 \\ \hline 2,445 \end{array} $	$ \begin{array}{r} 8.3 \\ 1.3 \\ 1.1 \\ \hline 5,161 \end{array} $	$ \begin{array}{r} 7.7 \\ 1.4 \\ \hline 1.1 \\ \hline 4,651 \end{array} $	$ \begin{array}{r} 7.6 \\ 1.3 \\ 1.4 \\ \hline 7.803 \end{array} $	$ \begin{array}{r} 1.6 \\ 1.6 \\ \hline 10,062 \end{array} $	$ \begin{array}{r} 1.3 \\ 2.0 \\ \hline 4,089 \end{array} $	$\begin{array}{c} 2.0 \\ .9 \\ \hline 1.197 \end{array}$	$ \begin{array}{r} 1.4 \\ 1.5 \\ \hline 35,442 \end{array} $	$ \begin{array}{r} 475 \\ 508 \\ \hline 35,442 \end{array} $
	Exposed to Risk	356,210	640,900	499,870	757,120	876,050	290,150	56,035	3,476,335	3,476,335

(B.) FEMALE LIFE. RATIO OF DEATHS BY EACH DISEASE TO 10,000 LIVING EXPOSED TO RISK, AN EQUAL NUMBER 10,000 IN EACH STATED PERIOD OF INSURANCE.

				D	uration or	Years of	Insurance			
_	DISEASES,	$0-\frac{1}{2}$	½-1½	$1\frac{1}{2}$ - $2\frac{1}{2}$	$2\frac{1}{2} - 4\frac{1}{2}$	$4\frac{1}{2} - 9\frac{1}{2}$	$9\frac{1}{2}19\frac{1}{2}$	$19\frac{1}{2}$ - $29\frac{1}{2}$	Total.	Actual Deaths.
	All Causes.	85.9	103.9	114.1	109.2	123.8	148.3	175.8	114.9	2,182
SUMMARY.	Zymotic Constitutional Nervous Circulatory Respiratory Digestive Miscellaneous	21.2 8.0 7.3 4.0 9.3 12.3 23.8	15.6 22.4 7.5 2.9 16.2 13.8 25.5	15.3 34.2 10.5 4.1 15.2 12.4 22.4	14.3 28.0 10.1 5.4 15.4 13.3 22.7	13.8 35.8 8.4 7.7 16.0 16.2 25.9	16.8 51.7 18.3 7.2 15.1 15.2 24.0	5.7 31.6 28.8 25.9 31.8 26.0 26.0	16.1 28.8 10.2 5.5 15.3 14.3 24.7	302 547 195 105 292 273 468
Zymotic.	Cholera Alcoholism Other Zymotic	7.0 3.5 3.1 1.8 1.8 4.0	6.3 3.1 1.8 .5 .5	7.0 3.7 1.6 1.0 1.0	6.2 1.6 .7 1.4 .9 .9	5.3 1.5 1.0 2.9 .7 .5	5.6 4.0 2.4 4.8	5.7	6.3 2.6 .5 1.9 1.2 .8 .1 2.7	118 49 10 35 22 15 1 52
Const'l.	Dropsy Cancer Consumption Other Const'l	.9 .9 6.2	$egin{array}{c} 2.1 \\ 1.0 \\ 17.7 \\ 1.6 \\ \end{array}$	$ \begin{array}{c c} 2.4 \\ 3.0 \\ 26.4 \\ 2.4 \end{array} $	$ \begin{array}{c c} 1.9 \\ 4.3 \\ 20.1 \\ 1.7 \end{array} $	3.4 1.9 28.8 1.7	4.8 8.7 32.6 5.6	8.6 23.0	2.6 2.7 21.5 2.0	49 51 409 38
Nervous.	Apoplexy CongestionBrain Paralysis, Soft- ening Brain Epilepsy and Convulsions Other Nervous	3.1 .9 3.3	2.6 .5 3.4	2.7 1.3 5.1 	2.8 .5 4.5 .9 1.4	3.1 .7 3.4 .7 .5	4.0 1.6 8.7 1.6 2.4	5.8 23.0	3.3 .9 4.5	63 16 86 9 21
Cir'y.	Diseases of Heart Other Circulat'y	$\frac{\cdot \cdot}{3.1}$	$\begin{array}{c} 1.0 \\ \hline 2.9 \\ \vdots \end{array}$	3.4	5.4	7.7	7.2	25.9	$\frac{1.1}{5.2}$	$\begin{bmatrix} \frac{21}{100} \\ 5 \end{bmatrix}$
Respiratory.	Pneumonia	8.4	9.7 1.3 1.3 3.9	8.1 1.7 1.7 2.7 1.0	10.2 .9 2.4 1.4 .5	9.0 2.2 .7 3.1 1.0	9.5 2.4 1.6 	14.4 5.8 5.8 5.8	9.3 1.5 1.6 2.2	176 30 31 42 13
Digestive.	Dis. of Stomach Dis. of Bowels Pritonitis Dis. of Liver Other Digestive	2.6 3.1 2.2 .9 3.5	3.1 5.0 1.8 2.1 1.8	2.0 3.4 3.0 2.0 2.0	2.6 2.1 3.1 3.1 2.4	3.4 4.1 1.0 3.6 4.1	2.4 4.8 3.2 4.8	5.8 5.8 8.6 5.8	2.7 3.6 2.1 2.8 3.1	52 69 41 53 58
us.	Diabetes Dis. of Kidneys Other Urinary Childbirth,Pu- erperal Dis.	1.3	1.0 .8 13.3	1.3 8.5	.9 .4 10.7	.7 2.2 .7 9.7	1.6 :: 4.8	••	1.5 .5 10.4	3 27 9 198
Miscellaneous.	Dis. Breast and Uterus Abscess, Hemor'age,Old Age Debility, Ex-	2.6	6.0 .8	6.8 2.0 1.4	5.9 1.2	6.8 .7 2.2	4.8 4.8 4.8	5.8 8.6 5.8	5.8 1.5 1.6	110 28 31
	haustion, etc. { Accid'ts, Injuries Suicides UnknownCauses	2.2	1.8	1.4	1.7 .5 .7	1.9	3.2	5.8	1.7 .3 1.2	32 7 23
	Actual Deaths Exposed to Risk	197 22,610	403 38,142	341 29,431	467 42,032	513 41,124	190 12,529	70 3,458	2,182 189.340	2,182 189,340

MALE LIFE (A). RATIO OF DEATHS BY EACH DISEASE TO 10,000 LIVING EXPOSED TO RISK, AN EQUAL NUMBER 10,000 IN EACH PERIOD OF AGE.

1					Age	s of Expos	ure.			
	DISEASES.	$9\frac{1}{2}$ - $19\frac{1}{2}$	$19\frac{1}{2}$ - $29\frac{1}{2}$	$29\frac{1}{2} - 39\frac{1}{2}$	$39\frac{1}{2} \cdot 49\frac{1}{2}$	$49\frac{1}{2}-59\frac{1}{2}$	$59\frac{1}{2}-69\frac{1}{2}$	691-791	$79\frac{1}{2}-89\frac{1}{2}$	AllAges
	All Causes.	75.7	74.8	76.0	97.5	146.0	270.4	538.0	1389.7	102.0
SUMMARY.	Zymotic Constitutional Nervous Circulatory Respiratory Digestive Miscellaneous	30.7 12.6 5.1 1.7 6.3 6.8 12.5	19.5 24.0 5.1 1.3 8.0 4.7 12.3	15.2 22.0 8.1 2.7 9.5 6.2 12.3	17.5 22.0 14.2 4.8 13.7 10.2 15.1	21.9 25.9 27.2 11.2 21.5 15.6 22.7	31.4 39.0 59.0 31.3 39.0 29.1 41.6	48.2 63.2 112.3 67.4 73.2 37.4 136.4	75.5 30.2 120.9 75.5 135.9 105.7 845.8	18.3 23.5 14.7 5.7 13.7 9.6 16.5
Zymotic.	Typhoid, Typhus Malarial Fever Erysipelas Dysentery Diarrhœa Cholera Alcoholism Other Zymotic	15.9 2.3 4.0 1.7 2.8 4.0	10.2 1.6 .6 1.3 .6 1.2 .1 3.9	5.7 2.1 .7 1.3 .6 1.1 .3 3.3	5.6 2.6 1.2 1.4 .9 1.3 .5 4.1	7.0 3.0 1.6 2.6 1.4 1.4 .3 4.6	9.3 4.7 3.0 3.5 3.0 1.7 .1 6.1	5.8 4.2 5.0 10.0 8.3 1.7	15.1 15.1 30.2 	6.6 2.4 1.1 1.7 1.0 1.2 .3 4.0
Const'l.	Dropsy Cancer Consumption Other Const'l	12.0 .6	.4 .2 22.7 .8	.8 .6 19.6 .9	1.7 1.7 17.4 1.2	$ \begin{array}{c c} 3.5 \\ 4.6 \\ 15.8 \\ 2.0 \end{array} $	$ \begin{array}{r} 8.0 \\ 8.6 \\ 17.6 \\ 4.8 \end{array} $	12.5 16.6 19.1 15.0	15.1 15.1	1.8 1.8 18.6 1.3
Nervous.	Apoplexy CongestionBrain Paralysis,Soft- ening Brain Epilepsy and Convulsions Other Nervous	.6 1.7 2.3	.9 1.1 2.3 .2 .5	1.9 1.5 3.5 .4 .7	4.5 2.1 6.0 .4 1.2	11.5 2.5 11.0 .5 1.6	22.5 3.5 28.6 1.1 3.5	38.3 4.2 65.7 1.7 2.5	15.1 90.6 15.1	4.9 1.9 6.4 .4 1.1
Cir'y	Diseases of Heart Other Circulat'y	1.7	1.3	2.5	4.4	10.7	29.2 2.2	64.9	75.5	5.3
Respiratory.	Pneumonia Congest'n Lungs Bronchitis and } Pleurisy } Abscess, Hem-} or'age Lungs { Other Respirat'y	3.4 1.1 1.1 .6	3.9 .9 .9 1.9	4.8 1.1 1.2 2.0 .4	7.9 1.7 1.8 1.7 .5	13.3 2.5 2.6 2.2 1.0	24.6 4.6 5.0 3.4 1.5	40.8 13.3 12.5 5.0 1.7	45.3 15.1 60.4	7.8 1.6 1.7 2.0 .6
Digestive.	Dis. of Stomach Dis. of Bowels Peritonitis Dis. of Liver Other Digestive	1.7 1.1 1.1 1.1 1.7	.5 1.5 .8 .8 1.0	1.0 1.8 .6 1.7 1.1	2.0 1.9 .7 3.7 1.9	3.1 3.1 .8 5.1 3.6	$\begin{bmatrix} 6.0 \\ 5.9 \\ 1.2 \\ 8.1 \\ 7.8 \end{bmatrix}$	13.3 4.2 9.1 10.0	15.1 45.3 30.2	1.8 2.1 .7 3.0 2.0
sous,	Diabetes Dis. of Kidneys Other Urinary Childbirth, Pu- erperal Dis. { Dis. Breast }	2.3	.1 1.3 .2	.3 1.3 .3	.5 2.6 .5	.5 4.6 1.5	2.6 8.6 6.6	3.3 20.8 20.8	15.1 30.2	0.5 2.5 .8
Miscellaneous,	Abscess, Hem- or'age, Old Age \ Debility, Ex- haustion, etc. \ Accid'ts, Injuries Suicides Unknown Causes	.6	.3 .5 7.9 1.1 1.0	.6 .5 7.3 1.0 1.1	.7 .8 7.4 1.6 1.1	1.1 2.0 8.7 2.0 2.4	3.0 6.4 9.6 1.5 3.3	43.2 20.8 12.5 1.7 13.3	377.6 30.2 392.7	1.0 1.1 7.7 1.4 1.5
	Actual Deaths Exposed to Risk	133 17,576	3,476	9,321	10,840 1,112,191	7,576	3,357 124,148	647		35,442 3,476,335

FEMALE LIFE (B). RATIO OF DEATHS BY EACH DISEASE TO 10,000 LIVING EXPOSED TO RISK, AN EQUAL NUMBER 10,000 IN EACH PERIOD OF AGE.

1-					Ages of	Exposure.			
	DISEASES.	$19\frac{1}{2}.29\frac{1}{2}$	291-391	$39\frac{1}{2}$ - $49\frac{1}{2}$	$49\frac{1}{2} - 59\frac{1}{2}$	$59\frac{1}{2}-69\frac{1}{2}$	$69\frac{1}{2}$ - $79\frac{1}{2}$	All Ages.	Act'l Deaths
	All Causes.	104.7	101.4	106.5	134.7	262.7	630.2	114.9	2,182
SUMMARY.	Zymotic Constitutional Nervous Circulatory Respiratory Digestive Miscellaneous	14.1 28.7 7.6 1.4 10.5 9.5 32.9	14.2 28.4 6.5 3.3 11.3 12.9 24.8	14.2 29.9 8.3 6.5 14.7 13.8 19.1	21.6 29.8 17.1 9.4 20.3 19.9 16.6	27.2 32.0 46.5 28.8 54.4 38.5 35.3	74.2 24.6 111.3 61.8 148.3 61.8 148.2	16.1 28.8 10.2 5.5 15.3 14.3 24.7	302 547 195 105 292 273 468
Zymotic.	Typhoid, Typhus Malarial Fever Erysipelas Dysentery Diarrhœa Cholera Alcoholism Other Zymotic	7.3 .6 .3 1.2 1.2 1.2 	4.7 2.2 .3 1.6 2.0 .8	6.0 2.7 .2 1.4 .4 .8	8.9 3.9 2.1 2.1 .4 .4 .4 3.4	8.0 8.0 1.6 8.0 	12.4 37.1 24.7	6.3 2.6 .5 1.9 1.2 .8 .1 2.7	118 49 10 35 22 15 1 52
Const'l.	Dropsy Cancer Consumption Other Const'l	$\begin{array}{c} .6 \\ .3 \\ 26.4 \\ 1.4 \end{array}$	$ \begin{array}{r} 1.7 \\ .8 \\ 24.0 \\ 1.9 \end{array} $	$ \begin{array}{r} 2.8 \\ 4.6 \\ 19.8 \\ 2.7 \end{array} $	$\begin{array}{c} 6.4 \\ 6.8 \\ 16.2 \\ .4 \end{array}$	$\begin{bmatrix} 6.4 \\ 6.4 \\ 16.0 \\ 3.2 \end{bmatrix}$	24.6	2.6 2.7 21.5 2.0	49 51 409 38
Nervous.	Apoplexy CongestionBrain Paralysis,Soft- ening Brain } Epilepsy and } Convulsions } Other Nervous	1.2 .9 3.5 .3	1.4 1.2 3.0 .2 .7	2.6 .4 4.1 .6 .6	8.0 .9 6.4 .9	14.5 3.2 19.2 1.6 8.0	37.1 74.2 	3.3 .9 4.5 .4 1.1	63 16 86 9 21
Cir'y	Diseases of Heart Other Circulat'y	1.4	3.1	5.9 .6	9.4	27.2 1.6	61.8	5.2	100
Respiratory.	Pneumonia Congest'n Lungs Bronchitis and Pleurisy Abscess, Hem- or'age Lungs { Other Respirat'y	5.2 1.2 1.2 2.3	6.5 1.2 1.3 1.9	10.0 1.1 1.1 2.1 .4	11.0 1.7 2.1 3.4 2.1	43.2 1.6 6.4 3.2	86.6 37.1 12.3 	9.3 1.5 1.6 2.2	176 30 31 42 13
Digestive.	Dis. of Stomach Dis. of Bowels Peritonitis Dis. of Liver Other Digestive	1.7 2.6 2.6 .9 1.7	2.7 3.9 2.5 2.3 1.5	2.1 2.8 1.4 3.8 3.7	2.1 5.9 2.1 3.9 5.9	11.2 8.0 3.3 4.8 11.2	61.8	2.7 3.6 2.1 2.8 3.1	52 69 41 53 58
v,	Diabetes Dis. of Kidneys Other Urinary Childbirth, Pu- erperal Dis.	1.4 .3 19.3	1.3 .4 13.6	$\begin{array}{c} .4 \\ 1.6 \\ \\ 6.3 \end{array}$	1.7 1.7	1.6	12.3	1.5 .5 10.4	3 27 9 198
aneon	Dis. Breast and Uterus	6.4	5.0	6.2	6.4	6.4	12.3	5.8	110
Miscellaneous	Dobinio, Like	.3	1.0	.9	1.3	8.1	61.8 12.4	1.5 1.6	28 31
	haustion, etc. () Accid'ts, Injuries Suicides	1.7	1.9 	1.1 .4 1.4	$2.5 \\ .9 \\ 1.7$	4.8	12.3 37.1	1.7 .3 1.2	32 7 23
	UnknownCauses Actual Deaths Exposed to Risk	$\frac{1.4}{360}$ 34,427	698 68,769	563 52,783	317 23,536	164 6,245	51 809	$ \begin{array}{r} 1.2 \\ 2,182 \\ 189,340 \end{array} $	2,182 189,340

(A.) MALE LIFE. PERCENTAGE DISTRIBUTION OF DISEASES AMONG 100 DEATHS, THE SAME NUMBER 100 IN EACH PERIOD OF INSURANCE.

1				Dura	tion or Y	ears of In	surance.		
	DISEASES.	$0-\frac{1}{2}$	$\frac{1}{2} - 1\frac{1}{2}$	$1\frac{1}{2}$ — $2\frac{1}{2}$	$2\frac{1}{2}-4\frac{1}{2}$	$\frac{4\frac{1}{2}-9\frac{1}{2}}{-}$	$9\frac{1}{2}$ — $19\frac{1}{2}$	$19\frac{1}{2} - 29\frac{1}{2}$	Total.
	All Causes.	100.0	100.0	100.0	100.0	100.0	100.0	100.0	100.0
SUMMARY.	Zymotic Diseases Constitutional Diseases Nervous Diseases Circulatory Diseases Respiratory Diseases Digestive Diseases Miscellaneous Diseases	34.5 9.2 12.1 3.1 12.8 8.8 19.5	23.6 18.9 12.1 3.6 14.8 9.6 17.4	20.3 24.2 12.7 4.3 13.3 10.0 15.2	16.7 26.8 13.8 5.2 13.2 9.2 15.1	$ \begin{array}{c c} \hline 14.1 \\ 26.1 \\ 15.2 \\ 6.3 \\ 13.1 \\ 9.5 \\ 15.7 \end{array} $	12.5 23.0 18.1 8.1 13.5 9.8 15.0	9.9 15.2 20.6 11.7 13.8 8.8 20.0	17.9 23.1 14.4 5.6 13.5 9.5 16.0
Zymotic.	Typhoid, Typhus Fever Malarial Fever Erysipelas Dysentery Diarrhœa Cholera Alcoholism Other Zymotic Diseases	13.0 4.4 .9 3.8 1.1 4.2 .3 6.8	9.2 3.1 .8 2.0 .9 1.9 .5 5.2	7.7 2.7 1.2 1.6 1.1 1.4 .3 4.3	6.0 2.3 1.0 1.6 .8 1.0 .4 3.6	4.9 1.8 1.1 1.2 .7 .7 .3 3.4	3.9 1.5 1.3 1.3 1.2 .5 .4 2.4	3.3 1.1 1.0 1.3 1.0 .2 2.0	6.5 2.3 1.1 1.7 .9 1.2 .3 3.9
Const'l.	Dropsy Cancer Consumption Other Constitutional	1.0 .6 6.3 1.3	$1.1 \\ 15.3$	1.4 1.1 20.4 1.3	$ \begin{array}{c} 1.9 \\ 2.0 \\ 21.6 \\ 1.3 \end{array} $	$ \begin{array}{c c} 1.8 \\ 2.1 \\ 21.0 \\ 1.2 \end{array} $	2.4 2.3 16.9 1.4	1.9 3.7 7.4 2.2	1.7 1.8 18.3 1.3
Nervous,	Apoplexy Congestion of Brain Paralysis, Softening etc., of Brain Epilepsy, Convulsions Other Nervous	4.7 2.6 4.1 .2 .5	4.1 2.0 4.9 .3 .8	4.5 1.8 5.0 .4 1.0	4.6 1.9 5.8 .4 1.1	4.6 1.8 7.2 .4 1.2	6.1 1.5 8.7 .4 1.4	8.0 1.3 9.3 .2 1.8	4.8 1.8 6.3 .4 1.1
Cir'y.	Diseases of Heart Other Circulatory	2.7	3.3	4.1	4.9	5.9	7.7	10.9	5.2
Respiratory.	Pneumonia Congestion of Lungs Bronchitis and Pleurisy Abscess, Hemorrhage etc., of Lungs Other Respiratory	7.7 1.8 .9 1.9	8.7 1.8 1.7 2.0	7.6 1.7 1.5 1.9	7.3 1.4 2.0 2.0 2.0	7.4 1.5 1.7 2.0	7.6 1.7 1.9 1.8	7.4 2.1 2.6 1.0	7.7 1.6 1.7 1.9
Digestive.	Diseases of Stomach Diseases of Bowels Peritonitis Diseases of Liver Other Digestive	1.5 2.5 .7 1.8 2.3	2.3 1.0 2.6	2.0 2.1 .8 3.3 1.8	1.8 2.1 .6 3.0 1.7	1.6 1.9 .7 3.3 2.0	2.3 2.1 .4 3.0 2.0	1.9 1.5 .7 2.4 2.3	1.8 2.1 .7 2.9 2.0
Miscellaneous.	Diabetes Diseases of Kidneys Other Urinary Childbirth and Puer- peral Diseases Diseases of Breast and Uterus Abscess, Hemorrhage,	.2 1.3 .3	1.6	2.1 .6 	2.3	.6 3.0 .9	.5 3.4 1.4 	1.2 4.2 2.3	.4 2.5 .8
Misc	Old Age Debility, Exhaustion, Prostration, etc. Accidents and Injuries Suicides Unknown Causes	.4 .3 13.7 1.5 1.8	.8 10.2 1.7	.6 .8 8.3 1.5 1.1	1.0 7.3 1.2 1.4	1.2 6.4 1.4 1.4	1.2 1.5 4.7 .9 1.4	5.5 3.2 2.3 .9	1.0 1.1 7.5 1.3 1.4
	Actual Deaths		5,161	4,651	7,803	10,062	4,089	1,197	$\frac{1.4}{35,442}$

(B). FEMALE LIFE. DURATIONS. PERCENTAGE DISTRIBUTION OF DISEASES AMONG 100 DEATHS, THE SAME NUMBER 100 IN EACH STATED PERIOD OF INSURANCE.

			Durat	ion or Yea	rs of Insu	rance.		
All Causes.	$0 - \frac{1}{2}$	$\frac{1}{2}$ - $1\frac{1}{2}$	$1\frac{1}{2}$ - $2\frac{1}{2}$	$2\frac{1}{2}$ - $4\frac{1}{2}$	$4\frac{1}{2}-9\frac{1}{2}$	$9\frac{1}{2} \cdot 19\frac{1}{2}$	191-291	Total.
	100.0	100.0	100.0	100.0	100.0	100.0	100.0	100.0
Typhoid and Typhus	8.1	6.0	6.2	5.6	4.3	3.7	2.9	5.4
Other Zymotic Diseases	16.3	9.4	7.9	7.5	6.8	8.4	2.8	8.5
Consumption	7.1	16.9	22.9	18.2	23.2	21.6	11.4	18.9
Other Constitutional	2.5	4.4	6.7	7.1	5.6	12.6	5.7	6.3
Apoplexy	3.6	2.5	2.3	3.4	2.5	2.6	2.9	2.8
Other Nervous Diseases	4.5	4.9	6.8	6.6	4.3	9.5	14.3	6.1
Diseases of Heart	3.6	2.7	2.9	4.9	6.2	4.7	12.9	4.6
Pneumonia	9.6	9.2	7.0	9.2	7.2	6.3	7.1	8.1
Other Respiratory	2.1	6.2	6.2	4.7	5.7	4.2	10.0	5.3
Digestive System	14.2	13.2	10.9	12.0	13.1	10.0	12.8	12.3
Childbirth and Puer-) peral Diseases	15.2	12.7	7.3	9.6	7.8	3.2		9.0
Diseases of Breast and Uterus	3.1	5.7	5.9	5.4	5.5	3.2	2.9	5.1
All other Diseases	10.1	6.2	7.0	5.8	7.8	10.0	14.3	7.6

TABLE XVI.

(B.) FEMALE LIFE. AGES. PERCENTAGE DISTRIBUTION OF DISEASES AMONG 100 DEATHS, THE SAME NUMBER 100 IN EACH STATED PERIOD OF AGE,

				Ages of	Death.			
All Causes.	$19\frac{1}{2} - 29\frac{1}{2}$	$29\frac{1}{2} - 39\frac{1}{2}$	$39\frac{1}{2} - 49\frac{1}{2}$	$49\frac{1}{2}.59\frac{1}{2}$	$59\frac{1}{2} - 69\frac{1}{2}$	$69\frac{1}{2} \cdot 79\frac{1}{2}$	Total.	Act'l D'ths.
	100.0	100.0	100.0	100.0	100.0	100.0	100.0	2,182
Typhoid and Typhus	6.9	4.7	5.7	6.6	3.1		5.4	118
Other Zymotic Diseases	6.4	9.3	7.6	9.5	7.3	11.8	8.4	184
Consumption	25.3	23.6	18.7	12.0	6.1		18.8	409
Other Constitutional	2.2	4.3	9.4	10.1	6.1	4.0	6.3	138
Apoplexy	1.1	1.4	2.5	6.0	5.5	5.9	2.9	63
Other Nervous Diseases	6.1	5.1	5.3	6.6	12.2	11.7	6.1	132
Diseases of Heart	1.4	3.0	5.5	6.9	10.4	9.8	4.6	100
Pneumonia	5.0	6.5	9.4	8.2	16.5	13.7	8.0	176
Other Respiratory	5.0	4.7	4.5	7.0	4.2	9.8	5.3	116
Digestive System	9.2	12.7	13.0	14.8	14.6	9.8	12.5	273
Childbirth and Puer- peral Diseases	18.3	13.5	6.0				9.1	198
Diseases of Breast and Uterus	6.1	4.9	5.9	4.7	2.4	2.0	5.0	110
All other Diseases	7.0	6.3	6.5	7.6	11.6	21.5	7.6	165

(A.) MALE LIFE. PERCENTAGE DISTRIBUTION OF DISEASES AMONG 100 DEATHS, THE SAME NUMBER 100 IN EACH PERIOD OF INSURANCE.

				Age	s of Exposi	ire.		
	DISEASES.	19½-29½	29½-39½	$39\frac{1}{2}$ - $49\frac{1}{2}$	49\frac{1}{2}-59\frac{1}{2}	$59\frac{1}{2}$ - $69\frac{1}{2}$	$69\frac{1}{2}$ - $79\frac{1}{2}$	Total.
	All Causes.	100.0	100.0	100.0	100.0	100.0	100.0	100.0
SUMMARY.	Zymotic Diseases Constitutional Diseases Nervous Diseases Circulatory Diseases Respiratory Diseases Digestive Diseases Miscellaneous Diseases	26.0 32.1 6.8 1.7 10.7 6.3 16.4	20.0 28.9 10.7 3.5 12.5 8.1 16.3	17.9 22.5 14.5 5.0 14.0 10.5 15.6	15.1 17.7 18.6 7.7 14.8 10.7 15.4	11.6 14.4 21.9 11.6 14.4 10.8 15.3	9.0 11.7 20.9 12.5 13.6 6.9 25.4	17.8 23.1 14.5 5.6 13.4 9.5 16.1
Zymotic.	Typhoid, Typhus Fever Malarial Fever Erysipelas Dysentery Diarrhœa Cholera Alcoholism Other Zymotic Diseases	13.5 2.1 .8 1.8 1.6 .2 5.2	7.5 2.7 .9 1.8 .8 1.4 .5 4.4	5.7 2.6 1.2 1.5 .9 1.3 .5 4.2	4.8 2.0 1.1 1.8 1.0 1.0 2 3.2	3.5 1.7 1.1 1.3 1.1 .6	1.1 .8 .9 1.9 1.5 .3 	6.5 2.3 1.1 1.6 .9 1.2 .3 3.9
Const'l.	Dropsy Cancer Consumption Other Constitutional	.5 .2 30.3 1.1	1.1 .8 25.8 1.2	1.8 1.7 17.8 1.2	2.4 3.2 10.8 1.3	2.9 3.2 6.5 1.8	2.3 3.1 3.5 2.8	1.8 1.7 18.3 1.3
Nervous.	Apoplexy Congestion of Brain Paralysis, Softening { etc., of Brain } Epilepsy, Convulsions Other Nervous	1.2 1.5 3.1 .3 .7	2.6 2.0 4.6 .5 1.0	4.6 2.1 6.1 .5 1.2	7.9 1.7 7.6 .3 1.1	8.3 1.3 10.6 .4 1.3	7.1 .8 12.2 .3 .5	4.8 1.9 6.3 .4 1.1
Cir'y.	Diseases of Heart Other Circulatory	1.6 .1	3.3	4.5	7.3 .4	10.8	12.0	5.2
Respiratory.	Pneumonia Congestion of Lungs Bronchitis and Pleurisy Abscess, Hemorrhage etc., of Lungs Other Respiratory	5.3 1.2 1.2 2.6 .4	6.4 1.4 1.6 2.6	8.1 1.7 1.9 1.8	9.1 1.7 1.8 1.5	9.1 1.7 1.8 1.3	7.6 2.5 2.3 .9	7.6 1.6 1.7 1.9
Digestive.	Diseases of Stomach Diseases of Bowels Peritonitis Diseases of Liver Other Digestive	.7 2.1 1.0 1.1 1.4	1.3 2.4 .8 2.2 1.4	2.1 1.9 .7 3.8 2.0	2.1 2.1 .6 3.5 2.4	2.2 2.2 .5 3.0 2.9	2.5 .8 1.7 1.9	1.8 2.1 .7 2.9 2.0
us.	Diabetes Diseases of Kidneys Other Urinary Childbirth and Puer- peral Diseases	.1 1.7 .3	1.7 .3	2.7 .5	3.2 1.0	1.0 3.2 2.4	.6 3.9 3.9	.5 2.5 .8
Miscellaneous	Diseases of Breast and Uterus Abscess, Hemorrhage, Old Age Debility, Exhaustion,	.5	.8	.7	.7	1.1	8.0	1.0
	Prostration, etc. Accidents and Injuries Suicides Unknown Causes	.6 10.5 1.4 1.3	9.6 1.4 1.4	7.6 1.6 1.2	1.3 5.9 1.4 1.6	2.4 3.5 .5 1.2	3.9 2.3 .3 2.5	1.1 7.5 1.3 1.4
	Actual Deaths	3,476	9,321	10,840	7,576	3,357	647	35,442

(A). CLIMATIC DISTRIBUTION OF DEATHS AND DISEASES AMONG 100 DEATHS OF INSURED MALES AND FEMALES.

Ages, 20-75.

	Residence at Death.	North of	36°30′	South	36° 30′.	Foreign	United	States.	U. S. Cens	20-70.
	SEX.	Male.	Fem.	Male.		Male,	Male.	Fem.	Male.	Fem.
	Deaths from all Causes.	100.0	100.0	100.0	100.0	100.0	100.0	100.0	100.0	100.0
SUMMARY.	Zymotic Diseases Constitutional Diseases Nervous Diseases Circulatory Diseases Respiratory Diseases Digestive Diseases Miscellaneous Diseases	17.3 23.6 14.5 5.8 13.4 9.2 16.2	13.3 25.6 8.9 5.0 13.4 12.2 21.6	28.4 15.4 13.1 4.0 12.6 12.9 13.6	22.5 16.5 11.3 3.8 12.8 14.3 18.8	15.0 19.1 16.1 5.8 16.1 8.7 19.2	17.8 23.1 14.5 5.6 13.4 9.5 16.1	14.0 24.9 8.9 4.8 13.4 12.6 21.4	15.9 32.1 9.5 5.9 13.3 6.5 16.8	14.5 37.4 8.1 5.9 11.4 6.6 16.1
Zymotic.	Typhoid, Typhus Fever Malarial Fever Erysipelas Dysentery Diarrhœa Cholera Alcoholism Other Zymotic Diseases	6.8 2.1 1.1 1.5 .9 1.2 .3 3.4	5.5 1.8 .5 1.5 1.0 .7 .1 2.2	2.8 6.9 .9 3.4 2.1 1.4 .2 10.7	4.5 9.0 2.2 1.5 5.3	5.0 1.1 .9 1.7 1.0 .6 .6 4.1	6.5 2.3 1.1 1.6 .9 1.2 .3 3.9	5.4 2.3 .5 1.6 1.0 .7 .1 2.4	6.8 2.5 .6 .9 1.7 .1 1.1 2.2	6.6 2.4 .6 .9 1.4 .1 .3 2.2
Const'l.	Dropsy Cancer Consumption Other Constitutional	1.8 1.8 18.7 1.3	$ \begin{array}{c} 2.2 \\ 2.4 \\ 19.3 \\ 1.7 \end{array} $	1.3 .7 12.3 1.1	3.0 2.3 9.0 2.2	1.3 .7 16.2 .9	1.8 1.7 18.3 1.3	2.2 2.3 18.7 1.7	$2.1 \\ 1.7 \\ 26.2 \\ 2.1$	$ \begin{array}{c} 3.0 \\ 2.5 \\ 29.7 \\ 2.2 \end{array} $
1S.	Apoplexy Congestion of Brain	4.8 1.8	2.8	4.8 2.9	4.5 3.0	6.8	4.8	2.9	2.2	1.8
Nervous,	Paralysis, Softening etc., of Brain Sepilepsy, Convulsions	6.4 $.4$ 1.1	4.0 .5 1.0	4.4	3.0	5.8 .7 1.1	6.3 .4 1.1	3.9 $.4$ 1.0	4.0 .7 2.3	3.4
Cir'y.	Other Nervous Diseases of Heart Other Circulatory	$\frac{5.4}{.4}$	4.7	$\begin{array}{c} .6 \\ \hline 3.9 \\ .1 \end{array}$	3.8	$\frac{-1.1}{4.5}$ 1.3	5.2	$\frac{1.0}{4.6}$	$\begin{array}{ c c c c }\hline & 5.9 \\ \hline & 5.9 \\ \hline \end{array}$	5.9
Respiratory.	Pneumonia Congestion of Lungs Bronchitis and Pleurisy Abscess, Hemorrhage etc., of Lungs Other Respiratory	7.7 1.6 1.7 1.9	7.9 1.5 1.4 2.0	7.4 1.3 2.0 1.1 .8	9.8 1.5 .8	7.3 1.6 2.1 4.3	7.6 1.6 1.7 1.9	8.1 1.4 1.4 1.9	$ \begin{array}{c} \hline $	8.3 1.0 2.1
Digestive.	Diseases of Stomach Diseases of Bowels Peritonitis Diseases of Liver Other Digestive	1.7 2.0 .7 2.9 1.9	2.4 3.0 1.9 2.2 2.7	3.0 3.4 .3 2.8 3.4	1.5 5.3 .8 4.5 2.2	1.6 1.7 1.0 2.8 1.6	1.8 2.1 .7 2.9 2.0	2.4 3.2 1.9 2.4 2.7	1.0 2.6 .2 2.0 .7	1.1 2.4 .5 1.7 .9
	Diabetes Diseases of Kidneys Other Urinary Childbirth and Puer-	.5 2.6 .8	.2 1.3 .4 9.0	.1 1.4 .7	9.0	.3 1.7 .3	.5 2.5 .8	.1 1.2 .4 9.1	1.9 .4	$\begin{bmatrix} .1 \\ .8 \\ .1 \\ 6.5 \end{bmatrix}$
neous.	peral Diseases 5 Diseases of Breast and 1		5.0		5.3			5.0		2.4
Miscellaneous.	Uterus { Abscess, Hemorrhage, } Old Age } Debility, Exhaustion, }	1.0	1.4	.6		1.0	1.0	1.3	} 2.7	2.7
	Prostration, etc. { Accidents and Injuries Suicides Unknown Causes	7.5 1.4 1.3	1.4 1.5 .4 1.0	.7 7.8 .8 1.5	1.5 1.5 1.5	11.2 1.1 2.9	7.5 1.3 1.4	1.4 1.5 .3 1.1	9.1 .9 1.4	1.4 .3 1.8
		32,544			133	703	$\overline{}$		104,531	

(B). PROPORTIONAL DEATHS AND DISEASES TO 100 TOTAL DEATHS OF INSURED MALES IN EACH GROUP OF STATES,

0	Froup of States.	1.*	II.	III.	IV.	V.	VI.	VII.	Mean	Groups.
	All Causes.	100.0	100.0	100.0	100.0	100.0	100.0	100.0	Group.	
SUMMARY.	Zymotic Constitutional Nervous Circulatory Respiratory Digestive Miscellaneous	16.7 25.0 14.7 6.3 12.6 8.2 16.5	21.9	15.5 26.0 14.4 6.8 11.3 10.5 15.5		21.1 20.9 15.4 5.1 13.9 9.1 14.5	28.4 15.4 13.1 4.0 12.6 12.9 13.6	14.2 19.8 16.4 8.2 13.0 8.1 20.3	19.0 21.6 14.2 5.6 13.5 10.0 16.2	I.* New England. New York. II. NORTHWEST.
Zymotic.	Typhoid, Typhus Malarial Fever Erysipelas Dysentery Diarrhœa Cholera Alcoholism Other Zymotic	7.2 1.5 1.0 1.6 .9 .8 .3	8.8 2.4 1.3 1.4 .7 .8 .3 3.3	6.4 1.7 .9 .8 .9 1.0 .3 3.5	6.4 3.2 1.2 1.4 .7 1.9 .4 2.7	5.3 2.9 1.0 2.8 1.2 2.7 .4 4.8	2.8 6.9 .9 3.4 2.1 1.4 .2 10.7	4.6 1.7 2.0 1.3 .2 .8 .5 3.1	5.9 2.9 1.2 1.8 1.0 1.3 .3 4.5	Michigan. Wisconsin. Minnesota. Nebraska. III. New Jersey. Pennsylvania.
Const'l.	Dropsy Cancer Consumption Other Const'l	1.7 2.0 19.7 1.6	$egin{array}{c} 1.7 \\ 1.6 \\ 17.3 \\ 1.3 \\ \end{array}$	$egin{array}{c} 2.4 \\ 2.0 \\ 20.7 \\ .9 \\ \end{array}$	1.8 1.5 17.7 1.0	1.7 1.7 16.4 1.1	1.3 .7 12.3 1.1	1.7 1.7 15.1 1.3	$ \begin{array}{c c} 1.8 \\ 1.6 \\ 17.0 \\ 1.2 \end{array} $	IV. Ohio. Indiana.
Nervous.	Apoplexy CongestionBrain Paralysis,Soft-\{ ening Brain \} Epilepsy and \{ Convulsions \} Other Nervous	5.0 1.4 6.9 .3 1.1	4.0 1.5 5.3 .3 .7	4.6 2.0 6.1 .6 1.1	4.0 2.4 5.9 .4 1.1	5.5 2.2 6.0 .4 1.3	4.8 2.9 4.4 .4 .6	6.1 1.5 6.5 1.3 1.0	4.9 2.0 5.9 .5 1.0	Illinois. Iowa. Kansas. V. Delaware. Maryland,
Cir'y.	Diseases of Heart Other Circulat'y	5.8	4.2	6.6	4.2	4.8	3.9	6.6	5.2	Dist. Columbia. Virginia.
Respiratory.	Pneumonia Congest'n Lungs Bronchitis and \{ Pleurisy \} Abscess, Hem-\} or'age Lungs \{ Other Respirat'y	7.0 1.7 1.7 1.8 .4	8.7 1.7 2.0 2.1 .4	6.2 1.1 1.4 1.9	9.4 1.6 1.9 2.3	8.3 1.7 1.4 1.8	7.4 1.3 2.0 1.1 .8	8.0 .8 2.0 1.6 .6	7.9 1.4 1.8 1.8	Kentucky, Missouri. VI. SOUTH OF 36° 30'. North Carolina. South Carolina.
Digestive.	Dis. of Stomach Dis. of Bowels Peritonitis Dis. of Liver Other Digestive	1.5 1.8 .7 2.6 1.6	2.4 2.2 .8 2.5 2.3	1.9 2.3 .9 3.5 1.9	1.8 2.4 .8 3.5 2.2	1.6 1.9 .5 3.0 2.1	3.0 3.4 .3 2.8 3.4	1.2 1.4 .3 3.7 1.5	1.9 2.2 .6 3.1 2.1	Teunessee. Georgia. Florida. Alabama. Mississippi.
18.	Diabetes Dis. of Kidneys Other Urinary Childbirth,Pu- erperal Dis.	.5 3.3 .9	.5 1.4 .8	.5 2.9 1.0	.4 1.8 .5	.6 1.6 .7	.1 1.4 .7	.5 2.3 .6	.4 2.1 .7	Arkansas. Louisiana. Texas. VII.
Miscellaneous.	Dis. Breast and Uterus Abscess, Hemorage, Old Age Debility, Ex-	1.1	.8	1.0	1.0	1.0	.6	.3	.8	PACIFIC, ETC. Washington. Oregon. California.
	haustion, etc. \\ Accid'ts, Injuries Suicides UnknownCauses Actual Deaths	1.2	$ \begin{array}{ c c c } \hline 1.0 \\ 10.1 \\ 2.1 \\ 1.0 \\ \hline 2.16 \end{array} $	2.2 5.7 1.2 1.0	$ \begin{array}{c c} .7 \\ 8.6 \\ 1.3 \\ 1.0 \end{array} $	7.1 1.4 1.1	7.8 .8 1.5	$ \begin{array}{c c} 1.1 \\ 11.4 \\ 2.9 \\ 1.2 \\ \hline 863 \end{array} $	$ \begin{array}{c c} 1.1 \\ 8.2 \\ 1.6 \\ 1.2 \end{array} $	Utah. Dakota. New Mexico.
-		10,000	1, 110	10,010	10,000	9,000	7,100	000		

(C). PROPORTIONAL DEATHS AND DISEASES TO 10,000 MALES LIVING IN EACH GROUP OF STATES.

-	Group of States.	I.*	II.	III.	IV.	V.	VI.	VII.	Mean	
	All Causes.	105.3	97.7	107.1	104.5	130.5	170.5	112.2	Group.	Groups.
SUMMARY.	Zymotic Constitutional Nervous Circulatory Respiratory Digestive Miscellaneous	17.6 26.4 15.4 6.6 13.3 8.6 17.4	18.5 21.4 11.5 4.4 14.6 10.0 17.3	16.6 27.9 15.4 7.3 12.1 11.2 16.6	18.7 23.0 14.4 4.6 16.6 11.2 16.0	27.5 27.3 20.1 6.7 18.1 11.9 18.9	48.4 26.3 22.3 6.8 21.5 22.0 23.2	15.9 22.1 18.4 9.2 14.6 9.1 22.9	23.3 24.9 16.8 6.5 15.8 12.0 18.9	I.* New England. New York. II. NORTHWEST.
Zymotic.	Typhoid,Typhus Malarial Fever Erysipelas Dysentery Diarrhœa Cholera Alcoholism Other Zymotic	7.6 1.7 1.0 1.7 .9 .9 .3 3.6	8.5 2.3 1.3 1.4 .7 .8 .3 3.2	6.8 1.8 1.0 .9 1.0 1.1 .3 3.7	6.7 3.3 1.3 1.4 .8 2.0 .4 2.8	6.9 3.8 1.3 3.6 1.6 3.5 .5 6.3	4.8 11.8 1.5 5.8 3.6 2.4 .3 18.2	5.2 1.9 2.2 1.5 .2 .9 .6 3.4	6.6 3.8 1.4 2.3 1.3 1.7 .4 5.9	Michigan, Wisconsin, Minnesota, Nebraska, III, New Jersey, Pennsylvania,
Const'l.	Dropsy Cancer Consumption Other Const'l	$ \begin{array}{c} 1.8 \\ 2.1 \\ 20.8 \\ 1.7 \end{array} $	$ \begin{array}{c} 1.6 \\ 1.5 \\ 16.9 \\ 1.4 \end{array} $	2.6 2.1 22.2 1.0	$ \begin{array}{c} 1.9 \\ 1.6 \\ 18.5 \\ 1.0 \end{array} $	2.2 2.2 21.5 1.4	2.2 1.1 21.0 2.0	1.9 1.9 16.9 1.4	$ \begin{array}{c} 2.0 \\ 1.8 \\ 19.7 \\ 1.4 \end{array} $	IV. Ohio, Indiana.
Nervous.	Apoplexy CongestionBrain Paralysis, Soft-) ening Brain { Epilepsy and } Convulsions { Other Nervous	5.2 1.5 7.2 .3 1.2	3.8 1.5 5.2 .3 .7	5.0 2.1 6.5 .6 1.2	4.2 2.5 6.2 .4 1.1	7.2 2.9 7.8 .5 1.7	8.2 4.9 7.5 .7 1.0	6.8 1.7 7.3 1.5 1.1	5.8 2.4 6.8 .6 1.1	Illinois, Iowa. Kansas. V. Delaware.
Cir'y.	Diseases of Heart Other Circulat'y	6.1	4.1	7.1	4.4	6.3	6.6	7.4	6.0	Maryland, Dist. Columbia, Virginia.
Respiratory.	Pneumonia	7.3 1.8 1.8 1.9	8.5 1.7 2.0 2.0 .4	6.6 1.2 1.5 2.0	9.8 1.7 2.0 2.4 .7	10.8 2.2 1.8 2.4 .9	12.6 2.2 3.4 1.9 1.4	9.0 .9 2.2 1.8	9.2 1.7 2.1 2.1 .8	Kentucky. Missonri. VI. SOUTH OF 36° 30′. North Carolina. South Carolina.
Digestive.	Dis. of Stomach Dis. of Bowels Peritonitis Dis. of Liver Other Digestive	1.6 1.9 .7 2.7 1.7	2.3 2.2 .8 2.4 2.3	2.0 2.5 1.0 3.7 2.0	1.9 2.5 .8 3.7 2.3	2.1 2.5 .7 3.9 2.7	5.1 5.8 .5 4.8 5.8	1.3 1.6 .3 4.2 1.7	2.3 2.7 .7 3.6 2.6	Tennessee. Georgia. Florida. Alabama. Mississippi.
Miscellaneous.	Diabetes Dis. of Kidneys Other Urinary Childbirth, Pu- erperal Dis. } Dis. Breast and Uterus } Abscess, Hem- or'age, Old Age } Debility, Ex- haustion, etc. { Accid'ts, Injuries Suicides Unknown Causes	.5 3.5 .9 1.2 1.0 7.2 1.3 1.8	.5 1.4 .8 .8 1.0 9.7 2.1 1.0	.5 3.1 1.1 1.1 2.4 6.0 1.3 1.1	.4 1.9 .5 1.1 .7 9.0 1.3 1.1	.8 2.1 .9 1.3 1.3 9.3 1.8 1.4	.3 2.4 1.2 1.0 1.1 13.3 1.4 2.5	.6 2.6 .7 .3 1.2 12.8 3.3 1.3	1.0 1.2 9.6 1.8 1.5	Arkansas. Louisiana. Texas. VII. PACIFIC, ETC. Washington. Oregon. California. Utall. Dakota. New Mexico.
	Actual Deaths	15,273	2,716	3,976	6,239	3,306	2,153	863		

CALENDAR AND DECIMAL PARTS OF A YEAR.

Days.	Cal.	Decimal.	Days.	Cal.	Decimal.	Days.	Cal.	Decimal.	Days.	Cal.	Decimal.
0 1 2 3 4	*1 2 3	.00000000 .00273973 .00547945 .00821918 .01095890	50 51 52 53 54	20 21 22	.13698630 .13972603 .14246575 .14520548 .14794521	100 101 102 103 104	11 12 13	.27397260 .27671233 .27945205 .28219178 .28493151	151	31 June 1 2	.41095890 .41369863 .41643836 .41917808 .42191781
5 6 7 8	5 6 7 *8	.01369863 .01643836 .01917808 .02191781 .02465753	55 56 57 58 59	24 25 *26 27	.15068493 .15342466 .15616438 .15890411 .16164384	105 106 107 108 109	15 *16 17 18	.28767123 .29041096 .29315068 .29589041 .29863014	155 156 157 158 159	*4 5 6 7	.42465753 $.42739726$ $.43013699$ $.43287671$ $.43561644$
10 11 12 13 14	10 11 12 13	.02739726 .03013699 .03287671 .03561644 .03835616	60 61 62 63 64	Mar. 1 2 3 4	.16438356 $.16712329$ $.16986301$ $.17260274$ $.17534247$	110 111 112 113 114	20 21 22 *23	.30136986 .30410959 .30684932 .30958904 .31232877	160	9 10 *11 12	.43835616 .44109589 .44383562 .44657534 .44931507
15 16 17 18 19	*15 16 17 18	.04109589 .04383562 .04657534 .04931507 .05205479	65 66 67 68 69	6 7 8 9	.17808219 .18082192 .18356164 .18630137 .18904110	115 116 117 118 119	25 26 27 28	.31506849 .31780822 .32054795 .32328767 .32602740	165 166 167 168	14 15 16 17	.45205479 .45479452 .45753425 .46027397 .46301370
20 21 22 23 24	20 21 *22 23	.05479452 .05753425 .06027397 .06301370 .06575342	70 71 72 73 74	11 *12 13 14	.19178082 .19452055 .19726027 .20000000 .20273973	120 121 122 123 124	*30 May 1 2		170 171 172 173	20 21 22	.46575342 .46849315 .47123288 .47397260 .47671233
25 26 27 28 29	26 27 28	.06849315 .07123288 .07397260 .07671233 .07945205	75 76 77 78 79	16 17 18 *19	.20547945 .20821918 .21095890 .21369863 .21643836	125 126 127 128 129	5 6 *7 8	1	175 176 177	*25 26 27	.47945205 .48219178 .48493151 .48767123 .49041096
30 31 32 33 34	31 Feb. 1 2	.08219178 .08493151 .08767123 .09041096 .09315068	80 81 82 83 84	22 23 24	.21917808 .22191781 .22465753 .22739726 .23013699	130 131 132 133 134	11 12 13	.35616438 $.35890411$ $.36164384$ $.36438356$ $.36712329$	180 181 182 183 184	30 July 1 *2	.49315068 .49589041 .49863014 .50136986 .50410959
35 36 37 38 39	4 *5 6 7	.09589041 $.09863014$ $.10136986$ $.10410959$ $.10684932$	85 86 87 88 89	*26 27 28 29	.23287671 .23561644 .23835616 .24109589 .24383562	135 136 137 138 139	15 16 17 18	.36986301 .37260274 .37534247 .37808219 .38082192	185 186 187 188 189	5 6 7	.50684932 .50958904 .51232877 .51506849 .51780822
40 41 42 43 44	10 11 *12	.10958904 .11232877 .11506849 .11780822 .12054795	90 91 92 93 94	April 1 *2 3	.24657534 .24931507 .25205479 .25479452 .25753425	140 141 142 143 144	*21 22 23	.38356164 .38630137 .38904110 .39178082 .39452055	190 191 192 193 194	10 11 12	.52054795 .52328767 .52602740 .52876712 .53150685
45 46 47 48 49	14 15 16 17	.12328767 .12602740 .12876712 .13150685 .13424658	97 98	5 6 7 8	.26027397 .26301370 .26575342 .26849315 .27123288	145 146 147 148 149	25 26 27 *28	.39726027 .40000000 .40273973 .40547945 .40821918	195 196 197 198 199	15 *16 17	.53424658 .53698630 .53972603 .54246575 .54520548

CALENDAR AND DECIMAL PARTS OF A YEAR.

Day	s. Cal.	Decimal.	Days.	Cal.	Decimal.	Days.	Cal.	Decimal.	Days.	Cal.	Decimal.
200 201 202	$\begin{vmatrix} 20 \\ 21 \end{vmatrix}$.54794521 .55068493 .55342466	251 252	8 9	.68493151 .68767123 .69041096	301 302	28 *29	.82191781 .82465753 .82739726	351 352	Dec. 16 *17 18	.95890411 .96164384 .96438356
203	*23	.55616438 .55890411	253 254	11	.69315068 .69589041	303 304	31	.83013699 .83287671	353 354	19 20	.96712329 $.96986301$
205 206 207	25	.56164384 $.56438356$ $.56712329$	255 256 257	13	.69863014 $.70136986$ $.70410959$	305 306 307	2	.83561644 .83835616 .84109589	355 356 357	21 22	.97260274
208	27	.56986301	258 259	15	.70410933 .70684932 .70958904	308 309	4	.84383562 .84657534	358 359	23 *24 25	.97808219 .98082192 .98356164
210 211	*30	.57534247 .57808219	260 261	*17	.71232877 .71506849	310 311	6	.84931507 .85205479	360 361	$\begin{array}{c} 26 \\ 27 \end{array}$.98630137 .98904110
212 213 214	Aug. 1	.58082192 .58356164 .58630137	262 263 264	20	.71780822 .72054795 .72328767	312 313 314	9	.85479452 .85753425 .86027397	362 363 364	28 29 . 30	.99178082 .99452055 .99726027
215 216	4	.58904110 .59178082	265 266	23	.72602740 .72876712	315 316	11 *12	$.86301370 \\ .86575342$	365	*31	1.00000000
217 218 219	*6	.59452055 .59726027 .60000000	267 268 269	25	.73150685 .73424658 .73698630	317 318 319	14	.86849315 .87123288 .87397260			DAY OF THE OTED BY *.
220 221 222	9.	60273973 60547945 60821918	270 271 272	28	.73972603 .74246575 .74520548	320 321 322	17	.87671233 .87945205 .88219178	1883 1883 1883	Sund S	
223 224	11.	61095890 61369863	273	30 .	74794521	323 324	*19	.88493151 .88767123	1884 1886	4 *Tue	sday. Wedn. sday.
225 226 227	14.	61643836 61917808 62191781	275 276 277	3.	75342466 75616438 75890411	325 326 327	22	.89041096 .89315068	1886 1887	5 Frida 7 Satur	ıy. rday.
228 229	16.	$\begin{array}{c} 62465753 \\ 62739726 \end{array}$	278 279	5.	76164384 76438356	328 329	24	.89589041 .89863014 .90136986	1888 1889 1890	Tueso	day. Mond. day. tesday.
230 231	19.	63013699 63287671	280 281	*8.	76712329 76986301	330 331	27	.90410959 .90684932	1891 1892	*Fric	sday. lay. Satur.
232 233 234	21.	63561644 63835616 64109589	282 283 284	10.	77260274 77534247 77808219	332 333 334	29	.90958904 .91232877 .91506849	1898 1894 1895	Mond	ay.
235	24.	64657534	285	13.	78082192 78356164	336	2.	.91780822 .92054795	1896 1897	Frida	
237 238 239	26,.	65205479	287 288 289	*15.	78630137 78904110 79178082	337 338 339	4.	$\begin{array}{c} .92328767 \\ .92602740 \\ .92876712 \end{array}$	1898 1899 1900	Snud	ay.
240 241	29].	66027397	290 291	17. 18.	79452055 79726027	340 341	7.	93150685 93424658	1901 1902	Tuesd Wedn	lay. esday.
242 243 244	31.	66575342	292 293 294	20'.	80273973	342 343 344	9.	93698630 93972603 94246575	1903 1904 1905	*Frid	ay. Satur.
245 246	2.	67123288	295 296	*22.	80821918	345 346	11	94520548 94794521	1906 1907	Monda Tuesd	ay.
247 248 249	4 5.	67671233 67945205	297 298 299	25.	81643836	347 348 349	13 · 14 ·	95068493 95342466 95616438	1908 1909 1910	*Wed Frida	n. Thurs. y.
N I U	0.	00213170	200	201.	0191 (000	310	10.	03010493	1910	Satur	uay.

^{*} In 1884 and other leap years, the first star day applies only in January and February, and the last applies only in the remaining ten months.

SIMPLE INTEREST FOR DAYS AT 5 PER CENT. 365 DAYS TO THE YEAR.

Days.	0	1	2	3	4	5	6	7	8	9	Days.	0	1	2	3	4 8	5 6	7	8	9	
0		1	9	17				20	19	49	5	34	4	56				4 4			8
1 2		$\frac{39}{52}$	57 8	46 38	51	$\frac{32}{71}$	$\frac{43}{62}$	$\begin{bmatrix} 50 \\ 3 \end{bmatrix}$	$\begin{vmatrix} 65 \\ 60 \end{vmatrix}$	$\begin{vmatrix} 15 \\ 12 \end{vmatrix}$	6	$\begin{vmatrix} 42 \\ 21 \end{vmatrix}$	$\begin{array}{ c c } 61 \\ 13 \end{array}$	35			$\begin{vmatrix} 23 \\ 32 \end{vmatrix} \begin{vmatrix} 2\\ 9 \end{vmatrix}$	$\begin{array}{c c} 4 & 4 \\ 0 & 9 \end{array}$	$ \begin{array}{c c} 5 & 3 \\ 8 & 10 \end{array} $	$\begin{bmatrix} 7 & 2 \\ 6 & 11 \end{bmatrix}$	9 RE
3	18	72	59	30	66	27	36	40	31	70	8	93	92	122	75 1	12 13	30 11	9 11	7 10	5 11	.6
4	26	63	68	22	16	64	7	58	67	55	9	123	138	88 8	33 12	3 GS	31 11	1 12	4 14	4 13	0
REF.	0	1	2	3	4	5	6	.7	8	9	RE	EF. C	1	2	3	4	5	6	7	8	9
1 2			000		$\begin{array}{c} 000 \\ 005 \end{array}$					001	_	-	001				006	007			
3					014	018	022	025	029	033	5	1 (003	006	009	013					029
4	9		$013 \\ 019$		027					062		- 1	002		1					1	025
5 6	4	000	0 2 0	0.00	034	$049 \\ 043$							$008 \\ 007$				1	$\begin{array}{c} 052 \\ 046 \end{array}$			078 069
8			$\begin{array}{c} 012 \\ 006 \end{array}$							050			006					040			
9	-		$\frac{000}{000}$				_	-		$\frac{027}{002}$	41	-	$\frac{007}{001}$					$\frac{042}{009}$			
10	0	002	005	008	010	013	016	019	021	024	5	8 (006	012	019	025	032	038	045	051	057
11 12	$\begin{vmatrix} 0 \\ 0 \end{vmatrix}$	$007 \\ 003$	$014 \\ 007$	$022 \\ 011$	$\begin{array}{c} 029 \\ 015 \end{array}$	$036 \\ 019$	$044 \\ 023$	051	059	035	59		$004 \\ 003$					$\begin{array}{c} 026 \\ 023 \end{array}$			039
13	1 1				038							1	008	016	025	033	041	050	058	066	075
14			$014 \\ 005$		029	$\begin{array}{c} 036 \\ 013 \end{array}$							003					021			
16					034								$005 \ 006$					036			$\begin{array}{c} 050 \\ 055 \end{array}$
17			000							3 003			002					014			
18 19					$\begin{array}{c} 016 \\ 004 \end{array}$								$0.004 \\ 0.006$		0 0			$\begin{array}{c} 027 \\ 039 \end{array}$			
20					003	004	005	000	007	008	6		005					034			
21 22					$\begin{array}{c} 038 \\ 023 \end{array}$					086			007					$\begin{array}{c} 045 \\ 032 \end{array}$			000
23	0	008	017	026	035	044	053	062	071	080	7		003		1		017	020	023	027	030
24	-		-	-	036				-	-			004				-	025			I
25	1 - 1		$001 \\ 010$		$002 \\ 021$					004		-	$\frac{0}{0}$		03	04	05	06			09
27	0	004	009	014	019	023	028	033	038	043	7		0'010 0'011					060			
28			$015 \\ 018$		į					$ 071 \\ 085$		6 (0,013	027	041	054	068	082	095	109	123
30	0	004	009	013	018	023	027	031	030	040	7		016				1	101 119			1
31 32					$\begin{array}{c} 020 \\ 008 \end{array}$					046	7	9 (018	037	055	074	093	111	130	149	167
33			$\frac{001}{001}$				-		-	000	. 01		$\begin{vmatrix} 016 \\ 013 \end{vmatrix}$					097			
34	0	006	013	020	027	034	041	047	054	061	8		010					$\frac{0.00}{0.00}$			
35					$\begin{array}{c} 033 \\ 019 \end{array}$					$\begin{array}{c} 076 \\ 044 \end{array}$			012				063	076	089	101	114
37	0	009	018	027	037	046	055	065	074	083	8		013					104 083			
38					$\begin{array}{c} 012 \\ 006 \end{array}$		1 "			028	01		019					118			
40					020					045			$017 \\ 012$					103 075			
41					003					007	8	9	016	032	048	064		096			
42					008					$073 \\ 7019$			010					062			
44	0	001	003	005	007	009	011	013	018	017	9	2	011	022	033	044	055	666	077	088	
45					036					3 082 4 010	,		010	1							098
47	0	007	015	023	031	039	040	054	106	2070	9		$0019 \\ 015$								176 143
48					032					107:	9	6	0.018	037	056	075	094	113	132	151	170
	10	1	2	3	4	5	6	7	8	9	9		7019	1038	057	076	095	114	133	152	171

^{*} The interest is exact on the lines of 73, 146, 219, 292 and 365.

SIMPLE INTEREST FOR DAYS AT 5 PER CENT. 365 DAYS TO THE YEAR.

Days. (0 1	2	3	4	5	6	7	8	9	Days. 0		1 2	3	4	5	6	17	8	9	
	76 133			$\frac{1}{145}$							-	79 18	_	-	-			-	-	
11 11	13 104	143	99	136	141	95	89	137	80	16 19	01	$78 18 \\ 17 20$	89 19	6 21	$\frac{3}{1}$	$\frac{3}{1}$	6 198	3 15	4 18	4 5
12 13 13 13	$ \begin{array}{c c} 31 & 140 \\ 20 & 101 \end{array} $	128	$\frac{107}{115}$	77		87		142		17 19	7 2	17/20	8 14	9 20	6 15	8 16	1218	3 20	5 17	6
	8 110			86					$\frac{97}{163}$	18 21 19 16	$\frac{z}{2}$	$73 18 \\ 10 15$	$\frac{3}{120}$	$\frac{017}{421}$	$\frac{7 z }{3 20}$	1 18	0 150	$\frac{3 21}{20}$	$\frac{4}{2}$ 16	0
REF.	0 1	10		1 4	1 -		193												-	
98	$\frac{0}{0} \frac{1}{010}$	2	021	4	5	6	7	8	9	REF.		1	2	3	4	5	6	7	8	9
99	0 013	030	$031 \\ 046$	061	077	092	108	123	139	147 148		$\begin{array}{c} 020 \\ 021 \end{array}$								
100	0 01-	4 029	044	059	073	088	103	118	133	149		023								
102	0 019							$\begin{array}{c} 143 \\ 155 \end{array}$		150 151	- 1	$\begin{array}{c} 026 \\ 029 \end{array}$		1		- 1	1			
103	0 01-	1039	043	058	072	087	101	116	130	152	C	028	05%	085	114	143	171	500	229	257
104	0 013									153 154		$\begin{array}{c} 026 \\ 023 \end{array}$								
106	0 010	-1					-	085		155	-	020					$\frac{130}{121}$			
107	0 016	033	050	067	084	101	117	134	151	156	0	022	045	068	090	113	136	159	181	204
108	$\begin{vmatrix} 0 & 018 \\ 0 & 014 \end{vmatrix}$									157		$\begin{array}{c} 027 \\ 023 \end{array}$								
110	0 019	7			-			154		158 159	1	029		ė.			- 1			1
111	0 018	026	039	053	065	078	092	105	118	160	(027	054	081	109	136	163	190	218	245
112 113	$\begin{vmatrix} 0 & 011 \\ 0 & 015 \end{vmatrix}$									161 162		$0022 \\ 026$							_	
114	0 010	-]					163	1	020	1				122			
115	0 018	036	054	072	091	109	127	145	163	164	(024	048	072	096	120	144	168	192	216
116	0 012								$\frac{109}{107}$	165 166		0021 020								
118	0 019		1							167		029								
119	0.011									168		0025								
120 121	$\begin{vmatrix} 0 & 0 & 1 \\ 0 & 0 & 1 \end{vmatrix}$							142 144	$\begin{array}{c} 160 \\ 162 \end{array}$	169 170		029								
122	0 011	022	033	044	056	067	018	089	101	171	(020	041	061	082	102	$\frac{1}{123}$	143	$\frac{164}{164}$	184
123	0 01%									172		025	1 7				- K			
124 125	0 013 0 012									173 174		0024 027								
126	0 018	037	056	075	093	112	131	150	168	175	(029	058	088	117	147	176	206	235	265
127 128	0 017									176 177		$0024 \ 025$								
129	0.017									178		022								
130	0 011									179		020								
131	0 016									180 181	($\begin{vmatrix} 026 \\ 028 \end{vmatrix}$	$\begin{array}{c} 053 \\ 056 \end{array}$	080 085	$\frac{1071}{113}$	134 142	161 170	$\frac{187}{199}$	$\frac{214}{227}$	241 256
133	0 013	3 027	041	055	069					182		024	049	074	099	124	149	174	199	224
134	0 018								165	183 184		0.023	058	087	117	146	175	205	234	263
135 136	0 013								$122 \\ 140$	185	(021	043	064	086	107	129	150	172	193
137	0 010	3 033	048	064	080	096	113	129	145	186		025								
138	0.01								112	187		$\begin{array}{c c} 020 \\ 028 \end{array}$	041	063	083	104	124	145	166	187
139	0 01-									188 189	(022	044	066	088	110	133	155	177	199
141	0 01	5 031	047	063	078	094	110	120	141	190	(021	043	065	087	109	131	153	175	197
142 143	0 017									191 192		029	058	087065	$\frac{116}{087}$	1.45	$\frac{175}{130}$	204	233 171	262
144	0.013	3 056	040	053	067	080	093	3 107	120	193	(027	055	083	111	139	166	194	222	250
145	0 01									194	1	028								
*146	0.02	04	06	,08	10	13	14	16	18		0	1	2	3	4	5	6	7	8	9

SIMPLE INTEREST FOR DAYS AT 5 PER CENT. 365 DAYS TO THE YEAR.

Days.	0 :	L	2	3	4	5	6	7	8	9	Days. 0	1	2	2 3	3 4	1 8	5 6	3 7	7 8	3 9	
20 1	57 21	15 2			$\frac{-}{174}$				181		25 291	278	$\frac{-}{8}$	- 19 28	5 24	6 2	$\frac{-}{55 25}$	9 25	50 28	89 24	5
					183 252						26 282 27 223	28	7 24	1 23	5 28	33 27	26 27 73 26	7 28	86 27	4 25	3 2
					251						28 280	25	$\frac{3}{4} \frac{2}{2}$	00 20 27 27	2 24	$\begin{vmatrix} 2 & 2 \end{vmatrix}$	$\frac{6}{13}$ $\frac{2}{2}$	$\frac{10 25}{4 25}$	16 24	8 24	[0]
24 2	71 22	27/2	257	270	290	281	222	279	231	237	29 232	22.	4 29	2 29	3 30	30	09 31	17 3%	25 33	33 31	[2]
REF.	0	1	2	3	4	5	6	7	8	9	REF.	0	1	2	3	4	5	6	7	8	9
195					084		127		,	191	244						152				
196					$089 \\ 093$					$\frac{3200}{209}$	245 246	0 ()35)34	$070 \\ 069$	$\frac{106}{104}$	$\frac{141}{139}$	$\begin{vmatrix} 177 \\ 173 \end{vmatrix}$	208	248	$\frac{283}{278}$	319 313
198					091	114	137	160	183	205	247	0 0	037	075	113	151	189	227	265	303	341
199 200					$\begin{array}{c} 115 \\ 110 \end{array}$					$258 \\ 249$	248 249	0 (039	078	$\frac{118}{103}$	157	197 172	236	276	315	355
201	00	26 0	053	080	106	133	160	186	213	240	250	0 0	35	070	105	140	176	211	246	281	316
202	- -				$\frac{108}{0.00}$				$\frac{216}{100}$		251						160		-		
203 204					$\begin{array}{c} 086 \\ 105 \end{array}$				173 211	$\frac{194}{237}$	252 253	00)30)36	061 073	$\frac{092}{110}$	122	153 184	184 221	214	245 294	276 331
205 206	00	24	048	073	097	121	146	170	195	219	254	0 0	38	076	115	153	192	230	269	307	346
207		- 1			095 113		1		į.	$\frac{214}{255}$	255 256	00	130	069	104	139	174		275		
208	00	23	047	070	094	117	141	164	188	212	257	0 0)33	066	099	132	165	198	232	265	298
209					102 104	1				230 235	258 259			$\begin{array}{c} 063 \\ 070 \end{array}$			157		220 245		
211					089					202	260		_	061					215	-	
212	0 0	24	049	073	098	123	147	172	197	221	261	0 0	38	076	114	152	191	229	267	305	343
213 214					106 103					$\frac{239}{231}$	262 263			$064 \\ 063$					225 223		
215	0 0	27	055	082	110	137	165	192	220	247	264	0)39	078	117	156			274		
216 217					$\begin{array}{c} 101 \\ 093 \end{array}$					228	265 266			$\begin{array}{c} 063 \\ 075 \end{array}$					222		
218					096					218	267			076					264 266		
*219	00	3	06	09	13	15	18	21	24	27	268			062					218		
220	00	30	060	090	120	150	180	210	241	271	269 270			$\begin{array}{c} 064 \\ 066 \end{array}$			161		226 233		
221 222					$\begin{array}{c} 125 \\ 134 \end{array}$					303	271	0 0)32	065	098	131	3				295
223	0 0	36	073	110	147	184	221	258	295	332	272			077							348
224 225					$\begin{array}{c} 159 \\ 154 \end{array}$						273 274						188 183				
226	0 0	36	072	108	145	181	217	254	290	326	275	00	37	074	111	148	185	222	269	296	334
227					$\frac{132}{191}$					1-	276 277	000	31	063	094	126	158 182	189	221	253	284
228 229					$\begin{array}{c} 121 \\ 130 \end{array}$					272	278	00	34	068	103	137	171	206	240	275	309
230	0 0	37	074	112	149	186	224	261	299	336	279	00)33	067	101	135	169	203	236	270	304
231					135 158						280 281	0 0	33	067	100	134	191 167	201	234	268	302
233	00	37	074	111	149	186	223	260	598	335	282 283	0 0	35	071	106	142	178	213	249	284	320
234 235					130 144	163	$\frac{195}{216}$	228	$\begin{array}{c} 260 \\ 288 \end{array}$	293	284		_		-		180				-
236					121		-			373	285	0 0	34	069]	103	138	162 173	207	242	277	311
237	00	34	068	102	136	170	204	238	272	306	286 287	00	36	073	109	146	182	219	256	292	329
238	000	$\frac{31}{30}$	$\begin{array}{c} 062 \\ 061 \end{array}$	$093 \\ 092$	$\begin{array}{c} 124 \\ 123 \end{array}$					279 278	288						178 187				
240	1				158					356	289	0.0	35	070	106	141	1.76	212	247	282	318
241	0.0	35	071	107	143	179	315	251	287	323	290 291	0 0)33)34	$\frac{066}{068}$	$\frac{100}{102}$	133 136	$\begin{array}{c} 167 \\ 171 \end{array}$	200	233	267	300
242 243	00	39	077	117	$\begin{array}{c} 155 \\ 156 \end{array}$	194				350 351				08		-	20				$\frac{300}{36}$

SIMPLE INTEREST FOR DAYS AT 5 PER CENT. 365 DAYS TO THE YEAR.

Days.	0	1	2	3	4	5	6	7	8	9	Days	0	1	1 9	2 3	3 4	1 5	6	7	' 8	9	TI
30	311	341	294	331	349	338	336	${324}$	335	342	35	320	34	0 33	- 34 38	53 3	27 29	8 34	5 31	$\frac{-}{5}31$	$\frac{1}{6 33}$	7
						330 322					36	329	32	1 31	13 30	29	07 36	35				REF
33	323	362	318	355	360	314	308	356	299	350												H.
34	$\frac{359}{}$	347	326	296	348	306	303	$361_{ }$	346	339				-			_ [
REE	r. C	1	2	3	4	5	6	7	8	9	R	EF.	0	1_	2	3	4	5	6	7	8	9
293 294	_	040							321			41				123					329	
298	5 ($041 \\ 043$					262	308	349	393		42 43				$\frac{126}{129}$	$\frac{169}{173}$				$\begin{array}{c} 338 \\ 346 \end{array}$	
296		046	7		1		1		375			44				128		214	257	300	343	385
29°2		$0.049 \\ 0.048$							398 389			45 46				$\begin{array}{c} 146 \\ 143 \end{array}$					$\frac{390}{381}$	
299 300		046							370			47				140		233	280	326	373	420
301		$043 \\ 040$				-			$\frac{344}{322}$			48 49				$\frac{141}{191}$					$\frac{376}{333}$]
302	2 (042							341			50				$\frac{124}{139}$	185	232	278	325	371	417
303 304		047							$\frac{379}{351}$			51 52				133 131					$\frac{355}{350}$	
305		049							397			53					193				386	
306		0.047							$\begin{vmatrix} 378 \\ 340 \end{vmatrix}$			54 55					174				$\frac{348}{364}$	
308		046							2368			56				$\begin{array}{c} 136 \\ 138 \end{array}$					369	
309		040							323			57					169				339	1
310		$044 \\ 041$							3352			58 59				$\frac{133}{139}$	178 186	$\begin{vmatrix} 223 \\ 232 \end{vmatrix}$			$\frac{357}{372}$	
312		040	1						327			60						228				
313 314		$049 \\ 045$							$\frac{ 396}{367}$			61 62				$\begin{array}{c} 142 \\ 136 \end{array}$					$\frac{380}{362}$	
315		048				244	293	342	391	440	3	63	0	043	086	130	173	217	260	303	347	390
316	1-	049						-	392			64				-	$\frac{176}{20}$				$\frac{353}{40}$	
317		$ 040 \ 045$							$324 \\ 363$		-3	65	0		$\frac{10}{2}$	$\frac{15}{2}$	20		$\frac{30}{e}$	35 7	40	45
319		044	089	134	179	223	268	313	358	403	17	Tar a no	0	1	2	3	4	5	6		8 1775 C	9
320 321		$ 047 \ 049$	1						383 $ 395$		for	317	lays	at	5 per	r cen	t.					89.37
322	3 (044	089	133	178	222	267	311	356	400	jun	ction	, 3€	3 a	s Re	ferer	ice.	And	this	363	guid	t the
323 324		$045 \\ 042$							361 336		star	ice) g	givi	ng`tl	he m							is in- acted
325						203			-		0		is	line	of .							\$.217
326	3	$046 \\ 048$	093	140	187	234	281	327	374 387	421												h fig- that
327 328						224																
329		049	098	147	197	246	295	345	394	443							nd so					Ref.
330 331		043				$\begin{vmatrix} 215 \\ 207 \end{vmatrix}$			$ 345 \ 332$								prin- de to				9.37 $9.\overline{8}63$	(363)
332						225	270	315	360	405	agr	ee, b	y	com	men	cing	each			3,03	9.726 7.123	7
333 334		040				$204 \\ 241$			$\frac{326}{385}$		the	righ	t o	fits			ce to			08	$8.684 \\ 3.473$	
338	5 (042	084	126	168	210	253	295	337	379	mu.	ltipli	can	A.						ė	.390	9
336		041		Į.	}				335												$\frac{13}{3}$	3
337 338		$0049 \\ 041$				208	250	292	393 334	376	N	Inte	rest	317	day	s at	5 per	cent.	\$2	0,639).275 per	cent.
339	9 (047				239 240	286	334	1382	430	add	1; 1	or	41 1								the the
340			2	3	4	$\frac{240}{5}$	6	17	8	9	I		(as	es, t								that
	-	1	1		_	, ,			1		OI	oou da	ays	to t	ne ye	ar, a	$dd \frac{1}{7}$	par	101	пе п	teres	,00,

THE AMOUNT OF \$1 AT THE END OF ANY NUMBER OF YEARS.

	1	l		0.1	4	41	202
Years.	2 Per Cent.	$2\frac{1}{2}$ Per Cent.	3 Per Cent.	3½ Per Cent.	4 Per Cent.	Per Cent.	Years.
1	1.02000000	1.02500000	1.03000000	1.03500000	1.04000000	1.04500000	1
2	1.04040000	1.05062500	1.06090000	1.07122500	1.08160000	1.09202500	2
3	1.06120800	1.07689063	1.09272700	1.10871787	1.12486400	1.14116613	3
4	1.08243216	1.10381289	1.12550881	1.14752300	1.16985856	1.19251860	4
5	1.10408080	1.13140821	1.15927407	1.18768631	1.21665290	1.24618194	5
6 7 8 9 10	1.12616242 1.14868567 1.17165938 1.19509257 1.21899442	1.15969342 1.18868575 1.21840290 1.24886297 1.28008454	1.19405230 1.22987387 1.26677008 1.30477318 1.34391638		1.26531902 1.31593178 1.36856905 1.42331181 1.48024428		6 7 8 9 10
11	1.24337431	1.31208666	1.38423387 1.42576089 1.46853371 1.51258972 1.55796742	1.45996972	1.53945406	1.62285305	11
12	1.26824179	1.3448882		1.51106866	1.60103222	1.69588143	12
13	1.29360663	1.37851104		1.56395606	1.66507351	1.77219610	13
14	1.31947876	1.41297382		1.61869452	1.73167645	1.85194492	14
15	1.34586834	1.44829817		1.67534883	1.80094351	1.93528244	15
16	1.37278571	1.48450562	1.60470644	1.73398604	1.87298125	2.02237015	16
17	1.40024142	1.52161826	1.65284763	1.79467555	1.94790050	2.11337681	17
18	1.42824625	1.55965872	1.70243306	1.85748920	2.02581652	2.20847877	18
19	1.45681117	1.59865019	1.75350605	1.92250132	2.10684918	2.30786031	19
20	1.48594740	1.63861644	1.80611123	1.98978886	2.19112314	2.41171402	20
21 22 23 24 25	1.51566634 1.54597967 1.57689926 1.60843725 1.64060599	1.67958185 1.72157140 1.76461068 1.80872595 1.85394410	$\begin{array}{c} 1.86029457 \\ 1.91610341 \\ 1.97358651 \\ 2.03279411 \\ 2.09377793 \end{array}$	2.05943147 2.13151158 2.20611448 2.28332849 2.36324498	2.27876807 2.36991879 2.46471554 2.56330416 2.66583633	2.52024116 2.63365201 2.75216635 2.87601383 3.00543446	21 22 23 24 25
26	1.67341811 1.70688648 1.74102421 1.77584469 1.81136158	1.90029270	2.15659127	2.44595856	2.77246978	3.14067901	26
27		1.94780002	2.22128901	2.53156711	2.88336858	3.28200956	27
28		1.99649502	2.28792768	2.62017196	2.99870332	3.42969999	28
29		2.04640739	2.35656551	2.71187798	3.11865145	3.58403649	29
30		2.09756758	2.42726247	2.80679370	3.24339751	3.74531813	30
31 32 33 34 35	$\begin{array}{c} 1.84758882 \\ 1.88454059 \\ 1.92223140 \\ 1.96067603 \\ 1.99988955 \end{array}$	2.15000677 2.20375694 2.25885086 2.31532213 2.37320519	2.50008035 2.57508276 2.65233524 2.73190530 2.81386245	2.90503148 3.00670759 3.11194235 3.22086033 3.33359045	3.37313341 3.50805875 3.64838110 3.79431634 3.94608899	$egin{array}{l} 3.91385745 \\ 4.08998104 \\ 4.27403018 \\ 4.46636154 \\ 4.66734781 \\ \hline \end{array}$	31 32 33 34 35
36 37 38 39 40	2.03988734 2.08068509 2.12229879 2.16474477 2.20803966	2.43253532 2.49334870 2.55568243 2.61957448 2.68506384	2.89827833 2.98522668 3.07478348 3.16702698 3.26203779	$egin{array}{l} 3.45026611 \ 3.57102542 \ 3.69601131 \ 3.82537171 \ 3.95925972 \ \end{array}$	$\begin{array}{c} 4.10393255 \\ 4.26808986 \\ 4.43881345 \\ 4.61636599 \\ 4.80102063 \end{array}$	4.87737846 5.09686049 5.32621921 5.56589908 5.81636454	36 37 38 39 40
41	2.25220046	2.75219043	3.35989893	4.09783381	4.99306145	6.07810094	41
42	2.29724447	2.82099520	3.46069589	4.24125799	5.19278391	6.35161548	42
43	2.34318936	2.89152008	3.56451677	4.38970202	5.40049527	6.63743818	43
44	2.39005314	2.96380808	3.67145227	4.54334160	5.61651508	6.93612290	44
45	2.43785421	3.03790328	3.78159584	4.70235855	5.84117568	7.24824843	45
46	2.48661129	3.11385086	3.89504372	4.86694110	6.07482271	7.57441961	46
47	2.53634352	3.19169713	4.01189503	5.03728404	6.31781562	7.91526849	47
48	2.58707039	3.27148956	4.13225188	5.21358898	6.57052824	8.27145557	48
49	2.63881179	3.35327680	4.25621944	5.39606459	6.83334937	8.64367107	49
50	2.69158803	3.43710872	4.38390602	5.58492686	7.10668335	9.03263627	50

THE AMOUNT OF \$1 AT THE END OF ANY NUMBER OF YEARS.

gž.	5	6	7	8	9	10	ยูวั
Years,	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Years.
1	1.05000000	1.06000000	1.07000000	1.08000000	1.09000000	1.10000000	1
2	1.10250000	1.12360000	1.14490000	1.16640000	1.18810000	1.21000000	2
3	1.15762500	1.19101600	1.22504300	1.25971200	1.29502900	1.33100000	3
4	1.21550625	1.26247696	1.31079601	1.36048896	1.41158161	1.46410000	4
5	1.27628156	1.33822558	1.40255173	1.46932808	1.53862395	1.61051000	5
6	1.34009564	1.41851911	1.50073035	1.58687432	1.67710011	1.77156100	6
7	1.40710042	1.50363026	1.60578148	1.71382427	1.82803912	1.94871710	7
8	1.47745544	1.59384807	1.71818618	1.85093021	1.99256264	2.14358881	8
9	1.55132822	1.68947896	1.83845921	1.99900463	2.17189328	2.35794769	9
10	1.62889463	1.79084770	1.96715136	2.15892500	2.36736367	2.59374246	10
11	1.71033936	1.89829856	2.10485195	2.33163900	2.58042641	2.85311671	11
12	1.79585633	2.01219647	2.25219159	2.51817012	2.81266478	3.13842838	12
13	1.88564914	2.13292826	2.40984500	2.71962373	3.06580461	3.45227121 3.79749834	13
14	1.97993160	2.26090396	2.57853415	2.93719362 3.17216911	3.34172703 3.64248246	4.17724817	14 15
15	2.07892818	2.39655819	2.75903154				
16	2.18287459	2.54035168	2.95216375	3.42594264	3.97030588	4.59497299	16
17	2.29201832	2.69277279	3.15881521	3.70001805 3.99601950	4.32763341 4.71712042	5.05447028 5.55991731	17
18	2.40661923 2.52695020	2.85433915 3.02559950	3.37993228 3.61652753	4.31570106	5.14166125	6.11590904	19
20	2.65329771	3.20713547	3.86968446	4.66095714	5.60441077	6.72749995	20
					6.10880774	7.40024994	21
21	2.78596259 2.92526072	$\begin{bmatrix} 3.39956360 \\ 3.60353742 \end{bmatrix}$	4.14056237 4.43040174	5.03383372 5.43654041	6.65860043	8.14027494	22
22 23	$\frac{2.92526072}{3.07152376}$	3.81974966	4.74052986	5.87146365	7.25787447	8.95430243	
24	3.22509994	4.04893464	5.07236695	6.34118074	7.91108317	9.84973268	24
25	3.38635494	4.29187072	5.42743264	6.84847520	8.62308066	10.83470594	25
26	3.55567269	4.54938296	5.80735292	7.39635321	9.39915792	11.91817654	26
27	3.73345632	4.82234594	6.21386763		10.24508213		27
28	3.92012914	5.11168670	6.64883836		11.16713952		28
29	4.11613560	5.41838790	7.11425705		12.17218208		
30	4.32194238	5.74349117	7.61225504	10.06265689	13.26767847	17.44940227	30
31	4.53803949	6.08810064	8.14511290	10.86766944	14.46176953	19.19434250	31
32	4.76494147	6.45338668	8.71527080		15.76332879		
33	5.00318854	6.84058988	9.32533975		17.18202838		
34	5.25334797	7.25102528	9.97811354		18.72841093		
35	5.51601537		10.67658148		20.41396792	1	
36	5.79181614	8.14725200	11.42394219	15.96817184	22.25122503	30.91268053	
37	6.08140694	8.63608712	12.22361814		24. 25383528		
38	6.38547729	9.15425235	13.07927141	18.62527563	26. 43668046	37.40434344 41.14477779	
39	6.70475115	9.70350749	11.09145794	20.11529768 21.72452150	31 40942005	45.25925557	
40					1		
41	7.39198815	10.90286101	16.02266989	23.46248322	34.23626786	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	
42	7.76158756	11.55703267	17.14425678	25.33948187	10 67610081		
43	8.14966693	12.25045463	10.63945050	27.36664042 29.55597166	44 33695973		
44	8 98500779	13 76461092	21 00245176	31.92044939	48.32728610		
46	9.43435818	14.59048748	22.47262338	34.47408534	57 41761969		
47	9.90597109	$\begin{bmatrix} 15.46591673 \\ 16.39387173 \end{bmatrix}$	24.04070702	37.23201217 40.21057314	62.58523700		
49	10 92133313	17 37750403	27 52992997	43,42741899	68.21790833	106.71895716	49
50	11.46739979	18.42015427	29.45702506	46.90161251	74.35752008	117.39085288	50
00	11.10100010	10.1010121	70.10,07000				-

THE AMOUNT OF \$1 AT THE END OF ANY NUMBER OF YEARS.

, o	0	01	3	91	4	41	
Years.	Per Cent.	2½ Per Cent.	Per Cent.	3½ Per Cent.	4 Per Cent.	4½ Per Cent.	Years.
51	2.74541979	3.52303644	4.51542320	5.78039930	7.39095068	9.43910490	51
52	2.80032819	3.61111235	4.65088590	5.98271327	7.68658871		52
53	2.85633475	3.70139016	4.79041247	6.19210823		10.30773853	53
54	2.91346144	3.79392491	4.93412485	6.40883202		10.77158677	54
55	2.97173067	3.88877303	5.08214859	6.63314114	8.64636692	11.25630817	55
56	3.03116529	3.98599236	5.23461305	6.86530108	8.99222160	11.76284204	56
57	3.09178859	4.08564217	5.39165144	7.10558662	9.35191046	12.29216993	57
58	3.15362436	4.18778322	5.55340098	7.35428215	9.72598688	12.84531758	58
59	3.21669685	4.29247780	5.72000301			13.42335687	59
60	3.28103079	4.39978975	5.89160310	7.87809090	10.51962741	14.02740793	60
61	3.34665140	4.50978449	6.06835120	8.15382408	10.94041250	14.65864129	61
62	3.41358443	4.62252910	6.25040173			15.31828014	62
63	3.48185612	4.73809233	6.43791378			16.00760275	63
64	3.55149324	4.85654464	6.63105120			16.72794487	64
65	3.62252311	4.97795826	6.82998273	9.35670068	12.79873522	17.48070239	65
66	3.69497357	5.10240721	7.03488222	1		18.26733400	66
67	3.76887304	5.22996739	7.24592868			19.08936403	67
68	3.84425050	5.36071658	7.46330654			19.94838541	68
69	3.92113551	5.49473449	7.68720574			20.84606276	69
70	3.99955822	5.63210286	7.91782191			21.78413558	70
71	4.07954939	5.77290543	8.15535657	11 50177414	10 104 10200	22.76442168	71
72	4.16114038	5.91722806	8.40001727			23.78882066	72
73	4.24436318	6.06515876				24.85931759	73
74	4.32925045	6.21678773	8.91157832			25.97798688	74
75	4.41583546	6.37220743				27.14699629	75
76	4.50415216		9.45429344	{			76
77	4.59423521	6.53151261 6.69480043	9.73792224			28.36861112 29.64519862	77
78	4.68611991		10.03005991			30.97923256	78
79	4.77984231		10.33096170	15 14564013	29 16396833	32.37329802	79
80	4.87543916		10.64089056	15.67573754	23.04979907	33.83009643	80
81 82	4.97294794		10.96011727	16.22438835			81
83	5.07240690 5.17385504		11.28892079	16.79224194		36.94331106	82
84	5.27733214			17.98826938			83 84
85	5.38287878		12.33570855			42.15845513	85
86	5.49053636		12.70577981			44.05558561	86
88	5.60034708		13.08695320 13.47956180			46.03808696	87
89	5.82660110			20.64195285			88
90	5.94313313	9 22885633	14 30046711	21.36442120 22.11217594	21 11022224	59 52810520	89 90
91	6.06199579			22.88610210			91
92	6.18323570			23.68711567			92
93 94	6.30690042 6.43303843			24.51616472			93
95				25.37423049		$\frac{62.65147529}{65.47079168}$	94 95
96	6.69293318	10.70264395	17.07550559	27.18151005	43.17184137	68.41697730	96
97	6.82679184	10.97021004	17.58777076	28.13286291	44.89871503	71.49574128	97
98	0.96532768	11.24446530	18.11540388	29.11751311	46.69466363	74.71304964	98
100	7.10209423	11.02007693	10.00886600	30.13062607	48.50245017	78.07513687	99
100	1.24404013	11.81371635	19.21863198	31.19140798	00.00494818	81.58851803	100

THE AMOUNT OF \$1 AT THE END OF ANY NUMBER OF YEARS.

02 H	5	6	7	' 8	10	20.
Years.	Per Cent.	Per Cent.	Per Cent.	Per Cent	Per Cent.	Years.
51	12.04076978	19.52536353	31.51901682	50.65374151	129.12993817	51
52		20.69688534	33.72534799	54.70604083	142.04293198	52
53	13.27494868	21.93869846	36.08612235	59.08252410	156.24722518	53
54		23.25502037	38.61215092	63.80912603	171.87194770	54
55	14.63563092	24.65032159	41.31500148	68.91385611	189.05914247	55
56	15.36741246	26.12934089	44.20705159	74.42696460	207.96505672	56
57	16.13578309	27.69710134	47.30154520	80.38112177	228.76156239	57
58	16.94257224	29.35892742	50.61265336	86.81161151	251.63771863	58
59	17.78970085	31.12046307	54.15553910	93.75654043	276.80149049	59
60	18.67918589	32.98769085	57.94642683	101.25706367	304.48163954	60
61	19.61314519	34.96695230	62.00267671	109.35762876	334.92980350	61
62	20.59380245	37.06496944	66.34286408	118.10623906	368.42278385	62
63	21.62349257	39.28886761	70.98686457	127.55473819	405.26506223	63
64	22.70466720	41.64619966	75.95594509	137.75911724	445.79156845	64
65	23.83990056	44.14497164	81.27286124	148.77984662	490.37072530	65
66	25.03189559	46.79366994	86.96196153	160.68223435	539.40779783	66
67	26.28349037	49.60129014	93.04929884	173.53681310	593.34857761	67
68	27.59766488	52.57736755	99.56274976	187.41975814	652.68343537	68
69	28.97754813		106.53214224	202.41333880	717.95177891	69
70	30.42642554		113.98939220	218.60640590	789.74695680	70
71	31.94774681		121.96864965	236.09491837	868.72165248	71
72	33.54513415		130.50645513	254.98251184	955.59381773	72
73	35.22239086		139.64190699	275.38111279	1,051.15319950	73
74	36.98351040		149.41684047	$\begin{array}{c} 297.41160181 \\ 321.20452996 \end{array}$	1,156,26851945	74
75	38.83268592		159.87601931		1,271.89537140	75
76	40.77432022		171.06734066	346.90089235	1,399.08490853	76
77	42.81303623		183.04205450	374.65296374	1,538,99339939	77
78	44.95368804		195.85499832	404.62520084	1,692.89273933	78
79 80	47.20137244 49.56144107	99.80754102 105.79599348	209.56484820	436.99521691 471.95483426	1,862.18201326 2,048.40021459	79 80
			1			
81	52.03951312	112.14375309	239.93079471	509.71122100	2,253.24023604	81
82	54.64148878	118.87237827	256.72595034	550.48811868	2,478.56425965	82
83		126.00472097		594.52716818 642.08934163	2,726.42068561 2,999.06275418	83 84
84 85	00.242241381	133.56500423 141.57890448	211 50039838	693.45648896	3,298,96902959	85
		1				
86		150.07363875		748.93300808	3,628.86593255	86
87		59.07805708		808.84764873 873.55546062	3,991.75252581 4,390.92777839	87 88
88		68.62274050 78.74010493		943.43989747	4,830.02055623	89
90		178.74010493 - 189.46451123 -		1,018.91508927	5,313.02261185	90
					· '	91
91		200.83238190		1,100.42829641 1,188.46256013	5,844.32487303 6,428.75736034	92
92		212.882324815225.655264305		1,283.53956494	7,071.63309637	93
94		239.19458016		1,386.22273013	7,778.79640601	94
95	103.03467645			1,497.12054854	8,556.67604661	95
				1,616.89019242	9,412.34365127	96
96	108.18641027 2 113.59573078 3	208.75903027	201.97000019	1,746.24140782	/	97
98	119.27551732	204,0040,208 201_07/04641	757 89704390	1,885.94072044		98
99	125.23929319	320.09630519 <i>x</i>	810.94983697	2,036.81597808		99
100	131.50125785			2,199.76125632		100
	151.501.5500	33,30,40001				

THE PRESENT VALUE OF \$1 DUE AT THE END OF ANY NUMBER OF YEARS.

	1		1	T			
Years.	Per Cent.	2½ Per Cent.	3 Per Cent.	3½ Per Cent.	4 Per Cent.	$rac{4rac{1}{2}}{ ext{Per Cent.}}$	Years.
1	.98039216	.97560976	.97087379	.96618357	.96153846	.95693780	1
2	.96116878	.95181440	.94259591	.93351070	.92455621	.91572995	2
3	.94232233	.92859941	.91514166	.90194270	.88899636	.87629660	3
4	.92384543	.90595064	.88848705	.87144223	.85480419	.83856134	4
5	.90573081	.88385429	.86260878	.84197317	.82192711	.80245105	5
6	.88797138	.86229687	.83748426	.81350064	.79031453	.76789574	6
7	.87056018	.84126524	.81309151	.78599096	.75991781	.73482846	7
8	.85349037	.82074657	.78940923	.75941155	.73069020	.70318513	8
9	.83675527	.80072836	.76641673	.73373097	.70258674	.67290443	9
10	.82034830	.78119840	.74409391	.70891881	.67556417	.64392768	10
11	.80426304	.76214478	.72242127	.68494571	.64958093	.61619874	11
12	.78849318	.74355589	.70137988	.66178330	.62459705	.58966386	12
13	.77303253	.72542038	.68095134	.63940415	.60057409	.56427164	13
14	.75787502	.70772720	.66111781	.61778179	.57747508	.53997286	14
15	.74301473	.69046556	.64186195	.59689062	.55526450	.51672044	15
16	.72844581	.67362493	$\begin{array}{c} .62316694 \\ .60501645 \\ .58739461 \\ .57028603 \\ .55367576 \end{array}$.57670591	.53390818	.49446932	16
17	.71416256	.65719506		.55720378	.51337325	.47317639	17
18	.70015937	.64116591		.53836114	.49362812	.45280037	18
19	.68643076	.62552772		.52015569	.47464242	.43330179	19
20	.67297133	.61027094		.50256588	.45638695	.41464286	20
21 22 23 24 25	$\begin{array}{c} .65977582 \\ .64683904 \\ .63415592 \\ .62172149 \\ .60953087 \end{array}$	$\begin{array}{c} .59538629 \\ .58086467 \\ .56669724 \\ .55287535 \\ .53939059 \end{array}$	$\begin{array}{c} .53754928 \\ .52189250 \\ .50669175 \\ .49193374 \\ .47760557 \end{array}$.48557090 .46915063 .45328563 .43795713 -42314699	.43883360 .42195539 .40572633 .39012147 .37511680	.39678743 .37970089 .36335013 .34770347 .33273060	21 22 23 24 25
26	.59757928	.52623472	.46369473	.40883767	.36068923	.31840248	26
27	.58586204	.51339973	.45018906	.39501224	.34681657	.30469137	27
28	.57437455	.50087778	.43707675	.38165434	.33347747	.29157069	28
29	.56311231	.48866125	.42434636	.36874816	.32065141	.27901502	29
30	.55207089	.47674269	.41198676	.35627841	.30831867	.26700002	30
31	.54124597	$\begin{array}{c} .46511481 \\ .45377055 \\ .44270298 \\ .43190534 \\ .42137107 \end{array}$.39998715	.34423035	.29646026	.25550241	31
32	.53063330		.38833703	.33258971	.28505794	.24449991	32
33	.52022873		.37702625	.32134271	.27409417	.23397121	33
34	.51002817		.36604490	.31047605	.26355209	.22389589	34
35	.50002761		.35538340	.29997686	.25341547	.21425444	35
36	.49022315	.41109372	.34503243	.28983272	.24366872	$\begin{array}{c} .20502817 \\ .19619921 \\ .18775044 \\ .17966549 \\ .17192870 \end{array}$	36
37	.48061093	.40106705	.33498294	.28003161	.23429685		37
38	.47118719	.39128492	.32522615	.27056194	.22528543		38
39	.46194822	.38174139	.31575355	.26141251	.21662061		39
40	.45289042	.37243062	.30655684	.25257247	.20828904		40
41 42 43 44 45	.44401021 .43530413 .42676875 .41840074 .41019680	.36334695 .35448483 .34583886 .33740376 .32917440	.29762800 .28895922 .28054294 .27237178 .26443862	.24403137 .23577910 .22780590 .22010232 .21265924	$.20027793 \\ .19257493 \\ .18516820 \\ .17804635 \\ .17119841$	$\begin{array}{c} .16452507 \\ .15744026 \\ .15066054 \\ .14417276 \\ .13796437 \end{array}$	41 42 43 44 45
46 47 48 49 50	.40215373 .39426836 .38653761 .37895844 .37152788	.32114576 .31331294 .30567116 .29821576 .29094221	.25673653 .24925876 .24199880 .23495029 .22810708	.20546787 .19851968 .19180645 .18532024 .17905338	$\begin{array}{c} .16461386 \\ .15828256 \\ .15219476 \\ .14634112 \\ .14071261 \end{array}$	$\begin{array}{c} .13202332 \\ .12633810 \\ .12089771 \\ .11569158 \\ .11070965 \end{array}$	46 47 48 49 50

FORMULA, Present Value $=\frac{1}{(1+i)^n}=v^n$.

THE PRESENT VALUE OF \$1 DUE AT THE END OF ANY NUMBER OF YEARS.

zo.	5	6	7	8	9	10	1 00
Years.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Years.
1	.95238095	.94339623	.93457944	.92592593	.91743119	.90909091	1
2	.90702948	.88999644	.87343873	.85733882	.84167999	.82644628	2
3	.86383760	.83961928	.81629788	.79383224	.77218348	.75131480	3
5	.82270247	.79209366	.76289521	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$.70842521	$\begin{array}{c} .68301346 \\ .62092132 \end{array}$	5
	.78352617	.74725817	.71298618				1
6	.74621540	.70496054	.66634222	.63016963	.59626733	.56447393	6
7	.71068133	.66505711	.62274974	.58349040	.54703424	.51315812	8
8 9	$\begin{array}{c} .67683936 \\ .64460892 \end{array}$.62741237 $.59189846$.58200910	54026888 50024897	.50186628	.42409762	9
10	.61391325	.55839478	.50834929	.46319349	.42241081	.38554329	10
11	.58467929	.52678752	.47509280	.42888286	.38753285	.35049390	11
12	.55683742	.49696936	.44401196	.39711376	.35553473	.31863082	12
13	.53032135	.46883902	.41496445	.36769792	.32617865	.28966438	13
14	.50506795	.44230096	.38781724	.34046104	.29924647	.26333125	14
15	.48101710	.41726506	.36244602	.31524171	.27453804	.23939205	15
16	.45811152	.39364628	.33873460	.29189047	.25186976	.21762914	16
17	.43629669	.37136442	.31657439	.27026895	.23107318	.19784467	17
18	.41552065	.35034379	.29586392	.25024903	.21199374	.17985879	18
19	.39573396	.33051301	.27650833	$\begin{array}{c c} .23171206 \\ .21454821 \end{array}$.19448967	.16350799 $.14864363$	19 20
20	.37688948	.31180473	.25841900				
21	.35894236	.29415540	.24151309	.19865575	.16369806	.13513057	21
22	.34184987	.27750510	.22571317 $.21094688$.18394051	.15018171	.12284597	22 23
23 24	.32557130 $.31006791$.26179726 $.24697855$.21094688 $.19714662$.15769934	.12640494	.10152560	24
25	.29530277	.23299863	.18424918	.14601790	.11596784	.09229600	25
26	.28124073	.21981003	.17219549	.13520176	.10639251	.08390545	26
27	.26784832	.20736795	.16093037	.12518682	.09760781	.07627768	27
28	.25509364	.19563014	.15040221	.11591372	.08954845	.06934335	28
29	.24294632	.18455674	.14056282	.10732752	.08215454	.06303941	29
30	.23137745	.17411013	.13136712	.09937733	.07537114	.05730855	30
31	.22035947	.16425484	.12277301	.09201605	.06914783	.05209868	31
32	.20986617	.15495740	.11474113	.08520005	.06343838	.04736244	32
33	.19987254	.14618622	.10723470	.07888893	.05820035	.04305676 $.03914251$	33 34
34	.19035480	.13791153	.10021934 $.09366294$	0.07304531 0.06763454	.05339481 $.04898607$.03558410	35
35	.18129028	.13010522					
36	.17265741	.12274077	.08753546	0.06262458 0.05798572	.04494135 $.04123059$.03234918 $.02940835$	36 37
37	.16443563	.11579318	.08180884 $.07645686$.05369048	.04125059 $.03782623$.02673486	38
39	.15660536 $.14914797$.10925555	.07145501	.04971341	.03470296	.02430442	39
40	.14204568	.09722219	.06678038	.04603093	.03183758	.02209493	40
41	.13528160	.09171904	.06241157	.04262123	.02920879	.02008630	41
42	.12883962	.08652740	.05832857	.03946411	.02679706	.01826027	42
43	.12270440	.08162962	.05451268	.03654084	.02458446	.01660025	43
44	.11686133	.07700908	.05094643	.03383411	.02255455	.01509113	44
45	.11129651	.07265007	.04761349	.03132788	.02069224	.01371921	45
46	.10599667	.06853781	.04449859	.02900730	.01898371	.01247201	46
47	.10094921	.06465831	.04158747	.02685861	.01741625	.01133819	47
48	.09614211	.06099840	.03886679	$0.02486908 \ 0.02302693$.01597821 $.01465891$	$.01030745 \\ .00937041$	49
49 50	.09156391 $.08720373$	0.05754566 0.05428836	.03632410	.02132123	.01344854	.00851855	50
50	.00120070	.00420000	.0000#110	.07107170	·OIOITEOI	.0001000	

THE PRESENT VALUE OF \$1 DUE AT THE END OF ANY NUMBER OF YEARS.

Years.	2 Per Cent.	2½ Per Cent.	3 Per Cent.	3½ Per Cent.	4 Per Cent.	$4\frac{1}{2}$ Per Cent.	Years.
51	.36424302	.28384606	.22146318	.17299843	.13530059	.10594225	51
52	.35710100	.27692298	.21501280	.16714824	.13009672	.10138014	52
53	.35009902	.27016876	.20875029	.16149589	.12509300	.09701449	53
54	.34323433	.26357928	.20267018	.15603467	.12028173	.09283683	54
55	.33650425	.25715052	.19676717	.15075814	.11565551	.08883907	55
56	.32990613	.25087855	.19103609	.14566004	.11120722	.08501347	56
57	.32343738	.24475956	.18547193	.14073433	.10693002	.08135260	57
58	.31709547	.23878982	.18006983	.13597520	.10281733	.07784938	58
59	.31087791	.23296568	.17482508	.13137701	.09886282	.07449701	59
60	.30478227	.22728359	.16973309	.12693431	.09506040	.07128901	60
61	.29880614	.22174009	.16478941	.12264184	.09140423	.06821915	61
62	.29294720	.21633179	.15998972	.11849453	.08788868	.06528148	62
63	.28720314	.21105541	.15532982	.11448747	.08450835	.06247032	63
64	.28157170	.20590771	.15080565	.11061591	.08125803	.05978021	64
65	.27605069	.20088557	.14641325	.10687528	.07813272	.05720594	65
66	.27063793	.19598593	.14214879	.10326114	.07512761	.05474253	66
67	.26533130	.19120578	.13800853	.09976922	.07223809	.05238519	67
68	.26012873	.18654223	.13398887	.09639538	.06945970	.05012937	68
69	.25502817	.18199241	.13008628	.09313563	.06678818	.04797069	69
70	.25002761	.17755358	.12629736	.08998612	.06421940	.04590497	70
71	.24512511	.17322300	.12261879	.08694311	.06174942	.04392820	71
72	.24031874	.16899805	.11904737	.08400300	.05937444	.04203655	72
73	.23560661	.16487615	.11557997	.08116232	.05709081	.04022637	73
74	.23098687	.16085478	.11221357	.07841770	.05489501	.03849413	74
75	.22645771	.15693149	.10894521	.07576590	.05278366	.03683649	75
76	.22201737	.15310389	.10577205	.07320376	.05075352	.03525023	76
77	.21766408	.14936965	.10269131	.07072827	.04880146	.03373228	77
78	.21339616	.14572649	.09970030	.06833650	.04692449	.03227969	78
79	.20921192	.14217218	.09679641	.06602560	.04511970	.03088965	79
80	.20510973	.13870457	.09397710	.06379285	.04338432	.02955948	80
81 82 83 84 85	.20108797 .19714507 .19327948 .18948968 .18577420	.13532153 .13202101 .12880098 .12565949 .12259463	.09123990 .08858243 .08600236 .08349743 .08106547	$\begin{array}{c} .06163561 \\ .05955131 \\ .05753750 \\ .05559179 \\ .05371187 \end{array}$	$ \begin{array}{c} .04171570 \\ .04011125 \\ .03856851 \\ .03708510 \\ .03565875 \end{array} $.02828658 .02706850 .02590287 .02478744 .02312003	81 82 83 84 85
86	.18213157	.11960452	.07870434	.05189553	.03428726	.02269860	86
87	.17856036	.11668733	.07641198	.05014061	.03296852	.02172115	87
88	.17505918	.11384130	.07418639	.04844503	.03170050	.02078579	88
89	.17162665	.11106468	.07202563	.04680679	.03048125	.01989070	89
90	.16826142	.10835579	.06992778	.04522395	.02930889	.01903417	90
91	.16496217	.10571296	.06789105	.04369464	.02818163	.01821451	91
92	.16172762	.10313460	.06591364	.04221705	.02709772	.01743016	92
93	.15855649	.10061912	.06399383	.04078942	.02605550	.01667958	93
94	.15544754	.09816500	.06212993	.03941006	.02505337	.01596132	94
95	.15239955	.09577073	.06032032	.03807736	.02408977	.01527399	95
96	.14941132	.09343486	.05856342	.03678972	.02316324	.01461626	96
97	.14648169	.09115596	.05685769	.03554562	.02227235	.01398685	97
98	.14360950	.08893264	.05520164	.03434359	.02141572	.01338454	98
99	.14079363	.08676355	.05359382	.03318222	.02059204	.01280817	99
100	.13803297	.08464737	.05203284	.03206011	.01980004	.01225663	100

THE PRESENT VALUE OF \$1 DUE AT THE END OF ANY NUMBER OF YEARS.

ŝ	5	6	7	8	9	10	ຫຼື
Years.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Years,
F1	00005418	0-101-11	0018/2/40/2		04.300044		
51	.08305117	.05121544	.03172688	.01974188	.01233811	.00774414	51
52	.07909635	.04831645	.02965129	.01827952	.01131937	.00704013	52
53	.07532986	.04558156	.02771148	.01692548	.01038474	.00640011	53
54	.07174272	.04300147	.02589858	.01567174	.00952728	.00581829	54
55	.06832640	.04056742	.02420428	.01451087	.00874063	.00528935	55
56	.06507276	.03827115	.02262083	.01343599	.00801892	.00480850	56
57	.06197406	.03610486	.02114096	.01244073	.00735681	.00437136	57
58	.05902291	.03406119	.01975791	.01151920	.00674937	.00397397	58
59	.05621230	.03213320	.01846533	.01066592	.00619208	.00361270	59
60	.05353552	.03031434	.01725732	.00987585	.00568081	.00328427	60
61	.05098621	.02859843	.01612834	.00914431	.00521175	.00298570	61
62	.04855830	.02697965	.01507321	.00846696	.00478142	.00238370	62
63	.04624600	.02545250	.01408711	.00783977	.00438663	.00246752	63
64	.04404381	.02401180	.01316553	.00725905	.00402443	.00224320	64
65	.04194648	.02265264	.01230423	.00672134	.00369214	.00203927	65
66	.03994903	.02137041	.01149928	.00622346	.00338728	.00185388	66
67	.03804670	.02016077	.01074699	.00576247	.00310760	.00168535	67
68	.03623495	.01901959	.01004392	.00533562	.00285101	.00153214	68
69	.03450948	.01794301	.00938684	.00494039	.00261560	.00139285	69
70	.03286617	.01692737	.00877275	.00457443	.00239963	.00126623	70
71	.03130111	.01596922	.00819883	.00423558	.00220150	.00115112	71
72	.02981058	.01506530	.00766246	.00392184	.00201972	.00104647	72
73	.02839103	.01421254	.00716117	.00363133	.00185296	.00095134	73
74	.02703908	.01340806	.00669269	.00336234	.00169996	.00086485	74
75	.02575150	.01264911	.00625485	.00311328	.00155960	.00078623	75
76	.02452524	.01193313	.00584565	.00288267	.00143082	.00071475	76
77	.02335737	.01125767	.00546323	.00266914	.00131268	.00064978	77
78	.02224511	.01062044	.00510582	.00247142	.00120430	.00059070	78
79	.02118582	.01001928	.00477179	.00228835	.00110486	.00053700	79
80	.02017697	.00945215	.00445962	.00211885	.00101363	.00048819	80
81	.01921617	.00891713	.00416787	.00196190	.00092994	.00044381	81
82	.01931617	.00841238	.00389520	.00181657	.00032334	.00044361	82
83	.01742963	.00793621	.00364038	.00168201	.00078271	.00036678	83
84	.01659965	.00793021	.00340222	.00155742	.00071808	.00033344	84
85	.01580919	.00706320	.00317965	.00133742	.00065879	.00030313	85
86	.01505637	.00666339	.00297163	.00133523	.00060440	.00027557	86
87	.01433940	.00628622	.00277723	.00123633	.00055449	.00025052	87
88	.01365657	.00593040	.00259554	.00114475	.00050871	.00022774	88
89	.01300626	.00559471	.00242574	.00105995	.00046670	.00020704	89
90	.01238691	.00527803	.00226704	.00098144	.00042817	.00018822	90
91	.01179706	.00497928	.00211873	.00090874	.00039282	.00017111	91
92	.01123529	.00469743	.00198012	.00084142	.00036038	.00015555	92
93	.01070028	.00443154	.00185058	.00077910	.00033063	.00014141	93
94	.01019074	.00418070	.00172952	.00072138	.00030333	.00012855	94
95	.00970547	.00394405	.00161637	.00066795	.00027828	.00011687	95
96	.00924330	.00372080	.00151063	.00061847	.00025530	.00010624	96
97	.00880315	.00312000	.00141180	.00057266	.00023422	.00009658	97
98	.00838395	.00331150	.00131944	.00053024	.00021488	.00008780	98
99	.00798471	.00312406	.00123312	.00049096	.00019714	.00007982	99
1.00	.00760449	.00294722	.00115245	.00045459	.00018086	.00007257	100
2.00	100,00110		.00110				

THE AMOUNT OF \$1 PER ANNUM AT THE END OF ANY NUMBER OF YEARS.

Years.	2 Per Cent.	2½ Per Cent.	3 Per Cent.	3½ Per Cent.	4 Per Cent.	$rac{4rac{1}{2}}{ ext{Per Cent.}}$	Years.
1 2 3 4 5	1.000000 2.020000 3.060400 4.121608 5.204040	1.000000 2.025000 3.075625 4.152516 5.256329	1.000000 2.030000 3.090900 4.183627 5.309136	1.000000 2.035000 3.106225 4.214943 5.362466	$\begin{array}{c} 1.000000 \\ 2.040000 \\ 3.121600 \\ 4.246464 \\ 5.416323 \end{array}$	$\begin{array}{c} 1.000000 \\ 2.045000 \\ 3.137025 \\ 4.278191 \\ 5.470710 \end{array}$	1 2 3 4 5
6 7 8 9 10	6.308121 7.434283 8.582969 9.754628 10.949721	6.387737 7.547430 8.736116 9.954519 11.203382	$\begin{array}{c} 6.468410 \\ 7.662462 \\ 8.892336 \\ 10.159106 \\ 11.463879 \end{array}$	6.550152 7.779408 9.051687 10.368496 11.731393	$\begin{array}{c} 6.632975 \\ 7.898294 \\ 9.214226 \\ 10.582795 \\ 12.006107 \end{array}$	6.716892 8.019152 9.380014 10.802114 12.288209	6 7 8 9 10
11	12.168715	12.483466	12.807796	13.141992	$\begin{array}{c} 13.486351 \\ 15.025805 \\ 16.626838 \\ 18.291911 \\ 20.023588 \end{array}$	13.841179	11
12	13.412090	13.795553	14.192030	14.601962		15.464032	12
13	14.680332	15.140442	15.617790	16.113030		17.159913	13
14	15.973938	16.518953	17.086324	17.676986		18.932109	14
15	17.293417	17.931927	18.598914	19.295681		20.784054	15
16 17 18 19 20	$\begin{array}{c} 18.639285 \\ 20.012071 \\ 21.412312 \\ 22.840559 \\ 24.297370 \end{array}$	19.380225 20.864730 22.386349 23.946007 25.544658	20.156881 21.761588 23.414435 25.116868 26.870374	$\begin{array}{c} 20.971030 \\ 22.705016 \\ 24.499691 \\ 26.357181 \\ 28.279682 \end{array}$	$\begin{array}{c} 21.824531 \\ 23.697512 \\ 25.645413 \\ 27.671229 \\ 29.778079 \end{array}$	22.719337 24.741707 26.855084 29.063562 31.371423	16 17 18 19 20
21	25.783317	27.183274	28.676486	30.269471	31.969202	33.783137	21
22	27.298984	28.862856	30.536780	32.328902	34.247970	36.303378	22
23	28.844963	30.584427	32.452884	34.460414	36.617889	38.937030	23
24	30.421862	32.349038	34.426470	36.666528	39.082604	41.689196	24
25	32.030300	34.157764	36.459264	38.949857	41.645908	44.565210	25
26	33.670906	36.011708	38.553042	41.313102	44.311745	47.570645	26
27	35.344324	37.912001	40.709634	43.759060	47.084214	50.711324	27
28	37.051210	39.859801	42.930923	46.290627	49.967583	53.993333	28
29	38.792235	41.856296	45.218850	48.910799	52.966286	57.423033	29
30	40.568079	43.902703	47.575416	51.622677	56.084938	61.007070	30
31	42.379441	46.000271	50.002678	54.429471	59.328335	64.752388	31
32	44.227030	48.150278	52.502759	57.334502	62.701469	68.666245	32
33	46.111570	50.354034	55.077841	60.341210	66.209527	72.756226	33
34	48.033802	52.612885	57.730177	63.453152	69.857909	77.030256	34
35	49.994478	54.928207	60.462082	66.674013	73.652225	81.496618	35
36	51.994367	57.301413	63.275944	70.007603	77.598314	86.163966	36
37	54.034255	59.733948	66.174223	73.457869	81.702246	91.041344	37
38	56.114940	62.227297	69.159449	77.028895	85.970336	96.138205	38
39	58.237238	64.782979	72.234233	80.724906	90.409150	101.464424	39
40	60.401983	67.402554	75.401260	84.550278	95.025516	107.030323	40
41	62.610023	70.087617	78.663298	88.509537	$\begin{array}{c} 99.826536 \\ 104.819598 \\ 110.012382 \\ 115.412877 \\ 121.029392 \end{array}$	112.846688	41
42	64.862223	72.839808	82.023196	92.607371		118.924789	42
43	67.159468	75.660803	85.483892	96.848629		125.276404	43
44	69.502657	78.552323	89.048409	101.238331		131.913842	44
45	71.892710	81.516131	92.719861	105.781673		138.849965	45
46	74.330564	84,554034	96.501457	110.484031	$\begin{array}{c} 126.870568 \\ 132.945390 \\ 139.263206 \\ 145.833734 \\ 152.667084 \end{array}$	146.098214	46
47	76.817176	87,667885	100.396501	115.350973		153.672633	47
48	79.353519	90,859582	104.408396	120.388257		161.587902	48
49	81.940590	94,131072	108.540648	125.601846		169.859357	49
50	84.579401	97,484349	112.796867	130.997910		178.503028	50

Formula, Amount = $\frac{(1+i)^n-1}{i} = 1 + (1+i) + \dots + (1+i)^{n-1}$.

THE AMOUNT OF \$1 PER ANNUM AT THE END OF ANY NUMBER OF YEARS.

ITS.	5	6	7	8	9	10	Years.
Years.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Yes
1	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1
2	2.050000	2.060000	2.070000	2.080000	2.090000	2.100000	2
3 4	3.152500 4.310125	$3.183600 \\ 4.374616$	$3.214900 \\ 4.439943$	3.246400 4.506112	$3.278100 \\ 4.573129$	$3.310000 \\ 4.641000$	3 4
5	$\frac{4.510125}{5.525631}$	5.637093	5.750739	5.866601	5.984711	6.105100	
i							
6 7	6.801913 8.142008	6.975319 8.393838	$7.153291 \\ 8.654021$	7.335929 8.922803	$7.523335 \\ 9.200435$	7.715610 9.487171	7
8	9.549109	9.897468	10.259803	10.636628	11.028474	11.435888	8
9	11.026564	11.491316	11.977989	12.487558	13.021036	13.579477	9
10	12.577893	13.180795	13.816448	14.486562	15.192930	15.937425	10
11	14.206787	14.971643	15.783599	16.645487	17.560293	18.531167	11
12	15.917127	16.869941	17.888451	18.977126	20.140720	21.384284	
13	17.712983	18.882138	20.140643	21.495297	22.953385	24.522712	
14	19.598632	21.015066	22.550488	24.214920	26.019189	27.974983	
15	21.578564	23.275970	25.129022	27.152114	29.360916	31.772482	
16	23.657492	25.672528	27.888054	30.324283	33.003399	35.949730	
17	25.840366	28.212880	30.840217	33.750226	36.973705	40.544703	
18	28.132385	30.905653	33.999033	37.450244 41.446263	41.301338 46.018458	$\begin{array}{ c c c c c }\hline 45.599173\\ 51.159090\\ \hline \end{array}$	
19	30.539004 33.065954	33.759992 36.785591	$\begin{vmatrix} 37.378965 \\ 40.995492 \end{vmatrix}$	45.761964	51.160120	57.274999	
1			44.865177	50.422921	56.764530	64.002499	
21	35.719252 38.505214	39.992727 43.392290	49.005739	55.456755	62.873338	71.402749	
22 23	41.430475	46.995828	53.436141	60.893296	69.531939	79.543024	
24	44.501999	50.815577	58.176671	66.764759	76.789813	88.497327	
25	47.727099	54.864512	63.249038	73.105940	84.700896	98.347059	25
26	51.113454	59.156383	68.676470	79.954415	93.323977	109.181765	26
27	54.669126	63.705766	74.483823	87.350768	102.723135	121.099942	
28	58.402583	68.528112	80.697691	95.338830	112.968217	134.209936	
29	62.322712	73.639798	87.346529	103.965936	124.135356	148.630930	
30	66.438848	79.058186	94.460786	113.283211	136.307539	164.494023	
31	70.760790	84.801677	102.073041	123.345868	149.575217	181.943425	
32	75.298829	90.889778	110.218154	134.213537	164.036987	201.137767 222.251544	
33	80.063771	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	$\frac{118.933425}{128.258765}$	$\begin{array}{c} 145.950620 \\ 158.626670 \end{array}$	179.800315 196.982344	245.476699	
34 35	85.066959 90.320307	111.434780	138.236878	172.316804	215.710755	271.024368	
		119.120867	148,913460	187.102148	236.124723	299.126805	
36	$\begin{array}{c} 95.836323 \\ 101.628139 \end{array}$	127.268119	160.337402	203.070320	258.375948	330.039486	
38	107.709546	135.904206	172.561020	220.315945	282.629783	364.043434	
39	114.095023	145.058458	185.640292	238.941221	309.066463	401.447778	39
40	120.799774	154.761966	199.635112	259.056519	337.882445	442.592556	40
41	127.839763	165.047684	214.609570	280.781040	369.291865	487.851811	41
42	135.231751	175.950545	230.632240	304.243523	403.528133	537.636992	
43	142.993339	187.507577	247.776496	329.583005	440.845665	592.400692	
44	151.143006	199.758032	266.120851	356.949646	481.521775	652.640761	44 45
45	159.700156	212.743514	285.749311	386.505617	525.858734		
46	168.685164	226.508125	306.751763	418.426067	574.186021	791.795321	
47	178.119422	241.098612	329.224386	452.900152 490.132164	626.862762 684.280411	871.974853 960.172338	
48	188.025393	256.564529 272.958401	353.270093 378.999000	530.342737		1057.189572	
49 50	198.426663 209.347996	272.958401	406.528929	573.770156		1163.908529	
30	200.041000	~00.000000	100.020000	010.110100	310.00000		

THE AMOUNT OF \$1 PER ANNUM AT THE END OF ANY NUMBER OF YEARS.

Years,	2 Per Cent.	2½ Per Cent.	3 Per Cent.	3½ Per Cent.	4 Per Cent.	4½ Per Cent.	Years.
51 52 53 54 55	87.270989 90.016409 92.816737 95.673072 98.586534	100.921458 104.444494 108.055606 111.756996 115.550921	117.180773 121.696197 126.347082 131.137495 136.071620	136.582837 142.363236 148.345950 154.538058 160.946890	174.851306 182.845359	187.535665 196.974769 206.838634 217.146373 227.917959	53 54
56 57 58 59 60	101.558264 104.589430 107.681218 110.834843 114.051539	119.439694 123.425687 127.511329 131.699112 135.991590	141.153768 146.388381 151.780033 157.333434 163.053437	167.580031 174.445332 181.550919 188.905201 196.516883	$\begin{array}{c} 208.797762 \\ 218.149672 \\ 227.875659 \end{array}$	$\begin{array}{c} 250.937110 \\ 263.229279 \end{array}$	57 58 59
61 62 63 64 65	117.332570 120.679222 124.092806 127.574662 131.126155	140.391380 144.901164 149.523693 154.261786 159.118330	168.945040 175.013391 181.263793 187.701707 194.332758	204.394974 212.548798 220.988006 229.722586 238.762876	248.510313 259.450725 270.828754 282.661904 294.968380	303.525362 318.184003 333.502283 349.509886 366.237831	
66 67 68 69 70	134.748679 138.443652 142.212525 146.056776 149.977911	164.096289 169.198696 174.428663 179.789380 185.284114	201.162741 208.197623 215.443551 222.906858 230.594064	248.119577 257.803762 267.826894 278.200835 288.937865	307.767116 321.077800 334.920912 349.317749 364.290459	383.718533 401.985867 421.075231 441.023617 461.869680	66 67 68 69 70
71 72 73 74 75	153.977469 158.057019 162.218159 166.462522 170.791773	190.916217 196.689123 202.606351 208.671509 214.888297	238.511886 246.667242 255.067259 263.719277 272.630856	$\begin{array}{c} 300.050690 \\ 311.552464 \\ 323.456800 \\ 335.777788 \\ 348.530011 \end{array}$	379.862077 396.056560 412.898823 430.414776 448.631367	483.653815 506.418237 530.207057 555.066375 581.044362	71 72 73 74 75
76 77 78 79 80	175.207608 179.711760 184.305996 188.992115 193.771958	221.260504 227.792017 234.486818 241.348988 248.382713	$\begin{array}{c} 281.809781 \\ 291.264075 \\ 301.001997 \\ 311.032057 \\ 321.363019 \end{array}$	361.728561 375.389061 389.527678 404.161147 419.306787	467.576621 487.279686 507.770873 529.081708 551.244977	608.191358 636.559969 666.205168 697.184400 729.557699	76 77 78 79 80
81 82 83 84 85	198.647397 203.620345 208.692752 213.866607 219.143939	255.592280 262.982087 270.556640 278.320556 286.278570	332.003909 342.964026 354.252947 365.880536 377.856952	434.982524 451.206913 467.999155 485.379125 503.367394	574.294776 598.266567 623.197230 649.125119 676.090123	763.387795 798.740246 835.683557 874.289317 914.632336	81 82 83 84 85
86 87 88 89 90	224.526818 230.017354 235.617701 241.330055 247.156656	294.435534 302.796422 311.366333 320.150491 329.154253	390.192660 402.898440 415.985393 429.464955 443.348904	521.985253 541.254737 561.198653 581.840606 603.205027	704.133728 733.299078 763.631041 795.176282 827.983334	1046.884464 1094.994265	86 87 88 89 90
91 92 93 94 95	253.099789 259.161785 265.345021 271.651921 278.084960	338.383110 347.842687 357.538755 367.477223 377.664154	457.649371 472.378852 487.550217 503.176724 519.272026	625.317203 648.203305 671.890421 696.406585 721.780816	862.102667 897.586774 934.490244 972.869854 1012.784648	1252.707387 1310.079219 1370.032784	91 92 93 94 95
96 97 98 99 100	284.646659 291.339592 298.166384 305.129712 312.232306	388.105758 398.808402 409.778612 421.023077 432.548654	535,850186 552,925692 570,513463 588,628867 607,287733	775.224654 803.357517 832.475030	1054.296034 1097.467876 1142.366591 1189.061254 1237.623705	1566.572028 1638.067770 1712.780819	96 97 98 99 100

THE AMOUNT OF \$1 PER ANNUM AT THE END OF ANY NUMBER OF YEARS.

-		1		1		
02	5	6	7	8	10	Years.
Years,	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	68
H	rer cent.	Ter Cent.	Ter cent.	rer cent.	Ter Cent.	×
-	2.12.2.2.2.2.2	000 440040			1001 000000	F 1
51	220.815396	308.756059	435.985955	620.671769	1281.299382	51
52	232.856165	328.281422	467.504971	671.325510	1410.429320	52
53	245.498974	348,978308	501.230319	726.031551	1552.472252	53
54	258.773922	370.917006	537.316442	785.114075	1708.719477	54
						55
55	272.712618	394.172027	575.928593	848.923201	1880.591425	99
56	287.348249	418.822348	617.243594	917.837058	2069.650567	56
				992.264022	2277.615624	57
57	302.715662	444.951689	661.450646			
58	318.851445	472.648790	708.752191	1072.645144	2506.377186	58
59	335.794017	502.007718	759.364844	1159.456755	2758.014905	59
60	353.583718	533.128181	813.520383	1253.213296	3034.816395	60
					0000 00000	01
61	372.262904	566.115872	871.466810	1354.470360	3339.298035	61
62	391.876049	601.082824	933.469487	1463.827988	3674.227838	62
63	412.469851	638.147793	999.812351	1581.934227	4042.650622	63
64	434.093344	677.436661	1070.799216	1709.488966	4447.915685	64
				1847.248083	4893.707253	65
65	456.798011	719.082861	1146.755161	1041.240000	4000.101200	00
66	480.637912	763.227832	1228.028022	1996.027929	5384.077978	66
	505.669807	810.021502		2156.710164	5923.485776	67
67			1314.989983		6516.834354	68
68	531.953298	859.622792	1408.039282	2330.246977		
69	559.550963	912.200160	1507.602032	2517.666735	7169.517789	69
70	588.528511	967.932170	1614.134174	2720.080074	7887.469568	70
	040 0 4000	10.34 000100	14120 100400	0000 000100	8677.216525	71
71	618.954936	.1027.008100	1728.123566	2938.686480		
72	650.902683	1089.628586	1850.092216	3174.781398	9545.938177	72
73	684.447817	1156.006301	1980,598671	3429.763910	10501.531995	73
74	719.670208	1226,366679	2120.240578	3705.145023	11552.685195	74
75	756.653719	1300.948680	2269.657419	4002,556624	12708.953714	75
75	190.099119	1000.040000	2209.007419	400%.0000%4		
76	795,486404	1380.005601	2429.533438	4323.761154	13980.849085	76
77	836,260725	1463.805937	2600,600779	4670.662047	15379.933994	77
78	879.073761	1552.634293	2783.642833	5045.315011	16918.927393	78
				5449.940211	18611.820133	79
79	924.027449	1646.792350	2979.497831			80
80	971.228821	1746.599891	3189.062680	5886.935428	20474.002146	00
81	1020,790262	1852.395885	3413.297067	6358.890263	22522.402360	81
				6868.601484	24775.642596	82
82	1072.829776	1964.539638	3653.227862		27254.206856	83
83	1127.471264	2083.412016	3909.953812	7419.089602		
84	1184.844828	2209.416737	4184.650579	8013.616770	29980.627542	84
85	1245.087069	2342.981741	4478.576120	8655.706112	32979.690296	85
				0010 100001	20000 (50000	0.0
86	1308.341422	2484.560646	4793.076448	9349.162601	36278.659326	86
87	1374.758493	2634.634285	5129.591799	10098.095609	39907.525258	87
88	1444.496418	2793.712342	5489.663225	10906.943258	43899.277784	88
89	1517.721239		5874.939651	11780.498718	48290.205562	89
				12723.938616	53120.226119	90
90	1594.607301	3141.075187	6287.185427	12120.000010		
91	1675.337666	3330.539698	6728.288407	13742.853705	58433.248730	91
92	1760.104549	3531.372080	7200.268595	14843,282002	64277.573603	92
			7705.287397	16031.744562	70706.330964	93
93	1849.109777	3744 254405		17315.284127	77777.964060	94
94	1942.565266	3969.909669	8245.657515			
95	2040.693529	4209.104250	8823.853541	18701.506857	85556.760466	95
0.0	0119 20000	4462.650505	9442,523288	20198.627405	94113.436513	96
96	2143.728205			21815.517598	103525.780164	97
97	2251.914616	4731.409535	10104.499919			
98	2365.510346	5016.294107	10812.814913	23561.759006	113879.358180	98.
99	2484.785864	5318.271753	11570.711957	25447.699726	125268.293998	99
100	2610.025157	5638.368059	12381.661794	27484.515704	137796.123398	100
100	,50150.00101	0000.00000	10001.001.01			

THE PRESENT VALUE OF \$1 PER ANNUM FOR ANY NUMBER OF YEARS.

og .	2	21	3	31/2	4	41	700
Years.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Years.
1	.980392	.975610	.970874	.966184	.961538	.956938	1
2	1.941561	1,927424	1.913470	1.899694	1.886095	1.872668	2
3	2.883883	2.856024	2.828611	2.801637	2.775091	2.748964	3
4	3.807729	3.761974	3.717098	3.673079	3.629895	3.587526	4
5	4.713460	4.645828	4.579707	4.515052	4.451822	4.389977	5
							6
6	5.601431 6.471991	5.508125 6.349391	5.417191	5.328553 6.114544	$\begin{array}{c} 5.242137 \\ 6.002055 \end{array}$	5.157872 5.892701	7
8	7.325481	7.170137	6.230283 7.019692	6.873956	6.732745	6.595886	8
9	8.162237	7.970866	7.786109	7.607687	7.435332	7.268790	9
10	8.982585	8.752064	8.530203	8.316605	8.110896	7.912718	10
11	9.786848	9.514209	9.252624	9.001551	8.760477	8.528917	11
12	10.575341	10.257765	9.954004	9.663334	9.385074	9.118581	12
13	11.348374	10.983185	10.634955	10.302738	9.985648	9.682852	13
14	12.106249	11.690912	11.296073	10.920520	10.563123	10.222825	14
15	12.849264	12.381378	11.937935	11.517411	11.118387	10.739546	15
16	13.577709	13.055003	12.561102	12.094117	11.652296	11.234015	16
17	14.291872	13.712198	13.166118	12.651321	12.165669	11.707191	17
18	14.992031	14.353364	13.753513	13.189682	12.659297	12.159992	18
19	15.678462	14.978891	14.323799	13.709837	13.133939	12.593294	19
20	16.351433	15.589162	14.877475	14.212403	13.590326	13.007936	20
21	17.011209	16.184549	15.415024	14.697974	14.029160	13.404724	21
22	17.658048	16.765413	15.936917	15.167125	14.451115	13.784425	22
23	18.292204	17.332111	16.443608	15.620410	14.856842	14.147775	23
24	18.913926	17.884986	16.935542	16.058368	15.246963	14.495478	24
25	19.523456	18.424376	17.413148	16.481515	15.622080	14.828209	25
26	20.121036	18.950611	17.876842	16.890352	15,982769	15.146611	26
27	20.706898	19.464011	18.327031	17.285365	16.329586	15.451303	27
28	21.281272	19.964889	18.764108	17.667019	16.663063	15.742874	28
29	21.844385	20.453550	19.188455	18.035767	16.983715	16.021889	29
30	22.396456	20.930293	19.600441	18.392045	17.292033	16.288889	30
31	22.937702	21.395407	20.000428	18.736276	17.588494	16.544391	31
32	23,468335	21.849178	20.388766	19.068865	17.873552	16.788891	32
33	23.988564	22.291881	20.765792	19,390208	18.147646	17.022862	33
34	24.498592	22.723786	21.131837	19.700684	18,411198	17.246758	34
35	24.998619	23.145157	21.487220	20.000661	18.664613	17.461012	35
36	25.488842	23.556251	21.832252	20.290494	18.908282	17.666041	36
38	25.969453 26.440641	23.957318 24.348603	22.167235 22.492462	20.570525	19.142579	17.862240	37 38
39	26.902589	24.730344	22.808215	04 403 200	19.367864	18.049990	39
40	27.355479	25.102775	23.114772	21.102500 21.355072	$\begin{array}{c} 19.584485 \\ 19.792774 \end{array}$	18.229656 18.401584	40
41	27.799489	25.466122	23.412400	21.599104	19.993052	18.566109	41
42	28.234794	25.820607	23.701359	21.834883	20.185627	18.723550	42
43	28.661562	26.166446	23.981902	22.062689	20.370795	18.874210	43
44 45	29.079963 29.490160	26.503849 26.833024	24.254274 24.518713	22.282791 22.495450	20.548841 20.720040	$\begin{array}{c} 19.018383 \\ 19.156347 \end{array}$	44 45
46	29.892314	27.154170	24.775449	22.700918	20.884654	19.288371	46
47	30.286582	27.467483	25.024708	22.899438	21.042936	19.414709	47
48	30.673120	27.773154	25.266707	23.091244	21.195131	19.535607	48
49	31.052078	28.071369	25.501657	23.276564	21.341472	19.651298	49
50	31.423606	28.362312	25.729764	23.455618	21.482185	19.762008	50
				1 /1 .	$(i)-n$ 1 _ (i)		

FORMULA, Present Value = $\frac{1 - (1+i)^{-n}}{i} = \frac{1 - v^n}{i}$

THE PRESENT VALUE OF \$1 PER ANNUM FOR ANY NUMBER OF YEARS.

Years.	5	6	7	8	9	10	Years.
Ye	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Ye
1	.952381	.943396	.934579	.925926	.917431	.909091	1
2	1.859410	1.833393	1.808018	1.783265	1.759111	1.735537	2
3	2.723248	2.673012	2.624316	2.577097	2.531295	2.486852	3
5	3.545951	3.465106	3.387211 4.100197	3.312127	3.239720	3.169865	4
1	4.329477	4.212364		3.992710	3.889651	3.790787	5
6	5.075692	4.917324	4.766540	4.622880	4.485919	4.355261	6
7	5.786373	5.582381	5.389289	5.206370	5.032953	4.868419	7
8 9	6.463213 7.107822	$6.209794 \\ 6.801692$	$5.971299 \\ 6.515232$	5.746639 6.246888	5.534819 5.995247	$\begin{bmatrix} 5.334926 \\ 5.759024 \end{bmatrix}$	8 9
10	7.721735	7.360087	7.023582	6.710081	6.417658	6.144567	10
11	8.306414	7.886875	7.498674	7.138964	6.805191	6.495061	11
12	8 863252	8.383844	7.942686	7.536078	7.160725	6.493001 6.813692	12
13	9.393573	8 852683	8.357651	7.903776	7.486904	7.103356	13
14	9.898641	9.294984	8.745468	8.244237	7.786150	7.366687	14
15	10.379658	9.712249	9.107914	8.559479	8.060688	7.606080	15
16	10.837770	10.105895	9.446649	8.851369	8.312558	7.823709	16
17	11.274066	10.477260	9.763223	9.121638	8.543631	8.021553	17
18	11.689587	10.827603	10.059087	9.371887	8.755625	8.201412	18
19	12.085321	11.158116	10.335595	9.603599	8.950115	8.364920	19
20	12.462210	11.469921	10.594014	9.818147	9.128546	8.513564	20
21	12.821153	11.764077	10.835527	10.016803	9.292244	8.648694	21
22	13.163003	12.041582	11.061241	10.200744	9.442425	8.771540	22
23	13.488574 13.798642	12.303379	11.272187 11.469334	$\begin{array}{c} 10.371059 \\ 10.528758 \end{array}$	9.580207 9.706612	8.883218 8.984744	23 24
24 25	14.093945	$\begin{array}{c} 12.550358 \\ 12.783356 \end{array}$	11.409554 11.653583	10.528758	9.822580	9.077040	25
7							26
26 27	14.375185 14.643034	$\begin{array}{c} 13.003166 \\ 13.210534 \end{array}$	11.825779 11.986709	10.809978 10.935165	9.928972 10.026580	$\begin{array}{c} 9.160945 \\ 9.237223 \end{array}$	27
28	14.898127	13.406164	12.137111	11.051078	10.116128	9.306567	28
29	15.141074	13.590721	12.277674	11.158406	10.198283	9.369606	29
30	15.372451	13.764831	12.409041	11.257783	10.273654	9.426914	30
31	15.592811	13.929086	12.531814	11.349799	10.342802	9.479013	31
32	15.802677	14.084043	12.646555	11.434999	10.406240	9.526376	32
33	16.002549	14.230230	12.753790	11.513888	10.464441	9.569432	33
34	16.192904	14.368141	12.854009	11.586934	10.517835	9.608575	34
35	16.374194	14.498246	12.947672	11.654568	10.566821	9.644159	35
36	16.546852	14.620987	13.035208	11.717193	10.611763	9.676508	36
37	16.711287	14.736780	13.117017	11.775179	10.652993	9.705917	37
38	16.867893	14.846019	13.193473	11.828869	10.690820	9.732651	38
39	17.017041	14.949075	13.264928	11.878582 11.924613	10.725523 10.757360	$\begin{array}{c} 9.756956 \\ 9.779051 \end{array}$	39 40
40	17.159086	15.046297	13.331709				
41	17.294368	15.138016	13.394120	11.967235	10.786569	9.799137	41 42
42	17.423208	15.224543	13.452449	$\begin{array}{c} 12.006699 \\ 12.043240 \end{array}$	$\begin{array}{c} 10.813366 \\ 10.837951 \end{array}$	9.817397 9.833998	42
43 44	$\frac{17.545912}{17.662773}$	$\frac{15.306173}{15.383182}$	13.506962 13.557908	12.077074	10.860505	9.849089	44
45	17.774070	15.455832	13.605522	12.108402	10.881197	9.862808	45
46				12.137409	10.900181	9.875280	46
46	17.880067 17.981016	$\begin{array}{c} 15.524370 \\ 15.589028 \end{array}$	$\begin{array}{c c} 13.650020 \\ 13.691608 \end{array}$	12.164267	10.917597	9.886618	47
48	18.077158	15.650028	13.730474	12.189136	10.933575	9.896926	48
49	18.168722	15.707572	13.766799	12.212163	10.948234	9.906296	49
50	18.255925	15.761861	13.800746	12 233485	10.961683	9.914814	50

THE PRESENT VALUE OF \$1 PER ANNUM FOR ANY NUMBER OF YEARS.

202	2	21	3	31	4	41	rs.
Years.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Years.
51	31.787849	28.646158	25.951227	23.628616	21.617485	19.867950	51
52	32.144950	28.923081	26.166240	23.795765	21.747582	19.969330	52
53	32.495049	29.193249	26.374990	23.957260	21.872675	20.066345	53
54	32.838283	29.456829	26.577660	24.113295	21.992957	20.159181	54
55	33.174788	29.713979	26.774428	24.264053	22.108612	20.248021	55
56	33.504694	29.964858	26.965464	24.409713	22.219819	20.333034	56
57	33.828131	30.209617	27.150936	24.550448	22.326749	20.414387	57
58	34.145226	30.448407	27.331005	24.686423	22.429567	20.492236	58
59	34.456104	30.681373	27.505831	24.817800	22.528430	20.566733	59
60	34.760887	30.908656	27.675564	24.944734	22.623490	20.638022	60
61	35.059693	31.130397	27.840353	25.067376	22.714894	20.706241	61
62	35.352640	31.346728	28.000343	25.185870	22.802783	20.771523	62
63	35.639843	31.557784	28.155673	25.300358	22.887291	20.833993	63
64	35.921415	31.763691	28.306478	25.410974	22.968549	20.893773	64
65	36.197466	31.964577	28.452891	25.517849	23.046682	20.950979	65
66	36.468103	32.160563	28.595040	25.621110	23.121810	21.005722	66
67	36.733435	32.351769	28.733049	25.720880	23.194048	21.058107	67
68	36.993564	32.538311	28.867038	25.817275	23.263507	21.108236	68
69	37.248592	32.720303	28.997124	25.910411	23.330296	21.156207 21.202112	69
70	37.498619	32.897857	29.123421	26.000397	23.394515		70
71	37.743744	33.071080	29.246040	26.087340	23.456264	21.246040	71
72	37.984063	33.240078	29.365087	26.171343	23.515639	21.288077	72
73	38.219670	33.404954	29.480667	26.252505	23.572730	21.328303 21.366797	73 74
74 75	38.450657 38.677114	33.565809 33.722740	29.592881 29.701826	26.330923 26.406689	23.627625 23.680408	21.403634	75
76 77	38.899132	33.875844	29.807598 29.910290	26.479892	$\begin{array}{c} 23.731162 \\ 23.779963 \end{array}$	21.438884 21.472616	76
78	$39.116796 \\ 39.330192$	34.025214 34.170940	30.009990	26.550621 26.618957	23.826888	21.504896	78
79	39.539404	34.313113	30.106786	26.684983	23.872008	21.535785	79
80	39.744514	34.451817	30.200763	26.748776	23.915392	21.565345	80
81	39.945602	34.587139	30.292003	26.810411	23.957108	21.593631	81
82	40.142747	34.719160	30.380586	26.869963	23.997219	21.620700	82
83	40.336026	34.847961	30.466588	26.927500	24.035787	21.646603	83
84	40.525516	34.973620	30.550086	26, 983092	24.072872	21.671390	84
85	40.711290	35.096215	30.631151	27.036804	24.108531	21.695110	85
86	40.893422	35.215819	30.709855	27.088699	24.142818	21,717809	86
87	41.071982	35.332507	30.786267	27.138840	24.175787	21.739530	87
88	41.247041	35.446348	30.860454	27.187285	24.207487	21.760316	88
89	41.418668	35.557413	30.932479	27.234092	24.237969	21.780207.	89
90	41.586929	35.665768	31.002407	27.279316	24.267278	21.799241	90
91	41.751891	35.771481	31.070298	27.323010	24.295459	21.817455	91
92	41.913619	35.874 16	31.136212	27.365227	24.322557	21.834885	92
93	42.072175	35.975235	31.200206	27.406017	24.348612	21.851565	93
94	42.227623	36.073400	31.262336	27.445427	24.373666	21.867526	94
95	42.380023	36.169171	31.322656	27.483504	24.397756	21.882800	95
96	42.529434	36.262606	31.381219	27.520294	24.420919	21.897417	96
97	42.675916	36.353762	31.438077	27.555839	24.443191	21.911403	97
98	42.819525	36.442694	31.493279	27.590183	24.464607	21.924788	98
1.00	42.960319	36.529458	31.546872	27.623365	24.485199	21.937596	99
1.00	43.098352	36.614105	31.598905	27.655425	24.504999	21.949853	100
Perp.	50.000000	40.000000	33.333333	28.571429	25.000000	22.222222	Perp.
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THE PRESENT VALUE OF \$1 PER ANNUM FOR ANY NUMBER OF YEARS.

1		1	1				1 .
Years.	5	6	7	8	9	10	Years.
Ye	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Ye
21	10.000044	1 = 0 = D 0 A 0	10.000.100		40.044004		F 4
51	18.338977	15.813076	13.832473	12.253227	10.974021	9.922559	51
52	18.418073	15.861393	13.862124	12.271506	10.985340	9.929599	52
53	18.493403	15.906974	13.889836	12.288432	10.995725	9.935999	53
54	18.565146	15.949976	13.915735	12.304103	11.005252	9.941817	54
55	18.633472	15.990543	13.939939	12.318614	11.013993	9.947107	55
56	18.698545	16.028814	13.962560	12.332050	11.022012	9.951915	56
57	18.760519	16.064919	13.983701	12.344491	11.029369	9.956286	57
58	18.819542	16.098980	14.003459	12.356010	11.036118	9.960260	58
59	18.875754	16.131113	14.021924	12.366676	11.042310	9.963873	59
60	18.929290	16.161428	14.039181	12.376552	11.047991	9.967157	60
61	18.980276	16.190026	14.055309	12.385696	11.053203	9.970143	61
62	19.028834	16.217006	14.070383	12.394163	11.057984	9.972857	62
63	19.075080	16.242458	14.084470	12.402003	11.062371	9.975325	63
64	19.119124	16.266470	14.097635	12.409262	11.066395	9.977568	64
65	19.161070	16.289123	14.109940	12.415983	11.070087	9.979607	65
66	19.201019	16.310493	14.121439	12.422207	11.073475	9.981461	66
67	19.239066	16.330654	14.132186	12.427969	11.076582	9.983147	67
68	19.275301	16.349673	14.142230	12.433305	11.079433	9.984679	68
69	19.309810	16.367617	14.151617	12.438245	11.082049	9.986071	69
70	19.342677	16.384544	14.160389	12.442820	11.084449	9.987338	70
71	19.373978	16.400513	14.168588	12.447055	11.086650	9.988489	71
72	19.403788	16.415578	14.176251	12.450977	11.088670	9.989535	72
73	19.432179	16.429791	14.183412	12.454608	11.090523	9.990487	73
74	19.459218	16.443199	14.190104	12.457971	11.092223	9,991351	74
75	19.484970	16.455848	14.196359	12.461084	11.093782	9.992138	75
76	19.509495	16.467781	14.202205	12.463967	11.095213	9.992852	76
77	19.532853	16.479039	14.207668	12.466636	11.096526	9.993502	77
78	19.555098	16.489659	14.212774	12.469107	11.097730	9.994093	78
79	19.576284	16.499679	14.217546	12.471396	11.098835	9.994630	79
80	19.596460	16.509131	14.222005	12.473514	11.099849	9.995118	80
81	19.615677	16.518048	14.226173	12.475476	11.100778	9.995562	81
82	19.633978	16.526460	14.230069	12.477293	11.101632	9.995965	82
83	19.651407	16.534396	14.233709	12.478975	11.102414	9,996332	83
84	19.668007	16.541883	14.237111	12.480532	11.103132	9,996666	84
85	19.683816	16.548947	14.240291	12.481974	11.103791	9.996969	85
86	19.698873	16.555610	14.243262	12.483310	11.104396	9.997244	86
87	19.713212	16.561896	14.246040	12.484546	11.104950 11.104950	9.997495	87
88	19.726869	16.567827	14.248635	12.485691	11.104550 11.105459	9.997723	88
89	19.739875	16.573421	14.251061	12.486751	11.105190 11.105926	9.997930	89
90	19.752262	16.578699	14.253328	12.487732	11.106354	9.998118	90
91	19.764059	16.583679	14.255447	12.488641	11.106746	9.998289	91
92	19.775294	16.588376	14.257427	12.489482	11.107107	9.998444	92
93	19.785994	16.592808	14.259277	12.490261	11.107438	9.998586	93
94	19.796185	16.596988	14.261007	12.490983	11.107741	9.998714	94
95	19.805891	16.600932	14.262623	12.491651	11.108019	9.998831	95
96	19.815134	16.604653	14.264134	12.492269	11.108274	9.998938	96
97	19.813134	16.608163	14.265546	12.492842	11.108509	9.999034	97
98	19.832321	16.611475	14.266865	12.493372	11.108724	9.999122	98
99	19.840306	16.614599	14.268098	12.493863	11.108921	9.999202	99
100	19.847910	16.617546	14.269251	12.494318	11.109102	9.999274	100
	20.01.010						
Perp.	20.000000	16.666667	14.285714	12.500000	11.111111	10.000000	Perp.
							1

THE ANNUITY WHICH \$1 WILL PURCHASE FOR ANY NUMBER OF YEARS.

	m					1		,,
	Years.	2	21	3	3½	4	41/2	Years,
_	×	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	×
	1	1.02000000	1.02500000	1.03000000	1.03500000	1.04000000	1.04500000	1
	2	0.51504950	0.51882716	0.52261084	0.52640049	0.53019608	0.53399756	2
	3	.34675467	.35013717	.35353036	.35693418	.36034854	.36377336	3
	4	.26262375	.26581788	,26902705	.27225114	.27549005	.27874365	4
	5	.21215839	.21524686	.21835457	.22148137	.22462711	.22779164	5
1	6	0 18050501	0.10151008	0.18459750	0.18766821	0.10000100	0.19387839	6
1	7	0.17852581	0.18154997 0.15749543	0.18499730 16050635	.16354449	$\begin{bmatrix} 0.19076190 \\ .16660961 \end{bmatrix}$	0.19387839 16970147	7
	8	.15451195 $.13650980$.13946735	.14245639	.14547665	.14852783	.15160965	8
	9	.12251544	.12545689	.12843386	.13144601	.13449299	.13757447	9
1	10	.11132653	.11425876	.11723051	.12024137	.12329094	.12637882	10
П								
U	11	0.10217794		0.10807745	0.11109197	0.11414904	0.11724818	11
	12	.09455960	.09748713	10046209	.10348395	.10655217	.10966619	12
1	13 14	.08811835	.09104827	.09402954	.09706157	.10014373	.10327535	13
1	15	08260197 07782547	.08553653	.08852634 $.08376658$.09157073	0.09466897 0.08994110	.09782032	14 15
1								
1	16	0.07365013	0.07659899	0.07961085	0.08268483	0.08582000	0.08901537	16
	17	.06996984	.07292777	.07595253	.07904313	.08219852	.08541758	17
	18	.06670210	.06967008	.07270870	.07581684	.07899333	.08223690	18
	19	.06378177	.06676062	.06981388	.07294033	.07613862	.07940734	19
-	20	.06115672	.06414713	.06721571	.07036108	.07358175	.07687614	20
	21	0.05878477	0.06178733	0.06487178	0.06803659	0.07128011	0.07460057	21
	22	.05663140	.05964660	.06274739	.06593207	.06919881	.07254565	22
	23	.05466810	.05769638	.06081390	.06401880	.06730906	.07068249	23
	24	.05287110	.05591282	.05904742	.06227283	.06558683	.06898703	24
	25	.05122044	.05427592	.05742787	.06067404	.06401196	.06743903	25
	26	0.04969923	0.05276875	0.05593829	0.05920540	0.06256738	0.06602137	26
	27	.04829309	.05137687	.05456421	.05785241	.06123854	.06471949	27
1	28	.04698967	.05008793	.05329323	.05660265	.06001298	.06352081	28
Н	29	.04577835	.04889127	.05211467	.05544538	.05887993	.06241461	29
	30	.04464992	.04777764	.05101926	.05437133	.05783010	.06139154	30
	31	0.04359635	0.04673900	0.04999893	0.05337240	0.05685535	0.06044345	31
1	32	.04261061	.04576831	.04904662	.05244150	.05594859	.05956320	32
	33	.04168653	.04485938	.04815612	.05157242	.05510357	.05874453	33
1	34	.04081867	.04400675	.04732196	.05075966	.05431477	.05798191	34
	35	.04000221	.04320558	.04653929	.04999835	.05357732	.05727045	35
	36	0.03923285	0.04245158	0.04580379	0.04928416	0.05999099		36
	37	0.03923283 0.03850678	0.04245158 04174090	0.04580579 0.04511162	0.04928416 0.04861325	0.05288688 0.05223956	$\begin{bmatrix} 0.05660578 \\ .05598402 \end{bmatrix}$	37
	38	.03782057	.04107012	.04311102 $.04445934$.04798214	.05263192	.05540169	38
	39	.03717114	.04043615	.04384385	.04738775	.05105152	.05485567	39
	40	.03655575	.03983623	.04326238	.04682728	.05052349	.05434315	40
1		1		0.04271241				
	41 42	$0.03597188 \\ 0.03541729$	$0.03926786 \\ .03872876$	0.04271241 0.04219168	0.04629822 0.04579828	0.05001738 0.04954020	0.05386158	41
	43	.03541729 $.03488993$.03872876	.04219108	.04579828	.04954020 $.04908989$	0.05340868 0.05298235	42 43
	44	.03438794	.03773037	.04103811	04932333 04487768	.04866454	05258071	43
	45	.03390962	.03726751	.04078518	.04445343	.04826246	.05220202	45
							1	
	46	0.03345342	0.03682676	0.04036254	0.04405108	0.04788205	0.05184471	46
	47	.03301792	.03640669	.03996051	.04366919	.04752189	.05150734	47
	48 49	0.03260184 0.03220396	.03600599	.03957777	.04330646	04718065 04685712	.05118858	48
	50	.03220396	$\begin{array}{c} .03562348 \\ .03525806 \end{array}$.03921314 $.03886546$	04296167 04263371		.05088722	49
	00	12020160	.00020800	.09000940	1) 660240.	.04655020	.05060215	50
-					*	i		

FORMULA, $Annuity = \frac{i}{1 - (1 + i)^{-n}} = \frac{i}{1 - v^n}$.

THE ANNUITY WHICH \$1 WILL PURCHASE FOR ANY NUMBER OF YEARS.

			1	11	t	1	
Years,	5	6	7	8	9	10	Years.
Ye	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	×
1	1.05000000	1.06000000	1.07000000	1.08000000	1.09000000	1.10000000	1
2	0.53780488	0.54543689	0.55309179	0.56076923	0.56846890	0.57619048	2
3	.36720856	.37410981	.38105166	.38803351	.39505476	.40211480	3
4	.28201183	.28859149	.29522812	.30192080	.30866866	.31547080	4
5	.23097480	.23739640	.24389069	.25045645	.25709246	.26379748	5
6	0.19701747	0.20336263	0.20979580	0.21631539	0.22291978	0.22960738	6
7	.17281982	.17913502	.18555322	.19207240	.19869052	.20540550	7
8	.15472181	.16103594	.16746776	.17401476	.18067438	.18744402	8
9	.14069008	.14702224	.15348647	.16007971	.16679880	.17364054	9
10	.12950458	.13586796	.14237750	.14902949	.15582009	.16274540	10
11	0.12038889	0.12679294	0.13335690	0.14007634	0.14694666	0.15396314	11
12	.11282541	.11927703	.12590199	.13269502	.13965066	.14676332	12
13	.10645577	.11296011	.11965085	.12652181	.13356656	.14077852	13
14	.10102397	.10758491	.11434494	.12129685	.12843317	.13574622	14
15	.09634229	.10296276	.10979462	.11682954	.12405888	.13147378	15
16	0.09226991	0.09895214	0.10585765	0.11297687	0.12029991	0.12781662	16
17	.08869914	.09544480	.10242519	.10962943	.11704625	.12466413	17
18	.08554622	.09235654	.09941260	10670210 10412763	.11421229	.12193022	18 19
19 20	.08274501 $.08024259$.08962086	.09675302 $.09439293$.10412703	.11173041 .10954648	.11745962	20
21	0.07799611	0.08500455	0.09228900	0.09983225	0.10761663	0.11562439	21
22	.07597051	08304557 08127848	.09040577	.09803207	.10590499	.11400506	22 23
23 24	0.07413683 0.07247090	.08127848	.08871393	.09497796	.10456186	.11129978	24
25	.07095246	.07822672	.08581052	.09367878	.10180625	.11016807	25
				0.09250713	0.10071536	0.10915904	26
26 27	0.06956432 0.06829186	0.07690435 0.07569717	0.08456103	.09144810	.09973491	.10825764	27
28	.06712253	.07459255	.08239193	.09048890	.09885205	.10745101	28
29	.06604551	.07357961	.08144865	.08961854	.09805572	.10672807	29
30	.06505144	.07264891	.08058640	.08882743	.09733635	.10607925	30
31	0.06413212	0.07179222	0.07979691	0.08810728	0.09668560	0.10549621	31
32	.06328042	.07100234	.07907292	.08745081	.09609619	.10497172	32
33	.06249004	.07027293	.07840807	.08685163	.09556173	.10449941	33
34	.06175549	.06959843	.07779674	.08630411	.09507660	.10407371	34
35	.06107171	.06897386	.07723396	.08580326	.09463584	.10368971	35
36	0.06043446	0.06839483	0.07671531	0.08534467	0.09423505	0.10334306	36
37	.05983979	.06785743	.07623685	.08492440	.09387033	.10302994	37
38	.05928423	.06735812	.07579505	.08453894	.09353820	.10274692	38
39	.05876462	.06689380	.07538676	.08418513	.09323555	.10249098	39 40
40	.05827816	.06646153	.07500914	.05550010			
41	0.05782229	0.06605886	0.07465962	0.08356149	0.09270789	0.10204980	41
42	.05739471	.06568342	.07433591	.08328684	.09247814	.10185999	42
43	.05699333	.06533312	.07403590	0.08303414 0.08280152	09226837 09207675	.10168805	43 44
44 45	05661625 05626173	06500606 06470050	.07375769	.08258728	.09207675	.10133224	45
		1					
46	0.05592820	0.06441485	0.07325996	0.08238991	0.09174160	0.10126295	46
47	.05561421	.06414768	.07303744	.08220799	09159525 09146139	.10114682	47 48
48	$\begin{array}{c c} .05531843 \\ .05503965 \end{array}$.06389766	.07283070	.08188557	.09133893	.10104146	49
50	.05477674	.06344429	.07245985	.08174286	.09122687	.10085917	50
00	.00111011	CATIFOU.	.UINTUUU				

THE ANNULL WHICH \$1 WILL PURCHASE FOR ANY NUMBER OF YEARS.

Years.	2 Per Cent.	$2\frac{1}{2}$ Per Cent.	3 Per Cent.	3½ Per Cent.	4 Per Cent.	4½ Per Cent.	Years.
51 52 53 54 55	0.03145856 .03110909 .03077392 .03045226 .03014337	0.03490870 .03457446 .03425449 .03394799 .03365419	0.03853382 .03821718 .03791471 .03762558 .03734907	0.04232156 .04202428 .04174100 .04147090 .04121323	0.04625885 .04598212 .04571915 .04546910 .04523124	0.05033232 .05007679 .04983469 .04960519 .04938754	51 52 53 54 55
56 57 58 59 60	$\begin{array}{c} 0.02984657 \\ .02956120 \\ .02928667 \\ .02902243 \\ .02876797 \end{array}$	0.03337243 .03310204 .03284244 .03259307 .03235340	$\begin{array}{c} 0.03708447 \\ .03683114 \\ .03658848 \\ .03635593 \\ .03613296 \end{array}$	$ \begin{bmatrix} 0.04096730 \\ .04073245 \\ .04050810 \\ .04029366 \\ .04008862 \end{bmatrix} $	$\begin{array}{c} 0.04500487 \\ .04478932 \\ .04458401 \\ .04438836 \\ .04420185 \end{array}$	0.04918105 .04898506 .04879897 .04862221 .04845426	56 57 58 59 60
61 62 63 64 65	0.02852278 .02828643 .02805848 .02783855 .02762624	0.03212294 .03190126 .03168790 .03148249 .03128463	0.03591908 $.03571385$ $.03551682$ $.03532760$ $.03514581$	0.03989249 .03970480 .03952513 .03935308 .03918826	0.04402398 .04385430 .04369237 .04353780 .04339019	$0.04829462 \\ .04814284 \\ .04799848 \\ .04786115 \\ .04773047$	61 62 63 64 65
66 67 68 69 70	$\begin{array}{c} 0.02742122 \\ .02722316 \\ .02703173 \\ .02684665 \\ .02666765 \end{array}$	$ \begin{array}{c} 0.03109398 \\ .03091021 \\ .03073300 \\ .03056206 \\ .03039712 \end{array} $	0.03497110 $.03480313$ $.03464159$ $.03448618$ $.03433663$	0.03903031 .03887892 .03873375 .03859453 .03846095	0.04324921 .04311451 .04298578 .04286272 .04274506	0.04760608 .04748765 .04737487 .04726745 .04716511	66 67 68 69 70
71 72 73 74 75	$\begin{array}{c} 0.02649446 \\ .02632683 \\ .02616454 \\ .02600736 \\ .02585508 \end{array}$	$\begin{array}{c} 0.03023790 \\ .03008417 \\ .02993568 \\ .02979222 \\ .02965358 \end{array}$	$\begin{array}{c} 0.03419266 \\ .03405404 \\ .03392053 \\ .03379191 \\ .03366796 \end{array}$	0.03833277 .03820973 .03809160 .03797816 .03786919	0.04263253 .04252489 .04242190 .04232334 .04222900	$\begin{array}{c} 0.04706760 \\ .04697465 \\ .04688605 \\ .04680159 \\ .04672104 \end{array}$	71 72 73 74 75
76 77 78 79 80	$\begin{array}{c} 0.02570751 \\ .02556447 \\ .02542576 \\ .02529123 \\ .02516071 \end{array}$	$\begin{array}{c} 0.02951956 \\ .02938997 \\ .02926463 \\ .02914338 \\ .02902605 \end{array}$	0.03354849 .03343331 .03332224 .03321510 .03311175	$\begin{array}{c} 0.03776450\\.03766390\\.03756721\\.03747426\\.03738489\end{array}$	0.04213868 .04205221 .04196939 .04189007 .04181408	0.04664422 .04657094 .04650104 .04643434 .04637069	76 77 78 79 80
81 82 83 84 85	$\begin{array}{c} 0.02503405 \\ .02491110 \\ .02479173 \\ .02467581 \\ .02456321 \end{array}$	0.02891248 .02880254 .02869608 .02859298 .02849310	0.03301201 .03291576 .03282284 .03273313 .03264650	$\begin{array}{c} 0.03729894\\.03721628\\.03713676\\.03706025\\.03698662\\ \end{array}$	0.04174127 .04167150 .04160463 .04154054 .04147909	$\begin{array}{c} 0.04630995 \\ .04625197 \\ .04619662 \\ .04614379 \\ .04609334 \end{array}$	81 82 83 84 85
86 87 88 89 90	0.02445381 .02434750 .02424416 .02414370 .02404602	0.02839633 .02830255 .02821165 .02812353 .02803809	0.03256284 .03248202 .03240393 .03232848 .03225556	$\begin{array}{c} 0.03691576\\.03684756\\.03678190\\.03671868\\.03665781\end{array}$	0.04142018 .04136370 .04130953 .04125758 .04120775	0.04604516 .04599915 .04595522 .04591325 .04587316	86 87 88 89 90
91 92 93 94 95	0.02395101 .02385859 .02376868 .02368118 .02359602	$\begin{array}{c} 0.02795523 \\ .02787486 \\ .02779690 \\ .02772126 \\ .02764786 \end{array}$	0.03218508 .03211695 .03205107 .03198737 .03192577	$\begin{array}{c} 0.03659919 \\ .03654273 \\ .03648834 \\ .03643594 \\ .03638546 \end{array}$	0.04115995 .04111410 .04107010 .04102789 .04098738	0.04583486 $.04579827$ $.04576331$ $.04572991$ $.04569799$	91 92 93 94 95
96 97 98 99 100	0.02351313 .02343242 .02335383 .02327730 .02320274	0.02757662 .02750747 .02744034 .02737517 .02731188	0.03186619 .03180856 .03175281 .03169886 .03164667	0.03633682 .03628995 .03624478 .03620124 .03615927	0.04094850 .04091119 .04087538 .04084100 .04080800	0.04566749 .04563834 .04561048 .04558385 .04555839	96 97 98 99 100
Perp.	0.02000000	0.02500000	0.03000000	0.03500000	0.04000000	0.04500000	Perp.

THE ANNUITY WHICH \$1 WILL PURCHASE FOR ANY NUMBER OF YEARS.

s,	5	6	7			10	w.
Years.	Per Cent.	Per Cent.	Per Cent.	8 Per Cent,	9 Per Cent.	10 Per Cent.	Years.
			101 00110.	Ter cent.	Fer Cent.	Fer Cent.	
51	0.05452867	0.06323880	0.07229365	0.08161116	0.09112430	0.10078046	51
52	.05429449	.06304617	.07213901	.08148959	.09103041	.10070900	52
53	.05407334	.06286551	.07199509	.08137735	.09094443	.10064413	53
54	.05386438	.06269602	.07186110	.08127370	.09086570	.10058523	54
55	.05366686	.06253696	.07173633	.08117796	.09079359	.10053175	55
56	0.05348010	0.06238765	0.07162011	0.08108952	0.09072754	0.10048317	56
57	.05330343	.06224744	.07151183	.08100780	.09066702	.10043906	57
58	.05313626	.06211573	.07141093	.08093228	.09061157	.10039898	58
59	.05297802	.06199200	.07131689	.08086247	.09056076	.10036258	59
60	.05282818	.06187572	.07122923	.08079795	.09051419	.10032951	60
61	0.05268627	0.06176642	0.07114749	0.08073830	0.09047151	0.10029946	61
62	,05255183	.06166366	.07107127	.08068314	.09043240	.10027217	62
63	.05242442	.06156703	.07100019	.08063214	.09039654	.10024736	63
64	.05230365	.06147615	.07093388	.08058497	.09036366	.10024730	64
65	.05218915	.06139066	.07087203	.08054135	.09033352	.10020434	65
						.10020404	00
66	0.05208057	0.06131022	0.07081431	0.08050100	0.09030589	0.10018573	66
67	.05197757	.06123454	.07076046	.08046367	.09028056	.10016882	67
68	.05187986	.06116330	.07071021	.08042914	.09025732	.10015345	68
69	.05178715	.06109625	.07066330	.08039719	.09023602	.10013948	69
70	.05169915	.06103313	.07061953	.08036764	.09021649	.10012678	70
H 1	0.05101500	0.000000000	0.00000000	0.00024030	0.00010055	0 40044504	W 1
71 72	0.05161563	0.06097370	0.07057866	0.08034029	0.09019857	0.10011524	71
73	.05153633	.06091774	.07054051	.08031498	.09018214	.10010476	72
74	.05146103	.06086505	.07050490	.08029156	.09016708	.10009522	73
	.05138953	.06081542	.07047164	.08026990	.09015326	.10008656	74
75	.05132161	.06076867	.07044060	.08024984	.09014058	.10007868	75
76	0.05125709	0.06072463	0.07041160	0.08023128	0.09012896	0.10007153	76
77	.05119580	.06068315	.07038453	.08021410	.09011831	.10006502	77
78	.05113757	.06064407	.07035924	.08019820	.09010852	.10005911	78
79	.05108222	.06060724	.07033563	.08018349	.09009955	.10005373	79
80	.05102963	.06057254	.07031357	.08016987	.09009132	.10004884	80
81	0.05097963	0.06053984	0.07029297	0.08015726	0.09008377	0.10004440	81
82	.05093211	.06050903	.07027373	.08014559	.09007685	.10004036	82
83	.05088694	.06047998	.07025576	.08013479	.09007050	.10003669	83
84	.05084399	.06045261	.07023897	.08012479	.09006467	.10003336	84
85	.05080316	.06042681	.07022329	.08011553	.09005933	.10003032	85
86	0.05076433	0.06040249	0.07020863	0.08010696	0.09005443	0.10002756	86
87	0.05072740	0.06040245 0.06037956	.07019495	.08009903	.09004993	.10002736	87
88	.05069228	.06035795	.07018216	.08009168	.09004581	.10002300	88
89	.05065888	.06033757	.07017021	.08008489	.09004202	.10002278	89
90	.05062711	.06031836	.07015905	.08007859	.09003855	.10002071	90
				3			
91	0.05059689	0.06030025	0.07014863	0.08007277	0.09003537	0.10001711	91
92	.05056815	.06028318	.07013888	.08006737	.09003245	.10001556	92
93	.05054080	.06026708	.07012978	.08006238	.09002977	.10001414	93
94	.05051478	.06025190	.07012128	.08005775	.09002731	.10001286	94
95	.05049003	.06023758	.07011333	.08005347	.09002505	.10001169	95
0.0	0.05040040	0.00002400	0.0010500	0.08004951	0.09002298	0.10001063	96
96	0.05046648	0.06022408	0.07010590		.09002298	0.10001063 $.10000966$	97
97	.05044407	.06021135	.07009897	.08004584	.09002109	.10000966	98
98	.05042274	.06019935	.07009248			.10000878	99
99	.05040245	.06018803	.07008643	.08003930	.09001775		
100	.05038314	.06017736	.07008076	.08003638	.09001628	.10000726	100
Pern	0.05000000	0.06000000	0.0000000	0.08000000	0.09000000	0.10000000	Perp.
Leip.	0.0000000	0.00000000	0.0700000	0.0000000	7.0000000	0.1000000	L CIP.

LOGARITHM OF THE PRESENT VALUE OF \$1, DUE AT THE END OF ANY NUMBER OF YEARS.

,							
Years.	2 Per Cent.	2½ Per Cent.	3 Per Cent.	31 Per Cent.	4 Per Cent.	4½ Per Cent.	Years.
0	0.0000000	0.0000000	0.0000000	0.0000000	0.0000000	0.0000000	0
1	$\overline{1.9913998}$	1.9892761	1.9871628	1.9850597	1.9829667	1.9808837	1
2	.9827997	.9785523	.9743256	.9701193	.9659333	.9617674	2
3	.9741995	.9678284	.9614883	.9551790	.9489000	.9426511	3
4	.9655993	.9571045	.9486511	.9402386	.9318666	9235348	4
5	$\overline{1.9569991}$	1.9463807	1.9358139	1.9252983	1.9148333	1.9044185	5
6 7	.9483990 $.9397988$.9356568 $.9249329$.9229767 $.9101394$.9103579 .8954176	.8978000	.8853023	6
8	.9311986	.9142091	.8973022	.8804772	.8807666 $.8637333$.8661860 .8470697	7 8
9	.9225985	.9034852	.8844650	.8655369	.8466999	.8279534	9
10	Ī.9139983	$\overline{1.8927613}$	1.8716278	1.8505965	$\overline{1.8296666}$	$\bar{1.8088371}$	10
11	.9053981	.8820375	.8587905	.8356562	.8126333	.7897208	11
12	.8967979	.8713136	.8459533	.8207158	.7955999	.7706045	12
13	.8881978	.8605897	.8331161	.8057755	.7785666	.7514882	13
14	.8795976	.8498659	.8202789	.7908351	.7615332	.7323719	14
15	$\overline{1.8709974}$	$\overline{1}.8391420$	$\overline{1}.8074416$	$\bar{1}.7758948$	$\overline{1.7444999}$	$\bar{1}.7132556$	15
16	.8623973	.8284182	.7946044	.7609544	.7274666	.6941394	16
17	.8537971	.8176943	.7817672	.7460141	.7104332	.6750231	17
18 19	.8451969	.8069704	.7689300	.7310737	.6933999	.6559068	18
	.8365967	.7962466	.7560927	.7161334	.6763666	.6367905	19
20 21	$\overline{1.8279966}$ $.8193964$	$\overline{1.7855227}$ $.7747988$	T.7432555 .7304183	$\overline{1.7011930}$ $.6862527$	1.6593332	1.6176742	20
22	.8107962	.7640750	.7304183	.6862527	.6422999 $.6252665$.5985579	21 22
23	.8021961	.7533511	.7047438	.6563720	.6082332	.5603253	23
24	.7935959	.7426272	.6919066	.6414316	.5911999	.5412090	24
25	$\overline{1}.7849957$	1.7319034	1.6790694	1.6264913	$\overline{1.5741665}$	$\overline{1.5220927}$	25
26	.7763955	.7211795	.6662322	.6115509	.5571332	.5029764	26
27	.7677954	.7104556	.6533949	.5966106	.5400998	.4838602	27
28	.7591952	.6997318	.6405577	.5816702	.5230665	.4647439	28
29	.7505950	.6890079	.6277205	.5667299	.5060332	.4456276	29
30	1.7419948	1.6782840	$\bar{1}.6148833$	$\bar{1}.5517895$	$\overline{1.4889998}$	$\bar{1}.4265113$	30
31	.7333947	.6675602	.6020460	.5368492	.4719665	.4073950	31
32	.7247945	.6568363	.5892088	.5219088	.4549331	.3882787	32
34	.7161943 $.7075942$	$\begin{array}{c c} .6461124 \\ .6353886 \end{array}$.5763716	.5069685 $.4920281$.4378998 $.4208665$.3691624	33
35	1.6989940	1.6246647	$\frac{1.5506971}{1.5506971}$	1.4770878	1.4038331	.3500461	34
36	.6903938	.6139409	1.5300971 $.5378599$.4621474	.3867998	$\overline{1.3309298}$ $.3118135$	35 36
37	.6817937	.6032170	.5250227	.4472071	.3697664	.2926973	37
38	.6731935	.5924931	.5121855	.4322667	.3527331	.2735810	38
39	.6645933	.5817692	.4993482	.4173264	.3356998	.2544647	39
40	$\overline{1.6559931}$	$\bar{1}.5710454$	ī.4865110	1.4023860	Ī.3186664	1.2353484	40
41	.6473930	.5603215	.4736738	.3874457	.3016331	.2162321	41
42	.6387928	.5495977	.4608366	.3725053	.2845997	.1971158	42
43	.6301926	.5388738	.4479993	.3575650	.2675664	.1779995	43
44	.6215924	.5281499	.4351621	.3426246	.2505331	.1588832	44
45 46	$ar{1}.6129923 \ .6043921$	1.5174261 $.5067022$	1.4223249 .4094877	1.3276843 .3127439	T.2334997	1.1397669	45
47	.5957919	.4959783	.3966504	.2978036	.2164664 $.1994331$.1206506 $.1015343$	46
48	.5871918	.4852545	.3838132	.2828632	.1823997	.0824181	48
49	.5785916	.4745306	.3709760	.2679229	.1653664	.0633018	49
0.0	Ŧ (100000						
0-9	1.6129923	$\begin{bmatrix} 1.5174260 \\ 2.4450395 \end{bmatrix}$	1.4223250	1.3276845	1.2334997	1.1397669	0-9
10-19 20-29	$\frac{2.7529751}{3.8929580}$	$\frac{2.4450595}{3.3726530}$	$\frac{\bar{2}.1386025}{\bar{4}.8548800}$	$ar{3}.8336495 \ ar{4}.3396145$	$\frac{3.5301658}{5.8268319}$	$\overline{3}.2281379$ $\overline{5}.3165088$	10-19 20-29
30-39	$\overline{3}.0329408$	4.3002664	5.5711575	6.8455795	6.1234979	7.4048798	30 39
40.49	$\frac{5.0329100}{4.1729236}$	5.2278800	$\overline{6.2874350}$	7.3515445	8.4201640	9.4932507	40-49
-			DRAULIA LO			100000	10 10

FORMULA, Logarithm = λv^n .

LOGARITHM OF THE PRESENT VALUE OF \$1, DUE AT THE END OF ANY NUMBER OF YEARS.

Years.	5 Per Cent.	6 Per Cent.	7 Per Cent.	8 Per Cent.	9 Per Cent.	10 Per Cent.	Years.
0	0.0000000	0.0000000	0.00000000	0.0000000	0.0000000	0.0000000	0
i	$\frac{3.9788107}{1.9788107}$	$\overline{1.9746941}$	$\bar{1}.9706162$	$\frac{0.0000000}{1.9665762}$	$\overline{1.9625735}$	$\frac{0.0000000}{1.9586073}$	1
2	.9576214	.9493883	.9412324	.9331525	.9251470	.9172146	2
3	.9364321	.9240824	.9118487	.8997287	.8877205	.8758219	3
4	.9152428	.8987765	.8824649	.8663050	.8502940	.8344293	4
5	1.8940535	1.8734707	$\vec{1}.8530811$	1.8328812	Ī.8128675	1.7930366	5
6	.8728642	.8481648	.8236973	.7994575	.7754410	.7516439	6
7	.8516749	.8228589	.7943136	.7660337	.7380145	.7102512	7
8	.8304856	.7975531	.7649298	.7326100	.7005880	.6688585	8
9	.8092963	.7722472	.7355460	.6991862	.6631615	.6274658	9
10	$\overline{1.7881070}$	$\bar{1}.7469413$	$\overline{1}.7061622$	$\bar{1}.6657624$	$\overline{1}.6257350$	$\overline{1}.5860731$	10
11	.7669177	.7216355	.6767784	.6323387	.5883085	.5446805	11
12	.7457284	.6963296	.6473947	.5989149	.5508820	.5032878	12
13	.7245391	.6710238	.6180109	.5654912	.5134555	.4618951	13
14	.7033498	.6457179	.5886271	.5320674	4760290	.4205024	14
15	1.6821605	1.6204120	1.5592433	1.4986437	$\overline{1}$. 4386025	$\overline{1.3791097}$	15
16	.6609712	.5951062	.5298596	.4652199	.4011760	.3377170	16
17	.6397819 $.6185926$.5698003 $.5444944$.5004758	.4317962	.3637495	.2963244	17 18
19	.5974033	.5191886	.4710920 $.4417082$	3983724 3649486	.3263230 $.2888965$.2549317 $.2135390$	19
20	$\overline{1.5762140}$	1.4938827	1.4123244	7.3315249	$\frac{.2508303}{1.2514700}$	$\overline{1.1721463}$	20
21	.5550247	1.4958627	.3829407	.2981011	.2140435	.1307536	21
22	.5338354	.4432710	.3535569	.2646774	.1766170	.0893609	22
23	.5126461	.4179651	.3241731	.2312536	.1391905	.0479682	23
24	.4914568	.3926592	.2947893	.1978299	.1017640	.0065756	24
25	$\bar{1}.4702675$	1.3673534	1.2654056	Ī.1644061	1.0643376	$\overline{2}.9651829$	25
26	.4490782	.3420475	.2360218	.1309824	.0269111	.9237902	26
27	.4278889	.3167416	.2066380	.0975586	$\bar{2}.9894846$.8823975	27
28	.4066996	.2914358	.1772542	.0641348	.9520581	.8410048	28
29	.3855103	.2661299	.1478704	.0307111	.9146316	.7996121	29
30	$\bar{1}.3643210$	$\bar{1}.2408240$	1.1184867	$\bar{2}.9972873$	$\overline{2}.8772051$	$\bar{2}.7582194$	30
31	.3431317	.2155182	.0891029	.9638636	.8397786	.7168268	31
32	.3219424	.1902123	.0597191	.9304398	.8023521	.6754341	32
33	.3007531	.1649064	.0303353	.8970161	.7649256	.6340414	33
34	.2795638	.1396006	.0009516	.8635923	.7274991	.5926487	34
35	1.2583745	Ī.1142947	2.9715678	2.8301686	2.6900726	$\bar{2}.5512560$	35
36	.2371852 $.2159959$.0889889 $.0636830$.9421840 .9128002	.7967448 .7633210	.6526461 $.6152196$.5098633	36
38	.1948066	.0383771	.8834164	.7298973	.5777931	.4270780	38
39	.1736173	.0130713	.8540327	.6964735	.5403666	.3856853	39
40	$\bar{1}.1524280$	2.9877654	2.8246489	2.6630498	$\overline{2.5029401}$	2.3442926	40
41	.1312387	.9624595	.7952651	.6296260	.4655136	.3028999	41
42	.1100494	.9371537	.7658813	.5962023	.4280871	.2615072	42
43	.0888601	.9118478	.7364976	.5627785	.3906606	.2201145	43
44	.0676708	.8865419	.7071138	.5293548	.3532341	.1787219	44
45	1.0464815	$\bar{2}.8612361$	2.6777300	$\bar{2}.4959310$	$\bar{2}.3158076$	$\overline{2}.1373292$	45
46	.0252922	.8359302	.6483462	.4625072	.2783811	.0959365	46
47	.0041029	.8106243	.6189624	.4290835	.2409546	.0545438	47
48	$\overline{2}.9829136$.7853184	.5895787	.3956597	.2035281	.0131511	48
49	.9617243	.7600126	.5601949	.3622360	.1661016	3.9717584	49
0- 9	$\overline{1}.0464815$	$\bar{2}.8612360$	$\overline{2}$. 6777300	$\bar{2}.4959310$	$\bar{2}.3158075$	2.1373291	0- 9
10-19	$\frac{1}{4}.9275515$	$\overline{4}.3306496$	$\overline{5}.7393522$	$\overline{5}.1535554$	6.5731575	7.9980607	10-19
20-29		$\overline{7}$.8000630	8.8009744	$\frac{9.8111799}{13.4333348}$	10.8305080	11.8587921	20-29
30-39		9.2694765	11.8625967	12.4688043	13.0878585	15.7195236	30-39
40-49	10.5707615	12.7388899	14.9242189	15.1264288	$\overline{17.3452085}$	19.5802551	40-49

LOGARITHM OF THE PRESENT VALUE OF \$1, DUE AT THE END OF ANY NUMBER OF YEARS.

Years.	2 Per Cent.	2½ Per Cent.	3 Per Cent.	31 Per Cent.	4 Per Cent.	41 Per Cent.	Years.
50	$\overline{1.5699914}$	1.4638067	$\overline{1.3581388}$	$\overline{1.2529825}$	$\bar{1.1483330}$	$\bar{1.0441855}$	50
51	.5613912	.4530829	.3453015	.2380422	.1312997	.0250692	51
52	.5527911	.4423590	.3324643	.2231018	.1142664	.0059529	52
53	.5441909	.4316351	.3196271	.2081615	.0972330	$\bar{2}.9868366$	53
54	.5355907	.4209113	.3067899	.1932211	.0801997	.9677203	54
55	$\overline{1}.5269906$	1.4101874	$\overline{1}.2939526$	1.1782808	1.0631663	$\bar{2}.9486040$	55
56	.5183904	.3994635	.2811154	.1633404	.0461330	.9294877	56
57	.5097902	.3887397	.2682782	.1484001	.0290997	.9103714	57
58	.5011900	.3780158	.2554410	.1334597	.0120663	.8912552	58
59	.4925899	.3672919	.2426037	.1185194	2.9950330	8721389	59
60	$\bar{1}.4839897$	1.3565681	$\overline{1.2297665}$	$\bar{1}.1035790$	$\bar{2}.9779996$	$\bar{2}.8530226$	60
61	.4753895	.3458442	.2169293	.0886387	.9609663	.8339063	61
62	.4667894	.3351203	.2040921	.0736983	.9439330	.8147900	62 63
63	.4581892	.3243965	.1912548	.0587580	.9268996	.7956737	64
64	.4495890	.3136726	.1784176	.0438176	.9098663		65
65	1.4409888	1.3029487	1.1655804	1.0288773	2.8928329	2.7574411 $.7383248$	66
66	.4323887	.2922249	.1527432 $.1399059$	$\frac{.0139369}{2.9989966}$.8757996	.7383248	67
68	.4237885	.2815010 $.2707772$.1270687	.9840562	.8417329	.7000922	68
69	.4151885	.2600533	.1142315	.9691159	.8246996	.6809760	69
70	$\frac{1.3979880}{1.3979880}$	$\overline{1.2493294}$	$\bar{1}.1013943$	$\bar{2}.9541755$	$\frac{.0210000}{2.8076662}$	2.6618597	70
71	.3893878	.2386056	.0885570	.9392352	.7906329	.6427434	71
72	.3807876	.2278817	.0757198	.9242948	.7735996	.6236271	72
73	.3721875	.2171578	.0628826	.9093545	.7565662	.6045108	73
74	.3635873	.2064340	.0500454	.8944141	.7395329	.5853945	74
75	1.3549871	$\overline{1}.1957101$	$\bar{1}.0372081$	2.8794738	$\bar{2}.7224996$	$\bar{2}.5662782$	75
76	.3463869	.1849862	.0243709	.8645334	.7054662	.5471619	76
77	.3377868	.1742624	.0115337	.8495931	.6884329	.5280456	77
78	.3291866	.1635385	$\bar{2}.9986965$.8346527	.6713995	.5089293	78
79	.3205864	.1528146	.9858592	.8197124	.6543662	.4898131	79
80	1.3119863	$\overline{1}.1420908$	$\bar{2}.9730220$	2.8047720	$\bar{2}.6373329$	$\overline{2}.4706968$	80
81	.3033861	.1313669	.9601848	.7898317	.6202995	.4515805	81
82	.2947859	.1206430	.9473476	.7748913	.6032662	.4324642	82
83	.2861857	.1099192	.9345103	.7599510	.5862328 $.5691995$,4133479 .3942316	83 84
84	.2775856	.0991953	.9216731	.7450106		2.3751153	85
85 86	1.2689854	$\overline{1.0884714}$ $.0777476$	$\overline{2}.9088359$ $.8959987$	2.7300703 .7151299	$-\overline{2}.5521662$ 5351328	$\frac{2.5751195}{.3559990}$	86
87	.2603852 $.2517851$.0670237	.8831615	.7001896	.5180995	.3368827	87
88	.2431849	.0562998	.8703242	.6852492	.5010661	.3177664	88
89	.2345847	.0455760	.8574870	.6703089	.4840328	.2986502	89
90	1.2259845	Ī.0348521	2.8446498	$\bar{2}.6553685$	$\bar{2}.4669995$	2.2795339	90
91	.2173844	.0241282	.8318126	.6404282	.4499661	.2604176	91
92	.2087842	.0134044	.8189753	.6254878	.4329328	.2413013	92
93	.2001840	.0026805	.8061381	.6105475	.4158994	.2221850	93
94	.1915839	$\overline{2}.9919567$.7933009	5956071	.3988661	.2030687	94
95	$\bar{1}.1829837$	2.9812328	2.7804637	$\bar{2}.5800668$	$\bar{2}.3818328$	$\bar{2}.1839524$	95
96	.1743835	.9705089	.7676264	.5657264	.3647994	.1648361	96
97	.1657833	.9597851	.7547892	.5507861	.3477661	.1457198	97
98	.1571832	.9490612	.7419520	$\begin{array}{c c} .5358457 \\ .5209054 \end{array}$	3307327 3136994	1266035 1074872	98
99	.1485830	.9383373	.7291148	0.5209054 0.5059650	.2966661	.0883710	100
100	.1399828	0.9276135	.7162775	0606606.			
50-59	$\overline{5}.3129064$	$\bar{6}.1554933$	7.0037125	9.8575095	10.7168301	11.5816217	50-59
60-69		7.0831068	$-\overline{9}.7199900$	10.3634745	11.0134961	13.6699926	60-69
70-79	$\overline{7}.5928720$	8.0107203	$\overline{10}.4362675$	12.8694395	13.3101622	15.7583636	70-79
80-89		10.9383337	17.1525451	13.3754045	15.6068283	17.8467346 10.0251055	80-89 90-99
90-99	9.8728377	$ \overline{11.8659472} $	$ \overline{13}.8688228$	15.8813695	$ 1\overline{7}.9034943 $	$ \overline{19.9351055}$	90-99

LOGARITHM OF THE PRESENT VALUE OF \$1, DUE AT THE END OF ANY NUMBER OF YEARS.

Years.	5 Per Cent.	6 Per Cent.	7 Per Cent.	8 Per Cent.	9 Per Cent.	10 Per Cent.	Years.
50	$\frac{1}{2}$, 9405350	$\bar{2},7347067$	$\bar{2.5308111}$	2.3288122	$\bar{2}.1286751$	3.9303657	50
51	.9193457	.7094009	.5014273	.2953885	.0912486	.8889731	51
52	.8981564	.6840950	.4720436	.2619647	.0538221	.8475804	52
53	.8769671	.6587891	.4426598	.2285410	.0163956	.8061877	53
54	.8557779	.6334833	.4132760	.1951172	3.9789691	.7647950	54
55	2.8345886	$\overline{2}.6081774$	$\bar{2}.3838922$	$\bar{2}.1616934$	$\bar{3}.9415426$	3. 72 34023	55
56	.8133993	.5828715	.3545084	.1282697	.9041161	.6820096	56
57	.7922100	.5575657	.3251247	.0948459	.8666896	.6406169	57
58	.7710207	.5322598	.2957409	.0614222	.8292631	.5992243	58
59	.7498314	.5069539	.2663571	.0279984	.7918366	.5578316	59
60	$\bar{2}.7286421$	$\bar{2}.4816481$	$\bar{2}.2369733$	3.9945747	$\bar{3}.7544101$	$\bar{3}.5164389$	60
61	.7074528	.4563422	.2075896	.9611509	.7169836	.4750462	61
62	.6862635	.4310364	.1782058	.9277272	.6795571	.4336535	62
63	.6650742	.4057305	.1488220	.8943034	.6421306	.3922608	63
64	.6438849	.3804246	.1194382	.8608796	.6047041	.3508681	64
65	$\bar{2}.6226956$	$\bar{2}.3551188$	$\bar{2}.0900545$	$\overline{3}.8274559$	$\bar{3}.5672776$	$\bar{3}.3094755$	65
66	.6015063	.3298129	.0606707	.7940321	.5298511	.2680828	66
67	.5803170	.3045070	.0312869	.7606084	.4924246	.2266901	67
68	.5591277	.2792012	.0019031	.7271846	.4549981	:1852974	68
69	.5379384	.2538953	$\bar{3}.9725193$.6937609	.4175716	.1439047	69
70	$\bar{2}.5167491$	$\overline{2}.2285894$	$\bar{3}.9431356$	$\bar{3}.6603371$	$\bar{3}.3801451$	$\bar{3}.1025120$	70
71	.4955598	.2032836	.9137518	.6269134	.3427186	.0611194	71
72	.4743705	.1779777	.8843680	.5934896	.3052921	.0197267	72
73	.4531812	.1526718	.8549842	.5600658	.2678657	$\bar{4}.9783340$	73
74	.4319919	.1273660	.8256005	.5266421	.2304392	.9369413	74
75	$\bar{2}.4108026$	$\bar{2}.1020601$	$\bar{3}.7962167$	$\bar{3}.4932183$	$\bar{3}.1930127$	$\bar{4}.8955486$	75
76	.3896133	.0767542	.7668329	.4597946	.1555862	.8541559	76
77	.3684240	.0514484	.7374491	.4263708	.1181597	.8127632	77
78	.3472347	.0261425	.7080653	.3929471	.0807332	.7713706	78
79	.3260454	.0008366	.6786816	.3595233	.0433067	.7299779	79
80	$\bar{2}.3048561$	$\bar{3}.9755308$	$\bar{3}.6492978$	3.3260996	$\bar{3}.0058802$	4.6885852	80
81	.2836668	.9502249	.6199140	.2926758	4.9684537	.6471925	81
82	.2624775	.9249190	.5905302	.2592521	.9310272	.6057998	82
83	.2412882	.8996132	.5611465	.2258283	.8936007	.5644071	83
84	2200989	.8743073	.5317627	.1924045	.8561742	.5230144	84
85	$\bar{2}.1989096$	$\bar{3}.8490015$	$\bar{3}.5023789$	3.1589808	4.8187477	4.4816218	85
86	.1777203	.8236956	.4729951	.1255570	.7813212	.4402291	86
87	.1565310	.7983897	.4436113	.0921333	.7438947	.3988364	87
88	.1353417	.7730839	.4142276	0.0587095 0.0252858	.7064682	.3574437	88 89
89	.1141524	.7477780	.3848438			1	90
90	$\overline{2}.0929631$	3.7224721	3.3554600	4.9918620	4.6316152 5941887	4.2746583 .2332657	90
91	.0717738 $.0505845$.6971663	3260762 2966925	.9584383	.5567622	.1918730	92
92	.0505845 $.0293952$.6718604 $.6465545$.2673087	.9250145	.5193357	.1504803	93
93	.0293932 $.0082059$.6212487	.2379249	.8581670	.4819092	.1090876	94
1 1	$\overline{3}.9870166$		3.2085411	4.8247432	1.4444827	$\frac{1030070}{4.0676949}$	95
95	3.9870166 $.9658273$	$\overline{3.5959428}$ $.5706369$.1791573	.7913195	.4070562	.0263022	96
97	.9658275 $.9446380$.5453311	.1497736	.7578957	.3696297	$\overline{5.9849095}$	97
98	.9234487	.5200252	.1203898	7244720	.3322032	.9435169	98
99	.9022594	.4947193	.0910060	.6910482	.2947767	.9021242	99
100	.8810701	.4694135	.0616222	.6576245	.2573502	.8607315	100
	12.4518321	14.2083033	17.9858411	19.7840532	$\bar{2}\bar{1}.6025585$	$\frac{23.4409866}{57.2017180}$	50-59
	14.3329025	17.6777170	19.0474634	22.4416777	25.8599085	27.3017180	60-69 70-79
	16.2139725	$ \bar{19}.1471303 $	22.1090857	$2\overline{5}.0993021$ $2\overline{9}.7569267$	$\frac{28.1172592}{32.3746095}$	$\frac{31.1624496}{35.0231810}$	80-89
	18.0950425	22.6165439	25.1707079	$\frac{29.7569267}{32.4145511}$	111011111	$\frac{55.0251810}{40.8839126}$	90-99
90-99	21.9761125	24.0859573	28.2323301	03.4140011	90.0019090	40.0000120	20-23



PART SECOND.

LIFE ANNUITIES AND INSURANCES.

The science of Life Annuities and Insurances is founded upon the system of Probabilities, or chiefly that portion of the system, which treats of "mathematical expectation." Numerous plans and projects from other sources, have generally ended in failure. And while "mathematical expectation" is admitted to govern the determination of premiums and reserves, the same principles, confirmed by long experience in connection with "moral expectation," are essentially recognized in the management of current risks and investments.

SECTION I.

First Principles of Probability for Reference.

For future reference, let us briefly state some of the axioms or first principles of the system of Probabilities. These have been variously developed in the able treatises of Professor De Morgan, especially the Essay on Probabilities in Lardner's Cabinet Cyclopædia, Galloway's article, Probability in the Encyclopædia Britannica, also published separately, Demoivre in 1756, Lubbock, Lacroix, Laplace, Poisson and others. A simple apparatus will serve for the experimental trials and comparisons. And a record of the results will illustrate the irregularities of small numbers and the increasing regularity of large numbers of trials, as well as the probable limits of fluctuation from a mean result.

1. Definition. According to the usual definition, the mathematical probability of a contingent event is measured by a fraction, whose numerator is the number of equal ways in which it can happen, and whose denominator is the number of all the equal ways in which it can either happen or fail.

The different chances or ways of happening are supposed to be perfectly equal. Otherwise they must be multiplied by numbers proportional to their respective facilities or likelihoods. If one chance is twice as likely as another, it must be regarded as two chances; and so generally.

An urn contains, for example, nine white balls, and one black ball. The chance of drawing a white ball by a person blindfold, is consequently $\frac{9}{10}$; and that of the black ball $\frac{1}{10}$.

Thus the chance of throwing heads in the toss of a symmetrical coin, is ½ or 0.5, called the "even chance." And the probability of throwing the acc point with an

ivory die, having six equal faces, is $\frac{1}{6}$. Generally, if the chances of occurrence are to those of failure, as a to b, the probabilities of happening and of failing in the next trial will be, respectively,

 $\frac{a}{a+b}$, and $\frac{b}{a+b}$.

- 2. Certainty. The sum of the last two fractions is evidently 1, the symbol of certainty; since one event or the other must take place. The practical applications of this principle are sometimes called "hedging," or "compassing the main chance." Thus a person having effected a temporary insurance on his life for ten years for \$5,000, next buys a pure endowment of \$5,000 for the same period. Or what is equivalent, he effects an Endowment Insurance for \$5,000 for ten years. The opposite chances of living and dying evidently make up a certainty, and are both secured; so that he must receive \$5,000 at the end of ten years, or sooner in the event of death.
- 3. The Opposite Probability. If p denote the probability of happening, and q that of failing in the next trial; then as just stated, p+q=1, and q=1-p. That is, the probability p subtracted from unity, gives the probability of the opposite event.

Thus the probability of throwing the ace point being $\frac{1}{6}$; the probability of not throwing the ace, but some other face of the die, is $1-\frac{1}{6}$, or $\frac{5}{6}$.

In the life table, let l denote the number of persons living at any given age; d the number dying in the ensuing twelve months; p the probability of surviving; and q that of dying, in the same year. As before described,

$$q = \frac{d}{l};$$
 $p = 1 - q = \frac{l - d}{l}.$

4. Joint Occurrence. The probability of an event compounded of any number of simple and independent events is equal to the product of their separate probabilities.

It will be useful to observe that this product will be the same, whether the simple events are simultaneous or successive, or to occur in any one order. For example, if p, p', p'' denote the tabular probabilities of surviving from the age of 35 to 36, 36 to 37, 37 to 38; the probability of surviving from 35 to 38 will be equal to the product p p' p''. In like manner, the chance of surviving from 35 to 37, and dying in the next year, will be p p' (1-p'').

Since the product of two or more proper fractions is always less than either factor, the uncertainty of a compound event increases with every new contingency, on which it is made to depend. For a common illustration, the evidence of eye-witnesses is preferred to hearsay reports successively transmitted.

- 5. Addition of Probabilities. When a simple event may happen in several ways independently, the probability of the event is the sum of its separate probabilities. Thus, the chance of throwing the acc point in one toss of an ivory die, being $\frac{1}{6}$, the chance of throwing just one acc when two diee are thrown, is the sum of $\frac{5}{6} \times \frac{1}{6} + \frac{1}{6} \times \frac{5}{6}$ or $\frac{10}{36}$. In the same case, for contrast, the chance of two aces by Principle 4, is equal to $\frac{1}{6} \times \frac{1}{6}$ or $\frac{1}{36}$. The wide difference between these two classes of results, was strikingly illustrated in the military concentrations and combinations of Napoleon Bonaparte. "Military science," said he, "consists in calculating all the chances accurately in the first place, and then in giving accident its place in one's calculations."
- 6. Repetition of Trials. An urn contains 3 white and 2 black balls or 5 in all. A ball is drawn successively and replaced in the urn after each drawing. The result

of two trials,—if W, B, denote the issue of a white or black ball respectively,—will be represented thus:

Possible Events. WW, WB, BW, BB. Probabilities.
$$\frac{3}{6} \star \frac{3}{6}$$
, $\frac{3}{6} \times \frac{2}{6}$, $\frac{2}{6} \times \frac{3}{6}$, $\frac{2}{6} \times \frac{3}{6}$, $\frac{2}{6} \times \frac{2}{6}$, $\frac{2}{6} \times \frac{3}{6}$, $\frac{2}{6} \times \frac{2}{6}$.

And so generally, if p denote the probability of any contingent event E, and q that of its opposite, so that p+q=1; the possible combinations in m trials, will be represented by the terms of the development of the binomial,

$$(p+q)^m = p^m + mp^{m-1}q + \frac{m(m-1)}{2}p^{m-2}q^2 + \dots + \frac{m(m-1)(m-2)\dots(m-n+1)}{1\cdot 2\cdot 3}p^{m-n}q^n + \dots + q^m.$$

The first term expresses the probability that E will happen in every one of the m trials. The whole second term expresses the probability that E will happen m-1 times and fail once, in any order or without regard to order. Or omitting its coefficient m, the remaining product by Principle 4, expresses the probability that E will occur m-1 times and fail once in any particular or assigned order. And so on for the third term, to the last.

In like manner, instead of two simple events, had there been three, whose probabilities are p, q, r, so that p+q+r=1; the probabilities in m trials would be shown in the development of $(p+q+r)^m$. And so, for any greater number of events.

The terms of the development of $(p+q)^m$ can be represented by the ordinates of a curve, termed the *probability curve*. And the maximum term is proved to be that which has mp and mq, or numbers nearest to these, for the exponents of the factors p and q respectively. So in the case of three or more simple events, whose probabilities are p, q, r cdots the most probable combination in m trials is the maximum term of $(p+q+r+\dots)^m$, or

$$\frac{1.2.3.4.\dots.m}{1.2.\dots.mp \times 1.2.\dots mq \times 1.2.\dots mr \times \dots} \times p^{mp} \times q^{mq} \times r^m \times \dots$$

The probability curve, here described, when materially simplified for large numbers, has been made the foundation of the "theory of errors of observations." Also its mean area has been tabulated for reference, by De Morgan and others.

7. Mathematical Expectation. The mathematical expectation of a contingent gain, is the product of the sum at issue, by the probability of receiving it. Or, the sum of the expectations of gain, diminished by the sum of the expectations of loss, gives the total expectation. If the chance of winning \$90 is $\frac{1}{6}$, the expectation is $90 \times \frac{1}{6}$, or \$15.

In the original application to games of hazard, the conditions of equal play not only required the mathematical expectations to be equal, but also required the option of continuing the game through a given series of trials. If p denotes the chance that A will win the sum a from B, and q denotes the chance that B will win the sum b from A, at each trial, then the first condition of equality requires that pa = qb; or a:b::q:p. That is, if the number of trials is not limited, the stakes must be inversely proportional to the probabilities of winning in each single trial.

In the historic problem proposed to Pascal: Two persons of equal skill (that is, $p = q = \frac{1}{2}$) sit down to play on condition that the one who first gains three games shall win the stakes. The first has gained two games, and the second one game, when

they agree to separate. What share is each entitled to take? Not equal shares; but the stakes must be divided proportionally to the probabilities of winning the unfinished games.

By Principle 4, the probability of the second player's winning the next two games is $\frac{1}{4}$. By Principle 5, the probability of the first player's winning the next game is $\frac{1}{2}$; that of losing this game and winning the second, $\frac{1}{4}$, total $\frac{3}{4}$. So that the share of the second is $\frac{1}{4}$; and of the first, $\frac{3}{4}$; being proportional to their respective chances of finally winning the stakes.

At the present day, these early problems are still valuable as miniature illustrations of the correct principles, which govern in questions of Insurance reserves and the distribution of surplus. The danger in practice, generally lies, as was illustrated by Demoivre, in ignoring just distinctions and liabilities, such as the effect of unexpired times and conditions.

8. Moral Expectation. In the solution of problems relating to games of chance, it was noted at an early period, that in many cases, the numeric expectation was an insufficient guide, and other circumstances must be taken into account. Among these various conditions, the amount of capital of the party interested, was generally the most important. In the great majority of cases, the relation between the capital and the risk, proposed by Daniel Bernoulli, has led to very satisfactory conclusions. This principle more plainly stated, is, that when the absolute value of the capital increases in geometrical progression, its relative advantages, termed the moral value, increase not so fast, but in arithmetical progression. Or the relation in the first case, is that of numbers, and in the second case, that of their logarithms.

FORMULA.—Let a denote the original capital. Let e denote the mathematical, and e' the moral expectation of the contingent gains h, k, l, \ldots of which, the respective probabilities are p, q, r, \ldots . It is assumed that $p+q+r+\ldots=1$, so that one or other of the events will certainly happen. By Principle 7, we have

 $e = ph + qk + rl + \dots$

To this, adding the identical equation $a=(p+q+r+\ldots)a$, we obtain under another form, the capital and mathematical expectation

$$a+e=p(a+h)+q(a+k)+r(a+l)+\dots$$

Changing from absolute to moral values, or from amounts to their logarithms, as above described, and from e to e', we thus define the *moral expectation*:

$$\log(a+e') = p \log(a+h) + q \log(a+k) + r \log(a+l) + \dots$$

Or passing from logarithms to numbers,

$$a + e' = (a+h)^{p} \cdot (a+k)^{q} \cdot (a+l)^{r} \cdot \dots$$

Since $a+h=a\left(1+\frac{h}{a}\right)$, and $p+q+r+\ldots=1$, we find by developing either of the last equations in series, $e'=ph+qk+rl+\ldots-\tfrac{1}{2}(ph^2+qk^2+rl^2+\ldots)+\ldots$

The sum of the first powers in this series is identical with e as stated above; so that the moral expectation in general, is less than the mathematical.

When the moral expectation is thus expressed by an Algebraic formula, the chief advantage appears in the facility with which the parts can be varied to bring up the value of the expectation to its maximum. Thus from the last formula of the Note above, it appears that when the risks of an Insurance Office are so numerously distributed, and each one is so small in comparison with the capital, that the higher powers h^2, k^2, \ldots may be neglected in comparison with the first, the moral expectation attains its maximum, and the most favorable disposition of the chances is so far realized.

The general precept known in commerce under the name of Distribution of Risk, immediately follows, in connection with that of the selection or rejection of risks.

From the problems relating to games of chance, the moral expectation appears to be always less than the mathematical. Hence the obvious consequence that betting, gambling and lotteries are attended with moral disadvantage, even when the chances of gain or loss are perfectly equal. As Prof. De Morgan has remarked, "it does not follow, that equal play means prudent play."

Among other illustrative problems of this theory, is one for determining the amount of capital which an individual should possess in order to be *morally* indifferent whether he insures or not. When the amount of capital is below this limit, its moral value may be advanced by insurance, even when the premium exceeds the mathematical value of the risk.

SECTION II.

The Life Table and Law of Mortality.

An important application of the system of Probability to give increased accuracy to the ratios of mortality or loss, by final series, has already been described on pages 35-38. By this method, the annual ratios by Lives and by Amounts, for Malc and for Female Life were severally computed from the experience of the Thirty Offices. According to Principle 3 of Probability, the ratios of loss or of mortality, denoted by q, when subtracted from unity give 1-q or p, the annual probability of surviving one year. Let p, p', p'' ... denote the tabular probabilities, thus found from the Amounts, of surviving from the age of 10 to 11, 11 to 12, 12 to 13, and so on. Then assuming 100,000 to enter at the precise age of ten years, by Principle 4 of the last Section, the numbers surviving at the ages 10, 11, 12, 13, will be 100,000, 100,000 p, 100,000 p p', 100,000 p p' p'', and so on to the oldest age, near 100 years. The results are based on the fourth columns, pp. 159, 164. The standard Tables XXVI and LXXVII were thus constructed from the ratios of Amounts with slight adjustment in a few instances toward the extremes, from the ratios of Lives. The graduation of the table for Female Life, on account of small numbers above the age of seventy, was aided by comparison with other larger collections, and then adjusted by the method of Woolhouse as described in the Journal of the Institute of Actuaries, Vol. 21, p. 45.

In the Table XXVI for Male Life, the values from age ten to ninety years, were calculated by the well-known law of Makeham, taking the ungraduated values of l_{25} , l_{40} , l_{55} , l_{70} , as data. The unknown q is found first, by taking the differences of the four equations once and again; and then dividing the last two equations, one by the other. The formulas and constants are as follows:

$$\begin{split} l_x &= k.s^x.g^{q^x}, & \lambda l_x = \lambda k + x\lambda s + q^x.\lambda g. \\ \lambda \frac{l_{x+1}}{l_x} &= \lambda p_x = \lambda s + q^x(q-1)\lambda g. & \lambda k = 5.028244, & \lambda(-\lambda g) = 4.475241. \\ s &= 0.9936957, & g = 0.9993122, & q = 1.099713375. \\ \lambda s &= \overline{1}.99725340, & \lambda g = -0.000298773, & \lambda q = 0.041279507. \\ \text{Nap. log. } s &= -0.00632429, & \text{Nap. log. } g = -0.000687950, \\ &\text{Nap. log. } q = 0.095050036. \end{split}$$

The integer results computed from this formula, terminated with only 2 persons living at the age of 101 years; and their close agreement with the ungraduated values secured their entire adoption, with a slight change above the age 90, so that the Table ends at the age of 99 years.

Here the inquiry arises, why should this Table of Male Life from the experience of Thirty Offices, spontaneously conform to Makeham's law of mortality, while previous Tables showed very considerable deviations? In explanation, the following circumstances may be noted; first, that the observations were far more numerous than any previous collection of life insurance statistics, and comprised nearly a million of entrants. Second, that the observations were nearly homogeneous, in respect to the agencies, medical examinations, climate, nationality, education, and habits of living. Third, that the observations were reduced with the greatest care by select clerks, and the results always verified by two independent operations. Fourth, that they contain the first application of the improvement in construction by final series, already mentioned. Fifth, that the observations are essentially free from the mis-statement of ages adjacent to 30, 35, 40, 45, 50, years, a common source of error in population returns.

The present collection also determines the fluctuating nature of climacteries, or periods of health and sickness, at the different ages of life. Physicians assert the existence of periodic alternations, more or less regular, of health and disease, observed in their own persons, and in their professional practice. It is like the surface of a body of water, disturbed by the wind or other causes, and taking the form of waves, having like periods of oscillation. And as the force of gravitation by insensible degrees, causes the waves gradually to subside, so does the innate vital force tend, from conditions of disease, to the original conditions of health. Detached portions of the present statistics, will show these fluctuations; an increase of mortality at one age, being followed by a decrease at a future age, and conversely. The manifestations prove to be so different in particular individuals, that in the average of several hundred thousands, the opposite fluctuations compensate each other, leaving in adult life, only the mathematical law before stated.

Down to the present time, the statistics of life tables have been regarded in practice merely as observations, with irregularities to be smoothed down and graduated like any other set of observations.

For a particular account of the earlier life tables, reference can be made to the original publications, or to Walford's Cyclopædia, or to the Journal of the Institute of Actuaries. In respect to the mathematical law of mortality, the celebrated Demoivre first observed that the portion of the life table between the ages of 22 and 86 years, was approximately represented by the simple formula, l=86-x; where l denotes the number living at the age x. This appeared in the year 1727. Different formulas were subsequently prepared or published by Lambert in 1776; by Babbage in 1823; by Thomas Young in 1826; by Littrow in 1832; by Moser in 1839; and by Orchard before 1856. But the chief interest centers, upon the formula of Gompertz, published in the Philosophical Transactions of 1825; and upon Makeham's modification of it, which appeared in 1859 in the Assurance Magazine or Journal, Vol. 8, p. 301.

Gompertz's formula is $l_x = k_1 g_1 q_1^x$; Makeham's, $l_x = k g_1 q_2^x$. sx.

Here l denotes the number living at the age x, and k, y, q, s are constants to be derived from the observations. Now with reference to the usual expression of force

in the science of Mechanics, taking the Napierian logarithms of either formula, and differentiating twice, we find the relative Force of Mortality

$$= \frac{\ell^2 \log \ell_x}{\ell \ell \ell^2} = \log g \cdot (\log q)^2 \cdot q^x.$$

That is, in the average of a great number of adult males, the relative force of mortality, increases regularly with advancing age, in geometrical progression.

But the chief value of this law, like that of the law of gravitation, is found in its relations to analysis. Integrating the last formula, we obtain by adding the usual constant, the Instantaneous Rate of Mortality, computed in Table XLIII:

$$\mu_x = -\frac{d \log l_x}{dx} = -\log s - \log g \cdot \log q \cdot q^x.$$

$$\mu_x = -\frac{d l_x}{l_x dx} = 1.187752 \times \lambda \frac{1}{p_{x-1}} + 1.114833 \times \lambda \frac{1}{p_x}.$$

$$\mu_x = \frac{8(l_{x-1} - l_{x+1}) - (l_{x-2} - l_{x+2})}{12l_x}, \text{ nearly.}$$

When the quantities are determined from four fixed ages, as 25, 40, 55, 70 years, the common Log. q is found to have almost the same value 0.04 in all collections. But the constant s changes from one table or latitude to another, and representing the uniform influence of exterior causes, may be named the *climatic constant*. Also in certain cases, s may be used to represent an auxiliary or relative rate of interest.

Having found the law, par excellence, of adult mortality, above the age of 22 years, we have extended the same law, in Table XXVI, down to the age of ten, to represent the very few and exceptional insurances contracted at the youthful ages. With more complete statistics, like the results of the census, we might extend the same law down to the birthday, and compare with the ungraduated values, to indicate the residual series or law in infancy and youth.

A numerical example of this kind was given by the writer in the thirteenth Report of the Insurance Commissioner of Massachusetts, for the year 1868, page 106. Aided by this and some further data, Mr. Makeham happily completed his formula down to the birthday, as described in the Journal of the Institute for 1871, Vol. 16, page 344. Thus, for the entire period of Male Life, the number living l in the life table, at any age x is

$$l_x = k \cdot g^{q^x} \cdot s^x - k_1 \cdot g_1^{q^x} \cdot s_1^x + k_2 \cdot g_2^{q^x} \cdot s_2^x$$

Since the middle term vanishes about the age of 20, and the last term vanishes at the age of 7 or 8; the first term, or rather the constants k, g, q, s are computed from ages above 20, as previously described on page 237. The value of q remaining the same, the maximum residual at age 6 or 7, and the residuals at 3 and 6 years older, define k_1 , g_1 , s_1 . And the final or second residuals, at ages 0, 1, 2, determine k_2 , g_2 , s_2 .

In seeking for the physical canse or causes, the analogy of "latent and sensible heat" is first suggested, in a general way. For in children, the sensible part of the bodily temperature is stated to slowly decline from birth until about the sixth year of age. After this, it gradually increases until maturity, and then slightly declines again, as old age advances.

Let us further observe that when complete life tables have been referred to three or four exponentials, as computed by the writer, one of the exponentials always corresponds with that of Makeham's formula in adult life, while the rest take the form of

exponential waves, such as $bc^x \cdot \cos(ax+a')$. But in adult life, considered separately, these waves are so discordant, dissimilar and evanescent in different Tables, that they must disappear in the average of a very great number, as already shown numerically by the present statistics.

SECTION III.

Present Value of Life Annuities.

The early history of Annuities on Lives is given in the various memoirs of the Assurance Magazine, and in Walford's Insurance Cyclopædia, art. Annuities on Lives. Like some occasional applications in modern times, the earliest dealings rested on mere conjectural estimates. The growth of a correct system is associated with the early Table of the Prefect Ulpian, the unpublished State papers of Johan de Wit in 1671, the papers of Dr. Halley in the Philosophical Transactions of 1693, and with the noted formula of derivation,

 $a_x = vp_x(1 + a_{x+1}),$

published by Demoivre in 1725, and independently by Euler in 1760. The system of Commutation Columns was next perfected; and in 1849 Mr. Peter Gray in his admirable Tables and Formulæ, gave new derivative formulas, and improved the form of Gauss's Tables for finding Log.(1+x) and Log.(1-x) from the argument Log. x. The computation of Tables of temporary annuities in the present work, for example, was especially facilitated by Gray's Tables. For the calculation of a large class of applied results, the process by temporary annuities or their logarithms, is found to be considerably shorter than by commutation columns.

Further improvements relative to Annuities on Joint Lives and Survivorships have been successively derived from the formulas of Gompertz and Makeham. Also "the theory of continuous annuities" has been successfully introduced by Mr. Woolhouse in connection with Euler's formula of summation or quadrature, as described hereafter. A parallel method by Mr. Makeham, for determining all values of Life Annuities by integration, has been given under an improved form by Mr. Emory McClintock. The equivalent formula or series will be found on page 293.

In order to explain how Life Annuity Tables are calculated, let us compare the *Present Values* year by year, as follows:

Years,
$$1 \qquad 2 \qquad 3 \qquad \dots \qquad n \dots$$
 Annuity Certain, Value
$$= v \qquad + \qquad v^2 \qquad + \qquad v^3 \qquad + \qquad \dots \qquad + \qquad v^n \qquad + \qquad \dots$$
 Life Annuity,
$$a_x = \frac{l_{x+1}}{l_x} \cdot v + \frac{l_{x+2}}{l_x} \cdot v^2 + \frac{l_{x+3}}{l_x} \cdot v^3 + \dots + \frac{l_{x+n}}{l_n} \cdot v^n + \dots$$

Here v, v^2 , v^3 , etc. represent the present value of \$1 due at the end of the 1st year, of \$1 due at the end of the 2d year, of \$1 due at the end of the 3d year; and so on to the last. If i denotes the rate of interest, $v = \frac{1}{1+i}$.

In the lower formula, $\frac{l_{x+1}}{l_x}$ is the proportion by the life table, or probability of surviving the 1st year to receive \$1 whose present value is v; hence by Principle 7, Sect. I, the product $\frac{l_{x+1}}{l_x} \cdot v$ is the mathematical Expectation relative to the 1st year.

Again, $\frac{l_{x+2}}{l_x}$ is the probability of surviving the first two years to receive the next payment of \$1, whose present value is v^2 . Hence the product $\frac{l_{x+2}}{l_x} \cdot v^2$ is the mathematical Expectation relative to the 2d year; and so on. The sum of these yearly Expectations is the present Value of the Life Annuity, Table XXVIII.

When the series extends over but 5, 7, 10 or n years, the sum is called a *Temporary Life Annuity*, or *Temporary Annuity*, denoted by a_x^n , to continue n years if the annuitant shall so long live. When the series extends to the end of the life table, near 100 years, the sum is termed a *Life Annuity*, denoted by a_x . "With present payment," the expression is $1+a_x$, given by logarithms in Tables XLIV-XLVII.

From another point of view, let us suppose l_{30} persons of the common age 30 to buy each a Life Annuity of \$1. By the life table l_{31} survive to the age 31 to receive each the first payment of \$1, of which the present value is v, and total present value, $l_{31} \cdot v$. In like manner l_{32} will, on the average, survive to the end of the second year, when the present value of the second disbursements will be $l_{32} \cdot v^2$; and so on. Dividing the sum of all the present values by the original number of persons l_{30} , to find the average, a_x , we obtain the same formula as before,

$$a_{30} = \frac{l_{31} \cdot v + l_{32} \cdot v^2 + l_{33} \cdot v^3 + \dots}{l_{30}}.$$

Recurring to the general formula, let us observe that on multiplying and dividing by l_{x+1} , which does not alter the value,

$$\frac{l_{x+2}}{l_x} = \frac{l_{x+1}}{l_x} \cdot \frac{l_{x+2}}{l_{x+1}} = p_x \cdot p_{x+1}; \qquad \frac{l_{x+3}}{l_x} = \frac{l_{x+1}}{l_x} \cdot \frac{l_{x+2}}{l_{x+1}} \cdot \frac{l_{x+3}}{l_{x+2}} = p_x \cdot p_{x+1} \cdot p_{x+2}; \dots$$

Hence when the annuity is expressed in annual probabilities,

$$a_x = v \cdot p_x + v^2 \cdot p_x \cdot p_{x+1} + v^3 \cdot p_x \cdot p_{x+1} \cdot p_{x+2} + \dots$$

Deferred Annuity. Let the present value of \$1 annuity deferred m years on a life now aged x, be denoted by ma_x . At the advanced age x+m, the value of a life annuity will be a_{x+m} . Multiplying this by v^m to reduce it to present value, and by $\frac{l_{x+m}}{l_x}$, the probability of attaining it, we have the value of the deferred annuity,

$$^{m}a_{x}=\frac{l_{x+m}}{l_{x}}.v^{m}.a_{x+m}.$$

By examination, it will be seen that the sum of the temporary and the deferred annuity is equal to the whole life annuity; that is,

$$a_x^m + {}^m a_x = a_x; \qquad a_x^m = a_x - {}^m a_x$$

Joint Lives. The probability that two lives aged x and y, shall both survive one year, is $\frac{l_{x+1} \cdot l_{y+1}}{l_x \cdot l_y}$, being the product of their separate probabilities. Hence by the same reasoning as for single lives, the present value of \$1 annuity payable at the end of each year, during the joint continuance of both lives, is as follows:

$$a_{xy} = \frac{l_{x+1} \cdot l_{y+1} \cdot v + l_{x+2} \cdot l_{y+2} \cdot v^2 + l_{x+3} \cdot l_{y+3} \cdot v^3 + \dots}{l_x \cdot l_y}$$

For three or more joint lives, the formula depends on the same simple principle.

Annuity on Three Lives by Simpson's Rule. From Tables for one and two lives, the annuity for three lives was approximately determined by the author T. Simpson in 1791, as follows: "Take the value of an annuity on the joint lives of the two oldest, and find the age of a single life of the same value. Then find the annuity on the joint lives of the one just found, and the remaining life of the three, and the result, (which Francis Baily diminished by .05), will be very nearly the true value." Table, page 260.

Professor De Morgan proved that Simpson's method would be strietly true, if the Table followed the law of mortality of Gompertz. (Journal, Vol. 10, p. 27.)

Half-yearly and Quarterly Annuities. When the annuity is changed from annual to half-yearly installments, add .25; and when to quarterly installments, add .375 to the tabular value of the annuity. Or generally add $\frac{m-1}{2m}$, when the installment is payable m times a year, as demonstrated on page 70. Thus the value \$14.662 of \$1 annual payment is changed to 14.912 for half-yearly installments of \$0.50, and to 51.037 for quarterly installments of \$0.25. The more exact formula by Woolhouse for the value of an annuity payable m times a year is (Journal, Vol. 11, p. 327),

$$a_x + \frac{m-1}{2m} - \frac{m^2-1}{12m^2}(\mu + \delta).$$

And Mr. Sprague's formula for the value of a complete annuity, payable by m equal installments in each year, with a proportionate part to the day of death is (Journal, Vol. 13, pp. 377–380),

$$\left(a_x + \frac{1}{2} - \frac{\mu + \delta}{12}\right) \left(1 - \frac{\delta}{2m}\right) + \frac{\delta}{12m^2}.$$

Here $\mu = -\frac{d}{dx} \log l_x = (l_{x-1} - l_{x+1}) \div 2l_x$ nearly; $\delta = \text{Nap. log. } (1+i)$, and i = rate of interest. The values of μ , δ are given in Table XLIII.

From the present value for 1, the value for any other sum is found by multiplying the value for 1, by the actual annuity or yearly income. The further consideration of Life Annuities is deferred till after the system of Commutation Columns described in Section V.

SECTION IV.

Expectation of Life and Probable Life.

The phrase *Expectation of Life* has long been used to denote the after-life-time, or average number of years and the decimal part, lived after a given age.

Let l_x denote the number living shown in the life table at the age x. Assuming the deaths of each separate year to occur uniformly, the number of years lived in the first year, second year, third year, will be

$$\frac{l_x+l_{x+1}}{2}+\frac{l_{x+1}+l_{x+2}}{2}+\frac{l_{x+2}+l_{x+3}}{2}+\cdots$$

Taking the sum of the contiguous terms continued to the oldest age or end of the life table, and then dividing by l_x to give the average, we obtain the common formula for the expectation of life, denoted by e:

$$e_x = \frac{1}{2} + \frac{l_{x+1} + l_{x+2} + l_{x+3} + \dots}{l_x}.$$

Hence the Rule: Divide the sum of the tabular numbers living above the given age, by the number living at the age, and to the quotient add ½ year.

For example, the expectation of life at the age 95 by Table XXVI is found to be

$$e_{95} = \frac{1}{2} + \frac{68 + 30 + 12 + 4}{136} = 1.338$$
 or $1\frac{1}{3}$ years, nearly.

To demonstrate the derivative formula, let x+1 be substituted in place of x in the formula above; then clearing of fractions, and subtracting one equation from the other, we find

$$e_{x+1} = \frac{1}{2} + \frac{l_{x+2} + l_{x+3} + l_{x+4} + \dots}{l_{x+1}}$$

$$e_x - \frac{1}{2} = \frac{l_{x+1}}{l_x} \left(e_{x+1} + \frac{1}{2} \right) = p_x \left(e_{x+1} + \frac{1}{2} \right).$$

In the formulas of Section III for Life Annuities, if we make v=1, that is, i=0; we obtain what is termed "the *curtate* expectation of life." In the case of single lives, it is the quantity here denoted by $e_x-\frac{1}{2}$, and expresses the average number of complete years to be lived, or of annuities received, or of annual premiums to be finally paid.

Again making v = 1 in the formula for Joint Life Annuities, we obtain the *curtate* expectation of the joint life, denoted by $e_{xy} - \frac{1}{2}$; where the *complete* expectation is denoted by e_{xy} . According to "the continuous theory," the tabular expectations usually given, slightly exceed the true values, by one-twelfth of μ_x .

For comparing the longevity of different Life Tables, let the particular expectation of life which is just equal to the age past, be termed the even expectation. By the Thirty Offices Table XXVI, at the age 33.37 years, for example, the even expectation or mean duration of future life is also 33.37 years. In like manner, the even expectation of the Carlisle Table is 32.62 years; of the table of Des Parcieux 32.49; of the Equitable Society by Davies 32.38; of the British government Male Annuitants 32.00; of the Female Annuitants 34.58; and of the Northampton Table by Dr. Price 28.86 years. The shorter the even expectation or half-interval, the shorter will be the whole and other connected intervals of life in the same Table, as shown in Tables XXVI and LXXX.

A prevalent error on the part of persons imperfectly versed in these matters, consists in calculating life annuities and other similar results, from the expectation of life. At the age of 29 years, for example, the true present value of a life annuity by the Carlisle Table at 4 per cent. is 16.997; as found empirically from the expectation of life, it is 18.665, which is too great by one-tenth part. The nature of this erroneous practice may be further explained by comparison of the preceding formulas for life annuities and for expectations, which are evidently designed for separate objects.

Probable Life. At any given age, "the probable life" or "vie probable" denotes the future period, which there is the chance $\frac{1}{2}$ of surviving, and the chance $\frac{1}{2}$ of not surviving; these chances being equal. Let x and x+T denote any two ages of the life table, connected by the relation, $\frac{1}{2}l_x = l_{x+T}$; then will the difference of ages T denote the probable life at the age x. The column of Probable Life in Table XXVI was computed by the preceding formula. In this Table at the age of thirty, for example, the probable life is 38.48 years, which is 2.63 years more than the expectation of life at that age. But at the age of $57\frac{2}{8}$, the expectation and the probable life become equal to each other in the common period of 16.61 years; and at older ages, the expectation exceeds the probable life.

A remarkable agreement of the probable life of males and females combined, was observed by the distinguished Professor Quetelet, in comparing the tables for England by Farr, Sweden by Berg, Belgium by Quetelet, Netherlands by Baumhauer, and Bavaria by Hermann. All Europe, he observes, as will be seen by the following columns, follows a law of mortality nearly the same; and the slight differences between the results above five years of age, appear due to particular advantages arising from opulence, and a more regular mode of life. (*Physique Sociale*, 1869, Vol. 1, page 307.)

Ages.	SWEDEN.	England.	Belgium.	NETHERLANDS	BAVARIA.	AVERAGE.
0	51	45	42	34	27	40
5	5 6	55	53	53	53	54
10	53	5 1	50	50	50	51
15	48	47	46	46	45	46
20	43	43	43	4.2	41	42
30	35	35	35	3 4	34	35
40	27	27	27	26	26	27
50	19	20	20	19	18	19
60	13	13	13	12	1 2	13
70	7	8	7	7	7	7
80	4	4	4	3	4	4

YEARS OF PROBABLE LIFE IN EUROPE.

SECTION V.

Commutation Tables.

Statistics are ancient, but their scientific forms are modern, as Professor Qnetelet has observed. The origin of commutation columns, or preparatory researches from which the system was at length perfected, were published by William Dale in 1772, William Morgan in 1779, John Nicholas Tetens in 1785, George Barrett in 1812, and Griffith Davies (who added the M and R columns), in 1825. The work of David Jones in 1844 was the first to give an extended series of commutation tables; and his notation is still followed in the Journal of the Institute of Actuaries. Indeed all subsequent writers retain the D, C, M, R columns on the same plan. But it is very needful to bear in mind, that in the Tables of Dr. Farr, Chisholm, Henry and most American actuaries, the N and S columns only are shifted down one space; so that N_x and S_x denote the same quantities, which David Jones had designated by N_{m-1} and S_{m-1} . However, by simply adding 1 to the suffix of N_{m-1} and S_{m-1} , the formulas of Jones and of the Jonrnal will evidently coincide with the change of Dr. Farr, which under present circumstances, is adopted in this collection.

The name of Commutation Tables was proposed by Professor De Morgan in 1840. He had noticed the singular property, that on transposing or commuting any two ages, say 30 and 34, whatever may be the present age, if less than 30, the person might now give up D_{34} due at the age of 30, to receive D_{30} if he lives to be 34. Similar properties belong to the N and other columns. *Journal*, Vol. 12, p. 332.

Proceeding now to explain the D and N commutation columns, let us refer to Sect. III, and multiply both numerator and denominator of the expression for the Life Annuity by the same factor v^x , which does not alter the value,

$$a_x = \frac{l_{x+1} \cdot v^{x+1} + l_{x+2} \cdot v^{x+2} + l_{x+3} \cdot v^{x+3} + \dots}{l_x \cdot v^x}$$

$$a_x = \frac{D_{x+1} + D_{x+2} + D_{x+3} + D_{x+4} + \dots}{D_x} = \frac{N_{x+1}}{D_x}.$$

Thus the formula is entirely resolved into similar elements, of the type $D_{\infty} = l_{\infty} \cdot v^{\infty}$. And N_{x+1} denotes the sum of the terms of the numerator continued to age 99, or to the end of the life table. The letters N, D, appear to be chosen from the words Numerator and Denominator. A Temporary Life Annuity for 3, or more generally n years, will evidently have the expression, where the exponents 3, n are used, (not in the Algebraic sense of powers), but simply to denote so many years after entry,

$$a_x^3 = \frac{\mathbf{D}_{x+1} + \mathbf{D}_{x+2} + \mathbf{D}_{x+3}}{\mathbf{D}_x} = \frac{\mathbf{N}_{x+1} - \mathbf{N}_{x+4}}{\mathbf{D}_x}, \qquad a_x^n = \frac{\mathbf{N}_{x+1} - \mathbf{N}_{x+n+1}}{\mathbf{D}_x}.$$

Again, referring to Section III, and multiplying both numerator and denominator by v^{ω} , the Deferred Life Annuity takes the surprisingly simple form,

$${}^{n}a_{x} = \frac{l_{x+n} \cdot v^{x+n}}{l_{x} \cdot v^{x}} \cdot a_{x+n} = \frac{D_{x+n}}{D_{x}} \cdot \frac{N_{x+n+1}}{D_{x+n}} = \frac{N_{x+n+1}}{D_{x}}.$$

The results already described, will exemplify the superior advantage of commutation columns, for determining the value of Life Annuities, whether immediate or deferred, for the whole life, or a portion of it. So manifest have these advantages appeared, that all the standard formulas of Life Annuities and Assurances have been resolved into similar elements. In all, six columns are required; whereof D, N, S are termed annuity columns, and C, M, R are termed insurance columns. These columns are connected with each other, by the following simple relations:

Let $v = \frac{1}{1+i}$, where i denotes the rate of interest;

 $d_x = l_x - l_{x+1}$, where x denotes the age, d the deaths, l the living in the life table; then,

$$D_{x} = l_{x} \cdot v^{x};$$
 $C_{x} = \ell l_{x} \cdot v^{x+1} = (l_{x} - l_{x+1})v^{x+1}.$

$$N_x = D_x + D_{x+1} + D_{x+2} + \dots$$
 $M_x = C_x + C_{x+1} + C_{x+2} + \dots$

$$S_x = N_x + N_{x+1} + N_{x+2} + \dots$$
 $R_x = M_x + M_{x+1} + M_{x+2} + \dots$

Each series is to be continued to the end of the life table. By writing x+1 in place of x, and then eliminating, we find,

$$N_{\alpha} = D_{\alpha} + N_{\alpha+1};$$
 $M_{\alpha} = C_{\alpha} + M_{\alpha+1}.$

$$S_x = N_x + S_{x+1};$$
 $R_x = M_x + R_{x+1}.$

In the former equations for S and R, substituting in place of N and M the series of D or C which they represent, and adding, we have

$$S_x = D_x + 2D_{x+1} + 3D_{x+2} + \dots$$
; $R_x = C_x + 2C_{x+1} + 3C_{x+2} + \dots$

Note.—By differentiating the life annuity in Section III, etc. with respect to v, we also have

$$\frac{d}{dv} a_x = \frac{\mathbf{S}_{x+1}}{v \mathbf{D}_x} \; ; \qquad \quad \frac{d}{dv} \binom{\mathbf{N}_x}{v^{x-1}} = \frac{\mathbf{S}_x}{v^x} \; ; \qquad \quad \frac{d}{dv} \binom{\mathbf{M}_x}{v^x} = \frac{\mathbf{R}_x}{v^{x+1}} .$$

Again, for temporary periods,

$$N_{x} - N_{x+n} = D_{x} + D_{x+1} + \dots + D_{x+n-1}.$$

$$M_{x} - M_{x+n} = C_{x} + C_{x+1} + \dots + C_{x+n-1}.$$

$$S_{x} - S_{x+n} = N_{x} + N_{x+1} + \dots + N_{x+n-1}$$

$$= D_{x} + 2D_{x+1} + \dots + n \cdot D_{x+n-1} + n \cdot N_{x+n}.$$

$$R_{x} - R_{x+n} = M_{x} + M_{x+1} + \dots + M_{x+n-1}$$

$$= C_{x} + 2C_{x+1} + \dots + n \cdot C_{x+n-1} + n \cdot M_{x+n}.$$

When C, M, R are not tabulated, their values can be derived from v, D, N, or S, by the following relations:

$$C_x = (l_x - l_{x+1})v^{x+1} = vD_x - D_{x+1}$$

Making x to represent in separate equations, $x, x+1, x+2, \ldots$ and taking the sum of results,

$$M_x = v \cdot N_x - N_{x+1} = D_x - (1-v)N_x$$

Again making x to represent $x, x+1, x+2, \ldots$ and taking the sum as before,

$$R_x = v \cdot S_x - S_{x+1} = N_x - (1-v)S_x$$

Construction of Commutation Tables. Among various methods, the first proceeds by independent computation of C_x or D_x by six or rather seven place logarithms, in columns, according to the formulas,

$$D_x = v^x \cdot l_x;$$
 $C_x = v^{x+1} \cdot d_x.$

For this object, the common logarithms of the factors v^x , l_x , d_x are already given in Tables XXV and XXVII. The process of adding these logarithms, may be proved by comparing the sum of every ten results, with the corresponding sum obtained directly from the Tables. To facilitate this mode of Proof, the sum of each ten logarithms is added in Table XXV. The numbers answering to the logarithmic results, have been usually found from Filipowski's seven place Table of Antilogarithms.

A second method devised by Gray, takes advantage of the simple factor (1+i) or $1 \div v$ for determining D_x , after the column C_x has been previously constructed; thus,

$$D_x = (1+i) (D_{x+1} + C_x).$$

For example, by the Thirty Offices Table, with 4 per cent. interest, $D_{100} = 0$; and $C_{100} = 0$; then,

$$D_{99} = 1.04 C_{99} = .082368$$
; $C_{99} = .079200$
 $D_{98} = 1.04 (D_{99} + C_{98}) = .256988$; etc. $\times .04 = \underline{3168}$
 $1.04 C_{99} = .082368$

The operation is easily applied with eight decimal places, and is *continuous*, so that the separate computation of D_x at every tenth or fifteenth value will verify the whole series.

A third method proceeds entirely by continuous operations with logarithms and Gray's Table of Log. (1+x), according to the formulas,

$$D_{x+1} = v p_x D_x. \qquad C_{x+1} = v \frac{d_{x+1}}{d_x} C_x.$$

$$N_x = D_x + N_{x+1}, \qquad \lambda N_x = \lambda D_x + \lambda \left(1 + \frac{N_{x+1}}{D_x}\right).$$

$$M_x = C_x + M_{x+1}, \qquad \lambda M_x = \lambda C_x + \lambda \left(1 + \frac{M_{x+1}}{C_x}\right).$$

In all cases, when the elementary columns D and C have been fully constructed, the N and M columns can be formed from them, by successive additions; or by the previous logarithmic formulas, in connection with Gray's Table; and so with the S and R columns. The logarithm of vp_x is already given in Table XXXIII; and a column for $\lambda d_{x+1} - \lambda d_x$ will be simply the differences of λd_x in Table XXVII, to which λv can be added from a separate slip.

Commutation Tables for Joint Lives. In the older Tables of David Jones and of David Chisholm, $D_{xy} = v^x l_x l_y = D_x l_y$; where x denotes the older life. This distinction of the older age is not needed in De Morgan's arrangement, nor in the case of equal ages. Prof. De Morgan suggested the symmetrical form, adopted in the English Life Table:

$$D_{xy} = l_x l_y v^{\frac{x+y}{2}}. \qquad C_{xy} = (l_x l_y - l_{x+1} l_{y+1}) v^{\frac{x+y+2}{2}} = v D_{xy} - D_{x+1,y+1}.$$

$$N_{xy} = D_{xy} + D_{x+1,y+1} + \dots \qquad M_{xy} = C_{xy} + C_{x+1,y+1} + \dots$$

$$S_{xy} = N_{xy} + N_{x+1,y+1} + \dots \qquad R_{xy} = M_{xy} + M_{x+1,y+1} + \dots$$
For two Equal Ages, $D_{xx} = l_x l_x v^x = l_x D_x$, $N_{xx} = D_{xx} + D_{x+1,x+1} + \dots$

Two joint lives of unequal ages x, y have the same life annuity as two equal lives, u, u, defined in one way by the equation $a_{xy} = a_{uu}$, and in other ways under Makeham's law of mortality, by the relations,

$$p_x p_y = p_u p_u$$
, $p_u = \sqrt{p_x p_y}$; $q^x + q^y = 2q^u$, $u = x + \text{Cor.}$ Table LXV.

Since any two joint lives are thus reducible to the case of two equal ages, the corresponding D and N columns, annuities and premiums may be found in Tables LXVI-LXXIV. The radix of these Tables was taken as 100,000 at the age of ten; or the usual D and N values were divided by the constant factor D_{10} .

All the preceding Commutation formulas, for single life, become applicable to joint lives, by merely extending the suffixes to every life. For illustration, multiplying numerator and denominator of the formula in Section III for joint lives, by v^z , or by $\frac{x+y}{v^2}$, we obtain in either way,

$$a_{xy} = \frac{D_{x+1,y+1} + D_{x+2,y+2} + \dots}{D_{xy}} = \frac{N_{x+1,y+1}}{D_{xy}}.$$

The law is perfectly regular for two, three, or any number of joint lives; thus,

$$\sigma_{xyz} = \frac{D_{x+1,y+1,z+1} + D_{x+2,y+2,z+2} + \dots}{D_{xyz}} = \frac{N_{x+1,y+1,z+1}}{D_{xyz}}.$$

$$M_{xyz} = D_{xyz} - (1-v)N_{xyz} = vN_{xyz} - N_{x+1,y+1,z+1}.$$

Note 1.—It will be proper to observe, that formulas on the plan of De Morgan, when applied to the order of survivorship will involve the square root of v. Thus the single premium for an insurance of \$1 " on x against y," that is, payable on the death of x provided y be then living, is

$$\frac{v{\bf N}_{xy} - {\bf N}_{x+1,y+1} + \sqrt{v}({\bf N}_{x,y+1} - {\bf N}_{x+1,y})}{2{\bf D}_{xy}}.$$

The annual premium will be found by simply changing D_{xy} to N_{xy} . In each term of the numerator, the sum of the suffixes added to the exponent of $\sqrt[y]{v}$ counted as 1, gives the homogeneous sum x+y+2.

Note 2.—Repeated additions of λv . There are two methods of correcting the final decimal. For example, at 4 per cent. λv is 1.982,966,6607, which falls between the six-decimal values 1.982,967 and 1.982,966. Firstly then, if no more than ten or fifteen results are to be computed so as to be exact to six decimal places, the computation can be made with four extra decimals, that is, with ten places, retaining only six at the end of the process. But if λv is to be implicitly added a hundred times in computing so many results exact to six places, the computation can be made with five extra decimals, in order that the first six places may be accurate in all the results.

Secondly, the computations can be correctly made with six decimals by suitable changes of the sixth decimal. In using $\bar{1}.982,967$ for λv , we commit an error of .338 in the sixth place, in excess; and in using $\bar{1}.982,966$, we commit an error of .661 in deficiency. A compensation will ensue by using the endings 7 and 6 in frequency, inversely as those errors; that is, as 661:338, or 2:1 nearly. Hence the sixth decimal of λv at 4 per cent. should be taken as 7, 7, 6, 7, 7, 6, ... in order. At 5 per cent. the ratio is 7:3, so that the sixth decimal of λv should be 9, 9, 8, 9, 9, 8, 9, 9, 8, 9, when the series recommences. An adjustment can be made at every tenth value. These corrections have already been applied to the sixth decimal place in Table XXXIII, and in all the other regular Tables.

SECTION VI.

Single and Annual Premiums of Insurance.

By general custom, the sum insured is assumed in theory, to be payable at the end of the year of decease. The age at which the insurance is effected is often termed the age of issue, or the age of entry. The contract between the insuring party, and the insured is named the policy. The first premium thereon is paid at the time when the contract is made; and the subsequent payments of premium are due at the commencement of each policy year. The premiums, however, may be single, annual, half-yearly or quarterly. The single premium pays for the insurance in full at the beginning, in one payment.

By "deferred premium" is meant, the remaining semi-annual or quarterly premiums to be paid during the current policy year. In the estimate of liabilities, these deferred premiums, with some reduction for the expense of collection, and for discontinuances, are accounted as Assets; and in case of death, the Company usually deducts them from the policy. To provide for expenses, fluctuations of mortality and other contingencies, the net premium of theory is augmented in practice, by a margin or loading, such as one-fifth, one-fourth or one-third, and is then termed the gross or Office premium.

In order to explain the computation of net premiums, let l_x denote the number living at the age x in the life table, and let i and v represent the given rate of interest.

1. SINGLE PREMIUMS.

Let A_x denote the single premium at the age of entry x, to insure \$1 payable at the end of the year of death. Then by the principles of the system of Probabilities,

$$A_x = \frac{(l_x - l_{x+1})v + (l_{x+1} - l_{x+2})v^2 + l_{x+2} - l_{x+3})v^3 + \dots}{l_x}.$$

Here the tabular probability of the life failing in the 1st year is $\frac{l_x-l_{x+1}}{l_x}$ or $\frac{d_x}{l_x}$; and this multiplied by the sum at risk \$1, and again by v, to reduce to present value, gives the first term. In like manner the remaining terms express the present value of the mathematical expectation for the 2d year, the 3d year, and so on to the end of the life table. This sum is therefore the present value of the life insurance.

Writing d_x for its equal l_x-l_{x+1} , and similarly for other ages, then multiplying both numerator and denominator by v^x , which does not alter the value, the fraction is changed to the *commutation* terms:

$$\mathbf{A}_{x} = \frac{d_{x} \cdot v^{x+1} + d_{x+1} \cdot v^{x+2} + d_{x+2} \cdot v^{x+3} + \dots}{l_{x}v^{x}},$$

$$\mathbf{A}_{x} = \frac{\mathbf{C}_{x} + \mathbf{C}_{x+1} + \mathbf{C}_{x+2} + \dots}{\mathbf{D}_{x}} = \frac{\mathbf{M}_{x}}{\mathbf{D}_{x}},$$

$$\mathbf{A}_{x} = 1 - (1 - v)\frac{\mathbf{N}_{x}}{\mathbf{D}_{x}}.$$

In the first formula, the positive and the negative terms are easily identified with the series for the *life annuity*, so that we have also

$$A_x = v - a_x + va_x = 1 - (1 - v)(1 + a_x) = \frac{1 - ia_x}{1 + i}$$

To facilitate practical applications, the single premium for life is already computed in the four different forms of Tables XXX and XXXI, L and LI.

2. ANNUAL PREMIUMS.

Instead of a single premium, the payment for insurance is more usually made by equal annual premiums at the beginning of each policy year. Let P_x denote such annual payments on \$1 insured. The present value of all these premiums being equal to the single premium, we have for common life policies, on \$1,

$$P_x(1+a_x) = A_x, \text{ whence } P_x = \frac{A_x}{1+a_x}.$$

$$P_x = \frac{1}{1+a_x} - (1-v) = (1-v)\frac{A_x}{1-A_x}.$$

$$P_x = \frac{M_x}{N_x} = \frac{D_x}{N_x} - (1-v) = v - \frac{N_{x+1}}{N_x}.$$

For common life policies, the annual premium P or π is already computed in Table XXIX, for each \$1000 insured.

3. INSURANCE BY A LIMITED NUMBER (n) OF ANNUAL PREMIUMS.

The rule proceeds on the same general principle as before. That is, "divide the single premium by unity added to the present value of a temporary annuity for one year less than (n) the number of premiums which are to be paid":

$$P_{\infty} = \frac{A_{\infty}}{1 + a_{\infty}^{n-1}} = \frac{M_{\infty}}{N_{\infty} - N_{\infty+n}}.$$

Example. A person at the age of 39 years insures his life for \$7000 by ten equal premiums, to be paid annually at the beginning of the first ten years; required this premium when interest is 4 per cent.:

Table LI, - - -
$$\lambda A_{39} = \overline{1.552218}$$
 " XLIV, - $\lambda (1 + a_{39}^{n-1}) = 0.908205$ " $\overline{2.644013}$ " LXXXII, - - P_{x} - 0.0440568 $\times 7000$ Annual Premium - - - = \$308.3976 Annual Premium - - - - = \$308.3976

For five, ten, fifteen or twenty payments, the premiums are already computed in Table LXI, for each \$1000 insured.

Note.—If a special payment is made at the beginning, in order to reduce the future annual premiums, it can be regarded as a single premium, for one part of the sum insured; and the annual premium will be computed on the remaining part.

4. TEMPORARY INSURANCES.

Required the single premium to insure \$1 for 7 or m years. By reference to the explanation of the first three formulas of this Section, it will be seen that the single premium will be the sum of the first m terms of the series there described; thus,

$$A_x^m = \frac{C_x + C_{x+1} + \dots + C_{x+m-1}}{D_x} = \frac{M_x - M_{x+m}}{D_x}.$$

$$A_x^m = \frac{v(N_x - N_{x+m}) - (N_{x+1} - N_{x+m+1})}{D_x}.$$

The equivalent annual premium is obtained by dividing the single premium by 1 plus the temporary annuity for one year less:

$$P_x^m = \frac{A_x^m}{1 + a_x^{m-1}} = v - \frac{N_{x+1} - N_{x+m+1}}{N_x - N_{x+m}} = v - \frac{a_x^n}{1 + a_x^{n-1}}.$$

$$P_x^m = \frac{M_x - M_{x+m}}{N_x - N_{x+m}} = \frac{D_x - D_{x+m}}{N_x - N_{x+m}} - (1 - v).$$

The Premium for Temporary Insurance on each \$1 for One Year only, is

$$P_x^1 = \frac{C_x}{D_x} = v(1 - p_x) = vq_x = v - \frac{D_{x+1}}{D_x}.$$

For example, by Tables LII and LIII, at the age of 35 years, on \$1000 insured for 7 years, the single premium is \$51.70, or the annual premium is \$8.486.

5. PURE ENDOWMENTS.

The single premium or present value of \$1 to be received at the end of m years, if the party now aged x be then living, is

$$\mathbf{A}_x^m = \frac{l_{x+m}}{l_x} v^m = \frac{\mathbf{D}_{x+m}}{\mathbf{D}_x}.$$

The annual premium for the same, payable at the beginning of each year, unless the risk is voided by death, is found on the principle before described:

$$P_x^m = \frac{A_x^m}{1 + a_x^{m-1}} = \frac{D_{x+m}}{N_x - N_{x+m}}$$
, on \$1.

Table LXIII, $\lambda P_x^m = 1. - \lambda B_x^m$, on \$1 Pure Endowment.

For example, at the age 16, the annual premium is \$173.88 on \$1000, payable at the age of 21 if the person be then living. The same result is also found by subtracting the premium of term insurance, Tables LII and LIII, from the premium of endowment insurance, next to be described.

6. ENDOWMENT INSURANCES.

The sum insured is payable on attaining a specified age, or sooner in the event of death. By simply adding the single premiums of temporary insurance and of pure endowment for the term of m years, after the age of entry x, we have at once the single premium of Endowment Insurance on \$1:

$$A_w^{(m)} = \frac{M_w - M_{w+m} + D_{w+m}}{D_w} = 1 - (1 - v)(1 + a_w^{m-1}).$$

To find the equivalent annual premium, we divide by 1 plus the annuity:

$$P_x^m = \frac{M_x - M_{x+m} + D_{x+m}}{N_x - N_{x+m}} = \frac{1}{1 + a_x^{m-1}} - (1 - v), \text{ on $1.}$$

For a *limited* number (n) of equal annual premiums to be paid at the beginning of the first (n) years of the whole period m, the divisor is changed as below:

$$P_x^n = \frac{M_x - M_{x+m} + D_{x+m}}{N_x - N_{x+n}}$$
, on \$1.

The various species of Endowment Premiums are already computed in the seven Tables LIV to LX.

COMPUTATION OF TABLES.—By taking the difference of single premiums, and observing that $M_{x+m+1} - M_{x+m} = -C_{x+m} = -vD_{x+m} + D_{x+m+1}$, we obtain the simplified annual difference:

$$\mathbf{A}_{x}^{(m)} - \mathbf{A}_{x}^{(m+1)} = \frac{(1-v)\mathbf{D}_{x+m}}{\mathbf{D}_{x}}.$$

This difference can be easily computed by the aid of two moveable slips of paper, the one containing λD , and the other $\lambda(1-v)+\lambda D$. When the period of insurance is only 1 year, the premium is v, as shown in Table LIV. From v, we subtract the difference $(1-v)D_{x+1} \div D_x$ to give the single premium for the term of 2 years. From this, we subtract $(1-v)D_{x+2} \div D_x$ to give the single premium for the term of 3 years; and so on,

But in single Examples, the shortest method will be to find the logarithm of 1 plus the temporary annuity for one year less, in Table XLIV-XLVII. This will guide to the required premium, by mere inspection, in the next or Conversion Tables.

7. DEFERRED INSURANCES.

On the principle of deferred Annuities in Sections III and V, and by Section VI, the present values of the temporary and of the complementary deferred insurance, added together, equal the present value for the whole life. Hence by subtraction, the present value or single premium to insure a person now aged x, for the period of life which may remain after the age x+m, will be on each \$1 insured,

$$^{m}\mathbf{A}_{x} = \frac{\mathbf{M}_{x+m}}{\mathbf{D}_{x}} = \frac{\mathbf{D}_{x+m} - (1-v)\mathbf{N}_{x+m}}{\mathbf{D}_{x}}.$$

The equivalent annual premium payable m years, will be

$$^{m}\mathrm{P}_{x}=rac{\mathrm{M}_{x+m}}{\mathrm{N}_{x}-\mathrm{N}_{x+m}},$$
 on each \$1.

The annual premium payable during the whole life, on \$1 insured, is

$${}^{m}\mathbf{P}_{x} = \frac{\mathbf{M}_{x+m}}{\mathbf{N}_{x}} = \frac{{}^{m}\mathbf{A}_{x}}{1+a_{x}}.$$

For a *Deferred Temporary Insurance*, or to be deferred m years, then to continue in force during τ years; if the annual premiums are payable during $m + \tau$ years, we have on each \$1 insured,

Single Premium
$$=\frac{M_{x+m}-M_{x+m+\tau}}{D_x}$$
.

Annual Premium =
$$\frac{\mathbf{M}_{x+m} - \mathbf{M}_{x+m+\tau}}{\mathbf{N}_{x} - \mathbf{N}_{x+m+\tau}}$$

8. RETURN PREMIUMS.

Required the net annual premium P to secure a Pure Endowment of \$1 at the end of m years, if the life now aged x should live so long, or the Return of all Premiums paid, at the end of the year of death, if it occur before that time.

This plan may be regarded as an endowment of 1, added to a series of m deferred temporary insurances of P. By making the collective annual premiums equal to P, then substituting P, and reducing the equation, we find

$$\frac{D_{x+m} + P_x(M_x + M_{x+1} + \dots + M_{x+m-1} - mM_{x+m})}{N_x - N_{x+m}} = P_x,$$

$$P_x = \frac{D_{x+m}}{N_x - N_{x+m} - R_x + R_{x+m} + mM_{x+m}}.$$

Also by changing D_{x+m} to N_{x+m} , we here determine the annual premium, payable from age x to age x+m-1, to provide a Deferred Life Annuity of \$1 per annum, first payment at age x+m. The premiums paid, are to be returned without interest, six months after death, in the event of death before the age x+m. Or if the premiums are not to be returned, cancel R and M in the above formula.

By the same mode of solution, the Single Premium of a Pure Endowment of \$1, with return of the premium six months after death, if it occur before the age x+m, will be

$$\mathbf{A}_{x}^{(m)} = \frac{\mathbf{D}_{x+m}}{\mathbf{D}_{x} - (\mathbf{M}_{x} - \mathbf{M}_{x+m})}.$$

Required the net premium to insure \$1 for the Whole Life, and the return of gross premiums equal to g times the net, without interest, six months after death.

Let P denote the net annual premium to provide for the ordinary insurance of \$1, together with the series of deferred insurances of gP, all for the whole life. Then, as before described:

$$P_{x} = \frac{M_{x} + gP_{x}(M_{x} + M_{x+1} + \dots)}{N_{x}} = \frac{M_{x} + gP_{x}R_{x}}{N_{x}};$$
 or
Annual Premium, $P_{x} = \frac{M_{x}}{N_{x} - gR_{x}}$.
Single Premium $A_{x} = \frac{M_{x}}{D_{x} - gM_{x}}$, by similar solution.

By making g to be 1, the solutions will apply to the case of *net* return premiums, without interest.

Again, if the insurance of \$1 for the whole life is to be secured by m Limited Annual Payments of P_x , with return of the gross premiums, six months after death, or at the end of the year of death:

$$P_{x} = \frac{M_{x}}{N_{x} - N_{x+m} - g(R_{x} - R_{x+m})}.$$

9. INCREASING AND DECREASING SCALES OF PREMIUMS.

Suppose the annual premium to increase by a certain fraction of the first premium every n years, and after r such additions, the premium to continue constant during the remainder of life. Required the annual premium during the first n years.

On each \$1 insured let P denote the first annual premium, and q its proportional increase, added at the end of every n years.

The present value of all the premiums P, continued for the whole life, is $P(1+a_x)$. And the present value of all the increments Pq is that of so many deferred

life annuities. By equating the expression of the single premium to the sum of these present values, and then reducing the equation:

$$A_{x} = \frac{M_{x}}{D_{x}} = P_{x} \cdot \frac{N_{x} + q(N_{x+n} + N_{x+2n} + \dots + N_{x+rn})}{D_{x}},$$

$$P_{x} = \frac{M_{x}}{N_{x} + q(N_{x+n} + N_{x+2n} + \dots + N_{x+rn})}.$$

Instead of a proportional increase q of the premium, let there be an absolute increase h in every n years, the premium to remain constant after rn years, to find the first premium P_x . We have only to substitute h in place of its equal $\dot{P}q$ in the primary formula, then reducing, we find again on \$1 insured:

$$P_x = \frac{M_x - h(N_{x+n} + N_{x+2n} + \dots + N_{x+rn})}{N_x}.$$

When the scale of premiums is to be *decreasing*, let the sign of q and of h be reversed in the given formulas.

The above method is evidently applieable to premiums reduced or increased arbitrarily. But as David Jones has observed, the value of q or h should be chosen so as to make the premium for the first interval more than the premium for a risk to be determined at the expiration of that term, as the party assured, has the option of continuing or discontinuing the risk.

In the case of annual premiums diminished at the end of every successive year, by the *m*th part of the first premium, so that after *m* payments, the policy is paid up, the first solution will apply by making n = 1, $q = -\frac{1}{m}$, and substituting S for its equal. Thus the first premium on \$1 insured, will be

$$P_{x} = \frac{M_{x}}{N_{x} - \frac{1}{2}(S_{x+1} - S_{x+m+1})}$$

10. INCREASING AND DECREASING INSURANCES.

The *single premium* for a temporary Insurance for m years, commencing at a and increasing b each year, will be

$$\frac{a(\mathbf{M}_{x}-\mathbf{M}_{x+m})+b(\mathbf{M}_{x+1}-\mathbf{M}_{x+m})+b(\mathbf{M}_{x+2}-\mathbf{M}_{x+m})+\ldots+b(\mathbf{M}_{x+m-1}-\mathbf{M}_{x+m})}{\mathbf{D}_{x}}$$

This aggregate is evidently made up of the present insurance of a together with the series of deferred temporary insurances of b. By substituting R for its well known equal, we have the required formula:

Single Premium =
$$\frac{a(\mathbf{M}_{x}-\mathbf{M}_{x+m})+b[\mathbf{R}_{x+1}-\mathbf{R}_{x+m}-(m-1)\mathbf{M}_{x+m}]}{\mathbf{D}_{x}}$$

By merely reversing the sign of b, we obtain the single premium for a similar insurance, commencing with a and decreasing b annually.

In either ease, the divisor to give the annual premium will be

$$1+a_x^{m-1}$$
, or $\frac{\mathbf{N}_x-\mathbf{N}_{x+m}}{\mathbf{D}_x}$.

By extending x+m to the end of the life table, we evidently have for an insurance commencing at a and increasing a each year,

Single Premium
$$=\frac{a\mathbf{M}_x+b\mathbf{R}_{x+1}}{\mathbf{D}_x}$$
.

Annual Premium =
$$\frac{a\mathbf{M}_x + b\mathbf{R}_{x+1}}{\mathbf{N}_x}$$
.

When the similar insurance is to *decrease* b each year, we have only to make b negative.

Finally, making a = b = 1, we obtain the more simple formulas for a life insurance commencing with \$1, and increasing \$1 annually:

Single Premium
$$= \frac{R_x}{D_x}$$
 Annual Premium $= \frac{R_x}{N_x}$

11. PRICE OF ANNUITIES SECURED BY LIFE INSURANCE,

An ordinary life annuity of a per annum is to be sold. Required the price a which will allow the purchaser a given rate a of interest, besides paying the premium of life insurance to secure the return of his outlay after the death of the annuitant.

Solution.—The purchaser must insure the price s, and a final annuity a, both payable at the end of the year of death of the annuitant. An annuity a will then be receivable at the end of each year, for which, the premium will be payable at the beginning of the year. But each premium may be transferred from the beginning, to its equivalent at the end of the year, by adding the year's interest. When this equivalent is subtracted from the annuity a, the remainder must be sufficient to pay si the current year's interest on the price.

Accordingly, if p denote the office annual premium to insure \$1 for life, then the premium payable will be p(s+a). Adding the year's interest, and subtracting from a, we have

$$a - p(s+a)(1+i) = si.$$

Hence, the Price
$$s = a \cdot \frac{1 - p(1+i)}{i + p(1+i)}$$

The Rate of Interest
$$i = \frac{a - p(s + a)}{s + p(s + a)}$$
.

In case the Problem is changed in any of its conditions, a corresponding change will be made in the solution. Thus, if the annuity a is to be continued to the end of the year of death, the purchaser need only insure the price s, and the solution will be

$$a-ps(1+i)=si\,; \qquad s=\frac{a}{i+p(1+i)}; \qquad i=\frac{a-ps}{s(1+p)}.$$

Or if the annuity a is to be paid at the beginning of the first, and each subsequent year of life, the price s alone need be insured, and the equations will evidently be

$$(a-ps)(1+i) = si;$$
 $s = \frac{a(1+i)}{i+p(1+i)};$ $= \frac{a-ps}{s(1+p)-a}.$

12. INSURANCE ON FEMALE LIFE.

From the Observations on Female Life in Table II, a Life Table has been constructed and graduated on the plan mentioned at page 237. The usual columns are given in Table LXXVII, in which the column of annual mortality q exhibits the very singular feature of the almost uniform value 0.011 from the age of 20 to 50 years. The principal cause is indicated on page 34. On account of this and other peculiarities, a simple correction of the age has appeared sufficient for entering and employing the general Tables for male life, to give the values for female life.

Preparatory to this object, the 4 per cent. commutation and annuity columns were computed in Table LXXVIII. The simple Formula for determining the correction or column c, and an illustrative Example are given on the first page of this Table. The sum of the actual Age and Correction may be termed the Equivalent or Relative Age. And the Tables of Male Life entered with this Relative Age, give the true Annuity and Premium for Female Life.

On account of the smallness and fluctuating nature of the corrections above the age of 39, and the irregularities of the data at the oldest ages, it appears that above the age of 39, the "rating up," or correction of the age can safely be omitted. That is, the actual age when above 39, may be taken as the Relative Age of Female Life.

In relation to *Months*, and under the age 39, the actual age, from the birth-day to the date of entry, is to be expressed in years and months, as well as the correction, and their sum, taken to the nearest integral year, will be the Relative Age. Thus if a female life at entry has the age 25 Y. 8 M., and from Table LXXVIII, or page *226, the correction is 4 Y. 3 M., the nearest Relative Age will be 30 years.

13. INSURANCE ON JOINT LIVES.

Required the single premium to insure 1 during the joint existence of two lives, x and y, the insurance to be paid at the end of the year of the first death.

The mathematical expectation (pages 235, 234) for each year, as the third for example, will be the product of the present value of the insurance v^3 , by the compound probability $\frac{l_{x+2}}{l_x} \frac{l_{y+2}}{l_y}$, that both persons will be alive at the beginning of the third year, multiplied by the probability $\left(1 - \frac{l_{x+3}}{l_{x+2}} \frac{l_{y+3}}{l_{y+2}}\right)$ that both will not live through that year, or that one or both will die in the third year. The sum of the series of similar expectations for each and every year, to the end of life, gives the total present value, or Single Premium A_{xy} ; thus,

$$\Lambda_{xy} = \frac{l_x l_y}{l_x l_y} \left(1 - \frac{l_{x+1}}{l_x} \frac{l_{y+1}}{l_y} \right) v + \frac{l_{x+1} l_{y+1}}{l_x l_y} \left(1 - \frac{l_{x+2}}{l_{x+1}} \frac{l_{y+2}}{l_{y+1}} \right) v^2 + \dots$$

Performing the multiplications indicated, we have

$$\mathbf{A}_{xy} = \frac{(l_x l_y - l_{x+1} l_{y+1})v + (l_{x+1} l_{y+1} - l_{x+2} l_{y+2})v^2 + (l_{x+2} l_{y+2} - l_{x+3} l_{y+3})v^3 + \dots}{l_x l_y}$$

Again, multiplying and dividing by $v^{\frac{x+y}{2}}$, in order to substitute C, according to the notation of page 247:

$$A_{xy} = \frac{C_{xy} + C_{x+1,y+1} + C_{x+2,y+2} + \dots}{D_{xy}} = \frac{M_{xy}}{D_{xy}}$$

$$A_{xy} = 1 - \frac{(1-v)N_{xy}}{D_{xy}} = 1 - (1-v)(1+a_{xy}).$$

Annual Premium,
$$P_{xy} = \frac{M_{xy}}{N_{xy}} = \frac{D_{xy}}{N_{xy}} - (1-v)$$
.

Annual Premium,
$$P_{xy} = \frac{A_{xy}}{1 + a_{xy}} = \frac{1}{1 + a_{xy}} - (1 - v)$$
.

For a joint insurance of \$1 on three lives, x, y, and z, we have only to substitute xyz in place of the suffix xy in the last formulas; and so for four or more lives. The insurance on joint lives continues only while they are all living. Also, the Premiums may be found from Conversion Tables XLVIII and XLIX.

For a *Temporary Insurance* of 1 to be paid at the end of the year of the first death of the two lives x or y, if it occurs within n years:

Single Premium,

$$\mathbf{A}_{xy}^{n} = \frac{\mathbf{M}_{xy} - \mathbf{M}_{x+n,y+n}}{\mathbf{D}_{xy}} = \frac{v(\mathbf{N}_{xy} - \mathbf{N}_{x+n,y+n}) - (\mathbf{N}_{x+1,y+1} - \mathbf{N}_{x+n+1,y+n+1})}{\mathbf{D}_{xy}}.$$

Annual Premium,
$$P_{xy}^n = \frac{A_{xy}^n}{1 + a_{xy}^{n-1}} = v - \frac{N_{x+1,y+1} - N_{x+n+1,y+n+1}}{N_{xy} - N_{x+n,y+n}}$$

For a Deferred Insurance of \$1 payable on the first death of x or y, if it occur after the expiration of n years:

Single Premium,
$${}^{n}A_{xy} = \frac{M_{x+n,y+n}}{D_{xy}} = \frac{D_{x+n,y+n} - (1-v)N_{x+n,y+n}}{D_{xy}}$$
.

Single Premium,
$${}^{n}A_{xy} = \frac{D_{x+n,y+n}}{D_{xy}} A_{x+n,y+n}$$

Annual Premium for
$$n$$
 payments, ${}^{n}P_{xy} = \frac{M_{x+n,y+n}}{N_{xy} - N_{x+n,y+n}}$.

Annual Premium during joint life,
$${}^{n}P_{xy} = \frac{M_{x+n.y+n}}{N_{xy}}$$
.

For an Insurance of \$1 on the Longest of Two Lives, x and y:

Single Premium,
$$A_{xy} = A_x + A_y - A_{xy} = 1 - (1 - v) (1 + a_x + a_y - a_{xy}).$$

Annual Premium,
$$P_{xy} = \frac{A_x + A_y - A_{xy}}{1 + a_x + a_y + a_{xy}} = \frac{1}{1 + a_x + a_y - a_{xy}} - (1 - v).$$

For a Temporary Insurance of \$1 for n years on the Longest or Survivor of Two Lives, x and y:

Single Premium,
$$A_{xy}^n = A_x^n + A_y^n - A_{xy}^n$$
.

Annual Premium,
$$P_{xy}^{n} = \frac{A_{x}^{n} + A_{y}^{n} - A_{xy}^{n}}{1 + a_{x}^{n-1} + a_{y}^{n-1} - a_{xy}^{n-1}}$$

Tables for Two Joint Lives, Equal Ages.—The agreement of the Thirty Offices Experience with Makeham's law of mortality, offers a great advantage, in superseding the old and eumbrous system of joint life tables, by the new method of equal lives or ages, shown in Tables LXV-LXXVII. For, under Makeham's law, if the joint probability $p_x p_y$ is equal to $p_u p_u$, that of two equal lives, at the ages of entry, the relation of equality will always continue during their joint existence.

Example. When interest is 4 per cent, required the annual and the single premium to insure \$1000, payable at the end of the year of the first death of two lives, x aged 30 and y aged 40 years. Entering Table LXV, with the difference of ages y-x, or 10 years, we find the correction 6 Y. 1.8 M., which being added to the younger age 30, gives the nearest Equal Age 36. That is, 36, 36 may be substituted for the given ages 30 and 40. Entering Table LXXIII with 36 years, we find the annual premium \$29.74; and in the next Table, the single premium \$436.06.

METHOD FOR THREE JOINT LIVES.—By Table LXV, change the given Ages x, y, z, to the two equal Ages u, u, which increase equally in equal times, like the actual ages, from the date of entry. The current value of u, in any year, increased by the Annual Correction below, under the proper rate of interest, will be the argument for entering Tables LXV-LXXVII, for premiums, reserves, etc. The correction can be adjusted to other rates of interest by the Difference column.

THREE LIVES.—ANNUAL CORRECTION (c) TO THE EQUAL AGE u.

EQUAL AGES.	PER CENT.	4 PER CENT.	PER ENT.	EQUAL AGES.	3 PER CENT.	PER CENT.	5 PER CENT.	EQUAL AGES.	PER CENT.	PER CENT.	5 PER CENT.
	Y. M. 13 8.7 13 2.2 12 8.1 12 2.2 11 8.4	14 11.7 14 4.5 13 9.7 13 3.0	16 1.6 13.9 15 5.8 13.8 14 10.4 12.7 14 3.1 12.1	40 41 42 43	Y. M. 3 3.2 3 0.9 2 10.8 2 8.9 2 7.0	$egin{array}{cccc} 3 & 4.9 \\ 3 & 2.5 \\ 3 & 0.3 \\ 2 & 10.2 \\ \end{array}$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$.7 70 .6 71 .4 72 .3 73	Y. M. 0 5.5 5.1 4.7 4.3 4.0		Y. M. 0 5.5 5.1 4.7 4.3 4.0
16 17 18 19	11 2.7 10 9.1 10 3.7 9 10.5 9 5.4	11 7.9 11 1.9 10 8.1 10 2.4	12 6.4 10.5 11 11.8 9.9 11 5.5 9.4 10 11.2 8.8	45 8 46 47 48 49 1	2 3.4 2 1.8 2 0.3 1 10.9	2 4.4 2 2.7 2 1.1 1 11.6	2 5.3 2 3.5 2 1.9 2 0.3	.0 75 .9 76 .8 77 .8 78 .7 79	0 3.7 3.4 3.2 2.9 2.7	3.4 3.2 2.9 2.7	3.4 3.2 2.9 2.7
20 21 22 23 24 25	9 0.5 8 7.7 8 3.0 7 10.5 7 6.2 7 2.0	9 8.9 9 3.6 8 10.5 8 5.5 8 0.8 7 8.1		50 1 51 1 52 1 53 1 54 1	1 8.1 1 6.9 1 5.6 1 4.6	1 8.7 1 7.4 1 6.1 1 5.0	1 9.2 1 7.9 1 6.5 1 5.4	.6 80 .5 81 .5 82 .4 83 .4 84 .3 85	0 2.5 2.3 2.1 1.9 1.8 0 1.6	2.3 2.1 1.9 1.8	2.3 2.1 1.9 1.8
26 27 28 29 30	6 9.9 6 5.9 6 2.1 5 10.5 5 7.1	7 3.6 6 11.3 6 7.1 6 3.2 5 11.4	7 9.2 5.6 7 4.4 5.1 6 11.8 4.7 6 7.4 4.2 6 3.2 3.8	56 1 57 1 58 1 59 0	1 2.4 1 1.6 1 0.6 1 11.9	1 2.8 1 1.9 1 0.9 1 0.1	$egin{array}{cccccccccccccccccccccccccccccccccccc$	3 86 2 87 2 88 1 89 1 90	1.4 1.2 .9 .8	1.4 1.2 .9 .8	1.4 1.2 .9 .8
31 32 33 34 35	5 3.7 5 0.4 4 9.5 4 6.5 4 3.7	5 7.7 5 4.1 5 0.8 4 9.5 4 6.4	$\begin{bmatrix} 5 & 11.3 & 3.6 \\ 5 & 7.5 & 3.4 \\ 5 & 3.9 & 3.1 \\ 5 & 0.4 & 2.9 \end{bmatrix}$	61 62 63	9.7 9.0 9.0 9.5 0 7.8	10.5 9.8 9.1 0 8.5 0 7.8	0 10.6 0 9.9 0 9.2 0 8.7 0 8.0	1 91 1 92 1 93 2 94 2 95	.8 .7 .6 .5 0 .4	.8 .7 .6 .5	.8 .7 .6 .5
36 37 38 39	4 1.0 3 10.3 3 ,7.8 3 5.4	4 3.5 4 0.6 3 9.9 3 7.3	4 2.9 2.8 4 0.0 2.1	67 68	7.3 (0 6.8 (0 6.3 (0 5.9 (0 6.8	$egin{pmatrix} 0 & 7.0 \ 0 & 6.4 \end{bmatrix}$	2 96 2 97 1 98	.4	.4	.4 .2 .1

FORMULA, for 3.654, 4.660, 5.666, or the rate of vs, $a_{uu} = a_{u+c.u+c}$, for 3, 4, 5 per cent. interest respectively, or the rate of v.

METHOD FOR FOUR JOINT LIVES.—By Table LXV, change the three youngest Ages to two equal Ages, u, u. With u, u, and the fourth or oldest age, re-enter Table LXV, and find the equal ages, u', u', for record, at the date of entry. In any year, the current value of u' augmented by the Annual Correction below, will be the argument for entering Tables LXV-LXXVII, for the life annuity or other monetary value.

FOUR LIVES.—ANNUAL CORRECTION (c) TO THE EQUAL AGE u'.

Equa Ages	PER	4 PER CENT.	5 PER CENT.	Equai Ages.		4 PER CENT.	5 PER CENT.	DIFF.	EQUAL AGES. u' .	PER CENT.	4 PER CENT.	5 PER CENT.
Yr. 10 11 12 13 14	21 10.4 21 1.8 20 5.4	$\begin{array}{cccc} 22 & 4.5 \\ 21 & 7.6 \\ 20 & 10.7 \end{array}$	24 4.2 1- 23 6.7 1- 22 9.3 1 22 0.0 1	4.2 41 3.7 42 3.3 43	Y. M. 6 .5 5 9.1 5 4.9 5 1.5 4 10.1	6 3.2 5 11.6 5 7.2 5 3.6	6 5.9 6 2.1 5 9.5 5 5.7	2.7 2.5 2.3 2.1	Yr. 70 71 72 73 74	Y. M. 0 10.6 9.8 9.0 8.6 7.8	Y. M. 0 10.7 9.9 9.1 8.6 7.8	0 10.7 9.9 9.1 8.6
15 16 17 18 19	18 4.8 17 9.0 17 1.2 16 5.0 15 10.1 15 2.9	18 9.1 18 0.8 17 4.7 16 8.7	19 9.0 1 19 0.3 1 18 3.7 1 17 7.3 1	1.9 46 1.5 47 1.0 48 0.6 49	4 7.0 4 3.9 4 1.0 3 10.2 5 7.5	4 5.5 4 2.4 3 11.5 3 8.6	$\begin{bmatrix} 4 & 7.1 \\ 4 & 3.8 \\ 4 & 0.8 \\ 3 & 9.7 \end{bmatrix}$	1.6 1.4 1.3	75 76 77 78 79	0 7.3 6.8 6.2 5.8 5.3 0 4.9	6.8 6.2 5.8 5.3	6.8 6.2 5.8 5.3
20 21 22 23 24 25	14 7.8 14 1.0 13 6.0 12 11.5	15 5.4 14 10.1 14 2.7	16 3.0 15 7.2 14 11.3 14 3.8	0.1 50 9.6 51 9.1 52 8.6 53 8.1 54 7.6 55	3 5.0 3 2.5 3 0.3 2 10.0 2 8.0 2 6.0	3 3.4 3 1.1 2 10.8 2 8.7	3 4.3 3 1.9 2 11.6 2 9.4		80 81 82 83 84 85	4.4 4.0 3.7 3.3 0 3.1	4.4 4.0 3.7 3.3	4.4 4.0 3.7 3.3
26 27 28 29 30	11 10.8 11 4.6 10 10.8	12 6.1 11 11.5 11 5.2 10 11.0 10 5.0	13 1.4 12 6.4 11 11.8 11 5.2 10 10.9	7.3 56 6.9 57 6.6 58 6.2 59 5.9 60	2 4.1 2 2.3 2 0.7 1 11.1 1 9.6	2 4.6 2 2.8 2 1.1 1 11.5 1 9.9	2 5.1 2 3.2 2 1.5 1 11.8 1 10.1	.5 .4 .4 .3	86 87 88 89 90	2.7 2.4 2.1 1.8 0 1.6	2.7 2.4 2.1 1.8 0 1.6	2.7 2.4 2.1 1.8 0 1.8
31 32 33 34 35	9 6.0 9 0.6 8 7.6 8 2.6 7 9.9	9 5.5 9 0.2 8 6.8 8 1.8	9 10.7 9 5.0 8 11.3 8 5.9	5.5 61 5.2 62 4.8 63 4.5 64 4.1 65	1 8.2 1 6.8 1 5.7 1 4.4 1 3.3	$ \begin{array}{cccc} 1 & 7.1 \\ 1 & 5.9 \\ 1 & 4.6 \\ 1 & 3.5 \end{array} $	$\begin{array}{cccc} 1 & 7.3 \\ 1 & 6.0 \\ 1 & 4.7 \\ 1 & 3.6 \end{array}$.2 .2 .1 .1	91 92 93 94 95	1.4 1.3 1.2 1.1 0 1.0	1.3 1.2 1.1 0 1.0	1.3 1.2 1.1 0 1.2
36 37 38 39	7 5.2 7 0.8 6 8.4 6 4.4	7 8.9 7 4.2 6 11.6 6 7.3	7 7.7 7 2.9	8.8 66 8.5 67 8.3 68 8.0 69	1 2.2 1 1.2 1 0.3 0 11.4	$\begin{array}{ccc} 1 & 1.4 \\ 1 & 0.4 \end{array}$	$\begin{bmatrix} 1 & 1.5 \\ 1 & 0.4 \end{bmatrix}$.1	96 97 98	.8	.7	.7

FORMULA, for 4.311, 5.324, 6.337, or the rate of vs^2 , $a_{u'u'} = a_{u'+c,u'+c}$, for 3, 4, 5 per eent. interest respectively, or the rate of v.

Equalization of Annuity Elements.—In explanation of the preceding Tables, the single life annuity a_x , on page 240, is or may be resolved into the sum of products of elementary factors of the form vp_x . In like manner, the annuity a_{xy} on two lives, may be resolved into elementary factors of the form vp_xp_y ; on three lives, into $vp_xp_yp_z$; and so on. In the logarithmic form of Makeham's law of mortality, from page 237, we find these *Annuity Elements*:

```
For a Single Life, \lambda (vp_{s'}) = \lambda (vs) + q^{w'}(q-1) \lambda g.
For Two Joint Lives, \lambda (vp_{s'}p_{y}) = \lambda (vs^{2}) + (q^{x}+q^{y}) (q-1) \lambda g.
For Two Equal Lives, \lambda (vp_{u}p_{u}) = \lambda (vs^{2}) + (q^{u}+q^{u}) (q-1) \lambda g.
For Three Joint Lives, \lambda (v'p_{x}p_{y}p_{z}) = \lambda (v's^{3}) + (q^{w}+q^{y}+q^{z}) (q-1) \lambda g, \text{ etc.}
```

Now if v = v's, that is, $vs^2 = v's^3$; and $q^u + q^u = 2q^u = q^x + q^y + q^z$, the annuity element of three lives, x, y, z, with the rate v', evidently becomes equal to that of two equal lives, u, u, with the rate vs. Also the same element with the rate v' equals that

of the single age x' (defined by $q^{x'} = q^x + q^y + q^z$) with the rate vs^2 . By the last two Tables giving the correction c, the true annuities first computed for the ages u, u, and rate vs, or vs^2 , are more conveniently found through the ages u + c, u + c, and the rate of v.

METHOD FOR SIMPSON'S RULE ON PAGE 242.—For greater convenience, two Tables are here brought together; the first, from Table LXV. gives the Correction to change two joint lives to two equal ages, which does not involve the rate of interest. The second, computed from $a_{uu} = a_{u+c''}$, gives the correction c'' to change from two equal ages, u, u, to the equivalent single age, u + c'', which last depends on the rate of interest.

CORRECTION TO BE ADDED TO THE YOUNGER AGE FOR REDUCING TWO JOINT LIVES TO THE CASE OF TWO EQUAL AGES.

DIFF. AGES.	0	1 2	3	4	5	6	7	8	9
Yr.	Y. M.	Y. M. Y.	M. Y. M.	Y. M.	Y. M.	Y. M.	Y. M.	Y. M.	Y. M.
1 2 3	$\begin{bmatrix} 0 & 0.0 \\ 6 & 1.8 \\ 14 & 2.0 \\ 23 & 3.6 \end{bmatrix}$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{c cccc} 0.6 & 1 & 7.3 \\ 7.6 & 8 & 4.7 \\ 1.2 & 16 & 10.0 \\ 2.4 & 26 & 1.9 \end{array}$	2 2.3 9 2.0 17 8.8 27 1.4	2 9.5 9 11.6 18 7.7 28 1.0	3 5.0 10 9.5 19 6.7 29 0.6	4 0.8 11 7.3 20 5.9 30 0.2	4 8.9 12 5.5 21 5.0 30 11.9	5 5.2 13 3.7 22 4.3 31 11.5
4 5 6 7	32 11.3 42 9.6 52 8.9 62 8.7	53 8.9 54	0.8 35 10.6 9.4 45 9.3 8.8 55 8.8 8.6 65 8.6	46 9.2 56 8.8	37 10.2 47 9.2 57 8.7 67 8.6	38 10.1 48 9.1 58 8.7 68 8.6	39 9.9 49 9.0 59 8.7 69 8.6	40 9.8 50 9.0 60 8.7 70 8.6	41 9.7 51 9.0 61 8.7 71 8.6

CORRECTION (e'') TO REDUCE TWO EQUAL AGES TO THE EQUIVALENT SINGLE AGE.—INTEREST 4 PER CENT.

EQUAL AGES.	(0		1		2		3		4		5		6	7		8		9
Yr. 1 2 3 4	Y. 21 16 13 10	M. 5.2 6.8 .1 7.2	Y. 20 16 12 10	M. 10.7 1.8 8.6 4.9	Y. 20 15 12 10	M. 4.3 9.0 5.2 2.8	Y. 19 15 12 10				Y. 18 14 11 9	M. 10.0 7.5 8.1 9.0	Y. 18 14 11 9	M. 4.2 3.3 5.2 7.2	M. 10.6 11.3 2.5 5.6	Y. 17 13 11 9	M. 5.2 7.4 .0 4.0	Y. 16 13 10 9	M. 11.9 3.6 9.5 2.5
5 6 7 8 9	9 8 7 7 5	1.1 2.5 8.4 .5 7.6	8 8 7 6 5	11.8 1.8 8.0 10.4 3.8	8 8 7 6 4	10.5 1.0 7.5 7.6 11.6	8 8 7 6 4	9.3 7.0 4.8 6.1	8 8 7 6 3	8.1 11.7 6.4 2.5 9.5	8 7 7 6 3	7.1 11.1 5.8 0.9 1.0	7	10.5 5.2 11.4	5.1 10.0 4.4 10.1	8 7 7 5	4.2 9.4 3.4 9.2	8 7 7 5	3.3 8.9 2.2 8.2

Thus for two Equal Ages of 38 years each, the 4 per cent. annual correction additive, is 11 Y., giving the equivalent single Age 49 Years. Ten years after this, the equivalent single age for finding the life annuity will be 48 Y. +9 Y. 4 M., or 57 Y. 4 M.

For a rate (i) of Interest other than 4 per cent.—First find the 4 per cent. correction c'', and re-enter the Table with the corrected argument u+10(.04-i)c'', which will guide to the correction sought. Here 10(.04-i)c'' is for 3 per cent. $+\frac{1}{10}c''$; $3\frac{1}{2}$ per cent. $+\frac{1}{20}c''$; $4\frac{1}{2}$ per cent. $-\frac{1}{20}c''$; 5 per cent. $-\frac{1}{10}c''$; 6 per cent. $-\frac{1}{6}c''$.

14. SURVIVORSHIP INSURANCES.

Required the single premium to insure \$1, to be received at the end of the year in which x dies, provided another life y be then living. This is sometimes termed the insurance of "x against y."

The probability of receiving the \$1 at the end of any specified year, as the second, depends on the probability $\frac{l_{x+1}}{l_x} \cdot \frac{l_{y+1}}{l_y}$ that both are alive at the beginning of the year, multiplied into the sum of the two probabilities, (1) that x may die in said second year

and y survive through it, or $(1-p_{x+1}) p_{y+1}$. (2) that both may die in the second year, x dying first, or $\frac{1}{2}(1-p_{x+1}) (1-p_{y+1})$. This last expression is multiplied by $\frac{1}{2}$, since it is considered an even chance for so short a period as one year, whether x or y will die first, whatever be the difference of their ages.

The sum of (1) and (2) is $\frac{1}{2}(1-p_{x+1})$ $(1+p_{y+1})$, or $\frac{1}{2}\left(1-\frac{l_{x+2}}{l_{x+1}}\right)\left(1+\frac{l_{y+2}}{l_{y+1}}\right)$. And the product of this sum by the previous factor and by v^2 gives the second term of the series or formula for the single premium:

$$\mathbf{A}_{xy}^{\underline{1}} = \frac{l_x - l_{x+1}}{l_x} \cdot \frac{l_y + l_{y+1}}{2l_y} \cdot v + \frac{l_{x+1} - l_{x+2}}{l_x} \cdot \frac{l_{y+1} + l_{y+2}}{2l_y} \cdot v^2 + \dots$$

In this notation for A, the 1 written over the x, expresses the condition that x is to die before y; otherwise the insurance is void. Performing the multiplications indicated, we have

$$A_{xy}^{\frac{1}{2}} = \frac{1}{2l_{x}l_{y}} [(l_{x}l_{y} - l_{x+1}l_{y+1} + l_{x}l_{y+1} - l_{y}l_{x+1})v + (l_{x+1}l_{y+1} - l_{x+2}l_{y+2} + l_{x+1}l_{y+2} - l_{y+1}l_{x+2})v^{2} + \dots].$$

This expression can be resolved into three simpler series, as shown on page 184 of Milne's treatise. Thus, the sum of the terms characterized by the first factor $l_x l_y - l_{x+1} l_{y+1}$ is identical with the half joint life premium $\frac{1}{2} A_{xy}$. The factor $l_x l_{y+1}$ is a type of the next series, which being multiplied and divided by $l_{x-1} l_y$, takes the form of $\frac{1}{2} a_{x-1,y} \div p_{x-1}$. And the remaining series is like it; so that

$$A_{xy}^{1} = \frac{1}{2} \left(A_{xy} + \frac{a_{x-1,y}}{p_{x-1}} - \frac{a_{x,y-1}}{p_{y-1}} \right) \cdot A_{xy}^{1} + A_{xy}^{1} = A_{xy}; \qquad A_{xx}^{1} = \frac{1}{2} A_{xx}.$$

When x and y are both of the same age, the expression is thus simplified by the evident cancelling of the last two terms. Also, by changing each term into the *Commutation notation*, and observing that $\sqrt{v} \cdot p_{x-1} D_{x-1,y} = D_{xy}$, we verify the formula already given on page 248, Note 1, for the single and the annual premium.

Another formula can be obtained by substituting the middle value $l_{y+\frac{1}{2}}$ in place of $\frac{1}{2}(l_y+l_{y+1})$, and so forth, in the primary formula, which will be sufficiently exact. The coefficient of v divided by $l_x l_y$, thus becomes $(l_x-l_{x+1})l_{y+\frac{1}{2}}$, or $l_x l_{y+\frac{1}{2}}-l_{x+1}l_{y+\frac{1}{2}}$, the result for the first year. And the sum of the series for the first and following years,

will be, if
$$\frac{l_{y-\frac{1}{2}}}{l_y}$$
 is replaced by $\sqrt{\frac{1}{p_{y-1}}}$:

$$\mathbf{A}_{xy}^{\underline{1}} = \sqrt{\frac{1}{p_{y-1}}} \cdot \binom{a_{x-1,y-\frac{1}{2}}}{p_{x-1}} - a_{x,y-\frac{1}{2}}.$$

Example.—Let x=y=35 years, with interest 4 per cent. The equal ages to give the two annuities, are found by Table LXV to be $34\frac{1}{4}$ and $34\frac{3}{4}$ years, for entering Table LXXII. And the logarithm of the radical factor is $\frac{1}{2}$ of 0.003500 found in Table XXVII. Completing the calculation, we find the single premium 0.21416 on each \$1 insured. Verification is obtained by the previous formula, which gives $\frac{1}{2}A_{35.35}=.21408$; and this appears a trifle more exact than the result above, which depends substantially on the difference of annuities tabulated to three or four decimals. Dividing the single premium by $1+a_{xy}$, that is, by $1+a_{35.35}$ or by 14.8678, gives the annual premium 0.014399 on each \$1 insured.

Changing now the last formula, or rather its previous series, into the notation of De Morgan and of Chisholm, we may find the values of D, N, in the Tables for Two

Joint Lives, or the values of D, N, S, in the Tables of Single Life, entered with the equivalent single age from page 259, and thence the value of $M_{xy}^{\frac{1}{2}}$ or $R_{xy}^{\frac{1}{2}}$ below:

$$\mathbf{A}_{xy}^{\frac{1}{2}} = \frac{\mathbf{M}_{xy}^{\frac{1}{2}}}{\mathbf{D}_{xy}}; \quad \mathbf{M}_{xy}^{\frac{1}{2}} = (l_x - l_{x+1}) (l_{y+\frac{1}{2}}) v^{\frac{x+y+2}{2}} + (l_{x+1} - l_{x+2}) (l_{y+\frac{1}{2}}) v^{\frac{x+y+4}{2}} + \dots$$

$$\mathbf{R}_{xy}^{\frac{1}{2}} = \mathbf{M}_{xy}^{\frac{1}{2}} + \mathbf{M}_{x+1,y+1}^{\frac{1}{2}} + \mathbf{M}_{x+2,y+2}^{\frac{1}{2}} + \dots$$

$$\mathbf{M}_{xy}^{\frac{1}{2}} + \mathbf{M}_{xy}^{\frac{1}{2}} = \mathbf{M}_{xy}; \qquad \mathbf{R}_{xy}^{\frac{1}{2}} + \mathbf{R}_{xy}^{\frac{1}{2}} = \mathbf{R}_{xy}.$$

$$\mathbf{M}_{xy}^{\frac{1}{2}} = v^{\frac{2}{3}} \mathbf{N}_{x,y+\frac{1}{2}} - v^{\frac{1}{4}} \mathbf{N}_{x+1,y+\frac{1}{2}}; \quad \mathbf{R}_{xy}^{\frac{1}{2}} = v^{\frac{2}{4}} \mathbf{S}_{x,y+\frac{1}{2}} - v^{\frac{1}{4}} \mathbf{S}_{x+1,y+\frac{1}{2}}.$$

Insurance of \$1 on the life of x, if y be the survivor:

Single Premium,
$$A_{\overline{xy}}^1 = \frac{M_{\overline{xy}}^1}{D_{xy}};$$
 Annual Premium $= \frac{M_{\overline{xy}}^1}{N_{xy}}.$

Insurance of 1 on the life x, if y be the survivor, with return of nct premium or premiums paid, if y die first:

Single Premium,
$$\frac{M_{xy}^{\frac{1}{2}}}{D_{xy}-M_{xy}^{\frac{1}{2}}};$$
 Annual Premium = $\frac{M_{xy}^{\frac{1}{2}}}{N_{xy}-R_{xy}^{\frac{1}{2}}}$

Insurance of \$1 on the life of x, provided he die last of the two lives x, y:

Single Premium =
$$\Lambda_x - \Lambda_{xy}^{\frac{1}{1}}$$
; Annual Premium = $\frac{\Lambda_x - \Lambda_{xy}^{\frac{1}{1}}}{1 + u_{xy}}$.

Insurance of \$1 upon the life x, deferred n years, and contingent upon y surviving that term:

Single Premium
$$=\frac{\mathbf{M}_{x+n}}{\mathbf{D}_x}\cdot\frac{l_{y+n}}{l_y};$$
 Annual Premium $=\frac{\mathbf{M}_{x+n}\,l_{y+n}}{\mathbf{D}_x\,l_y\,(1+a_{xy})}$.

DEFERRED AND TEMPORARY SURVIVORSHIP INSURANCES.—For the single premium of the contingent insurance deferred n years, and of the temporary insurance during n years, we have respectively,

$${}^{n}\Lambda_{xy}^{\frac{1}{1}} = \frac{D_{x+n,y+n}}{D_{xy}} \cdot \Lambda_{x+n,y+n}^{\frac{1}{1}} \cdot A_{x+n,y+n}^{\frac{1}{1}} \cdot A_{xy}^{\frac{1}{1}} = \Lambda_{xy}^{\frac{1}{1}} - \frac{D_{x+n,y+n}}{D_{xy}} \cdot \Lambda_{x+n,y+n}^{\frac{1}{1}} \cdot A_{x+n,y+n}^{\frac{1}{1}} \cdot A_{x+n,y+n}$$

The divisor to give the annual premium will be 1 plus the temporary annuity on the joint lives for one year less than the whole period of payment.

Attention has been called to this advantageous method of determining the single premium of deferred or of temporary insurances, by Mr. Peter Gray, who states that it applies to all insurances, depending on the first death from among any assigned number of lives. The commutation formula for temporary annuities will furnish another illustration. An equation between two or more benefits is first presupposed. Then by transposition, or solution, each benefit may be expressed in terms of the others.

GENERAL SOLUTION.—For the more general case of an insurance of \$1, payable at the end of the year of first death among the (m) lives x', x'', x''', \ldots provided all the other (n) lives y', y'', y''', \ldots are then surviving, Mr. Makeham has given a strikingly original formula in the *Journal*, vol. 9, page 362, reproduced by Mr. Woolhouse in vol. 15, page 403. First, two auxiliary single ages x, y, are to be found such that,

$$q^{x} = q^{x'} + q^{x''} + q^{x'''} + \dots;$$
 $q^{y} = q^{y'} + q^{y''} + q^{y'''} + \dots$

The logarithms of q and s are given on page 237; and that of δ or $-\log v$, at the end of Table XLIII. As usual, $A_{x'}$, y', will denote the ordinary single premium of insurance on all the joint lives. Multiplying by \sqrt{v} in order to change from "continuous" to ordinary premiums, we find the formula equivalent to

$$\Lambda_{(x'x''..)y'y''..}^{\frac{1}{m+n}} = \frac{mq^y - nq^x}{q^x + q^y} \left\{ \frac{\sqrt{v}}{\delta} \cdot \log \frac{1}{s} - \left(\frac{1}{m+n} + \frac{1}{\delta} \cdot \log \frac{1}{s} \right) \Lambda_{x'..y'..} \right\} + \frac{m}{m+n} \Lambda_{x'..y'..}$$

For the simplest case, that of an insurance payable after the death of x, provided y survives him, we have m = n = 1. And first, if x be the younger life, with interest 4 per cent.

$$\begin{split} \mathbf{A} \frac{1}{xy} &= \frac{q^{y-x}-1}{q^{y-x}+1} \left(0.158117 - 0.661249 \mathbf{A}_{xy} \right) + \frac{1}{2} \mathbf{A}_{xy}. \\ \mathbf{A} \frac{1}{xy} &= a' + b' \mathbf{A}_{xy}. \qquad \lambda \log \frac{1}{s} = \overline{3}.801012 \, ; \qquad \lambda \sqrt{v} = \overline{1}.991483. \end{split}$$

Here a' denotes the first term, and b' the whole coefficient of Λ_{xy} . To facilitate calculation, their values are sketched in the following Table. The Italic n is annexed to the logarithm, when the number b' is negative. When x is greater than y, q^x will exceed qy in the general formula; hence if x be the older of the two lives, and if the difference of ages is accounted positive,

$$A_{xy}^{\frac{1}{2}} = -a' + (1-b') A_{xy}.$$

VALUE OF ab' AND $\lambda b'$ ACCORDING TO THE DIFFERENCE OF AGES. INTEREST 4 PER CENT.

DIFF. AGES.	a'.	$\lambda b'$.	DIFF. AGES.	a'.	λδ'.	DIFF. AGES.	a'.	$\lambda b'$.	DIFF. AGES.	a'.	λδ'.
1	0.00751	$\bar{1}.67080$	13	0.08690	1.13536	25	0.13124	$\bar{2}.68871n$	37	0.14900	ī.09030n
2	.01499	.64079	14	.09201	.06150	26	.13348	.76515n	38	.14980	.10202n
3	.02239	.60891	15	.09684	2.97774	27	.13556	.82546n	39	.15054	.11246n
4	.02970	.57494	16	.10140	.88044	28	.13747	.87449n	40	.15121	.12178n
5	.03688	.53878	17	.10569	.76339	29	.13923	.91520n	41	.15182	.13012n
6	.04390	.50023	18	.10972	.61445	30	.14085	.94956n	42	.15238	.13760n
7	0.05074	1.45908	19	0.11349	2.40475	31	0.14234	2.97889n	43	0.15290	1.14431n
8	.05738	.41505	20	.11701	.02821	32	.14370	1.00418n	44	.15336	.15034n
9	.06379	.36781	21	.12029	3.48477n	33	.14496	.02615n	45	.15379	.15577n
10	.06996	.31690	22	.12334	$\bar{2}.19920n$	34	.14610	.04535n	46	.15418	.16066n
11	.07587	.26176	23	.12618	.44206n	35	.14715	.06222n	47	.15453	.16507n
12	.07974	.22151	24	.12880	.58729n	36	.14812	.07711n	48	.15485	.16905n

Example.—Required the single premium on each \$1 of insurance payable after the death of x aged 17, if y, now aged 57, shall then be living. Interest 4 per cent.

$$A_{\overline{17.57}}^{1} = 0.15121 - [\overline{1}.12178] A_{17.57} = 0.07574..$$

Here the difference of ages, 40 years, gives the Equal Ages 49 Y. 11.3 M.; whence by Table LXXIV, $A_{17.57}$ is .57016 on \$1, for the remaining operation, with a' and $\lambda b'$ at (x-y) 40 years. The former approximation by annuities verifies the answer 0.07575.

15. INSURANCES PAYABLE AT THE INSTANT OF DEATH.

The received system of premiums assumes the sum insured to be paid at the end of the year of death; that is, on the average, six months after death. Hence, if the sum insured (s) were paid at the instant of death, it would be increased at the year's end by six months' interest, that is, by the factor $\left(1+\frac{i}{2}\right)$, or the divisor \sqrt{v} according to some writers, where i denotes the yearly rate of interest. If the common insurance s is to be thus increased to $s\left(1+\frac{i}{2}\right)$, the premiums should be increased in the same ratio, that is, by adding 6 months' interest, or by the factor $1+\frac{i}{2}$. By similar reasoning, if the insurance is to be paid three months after death, that is, on the average, three months before the expiration of the year of death, then 3 months interest should be added to the premium, whether the premium be single, annual, or by other installments. The factor $\left(1+\frac{i}{4}\right)$ will make this last addition, which illustrates the process for other cases.

It will be proper to add, that a three months increase is more commonly included in the "loading" of the office premiums. The subject is more fully analyzed in the "continuous method," which assumes all insurances to be payable at the instant of death.

16. SEMI-ANNUAL AND QUARTERLY PREMIUMS.

According to Mr. Woolhouse in the Assurance Magazine, Vol. XI, page 327; in official practice, it is a safe and convenient rule to take the yearly premium a year higher when one-fourth of it is to be paid quarterly, and half a year higher when one-half of it is to be paid half-yearly. This will rather more than cover the true calculation, as it should do to provide for the additional cost. Rigorously, if π denote the annual premium on \$1 insured for life, and π' the increased value when payable in m instalments, it is there proved that

$$\pi' = \frac{\pi}{1 - (1 - v + \pi) \left[\frac{m - 1}{2m} + \frac{m^2 - 1}{12m^2} (\mu + \delta) \right]}$$
 Table XLIII.

SECTION VII.

Reserve or Valuation of Policies.

The annual changes of Reserve or Net Value are exemplified in the common life policy. By Table LXIII, at the age of entry 46 years, the net Annual Premium is \$28 on \$1000 insured; and the Reserve for different Durations, or Policy Years, as the annual premiums are paid, will be as follows:

Policy Years	1st.		2nd.			Etc.		
Duration Years	0 01	1 1	11/2	2	2	$2\frac{1}{2}$	3	
Premiums paid	28.00	28.0	00		28.00			
Net Value	28.00 22.82	17.64 45.	40.66	35.68	63.68	58.89	54.10	

At the beginning of the insurance, the Net Value is equal to the Premium paid: the risk of death incurred during the following twelve months, continually decreases this value till the close of the first year. Then the premium paid at the beginning of the second year, carries up the Reserve per saltum to a much higher point; when the twelve months decrease again commences; and so on.

In the case of paid-up Policies, the Net Reserve changes continuously; either by increase, as in Table XXXI, for whole life policies; or by decrease, as in Table LII, where the Single Premium at the age of 24 is \$36.86, and at the age of 25 it is \$31.58, on an Insurance of \$1000 terminating at the age of 30.

MONTHS AND DAYS.

The decrease of Net Value from the beginning to the end of each policy year, is conventionally assumed to be uniform. For example, when a policy has been in force 5 years and 4 months, the decrease in the 4 months is one-third of the whole decrease between the beginning and the end of the 6th policy year. Or multiply the tabular difference for the mean half-month $(\frac{1}{2}m.\ d.)$ by double the number of months. And for odd days, take proportional parts of $(\frac{1}{2}m.\ d.)$ representing 15 days. That is, account 1 day as $\frac{1}{15}$ or $\frac{2}{30}$, and 2 days as $\frac{4}{30}$, also 3 days as $\frac{1}{5}$ or $\frac{2}{10}$, and 6 days as $\frac{4}{10}$, also 9 days as $\frac{4}{30}$, and 12 days as $\frac{8}{10}$; also 5 days as $\frac{1}{3}$, and 10 days as $\frac{2}{3}$. The correction will be added or subtracted according to increase or decrease of the tabular Reserve. Other modes of proportional correction will be indicated in Tables LXIII and LXXIV.

VALUATION TABLES FOR PAID-UP POLICIES.

At every age, the Net Value evidently coincides with the Single Premium, for the unexpired term of the same species of insurance. Single Premiums will be found already computed in Tables XXX, XXXI; by Months in Tables L, LI; for Term and Endowment Insurances, Tables LII, LIV; and for Joint Lives in Table LXXIV.

ANNUAL PREMIUM POLICIES.

PROSPECTIVE FORMS OF NET VALUATION.—The general principle is simply, from the net single premium, of the given species, at the age of valuation, to deduct the present value of the future net annual premiums receivable.

Let s denote the sum insured, and P_x the annual premium thereon, at the age of entry x. At the end of the nth policy year, or at the age x+n, when the next annual premium is just due but unpaid, the Net Value of a common life policy will be, if A_{x+n} denote the net single premium on each \$1 insured,

$$V_{x+n} = s \cdot A_{x+n} - P_x(1 + a_{x+n}),$$

If the premium has just been paid, by adding it, and accenting V,

$$V'_{x+n} = s \cdot A_{x+n} - P_x \cdot a_{x+n}.$$

When the valuation is made by the same table of mortality and rate of interest with the premium, the former expression will be simplified by substituting for A, P, their equivalents in terms of v, a; the result is, on each \$1 insured,

$$V_{x+n} = 1 - \frac{1 + a_{x+n}}{1 + a_x} = \frac{a_x - a_{x+n}}{1 + a_x}; \quad V'_{x+n} = v - \frac{a_{x+n}}{1 + a_x};$$

$$V_{x+n} = 1 - \frac{1 - A_{x+n}}{1 - A_x} = 1 - \frac{P_x + 1 - v}{P_{x+n} + 1 - v}.$$

In the case of two joint lives,

$$V_{x+n,y+n} = 1 - \frac{1 + a_{x+n,y+n}}{1 + a_{xy}}.$$

And on the survivor of two lives,

$$V_{\overline{x+n.y+n}} = 1 - \frac{1 + a_{x+n} + a_{y+n} - a_{x+n.y+n}}{1 + a_x + a_y - a_{xy}}.$$

By another mode of reasoning, if P_{x+n} denote the annual premium at the advanced age x+n, then the difference $P_{x+n}-P_x$ measures the annual saving in premium of the former policy over an assumed new policy. The present value of these savings will of course be the present value of the former policy; that is, if the premium is just due, but not paid,

$$V_{x+n} = (P_{x+n} - P_x) (1 + a_{x+n}).$$

RULE.—Take the difference between the net annual premium, which would be required at the advanced age, and the net annual premium charged in the policy, multiply it by unity added to the value of the annuity at the advanced age of the life insured; the product will be the Reserve.

The last formula is equal to the first one, since $A_{x+n} = P_{x+n} (1 + a_{x+n})$. Again, since $A_{x+n} = 1 - (1-v) (1 + a_{x+n})$, we have from the first formula on page 265:

$$V_{x+n} = 1 - (1 - v + P_x) (1 + a_{x+n})$$
, on each \$1 insured.

By proper change of the annuity, as noted above, this formula will likewise apply to two joint lives, or to the survivor of them.

On all *Temporary* and on *Endowment Insurances* of \$1 insured for the term of m years, after the age of entry x, the Reserve at the intermediate age x+n, when the next premium is just due but unpaid, will be

$$V_{x+n} = A_{x+n}^{m-n} - P_x (1 + a_{x+n}^{m-n-1}).$$

Here A denotes the single premium of the given species of policy, and a the temporary annuity at the age x+n for the remaining m-n years. The same Reserve with the annuity expressed in commutation terms, will be

$$\mathbf{V}_{x+n} = \mathbf{A}_{x+n}^{m-n} - \mathbf{P}_x \cdot \frac{\mathbf{N}_{x+n} - \mathbf{N}_{x+m}}{\mathbf{D}_{x+n}}.$$

The value of an Endowment Insurance for m years, with premiums payable annually, may be simplified like that of the common life policy, as follows:

$$V_{x+n} = 1 - \frac{1 + a_{x+n}^{m-n-1}}{1 + a_x^{m-1}} = 1 - \frac{N_{x+n} - N_{x+m}}{N_x - N_{x+m}} \cdot \frac{D_x}{D_{x+n}}$$

Valuation by Gross Premiums.—Let P_x denote the net annual premium on any policy, and P'_x the loaded, gross, or office premium. Then will the difference between the *gross* and the *net* valuation be expressed by

$$(P'_x - P_x) (1 + a_{x+n}^{m-n-1}), \text{ or } (P'_x - P_x) \frac{N_{x+n} - N_{x+m}}{D_{x+n}}$$

This is the present value of the loading receivable in the future. Since many policies will be discontinued, it belongs to the uncertain or "unrealized assets;" which, as they accrue, may be the material of future dividends. In the early years of life insurance in the United States, the Carlisle 4 per cent. mutual premiums were loaded 35 per cent.

RETROSPECTIVE FORMS OF NET VALUATION.

In apparent contrast with "Prospective Valuation" which has just been shown to be based on the present single premium, and on future annual premiums, "Retrospective Valuation" is based only on past premiums already received. Yet by a singular coincidence, in net valuation, the Reserve found by the first method, from premiums future and unpaid, is precisely the same as the Reserve of the second method from premiums past and paid. This will be the more evident from the direct transformation of Prospective formulas into Retrospective. Let us take, for example, the Prospective formula, giving the Reserve at the end of 6, or more generally, n years, on a ten-premium life policy for \$1 insured:

$$\mathbf{V}_{x+n} = \frac{\mathbf{M}_{x+n}}{\mathbf{D}_{x+n}} - \frac{\mathbf{M}_{x}}{\mathbf{N}_{x} - \mathbf{N}_{x+10}} \cdot \frac{\mathbf{N}_{x+n} - \mathbf{N}_{x+10}}{\mathbf{D}_{x+n}} \cdot$$

Substituting for M_{x+n} its equal, $M_x - (M_x - M_{x+n})$,

$$V_{x+n} = \frac{M_x}{D_{x+n}} \left(1 - \frac{N_{x+n} - N_{x+10}}{N_x - N_{x+10}} \right) - \frac{M_x - M_{x+n}}{D_{x+n}}.$$

$$V_{x+n} = \frac{P_x \left(N_x - N_{x+n}\right) - \left(M_x - M_{x+n}\right)}{D_{x+n}}$$

Here the premium $P_x = \frac{M_x}{N_x - N_{x+10}}$; and the formula now involves no future age, but only the past or retrospective ages x and x+n; hence the name of *Retrospective Formula*, proposed in the original memoir by James Meikle, *Journal*, Vol. XI, p. 245.

If T_x^n denote the annual premium of Temporary Insurance, and E_x^n that of Purc Endowment, for n years; then dividing both numerator and denominator of the formula by $N_x - N_{x+n}$, and substituting equivalents, we have the second form, on each \$1 insured:

$$V_{x+n} = \frac{P_x - T_x^n}{E_x^n}.$$

By substituting for M_x its equal $D_x-(1-v)N_x$, and so for M_{x+n} , we obtain a third form; and then by substituting $\pi_x+(1-v)N_x$ for its equal D_x , the fourth form following:

$$V_{x+n} = \frac{(P_x + 1 - v) (N_x - N_{x+n}) - (D_x - D_{x+n})}{D_{x+n}}.$$

$$V_{x+n} = \frac{(P_x - \pi_x) N_x - (P_x + 1 - v) N_{x+n}}{D_{x+n}} + 1.$$

By an obvious modification, we obtain a fifth and more general formula, which includes the single premium and others:

$$V_{x+n} = \frac{b_x \cdot D_x + b_{x+1} \cdot D_{x+1} + \ldots - s \left(M_x - M_{x+n}\right)}{D_{x+n}}.$$

Here each annual payment b_x , b_{x+1} , (which may be negative), is treated as a single premium of pure endowment, due at the age of valuation x+n. The sum of these terms, less the cost of temporary insurance of s from age x to the age x+n, gives the required reserve or net value. All the retrospective formulas, coinciding entirely with the principle here stated, require no further demonstration.

ELEMENTARY FORMULA OF VALUATION.

Let s_x denote the amount of insurance in force during the 1st year; s_{x+1} the amount during the 2d year: s_{x+2} during the 3rd year; etc. The years are past, but at the age x, the series may be resolved into deferred temporary insurances of one year each; so that the factors to give their present values, would be $\frac{M_x - M_{x+1}}{D_x}$, $\frac{M_{x+1} - M_{x+2}}{D_x}$, And the common factor to change these present values to equivalent endowments or reserve, at the age x+n, will be $\frac{D_x}{D_{x+n}}$. So that on cancelling D_x , and writing C_x , C_{x+1} ,, for the differences of M,

$$\underbrace{b_{x}.D_{x}+b_{x+1}.D_{x+1}+\ldots+b_{x+n-1}.D_{x+n-1}-s_{x}.C_{x}-s_{x+1}.C_{x+1}-\ldots-s_{x+n-1}.C_{x+n-1}}_{D_{x+n}}.$$

RETURN PREMIUMS.—For application, let P_x denote the net annual premium to insure a sum s; and let P'_x denote each of the total premiums, whether gross or net, to be returned without interest, at the end of the year of death, with the sum insured. Then by the last formula (E), and by Seet. V, the net reserve will be

$$V_{x+n} = \frac{P_{x} (N_{x} - N_{x+n}) - (s + P'_{x}) C_{x} - (s + 2P'_{x}) C_{x+1} - \dots - (s + nP'_{x}) C_{x+n-1}}{D_{x+n}}$$

$$= \frac{P_{x} (N_{x} - N_{x+n}) - s (M_{x} - M_{x+n}) - P'_{x} (R_{x} - R_{x+n} - nM_{x+n})}{D_{x+n}}.$$

Note.—For a Pure Endowment, with return of all premiums only in the event of death, let s be made 0, in the last formula.

Increasing or Decreasing Insurances.—If s+P'=I, the sum insured during the first year; or $s=I-P'_x$, and P'_x the annual increase, the formula (E) will give the net value of any *increasing* insurance. Or by changing the sign of P', it will give the value of a *decreasing* insurance, provided $s-P'_x=I$, denote the sum insured during the first year; whence $s=I+P'_x$.

Increasing or Decreasing Premiums.—By the general formula, if P+h denote the first net annual premium, and h its annual increment, so that P+h, P+2h, P+nh, are the annual payments, by reference also to Sect. V,

$$V_{x+n} = \frac{P_{x} \left(N_{x} - N_{x+n}\right) + h \left(S_{x} - S_{x+n} - n N_{x+n}\right) - s \left(M_{x} - M_{x+n}\right)}{D_{x+n}}.$$

By making h negative, and determining P from the relation P-h=b, the first annual premium, or $P_x=b_x+h$; this formula will apply to decreasing premiums.

VALUATION TABLES FOR ANNUAL PREMIUM POLICIES.

The Net Value or Reserve on Ordinary Life Policies of \$1000 is given in Table LXIII, for the middle and the end of each year, with half-monthly differences for interpolation. The similar values for Ten Payment Life Policies are computed in Table LXII. For other species, such as Limited Premium Life, Term and Endowment Insurances, on the plan of an average annual premium, the several Tables which give this premium P, give also the auxiliary λ (P $-\pi$). And the mode of applying this auxiliary to give the Reserve, is fully described at the beginning of Table LXIII, on Page *154. The formula there given for the "End of Policy Year" is thus found:

Let π_x denote the Annual Premium of the Ordinary Life Policy on \$1000, at the age x; then by the preceding first form of Retrospective Valuation:

$$V = \frac{\pi_x (N_x - N_{x+n}) - 1000 (M_x - M_{x+n})}{D_{x+n}}.$$

And let P_x denote the Annual Premium of a different species of Policy on \$1000 issued at the same age x. Writing the similar Retrospective Formula of V_{x+n} , and taking the difference of the two equations, also transposing V, we obtain the formula required, for the end of the nth Policy Year:

$$V_{x+n} = V + (P_x - \pi_x) \frac{N_x - N_{x+n}}{D_{x+n}} = V + (P_x - \pi_x) B_x^n$$

The Retrospective Formula has peculiar advantages: firstly, in that the computer knowing the annual premium P, is exempt from the trouble of inquiring into the year of termination of temporary and endowment insurances. Secondly, in showing that the Reserve from premiums past and paid, is the same as from premiums future and nupaid. And thirdly, the use of five place logarithms in computation, generally gives the same degree of accuracy in the result, as six place logarithms with the older prospective formulas.

ADJUSTMENT FOR MONTHS. TABLES LXIII AND LXIV. Let V_{x+n} denote the Reserve at the age x+n just before the annual premium falls due; and let $V' = P_x + V_{x+n-1}$ denote the Reserve twelve months previous, just after the current premium was paid. Then, as will presently be shown in Section IX, for each \$1 insured:

$$V_{x+n} = 1 - \frac{1}{vp_{x+n-1}}(v - V').$$

Let h denote the fraction of the year elapsed since the date of V'; and let V_{x+n}^h denote the Reserve at that time. Then by proportional decrease since the beginning of the year:

$$V_{x+n}^h = V' - h(V' - V_{x+n}) = (1-h)V' + hV_{x+n}.$$

Eliminating V' by comparison of the two equations, we have, on each \$1 insured

$$V_{x+n}^{h} = (1-h) (v-vp_{x+n-1}) + V_{x+n} [h+(1-h) vp_{x+n-1}].$$

Let $f = h + (1-h) v p_{x+n-1}$. For V_{x+n} , let its former equal $V + (P_x - \pi_x) B_x^n$ be here substituted. Then observing that the $(1-h) (v-v p_{x+n-1}) + V f$ denotes the

interpolated value of the ordinary Life Policy, hereafter denoted simply by V, we find, for each \$1000 insured, as on page *154, or Table LXIII:

$$\mathbf{V}_{x+n}^h = \mathbf{V} + (\mathbf{P}_x - \pi_x) \, \mathbf{B}_x^n f_{x+n}^h.$$

The last equation but one, may be transformed, by substituting for V_{x+n} its equal $(V_{x+n}-1)+1$; thus we obtain another formula when V_{x+n} is known:

$$V_{x+n}^{h} = h + (1-h) v - (1-V_{x+n}) f = f' - (1-V_{x+n}) f.$$

$$f' = h + (1-h) v; \qquad f = h + (1-h) v p_{x+n-1}.$$

The value of f' and the common logarithm of f, for 4 per cent, are given in Table LXIV, for the beginning and middle of each year, and the middle of each month. Intermediate values can be found from these by proportioning the differences. Like the last valuation formula, f' is adapted to 1 or unity, as the amount insured on a single life. By changing the decimal point three places to the right in the final result for \$1, it will be adapted to \$1000 insured or the value of f'' below. It may be proper to observe in the preceding expressions, that the exponent n or n is merely an extension of the suffix under it; ∇_{x+n}^{h} meaning the same as ∇_{x+n+h} .

VALUATION TABLES FOR JOINT LIFE POLICIES.

It will be advantageous to apply the correction to give *two* equal ages, at the time of entry, by first taking account of months, and applying the correction from page 260, or from Table LXV, so far as to determine the nearest integral age for the Office Equal Age. All future calculations on the Policy, can then be made by single entry in the Tables LXV-LXXVI, in the same manner as for a single life. In the case of three or four joint lives, the method of current "equal ages" with an Annual Correction (c) for calculations only, has been given on pages 258, 259.

Paid-up Policies on Two Joint Lives admit of Valuation by inspection or interpolation in Table LXXIV. On Annual Premium Policies, the Reserve can be calculated from the single entry factors in Table LXXVI, when the net Premium has been prepared, as illustrated in Table LXXV. The formula of valuation having precisely the same form as for a single life, is demonstrated as follows:

Substituting the expression for V_{x+n} , from the fourth form of Retrospective Valuation, into the preceding formula containing f' and f, we obtain on \$1 insured:

$$V_{x}^{h} = f' + \frac{f}{D_{x+n}} [(P_x - \pi_x) N_x - (P_x + 1 - v) N_{x+n}].$$

Assuming P_x , π_x , to be premiums on \$1000 insured, and adjusting the other terms accordingly, let f'' hereafter denote the former 1000f'. Let the former $f \div D_{x+n} = b_{x+n}$; and let $b'_{x+n} = b_{x+n} N_{x+n}$. Also let the prepared premiums $P'_x = (P_x - \pi_x) N_x$; $P''_x = P_x + 1000 (1 - v)$. Then as computed in Tables LXXV and LXXVI:

$$V_{x+n}^{\hbar} = f'' + P'_{x} \cdot b_{x+n} - P''_{x} \cdot b'_{x+n}$$
, on \$1000 insured.

Example 1.—An ordinary Policy issued on the Joint Lives aged 37 and 37 has been in force 5 years 4½ months. Required the 4 per cent. Reserve.

$$f'' = 975.962$$
 $1.84012 = \lambda P''_{37}$, Table LXXV. $1.09963 = \lambda b'^{h}_{42}$, Table LXXVI. -870.46 $\dots 2.93975$ Sum, Table LXXXII. $$105.50 = \text{Reserve on } 1000 Insured.

Example 2.—A Ten Payment Policy on two Joint Lives was issued at the ages of entry 43 and 43. Required the 4 per cent. Reserve at the end of 8 years 7½ months.

$$f'' = 985.577 \qquad \frac{4.01727}{4.0160.46} = \lambda P'_{43}, \text{ Table LXXV.}$$

$$f'' = 985.577 \qquad \frac{4.01727}{2.78280} = \lambda b_{51}^{h}, \qquad \frac{1.01345}{3.02795} = \lambda b_{51}^{h}, \text{ Table LXXVI.}$$

$$-\frac{1066.50}{$525.54} = \text{Reserve on $1000 Insured.}$$

Value of a Survivorship Insurance.—At the end of n years, the annual premium P being just due but unpaid, the Reserve on a Policy of \$1 payable on the death of x, provided y be then living, will be

Reserve =
$$A_{x+n,y+n}^{-1}$$
 - P $(1 + a_{x+n,y+n}) = (a'+b') \left(1 - \frac{1 + a_{x+n,y+n}}{1 + a_{xy}}\right)$,

 $=(a'+\bar{b}')\times \text{Reserve}$ on Ordinary Joint x,y, at the end of n years.

This expression is based on the Single Premium $a' + b' A_{xy}$; and a', b', being constant during the continuance of the same Policy, are tabulated on page 263. The age x is presupposed to be younger than y. When x is the older age, a', b', must be replaced by -a' and 1-b' respectively, in all the expressions. These formulas, first investigated in the present collection, depend on the comparison of different expressions for equal reserves.

To correct for *Months*, whether the insurance be for the whole *Life*, or *Temporary*, let V denote the Reserve on 1000, computed from Table LXXVI, as if for ordinary Joint Lives, or for the same term, if Temporary; then, on the corresponding Survivorship Policy:

Reserve =
$$(a'+b') V + a' (1000-f'')$$
.

Insurance of \$1 on the life x, if y be the survivor, with return of nP the net annual premiums paid, if y die flust. At the end of n years, when the next premium is just due, but unpaid:

Reserve =
$$\frac{A_{x+n,y+n}}{1 - (1 + nP) A_{x+n,y+n}} - P(1 + a_{x+n,y+n}).$$

For other rare varieties, reference may be made to the work of Chisholm, who has tabulated D_{xy} , N_{xy} , M_{xy}^{1} , and R_{xy}^{1} , for every yearly difference of the Carlisle Table.

SHORT METHOD OF DETERMINING THE EQUIVALENT AMOUNT INSURED BY PAID-UP POLICY.—A remarkably simple formula was devised by Sprague, and extended by Maefadyen, showing at once the result of the double process of finding the reserve, and thence the equivalent amount insured by a paid-up policy. In the common formula of valuation, the term A_{x+n}^{m-n} is the single premium on \$1 of paid-up insurance, page 266. Dividing the Reserve V_{x+n} or the whole equation by this term, will consequently give the equivalent sum insured, which is

$$1 - P_x \frac{1 + a_{x+n}^{m-n}}{A_{x+n}^{m-n}} = 1 - \frac{P_x}{P_{x+n}}.$$

By dividing the first numerator and denominator by the numerator, the denominator takes the well-known expression for P_{x+n} , given in the last fraction. Let s denote the amount insured by the first policy. Multiplying the above result for \$1 by s, we have the equivalent Amount

Insured by the Paid-up Policy =
$$s\left(1 - \frac{P_x}{P_{x+n}}\right)$$
.

Here P denotes the net premium, or the office premium when loaded with a uniform percentage.

Example 1.—A temporary insurance of \$5000, for ten years, is effected at the age of 40. After four annual premiums have been paid, at the end of four years, the equivalent amount of paid-up policy for the remaining six years will be, from Table LIII,

$$s\left(1 - \frac{P_{40}}{P_{44}}\right) = s\left(1 - \frac{10.544}{12.599}\right) = 5000 (1 - .83689) = \$815.55.$$

Example 2.—A person at the age of thirty-five years has an ordinary endowment insurance of \$10,000 on his life, payable at the age sixty-five or at previous death. At the end of ten years, the sum insured by paid-up policy, equivalent to the ten annual premiums paid, will be, from Table LV,

$$s\left(1 - \frac{P_{35}}{P_{45}}\right) = 10,000\left(1 - \frac{24.724}{41.499}\right) = \$4042.28.$$

This sum is payable at "Death or 65," as under the original policy.

Non-forfeiting Plan.—In comparison with this correct result \$4042.28, "the non-forfeiting plan," so called, would give a paid-up policy for ten-thirtieths or one-third of the original \$10,000, which is only \$3,333.33. This is in the ratio of the total number of premiums payable, to the number already paid. For shorter periods of insurance, not much exceeding ten years, the results of this empiric rule will approach nearer to accuracy. Further discussion of this subject may be found in the fifteenth and sixteenth volumes of the *Journal*, and an able article by Mr. McClintoek in the seventeenth volume.

Surrender Value.—The Massachusetts non-forfeiture law provides that on lapsed policies, four-fifths of the net value at the time of lapsing, less the outstanding note, if any, shall be applied as a single premium of temporary insurance to continue the policy. And in ease of death during such term of extension, the unpaid premiums may be deducted from the sum insured. We may observe that the premiums of term insurance in this collection, are given in Table LII; from which, corresponding results may be found by proportion,

In ordinary practice, a deduction is made from the Net Value to give the Surrender Value, depending on the health of the insured, on the cost of replacing the risk, or other circumstances. The office system of deductions generally refers to surrenders made, as they usually are, at the end of the policy year. Todd's Tables, Edinburgh, 1852, may illustrate this topic. If a surrender is made earlier in the year, as at the middle of it, a portion of the Premium last paid, will be returnable to the insured, for risk not incurred in the unexpired part of the year. For illustration, let the tabular net value during the second year, be separated into two parts thus described: (1) The

net value \$17.64 at the end of the first year, increasing uniformly to \$35.68 at the end of the second year, as noted at the beginning of this Section. (2) The net premium of \$28 paid at the beginning of the second year, gradually decreases to 0 during the ensuing second year. The full reserve at any time in the second year, is made up of these two continuous parts, (1) and (2); and the office percentage is deducted by Todd from the former part only, while the latter or premium part is directly returnable. Thus at the middle of a policy year, half the net premium which was paid six months before, is subtracted from the present tabular reserve; then the office reduction is made for surrender value, to which the half premium is again restored.

Annual Valuation of an Insurance Office. — The general plan is thus stated in De Morgan's Essay on Probabilities, page 275:—"The most simple theoretical way of conducting the process, is to ascertain the value of every policy; that is, to ascertain how much should be given to the holder of each policy to renounce his claim, the office also abandoning the future premiums. When this is done, it is obvious that the office is not solvent, unless the assets arising from the accumulation of former years be sufficient to pay the values of all the policies, and thus to buy them all up. Otherwise, calculate the present value of all premiums due to the office, and also the present value of all claims to which it is liable. To the former add the sum total of the assets of the office, and to the latter add the present value of a perpetuity equal to the expenses of management. Thus, let

P = present value of all premiums.

C = present value of all elaims.

A := total assets of the office.

M = present value of all expenses of management.

If then P and A together exceed C and M together, the office is solvent. On each of these items a few remarks may be made.

- (P.) All the parties who are of the same office age, may have their several policies considered as one collective policy, in respect of which the sum of the premiums is paid as one premium, and the sum of the possible claims is one claim. But as these premiums are payable at all periods of the year, they may be considered as, one with another, due at six months after the valuation, at which time the present office age of the parties may be considered to be their real age.
- (C.) All bonuses which have actually been added to the policies must be included in the claims; and the value of each claim must be carefully found, with reference to the time after death at which it is paid.
- (A.) The principal of the assets must be deduced entirely by means of the income it yields, and must be ascertained from the income by means of the rate of interest assumed.
- (M.) Against the expenses of management may be set, as far as they go, the incidental profits, when they can be tolerably well ascertained."

DISTRIBUTION OF SURPLUS. — The methods employed in upwards of seventy British Life Offices, are very plainly exhibited by Hewat in the Assurance Magazine, Vol. XXII, page 286. It appears that nearly all the Companies allow the option of applying the dividend to reduce the current premium; and in the general average, the "loading" on the premiums is practically refunded.

The Thirteenth Report, 1868, of the Insurance Commissioner of Massachusetts, contains a series of communications on the Contribution plan of dividends, originated

by Messrs Homans and Fackler in 1863. A single illustration and the formula below are recalled and revised from a former article in the *Insurance Times* (New York, 1868), Vol. I, page 545:

A party aged thirty-five years, takes out an ordinary life policy of \$10,000, at an annual premium of \$273 (Carlisle four per cent. net, with 35 per cent. loading). Required his annual dividends on the contribution plan, according as the Reserve is reckoned at three, four, five, or six per cent. interest, by the Carlisle Table; the Company receiving six per cent on investments, above expenses.

RE	SERVE AT	THREE PER	R CENT.	RESERVE AT FOUR PER CENT.							
END OF	Reserve	Contribution	PREMIUM LESS	END OF	Reserve	CONTRIBUTION DIVIDEND.	PREMIUM LESS				
YEAR.	V.	Dividend.	DIVIDEND.	YEAR.	V.		DIVIDEND.				
1	\$128.70	\$63.25	\$209.75	1	\$108.50	\$81.26	\$191.74				
2	259.90	67.19	205.81	2	230.00	83.69	189.31				
3	393.20	71.19	201.81	3	334.60	85.78	187.22				
4	539.10	76.56	196.44	4	451.20	88.11	184.89				
5	663.80	79.30	190.70	5	567.40	90.44	182.56				
10	1,322.60	99.07	173.93	10	1,136.06	101.89	117.19				
20	3,100.50	152.40	120.60	20	2,782.10	134.73	138.27				
30	4,898.00	207.83	65.17	30	4,538.40	169.86	103.14				

R	ESERVE AT	FIVE PER	CENT.	RESERVE AT SIX PER CENT.						
END OF YEAR.	RESERVE V.	CONTRIBUTION DIVIDEND	PREMIUM LESS DIVIDEND.	END OF YEAR.	RESERVE V.	CONTRIBUTION DIVIDEND.	PREMIUM LESS DIVIDEND.			
1 2 3 4 5 10 20 30	\$92.20 188.60 285.90 386.90 486.90 977.90 2,498.90 4,205.90	\$96.16 97.12 98.12 99.11 100.11 105.02 120.23 137.30	\$176.84 175.88 174.88 173.89 172.88 167.98 152.77 136.70	1 2 3 4 5 10 20 30	\$79.20 161.10 245.80 333.60 420.80 843.60 2,246.60 3,898.90	\$108.33 108.33 108.33 108.33 108.33 108.33 108.33 108.33	\$164.67 164.67 164.67 164.67 164.67 164.67 164.67 164.67			

In general terms, let x denote the age of entry. Let Y denote the Reserve or net value on each \$1 insured at the end of n policy years, when the next premium is just due but not paid. Also let Y_1 denote the corresponding Reserve twelve months after, at the date of investigation. Let i denote the rate of interest assumed in computing the Reserve; and let i' be the rate of interest realized on the Office assets. And let (P_x-e) denote the Office premium less its current expense, and p_x , the net premium. The following three-fold expression will then denote the Contribution to Surplus:

$$(V + p_x)(i'-i) + (P_x - e - p_x)(1+i') + (q_{x+n} - q'_{x+n})(1-V_1).$$

Here the first term makes restitution for the difference of interest i'-i on the renewal value of the policy. The next term restores the loading on the premium, with a year's interest. And the last term corrects for the excess of the tabular rate of mortality q_{x+n} above the realized rate q'_{x+n} . In the preceding illustration, these two rates of mortality were assumed to be equal. The original formula differs from the one above by the subtraction of a zero equation, so that the numeric results will be precisely the same.

SECTION VIII.

Life Annuities. Survivorship and Reversionary Annuities. Successive Lives.

In the received system of life annuities, the annual payment is made at the end of each year during the life of the annuitant, with no allowance for the proportional part of the year of death. In the case of a survivorship annuity on the life x to commence on the death of y, the first yearly payment is made at the end of the year, in which y dies, and the last payment at the end of the last year before x dies. But special formulas have been investigated, which give the price or present value of an annuity payable half-yearly or quarterly, etc., and with a proportional part to the day of death.

LIFE ANNUITY. To recapitulate from Sections III and V, the Present Value of an annuity of \$1 payable at the end of each year during life, is

$$a_x = \frac{\mathrm{N}_{x+1}}{\mathrm{D}_x}$$
. On two Joint Lives, $a_{xy} = \frac{\mathrm{N}_{x+1,y+1}}{\mathrm{D}_{xy}}$.

When payable at the beginning of each year, the Present Value is

$$1 + a_x = \frac{\mathbf{N}_x}{\mathbf{D}_x} = \frac{\mathbf{D}_x + \mathbf{N}_{x+1}}{\mathbf{D}_x} \cdot 1 + a_{xy} = \frac{\mathbf{N}_{xy}}{\mathbf{D}_{xy}} \cdot$$

TEMPORARY ANNUITY. The Present Value of an annuity of \$1 for n years, on a life aged x, is

$$a_x^n = \frac{\mathbf{N}_{x+1} - \mathbf{N}_{x+n+1}}{\mathbf{D}_x} = a_x - a_x.$$
 $1 + a_x^{n-1} = \frac{\mathbf{N}_x - \mathbf{N}_{x+n}}{\mathbf{D}_x}.$

Here and in such connections, n denotes the term of years, and is not used as an Algebraic exponent. On Two Joint Lives aged x and y, the Present Value for n years, is

$$a_{xy}^{n} = \frac{\mathbf{N}_{x+1,y+1} - \mathbf{N}_{x+n+1,y+n+1}}{\mathbf{D}_{xy}} \cdot 1 + a_{xy}^{n-1} = \frac{\mathbf{N}_{xy} - \mathbf{N}_{x+n,y+n}}{\mathbf{D}_{xy}} \cdot$$

Deferred Annuity. The Present Value of a life annuity of \$1, deferred for n years, the first payment being due at the age x+n+1, is

$$n_{a_x} = \frac{\mathbf{N}_{x+n+1}}{\mathbf{D}_x} = \frac{\mathbf{D}_{x+n}}{\mathbf{D}_x} \cdot a_{x+n}$$

$$na_{xy} = \frac{\mathbf{N}_{x+n+1,y+n+1}}{\mathbf{D}_{xy}} = \frac{\mathbf{D}_{x+n,y+n}}{\mathbf{D}_{xy}} . a_{x+n,y+n}.$$

The divisor to give the annual premium for n payments, will be $1+a_x^{n-1}$. And for a change to the beginning of the year, or first payment of annuity at the age x+n:

Present Value =
$$\frac{\mathbf{N}_{x+n}}{\mathbf{D}_x}$$
.

On Joint Lives, Present Value =
$$\frac{N_{x+n,y+n}}{D_{xy}}$$
.

DEFERRED TEMPORARY ANNUITY. The Present Value of a temporary annuity of \$1, to be entered upon at the expiration of t years, and then to continue n years, if the annuitant now aged x shall so long live, is

$$\frac{\mathbf{D}_{x+t}.a_{x+t}-\mathbf{D}_{x+t+n}.a_{x+t+n}}{\mathbf{D}_{x}}=\frac{\mathbf{N}_{x+t+1}-\mathbf{N}_{x+t+n+1}}{\mathbf{D}_{x}}.$$

Increasing or Decreasing Annuity. The Present Value of an annuity on the life x, for the whole term of life, commencing at a and increasing b annually, is readily proved by summations founded on the previous formula, to be

Single Premium =
$$\frac{aN_{x+1} + bS_{x+2}}{D_x}$$
.

And for a similar life annuity decreasing \$b annually, we have

Single Premium =
$$\frac{aN_{x+1} - bS_{x+2}}{D_x}$$
.

The Present Value of a temporary annuity on the life x for n years, eommeneing at a and increasing b each year, is

$$\frac{a \cdot (N_{x+1} - N_{x+n+1}) + b \cdot (S_{x+2} - S_{x+n+2} - n \cdot N_{x+n+1})}{D_x}.$$

When the similar annuity decreases \$b\$ annually, simply reversing the sign of b in the last formula, will give the present value. But in this ease b must not exceed $\frac{a}{u-1}$, that the annuity may not finally become negative.

For the Present Value of an annuity of \$1, increasing annually by \$1 for n years, and then continuing constant at n through life, we have

Single Premium =
$$\frac{\mathbf{S}_{x+1} - \mathbf{S}_{x+n+1}}{\mathbf{D}_x}$$
.

The Present Value of an Annuity certain for n years, commencing at a and increasing b each year, was not given in Part I. But by taking the derivative D of the last equation on page 59, with respect to v, we find the required value of this increasing annuity:

 $(a-b)\,\nabla + bv\,\mathrm{DV} = \left(a+nb+\frac{b}{i}\right).\frac{1-\imath^n}{i} - \frac{nb}{i}.$

The value of the similar annuity decreasing b each year, is found by reversing the sign of b.

Valuation of Annuity Policies. The Present Value of Single and Joint Life Annuities at entry, being a_x , a_{xy} , etc., the Reserve after n years will evidently be a_{x+n} , $a_{x+n,y+n}$, etc. In like manner, the Present Value of a Survivorship Annuity of \$1 on the life of x after the death of y, being a_x-a_{xy} , the Reserve n years after entry, will be $a_{x+n}-a_{x+n,y+n}$.

But if the Survivorship Annuity of \$1 on the life of x after the death of y, is conditioned with the return of the single premium, without interest, should x die before y, this premium and the Reserve n years after entry, are proved to be

Single Premium =
$$\frac{a_x - a_{xy}}{1 - A_{xy}^{\frac{1}{2}}}$$
;

Reserve =
$$a_{x+n} - a_{x+n,y+n} + \frac{a_x - a_{xy}}{1 - A_{xy}^{\frac{1}{x}}} \cdot A_{x+n,y+n}^{\frac{1}{x+n,y+n}}$$

When the simple Survivorship Annuity of \$1 on the life of x after the death of y, is paid for by an annual premium during joint life, this Premium and the Reserve n years after entry, will be

Annual Premium =
$$\frac{a_x - a_{xy}}{1 + a_{xy}}$$
;

Annual Premium =
$$\frac{a_x - a_{xy}}{1 + a_{xy}}$$
;
Reserve = $a_{x+n} - a_{x+n,y+n} - \frac{a_x - a_{xy}}{1 + a_{xy}}$. $(1 + a_{x+n,y+n})$.

The premium for one year only, to secure a Survivorship Annuity in case y dies in the first year, is $(1-p_y) a_x$, or $q_y a_x$. At some ages, this rate is more, and at other ages less than the average premium during the joint lives. In the latter case, the Company would not be fully recompensed in the first years, unless the policy were continued to maturity. The present divisor to give the annual premium is $1+a_{xy}$; if this were changed to $1+a_{xy}^9$, the ten payment premium so found, would generally prove sufficient in the first years; and so of various other scales of premium.

Under an arrangement of the Survivorship Annuity, such that the first yearly payment is made just one year after the death of y, or more generally m times a year thereafter, and a proportional part is to be paid up to the date of x's death, Mr. Woolhouse finds the Present Value

$$= \left(1 - \frac{\delta}{2m}\right) \left(a_x - a_{xy} + \frac{\mu_y}{12}\right) + \frac{\delta}{12m^2} \cdot \mathbf{A}_{xy}^{\frac{1}{2}} \cdot$$

This is the formula given in the Journal, Vol. XV, page 113. Mr. Sprague had previously determined the following approximate values, according as the annuity is payable

Yearly, Half-Yearly, Quarterly.
$$(a_x-a_{xy}) \sqrt{v}, \qquad (a_x-a_{xy}) \cdot \frac{1+\sqrt{v}}{2}, \qquad (a_x-a_{xy}) \cdot \frac{i}{(1+i)^{\frac{1}{4}}-1}.$$

Note.—It will sometimes be required that the common life annuity be extended to one more payment, at the end of the year of death. The present value of such payment being the single premium A_x on \$1 insured, the present value of the extended annuity will be $a_x + A_x$.

In case the annuity is to be extended proportionally to the day of death, the present value becomes $a_x + \frac{1}{2}A_x$; since death will occur, on the average, at the middle of the last year. This is the method of Francis Baily. A slight further correction is given by the formula on page 242.

ANNUITY ON THE SURVIVOR OR LAST OF ANY NUMBER OF LIVES. Let us take first the case of two lives, of the present ages x and y. Then $p_{x,n} = l_{x+n} \div l_x$ and $p_{y,n} = l_{y+n} \div l_y$ will denote their probabilities of living to the end of any future year denoted as the nth. By Sect. I, Principles 3, 4, the product $(1-p_{x,n})$ $(1-p_{y,n})$ will express the probability that both will be deceased; consequently,

$$1 - (1 - p_{x,n}) (1 - p_{y,n}) = p_{x,n} + p_{y,n} - p_{x,n} p_{y,n},$$

expresses the probability that both will not be extinct, or that one at least will be living to receive the nth annual payment. Therefore multiplying each term by v^n , and taking the sum of the products for $n = 1, 2, 3, \ldots$, we find the required value on the longest of two lives to be the sum of the two single annuities, minus the joint annuity; or,

$$a_{\overline{xy}} = a_x + a_y - a_{xy}$$
.

The same mode of solution, illustrated by the theory of the higher equations of Algebra, gives the value of an annuity on the longest of three lives, denoted by a line over the suffixes:

 $a_{\overline{xyz}} = a_x + a_y + a_z - (a_{xy} + a_{xz} + a_{yz}) + a_{xyz}$.

And generally, the value of an annuity on the longest of any number of lives, is equal to the sum of the annuities on the single lives, *minus* the sum of annuities on the joint lives combined by twos, *plus* the sum of annuities on the joint lives combined by threes, and so on; the odd orders being positive, and the even negative.

Possibly this species of annuity might be resolved into binomial or single life factors, like the elementary probabilities above, aided by assumed constants. In another expression, if C_m^n denote the sum of joint life annuities on m lives combined n in a set, then evidently, extending to n such terms,

$$a_{\overline{xyz...}} = C_m^1 - C_m^2 + C_m^3 - C_m^4 + \dots$$

VALUE OF AN ANNUITY ON THE LAST n SURVIVORS OF m LIVES.

For an annuity to commence immediately and terminate with the last death but one, of m lives, the present value is demonstrated by Milne, Vol. I, pages 45, 126, to be

$$C_m^2 - 2 \cdot C_m^3 + 3 \cdot C_m^4 - 4 \cdot C_m^5 + \dots$$

Thus the present value of an annuity to end with the last death but one of two lives, is a_{xy} ; and similarly of three lives, x, y, z, the present value is

$$a_{xy} + a_{xz} + a_{yz} - 2a_{xyz}$$
.

In every case, the algebraic sum of the coefficients of a is 1, to indicate one annuity in present possession.

And generally, to commence immediately and terminate with the last death but n-1 of m given lives, the present value of the annuity is the series of m-n+1 terms of C,

$$C_m^n - n \cdot C_m^{n+1} + n \cdot \frac{n+1}{2} \cdot C_m^{n+2} - n \cdot \frac{n+1}{2} \cdot \frac{n+2}{3} \cdot C_m^{n+3} + \dots$$

This general formula is proved by Milne, pages 42, 126, by multiplying out the probabilities of five lives, and applying the rules of combination. By introducing an auxiliary t, we obtain the following shorter demonstration:

Let p_x , p_y , ..., denote the tabular probabilities that the m lives x, y, z, ..., will survive h years. And let the continued product of the m probabilities of decease $(1-p_x)(1-p_y)(1-p_z)$... be temporarily denoted by P. The required probability that "n or more" out of m lives will survive h years, will be the sum of elementary products of the form

$$\Sigma n \text{ factors} \times (m-n) \text{ factors} = \Sigma p_x p_y \dots (1-p_z) (1-p_z) \dots = P\Sigma \frac{p_x}{1-p_x} \cdot \frac{p_y}{1-p_y} \dots + \Sigma (n+1) \text{ factors} \times (m-n-1) \text{ factors} = \text{etc.}, + \dots$$

The right-hand expressions after P represent the combinations of the fractions taken n in a set, n+1 in a set, and so on to m in a set. By comparison with the Algebraic theory of the roots of the higher equations, these combinations will be the coefficients of t^n , t^{n+1} , ... t^m in the development of

$$P\left(1 + \frac{tp_x}{1 - p_x}\right)\left(1 + \frac{tp_y}{1 - p_y}\right)\dots = [1 + (t - 1)p_x][1 + (t - 1)p_y]\dots$$

$$= \dots + (t - 1)^n C^{(n)} + (t - 1)^{n+1} C^{(n+1)} + (t - 1)^{n+2} C^{(n+2)} + \dots + (t - 1)^m C^{(m)}.$$

Here $C^{(n)}$ denotes the sum of the combinations of the *m* factors p_x , p_y , ..., taken *n* in a set; etc., etc. Developing and omitting all powers of *t* lower than the *n*th; then making t = 1, as above indicated, we find the precise result sought, here denoted by P':

$$P' = C^{(n)} - nC^{(n+1)} + \frac{n(n+1)}{1 \cdot 2} C^{(n+2)} - \frac{n(n+1)(n+2)}{1 \cdot 2 \cdot 3} C^{(n+3)} + \cdots$$

Lastly multiplying by v^h , and taking the sum for $h = 1, 2, 3, \ldots$, we change from probabilities $C^{(n)}$ to annuities C^n_m , and the formula on the preceding page, from Milne, is verified. The symbolic form is evidently $C^n_m(1+C)^{-n}$, developed as far as C^m .

REVERSIONARY ANNUITIES.

GENERAL PROBLEM.—To determine the present value of an annuity dependent upon the joint existence of the last n survivors ont of m lives x, y, z, \ldots , after the failure of the joint existence of the last n' survivors out of m' other lives x', y', z', \ldots (Milne, p. 130).

The leading principle of solution is very simple. As just described, let P' denote the probability that n or more of the m lives will survive h years. And let P'' denote the like probability that n' or more of the m' lives will survive h years; then 1-P'' is the opposite probability, that they will fail. The joint probability is therefore P'(1-P''). Multiplying this by v^h , and taking the sum for all values of h, we have the required value of the annuity in terms of single and joint annuities. Also the required annuity and its components may all be temporary or all deferred for equal periods.

Example 1.—Required the value of an annuity on the life of x to commence after the death of y.

Single Premium =
$$a_x - a_{xy}$$
. Annual Premium = $\frac{a_x - a_{xy}}{1 + a_{xy}}$.

By aid of the above type P' (1-P'), this solution and more complex ones yet to follow, are easily written by inspection. To verify the present result, cancel the annuity on x, during the joint lives. This latter method in De Morgan's Essay on Probabilities, is termed "the balancing of annuities."

For future reference, let another form also be given, which is easily proved by substituting for N below, the equivalent series of D and canceling:

$$a_x - a_{xy} = \frac{d_y D_x a_x + d_{y+1} D_{x+1} a_{x+1} + d_{y+2} D_{x+2} a_{x+2} + \dots}{l_y D_x}$$
.

$$a_x - a_{xy} = \frac{(l_y - l_{y+1}) N_{x+1} + (l_{y+1} - l_{y+2}) N_{x+2} + \dots}{l_y D_x}.$$

2. Annuity on the life of x to commence after the first death of y or z; the present value or

Single Premium =
$$a_x - a_{xyz}$$
; Annual Premium = $\frac{a_x - a_{xyz}}{1 + a_{xyz}}$.

Or
$$a_x - a_{xyz} = \frac{(l_y l_z - l_{y+1} l_{z+1}) N_{x+1} + (l_{y+1} l_{z+1} - l_{y+2} l_{z+2}) N_{x+2} + \dots}{l_y l_z D_x}$$

3. Annuity on the joint lives x, y, to commence after the death of z:

Single Premium =
$$a_{xy} - a_{xyz}$$
; Annual Premium = $\frac{a_{xy} - a_{xyz}}{1 + a_{xyz}}$.

4. Annuity on the life of x after the death of both y and z:

Single Premium
$$= a_x - a_{xy} - a_{xz} + a_{xyz}$$
.

Annual Premium =
$$\frac{a_x - a_{xy} - a_{xz} + a_{xyz}}{1 + a_{xy} + a_{xz} - a_{xyz}}$$

5. Annuity on the survivor of x and y after the death of z:

Single Premium
$$= a_x + a_y - a_{xy} - a_{xz} - a_{yz} + a_{xyz}$$

Annual Premium =
$$\frac{a_x + a_y - a_{xy} - a_{xz} - a_{yz} + a_{xyz}}{1 + a_{xz} + a_{yz} - a_{xyz}}.$$

VERIFICATION OF FORMULAS.—In their present state, the algebraic sum of the coefficients of a in the single premium is zero, indicating no immediate possession of the annuity. And the only change from the present state must occur by the first death of either x, y, or z; by making this supposition in the last five cases, and noting the results, the solutions given above are again verified. The same methods can be further applied to the solutions following.

6. Annuity on the life of the survivor of x and y, that is on either one, after the death of the other. Give an annuity to both, to be restored as long as both are alive:

Single Premium =
$$a_x + a_y - 2a_{xy}$$
, Annual Premium = $\frac{a_x + a_y - 2a_{xy}}{1 + a_{xy}}$.

7. Annuity to commence with the first death of x, y, or z, and to end with the joint life of the other two, that is with the second death: Grant each pair a joint life annuity to be restored as long as all three are alive:

Single Premium =
$$a_{xy} + a_{xz} + a_{yz} - 3a_{xyz}$$
,

Annual Premium =
$$\frac{a_{xy} + a_{xz} + a_{yz} - 3a_{xyz}}{1 + a_{xyz}}$$
.

PARTITION OF ANNUITIES.

8. An annuity on the last survivor of two lives x, y, is to be equally divided between them during joint life, and afterwards to go to the survivor. The present value of

$$x$$
's interest $= a_x - \frac{1}{2}a_{xy}$, y 's interest $= a_y - \frac{1}{2}a_{xy}$.

Their sum evidently makes up the whole value of the annuity.

9. An annuity for the longest life is to be divided at each payment equally between the survivors of three lives, x, y, z:

Value of x's share =
$$a_x - \frac{1}{2} (a_{xy} + a_{xz}) + \frac{1}{3} a_{xyz}$$
.

Here x may denote either one of the three lives. And generally for equal division of such annuity between the survivors of m lives successively, if [] denote that we exclude from \mathbb{C}_n^m as before defined, every combination into which x does not enter

x's share =
$$a_x - \frac{1}{2} [C_m^2] + \frac{1}{3} [C_m^3] - \frac{1}{4} [C_m^4] + \dots \pm \frac{1}{n} [C_m^n].$$

10. Two lives x, y, possess an annuity on the survivor of them. If either dies before a third person z, the remaining annuity is to be equally divided between z and the survivor during their joint lives. Required the value of z's interest

z's interest =
$$\frac{1}{2}a_{xz} + \frac{1}{2}a_{yz} - a_{xyz}$$
. (Milne, p. 139.)

11. An annuity on the last two survivors of three lives x, y, z, is to be divided equally among them while all are living; and after the decease of any one of them is to be divided equally between the two survivors during the remainder of their joint lives. The value of

$$x$$
's interest = $\frac{1}{2}a_{xy} + \frac{1}{2}a_{xz} - \frac{2}{3}a_{xyz}$. (Milne, p. 140.)

12. An annuity, after the decease of x, is to be divided equally between y and z during their joint lives; and is then continued to the last survivor for his life. (Milne, p. 141.)

y's interest = $a_y - a_{xy} - \frac{1}{2}a_{yz} + \frac{1}{2}a_{xyz}$.

13. An annuity on the last survivor of x, y, z, is to be divided equally between x and y during their joint existence. After the decease of either of them, it is to be divided equally between z if then living, and the survivor during their joint existence. And when there is but one survivor left he shall receive the whole of the remaining annuity. (Milne, p. 142.)

$$x$$
's interest = $a_x - \frac{1}{2}a_{xy} - \frac{1}{2}a_{xz} + \frac{1}{2}a_{xyz}$.

CONDITIONAL PERIODS.

14. To find the value of an annuity payable during the joint lives of x, y, and also during t years after the death of y, provided x shall so long live.

During the first t years, whether y be dead or living, x will be entitled to the temporary life annuity,

 $\frac{\mathbf{N}_{x+1} - \mathbf{N}_{x+t+1}}{\mathbf{D}_x} = a_x - \frac{\mathbf{D}_{x+t}}{\mathbf{D}_x} \cdot a_{x+t}$

After this, or at the end of any given year denoted by t+n, the annual payment will depend on the combined chance that x is living, and that y was alive t years previous. This expectation, on both multiplying and dividing by l_{x+t} , also summing with respect to n, to the end of the life table, gives

$$\Sigma v^{t+n} \cdot \frac{l_{x+t+n}}{l_x} \cdot \frac{l_{y+n}}{l_y} = \Sigma v^t \cdot \frac{l_{x+t}}{l_x} \times v^n \cdot \frac{l_{x+t+n} l_{y+n}}{l_{x+t} l_y} = \frac{\mathbf{D}_{x+t}}{\mathbf{D}_x} \cdot a_{x+t,y}.$$

Adding this to the former result, we have the total value,

$$a_x - \frac{\mathbf{D}_{x+t}}{\mathbf{D}_x} (a_{x+t} - a_{x+t,y}).$$

15. An annuity certain for the term of 15 years is to be enjoyed by P and his heirs, during the joint existence of two lives x, y. If that joint existence fail before the expiration of 8 years, the annuity is to go to Q and his heirs for the remainder of the term of 15 years. To find the present value of P's interest, and that of Q.

The value of P's interest for the first 8 years is evidently the temporary annuity on the joint lives x, y; for the next 7 years, P's interest is the deferred annuity certain for 7 years multiplied by the chance that x and y will both live through the first period of 8 years to secure it. That is,

P's interest =
$$a_{xy} - \frac{D_{x+8,y+8}}{D_x} \left(a_{x+8,y+8} - \frac{1 - v^7}{i} \right)$$
.

The value of Q's interest will be obtained by subtracting P's interest from the value of the entire annuity $\frac{1-v^{15}}{i}$.

16. A reversionary annuity to commence on the death of x and continue for the remainder of the life of y, is also made payable for t years, whether y is alive or dead:

y's interest =
$$A_x \cdot \frac{1 - v^t}{i} + \frac{D_{y+t}}{D_y} (a_{y+t} - a_{x,y+t})$$
.

17. To find the single and annual premiums for an annuity to commence at the death of y, and continue payable during the remainder of x's life, but to be payable only if y dies within t years.

In this problem, which is quoted from the *Journal*, Vol. 9, page 302, the single premium will be

$$a_x - a_{xy} - \frac{l_{y+t} \mathbf{D}_{x+t}}{l_y \mathbf{D}_x} \left(a_{x+t} - a_{x+t,y+t} \right).$$

And the divisor to give the annual premium, payable through t years, if the joint life so long continues, will be $1+a_{xy}^{t-1}$. We may observe that the single premium is evidently the first t terms of the series before stated on page 279.

18. Problem.—To determine the present value of an annuity on the life of x, to commence with the failure of the joint existence of y and z provided it be z who dies first.

In case the ages of y and z are equal, the probability that z will die first of the two is $\frac{1}{2}$. Therefore $\frac{1}{2}$ the result of the preceding Problem 2, on p. 280, gives the value:

Annuity on
$$x = \frac{1}{2} (a_x - a_{xyy})$$
.

Secondly, if the ages of y and z are unequal, in ease x is the oldest life, and approximately in other eases, the chance that z will die first of the two is usually taken as $\frac{1}{2}$ in practice. So that $\frac{1}{2}$ of the result of Problem 4 gives the value of the annuity on x, after the death of y. Problem 3 gives the value until the death of y; and the sum of the two will express the total value:

Annuity on
$$x=\frac{1}{2}\left(a_x+a_{xy}-a_{xz}-a_{xyz}\right);$$
Annuity on $x=\Sigma\frac{l_{z+n-1}-l_{z+n}}{l_z}\cdot\frac{l_{y+n-1}+l_{y+n}}{2l_y}\cdot\frac{\mathbf{N}_{x+n}}{\mathbf{D}_x}; \qquad n=1,\,2,\,3,\,\ldots;$
That is, Annuity on $x=\Sigma\frac{d_{z+n-1}\cdot l_{y+n-\frac{1}{2}}\cdot\mathbf{N}_{x+n}}{l_z\,l_y\,\mathbf{D}_x}.$

Another solution of this Problem will be given in the next Section. For other combinations of Survivorship, reference may be made to the works of Morgan, Bailey, Milne, Sang, Farr; and to the admirable papers of Makeham in the *Journal*, Vols. 9, 10, 12.

ON SUCCESSIVE LIVES.

PROBLEM 1.—To determine the present value of a deferred income of \$1 per annum to continue forever, the first payment to commence at the end of the death year of x.

The principal $\frac{1}{i}$ when multiplied by the rate i gives the interest \$1 in each year perpetually. Withdrawing from this principal, the annuity of \$1 during the life of x, we have the required result:

Present Value =
$$\frac{1}{i} - a_x = \left(1 + \frac{1}{i}\right) A_x$$
.

Here the last member is found by merely substituting for a its equal, from the common formula

$$A_x = 1 - (1 - v)(1 + a_x) = \frac{1 - ia_x}{1 + i}$$

PROBLEM 2.—"An annuity is to be enjoyed during the existence of a life aged x, and at the end of the year of his decease, a successor aged y is to be nominated, who is to enjoy the annuity during his life. Required the present value of the annuity on the second life y."

In the system of compound interest, if v'' is the factor to discount a sum from the end, to its present value at the beginning of the third year, v' the factor to discount through the second year, and v the factor to discount through the first year; the factor to discount through three years is proved to be the product vv'v''. So, the single premium A is evidently the factor to discount the insurance of \$1, from the end, to its present value at the beginning of the whole term of insurance; and AA'A'' would represent the factor to discount through three successive periods of life. In the Problem above, the value of \$1 annity during the life y, with first payment on the day of nomination, $1 + a_y$. The factor to discount this sum from the future date of nomination, to the present time, being A_x , we have the Present Value of the Annuity

During the second life =
$$A_x (1 + a_y) = A_x \left(1 + \frac{1}{i}\right) (1 - A_y)$$
.

During the two successive lives $= a_x + A_x (1 + a_y)$.

For a_y , we have above substituted its equal, as in Problem 1. If $x, 1, 2, \ldots n-1$, n designate the successive lives in order, the present value of \$1 annuity to continue during the nth successive life-time beginning with an immediate payment, will be

$$A_x A_1 A_2 \dots A_{n-1} (1 + a_n);$$
 or $\left(1 + \frac{1}{i}\right) A_x (1 - A_n) A_1 A_2 \dots A_{n-1}.$

PROBLEM 3.—Required the total present value of \$1 per annum during n successive lives, the first payment to commence at the end of the death year of the present life x.

The result sought will be found by making $n=1, 2, 3, \ldots, n$, in the last expression, and taking the sum of all the terms. Thus, omitting the common factor $\left(1+\frac{1}{i}\right)A_x$, and making $n=1, 2, 3, \ldots, n$, the first result is $1-A_1$; the second is $A_1-A_1A_2$; the third is $A_1A_2-A_1A_2A_3$, etc. From these, we see that all the terms will cancel each other, except the first and the last. Hence on restoring the omitted factor,

Present Value =
$$\left(1 + \frac{1}{i}\right) A_x \left(1 - A_1 A_2 A_3 \dots A_n\right)$$
.

When n is very great or infinite, the right-hand product vanishes, since each A is less than unity, leaving a result which is independent of the future ages to be nominated:

Present Value
$$= \left(1 + \frac{1}{i}\right) \Lambda_{x}$$
.

When the successive lives, after the life x, are all to be of the same age y at nomination, the formula for the value of the nth successive life, given at the end of Problem 2, becomes

$$\mathbf{A}_x \left(1 + a_y \right) \Lambda_y^{n-1}.$$

In like manner, the formula of Problem 3, for the sum of n lives, will be

$$\left(1+\frac{1}{i}\right)\Lambda_x\left(1-\Lambda_y^n\right).$$

PROBLEM 4.—"Instead of an annuity, a fine of \$1 is to be paid at the end of the year in which each life in possession fails, being the time when the next succeeding life is nominated. Required the present value of each fine.

By Problem 2, when n = 1, Value of the first fine $= A_x$,

$$n=2$$
, " second fine $=\Lambda_x \Lambda_1$,

$$n=3$$
, "third fine $= A_x A_1 A_2$.

$$n=4$$
, "fourth fine $= A_x A_1 A_2 A_3$, etc.

The sum of the terms written, will evidently be the present value of the first four fines. Each term is readily derived from that which precedes, to any extent.

The present value of the first n fines, if the lives are all of the same age at nomination, will be the sum of n terms above, as a geometrical series, of which the ratio is A_y ; and the sum is

$$\frac{A_x(1-A_y^n)}{1-A_y}$$
; or if *n* be infinite, the sum is $\frac{A_x}{1-A_y}$.

By subtracting the former expression from the latter, we obtain the present value of all the fines after the nth, that is, of the (n+1)th and following fines to perpetuity:

 $\frac{\mathbf{A}_x \mathbf{A}_y^n}{1 - \mathbf{A}_y}.$

The preceding summary is based chiefly on two original papers by Mr. Peter Gray in the Assurance Magazine, Vol. 2. In Vol. 21, a memoir and Table for the Enfranchisement of Copyholds, is given by Edward Smyth. Further problems relating to English church livings and copyholds are resolved in De Morgan's Essay on Probabilities, pages 228–236.

SECTION IX.

Derivative Formulas. The Continuous Method.

Besides the regular Commutation Formulas, several principles of mathematical analysis have conducted to other formulas, which occasionally offer new advantages. Especially the common method of Algebraic elimination has been the guide to valuable improvements. For example, writing x and then x+1 in the formula for the expectation of life, we obtained two equations, from which the series common to both was easily eliminated, leaving the simple equation between e_x and e_{x+1} shown on page 243. By the same general method, and in other ways, the following Formulas of Annual Derivation have been obtained:

 $e_x - \frac{1}{2} = p_x (e_{x+1} + \frac{1}{2}).$ For the Expectation of Life, $a_x = v p_x (1 + a_{x+1}).$ Annuity on a Single Life, $a_{xy} = v p_x p_y (1 + a_{x+1,y+1}).$ Annuity on Two Joint Lives, $a_{xyz} = v p_x p_y p_z (1 + a_{x+1,y+1,z+1}).$ Annuity on Three Joint Lives, $a_x^n = v p_x (1 + a_{x+1}^{n-1}).$ Temporary Annuity, $a_{xy}^n = v p_x p_y (1 + a_{x+1,y+1}^{n-1}).$ Temporary Annuity on Joint Lives, $\mathbf{A}_x = vp_x \left\{ \frac{1}{p_x} - 1 + \mathbf{A}_{x+1} \right\}$ Insurance by Single Premium for Life, $A_x^n = vp_x \left\{ \frac{1}{p_x} - 1 + A_{x+1}^{n-1} \right\}$ By Single Premium for Term,

By Single Premium on Joint Lives,
$$A_{xy} = vp_xp_y\left(\frac{1}{p_xp_y}-1+A_{x+1,y+1}\right)$$
.

Single Premium of Survivorship Insurance of \$1 to be paid at the end of the year in which x dies, provided y be the survivor,

$$\mathbf{A}_{\overline{x}.\overline{y}}^{\underline{1}} = \imath p_x p_y \left\{ \frac{1}{2} \left(\frac{1}{p_x} - 1 \right) \left(\frac{1}{p_y} + 1 \right) + \mathbf{A}_{\overline{x} + \mathbf{1}.\overline{y} + 1}^{\underline{1}} \right\} \cdot$$

The values of λp_x and $\lambda (vp_x)$ are already given in Tables XXVI and XLIII. And at the oldest age of the life table, where these computations usually commence, p_{99} is 0; consequently $e_{99} = \frac{1}{2}$; the annuity $a_{99} = 0$; the single premium $A_{99} = v$; and $A_{99}^1 = \frac{1}{2}v(1+p_y)$. From this limit, we can determine the other values in a connected series, by making $x = 98, 97, 96, 95, \ldots$, in successive formulas. The operations will be greatly aided by the Addition and Subtraction Logarithms given in the Tables and Formulæ of Peter Gray, whose able researches first directed general attention to this method.

For practical illustration, Tables XLIV–XLVII in the present series, were computed by the formula of Temporary Annuities, $a_x^n = vp_x(1 + a_{x+1}^{n-1})$. First the ages 99, 98, 97, 96, ..., were written at the head of so many columns; under these, the values of $\lambda(vp)$ from Table XLIII for the ages one year younger, were copied, once for all, to be repeatedly added each in the same column.

TEMPORARY ANNUITIES. COMPUTATION OF	2 (1	$+a_{x}^{n-1}$).
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PAYMENTS	 96	97	98	99	Age x.
n	 1.681936	$\overline{1}.627579$	1.585026	$\overline{1.505846}$	$\lambda(vp_{x-1}) = \lambda u.$
2	 0.153574	0.141329	0.120743		$\lambda(1+a^1)$.
	 Ī.835510	1.768908	1.705769		$Sum = \lambda a.$
3	 0.200677	0.178369			$\lambda(1+a^2)$.
	 1.882613	1.805948			Sum = λa .
4	 0.214754				$\lambda(1+a^3)$.

Here at 4 per cent. interest, $\lambda (vp_{98}) = \overline{1.505846}$, $\lambda (vp_{97}) = \overline{1.585026}$, ..., $\lambda (1+a_{98}^1) = 0.120743$, $\lambda (1+a_{97}^1) = 0.141329$, At the first, regarding $\lambda (vp)$ as λa , we look out $\lambda (1+a)$ in Gray's Table and copy it below, one column to the left. Every logarithm $\lambda (1+a)$ so found is next added to $\lambda (vp)$ at the head of the column, and the sum written underneath. Again regarding each sum as λa , the corresponding $\lambda (1+a)$ is then found by Gray's Table, and copied as before, on the next lower line, one column to the left; and so on. The alternate lines present a complete Table of $\lambda (1+a_x^{n-1})$ for Temporary Annuitics. When n is 1, the tabular result is uniformly 0; and at the foot of the columns, the last $\lambda (1+a)$ must coincide with the result of common life annuities. To prove the correctness of the work, while in progress, every tenth or fifteenth column can be computed by the independent Commutation formula or otherwise, for comparison and correction.

It appears scarcely necessary to observe in the use of Gray's Tables, when the negative index of the argument is $\overline{4}$, $\overline{5}$, $\overline{6}$, etc., we find Log (1+x) as if the index

were $\bar{3}$, and prefix to the result of Table I, as many decimal cyphers; or in the use of Table II, as many extra decimal 9's, as the excess of the given index above $\bar{3}$, denotes. Thus when Log x is $\bar{5}.500$, Log (1+x) is 0.0000137, and Log (1-x) is $\bar{1}.9999862$. There are Tables to seven places by the German author Zech, and by Wittstein; Gray's to six places are more conveniently arranged for practical use.

FORMULA OF VALUATION.—Three different forms have been published, the first by Hon. Elizur Wright, under the name of "the accumulation formula," a second by Mr. D. P. Fackler, and a third by Mr. Emory McClintock. To demonstrate the last, let i denote the rate of interest; and v the ratio $1 \div (1+i)$. Let V_{x+n} denote the Reserve at the end of n years on each \$1 insured at the age of entry x, with the net annual Premium P_x ; so that $V_{x+n} + P_x$ will be the Reserve just after the Premium is paid. Assuming l_{x+n} persons to be thus insured for \$1 each, the death losses in the ensuing twelve months, according to the life table, will be $l_{x+n} - l_{x+n+1}$. Hence the Reserve with a year's interest, after payment of the \$1 death losses, evidently gives

$$l_{x+n}(V_{x+n}+P_x)(1+i)-(l_{x+n}-l_{x+n+1})=l_{x+n+1}V_{x+n+1}.$$

Dividing by l_{x+n+1} and reducing, we have the required formula:

$$V_{x+n+1} = 1 - \frac{1}{vp_{x+n}} [(v - P_x) - V_{x+n}].$$

At the age x, just before the first premium is paid, the Reserve V is evidently 0, which is the initial value on the right of the last formula, when n is 0. Also at the end of the last year, V on the left becomes 0 when a temporary insurance expires, or 1 when an endowment matures, or 1 when a common life policy attains the oldest age of the life table. Thus the computation of the formula may commence at the beginning, or at the end of the policy. Table XLIII will give the values of λ (vp).

By making the annual Premium P to be 0, the formula becomes applicable to paid-up Policies. Consequently one year before maturity, or just after the last annual premium is paid, the Reserve on every 1 of endowment, will be v.

In the higher analysis, all the preceding formulas would be classed among "equations of finite differences of the first order;" which are always integrable,—Boole's Finite Differences, Ch. IX, Art. 8. But the integrals are already known in the Commutation and other forms.

THE CONTINUOUS METHOD.

Maclaurin, Euler, and many others have demonstrated the following standard formula, which will serve the double purpose of summation, and conversely of quadrature. First, let the values of the ordinate u be taken at the distance h from each other; and let U_h denote the special sum indicated; then

(A)
$$hU_{h} = h\left(\frac{1}{2}u_{0} + u_{h} + u_{2h} + \dots + u_{(n-1)h} + \frac{1}{2}u_{nh}\right)$$
$$= C + \int u dx + \frac{1}{12}h^{2} \cdot \frac{du}{dx} - \frac{1}{720}h^{4} \cdot \frac{d^{3}u}{dx^{3}} + \frac{1}{30240}h^{6} \cdot \frac{d^{5}u}{dx^{5}} - \dots$$

For the present applications, let nh fall beyond the oldest age of the life table, where u_{nh} and its differential coefficients all vanish. For, by Taylor's Theorem, when a continuous function becomes permanently zero beyond a certain limit, its derivatives

also vanish. Taking the integral of the right-hand member between the limits nh and 0, and making h to be 1,

$$U_1 = \int_0^{nh} u dx - \frac{1}{12} \cdot \frac{du_0}{dx} + \frac{1}{720} \cdot \frac{d^3u_0}{dx^3} - \dots$$

Subtracting this from the former equation integrated between the same limits, and transposing,

(B)
$$U_1 = hU_h + \frac{1}{12} (h^2 - 1) \frac{du_0}{dx} - \frac{1}{120} (h^4 - 1) \frac{d^3u_0}{dx^3} + \dots$$

APPLICATION TO LIFE ANNUITIES.—Referring back to the common formula $D_x a_x = N_{x+1} = D_{x+1} + D_{x+2} + \dots$, let us here make $u_0 = D_x$, $u_1 = D_{x+1}$, etc. Then will $U_1 = \frac{1}{2}D_x + D_{x+1} + \dots = \frac{1}{2}D_x + N_{x+1}$, and $U_h = \frac{1}{2}D_x + D_{x+h} + D_{x+2h} + \dots$ Substituting in the formula (B), dividing by D_x , and reducing,

(C)
$$a_x = \frac{h}{D_x} (D_{x+h} + D_{x+2h} + D_{x+3h} + \dots) + \frac{1}{2} (h-1) - \frac{1}{12} (h^2-1) (\mu_x + \delta).$$

The values of D are given in the Commutation Tables, and the values of μ and δ , in Table XLIII. The latter represent the differential coefficient of D_x or l_xv^x , divided by D_x , that is, of $\log D_x$; since $\mu = -d l_x \div l_x dx$, and $\delta = -\log v = \log (1+i)$. According to W. S. B. Woolhouse, the pioneer of this mode of calculation, in the *Journal*, Vol. XI, page 323, the best intervals to adopt for h, will be 5, 7, or 11 years. In the case of two Joint Lives, x, y, the derivative μ_x will become μ_{xy} or $\mu_x + \mu_y$; and so on.

Example.—Required the value of the life annuity a_x , when x is 60 years, and interest is 5 per cent.

$$h = 11;$$
 $a_{60} = \frac{11}{D_{60}} (D_{71} + D_{82} + D_{93}) + 5. -9.94 (\mu_{60} + \delta) = 9.1322.$

$$h = 7;$$
 $a_{60} = \frac{7}{D_{60}}(D_{67} + D_{74} + D_{81} + D_{85} + D_{95}) + 3. -4(\mu_{60} + \delta) = 9.1336.$

The standard value from Table XXVIII is 9.1322. In the above formula for 11 year intervals, the last coefficient was arbitrarily changed from 10 to 9.94 to compensate for omitted terms. The annuity so computed for age 40 is 13.7601, which differs very slightly from the true value 13.7602. With this mode of amendment, devised by the writer, the intervals h may probably be taken so large that only two or three values of D will be needed. Thus for thirty-five or other ages adjacent:

$$h = 20;$$
 $a_x = \frac{20}{D_x} (D_{x+20} + D_{x+40} + D_{x+60}) + 9.5 - 32.7023 (\mu_x + \delta).$

Thus with slight correction of the last coefficient, through a single central value of a, this method (B) may also be extended to joint lives and survivorships; and further trials are invited.

Instalments.—Let h now designate a fraction $\frac{1}{m}$ of 1 year or of \$1 annuity; and let the equal instalments be payable at the end of each interval h or $\frac{1}{m}$ of the year. In formula (C), the present value of the 1st instalment is $D_{x+h} \div D_x$ when the

instalment is 1; or it is $h \times D_{x+h} \div D_x$ when the instalment is h or $\frac{1}{m}$; and so for the following terms of D, which evidently make up the required present value $a^{(m)}$. Therefore, substituting $1 \div m$ in place of h, and transposing the terms, we find the present value of the annuity payable in instalments of $\frac{1}{m}$ at the end of equal intervals $\frac{1}{m}$ of each year,

(D)
$$a_x^{(m)} = a_x + \frac{m-1}{2m} - \frac{m^2 - 1}{12m^2} (\mu_x + \delta).$$

By adding $\frac{1}{m}$, we evidently obtain the present value of the annuity payable m times a year in advance. This will also be the divisor of the single premium to give the premium of insurance by m annual instalments. The present addition of $\frac{1}{m}$ gives

(E)
$$a_x + \frac{m+1}{2m} - \frac{m^2 - 1}{12m^2} (\mu_x + \delta).$$

Continuous Annuities \bar{a}_x . When the equal instalments are so small as to be payable momently, the corresponding value of the annuity, denoted by \bar{a}_x , is readily found from formula (D), by making the number of intervals m very great or infinite:

(F)
$$\bar{a}_x = a_x + \frac{1}{2} - \frac{1}{12} (\mu_x + \delta).$$

$$\bar{a}_{xy} = a_{xy} + \frac{1}{2} - \frac{1}{12} (\mu_x + \mu_y + \delta).$$

On the Survivor of Two Lives, $\bar{a}_{xy} = \bar{a}_x + \bar{a}_y - \bar{a}_{xy}$,

$$= a_x + a_y - a_{xy} + \frac{1}{2} - \frac{\delta}{12}.$$

Continuous Expectation of Life, $\bar{e}_x = e_x - \frac{1}{12}\mu_x$.

$$\bar{e}_{xy} = e_{xy} - \frac{1}{12} (\mu_x + \mu_y).$$

Complete or Apportionable Annuities $\mathbf{c}a_x$. The characteristic \mathbf{c} is prefixed, when the annuity is to be paid with a proportionate part to the instant of death. A close and very simple approximation for this case has already been given in the Note of page 277; that is, $\mathbf{c}a_x = a_x + \frac{1}{2}A_x = (1 - \frac{1}{2}iv) a_x + \frac{1}{2}v$. Here the proportionate part, defined by the actual day of death, is to be paid at what would be the time of the next regular instalment of annuity.

The more exact solution first investigated by Mr. Sprague is verified by Mr. Woolhouse in the Journal, Vol. XV, page 107, substantially as follows: Let x' denote the age at the beginning, and $x' + \frac{1}{m}$ at the end of any regular interval. And let x' + t denote an intermediate age, increasing uniformly to $x' + \frac{1}{m}$, so that if death should occur, t will be the proportionate payment. By page 252, ante, and since M is a decreasing function, the single premium to insure this t during the instant t, is t. Or integrating by parts from t = 0, to $t = \frac{1}{m}$, we find the single premium to insure through this interval to be

$$-\frac{1}{m}\,\overline{\mathrm{M}}_{x'+\frac{1}{m}}+\int_{0}^{\frac{1}{m}}\,\overline{\mathrm{M}}_{x'+t}\,dt,$$

both terms to be divided by D_x . From this expression we next find the sum or single premium for all the intervals by formula (A), which gives the total augmentation of annuity:

$$= \left\{ \frac{1}{2m} \overline{\mathbf{M}}_x + \frac{1}{12m^2} \frac{d \overline{\mathbf{M}}_x}{d_x} - \dots \right\} \div \mathbf{D}_x = \frac{1}{2m} \overline{\mathbf{A}}_x - \frac{\mu_x}{12m^2}.$$

The mark over M denotes its continuous value; and so of the single premium A. It will presently be shown that $\overline{M}_x \div D_x = \overline{A}_x = 1 - \delta . \overline{a}_x$, where $\delta = \log (1+i)$; also that $d \overline{M}_x = -v^x . dl_x$. Therefore, adding this augmentation to formula (D), we obtain the complete annuity payable with a proportionate part to the day of death:

(G)
$$\mathbf{c}a_x^{(m)} = \left(1 - \frac{\delta}{2m}\right)\bar{a}_x + \frac{\delta}{12m^2}$$
$$= \left(1 - \frac{\delta}{2m}\right)\left(a_x + \frac{1}{2} - \frac{\mu_x + \delta}{12}\right) + \frac{\delta}{12m^2}.$$

Change from Ordinary to Continuous Annuities and Premiums.—By simply changing the common annuity a_x to $a_x + \frac{1}{2}$, which will rarely require the slight further correction shown in formula (F), we obtain the continuous annuity \bar{a}_x . And conversely, $a_x = \bar{a}_x - \frac{1}{2}$, very nearly.

In respect to Premiums, the operations already explained on page 264, namely, $\overline{A} = A \div \sqrt{v}$, and $A = \overline{A} \sqrt{v}$, prove to be sufficiently exact in common practice. For illustration, a large variety of single premiums are represented by the well known formula, A = 1 - (1 - v)(1 + a). Eliminating the annuity a by comparison with the third type of continuous equation stated below, we have

(H)
$$\overline{A} = \frac{\delta}{1-v} A + \frac{\mu \delta}{12} = \frac{A}{\sqrt{v}}$$
 nearly.

At the age of 40 years, with 4 per cent. interest, $\mu\delta \div 12$ is 0.000030; and $\delta \div (1-v)$ differs from \sqrt{v} by $i^2 \div 24$ nearly, which is 0.00006. These small terms being neglectible except in rare instances, the formula $\overline{A} = A \div \sqrt{v}$, is so far verified, with its converse $A = \overline{A} \sqrt{v}$.

Forms of Continuous Single Premiums.—Besides these simple modes of transformation, the continuous method presents the single premium under four new forms. As will be demonstrated presently, according to Mr. Woolhouse's analysis in the *Journal*, Vol. XV, pages 123, 409, the *first* form, separating the symbols of operation, is

(I)
$$\overline{\mathbf{A}} = \left(\mu_x - \frac{d}{dx}\right)\overline{a} + \left(\mu_y - \frac{d}{dy}\right)\overline{a} + \dots$$

This type will be of general application, if \overline{A} , \overline{a} , depend on all the lives; while x, y, \ldots , designate only each life, by whose death the insurance would become payable. Thus,

$$\overline{\mathbf{A}}_x = \mu_x \overline{a}_x - \frac{d\overline{a}_x}{dx}; \qquad \overline{\mathbf{A}}_{xy} = (\mu_x + \mu_y) \, \overline{a}_{xy} - \frac{d\overline{a}_{xy}}{dx} - \frac{d\overline{a}_{xy}}{dy}; \quad \text{etc.}$$

$$\begin{split} \overline{\mathbf{A}}_{xy}^{1} &= \mu_{x} \, \bar{a}_{xy} - \frac{d \bar{a}_{xy}}{dx}; & \overline{\mathbf{A}}_{xy}^{-1} &= \mu_{y} \bar{a}_{xy} - \frac{d \bar{a}_{xy}}{dy}. \\ \overline{\mathbf{A}}_{xyz}^{1} &= \mu_{x} \, \bar{a}_{xyz} - \frac{d \bar{a}_{xyz}}{dx}; & \overline{\mathbf{A}}_{xyz}^{-1} &= \mu_{y} \bar{a}_{xyz} - \frac{d \bar{a}_{xyz}}{dy}; \\ \overline{\mathbf{A}}_{xyz}^{-1} &= \mu_{z} \, \bar{a}_{xyz} - \frac{d \bar{a}_{xyz}}{dz}. & \overline{\mathbf{A}}_{xyz}^{1} + \overline{\mathbf{A}}_{xyz}^{-1} + \overline{\mathbf{A}}_{xyz}^{-1} &= \overline{\mathbf{A}}_{xyz}. \end{split}$$

The second and third forms following apply exclusively to absolute assurances, having the common relation A = 1 - (1 - v) (1 + a):

(J)
$$\overline{A}_x = 1 - \delta \bar{a}_x$$
; $\overline{A}_{xy} = 1 - \delta \bar{a}_{xy}$; $\overline{A}_{xyz} = 1 - \delta \bar{a}_{xyz}$; etc.

(K)
$$\overline{A}_x = \delta \left(\frac{1}{i} - a_x + \frac{\mu_x}{12} \right); \quad \overline{A}_{xy} = \delta \left(\frac{1}{i} - a_{xy} + \frac{\mu_x + \mu_y}{12} \right); \text{ etc.}$$

Here a denotes the ordinary tabular annuity; and in both, $\delta = \text{Nap. log. } (1+i)$. The *fourth* type is but another form of the first, where x, y, \ldots , designate only each particular life, by whose death the insurance would become payable. Thus,

(L)
$$\overline{\mathbf{A}}_x = -\frac{1}{l_x} \cdot \frac{d}{dx} (l_x \bar{a}_x); \qquad \overline{\mathbf{A}}_{xy} = -\frac{1}{l_x} \cdot \frac{d}{dx} (l_x \bar{a}_{xy}) - \frac{1}{l_y} \cdot \frac{d}{dy} (l_y \bar{a}_{xy}); \quad \text{etc.}$$

$$\overline{\mathbf{A}}_{xy}^1 = -\frac{1}{l_x} \cdot \frac{d}{dx} (l_x \bar{a}_{xy}); \qquad \overline{\mathbf{A}}_{xyz}^1 = -\frac{1}{l_x} \cdot \frac{d}{dx} (l_x \bar{a}_{xyz}); \quad \text{ete.}$$

The derivatives with respect to age, as x, which occur in the preceding equations. (unlike derivatives with respect to v), are here determined with sufficient accuracy by first differences. Thus,

$$-\frac{d\bar{a}_{xy}}{dx} = \frac{1}{2} (a_{x-1} - a_{x+1}); \qquad -\frac{da_{xy}}{dx} - \frac{da_{xy}}{dy} = \frac{1}{2} (a_{x-1,y-1} - a_{x+1,y+1}); \quad \text{etc.}$$

$$-\frac{d\bar{a}_{xy}}{dx} = \frac{1}{2} (a_{x-1,y} - a_{x+1,y}); \qquad -\frac{d\bar{a}_{xy}}{dy} = \frac{1}{2} (a_{x,y-1} - a_{x,y+1}); \quad \text{ete.}$$

$$\mu_{x} = -\frac{dl_{x}}{l_{x}} = \frac{l_{x-1} - l_{x+1}}{2l_{x}}. \qquad \Lambda_{xy}^{\frac{1}{2}} = \frac{l_{x-1}\bar{a}_{x-1,y} - l_{x+1}\bar{a}_{x+1,y}}{2l_{x}}.$$

As heretofore, the single premium, when divided by $1+a_x$ for a single life, or by $1+a_{xy}$ for two joint lives, will give the annual premium.

Demonstrations.—It is shown in the Differential and Integral Calculus, in relation to the area of a curve whose ordinate is denoted by y, that f'ydx represents the sum of $y \triangle x$, when the difference of abseissas $\triangle x$ is diminished to its limit. Accordingly, let the elminutation $D_x = y$. In the elmmon sum of annual values, $N_x = D_x + D_{x+1} + D_{x+2} + \ldots$, the value of $\triangle x$ is 1 year or 1. Diminishing $\triangle x$ to its limit dx or dt, we have the eontinuous value $\overline{N} = f' D_{x+t} dt$.

In the similar sum, $M_x = (l_x - l_{x+1}) v^{x+1} + (l_{x+1} - l_{x+2}) v^{x+2} + \dots$, the value of $\triangle x$ is represented by $l_x - l_{x+1}$. Diminishing this \triangle to its limit $-dl_x$, since l_x is a decreasing function, we obtain the continuous value; then integrating by parts,

$$\overline{\mathbf{M}} = -\int dl \cdot v^x = -lv^x + \log v \int lv^x dx,$$

$$= lv^x - \delta \int \mathbf{D} dx = \mathbf{D}_x - \delta \cdot \overline{\mathbf{N}}_x.$$

Dividing by D_x , we verify the second type of equations, before noted, $\overline{A} = 1 - \delta . a$. For another standard example or application:

$$l_{\omega}.\bar{a}_{\omega} = l_{\omega+t}.v^{t}.dt;$$
 $l_{\omega}.\overline{A}_{x} = -\int v^{t}.dl_{\omega+t}.$

Integrating by parts, and observing that $v = \varepsilon^{\log v}$; $\delta = -\log v = \log (1+i)$;

$$l_{x}\overline{A}_{x} = -v^{t} \cdot l_{x+t} + \log v \int l_{x+t} \cdot v^{t} dt.$$

Applying the limits $t = \infty$ and t = 0, also substituting $l_{x} \bar{a}_{x}$ for its equal,

$$l_{\omega}\overline{A}_{x} = l_{x} + \log v \cdot l_{x} \cdot \bar{a}_{\omega}; \qquad \overline{A}_{\omega} = 1 - \delta \cdot \bar{a}_{\omega}.$$

In another form, noting the principle of the Calculus that $\frac{d l_{x+t}}{dx} = \frac{d l_{x+t}}{dt}$, and differentiating the first equation with respect to x, then substituting in the second,

$$l_x.\overline{A}_x = -\frac{d(l_x\,\overline{a}_x)}{dx}; \qquad \overline{A}_x = \mu_x\,\overline{a}_x - \frac{d\overline{a}_x}{dx}$$

By substitution of the common annuity, since $\frac{1}{\delta} = \frac{1}{i} + \frac{1}{2} - \frac{\delta}{12}$ nearly,

$$\overline{\mathbf{A}}_x = 1 - \delta \cdot \bar{a}_x = \delta \left(\frac{1}{i} - a_x + \frac{\mu_x}{12} \right)$$

In this manner the four previous forms of equation are demonstrated, and the methods of integration are general. For the insurance of 1 payable on the death of x if y be living:

$$l_{\sigma} l_{y} \bar{\alpha}_{xy} = \int l_{\omega+t} l_{y+t} \cdot v^{t} dt;$$
$$l_{\sigma} l_{y} \overline{\Lambda}_{\overline{xy}}^{1} = - \int l_{y+t} v^{t} \cdot d l_{x+t}.$$

For three lives, $l_x l_y l_z \overline{A}_{xyz}^1 = - \int l_{y+t} l_{z+t} v^t . d l_{x+t}$.

Let

Applications of the Law of Mortality.—The preceding results are evidently general, and adapted to any life table. But according to the law of Makeham, on page 237, with hyperbolic logarithms, the value of \overline{N} is found as follows:

$$\overline{\mathbf{N}}_{x} = f \, \mathbf{D}_{x} \cdot dx = f \, k \, (vs)^{x} \cdot \varepsilon^{-u} \cdot dx;$$

$$\mathbf{if} \quad u = \log \frac{1}{g} \cdot q^{x}; \qquad du = \log q \cdot u dx.$$

$$r = \frac{\log (vs)}{\log q} + 1. \qquad (vs)^{x} = \varepsilon^{x \log (vs)} = u^{r-1} \cdot \left(\log \frac{1}{g}\right)^{1-r}.$$

Changing entirely from the variable x to u, we obtain the known form of the Gamma function, or second Eulerian integral, tabulated by Legendre, with an outline Table in De Morgan's Calculus, page 587. By the latter treatise, pages 577, 590:

$$\int_{0}^{u} \varepsilon^{-u} \cdot u^{r-2} \cdot du = \Gamma_{(r-1)} = \Gamma_{(r)} \div (r-1) = \Gamma_{(1+r)} \div r (r-1).$$

$$\int_{0}^{u} \varepsilon^{-u} \cdot u^{r-2} \cdot du = \frac{e^{-u} \cdot u^{r-1}}{r-1} \left\{ 1 + \frac{u}{r} + \frac{u^{2}}{r (r+1)} + \frac{u^{3}}{r (r+1) (r+2)} + \cdots \right\}.$$

Taking the difference, since $\int_{u}^{\infty} = \int_{0}^{\infty} - \int_{0}^{u}$, we have

(N)
$$\overline{N}_{\infty} = \frac{k \left(\log \frac{1}{g}\right)^{1-r}}{\log q} \int_{-u}^{\infty} \varepsilon^{-u} \cdot u^{r-2} \cdot du$$

$$= -\frac{k \left(\log \frac{1}{g}\right)^{1-r} \cdot \Gamma_{(1+r)}}{r \cdot \log \frac{1}{vs}} + \frac{D_{x}}{\log \frac{1}{vs}} \left\{ 1 + \frac{u}{r} + \frac{u^{2}}{r(r+1)} + \frac{u^{3}}{r(r+1)(r+2)} + \dots \right\}.$$

Dividing by D_x , of course, gives the annuity \bar{a}_x . For numeric calculations, reference may be made to more full developments in the *Journal*, by Mr. Makeham, in volume XVII, page 305, and by Mr. McClintock, in volume XVIII, page 242. An interesting feature is the rapid convergence of the series in the earlier ages of manhood. At age 40, u is 0.030813; at 60, u is 0.20622; at 80, u is 1.3801.

Integration of (N) by parts will easily show the following *Relation between two life* annuities, at equal ages, but at rates of interest differing nearly 10 per cent., or as the rate of v differs from that of v'; the logarithms are hyperbolic:

$$\log \frac{1}{vs} \cdot \tilde{a}_v + u \cdot \log q \cdot \tilde{a}_{v'} = 1; \qquad v' = v'q; \qquad u = \log \frac{1}{g} \cdot q^x.$$

Demonstration of the Formula of Survivorship Insurance on P. 263. Having tabulated the coefficients a' and b', let us here adopt the notation, and the two auxiliary ages, x, y, stated on page 263. The probability of the m lives all surviving the time t is $\frac{l_{\omega'+t}.l_{\omega''+t}\ldots}{l_{\omega'}.l_{\omega''}\ldots}$ or $s^{mt}.g^{q^{x}}(q^{t}-1)$; and the probability of the n other lives surviving the time t is entirely similar. Hence by the same reasoning as for two single lives, x, y:

$$\overline{\Lambda}_{(x'x''\ldots)y'y''\ldots}^{\frac{1}{(x'x''\ldots)y'y''\ldots}} = -\int \frac{d(l_{x'+t}, l_{x''+t}, \ldots)}{l_{x'}, l_{x''}, \ldots} \cdot \frac{l_{y'+t}, l_{y''+t}, \ldots}{l_{y'}, l_{y''}, \ldots} \cdot v^t,$$

$$= -\int (m \log s \cdot dt + \log g \cdot q^x \cdot dq^t) \cdot s^{(m+n)t} \cdot g^{(q^x+q^y)}(q^t-1).$$

Here the differential has been more conveniently found by the latter form of the identity $dl = l \cdot d \log l = d \log l \cdot l$. Interchanging the lives m and n,

$$\overline{\mathbf{A}}_{\overline{(y'y''..)\alpha'\omega''..}}^{\frac{1}{\mathbf{A}(y'y''..)\alpha'\omega''..}} = -\int (n \log s \cdot dt + \log g \cdot q^y \cdot dq^t) \, s^{(m+n)t} \cdot g^{(q^x+q^y)(q^t-1)}.$$

Eliminating the last term of the two equations,

$$q^{y} \overline{\mathbf{A}}_{(\underline{w}'\underline{w}''..)\underline{y'}\underline{y''}..}^{\underline{1}} - q^{x} \overline{\mathbf{A}}_{(\underline{y}'\underline{y}''..)\underline{w}'\underline{w}''..}^{\underline{1}} = -(mq^{y} - nq^{x}) \log s.\bar{a}_{\underline{w}'..\underline{y}'..}^{x}$$

At the end, \bar{a} has been written in place of the equivalent integral on all the lives.

Also $\overline{A}_{(x'x''...)y'y''...}^{1} + \overline{A}_{(y'y''...)x'x''...}^{1} = \overline{A}_{x'...y'...}$ Eliminating the middle term by eomparison with the preceding equation,

(S)
$$(q^{\alpha} + q^{y}) \cdot \overline{A}_{(x'x''...)y'y''...}^{1} = q^{\alpha} \cdot \overline{A}_{x'...y'...} - (mq^{y} - nq^{\alpha}) \log s \cdot \tilde{a}_{x'...y'...}^{2}$$

Again, eliminating \bar{a} , by the relation $\bar{A}_{x'..y'..} = 1 - \delta \bar{a}_{x'..y'..}$, we obtain the general formula on page 263, which was to be demonstrated. Multiplying by \sqrt{v} as there described,

$$a' = \frac{mq^{y-x}-n}{q^{y-x}+1} \cdot \frac{\sqrt{v}}{\delta} \cdot \log \frac{1}{s}; \qquad b' = \frac{m}{m+n} - \frac{mq^{y-x}-n}{q^{y-x}+1} \left(\frac{1}{m+n} + \frac{1}{\delta} \cdot \log \frac{1}{s}\right) \cdot \overline{\mathbf{A}}_{xy}^{\underline{1}} = a' + b' \overline{\mathbf{A}}_{xy}.$$

The Table of a' and $\lambda b'$ on page 263 is based on the values m=n=1. But if a'' and b'' denote the values in any case where the numbers of lives m and n are equal, we have a''=na'; b''=b'-(n-1) $a' \div \sqrt{v}$.

PROBABILITY OF SURVIVORSHIP. For two lives, the probability that y will survive x is strictly the value of $\overline{\Lambda}_{xy}^1$ when v is 1, and δ is 0. The former equation $\overline{\Lambda} = 1$ — $\delta.\overline{a}$ thus becomes $\overline{\Lambda} = 1$; which is the proper result to be substituted in the preceding solution (S), also changing \overline{a}_{xy} to \overline{e}_{xy} . The required value will always be $\frac{1}{2}$, when the ages are equal.

For a near approximation in other eases, let T denote the "Probable Life" of the age x-5 years, given in Table XXVI. Then $l_{y-5+T} \div l_{y-5}$ will approximate to the probability A_{xy}^1 that the younger life y will survive the older x. And $1-A_{xy}^1$ will be the opposite probability that the older will survive the younger. At the ages 50, 30, for example, x-5 or 45 guides to T, 25.86. Whence $l_{y-5+T} \div l_{y-5}$ or A_{xy}^1 is 0.785; and the chance that the older x will outlive the younger y is $1-A_{xy}^1$ or 0.215.

Solution for Survivorship Annuities. The preceding expressions for a' and b' have the singular property of remaining constant for the duration of the given lives. Being easily tabulated, they appear adapted for an important part in the system of survivorships. For illustration, let the last problem on page 282 be resolved by this method. Firstly, supposing death to occur on an average at the middle of a policy year, and the first payment of annuity to the survivor to be made six months after, or at the end of the year, the present value may be considered equivalent to that of a continuous annuity commencing at death or survivorship.—Page 290.

PROBLEM.—To determine the present value of an annuity on the life of x, to commence with the failure of the joint existence of y and z, provided it be z who dies first.

Let $yz'\bar{a}_x$ denote the required value. By the continuous method,

$$yz'\bar{a}_x = -\int \frac{dl_{z+t} \cdot l_{y+t} \overline{\mathbf{N}}_{x+t}}{l_z l_y \mathbf{D}_x} = -\int \frac{dl_{z+t} \cdot l_{y+t} \cdot l_{x+t} \cdot v^t \cdot \tilde{a}_{x+t}}{l_z l_y l_x},$$

$$= \int d\overline{\mathbf{A}}_{z+t,y+t,x+t}^{-1} \cdot \tilde{a}_{x+t} = b' \int d\overline{\mathbf{A}}_{z+t,y+t,x+t} \cdot \tilde{a}_{x+t}.$$

Here the differentiation refers to the variable time t; and b' enters by the substitution of a' + b'A from the previous investigation. Interchanging y and z,

$$y'z\bar{a}x = b'' \int d\overline{\Lambda}_{z+t,y+t,x+t} \cdot \bar{a}_{x+t}$$

Adding the last two equations, and substituting from page 280,

$$y_{z'}\bar{a}_x + y'_z\bar{a}_x = a_x - a_{xyz} = (b' + b'') \int d\bar{\mathbf{A}}_{z+t,y+t} \cdot \bar{a}_{x+t}.$$

Dividing the second preceding equation by this, and reducing,

The required annuity, $yz'(\bar{t}_x = \frac{b'}{b' + b''}(a_x - a_{xyz}).$

Let

$$2q^u = q^x + q^y + q^z;$$

$$b' = F_{(u-z)} = \frac{1}{3} + (\frac{3}{2}q^{z-u} - 1) \left(\frac{1}{3} + \frac{1}{\delta} \log \frac{1}{s}\right)$$

Annuity,
$$yz'\bar{a}_x = \frac{\mathbf{F}_{(u-z)}}{1 - \mathbf{F}_{(u-x)}} (a_x - a_{xyz}).$$

The value of u may be found from Table LXV, page *204. Also the logarithm of the function F and of 1-F can be easily tabulated by single entry, for the given rate of interest. And the method of integration is evidently adapted to survivorships involving four or any number of lives.

ADDITION TO SECTION VII.

Tontines. Dividends of Annual Interest may be made to survivors of all ages, proportional to their deposits. Dividends from Mortality can be apportioned to the products of each Deposit $\times q_{x+n} \div p_{x+n}$ from Table XXVI; the shares being as if the Tontines were separate for each age.

NOTATION.

i =interest on \$1 or any other monetary unit for one year.

 $v = \frac{1}{1+i}$ = the present value of 1 due a year hence.

 $\delta = \log (1+i) = \text{Nap log } (1+i)$, the nominal yearly rate of interest when compounded momently.

 $Log A = \lambda A = notation for the common logarithm of A.$

log A = Nap log A = notation for the hyperbolic or Napier logarithm.

 $\varepsilon = 2.718281828 =$ the number whose hyperbolic logarithm is 1.

 $M = \lambda \varepsilon = 0.434294482.$

 $\lambda M = \overline{1}.637784311.$

 $l_x =$ number living according to the Life Table, at the precise age x.

 $d_x = l_x - l_{x+1}$ = the number of persons dying between the ages x and x+1.

 $l_{xy} = l_x \cdot l_y =$ number living in the Joint Life Table at the combination of ages x, y.

 $d_{xy} = l_{xy} - l_{x+1,y+1} =$ annual decrement in the Joint Life Table.

 $p_x = \frac{l_{x+1}}{l_x} = \frac{l_x - d_x}{l_x}$ = the probability of a person whose age is x living one year.

 $q_x = \frac{d_x}{l_x} = \frac{l_x - l_{x+1}}{l_x} = 1 - p_x =$ the probability of x dying within one year.

 $p_{xy} = \frac{l_{x+1} \cdot l_{y+1}}{l_x \cdot l_y} =$ the probability of the joint existence of two lives x and y, continuing one year.

 $q_{xy} = 1 - p_{xy}$ = the probability that one of the lives x, y, may die within one year.

 $\mu_x = -\frac{d l_x}{l_x dx} = -\frac{d}{dx} \log l_x = limiting \ ratio \ of \ mortality \ at the age \ x$

 $\mu_x = \frac{l_{x-1} - l_{x+1}}{2l_x} = \frac{d_{x-1} + d_x}{2l_x}$, approximately.

 $p_{x,n} = \frac{l_{x+n}}{l_{x}}$ = the probability that a life aged x, may survive n years.

 $1-p_{x,n}$ = the probability of x dying within n years.

 $p_{xy,n} = \frac{l_{x+n} \cdot l_{y+n}}{l_x \cdot l_y} =$ the probability that both x and y will survive n years.

 $e_x = \frac{1}{2} + \frac{l_{x+1} + l_{x+2} + \cdots}{l_x}$ = the "expectation" or average duration of life.

 $e_x - \frac{1}{2}$ = the "curtate expectation" of life after the age x.

 $T_x = \text{the "probable life" after the age } x, \text{ defined by } l_{x+T} = \frac{1}{2}l_x.$

 a_x = the present value of \$1 Annuity due at the end of each year during the life x.

 $1+a_x$ = the present value of \$1 annuity due at the beginning of each year during the life x.

 u_{ω}^{n} = the present value of a temporary annuity for the next n years, if x shall so long live.

 $1+a_x^{n-1}=$ the value of the same, when the annuity is due at the beginning of each year.

 $^{n}a_{x}$ = the present value of a *deferred* annuity; that is, of a life annuity on x to commence at the age x+n.

 a_{xy} = the value of an annuity during the joint existence of x and y.

 $a_{xy} = a_x + a_y - a_{xy} =$ the value of an annuity on the longest life.

 $a_{\omega}^{(m)}$ = the value of \$1 annuity, when payable by m instalments in each year.

 $\frac{1}{m} + a_x^{(m)} =$ the value of the same, when the instalments are payable in advance.

 $ca_x^{(m)} = \text{complete annuity providing for a proportionate payment to the day of death.}$

 \bar{a}_x = the value of a *continuous annuity* of \$1 per annum, for instalments supposed payable momently.

 A_x = the single premium to insure \$1 payable at the end of the policy year in which x shall die.

 π_x or P_x = annual premium to insure \$1 on the life of x. In some eases it denotes the premium to insure \$1000.

 $\mathbf{A}_{x}^{(m)}=\mathrm{single}$ premium of Endowment Insurance of \$1 for m years.

 $A_{\overline{xy}}^1 = \text{single premium of insurance "on } x \text{ against } y$," that is, of \$1 payable on the death of x, if y be the survivor.

NOTE 1.—Generally x denotes the age of entry, when the risk commences; x+n the age of valuation of the policy; and m or n+m the total period of insurance.

The suffixes x, xy, \ldots , are often omitted where the meaning is obvious.

NOTE 2.—The notation relative to other conditions is usually explained on the several pages where it is introduced and applied,

INTERPOLATION BY FINITE DIFFERENCES.

From the series a, b, c, d, e, etc., whose terms are a unit's distance from each other, to find any intermediate term denoted by u:

Let x be the integral or the fractional distance of u from the first term a, and \triangle , \triangle^2 , \triangle^3 , etc., the first terms of the differences. That is,

$$\triangle = b - a, \text{ the first difference;}$$

$$\triangle^2 = c - 2b + a, \text{ the first of the second differences;}$$

$$\triangle^3 = d - 3c + 3b - a, \text{ the first of the third differences; etc. Then,}$$

$$u = a + x \triangle + \frac{x(x-1)}{2} \triangle^2 + \frac{x(x-1)(x-2)}{2 \times 3} \triangle^3 + \frac{x(x-1)(x-2)(x-3)}{2 \times 3 \times 4} \triangle^4 + \dots$$

Note.—The derivative $du \div dx$ at any point as at c, may be found by differentiating with respect to u and x as the only variables, and at c making x=2. The well known values of μ were thus found.

The first term a can generally be so located that the required term u shall be near the middle of the employed portion of the series.

DOUBLE INTERPOLATION.

Let U denote the term to be interpolated at the junction of x, y; where x is the horizontal, and y the vertical distance from the term a. We might apply the preceding formula to insert a term u at the distance x from a, then a term u' at the distance x from a', etc. The same formula applied to u, u', u'', would evidently give U at the vertical distance y from u. But the result will be the same, if

$$\Delta = b - a, \qquad \Delta^2 = (c - b) - (b - a), \qquad | \qquad a \qquad b \qquad c \qquad d \\ \Delta' = b' - a', \qquad \text{ete.} \qquad | \qquad a' \qquad b' \qquad c' \qquad d' \\ \delta = a' - a, \qquad \delta^2 = (a'' - a') - (a' - a), \qquad | \qquad a'' \qquad b'' \qquad c'' \qquad d'' \\ U = a + x\Delta + y\delta + xy \left(\Delta' - \Delta\right) + \frac{x \left(x - 1\right)}{2} \Delta^2 + \frac{y \left(y - 1\right)}{2} \delta^2 + \dots$$

NUMBERS OFTEN USED IN CALCULATIONS.

RATE OF	NUM	BERS.	LOGARITHMS.			
INTEREST.	v.	1-v.	λv .	$\lambda (1-v).$		
3 per cent. 31 " " 4 " " 41 " " 5 " " 6 " " 7 " " 8 " " 9 " " 10 " "	.9708 7379 .9661 8357 .9615 3846 .9569 3780 .9523 8095 .9433 9623 .9345 7944 .9259 2593 .9174 3119 .9090 9091	.0291 2621 .0338 1643 .0384 6154 .0430 6220 .0476 1905 .0566 0377 .0654 2056 .0740 7407 .0825 6881 .0909 0909	1.987 1628 1.985 0597 1.982 9667 1.980 8837 1.978 8107 1.974 6941 1.970 6162 1.966 5762 1.962 5735 1.958 6073	$\begin{array}{cccccccccccccccccccccccccccccccccccc$		

TABLES IN PART SECOND.

THIRTY OFFICES' EXPERIENCE:

	MALE LIFE,		-	-	-	TABLES	XXVI-LXIV.	PAGES	*2-*203
	JOINT LIVES,	-	-	-	-	66	LXV-LXXVI.	66	*204_*223
	FEMALE LIFT	<u>E</u> , -	-	-	-	66	LXXVII-LXXVIII	, 66	*224_*227
MI_{*}	SCELLANEOUS,		-	_	_	TABLES	LXXIX-LXXXII.	PAGES	*228_*253

TABLE XXVI.

MALE LIFE TABLE. FROM EXPERIENCE OF LOSSES AND AMOUNTS INSURED.

EXPECTATION OF LIFE AND PROBABLE LIFE.

	1	1	1	1				
AGE.	Living.	Decre- ment.	Prob. of Dec.	Prob. of Living.	Expectation of Life.	Probable	Age added to Ex-	AGE.
x.	l_x .	d_x .	$q_x = \frac{d_x}{d}$.	$p_x = \frac{l_{x+1}}{l}$	Years.	Life. Years.	pectation.	x.
			l_x	l_x	Lears.	Tears.	Years.	
10	100,000	648	0.006479	0.993521	49.994	55.40	5 9.99	10
11	99,352	646	.006502	.993498	49.316	54.56	60.32	11
12	98,706	643	.006516	.993484	48.637	53.73	60.64	12
13	98,063	641	.006536	.993464	47.952	52.89	60.95	13
14	97,422	640	.006568	.993432	47.264	52.05	61.26	14
15	96,782	638	0.006593	0.993407	46.573	51.21	61.57	15
16	96,144	636	.006614	.993386	45.880	50.36	61.88	16
17	95,508	635	.006648	.993352	45.183	49.52	62.18	17
18	94,873	634	.006683	.993317	44.481	48.68	62.48	18
19	94,239	633	.006717	.993283	43.777	47.83	62.78	19
20	93,606	633	0.006763	0.993237	43.069	46.99	63.07	20
21	92,973	633	.006808	.993192	42.359	46.14	63.36	21
22	92,340	633	.006856	.993144	41.646	45.29	63.65	22
23	91,707	634	.006911	.993089	40.930	44.43	63.93	23
24	91,073	635	.006973	.993027	40.211	43.58	64.21	24
25	90,438	636	0.007032	0.992968	39.490	42.73	64.49	25
26	89,802	639	.007115	.992885	38.766	41.88	64.77	26
27	89,163	641	.007190	.992810	38.040	41.03	65.04	27
28	88,522	644	.007275	.992725	37.312	40.18	65.31	28
29	87,878	649	.007385	.992615	36.582	39.33	65.58	29
30	87,229	653	0.007485	0.992515	35.850	38.48	65.85	30
31	86,576	658	.007602	.992398	35.117	37.62	66.12	31
32	85,918	664	.007727	.992273	34.383	36.77	66.38	32
33	85,254	671	.007871	.992129	33.646	35.93	66.65	33
34	84,583	679	.008027	.991973	32.910	35.08	66.91	34
35	83,904	689	0.008212	0.991788	32.172	34.23	67.17	35
36	83,215	698	.008390	.991610	31.434	33.38	67.43	36
37	82,517	709	.008591	.991409	30.696	32.53	67.70	37
38	81,808	722	.008826	.991174	29.957	31.69	67.96	38
39	81,086	736	.009077	.990923	29.219	30.85	68.22	39
40	80,350	752	0.009360	0.990640	28.482	30.01	68.48	40
41	79,598	768	.009647	.990353	27.747	29.17	68.75	41
42	78,830	788	.009998	.990002	27.013	28.34	69.01	42
43	78,042	808	.010351	.989649	26.280	27.51	69.28	43
44	77,234	831	.010761	.989239	25.550	26.68	69.55	44
45	76,403	856	0.011203	0.988797	24.822	25.86	69.82	45
46	75,547	883	.011688	.988312	24.090	25.05	70.09	46
47	74,664	913	.012227	.987773	23.377	24.23	70.38	47
48	73,751	945	.012814	.987186	22.660	23.42	70.66	48
49	72,806	980	.013459	.986541	21.948	22.62	70.95	49
50	71,826	1,018	0.014175	0.985825	21.241	21.83	71.24	50
51	70,808	1,059	.014955	.985045	20.539	21.04	71.54	51
52	69,749	1,103	.015814	.984186	19.843	20.26	71.84	52
53	68,646	1,150	.016752	.983248	19.154	19.49	72.15	53
54	67,496	1,200	.017779	.982221	18.471	18.73	72.47	54

TABLE XXVI.

MALE LIFE TABLE. FROM EXPERIENCE OF LOSSES AND AMOUNTS INSURED.

EXPECTATION OF LIFE AND PROBABLE LIFE.

	Living.	Decre-	Prob. of Dec.	Prob. of Living.	Expectation	Probable	Age added	
AGE.	_	ment.	d_x	l_{x+1}	Expectation of Life.	Life.	Age added to Ex- pectation.	AGE.
x.	l_x .	u_x .	$q_x = \frac{1}{l_x}$	$p_x = \frac{1}{l_x}$	Years.	Years.	Years.	<i>x</i> .
55	66,296	1,255	0.018930	0.981070	17.797	17.97	72.80	55
56	65,041	1,312	.020172	.979828	17.130	17.23	73.13	56
57	63,729	1,374	.021560	.978440	16.473	16.50	73.47	57
58	62,355	1,438	.023060	.976940	15.825	15.78	73.83	58
59	60,917	1,505	.024707	.975293	15.187	15.07	74.19	59
60	59,412	1,576	0.026527	0.973473	14.559	14.37	74.56	60
61	57,836	1,650	.028529	.971471	13.942	13.69	74.94	61
62	56,186	1,725	.030700	.969300	13.336	13.03	75.34	62
63	54,461	1,803	.033108	.966892	12.743	12.38	75.74	63
64	52,658	1,882	.035740	.964260	12.162	11.74	76.16	64
65	50,776	1,962	0.038640	0.961360	11.595	11.12	76.60	65
66	48,814	2,040	.041789	.958211	11.040	10.52	77.04	66
67	46,774	2,118	.045282	.954718	10.500	9.94	77.50	67
68	44,656	2,190	.049043	.950957	9.974	9.37	77.97	68
69	42,466	2,261	.053242	.946758	9.463	8.83	78.46	69
70	40,205	2,323	0.057778	0.942222	8.967	8.30	78.97	70
71	37,882	2,378	.062775	.937225	8.486	7.80	79.49	71
72	35,504	2,422	.068216	.931784	8.021	7.31	80.02	72
73	33,082	2,453	.074149	.925851	7.572	6.84	80.57	73
74	30,629	2,472	.080709	.919291	7.138	6.40	81.14	74
75	28,157	2,472	0.087792	0.912208	6.721	5.97	81.72	75
76	25,685	2,453	.095503	.904497	6.320	5.57	82.32	76
77	23,232	2,416	.103996	.896004	5.934	5.19	82.93	77
78	20,816	2,356	.113181	.886819	5.565	4.82	83.57	78
79	18,460	2,274	.123185	.876815	5.211	4.49	84.21	79
80	16,186	2,170	0.134068	0.865932	4.873	4.16	84.87	80
81	14,016	2,044	.145833	.854167	4.550	3.85	85.55	81
82	11,972	1,900	.158704	.841296	4.242	3.57	86.24	82
83	10,072	1,737	.172458	.827542	3.947	3.30	86.95	83
84	8,335	1,563	.187523	.812477	3.666	3.03	87.67	84
85	6,772	1,379	0.203633	0.796367	3.396	2.81	88.40	85
86	5,393	1,191	.220841	.779159	3.137	2.60	89.14	86
87	4,202	1,008	.239885	.760115	2.885	2.38	89.89	87
88	3,194	829	.259550	.740450	2.637	2.14	90.64	88
89	2,365	692	.292600	.707400	2.386	1.89	91.39	89
90	1,673	549	0.328154	0.671846	2.166	1.71	92.17	90
91	1,124	403	.358541	.641459	1.980	1.57	92.98	91
92	721	281	.389736	.610264	1.808	1.43	93.81	92
93	440	187	.425000	.575000	1.643	1.28	94.64	93
94	253	117	.462451	.537549	1.488	1.14	95.49	94
95	136	68	0.500000	0.500000	1.338	1.00	96.34	95
96	68	38	.558824	.441176	1.176	0.90	97.18	96
97	30	18	.600000	.400000	1.033	0.83	98.03	97
98	12	8	.666666	.333334	0.833	0.75	98.83	98
99	4	4	1.000000	.000000	0.500	0.50	99.50	99
				1	(1	

TABLE XXVII.

COMMON LOGARITHMS (λ) OF THE PRECEDING LIFE TABLE.

AGE.	λl_x .	$\lambda \frac{1}{l_x}$.	λd_x .	λq_x .	λp_x .	$\lambda \frac{1}{p_x}$.	AGE.
10 11 12 13 14	5.000000 4.997177 .994344 .991505 .988657	5.000000 .002823 .005656 .008495 .011343	2.811575 .810233 .808211 .806858 .806180	3.811575 .813056 .813867 .815353 .817523	7.997177 7167 7161 7152 7138	0.002823 2833 2839 2848 2862	10 11 12 13 14
15 16 17 18 19	4.985795 .982922 .980040 .977143 .974231	$\overline{5}.014205$ $.017078$ $.019960$ $.022857$ $.025769$	2.804821 .803457 .802774 .802089 .801404	$egin{array}{l} ar{3}.819026 \\ .820535 \\ .822734 \\ .824946 \\ .827173 \\ \hline \end{array}$	7.997127 7118 7103 7088 7073	0.002873 2882 2897 2912 2927	15 16 17 18 19
20 21 22 23 24	4.971304 .968357 .965390 .962402 .959390	$\overline{5.028696}$ $.031643$ $.034610$ $.037598$ $.040610$	2.801404 .801404 .801404 .802089 .802774	3.830100 .833047 .836014 .839687 .843384	7.997053 7033 7012 6988 6961	$\begin{array}{c} 0.002947 \\ 2967 \\ 2988 \\ 3012 \\ 3039 \end{array}$	20 21 22 23 24
25 26 27 28 29	4.956351 .953286 .950185 .947051 .943880	$\overline{5}.043649$ $.046714$ $.049815$ $.052949$ $.056120$	2.803457 .805501 .806858 .808886 .812245	3.847106 .852215 .856673 .861835 .868365	$egin{array}{c} ar{1}.996935 \\ 6899 \\ 6866 \\ 6829 \\ 6781 \end{array}$	$\begin{array}{c} 0.003065 \\ 3101 \\ 3134 \\ 3171 \\ 3219 \end{array}$	25 26 27 28 29
30 31 32 33 34	4.940661 .937398 .934084 .930715 .927283	$ar{5}.059339 \\ .062602 \\ .065916 \\ .069285 \\ .072717$	2.814913 .818226 .822168 .826723 .831870	3.874252 .880828 .888084 .896008 .904587	1.996737 6686 6631 6568 6500	$\begin{array}{c} 0.003263 \\ 3314 \\ 3369 \\ 3432 \\ 3500 \end{array}$	30 31 32 33 34
35 36 37 38 39	4.923783 .920202 .916543 .912796 .908946	$\overline{5}.076217$ $.079798$ $.083457$ $.087204$ $.091054$	2.838219 .843855 .850646 .858537 .866878	3.914436 .923653 .934103 .945741 .957932	$egin{array}{c} \overline{1.996419} \\ 6341 \\ 6253 \\ 6150 \\ 6040 \\ \hline \end{array}$	$\begin{array}{c} 0.003581 \\ 3659 \\ 3747 \\ 3850 \\ 3960 \end{array}$	35 36 37 38 39
40 41 42 43 44	4.904986 .900902 .896692 .892328 .887809	$\overline{5}.095014$ $.099098$ $.103308$ $.107672$ $.112191$	2.876218 .885361 .896526 .907411 .919601	$\begin{array}{c c} \overline{3.971232} \\ .984459 \\ .999834 \\ \overline{2.015083} \\ .031792 \end{array}$	$egin{array}{c} ar{1}.995916 \\ 5790 \\ 5636 \\ 5481 \\ 5301 \end{array}$	$\begin{array}{c} 0.004084 \\ 4210 \\ 4364 \\ 4519 \\ 4699 \end{array}$	40 41 42 43 44
45 46 47 48 49	4.883110 .878217 .873111 .867768 .862167	$\overline{5}.116890$ $.121783$ $.126889$ $.132232$ $.137833$	2.932474 .945961 .960471 .975432 .991226	$ar{2}.049364 \\ .067744 \\ .087360 \\ .107664 \\ .129059$	$\overline{1.995107}$ 4894 4657 4399 4115	$\begin{array}{c} 0.004893 \\ 5106 \\ 5343 \\ 5601 \\ 5885 \end{array}$	45 46 47 48 49
50 51 52 53 54	4.856282 .850082 .843538 .836615 .829278	5.143718 .149918 .156462 ,163385 .170722	3.007748 $.024896$ $.042576$ $.060698$ $.079181$	$ \overline{2}.151466 $.174814 .199038 .224083 .249903	7.993800 3456 3077 2663 2209	$\begin{array}{c} 0.006200 \\ 6544 \\ 6923 \\ 7337 \\ 7791 \end{array}$	50 51 52 53 54

TABLE XXVII.

COMMON LOGARITHMS (λ) OF THE PRECEDING LIFE TABLE.

AGE.	λl_x .	$\lambda rac{1}{l_x} \cdot$	λd_x .	λq_x .	λp_x .	$\lambda \frac{1}{p_x}$.	AGE.
55 56 57 58 59	4.821487 .813187 .804337 .794871 .784739	$ \begin{array}{r} \hline 5.178513 \\ .186813 \\ .195663 \\ .205129 \\ .215261 \end{array} $	3.098644 .117934 .137987 .157759 .177537	2.277157 .304747 .333650 .362888 .392798	7.991700 .991150 .990534 .989868 .989135	0.008300 .008850 .009466 .010132 .010865	55 56 57 58 59
60 61 62 63 64	4.773874 .762198 .749628 .736086 .721464	$\overline{5}.226126$ $.237802$ $.250372$ $.263914$ $.278536$	$\begin{array}{c} 3.197556 \\ .217484 \\ .236789 \\ .255996 \\ .274620 \end{array}$	$\overline{2}.423682$ $.455286$ $.487161$ $.519910$ $.553156$	1.988324 .987430 .986458 .985378 .984194	$\begin{array}{c} 0.011676 \\ .012570 \\ .013542 \\ .014622 \\ .015806 \end{array}$	60 61 62 63 64
65 66 67 68 69	$\begin{array}{c} 4.705658 \\ .688544 \\ .670005 \\ .649880 \\ .628041 \end{array}$	$ar{5.294342} \ .311456 \ .329995 \ .350120 \ .371959$	3.292699 .309630 .325926 .340444 .354301	$\begin{array}{c} \overline{2.587041} \\ .621086 \\ .655921 \\ .690564 \\ .726260 \end{array}$	7.982886 .981461 .979875 .978161 .976239	0.017114 .018539 .020125 .021839 .023761	65 66 67 68 69
70 71 72 73 74	4.604280 .578433 .550277 .519592 .486133	$ar{5.395720} \ .421567 \ .449723 \ .480408 \ .513867$	3.366049 .376212 .384174 .389698 .393049	2.761769 .797779 .833897 .870106 .906916	7.974153 .971844 .969315 .966541 .963453	0.025847 .028156 .030685 .033459 .036547	70 71 72 73 74
75 76 77 78 79	$\begin{array}{c} 4.449586 \\ .409680 \\ .366087 \\ .318397 \\ \cdot 266232 \end{array}$	$ar{5}.550414 \\ .590320 \\ .633913 \\ .681603 \\ .733768$	3.393049 .389698 .383097 .372175 .356791	$\begin{array}{c} \overline{2}.943463 \\ .980018 \\ \overline{1}.017010 \\ .053778 \\ .090559 \end{array}$	1.960094 .956407 .959310 .947835 .942908	0.039906 .043593 .047690 .052165 .057092	75 76 77 78 79
80 81 82 83 84	$4.209140 \\ .146624 \\ .078167 \\ .003116 \\ 3.920906$	$ar{5.790860} \ .853376 \ .921833 \ .996884 \ 4.079094$	3.336460 .310481 .278754 .239800 .193959	$egin{array}{l} ar{1}.127320 \\ .163857 \\ .200587 \\ .236684 \\ .273053 \\ \end{array}$	1.937484 .931543 .924949 .917790 .909811	0.062516 .068457 .075051 .082210 .090189	80 81 82 83 84
85 86 87 88 89	3.830717 .731830 .623456 .504335 .373831	$egin{array}{l} \overline{4.169283} \\ .268170 \\ .376544 \\ .495665 \\ .626169 \\ \hline \end{array}$	3.139564 $.075912$ $.003461$ 2.918555 $.840106$	$\begin{array}{c} \bar{1}.308847 \\ .344082 \\ .380005 \\ .414220 \\ .466275 \end{array}$	1,901113 .891626 .880879 .869496 .849665	0.098887 .108374 .119121 .130504 .150335	85 86 87 88 89
90 91 92 93 94	3.223496 $.050766$ 2.857935 $.643453$ $.403121$	4.776504 .949234 3.142065 .356547 .596879	2.739572 .605305 .448706 .271842 068186	7.516076 .554539 .590771 .628389 .665065	1.827270 .807169 .785518 .759668 .730418	0.172730 .192831 .214482 .240332 .269582	90 91 92 93 94
95 96 97 98 99	2.133539 1.832509 .477121 .079181 0.602060	$\begin{array}{c} \overline{3.866461} \\ \overline{2.167491} \\ .522879 \\ .920819 \\ \overline{1.397940} \end{array}$	1.832509 .579784 .255273 0.903090 .602060	7.698970 .747275 .778152 .823909 0.000000	$ \begin{array}{c c} \overline{1.698970} \\ .644612 \\ .602060 \\ .522879 \\\infty \end{array} $	0.301030 .355388 .397940 .477121	95 96 97 98 99

PRESENT VALUE (a) OF ANNUITY OF \$1, PAYABLE AT THE END OF EACH YEAR DURING LIFE.

1										
AGE.	Per Cent.	Per Cent.	Per Cent.	Per Cent	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	AGE.
10 11 12 13 14	23.5093 23.3732	21.5037 21.4020	19.6547	18.0098 17.9437	16.7018	14.4562 14.4238 14.3896	12.7276 12.7074 12.6858 12.6629 12.6385	11.3299 11.3161 11.3014 11.2855 11.2686	9.2422	10 11 12 13 14
15 16 17 18 19	22.7840	20.9555 20.8334 20.7069		$17.7270 \\ 17.6480 \\ 17.5656$	$\frac{16.4248}{16.3609}$	14.2747 14.2319 14.1868	12.5556	11.2505 11.2312 11.2105 11.1884 11.1647	9.2135 9.2023 9.1903	15 16 17 18 19
20 21 22 23 24	$\begin{array}{c} 22.1154 \\ 21.9351 \\ 21.7491 \end{array}$	20.4400 20.2994 20.1539 20.0033 19.8475	18.6882 18.5689 18.4450	17.2959	$16.0730 \\ 15.9923 \\ 15.9079$	$13.9800 \\ 13.9212$	12.4187	11.1394 11.1125 11.0838 11.0531 11.0204	9.1483 9.1322 9.1148	20 21 22 23 24
25 26 27 28 29	21.1568 20.9476	19.6865 19.5197 19.3477 19.1700 18.9863	18.0440 17.9002 17.7510	16.7634	15.6305 15.5296 15.4241	13.7939 13.7250 13.6528 13.5768 13.4969	12.2427 12.1954 12.1426 12.0867 12.0276	$\begin{array}{c} 10.9856 \\ 10.9485 \\ 10.9091 \\ 10.8671 \\ 10.8226 \end{array}$	9.0541 9.0309 9.0059	25 26 27 28 29
30 31 32 33 34	$\begin{array}{ c c c c }\hline 20.0492\\ 19.8089\\ 19.5621\\ \hline \end{array}$	18.7970 18.6016 18.4002 18.1924 17.9786	17.2706 17.0990 16.9214	$16.1124 \\ 15.9664$	15.0797 14.9550 14.8250	$\begin{array}{c} 13.3251 \\ 13.2328 \\ 13.1360 \end{array}$	11.8298	10.7753 10.7251 10.6718 10.6153 10.5555	8.9198 8.8870 8.8518	31 32 33
35 36 37 38 39	18.7830 18.5101 18.2306	17.7584 17.5321 17.2992 17.0599 16.8142	16.3527 16.1507 15.9423	$15.3259 \\ 15.1511$	$14.4030 \\ 14.2510 \\ 14.0933$	$\begin{array}{c} 12.8176 \\ 12.7917 \\ 12.5804 \end{array}$	11.5979 11.5125 11.4226 11.3281 11.2290	$\begin{array}{c} 10.4922 \\ 10.4254 \\ 10.3547 \\ 10.2800 \\ 10.2012 \end{array}$	8.7314 8.6858 8.6372	37 38
40 41 42 43 44	17.3538 17.0485 16.7372	16.5621 16.3037 16.0387 15.7677 15.4903	15.2792 15.0451 14.8050	14.5897 14.3903 14.1844 13.9724 13.7538	13.5847 13.4028 13.2151	12.1849	$\begin{array}{c} 11.1251 \\ 11.0163 \\ 10.9023 \\ 10.7832 \\ 10.6587 \end{array}$	9.8424		40 41 42 43 44
45 46 47 48 49	15.7669 15.4321 15.0917	15.2069 14.9174 14.6221 14.3212 14.0149	$14.0460 \\ 13.7806 \\ 13.5092$	13.2981 13.0609 12.8176	12.6144 12.4017 12.1829	11.4121 11.2399 11.0618	10.3936	9.5234 9.4069 9.2853	8.2018 8.1242 8.0423 7.9560 7.8652	45 46 47 48 49
50 51 52 53 54	14.0410 13.6818 13.3187	13.7033 13.3869 13.0658 12.7403 12.4109	$12.6606 \\ 12.3669 \\ 12.0682$	$12.0521 \\ 11.7857 \\ 11.5139$	11.4908 11.2485 11.0007	10.4918 10.2902 10.0829	9.7960 9.6325 9.4632 9.2883 9.1079	8.8881 8.7449 8.5962	7.7698 7.6696 7.5647 7.4549 7.3401	50 51 52 53 54

Formula, $a_x = \frac{\mathrm{N}_{x+1}}{\mathrm{D}_x}$.

PRESENT VALUE (a) OF ANNUITY OF \$1, PAYABLE AT THE END OF EACH YEAR DURING LIFE.

AGE.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	Per Cent.	10 Per Cent.	AGE.
55	12.5820	12 0778	11.4569	10.9552	10 4892	9.6515	8.9218	8.2825	7.2203	55
56	12.2095		11.1451		10.2262	9.4280	8.7305	8.1177	7.0955	56
57	11.8347		10.8295	10.3788	9.9586	9.1994	8.5340	7.9476	6.9658	57
58	11.4583		10.5108	10.0848	9.6869	8.9663	8.3326	7.7725	6.8312	58
59	11.0806	10.7195	10.1893	9.7874	9.4113	8.7286	8.1263	7.5925	6.6916	59
J 3	ł					0.100**		W. AOWIO	0 8 4 8 10	0.0
60	10.7021	10.2696	9.8653	9.4869	9.1322	8.4867	7.9155	7.4076	6.5473	60
61	10.3236	9.9187	9.5395	9.1839	8.8501	8.2410	7.7003	7.2182	6.3983	61
62	9.9456	9.5674	9.2125	8.8791	8.5655	7.9920	7.4813	7.0246	6.2448	62
63	9.5684	9.2158	8.8844	8.5725	8.2787	7.7398	7.2585	6.8268	6.0868	63
64	9.1929	8.8650	8.5562	8.2650	7.9902	7.4851	7.0326	6.6254	5.9248	64
65	8.8197	8.5154	8.2282	7.9571	7.7007	7.2283	6.8037	6.4206	5.7588	65
66	8.4494	8.1676	7.9013	7.6493	7.4107	6.9700	6.5726	6.2130	5.5893	66
67	8.0834	7.8222	7.5757	7.3422	7.1206	6.7104	6.3394	6.0027	5.4164	67
68	7.7198	7.4799	7.2525	7.0365	6.8313	6.4504	6.1049	5.7904	5.2406	68
69	7.3614	7.1410	6.9315	6.7323	6.5428	6.1901	5.8691	5.5762	5.0620	69
					0.0703		F 0007	= 0.000	4 0010	w A
70	7.0087	6.8066	6.6142	6.4309	6.2562	5.9305	5.6331	5.3609	4.8813	70
71	6.6616	6.4768	6.3006	6.1324	5.9719	5.6718	5.3970	5.1448	4.6987	71
72	6.3210	6.1525	5.9915	5.8376	5.6905	5.4148	5.1616	4.9286	4.5147	72
73	5.9873	5.8340	5.6873	5.5469	5.4124	5.1599	4.9273	4.7126	4.3298	73
74	5.6608	5.5218	5.3885	5.2607	5.1382	4.9075	4.6944	4.4972	4.1442	74
75	5.3425	5.2168	5.0961	4.9801	4.8687	4.6586	4.4640	4.2834	3.9588	75
76	5.0324	4.9190	4.8100	4.7051	4.6042	4.4134	4.2362	4.0712	3.7738	76
77	4.7307	4.6287	4.5306	4.4360	4.3448	4.1722	4.0113	3.8612	3.5895	77
78	4.4381	4.3468	4.2587	4.1737	4.0916	3.9358	3.7903	3.6541	3.4067	78
79	4.1547	4.0731	3.9943	3.9181	3.8445	3.7044	3.5732	3.4501	3.2256	79
0.0	0.0000	0.0080	0 140 1474	9 6406	9 6090	3.4783	3.3605	3.2496	3.0467	80
80	3.8806	3.8079	3.7376	3.6696	3.6038 3.3699	3.2579	3.1524	3.0529	2.8702	81
81	3.6158	3.5514	3.4890	3.4285 3.1945	3.1425	3.0429	2.9489	2.8601	2.6963	82
82	3.3601	3.3032	3.2480 3.0152	2.9679	2.9220	2.8340	2.7506	2.6716	2.5254	83
83	3.1138 2.8756	$\begin{array}{c} 3.0638 \\ 2.8318 \end{array}$	2.7893	2.7478	2.7075	2.6300	2.5565	2.4866	2.3568	84
04	2.0100	\$.0010	2.1000	~. (TIO	2.1010	2.0000	70. 00 00	W. 1000	W.0000	
85	2.6455	2.6074	2.5704	2.5343	2.4990	2.4313	2.3668	2.3053	2.1909	85
86	2.4216	2.3888	2.3567	2.3255	2.2950	2.2361	2.1800	2.1264	2.0262	86
87	2.2012	2.1731	2.1457	2.1189	2.0927	2.0421	1.9937	1.9474	1.8606	87
88	1.9827	1.9590	1.9357	1.9130	1.8908	1.8478	1.8065	1.7669	1.6925	88
89	1.7581	1.7383	1.7189	1.6999	1.6813	1.6452	1.6105	1.5772	1.5143	89
90	1 5500	1.5432	1.5270	1.5111	1.4955	1.4652	1.4361	1.4080	1.3548	90
91	1.5598 1.3913		1.3638	1.3504		1.3117				91
92	1.3313 1.2340	1.2225	1.2111	1.1999	1.1890	1.1676	1.1470	1.1270	1.0890	92
93	1.0828	1.0733	1.0639	1.0547	1.0457	1.0281	1.0110	.9945	.9629	93
94	.9395	.9319	.9243	.9169	.9096	.8953	.8814	.8679	.8421	94
					MAGA	ryes 1	.7544	.7438	.7233	95
95	.8002	.7942	.7883	.7825	.7767	.7654 $.6227$.6145	.6065	. 5912	96
96	.6485	.6440	.6397	.6353	.6310	.4960	.4903	.4847	.4841	97
97	.5140	.5109	.5079	.5049	.5019 $.3175$.3145	.3115	.3087	.3031	98
98	.3236	.3221	3205 0000	.3190	.0000	.0000	.0000	.0000	.0000	99
99	.0000	.0000	.0000	.0000	.0000	.0000	.0000	.0000	.0000	00

TABLE XXIX.

ANNUAL PREMIUM (π) TO INSURE \$1000, PAYABLE AT THE END OF THE POLICY YEAR IN WHICH THE LIFE FAILS.

AGE.	3 Per Cent.	3½ Per Cent.	4 Per Cent.	4½ Per Cent.	5 Per Cent.	6 Per Cent.	AGE.
10	11.2486	10.4447	9.7739	9.2026	8.7201	7.9672	10
11	11.4571	10.6384	9.9535	9.3682	8.8723	8.0952	11
12	11.6747	10.8410	10.1419	9.5422	9.0327	8.2308	12
13	11.9023	11.0534	10.3400	9.7260	9.2026	8.3754	13
14	12.1400	11.2759	10.5480	9.9194	9.3819	8.5289	14
15	12.3881	11.5085	10.7660	10.1227	9.5709	8.6913	15
16	12.6474	11.7524	10.9953	10.3369	9.7706	8.8640	16
17	12.9188	12.0083	11.2364	10.5629	9.9819	9.0478	17
18	13.2025	12.2763	11.4897	10.8010	10.2050	9.2428	18
19	13.4993	12.5574	11.7560	11.0518	10.4407	9.4499	19
20	13.8099	12.8522	12.0361	11.3163	10.6899	9.6701	20
21	14.1349	13.1614	12.3304	11.5950	10.9531	9.9037	21
22	14.4752	13.4857	12.6399	11.8887	11.2311	10.1517	22
23	14.8317	13.8261	12.9656	12.1985	11.5251	10.4152	23
24	15.2050	14.1835	13.3082	12.5250	11.8357	10.6949	24
25	15.5963	14.5586	13.6687	12.8696	12.1641	10.9919	25
26	16.0068	14.9530	14.0485	13.2333	12.5117	11.3079	26
27	16.4369	15.3669	14.4479	13.6166	12.8786	11.6426	27
28	16.8883	15.8021	14.8689	14.0214	13.2671	11.9986	28
29	17.3623	16.2597	15.3125	14.4487	13.6780	12.3769	29
30	17.8592	16.7403	15.7791	14.8991	14.1119	12.7777	30
31	18.3814	17.2461	16.2712	15.3751	14.5713	13.2038	31
32	18.9302	17.7785	16.7902	15.8779	15.0575	13.6566	32
33	19.5070	18.3389	17.3376	16.4092	15.5722	14.1376	33
34	20.1136	18.9289	17.9149	16.9706	16.1170	14.6487	34
35	20.7516	19.5504	18.5241	17.5638	16.6936	15.1916	35
36	21.4224	20.2045	19.1663	18.1901	17.3035	15.7674	36
37	22.1294	20.8947	19.8452	18.8533	17.9504	16.3801	37
38	22.8743	21.6226	20.5624	19.5549	18.6357	17.0316	38
39	23.6590	22.3903	21.3199	20.2971	19.3616	17.7235	39
40	24.4863	23.2003	22.1206	21.0825	20.1309	18.4590	40
41	25.3587	24.0552	22.9667	21.9137	20.9462	19.2406	41
42	26.2802	24.9588	23.8627	22.7949	21.8117	20.0726	42
43	27.2524	25.9128	24.8099	23.7276	22.7287	20.9564	43
44	28.2801	26.9217	25.8133	24.7167	23.7026	21.8972	44
45	29.3662	27.9887	26.8757	25.7651	24.7359	22.8979	45
46	30.5150	29.1173	28.0014	26.8771	25.8330	23.9627	46
47	31.7306	30.3122	29.1948	28.0572	26.9985	25.0962	47
48	33.0174	31.5772	30.4602	29.3094	28.2364	26.3026	48
49	34.3809	32.9177	31.8029	30.6395	29.5524	27.5876	49
50	35.8261	34.3385	33.2283	32.0524	30.9517	28.9564	50
51	37.3590	35.8450	34.7419	33.5538	32.4399	30.4147	51
52	38.9855	37.4432	36.3501	35.1505	34.0235	31.9688	52
53	40.7128	39.1397	38.0599	36.8490	35.7093	33.6257	53
54	42.5485	40.9412	39.8789	38.6571	37.5051	35.3931	54
				IV.			

Formula,
$$\pi_x = \frac{1000 M_x}{N_x} = 1000 \left\{ \frac{1}{1 + a_x} - (1 - v) \right\}$$
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TABLE XXIX.

ANNUAL PREMIUM (π) TO INSURE \$1000, PAYABLE AT THE END OF THE POLICY YEAR IN WHICH THE LIFE FAILS.

AGE.	3 Per Cent.	3½ Per Cent.	4 Per Cent.	$4\frac{1}{2}$ Per Cent.	5 Per Cent.	6 Per Cent.	AGE.
55	44.5008	42.8559	41.8154	40.5834	39.4191	37.2798	55
56	46.5771	44.8899	43.8764	42.6342	41.4585	39.2920	56
57	48.7878	47.0532	46.0730	44.8211	43.6340	41.4411	57
58 59	51.1416 53.6509	$\begin{array}{r} 49.3527 \\ 51.7999 \end{array}$	48.4132 50.9095	$\begin{array}{c} 47.1516 \\ 49.6389 \end{array}$	45.9537 48.4302	43.7349 46.1862	58 59
60	56.3282	54.9175	53.5745	52.2951	51.0760	48.8073	60
61	59.1848	57.7696	56.4196	55.1317	53.9026	51.6097	61
62	62.2349	60.8148	59.4582	58.1621	56.9232	54.6062	62
63	65.4953	64.0706	62.7079	61.4038	60.1552	57.8148	63
64	68.9809	67.5521	66.1832	64.8709	63.6129	61.2493	64
65	72.7102	71.2769	69.9017	68.5817	67.3143	64.9276	65
66	76.7006	75.2633	73.8817	72.5538	71.2768	68.8667	66
67	80.9763	79.5344	78.1464	76.8106	75.5240	73.0907	67
68	85.5559	84.1089	82.7146	81.3703	80.0741	77.6169	68
69	90.4709	89.0189	87.6177	86.2649	84.9587	82.4772	69
70 71 72 73 74	95.7386 101.395 107.467 113.991 121.006	94.2812 99.9310 105.996 112.511 119.516	92.8725 98.5145 104.570 111.075 118.069	$\begin{array}{c} 91.5105 \\ 97.1422 \\ 103.188 \\ 109.682 \\ 116.663 \end{array}$	$\begin{array}{c} 90.1937 \\ 95.8145 \\ 101.848 \\ 108.329 \\ 115.296 \end{array}$	87.6870 93.2814 99.2869 105.738 112.673	70 71 72 73 74
75	128.540	127.039	125.579	124.158	122.776	120.118 128.123 136.739 145.998 155.964	75
76	136.645	135.131	133.656	132.219	130.819		76
77	145.373	143.843	142.352	140.897	139.477		77
78	154.760	153.212	151.701	150.225	148.784		78
79	164.871	163.302	161.769	160.269	158.802		79
80	175.769	174.174	172.614	171.087	169.592	166.694	80
81	187.521	185.898	184.307	182.749	181.221	178.257	81
82	200.225	198.567	196.942	195.348	193.783	190.743	82
83	213.958	212.260	210.594	208.958	207.351	204.224	83
84	228.899	227.155	225.442	223.759	222.103	218.877	84
85	245.187	243.390	241.622	239.883	238.173	234.835	85
86	263.137	261.279	259.448	257.648	255.874	252.409	86
87	283.260	281.333	279.436	277.565	275.722	272.117	87
88	306.139	304.140	302.168	300.223	298.305	294.543	88
89	333.449	331.380	329.342	327.326	325.339	321.442	89
90	361.532	359.385	357.261	355.167	353.099	349.040	90
91	389.061	386.811	384.586	382.396	380.228	375.972	91
92	418.501	416.137	413.801	411.495	409.214	404.733	92
93	451.009	448.516	446.049	443.614	441.206	436.468	93
94	486.462	483.818	481.198	478.615	476.056	471.023	94
95	526.353	523.527	520.729	517.963	515.226	509.839	95
96	577.487	574.439	571.434	568.437	565.488	559.670	96
97	631.366	628.022	624.715	621.445	618.210	611.838	97
98	726.375	722.578	718.820	715.099	711.420	704.177	98
99	970.868	966.189	861.537	956.947	952.384	943.405	99

TABLE XXX.

SINGLE PREMIUM (A) TO INSURE \$1,000. PAYABLE AT THE END OF THE POLICY
YEAR IN WHICH THE LIFE FAILS.

AGE.	3 Per Cent.	31 Per Cent.	4 Per Cent.	4½ Per Cent.	5 Per Cent.	6 Per Cent.	AGE.
10	278.604	236,069	202.630	176.078	154.779	123.387	10
11	282.310	239,403	205.587	178.678	157.055	125.120	11
12	286.139	242,859	208.665	181.396	159.443	126.951	12
13	290.098	246,450	211.878	184.246	161.956	128.893	13
14	294.189	250,175	215.224	187.224	164.593	130.946	14
15	298.404	254.030	218.699	190.329	167.352	133.108	15
16	302.761	258.031	222.321	193.579	170.250	135.395	16
17	307.260	262.181	226.095	196.977	173.294	137.815	17
18	311.903	266.480	230.019	200.526	176.483	140.369	18
19	316.695	270.935	234.101	204.232	179.827	143.064	19
20	321.639	275.552	238,349	208.103	183.332	145.911	20
21	326.735	280.329	242,763	212.140	187.001	148.911	21
22	331.989	285.275	247,348	216.351	190.842	152.072	22
23	337.407	290.395	252,116	220.745	194.865	155.407	23
24	342.986	295.690	257,065	225.322	199.071	158.917	24
25	348.735	301.166	262,203	230.094	203.470	$162.613 \\ 166.508 \\ 170.597 \\ 174.901 \\ 179.426$	25
26	354.658	306.832	267,540	235.069	208.075		26
27	360.751	312.680	273,069	240.241	212.878		27
28	367.023	318.727	278,806	245.629	217.899		28
29	373.475	324.971	284,756	251.234	223.143		29
30	380.101	331.407	290.909	257.053	228.603	184.166	30
31	386.914	338.051	297.284	263.104	234.301	189.146	31
32	393.916	344.905	303.886	269.391	240.242	194.372	32
33	401.104	351.967	310.714	275.917	246.430	199.850	33
34	408.482	359.244	317.773	282.688	252.871	205.589	34
35	416.049	366,733	325.066	289.707	259.570	211.595	35
36	423.799	374,432	332.588	296.970	266.526	217.868	36
37	431.748	382,357	340.359	304.501	273.761	224.435	37
38	439.886	390,502	348.373	312.294	281.273	231.296	38
39	448.214	398,864	356.630	320.349	289.063	238.453	39
40	456.727	407.446	365.134	328.672	297.136	245.915	40
41	465.427	416.243	373.879	337.259	305.493	253.685	41
42	474.317	425.266	382.879	346.127	314.150	261.783	42
43	483.382	434.498	392.119	355.257	323.091	270.195	43
44	492.630	443.947	401.608	364.666	332.333	278.941	44
45	502.052	453.608	411.338	374.344	341.868	288.018	45
46	511.642	463.473	421.309	384.292	351.699	297.427	46
47	521.399	473.540	431.516	394.509	361.825	307.175	47
48	531.308	483.802	441.953	404.985	372.239	317.257	48
49	541.371	494.255	452.618	415.724	382.945	327.678	49
50 51 52 53 54	551.574 561.916 572.377 582.952 593.632	504.889 515.697 526.667 537.792 549.060	$\begin{array}{c} 463.500 \\ 474.594 \\ 485.889 \\ 497.376 \\ 509.046 \end{array}$	426.712 437.949 449.423 461.124 473.048	393.934 405.201 416.738 428.538 440.592	338,432 349,520 360,933 372,669 384,721	50 51 52 53 54

Formula,
$$A_x = \frac{1000 \text{ M}_x}{D_x} = 1000 \left\{ 1 - (1 - v) (1 + a_x) \right\}$$
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TABLE XXX.

SINGLE PREMIUM (A) TO INSURE \$1,000, PAYABLE AT THE END OF THE POLICY YEAR IN WHICH THE LIFE FAILS.

09.736 22.674 35.873 49.325 63.019 76.925 91.020 05.290	55 56 57 58 59 60 61 62
22.674 35.873 49.325 63.019 76.925 91.020 05.290	57 58 59 60 61
35.873 49.325 63.019 76.925 91.020 05.290	58 59 60 61
49.325 63.019 676.925 691.020 605.290 605.200	59 60 61
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	60 61
76.925 91.020 05.290	61
$91.020 \ 05.290$	
05.290 (60
19.709 + 6	63
	64
34.246	65
	66
	67
78.278	68
93.017	69
07.711	70
	71
	72
	73
	74
79.701	75
	76
03,004	77
	78
	79
46 509	80
	81
	82
	83
	84
05.777	85
	86
	87
	88
50.272 - 8	89
60 459	90
	91
	92
	93
92.719	94
00.072	95
	96
	97
	98
20.012	
· · · · · · · · · · · · · · · · · · ·	79. 701 93.581 07.235 20.616 33.713 46.509 58.990 71.156 82.984 94.528 05.777 16.823 27.805 38.786 50.272 60.459 69.147 77.308 85.201 92.719 00.072 08.151 15.324 25.612

REVERSION, OR LIFE INSURANCE EQUIVALENT TO SINGLE PREMIUM OF 1.

_	1		1		1	, ,			1		1		
AGE.	Per Ct.	Per Ct.	Per Ct.	$\begin{array}{c c} 4\frac{1}{2} \\ \textbf{Per Ct.} \end{array}$	Per Ct.	Per Ct.	AGE.	Per Ct.	Per Ct.	Per Ct.	Per Ct.	Per Ct.	Per Ct.
10	3.5893	4.2360	4.9351	5.6793	6.4608	8.1046	55	1.6545	1.7842	1.9198	2.0611	2.2080	2.5184
11	.5422	.1771	.8641	.5967	.3672			.6253	.7483		.0100	.1486	.4406
12	.4948	.1177	.7924	.5128	.2718			.5970			1.9608		
13	.4471	.0576	1	.4275	.1745			.5695			.9133		
14	.3992	3.9972	.6463	.3412	.0756	.6367	59	.5429	.6473	.7555	.8675	1.9833	.2256
15	3.3512	3.9366	4.5725	5.2541			60		1.6158			1.9323	
16	.3029	.8755	1	.1659				.4921	.5854		.7811	.8834	
17	.2545	.8142	.4229	.0767	.7705			.4680		.6469	.7404		.0366
18	.2061	.7527	.3475	4.9869		0.1241 0.9899		.4447 $.4222$	$\begin{array}{ c c c } .5278 \\ .5006 \end{array}$.6133 $.5811$.7013		
19	.1576	.6910	.2717	.8964	.5605	0.9099	04	. ± & & &	.5000	.0011			
20	3.1091					6.8535			1.4745			1.7074	
21	.0606	.5672		.7139	1			.3797	.4493		.5935	.6681	.8219
22	.0122	.5054		.6221	.2399			.3597		.4922 $.4650$	$\begin{array}{ c c c c c } .5606 \\ .5292 \end{array}$	0.6305 0.5947	.7744
$\begin{vmatrix} 23 \\ 24 \end{vmatrix}$	$\begin{vmatrix} 2.9638 \\ .9155 \end{vmatrix}$.3819	3.9664 .8901	$\begin{array}{ c c c c c } .5301 \\ .4381 \end{array}$	$\begin{bmatrix} .1318 \\ .0233 \end{bmatrix}$		_	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	$\begin{bmatrix} .4021 \\ .3799 \end{bmatrix}$.4390	.4992	.5605	
25				4.3461		6.1496			1.3587			1.5280	
26	.8196		.7378	.2541		.0057		.2872	.3384	.3904	.4433	.4970	.6068
27 28	.7720	.1982	.6621 $.5867$	$oxed{0.1625} \ .0712$		5.8618 .7175		$\begin{array}{c} .2710 \\ .2555 \end{array}$	$\begin{bmatrix} .3190 \\ .3006 \end{bmatrix}$	3678 3463	$\begin{bmatrix} .4173 \\ .3926 \end{bmatrix}$	$.4675 \\ .4396$	
29	$\begin{bmatrix} .7246 \\ .6776 \end{bmatrix}$.1375 $.0772$		3.9804				.2407	.2830	.3258	.3691	.4130	
20													
30			3.4375	3.8902					1.2662			1.3879	
31		2.9581	.3638	.8008				.2132	.2503	.2878	.3257	.3640	
32	$\begin{bmatrix} .5386 \\ .4931 \end{bmatrix}$.8993 .8412		$\frac{.7121}{.6243}$	0.1625 0.0579			.2004	$\begin{array}{c} .2351 \\ .2207 \end{array}$.2702 $.2535$	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$.3414 $.3201$.4140
34	.4481	.7836			3.9546		79	.1767	.2071	.2378	.2687	.2999	.3629
			1										
35				3.4518				1.1657	1.1942		1.2517		
36	3596		0.0067 0.0067 0.0067	$\begin{bmatrix} .3673 \\ .2841 \end{bmatrix}$	1.7520 1.6528			.1553 $.1455$.1819 .1703	.2087 $.1953$	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$.2628 $.2457$.3175 $.2968$
38	.2733	.5608		.2021	.5553			.1361	.1593	.1826	.2061	.2297	.2772
39	.2311	.5071	.8040	.1216	.4595	.1937	84	.1272	.1489	.1706	.1924	.2144	.2586
40	9 1905	9 1519	19 197819	3.0425	3 3655	1.0664	85	1 1199	1.1389	1 1509	1.1795	1.1999	1 9/10
41	0.1695	.4024		2.9651		3.9419		.1107	.1294		.1671	.1861	.2243
42	.1083	.3515	.6118	.8891	.1832		87	.1028		.1376	.1551	.1727	.2080
43	.0688	.3015	.5502	.8149	.0951	.7010		.0951	.1112	.1273	.1434	.1596	.1922
44	.0299	.2525	.4900	.7422	.0090	.5850	89	.0874	.1020	.1168	.1316	.1464	.1761
45	1.9918	2.2046	2.4311	2.6713	2.9251	3.4720	90	1.0806	1.0941	1.1077	1.1212	1.1349	1.1622
46	.9545	.1576	.3736	.6022	.8433	.3622	91	.0749	.0874		.1126	.1252	.1506
47	.9179	.1117	.3174	.5348	.7638			.0696	.0813	.0929	.1046	.1164	.1399
48	.8821	.0670	.2627	.4692	.6864			.0646		.0862	.0971	.1079	.1297
49	.8471	.0233	.2094	.4054	.6113	.0518	94	.0599	.0699	.0799	.0900	.1000	.1202
50			2.1575			2.9548				1.0739	1.0831		
51	.7796	.9391	.1071	.2834		.8611		.0504	.0589	.0673	.0758	.0842	
52	.7471	.8987	.0581	.2251	.3996			.0461	.0539	.0616	.0693	.0770	
53 54	.7154 $.6845$.8595	.0106 1.9645	1.1686 1.1139		0.6833 0.5993		.0401 $.0300$	0.0468 0.0350	.0535 $.0400$	0.0602 0.0450	.0669 $.0500$	
04	.00.49	.0210	1.0040	.1109	.2097		00	.0000	.0550	.0400	.0450	.0500	.0000
											-		

Formula, $\frac{1000}{A_x} = \frac{D_x}{M_x}$.

ANNUITY WHICH 1,000 WILL PURCHASE, PAYABLE AT THE END OF EACH YEAR DURING LIFE.

-:	1 0			Υ	_		l es		0.4		1		
AGE	Per Ct.	AGE	Per Ct.	Per Ct.	Per Ct.	$\begin{array}{c} 4\frac{1}{2} \\ \text{Per Ct.} \end{array}$	Per Ct.	Per Ct.					
10 11 12 13 14		46.29 46.50 46.72 46.96 47.20	50.68 50.88 51.09 51.31 51.54	55.15 55.33 55.53 55.73 55.95	59.70 59.87 60.05 60.25 60.45	69.33 69.50	56 57	79.48 81.90 84.50 87.27 90.25	82.80 85.17 87.70 90.40 94.17	87.28 89.73 92.34 95.14 98.14	91.28 93.73 96.35 99.16 102.2	95.34 97.79 100.4 103.2 106.3	103.6 106.1 108.7 111.5 114.6
15 16 17 18 19	43.59 43.89	47.45 47.72 48.00 48.29 48.60	51.78 52.03 52.30 52.58 52.87	56.17 56.41 56.66 56.93 57.21	60.66 60.88 61.12 61.37 61.64	69.86 70.05 70.27 70.49 70.73	60 61 62 63 64	93.44 96.87 100.6 104.5 108.8	97.37 100.8 104.5 108.5 112.8	101.4 104.8 108.5 112.6 116.9	105.4 108.9 112.6 116.7 121.0	109.5° 113.0 116.7 120.8 125.2	117.8 121.3 125.1 129.2 133.6
	45.22	48.92 49.26 49.62 49.99 50.38		57.51 57.82 58.15 58.49 58.86	61.92 62.22 62.53 62.86 63.21	70.98 71.25 71.53 71.83 72.16		113.4 118.4 123.7 129.5 135.8	117.4 122.4 127.8 133.7 140.0	121.5 126.6 132.0 137.9 144.3	125.7 130.7 136.2 142.1 148.5	129.9 134.9 140.4 146.4 152.8	138.3 143.5 149.0 155.0 161.5
26 27	46.82 47.27 47.74 48.23 48.76	50.80 51.23 51.69 52.16 52.67	55.00 55.42 55.87 56.34 56.83	59.25 59.65 60.08 60.54 61.02	63.59 63.98 64.39 64.83 65.30	72.50 72.86 73.25 73.66 74.09	70 71 72 73 74	142.7 150.1 158.2 167.0 176.6	146.9 154.4 162.5 171.4 181.1	166.9	155.5 163.1 171.3 180.3 190.1	159.8 167.5 175.7 184.8 194.6	168.6 176.3 184.7 193.8 203.8
31 32	49.30 49.88 50.48 51.12 51.79	53.20 53.76 54.35 54.97 55.62	57.35 57.90 58.48 59.10 59.75	61.53 62.06 62.63 63.23 63.87	65.79 66.31 66.87 67.45 68.08	74.55 75.05 75.57 76.13 76.72	75 76 77 78 79	187.2 198.7 211.4 225.3 240.7	191.7 203.3 216.0 230.1 245.5	196.2 207.9 220.7 234.8 250.4	200.8 212.5 225.4 239.6 255.2	205.4 217.2 230.2 244.4 260.1	214.7 226.6 239.7 254.1 270.0
36 37 38	52.50 53.24 54.02 54.85 55.73	56.31 57.04 57.81 58.62 59.47	60.43 61.15 61.92 62.73 63.58	64.54 65.25 66.00 66.80 67.65	68.73 69.43 70.17 70.96 71.79	78.02 78.73	80 81 82 83 84	257.7 276.6 297.6 321.2 347.8	262.6 281.6 302.7 326.4 353.1	267.5 286.6 307.9 331.7 358.5	272.5 291.7 313.0 336.9 363.9	277.5 296.7 318.2 342.2 369.3	287.5 307.0 328.6 352.9 380.2
41 42 43	56.65 57.62 58.66 59.75 60.90	60.38 61.34 62.35 63.42 64.56	64.49 65.45 66.47 67.55 68.69	68.54 69.49 70.50 71.57 72.71	72.67 73.61 74.61 75.67 76.80	81.15 82.07 83.04 84.08 85.19	86 87 88	378.0 413.0 454.3 504.4 568.8	418.6	389.1 424.3 466.1 516.6 581.8	394.6 430.0 471.9 522.7 588.3	400.2 435.7 477.9 528.9 594.8	411.3 447.2 489.7 541.2 607.8
46 47 48	62.13 63.42 64.80 66.26 67.81	65.76 67.04 68.39 69.83 71.35	71.20 72.57 74.02	73.92 75.20 76.56 78.02 79.57	78.00 79.27 80.63 82.08 83.63	87 63 88.97 90.40	91 92 93	718.8 810.4	726.0 818.0	733.3	661.8 740.5 833.4 948.1 1091.	668.7 747.8 841.1 956.3 1099.	682.5 762.3 856.4 972.7 1117.
51 52	73.09 75.08	72.98 74.70 76.54 78.49 80.57	78.99 80.86 82.86	81.22 82.97 84.85 86.85 88.99	87.03		96 97 98	1250. 1542. 1945. 3090. 0000.	1259. 1553. 1957. 3105. 0000.	1269. 1563. 1969. 3120. 0000.	1278. 1574. 1981. 3135. 0000.	1288. 1585. 1992. 3150. 0000.	1307. 1606. 2016. 3180. 0000.

Formula,
$$\frac{1000}{a_x} = \frac{1000 \, \mathrm{D}_x}{\mathrm{N}_{x+1}}$$
.

COMMUTATION COLUMNS. 3 PER CENT.

AGE.	D_x .	N_x .	S_x .	\mathbb{C}_x .	M_x .	R_x .	AGE.
10	74,409.3	1,842,967.6	38,012,941.3	468.129	20,730.738	735,794.660	10
11	71,774.1	1,768,558.3	36,169,973.7	453.092	20,262.609	715,063.922	11
12	69,230.4	1,696,784.2	34,401,415.4	437.852	19,809.517	694,801.313	12
13	66,776.2	1,627,553.8	32,704,631.2	423.777	19,371.665	674,991.796	13
14	64,407.3	1,560,777.6	31,077,077.4	410.792	18,947.888	655,620.131	14
15	62,120.8	1,496,370.3	29,516,299.8	397.581	18,537.096	636,672,243	15
16	59,913.7	1,434,249.5	28,019,929.5	384.790	18,139.515	618,135,147	16
17	57,784.0	1,374,335.8	26,585,680.0	372.996	17,754.725	599,995,632	17
18	55,727.9	1,316,551.8	25,211,344.2	361.561	17,381.729	582,240,907	18
19	53,743.1	1,260,823.9	23,894,792.4	350.477	17,020.168	564,859,178	19
20	51,827.5	1,207,080.8	22,633,968.5	340,269	$ \begin{array}{c} 16,669.691 \\ 16,329.422 \\ 15,999.064 \\ 15,678.328 \\ 15,366.442 \end{array} $	547,839.010	20
21	49,977.6	1,155,253.3	21,426,887.7	330,358		531,169.319	21
22	48,191.5	1,105,275.7	20,271,634.4	320,736		514,839.897	22
23	46,467.1	1,057,084.2	19,166,358.7	311,886		498,840.833	23
24	44,801.9	1,010,617.1	18,109,274.5	303,279		483,162.505	24
25	43,193.7	965,815.2	17,098,657.4	294.910	15,063.163	467,796.063	25
26	41,640.7	922,621.5	16,132,842.2	287.671	14,768.253	452,732.900	26
27	40,140.2	880,980.8	15,210,220.7	280.166	14,480.582	437,964.647	27
28	38,690.8	840,840.6	14,329,239.9	273.279	14,200.416	423,484.065	28
29	37,290.7	802,149.8	13,488,399.3	267.380	13,927.137	409,283.649	29
30	35,937.2	764,859.1	12,686,249.5	261.192	13,659.757	395,356.512	30
31	34,629.4	728,921.9	11,921,390.4	255.526	13,398.565	381.696.755	31
32	33,365.1	694,292.5	11,192,468.5	250.345	13,143.039	368,298.190	32
33	32,143.1	660,927.4	10,498,176.0	245.616	12,892.694	355,155.151	33
34	30,961.1	628,784.3	9,837,248.6	241.305	12,647.078	342,262.457	34
35	29,818.2	597,823.2	9,208,464.3	237.727	12,405.773	329,615,379	35
36	28,711.9	568,005.0	8,610,641.1	233.818	12,168.046	317,209,606	36
37	27,641.8	539,293.1	8,042,636.1	230.585	11,934.228	305,041,560	37
38	26,606.1	511,651.3	7,503,343.0	227.974	11,703.643	293,107,332	38
39	25,603.2	485,045.2	6,991,691.7	225.626	11,475.669	281,403,689	39
40	24,631.8	459,442.0	6,506,646.5	$\begin{array}{c} 223.816 \\ 221.921 \\ 221.068 \\ 220.076 \\ 219.749 \end{array}$	11,250.043	269,928.020	40
41	23,690.6	434,810.2	6,047,204.5		11,026.227	258,677.977	41
42	22,778.6	411,119.6	5,612,394.3		10,804.306	247,651.750	42
43	21,894.1	388,341.0	5,201,274.7		10,583.238	236,847.444	43
44	21,036.4	366,446.9	4,812,933.7		10,363.162	226,264.206	44
45	20,203.9	345,410.5	4,446,486.8	219.766	10,143,413	215,901.044	45
46	19,395.7	325,206.6	4,101,076.3	220.096	9,923,647	205,757.631	46
47	18,610.6	305,810.9	3,775,869.7	220.945	9,703,551	195,833.984	47
48	17,847.7	287,200.3	3,470,058.8	222.028	9,482,606	186,130.433	48
49	17,105.8	269,352.6	3,182,858.5	223.545	9,260,578	176,647.827	49
50	16,384.1	252,246.8	2,913,505.9	225.449	9,037.033	167,387.249	50
51	15,681.3	235,862.7	2,661,259.1	227.699	8,811.584	158,350.216	51
52	14,997.0	220,181.4	2,425,396.4	230.252	8,583.885	149,538.632	52
53	14,329.9	205,184.4	2,205,215.0	233.071	8,353.633	140,954.747	53
54	13,679.5	190,854.5	2,000,030.6	236.121	8,120.562	132,601.114	54

Formulas, $D_x = v^x l_x$; $N_x = D_x + D_{x+1} + \cdots$; $S_x = N_x + N_{x+1} + \cdots$

COMMUTATION COLUMNS. 3 PER CENT.

	1			THE STATE OF THE S	1		
AGE	D_x .	N_{x} .	S_x .	\mathbb{C}_x .	M_x .	\mathbb{R}_x .	AGE.
55	13,044.8	177,175.0	1,809,176.1	990 750	17 001 111	124,480.552	55
55		/	, ,	239.750	7,884.441	1	
56	12,425.2	164,130.2	1,632,001.1	243.339	7,644.691	116,596.111	56
57	11,820.0	151,705.0	1,467,870.9	247.416	7,401.352	108,951.420	57
58	11,228.3	139,885.0	1,316,165.9	251.398	7,153.936	101,550.068	58
59	10,649.8	128,656.7	1,176,280.9	255.448	6,902.538	94,396.132	59
60	10,084.2	118,006.89	1,047,624.22	259.708	6,647.090	87,493.594	60
61	9,530.75	107,922.69	929,617.33	263.983	6,387.382	80,846.504	61
				267.944	, ,	,	62
62	8,989.18	98,391.94	821,694.64		6,123.399	$74,459.122 \\ 68,335.723$	
63	8,459.43	89,402.76	723,302.70	271.903	5,855.455	/	63
64	7,941.12	80,943.33	633,899.94	275.550	5,583.552	62,480.268	64
65	7,434.26	73,002.21	552,956.61	278.896	5,308.002	56,896.716	65
66	6,938.84	65,567.95	479,954.40	281.537	5,029.106	51,588.714	66
67	6,455.22	58,629.11	414,386.45	283.789	4,747.569	46,559.608	67
		/			4,463.780	41,812.039	68
68	5,983.40	52,173.89	355,757.34	284.889			69
69	5,524.25	46,190.49	303,583.45	285.558	4,178.891	37,348.259	00
70	5,077.78	40,666.24	257,392.96	284.844	3,893.333	33,169.368	70
71	4,645.05	35,588.46	216,726.73	283.095	3,608.489	29,276.035	71
72	/	30,943.41	181,138.26	279.935	3,325.394	25,667.546	72
	4,226.65		,		3,045.459	22,342.152	73
73	3,823.61	26,716.76	150,194.85	275.260	1 ' .		1
74	3,436.99	22,893.15	123,478.09	269.313	2,770.199	19,296.693	74
75	3,067.56	19,456.16	100,584.94	261.468	2,500.886	16,526.494	75
76	2,716.76	16,388.60	81,128.78	251.902	2,239.418	14,025.608	76
77	2,385.73	13,671.84	64,740.18	240.876	1,987.516	11,786.190	77
78	2,075.36	11,286.11	51,068.34	228.052	1,746.640	9,798.674	78
79	1,786.86	9,210.75	39,782.23	213.704	1,518.588	8,052.034	79
				40% 004		0 500 440	00
80	1,521.12	7,423.887	30,571.484	197.991	1,304.884	6,533.446	80
81	1,278.82	5,902.767	23,147.597	181.063	1,106.893	5,228.562	81
82	1,060.51	4,623.947	17,244.830	163.404	925.830	4,121.669	82
83	866.216	3,563.437	12,620.883	145.035	762.426	3,195.839	83
84	695.951	2,697.221	9,057.446	126.705	617.391	2,433.413	84
QK	519 076	2,001.270	6,360.225	108.533	490.686	1,816.022	85
85	548.976			91.0068	382.153	1,325.336	86
86	424.452	1,452.294	4,358.955			943.1827	
87	321.083	1,027.842	2,906.661	74.7799	291.1461		
88	236.951	706.759	1,878.819	59.7092	216.3662	652.0366	88
89	170.341	469.808	1,172.060	48.3900	156.6570	435.6704	89
90	116.9892	299.4671	702.2519	37.2722	108.2670	279.0134	90
91	76.3096	182.4779	402.7850	26.5633	70.9948	170.7464	91
92	47.5237	106,1683	220.3071	17.9823	44.4315	99.7516	92
93	28.1573	58.6446	114.1388	11.6183	26.4492	55.3201	93
94	15.7189	30.4873	55.4942	7.05748		28.87092	94
				1			0.5
95	8.20357	14.76840	25.00690	3.98231	7.77341	14.04003	95
96	3.98231	6.56483	10.23852	2.16059	3.79110	6.26662	96
97	1.70573	2.58252	3.67369	.993631	1.630512	2.475523	97
98	.662419	.876794	1.091169	.428751	.636881	.845011	98
99	.214375	.214375	.214375	.208130	.208130	.208130	99

 $C_x = (l_x - l_{x+1})v^{x+1}; \quad M_x = C_x + C_{x+1} + \cdots; \quad R_x = M_x + M_{x+1} + \cdots$

LOGARITHMS OF COMMUTATION COLUMNS. 3 PER CENT.

AGE.	$\lambda \mathrm{D}_x.$	λN_x .	λS_x .	λC_x .	λM_x .	λR_x .	AGE.
10	4.871627	6.265518	7.579931	2.670366	$\begin{array}{c} 4.316615 \\ 4.306695 \\ 4.296874 \\ 4.287167 \\ 4.277561 \end{array}$	5.866757	10
11	4.855968	6.247619	7.558349	2.656186		5.854345	11
12	4.840297	6.229627	7.536576	2.641327		5.841861	12
13	4.824622	6.211535	7.514609	2.627137		5.829298	13
14	4.808935	6.193341	7.492440	2.613622		5.816652	14
15	4.793237	$\begin{array}{c} 6.175039 \\ 6.156625 \\ 6.138093 \\ 6.119438 \\ 6.100654 \end{array}$	7.470062	2.599425	4.268042	5.803916	15
16	4.777526		7.447467	2 585224	4.258626	5.791084	16
17	4.761808		7.424648	2.571704	4.249314	5.778148	17
18	4.746073		7.401596	2.558182	4.240093	5.765103	18
19	4.730323		7.378303	2.544659	4.230964	5.751940	19
20 21 22 23 24	$\begin{array}{c} 4.714559 \\ 4.698776 \\ 4.682971 \\ 4.667146 \\ 4.651296 \end{array}$	6.081736 6.062677 6.043471 6.024110 6.004587	7.354760 7.330959 7.306889 7.282539 7.257901	2.531822 2.518985 2.506148 2.493996 2.481843	$\begin{array}{c} 4.221928 \\ 4.212971 \\ 4.204094 \\ 4.195300 \\ 4.186573 \end{array}$	5.738653 5.725233 5.711672 5.697962 5.684093	20 21 22 23 24
25	4.635421	5.984894	7.232962	$\begin{array}{c} 2.469689 \\ 2.458896 \\ 2.447416 \\ 2.436606 \\ 2.427128 \end{array}$	4.177916	5.670056	25
26	4.619518	5.965024	7.207711		4.169328	5.655842	26
27	4.603580	5.944966	7.182135		4.160787	5.641439	27
28	4.587608	5.924714	7.156223		4.152301	5.626837	28
29	4.571601	5.904255	7.129961		4.143862	5.612025	29
30	4.555544	5.883581	$\begin{array}{c} 7.103334 \\ 7.076327 \\ 7.048926 \\ 7.021114 \\ 6.992874 \end{array}$	2.416959	4.135443	5.596989	30
31	4.539445	5.862681		2.407435	4.127059	5.581718	31
32	4.523292	5.841542		2.398540	4.118696	5.566200	32
33	4.507087	5.820154		2.390257	4.110344	5.550418	33
34	4.490817	5.798501		2.382567	4.101990	5.534359	34
35	4.474481	5.776573	6.964187	2.376079	$\begin{array}{c} 4.093625 \\ 4.085221 \\ 4.076795 \\ 4.068321 \\ 4.059779 \end{array}$	5.518008	35
36	4.458061	5.754352	6.935035	2.368878		5.501346	36
37	4.441565	5.731825	6.905398	2.362832		5.484359	37
38	4.424981	5.708974	6.875255	2.357885		5.467027	38
39	4.408294	5.685783	6.844582	2.353389		5.449330	39
40 41 42 48 44	4.391497 4.374575 4.357528 4.340328 4.322971	5.662231 5.638300 5.613969 5.589213 5.564011	$\begin{array}{c} 6.813357 \\ 6.781554 \\ 6.749148 \\ 6.716110 \\ 6.682410 \end{array}$	$\begin{array}{c} 2.349892 \\ 2.346198 \\ 2.344526 \\ 2.342574 \\ 2.341926 \end{array}$	4.051154 4.042427 4.033597 4.024618 4.015492	5.431248 5.412760 5.393841 5.374468 5.354616	40 41 42 43 44
45	4.305434	5.538336	$\begin{array}{c} 6.648017 \\ 6.612898 \\ 6.577017 \\ 6.540337 \\ 6.502816 \end{array}$	2.341962	4.006183	5.334255	45
46	4.287706	5.512159		2.342611	3.996672	5.313356	46
47	4.269761	5.485453		2.344284	3.986931	5.291888	47
48	4.251582	5.458185		2.346408	3.976928	5.269817	48
49	4.233143	5.430321		2.349365	3.966638	5.247109	49
50	4.214422	5.401826	$\begin{array}{c} 6.464416 \\ 6.425086 \\ 6.384782 \\ 6.343450 \\ 6.301037 \end{array}$	2.353049	3.956026	5.223723	50
51	4.195383	5.372659		2.357360	3.945054	5.199619	51
52	4.176002	5.342781		2.362203	3.933684	5.174753	52
53	4.156242	5.312144		2.367488	3.921875	5.149080	53
54	4.136069	5.280702		2.373134	3.909586	5.122548	54

LOGARITHMS OF COMMUTATION COLUMNS. 3 PER CENT.

		1	1			1	
AGE.	λD_x .	λN_x .	λS_x .	λC_x .	λM_x .	λR_x .	AGE.
EE	1.115 (00	E 949409	6.257481	2.379759	3.896771	5.095102	55
55	4.115439	5.248403		2.386212		5.066684	56
56	4.094302	5.215188	6.212720		3.883360		57
57	4.072616	5.181000	6.166688	2.393428	3.869311	5.037233	
58	4.050312	5.145771	6.119311	2.400363	3.854545	5.006680	58
59	4.027342	5.109432	6.070511	2.407303	3.839009	4.974955	59
60	4.003641	5.071906	6.020205	2.414486	3.822632	4.941976	60
61	3.979127	5.033113	5.968304	2.421576	3.805323	4.907662	61
62	3.953720	4.992959	5.914710	2.428044	3.786993	4.871918	62
63	3.927341	4.951351	5.859320	2.434413	3.767561	4.834648	63
64	3.899882	4.908181	5.802021	2.440200	3.746910	4.795743	64
65	3.871238	4.863336	5.742691	2.445442	3.724931	4.755087	65
66	3.841287	4.816692	5.681200	2.449536	3.701491	4.712555	66
67	3.809911	4.768113	5.617405	2.452995	3.676471	4.668009	67
	3.776948	4.717453	5.551154	2.454676	3.649703	4.621301	68
68		4.664552	5.482278	2.455695	3,621061	4.572270	69
09	3.742273	4.004992	0.408810	2.400000		1.012210	
70	3.705674	4.609234	5.410597	2.454606	3.590321	4.520737	70
71	3.666990	4.551309	5.335912	2.451932	3.557326	4.466513	71
72	3.625996	4.490568	5.258010	2.447057	3.521843	4.409384	72
73	3.582474	4.426784	5.176655	2.439743	3.483653	4.349125	73
74	3.536178	4.359706	5.091590	2.430257	3.442511	4.285483	74
75	3.486794	4.289057	5.002533	2.417419	3.398094	4.218181	75
76	3.434051	4.214542	4.909175	2.401231	3.350135	4.146922	76
77	3.377621	4.135827	4.811174	2.381793	3.298311	4.071373	77
		4.052544	4.708152	2.358035	3.242203	3.991167	78
78	3.317094		4.599690	2.329813	3.181440	3.905906	79
79	3.252091	3.964295	4.099000	2.020010			
80	3.182162	3.870631	4.485317	2.296645	3.115572	3.815142	80
81	3.106809	3.771056	4.364506	2.257828	3.044105	3.718382	81
82	3.025515	3.665013	4.236659	2.213264	2.966531	3.615073	82
83	2.937626	3.551869	4.101090	2.161473	2.882198	3.504585	83
84	2.842579	3.430916	3.957006	2.102795	2.790560	3.386216	84
85	2.739553	3.301306	3,803473	2.035563	2.690804	3.259121	85
86	2.627829	3.162055	3.639382	1.959073	2.582237	3.122326	86
87	2.506618	3.011926	3.463394	1.873785	2.464111	2.974596	87
88	2.374659	2.849271	3.273885	1.776042	2.335189	2.814272	88
89	2.231318	2.671920	3.068950	1.684756	2.194950	2.639158	89
00	%. &01010	2.071920	0.00000				
90	2.068146	2.476349	2.846493	1.571385	2.034496	2.445625	90
91	1.882579	2.261210	2.605074	1.424280	1.851228	2.232352	91
92	1.676910	2.025995	2.343028	1.254844	1.647691	1.998920	92
93	1.449591	1.768228	2.057433	1.065143	1.422413	1.742883	93
94	1.196422	1.484119	1.744248	0.848650	1.171168	1.460461	94
95	0.914003	1.169334	1.398060	0.600135	0.890611	1.147368	95
96	0.600135	0.817223	1.010237	0.334573	0.578765	0.797033	96
97	0.231910	0.412043	0.565103	$\overline{1.997225}$	0.212324	0.393667	97
98	1.821133	$\frac{0.412043}{1.942898}$	0.037892	$\bar{1}.632205$	$\bar{1}.804059$	$\bar{1}.926863$	98
99	1.331175	1.342030 1.331175	1.331175	1.318338	$\bar{1}.318338$	1.318338	99
00	1.001110	1.001110	1,001110			l	

TABLE XXXIV.

COMMUTATION COLUMNS, $3\frac{1}{2}$ PER CENT.

AGE.	$\mathrm{D}_x.$	N_x .	\mathbf{S}_{x} .	\mathbf{C}_x .	M_x .	\mathbf{R}_{x} .	AGE.
10	70,892.0	1,602,284.9	31,098,393,9	443.845	16,735.405	551,200.709	10
11	68,050.8	1,531,392.9	29,496,109.0	427.512	16,291.560	534,465.304	11
12	65,322.1	1,463,342.1	27,964,716.1	411.138	15,864.048	518,173.744	12
13	62,701.9	1,398,020.0	26,501,374.0	395.998	15,452.910	502,309.696	13
14	60,185.5	1,335,318.1	25,103,354.0	382.010	15,056.912	486,856.786	14
15	57,768.4	1,275,132.6	23,768,035.9	367.938	14,674.902	471,799.874	15
16	55,446.7	1,217,364.2	22,492,903.3	354.382	14,306.964	457,124.972	16
17	53,217.4	1,161,917.5	21,275,539.1	341.859	13,952.582	442,818.008	17
18	51,076.0	1,108,700.1	20,113,621.6	329.779	13,610.723	428,865.426	18
19	49,019.0	1,057,624.1	19,004,921.5	318.124	13,280.944	415,254.703	19
20	47,043.2	1,008,605.1	17,947,297.4	307.366	12,962.820	401,973,759	20
21	45,145.0	961,561.9	16,938,692.3	296.972	12,655.454	389,010,939	21
22	43,321.3	916,416.9	15,977,130.4	286.930	12,358.482	376,355,485	22
23	41,569.4	873,095.6	15,060,713.5	277.665	12,071.552	363,997,003	23
24	39,886.1	831,526.2	14,187,617.9	268.698	11,793.887	351,925,451	24
25	38,268.6	791,640.1	13,356,091.7	260.021	11,525.189	340,131.564	25
26	36,714.5	753,371.5	12,564,451.6	252.413	11,265.168	328,606.375	26
27	35,220.5	716,657.0	11,811,080.1	244.640	11,012.755	317,341.207	27
28	33,784.8	681,436.5	11,094,423.1	237.474	10,768.115	306,328.452	28
29	32,404.8	647,651.7	10,412,986.6	231.225	10,530.641	295,560.337	29
30	31,077.8	615,246.9	9,765,334.9	224.782	10,299.416	285,029,696	30
31	29,802.1	584,169.1	9,150,088.0	218.844	10,074.634	274,730,280	31
32	28,575.4	554,367.0	8,565,918.9	213.372	9,855.790	264,655,646	32
33	27,395.8	525,791.6	8 011,551.9	208.330	9,642.418	254,799,856	33
34	26,261.0	498,395.8	7,485,760.3	203.684	9,434.088	245,157,438	34
35	25,169.3	472,134.8	6,987,364.5	199.695	9,230,404	235,723.350	35
36	24,118.4	446,965.5	6,515,229.7	195.462	9,030,709	226,492.946	36
37	23,107.3	422,847.1	6,068,264.2	191.828	8,835,247	217,462.237	37
38	22,134.2	399,739.8	5,645,417.1	188.740	8,643,419	208,626.990	38
39	21,196.9	377,605.6	5,245,677.3	185.893	8,454,679	199,983.571	39
40	20,294.2	356,408.7	4,868,071.7	183.512	8,268.786	191,528.892	40
41	19,424.4	336,114.5	4,511,663.0	181.078	8,085.274	183,260.106	41
42	18,586.5	316,690.1	4,175,548.5	179.511	7,904.196	175,174.832	42
43	17,778.4	298,103.6	3,858,858.4	177.843	7,724.685	167,270.636	43
44	16,999.4	280,325.2	3,560,754.8	176.720	7,546.842	159,545.951	44
45	16,247.8	263,325.8	3,280,429.6	175.881	7,370.122	151,999.109	45
46	15,522.5	247,078.0	3,017,103.8	175.293	7,194.241	144,628.987	46
47	14,822.3	231,555.5	2,770,025.8	175.119	7,018.948	137,434.746	47
48	14,145.9	216,733.2	2,538,470.3	175.128	6,843.829	130,415.798	48
49	13,492.4	202,587.3	2,321,737.1	175.473	6,668.701	123,571.969	49
50	12,860.7	189,094.9	2,119,149.8	176.112	6,493.228	116,903.268	50
51	12,249.7	176,234.2	1,930,054.9	177.010	6,317.116	110,410.040	51
52	11,658.4	163,984.5	1,753,820.7	178.130	6,140.106	104,092.924	52
53	11,086.1	152,326.1	1,589,836.2	179.440	5,961.976	97,952.818	53
54	10,531.7	141,240.0	1,437,510.1	180.910	5,782.536	91,990.842	54

TABLE XXXIV.

COMMUTATION COLUMNS. $\mathbf{3}_{\overline{2}}^{1}$ PER CENT.

	1	1	1	1			1
AGE.	D_x .	N_x .	S_{x} .	\mathbf{C}_{x}	M_x .	R_{x} .	AGE.
55	9,994.66	130,708.28	1,296,270.07	182.803	5,601.626	86,208.306	55
56	9,473.86	120,713.62	1,165,561.79	184.644	5,418,823	80,606.680	56
57	8,968.85	111,239.76	1,044,848.17	186.830	5,234.179	75,187.857	57
58	8,478.73	102,270.91	933,608.41	188.920	5,047.349	69,953.678	58
59	8,803.10	93,792.18	831,337.50	191.036	4,858.429	64,906.329	59
60	7,541.42	84,989.08	737,545.32	193.284	4,667.393	60,047.900	60
61	7,093.12	77,447.66	652,556.24	195.516	4,474.109	55,380.507	61
62	6,657.73	70,354.54	575,108.58	197.491	4,278.593	50,906.398	62
63	6,235.11	63,696.81	504,754.04	199.440	4,081.102	46,627.805	63
64	5,824.80	57,461.70	441,057.23	201.139	3,881.662	42,546.703	64
	5,426.69	51,636.90	383,595.53	202.598	3,680.523	38,665.041	65
	5,040.59	46,210.21	331,958.63		3,477.925	34,984.518	66
	4,666.62	41,169.62	285,748.42	204.165	3,274.396	31,506.593	67
	4,304.63	36,503.00	244,578.80	203.967	3,070.231	28,232.197	68
69	3,955.10	32,198.37	208,075.80	203.459	2,866.264	25,161.966	69
	3,617.90	28,243.27	175,877.43	201.969	2,662.805	22,295.702	70
	3,293.58	24,625.37	147,634.16	199.759	2,460.836	19,632.897	71
72	2,982.44	21,331.79	123,008.79	196.575	2,261.077	17,172.061	72
	2,685.02	18,349.35	101,677.00	192.359	2,064.502	14,910.984	73
74	2,401.86	15,664.33	83,327.65	187.293	1,872.143	12,846.482	74
75	2,133.34	13,262.47	67,663.32	180.960	1,684.850	10,974.339	75
76	1,880.24	11,129.13	54,400.85	173.496	1,503.890	9,289.489	76
77	1,643.16	9,248.89	43,271.72	165.101	1,330.394	7,785.599	77
78	1,422.49	7,605.73	34,022.83	155.556	1,165.293	6,455.205	78
79	1,218.832	6,183.245	26,417.108	145.065	[1,009.737]	5,289.912	79
80	1,032.552	4,964.413	20,233.863	133.749	864.672	4,280.175	80
81	863.885	3,931.861	15,269.450	121.723	730.923	3,415.503	81
82	712.948	3,067.976	11,337.589	109.321	609.200	2,684.580	82
83	579.518	2,355.028	8,269.613	96.5629	499.8792	2,075.3797	83
84	463.358	1,775.510	5,914.585	83.9517	403.3163	1,575.5005	84
85	363.737	1,312.152	4,139.075	71.5639	319.3646	1,172.1842	85
86	279.872	948.415	2,826.923	59.7175	247.8007		86
87	210.691	668.543	1,878.508	48.8326	188.0832	605.0189	87
88	154.733	457.852	1,209.965	38.8028	139.2506	416.9357	88
89	110.698	303.119	752.113	31.2950	100.4478	277.6851	89
90	75.6598	192.4206	448.9945	23.9884	69.1528	177.2373	90
91	49.1127	116.7608	256.5739	17.0135	45.1644	108.0845	91
92	30.4385	67.6481	139.8131	11.4618	28.1509	62.9201	92
93	17.9474	37.2096	72.1650	7.36969		34.76921	93
94	9.97075	19.26219	34.95535	4.45506	9.31938	18.08014	94
95	5.17852	9.29144	15.69316	2.50170	4.86432	8.76076	95
96	2.50170	4.11292	6.40172	1.35074	2.36262	3.89644	96
97	1.06637	1.61122	2.28880	.618184	1.011883	1.533823	97
98	.412123	.544852	.677581	.265458	.393699	.521940	98
99	.132729	.132729	.132729	.128241	.128241	.128241	99

TABLE XXXIV.

LOGARITHMS OF COMMUTATION COLUMNS. $\mathbf{3}_{\frac{1}{2}}$ PER CENT.

		1			1	1	
AGE.	λD_x .	λN_x .	λS_x .	λC_x .	λM_x .	λR_x .	AGE,
10	4.850597	6.204740	7.492738	2.647231	4.223636	5.741310	10
11	4.832833	6.185087	7.469765	2.630948	4.211963	5.727919	11
12	4.815060	6.165346	7.446610	2.613987	4.200414	5.714475	12
13	4.797281	6.145513	7.423268	2.597693	4.189010	5.700972	13
14	4.779492	6.125585	7.399732	2.582075	4.177736	5.687401	14
15	4.761690	6.105555	7.375993	2.565775	4.166575	5.673758	15
16	4.743876	6.085420	7.352046	2.549471	4.155547	5.660035	16
17	4.726054	$6.065175 \\ 6.044814$	7.327881	2.533847 2.518223	4.144655	5.646225 5.632321	17
19	4.708217 4.690364	6.024331	7.303490 7.278866	2.502597	$\begin{array}{c} 4.133881 \\ 4.123229 \end{array}$	5.618315	19
20 21	4.672497	6.003721	7.253999	2.487656	4.112700	5.604198	20
22	$\begin{array}{c c} 4.654610 \\ 4.636702 \end{array}$	5.982977 5.962093	7.228880 7.203499	$2.472716 \ 2.457776$	4.102278 4.091966	5.589962 5.575598	21 22
23	4.636702	5.941062	7.203499	2.437776 2.443521	4.091966	5.561097	23
24	4.600822	5.919876	7.151909	2.429265	4.071658	5.546451	24
25	4.582842	5.898528	7.125679	2.415008	4.061648	5.531647	25
26 27	$\begin{array}{c} 4.564837 \\ 4.546796 \end{array}$	$\begin{bmatrix} 5.877009 \\ 5.855311 \end{bmatrix}$	7.099143 7.072290	2.402111 2.388528	4.051738 4.041896	$5.516676 \\ 5.501527$	26 27
28	$\frac{4.546796}{4.528721}$	5.833426	7.045105	2.375616	4.032140	5.486188	28
29	4.510609	5.811341	7.017575	2.364034	4.032140 4.022454	5.470646	29
30	4.492450	5.789050	6.989687	2.351762	4.012812	5.454891	30
31	4.492450 4.474247	5.766538	6.961425	2.340135	4.003229	5.434891 5.438906	31
32	4.455993	5.743798	6.932774	2.329137	3.993692	5.422681	32
33	4.437684	5.720813	6.903717	2.318750	3.984186	5.406199	33
34	4.419311	5.697574	6.874236	2.308958	3.974700	5.389445	34
35	4.400871	5.674066	6.844313	2.300367	3.965221	5.372402	35
36	4.382349	5.650274	6.813930	2.291063	3.955722	5.355055	36
37	4.363750	5.626183	6.783065	2.282913	3.946219	5.337383	37
38	4.345063	5.601778	6.751696	2.275864	3.936686	5.319371	38
39	4.326272	5.577038	6.719802	2.269264	3.927097	5.300994	39
40	4.307372	5.551948	6.687357	2.263664	3.917442	5.282234	40
41	4.288348	5.526487	6.654337	2.257866	3.907695	5.263068	41
42	4.269197	5.500634	6.620714	2.254091	3.897858	5.243472	42
43	4.249893 4.230434	5.474367 5.447662	$\begin{bmatrix} 6.586459 \\ 6.551542 \end{bmatrix}$	$\begin{bmatrix} 2.250036 \\ 2.247285 \end{bmatrix}$	3.887881	5.223420	43
XX					3.877765	5.202886	
45	4.210794	5.420493	6.515931	2.245218	3.867475	5.181841	45
46	4.190961	5.392834	6.479590	2.243764	3.856985	5.160255	46
47	4.170915	5.364655 5.335925	$\begin{array}{c c} 6.442484 \\ 6.404572 \end{array}$	$\begin{bmatrix} 2.243334 \\ 2.243355 \end{bmatrix}$	3.846272	5.138097	47
48	$\begin{array}{ c c c c }\hline 4.150631 \\ 4.130090 \\ \hline\end{array}$	5.306612	6.365813	2.244209	3.835299 3.824041	$\begin{bmatrix} 5.115330 \\ 5.091920 \end{bmatrix}$	48
50	4.109265	5.276680	6.326162	2.245790	3.812461	5.067827	50
51	4.088124	5.246090	6.285570	2.247998	3.800519	5.043008	51
52 53	4.066640	5.214803 5.182774	$\begin{array}{c} 6.243985 \\ 6.201352 \end{array}$	$oxed{2.250737} \ 2.253919$	$3.788176 \\ 3.775391$	5.017421	52
54	4.044777 4.022499	5.149958	6.201552 6.157608	2.257462	3.762119	4.991017 4.963744	53 54
O.T.	1.0005100	0.110000	0.101000	2.201102	0.102110	1.000744	UT

LOGARITHMS OF COMMUTATION COLUMNS. $\mathbf{3}_{\frac{1}{2}}$ PER CENT.

AGE.	λD_x .	λN_x .	$\lambda \mathrm{S}_x$	λC_x .	$\lambda \mathrm{M}_x$.	$\lambda \mathrm{R}_x.$	AGE.
55	3.999768	5.116303	6.112696	2.261984	3.748314	4.935550	55
56	3.976527	5.081756	6.066535	2.266334	3.733905	4.906371	56
57	3.952737	5.046260	6.019053	2.271446	3.718849	4.876148	57
58	3.928331	5.009752	5.970165	2.276278	3.703063	4.844811	58
59	3,903258	4.972167	5.919777	2.281116	3.686496	4.812287	59
60	3.877453	4.929363	5.867789	2.286195	3.669074	4.778498	60
61	3.850837	4.889008	5.814618	2.291182	3.650707	4.743357	61
62	3.823326	4.847292	5.759750	2.295547	3.631301	4.706773	62
63	3.794844	4.804118	5.703080	2.299813	3.610777	4.668645	63
64	3.765281	4.759379	5.644495	2.303497	3.589018	4.628866	64
65	3.734535	4.712960	5.583873	2.306636	3.565909	4.587318	65
66	3.702481	4.664738	5.521084	2.308627	3.541321	4.543876	66
67	3.669002	4.614577	5.455984	2.309982	3.515132	4.498401	67
68	3.633936	4.562329	5.388419	2.309560	3.487171	4.450745	68
69	3.597157	4.507834	5.318222	2.308476	3.457316	4.400744	69
70	3.558456	4.450915	5.245210	2.305284	3.425340	4.348221	70
71	3.517668	4.391383	5.169187	2.300507	3.391083	4.292985	71
72	3.474572	4.329027	5.089936	2.293529	3.354316	4.234823	72
73	3.428947	4.263620	5.007223	2.284112	3.314815	4.173506	73
74	3.380547	4.194912	4.920789	2.272522	3.272338	4.108784	74
75	3.329060	4.122625	4.830353	2.257582	3.226561	4.040379	75
76	3.274213	4.046461	4.735606	2.239291	3.177216	3.967992	76
77	3.215680	3.966090	4.636204	2.217750	3.123979	3.891292	77
78	3.153050	3.881141	4.531770	2.191888	3.066434	3.809910	78
79	3.085944	3.791216	4.421885	2.161563	3.004208	3.723448	79
80	3.013912	3.695868	4.306079	2.126291	2.936850	3.631462	80
81	2.936456	3.594598	4.183823	2.085372	2.863872	3.533454	81
82	2.853058	3.486852	4.054521	2.038705	2.784760	3.428877	82
83	2.763067	3.371996	3.917485	1.984810	2.698865	3.317098	83
84	2.665917	3.249323	3.771924	1.924029	2.605646	3.197418	84
85	2.560787	3.117984	3.616903	1.854694	2.504287	3.068996	85
86	2.446960	2.976999	3.451314	1.776101	2.394103	2.930857	86
87	2.323646	2.825129	3.273813	1.688710	2.274350	2.781769	87
88	2.189584	2.660725	3.082773	1.588863	2.143798	2.620069	88
89	2.044140	2.481613	2.876283	1.495475	2.001940	2.443553	89
90	1.878865	2.284251	2.652241	1.380000	1.839811	2.248555	90
91	1.691194	2.067297	2.409213	1.230793	1.654796	2.033763	91
92	1.483423	1.830256	2.145548	1.059254	1.449492	1.798790	92
93	1.254001	1.570655	1.858327	0.867449	1.222433	1.541195	93
94	0.998728	1.284706	1.543513	0.648853	0.969388	1.257201	94
95	0.714206	0.968083	1.195710	0.398235	0.687022	0.942542	95
96	0.398235	0.614150	0.806297	0.130570	0.373394	0.590668	96
97	0.027907	0.207154	0.359608	1.791118	0.005129	0.185775	97
98	$\bar{1}.615027$	$\bar{1}.736279$	$\bar{1}.830961$	$\bar{1}.423995$	1.595164	1.717621	98
99	1.122965	$\bar{1}.122965$	$\bar{1}.122965$	1.108025	1.108025	1.108025	99

COMMUTATION COLUMNS. 4 PER CENT.

	1		1	1			
AGE.	\mathbf{D}_{x} .	N_x .	S_x .	\mathbf{C}_{x} .	M_x .	R_x .	AGE.
10	67,556.5	1,400,554.9	25,570,207.5	$\begin{array}{c} 420.929 \\ 403.490 \\ 386.169 \\ 370.161 \\ 355.369 \end{array}$	13,688.944	417,085.094	10
11	64,537.2	1,332,998.4	24,169,652.6		13,268.015	403,396.150	11
12	61,651.5	1,268,461.2	22,836,654.2		12,864.525	390,128.135	12
13	58,894.1	1,206,809.7	21,568,193.0		12,478.356	377,263.610	13
14	56,258.7	1,147,915.6	20,361,383.3		12,108.195	364,785.254	14
15	53,739.7	$1,091,656.9 \\ 1,037,917.2 \\ 986,585.1 \\ 937,553.8 \\ 890,721.8$	19,213,467.7	340.634	11,752.826	352,677.059	15
16	51,332.1		18,121,810.8	326.505	11,412.192	340,924.233	16
17	49,031.3		17,083,893.6	313.454	11,085.687	329,512.041	17
18	46,832.0		16,097,308.5	300.923	10,772.233	318,426.354	18
19	44,729.9		15,159,754.6	288.893	10,471.310	307,654.121	19
20	42,720.6	845,991.9	14,269,032.8	277.782	10.182.417	297,182.811	20
21	40,799.7	803,271.3	13,423,040.9	267.098	9,904.635	287,000.394	21
22	38,963.4	762,471.6	12,619,769.6	256.825	9,637.537	277,095.759	22
23	37,207.9	723,508.2	11,857,298.0	247.337	9,380.712	267,458.222	23
24	35,529.6	686,300.3	11,133,789.8	238.199	9,133.375	258,077.510	24
25	33,924.9	650,770.7	10,447,489.5	$\begin{array}{c} 229.398 \\ 221.616 \\ 213.759 \\ 206.499 \\ 200.099 \end{array}$	8,895.176	248,944.135	25
26	32,390.6	616,845.8	9,796,718.8		8,665.778	240,048.959	26
27	30,923.2	584,455.2	9,179,873.0		8,444.162	231,383.181	27
28	29,520.1	553,532.0	8,595,417.8		8,230.403	222,939.019	28
29	28,178.2	524,011.9	8,041,885.8		8,023.904	214,708.616	29
30	26,894.3	495,833.7	7,517,873.9	193.589	7,823.805	206,684.712	30
31	25,666.4	468,939.4	7,022,040.2	187.568	7,630.216	198,860.907	31
32	24,491.6	443,273.0	6,553,100.8	181.999	7,442.648	191,230.691	32
33	23,367.6	418,781.4	6,109,827.8	176.843	7,260.649	183,788.043	33
34	22,292.1	395,413.8	5,691,046.4	172.069	7,083.806	176,527.394	34
35	21,262.6	373,121.7	5,295,632.6	167.888	6,911.737	169,443.588 162,531.851 155,788.002 149,207.692 142,787.109	35
36	20,276.9	351,859.1	4,922,510.9	163.539	6,743.849		36
37	19,333.4	331,582.2	4,570,651.8	159.727	6,580.310		37
38	18,430.2	312,248.8	4,239,069.6	156.400	6,420.583		38
39	17,564.9	293,818.6	3,926,820.8	153.301	6,264.183		39
40	16,736.0	276,253.7	3,633,002.2	150.609	6,110,882	136,522,926	40
41	15,941.7	259,517.7	3,356,748.5	147.898	5,960,273	130,412,044	41
42	15,180.7	243,576.0	3,097,230.8	145.913	5,812,375	124,451,771	42
43	14,450.9	228,395.3	2,853,654.8	143.862	5,666,462	118,639,396	43
44	13,751.2	213,944.4	2,625,259.5	142.266	5,522,600	112,972,934	44
45	13,080.1	200,193.2	2,411,315.1	140.909	5,380.334	107,450.334	45
46	12,436.1	187,113.1	2,211,121.9	139.764	5,239.425	102,070.000	46
47	11,818.0	174,677.0	2,024,008.8	138.954	5,099.661	96,830.575	47
48	11,224.5	162,859.0	1,849,331.8	138.292	4,960.707	91,730.914	48
49	10,654.5	151,634.5	1,686,472.8	137.898	4,822.415	86,770.207	49
50 51 52 53 54	10,106.8 9,580.36 9,074.11 8,587.13 8,118.54	121,292.83 112,218.72	1,534,838.27 1,393,858.28 1,262,985.09 1,141,692.26 1,029,473.54	137.736 137.773 137.978 138.324 138.787	4,684.517 4,546.781 4,409.008 4,271.030 4,132.706	81,947.792 77,263.275 72,716.494 68.307.486 64,036.456	50 51 52 53 54

COMMUTATION COLUMNS. 4 PER CENT.

AGE.	D_x .	N_{x^*}	S_x .	C_x .	M_x .	R_{ω} .	AGE.
55 56 57 58 59	7,667.49 7,233.03 6,814.55 6,411.17	95,513.05 87,845.56 80,612.53 73,797.98	925,841,95 830,328,90 742,483,34 661,870,81	139.565 140.292 141.271 142.165	3,993.919 3,854.354 3,714.062 3,572.791	59,903.750 55,909.831 52,055.477 48,341.415	55 56 57 58 59
60 61 62 63 64	5,647.73 5,286.45 4,938.11 4,602.42 4,278.88	67,386.81 61,364.38 55,716.65 50,430.20 45,492.09 40,889.67	588,072.83 520,686.02 459,321.64 403,604.99 353,174.79 307,682.70	144.053 145.016 145.777 146.508	3,430.626 3,287.560 3,143.507 2,998.491 2,852.714 2,706.206	44,768.624 41,337.998 38,050.438 34,906.931 31,908.440 29,055.726	60 61 62 63 64
65 66 67 68 69	3,967.26 3,667.28 3,378.87 3,101.79 2,836.23	36,610.79 32,643.53 28,976.25 25,597.38 22,495.59	266,793.03 230,182.24 197,538.71 168,562.46 142,965.08	147.366 147.116	2,559.160 2,411.760 2,264.394 2,117.278 1,971.012	26,349.520 23,790.360 21,378.600 19,114.206 16,996.928	65 66 67 68 69
70 71 72 73 74	2,581.94 2,339.19 2,108.03 1,888.68 1,681.38	19,659.36 17,077.42 14,738.23 12.630.20 10,741.52	120,469.49 100,810.13 83,732.71 68,994.48 56,364.28	143.444 141.193 138.274 134.657 130.481	1,825.812 1,682.368 1,541.175 1,402.901 1,268.244	15,025.916 13,200.104 11,517.736 9,976.561 8,573.660	70 71 72 73 74
75 76 77 78 79	1,486.23 1,303.60 1,133.76 976.78 832.910	$\begin{array}{c} 9,060.14 \\ 7,573.91 \\ 6,270.31 \\ 5,136.55 \\ 4,159.77 \end{array}$	45,622,76 36,562.62 28,988.71 22,718.40 17,581.85	$125.463 \\ 119.710 \\ 113.369 \\ 106.302 \\ 98.6560$	1,137.763 $1,012.300$ 892.590 779.221 672.9185	7,305.416 6,167.653 5,155.353 4,262.763 3,483.5424	75 76 77 78 79
80 81 82 83 84	702.220 584.688 480.212 388.462 309.105	3,326,861 2,624,641 2,039,953 1,559,741 1,171,279	13,422.083 10,095.222 7,470.581 5,430.628 3,870.887	90.5231 81.9874 73.2802 64.4168 55.7346	574.2625 483.7394 401.7520 328.4718 264.0550	$\begin{array}{c} 2,236.3614 \\ 1,752.6220 \\ 1,350.8700 \end{array}$	80 81 82 83 84
85 86 87 88 89	241.481 184.911 138.534 101.251 72.088	862.174 620.693 435.782 297.248 195.997	2,690.608 1,837.434 1,216.741 780.959 483.711	47.2821 39.2655 31.9541 25.2689 20.2818	208.3204 161.0383 121.7728 89.8187 64.5498	550.0228 388.9845 267.2117	85 86 87 88 89
90 91 92 93 94	$\begin{array}{c} 49.0339 \\ 31.6761 \\ 19.5375 \\ 11.4644 \\ 6.3385 \end{array}$	123.9092 74.8754 43.1993 23.6618 12.1974	287, 7138 163, 8046 88, 9292 45, 7299 22, 0681	15.4717 10.9204 7.32159 4.68498 2.81850	10.55435	$\begin{array}{c} 112.8432 \\ 68.5752 \\ 39.77885 \\ 21.90291 \\ 11.34856 \end{array}$	90 91 92 93 94
95 96 97 98 99	3.27621 1.57510 .668170 .256988 .082368	.339356	9.87072 4.01188 1.42925 .421724 .082368	1.57510 .846350 .385483 .164736 .079200	3.05087 1.475769 $.629419$ $.243936$ $.079200$.952555 $.323136$	95 96 97 98 99

LOGARITHMS OF COMMUTATION COLUMNS. 4 PER CENT.

					1	1	1
AGE.	$\lambda \mathrm{D}_{\varpi}.$	λN_{∞}	λS_{x} .	λC_{x} .	$\lambda \mathrm{M}_{\varpi}.$	$\lambda m R_{x}$	AGE,
10	4.829667	6.146300	7.407734	2.624208	4.136370	5.620225	10
11	4.809810	6.124829	7.383270	2.605832	4.122806	5.605732	11
12	4.789944	6.103277	7.358632	2.586777	4.109394	5.591207	12
13	4.770072	6.081639	7.333814	2.568391	4.096158	5.576645	13
14	4.750190	6.059910	7.308807	2.550679	4.083080	5.562037	14
14	4. (90190	0.000010	1.000001	2.000079	4.000000	0.002001	14
15	4.730295	6.038086	7.283606	2.532287	4.070142	5.547377	15
16	4.710389	6.016162	7.258202	2.513890	4.057369	5.532658	16
17	4.690473	5.994135	7.232587	2,496174	4.044763	5.517871	17
18	4.670543	5.971996	7.206756	2.478456	4.032306	5.503009	18
19	4.650598	5.949742	7.180692	2.460737	4.020001	5.488063	19
	4 000000	W 0341000					
20	4.630637	5.927366	7.154394	2.443704	4.007850	5.473024	20
21	4.610657	5.904862	7.127851	2.426670	3.995839	5.457883	21
22	4.590657	5.882224	7.101051	2.409637	3.983966	5.442630	22
23	4.570635	5.859443	7.073985	2.393289	3.972236	5.427256	23
24	4.550590	5.836514	7.046643	2.376940	3.960632	5.411750	24
25	4.530518	5.813428	7.019012	2.360590	3.949155	5.396102	25
26	4.510419	5.790177	6.991081	2.345601	3.937808	5.380300	26
27	4.490285	5.766751	6.962837	2.329925	3.926557	5.364332	27
28	4.470118	5.743143	6.934267	2.314919	3.915421	5.348186	28
29	4.449913	5.719341	6.905358	2.301245	3.904386	5.331849	29
30	4.429661	5.695336	6.876095	2.286880	3.893418	5.315308	30
31	4.409365	5.671117	6.846463	2.273159	3.882537	5.298549	31
32	4.389017	5.646671	6.816447	2.260068	3.871728	5.281558	32
33	4.368615	5.621987	6.786029	2.247589	3.860976	5.264317	33
34	4.348150	5.597052	6.755192	2.235703	3.850267	5.246812	34
35	4.327616	5.571850	6.723918	2.225019	3.839587	5.229025	35
36	4.307002	5.546369	6.692187	2.213622	3.828908	5.210938	36
37	4.286309	5.520591	6.659978	2.203379	3.818246	5.192534	37
38	4.265529	5.494501	6.627271	2.194237	3.807574	5.173791	38
39	4.244646	5.468079	6.594041	2.185544	3.796864	5.154689	39
					0. 10000±	0.101000	00
40	4.223652	5.441308	6.560266	2.177851	3.786104	5.135206	40
41	4.202535	5.414167	6.525919	2.169961	3.775266	5.115321	41
42	4.181292	5.386634	6.490974	2.164093	3.764354	5.095001	42
43	4.159894	5.358687	6.455401	2.157945	3.753312	5.074229	43
44	4.138342	5.330301	6.419172	2.153101	3.742144	5.052974	44
45	4.116610	5.301449	6.382254	2.148940	3.730809	5.031208	45
46	4.094683	5.272104	6.344613	2.145394	3.719284	5.008898	46
47	4.072544	5.242236	6.306212	2.142871	3.707541	4.986013	47
48	4.050168	5.211812	6.267015	2.140798	3.695544	4.962516	48
49	4.027533	5.180798	6.226979	2.139559	3.683265	4.938371	49
50	4.004615	5.149157	6.186062	2.139048	3.670665	4.913537	50
51	3.981382	5.116851	6.144219	2.139162	3.657704	4.887973	51
52	3.957804	5.083835	6.101398	2.139809	3.644341	4.861633	52
53	3.933848	5.050065	6.057549	2.140898	3.630533	4.834468	53
54	3.909478	5.015492	6.012615	2.142348	3.616235	4.806427	54
							1

LOGARITHMS OF COMMUTATION COLUMNS. 4 PER CENT.

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AGE.	λD_{x} .	λN_{∞} .	λS_{x} .	λC_{x} .	$\lambda \mathrm{M}_{x} \cdot$	$\lambda \mathrm{R}_{x}$.	AGE.
55	3.884653	4.980063	5.966537	2.144777	3.601399	4.777454	55
56	3.859320	4.943720	5.919250	2.147034	3.585951	4.747488	56
57	3.833437	4.906403	5.870687	2.150053	3.569849	4.716466	57
58	3.806937	4.868044	5.820773	2.150033 2.152792	3.553008	4.684319	58
59	3.779772	4.828575	5.769431	2.155536	3,535374	4.650974	59
00	0.11011%	1.0%0019	0.100301	2.100000	0.000014	4.000014	00
60	3.751874	4.787916	5.716576	2.158523	3.516874	4.616349	60
61	3.723164	4.745985	5.662117	2.161417	3.497415	4.580360	61
62	3.693561	$4.702\overline{6}91$	5.605956	2.163689	3.476903	4.542912	62
63	3.662986	4.657936	5.547990	2.165862	3.455258	4.503906	63
64	3.631330	4.611614	5.488103	2.167453	3.432362	4.463232	64
C.F.	9 500 101	4 500000	F 4001W4	0.100400	0.400004	4 400000	0.5
65 66	3.598491 3.564344	4.563609	5.426174	2.168499	3.408097	4.420773	65
67	3.528771	$\begin{array}{c c} 4.513797 \\ 4.462042 \end{array}$	5.362072	2.168397	3.382334	4.376401	66
68	3.491613	4.408196	5.295651	2.167659	3.354951	4.329979	67
69	3.452741	4.352097	$5.226761 \ 5.155230$	2.165144 2.161967	3.325778	4.281356 4.230371	68
00	0.40%(41	4.002001	9.199%90	2.161967	3.294689	4.250571	69
70	3.411946	4.293569	5.080877	2.156682	3.261456	4.176841	70
71	3.369066	4.232422	5.003504	2.149812	3.225922	4.120577	71
72	3.323877	4.168445	4.922895	2.140740	3.187853	4.061367	72
73	3.276158	4.101410	4.838814	2.129230	3.147027	3.998981	73
74	3.225666	4.031066	4.751004	2.115548	3.103203	3.933166	74
w =	0.1112000	0 0541105		1			
75	3.172086	3.957135	4.659182	2.098515	3.056051	3.863645	75
76	3.115146	3.879320	4.563037	2.078130	3.005309	3.790120	76
77	3.054520	3.797289	4.462229	2.054496	2.950652	3.712258	77
78	2.989797	3.710672	4.356378	2.026542	2.891660	3.629691	78
79	2.920598	3.619069	4.245065	1.994123	2.827963	3.542021	79
80	2.846473	3.522035	4.127820	1.956759	2.759111	3.448803	80
81	2.766924	3.419070	4.004116	1.913747	2.684611	3.349542	81
82	2.681433	3.309620	3.873354	1.864986	2.603958	3.243688	82
83	2.589349	3.193052	3.734850	1.808999	2.516498	3.130614	83
84	2.490106	3.068660	3.587811	1.746125	2.421694	3.009620	84
85	2.382883	2.935595	3.429850	1.674697	2.318731	2.879866	85
86	2.266963	2.792877	3.264212	1.594011	2.206928	2.740381	86
87	2.141556	2.639269	3.085198	1.504527	2.085551	2.589932	87
88	2.005401	2.473119	2.892628	1.402587	1.953368	2.426855	88
89	1.857863	2.292249	2.684587	1.307105	1.809896	2.248936	89
	1 000 100	2 22					
90	1.690496	2.093104	2.458961	1.189538	1.646090	2.052475	90
91	1.500732	1.874339	2.214326	1.038238	1.459332	1.836167	91
92	1.290868	1.635477	1.949044	0.864606	1.252269	1.599652	92
93	1.059352	1.374048	1.660200	0.670708	1.023431	1.340502	93
94	0.801987	1.086267	1.343765	0.450019	0.768591	1.054941	94
95	0.515372	0.767812	0.994349	0.197308	0.484424	0.738716	95
96	0.197308	0.412062	0.603348	$\overline{1.927550}$	0.169018	0.385307	96
97	1.824887	0.003258	0.155108	1.586005	1.798940	1.978890	97
98	1.409913	1.530656	$\bar{1}.625028$	1.216789	1.387276	1.509385	98
99	2.915759	$\bar{2}.915759$	$\bar{2}.915759$	2.898726	$\bar{2}.898726$	$\bar{2}.898726$	99
							1

COMMUTATION COLUMNS. $\mathbf{4}\frac{1}{2}$ PER CENT.

						t	
AGE.	$\mathrm{D}_{x}.$	N_{x} .	S_x .	C_{α} .	M_{ω} .	R_x .	AGE.
10	64,392.8	1,232,047.6	21,206,324.6	399.297	11,338.107	318.856.514	10
11	61,220.7	1,167,654.8	19,974.277.0	380.923	10,938.810	307,518.407	11
12	58,203.5	1,106,434.1	18,806.622.2	362.827	10,557.887	296,579.597	12
13	55,334.1	1,048,230.6	17,700,188.1	346.123	10,195.060	286,021,710	13
14	52,605.2	992,896.5	16,651,957.5	330.701	9,848.937	275,826.650	14
15	50,009.3	940,291.3	15,659,061.0	315.471	9,518.236	265,977.713	15
16	47,540.2	890,282.0	14,718,769.7	300.940	9,202.765	256,459.477	16
17	45,192.2	842,741.8	13,828,487.7	287.528	8,901.825	247,256.712	17
18	42,958.6	797,549.6	12,985,745.9	274.714	8,614.297	238,354.887	18
19	40,833.9	754,591.0	12,188,196.3	262.469	8,339.583	229,740.590	19
20	38,813.1	713,757.1	11,433,605.3	251.166	8,077.114	221,401.007	20
21	36,890.5	674,944.0	10,719,848.2	240.351	7,825.948	213.323.893	21
22	35,061.5	638,053.5	10,044,904.2	230.001	7,585.597	205,497.945	22
23	33,321.7	602,992.0	9,406,850.7	220.444	7,355.596	197,912.348	23
24	31,666.4	569,670.3	8,803,858.7	211.284	7,135,152	190,556,752	24
25	30,091.5	538,003.9	8,234,188.4	202.504	6,923.868	183,421,600	25
26	28,593.2	507,912.4	7,696,184.5	194.698	6,721.364	176,497,732	26
27	27,167.2	479,319.2	7,188,272.1	186.897	6.526.666	169,776,368	27
28	25,810.4	452,152.0	6,708,952.9	179.686	6,339.769	163,249,702	28
29	24,519.3	426,341.6	6,256,800.9	173.283	6,160.083	156,909,933	29
30	23,290.1	401,822.3	5,830,459.3	166.843	5,986.800	150,749,850	30
31	22,120.4	378,532.2	5,428,637.0	160.881	5,819.957	144,763,050	31
32	21,007.0	356,411.8	5,050,104.8	155.357	5,659.076	138,943,093	32
33	19,947.0	335,404.8	4,693,693.0	150.234	5,503.719	133,284,017	33
34	18,937.8	315,457.8	4,358,288.2	145.479	5,353.485	127,780,298	34
35	17,976.8	296,520.0	4,042,830.4	141.264	5,208.006	122,426.813	35
36	17,061.5	278,543.2	3,746,310.4	136.947	5,066.742	117,218.807	36
37	16,189.7	261,481.7	3,467,767.2	133.115	4,929.795	112,152.065	37
38	15,359.5	245,292.0	3,206,285.5	129.719	4,796.680	107,222,270	38
39	14,568.4	229,932.5	2,960,993.5	126.539	4,666.961	102,425.590	39
40	13,814.5	215,364.1	2,731,061.0	123.723	4,540,422	97,758.629	40
41	13,095.9	201,549.6	2,515,696.9	120.914	4,416,699	93,218.207	41
42	12,411.0	188,453.7	2,314,147.3	118.721	4,295,785	88,801.508	42
43	11,757.9	176,042.7	2,125,693.6	116.492	4,177,064	84,505.723	43
44	11,135.0	164,284.8	1,949,650.9	114.648	4,060,572	80,328.659	44
45	$10,540.9 \\ 9,973.97 \\ 9,432.90 \\ 8,916.33 \\ 8,423.02$	153,149.8	1,785,366.1	113.012	3,945.924	76,268.087	45
46		142,608.93	1,632,216.26	111.555	3,832.912	72,322.163	46
47		132,634.96	1,489,607.33	110.380	3,721.357	68,489.251	47
48		123,202.06	1,356,972.37	109.329	3,610.977	64,767.894	48
49		114,285.73	1,233,770.31	108.496	3,501.648	61,156.917	49
50	7,951.85	105,862.71	1,119,484.58	107.849	3,393,152	57,655,269	50
51	7,501.55	97,910.86	1,013,621.87	107.362	3,285,303	54,262,117	51
52	7.071.17	90,409.31	915,711.01	107.007	3,177,941	50,976,814	52
53	6,659.66	83,338.14	825,301.70	106.762	3,070,934	47,798,873	53
54	6,266.11	76,678.48	741,963.56	106.607	2,964,172	44,727,939	54

COMMUTATION COLUMNS. $\mathbf{4}\frac{1}{2}$ PER CENT.

AGE.	D_x .	N_x .	$\mathrm{S}_x \cdot$	C_x .	$\mathrm{M}_x.$	\mathbb{R}_{x} .	AGE.
55 56 57 58 59	5,889.67 5,529.36 5,184.51 4,854.29 4,538.14	70,412.37 64,522.70 58,993.34 53,808.83 48,954.54	665,285.08 594,872.71 530,350.01 471,356.67 417,547.84	106.692 106.735 106.965 107.127 107.290	2,857.565 2,750.873 2,644.138 2,537.173 2,430.046	41,763.767 38,906.202 36,155.329 33,511.191 30,974.018	55 56 57 58 59
60 61 62 63 64	4,235.43 3,945.52 3,667.90 3,402.20 3,147.90	44,416.40 40,180.97 36,235.45 32,567.55 29,165.35	368,593.30 324,176.90 283,995.93 247,760.48 215,192.93	107.715	2,322.756 2,215.243 2,107.528 1,999.767 1,891.983	28,543.972 26,221.216 24,005.973 21,898.445 19,898.678	60 61 62 63 64
65 66 67 68 69	2,904.68 2,672.20 2,450.27 2,238.58 2,037.12	26,017.45 23,112.77 20,440.57 17,990.30 15,751.72	186,027.58 160,010.13 136,897.36 116,456.79 98,466.49	$107.405 \\ 106.866 \\ 106.174 \\ 105.056 \\ 103.791$	1,784.321 1,676.916 1,570.050 1,463.876 1,358.820	18,006.695 16,222.374 14,545.458 12,975.408 11,511.532	65 66 67 68 69
70 71 72 73 74	1,845.61 1,664.09 1,492.47 1,330.77 1,179.04	13,714.60 11,868.99 10.204.90 8,712.43 7,381.66	82,714.77 69,000.17 57,131.18 46,926.28 38,213.85	$\begin{array}{c} 102.045 \\ 99.9629 \\ 97.4282 \\ 94.4261 \\ 91.0598 \end{array}$	1,255.029 $1,152.9835$ $1,053.0206$ 955.5924 861.1663	7,744.6997 6,691.6791	70 71 72 73 74
75 76 77 78 79	1,037.20 905.403 783.670 671.933 570.223	6,202.62 5,165.420 4,260.017 3,476.347 2,804.414	30,832.19 24,629.570 19,464.150 15,204.133 11,727.786	87.1385 82.7453 77.9877 72.7760 67.2183	$770.1065 \\682.9680 \\600.2227 \\522.2350 \\449.4590$	4,104.8139 3,421.8459 2.821.6232	75 76 77 78 79
80 81 82 83 84	478.451 396.465 324.064 260.894 206.604	$\begin{array}{c} 2,234.191 \\ 1,755.740 \\ 1,359.275 \\ 1,035.211 \\ 774.317 \end{array}$	8,923.372 6,689.181 4,933.441 3,574.166 2,538.955	61.3819 55.3280 49.2155 43.0558 37.0744	382.2407 320.8588 265.5308 216.3153 173.2595	1,467.6885 1,146.8297 881.2989	80 81 82 83 84
85 86 87 88 89	160.632 122.413 91.2723 66.3897 47.0415	567.713 407.081 284.6678 193.3955 127.0058	$\begin{array}{c} 1,764.638 \\ 1,196.925 \\ 789.8437 \\ 505.1759 \\ 311.7804 \end{array}$	31.3014 25.8699 20.9521 16.4894 13.1716	136.1851 104.8837 79.0138 58.0617 41.5723	$\begin{array}{c} 250.6553 \\ 171.6415 \end{array}$	85 86 87 88 89
90 91 92 93 94	31.8442 20.4731 12.5671 7.33902 4.03822	79.9643 48.1201 27.6470 15.07986 7.74084		9.99977 7.02435 4.68696 2.98476 1.78706	$\begin{array}{c} 11.37660 \\ 6.68964 \end{array}$	43.60674 25.20579 13.82919	90 91 92 93 94
95 96 97 98 99	2.07726 .993905 .419605 .160615 .051233	.631453 .211848	.263081	$\begin{array}{c} .993905 \\ .531500 \\ .240922 \\ .102465 \\ .049027 \end{array}$	$.923914 \\ .392414 \\ .151492$	$\begin{array}{c} 1.516847 \\ .592933 \\ .200519 \end{array}$	95 96 97 98 99

Logarithms of commutation columns. $\mathbf{4}^{1}_{2}$ per cent.

[1				1	
AGE.	λD_x .	λN_x .	λS_x .	λC_{x} .	λM_x .	λR_{z} .	AGE.
10	4.808837	6.090628	7.326465	2.601296	4.054541	5.503595	10
11	4.786898	6.067315	7.300471	2.580837	4.038970	5.487871	11
12	4.764949	6.043926	7.274311	2.559699	4.023576	5.472141	12
13	4.742993	6.020457	7.247978	2.539230	4.008390	5.456399	13
14	4.721029	5.996904	7.221465	2.519436	3.993390	5.440636	14
15	4.699051	5.973262	7.194766	2.498960	3.978557	5.424845	15
16	4.677061	5.949528	7.167871	2.478480	3.963919	5.409019	16
17	4.655063	5.925695	7.140775	2.458681	3.949479	5.393148	17
18	4.633050	5.901758	7.113467	2.438880	3.935220	5.377224	18
19	4.611021	5.877712	7.085939	2.419078	3.921144	5.361238	19
20	4.588978	5.853551	7.058183	2.399962	3.907256	5.345180	20
21	4.566915	5.829268	7.030189	2.380845	3.893537	5.329040	21
22	4.544831	5.804857	7.001946	2.361729	3.879990	5.312808	22
23	4.522727	5.780312	6.973444	2.343298	3.866618	5.296473	23
24	4.500599	5.755624	6.944673	2.324866	3.853403	5.280024	24
25	4.478444	5.730785	$\begin{array}{c} 6.915621 \\ 6.886275 \\ 6.856624 \\ 6.826655 \\ 6.796352 \end{array}$	2.306433	3.840349	5.263451	25
26	4.456262	5.705789		2.289361	3.827457	5.246739	26
27	4.434045	5.680625		2.271602	3.814692	5.229878	27
28	4.411795	5.655284		2.254514	3.802074	5.212852	28
29	4.389508	5.629758		2.238756	3.789586	5.195651	29
30	4.367172	5.604034	6.765703	$\begin{array}{c} 2.222308 \\ 2.206505 \\ 2.191330 \\ 2.176769 \\ 2.162800 \end{array}$	3.777195	5.178257	30
31	4.344793	5.578103	6.734691		3.764920	5.160658	31
32	4.322363	5.551952	6.703300		3.752746	5.142837	32
33	4.299877	5.525569	6.671515		3.740656	5.124778	33
34	4.277329	5.498941	6.639316		3.728637	5.106464	34
35	4.254713	5 472054	6.606686	$ \begin{array}{c} 2.150033 \\ 2.136553 \\ 2.124227 \\ 2.113002 \\ 2.102226 \end{array} $	3.716672	5.087876	35
36	4.232016	5.444893	6.573604		3.704729	5.068998	36
37	4.209240	5.417441	6.540050		3.692829	5.049807	37
38	4.186377	5.389686	6.506002		3.680941	5.030285	38
39	4.163411	5.361600	6.471437		3.669034	5.010408	39
40	4.140334	5.333173	$\begin{array}{c} 6.436331 \\ 6.400658 \\ 6.364391 \\ 6.327501 \\ 6.289957 \end{array}$	2.092450	3.657096	4.990155	40
41	4.117134	5.304382		2.082477	3.645098	4.969501	41
42	4.093808	5.275205		2.074526	3.633043	4.948421	42
43	4.070328	5.245618		2.066295	3.620871	4.926886	43
44	4.046692	5.215597		2.059368	3.608587	4.904870	44
45	4.022877	5.185117	$\begin{array}{c} 6.251727 \\ 6.212778 \\ 6.173072 \\ 6.132571 \\ 6.091234 \end{array}$	2.053124	3.596148	4.882343	45
46	3.998868	5.154147		2.047495	3.583529	4.859271	46
47	3.974645	5.122658		2.042889	3.570702	4.835623	47
48	3.950186	5.090618		2.038734	3.557625	4.811359	48
49	3.925468	5.057992		2.035412	3.544273	4.786445	49
50	3.900468	5.024742	6.049018	2.032817	3,530603	4.760839	50
51	3.875151	4.990834	6.005876	2.030849	3,516575	4.734497	51
52	3.849491	4.956214	5.961759	2.029412	3,502146	4.707372	52
53	3.823452	4.920844	5.916613	2.028418	3,487270	4.679418	53
54	3.796998	4.884674	5.870383	2.027785	3,471903	4.650578	54

LOGARITHMS OF COMMUTATION COLUMNS. $\mathbf{4}\frac{1}{2}$ PER CENT.

AGE.	$\lambda \mathrm{D}_x.$	λN_x .	λS_x .	λC_x .	$\lambda \mathrm{M}_x$	$\lambda \mathrm{R}_x.$	AGE.
55	3.770091-	4.847649	5.823008	2.028131	3.455997	4.620800	55
56	3.742675	4.809712	5.774424	2.028305	3.439470	4.590019	56
57	3.714708	4.770803	5.724563	2.029242	3.422285	4.558172	57
58	3.686126	4.730854	5.673350	2.029898	3.404350	4.525189	58
59	3.656878	4.689793	5.620706	2.030559	3.385615	4.490997	59
60 61 62 63 64	3.626897 3.596104 3.564418 3.531760 3.498021	$\begin{array}{c} 4.647543 \\ 4.604020 \\ 4.559134 \\ 4.512785 \\ 4.464867 \end{array}$	5.566547 5.510782 5.453312 5.394032 5.332828	2.031463 2.032274 2.032463 2.032553 2.032061	3.366004 3.345421 3.323774 3.300980 3.276917	4.455515 4.418653 4.380319 4.340413 4.298824	60 61 62 63 64
65	3.463099	4.415265	5.269577	2.031024	3.251473	$\begin{array}{c} 4.255434 \\ 4.210114 \\ 4.162728 \\ 4.113121 \\ 4.061133 \end{array}$	65
66	3.426869	4.363852	5.204148	2.028839	3.224512		66
67	3.389214	4.310493	5.136395	2.026018	3.195914		67
68	3.349972	4.255038	5.066165	2.021420	3.165504		68
69	3.309017	4.197328	4.993288	2.016160	3.133162		69
70	3.266139	4.137183	4.917583	2.008793	3.098654	4.006582	70
71	3.221176	4.074414	4.838850	1.999839	3.061823	3.949277	71
72	3.173904	4.008809	4.756873	1.988685	3.022437	3.889005	72
73	3.124103	3.940139	4.671416	1.975092	2.980273	3.825535	73
74	3.071528	3.868154	4.582221	1.959327	2.935087	3.758616	74
75	3.015864	3.792575	4.489004	1.940210	2.886551	3.687968	75
76	2.956842	3.713106	4.391457	1.917743	2.834400	3.613293	76
77	2.894133	3.629412	4.289235	1.892026	2.778313	3.534260	77
78	2.827326	3.541123	4.181962	1.861988	2.717866	3.450499	78
79	2.756045	3.447842	4.069216	1.827487	2.652690	3.361612	79
80	2.679837	3.349120	3.950529	$\begin{array}{c} 1.788040 \\ 1.742945 \\ 1.692102 \\ 1.634031 \\ 1.569074 \end{array}$	2.582337	3.267155	80
81	2.598205	3.244460	3.825373		2.506314	3.166634	81
82	2.510631	3.133307	3.693150		2.424115	3.059499	82
83	2.416464	3.015029	3.553175		2.335087	2.945123	83
84	2.315138	2.888918	3.404655		2.238697	2.822811	84
85	2,205832	2.754129	3.246656	$\begin{array}{c} 1.495563 \\ 1.412794 \\ 1.321227 \\ 1.217205 \\ 1.119640 \end{array}$	2.134129	2.691722	85
86	2,087829	2.609681	3.078067		2.020708	2.550887	86
87	1,960339	2.454338	2.897541		1.897703	2.399077	87
88	1,822101	2.286446	2.703443		1.763890	2.234623	88
89	1,672481	2.103823	2.493849		1.618804	2.055301	89
90 91 92 93 94	1.503030 1.311184 1.099236 0.865638 0.606190	1.902896 1.682327 1.441648 1.178398 0.888788	$\begin{array}{c} 2.266642 \\ 2.020404 \\ 1.753508 \\ 1.463045 \\ 1.144990 \end{array}$		$\begin{array}{c} 1.453329 \\ 1.264840 \\ 1.056013 \\ 0.825403 \\ 0.568774 \end{array}$	$\begin{array}{c} 1.857378 \\ 1.639553 \\ 1.401500 \\ 1.140797 \\ 0.853671 \end{array}$	90 91 92 93 94
95 96 97 98 99	$\begin{array}{c} 0.317491 \\ \overline{1}.997345 \\ \overline{1}.622841 \\ \overline{1}.205785 \\ \overline{2}.709547 \end{array}$	$\begin{array}{c} 0.568509 \\ 0.210950 \\ \overline{1}.800341 \\ \overline{1}.326024 \\ \overline{2}.709547 \end{array}$	$\begin{array}{c} 0.793966 \\ 0.401382 \\ \overline{1}.951597 \\ \overline{1}.420089 \\ \overline{2}.709547 \end{array}$	$\begin{array}{c} \overline{1}.997345 \\ \overline{1}.725503 \\ \overline{1}.381876 \\ \overline{1}.010577 \\ \overline{2}.690431 \end{array}$	$\begin{array}{c} 0.282808 \\ \hline 1.965632 \\ \hline \overline{1}.593744 \\ \hline \overline{1}.180390 \\ \hline \overline{2}.690431 \end{array}$	$\begin{array}{c} 0.535885 \\ 0.180942 \\ \overline{1.773005} \\ \overline{1.302156} \\ \overline{2.690431} \end{array}$	95 96 97 98 99

COMMUTATION COLUMNS. 5 PER CENT.

AGE.	D_x .	N_x .	S_x .	\mathbf{C}_{x} .	M_x .	R_x .	AGE.
10	61,391.3	1,089,674.9	17,710,636.6	378.872	9,502.066	246,311.154	10
11	58,089.1	1,028,283.6	16,620,961.7	359.717	9,123.194	236,809.088	11
12	54,963.2	970,194.5	15,592,678.1	340.997	8,763.477	227,685.894	12
13	52,004.9	915,231.3	14,622,483.6	323.749	8,422.480	218,922.417	13
14	49,204.8	863,226.4	13,707,252.3	307.851	8,098.731	210,499.937	14
15	46,553.9	814,021.6	12,844,025.9	292.275	7,790.880	202,401.206	15
16	44,044.6	767,467.7	12,030,004.3	277.485	7,498.605	194,610.326	16
17	41,669.8	723,423.1	11,262,536.6	263.856	7,221.120	187,111.721	17
18	39,421.7	681,753.3	10,539,113.5	250.895	6,957.264	179,890.601	18
19	37,293.6	642,331.6	9,857,360.2	238.571	6,706.369	172,933.337	19
20	35,279.2	605,038.0	9,215,028.6	227.210	6,467.798	166,226.968	20
21	33,372.0	569,758.8	8,609,990.6	216.391	6,240.588	159,759.170	21
22	31,566.4	536,386.8	8,040,231.8	206.087	6,024.197	153,518.582	22
23	29,857.1	504,820.4	7,503,845.0	196.583	5,818.110	147,494.385	23
24	28,238.9	474,963.3	6,999,024.6	187.517	5,621.527	141,676.275	24
25	26,706.6	446,724.4	6,524,061.3	$\begin{array}{c} 178.869 \\ 171.155 \\ 163.515 \\ 156.457 \\ 150.164 \end{array}$	5,434.010	136,054.748	25
26	25,256.0	420,017.8	6,077,336.9		5,255.141	130,620.738	26
27	23,882.2	394,761.8	5,657,319.1		5,083.986	125,365.597	27
28	22,581.4	370,879.6	5,262,557.3		4,920.471	120,281.611	28
29	21,349.6	348,298.2	4,891,677.7		4,764.014	115,361.140	29
30	20,182.8	326,948.6	4,543,379.5	143.895	4,613.850	110,597.126	30
31	19,077.9	306,765.8	4,216,430.9	138.092	4,469.955	105,983.276	31
32	18,031.3	287,687.9	3,909,665.1	132.715	4,331.863	101,513.321	32
33	17,039.9	269,656.6	3,621,977.2	127.728	4,199.148	97,181.458	33
34	16,100.8	252,616.7	3,352,320.6	123.096	4,071.420	92,982.310	34
35	15,211.0	236,515.9	3,099,703.9	118.961	3,948.324	88,910.890	35
36	14,367.7	221,304.9	2,863,188.0	114.776	3,829.363	84,962.566	36
37	13,568.7	206,937.2	2,641,883.1	111.033	3,714.587	81,133.203	37
38	12,811.6	193,368.5	2,434,945.9	107.685	3,603.554	77,418.616	38
39	12,093.8	180,556.9	2,241,577.4	104.546	3,495.869	73,815.062	39
40 41 42 43 44	11,413.4 10,768.2 10,156.4 9,576.08 9,025.68	168,463.1 157,049.7 146,281.46 136,125.06 126,548.98	2,061,020.5 1,892,557.4 1,735,507.74 1,589,226.28 1,453,101.22	$101.732 \\ 98.9489 \\ 96.6911 \\ 94.4239 \\ 92.4874$	3,391.323 3,289.591 3,190.6419 3,093.9508 2,999.5269	60,447.6367	40 41 42 43 44
45 46 47 48 49	8,503.39 8,007.72 7,537.27 7,090.58 6,666.40	109,019.91 101,012.19 93,474.92	1,326,552.24 1,209,028.94 1,100,009.03 998,996.84 905,521.92	90.7332 89.1382 87.7777 86.5279 85.4596	2,907.0395 2,816.3063 2,727.1681 2,639.3904 2,552.8625	54,354.1590 51,447.1195 48,630.8132 45,903.6451 43,264.2547	45 46 47 48 49
50 51 52 53 54	6,263.50 5,880.69 5,516.89 5,171.09 4,842.34	79,717.94 73,454.44 67,573.75 62,056.86 56,885.77	819,137.58 739,419.64 665,965.20 598,391.45 536,334.59	84.5461 83.7630 83.0888 82.5041 81.9917	2,467.4029 2,382.8568 2,299.0938 2,216.0050 2,133.5009	35,861.1325 33,562.0387	50 51 52 53 54

COMMUTATION COLUMNS. 5 PER CENT.

AG E.	D_x .	N_x .	S_x .	$C_{x^{\bullet}}$	$\mathrm{M}_{x}.$	R_x .	AGE.
55	4,529.77	52,043.43	479,448.82	81.6663	2,051.5092	29,212,5328	55
56	4,232.39	47,513.66	427,405.39	81.3100	1,969.8429	27,161.0236	56
57	3,949.55	43,281.27	379,891.73	81.0975	1,888.5329	25,191.1807	57
58	13,680.37	39,331.72	336,610.46	80.8333	1,807.4354	23,302.6478	58
59	3,424.28	35,651.35	297,278.74	80.5710	1,726.6021	21,495.2124	59
	3,180.65	32,227.07	261,627.39	80.3543	1,646.0311	19,768.6103	60
	2,948.84	29,046.42	229,400.32	80.1212	1,565.6768	18,122.5792	61
62	2,728.30	26,097.58	200,353.90	79.7744	1,485.5556	16,556.9024	62
63 64	2,518.61	23,369.28	174,256.32	79.4110	1,405.7812	15,071.3468	63
04	2,319.26	20,850.67	150,887.04	78.9433	1,326.3702	13,665.5656	64
65	2,129.88	18,531.41	130,036.37	78.3800	1,247.4269	12,339.1954	65
66	1,950.07	16,401.53	111,504.96	77.6153	1,169.0469	11,091.7685	66
67 68	1,779.60	14,451.46	95,103.43	76.7456	1,091.4316	9,922.7216	67
69	1,618.11 1,465.48	12,671.86 $11,053.75$	80,651.97 $67,980.11$	75.5758 74.3104	$1,014.6860 \\ 939.1102$	8,831.2900 7,816.6041	68
l							00
70	1,321.38	9,588.27	56,926.36	72.7125	864.7998	6,877.4939	70
71	1,185.75	8,266.89	47,338.09	70.8896	792.0873	6,012.6941	71
72	1,058.39	7,081.14	39,071.20	68.7631	721.1977	5,220,6068	72
73	939.232 828.180	$\begin{bmatrix} 6,022.748 \\ 5,083.516 \end{bmatrix}$	$\begin{bmatrix} 31,990.065 \\ 25,967.317 \end{bmatrix}$	66.3269 63.6577	$\begin{array}{c} 652.4346 \\ 586.1077 \end{array}$	4,499.4091 3,846.9745	73 74
11	0.20.100	5,005.510	20,001.011	00.0011	360.1077	0,040.0740	14
75	725.085	4,255.336	20,883.801	60.6264	522.4500	3,260.8668	75
76	629.931	[3.530.251]	16,628.465	57.2956	461.8236	2,738.4168	76
77	542.639	2.900.320	13,098.214	53.7442	404.5280	2,276.5932	77
78 79	$\frac{463.054}{391.090}$	2,357.681 $1,894.627$	10,197.894 $7,840.213$	49.9138 45.8824	350.7838 300.8700	$\begin{vmatrix} 1.872.0652 \\ 1.521.2814 \end{vmatrix}$	78 79
10			· ·				10
80	326.585	1,503.537	5,945.586	41.6991	254.9876	1,220.4114	80
81	269.334	1,176.952	4,442.049	37.4075	213.2885	965.4238	81
82	219.102	907.618	3,265.097	33.1163	175.8810	752.1353	82
83 84	175.551 138.358	$688.516 \\ 512.965$	2,357.479 $1,668.963$	28.8336 24.7098	$142.7647 \\ 113.9311$	576.2543 433.4896	83 84
0.7			· ·				O'T
85	107.0600	374.6070	1,155.9980	20.7627	89.2213	319.5585	85
86	81.1989	267.5473	781.3912	17.0782	68.4586	230.3372	86
87	60.2541	$ \begin{array}{r} 186.3484 \\ 126.0943 \end{array} $	513.8439 327.4955	13.7658 10.7822	51.3804 37.6146	$\begin{array}{c} 161.8786 \\ 110.4982 \end{array}$	87
88	$\begin{array}{c} 43.6191 \\ 30.7598 \end{array}$	82.4752	201.4012	8.57174	26.8324	72.88355	88 89
90	20.7233	51.7154	118.9260	6.47659	18.26065	46.05116	90
91	13.2599	30.9921	67.2106	4.52782	11.78406 7.25624	27.79151	91
92 93	8.10065 4.70813	$\begin{array}{c} 17.73217 \\ 9.63153 \end{array}$	$36.21852 \\ 18.48635$	$\begin{bmatrix} 3.00676 \\ 1.90567 \end{bmatrix}$	$\frac{7.25024}{4.24948}$	16.00745 8.75121	92 93
93	2.57826	$\frac{9.03153}{4.92339}$	8.85483	1.13554	2.34381	4.50173	94
			3.93144	.628545	1.208272	2.157920	95
95	1.31995 628544	2.34513 1.02518	1.58631	.334520	.579727	.949648	96
97	.264094		.561125	.150911	.245207	.369921	97
98	.100607	.132546	.164485	.063878	.094296	.124714	98
99	.031939	N. Control of the Con	.031939	.030418	.030418	.030418	99

LOGARITHMS OF COMMUTATION COLUMNS. 5 PER CENT.

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AGE.	λD_{x} .	λN_x .	λS_x .	λC_x .	λM_{x} .	$\lambda \mathbf{R}_{w}$.	AGE.
10	4.788107	6.037297	$\begin{array}{c} 7.248234 \\ 7.220656 \\ 7.192921 \\ 7.165021 \\ 7.136950 \end{array}$	2.578493	3.977818	5.391484	10
11	4.764095	6.012113		2.555961	3.960147	5.374398	11
12	4.740072	5.986859		2.532750	3.942677	5.357336	12
13	4.716044	5.961531		2.510208	3.925440	5.340290	13
14	4.692007	5.936125		2.488341	3.908417	5.323252	14
15	4.667956	5.910636	7.108701	2.465792	3.891587	5.306214	15
16	4.643893	5.885060	7.080266	2.443239	3.874981	5.289166	16
17	4.619822	5.859393	7.051636	2.421366	3.858605	5.272101	17
18	4.595736	5.833627	7.022804	2.399493	3.842438	5.255008	18
19	4.571634	5.807759	6.993760	2.377618	3.826488	5.237878	19
20 21 22 23 24	4.547518 4.523382 4.499225 4.475048 4.450847	5.781783 5.755691 5.729478 5.703137 5.676660	$\begin{array}{c} 6.964496 \\ 6.935003 \\ 6.905269 \\ 6.875284 \\ 6.845037 \end{array}$	$\begin{array}{c} 2.356428 \\ 2.335239 \\ 2.314050 \\ 2.293546 \\ 2.273041 \end{array}$	3.810757 3.795226 3.779899 3.764782 3.749855	5.220701 5.203466 5.186161 5.168775 5.151297	20 21 22 23 24
25	4.426619	5.650039	6.814518	2.252535	3.735120	$\begin{array}{c} 5.133713 \\ 5.116012 \\ 5.098178 \\ 5.080199 \\ 5.062059 \end{array}$	25
26	4.402364	5.623268	6.783714	2.233390	3.720584		26
27	4.378074	5.596335	6.752611	2.213558	3.706205		27
28	4.353751	5.569232	6.721197	2.194396	3.692007		28
29	4.329390	5.541951	6.689458	2.176566	3.677973		29
30	4.304982	5.514479	6.657379	2.158045	3.664064 3.650304 3.636674 3.623161 3.609746	5.043744	30
31	4.280530	5.486807	6.624945	2.140168		5.025237	31
32	4.256026	5.458922	6.592139	2.122921		5.006523	32
33	4.231468	5.430811	6.558945	2.106286		4.987583	33
34	4.206847	5.402462	6.525346	2.090244		4.968401	34
35 36 37 38 39	4.182158 4.157387 4.132539 4.107603 4.082563	5.373861 5.344991 5.315838 5.286386 5.256614	$\begin{array}{c} 6.491321 \\ 6.456850 \\ 6.421913 \\ 6.386489 \\ 6.350554 \end{array}$	$\begin{array}{c} 2.075404 \\ 2.059851 \\ 2.045453 \\ 2.032155 \\ 2.019306 \end{array}$	3.596412 3.583126 3.569911 3.556731 3.543555	4.948955 4.929228 4.909199 4.888846 4.868145	35 36 37 38 39
40	4.057414	5.226505	6.314082	$\begin{array}{c} 2.007457 \\ 1.995411 \\ 1.985386 \\ 1.975082 \\ 1.966083 \end{array}$	3.530369	4.847074	40
41	4.032141	5.196037	6.277049		3.517142	4.825607	41
42	4.006741	5.165189	6.239427		3.503878	4.803718	42
43	3.981188	5.133938	6.201186		3.490513	4.781379	43
44	3.955480	5.102258	6.162296		3.477053	4.758561	44
45 46 47 48 49	3,929592 3,903509 3,877214 3,850682 3,823891	$\begin{array}{c} 5.070124 \\ 5.037506 \\ 5.004373 \\ 4.970694 \\ 4.936435 \end{array}$	$\begin{array}{c} 6.122724 \\ 6.082436 \\ 6.041397 \\ 5.999564 \\ 5.956899 \end{array}$	$\begin{array}{c} 1.957766 \\ 1.950064 \\ 1.943384 \\ 1.937156 \\ 1.931761 \end{array}$	3.463451 3.449680 3.435712 3.421504 3.407027	4.735233 4.711361 4.686911 4.661847 4.636130	45 46 47 48 49
50	3.796817	4.901556	5.913357	1.927093	3.392240	4.609716	50
51	3.769428	4.866018	5.868891	1.923052	3.377098	4.582563	51
52	3.741694	4.829778	5.823452	1.919543	3.361557	4.554624	52
53	3.713582	4.792790	5.776985	1.916476	3.345571	4.525848	53
54	3.685056	4.755003	5.729436	1.913770	3.329093	4.496183	54

LOGARITHMS OF COMMUTATION COLUMNS. 5 PER CENT.

AGE.	λD_x .	λN_x .	λS_x .	λC_x .	λM_x .	$\lambda \mathbf{R}_x$.	AGE.
55 56	3.656076 3.626586	$\begin{array}{c} 4.716366 \\ 4.676818 \end{array}$	5.680742 5.630840	1.912043 1.910144	3.312073 3.294432	4.465569 4.433946	55 56
57	3.596547	4.636300	5.579660	1.909007	3.276125	4.401248	57
58	3.565892	4.594743	5.527128	1.907590	3.257063	4.367405	58
59	3.534570	4.552076	5.473164	1.906179	3.237192	4.332341	59
60	3.502516	4.508221	5.417684	1.905009	3.216438	4.295976	60
61	3.469651	4.463092	5.360594	1.903747	3.194702	4.258220	61
62	3.435892	4.416600	5.301798	1.901863	3.171889	4.218979	62 63
63 64	3.401160 3.365349	$\begin{array}{ c c c c }\hline 4.368645 \\ 4.319120 \\ \hline\end{array}$	5.241189 5.178652	1.899881 1.897315	$\begin{vmatrix} 3.147918 \\ 3.122665 \end{vmatrix}$	4.178152 4.135627	64
					3.096015		65
65 66	$3.328354 \\ 3.290050$	4.267908 4.214884	5.114065 5.047294	1.894205 1.889947	3.067832	4.091287 4.045001	66
67	3.250322	4.159912	4.978196	1.885054	3.037997	3.996631	67
68	3.209008	4.102840	4.906615	1.878383	3.006332	3.946025	68
69	3.165979	4.043509	4.832382	1.871050	2.972717	3.893018	69
70	3.121029	3.981740	4.755314	1.861609	2.936916	3.837430	70
71	3.073992	3.917342	4.675211	1.850582	2.898773	3.779069	71
72	3.024648	3.850103	4.591857	1.837355	2.858055	3.717721	72
73	2.972773	3.779794	4.505015	1.821689	2.814537	3.653156	73
74	2.918125	3.706164	4.414427	1.803851	2.767978	3.585119	74
75	2.860389	3.628933	4.319810	1.782662	2.718045	3.513332	75
76	2.799293	3.547806	4.220852	1.758122	2.664476	3.437499	76
77	2.734511	3.462446	4.117212	1.730332	$\begin{bmatrix} 2.606948 \\ 2.545040 \end{bmatrix}$	3.357286 3.272321	77
78 79	2.665632 2.592277	3.372485 3.277524	4.049136 3.894328	$egin{array}{c} 1.698221 \ 1.661647 \end{array}$	2.478379	3.182209	79
80	2.513996	3.177114	3.774195	1.620127 1.572958	$\begin{bmatrix} 2.406519 \\ 2.328967 \end{bmatrix}$	3.086506 2.984718	80
81 82	2.430291 2.340645	3.070759 2.957903	3.647583 + 3.513896	1.520042	2.245219	2.876296	82
83	2.244404	2.837914	3,372448	1.459899	2.154621	2.760614	83
84	2.141005	2.710088	3.222446	1.392869	2.056642	2.636979	84
85	2.029627	2.573576	3.062957	1.317285	1.950468	2.504550	85
86	1.909550	2.427401	2.892869	1.232443	1.835428	2.362364	86
87	1.779987	2.270325	2.710831	1.138802	1.710797	2.209189	87
88	1.639677	2.100695	2.515205	1.032707	1.575356	2.043355	88
89	1.487983	1.916323	2.304062	0.933069	1.428659	1.862629	89
90	1.316459	1.713619	2.075277	0.811346	1.261516	1.663240	90
91	1.122540	1.491251	1.827438	0.655890	1.071295	1.443912	91
92	0.908520	1.248762	1.558930	0.478101	$0.860712 \\ 0.628336$	1.204322 0.942069	92
93	0.672848	0.983695	1.266851	$0.280048 \\ 0.055202$	0.028550 0.369922	0.942009	94
94	0.411327	0.692264	0.947181				1. 0
95	0.120556	0.370167	0.594551	1.798336	0.082165	0.334035	95
96	1.798336	0.010800	0.200388	$ \begin{array}{r} 1.524422 \\ \hline{1.178721} \end{array} $	$egin{array}{c} \overline{1}.763223 \\ \overline{1}.389533 \end{array}$	$\frac{1.977563}{1.568109}$	96 97
97 98	1.421759	1.598397	$egin{array}{c c} ar{1}.749060 \\ ar{1}.216127 \end{array}$	$\frac{1.178721}{2.805349}$	$\frac{1.389333}{2.974493}$	$\frac{1.505105}{1.095915}$	98
99	$\frac{1.002630}{2.504319}$	$ar{1.122367} \ ar{2.504319}$	$\frac{1.216137}{2.504319}$	$\frac{2.803349}{2.483130}$	$\frac{2.314133}{2.483130}$	$\frac{1.033310}{2.483130}$	99
	V.001010	V.001010	V.001010				

COMMUTATION COLUMNS. 6 PER CENT.

	\mathbf{D}^{x} .	N_x .	S_x .	\mathbf{C}_{x} .	M_x .	D	
				\circ_x .		R_x .	AGE.
	55,839.4	864,777.4	12,598,316.8	341.358	6,889.834	151,664.904	10
-11 5	52,337.5	808,938.0	11,733,539.4	321.042	6,548.476	144,775.070	11
4 -	49,054.0	756,600.5	10,924,601.4	301.464	6,227.434	138,226.594	
		707,546.5					12
	45,975.8		10,168,000.9	283.515	5,925.970	131,999.160	13
14 6	43,089.8	661,570.7	9,460,454.4	267.050	5,642.455	126,073.190	14
15 4	40,383.8	618.480.9	8,798,883.7	251.146	5,375.405	120,430.735	15
16 3	37,846.7	578,097.1	8,180,402.8	236.188	5,124.259	115,055.330	16
17 8	35,468.3	540,250.4	7,602,305.7	222.468	4,888.071	109,931.071	17
	33,238.2	504,782.1	7,062,055.3	209.545	4,665.603	105,043.000	18
	31,147.3	471,543.9	6,557,273.2	197.372	4,456.058	100,377.397	19
20	0 100 0	440.900.0		100.000	1		
	29,186.8	440,396.6	6,085,729.3	186.200	4,258.686	95,921.339	20
	27,348.5	411,209.8	5,645,332.7	175.661	4,072.486	91,662.653	21
00	25,624.8	383,861.3	5,234,122.9	165.718	3,896.825	87,590.167	22
	24,008.6	358,236.5	4,850,261.6	156.584	3,731.107	83,693.342	23
24	22,493.1	334,227.9	4,492,025.1	147.954	3,574.523	79,962.235	24
25	21,071.9	311,734.8	4,157,797.2	139.799	3,426,569	76,387.712	95
	19,739.4	290,662.9	3,846,062.4	132.508	3,286.770		25
	18,489.6	270,923.5	3,555,399.5	125.399		72,961.143	26
	17,317.6				3,154.262	69,674.373	27
		252,433.9	3,284,476.0	118,855	3,028.863	66,520.111	28
29	16,218.4	235,116.3	3,032,042.1	112.998	2,910,008	63,491.248	29
	15,187.5	218,897.9	2,796,925.8	107.258	2,797.010	60,581.240	30
31 :]	14,220.5	203,710.4	2,578,027.9	101.962	2,689.752	57,784,230	31
32	13,313.6	189,489.9	2,374,317.5	97.0677	2,587,7904	55,094.4779	32
	12,463.0	176,176.3	2,184,827.6	92.5386	2,490.7227	52,506.6875	
	11,665.0	163,713.3	2,008,651.3	88.3414	2,398.1841	50,015.9648	34
35 1	10,916.4	152,048.3	1,844,938.0	01 5/01	9.900.0428		
0.0				84.5684	2,309.8427	47,617.7807	
	10,213.9	141,131.9	1,692,889.7	80.8236	2,225.2743	45,307.9380	
37	9,554.90	130,918.01	1,551,757.77	77.4503	2,144.4507	43,082.6637	
	8,936.61	121,363.11	1,420,839.76	74.4061	2,067.0004	=40,938.2130	38
39	8,356.36	112,426.50	1,299,476.65	71.5555	1, 992.5943	38,871.2126	39
40	7,811.80	104,070.14	1,187,050.15	68.9727	1,921.0388	36,878.6183	40
	7,300.66	96,258.34	1,082,980.01	66.4531	1,852.0661		
	6,820.97	88,957.68	986,721.67	64.3241	1,785.6130	34,957.5795	41
40	6,370.54	82,136.71	897,763.99		/	33,105.5134	
				62.2233	1,721.2889	31,319.9004	
77	5,947.73	75,766.17	815,627.28	60.3722	1,659.0656	29,598.6115	44
	5,550.68	69,818.44	739,861.11	58.6684	1,598.6934	27,939.5459	45
	5,177.82	64,267.76	670,042.67		1,540.0250	26,340.8525	
	4,827.64	59,089.94	605,774.91	55.6915	1,482,9317	24,800.8275	47
	4,498.69	54,262.30	546,684.97	54.3806	1,427.2402	23,317.8958	48
	4,189.66	49,763.61	492, 422.67	53.2026	1,372.8596	21,890.6556	49
50	3 800 30	45 EM9 02	110 050 00				
	3,899.32	45,573.95	442,659.06	52.1373	1,319.6570	20,517.7960	50
	3,626.46	41,674.63	397,085.11	51.1671	1,267.5197	19,198.1390	51
	3,370.02	38,048.17	355,410.48	50.2765	1,216.3526	17,930.6193	52
	3,128.99	34,678.15	317,362.31	49.4517	1,166.0761	16,714.2667	53
54	2,902.42	31,549.16	282,684.16	48.6809	1,116.6244	15,548.1906	54
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COMMUTATION COLUMNS. 6 PER CENT.

AGE.	D_x .	N_x .	S_{x} .	C_x .	M_x .	R_x .	AGE.
55	2,689.45	28,646.74	251,135.00	48.0303	1,067.9435	14,431.5662	5.5
56	2,489.19	25,957.29	222,488.26	47.3696	1,019.9132	13,363.6227	55
57	2,300.93	23,468.10	196,530.97	46.8001	972.5436	12,343.7095	57
58	2,123.88	21,167.17	173,062.87	46.2075	925.7435	11,371.1659	58
59	1,957.46	19,043.29	151,895.70	45.6231	879.5360	10,445.4224	59
00	1,001.10	10,010.20	101,000.10	10.0201	010.0000	10,110.1221	00
60	1,801.03	17,085.83	132,852.41	45.0711	833.9129	9,565.8864	60
61	1,654.02	15,284.80	115,766.58	44.5164	788.8418	8,731.9735	61
62	1,515.88	13,630.78	100,481.78	43.9056	744.3254	7,943.1317	62
63	1,386.17	12,114.90	86,851.00	43.2933	700.4198	7,198.8063	63
64	1,264.41	10,728.73	74,736.10	42.6323	657.1265	6,498.3865	64
	4 4 8 0 0 4	0.404.00	0.4. OOW OW	41 0000	074 4040	× 0.43 0.000	0.5
65	1,150.21	9,464.32	64,007.37	41.9288	614.4942	5,841.2600	65
66	1,043.18	8,314.11	54,543.05	41.1279	572.5654	5,226.7658	66
67	943.001	7,270.934	46,228.937	40.2835	531.4375	4,654.2004	67
68	849.339	6,327.933	38,958.003	39.2952	491.1540	4,122.7629	68
69	761.967	5,478.594	32,630.070	38.2728	451.8588	3,631.6089	69
70	680.564	4,716.627	27,151,476	37.0965	413.5860	3,179.7501	70
71	604.947	4,036.063	22,434.849	35.8253	376.4895	2,766.1641	71
72	534.878	3,431.116	18,398.786	34.4228	340.6642	2,389.6746	72
73	470.180	2,896.238	14,967.670	32.8900	306.2414	2,049.0104	73
74	410.676	2,426.058	12,071.432	31.2686	273.3514	1,742.7690	74
75	356.161	2,015.382	9,645.374	29.4987	242.0828	1,469.4176	75
76	306.503	1,659.221	7,629.992	27.6150	212.5841	1,227.3348	76
77	261.538	1,352.718	5,970.771	25.6589	184.9691	1,014.7507	77
78	221.075	1,091.180	4,618.053	23.6054	159.3102	829.7816	78
79	184.956	870.105	3,526.873	21.4942	135.7048	670.4714	79
80	152,993	685.149	2,656.768	19.3502	114.2106	534.7666	80
81	124.982	532.156	1,971.619	17.1949	94.8604	420.5560	81
82	100.713	407.174	1,439,463	15.0788	77.6655	325.6956	82
83	79.9335	306.4614	1,032.2888	13.0049	62.5867	248.0301	83
84	62.4041	226.5279	725.8274	11.0398	49.5818	185.4434	84
85	47.8320	164.1238	499.2995	9.18883	38.54196	135.86156	85
86	35.9357	116.2918	335.1757	7.48689	29.35313	97.31960	86
87	26.4147	80.3561	218.8839	5.97784	21.86624	67.96647	87
88	18.9417	53.9414	138.5278	4.63802	15.88840	46.10023	88
89	13.2315	34.9997	84.5864	3.65240	11.25038	30.21183	89
90	8.83015	21.76824	49.58671	2.73362	7.59798	18.96145	90
91	5.59670		27.81847	1.89306	4.86436	11.36347	91
92	3.38684	7.34139	14.88038	1.24526	2.97130	6.49911	92
93	1.94988	3.95455	7.53899	.781790		3.527809	
94	1.05772	2.00467	3.58444	.461455	.944246	1.801773	94
95	.536392	.946947	1.579772	.253015	.482791	.857527	
96	.253015		.632825	.133387	.229776	.374736	
97	.105306		.222270	.059607	.096389	.144960	
98	.039738		.064730	.024993	.036782	.048571	98
99	.012496	.012496	.012496	.011789	.011789	.011789	99

LOGARITHMS OF COMMUTATION COLUMNS. 6 PER CENT.

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AGE.	λD_x .	λN_{∞} .	λS_{∞} .	λC_x .	λM_x .	λR_x .	AGE.
10	4.746941	5,936905	7.100313	2.533211	3.838209	5.180885	10
11	4.718813	5.907915	7.069429	2.506562	3.816140	5.160694	11
12	4.690674	5.878866	7.038405	2.479235	3.794309	5.140591	12
13	4.662529	5.849755	7.007236	2.452576	3.772759	5.120571	13
14	4.632375	5.820576	6.975912	2.426592	3.751468	5.100623	14
15	4.606207	5.791327	6.944427	2.399927	3.730411	5.080738	15
16	4.578028	5.762000	6.912775	2.373257	3.709631	5.060907	16
17	4.549840	5.732595	6.880945	2.347268	3.689138	5.041120	17
18	4.521637	5.703104	6.848931	2.321278	3.668908	5.021367	18
19	4.493420	5.673522	6.816723	2.295286	3.648951	5.001636	19
20	4.465187	5.643844	6.784313	2.269981	3.629276	4.981915	20
21	4.436934	5.614064	6.751690	2.244675	3.609860	4.962192	21
22	4.408661	5.584174	6.718844	2.219369	3.590711	4.942456	22
23	4.380367	5.554170	6.685766	2.194749	3.571838	4.922691	23
24	4.352049	5.524042	6.652442	2.170127	3.553218	4.902885	24
25	4.323704	5.493786	6.618864	2.145505	3.534859	4.883023	25
26	4.295334	5.463389	6.585016	2.122242	3.516769	4.863092	26
27	4.266927	5.432847	6.550888	2.098294	3.498898	4.843073	27
28	4.238487	5.402148	6.516466	2.075016	3.481280	4.822953	28
29	4.210009	5.371283	6.481735	2.053069	3.463894	4.802714	29
30	4.181485	5.340242	6.446681	2.030431	3.446694	4.782338	30
31	4.152916	5.309013	6.411288	2.008438	3.429712	4.761810	31
32	4.124296	5.277586	6.375539	1.987075	3.412929	4.741108	32
33	4.095621	5.245948	6.339418	1.966323	3.396325	4.720214	33
34	4.066884	5.214084	6.302904	1.946164	3.379883	4.699109	34
35	4.038078	5.181981	6.265982	1.927208	3.363583	4.677769	35
36	4.009191	5.149625	6.228628	1.907538	3.347384	4.656174	36
37	3.980226	5.116999	6.190824	1.889023	3.331316	4.634303	37
38	3.951173	5.084087	6.152545	1.871609	3.315341	4.612129	38
39	3.922017	5.050869	6.113768	1.854643	3.299419	4.589628	39
40	3.892751	5.017327	6.074469	1.838677	3.283536	4.566774	40
41	3.863362	4.983438	6.034620	1.822515	3.267656	4.543541	41
42	3.833846	4.949183	5.994195	1.808374	3.251787	4.519901	42
43	3.804176	4.914537	5.953162	1.793953	3.235854	4.495821	43
44	3.774351	4.879475	5.911492	1.780837	3.219864	4.471271	44
45	3.744346	4.843970	5.869151	1.768404	3.203765	4.446219	45
46	3.714147	4.807993	5.826103	1.756585	3.187528	4.420630	46
47	3.683735	4.771513	5.782311	1.745789	3.171121	4.394466	47
48	3.653086	4.734498	5.737737	1.735444	3.154497	4.367689	48
49	3.622179	4.696912	5.692338	1.725933	3.137626	4.340259	49
50	3.590989	4.658717	5.646069	1.717149	3.120461	4.312131	50
51	3.559483	4.619872	5.598884	1.708991	3.102955	4.283259	51
52	3.527633	4.580334	5.550731	1.701365	3.085060	4.253595	52
53	3.495404	4.540056	5.501555	1.694181	3.066727	4.223087	53
54	3.462761	4.498988	5.451301	1.687359	3.047907	4.191680	54

LOGARITHMS OF COMMUTATION COLUMNS. 6 PER CENT.

AGE.	λD_{ω} .	λN_{x} .	λS_x .	λC_{ω} .	λM_{∞} .	λR_x .	AGE.
55 56 57 58 59	3.429664 3.396059 3.361903 3.327131 3.291693	4.457075 4.414259 4.370478 4.325663 4.279742	5.399907 5.347307 5.293431 5.238204 5.181546	1.681515 1.675499 1.670247 1.664713 1.659185	3.028548 3.008563 2.987909 2.966491 2.944254	4.159313 4.125924 4.091446 4.055805 4.018926	55 56 57 58 59
60 61 62 63 64	3.255522 3.218540 3.180664 3.141817 3.101889	4.232636 4.184259 4.134521 4.083319 4.030548	5.123370 5.063583 5.002088 4.938775 4.873531	1.653898 1.648520 1.642520 1.636420 1.629738	2.921121 2.896990 2.871763 2.845358 2.817649	3.980725 3.941113 3.899992 3.857260 3.812805	60 61 62 63 64
65 66 67 68 69	3.060777 3.018357 2.974512 2.929081 2.881936	3.976089 3.919816 3.861590 3.801262 3.738669	4.806230 4.736739 4.664913 4.590597 4.513618	1.622512 1.614137 1.605127 1.594339 1.582890	2.788518 2.757825 2.725452 2.691218 2.655003	3.766507 3.718233 3.667845 3.615188 3.560099	65 66 67 68 69
70 71 72 73 74	2.832869 2.781717 2.728255 2.672264 2.613499	3.673631 3.605958 3.535435 3.461835 3.384901	4.433794 4.350923 4.264789 4.175154 4.081758	$\begin{array}{c} 1.569333 \\ 1.554190 \\ 1.536846 \\ 1.517064 \\ 1.495109 \end{array}$	$\begin{array}{c} 2.616566 \\ 2.575753 \\ 2.532327 \\ 2.486064 \\ 2.436721 \end{array}$	3.502393 3.441878 3.378338 3.311544 3.241240	70 71 72 73 74
75 76 77 78 79	2.551646 2.486434 2.417535 2.344540 2.267069	3.304357 3.219904 3.131207 3.037896 2.939571	3.984319 3.882525 3.776031 3.664459 3.547390	$\begin{array}{c} 1.469803 \\ 1.441146 \\ 1.409239 \\ 1.373012 \\ 1.332321 \end{array}$	$\begin{array}{c} 2.383964 \\ 2.327531 \\ 2.267099 \\ 2.202244 \\ 2.132595 \end{array}$	3.167145 3.088963 3.006359 2.918964 2.826380	75 76 77 78 79
80 81 82 83 84	2.184671 2.096849 2.003086 1.902729 1.795213	2.835785 2.726039 2.609780 2.486376 2.355122	3.424354 3.294823 3.158200 3.013801 2.860833	$\begin{array}{c} 1.286685 \\ 1.235400 \\ 1.178367 \\ 1.114107 \\ 1.042961 \end{array}$	2.057706 1.977085 1.890228 1.796482 1.695322	2.728164 2.623824 2.512812 2.394504 2.268211	80 81 82 83 84
85 86 87 88 89	1.679719 1.555526 1.421846 1.277419 1.121609	2.215172 2.065549 1.905019 1.731922 1.544064	2.698362 2.525272 2.340214 2.141537 1.927300	$\begin{array}{c} 0.963260 \\ 0.874302 \\ 0.776544 \\ 0.666332 \\ 0.562578 \end{array}$	$\begin{array}{c} 1.585934 \\ 1.467654 \\ 1.339774 \\ 1.201070 \\ 1.051167 \end{array}$	2.133097 1.988200 1.832295 1.663703 1.480177	85 86 87 88 89
90 91 92 93 94	$\begin{array}{c} 0.945968 \\ 0.747932 \\ 0.529795 \\ 0.290008 \\ 0.024370 \end{array}$	1.337823 1.111870 0.865778 0.597098 0.302043	1.695365 1.444333 1.172614 0.877313 0.554421	$\begin{array}{c} 0.436739 \\ 0.277165 \\ 0.095261 \\ \overline{1}.893090 \\ \overline{1}.664129 \end{array}$	$\begin{array}{c} 0.880698 \\ 0.687025 \\ 0.472947 \\ 0.237050 \\ \hline{1.975085} \end{array}$	$\begin{array}{c} 1.277871 \\ 1.055511 \\ 0.812854 \\ 0.547505 \\ 0.255700 \end{array}$	90 91 92 93 94
95 96 97 98 99	$\begin{array}{c} 1.729482 \\ \overline{1.403146} \\ \overline{1.022452} \\ \overline{2.599206} \\ \overline{2.096779} \end{array}$	$\begin{array}{c} \overline{1}.976326\\ \overline{1}.613372\\ \overline{1}.197391\\ \overline{2}.717953\\ \overline{2}.096779 \end{array}$	$\begin{array}{c} 0.198594 \\ \overline{1}.801283 \\ \overline{1}.346881 \\ \overline{2}.811106 \\ \overline{2}.096779 \end{array}$	$\begin{array}{c} \overline{1.403146} \\ \overline{1.125115} \\ \overline{2.775298} \\ \overline{2.397809} \\ \overline{2.071474} \end{array}$	$\begin{array}{c} \overline{1.683759} \\ \underline{1.361304} \\ \overline{2.984027} \\ \overline{2.565635} \\ \overline{2.071474} \end{array}$	$\begin{array}{c} \overline{1}.933248 \\ \overline{1}.573725 \\ \overline{1}.161248 \\ \overline{2}.686377 \\ \overline{2}.071474 \end{array}$	95 96 97 98 99

COMMUTATION COLUMNS. 7 PER CENT.

						1	
AGE.	D_{x} .	N_{α} .	S_{ω} .	C _æ .	M_{x} .	R_{x} .	AGE.
10	50,834.9	697,841.8	9,179,521.1	307.8601	5,181.6666	97,313.2662	10
11	47,201.4	647,006.9	8,481,679.3	286.8318	4,873.8065	92,131.5996	11
12	43,826.7	599,805.5	7,834,672.4	266.8222	4,586.9747	87,257.7931	12
13	40,692.6	555,978.8	7,234,866.9	248.5908	4,320.1525	82,670.8184	13
14	37,781.9	515,286.2	6,678,888.1	231.9654	4,071.5617	78,350.6659	14
15	35,078.3	477,504.3	6,163,601.9	216.1127	3,422.1423	74,279.1042	15
16	32,567.3	442,426.0	5,686,097.6	201.3413		70,439.5079	16
17	30,235.4	409,858.7	5,243,671.6	187.8736		66,816.0243	17
18	28,069.5	379,623.3	4,833,812.9	175.3063		63,393.8820	18
19	26,057.9	351,553.8	4,454,189.6	163.5792		60,159.6133	19
20	24,189.6	325,495.9	4,102,635.8	152.8778	2,895.3832	57,100.6509	20
21	22,454.2	301,306.3	3,777,139.9	142.8764	2,742.5054	54,205.2677	21
22	20,837.6	278,852.1	3,475,833.6	133.5294	2,599.6290	51,462.7623	22
23	19,345.3	258,014.5	3,196,981.5	124.9910	2,466.0996	48,863.1333	23
24	17,954.7	238,669.2	2,938,967.0	116.9982	2,341.1086	46,397.0337	24
25 26 27 28 29	16,666.9 15,463.5 14,349.1 13,313.9 12,352.4	$\begin{array}{c} 220,714.5 \\ 204,047.6 \\ 188,584.1 \\ 174,235.0 \\ 160,921.1 \end{array}$	2,700,297.8 2,479,583.3 2,275,535.7 2,086,951.6 1,912,716.6	$109.5163 \\ 102.8345 \\ 96.4078 \\ 90.5224 \\ 85.2573$	2,114.5941	44,055.9251 41,831.8147 39,717.2206 37,705.4610 35,790.1092	25 26 27 28 29
30	11,459.0	$148,568.72 \\ 137.109.72 \\ 126,480.52 \\ 116,622.20 \\ 107,480.01$	1,751,795.48	80.1708	1,739.5721	33,965.2798	30
31	10,629.2		1.603,226.76	75.4997	1,659.4013	32,225.7077	31
32	9,858.32		1,466,117.04	71.2038	1,583.9016	30,566.3064	32
33	9,142.19		1,339,636.52	67.2472	1,512.6978	28,982.4048	33
34	8,476.86		1,223,014.32	63.5971	1,445.4506	27,469.7070	34
35	7,858.71	99,003.15	1,115,534.31 1,016,531.16 925,386.72 841,526.55 764,416.99	60.3119	1,381.8535	26,024.2564	35
36	7,284.27	91,144.44		57.1026	1,321.5416	24,642.4029	36
37	6,750.61	83,860.17		54.2079	1,264.4390	23.320.8613	37
38	6,254.78	77,109.56		51.5905	1,210.2311	22,056.4223	38
39	5,794.01	70,854.78		49.1504	1,158.6406	20,846.1912	39
40 41 42 43 44	5,365.81 4,967.83 4,598.04 4,254.28 3,934.80	65,060.77 59,694.96 54,727.13 50,129.09 45,874.81	$\begin{array}{c} 693,562.21 \\ 628,501.44 \\ 568,806.48 \\ 514,079.35 \\ 463,950.26 \end{array}$	$\begin{array}{c} 46.9335 \\ 44.7964 \\ 42.9560 \\ 41.1647 \\ 39.5668 \end{array}$	1,109.4902 1,062.5567 1,017.7603 974.8043 933.6396	19,687.5506 18,578.0604 17,515.5037 16,497.7434 15,522.9391	40 41 42 43 44
45	3,637.81	41,940.01	418,075.45	38.0908	894.0728	14,589.2995	45
46	3,361.73	38,302.20	376,135.44	36.7217	855.9820	13,695.2267	46
47	3,105.08	34,940.47	337,833.24	35.4854	819.2603	12,839.2447	47
48	2,866.47	31,835.39	302,892.77	34.3263	783.7749	12,019.9844	48
49	2,644.61	28,968.92	271,057.38	33.2688	749.4486	11,236.2095	49
50	2,438.33	26,324.31	242,088.46	32.2979	716.1798	10,486.7609	50
51	2,246.51	23,885.98	215,764.15	31.4007	683.8819	9,770.5811	51
52	2,068.15	21,639.47	191,878.17	30.5658	652.4812	9,086.6992	52
53	1,902.28	19,571.32	170,238.70	29.7834	621.9154	8,434.2180	53
54	1,748.05	17,669.04	150,667.38	29.0451	592.1320	7,812.3026	54

COMMUTATION COLUMNS. 7 PER CENT.

AGE.	D_x .	N_x .	Sã.	\mathbf{C}_{x} .	M_{ω} .	R_{x} .	AGE.
55	1,604.65	15,920.99	132,998.34	28.3891	563.0869	7,220.1706	55 56
56	1,471.28	14,316.34 $12,845.06$	117,077.35 102,761.01	27.7369 27.1474	534.6978 506.9609	6,657.0837 $6,122.3859$	57
57 58	1,347.29 1,232.00	11,497.77	89,915.95	26.5532	479.8135	5,615.4250	58
59	1,124.85	10,265.77	78,418.18	25.9723	453.2603	5,135.6115	59
60	1,025.29	9,140.916	68,152.409	25,4183	427.2880	4,682.3512	60
61	932.797	8,115.626	59,011.493	24.8708	401.8697	4,255.0632	61
62	846.904	7,182.829	50.895.867	24.3003	376.9989	3,853.1935	62
63	767.199	6,335.925	43,713.038	23.7374	352.6986	3,476.1946	63
64	693.269	5,568.726	37,377.113	23.1566	328.9612	3,123.4960	64
65	624.758	4,875.457	31,808.387	22.5616	305.8046	2,794.5348	65
66	561.326	4,250.699	26.932.930	21.9239	283.2430	2,488.7302	66
67	502.680	3,689.373	22,682.231	21.2730	261.3191	2,205.4872	67 68
68	448.521	3,186.693	18,992,858	20.5572	240.0461	1,944.1681	69
69	398.621	2,738.172	15,806.165	19.8352	219.4889	1,704.1220	00
70	352.709	2,339.551	13,067.993	19.0459	199.6537	1,484.6331	70
71	310.588	1,986.842	10,728.442	18.2213	180.6078	1,284.9794	71
72	272.048	1,676.254	8,741.600	17.3443	162,3865	1,104.3716	72
73	236.906	1,404.206	7,065.346	16.4172	145.0422	941.9851	73
74	204.991	1,167.300	5,661.140	15.4620	128.6250	796.9429	74
75	176.118	962.309	4,493.840	14.4504	113.1630	668.3179	75
76	150.146	786.191	3,531.531	13.4013	98.71266	555.15498	76
77	126.922	636.045	2,745.340	12.3357	85.31136	456.44232	77
78	106.283	509.123	2,109.295	11.2423	72.97566	371.13096	78
79	88.0874	402.8396	1,600.1718	10.1412	61.73336	298.15530	79
80	72.1835	314.7522	1,197.3322	9.04428	51.59216	236.42194	80
81	58.4168	242.5687	882.5800	7.96179	42.54788	184.82978	81
82	46.6334	184.1519	640.0113	6.91672	34.58609	142.28190	82
83	36.6660	137.5185	455.8594	5.90966	27.66937	107.69581	83 84
84	28.3576	100.8525	318.3409	4,96979	21.75971	80.02644	04
85	21.5326	72.4949	217.4884	4.09788	16.78992	58.26673	85
86	16.0260	50.9623	144.9935	3.30768	12.69204	41.47681	86
87	11.6699	34.9363	94.0312	2.61630	9.38436	28.78477	87
88	8.29016	23.26642	59.09493	2.01094	6.76806	19.40041	88
89	5.73687	14.97626	35.82851	1.56879	4.75712	12.63235	89
90	3.79277	9,23939	20.85225	.16319	3.18833	7.87523	90
91	2.38145	5.44662	11.61286	.797990			91
92	1.42767	3.06517	6.16624	.520014		2.661769	
93	.814258	1.637496	3.101066	.323420	.707132	$\begin{array}{c} 1.434623 \\ .727491 \end{array}$	93
94	.437568	.823238	1.463570	.189116			
95	.219827	.385670	.640332	.102723			95
96	.102723		.254662	.053648			96
97	.042354		.088819	.023750			97
98	.015833		.025699	.009865			98
99	.004933	.004933	.004933	.004610	.004610	.004610	99

LOGARITHMS OF COMMUTATION COLUMNS. 7 PER CENT.

AGE.	$\lambda \mathrm{D}_{x}.$	$\lambda N_{\omega}.$	λS_{x} .	λC_{∞} .	$\lambda \mathrm{M}_{x}.$	λR_{x} .	AGE,
10 11 12	4.706162 4.673955 4.641739	5.843757 5.810909 5.778010	6.962820 6.928482 6.894021	$\begin{array}{c} 2.488353 \\ 2.457627 \\ 2.426222 \end{array}$	3.714470 3.687868 3.661526	4.988172 4.964409 4.940804	10 11 12
13 14	4.609516 4.577284	5.745058 5.712049	6.859431 6.824704	$\begin{array}{ c c c c c }\hline 2.395485 \\ 2.365423 \\ \hline\end{array}$	3.635499 3.609761	4.917352 4.894043	13 14
15 16	4.545038 4.512782	5.678977 5.645841	6.789834 6.754814	2.334680 2.303933	$3.584286 \\ 3.559126$	4.870867 4.847816	15 16
17 18 19	4.480516 4.448235	5.612635 5.579353 5.545009	6.719636 6.684290	2.273866 2.243798 2.213799	3.534298 3.509776 3.485574	4.824881 4.802047 4.779305	17 18 19
20	4.415939 4.383628	5.545992 5.512545	6.648769 6.613063	2.213728 2.184344	3.461706	4.756641	20
21 22	4.351298 4.318847	5.479008 5.445374	$\begin{array}{c} 6.577163 \\ 6.541059 \end{array}$	$\begin{array}{c} 2.154961 \\ 2.125577 \end{array}$	3.438147 3.414911	4.734041 4.711493	21 22
23 24	$\begin{array}{c} 4.286575 \\ 4.254179 \end{array}$	$\begin{bmatrix} 5.411644 \\ 5.377796 \end{bmatrix}$	$\begin{array}{c} 6.504740 \\ 6.468195 \end{array}$	$\begin{array}{ c c c c c }\hline 2.096879 \\ 2.068179 \\ \hline\end{array}$	$\begin{array}{c} 3.392011 \\ 3.369422 \end{array}$	4.688981 4.666490	23 24
25 26	$\begin{array}{c} 4.221856 \\ 4.189308 \end{array}$	5.343831 5.309732	$\begin{array}{c} 6.431412 \\ 6.394379 \end{array}$	$\begin{array}{ c c c c c }\hline 2.039479 \\ 2.012139 \\\hline \end{array}$	$3.347156 \\ 3.325227$	4.644004 4.621507	25 26
27 28	4.156823 4.124305	5.275505 5.241135	6.357084 6.319512	1.984112 1.956756	3.303576 3.282249	4.598979 4.576404	27
30	4.091750 4.059148	5.206613	6.281651 6.243484	1.930731 1.904016	3.261222 3.240442	4.553763 4.531035	30
31 32	4.026501 3.993803	5.137068 5.102024	6.204995 6.166169	$\begin{array}{c} 1.877945 \\ 1.852503 \end{array}$	3.219951 3.199728	4.508202 4.485243	31 32
33 34	3.961050 3.928235	5.066781 5.031328	6.126987 6.087431	$\begin{array}{ c c c c c }\hline 1.827674 \\ 1.803438 \\ \hline\end{array}$	3.179752 3.160004	4.462134 4.438854	33 34
35 36	3.895351 3.862386	4.995649 4.959730	6.047483 6.007120	1.780403 1.756656	3.140462 3.121081	4.415378 4.391683	35 36
37 38 39	3.829343 3.796212 3.762979	4.923556 4.887108	5.966323 5.925068	1.734062 1.712570	3.101898 3.082868	4.367745	37
40	3.729635	4.850369 4.813319	5.883330 5.841085	1.691527 1.671483	3.063949 3.045123	4.319027 4.294192	39 40
41 42	3.696167 3.662573	4.775938 4.738203	5.798306 5.754964	$\begin{array}{c} 1.651243 \\ 1.633024 \end{array}$	$\begin{array}{c} 3.026352 \\ 3.007645 \end{array}$	4.269000 4.243423	41 42
43 44	3.628826 3.594923	4.700090 4.661574	5.711030 5.666471	$\begin{array}{ c c c c }\hline 1.614525 \\ 1.597331 \\ \hline\end{array}$	$\begin{array}{ c c c c c c }\hline 2.988917 \\ 2.970179 \\\hline \end{array}$	$\begin{array}{ c c c c c }\hline 4.217425 \\ 4.190974 \\ \hline\end{array}$	43 44
45 46	3.560840 3.526563	$\begin{array}{c} 4.622628 \\ 4.583224 \end{array}$	$5.621254 \\ 5.575344$	$\begin{array}{c c} 1.580820 \\ 1.564923 \end{array}$	2.951373 2.932465	4.164034 4.136569	45 46
48	3.492073 3.457347	4.543329 4.502910	5.528702 5.481289	1.550050 1.535627	2.913422 2.894191	4.108539 4.079904	47
50	3.422362 3.387093	4.461933	5.433061 5.383974	1.522037 1.509175	$\begin{array}{ c c c c c }\hline 2.874742 \\ 2.855022 \\ \hline \end{array}$	4.050620 4.020641	49 50
51 52	3.351509 3.315582	4.378143 4.335247	5.333979 5.283026	$\begin{array}{c} 1.496940 \\ 1.485235 \end{array}$	2.834981 2.814568	3.989920 3.958406	51 52
53 54	3.279275 3.242554	$\begin{array}{c} 4.291620 \\ 4.247213 \end{array}$	5.231059 5.178019	$\begin{array}{c} 1.473974 \\ 1.463073 \end{array}$	2.793731 2.772419	$3.926045 \\ 3.892779$	53 54

LOGARITHMS OF COMMUTATION COLUMNS. 7 PER CENT.

AGE.	λD_x .	λN_x .	λS_x .	λC_x .	λM_x .	λR_x .	AGE.
AGD.	$ \lambda D_x$.		/\Ox.	~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~	~111x.	Allx.	
55	3.205379	4.201970	5.123846	1.453152	2.750575	3.858547	55
56	3.167695	4.155833	5.068473	1.443058	2.728108	3.823284	56
57	3.129462	4.108736	5.011828	1.433728	2.704975	3.786920	57
58	3.090612	4.060614	4.953837	1.424116	2.681073	3.749383	58
59	3.051096	4.011391	4.894417	1.414510	2.656348	3.710592	59
60	3.010847	3.960990	4.833481	1.405146	2.630721	3.670464	60
61	2.969787	3.909322	4.770936	1.395690	2.604085	3.628906	61
62	2.927834	3.856295	4.706683	1.385611	2.576340	3.585821	62 63
63 64	2.884908	3.801810	$\frac{4.640611}{4.572605}$	1.375434 1.364674	$2.547404 \\ 2.517145$	3.541104 3.494641	64
0.7	2.840902	3.745756					
65	2.795712	3.688015	4.502541	1.353370	2.485444	3.446310	65
66	2.749215	3.628460	4.430284	1.340917	2.452159	3.395976	66
67	2.701292	3.566953	4.355685	1.327829	2.417171	3.343505	67
68	2.651783	3.503340	4.278591	1.312963	2.380295	3.288734	68
69	2.600560	3.437461	4.198826	1.297436	2.341413	3.231501	69
70	2.547416	3.369133	4.116209	1.279801	2.300277	3.171619	70
71	2.492185	3.298163	4.030537	1.260580	2.256737	3.108896	71
72	2.434645	3.224340	3.941591	1.239158	2.210550	3.043115	72
73	2.374576	3.147431	3.849134	1.215298	2.161494	2.974044	73
74	2.311734	3.067183	3.752904	1.189265	2.109326	2.901427	74
75	2.245803	2.983314	3.652618	1.159881	2.053705	2.824983	75
76	2.176513	2.895528	3.547963	1.127147	1.994373	2.744414	76
77	2.103536	2.803488	3.438596	1.091162	1.931007	2.659386	77
78	2.026462	2.706823	3.324137	1.050857	1.863178	2.569527	78
79	1.944914	2.605132	3.204166	1.006088	1.790520	2.474442	79
80	1.858438	2.497969	3.078215	0.956374	1.712584	2.373688	80
81	1.766538	2.384835	2.945754	0.901011	1.628878	2.266772	81
82	1.668697	2.265176	2.806188	0.839900	1.538901	2.153150	82
83	1.564263	2.138361	2.658830	0.771562	1.441999	2.032199	83
84	1.452669	2.003687	2.502892	0.696338	1.337653	1.903233	84
85	1.333096	1.860307	2.337436	0.612559	1.225049	1.765421	85
86	1.204825	1.707249	2.161349	0.519523	1.103531	1.617805	86
87	1.067067	1.543277	1.973272	0.417688	0.972405	1.459163	87
88	0.918563	1.366730	1.771550	0.303398	0.830464	1.287811	88
89	0.758675	1.175403	1.554229	0.195566	0.677344	1.101484	89
90	0.578956	0.965644	1.319153	0.065649	0.503563	0.896263	90
91	0.376842	0.736127	1.064939	1.901997	0.306454		91
92	0.154628	0.486455	0.790021	1.716015	0.088896	0.425170	92
93	1.910762	0.214181	0.491511	1.509767	1.849510	0.156738	93
94	1.641046	1.915525	0.165413	1.276727	1.584005	1.861828	94
95	1.342080	1.586216	$\bar{1}.806405$	<u>1</u> .011666	$\bar{1}.289134$	1.536279	95
96	1.011666	1.219697	$\bar{1}.405964$	$\bar{2}.729557$	$\frac{1}{2}$.963188	1.173719	96
97	$\bar{2}.626895$	2.800167	2.948506	$\bar{2}.375662$	$\bar{2}.582347$	$\frac{2}{2}$. 758230	97
98	$\bar{2}.199571$	2.317353	$\bar{2}.409916$	$\bar{3}.994096$	2.160619	$\frac{2.280692}{6.000000000000000000000000000000000000$	98
99	$\bar{3}.693066$	$\bar{3}.693066$	3.693066	$\bar{3}.663682$	$\bar{3}.663682$	3.663682	99
	1						

TABLE XL.

COMMUTATION COLUMNS. 8 PER CENT.

AGE.	\mathbb{D}_x .	N_x .	S_x .	C_x .	M_x .	R_x .	AGE.
10	46,319.3	571,113.6	6,833,398.9	277.916	4,014.670	64,935.891	10
11	42,610.4	524,794.3	6,262,285.3	256.536	3,736.754	60,921.221	11
12	39,197.6	482,183.9	5,737,491.0	236.430	3,480.218	57,184.467	12
13	36,057.5	442,986.3	5,255,307.1	218.235	3,243.788	53,704.249	13
14	33,168.4	406,928.8	4,812,320.8	201.755	3,025.553	50,460.461	14
15	30,509.8	373,760.4	4,405,392.0	186.226	2,823.798	47,434,908	15
16	28,063.5	343,250.6	4,031,631.6	171.891	2,637.572	44,611,110	16
17	25,812.9	315,187.1	3,688,381.0	158.908	2,465.681	41,973,538	17
18	23,741.9	289,374.2	3,373,193.9	146.906	2,306.773	39,507,857	18
19	21,836.4	265,632.3	3,083,819.7	135.809	2,159.867	37,201,084	19
20	20,083.0	243,795.9	2,818,187.4	125.749	2,024.058	35,041.217	20
21	18,469.6	223,712.9	2,574,391.5	116.434	1,898.309	33,017.159	21
22	16,985.1	205,243.3	2,350,678.6	107.810	1,781.875	31,118.850	22
23	15,619.1	188,258.2	2,145,435.3	99.9814	1,674.0644	29,336.9753	23
24	14,362.2	172,639.1	1,957,177.1	92.7214	1,574.0830	27,662.9109	24
25	13,205.6	158,276.9	1,784,538.0 1,626,261.1 1,481,189.8 1,348,259.9 1,226,492.13	85.9883	1,481.3616	26,088.8279	25
26	12,141.4	145,071.3		79.9944	1,395.3733	24,607.4663	26
27	11,162.1	132,929.9		74.3007	1,315.3789	23,212.0930	27
28	10,260.9	121,767.8		69.1189	1,241.0782	21,896.7141	28
29	9,431.72	111,506.91		64.4959	1,171.9593	20,655.6359	29
30	8,668.58	102,075.19	1,114,985,22	60.0865	1,107.4634	19,483.6766	30
31	7,966.40	93,406.61	1,012,910.03	56.0616	1,047.3769	18,376.2132	31
32	7,320.22	85,440.21	919,503.42	52.3823	991.3153	17,328.8363	32
33	6,725.60	78,119.99	834,063.21	49.0134	938.9330	16,337.5210	33
34	6,178.39	71,394.39	755,943.22	45.9239	889.9196	15,398.5880	34
35	5,674.82	65,216.00	684,548.83	43.1483	843.9957	14,508.6684	35
36	5,211.31	59,541.18	619,332.83	40.4740	800.8474	13,664.6727	36
37	4,784.80	54,329.87	559,791.65	38.0666	760.3734	12,863.8253	37
38	4,392.31	49,545.07	505,461.78	35.8931	722.3068	12,103.4519	38
39	4,031.07	45,152.76	455,916.71	33.8788	686.4137	11,381.1451	39
40	3,698.59	41,121.69	410,763.95	32.0512	652.5349	10,694.7314	40
41	3,392.56	37,423.10	369,642.26	30.3084	620.4837	10,042.1965	41
42	3,110.96	34,030.54	332,219.16	28.7942	590.1753	9,421.7128	42
43	2,851.72	30,919.58	298,188.62	27.3380	561.3811	8,831.5375	43
44	2,613.15	28,067.86	267,269.04	26.0335	534.0431	8,270.1564	44
45	2,393.54	$\begin{array}{c} 25,454.71 \\ 23,061.17 \\ 20,869.76 \\ 18,864.39 \\ 17,030.27 \end{array}$	239,201.18	24.8303	508.0096	7,736.1133	45
46	2,191.41		213,746.47	23.7162	483.1793	7,228.1037	46
47	2,005.37		190,685.30	22.7055	459.4631	6,744.9244	47
48	1,834.12		169,815.54	21.7604	436.7576	6,285.4613	48
49	1,676.50		150,951.15	20.8948	414.9972	5,848.7037	49
50	1,531.42	15,353.77	133,920.88	20.0972	394.1024	5,433.7065	50
51	1,397.88	13,822.35	118,567.11	19.3580	374.0052	5,039.6041	51
52	1,274.98	12,424.47	104,744.76	18.6688	354.6472	4,665.5989	52
53	1,161.87	11,149.49	92,320.29	18.0225	335.9784	4,310.9517	53
54	1,057.78	9,987.62	81,170.80	17.4130	317.9559	3,974.9733	54

TABLE XL.

COMMUTATION COLUMNS. 8 PER CENT.

	1	1 -		,		1	
AGE.	D _x .	N_{x} .	S_{ω} .	C_{∞}	M_{ω} .	\mathbb{R}_{x} .	AGE.
	962.011	8,929.843	71,183.180	16.8622	300.5429	3,657.0174	55
56	873.891 792.835	7,967.832 7,093.941	62,253.337 54,285.505	16.3222 15.8274	283.6807 267.3585	3,356.4745 3,072.7938	56 57
58	718.279	6,301.106	47,191.564	15.3376	251.5311	2,805.4353	58
59	649.736	5,582.827	40,890.458	14.8632	236.1935	2,553.9042	59
60	586.745	4,933.091	35,307.631	14.4114	221.3303	2,317.7107	60
61	528.870	4,346.346	30,374.540	13.9705	206.9189	2,096.3804	61
62 63		3,817.476 $3,341.752$	26,028.194	13.5236	192.9484	1,889.4615	62 63
	382.247	2,914.790	22,210.718 18,868.966	13.0881 12.6496	$\begin{vmatrix} 179.4248 \\ 166.3367 \end{vmatrix}$	1,696.5131 1,517.0883	64
65	341.283	2,532.543	15,954.176	12.2104	153.6871	1,350.7516	65
66	303.792	2,191.260	13,421.633	11.7554	141.4767	1,197.0645	66
67	269.534	1,887.468	11.230.373	11.3008	129.7213	1,055.5878	67
68	238.268 209.798	1,617.934	9,342.905 7,724.971	10.8195	118.4205	925.8665	68
		1,379.666		10.3428	107.6010	807.4460	
	183.916	1,169.868	6,345.305	9.83926	97.25822	699.84498	70
71 72	160.452 139.241	$985.952 \\ 825.500$	5,175.437 4,189.485	$\begin{vmatrix} 9.32613 \\ 8.79508 \end{vmatrix}$	87.41896 78.09283	$\begin{array}{c} 602.58676 \\ 515.16780 \end{array}$	71 72
	120.132	686.259	3,363.985	8.24783	69.29775	437.07497	73
	102.985	566.127	2,677.726	7.69603	61.04992	367.77722	74
75	87.6605	463.1417	2,111.5992	7.12596	53.35389	306.72730	75
76	74.0413	375.4812	1,648.4575	6.54739	46.22793	253.37341	76
77	62.0095	301.4399	$1,272.9763 \\ 971.5364$	5.97096	39.68054	$\begin{vmatrix} 207.14548 \\ 167.46494 \end{vmatrix}$	77 78
78 79	51.4451 42.2430	$\begin{array}{c c} 239.4304 \\ 187.9853 \end{array}$	732.1060	5.39136 4.81826	$\begin{vmatrix} 33.70958 \\ 28.31822 \end{vmatrix}$	133.75536	79
80	34,2957	145.7423	544.1207	4.25731	23.49996	105.43714	80
81	27.4979	111.4466	398.3784	3.71307	19.24265	81.93718	81
82	21.7480	83.9487	286.9318	3.19582	15.52958	62.69453	82
83	16.9412	62.2007	202.9831	2.70523	12.33376	47.16495	83
84	12.9811	45.2595	140.7824	2.25393	9.62853	34.83119	84
85	9.76558	32.27839	95.52286	1.84129	7.37460	25.20266	85
86	7.20090	22.51281	63.24447	1.47247	5.53331 4.06084	17.82806	86
87	5.19504 3.65633	15.31191 10.11687	40.73166 25.41975	1.15391 $.878699$	2.906926	$\begin{array}{c} 12.29475 \\ 8.233909 \end{array}$	87
89	2.50679	6.46054	15.30288	.679154	2.028227	5.326983	89
90	1.64194	3.95375	8.84234	.498897	1.349073	3.298756	90
91	1.02142	2.31181	4.88859	.339094	.850176	1.949683	91
92	.606667		2.57678	.218926	.511082	1.099507	92
93 94	.342803 .182511		1.286398 $.602680$	$\begin{array}{c c} .134899 \\ .078150 \end{array}$			93 94
95	.090841		.261765	.042056	.079107		95
96	.042056			.021761	.037051	.059905	96
97	.017180	.025507	.035798	.009544	.015290	.022854	97
98	.006363			.003928			98
99	.001964	.001964	.001964	.001818	.001818	.001818	99

COMMUTATION COLUMNS. 9 PER CENT.

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AGE.	D_x	N_{x} .	S_x .	\mathbb{C}_x .	M_x .	R_x .	AGE,
10	42,241.1	473,006.5	5,184,561.6	251.121	3,185.523	44,923.415	10
11	38,502.2	430,765.4	4,711,555.1	229.675	2,934.402	41,737.892	11
12	35,093.4	392,263.2	4,280,789.7	209.733	2,704.727	38,803.490	12
13	31,986.0	357,169.8	3,888,526.5	191.817	2,494.994	36,098.763	13
14	29,153.2	325,183.8	3,531,356.7	175.704	2,303.177	33,603.769	14
15	26,570.4	296,030.6	3,206,172.9	160.693	2,127.473	31,300.592	15
16	24,215.8	269,460.2	2,910,142.3	146.963	1,966.780	29,173.119	16
17	22,069.4	245,244.4	2,640,682.1	134.616	1,819.817	27,206.339	17
18	20,112.5	223,175.0	2,395,437.7	123.306	1,685.201	25,386.522	18
19	18,328.6	203,062.5	2,172,262.7	112.947	1,561.895	23,701.321	19
20	16,702.2	184,733.9	1,969,200.2	103.621	1,448.948	22,139.426	20
21	15,219.5	168,031.7	1,784,466.3	95.0650	1,345.3274	20,690.4780	21
22	13,867.8	152,812.2	1,616,434.6	87.2156	1,250.2624	19,345.1506	22
23	12,635.5	138,944.4	1,463,622.4	80.1407	1,163.0468	18,094.8882	23
24	11,512.1	126,308.9	1,324,678.0	73.6396	1,082.9061	16,931.8414	24
25	10,487.9	114,796.8	1,198,369.1	67.6656	1,009.2665	15,848.9353	25
26	9,554.26	104,308.94	1,083,572.28	62.3714	941.6009	14,839.6688	26
27	8,703.02	94,754.68	979,263.34	57.4006	879.2295	13,898.0679	27
28	7,927.00	86,051.66	884,508.66	52.9075	821.8289	13,018.8384	28
29	7,219.58	78,124.66	798,457.00	48.9159	768.9214	12,197.0095	29
30	6,574.55	70,905.08	720,332.34	45.1535	$720.0055 \\ 674.8520 \\ 633.1095 \\ 594.4645 \\ 558.6366$	11,428.0881	30
31	5,986.56	64,330.53	649,427.26	41.7425		10,708.0826	31
32	5,450.50	58,343.97	585,096.73	38.6450		10,033.2306	32
33	4,961.82	52,893.47	526,752.76	35.8279		9,400.1211	33
34	4,516.29	47,931.65	473,859.29	33.2615		8,805.6566	34
35	4,110.13	43,415.36	425,927.64	30.9646	525.3751	8,247,0200	35
36	3,739.80	39,305.23	382,512.28	28.7789	494.4105	7,721,6449	36
37	3,402.23	35,565.43	343,207.05	26.8188	465.6316	7,227,2344	37
38	3,094.49	32,163.20	307,641.62	25.0555	438.8128	6,761,6028	38
39	2,813.93	29,068.71	275,478.42	23.4325	413.7573	6,322,7900	39
40	2,558.15	26,254.78	246,409.71	$\begin{array}{c} 21.9650 \\ 20.5801 \\ 19.3726 \\ 18.2241 \\ 17.1952 \end{array}$	390.3248	5.909.0327	40
41	2,324.96	23,696.63	220,154.93		368.3598	5,518.7079	41
42	2,112.41	21,371.67	196,458.30		347.7797	5,150.3481	42
43	1,918.62	19,259.26	175,086.63		328.4071	4,802.5684	43
44	1,741.98	17,340.64	155,827.37		310.1830	4,474.1613	44
45	1,580.95	15,598.66	138,486.73	16.2501	292.9878	4,163.9783	45
46	1,434.16	14,017.71	122,888.07	15.3786	276.7377	3,870.9905	46
47	1,300.37	12,583.55	108,870.36	14.5881	261.3591	3,594.2528	47
48	1,178.41	11,283.18	96,286.81	13.8527	246.7710	3,332.8937	48
49	1,067.26	10,104.77	85,003.63	13.1796	232.9183	3,086.1227	49
50	965.955	9,037.511	74,898.859	12.5602	219.7387	2,853.2044	50
51	873.636	8,071.556	65,861.348	11.9872	207.1785	2,633.4657	51
52	789.514	7,197.920	57,789.792	11.4544	195.1913	2,426.2872	52
53	712.871	6,408.406	50,591.872	10.9564	183.7369	2,231.0959	53
54	643.053	5,695.535	44,183.466	10.4888	172.7805	2,047.3590	54

COMMUTATION COLUMNS. 9 PER CENT.

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AGE.	$\mathrm{D}_{x}.$	N_x .	S_{∞} .	C_x .	M_{x} .	R_{x} .	AGE.
55	579.469	5,052.482	38,487.931	10.06385	162.2917	1,874.5785	55
56	521.559	4,473.013	33,435.449	9.65214	152.22788	1,712.28676	56
57	468.843	3,951.454	28,962.436	9.27363	142.57574	1,560.05888	57
58 59	420.857 377.204	$\begin{vmatrix} 3,482.611 \\ 3,061.754 \end{vmatrix}$	25,010.982 $21,528.371$	8.90421 8.54962	$\begin{vmatrix} 133.30211 \\ 124.39790 \end{vmatrix}$	1,417.48314 1,284.18103	58
99	311.20±	5,001.704	21,020.071	0.0400%	124.00700	1,204.10100	00
60	337.508	2,684.550	18,466.617	8.21372	115.84828	1,159.78313	60
61	301.427	2,347.042	15,782.067	7.88935	107.63456	1,043.93485	61
62 63	268.649 238.901	2,045.615 $1,776.966$	13,435.025 11,389.410	7.56693 7.25604	99.74521 92.17828	936.30029 836.55508	62 63
64	211.918	1,538.065	9,612.444	6.94860	84.92224	744.37680	64
0.1							
65	187.472	1,326.147	8,074.379	6.64584	77.97364	659.45456	65
66	165.347 145.355	$1,138.675 \\ 973.328$	6,748.232 $5,609.557$	$\begin{bmatrix} 6.33950 \\ 6.03843 \end{bmatrix}$	$71.32780 \\ 64.98830$	581.48092 510.15312	66
68	127.315	827.973	4,636.229	5.72817	58.94987	445.16482	68
69	111.074	700.658	3,808.256	5.42557	53.22170	386.21495	69
			,			222 00225	70
70	96.4773	589.5838 493.1065	3,107.5975 $2,518.0137$	5.11408 4.80291	47.79613 42.68205	$\begin{array}{c} 332.99325 \\ 285.19712 \end{array}$	70 71
71 72	83.3973 71.7082	409.7092	2,024.9072	4.48787	37.87914	242.51507	72
73	61.2997	338.0010	1,615.1980	4.17001	33.39127	204.63593	73
74	52.0681	276.7013	1,277.1970	3.85533	29.22126	171.24466	74
75	43.9136	224.6332	1,000.4957	3.53700	25.36593	142.02340	75
76	36.7507	180.7196	775.8625	3.22001	21.82893	116.65747	76
77	30.4963	143.9689	595.1429	2.90958	18.60892	94.82854	77
78	25.0686	113.4726	451.1740	2.60305	15.69934	76.21962	78
79	20.3957	88.4040	337.7014	2.30500	13.09629	60.52028	79
80	16.4067	68,0083	249.2974	2.01796	10.79129	47.42399	80
81	13.0340	51.6016	181.2891	1.74385	8.77333	36.63270	81
82	10.2140	38.5676	129.6875	1.48715	7.02948	27.85937	82
83	7.88346	28.35357	91.11993	1.24731	5.54233	20.82989	83
84	5.98522	20.47011	62.76636	1.02969	4.29502	15.28756	84
85	4.46134	14.48489	42.29625	.833461	3.265334		85
86	3.25950	10.02355	27.81136	.660399	2.431873	7.727201	86
87	2.32997	6.76405	17.78781	.512777			87
88	1.62481	4.43408 2.80927	$\begin{array}{c} 11.02376 \\ 6.58968 \end{array}$	386898 296293	1.258697 $.871799$	3.523854 2.265157	88
09	1.10376	2.00021	0.00000	. 200200			
90	.716326	1.705505	3.780411	.215656	.575506	1.393358	90
91	.441525	.989179	2.074906	.145234	.359850	.817852 .458002	91
92 93	.259835 $.145475$.547654 $.287819$	1.085727 $.538073$	092906 056722	.214616 .121710		92
94	.076742	.142344	.250254	.032559	.064988	.121676	94
				.017361	.032429	.056688	95
95 96	.037846 $.017361$	0.065602 0.027756	.107910 $.042308$.008900	.015068	.024259	96
97	.007027	.010395	.014552	.003868	.006168		97
98	.002579	.003368	.004157	.001577	.002300	.003023	98
99	.000789	.000789	.000789	.000723	.000723	.000723	99
				1	MT.		

COMMUTATION COLUMNS. 10 PER CENT.

			1	1			
AGE.	D_x .	N_x .	S_x .	\mathbb{C}_{x} .	M_x .	\mathbf{R}_{x} .	AGE,
10	38,554.3	395,760.5	4,000,286.2	227.120	2,576.107	32,098.169	10
11	34,822.3	357,206.2	3,604,525.7	205.836	2,348.987	29,522.062	11
12	31,450.8	322,383.9	3,247,319.5	186.254	2,143.151	27,173.075	12
13		290,933.1	2,924,935.6	168.795	1,956.897	25,029.924	13
14	25,654.2	262,527.8	2,634,002.5	153.211	1,788.102	23,073.027	14
15	23,168.9	236,873.6	2,371,474.7	138.847	1,634.891	21,284.925	15
16	20,923.7	213,704.7	2,134,601.1	125.829	1,496.044	19,650.034	16
17	18,895.8	192,781.0	1,920.896.4	114.210	1,370.215	18,153.990	17
18	17,063.8	173,885.2	1,728,115.4	103.664	1,256.005	16,783.775	18
19	15,408.8	156,821.4	1,554,230.2	94.0914	1,152.3412	15,527.7698	19
20	13,913.9	141,412.6	1,397,408.8	85.5376	1,058:2498	14,375.4286	20
21	12,563.5	127,498.7	1,255,996.2	77.7615	972.7122	13,317.1788	21
22	11,343.6	114,935.2	1,128,497.5	70.6923	894.9507	12,344.4666	22
23	10,241.7	103,591.6	1.013,562.3	64.3673	824.2584	11,449.5159	23
24	9,246.26	93,349.9	909,970.7	58.6080	759.8911	10,625.2575	24
25	8,347.07	84,103.61	816,620.82	53.3639	701.2831	9,865.3664	25
26	7,534.87	75,756.54	732,517.21	48.7414	647.9192	9,164.0833	26
27	6,801.16	68,221.67	656,760.67	44.4491	599.1778	8,516.1641	27
28	6,138.41	61,420.51	588,539.00	40.5974	554.7287	7,916.9863	28
29	5,539.77	55,282.10	527,118.49	37.1933	514.1313	7,362.2576	29
30	4,998.96	49,742.33	471,836.39	34.0205	476.9380	6,848.1263	30
31	4,510.50	44,743.37	422,094.06	31.1645	442.9175	6,371.1883	31
32	4,069.28	40,232.87	377,350.69	28.5897	411.7530	5,928.2708	32
33	3,670.76	36,163.59	337,117.82	26.2646	383.1633	5,516.5178	33
34	3,310.79	32,492.83	300,954.23	24.1616	356.8987	5,133.3545	34
35	2,985.64	29,182.04	268,461.40	22.2886	332.7371	4,776.4558	35
36	2,691.94	26,196.40	239,279.36	20.5270	310.4485	4,443.7187	36
37	2,426.69	23,504.46	213,082.96	18.9550	289.9215	4,133.2702	37
38	2,187.13	21,077.77	189,578.50	17.5478	270.9665	3,843.3487	38
39	1,970.75	18,890.64	168,500.73	16.2619	253.4187	3,572.3822	39
40	1,775.33	16,919.89	149,610.09	15.1049	237.1568	3,318.9635	40
41	1,598.83	15,144.56	132,690.20	14.0239	222.0519	3,081.8067	41
42	1,439.46	13,545.73	117,545.64	13.0810	208.0280	2,859.7548	42
43	1,295.52	12,106.27	103,999.91	12.1936	194.9470	2,651.7268	43
44	1,165.55	10,810.75	91,893.64	11.4007	182.7534	2,456.7798	44
45	1,048.19	9,645.20	81,082.89	10.6761	171.3527	2,274.0264	45
46	942.224		71,437.69	10.0116	160.6766	2,102.6737	46
47	846.555		62,840.682	9.41070	150.66503	1,941.99711	
48	760.185	/	55,185.897	8.85503	141.25433	1,791.33208	
49	682.221	6,048.045	48,377.667	8.34818	132.39930	1,650.07775	49
50	611.854		42,329.622	7.88353	124.05112	1,517.67845	50
51	548.346	, ,	36,963.798	7.45549		1,393.62733	
52	491.041	4,205.624	32,209.828	7.05933	108.71210	1,277.45974	52
53	439.342	. ,	28,004.204	6.69103	101.65277	1,168.74764	
54	392.711	3,275.241	24,289.621	6.34722	94.96174	1,067.09487	54
		1					

COMMUTATION COLUMNS. 10 PER CENT.

	1	1		1	1	1	
AGE.	D_x .	N_x .	S_x .	C_x .	M_x .	\mathbb{R}_x .	AGE.
55	350,662	2,882,531	21,014.380	6.03467	88,61452	972.13313	55
56		2,531.869	18,131.849	5.73523	82.57985	883.51861	56
57	278.583	2.219.119	15,599,980	5.46023	76.84462	800.93876	57
					71.38439	724.09414	58
58	247.796	1,940.536	13,380.861	5.19506		652.70975	59
59	220.075	1,692.740	11,440.325	4.94283	66.18933	002.10010	00
60	195.125	1,472.664	9,747.585	4,70546	61.24650	586,52042	60
61	172.681	1,277.539	8,274.921	4.47855	56.54104	525.27392	61
62	152.504	1,104.858	6.997.382	4.25647	52.06249	468.73288	62
63	134.384	952.354	5,892.524	4.04449	47.80602	416.67039	63
64	118.122	817.970	4,940.170	3.83791	43.76153	368.86437	64
01	110.122	011.010	1,010.110	0.00,01	10110100		
65	103.546	699.848	4,122.200	3.63732	39.92362	325.10284	65
66	90.4955	596.3028	3,422.3523	3.43811	36.28630	285.17922	66
67	78.8306	505.8073	2,826.0495	3.24507	32.84819	248.89292	67
68	68.4191	426.9757	2,320.2422	3.05034	29.60312	216.04473	68
69	59.1488	358.5566	1,893.2665	2.86294	26.55278	186.44161	69
W 0		200		0.001101	00 00004	1=0 00000	70
70	50.9087	299.4078	1,534.7099.	2.67404	23.68984	159.88883	70
71	43.6066	248.4991	1,235.3021	2.48851	21.01580	136.19899	71
72	37.1539	204.8925	986.8030	2.30414	18.52729	115.18319	72
73	31.4721	167.7386	781.9105	2.12148	16.22315	96.65590	73
74	26.4895	136.2665	614.1719	1.94356	14.10167	80.43275	74
75	22.1378	109.7770	477,9054	1.76687	12.15811	66.33108	75
76	18.3585	87.6392	368.1284	1.59390	10.39124	54.17297	76
77	15.0956	69.2807	280.4892	1.42714	8.79734	43.78173	77
78	12,2961	54.1851	211.2085	1.26518	7.37020	34.98439	78
79	9.91311	41.88903	157.02340	1.11014	6.10502	27.61419	79
. 0	0.01011						
80	7.90178	31.97592	115.13437	.963058	4.994877	21.509173	80
81	6.22038	24.07414	83.15845	.824671	4.031819	16.514296	81
82	4.83022	17.85376	59.08431	.696884	3.207148	12.482477	82
83	3.69422	13.02354	41.23055	.579181	2.510264	9.275329	83
84	2.77920	9.32933	28.20701	.473785	1.931083	6.765065	84
85	2.05276	6.55012	18.87769	.380009	1.457298	4.833982	85
	1.48614	4.49736	12.32757	.298365	1.077289	3.376684	86
86	1.48014 1.05267	3.01122	7.83021	.229564	.778924	2.299395	87
		1.958552	4.818985	.171635	.549360	1.520471	88
88	.727410 $.489646$	1.231142	2.850433	.130246	.377725	.971111	89
09	.409040	1.201142	N.0 10400	.100010			
90	.314886	.741496	1.629291	.093937	.247479	.593386	90
91	.192323	.426610	.887795	.062687	.153542	.345907	91
92	.112152	.234287	.461185	.039736	.090855	.192365	92
93	.062221	.122135	.226898	.024040	.051119	.101510	93
94	.032524	.059914	.104763	.013674	.027079	.050391	94
95	.015894	.027390	.044849	.007226	.013405	.023312	95
96	.007225		.017459	.003670	.006179	.009907	96
97	.002898		.005963	.001580	.002509	.003728	97
98	.001054		.001692	.000639	.000929	.001219	98
99	.000319		.000319	.000290	.000290	.000290	99
	.000518	1			l .		

TABLE XLIII.

COMMON LOGARITHMS FOR SPECIAL FORMULAS. Value of λ (vp_x) , of μ_x , λ μ_x , v, δ , and $\lambda\delta$.

AGE.			λ	(vp_x) .					AGE,
x.	Per Cent.	$3\frac{1}{2}$ Per Čent.	Per Cent.	Per $\frac{4\frac{1}{3}}{\text{Cent.}}$	5 Per Cent.	6 Per Cent.	μ_x .	$\lambda \mu_{x}$.	x.
10 11 12 13 14	1.984341 .984329 .984325 .984313 .984302	1.982236 .982227 .982221 .982211 .982198	1.980143 .980134 .980128 .980118 .980105	1.978061 .978051 .978044 .978036 .978022	1.975988 .975977 .975972 .975963 .975949	1.971872 .971861 .971855 .971846 .971832	0.006493 .006513 .006530 .006547 .006572	3.81245 .81378 .81491 .81604 .81770	10 11 12 13 14
15 16 17 18 19	1.984289 .984282 .984265 .984250 .984236	ī.982186 .982178 .982163 .982147 .982133	1.980094 .980084 .980070 .980055 .980039	$ \begin{array}{c} \hline{1.978010} \\ .978002 \\ .977987 \\ .977971 \\ .977957 \end{array} $	1.975937 .975929 .975914 .975898 .975884	$\begin{bmatrix} \bar{1}.971821 \\ .971812 \\ .971797 \\ .971783 \\ .971767 \end{bmatrix}$	0.006600 .006624 .006653 .006687 .006721	$\overline{3}.81954$ $.82112$ $.82302$ $.82523$ $.82743$	15 16 17 18 19
20 21 22 23 24	ī.984217 .984195 .984175 .984150 .984125	1.982113 .982092 .982072 .982048 .982020	1.980020 .980000 .979978 .979955 .979928	1.977937 .977916 .977896 .977872 .977845	$ar{1.975864} \\ .975843 \\ .975823 \\ .975799 \\ .975772$	1.971747 .971727 .971706 .971682 .971655	$\begin{bmatrix} 0.006762\\.006807\\.006854\\.006906\\.006965 \end{bmatrix}$	3.83008 .83296 .83594 .83923 .84292	20 21 22 23 24
25 26 27 28 29	1.984097 .984062 .984028 .983993 .983943	ī.981995 .981959 .981925 .981888 .981841	$ar{1.979901} \\ .979866 \\ .979833 \\ .979795 \\ .979748$		1.975745 .975710 .975677 .975639 .975592	1.971630 .971593 .971560 .971522 .971476	$\begin{array}{c} 0.007027 \\ .007098 \\ .007176 \\ .007258 \\ .007354 \end{array}$	$ar{3.84677} \\ .85114 \\ .85588 \\ .86082 \\ .86652$	25 26 27 28 29
30 31 32 33 34	1.983901 .983847 .983795 .983730 .983664	1.981797 .981746 .981691 .981627 .981560	$egin{array}{l} \overline{1.979704} \\ .979652 \\ .979598 \\ .979535 \\ .979466 \\ \end{array}$	1.977621 .977570 .977514 .977452 .977384	$\begin{bmatrix} \bar{1}.975548 \\ .975496 \\ .975442 \\ .975379 \\ .975311 \end{bmatrix}$	1.971431 .971380 .971325 .971263 .971194	$\begin{bmatrix} 0.007460 \\ .007569 \\ .007692 \\ .007829 \\ .007978 \end{bmatrix}$	3.87274 .87904 .88604 .89371 .90189	30 31 32 33 34
35 36 37 38 39	7.983580 .983504 .983416 .983313 .983203	1.981478 .981401 .981313 .981209 .981100	$ar{1.979386} \ .979307 \ .979220 \ .979117 \ .979006$	ī.977303 .977224 .977137 .977034 .976923	$ar{1}.975229 \\ .975152 \\ .975064 \\ .974960 \\ .974851$	7.971113 .971035 .970947 .970844 .970734	0.008148 .008330 .008524 .008744 .008987	$\overline{3.91105}$ $.92065$ $.93064$ $.94171$ $.95361$	35 36 37 38 39
40 41 42 43 44	ī.983078 .982953 .982800 .982643 .982463	1.980976 .980849 .980696 .980541 .980360	1.978883 .978757 .978602 .978448 .978268	$ar{1.976800} \\ .976674 \\ .976520 \\ .976364 \\ .976185$	ī.974727 .974600 .974447 .974292 .974112	$ar{1}.970611 \\ .970484 \\ .970330 \\ .970175 \\ .969995$	0.009254 .009544 .009866 .010221 .010606	$ \bar{3}.96633 $ $.97973 $ $.99414 $ $ \bar{2}.00949 $ $.02555 $	40 41 42 43 44
45 46 47 48 49	1.982272 .982055 .981821 .981561 .981279	1.980167 .979954 .979716 .979459 .979175	$ar{1}.978073 \\ .977861 \\ .977624 \\ .977365 \\ .977082$	1.975991 .975777 .975541 .975282 .975000	ī.973917 .973705 .973468 .973209 .972926	1.969801 .969588 .969351 .969093 .968810	0.011035 .011504 .012021 .012589 .013213	2.04277 .06085 .07994 .09999 .12100	45 46 47 48 49
50 51 52 53 54	1.980961 .980619 .980240 .979827 .979370	1.978859 .978516 .978137 .977722 .977269	1.976767 .976422 .976044 .975630 .975175	1.974683 .974340 .973961 .973546 .973093	1.972611 .972266 .971888 .971474 .971020	$ar{1}.968494 \\ .968150 \\ .967771 \\ .967357 \\ .966903$	$ \begin{array}{c} 0.013901 \\ .014658 \\ .015488 \\ .016402 \\ .017402 \end{array} $	2.14305 .16607 .19000 .21490 .24060	50 51 52 53 54

Formula,
$$vp_x = \frac{vl_{x+1}}{l_x} = \frac{D_{x+1}}{D_x}$$
. $\mu_x = -\frac{dl_x}{l_x dx}$.

TABLE XLIII.

COMMON LOGARITHMS FOR SPECIAL FORMULAS.

AGE.			$\lambda (v_i)$	p_x).				$\lambda \mu_x$.	AGE.
x.	Per Cent.	Per Čent.	Per Cent.	Per Čent.	Per Cent.	6 Per Cent.	μ_{x^*}		<i>x</i> .
55 56 57 58 59	1.978863 .978314 .977696 .977030 .976299	1.976759 .976210 .975594 .974927 .974195	$ar{1}.974667 \\ .974117 \\ .973500 \\ .972835 \\ .972102$	1.972584 .972033 .971418 .970752 .970019	1.970510 .969961 .969345 .968678 .967946	7.966395 .965844 .965228 .964562 .963829	$\begin{array}{c} 0.018508 \\ .019725 \\ .021064 \\ .022541 \\ .024151 \end{array}$	2.26736 .29502 .32354 .35297 .38294	55 56 57 58 59
60 61 62 63 64	Ī.975486 .974593 .973621 .972541 .971356	Ī.973384 .972489 .971518 .970437 .969254	1.971290 .970397 .969425 .968344 .967161	1.969207 .968314 .967342 .966261 .965078	1.967135 .966241 .965268 .964189 .963005	1.963018 .962124 .961153 .960072 .958888	0.025921 .027883 .030027 .032385 .034988	2.41365 .44534 .47751 .51034 .54392	60 61 62 63 64
65 66 67 68 69	1.970049 .968624 .967037 .965325 .963401	$ar{1}.967946 \\ .966521 \\ .964934 \\ .963221 \\ .961299$	$ar{1}.965853 \\ .964427 \\ .962842 \\ .961128 \\ .959205$	$\overline{1.963770}$ $.962345$ $.960758$ $.959045$ $.957122$	ī.961696 .960272 .958686 .956971 .955050	1.957580 .956155 .954569 .952855 .950933	0.037853 .040996 .044457 .048249 .052427	2.57810 .61274 .64794 .68349 .71956	65 66 67 68 69
70 71 72 73 74	1.961316 .959006 .956478 .953704 .950616	$ \overline{1.959212} $ $.956904 $ $.954375 $ $.951600 $ $.948513 $	1.957120 .954811 .952281 .949508 .946420	ī.955037 .952728 .950199 .947425 .944336	$ar{1.952963} \ .950656 \ .948125 \ .945352 \ .942264$	Ī.948848 .946538 .944009 .941235 .938147	0.057039 .062089 .067652 .073746 .080484	2.75617 .79301 .83028 .86774 .90571	70 71 72 73 74
75 76 77 78 79	ī.947257 .943570 .939473 .934997 .930071	ī.945153 .941467 .937370 .932894 .927968	$\overline{1}$, 943060 .939374 .935277 .930801 .925875	1.940978 .937291 .933193 .928719 .923792	1.938904 .935218 .931121 .926645 .921719	1.934788 .931101 .927005 .922529 .917602	0.087902 .095996 .104940 .114801 .125606	2.94400 .98225 1.02094 .05995 .09901	75 76 77 78 79
80 81 82 83 84	$ar{1}.924647 \\ .918706 \\ .912111 \\ .904953 \\ .896974$	$ar{1.922544} \\ .916602 \\ .910009 \\ .902850 \\ .894870$	1.920451 .914509 .907916 .900757 .892777	1.918368 .912426 .905833 .898674 .890694	1.916295 .910354 .903759 .896601 .888622	ī.912178 .906237 .899643 .892484 .884506		1.13832 .17774 .21743 .25719 .29706	80 81 82 83 84
85 86 87 88 89	ī.888276 .878789 .868041 .856659 .836828	1.886173 .876686 .865938 .854556 .834725	1.884080 .874593 .863845 .852462 .832633	Ī.881997 .872510 .861762 .850380 .830549	1.879923 .870437 .859690 .848306 .828476	ī.875807 .866320 .855573 .844190 .824359	0.217377 .238266 .261501 .286671 .321451	$egin{array}{l} ar{1}.33721 \\ .37706 \\ .41747 \\ .45738 \\ .50711 \\ \end{array}$	85 86 87 88 89
90 91 92 93 94	1.814433 .794331 .772681 .746831 .717581	ī.812329 .792229 .770578 .744727 .715478	1.810236 .790136 .768484 .742635 .713385	1.808154 .788052 .766402 .740552 .711301	1.806081 .785980 .764328 .738479 .709229	1.801964 .781863 .760213 .734362 .705112	0.371233 .421033 .468238 .522329 .585986	1.56965 .62432 .67047 .71794 .76789	90 91 92 93 94
95 96 97 98	$egin{array}{l} ar{1}.686132 \\ .631775 \\ .589223 \\ .510042 \\ \hline \end{array}$	$\begin{array}{c} \bar{1}.684029 \\ .629672 \\ .587120 \\ .507938 \end{array}$.627579 .585026 .505846	7.679854 .625496 .582944 .503762	1.677780 .623423 .580871 .501689	$ \begin{array}{c} \overline{1.673664} \\ .619306 \\ .576754 \\ \underline{.497573} \end{array} $	$\begin{array}{c} 0.655714 \\ .748812 \\ .871770 \\ .988400 \\ \hline \end{array}$	$ \begin{array}{c c} \hline{1.81671} \\ .87437 \\ .94040 \\ .99493 \end{array} $	95 96 97 98
$\begin{bmatrix} v \\ \delta \\ \lambda \delta \end{bmatrix}$	$\begin{array}{c} 0.970874 \\029559 \\ \overline{2}.470687 \end{array}$	0.966184 0.034401 0.536577	$\begin{array}{c} 0.961538 \\ .039221 \\ 2.593516 \end{array}$	$\begin{array}{c} 0.956938 \\ .044017 \\ \hline 2.643619 \end{array}$	$\begin{array}{c} 0.952381 \\ .048790 \\ 2.688332 \end{array}$.058269			$\begin{bmatrix} v \\ \delta \\ \lambda \delta \end{bmatrix}$

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF nANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

The first Value under the Age x is $\lambda(1+\alpha_x)$ for the whole Life. 4 PER CENT.

Pay-	x=10	11	12	13	14	15	16	17	Pay-
ments.									ments.
77.				1.311567					n.
1				0.000000					1
2 3	.291215 $.457564$.291207			.291191		$\begin{array}{c} .291179 \\ .457491 \end{array}$	2 3
4	.572834		.457549 $.572810$.457527		.572743		
5 6	0.660148 $.729805$			0.660093				.729610	5
7	.787302	.729785 .787276			$\begin{array}{c} .729707 \\ .787181 \end{array}$				7
8	.835915				.835771				8
9	.877761	.877725			.877593			.877423	9
10	0.914284	0.914242	0.914198	0.914146	0.914090	0.914032	0.913967	0.913893	10
11	.946514		.946415			.946226			11
12	.975210				.974962		.974802		12
13				1.000754					13
14	.024186				.023877	.023782		.023560	14
15				1.045026					15
16	.064488								16
17 18	082076 098228					0.081537 0.097640	081397 097486	.081240 $.097316$	17
19	.113106				.112618			.112113	19
20	1 196949	1 106722		1.126470				1.125770	20
21	.139570					.138818			21
22	.151373					.150561		.150114	
23	.162344				.161678	.161470	.161241	.160988	23
24	.172559	.172405	.172237	.172049	.171843	.171620	.171374	.171102	24
25	1.182086	1.181921	1.181740	1.181538	1.181317	1.181077	1.180814	1.180521	25
26	.190983					.189901		.189305	26
27	.199299			.198671	.198418				
28 29	.207084 $.214377$	1			$\begin{array}{c} .206142 \\ .213371 \end{array}$	205847 213057	$\begin{array}{c} .205524 \\ .212712 \end{array}$		28 29
30	1.221216 $.227633$			1.220451 .226818	1.220144	1.219809 $.226135$	1.219441	1.219034	30
31 32	233659	.233396				.232065		.225310	31 32
33	.239320		.238736		.238029				33
34	.244642	.244345	.244022	.243663	.243271	.242843			34
35	1.249645	1.249332	1.248988	1.248607	1.248192	1.247738	1.247239	1.246690	35
36	.254352	.254019	.253655	.253252	.252811	.252331	.251802	.251220	36
37	.258780	.258427	.258042	.257616	.257148				37
38				.261715		.260682			38
39		.266473			.265043				39
40				1.269180					40
41	.274028			.272574	.271992		.270661	.269897	41
42 43	$\begin{array}{c} .277293 \\ .280363 \end{array}$.275144 $.278098$.274474 $.277391$.273742 $.276620$.272936 .275772	42
44	.283247				.280862	.280119	.279307	.278415	44
				-					
	10	11	12	13	14	15	16	17	
Contin	nued on Pag	*00							

Continued on Page *60.

Formula,
$$\lambda(1+a_x^{n-1})=\lambda \frac{N_x-N_{x+n}}{D_x}=\lambda \frac{a_{x-1}^n}{vp_{x-1}}$$
.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

4 PER CENT.

Pay-	18	19	20	21	22	23	24	25	Pay-
ments.									ments.
n.					$\frac{1.291567}{}$				n.
1		0.000000			0.000000				1
2 3	.291172	.291165 $.457460$.291155	.291145	.291134	.291123	.291110	.291096	2
4	.457477 $.572699$.572674	.457441 $.572645$.457421 $.572615$.457400 $.572581$.457376 $.572546$.457349 $.572504$.457320 $.572459$	3 4
_									
5 6					0.659803				5
7	.729569 $.787011$.729525 $.786956$.729476 $.786896$.729364	.729300	.729229	.729150	6 7
8	.835567	.835502	.835429	.786830 .835351	.786758 .835265	.786679 .835170	.786591 .835065	.786494	8
9	.877353	.877276	.877193	.877100	.876999	.876888	.876765	.876629	9
10									,
11	0.913813 0.945977	0.915725 0.945876	0.913628 0.945765	0.913521 0.945644	$0.913404 \\ .945510$	0.913276 0.945364	0.913134 0.945202	0.912977 $.945024$	10 11
12	.974604	.974491	.974365	.974228		.973912	.973730		12
13		1.000145	1.000005	.999851	.999683	.999498	.999293	.999068	13
14	.023431	.023289			1.022775				14
15	1 044434	1 014977	1 041105	1 043016	1.043709	1 0.12 191	1 043990	1 049052	15
16	.063569	.063396	.063207	062999		.062520	.062243		16
17	.081069		.080672	.080444		.079920	.079617		17
18	.097128	.096922	.096695	.096447		.095874	.095543		18
19	.111909	.111685	.111438	.111168	.110871	.110545	.110185	.109790	19
20	1 125549	1 125306	1 125038	1 124745	1.124423	1 124069	1 123679	1 123251	20
21	.138164	.137901	.137612	.137295					21
22	.149856	.149572	.149159		.148541	.148128			22
23	.160710	.160404	.160168			.158850	.158360		23
24	.170803	.170474	.170113	.169717	.169282	.168804	.168278	.167700	24
25	1.180200	1.179848	1.179460	1.179035	1.178569	1.178056	1.177492	1.176873	25
26	.188961	.188584	.188169						26
27 28	.197137	.196733	.196289				.194037		27
29	.204773 .211911	$\begin{array}{c} .204342 \\ .211452 \end{array}$.203868 $.210946$.201464 $.208384$		28 29
30		1.218098						1.213976	30
31 32	.224835	.224314	.223741						31 32
33	$\begin{array}{c} .230683 \\ .236159 \end{array}$	$\begin{bmatrix} .230129 \\ .235571 \end{bmatrix}$	$\begin{array}{c} .229521 \\ .234925 \end{array}$.231659		33
34	.241286	.240662	.239978						34
35									35
36	1.246087 250583	1.249427 $.249883$	1.244701 $.249116$		$1.243038 \\ .247357$		1.241040 $.245246$		36
37	.254790		.253240				.249153		37
38	.258727	.257946		.256153					
39	.262408								39
40	1 265818	1 264070	1 264027	1 262986	1.261848	1.260605	1.259246	1.257762	40
41	.269060								41
42	.272055								42
43	.274845	.273832	.272724	.271515	.270196	.268758			43
44	.277441	.276377	.275214	.273946	.272564	.271057	.269416	.267631	44
	18	19	20	21	22	23	24	25	
1		1 -0	.50			7	1		

Continued on Page *59.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

4 PER CENT.

4 PER CENT							NT.		
Pay- ments.	x=26	27	28	29	30	_31	32	33	Pay- ments
n.	1.279758	1.276466	1.273025	1.269428	1.265675	$\frac{1.261752}{}$	1.257654	1.253372	n.
1 2 3	$0.000000 \\ .291079 \\ .457288$	0.000000 $.291064$ $.457255$	0.000000 $.291045$ $.457214$	$0.000000 \\ .291022 \\ .457170$	0.000000 $.291001$ $.457126$	0.000000 $.290975$ $.457073$	0.000000 $.290948$ $.457019$	$0.000000 \\ .290919 \\ .456957$	1 2 3
4	.572410	.572357	.572296	.572229	.572159		.571995	.571899	4
5 6	.729063	.728970	.728864	0.659322 $.728748$.728626	.728486	.728335	.728167	5 6
7 8 9	.786388 .834821 .876480	.786273 .834684 .876318	.786143 .834530 .876137	.786001 $.834359$ $.875937$.785849 .834177 .875724	.833973	.785492 .833750 .875223	.785285 $.833503$ $.874934$	7 8 9
10					0.911933				10
11 12	0.944827 0.973307	.944614 $.973066$.944376 $.972798$.944115 $.972503$	0.943833 0.972184		.943174 $.971441$.942794 .971013	11 12
13 14	0.998820 1.021816	$0.998551 \\ 1.021516$	0.998250 0.021182		0.997564 1.020419		.996732 1.019494	.996253 1.018962	13 14
15 16	1.042648 $.061604$			1.041543 $.060389$	1.041104 .059906		$1.040083 \\ .058783$	1.039494 .058136	15 16
17 18	.078917	.078517	.078073		.077057	.076471	.075828		17 18
19	.109355	.108881	.108355	.107778	.107150	1	105694		19
20 21	1.122779 .135169			1.121070 1.133322	1.120389 1.132586		1.118812 .130882	1.117905 .129903	20 21
22 23	.146624 $.157231$	$.146024 \\156585$	$.145361 \\ .155872$.144633 $.155089$.143839 .154236		$.142004 \\ .152263$.140949 $.151130$	22 23
24	.167066	.166372	.165606	.164766	.163850	.162840	.161734	.160520	24
25 26	.184671	.183876	.182998	.182037	1.172748	.179833	.178568	.177181	25 26
27 28	.192552	.191702 .198974	.190765 $.197976$.189739 $.196882$.188620 $.195689$.194377	.192942	.191370	27 28
29 30	1.213037	1.205731	0.204669 0.210883	.203506 1.209647	.202237	1.200843 1.206819	.199318	$\begin{array}{c} .197648 \\ 1.203432 \end{array}$	29 30
31 32	.218935 $.224419$.217846 $.223264$.216648 $.221995$.215337 $.220607$.213908 .219094			.208753	31 32
33 34	.229516 $.234251$.228293 $.232957$.226950	.225482	.223882	.217434 $.222129$ $.226449$.220217	.218128	33
35	1.238644		0.231538 0.235780	.229987 1.234144	.228298 1.232364	1.230416	.224433 1.228294	1.222234 1.225982	35
36 37	.242716 $.246486$.241275 $.244968$.239697 $.243306$.237974	.236099 $.239524$.234051 $.237374$.231822 $.235035$		36 37
38 39	.249970 $.253185$.248373 $.251507$.246627	.244723	.242656 $.245512$.237953 $.240592$		38 39
40	1.256144	1.254384	1.252462	1.250372	1.248106	1.245641	1.242969	1.240074	40
41 42	.258862 $.261351$.257017 $.259421$.255006 $.257320$.252821 $.255039$	$\begin{array}{c} .250455 \\ .252571 \end{array}$.247883 .249894	.245100 $.247001$.242089 .243875	41 42
43 44	.263623 $.265691$.261608 $.263588$.259415 $.261305$.257038 $.258832$.254470 $.256164$.251688 $.253279$.248686 $.250170$.245447 $.246822$	43 44
	26	27	28	29	30	31	32	33	
Conti	inued on Pa	****							

Continued on Page *58.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

4 PER CENT.

	TIER CENT.								
Pay- ments.	34	35	36	37	38	39	40	41	Pay- ments.
n.	1.248902	1.244234	1.239367	1.234282	1.228972	1.223433	1.217656	1.211632	n.
1 2 3 4	0.000000 $.290884$ $.456885$ $.571790$	0.000000 $.290845$ $.456808$ $.571674$.290806	.290765	$\begin{bmatrix} 0.000000 \\ .290713 \\ .456537 \\ .571255 \end{bmatrix}$.290660 $.456426$	$.290600 \\ .456306$		1 2 3 4
5 6 7 8 9	0.658721 .727980 .785055 .833229 .874614	0.658564 $.727778$ $.784808$ $.832932$ $.874265$	0.658395 $.727559$ $.784538$ $.832609$ $.873886$		0.657991 .727043 .783904 .831851 .872999	0.657761 .726748 .783540 .831418 .872491	.726424 .783142	.726069 .782706 .830419	5 6 7 8 9
10 11 12 13 14	.942375 $.970540$ $.995724$	0.910251 $.941917$ $.970024$ $.995146$ 1.017733	.941418 $.969460$ $.994515$.940867 .968838 .993820	.940254 .968148 .993049	$ \begin{array}{r} .939587 \\ .967396 \\ .992208 \end{array} $.938854 $.966570$ $.991285$.965665	10 11 12 13 14
15 16 17 18 19	1.038846 $.057424$ $.074341$ $.089791$ $.103935$	1.038137 0.056645 073490 088863 0102927			1.035565 $.053820$ $.070401$ $.085499$ $.099277$.052689 .069164	.051448 .067808 .082678	3 .066323 3 .081062	15 16 17 18 19
20 21 22 23 24	1.116908 128827 139791 149886 159186	1.115817 1.127649 138524 148525 157729	1.114624 .126362 .137138 .147038 .156136	1.113313 .124948 .135617 .145406 .154389	1.111869 .123391 .133944 .143612 .152471	.12169 1 .132117	1.130117 1.139512	.117793 .127931 .137171	20 21 22 23 24
25 26 27 28 29	1.167759 .175660 .182941 .189648 .195820	1.166201 $.173998$ $.181172$ $.187767$ $.193825$	1.164499 .172183 .179240 .185716 .191651	1.162633 .170195 .177126 .183472 .189274	1.160585 .168014 .174809 .181016 .186675	.165638 .172286 .178341	163044 169532 175427	1.166533 1.172254	25 26 27 28 29
30 31 32 33 34	1.201495 .206705 .211481 .215849 .219835	$\begin{array}{c} 1.199383 \\ .204473 \\ .209126 \\ .213369 \\ .217228 \end{array}$	1.197082 $.202043$ $.206564$ $.210674$ $.214397$	1.194569 199392 203772 207739 211319	$\begin{array}{c} 1.191824 \\ .196348 \\ .200729 \\ .204544 \\ .207973 \end{array}$.197428 $.201083$.189943 .193845 .197332	.189964 $.193274$	30 31 32 33 34
35 36 37 38 39	1.223463 .226753 .229727 .232404 .234802	1.220727 $.223888$ $.226732$ $.229279$ $.231548$	1.217760 .220784 .223491 .225902 .228038	1.214538 $.217417$ $.219981$ $.222252$ $.224248$	1.211039 .213768 .216183 .218307 .220161	.212092	.205583 $.207685$ $.209505$	$\begin{array}{c} .201010 \\ .202950 \\ .204614 \end{array}$	35 36 37 38 39
40 41 42 43 44	1.236940 .238834 .240502 .241959 .243222	1.233559 .235328 .236874 .238214 .239366	.231558 $.232980$.227593	1.221767 .223146 .224319 .225305 .226124	.219537 $.220407$.213510 .214437 .215197	.209014	40 41 42 43 44
	34	35	36	37	38	39	40	41	

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF *n*ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

4 PER CENT.

	4 PER CENT.								IN I.
Pay- ments.	x=42	43	44	45	46	47	48	49	Pay- ments.
n.	1.205342	1.198793	1.191959	1.184839	1.177421	1.169692	1.161644	1.153265	n.
1 2 3 4	$\begin{matrix} 0.000000 \\ .290463 \\ .456026 \\ .570471 \end{matrix}$	0.000000 .290386 .455868 .570227	0.000000 .290301 .455691 .569956	0.000000 .290205 .455496 .569656	0.000000 .290101 .455283 .569329	1	.289861 .454790	.289722 .454507	1 2 3 4
5 6 7 8 9	0.656921 .725673 .782220 .829838 .870643	0.656587 $.725245$ $.781693$ $.829208$ $.869904$	0.656216 $.724770$ $.781110$ $.828512$ $.869089$.724248	$ \begin{array}{c} 0.655361 \\ .723676 \\ .779765 \\ .826906 \\ .867212 \end{array} $.778992 $.825983$.722356 .778144 .824972	.721596 .777212	6 7 8
10 11 12 13 14	.937162 $.964664$ $.989154$.936194 $.963572$ $.987935$.962370	$.933953 \\ .961050 \\ .985120$	$\begin{array}{c} .932668 \\ .959604 \\ .983506 \end{array}$.958016	.929710 $.956275$ $.979794$.928011 .954366	11 12 13
15 16 17 18 19	1.030798 $.048589$ $.064687$ $.079284$ $.092541$	0.046954 0.062902	$\begin{array}{c} .045157 \\ .060942 \\ .075214 \end{array}$.058794 $.072882$	1.023900 .041030 .056444 .070333 .082859	053871 067543	.036084 $.051058$ $.064496$	0.033255 0.047981	16 17 18
20 21 22 23 24	$\begin{array}{c} 1.104593 \\ .115561 \\ .125532 \\ .134605 \\ .142852 \end{array}$.113119	110450 120059	.116936	1.094159 .104349 .113531 .121792 .129211	.109818	.097087 $.105775$.092959 $.101374$	21 22 23
25 26 27 28 29	1.150337 .157122 .163258 .168794 .173774	.153761 $.159702$	$\begin{array}{c} 1.143712\\ .150098\\ .155832\\ .160962\\ .165533\\ \end{array}$		1.135856 .141790 .147069 .151745 .155865	.142129 $.146561$.132012 $.136786$.126509 .131012 .134925	26 27
30 31 32 33 34	1.178236 .182218 .185755 .188880 .191624		1.169589 .173168 .176307 .179041 .181406	1.164725 .168089 .171018 .173550 .175719	$\begin{array}{c} 1.159475 \\ .162617 \\ .165331 \\ .167656 \\ .169629 \end{array}$.159224 $.161340$		1.141185 $.143630$ $.145682$ $.147383$ $.148775$	30 31 32 33 34
35 36 37 38 39	1.194016 .196086 .197862 .199370 .200637			1.177560 .179107 .180390 .181442 .182290	.172659	1.164590 1.165797 166770 167543 168146	.158510	.150789	35 36 37 38 39
40 41 42 43 44	1.201690 .202553 .203249 .203803 .204234	.196559 .197150 .197610	.190698 $.191074$.183490 .183892 .184193	1.175977 .176408 .176730 .176965 .177133	$\begin{array}{c} 1.168607 \\ .168952 \\ .169204 \\ .169384 \\ .169505 \end{array}$	1.160852 .161122 .161314 .161445 .161530	1.152703 .152910 .153050 .153141 .153197	40 41 42 43 44
	42	43	44	45	46	47	48	49	
		A	44	45	46	47	48	49	

Continued on Page *56.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

4 PER CENT.

									FER CE	
1	Pay- ents.	50	51	52	53	54	55	56	57	Pay- ments.
	п.	1.144542	1.135469	1.126031	1.116217	1.106014	1.095410	1.084400	1.072966	n.
	1 2 3 4	$\begin{array}{ c c c }\hline 0.000000 \\ 0.289571 \\ 0.454196 \\ 0.567659 \\ \end{array}$	0.000000 $.289400$ $.453849$ $.567130$	$\begin{matrix} 0.000000 \\ .289216 \\ .453474 \\ .566556 \end{matrix}$		$\begin{array}{c} \hline{0.000000} \\ .288795 \\ .452609 \\ .565228 \\ \end{array}$.288281 $.451558$	$\begin{array}{c} \hline 0.000000 \\ .287982 \\ .450952 \\ .562691 \\ \hline \end{array}$	1 2 3 4
	5 6 7 8 9	0.653082 .720763 .776190 .822640 .862225	0.652363 .719845 .775063 .821297 .860656	0.651580 .718842 .773833 .819829 .858942	0.650718 .717740 .772481 .818217 .857061	0.649767 .716526 .770993 .816445 .854994	0.648721 $.715191$ $.769358$ $.814499$ $.852727$		0.646315 .712123 .765604 .810033 .847525	5 6 7 8 9
	10 11 12 13	0.896385 .926149 .952275 .975335 .995779	0.894583 $.924104$ $.949978$ $.972779$ $.992955$		0.890452 .919419		0.885479 .913789 .938409 .959922 .978774	.910569	0.879518 $.907045$ $.930865$ $.951558$ $.969578$	10 11 12 13 14
1 1 1	15 16 17 18	$\begin{array}{c} 1.013960 \\ .030162 \\ .044619 \\ .057527 \\ .069049 \end{array}$	1.010859 $.026777$ $.040945$ $.053556$ $.064775$	1.007475 .023087 .036941 .049232 .060127	$\begin{array}{c} 1.003778 \\ .019057 \\ .032573 \\ .044522 \\ .055071 \end{array}$	$\begin{array}{c} 0.999736 \\ 1.014656 \\ .027811 \\ .039390 \\ .049569 \end{array}$		1.004640	0.998959 0.010859	15 16 17 18 19
2000	20 21 22 23 24	1.079322 .088468 .096590 .103782 .110126	1.074743 $.083579$ $.091392$ $.098274$ $.104310$	1.069768 $.078276$ $.085760$ $.092315$ $.098030$	1.064362 .072521 .079657 .085870 .091247	$\begin{array}{c} 1.058491 \\ .066284 \\ .073056 \\ .078908 \\ .083938 \end{array}$	1.052128 $.059531$ $.065920$ $.071404$ $.076071$	1.045244 $.052239$ $.058234$ $.063332$ $.067634$	1.037800 $.044373$ $.049957$ $.054663$ $.058591$	20 21 22 23 24
20.00	25 26 27 28 29	1.115697 .120563 .124787 .128426 .131537	1.109578 $.114144$ $.118078$ $.121439$ $.124284$	1.102979 .107239 .110875 .113953 .116531	1.095870 .099814 .103148 .105940 .108251	1.088222 .091845 .094873 .097381 .099428	.083309 .086035 .088259 .090050	.074197 .076619 .078569 .080116	1.061835 .064480 .066608 .068295 .069610	25 26 27 28 29
60 60 60	30 31 32 33 34	1.134173 .136383 .138214 .139713 .140922	$egin{array}{c} 1.126669 \\ .128644 \\ .130260 \\ .131563 \\ .132596 \\ \end{array}$	1.118665 .120411 .121817 .122933 .123803	1.110140 .111662 .112869 .113809 .114528	$\begin{bmatrix} 1.101077 \\ .102385 \\ .103407 \\ .104183 \\ .104767 \end{bmatrix}$	1.091471 .092580 .093423 .094057 .094518	1.081322 .082240 .082929 .083430 .083788	1.070611 $.071362$ $.071909$ $.072299$ $.072563$	30 31 32 33 34
69 69 69	35 36 37 38	1.141880 1.142628 143200 143628 143940	.134018 .134479 .134816	1.124468 $.124966$ $.125329$ $.125587$ $.125763$	1.115067 .115459 .115739 .115928 .116051	.105495 .105701 .105834 .105916	.095214 .095303 .095354	.084187 .084284 .084339 .084373	.072838 .072899 .072935 .072953	35 36 37 38 39
4	10 11 12 13	1.144163 .144314 .144412 .144472 .144507	1.135218 135323 135388 135426 135447	1.125876 1.125946 1.125987 1.126010 1.126022	1.116127 .116171 .116195 .116208 .116214	1.105963 .105991 .106004 .106011 .106013	$1.095385 \\ .095399 \\ .095406 \\ .095409 \\ .095409$	1.084388 .084396 .084399 .084399 .084400	1.072961 .072964 .072965 .072966	40 41 42 43 44
4	15 16 17 18	1.144526 144537 144541 144541 144542	1.135458 .135463 .135466 .135467 .135469	1.126028 126029 126030 126031	1.116216 .116217 .116217	1.106013 .106014	1.095410			45 46 47 48 49
		50	51	5.2	53	54	55	56	57	

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF *n* ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR. 4 PER CENT.

Pay-	x=58	59	60	61	62	63	64	65	Pay-
ments.	1.061107	1.048803	1.036042	1.022821	1.009130	0.994950	0.980284	0.965118	ments.
1	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	1
2	.287660	.287305	.286912	.286481	.286011	.285490	.284921	.284292	2
3	.450294	.449567	.448766	.447888	.446929	.445869	.444707	.443431	3
4	.561680	.560568	.559343	.558003	.556534		.553142	.551197	4
									5
5			0.641765				0.633349		6
6	.710369	.708441	.706324	.704004	.701465	.698676	.695623		7
7	.763457	.761100	.758512	.755680	.752582	.749182		.741409	8
8	.807481	.804679	.801608	.798249	.794577	.790557	.786166		9
9	.844552	.841294	.837727	.833828	.829572	.824914			
10	0.876115	0.872389	0.868313	0.863865	0.859010	0.853700	0.847930	0.841641	10
11	.903200	.898995	.894492	.889392	.883930	.877975	.871501	.864458	11
12	.926569	.921878	.916756	.911176.	.905105	.898497	.891319	.883533	12
13	.946804	.941615	.935959	.929808	.923125	.915860	.907991	.899465	13
14	.964355	.958664	.952472	.945748	.938453	.930543	.921985	.912738	14
15	0.979585	0.973391	0.966663	0.959367	0.951.160	0 942918	0.933690	0.923742	15
16	.992791	.986096	.978832	.970962	.963477	.953304			16
17	1.004222	.997024	.989233	.980817	.971743	.961967			17
18		1.006388	.998078	.989123	.979490	.939141			18
19	.022546		1.005558	.996082	.985917	.975027	.963393	.950996	19
20		1.021132		1.001865			0.967661		20
21		026815		.006623					21
22	.035912	.020815	.017058		.995485		.971029		22
23	.041075	.035454	.021361	.010490	.998923		.973642		23
24	.045381 $.048935$.038632	.024861	.013593 $.016048$	$1.001641 \\ .003753$.988985 $.990769$.975629 $.977115$		24
			.027672						
25			1.029897				0.978197		25
26	.054158		.031629	.019410	.006563				26
27	.056003	.044786	.032946	.020498	.007439	.993766		.964606	27
28	.057441	.045985	.033934	.021291	.008062				28
29	.058535	.046884	.034654	.021855	.008484	.994538	.980032	.964974	29
30	1.059355	1.047539	1.035166	1.022237	1.008758	0.994723	0.980154	0.965049	30
31	.059953	.048005	.035512	.022484	.008925				31
32	.060379	.048320	.035736	.022636	.009024	.994894	.980257	.965107	32
33	.060667	.048524	.035875	.022725	.009079	.994926	.980274	.965116	33
34	.060853	.048650	.035955	.022775	.009108	.994941	.980282	.965117	34
35	1.060968	1.048723	1.036001	1.022802	1.009121	0.994948	0.980282	0.965118	35
36	.061035	.048766	.036025	.022813	.009128	.994948	.980284		00
37	.061074	.048788	.036035	.022820	.009128	.994950		42	
38	.061094	.048797	.036041	.022820	.009130		43		F-0
39	.061102	.048801	.036041	.022821		44	1.198793	1.205342	58
40	1.061106	1 048809	1.036042		45	1.191959		.205342 $.205342$	57
41	.061107	.048803	E. On OUTA	46	1.184839		.198792	.205342	56 55
42	.061107	.040000	47						
		48		1.177421	.184838		1.198790		54
	49		1.169692	.177420	.184838			.205332	53
5.1	1 159905	1.161644	.169691	.177420	.184836			.205321	52
51 50	1.153265 153265	.161644		.177418	.184833			.205300	51
		.161644	1	.177414	.184826			.205266	50
49		1.161642		1.177407	1.184812		1.198710	1.205209	49
48	.153262	.161638		.177392	.184787	.191872	.198650	.205122	48
47	.153258			.177365	.184745		.198557	.204993	47
46	.153248			.177320	.184676			.204812	46
45	.153230	.161582	.169584	.177246	.184570	.191562	.198227	.204565	45
	49	48	47	46	45	44	43	42	
			1						1

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF *n* ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

4 PER CENT.

-					,			T PER C.	DIVI.
Pay- ments.	66	67	68	69	70	71	72	73	Pay- ments.
	0.949453	0.933271	0.916583	0.899356	0.881623	0.863356	0.844568	0.825252	n.
1	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	1
2	.283608	.282848	.282028	.281111	.280119	.279023	.277826	.276518	2
3	.442034	.440493	.438825	.436973	.434958	.432742	.430325	.427673	3
4	.549065	.546733	.544183	1	.538313		.531297	.527292	4
5	0.6979936	0.694670	0 691994	0.617447	0 613398	0.608817	0.603000		5
6	.688638	.684643	.680284		.670316		.658470	.651748	6
7	.736976	.732127	.726850		.714804	.707970	.700546	.692480	7
8	.776139	.770433	.764225		.750105	.742118	.733460	.724082	8
9	.808262	.801690	.794553		.778375	.769254	.759395	.748748	9
				0.810560					10
11	.856820	.848531	.839564		.819388	.808109	.795989	.782987	11
12	.875100	.865969	.856116	.845477	.834046	.821761	.808606	.794547	12
13	.890254	.880304	.869599	.858073	.845724	.832499	.818391	.803367	13
14	.902769	.892036	.880516	.868150	.854946	.840860	.825882	.810003	14
15	0.913050	0.901568	0.889279	0.876134	0.862149	0.847278	0.831533		15
16	.921430	.909241	.896241	.882386	.867691	.852130	.835721	.818460	16
17	.928190	.915351	.901704	.887206	.871888	.855732	.838754	.820971	17
18	.933583	.920154	.905923	.890861	.875008	.858343	.840902	.822670	18
19	.937829	.923868	.909125	.893580	.877272	.860194	.842356	.823765	19
20		0.926690	0.911510	0.895556	0.878878	0.861448	0.843294	0.824438	20
21	.943616	.928793	.913245	.896956	.879966	.862256	.843870	.824833	21
22	.945481	.930324	.913243		.880668	.862754	.844209	.825051	22
23	.946838	.931411	.915310		.881100	.863046	.844396	.825164	23
24		.932147	.915849	.898899	.881354	.863208	.844493	.825219	24
	.947802								
25				0.899121	0.881494				25
26	.948878	.932916	.916376	.899243	.881567	.863332	.844560		26
27	.949138	.933089	.916483	.899307	.881602	.863349	.844567	.825252	27
28	.949291	.933183	916539	.899338	.881617	.863355	.844568	34	
29	.949375	.933232	.916566		.881622	.863356	35		
30	0.949419	0.933256	0.916578	0.899355	0.881623	0.0		1.248902	66
31	.949440	.933267	.916581	.899356	O PH	36	1.244234	.248901	65
32	.949450	.933269	.916583	20	37	1.239367	1.244234	1.248901	64
33	.949451	.933271	00	38	1.234282	.239367	.244234	.248900	63
34	.949453	40	39	1.228972	.234283	.239366	.244233		62
		40	1.223433	.228971	.234283	.239366	.244231	.248894	61
	41	1.217656	.223433	.228970	.234282	.239364	.244228	.248888	60
50					1.234280		1.244220		59
	1.211632		1.223433	1.228969 1.228967	.234276	1.239360 $.239352$.244220	.248853	58
58	.211632	.217656	.223432						57
57	.211632					.239338 .239314			56
56	.211630	.217652	.223425	.228954	$\begin{array}{c} .234252 \\ .234227 \end{array}$.239274		.248686	55
55	.211628	.217647	.223415	.228938					
54					1.234185				54
53	.211612	.217619	.223369	.228867	.234121	.239125			53
52	.211592	.217588				.239000			52
51	.211560				.233894		.243512		51
50	.211507	.217461	.223144	.228557	.233712	.238600	.243230		50
49	1.211425	1.217348	1.222994	1.228364	1.233470	1.238301	1.242869	1.247184	49
48	.211304				.233153	.237919			48
47	.211134		.222515		.232746	.237437	.241854		47
46	.210902			.227339	.232236	.236842	.241169		46
45	.210592			.226796	.231603	.236115	.240345		45
	41	40	39	38	37	36	35	34	

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR. 4 PER CENT.

$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$	Pay- ments.
$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$	
1 0 000000 0 000000 0 0000000 0 0000000 0	n.
2 .275065 .273492 .271774 .269873 .267807 .265547 .263074 .260385	
3 .424759 .421598 .418136 .414336 .410203 .405700 .400793 .395450	
5 0.592676 0.586317 0.579393 0.571857 0.563698 0.554856 0.545289 0.534965 6 .644425 .636495 .627890 .618553 .608478 .597600 .585882 .573294	
6 .644425 .636495 .627890 .618553 .608478 .597600 .585882 .573294 7 .683722 .674263 .664030 .652969 .641076 .628292 .614587 .599946	
8 .713931 .702999 .691214 .678528 .664943 .650410 .634915 .618441	
9 .737262 .724930 .711690 .697499 .682372 .666274 .649192 .631148	9
10 0.755259 0.741621 0.727040 0.711486 0.694987 0.677512 0.659077 0.639578	
11 .769063 .754228 .738439 .721678 .703979 .685338 .665675 .644944	
12 .779550 .763641 .746788 .728977 .710270 .690583 .669890 .648218 13 .787413 .770563 .752788 .734101 .714497 .693941 .672462 .650128	
14 .793214 .775551 .757010 .737552 .717209 .695994 .673966 .651176	
15 0.797403 0.779068 0.759860 0.739769 0.718869 0.697196 0.674796 0.651718	
16 .800361 .781446 .761692 .741127 .719842 .697859 .675225 .651979	16
17 .802362 .782975 .762816 .741923 .720379 .698202 .675430 .652090	
18 .803651 .783914 .763475 .742363 .720656 .698366 .675517 .652135 19 .804443 .784464 .763838 .742590 .720789 .698436 .675551 .652146	
	10
20 0.804907 0.784768 0.764026 0.742699 0.720846 0.698463 0.675562 21 .805163 .784925 .764117 .742746 .720868 .698471 26	
OO OOSOOS WOSOOT WELLER MADRET MOORES TO	P/A
23 .805360 .785033 .764171 .742769 28 \[\frac{1.276766}{270755} \]	
24 .80086 .780040 .64174 .86000 1.86000 .786000 .786000	
25 0.805397 0.785049 31	71
20 .8094001.209073 .209428 .273025 .270467 .279700	4
1.261752 1.265676 1.269428 1.273024 1.276465 1.279756	
1.257654 .261752 .265676 .269427 .273023 .275463 .279749	68
67 1.253372 .257654 .261752 .265675 .269426 .273020 .276458 .279741 66 .253373 .257654 .261751 .265674 .269423 .273015 .276450 .279727	
65 .253373 .257653 .261749 .265671 .269418 .273006 .276435 .279703	
64 1.253372 1.257652 1.261746 1.265665 1.269409 1.272991 1.276412 1.279676	64
63 .253371 .257649 .261740 .265655 .269392 .272966 .276375 .279626	63
62 .253367 .257642 .261730 .265638 .269366 .272928 .276322 .279548	
61 .253361 .257631 .261712 .265610 .269325 .272871 .276246 .279451 .253349 .257612 .261682 .265568 .269266 .272792 .276143 .279326	61
59 1.253329 1.257581 1.261637 1.265504 1.269182 1.272683 1.276006 1.279150 58 .253296 .257533 .261570 .265416 .269067 .272537 .275826 .27893;	
57 .253245 .257462 .261476 .265294 .268913 .272348 .275596 .278658	
56 .253170 .257363 .261348 .265132 .268713 .272105 .275307 .278319	56
55 .253065 .257227 .261177 .264920 .268456 .271799 .274949 .277906	
54 1.252921 1.257046 1.260953 1.264649 1.268133 1.271421 1.274513 1.277409	
53 .252729 .256809 .260666 .264308 .267734 .270961 .273988 .276819 52 .252478 .256505 .260305 .263886 .267247 .270407 .273365 .276120	
51 .252157 .256124 .259858 .263371 .266662 .269749 .272634 .275323	
50 .251753 .255651 .259314 .262752 .265967 .268976 .271783 .274393	
49 1.251253 1.255075 1.258660 1.262017 1.265150 1.268077 1.270803 1.273333	49
48 .250643 .254383 .257882 .261154 .264200 .267041 .269682 .272128	48
47 .249910 .253560 .256968 .260149 .263105 .265858 .268411 .270776	
46 .249038 .252592 .255906 .258991 .261854 .264514 .266979 .269258 45 .248014 .251467 .254680 .257667 .260433 .263000 .265375 .267568	
306102. 616602. 000602. 065002. 100162. 105162. 510054.	- 10
33 32 31 30 29 28 27 26	

Continued from Page *52.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR. 4 PER CENT.

Pay-	82	83	84	85	86	87	88	89	Pay-
ments.	0.628187	0.603703	0.578554	0.552712	0.525914	0.497713	0.467718	0.434386	ments.
1	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	1
2	.257424	.254238	.250719	.246926	.242837	.238267	.233496	.225360	2
3 4	389631 470629	.383339 $.461402$	376475 451421	.369109 $.440707$.361116 $.429204$.352422 $.415840$.341682 $.399517$	326255 378512	3 4
5				0.485329					5
6	.559791	.545384	.529994		.494585	.473468	.449522	.421206	6
7 8	.584318	.567754	.549865	.530408	.509034	.485385	.459073	.428627	7
9	.600972 $.611946$.582338 $.591516$.562249 $.569691$.540626 $.546524$	$\begin{array}{c} .517295 \\ .521796 \end{array}$.491835 $.495133$.463930 $.466244$.432148 $.433635$	8
10				0.549752				1	10
11	.623121	.600294	.576377	.551409	.525209	.497375	.467599	.434386	11
12	.625583	.602070		.552205	.525677	.497632	.467718	10	
13 14	626938 627637	.602984 $.603424$	0.578182 0.578428	.552541	.525857 $.525914$.497713	19	18	
15		0.603609				20	$\frac{-3}{1.299144}$	1.301453 $.301453$	82 81
16	.628115	.603682	.578554		21	$\overline{1.296729}$.299144	.301453	80
17	.628170 $.628187$.603703	02	22	1.294205	1.296729	1.299144	1.301453	79
19	.028187	24	23	1.291567	.294205	.296729	.299144	.301452	78
	25	$\frac{-}{1.285924}$	1.288808 $.288808$.291567 $.291567$.294205 $.294205$.296729 $.296728$.299143 $.299141$.301450 $.301448$	77 76
75	$\overline{1.282910}$.285924	.288808	.291566	.294204	.296726	.299138		75
74	1.282909	1.285924	1.288808	1.291565	1.294202	1.296723	1.299133	1.301433	73
73	.282909	.285924	.288807	.291563	.294199	.296717	.299123	.301419	74
72 71	.282908 .282907	.285923 $.285921$.288805 $.288801$.291560 $.291553$.294193 .294182	.296707 $.296691$.299108 $.299084$.301396 .301362	72 71
70	.282905	.285917	.288794	.291542	.294165	.296666	.299049	.301316	70
69	1.282901	1.285909	1.288783		1.294138	1.296629	1.298999	1.301251	69
68	.282893	.285897	.288764	.291496	.294099	.296577	.298932		68
67 66	.282880	.285877 $.285846$.288734 $.288691$.291455 $.291397$.294045 $.293970$.296506 $.296410$.298841 $.298724$.301054 $.300910$	67 66
65	.282826	.285800	.288630	.291319	.293870	.296287	.298573		65
64	1.282778		1.288547		1.293739		1.298383		64
63 62	.282711 $.282618$.285648 $.285531$.288436 .288291	.291075 .290899	.293572 $.293361$.295928 $.295681$			63
61	.282495	.285378	.288105	.290677	.293101	.295380		.299522	62 61
60	.282333	.285182	.287871	.290403	.292784	.295018	.297111	.299067	60
59		1.284936		1.290069	1.292403				59
58 57	.281867 $.281546$.284631 .284260	.287230 $.286807$.289668 .289191	.291950 $.291419$.294084 .293498	$\begin{array}{c} .296076 \\ .295435 \end{array}$.297931 $.297236$	58 57
56	.281154	.283814	.286304	.288631	.290802	.292824	.294704	.296449	56
55	.280683	.283284	.285714	.287981	.290091	.292053	*	.295563	55
54		1.282661					1.292942		54
53 52	.279468 $.278704$.281938 .281105	.284238 .283336	.286375 .285405	.288359 .287322			**** *** * * * * * * * * * * * * * * * *	53 52
51	.277825	.280153	.282312	.284312	.286163	.287873	.289451	.290906	51
50	.276820		.281160	.283090	.284873	.286518	.288035	.289431	50
49		1.277857				1.285025		1.287819	49
48	$\begin{array}{c c} .274397 \\ .272960 \end{array}$.276496 $.274981$.278435	.280222 .278561	.281869 .280141	.283386 .281593	.284781 $.282929$.286063 $.284154$	48 47
46	.271360			.276736	.278250	.279640	.280916	.282087	46
45	.269587			.274740	.276188	.277516	.278735	279852	45
1	25	24	23	22	21	20	19	18	

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR. 4 PER CENT.

							4	PER CE	1.11.
Pay-	x=90	91	92	93	94	95	96	97	Pay-
ments.	0.402608	0.373607	0.344609	0.314696	0.284280	0.252440	0.214754	0.178369	ments.
1	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	1
2	.216431	.208653	.200520	.191140	.180950	.170487	.153574	.141329	2
3	.310577	.296383	.281311	.264501	.246836	.226526	.200677	.178369	3
4	.357604	.338221	.317835	.295797	.272024	.246291	.214754		
5	0.381571	0.358362	0.334359	0.308421	0.281336	0.252440	1.1	10	
6	.393460	.367723	.341183	.313181	.284280		11	1.316633	90
7	.399061	.371634	.343779	.314696		12	1 315019	1.316633	89
8	.401417	.373129	.344609		13	1.313333	.315020	.316633	88
9	.402319	.373607	1 5	14	$\overline{1.311567}$.313333	.315020	.316633	87
10	0.402608	16	15	1.309720	.311567	.313333	.315019	.316632	86
		10	1.307791	.309720	.311567	.313333	.315019	.316631	85
	17	1.305773	1.307791	1 309720	1.311567	1 313333	1 315018	1.316629	84
83	1.303662	.305774		.309720	.311566	.313331	.315016	.316626	83
82	.303662	.305774		.309719	.311565	.313329	.315011	.316620	82
81	.303662	.305773	.307790		.311563	.313325	.315006	.316610	81
80	.303661	.305772	.307789	.309716	.311558	.313318	.314995	.316595	80
79	1.303660	1.305771	1.307786	1.309712	1.311551	1.313308	1.314979	1.316572	79
78	.303659	.305769			.311540		.314956	.316541	78
77	.303656	.305764		.309692	.311522	.313266	.314923	.316498	77
76	.303651	.305755	.307761	.309674	.311496		.314878	.316441	76
75	.303643	.305742	.307742	.309646	.311460	.313184	.314817	.316367	75
74	1.303629	1.305722	1.307713	1.309608	1.311410	1.313120	1.314739	1.316271	74
73	.303607	.305692			.311343		.314638		73
72	.303575	.305649	.307618	.309486	.311257	.312932	.314511	.316000	72
71	.303531	.305591	.307544	.309395	.311145	.312799	.314354	.315819	71
70	.303470	.305514	.307448	.309277	.311005	.312634	.314163	.315601	70
69	1.303388	1.305413	1.307325		1.310832	1.312434	1.313934	1.315342	69
68	.303383	.3)5283	.307170	.308948	.310621			.315038	68
67	.303146	.305120			.310368		.313343	.314685	67
66	.302975	.304919	.306746		.310067		.312972	.314279	66
65	.302763	.304674	.306466	.308144	.309714	.311181	.312545	.313814	65
64	1.302505	1.304379	1.306133	1.307773	1.309305	1.310732	1.312058	1.313289	64
63	.302195	.304029	.305743		.308833	.310220	.311506	.312699	63
62	.301827	.303619	.305290		.308295				62
61	.301395	.303143	.304768		.307685		.310191	.311305	
60	.300893	.302593	.304172	.305638	.306998		.309420	.310494	60
59	1.300315		1.303497		1.306231		1.308567		59
58	.299655	.301255	.302737	.304109	.305378			.308622	58
57	.298907	.300456	.301888		.304435		.306599	.307554	
56 55	.298066 $.297125$	$\frac{.299563}{.298568}$	300944 299898	.302219 $.301125$.303395		.305475	.306391	56
					.302256	.303298	.304252	.305130	
54	1.296078		1.298748		1.301012			1.303765	54
53	.294920	.296257	.297486	.298617	.299658	.300614	.301489	.302293	
52 51	.293644 $.292245$	294928 293476	.296107 $.294606$.297191	.298188		.299939	.300707	
50	.290715	.295470 $.291895$.292976		$\begin{array}{c} .296597 \\ .294879 \end{array}$.297472 $.295714$.298270 $.296476$.299003 $.297176$	
					1				
49	1.289049 $.287239$	1.290178	1.291211 $.289304$	1.292159	1.293029			1.295218	49
47	.285278	.288318			$\begin{array}{c} .291038 \\ .288903 \end{array}$.291798	.292490	.293124	
46	.283160	.284142	.285039		.288903	$\begin{array}{c} .289626 \\ .287302 \end{array}$.290285 $.287928$.290888	47 46
45	.280875	.281811	.282666		.284163	.284817	.285413	$oxed{.288502} \ .285958$	45
									10
	17	16	15_	14	13	12	11	10	

Continued from Page *50.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF nANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

The first Value under the Age x is $\lambda(1+a_x)$ for the whole Life. $4\frac{1}{2}$ PER CENT.

Pay-	x=10	11	12	13	14	15	16	17	Pay-
ments.						15			ments.
n.	1.281791	1.280417	1.278977	1.277464	1.275875	1.274211	1.272467	1.270632	n
1	0.000000	0.000000	0.000000		0.000000	0.000000	0.000000	0.000000	1
2	.290199	.290194	.290191	.290187	.290180				2
3	.455548	.455540	.455533	.455523	.455510	.455500			3
4	.569836	.569823	.569811	.569796	.569778	.569762	.569745	.569723	4
5	0.656184	0.656166	0.656149	0.656129	0.656106	0.656083	0.656060	0.656031	5
6	.724891	.724869	.724847	.724822	.724792	.724764	.724734	.724696	6
7	.781454	.781427	.781400		.781333	.781299		.781213	7
8	.829151	.829119	.829087	.829049	.829008	.828964	.828918	.828863	8
9	.870097	.870061	.870022	.869979	.869929	.869879	.869825	.869761	9
10	0.905737	0.905694	0.905650	0.905600	0.905544	0.905486	0.905423	0.905350	10
11	.937099	.937051	.937001	.936944	.936880	.936814	.936742	.936657	11
12	.964945	.964891	.964834	.964770	.964699	.964624	.964542	.964448	12
13	.989852	.989792	.989728	.989657	.989577	.989493	.989401	.989296	13
14	1.012269	1.012202	1.012131	1.012052	1.011963	1.011870	1.011767	1.011651	14
15	1.032550	1.032477	1.032398	1.032310	1.032214	1.032109	1.031996	1.031867	15
16	.050984	.050902	.050815	.050721	.050612	.050498		.050235	16
17	.067801	.067712	.067620	.067513	.067396	.067271	.067137	.066984	17
18	.083199	.083105	.083000	.082885	.082758		.082476		18
19	.097341	.097235	.097123	.096998	096862	.096715	.096551	.096368	19
20	1.110358	1 110246	1.110124	1.109991	1.109842	1,109680	1.109504	1.109307	20
21	.122374	.122252	.122123	.121978	.121815	.121641	.121451	.121239	21
22	.133486	.133357	.133216	.133057	.132884	.132696	.132493	.132263	22
23	.143783	.143643	.143489	.143322	.143134	.142935	.142713		23
24	.153339	.153186	.153024	.152842	.152644	.152427	.152190	.151925	24
25	1.162219	1.162058	1.161882	1.161690	1.161476	1.161243	1.160989	1.160705	25
26	.170486	.170312	.170127	.169919	.169689	.169441	.169169		26
27	.178187	.178005	.177804	.177582	.177338	.177072	.176783	.176459	27
28	.185374	.185177	.184962	.184727	.184465	.184183	.183874	.183528	28
29	.192081	.191871	.191644	.191392	.191115	.190814	.190483	.190119	29
30	1.198348	1.198126	1.197884	1.197617	1.197322	1.197000	1.196653	1.196259	30
31	.204210	.203974	.203716	.203433	.203118	.202781	.202404		31
32	.209695	.209443	.209171	.208868	.208539	.208174	.207780	.207340	32
33	.214828	.214564	.214272	.213955	.213600	.213219	.212798	.212332	33
34	.219639	.219355	.219050	.218709	.218339	.217932	.217486	.216993	34
35	1.224142	1.223846	1.223519	1.223163	1.222768	1.222337	1.221866	1.221347	35
36	.228367	.228049	.227708	.227329	.226910		.225960	.225410	36
37	.232323	.231991	.231629	.231226	.230785	.230308	.229782	.229201	37
38	.236034	.235684	.235298	.234875	.234412	.233905	.233351	.232739	38
39	.239513	.239141	.238735	.238291	.237800	.237267	.236684	.236038	39
40	1 9.191/199	1.242380	1 941955	1 241485	1.240969	1.240408	1.239792	1.239114	40
41	.245827	.245417	.244966	.244473	.243930	.243338	.242691	.241977	41
42	.248692	.248257	.247785	.247265	.246693		.245391	.244640	42
43	.251372	.250917	.250420	.249872	.249273	.248619	.247903		43
44	.253883	.253405	.252881	.252308	.251677	.250990	.250240	.249414	44
	10	11	10	1.9	14	15	16	17	
	10	11	12	13	14	15	10	1.6	

Continued on Page *71. FORMULA, $\lambda(1+\frac{n-1}{2})=\lambda \frac{N_x-N_{x+n}}{D_x}=\lambda \frac{a_{x-1}^n}{vp_{x-1}}$.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF *n*ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR,

 $4\frac{1}{2}$ PER CENT.

	$\frac{1}{2}$ 1 Mt Oh									
Pay- ments.	x=18_	19	20	21	22	23	24	25	Pay- ments.	
n.		1.266691	1.264573	1.262353	1.260026	1.257585	1.255025	1.252341	n.	
1 2 3 4	$\begin{array}{c} 0.000000 \\ .290155 \\ .455460 \\ .569701 \end{array}$	0.000000 $.290148$ $.455445$ $.569677$	0.000000 $.290139$ $.455426$ $.569647$	0.000000 $.290129$ $.455406$ $.569617$	$\begin{array}{c} 0.000000 \\ .290119 \\ .455385 \\ .569584 \end{array}$.455361	0.000000 $.290094$ $.455335$ $.569506$.290081 $.455306$	1 2 3 4	
5 6 7 8 9	0.655999 $.724655$ $.781164$ $.828805$ $.869692$	0.655965 $.724612$ $.781111$ $.828741$ $.869617$	0.655926 $.724562$ $.781050$ $.828668$ $.869532$	0.655884 .724509 .780984 .828590 .869441	0.655840 .724452 .780914 .828506 .869342	.780835	0.655733 .724316 .780748 .828307 .869110	.724239 .780653 .828194	5 6 7 8 9	
10 11 12 13 14	.936567 .964346 .989182	.936469 .964234 .989057	0.905086 $.936358$ $.964110$ $.988920$ 1.011233	0.904980 $.936238$ $.963976$ $.988768$ 1.011063	0.904866 .936109 .963828 .988602 1.010880	.963663 $.988418$.935802 .963483 .988217	.935627 $.963285$ $.987997$	10 11 12 13 14	
15 16 17 18 19	1.031729 .050082 .066813 .082122 .096170	$.031577 \\ .049911 \\ .066629 \\ .081922 \\ .095952$	$1.031404 \\ .049724 \\ .066425 \\ .081699 \\ .095710$		1.031017 .049298 .065958 .081189 .095157	.065687	1.030544 $.048779$ $.065391$ $.080572$ $.094486$	1.030273 $.048481$ $.065065$ $.080217$ $.094102$	15 16 17 18 19	
20 21 22 23 24	$ \begin{array}{c} 1.109092 \\ .121006 \\ .132011 \\ .142196 \\ .151634 \end{array} $	1.108856 120750 131737 141899 151318	1.108593 $.120468$ $.131430$ $.141573$ $.150968$	1.108308 .120157 .131099 .141217 .150583	1.107993 .119821 .130736 .140823 .150164	1.107649 .119449 .130332 .140392 .149700	1.107270 .119037 .129891 .139917 .149192	1.106852 $.118586$ $.129406$ $.139397$ $.148633$	20 21 22 23 24	
25 26 27 28 29	1.160396 .168535 .176104 .183153 .189714	1.160056 $.168171$ $.175718$ $.182737$ $.189277$	1.159680 .167771 .175288 .182283 .188791	1.159270 .167331 .174822 .181783 .188258	1.158819 .166852 .174308 .181235 .187676	.173741 $.180633$	1.157780 1.65738 173120 179973 186333	1.157181 .165099 .172441 .179247 .185563	25 26 27 28 29	
30 31 32 33 34	$\begin{array}{c} 1.195835 \\ .201539 \\ .206858 \\ .211823 \\ .216456 \end{array}$	1.195367 $.201041$ $.206332$ $.211266$ $.215865$	1.194849 .200493 .205753 .210652 .215214	1.194284 .199896 .205118 .209978 .214503	$\begin{array}{c} 1.193668 \\ .199239 \\ .204421 \\ .209241 \\ .213726 \end{array}$.203656 $.208434$.197725	$\begin{array}{c} 1.191422 \\ .196859 \\ .201900 \\ .206577 \\ .210909 \end{array}$	30 31 32 33 34	
35 36 37 38 39	1.220777 .224807 .228566 .232069 .235334	1.220152 $.224148$ $.227870$ $.231337$ $.234563$	1.219465 .223423 .227107 .230532 .233714	1.218714 $.222631$ $.226272$ $.229651$ $.232789$	1.217892 .221765 .225356 .228690 .231777		$\begin{array}{c} 1.216002 \\ .219771 \\ .223258 \\ .226482 \\ .229458 \end{array}$	1.214921 .218631 .222059 .225222 .228136	35 36 37 38 39	
40 41 42 43 44	$\begin{array}{r} 1.238372 \\ .241196 \\ .243822 \\ .246257 \\ .248515 \end{array}$.240344 .242926 .245319	.244290	$\begin{array}{c} .238388 \\ .240875 \\ .243169 \end{array}$	$\begin{array}{r} 1.234634 \\ .237273 \\ .239707 \\ .241946 \\ .244002 \end{array}$		1.232201 .234723 .237037 .239156 .241088	1.230815 .233272 .235520 .237571 .239436	40 41 42 43 44	
	18	19	20	21	22	23	24	25		
Cont	inued on P	age *70.								

Continued on Page *70.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF *n*ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

 $4\frac{1}{2}$ PER CENT.

To CEN.									
Pay- ments.	26	27	28	29	30	31	32	33	Pay- ments.
n.	1.249527	1.246580	1.243489	1.240250	1.236862	1.233310	1.229589	1.225692	n.
1 2 3 4	$\begin{matrix} 0.000000 \\ .290064 \\ .455272 \\ .569412 \end{matrix}$	0.000000 $.290047$ $.455239$ $.569360$	$\begin{matrix} 0.000000 \\ .290029 \\ .455200 \\ .569299 \end{matrix}$	$\begin{array}{c} \hline 0.000000 \\ 0.290005 \\ .455154 \\ .569232 \\ \hline \end{array}$	0.000000 $.289984$ $.455111$ $.569163$	$\begin{bmatrix} 0.000000 \\ .289960 \\ .455060 \\ .569084 \end{bmatrix}$	0.000000 .289933 .455003 .568999	.289902 .454942	2 3
5 6 7 8 9	0.655606 .724152 .780547 .828066 .868827	0.655533 .724060 .780431 .827929 .868667		0.655360 .723838 .780162 .827605 .868290	0.655265 .723718 .780009 .827427 .868077	0.655159 .723578 .779842 .827224 .867843	0.655039 $.723428$ $.779656$ $.827003$ $.867582$.723261 .779452	5 6 7 8 9
10 11 12 13 14	.935431 .963067 .987751	.935221 $.962828$ $.987485$	0.903882 .934987 .962565 .987190 1.009312	0.903653 .934729 .962273 .986864 1.008950	0.903410 .934449 .961958 .986512 1.008560	.934140 .961609 .986122	.933798 $.961225$ $.985691$.933423	10 11 12 13 14
15 16 17 18 19	1.029973 .048152 .064705 .079827 .093675	1.029647 .047793 .064314 .079397 .093211	1.029285 .047398 .063878 .078926 .092699	1.028888 $.046958$ $.063401$ $.078406$ $.092135$	1.028454 $.046485$ $.062883$ $.077841$ $.091522$	$1.027977 \\ .045961 \\ .062309 \\ .077217 \\ .090843$.045384	0.044750 0.060985 0.075775	15 16 17 18 19
20 21 22 23 24	1.106391 .118090 .128872 .138823 .148018	1.105889 $.117548$ $.128288$ $.138195$ $.147344$	1.105335 $.116950$ $.127644$ $.137503$ $.146605$	1.104725 $.116291$ $.126935$ $.136744$ $.145789$	1.104060 .115574 .126165 .135915 .144904	1. 103327 .114785 .125313 .135004 .143925	.113915 .124382	.112964 .123356 .132903	
25 26 27 28 29	1.156522 .164398 .171690 .178451 .184715	1.155804 $.163628$ $.170873$ $.177578$ $.183790$	1.155011 1.62784 169970 176621 182772	1.154142 161854 168983 175569 181657	1.153192 .160844 .167905 .174424 .180440	$egin{array}{c} 1.152150 \\ .159730 \\ .166720 \\ .173165 \\ .179104 \end{array}$.158510	.157172 $.163999$	27 28
30 31 32 33 34	1.190524 .195905 .200894 .205511 .209785	1.189540 $.194866$ $.199792$ $.204348$ $.208556$	1.188463 .193723 .198584 .203071 .207211	1.187279 $.192471$ $.197259$ $.201674$ $.205738$	1.185990 .191105 .195818 .200153 .204437	1. 184574 .189609 .194238 .198489 .202384	.187973	1.181332 .186184 .190625 .194684 .198385	30 31 32 33 34
35 36 37 38 39	$egin{array}{c} 1.213735 \\ .217382 \\ .220746 \\ .223844 \\ .226691 \end{array}$	1.212440 $.216020$ $.219316$ $.222343$ $.225117$	1.211023 $.214532$ $.217752$ $.220702$ $.223399$	1.209475 .212904 .216043 .218913 .221525	1.207790 $.211134$ $.214189$ $.216968$ $.219495$	1.205948 .209202 .212162 .214851 .217275	1.203940 $.207094$ $.209959$ $.212540$ $.214880$.204803 $.207560$ $.210046$	35 36 37 38 39
40 41 42 43 44	1.229301 .231688 .233865 .235845 .237634	$egin{array}{c} 1.227653 \\ .229966 \\ .232068 \\ .233967 \\ .235690 \\ \hline \end{array}$	1.225856 .228090 .230107 .231936 .233575	1.223900 .226043 .227987 .229727 .231282	1.221773 .223840 .225689 .227341 .228809	1.219474 $.221440$ $.223196$ $.224757$ $.226135$	1.216972 .218840 .220500 .221965 .223249	$\begin{array}{r} .216027 \\ .217586 \\ .218952 \\ .220140 \\ \hline \end{array}$	40 41 42 43 44
	26	27	28	29	30	31	32	33	

Continued on Page *69,

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF *n*ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

41 PER CENT.

To the chi									
Pay- ments.	x=34	35	36	37	38	39	40	41	Pay- ments.
n.	1.221612	1.217341	1.212877	1.208201	1.203309	1.198189	1.192839	1.187248	n.
1 2 3 4	$\begin{matrix} 0.000000 \\ .289869 \\ .454871 \\ .568797 \end{matrix}$	$\begin{matrix} 0.000000 \\ .289829 \\ .454795 \\ .568679 \end{matrix}$	$\begin{matrix} 0.000000 \\ .289792 \\ .454715 \\ .568557 \end{matrix}$	$\begin{array}{r} \hline 0.000000 \\ .289749 \\ .454627 \\ .568419 \\ \hline \end{array}$	$\begin{matrix} 0.000000 \\ .289699 \\ .454525 \\ .568263 \end{matrix}$.289644 $.454414$	0.000000 $.289585$ $.454295$ $.567910$	0.000000 $.289524$ $.454164$ $.567709$	1 2 3 4
5 6 7 8 9	0.654765 $.723078$ $.779226$ $.826489$ $.866980$.722875 .778977 .826192	0.654438 $.722658$ $.778710$ $.825872$ $.866258$		$\begin{bmatrix} 0.654038 \\ .722146 \\ .778081 \\ .825123 \\ .865382 \end{bmatrix}$	0.653808 $.721852$ $.777721$ $.824691$ $.864877$	0.653556 $.721530$ $.777325$ $.824218$ $.864325$	0.653281 .721178 .776892 .823701 .863717	5 6 7 8 9
10 11 12 13 14	.933010 .960338 .984702	.932558	.932065 $.959270$ $.983509$.931518 $.958656$	0.900303 .930915 .957975 .982064 1.003625	.930253	.929530 $.956419$ $.980325$.928738 $.955525$ $.979329$	10 11 12 13 14
15 16 17 18 19	$\begin{bmatrix} 1.026239 \\ .044051 \\ .060224 \\ .074947 \\ .088382 \end{bmatrix}$	0.043286 0.059387 0.074037	$\begin{array}{c} .042450 \\ .058475 \\ .073045 \end{array}$	0.057470 0.071951	1.023014 $.040516$ $.056362$ $.070747$ $.083834$.055150 .069432	.038187	.036854	15 16 17 18 19
20 21 22 23 24	1.100668 .111917 .122232 .131699 .140390		.109518	1.097161 .108140 .118175 .127351 .135743	1.095753 $.106626$ $.116551$ $.125612$ $.133886$.114775	1.092530 $.103159$ $.112830$ $.121635$ $.129643$.101175 .110708 .119364	20 21 22 23 24
25 26 27 28 29	$\begin{array}{c} 1.148374 \\ .155707 \\ .162440 \\ .168621 \\ .174289 \end{array}$	$.160735 \\ .166813$.152351 .158877	1.143417 .150434 .156840 .162687 .168011	1.141441 .148332 .154613 .160327 .165519	.152181 $.157756$.143535 $.149530$.140805 .146642 .151907	25 26 27 28 29
30 31 32 33 34	1.179481 .184230 .188567 .192519 .196110	1.177459 .182098 .186321 .190158 .193636	.179777	1.172852 .177243 .181220 .184803 .188028	1.170225 .174483 .178318 .181768 .184851	.175174	1.164262 $.168222$ $.171756$ $.174904$ $.177691$.164682	30 31 32 33 34
35 36 37 38 39	1.199368 .202308 .204958 .207330 .209449		$\begin{array}{c} 1.193966 \\ .196666 \\ .199075 \\ .201212 \\ .203096 \end{array}$	1.190912 .193483 .195764 .197775 .199538	$egin{array}{c} 1.187599 \\ .190035 \\ .192183 \\ .194065 \\ .195698 \\ \end{array}$.188323		.177971 .179690	35 36 37 38 39
40 41 42 43 44	$\begin{array}{c} 1.211329 \\ .212988 \\ .214443 \\ .215707 \\ .216799 \end{array}$.206183 .207420 .208481	1.201068 .202387 .203517 .204475 .205275	1.197106 .198311 .199333 .200186 .200892	$\begin{array}{c} 1.192859 \\ .193949 \\ .194860 \\ .195613 \\ .196229 \end{array}$	1.188311 .189283 .190088 .190746 .191275	1.183447 .184307 .185011 .185576 .186022	40 41 42 43 44
	34	35	36	37	38	39	40	41	
35 36 37 38 39 40 41 42 43	1.199368 .202308 .204958 .207330 .209449 1.211329 .212988 .214443 .215707 .216799	1.196774 .199601 .202131 .204389 .206393 1.208160 .209710 .211056 .212218 .213213	1.193966 .196666 .199075 .201212 .203096 1.204749 .206183 .207420 .208481 .209379	1.190912 .193483 .195764 .197775 .199538 1.201068 .202387 .203517 .204475 .205275	1.187599 .190035 .192183 .194065 .195698 1.197106 .198311 .199333 .200186 .200892	1.184017 .186313 .188323 .190068 .191571 1.192859 .193949 .194860 .195613 .196229	1.180148 .182297 .184163 .185770 .187146 1.188311 .189283 .190088 .190746 .191275	1.175973 .177971 .179690 .181162 .182407 1.183447 .184307 .185011 .185576 .186022	3 3 3 3 4 4 4 4

Continued on Page *68.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

41 PER CENT.

To This other									
Pay- ments.	42	43	44	45	46	47	48	49	Pay- ments.
n.	1.181397	1.175290	1.168905	1.162240	1.155279	1.148013	1.140432	1.132524	n.
1 2 3 4	$\begin{array}{c} 0.000000 \\ .289449 \\ .454015 \\ .567483 \end{array}$	0.000000 $.289373$ $.453858$ $.567240$	$\begin{matrix} 0.000000 \\ .289286 \\ .453681 \\ .566968 \end{matrix}$	$\begin{array}{c} \hline{0.000000} \\ .289192 \\ .453487 \\ .566672 \\ \end{array}$	$\begin{array}{c} \hline 0.000000 \\ .289088 \\ .453275 \\ .566344 \\ \hline \end{array}$	0.000000 $.288973$ $.453040$ $.565986$	0.000000 $.288847$ $.452784$ $.565592$.452501	3
5 6 7 8 9	0.652973 .720784 .776409 .823124 .863047	0.652640 .720358 .775885 .822501 .862316	0.652271 .719885 .775307 .821809 .861507	0.651865 .719369 .774671 .821051 .860623	0.651421 .718799 .773972 .820219 .859649		.717488 .772363	.771439 .817198	6 7
10 11 12 13 14	0.897616 .927859 .954538 .978226 .999373	0.896773 $.926903$ $.953460$ $.977025$ $.998042$	0.895845 .925846 .952274 .975703 .996575	0.894825 .924690 .950975 .974251 .994972	0.893707 $.923421$ $.949545$ $.972661$ $.993212$	$\begin{array}{c} 0.892480 \\ .922025 \\ .947980 \\ .970916 \\ .991281 \end{array}$	0.920497 0.946262	.944379 .966906	11 12
15 16 17 18 19	$\begin{array}{c} 1.018330 \\ .035381 \\ .050764 \\ .064668 \\ .077254 \end{array}$	$\begin{array}{c} 1.016862 \\ .033778 \\ .049016 \\ .062770 \\ .075201 \end{array}$	1.015252 .032014 .047094 .060685 .072953	1.013488 .030082 .044990 .058408 .070491	1.011551 .027964 .042689 .055912 .067800	.025648 $.040168$ $.053185$.023112 $.037413$	034397 046944	16 17 18
20 21 22 23 24	1.088658 $.099001$ $.108377$ $.116876$ $.124573$	1.086451 $.096628$ $.105838$ $.114165$ $.121688$	1.084027 .094029 .103057 .111201 .118536	1.081380 $.091190$ $.100025$ $.107969$ $.115104$	1.078486 .088092 .096714 .104448 .111365	.084708	.089178	.077005 .084904 .091903	22 23
25 26 27 28 29	1.131535 .137823 .143489 .148581 .153147	1.128473 .134581 .140065 .144978 .149356	1.125132 .131047 .136340 .141054 .145240	1.121495 .127208 .132291 .136802 .140784	1.117542 $.123033$ $.127900$ $.132195$ $.135967$.118504 $.123143$.121831	.108290 .112438 .116027	26 27 28
30 31 32 33 34	$\begin{array}{c} 1.157219 \\ .160839 \\ .164042 \\ .166863 \\ .169327 \end{array}$	1.153246 $.156685$ $.159713$ $.162356$ $.164652$	$\begin{array}{c} 1.148938 \\ .152192 \\ .155031 \\ .157496 \\ .159615 \end{array}$	1.144285 $.147339$ $.149988$ $.152266$ $.154212$.142108 .144558 .146652 .148421	.138731 .140635 .142224	.130431 .132484 .134197 .135612	.123949 .125799 .127326 .128572	30 31 32 33 34
35 36 37 38 39	1.171468 .173309 .174885 .176217 .177330	$\begin{array}{c} 1.166626 \\ .168315 \\ .169743 \\ .170935 \\ .171922 \end{array}$	$\begin{array}{c} 1.161427 \\ .162959 \\ .164237 \\ .165295 \\ .166160 \end{array}$	1.155857 .157230 .158365 .159294 .160039	1.149897 151117 152114 152915 153545	.145471 $.146149$ $.146678$.137694 .138425 .138995 .139428	.130360 .130975 .131442 .131789	35 36 37 38 39
40 41 42 43 44	1.178251 .179004 .179609 .180086 .180457	.173376	.167827 $.168153$	1.160625 .161083 .161432 .161691 .161877	1.154037 .154411 .154690 .154890 .155034	$.147380 \\ .147595 \\ .147750$.139982 .140149 .140263	.132342 .132419	40 41 42 43 44
	42	43	44	45	46	47	48	49	

Continued on Page *67.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR, $\mathbf{4}_{\frac{1}{2}}$ PER CENT.

Pay-	x = 50	51	52	53	54	55	56	57	Pay-
ments.									ments.
n.			1.106723		1.087676				n
1 2 3 4	0.000000 .288556 .452188 .564681	0.000000 $.288390$ $.451848$ $.564158$	0.000000 $.288206$ $.451473$ $.563584$		$\begin{array}{c} 0.000000 \\ .287785 \\ .450610 \\ .562262 \end{array}$	0.000000 $.287538$ $.450110$ $.561495$		0.000000 $.286974$ $.448958$ $.559736$	1 2 3 4
5 6 7 8 9	0.649153 .715902 .770422 .815985 .854707	0.648441 $.714995$ $.769307$ $.814658$ $.853158$	0.647660 $.713995$ $.768083$ $.813200$ $.851458$	0.646801 $.712899$ $.766740$ $.811601$ $.849594$	0.645857 .711694 .765266 .809846 .847549	.763642	.708916 .761866	0.642425 .707320 .759916 .803489 .840152	5 6 7 8 9
10 11 12 13 14	0.888028 .916977 .942311 .964608 .984313	0.886250 $.914961$ $.940051$ $.962094$ $.981539$	0.884299 $.912751$ $.937573$ $.959341$ $.978501$	0.882161 $.910330$ $.934860$ $.956327$ $.975182$	0.879816 .907677 .931889 .953031 .971551	0.877243 .904767 .928634 .949422 .967585	0.874430 .901588 .925079 .945488 .963259	0.871348 .898107 .921195 .941187 .958538	10 11 12 13 14
15 16 17 18 19		$1.013984 \\ .027505$	0.995413 1.010359 $.023584$ $.035274$ $.045603$		1.002094	1.009560 $.020193$	0.992268 1.004038	.986694	16 17 18
20 21 22 23 24	.072632 .080253 .086975 .092885	.067879 .075205 .081638 .087257	1.054708 .062713 .069732 .075856 .081173	1.049435 $.057113$ $.063803$ $.069604$ $.074606$	1.043715 $.051043$ $.057388$ $.062853$ $.067525$.037375 .042984	1.023545 .029718 .034942 .039328 .042973	20 21 22 23 24
25 26 27 28 29	1.098053 .102550 .106438 .109772 .112614	099978 103058	1.085762 .089692 .093036 .095855 .098204	1.078886 .082525 .085590 .088143 .090249	1.071493 .074833 .077614 .079907 .081772	.069092	$1.055055 \\ .057791 \\ .060014 \\ .061794 \\ .063200$	1.045971 $.048407$ $.050357$ $.051896$ $.053089$	25 26 27 28 29
30 31 32 33 34	1.115011 .117011 .118661 .120007 .121087	.109607	1.100142 .101720 .102987 .103986 .104763	1.091963 .093338 .094423 .095266 .095906	1.083268 .084448 .085365 .086060 .086579	.075041 .075798	.065117	1.053994 $.054670$ $.055158$ $.055506$ $.055742$	30 31 32 33 34
35 36 37 38 39	1.121939 .122602 .123106 .123481 .123752	.114416 .114821 .115115 .115325	1.105353 .105792 .106111 .106338 .106491	$.096729 \\ .096975 \\ .097141 \\ .097248$	1.086955 $.087222$ $.087403$ $.087519$ $.087591$.066986	1.055891 $.055985$ $.056038$ $.056069$ $.056082$	35 36 37 38 39
40 41 42 43 44	1.123946 .124078 .124161 .124213 .124244	$egin{array}{c} .115557 \\ .115613 \\ .115646 \end{array}$	1.106589 $.106650$ $.106686$ $.106706$ $.106714$.097374	1.087633 .087656 .087666 .087673 .087675		.067034 $.067037$	$1.056091 \\ .056094 \\ .056094 \\ .056095$	40 41 42 43 44
45 46 47 48 49	1.124261 .124268 .124273 .124274 .124274	.115678 $.115679$ $.115679$.097391	1.087675	1.077558			45 46 47 48 49
	50	51	52	53	54	55	56	57	

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR. $\mathbf{4}_{2}^{1}$ PER CENT.

Pay-	58	59	60	61	62	63	64	65	Pay-
ments.				1.007916					ments.
1 2 3 4			$\begin{array}{c} \hline{0.000000} \\ 0.85906 \\ .446779 \\ .556403 \\ \end{array}$			0.000000 $.284488$ $.443891$	0.000000	0.000000	1 2 3 4
5 6 7 8 9	0.641055 .705576 .757784 .800957 .837207	0.639550 .703660 .755444 .798179 .833982	0.637896 $.701557$ $.752876$ $.795136$ $.830450$		0.634099 .696730 .746991 .788167 .822376	.743619		0.626906 .687611 .735903 .775073 .807248	5 6 7 8 9
10 11 12 13 14	$\begin{bmatrix} 0.867981 \\ .894310 \\ .916957 \\ .936501 \\ .953401 \end{bmatrix}$.885620 $.907277$ $.925819$	0.855867 .880672 .901773 .919761 .935098		$\begin{array}{c} 0.845822 \\ .869397 \\ .889266 \\ .906024 \end{array}$	0.840110 .863002 .882188 .898272	0.833891 .856049 .874509 .889876 .902632	10 11 12 13 14
15 16 17 18 19	$\begin{bmatrix} 0.968015 \\ .980646 \\ .991536 \\ 1.000898 \end{bmatrix}$		0.955322 0.966953 0.976859 0.985252	$0.948156 \\ .959245 \\ .968617$	i i	0.932002 0.941918 0.950161 0.956958	0.922939 .932235 .939883 .946119	0.913173 0.921823 0.928862 0.934533	15 16 17 18 19
20 21 22 23 24	1.015723 .021481 .026311 .030321 .033616	1.007294	0.998233 1.003131 .007148 .010405		$egin{array}{c} 0.978111 \\ .982129 \\ .985335 \\ .987858 \\ .989810 \\ \end{array}$.970575 .973388 .975563 .977212	.958310 .960742 .962586 .963958	.947387 $.948926$ $.950040$	21 22 23 24
25 26 27 28 29	1.036292 .038433 .040122 .041431 .042424	1.025991 $.027859$ $.029290$ $.030382$ $.031197$.992393 .993191 .993756 .994140	.979328 .979957 .980385 .980655	.965654 .966131 .966433 .966622	.951703 $.951914$ $.952037$	26 27 28 29
30 31 32 33 34	1.043165 .043701 .044082 .044340 .044504	1.031787 .032205 .032489 .032669 .032782	$\begin{array}{c} .020178 \\ .020375 \\ .020500 \end{array}$	$007616 \\ 007754$	$\begin{array}{c} 0.994383 \\ .994536 \\ .994623 \\ .994672 \\ .994696 \end{array}$.980922 .980977 .981003	$\begin{array}{c} .966792 \\ .966821 \\ .966836 \end{array}$.952155 $.952163$	31
35 36 37 38 39	1.044607 .044666 .044699 .044714 .044723	1.032847 .032883 .032900 .032909 .032914	$\begin{array}{c} .020630 \\ .020640 \\ .020645 \end{array}$	0.007915 0.007915	.994714 .994714 .994716	.981024 .981025		42 1.181397	35 58 57
40 41 42	1.044727 .044727 .044728		1.020646 47	46 1.155279		1.168905	.175289 $.175289$ 1.175288	.181395 .181395 1.181393	56 55 54
51 50	$\begin{array}{ c c c }\hline 49 \\ \hline 1.132524 \\ .132523 \\ \hline \end{array}$	$ \begin{array}{r} \hline 1.140432 \\ .140431 \\ .140431 \end{array} $	1.148013 .148012 .148012 .148011	.155278 .155278 .155277 .155273	.162239 .162238 .162235 .162230	.168902 .168897 .168886	.175282 .175272 .175253	.181380 .181362 .181334	51 50
49 48 47 46 45	1.132523 .132522 .132518 .132511 .132495	1.140430 $.140426$ $.140420$ $.140405$ $.140379$	1.148007 $.148002$ $.147988$ $.147964$ $.147923$	1.155268 .155255 .155233 .155195 .155133	1.162218 .162197 .162162 .162104 .162011	.168834 $.168780$.175173	1.181287 .181211 .181102 .180951 .180741	49 48 47 46 45
	49	48	47	12	45	44	43	42	

Continued from Page *65.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR. $4\frac{1}{2}$ PER CENT.

Pay- ments,	x=66	67	68	69	70	71	72	73	Pay- ments.
n.	0.936983	0.921279	0.905066	0.888311	0.871044	0.853238	0.834905	0.816036	n.
1 2 3 4	0.000000 $.282611$ $.440070$ $.546174$	0.000000 $.281852$ $.438541$ $.543847$	$\overline{0.000000}$ $.281035$ $.436872$ $.541309$	0.000000 $.280120$ $.435027$ $.538512$	$\begin{array}{c} \hline{0.000000} \\ 0.000000 \\ 0.279130 \\ 0.433019 \\ 0.535465 \\ \end{array}$.430811	.276843 .428403	$\begin{array}{c} \hline{0.000000} \\ 0.275538 \\ 0.425760 \\ 0.524492 \\ \hline\end{array}$	1 2 3 4
5 6 7 8 9	0.624044 .683985 .731504 .769890 .801278	0.620902 .680015 .726692 .764233 .794771	0.617476 .675686 .721455 .758081 .787707	0.613710 $.670944$ $.715727$ $.751367$ $.780017$	$egin{array}{c} 0.609614 \\ .665786 \\ .709502 \\ .744086 \\ .771693 \\ \end{array}$.702722 .736172	.654017 $.695357$	0.594904 $.647340$ $.687355$ $.718300$ $.742371$	5 6 7 8 9
10 11 12 13 14	0.827131 .848506 .866193 .880805 .892832	.840319 .857190	0.811813 .831469 .847477 .860468 .870947	0.803163 .821880 .836986 .849118 .858787	0.793818 .811550 .825715 .836958 .845804	.813603 .823938	.788450 .800634 .810047	.775614	10 11 12 13 14
15 16 17 18 19	0.902672 .910659 .917083 .922185 .926183	.898708 .904508 .909047	.885960		.857958 .861935 .864877 .867004	.846104 .848567 .850301	.826596 .829467 .831487 .832852	.809660 .812031 .813631 .814656	15 16 17 18 19
20 21 22 23 24	0.929266 $.931600$ $.933334$ $.934590$ $.935478$.918572	0.900372 .901990 .903132 .903904 .904397		0.868504 $.869518$ $.870167$ $.870566$ $.870799$.852685 $.852955$.834262	0.815284 .815650 .815852 .815954 .816005	20 21 22 23 24
25 26 27 28 29	0.936080 .936462 .936700 .936838 .936914	$0.920690 \\ .920959 \\ .921115 \\ .921201 \\ .921243$	0.904702 $.904879$ $.904977$ $.905025$ $.905050$	0.888097 .888209 .888264 .888293 .888304	0.870927 .870991 .871023 .871036 .871042	.853229 $.853235$.834895 .834902 .834905	$0.816025 \\ .816034 \\ .816036$ 34	25 26 27
30 31 32 33 34	0.936951 .936971 .936979 .936982 .936983	$0.921265 \\ .921274 \\ .921278 \\ .921279 \\ = 40$	0.905060 .905065 .905066 39 1.198189	$ \begin{array}{r} 0.888309 \\ .888311 \\ \hline 38 \\ 1.203309 \\ .203304 \end{array} $	0.871044 37 1.208201 .208199 .208199	$ \begin{array}{r} $	35 1.217341 1.217340 .217340 .217339		66 65 64 63 62 61
59 58 57 56 55	.187246 .187246 .187246 .187244	.192837 .192835 .192833	.198187 1.198187 .198187 .198186 .198184 .198175	.203304 1.203304 .203303 .203301 .203292 .203278	.208199 1.208198 .208196 .208188 .208175 .208156	.212874 1.212872 .212864 .212852 .212834 .212802	.217318 .217301	.221601 1.221591 .221575 .221547 .221502 .221437	59 58 57 56 55
54 53 52 51 50	.187232 .187215 .187189 .187145	.192743	.198138 .198099 .198037 .197948	.203222 .203164 .203080 .202964	.208068 .207989 .207880 .207730	.212575 .212434	.216744 $.216508$	1.221346 .221221 .221051 .220829 .220545 1.220184	54 53 52 51 50 49
49 48 47 46 45	$ \begin{array}{r} 1.187074\\ .186972\\ .186831\\ .186335\\ .186369\\ \hline 41 \end{array} $.192449 .192266 .192017	$ \begin{array}{r} 1.197824 \\ .197653 \\ .197419 \\ .197115 \\ \underline{.196724} \\ 39 \end{array} $	$.202584 \\ .202299 \\ .201933$.207256 .207256 .206913 .206478 .205937	$\begin{array}{c} .211667 \\ .211259 \\ .210751 \end{array}$.215821 .215345 .214761	$ \begin{array}{r} 1.220184 \\ .219736 \\ .219187 \\ .218526 \\ .217733 \\ \hline 34 \end{array} $	48 47 46 45
(1 1	nued from		00	00	01	00	00	01	

Continued from Page *64.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR. $\mathbf{4}_{2}^{1}$ PER CENT.

Pay- ments.	74	75	76	77	78	79	80	81	Pay-
n.	0.796626	0.776711	0.756264	0.735279	0.713797	0.691797	0.669283	0.646255	ments. n .
1 2 3 4	$\begin{matrix} 0.000000 \\ .274089 \\ .422855 \\ .520129 \end{matrix}$	0.000000 $.272521$ $.419707$ $.515387$	0.000000 $.270807$ $.416256$ $.510208$	0.000000 $.268910$ $.412470$ $.504550$	0.000000 $.266851$ $.408356$ $.498410$	$\begin{array}{c} .264595 \\ .403865 \end{array}$.262129	.259447 .393652	1 2 3 4
5 6 7 8 9	0.589077 .640067 .678666 .708241 .731003	0.582756 .632192 .669282 .697409 .718801	0.575872 $.623643$ $.659130$ $.685732$ $.705699$	0.568376 .614371 .648157 .673164 .691659	0.560266 $.604364$ $.636363$ $.659708$ $.676693$.593563 $.623682$ $.645312$	$\begin{array}{c} 0.541963 \\ .581926 \\ .610091 \\ .629962 \\ .643866 \end{array}$.595572 .613646	6
10 11 12 13 14	0.748499 .761871 .771990 .779547 .785096	0.735023 $.747230$ $.756308$ $.762954$ $.767728$	0.720614 .731645 .739691 .745453 .749487	0.705242 $.715100$ $.722134$ $.727048$ $.730344$	0.688938 .697634 .703690 .707743 .710329		0.653455 $.659827$ $.663875$ $.666342$	0.634186 .639362 .642509 .644336	10 11 12 13
16 17 18 19	.791895 .793785 .794996 .795738	.773328 .774771 .775654 .776169	.753933 .754994 .755612 .755952	0.732450 .733738 .734488 .734900 .735112	.712829 .713334 .713594 .713719	.691223 .691545 .691701 .691764	$\begin{array}{c} .668967 \\ .669162 \\ .669242 \\ .669274 \end{array}$.646101 $.646203$	16 17 18
20 21 22 23 24	0.796170 .796408 .796529 .796589 .796613	0.776452 $.776596$ $.776668$ $.776696$ $.776708$	0.756126 $.756211$ $.756245$ $.756259$ $.756264$	0.735215 .735256 .735273 .735279	0.713770 .713791 .713797 29	.691797	27 1.246580		74 73 72
25 26	$0.796623 \\ .796626$	0.776711 32	31 1.233310	1.236862	1.240250 .240249	.243489 $.243489$ 1.243489	.246580 $.246580$.249527	71 70 69
67 66 65	$ \begin{array}{r} 33 \\ \hline 1.225692 \\ .225692 \\ .225692 \end{array} $	1.229589 .229589 .229589 .229588	.233309 .233309 .233309 .233308	.236861 .236861 .236860 .236858	.240249 .240248 .240246 .240241	.243488	.246577 .246572 .246566	.249519 $.249514$ $.249502$	68 67 66
64 63 62 61 60	1.225691 $.225690$ $.225688$ $.225682$ $.225672$	1.229587 $.229585$ $.229579$ $.229570$ $.229556$	1.233306 .233300 .233292 .233278 .233255	1.236853 $.236845$ $.236832$ $.236810$ $.236776$	1.240233 .240221 .240201 .240169 .240121	.243443 .243413	.246508 .246465 .246406	.249418 .249363 .249285	63 62 61
59 58 57 56 55	1.225657 .225631 .225589 .225528 .225442	.229492	1.233218 .233164 .233089 .232985 .232843	1.236725 $.236654$ $.236556$ $.236422$ $.236246$.239961 .239835 .239669 .239460	.243098 .242942 .242745 .242494	.246063 .245877 .245641 .245345	.248641 .248361 .248022	58 57 56 55
54 53 52 51 50	1.225325 .225165 .224955 .224688 .224349	1.229093 .228895 .228644 .228325 .227928	1.232656 $.232420$ $.232119$ $.231746$ $.231289$	1.236024 $.235741$ $.235389$ $.234958$ $.234441$	1.239194 .238862 .238456 .237969 .237382	.241799 .241339	.244552 $.244030$ $.243420$.246546 .245868	53 52 51
49 48 47 46 45	1.223928 $.223412$ $.222790$ $.222045$ $.221167$	1.227443 $.226859$ $.226157$ $.225332$ $.224366$	1.230740 $.230079$ $.229303$ $.228394$ $.227343$	1.233819 .233089 .232233 .231243 .230107	1.236695 .235888 .234956 .233886 .232664	.238500 .237491 .236340		1.244192 .243168 .242011 .240712 .239258	48 47 46
	33	32	31	30	29	28	27	26	

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR. $\mathbf{4}_{\frac{1}{2}}$ PER CENT.

Pay-	x=82	83	84	85	86	87	88	89	Pay-
ments.	0.622676	0.598565	0.573780	0.548297	0.521852	0.493999	0.464345	0.431342	ments.
1			0.000000			0.000000		0.000000	1
2	.256494			.246024	.241946		.232632	.224517	2
3 4	.387854 $.468093$		374746 448980	.367409	359446 426874		340091 397349	.324725 $.376450$	3 4
5	0.520618	[0.508753]	0.495976	0.482365		0.449629			5
6	.556023	.541721	.526442	.509831	.491308		.446604		
7	.580075	.563652	.545916	.526616	.505459		.455950		7
8 9	.596346 $.607023$.577893 $.586809$.557991 $.565240$	0.536606 0.542334	.513513		.460680		8 9
10			0.569416		.517883	0.493035	$\frac{.462925}{0.463870}$.430618	10
11	.617831	.595305		.547053	.521178		.464230		11
12	.620196			.547814	.521627		.464345		
13	.621492			.548135	.521798		10	18	
14	.622157		.573662	.548258	.521852	20	19	1.268708	82
15			0.573752	0.548297	21		1.266691	.268709	81
16	.622609			22		1.264573	.266692	.268709	80
17	$\begin{array}{c} .622661 \\ .622676 \end{array}$.598565	23			1.264574			79
10	-022010	24	$\frac{1.257585}{1.257585}$	1.260026	.262354		.266692	.268708	
	25	1.255025		260027	.262354 $.262354$.264574 $.264573$.266691 $.266689$.268706 $.268703$	
75	1.252341	.255025		.260027	$\frac{1.262353}{1.262353}$.266686	.268699	75
74	1.252342	1.255025	1.257585	1.260026	1.262351	1.264567	1.266682	1.268692	74
73	.252342				.262347	.264563	.266674	.268681	73
72	.252342	.255024		.260020	.262343		.266663	.268665	72
71	.252341	.255022		.260016	.262334		.266646	.268639	
70	.252339	.255017		.260006	.262322	.264525	.266618	.268603	70
69 68	1.252334 1.252329	1.255013 255002	$\begin{array}{c} 1.257563 \\ .257549 \end{array}$	1.259993 $.259972$		1.264496			69
67	.252318	.254987	.257527	.259972	.262271 $.262229$	$\begin{array}{r} .264456 \\ .264400 \end{array}$.266528 $.266457$	$\begin{array}{c} .268487 \\ .268398 \end{array}$	68 67
66	.252302	.254964	.257493	.259896	.262170		.266363	.268285	66
65	.252277	.254928	.257447	.259833	.262091	.264226	.266244	.268144	65
64	1.252239	1.254879	1.257381	1.259749	1.261986	1.264100	1.266095	1.267966	64
63	.252187	.254809	.257291	.259638	.261853	.263943	.265907	.267749	63
62	.252113	.254714	.257174	.259498	.261687			.267490	62
61 60	.252012 $.251881$.254590 .254433	.257026 $.256839$.259322	261477 261220		.265404	.267178	61
59		1.254235		1.258828			.265074	.266812	60
58	.251715			.258504	1.260914 $.260545$	1.262863 1.262454	1.264687 $.264231$	1.266381 $.265885$	59
57	.251241			.258113	.260112		.264231 $.263707$.265319	58 57
56	.250921	.253319	.255560	.257655	.259602	.261418	.263108		
55	.250535		.255075	.257116	.259016			.263936	
54				1.256496	1.258345		1.261646	1.263114	54
53	.249528			.255785	.257577	.259238	.260776	.262195	53
52 51	.248888		.253095 $.252235$.254972 $.254054$	256709 255736		.259805		52
50	.247307			.253023	.254648	.257290 $.256143$.258722 $.257529$	260045 258799	51 50
49		1.248329		1.251871		1.254881			
48	.245249	.247174	.248950	.250586	.252097	.253486	.254765	255935	49 48
47	.244024	.245880	.247589	.249170	.250620	.251955	.253180	.254304	47
46	.242653		.246089	.247605	.248998	.250276	.251452	.252529	46
45	.241122		.244430	.245886	.247220	.248445	-249572	.250601	45
	25	24	23	22	21	20	19	18	
Conti	inued from	Do mo *69							

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF *n* ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR. 41 PER CENT.

Pay-	90	91	92	93	94	95	96	97	Pay-
ments.				0.312760					ments.
1				0.000000	0.000000				1
2	.215615	.207859	.199751	.190399	.180240	.169812	.152954	.140751	2
3	.309111	.294974	.279967	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$.245642		.199694	.177500	3
4	.355648	.336370	.316098		.270547		.213605	10	
5 6	.390948	0.356220 0.365406	0.332378 0.339071	0.306615 $.311281$	0.279714 $.282598$		11	1.281791	90
7	.396423	.369226	.341606	.312760		12	1.280417		89
8 9	.398714 $.399587$.370680 .371143	.342412	14	13	1.278977	.280417	.281791	88
10	0.399866	.0711140	15	1.275875	1.277464		.280417	.281791 .281790	87 86
10		16	1.274211	.275876	$\begin{array}{c} .277464 \\ .277464 \end{array}$.280417	.281789	85
	17	1.272467		1.275876		1.278976	1.280415		84
83	1.270632	.272468	.274213	.275876	.277463	.278975	.280413	.281785	83
82	.270633	.272468 $.272468$.274213	.275875	.277462 $.277460$.280411	$\begin{array}{c c} .281780 \\ .281774 \end{array}$	82 81
80	.270633	.272467	.274210	.275871	.277458		.280399		80
79	1.270632	1.272465	1.274208	1.275869	1.277452	1.278958	1.280385	1.281745	79
78	.270630	.272463	.274205	.275863	.277444				
77	.270628 $.270624$.272460 $.272453$.274199 .274190	.275854	.277430 $.277412$				77
75	.270617	.272444	.274175	.275820	.277384				75
74	1.270607		1.274154			1.278819			
73	.270591	.272406	.274123	.275752	$\begin{array}{c} .277297 \\ .277229 \end{array}$				73 72
72 71	$\begin{array}{c} 1.270567 \\ .270533 \end{array}$.272373 .272329	.274081 $.274025$.275699 $.275627$.277142				71
70	.270486	.272270	.273950	.275535	.277036				70
69	1.270423	1.272190	1.273852	1.275423		1.278286			69
68	.270339 $.270231$.272087 $.271962$.273734 .273581	.275278 .275106	$\begin{array}{r} .276735 \\ .276537 \end{array}$				68 67
66	.270098	.271801	.273399	.274897	.276301	.277610	.278829	.279966	66
65	.269929	.271608	.273179	.274647	.276022	1	.278491		65
64		1.271376		1.274352		1.276945			64
63	.269479 $.269184$.271097 $.270769$	$\begin{array}{r} .272604 \\ .272239 \end{array}$.274007 .273610	.275319 .274888				63 62
61	.268838	.270383	.271819	.273156	.274394	.275542	.276604	.277587	61
60	.268430	.269939	.271340	.272634	.273838				60
	1.267961			1.272046	1.273215 $.272519$				59 58
58 57	$\begin{array}{r} .267426 \\ .266811 \end{array}$.268851 .268194	.270167 $.269472$.271388 .270652	.272519			.274526	57
56	.266117	.267459	.268694	.269832	.270889	.271857	.272748	.273566	56
55	.265340	.266637	.267828	.268931	.269945				55
54	1.264471 $.263503$			1.267934 .266843	1.268913 .267781	$\begin{bmatrix} 1.269809 \\ .268641 \end{bmatrix}$			
53 52	.262438	.264715 $.263601$.265822 $.264668$.266547	1		.268827	52
51	.261260	.262380	.263403	.264342	.265210	.266003			51
50	.259969	.261043	.262024	.262928	.263758				
49	1.258554 $.257012$	1.259585 $.258002$	1.260528 $.258903$	1.261392 .259730	1.262186 $.260489$	1.262911 $.261183$		1.264181 $.262395$	49 48
47	.255336	.256282			.258660	.259322	.259924	.260481	47
46	.253516	.254422	.255244	.255999	.256691	.257322		.258429	
45	.251546	.252409			.254575		.255729		45
	17	16	15	14	13	12	11	10	

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

The first Value under the Age x is $\lambda(1+a_x)$ for the whole Life.

5 PER CENT.

	The first value under the Age t is $\kappa(1+tw)$ for the whole Life.								
Pay- ments.	x=10	11	_12	13	14	15	16	17	Pay- ments.
n.	1.249190	1.248018	1.246787	1.245487	1.244118	1.242680	1.241167	1.239571	n.
1 2 3 4	$ \begin{array}{c} 0.000000 \\ .289190 \\ .453548 \\ .566862 \end{array} $.289185 $.453539$.289182 $.453534$		0.000000 .289171 .453510 .566805	.289165 $.453500$.289161 .453490	.289154	1 2 3 4
5 6 7 8 9	0.652256 .720028 .775673 .822470 .862534	.720006 .775646 .822438		0.652202 $.719959$ $.775588$ $.822370$ $.862417$	0.652179 .719930 .775553 .822328 .862368	.719901 .775518 .822285	.775480 .822240	0.652104 .719834 .775435 .822186 .862201	5 6 7 8 9
10 11 12 13 14	.927826 .954845 .978941	.954791 .978883	.927730 .954737 .978821	.927674	$\begin{array}{c} 0.897120 \\ .927611 \\ .954601 \\ .978671 \\ 1.000264 \end{array}$.927544 .954528 .978587	.927474 .954446 .978496	0.896928 .927390 .954353 .978394 .999957	10 11 12 13 14
15 16 17 18 19	$\begin{bmatrix} 1.020071\\.037746\\.053824\\.068498\\.081933 \end{bmatrix}$	$\begin{array}{c} .037668 \\ .053737 \\ .068405 \end{array}$	037582 053646	.053543 $.068192$.037271 $.053305$ $.067933$	1.019527 $.037149$ $.053171$ $.067790$ $.081163$	$\begin{array}{c} 1.019401 \\ .037010 \\ .053022 \\ .067625 \\ .080983 \end{array}$	15 16 17 18 19
20 21 22 23 24	1.094262 .105604 .116060 .125716 .134649	.105486 $.115932$.105358		1.093758 .105061 .115474 .125088 .133974	.104890 .115293 .124891		1.093237 .104497 .114870 .124439 .133281	20 21 22 23 24
25 26 27 28 29	1.142924 .150597 .157725 .164349 .170513	$egin{array}{c} 1.142766 \\ .150431 \\ .157546 \\ .164160 \\ .170312 \\ \end{array}$	1.142598 $.150250$ $.157355$ $.163956$ $.170095$	1.142409 $.150049$ $.157141$ $.163728$ $.169853$	1.142202 .149830 .156905 .163478 .169584	.149590 .156651 .163203	.149329 $.156367$ $.162911$	1.141460 .149037 .156061 .162579 .168631	25 26 27 28 29
30 31 32 33 34	1.176252 .181599 .186585 .191235 .195578	1.176039 1.181373 1.186344 1.190985 1.195310	1.175808 $.181127$ $.186089$ $.190710$ $.195019$	1.175549 $.180859$ $.185800$ $.190405$ $.194699$	1.175270 .180559 .185483 1.190072 .194344	.180234 .185141	.184762 .189307	1.174257 .179483 .184343 .188867 .193069	30 31 32 33 34
35 36 37 38 39	1.199628 .203409 .206942 .210240 .213319	1.199345 $.203114$ $.206629$ $.209909$ $.212974$	1.199041 $.202790$ $.206287$ $.209552$ $.212594$	1.198700 .202430 .205911 .209152 .212177	1.198325 .202038 .205493 .208717 .211716	.201606	.201140 .204548	1.196983 .200619 .204001 .207147 .210067	35 36 37 38 39
40 41 42 43 44	1.216197 .218880 .221388 .223724 .225906	1.215830 .218498 .220983 .223303 .225462	1.215434 .218078 .220546 .222842 .224979	$\begin{array}{c} 1.214992 \\ .217618 \\ .220061 \\ .222334 \\ .224447 \end{array}$	1.214511 .217112 .219530 .221777 .223867	1.213987 .216561 .218951 .221174 .223231	1.213412 .215957 .218322 .220510 .222537	1.212777 $.215294$ $.217623$ $.219779$ $.221772$	40 41 42 43 44
	10	11	12	13	14	15	16	17	
Cont	inued on P	ara 82							

Continued on Page 82.

Formula,
$$\lambda(1+a_x^{n-1})=\lambda\frac{\mathbf{N}_x-\mathbf{N}_{x+n}}{\mathbf{D}_x}=\lambda\frac{a_{x-1}^n}{vp_{x-1}}$$

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

5 PER CENT.

Pay- ments.	18	19	20	21	22	23	24	25	Pay- ments.
n.	1.237891	1.236125	$\frac{1.234265}{}$	1.232309	1.230253	1.228089	1.225813	1.223420	<i>n</i> .
1 2 3 4	0.000000 $.289146$ $.453460$ $.566728$	0.000000 .289139 .453445 .566704	0.000000 $.289130$ $.453426$ $.566675$	0.000000 $.289120$ $.453406$ $.566645$	$\begin{bmatrix} 0.000000 \\ .289110 \\ .453386 \\ .566613 \end{bmatrix}$.289099	0.000000 $.289085$ $.453336$ $.566536$.453307	1 2 3 4
5 6 7 8 9	0.652073 .719794 .775386 .822127 .862134	0.652039 $.719751$ $.775333$ $.822065$ $.862058$	0.652000 .719702 .775274 .821991 .831975		0.651916 $.719592$ $.775137$ $.821831$ $.861786$	0.651865 .719528 .775059 .821736 .861677	0.651810 $.719458$ $.774972$ $.821633$ $.861555$.719380 .774877 .821520	5 6 7 8 9
10 11 12 13 14	0.896847 .927301 .954254 .978281 .999833	0.896762 $.927205$ $.954144$ $.978159$ $.999697$	0.896667 .927095 .954021 .978021 .999545	0.896562 .926976 .953887 .977873 .999379	0.896449 $.926847$ $.953742$ $.977709$ $.999198$	0.896322 0.926704 0.953579 0.977528 0.998998	0.896184 $.926545$ $.953401$ $.977330$ $.998777$.926371 .953207	10 11 12 13 14
15 16 17 18 19	1.019263 $.036861$ $.052856$ $.067444$ $.080790$	1.019114 $.036695$ $.052675$ $.067249$ $.080575$	1.018946 $.036511$ $.052475$ $.067029$ $.080340$	1.018763 $.036311$ $.052255$ $.066793$ $.080082$	1.018564 $.036091$ $.052017$ $.066532$ $.079800$	$1.018342 \\ .035850 \\ .051752 \\ .066244 \\ .079489$	1.018100 .035583 .051461 .065929 .079145	0.035291 0.051143 0.065581	15 16 17 18 19
20 21 22 23 24	1.093024 1.04271 114626 124178 133000	1.092796 $.104023$ $.114360$ $.123891$ $.132693$	1.092540 $.103749$ $.114064$ $.123574$ $.132355$	1.092262 $.103448$ $.113741$ $.123229$ $.131982$	1.091957 .103119 .113388 .122847 .131575	1.091619 $.102756$ $.112996$ $.122427$ $.131128$	1.091250 .102356 .112565 .121969 .130635	.112097	20 21 22 23 24
25 26 27 28 29	1.141161 $.148717$ $.155720$ $.162216$ $.168248$	1.140833 1.148356 155346 161821 167825	1.140469 $.147978$ $.154936$ $.161382$ $.167359$	1.140072 147557 154484 160902 166852	1.139639 $.147093$ $.153990$ $.160378$ $.166293$	1.139160 146581 153447 159798 165680	1.138632 $.146021$ $.152848$ $.159164$ $.165004$	$1.138056 \\ .145404 \\ .152194 \\ .158466 \\ .164266$	25 26 27 28 29
30 31 32 33 34	1.173847 $.179049$ $.183888$ $.188380$ $.192561$	1.173399 .178578 .183384 .187852 .191999	1.172908 .178053 .182833 .187266 .191383	1.172366 .177483 .182226 .186628 .190710	1.171776 $.176855$ $.181564$ $.185929$ $.189972$	1.171123 .176166 .180837 .185161 .189161	1.170410 .175412 .180039 .184317 .188273	1.169626 .174584 .179163 .183395 .187300	30 31 32 33 34
35 36 37 38 39	1.196442 $.200051$ $.203405$ $.206518$ $.209405$	1.195852 .199431 .202751 .205829 .208685	1.195204 $.198747$ $.202030$ $.205074$ $.207889$	1.194493 $.197998$ $.201244$ $.204247$ $.207021$	$\begin{array}{c} 1.193715 \\ .197180 \\ .200384 \\ .203342 \\ .206073 \end{array}$	$\begin{array}{c} 1.192862 \\ .196282 \\ .199439 \\ .202352 \\ .205037 \end{array}$	1.191926 .195298 .198406 .201270 .203901	$\begin{array}{c} 1.190902 \\ .194222 \\ .197278 \\ .200085 \\ .202663 \end{array}$	35 36 37 38 39
40 41 42 43 44	1.212086 $.214566$ $.216860$ $.218981$ $.220940$	1.211326 $.213769$ $.216027$ $.218112$ $.220030$	1.210492 .212897 .215116 .217157 .219034	1.209583 .211947 .214120 .216118 .217949	$\begin{array}{c} 1.208592 \\ .210907 \\ .213035 \\ .214984 \\ .216765 \end{array}$	$\begin{array}{c} 1.207504 \\ .209772 \\ .211847 \\ .213743 \\ .215474 \end{array}$	1.206318 .208530 .210549 .212393 .214066	1.205022 .207174 .209139 .210921 .212531	40 41 42 43 44
	18	19	20	21	22	23	24	25	

Continued on Page *81.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF 11 ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

5 PER CENT.

								O I ER CI	
Pay- ments.	x=26	27	28	29	30	31	32	33	Pay- ments.
n.	1.220904	1.218261	1.215481	1.212561	1.209497	1.206277	1.202896	1.199343	n.
1 2 3 4	$\begin{matrix} 0.000000 \\ .289055 \\ .453274 \\ .566442 \end{matrix}$	0.000000 .289039 .453240 .566388	0.000000 $.289020$ $.453200$ $.566328$.288997 $.453156$	$\begin{bmatrix} 0.000000 \\ .288976 \\ .453111 \\ .566194 \end{bmatrix}$	0.000000 $.288951$ $.453061$ $.566115$	0.000000 $.288925$ $.453006$ $.566031$	0.000000 $.288894$ $.452944$ $.565934$	1 2 3 4
5 6 7 8 9	0.651681 .719293 .774771 .821394 .861276	0.651609 $.719201$ $.774658$ $.821258$ $.861117$	0.651528 .719098 .774530 .821107 .860941	0.651439 .718982 .774390 .820940 .860744	0.651343 .718861 .774241 .820759 .860534	0.651237 .718725 .774072 .820559 .860300	0.651120 .718574 .773889 .820340 .860044		5 6 7 8 9
10 11 12 13 14	0.895861 .926180 .952990 .976871 .998267	0.895679 $.925971$ $.952755$ $.976607$ $.997977$	0.895474 $.925739$ $.952494$ $.976318$ $.997654$.925484 .952209 .975997	$\begin{array}{c} 0.895007 \\ .925209 \\ .951897 \\ .975650 \\ .996916 \end{array}$	0.894738 0.924903 0.951553 0.975266 0.996488	0.894444 .924567 .951175 .974843 .996021	0.894116 0.924195 0.950756 0.974377 0.995504	10 11 12 13 14
15 16 17 18 19	$\begin{bmatrix} 1.017539 \\ .034968 \\ .050790 \\ .065199 \\ .078353 \end{bmatrix}$.034616 $.050407$ $.064779$.049980 $.064317$.033798 .049513 .063810	1.016046 .033332 .049005 .063256 .076249	1.015577 $.032818$ $.048442$ $.062644$ $.075589$	1.015062 $.032252$ $.047825$ $.061976$ $.074861$	1.014493 $.031628$ $.047147$ $.061235$ $.074063$	15 16 17 18 19
20 21 22 23 24	1.090392 .101435 .111577 .120906 .129499	1.089904 .100907 .111009 .120299 .128846	1.089363 .100324 .110385 .119626 .128131		1.088122 .098985 .108947 .118086 .126483	1.087405 .098218 .108119 .117201 .125537	1.086624 $.097372$ $.107214$ $.116231$ $.124501$	1.085758 $.096444$ $.106217$ $.115166$ $.123361$	20 21 22 23 24
25 26 27 28 29	1.137418 .144727 .151471 .157701 .163452	1.136724 $.143985$ $.150684$ $.156862$ $.162567$	1.135958 $.143170$ $.149816$ $.155944$ $.161591$	1.135118 $.142275$ $.148866$ $.154934$ $.160522$	1.134201 .141299 .147827 .153833 .159355	1.133193 140225 146687 152623 158072	1.132087 .139049 .145438 .151297 .156672	1.130873 1.137758 144066 149846 155136	25 26 27 28 29
30 31 32 33 34	1.168768 .173673 .178204 .182382 .186233	.172681	1.166796 .171591 .176003 .180063 .183794	1.165665 .170394 .174743 .178737 .182398	1.164429 .169091 .173370 .177290 .180879	1.163076 167664 171864 175708 179216	1.161596 .166101 .170221 .173979 .177402	1.159973 1.64394 168423 172090 175422	30 31 32 33 34
35 36 37 38 39	1.189780 .193044 .196041 .198792 .201308	.191758 $.194695$	1.187216 .190354 .193222 .195837 .198221	1.185752 .188818 .191612 .194157 .196464	1.184157 .187145 .189864 .192328 .194550	1.182413 .185320 .187954 .190338 .192487	1.180513 .183330 .185879 .188175 .190233	1.178438 .181164 .183620 .185820 .187785	35 36 37 38 39
40 41 42 43 44	1.203603 .205698 .207597 .209312 .210875		1.200382 .202332 .204107 .205692 .207108	1.198545 .200439 .202129 .203639 .204987	1.196572 .198375 .199986 .201424 .202691	1.194413 .196133 .197667 .199019 .200211	1.192071 193708 195152 196424 197534	1.189534 .191077 .192435 .193621 .194646	40 41 42 43 44
	26	27	28	29	30	31	32	33	

Continued on Page *80.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

5 PER CENT.

$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$	0.000000 .288516 .452168 .564745 0.649369 .716337	4
$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	0.000000 .288516 .452168 .564745 0.649369 .716337	1 2 3 4
2 .288861 .288821 .288783 .288741 .288690 .288637 .288577 3 .452874 .452797 .452719 .452629 .452528 .452418 .452299 4 .565828 .565712 .565590 .565452 .565297 .565131 .564945	$\begin{array}{c} .288516 \\ .452168 \\ .564745 \\ 0.649369 \\ .716337 \end{array}$	2 3 4
2 .288861 .288821 .288783 .288741 .288690 .288637 .288577 3 .452874 .452797 .452719 .452629 .452528 .452418 .452299 4 .565828 .565712 .565590 .565452 .565297 .565131 .564945	$\begin{array}{c} .288516 \\ .452168 \\ .564745 \\ 0.649369 \\ .716337 \end{array}$	3 4
3 .452874 .452797 .452719 .452629 .452528 .452418 .452299 4 .565828 .565712 .565590 .565452 .565297 .565131 .564945	.564745 0.649369 .716337	4
	0.649369 $.716337$	
5 0.650846 0.650688 0.650521 0.650332 0.650122 0.649894 0.649642	.716337	۳.
0.00000000000000000000000000000000000	.716337	
6 .718325 .718025 .717809 .717569 .717300 .717008 .716688		6
7 .773461 .773214 .772950 .772653 .772324 .771967 .771573		
8 .819830 .819536 .819219 .818865 .818474 .818047 .817578		
9 .859447 .859104 .858733 .858320 .857862 .857365 .856815		
	1	10
10 0.893757 0.893362 0.892935 0.892459 0.891934 0.891359 0.890729		
11 .923787 .923339 .922852 .922312 .921715 .921064 .920348 .949793 .949245 .948637 .947967 .947235 .946431		
12		13
14 .994937 .994313 .993636 .992885 .992059 .991155 .990168		
1002131 100231 1000330 1000330 1000300 1000230		
15 1.013868 1.013183 1.012434 1.011610 1.010699 1.009706 1.008613		
16 .030946 .030192 .029375 .028469 .027475 .026385 .025190		
17 .046399 .045581 .044686 .043701 .042616 .041430 .040125		
$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$		
20 1.084812 1.083773 1.082642 1.081390 1.080021 1.078522 1.076879		
21 .095425 .094310 .093088 .091749 .090276 .088667 .086900		
22 .105126 .103926 .102620 .101183 .099606 .097879 .095991		22
23 .113995 .112714 .111317 .109780 .108092 .106252 .104229		
24 .122113 .120746 .119254 .117614 .115818 .113850 .111711	.109366	24
25 1.129544 1.128087 1.126498 1.124755 1.122839 1.120761 1.118479	0.1.115994	25
26 .136344 .134796 .133110 .131254 .129233 .127020 .124600		
27 .142567 .140926 .139134 .137178 .135030 .132692 .130139		
28 .148258 .146519 .144630 .142554 .140289 .137821 .135127		
29 .153456 .151623 .149623 .147437 .145049 .142448 .139616	[3] .136537	29
30 1.158204 1.156267 1.154162 1.151860 1.149346 1.146614 1.143641	1.140412	30
31 .162527 .160491 .158276 .155855 .153218 .150354 .147238		
32 .166461 .164322 .161995 .159458 .156696 .153697 .150441		
33 .170032 .167786 .165350 .162696 .159807 .156676 .153279		,
34 .173263 .170915 .168368 .165594 .162580 .159317 .155785	3 .151967	34
35 1.176182 1.173729 1.171070 1.168178 1.165041 1.161648 1.157980	1.154022	35
36 .178810 .176251 .173480 .170473 .167212 .163694 .159898		
37 .181165 .178500 .175622 .172497 .169119 .165476 .161548	3 .157326	37
38 .183266 .180501 .177511 .174276 .170782 .167018 .162969		
39 .185136 .182266 .179172 .175828 .172219 .168342 .164179	.159718	39
40 1.186786 1.183818 1.180621 1.177169 1.173454 1.169470 1.165197	1.160629	40
41 .188237 .185172 .181874 .178322 .174507 .170419 .166046		
42 .189504 .186343 .182952 .179306 .175392 .171211 .166746		
43 .190599 .187351 .183871 .180132 .176131 .171864 .167313		
44 .191542 .188210 .184643 .180822 .176741 .172393 .167765		44
34 35 36 37 38 39 40	41	ę.

Continued on Page *79.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

5 PER CENT

								J PER C	
Pay- ments.	x=42	43	44	45	46	47	48	49	Pay- ments.
n.	1.158448	1.152750	1.146778	1.140532	1.133997	1.127159	1.120012	1.112544	n.
1 2 3 4		0.000000 $.288366$ $.451864$ $.564278$	0.000000 $.288279$ $.451686$ $.564007$	0.000000 $.288184$ $.451494$ $.563710$	$\begin{array}{c} 0.000000 \\ .288081 \\ .451283 \\ .563388 \end{array}$	$egin{array}{c} 0.000000 \\ .287967 \\ .451048 \\ .563029 \\ \end{array}$	0.000000 $.287841$ $.450792$ $.562637$	$\begin{array}{c} 0.000000 \\ .287704 \\ .450511 \\ .562206 \end{array}$	1 2 3 4
5 6 7 8 9	0.649063 .715947 .770664 .816495 .855551	0.648732 .715523 .770146 .815875 .854828	0.648362 .715054 .769569 .815189 .854026	0.647962 .714539 .768939 .814438 .853150	0.647519 .713975 .768247 .813614 .852187	0.647032 .713353 .767485 .812705 .851127	0.646498 $.712670$ $.766649$ $.811709$ $.849966$.711921 .765730	5 6 7 8
10 11 12 13 14	0.889276 $.918698$ $.944576$ $.967486$ $.987874$.917753 .943514	0.887524 $.916709$ $.942341$ $.964996$ $.985121$	0.886516 $.915566$ $.941057$ $.963567$ $.983544$	$\begin{array}{c} 0.885410 \\ .914311 \\ .939649 \\ .962002 \\ .981812 \end{array}$	0.884194 .912933 .938105 .960281 .979912	0.882862 0.911424 0.936409 0.958396 0.977833		10 11 12 13 14
15 16 17 18 19	1.006096 .022438 .037133 .050372 .062316	.020865		.017238 .031478		$\begin{array}{c} 1.012890 \\ .026753 \\ .039138 \end{array}$			15 16 17 18 19
20 21 22 23 24	1.073107 .082848 .091665 .099620 .106802	1.070944 $.080546$ $.089195$ $.096992$ $.104008$	1.068590 $.078013$ $.086495$ $.094116$ $.100956$	1.066007 $.075253$ $.083548$ $.090982$ $.097633$	1.063188 $.072237$ $.080334$ $.087567$ $.094016$	0.076828 0.083846	0.065357 0.073011	1.053080 $.061448$ $.068857$ $.075400$ $.081156$	20 21 22 23 24
25 26 27 28 29	1.113273 .119096 .124324 .129005 .133185		1.107083 .112559 .117440 .121770 .125600	1.103570 .108856 .113542 .117684 .121328	1.099750 .104830 .109315 .113258 .116706	.104734 $.108468$.095728 $.099779$.090606	25 26 27 28 29
30 31 32 33 34	1.136899 .140188 .143087 .145628 .147839	1.133096 .136221 .138957 .141339 .143397	1.128973 .131924 .134492 .136709 .138610	1.124515 .127287 .129679 .131730 .133475	1.119702 .122286 .124500 .126384 .127966	.118938 $.120647$.111121	.104919 .106586	30 31 32 33 34
35 36 37 38 39	1.149751 .151390 .152788 .153961 .154940	$\begin{array}{c} .146665 \\ .147926 \\ .148979 \end{array}$.143653	1.134940 136161 137165 137982 138632	1.129283 .130366 .131247 .131949 .132503	.124949	1.116804 .117623 .118270 .118768 .119145	.110657 .111196	35 36 37 38 39
40 41 42 43 44	$\begin{array}{c} \textbf{1.155746} \\ \textbf{.156401} \\ \textbf{.156922} \\ \textbf{.157337} \\ \textbf{.157653} \end{array}$.151110 .151555 .151895	.145859 $.146137$.139542 .139841	$\begin{array}{c} 1.132929 \\ .133252 \\ .133494 \\ .133666 \\ .133790 \end{array}$	$\begin{array}{c} 1.126356 \\ .126617 \\ .126803 \\ .126937 \\ .127026 \end{array}$	1.119427 $.119628$ $.119772$ $.119869$ $.119931$	1.112128 .112283 .112388 .112455 .112496	40 41 42 43 44
	42	43	44	45	46	47	48	49	

Continued on Page *78.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR. 5 PER CENT.

Pay-		F 1		50	× 4		F0 -	J TER CI	Pay-
ments.	50	51	52	53	54	55	56	57	ments.
n.	1.104739	$\frac{1.096590}{}$	1.088084	1.079208	1.069947	1.060290	1.050232	1.039753	n.
1 2 3 4	$\begin{array}{c} 0.000000 \\ .287551 \\ .450200 \\ .561729 \end{array}$	0.000000 $.287384$ $.449859$ $.561209$	$0.000000 \\ .287201 \\ .449486 \\ .560639$	0.000000 $.287001$ $.449078$ $.560012$	$\begin{array}{c} 0.000000 \\ .286782 \\ .448627 \\ .559322 \end{array}$	0.000000 $.286535$ $.448128$ $.558559$.286270	.285973 $.446980$	1 2 3 4
5 6 7 8 9	0.645263 .711096 .764721 .809416 .847294	0.644555 $.710193$ $.763615$ $.808101$ $.845758$	0.643778 .709202 .762403 .806655 .844074	0.642925 $.708114$ $.761068$ $.805069$ $.842230$	0.641986 .706914 .759603 .803329 .840203		.704155 .756230	.702568 .754294 .797025	5 6 7 8 9
10 11 12 13 14	0.879793 .907947 .932514 .954068 .973058	0.878033 $.905956$ $.930282$ $.951590$ $.970325$	0.876106 $.903773$ $.927838$ $.948876$ $.967340$	0.873990 $.901381$ $.925160$ $.945910$ $.964074$	$\begin{array}{c} 0.871670 \\ .898758 \\ .922230 \\ .942661 \\ .960503 \end{array}$	0.869124 .895885 .919019 .939107 .956598	0.866344 $.892746$ $.915515$ $.935229$ $.952343$.889308 .911680 .930992	10 11 12 13 14
15 16 17 18 19	0.989837 1.004699 $.017873$ $.029556$ $.039913$	1.001446	0.983583 0.997893 1.010508 0.021625 0.031411	.994014	0.976113 $.989782$ 1.001749 $.012215$ $.021345$.985165 $.996773$ 1.006876	$.980146 \\ .991366 \\ 1.001088$.974678 .985490	15 16 17 18 19
20 21 22 23 24	1.049085 .057192 .064340 .070621 .076122	1.044737 052566 059435 065443 070673	1.040009 $.047540$ $.054118$ $.059836$ $.064783$	1.034869 $.042090$ $.048357$ $.053773$ $.058420$	$ \begin{vmatrix} 1.029293 \\ .036181 \\ .042125 \\ .047220 \\ .051563 \end{vmatrix} $.022878 .028129	.015427 .020313 .024399	20 21 22 23 24
25 26 27 28 29	1.080915 .085069 .088643 .091700 .094294	1.075201 .079093 .082420 .085242 .087610	1.069031 $.072659$ $.075734$ $.078313$ $.080454$	1.062385 $.065743$ $.068558$ $.070893$ $.072809$	$\begin{array}{c} 1.055238 \\ .058316 \\ .060869 \\ .062962 \\ .064660 \end{array}$.050357 $.052648$ $.054507$.041855	.032789 $.034575$ $.035978$	25 26 27 28 29
30 31 32 33 34	$\begin{array}{c} 1.096471\\.098279\\.099766\\.100973\\.101935 \end{array}$	$\begin{array}{c} 1.089575 \\ .091190 \\ .092501 \\ .093546 \\ .094370 \end{array}$	1.082211 .083637 .084774 .085670 .086360	1.074363 $.075602$ $.076578$ $.077331$ $.077901$	$\begin{array}{c} 1.066013 \\ .067078 \\ .067900 \\ .068522 \\ .068985 \end{array}$.058051	.048525 $.049080$ $.049477$.038487 $.038924$ $.039232$	30 31 32 33 34
35 36 37 38 39	1.102694 .103278 .103722 .104052 .104288	1.095004 $.095486$ $.095844$ $.096101$ $.096284$	1.086884 $.087273$ $.087553$ $.087751$ $.087884$	1.078325 $.078629$ $.078845$ $.078990$ $.079085$	$\begin{bmatrix} 1.069316 \\ .069552 \\ .069710 \\ .069814 \\ .069875 \end{bmatrix}$				35 36 37 38 39
40 41 42 43 44	1.104457 .104570 .104643 .104687 .104712	1.096406 $.096486$ $.096534$ $.096561$ $.096578$	1.087971 .088023 .088052 .088071 .088080	1.079141 $.079173$ $.079193$ $.079203$ $.079205$	$ \begin{array}{c c} .069931 \\ .069942 \\ .069945 \\ .069948 \\ \end{array} $.060283 .060287 .060290 .060290	1.050225 $.050230$ $.050233$ $.050233$ $.050230$.039753 $.039753$	40 41 42 43
45 46 47 48 49		$1.096586 \\ .096588 \\ .096590 \\ .096590$	1.088082 .088083 .088084	1.079208 .079208	1.069948	1.060290			
	50	51	52	53	54	55	56	57	

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR. 5 PER CENT.

Pay- ments.	x=58	59	60	61	62	63	64	65	Pay- ments.
n.		1.017506	1.005705	0.993441	0.980708	0.967485	0.953771	0.939554	n.
1 2 3 4	0.000000 $.285651$ $.446325$ $.555804$	0.000000 .285299 .445605 .554702	.284908 .444810	0.000000 .284479 .443937 .552159	0.000000 $.284011$ $.442984$ $.550702$	0.000000 $.283494$ $.441932$ $.549098$	$\begin{matrix} 0.000000 \\ .282926 \\ .440776 \\ .547340 \end{matrix}$	0.000000 $.282300$ $.439509$ $.545411$	1 2 3 4
5 6 7 8 9	0.637208 .700835 .752177 .794515 .829963	0.635712 .698932 .749855 .791763 .826771	0.634067 .696841 .747308 .788747 .823271).632263 .694552 .744519 .785443 .819450	0.630289 .692045 .741465 .781837 .815276	0.628118 .689292 .738121 .777885 .810711	.686282 $.734461$	$\begin{array}{c} .682984 \\ .730461 \\ .768856 \end{array}$	5 6 7 8 9
10 11 12 13 14	.885556 .907499 .926377 .942646		.876974 .897952 .915855 .931150	.872086 .892522 .909888 .924644	0.843237 .866758 .886618 .903405 .917588	0.838051 $.860953$ $.880190$ $.896360$ $.909935$.854637 .873209	.880456	10 11 12 13 14
15 16 17 18 19	0.956668 .968745 .979124 .988009 .995584	.972221 $.980655$	0.944203 $.955318$ $.964748$ $.972711$ $.979391$.947756	$\begin{array}{c} 0.929544 \\ .939587 \\ .947976 \\ .954939 \\ .960667 \end{array}$	0.921299 $.930766$ $.938605$ $.945043$ $.950280$.911058	17 18 19
20 21 22 23 24	.007410	1.002928	.989548 $.993297$.979653 .983022 .985703	0.965334 .969096 .972087 .974429 .976232	0.954497 $.957846$ $.960467$ $.962484$ $.964008$	0.942953 .945897 .948161 .949872 .951137	0.930685 .933238 .935165 .936589 .937618	20 21 22 23 24
25 26 27 28 29	.023150 .024695 .025385 .026788	$.014233 \\ .015230 \\ .015968$.002083 .003186 .004003 .004592	.990646 .991553 .992207 .992665	.978606 .979334 .979843 .980191	$.966519 \\ .966908 \\ .967156$.952688 .953124 .953402 .953569	.938827 .939139 .939328 .939438	25 26 27 28 29
30 31 32 33 34	.027939 .028277 .028508 .028656	:017389	$.005286 \\ .005467 \\ .005575 \\ .005637$.993177 .993297 .993366 .993406	.980547 .980624 .980669 .980691	0.967305 $.967392$ $.967442$ $.967467$ $.967477$.953722 .953750 .953762 .953768	.939531 .939544 .939551 .939553	30 31 32 33 34
35 36 37 38 39	1.028745 .028796 .028825 .028841 .028847	1.017445 $.017477$ $.017494$ $.017501$ $.017505$	1.005673 .005691 .005699 .005703 .005704	0.993426 .993435 .993439 .993441	.980706 .980708 .980708	0.967483 .967485 .967485 44	$0.953770 \\ \underline{.953771} \\ \hline 43 \\ \overline{1.152750}$	42 1.158448	35 58 57
40 41 42	028851 028851	$ \begin{array}{r} 1.017506 \\ .017506 \\ \hline 48 \end{array} $		$ \begin{array}{r} $	$\begin{array}{r} \textbf{45} \\ \hline 1.140532 \\ 1.140532 \\ .140532 \\ \end{array}$	1.146778 .146779 1.146779 .146777	.152750 .152750	.158448	56 55 54 53
51 50	49 1.112544 .112544	1.120012 .120013 .120013 1.120011	$.127160 \\ .127160 \\ .127158$.133997 .133995 .133994	$\begin{array}{c} .140530 \\ .140529 \\ .140525 \end{array}$	$egin{array}{c} .146776 \ .146772 \ .146761 \ \end{array}$	$.152744 \\ .152733 \\ .152719$.158432 .158419 .158395	52 51 50
49 48 47 46 45	.112544 $.112542$ $.112540$ $.112534$ $.112534$ $.112534$.120010 .120004	1.127157 1.127151 1.127138 1.127119 1.127084	.133977 .133959 .133927	1.140513 .140497 .140467 .140417 .140340	$egin{array}{c} 1.146746 \\ .146718 \\ .146672 \\ .146600 \\ .146493 \\ \hline \end{array}$.152651 $.152584$		48 47 46
	49	48	47	46	45	44	43	42	

Continued from Page *76.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF *n* ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

5 PER CENT.

Pay- ments	66	67	68	69	70	71	72	73	Pay- ments.
n.		0.909590	0.893832	0.877530	0.860711	0.843350	0.825455	0.807021	n.
1 2 3 4	0.000000 $.281620$ $.438123$ $.543304$.280864 $.436599$	0.000000 $.280048$ $.434934$ $.538460$	$.279136 \\ .433097 \\ .535675$.278148 .431094 .532643	.428896 $.529321$	$\begin{array}{c} .275867 \\ .426495 \\ .525690 \end{array}$	$\begin{array}{c c} .274565 \\ .423862 \\ .521720 \end{array}$	1 2 3 4
5 6 7 8 9	0.620287 .679383 .726095 .763720 .794390	0.617164 0.675438 0.721322 0.758113 0.787949	0.613755 .671139 .716125 .752015 .780955	0.610013 $.666429$ $.710441$ $.745362$ $.773345$	0.605938 .661302 .704264 .738146 .765103	$\begin{array}{c} .655705 \\ .697538 \\ .730302 \end{array}$.649613	0.591309 .642980 .682291 .712593 .736083	5 6 7 8 9
10 11 12 13 14	$\begin{array}{c} 0.819572 \\ .840323 \\ .857436 \\ .871525 \\ .883078 \end{array}$	0.812303 .832240 .848558 .861879 .872697	0.804427 .823499 .838981 .851498 .861555	0.795875 $.814035$ $.828638$ $.840321$ $.849600$	0.786638 .803836 .817523 .828349 .836833	.792842 .805584 .815530	0.765885 .781031 .792797 .801851 .808728	0.754299 .768362 .779133 .787287 .793372	10 11 12 13 14
15 16 17 18 19	0.892496 .900110 .906210 .911035 .914800	0.881419 .888390 .893894 .898184 .901474	.875886 .880800 .884565		$\begin{bmatrix} 0.843404 \\ .848421 \\ .852187 \\ .854962 \\ .856960 \end{bmatrix}$.833448 .836674 .838996	.817651 $.820367$ $.822254$	0.797832 .801033 .803255 .804781 .805741	15 16 17 18 19
20 21 22 23 24	$\begin{array}{c} 0.917691 \\ .919872 \\ .921482 \\ .922646 \\ .923456 \end{array}$	0.903953 .905783 .907105 .908025 .908657		0.874279 .875483 .876311 .876833 .877151	0.858350 $.859305$ $.859907$ $.860274$ $.860488$.842417 .842843 .843091	.824863	0.806326 .806666 .806852 .806948 .806993	20 21 22 23 24
25 26 27 28 29	0.924013 .924365 .924579 .924703 .924772	0.909057 $.909300$ $.909441$ $.909519$ $.909560$	0.893501 .893663 .893752 .893798 .893818	0.877337 $.877438$ $.877491$ $.877514$ $.877525$	0.860605 $.860666$ $.860693$ $.860705$ $.860709$.843329 .843343 .843348	.825447 .825453 .825455	$ \begin{array}{r} 0.807012 \\ .807019 \\ .807021 \\ \hline 34 \end{array} $	25 26 27
30 31 32 33	.924823 .924831	.909586 $.909588$	$\begin{array}{c} 0.893828 \\ .893830 \\ .893832 \end{array}$	0.877528 .877530 38	0.860711 37			1.195615 1.195614 1.195614	64
34	.924833 .924834 41	40 1.169091	$ \begin{array}{r} 39 \\ \hline 1.174051 \\ .174050 \end{array} $	1.178783 .178781 .178781	1.183299 .183298 .183298 .183297	.187603 .187603 .187612 .187602	.191701 .191701	.195614 $.195614$ $.195613$ $.195606$	62 61
59 58 57 56 55	.163896	.169090	1.174050 .174049 .174048 .174046 .174037	.178780	1.183297 .183295 .183287 .183278 .183261	.187592 .187584 .187568 .187548	.191684 .191668 .191645 .191607	.195583 .195562 .195526 .195472	55
54 53 52 51 50	1.163891 .163881 .163869 .163846 .163810	$\begin{array}{c} \textbf{1.169076} \\ \textbf{.169065} \\ \textbf{.169044} \\ \textbf{.169010} \\ \textbf{.168956} \end{array}$	1.174027 $.174007$ $.173976$ $.173926$ $.173851$	1.178741 $.178712$ $.178666$ $.178596$ $.178499$.183191 .183125 .183035 .182907	.187441 .187357 .187237 .187077	.191471 .191359 .191210 .191015	.194971 .194732	53 52 51
49 48 47 46 45	$\begin{bmatrix} 1.163752 \\ .163666 \\ .163546 \\ .163379 \\ .163155 \end{bmatrix}$.168765 .168609		1.178363 .178180 .177942 .177628 .177235	1. 182736 .182514 .182221 .181853 .181392	1.186869 .186596 .186252 .185820 .185288	.190033 $.189536$ $.188933$.194052 .193587 .193023 .192346	49 48 47 46 45
	41	40	39	38	37	36	35	34	

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF *n* ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

5 PER CENT.

Pay- ments.	x = 74	75	76	77	78	79	80	81	Pay- ments.
n.	0.788039	0.768544	0.748513	0.727935	0.706853	0.685247	0.663118	0.640468	n.
1			0.000000			0.000000			1
2 3	.273121 $.420968$.271556 $.417828$.269845	.267955 $.410619$.265900 $.406519$.263651 $.402044$.261191 $.397173$.258516 $.391869$	2 3
4	.517374	.512654	.507501	.501868	.495755	.489111	.481890		4
5			0.572385			0.548124			5
6 7	.635757 $.673671$.627935 $.664359$.619444 $.654291$.610236 .643406	600297 631708	.589573 $.619132$.578019		6 7
8	.702624	.691893	.680323	.667874	.654542				8
9	.724834	.712758	.699796	.685902	.671094			.620953	9
10 11	0.741844 $.754796$		0.714284	0.699094		0.665917	0.647917 0.654072	0.628878 0.633875	10 11
12	.764558	.740342 $.740097$.724961 $.732717$.708631 .715406	.691389 $.697167$	0.673227 0.678084			
13	.771820	.755481	.738246	.720077	.701106	.681163	.660327	.638648	13
14	.777130	.760045	.742067	.723269	.703574			.639602	14
15 16	0.780935 0.783573	0.763204 $.765370$	0.744683 .746325		0.705074 $.705946$				15 16
17	.785383	.766731	.747325	.727198	.706421	.685012	.663004	.640418	17
18 19	.786522 .787215	.767560		.727584 .727782	.706665	1	0.663079 0.663109		18 19
20		.768042		0.727876	.706780	0.685215 0.685239			10
21	.787839	.768441	.748464		.706847	0.085237		26	
22	.787953	.768504		.727930	.706853	00	27	1.220904	74
23 24	.788005 .788028	.768531 $.768541$	1.748508 1.748513		29	28	1.218261	.220905	73
25		0.768544		30	$\frac{1.212561}{1.212561}$	1.215481 $.215483$.218262 $.218262$	$\begin{array}{c} .220905 \\ .220905 \end{array}$	1
26	.788039		31	1.209497	.212562	.215483	.218262	.220905	
	33	0.0	1.206277	1.209498		1.215483			69
67	${1.199343}$	$1.202896 \\ .202895$	$\begin{array}{c} .206277 \\ .206277 \end{array}$.209498	.212562 .212562	$\begin{array}{c} .215483 \\ .215482 \end{array}$	$\begin{array}{c} .218261 \\ .218256 \end{array}$	$\begin{array}{c} .220899 \\ .220893 \end{array}$	
66	.199343	.202895	.206277	.209498	.212561	.215476			
65	.199342	.202895	.206277	.209497	.212555	.215470		.220873	65
64	1.199342 $.199342$		1.206276	$\begin{array}{c} 1.209491 \\ .209484 \end{array}$	1.212548			$1.220851 \\ .220817$	64
63 62	.199343	.202894	.206270	.209484	$\begin{array}{c} .212538 \\ .212523 \end{array}$				63 62
61	.199335	.202881	.206251	.209457	.212497	.215384	.218121	.220711	61
60	.199327	.202868	.206234	.209429	.212457				
59 58	1.199313 1.199294	1.202850	$1.206204 \\ .206159$	1.209387 $.209329$	1.212403 $.212328$	1.215263 $.215169$			59 58
57	.199260	.202770	.206098	.209249	.212228	.215043	.217697	.220191	57
56 55	.199209 .199140		.206012	.209142	.212094 .211922	.214881 $.214675$.217503 $.217262$		56
54			1.205746		1.211702				55 54
53	1.198911	.202330		.208583	.211429	.214101	.216605	.218940	53
52	.198740	.202121	.205302	.208291	.211091	.213719	.216172	.218461	52
51 50	$\begin{array}{ c c c c c } .198516 \\ .198234 \end{array}$.207931	.210683 .210193	.213258 $.212713$	215661 215059	.217895 $.217238$	51 50
49	1.197879		1	1.206974		1.212073			49
48	.197443	.200620	.203587	.206355	.208930	.211328	.213554	.215615	48
47 46	196915 196282	$\begin{array}{c} .200027 \\ .199322 \end{array}$.208137	.210470 .209487	.212631 $.211585$.214632 $.213518$	47
45	.195529	198495		.203808	.206175	.208372	.211363	.212271	45
	33	32	31	30	29	28	27	26	
0	inued from		-						

Continued from Page *74.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF 12 ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

5 PER CENT. Pay-Pay-82 83 84 85 86 87 88 89 ments. ments 0.617258 | 0.593510 | 0.569083 | 0.5439490.517851 0.490338 0.461018 0.42834072. 22. 1 1 0.000000 | 0.000000 | 0.000000 | 0.000000 |2 2 .241062 .255571.252400 .248902 .245128 .236517 .231773 .223681 3 3 .386091 .373034 .349165 .338513 .379847 .365722 .357791 .323210 4 4 .435952 .411342 .374409 .465583.456446.446561.424566.395201 5 5 $0.517453 \ 0.505659 \ 0.492958 \ 0.479431$ 0.464382 | 0.446913 | 0.426510 | 0.4016096 6 .552297 .538098 .522932 .506445 .488069 .467291.443722 .415812 7 7 .501928 .575884 .559600 .542018 .522889 .478711 .452865.422907 8 .532637 8 .591780 .553805 .509785 .484838 .457472 .426267 .573508 9 9 .602169.459663 .427642 .582179 .560851 .538204 .514027 .487942 10 10 0.608689 0.587392 0.564895 0.541222 0.516183 0.489422 0.460562 0.428172 11 11 .542759 .517212 .490030 .460908 .428340 .612625.590394 .567093 12 .614896.592029 .568214 .543493 .517636 .490264 .461018 18 .490338 13 .592863 .616135 .568750 .543796 .517799 19 14 .616767 .593262 .568971 .543913 .517851 1.237891 82 20 15 0.6170700.5934270.5690570.5439491.236125.237893 81 21 1.234265.236127 .237893 80 16 .617194 .593491 .569083.617243 22 17 .593510 1.232309 | 1.234266 | 1.236127 | 1.23789379 23 18 .617258 .234266 .236127 .237893 78 .232310 1.23025324 .236127 .237892 77 .232310 .234266 1.228089.230254 25 .237889 76 1.225813 .228090 .230254 .232310 .234266 .236126 .225814 .234265 .236123.237886 75 1.223420.228090 .230254 .23231075 1.2234221.2258141.2280901.2302541.232309 | 1.234262 | 1.236120 | 1.23787974 74 .236112 .237874 73 73 .223422 .225814 .228090 .230253 .232306 .234259 .234251 .236107 .237859 .228089 .232303 72 .230250 72 .223422 .225814 .236091 .237837 71 .230246 .232295 .234245 71 .223422 .225813 .228086.237810 70 .236068 .232288 .234229 70 .223421.225809 .228081 .230238 1.232271 | 1.234204 | 1.236039 | 1.23777269 1.223416 | 1.225804 | 1.228073 | 1.230230 |69 .237721 .230212 .232245 .235999 68 .228064 .234173 68 .223411 .225796 .232212 .234131 67 .230185 .235945.237652 .225786 .22804567 .223403 .232167 .235871 .237564 66 .228016 .230150 .234073 66 .223392 .225766 .235778 .237453 65 .233995 .232105 65 .223371 .225736 .227979 .230102 $1.232023 \, 1.233896 \, 1.235660 \, 1.237312$ 1.223339 | 1.225697 | 1.227928 | 1.23003764 64 .233771 .237140 63 .225643 .235510 63 .223297 .227859 .229950 .231918 .236933 62 .225569 .229838 .235328 .223240 .227766 .231785.23361262 .229696 61 .231616 .233418 .235108 .236683 .223161.225470 .227648 61 .233184 .236388 60 .231410 .234842 60 .223056 .225345.227497 .229517 1.231161 | 1.232902 | 1.234530 | 1.23604059 1.2229231.2251841.2273071.22929859 .235636 .230862 .234160 58 .222751 .224982 .227074 .229034 .232571 58 57 .230510 .232178 .235172 .222538 .226794 .228715 .233732 57 .224735 56 .222275 .226455 .228342 .230093 .231723 .233238 .234641 56 .224436 .234037 55 .229609.231199.232674 55 .221957 .224077 .226058 .227899 1.229053 | 1.230600 | 1.232034 | 1.23335754 1.2215751.2236541.2255881.22738554 .229920 .231311 .232593 53 .228417 .221125 .223154 .226794 53 .225041 .230500 52 .227694 .229152 .231740 .222573 .224412 .226118 .220593 52 .230787 51 .225350 .226877 .228290 .229593 .221904 51 .219975.223694 50 .228581 .229741 .225962 .227327 50 .222877 .224480 .219263.221140 $1.218450 \, 1.220271 \, 1.221953 \, 1.223508 \, 1.224938 \, 1.226251 \, 1.227470 \, 1.228586$ 49 49 .225070 .226242 .227315 48 .220919 .222420 .223795 .217526 .219288 48 .225923 .224891 47 .222538 .223765 .221204 47 .216480 .218188 .219761.222329 .223412 .224401 46 .216956 .221151.215309.218467 .219867 46 .222743 45 .219623 .220755 .221794.215579 .217045 .218391 45 .213998 19 18 20 21 23 22 25 24

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

5 PER CENT.

Poy-ments Report Poy-ments Report Repo										
1	1		91	92	93	94	95	96	97	
2		0.397160	0.368711	0.340242	0.310847	0.280937	0.249611	0.212464	0.176638	
3		0.000000								
10										
1									.176638	3
11 1.249190 90								- 12121	10	
To	5						0.249611	11		90
18	7					-200001	12	1 040010		
10	8	.396046	.368262		}====	13	1 9.16790			
16	9	.396892	.368711	1 5	14	$\frac{1.245487}{1.245487}$				
17	10	0.397160	16							
83 1.239571 2.41169 2.42682 2.44119 .245488 2.46787 2.48016 2.49186 83 82 2.39572 2.41169 2.42682 2.44119 .245485 2.46787 2.48010 2.49179 81 80 2.39572 2.41169 2.42682 2.44118 .245485 2.46783 2.48010 2.49179 81 80 2.39572 2.41169 2.42688 2.44113 1.245487 2.46775 1.24797 1.249156 79 78 2.39572 1.241168 1.242678 1.244113 1.245477 1.246775 1.24797 1.249156 79 78 2.39575 1.241165 2.42669 2.44101 2.45463 2.46779 2.47994 2.49115 77 78 2.39558 2.41152 2.42669 2.44101 2.45463 2.46749 2.47994 2.479115 77 76 2.39558 2.41152 2.42663 2.44075 2.45447 2.46729 2.47993 2.49013 76 75 2.39558 2.41152 2.42635 1.244053 1.245398 1.246670 2.47802 2.48901 76 76 2.39554 1.241139 1.242635 1.244033 1.245398 1.246670 2.47802 2.48901 77 72 2.39519 2.41095 2.42585 2.43983 2.45340 2.46620 2.47802 2.48917 73 72 2.39519 2.41095 2.42580 2.43983 2.45340 2.46558 2.47730 2.48827 77 73 2.39458 2.41016 2.42481 2.43860 2.45162 2.46379 2.47521 2.48591 70 69 1.239410 1.240955 1.242406 1.243773 1.245055 1.246260 1.24783 1.24838 68 68 2.39345 2.40877 2.42314 2.43660 2.44682 2.46113 2.4726 2.48250 68 67 2.39262 2.40779 2.42195 2.43525 2.44773 2.45937 2.47023 2.48032 67 66 2.39158 2.40652 2.44251 2.43660 2.44686 2.45732 2.46791 2.4786 66 65 2.39042 2.4050 2.44187 2.43360 2.44586 2.45458 2.46672 2.47802 2.48766 66 65 2.39042 2.4050 2.44187 2.43360 2.44586 2.45458 2.45625 2.47491 65 66 2.39458 2.40610 2.42481 2.43660 2.44388 2.44510 2.44586 68 67 2.39262 2.40779 2.42195 2.43525 2.44773 2.45937 2.47023 2.48032 67 66 2.39458 2.40652 2.44051 2.43560 2.44586 2.45458 2.44578 2.45666 68 67 2.39262 3.40779 2.42195 2.43525 2.44773 2.45937 2.44703 3.44506 2.44586 2.45782 2.44566 68 67 2.39589 2.3064 2.40640 2.44142 2.42666 2.44580 2.44580 2.44582 2.44580 2.44582 2.44586 2.44582 2.44586 2.44582 2.44586 2.44582 2.44586 2.44582 2.44586 2.44582 2.44586 2.44588 2.44582 2.44586 2.44588 2.44582 2.44586 2.44588 2.44586 2.44588 2.44588 2.44588 2.44688 2.44588 2.44588 2.44588 2.44588 2.44588 2.44588 2.44588 2.4468 2.44588 2.44588 2.44588 2.44588 2.44588 2.44588 2.44588 2.4458		1 (4)		1.242680	.244119	.245488	.246788	.248019	.249190	85
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$\begin{array}{c ccccccccccccccccccccccccccccccccccc$							1.233585	1.234189		
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	Cont			10	1.4	10	10	11	10	

Continued from Page *72.

LIFE AND TEMPORARY ANNUITIES, LOGARITHM OF THE PRESENT VALUE OF *n* ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

The first Value under the Age x is $\lambda(1+a_x)$ for the whole Life.

6 PER CENT.

_					for the who				
Pay- ments.	x=10	11	12	13	14	15	16	17	Pay- ments
n.	1.189964	1.189102	1.188192	1.187226	1.186201	1.185120	1.183972	1.182755	n.
1 2 3 4	$\begin{array}{c} 0.000000 \\ .287194 \\ .449596 \\ .560996 \end{array}$	0.000000 .287188 .449587 .560984	.287185 $.449581$.449571	.287174	.449549	.287165 .449538	.287158 .449524	1 2 3 4
5 6 7 8 9	0.644517 .710457 .764310 .809356 .847709	0.644499 .710435 .764283 .809323 .847674	.710413 .764250 .809294	0.644462 .710387 .764227 .809257 .847594	.710360	.764157 .809174	.710301 .764119	.710264 .764074 .809075	5 6 7 8 9
10 11 12 13 14	0.880815 .909701 .935128 .957674 .977784	0.880773 $.909654$ $.935076$ $.957615$ $.977721$	0.880731 $.909606$ $.935021$ $.957555$ $.977654$	0.880682 $.909550$ $.934960$ $.957486$ $.977577$	0.880627 .909490 .934891 .957409 .977495	.934819 .957331	.909355 .934742 .957241	.909277 .934650 .957142	10 11 12 13 14
	0.995818 1.012057 0.026739 0.040054 0.052165		1.011901			.039514	1.011483 .026112 .039378	$\begin{array}{c} 1.011349 \\ .025972 \\ .039218 \end{array}$	15 16 17 18 19
20 21 22 23 24	1.063211 .073305 .082549 .091026 .098818	0.063107 $.073193$ $.082426$ $.090900$ $.098678$	1.032995 .073070 .082300 .090759 .098532	1.062867 $.072939$ $.082153$ $.090606$ $.098366$	1.062732 .072788 .081995 .090434 .098185	1.062581 $.072630$ $.081822$ $.090252$ $.097987$.081421	20 21 22 23 24
25 26 27 28 29	1.105982 .112585 .118671 .124289 .129478	1.105838 $.112429$ $.118506$ $.124113$ $.129295$	1.105679 .112261 .118327 .123927 .129095	1.105504 $.112073$ $.118132$ $.123716$ $.128875$	1.105308 .111871 .117914 .123488 .128630	1.105104 .111649 .117680 .123238 .128363	1.104873 .111407 .117420 .122960 .128073	.111134	25 26 27 28 29
30 31 32 33 34	1.134277 $.138712$ $.142821$ $.146622$ $.150141$	1.134081 $.138509$ $.142604$ $.146391$ $.149901$	1.133872 .138286 .142366 .146144 .149640	1.133637 .138035 .142105 .145870 .149352	1.133376 .137764 .141820 .145568 .149036	1.133097 .137470 .141508 .145242 .148690	1.132791 .137145 .141168 .144881 .148313		30 31 32 33 34
35 36 37 38 39	$\begin{array}{c} 1.153403 \\ .156424 \\ .159226 \\ .161821 \\ .164224 \end{array}$	1.153150 156160 158948 161529 163920	1.152877 .155873 .158645 .161213 .163587	1.152574 .155554 .158313 .160862 .163221	1.152240 .155206 .157944 .160478 .162817	1.151880 .154823 .157545 .160058 .162380	1.151479 $.154405$ $.157106$ $.159599$ $.161900$	1.151038 .153943 .156621 .159093 .161371	35 36 37 38 39
40 41 42 43 44	1.166452 168514 170423 172188 173823	1.166132 1.168180 170072 171825 173444	1.165785 $.167815$ $.169694$ $.171430$ $.173032$	1.165400 1.67415 169277 170994 172576	1.164980 .166977 .168818 .170515 .172077	1.164523 $.166498$ $.168319$ $.169994$ $.171537$	1.164021 1.65975 167771 169425 170943	1.163468 1.65396 167170 168798 170290	40 41 42 43 44
	10	11	12	13	14	15	16	17	

Continued on Page 93.

Formula,
$$\lambda(1+a_x^{n-1})=\lambda \frac{N_x-N_{x+n}}{D_x}=\lambda \frac{a_{x-1}^n}{vp_{x-1}}$$
.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

6 PER CENT.

Dow									
Pay-	=18	19	20	_ 21	22	23	24	25	Pay- ments.
1	181467	1.180102	1.178657	1.177130	1.175513	1.173803	1.171993	1.170082	n.
2	$000000 \\ 287151 \\ 449510 \\ 560863$	0.000000 .287143 .449493 .560838	0.000000 .287133 .449474 .560809	0.000000 .287123 .449455 .560779	$\begin{array}{c} \hline{0.000000} \\ 0.000000 \\ .287113 \\ .449433 \\ .560748 \\ \end{array}$.287101	0.000000 $.287088$ $.449385$ $.560672$	$\begin{array}{r} \hline 0.000000 \\ .287076 \\ .449358 \\ .560629 \\ \hline \end{array}$	1 2 3 4
6 . 7 . 8 .	644335 710225 764026 809019 847316	0.644301 $.710181$ $.763974$ $.808955$ $.847243$	0.644262 $.710134$ $.763914$ $.808885$ $.847160$		0.644179 .710025 .763781 .808727 .846975		0.644075 $.709894$ $.763620$ $.808533$ $.846750$	0.644017 .709818 .763526 .808423 .846621	5 6 7 8 9
11 . 12 . 13 .	880364 909188 934553 957033 977076	.909092 .934445 .956912	0.880184 $.908986$ $.934325$ $.956779$ $.976797$	0.880083 $.908870$ $.934196$ $.956636$ $.976638$	0.879971 .908745 .934055 .956478 .976462	0.879848 0.908605 0.933898 0.976267	0.879713 $.908452$ $.933724$ $.956109$ $.976055$	0.879565 $.908282$ $.933534$ $.955898$ $.975816$	10 11 12 13 14
16 1. 17 . 18 .			0.994732 1.010870 $.025443$ $.038649$ $.050644$	$\begin{array}{c} 1.010676 \\ .025234 \end{array}$	$\begin{array}{c} 0.994362 \\ 1.010465 \\ .025001 \\ .038174 \\ .050133 \end{array}$	024752 037898		1.009696	15 16 17 18 19
21 . 22 . 23 .	062036 072039 081196 089580 097276	1.061813 .071807 .080942 .089313 .096985	1.061575 $.071546$ $.080667$ $.089012$ $.096665$.080359	1.061023 .070950 .080023 .088327 .095937	1.060699 .070605 .079654 .087934 .095516	1.060346 .070227 .079251 .087501 .095058	$1.059960 \\ .069813 \\ .078806 \\ .087030 \\ .094549$	20 21 22 23 24
26 · 27 · 28 ·	104340 110835 116815 122323 127397	1.104030 .110508 .116469 .121955 .127011	1.103692 $.110149$ $.116087$ $.121553$ $.126582$	1.103323 .109756 .115672 .121110 .126119	1.102916 .109327 .115213 .120629 .125603	1.102472 .108850 .114714 .120093 .125038	1.101979 108334 114157 119506 124419	1.101446 $.107758$ $.113549$ $.118864$ $.123741$	25 26 27 28 29
31 · 32 · 33 ·	132078 136393 140376 144045 147432	1.131667 .135963 .139917 .143564 .146928	1.131219 .135484 .139415 .143037 .146373	1.130723 .134963 .138867 .142461 .145767	1.130180 .134392 .138265 .141828 .145106	1.129585 .133764 .137605 .141137 .144378	1.128932 1.133076 136884 140376 143578	1.128216 .132325 .136091 .139542 .142706	30 31 32 33 34
36 · 37 · 38 ·	150557 153436 156092 158540 160792	1.150026 .152881 .155513 .157932 .160155	1.149445 152275 154875 157264 159459	1.148812 .151609 .154177 .156536 .158698	1.148116 .150878 .153415 .155739 157867	1.147351 $.150080$ $.152579$ $.154866$ $.156955$	1.146516 $.149205$ $.151664$ $.153910$ $.155959$.148247	35 36 37 38 39
41 · 42 · 43 ·	$162862 \\ 164765 \\ 166512 \\ 168113 \\ 169577$	1.162199 .164073 .165791 .167362 .168798	$1.161472 \\ .163316 \\ .165002 \\ .166542 \\ .167947$.162489 .164141	$\begin{array}{c} 1.159811 \\ .161585 \\ .163203 \\ .164670 \\ .166005 \end{array}$	$\begin{array}{c} 1.158861 \\ .160598 \\ .162174 \\ .163606 \\ .164892 \end{array}$	1.157824 159517 161055 162435 163692	$\begin{array}{c} 1.156690 \\ .158343 \\ .159825 \\ .161174 \\ .162381 \end{array}$	40 41 42 43 44
	18	19	20	21	22	23	24	25	

Continued on Page *92.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

6 PER CENT.

"." 1.168055 1.165920 1.163661 1.161274 1.158757 1.156097 1.153290 1.25320 2.286980 2.86955 2.86899	. 1		1	1	1	1		1	1	ENT.
1		26	27	28	29	30	31	32	33	Pay- ments.
2	_ 1	1.168055	1.165920	1.163661	1.161274	1.158757	1.156097	1.153290	1.150327	n.
3	0	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000		1
4 .560579 .560526 .560467 .560401 .560333 .560256 .560172 .56007 5 0.643948 0.643876 0.643760 0.643614 0.643509 0.643303 0.643636 6 7.703741 7.703304 7.703044 7.70370 7.709170 7.709271 7.709170 7.709271 7.709304 7.709170 7.709271 7.709170 7.709304 7.709170 7.709304 7.709170 7.709304 7.709170 7.709304 7.709170 7.709304 7.709170 7.709304 7.709170 7.709304 7.709170 7.709304 7.709170 7.709304 7.709170 7.709304 7.709170 7.709304 7.709170 7.709304 7.709170 7.709304 7.709170 7.709304 7.709170 7.709304 7.709170 7.709304 7.709170 7.709304 7.709170 7.709304 7.70910 7.709145 9.70478 8.77261 8.77261 8.77261 8.709716 9.709145 9.908399 9.878010 8.77766 9.70611 9.7097145										2
5 0.643948 0.643876 0.643796 0.643708 0.643614 0.643509 0.643303 0.643866 0.709730 0.709639 0.709538 0.709425 0.709304 0.709170 0.709021 0.708856 0.709730 0.709639 0.709538 0.709425 0.709304 0.709170 0.709021 0.708856 0.709730 0.709639 0.709538 0.709425 0.709304 0.709170 0.709021 0.708856 0.702330 0.709538 0.709425 0.709404 0.709170 0.709021 0.708856 0.702352 0.702352 0.702352 0.702356 0.702352 0.										3
6 .709730 .709639 .709538 .709425 .709904 .709170 .709021 .708282 8 .808298 .808165 .808015 .807651 .807674 .807478 .807261 .806292 .808165 .808015 .807651 .807674 .807478 .807261 .807022 9 .846476 .846318 .846146 .845954 .845748 .845518 .845267 .844983 10 0.879396 0.87918 0.879018 0.878501 0.878501 0.878501 0.878501 0.87861 11 .908093 .907889 .90764 .907445 .906855 .906818 .90618 .90134 13 .955656 .955408 .955125 .954822 .954477 .954104 .953694 .953245 14 .975561 .975279 .974973 .974624 .974250 .973385 .973385 .973835 .973385 .973835 .973835 .973385 .973838 .993383 .9934840 .9999080		.500579	.560526	.560467	.960401	.560333	.960296	.560172	.560076	4
7 .763421 .763309 .763185 .763046 .762898 .762793 .762552 .762362 8 .808298 .808165 .808015 .807674 .807478 .807261 .807021 .807021 .807021 .807021 .807021 .807021 .845748 .845518 .845267 .844981 10 0.879396 0.879218 0.879018 0.878800 0.878561 0.878299 0.878010 0.877681 11 .908093 .907889 .907664 .907415 .907145 .906855 .906518 .90116 12 .933322 .933094 .932841 .932266 .931933 .931184 13 .955656 .955102 .954822 .954477 .954104 .953694 .93285 14 .975561 .975279 .974973 .074624 .974250 .973885 .973855 .92886 15 .0.99336 .0924720 .992342 .991932 .991480 .999980 .990483 16 <th></th> <th></th> <th></th> <th></th> <th></th> <th></th> <th></th> <th></th> <th></th> <th>5</th>										5
8 .808298 .808165 .808015 .807831 .807674 .807478 .807261 .807025 9 .846476 .846318 .846146 .845954 .845748 .807478 .807025 .844986 10 0.879396 0.879018 0.878501 0.878501 0.878501 0.878501 0.878501 0.878501 0.878501 0.878501 0.878501 0.878501 0.878501 0.878501 0.878501 0.878501 0.878501 0.878501 0.878501 0.906518 .906156 1.975501 9.97464 .907415 .907455 .906518 .906156 .955656 .955408 .955125 .954822 .954417 .954104 .953694 .933324 .93132 .991932 .991933 .973835									.708858	6
9										7
10										8
11	1.									
12	C									10
13										11 12
14										13
15										14
16						0				
17										15 16
18	1									17
19						1				18
21 .069353 .068858 .068302 .067698 .067037 .066307 .065507 .064623 22 .078318 .077778 .077190 .076542 .075832 .075053 .074198 .07325 23 .086500 .085936 .085301 .084606 .083850 .083020 .082105 .08110 24 .093996 .093381 .092708 .091970 .091166 .090278 .089309 .088243 25 1.100846 1.100196 1.099482 1.098699 1.097840 1.096902 1.095871 1.09473 26 .107124 .106436 .105679 .104845 .103939 .102943 .101846 .109684 27 .112880 .112151 .11346 .110468 .109508 .108449 .107291 .10604 28 .118156 .117383 .16537 .125625 .124591 .114589 .113472 .112252 .110913 30 1.27430 1.126571 1.125625 1.124591 .123462 1.12224 .120868 1.11938 <t< th=""><th></th><th></th><th></th><th></th><th></th><th></th><th></th><th></th><th></th><th>19</th></t<>										19
21 .069353 .068858 .068302 .067698 .067037 .066307 .065507 .064628 22 .078318 .077778 .077190 .076542 .075632 .075053 .074198 .07325 23 .086500 .085936 .085301 .084606 .083850 .083020 .082105 .08110 24 .093996 .093381 .092708 .091970 .091166 .090278 .089309 .088243 25 1.100846 1.100196 1.099482 1.098699 1.097840 1.096902 1.095871 1.094736 26 .107124 .106436 .105679 .104845 .103939 .102943 .101846 .109682 27 .112880 .112151 .11346 .10468 .109508 .108449 .107291 .10604 28 .118156 .117383 .16537 .125625 .124591 .114589 .113472 .112252 .110913 30 1.127430 1.126571 1.125625 1.24591 .123462 1.12224 .120868 1.11938 <t< th=""><th></th><th>1 050533</th><th>1 050067</th><th>1 059550</th><th>1.057090</th><th>1 05/99/95</th><th>1 056606</th><th>1 055040</th><th>1 055190</th><th>20</th></t<>		1 050533	1 050067	1 059550	1.057090	1 05/99/95	1 056606	1 055040	1 055190	20
22 .078318 .077778 .077190 .076542 .075832 .075053 .074198 .07355 23 .086500 .085936 .085301 .084606 .083850 .083020 .082105 .081102 24 .093996 .093381 .092708 .091970 .091166 .090278 .089309 .088245 25 1.100846 1.100196 1.099482 1.098699 1.097840 1.096902 1.095871 1.09473 26 .107124 .106436 .105679 .104845 .103939 .102943 .101846 .100644 27 .112880 .112151 .111346 .110468 .109508 .108449 .107291 .10602 28 .118156 .117383 .16537 .115607 .114589 .113472 .112252 .110915 29 .122993 .122180 .121285 .123001 .1142891 .1142891 .1123462 .123224 .120868 1.11935 30 .1,27430 1,126571										21
23 .086500 .085936 .085301 .084606 .083850 .083020 .082105 .081106 24 .093996 .093381 .092708 .091970 .091166 .090278 .089309 .088243 25 1.100846 1.00196 1.099482 1.098699 1.097840 1.096902 1.095871 1.09473 26 .107124 .106436 .105679 .104845 .103939 .102943 .101846 .100644 27 .112880 .112151 .111346 .110468 .109508 .108449 .107291 .106024 28 .118156 .117383 .116537 .115607 .114589 .113472 .112252 .110915 29 .122993 .122180 .121285 .120301 .119228 .118053 .116765 .115353 30 1.127430 1.126571 1.125625 1.124591 .123462 1.123224 .120868 1.11938 31 .135216 .134267 .133224 .1320	1									22
25 1.100846 1.100196 1.099482 1.098699 1.097840 1.096902 1.095871 1.09473 26 .107124 .106436 .105679 .104845 .103939 .102943 .101846 .100644 27 .112880 .112151 .111346 .110468 .109508 .108449 .107291 .106024 28 .118156 .117383 .116537 .115607 .114589 .113472 .112252 .110919 29 .122993 .122180 .121285 .120301 .119228 .118053 .116765 .115353 30 1.127430 1.126571 1.125625 1.124591 .1123462 .118053 .116765 .115353 31 .131495 .130588 .129596 .128508 .127321 .126019 .124596 .123040 32 .135216 .134267 .133224 .132081 .130834 .129469 .127978 .126346 33 .13627 .145700 .139553 .1382		.086500		.085301	.084606					23
26 .107124 .106436 .105679 .104845 .103939 .102943 .101846 .100648 27 .112880 .112151 .111346 .110468 .109508 .108449 .107291 .10602 28 .118156 .117383 .116537 .115607 .114589 .113472 .112252 .110919 29 .122993 .122180 .121285 .120301 .119228 .118053 .116765 .115353 30 1.127430 1.126571 1.125625 1.124591 1.123462 1.122224 1.120868 1.11938 31 .131495 .130588 .129596 .128508 .127321 .126019 .124596 .123040 32 .135216 .134267 .136535 .135336 .134029 .132601 .131038 .129393 34 .141745 .140700 .139553 .138298 .136932 .135436 .133804 .132029 35 .1.44595 .1.43500 .1.42301 .140990		.093996	.093381	.092708	.091970	.091166	.090278	.089309	.088243	24
26 .107124 .106436 .105679 .104845 .103939 .102943 .101846 .100648 27 .112880 .112151 .111346 .110468 .109508 .108449 .107291 .10602 28 .118156 .117383 .116537 .115607 .114589 .113472 .112252 .110919 29 .122993 .122180 .121285 .120301 .119228 .118053 .116765 .115353 30 1.127430 1.126571 1.125625 1.124591 1.123462 1.122224 1.120868 1.11938 31 .131495 .130588 .129596 .128508 .127321 .126019 .124596 .123040 32 .135216 .134267 .136535 .135336 .134029 .132601 .131038 .129393 34 .141745 .140700 .139553 .138298 .136932 .135436 .133804 .132029 35 .1.44595 .1.43500 .1.42301 .140990	1	1.100846	1.100196	1.099482	1.098699	1.097840	1.096902	1.095871	1.094736	25
28 .118156 .117383 .116537 .115607 .114589 .113472 .112252 .110913 29 .122993 .122180 .121285 .120301 .119228 .118053 .116765 .115353 30 1.127430 1.126571 1.125625 1.124591 1.123462 1.12224 1.120868 1.11938 31 .131495 .130588 .129596 .128508 .127321 .126019 .124596 .123046 32 .135216 .134267 .136535 .135336 .130834 .129469 .127978 .126349 33 .138627 .137629 .136535 .135336 .134029 .132601 .131038 .129333 34 .141745 .140700 .139553 .138298 .136932 .135436 .133804 .132029 35 1.144595 1.143500 1.142301 1.140990 1.139561 1.138000 1.136297 1.134440 36 .147195 .146052 .144799 .143430 .141940 .140313 .138539 .136601 37					.104845					26
29 .122993 .122180 .121285 .120301 .119228 .118053 .116765 .115353 30 1.127430 1.126571 1.125625 1.124591 1.123462 1.122224 1.20868 1.11938 31 .131495 .130588 .129596 .128508 .127321 .126019 .124596 .123040 32 .135216 .134267 .136535 .135336 .130834 .129469 .127978 .126340 33 .138627 .136535 .135336 .134029 .132601 .131038 .129333 34 .141745 .140700 .13953 .138298 .136932 .133601 .131038 .129333 35 1.144595 .143500 .142301 .140990 .139561 .138000 .136297 .134440 36 .147195 .146052 .144799 .143430 .141940 .140313 .138539 .13660 37 .149566 .148372 .14764 .147622 .144086									.106024	27
30 1.127430 1.126571 1.125625 1.124591 1.123462 1.12224 1.20868 1.119383 31 .131495 .130588 .129596 .128508 .127321 .126019 .124596 .123044 32 .135216 .134267 .136535 .135336 .130834 .129469 .127978 .126346 33 .138627 .137629 .136535 .135336 .134029 .132601 .131038 .129333 34 .141745 .140700 .139553 .138298 .136932 .132601 .131038 .129333 35 1.144595 1.143500 1.142301 1.140990 .139561 1.138000 1.136297 1.134440 36 .147195 .146052 .144799 .143430 .141940 .140313 .138539 .136607 37 .149566 .148372 .147064 .145639 .144086 .142393 .140549 .138540 38 .151722 .150476 .149117 .14										28
31 .131495 .130588 .129596 .128508 .127321 .126019 .124596 .123040 32 .135216 .134267 .133224 .132081 .130834 .129469 .127978 .126340 33 .138627 .137629 .136535 .135336 .134029 .132601 .131038 .129333 34 .141745 .140700 .139553 .138298 .136932 .135436 .133804 .132029 35 1.144595 1.143500 1.142301 1.140990 1.139561 1.138000 1.136297 1.34440 36 .147195 .146052 .144799 .143430 .141940 .140313 .138539 .13660 37 .149566 .148372 .147064 .145639 .144086 .142393 .140549 .138540 38 .151722 .150476 .149117 .147622 .146017 .144258 .142342 .140261 39 .153678 .152385 .150453 1.51034 <th></th> <th>.122993</th> <th>.122180</th> <th>.121285</th> <th>.120301</th> <th>.119228</th> <th>.118055</th> <th>.116765</th> <th>.115353</th> <th>29</th>		.122993	.122180	.121285	.120301	.119228	.118055	.116765	.115353	29
32 .135216 .134267 .133224 .132081 .130834 .129469 .127978 .126346 33 .138627 .137629 .136535 .135336 .134029 .132601 .131038 .129333 34 .141745 .140700 .139553 .138298 .136932 .135436 .133804 .132023 35 1.144595 1.143500 1.142301 1.140990 1.139561 1.138000 1.136297 1.134440 36 .147195 .146052 .144799 .143430 .141940 .140313 .138539 .136607 37 .149566 .148372 .147064 .145639 .144086 .142393 .140549 .138540 38 .151722 .150476 .149117 .147622 .146017 .144258 .142342 .14026 39 .153678 .152385 .150959 .149425 .147749 .145922 .143939 .14178 40 1.155454 1.154097 1.152635 1.151034 1.149295 1.147406 1.145353 1.14312 41										30
33 .138627 .137629 .136535 .135336 .134029 .132601 .131038 .129333 34 .141745 .140700 .139553 .138298 .136932 .132601 .131038 .129333 35 1.144595 1.143500 1.142301 1.140990 1.139561 1.138000 1.136297 1.134440 36 .147195 .146052 .144799 .143430 .141940 .140313 .138539 .136607 37 .149566 .148372 .147064 .145639 .144086 .142393 .140549 .138540 38 .151722 .150476 .149117 .147622 .146017 .144258 .142342 .14026 39 .153678 .152385 .150959 .149425 .147749 .145922 .143939 .14178 40 1.155454 1.154097 1.152635 1.151034 1.149295 1.147406 1.145353 1.14312 41 .157046 .155655 .154131 .15									.123040	31
34 .141745 .140700 .139553 .138298 .136932 .135436 .133804 .132029 35 1.144595 1.143500 1.142301 1.140990 1.139561 1.138000 1.136297 1.134446 36 .147195 .146052 .144799 .143430 .141940 .140313 .138539 .136607 37 .149566 .148372 .147064 .145639 .144086 .142393 .140549 .138549 38 .151722 .150476 .149117 .147622 .146017 .144258 .142342 .14026 39 .153678 .152385 .150959 .149425 .147749 .145922 .143939 .14178 40 1.155454 1.154097 1.152635 1.151034 1.149295 1.147406 1.145353 1.14312 41 .157046 .155655 .154131 .152471 .150674 .148719 .146600 .144304 42 .158496 .157047 .155467 .153754 .151895 .149877 .147695 .145324 43										32
35 1.144595 1.143500 1.142301 1.140990 1.139561 1.138000 1.136297 1.134444 36 .147195 .146052 .144799 .143430 .141940 .140313 .138539 .136607 37 .149566 .148372 .147064 .145639 .144086 .142393 .140549 .138540 38 .151722 .150476 .149117 .147622 .146017 .144258 .142342 .14026 39 .153678 .152385 .150959 .149425 .147749 .145922 .143939 .141780 40 1.155454 1.154097 1.152635 1.151034 1.149295 1.147406 1.145353 1.14122 41 .157046 .155655 .154131 .152471 .150674 .148719 .146600 .144304 42 .158496 .157047 .155467 .153754 .151895 .149877 .147695 .145324 43 .159791 .158290 .156661 .1					1					33 34
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$										
$\begin{array}{cccccccccccccccccccccccccccccccccccc$							1			35
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$										36 37
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$										38
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$										
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$										40
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$										40
43 .159791 .158290 .156661 .154889 .152970 .150895 .148644 .146216 44 .160948 .159402 .157717 .155889 .153917 .151777 .149470 .146977										42
44 .160948 .159402 .157717 .155889 .153917 .151777 .149470 .146977										43
										44
26 27 28 29 30 31 32 33	-	26	27	28	29	30	31	32	33	

Continued on Page *91.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF *n* ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

6 PER CENT.

Pav-Pay-37 40 38 39 41 x = 3435 36 ments. ments. 1.147200 | 1.143903 | 1.140434 | 1.136773 | 1.132914 | 1.128852 | 1.124576 | 1.120076 |n. 12. 1 1 2 .286826 .286643 .286584 2 .286866 .286789 .286747 .286697 .286522 .448684 3 3 .448926.448850 .448773 .448583 .448475 .448355.448225 4 .559971 .559856 .559735 .559598 .559446 .559279 .559096 .558898 4 5 5 $0.643122\ 0.642965\ 0.642799\ 0.642614$ $0.642406 \ 0.642179 \ 0.641931 \ 0.641661$.708478 .708266 .708028 6 6 .708676 .707762 .707475 .707159 .706811 7 .760269 7 .762130 .761888 .761626 .761333 .761011 .760659 .759846 8 8 .806761 .806471 .806158 .805812 .805429 .805007 .804546 .804042 9 9 .843980 .843577 .842102 .844681 .844344 .843127 .842638. .841512 10 0.875554 0.874994 0.874376 0.873702 10 0.8773370.8769510.8765330.87606711 .904844 .903737 .901637 .905757 .905320 .904318 .903101 .902403 11 12 .928434 .927722 .926080 .930701 .930209 .929677 .929086 .926937 12 13 .950224.949429 .94760313 .952744.952199 .951605.950947 .948559 14 .972336 .971733 .971076 .969550 .968675 .967712 .966658 14 15 $[0.989829\ 0.989167\ 0.988446\ 0.987648\ 0.986771\ 0.985809\ 0.984754\ 0.983601$ 15 16 1.005511 1.004788 1.003999 1.003129 1.002170 1.001121 .999973 .998712 16 17 17 .015983 .014846 1.013596 1.012227.019614 .018827 .017970 .017023 .030550 18 .032330 .031480 .029527 .028403.027171 .025819 .024338 18 .040802 .036804 19 .043824 .042905 .039589 .038260 .035217 19 .041993 20 1.054229 1.053242 1.052167 1.050982 1.0496771.0482511.0466941.04498220 .062607 .058786 21 .063663 .061453 .060182 .057265 .055591 .053763 21 22 .071097 .067020.06539022 .072227 .069863 .068505.063606 .061657 23 .072721 .077483 .07445523 .078799 .076042 .070825 .068755 .080005 24 .087072 .085789 .084395 .082858 .081173 .079334.077324 .075128 24 25 1.087241 1.085295 1.083167 1.08084425 1.093493 1.092136 1.090654 1.089024 26 .099333 .097893 .096322.094602 .092718 .090661|.088414.08596526 27 .103112 .101456 .097653 27 .104634 .099641 .095484 .093119 .090545 28 .109446 .107843 .106098 .104185 .102093 .099814 .097332 .094629 28 29 .112125 .108278 .098256 29 .113810 .110288 .106081 .103693 .101091 $1.117764 \ 1.115993 \ 1.114065 \ 1.111956$ 30 30 1.1096581.1071571.1044321.101474.121339 .119482 31 .117462 .115258 .112854 .110238.107397 .104311 31 32 .124565.122622.120512 .118210 .115698 .112974.110013 32 .106807 .127470 33 .125442.123241 .120837 .118226 .115389 .112316 .108990 33 34 .130080 .127967 .125671 .123175 .120457 .117516 .114331 .110885 34 35 1.1324191.1302171.1278341.12523835 $1.122423^{\circ}1.119377^{\circ}1.116080^{\circ}1.112524^{\circ}$.134503 .132220 .129744 .127057 .124144 36 .120994 .117594 .113929 36 .133990 37 .128650 .136359.131429 .125639.122393.118892 37 .11512638 .138000 .135551 .132904 .130034 .126934.123593.119998 .116131 38 39 .139448 .136919 .134186, .131233 .128044 .124616.120927 .116975 39 40 1.140717 | 1.138107 | 1.135297 | 1.1322611.128991 | 1.125476 | 1.121707 | 1.11766940 .136250 .133138 41 .129788 .141819 .139137 .126197 .122349 .11823641 42 .140021 .137063 .133877 .126791.142775.130455 42 .122873.118690 43 .140775 .137748 .131005.143595 .134495 .127276.123293.119054 43 44 .144295.141411 .138321.135004 .131454.12766544 .123629 .119335 34 35 36 37 38 39 40 41

Continued on Page *90.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

6 PER CENT.

Pay- ments.	42	43	44	45	46	47	48	49	Pay- ments.
n.	1.115337	1.110361	1.105124	1.099624	1.093846	1.087778	1.081412	1.074733	n.
1 2 3 4	0.000000 .286448 .448079 .558674	0.000000 $.286374$ $.447923$ $.558434$.286287 $.447747$	0.000000 $.286192$ $.447556$ $.557873$	0.000000 $.286090$ $.447345$ $.557551$		0.000000 .285852 .446859 .556808	.285715	1 2 3 4
5 6 7 8 9	0.641356 .706426 .759374 .803481 .840861	0.641030 .706008 .758863 .802873 .840150	0.640665 $.705544$ $.758296$ $.802198$ $.839364$		0.639830 .704479 .756992 .800647 .837558	0.639347 $.703865$ $.756241$ $.799755$ $.836521$	0.638819 .703191 .755417 .798777 .835384	0.638237 .702450 .754513 .797703 .834132	5 6 7 8 9
10 11 12 13 14	0.872953 $.900791$ $.925129$ $.946549$ $.965498$	0.872139 0.899867 0.924095 0.945402 0.964231	0.871238 .898848 .922956 .944136 .962834	0.870252 $.897735$ $.921708$ $.942749$ $.961303$	0.869171 .896510 .920337 .941224 .959637	$0.867982 \\ .895165 \\ .918829 \\ .939566 \\ .957791$	0.866678 .893689 .917182 .937729 .955777	0.865245 $.892073$ $.915374$ $.935723$ $.953571$	
16	0.982327 .997323 1.010718 .022718 .033462	.995806	0.979405 $.994148$ 1.007271 $.018988$ $.029455$	0.992319 1.005295	0.975899 0.90321 1.003131 0.014523 0.024662	.988132 1.000761	0.971685 .985737 .998173 1.009180 .018931	0.969273 0.983119 0.995338 0.006134 0.015668	16
20 21 22 23 24	1.043104 $.051756$ $.059522$ $.066485$ $.072723$	$1.04105\overline{6}$ $.049571$ $.057194$ $.064012$ $.070106$	1.038813 $.047176$ $.054643$ $.061308$ $.067248$	1.036362 $.044558$ $.051863$ $.058363$ $.064135$	1.033679 .041702 .048831 .055151 .060743		$\begin{array}{c} 1.027562 \\ .035190 \\ .041920 \\ .047845 \\ .053044 \end{array}$	031487 037999 043706	21 22 23
25 26 27 28 29	1.078304 $.083291$ $.087734$ $.091677$ $.095172$	1.075544 .089384 .084677 .088479 .091828	1.072529 .077210 .081351 .084996 .088196	1.069247 $.073764$ $.077738$ $.081222$ $.084265$	1.065678 .070017 .073818 .077135 .080009	065951 069572 072708	1.057589 $.061548$ $.064975$ $.067924$ $.070448$.060005 $.062764$	26 27
30 31 32 33 34	1.098253 .100961 .103329 .105383 .107159	1.094769 $.097341$ $.099572$ $.101497$ $.103148$	$\begin{array}{c} 1.090991 \\ .093415 \\ .095506 \\ .097299 \\ .098825 \end{array}$	$\begin{array}{c} 1.086903 \\ .089177 \\ .091126 \\ .092784 \\ .094179 \end{array}$	1.082485 .084607 .086410 .087927 .089193	1.077721 .079685 .081337 .082715 .083851	1.072591 $.074393$ $.075895$ $.077134$ $.078141$.070066	31
35 36 37 38 39	1.108682 $.109978$ $.111066$ $.111980$ $.112732$	1.104554 $.105733$ $.106724$ $.107539$ $.108203$	1.100109 .101180 .102064 .102784 .103363	.096302	$\begin{array}{c} 1.090236 \\ .091086 \\ .091770 \\ .092313 \\ .092736 \end{array}$	$\begin{array}{c} .085520 \\ .086111 \\ .086571 \\ .086923 \end{array}$.079596 .080097 .080481 .080770	.073718 .074032 .074263	37 38 39
40 41 42 43 44	.113838 .114231 .114535 .114769	$.109162 \\ .109492 \\ .109745 \\ .109937$.104182 .104456 .104664 .104815	$\begin{array}{c} 1.098602 \\ .098899 \\ .099125 \\ .099289 \\ .099407 \end{array}$.093304 .093482 .093610 .093700	$\begin{array}{c} .087383 \\ .087522 \\ .087620 \\ .087686 \\ \hline \end{array}$.081133 .081239 .081311 .081353	.074622 .074669 .074698	41 42 43
	42	43	44	45	46	47	48	49	-

Continued on Page *89.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF *n* ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

6 PER CENT.

Pay- ments.	x=50	51	52	53	54	55	56	57	Pay- ments.
n.	1.067728	1.060389	1.052701	1.044652	1.036227	1.027411	1.018200	1.008575	n.
1 2 3 4	$\begin{array}{c} .285563 \\ .446270 \\ .555907 \end{array}$.285397 .445932 .555391	$.285214 \\ .445561 \\ .554825$.285015 .445155 .554205	$\begin{array}{c} \hline{0.000000} \\ 0.284796 \\ 0.444709 \\ 0.553521 \\ \hline \end{array}$	0.000000 $.284553$ $.444213$ $.552763$	0.000000 $.284288$ $.443670$ $.551937$.283991	
5 6 7 8 9	0.637596 .701636 .753519 .796521 .832757	0.636896 .700745 .752429 .795225 .831254	0.636128 $.699766$ $.751230$ $.793807$ $.829604$	0.635284 .698688 .749920 .792249 .827793	0.634353 .697509 .748476 .790537 .825807	0.633329 .696206 .746889 .788657 .823625	.694781		6 7
10 11 12 13 14	$\begin{array}{c} 0.863674\\ .890299\\ .913389\\ .933525\\ .951153\\ \end{array}$.888355 .911218 .931119	$0.860066 \\ .886225 \\ .908838 \\ .928488 \\ .945620$	0.857998 0.883890 0.906235 0.925607 0.942461	0.855728 .881334 .903382 .922457 .939005	0.853240 $.878529$ $.900259$ $.919007$ $.935228$.875466	.893117 .911132	10 11 12 13 14
15 16 17 18 19	.980250 .992243 1.002807 .012106	.977121 .988866 .999179 1.008236	.973703 .985180 .995223 1.004001	.981160 .990914 .999405	.965901 .976779 .986224 .994408	.961460 .972006 .981121 .988981	.956629 .966820 .975587 .983100	.961186 .969579 .976731	15 16 17 18 19
20 21 22 23 24	.027455 $.033734$ $.039211$ $.043972$.023074 .029106 .034342 .038862	.018316 .024088 .029065 .033336	$\begin{array}{c} .018649 \\ .023359 \\ .027372 \end{array}$.007558 .012764 .017195 .020941	1.001499 .006404 .010546 .014017	$.994957 \\ .999550 \\ 1.003394 \\ .006583$.992168 .995707 .998615	20 21 22 23 24
25 26 27 28 29	.051621 .054642 .057204 .059357	.046058 .048867 .051227 .053191	.042655 .044810 .046586	$\begin{array}{c} .033617 \\ .035986 \\ .037938 \\ .039522 \end{array}$.026692 .028841 .030585 .031988	$.019269 \\ .021194 \\ .022741 \\ .023964$.014394 $.015447$	$\begin{array}{c} .002867 \\ .004363 \\ .005528 \\ .006418 \end{array}$	25 26 27 28 29
30 31 32 33 34	$ \begin{array}{c} 1.061150 \\ .062629 \\ .063830 \\ .064797 \\ .065564 \end{array} $		1.048028 .049189 .050108 .050824 .051372	1.040797 .041806 .042593 .043194 .043644	.033963 .034624 .035119 .035484	$.025645 \\ .026191 \\ .026593 \\ .026882$	1.016251 .016853 .017297 .017616 .017837	$\begin{array}{c} .007576 \\ .007928 \\ .008173 \end{array}$	30 31 32 33 34
35 36 37 38 39	$\begin{array}{c} .066619 \\ .066962 \\ .067214 \\ .067395 \end{array}$.059551 .059827 .060025 .060163	$\begin{array}{c} 1.051783 \\ .052085 \\ .052302 \\ .052453 \\ .052554 \end{array}$.044215 .044380 .044490 .044561	$\begin{array}{c} .035928 \\ .036049 \\ .036127 \\ .036173 \end{array}$	1.027082 $.027216$ $.027301$ $.027352$ $.027383$.018079 .018135 .018169 .018185	$.008539 \\ .008558 \\ .008567$	35 36 37 38 39
40 41 42 43 44	$\begin{array}{c} 1.067521 \\ .067606 \\ .067658 \\ .067690 \\ .067710 \end{array}$	$\begin{array}{c} .060313 \\ .060348 \\ .060370 \\ .060380 \end{array}$	$\begin{array}{c} .052656 \\ .052680 \\ .052691 \\ .052695 \end{array}$.044629 .044641 .044646 .044651	$\begin{array}{c} 1.036201 \\ .036214 \\ .036220 \\ .036225 \\ .036226 \end{array}$.027404 .027409 .027410 .027410	.018198	0.008575 0.008575	40 41 42 43 44
45 46 47 48 49	$\begin{array}{c} 1.067719 \\ .067722 \\ .067727 \\ .067728 \\ .067728 \\ \end{array}$	060388 060389 060389	.052701	1.044652 .044652	1.036226	1.027411			45 46 47 48 49
	50	51	52	53	54	55	56	57	

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF *n* ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

6 PER CENT.

Pay- ments.	58	59	60	61	62	63	64	65	Pay-
n.	0.998532	0.988049	0.977114	0.965719	0.953857	0.941502	0.928659	0.915312	ments. n .
1 2 3 4	.283673 .442422 .550033	.283321 .441706 .548939	.282933 .440916 .547736	$\begin{array}{c} \hline{0.000000} \\ .282505 \\ .440049 \\ .546419 \\ \hline\end{array}$	0.000000 .282040 .439104 .544975	.281525	.280960 $.436911$		1 2 3 4
5 6 7 8 9	0.629627 .691504 .741161 .781875 .815767	0.628145 .689626 .738873 .779171 .812635	0.626519 .687562 .736365 .776205 .809208	0.624735 .685303 .733616 .772962 .805460	0. 622783 .682828 .730611 .769416 .801368	.680110 .727313	.677137 .723711	0.615705 .673883 .719772 .756662 .786688	5 6 7 8 9
10 11 12 13 14	0.844280 0.868454 0.889049 0.906654 0.921727	0.840718 .864452 .884607 .901771 .916400	0.836820 .860080 .879762 .896447 .910605	0.832563 .855314 .874480 .890658 .904312	0.827923 .850119 .868737 .884370 .897487	0.822851 $.844455$ $.862484$ $.877535$ $.890083$	0.817329 .838297 .855695 .870129 .882077	0.811318 .831601 .848329 .862111 .873430	10 11 12 13 14
15 16 17 18 19	0.934630 .945665 .955078 .963081 .969852	0.928866 $.939468$ $.948458$ $.956050$ $.962422$	0.922604 .932748 .941293 .948452 .954415	0.915815 $.925476$ $.933552$ $.940266$ $.945802$	0.908466 .917619 .925210 .931459 .936563	0.900511 $.909135$ $.916220$ $.921996$ $.926654$.900000 .906567	.890181 .896212	15 16 17 18 19
20 21 22 23 24	0.975546 .980303 .984242 .987476 .990096	0.967739 $.972136$ $.975742$ $.978662$ $.981004$	0.959340 $.963374$ $.966638$ $.969254$ $.971319$	0.950331 $.953992$ $.956924$ $.959236$ $.961032$	0.940684 .943982 .946579 .948596 .950137	0.930376 $.933306$ $.935580$ $.937315$ $.938615$.921966 $.923927$ $.925396$.909944 $.911611$	20 21 22 23 24
25 26 27 28 29	0.992199 .993860 .995153 .996140 .996880	0.982853 .984291 .985389 .986213 .986818	0.972923 .974149 .975068 .975742 .976225	0.962404 $.963432$ $.964185$ $.964726$ $.965103$	0.951291 .952135 .952742 .953165 .953445	0.939565 .940248 .940724 .941040 .941241	.927780 .928137	.914720 .914978	25 26 27 28 29
30 31 32 33 34	0.997425 .997815 .998087 .998266 .998383	0.987252 .987555 .987754 .987883 .988028	0.976563 $.976785$ $.976929$ $.977091$ $.977065$	$\begin{array}{c} 0.965352 \\ .965512 \\ .965694 \\ .965665 \\ .965681 \end{array}$	0.953624 .953828 .953795 .953813 .953843	0.941471 .941433 .941454 .941487	.928623 .928641 .928655		30 31 32 33 34
35 36 37 38	.998492 .998503 .998523	.988017 .988039 .988046	.977103 .977111 .977114	0.965708 0.965717 0.965720 0.965720	0. 953853 .953857 .953857 .953857	.941503 .941502		0.915312 42 1.115337	35 58
39 40 41 42	0.998529 0.998532 0.998532 0.998532	$0.988049 \\ 0.988049 \\ \underline{-988049}$.977114 0.977114 47	.965719 46 1.093846	45 1.099624 1.099624	1.105124 .105124 1.105124	1.110361 .110361 .110361	.115337 .115337 .115337	57 56 55
51 50	49 1.074733 .074733	$ \begin{array}{r} 48 \\ \hline 1.081412 \\ .081412 \\ .081412 \end{array} $	1.087778 .087778 .087778 .087777	.093846 .093846 .093845 .093841	.099624 .099623 .099619 .099619	.105124 .105124 .105120 .105120 .105113	.110357 .110357 .110351	.115333 .115328 .115317 .115302	53 52 51 50
49 48 47 46 45	1.074733 $.074732$ $.074727$ $.074725$ $.074716$	1.081411 .081406 .081405 .081396 .081380	1.087773 .087772 .087764 .087749	1.093840 .093833 .093819 .093797 .093761	1.099612 .099599 .099579 .099546 .099490	1.105101 .105083 .105053 .105001 .104924	.110296 .110248 .110176	1.115277 .115233 .115167 .115074 .114946	49 48 47 46 45
	49	48	47	46	45	44	43	42	

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF *n* ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

6 PER CENT. Pay-Payx = 6669 68 70 72 73 67 71 ments. ments n. 0.901459 | 0.887078 | 0.872181 | 0.8567330.840762 0.824241 0.807180 0.789571 п. 1 0.000000 0.000000 0.000000 0.000000 0.0000000,000000000,00000000,0000000 1 2 .279660 .278908 .278097 .277190 .276207 2 .275121 .273936 .272640 3 .434275.431109 .425110 .432761.429283.427295.422726 3 -.4201114 .537641 .535345 .532840 .530080 .527074 .523780 .520183 .516248 4 5 [0.612888] 0.609799 [0.606427] 0.6027245 0.598694 0.594284 0.589474 0.584227 6 .670330 .666436 .662192 .6524856 .657542.646959 .640949 .634404 7 .715472 .710770 .705653 7 .700056 .693975 .687351 .680156.672342 8 8 .751614 .746106.726492 .718788 .701403 .740116 .733580 .710440 9 .780896 .774584 9 .767731 .760272 .752199.743446 .733991 .723764 10 0.804784 | 0.797679 | 0.789981 | 0.781623 | $0.772595 \, 0.762839 \, 0.752312 \, 0.741000$ 10 11 .824339 .816459 .778052 .807939 .798712 .788774 .766548 .754203 11 12 .840356 .831725 .822413 .789946 .777520 .764238 12 .812359 .801549 13 .853450 .844096 13 .834033 .785895 .823190 .811586 .799157 .771776 14 .864109.854071 14 .843293 .819388 .831734 .806213 .792208 .777355 0.872733 0.862047 0.850622 0.838395 15 15 0.8253830.8115460.7968920.781410.800302 .784295 16 .879649 .856350 .843526 .868376 .829923 .815510 16 17 .885148 .873334 .860770 .847417 .833302 .818401 .802731 .786299 17 18 .877164 .889463 .864127 18 .835770 .850318 .820462 .804421 .787631 19 .892801 .880078 19 .837531 .866633 .852439 .821896 .805544 .788473 $0.895343 \mid 0.882254 \mid 0.868466 \mid 0.853952$ 20 20 0.838757 0.822850 | 0.806255 | 0.78898221 .897243 .789275 21 .883846 .869774 .839572 .823454 .855007 .806684 22 .898633 .884984 .870687 .840090 .806931 .789433 22 .855708 .823819 23 .899628 .885779 23 .871294 .840402 .824029 .807065 .856154 .789500 24 .900323 .886307 24 .871680 .840581 .856423 .824143 .807122 .7895520.900785 | 0.886643 | 0.871912 | 0.85657725 25 0.840678 | 0.824191 | 0.807165 | 0.78956826 .901078 26 .886844 .856660 .789573 .872046 .840720 .807179 .824228 27 .901254.886961 .872118 .856697 .840751 .824240 .807183 27 .789571 28 .901356.887024 .872150 .840762 .856723 .824243 .807180 29 34 .901412 .887052 .872172 .840764 .824241 .85673335 $0.901436 \, 0.887071 \, 0.872181 \, 0.856734$ 30 0.840762 1.147200 66 36 .872182 31 .901453 .887079 .147198 .856733 1.143903 65 .887079 32 .901460 .872181 37 1.1404341.1439021.14719864 38 33 .901460 .887078 1.136773.147198 .140433 .143902 63 .901459 39 34 .140433 1.132914.136773 .143902 62 .147197 40 1.128852.132913 .136773 .140433 61 .143901.147197 41 1.124576.128851 .132913.136773.140432 .143901 .147195 60 1.1200761.1245751.12885159 1.1329131.1367711.1404321.143898 1.147188 59 .124575 58 120076 .128851.132911 .136771 .140428 .14389158 .147181 57 .120076.124575 .128849 .132911.136767 .140421 .143883 .147167 57 56 .120076.124572 .128849.132907.136760 .140412 .143868 .147142 56 .124572 55 .120073 .128844.132899.136750 .140397 .143842 .147107 55 1.120073 | 1.124567 | 1.128836 | 1.13288854 1.136733 | 1.140368 |1.143804 | 1.14705654 .128824 53 .120068 .124558.132870 .136702 .140327 .143749 .146987 53 .12454552 .120058.128804 .132837 .136658 .140268 .146891 52 .143675 51 .120044 .124524.128769 .132790.136594 .140189 .143570 .146765 51 .120021 .124486 50 .136509 .128718 .132720 .140075 .143435 50 .14659949 1.119980 | 1.124430 | 1.128643 | 1.132628 |1.136386 | 1.139929 | $1.143257 \, 1.146385$ 49 48 .119919.124350.128543.132496.136228 48 .139737 .143026.146119 47 .119833 .124241.128401 .132325.136022 .139489 .142739 .14578647 46 .119715 .124089 .128216 .132103 .135754 .139179 .142381 .145379 46 45 .119551 .123889.127976 .131814 .135420.138793 .144886 45 .14194341 40 39 38 37 36 35 34

Continued from Page *86.

LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

6 PER CENT.

Pay- ments.	74	75	76	77	78	79	80	81	Pay-
N.	0.771402	0.752711	0.733470	0.713672	0.693356	0.672502	0.651114	0.629190	ments.
1 2	0.000000	0.000000 $.269646$	0.000000 $.267945$	0.000000 266064	0.000000 $.264019$	0.000000 $.261782$	0.000000 $.259335$		1 2
3	.417238	.414120	.410707	.406961	.402891	.398447	.393621	.388367	3
5	.511942	.507265	.502157	0.496577 0.558147	.490520	0.541542	0.476798		4 5
6	.627277	.619569	.611186	.602107	.592309	.581737	.570351	.558124	6
8	$\begin{array}{r} .663864 \\ .691612 \end{array}$.654696 $.681078$.644789	.634083 .657506	.622576 $.644426$.630436		$\begin{array}{c} .582800 \\ .599672 \end{array}$	7 8
9	.712756	.700933	.688242	.674642	.660148		.628364		9
10 11	.740985	.726906	.711919		.679211	.661516	.642856	.623185	10 11
12 13	1.750074 1.756780	.735048 .740935	.719124 $.724219$.702298 $.706638$.684619	.666013	.646457 $.648623$.625980 $.627578$	12 13
14	.761642	.745110	.727744	.709510	.690438	.670543	.649863	.628445	14
15 16	0.765097 :767494	0.748002 $.749922$	$0.730080 \\ .731553$	0.711320 $.712413$	$0.691795 \\ .692572$	$0.671518 \\ .672048$	0.650536 .650818	0.628809 629089	15 16
17	.769086	.751134	.732443	.713040	.692994	.672270	.651035	.629177 $.629208$	17
18 19	.770092	.751866 $.752287$.732955 .733232	.713380 .713523	$\begin{array}{c} .693171 \\ .693306 \end{array}$.672440 .672495	.651104 $.651128$.629190	18 19
20 21	0.771049			0.713632 $.713667$		0.672514 $.672502$	0.651114	26	
22	.771239 .771319	.752611 $.752684$.733437 .733466	.713679	$\begin{array}{c} .693365 \\ .693356 \end{array}$		27	1.168055	74
23 24	.771380 .771400	.752708 .752716	.733476	.713672	29	28	1.165920	.168054	73
25	0.771406		31	30	${1.161274}$	1.163661 1.163659	.165918 $.165918$.168054 $.168054$	72 71
26	.771402	32		1.158757	.161272	.163659	.165918	.168053	70
	33	${1.153290}$	1.156097 1.156096	1.158755 1.158755	1.161272 1.161272	$1.163659 \\ .163658$	1.165917 1.165917	1.168055	69 68
67 66	1.150327 150325	.153289 .153289	.156096 .156096	.158755 $.158754$.161271 $.161271$.163658 $.163657$.165916 $.165912$		67 66
65	.150325	.153289	.156095	.158754	.161269	.163653	.165908	.168037	65
64 63	1.150325 1.50324	1.153288 153288	$1.156095 \\ .156093$	1.158752 $.158747$	$1.161265 \\ .161260$	1.163648 .163640		$1.168024 \\ .168002$	64 63
62	.150324	.153286	.156087	.158742	.161251	.163624	.165862	.167973	62
61	.150322	.153279 .153274	.156082 $.156071$.158732 $.158714$.161234	$\begin{array}{c} .163599 \\ .163566 \end{array}$.165831 $.165790$.167935 $.167881$	61 60
59		1.153262	1.156051			1.163522			59
58 57	.150296	.153240 .153209	.156022 $.155982$,158649 .158597	161125 161058		.165656 $.165557$.167600	58 57
56 55	.150240 .150193	$.15316\overline{6}$ $.15310\overline{6}$.155926 $.155849$.160971 $.160855$.163271 $.163131$.165431 $.165268$.167448 $.167260$	56 55
54			1.155747			1.162961			54
53 52	.150039	.152914 $.152770$.155614 $.155441$.158146 $.157949$.160522 $.160290$.162744 $.162480$.164820 $.164523$.166754 $.166422$	53 52
51	.149769	.152585	.155229	.157700	.160006	.162162	.164167	.166029	51
50	.149569	.152357	.154962 1.154634	.157395	1.159664 1.159254	.161780	.163745 1.163252	.165570 1 165031	50 49
48	.149013	.151717	.154239	.156586	.158766	.160797	.162674	.164416	48
47	.148634	.151292 $.150782$.153765 $.153202$.158198 .157533		.162013 .161250	.163705 $.162899$	47 46
45	.147628	.150177	152545	.154737	.156769	.158647	.160385	.161983	45
	33	32	31	30	29	28	27	26	

LIFE AND TEMPORARY ANNUITIES LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

6 PER CENT.

								PER CE	INT.
Pay- ments.	x=82	83	84	85	86	87	. 88	89	Pay- ments.
n.	0.606694	0.583647	0.559909	0.535453	0.510023	0.483173	0,454503	0.422455	n.
1 2 3 4	0.000000 0.253744 0.382611 0.460632	0.000000 $.250591$ $.376412$ $.451581$	0.000000 $.247111$ $.369650$ $.441793$	0.000000 $.243358$ $.362393$ $.431288$	$\begin{array}{c} 0.000000 \\ .239313 \\ .354522 \\ .420014 \end{array}$.345962	0.000000 $.230075$ $.335400$ $.390968$.222029 .320218	1 2 3 4
5 6 7 8 9	0.511220 0.544974 0.567662 0.582833 0.592671	0.499566 $.530980$ $.551649$ $.564914$ $.573117$	$0.487020 \\ .516032 \\ .534368 \\ .545601 \\ .552261$	0.473656 .499792 .515579 .524861 .530109		.472187	.438034 $.446811$ $.451185$.410543 .417331	5 6 7 8 9
10 11 12 13	.602457 .604549 .605683	0.578007 .580794 .582302 .582934	$0.\overline{556044} \\ .558089 \\ .558944 \\ .559606$	0.532939 .534121 .535035 .535316	0.508142 .509434 .509829 .509977	0.482321 .482891 .483106 .483173	.454403	$ \begin{array}{r} 0.422301 \\ \phantom{00000000000000000000000000000000000$	10 11
14 15 16 17	0.606159 0.606526 0.606640 0.606681		$\begin{array}{c} .559810 \\ 0.559885 \\ .559909 \\ \hline \end{array}$.535420 0.535453 22	.510023 21	20 1.178657 1.178656	19 1.180102 .180101	1.181467 .181466 .181466	82 81 80 79
18 75	25 1.170082	24 1.171993 .171993	23 1.173803 .173802 .173802	$\begin{array}{c} 1.175513 \\ .175512 \\ .175512 \\ .175512 \\ .175512 \end{array}$.177128 .177128 .177128 .177128	.178656 $.178656$ $.178656$.180101 .180101 .180101 .180101	.181466 .181466 .181466 .181464	78 77 76 75
74 73 72 71 70	1.170080 .170080 .170080 .170079 .170079		1.173802 $.173802$ $.173802$ $.173802$ $.173801$ $.173798$	1.175512 .175512 .175512 .175509		$1.178656 \\ .178653 \\ .178650 \\ .178645$	1.180099 .180096 .180091 .180084 .180069	1.181461 .181457 .181450 .181436 .181420	74 73 72 71 70
69 68 67 66 65	1.170078 .170075 .170071 .170064 .170052	1.171988 .171984 .171978 .171967 .171947	1.173794 .173788 .173778 .173759 .173736	.175490 $.175472$	1.177108 .177091 .177071 .177043 .177006		1.180052 .180027 .179994 .179950 179894	1.181396 .181366 .181325 .181273 .181205	69 68 67 66 65
64 63 62 61 60	$\begin{array}{c} 1.170031 \\ .170004 \\ .169968 \\ .169918 \\ .169852 \end{array}$	1.171922 .171888 .171842 .171780 .171700	1.173704 $.173661$ $.173604$ $.173529$ $.173433$	1.175381 $.175327$ $.175258$ $.175168$ $.175055$	$egin{array}{c} 1.176955 \\ .176891 \\ .176807 \\ .176701 \\ .176567 \end{array}$	1.178434 .178356 .178257 .178132 .177980	1.179821 .179729 .179612 .179470 .179301	1.181118 .181009 .180876 .180719 .180526	64 63 62 61 60
59 58 57 56 55	1.169767 .169657 .169515 .169340 .169126		1.173311 .173157 .172971 .172747 .172477			1.177799 .177579 .177321 .177017 .176664			59 58 57 56 55
54 53 52 51 50	1.168868 .168558 .168192 .167764 .167262	1.170573 .170232 .169833 .169365 .168831		1.173632 .173226 .172761 .172223 .171615	1.174995 .174561 .174059 .173491 .172847	1.176259 $.175791$ $.175260$ $.174659$ $.173979$	1.177426 $.176930$ $.176369$ $.175735$ $.175028$	1.178504 $.177980$ $.177389$ $.176728$ $.175988$	54 53 52 51 50
49 48 47 46 45	1.166689 .166027 .165275 .164422 .163458	1.168213 $.167513$ $.166718$ $.165819$ $.164816$	$\begin{array}{ c c c c c } .168045 \\ .167110 \end{array}$.170142 .169271 .168294	$egin{array}{c} 1.172117 \\ .171305 \\ .170394 \\ .169377 \\ .168260 \\ \end{array}$	1.173221 .172371 .171423 .170381 .169221	1.174234 $.173350$ $.172378$ $.171296$ $.170108$	1.175163 $.174256$ $.173246$ $.172138$ $.170916$	49 48 47 46 45
Cont	25	24 Page *84	23	22	21	20	19	18	

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LIFE AND TEMPORARY ANNUITIES. LOGARITHM OF THE PRESENT VALUE OF n ANNUAL PAYMENTS OF 1 AT THE BEGINNING OF EACH YEAR.

						,		6 PER C	EN 1
Pay- ments.	90	91	92	93	94	95	96	97	Pay- ments.
n_*		0.363938	0.335983	0.307090	0.277673	0.246844	0.210226	0.174939	n.
1	0.000000			0.000000		0.000000		0.000000	1
2	.213204				.178148				2
3 4	.304786 $.349841$.290824 $.330929$.276008 $.310990$.242126		.196801	.174939	3
				.289433	.266205		.210226	10	
5 6	.383586	0.549955 $.358617$	0.326562 0.32882	0.301314 $.305714$	0.274956 $.277673$	0.246844	11	$\frac{1.189964}{1.189964}$	90
7	.388701	.362181	.335244	.307090	-211010	12	1 100100		
8	.390812	.363519	.335983		13	1.188192	.189102	1.189962 1.189962	89 88
9	.391606	.363938	1 5	14	$\overline{1.187226}$.188191	.189101	.189962	87
10	0.391855	16	15	1.186201	.187225	.188191	.189101	.189962	86
	17		1.185120	.186200	.187225	.188191	.189101	.189962	85
00			1.185118			1.188191			84
83 82	$1.182755 \\ .182754$.183972 $.183972$.185118	.186200 $.186200$.187225 .187225	.188191	.189101 $.189101$.189962	83 82
81	.182754	.183972	.185118	.186200	.187225	.188191	.189099		81
80	.182754	.183972	.185118	.186200	.187225	.188189	.189096	.189952	80
79	1.182754	1.183972	1.185118	1.186200	1.187222	1.188186	1.189091	1.189945	79
78	.182754	.183972	.185118	.186197	.187219	.188181	.189082	.189936	78
77 76	.182754	.183971	.185115	.186194	.187214	.188171	.189073	.189922	77
75	.182753 .182750	.183968	.185112	.186177	.187203	.188161 .188144		.189905	76 75
74			1.185094		1.187174		1.189014		74
73	.182739	.183946	.185081	.186146	.187155	.188098	.188981	.189809	73
72	.182726	.183932	.185061	.186125	.187125	.188063	.188938		72
71	.182711	.183910	.185038	.186093	.187088	.188017	.188885	.189697	71
70	.182688	.183885	.185004	.186054	.187039	.187960	.188817	.189618	70
69 68	1.182661 .182622	1.183849 .183804	1.184962 1.184905	1.186001 1.185935	1.186977	1.187887 1.187798	1.188733 $.188635$		69 68
67	.182574	.183744	.184835	.185852	.186804	.187693			67
66	.182510	.183668	.184746	.185750	.186692	.187565	.188376		66
65	.182429	.183574	.184637	.185630	.186555	.187416	.188210	.188950	65
64						1.187239		1.188744	64
63	.182203	.183319	.184352	.185313	.186206 $.185987$				63
61	.182056 $.181876$.182956	.183952	.184876	.185735		.187544 $.187255$		62 61
60	.181667	.182724	.183701	.184607	.185444	.186218	.186929		60
59	1.181419	1.182455	1.183414	1.184295	1.185114	1.185869	1.186562	1.187204	59
58	.181131	.182148	.183080	.183942	.184741	.185476	.186152	.186773	58
57 56	.180802	.181791	.182702 $.182275$.183543 .183093	.184320 $.183851$.185038 .184544	.185691 $.185179$.186295	57
55	.180420 $.179987$.181386 $.180929$.182275	.183093	.183324	.183996	.184617	.185769 .185184	56 55
54			1.181216			1.183395			54
53	.178946	.179838	.180653	.181398	.182094	.182725			53
52	.178329	.179193	.179980		.181377	.181991	.182549		52
51 50	.177638	.178473	.179243 .178422	.179943 .179101	.180591 .179726	.181183 .180297	.181722	.182218	51 50
	.176868	.177683				1.179328			
49	1.176021 .175079	1.176804 1.175838	1.177520 1.76528	.177159	.177740	.178272	.179831		49 48
47	.174045	.174775	.175440	.176049	.176610	.177122	.177585		47
46	.172905	.173609	.174251	.174838,	.175377	.175867	.176316	.176727	46
45	$\frac{.171656}{}$.172335	.172953	173517	.174033	.174508	.174938		45
	17	16	15	14	13	12	11	10	

CONVERSION TABLE FROM ANNUITY OR $\lambda(1+a)$ TO ANNUAL PREMIUM ON 1,000. INTEREST 4 PER CENT.

Applicable to ordinary Life and Endowment Insurances, to Joint Lives and Survivorships, and all cases of the annexed Formula, where a denotes the Present Value of the Annuity. At 4 per cent. 1-v is .03846154. P is the Annual Premium.

For \$1,000 Insured, P = 1,000 $\left\{\frac{1}{1+a} - (1-v)\right\}$.
For a Rate of Interest other than 4 per cent., apply the following Correction, 1,000(v-v') to the Tabular sult: result:

per cent. 6 For the rate of ... 31 35.613 26.959 Subtract..... 4.645 0.000 Add..... 9.335 ****

Example. Interest 5 per cent. $\lambda(1+a)=0.136820$; the Tabular result is found to be 691.306; this, less the above Correction 9.158, leaves the Annual Premium required \$682.15.

						F	ROPO	RTI	JNAL	PAR	18, 6	UDI.		
$\lambda(1+a)$.	0,5	1,6	2,7	3,8	4,9	1	2 3	4	5	6	7	8	9	
0.00	0 961.54 5 950.09	1 959.24 6 947.82	2 956.94 7 945.55	3 954.65 8 943.29	4 952.37 9 941.03	23	$\frac{46}{45} \frac{69}{68}$	90	113		158	181	204	
0.01	0 938.78 5 927.59	1 936.53 6 925.37	2 934.29 7 923.15	3 932.05 8 920.94	4 929.82 9 918.73		$rac{45}{44} 67$		111	133	155	177	199	
0.02	0 916.53 5 905.60	1 914.33 6 903.43	2 912.14 7 901.26	3 909.96 8 899.10	4 907.78 9 896.94	22	$\frac{44}{43} \frac{66}{65}$	86	108	1	151	173	195	5
0.03	0 894.79 5 884.11	1 892, 65 6 881, 99	2 890.50 7 879.87	3 888.37 8 877.76	4 886.24 9 875.65	21	$\frac{43}{42} \frac{64}{63}$	85	106	127	148	169	190)
0.04	0 873.55 5 863.11	1 871.45 6 861.04	2 869.36 7 858.97	3 867.27 8 856.90	4 865.19 9 854.84		42 63 41 63		103	124	144	165	180	5
0.05	0 852.79 5 842.59	1 850.74 6 840.56	2848.69 7838.54	3 846.65 8 836.52	4 844.62 9 834.51		41 61 40 61		101	1	141	161	182	5
0.06	0 832.50 5 822.53	1 830.50 6 820.55	2 828.50 7 818.58	3 826.51 8 816.61	4 824.52 9 814.64		$\begin{vmatrix} 40 & 60 \\ 39 & 5 \end{vmatrix}$			120 118				
0.07	0 812.68 5 802.93	1 810.72 6 801.00	2808.77 7799.07	3 806.82 8 797.14	4 804.87 9 795.22		$\frac{39}{39} \frac{5}{5}$			117			3 176 4 173	
0.08	0 793.30 5 783.78	1 791.39 6 781.89	2 789.48 7 780.00	3 787.58 8 778.12	4 785.68 9 776.24		$\begin{array}{c} 385 \\ 385 \end{array}$		94	113	132	2 151		9
0.09	0 774.37 5 765.06	1 772.50 6 763.22	2 770.63 7 761.37	3 768.77 8 759.53	4 766.92 9 757.70		$\begin{array}{c} 375 \\ 375 \end{array}$			11% 110			$\frac{9}{7} \frac{168}{168}$	
0.10	0 755.87 5 746.77	1 754.04 6 744.97	2 752.22 7 743.17	3 750.40 8 741.37	4 748.58 9 739.58		$\begin{array}{c} 365 \\ 365 \end{array}$			108			$ \begin{vmatrix} 6 & 164 \\ 4 & 163 \end{vmatrix} $	
0.11	0 737.79 5 728.90	1 736.00 6 727.14	2 734.22 7 725.37	3 732.44 8 723.62	4 730.67 9 721.86		$\begin{vmatrix} 365 \\ 355 \end{vmatrix}$			10'3 103				
0.12	0 720.12 5 711.43	1 718.37 6 709.71	2 716.63 7 707.99	3 714.89 8 706.27	4 713.16 9 704.56		$\begin{array}{c} 35 \ 5 \\ 34 \ 5 \end{array}$			7 104 7 105				
0.13	0 702.85 5 694.36	1 701.14 6 692.68	2 699.44 7 691.00	3 697.75 8 689.32	4 696.05 9 687.64		$\begin{array}{c} 345 \\ 345 \end{array}$						$\begin{array}{c c} 6 & 15 \\ 4 & 15 \end{array}$	
0.14	0 685.97 5 677.68	1 684.31 6 676.03	2 682.65 7 674.39	3 680.99 8 672.75	4 679.33 9 671.12		33 5 33 4						3 14 1 14	
0.15	0 669.48 5 661.38	1 667.86 6 659.77	2 666.23 7 658.17	3 664.61 8 656.56	4 662.99 9 654.96		$\begin{array}{c} 32\ 4 \\ 32\ 4 \end{array}$						$\begin{array}{c}014\\814\end{array}$	
0.16	0 653.37 5 645.45			3 648.61 8 640.74	4 647.03 9 639.18		$\begin{array}{c} 324 \\ 314 \end{array}$						7 14 5 14	
0.17	0 637.62 5 629.88			3 632.97 8 625.28	4 631.42 9 623.76		$\begin{array}{c} 31\ 4 \\ 31\ 4 \end{array}$						$\begin{array}{c} 4 \ 13 \\ 2 \ 13 \end{array}$	
	0,5	1,6	2,7	3,8	4,9	1	2 3	3 4	5	6	7	8	9)

Conversion table from annuity or $\lambda(1+a)$ to annual premium on 1,000. Interest 4 per cent.

,							PRO	PO	RTI	ONAI	PA	RTS,	SUB	г.
$\lambda(1+a)$.	0,5	1,6	2,7	3,8	4,9	1	2	3	4	5	6	7	8	9
0.18	0 622.23 5 614.67	1 620.71 6 613.17	2 619.20 7 611.67	3 617.68 8 610.17	4 616.17 9 608.68		30 30			76 75				136 135
0.19	0 607.19 5 599.80	1 605.71 6 598.33	2 604.23 7 596.87	3 602.75 8 595.41	4 601.27 9 593.95	15	$\begin{array}{c} 30 \\ 29 \end{array}$	44	59	74 73	89	103		133
0.20	0 592.50	1591.04 6583.84	2589.60	3 588.15	4 586.71	14	29 29	43	58	72 71	87	101	116	1
0.21	5 585.27 0 578.13	1 576.72	7 582.41 2 575.30	8 580.98 3 573.90	9 579.55 4 572.48	14	28	42	56	71	85	99	113	127
0.22	5 571.08 0 564.10	6 569.67 1 562.71	7 568.27 2 561.33	8 566.89 3 559.95	9 5 6 5 . 49 4 5 5 8 . 5 7	14	28 28	41	55	70 69	84 83	97	112 110	124
0.23	5 557.20 0 550.38	6 555.83 1 549.03	7 554.46 2 547.68	8 553.10 3 546.33	9 551.74 4 544.98		27 27			68 67	82		$\frac{109}{108}$	1
0.24	5 543.64 0 536.98	6 542.30 1 535.66	7 540.97 2 534.33	8 539.63 3 533.02	9 538.30 4 531.70	13.	27 26	40	53	67 66	80 79		$107 \\ 105$	
	5 530.39	6 529.08	7 527.78	8 526.48	9 525.18	13	26 26	39	52	65	78	91	$\begin{vmatrix} 104 \\ 103 \end{vmatrix}$	117
0.25	0 523.89 5 517.44	1 522.59 6 516.16	2 521.30 7 514.90	3 520.02 8 513.62	4 518.72 9 512.35	13	25	38	51	65 64	76	89	102	114
0.26	5 511.09 5 504.80	1 509.82 6 503.54	2 508.55 7 502.29	3 507.30 8 501.05	4 506.04 9 499.81	12	$\begin{array}{c} 25 \\ 25 \end{array}$	37	50	63 62	75 75		$\frac{101}{100}$	113 112
0.27	0 498.57 5 492.42	1 497.34 6 491.20	2 496.10 7 489.98	3 494.87 8 488.77	4 493.65 9 487.56		$\frac{25}{24}$			62 61	74 73	86 85		111 109
0.28	0 486.35 5 480.34	1 485.14 6 479.15	2 483.93 7 477.95	3 482.73 8 476.77	4 481.53 9 475.58		$\begin{array}{c} 24 \\ 24 \end{array}$			60 59	72 71	84 83		$\begin{array}{c} 108 \\ 107 \end{array}$
0.29	0 474.40 5 468.53	1 473.22 6 467.36	2 472.04 7 466.20	3 470.88 8 465.04	4 469.70 9 463.88		23 23			59 58	70 70	82 81	94	$\begin{array}{c} 106 \\ 104 \end{array}$
0.30	0 462.73	1 461.57	2 460.42	3 459.28	4 458.13	11	23 23	34	46	57 57	69 68	80 79	92	103 102
0.31	5 456.99 0 451.32	6 455.85 1 450.19	7 454.71 2 449.07	8 453.58 3 447.95	9 452.45 4 446.83	11	22	34	45	56	67	79	90	101
0.32	5 445.71 0 440.17	6 444.60 1 439.07	7 443.49 2 437.97	8 442.38 3 436.87	9 441.27 4 435.78	11	22	33	44	55 55	66 66	78	88	
0.33	5 434.69 0 429.27	6 433.60 1 428.20	7 432.52 2 427.12	8 431.43 3 426.05	9 430.35 4 424.99		22 21			54 54	$\begin{vmatrix} 65 \\ 64 \end{vmatrix}$	76 75	87	98
0.34	5 423.92 0 418.63	6 422.86 1 417.58	7 421.80 2 416.53	8 420.74 3 415.48	9 419.68 4 414.44		2121			53 52	63 63	74 73	85 84	95 94
	5 413.39 0 408.22	6 412.36 1 407.19	7 411.32 2 406.18	8 410.28 3 405.15	9 409.25 4 404.13	10	21 20	31	41	52 51	62 61	72 71	83 82	93 92
0.35	5 403.12	6 402.09	7 401.08	8 400.08	9 399.06	10	20	30	41	51	61	71	81	91
0.36	0 398.05 5 393.06	1 397.05 6 392.07	2 396.06 7 391.07	3 395.05 8 390.09	4 394.05 9 389.10	10	20	30		49	60 59	70 69	80 79	90 89
0.37	0 388.12 5 383.24	1 387.14 6 382.27	2 386.16 7 381.30	3 385.18 8 380.33	4 384.21 9 379.38	10	19	29		49 48	59 58	68 68	77	88 87
0.38	0 378.41 5 373.64	1 377.46 6 372.69	2 376.49 7 371.74	3 375.54 8 370.81	4 374.59 9 369.86		19 19			48 47	57 57	67 66	76 75	86 85
0.39	0 368.93 5 364.26	1 367.98 6 363.34	2 367.05 7 362.41	3 366.11 8 361.48	4365.18 9360.56		19 18			47 46	56 55	65 65	75 74	
0.40	0 359.65	1 358.73	2 357.82	3 356.91 8 352.39	4 356.00 9 351.48	9	18 18	27	36	46 45	55 54	64 63	73 72	82 81
0.41	5 355.10 0 350.58	6 354.18 1 349.69	7 353.28 2 348.80	3 347.91	4 347.02	9	18	27		45 44	53 53	62 62	71 70	80 79
	5 346.13 0,5	$\frac{6345.25}{1,6}$	2, 7	3,8 3,8	9/342.60 4,9	$\frac{9}{1}$	2		-	5	6	7	8	9

CONVERSION TABLE FROM ANNUITY OR $\lambda(1+a)$ TO ANNUAL PREMIUM ON 1,000. INTEREST 4 PER CENT.

$\lambda(1+a).$	0,5	1,6	2,7	3,8	4,9	1	2	3	4	5	6	7	8	9
0.42	0 341.73 5 337.38	1 340.85 6 336.51	2 339.98 7 335.66	3 339.11 8 334.79	4 338.24 9 333.93	9 9	17 17	26 26	35 34	44 43	52 52		70 69	
0.43	0 333.07 5 328.82	1 332.22 6 327.98	2 331.37 7 327.13	3 330.52 8 326.29	4 329.67 9 325.45	9 8	17	26 25	34	43 42	51 50	60	68 67	77
0.44	0 324.62 5 320.46	1 323.78 6 319.63	2 322.95 7 318.81	3 322.12 8 317.99	4 321.29 9 317.17	8 8	17	25	33	42	50 49	58	67	75
0.45	0 316.35 5 312.29	1 315.54 6 311.48	2 314.72 7 310.68	3 313.91 8 309.88	4 313.10 9 309.07	8	$\begin{array}{c} 16 \\ 16 \\ 16 \end{array}$	25 24	33	41	49	58 57	66 65	73
0.46	0 308.28 5 304.31	1 307.48 6 303.52	2 306.68	3 305.89	4 305.10	8 8	16 16	24 24	32	40	48 48	56 56	64	71
0.47	0 300.38 5 296.50	1299.60	7 302.73 2 298.83	8 301.95 3 298.05	9 301.16 4 297.28	8 8	16 16	24 23	31	39	47		63 62	70
0.48	0 292.67	6 295.73 1 291.91	7294.96 2291.15	8 294.20 3 290.39	9 293.43	8	15 15	23 23	31 30	38 38	46 45	54 53	61	69 68
0.49	5 288.88 0 285.13	6 288.13 1 284.39	7 287.38 2 283.65	8 286.63 3 282.90	9 285.88 4 282.17	8	15 15	23	30	38 37	45 44	53 52	59	68
0.50	5 281.43 0 277.77	6 280.69 1 277.04	7279.96 2276.31	8 279.23 3 275.59	9 278.50 4 274.87	7	15 14	22 22	29 29	37 36	44 43	51 51	58	66 65
0.51	5 274.15 0 270.57	6273.43 1269.86	7 272.71 2 269.15	8 271.99 3 268.44	9 271.28 4 267.73	7	14 14	21 21	29 28	36 35	43	50 50	57	64 64
0.52	5 267.03 0 263.53	6 266.33 1 262.84	7 265.63 2 262.15	8 264.93 3 261.45	9 264.23 4 260.77	7	14 14	21 21	28 28	35 35	42 41	49 48	55	
0.53	5 260.08 0 256.66	6 259.39 1 255.98	7 258.71 2 255.30	8 258.02 3 254.63	9 257.34 4 253.95	7	14	$\begin{vmatrix} 21 \\ 20 \end{vmatrix}$	27	34	41	47	54	61
0.54	5 253.28 0 249.94	6 252.61 1 249.28	7 251.94 2 248.62	8 251.27 3 247.96	9 250.61 4 247.30	7	13 13	20 20	27 26	33 33	40 40	47 46		60 59
0.55	5 246.64 0 243.38	6 245.98 1 242.73	7 245.33 2 242.08	8 244.68 3 241.44	9 244.03 4 240.79	6	13 13	20 19	26 26	33 32	39 39	46 45	52 52	
0.56	5 240.15 0 236.96	6 239.51 1 236.33	7 238.87 2 235.70	8 238.23 3 235.07	9 237.60 4 234.44	6	13 13	19 19	26 25	32 32	38 38		51 50	
0.57	5 233.81 0 230.69	6 233.18 1 230.07	7 232.56 2 229.46	8 231.93 3 228.84	9 231.31 4 228.22	6	12 12	19 18	25 25	31 31	37 37	44	50	56
0.58	5 227.61 0 224.57	6 227.00 1 223.96	7 226.39 2 223.36	8 225.78 3 222.75	9 225.17 4 222.15	6	12 12	18 18	24 24	$\begin{vmatrix} 30 \\ 30 \end{vmatrix}$	36 36	43 42	49 48	55
0.59	5 221.55 0 218.58	6 220.96 1 217.99	7 220.36 2 217.40	8 219.76 3 216.81	9 219.17 4 216.22	6	12 12	18 18	24 24	30 29	36 35	42 41	48	
0.60	5 215.64 0 212.73	6 215.05 1 212.15	7 214.47 2 211.57	8 213.89 3 211.00	9 213.31 4 210.42	6	12 12	17 17	23 23	29	35 35	41	47	52
0.61	5 209.85 0 207.01	6 209.28 1 206.44	7 208.71 2 205.88		9 207.58 4 204.76	6	11	17 17	23	28	34	40	45 45	51
0.62	5 204.20 0 201.42	6 203.64 1 200.87		8 202.53 3 199.77	9 201.97 4 199.22	6	11	17	22	28	34 33	39	44	50
	5 198.68 0 195.96		7 197.59	8 197.04	9 196.50	5 5	11	16 16	22 22	27 27	33 33	38	44	49
0.63	5 193.28	6 192.75	2 194.88 7 192.21		4 193.81 9 191.15	5 5	11	16 16	21 21	27	32 32	37	43 42	48
0.64	0 190.63 5 188.00	1 190.10 6 187.48	2 189.57 7 186.96	3 189.05 8 186.44	4 188.53 9 185.93	5 5	11 10	16 16	21 21		32 31	36	42 41	47
0.65	0 185.41 5 182.85	1 184.90 6 182.34	2 184.38 7 181.83	3 183.87 8 181.32	4 183.36 9 180.82	5 5	10 10	15 15	20 20	26 25	31 30		41 41	
	0,5	1,6	2,7	3,8	4,9	1	2	3	4	5	6	7	8	9

CONVERSION TABLE FROM ANNUITY OR $\lambda(1+a)$ TO ANNUAL PREMIUM ON 1,000. INTEREST 4 PER CENT. PROPORTIONAL PARTS, SUBT.

$\lambda(1+a)$.	0,5	1,6	2,7	3,8	4,9	1	2 3	4	5	6	7	8	9
0.66	0,180.31	1 179.81	2 [179.31	· · · · · · · · · · · · · · · · · · ·	4178.31	5	$\frac{2}{1015}$	20		30	35		45
0.67	5 177.81 0 175.33	6 177.31 1 174.84	7 176.82 2 174.35	8 176.32 3 173.86	9 175.83 4 173.37	5 5	10 15 10 15	20 20	25	30 29	35 34	40 39	45 44
	5 172.89	6 172.40	7 171.92	8 171.43	9 170.95	5	10 15	19	24	29	34	39	44
0.68	0 170.47 5 168.08	1 169.99 6 167.60	2 169.51 7 167.13	3 169.03 8 166.65	4 168.55 9 166.18	5 5	$ \begin{array}{c c} 10 & 14 \\ 9 & 14 \end{array} $			29 28	33 33	38 38	43 43
0.69	0 165.71 5 163.38	1 165.24 6 162.91	2 164.77 7 162.45	3 164.31 8 161.99	4 163.84 9 161.52	5 5	$914 \\ 914$	$\begin{vmatrix} 19 \\ 19 \end{vmatrix}$	1	28 28	33 32	37	42 42
0.70	0 161.06 5 158.78	1 160.61 6 158.33	2 160.15 7 157.87	3 159.69 8 157.42	4 159.24 9 156.97	5	$914 \\ 914$	18 18	23	27 27	32	36 36	41 41
0.71	0 156.52	1 156.07	2 155.63	3 155.18	4 154.74	4	9 13	18	22	27	31	36	40
0.72	5 154.29 0 152.08	6 153.85 1 151.65	7 153.41 2 151.21	8 152.96 3 150.77	9 152.52 4 150.34	4	9 13 9 13	18 17		27 26	31 31	35 ₃	$\begin{vmatrix} 40 \\ 39 \end{vmatrix}$
0.73	5 149.90 0 147.75	6 149.47 1 147.33	7 149.04 2 146.89	8 148.61 3 146.47	9 148.18 4 146.04	4	$\begin{array}{c c} 9 & 13 \\ 9 & 13 \end{array}$	17	22 21	26 26	30	34 34	39 38
-	5 145.62	6 145.19	7144.77	8 144.35	9 143.93	4	8 13	17	21	25	30	34	38
0.74	0 143.51 5 141.43	1 143.09 6 141.01	2142.67 7140.60	3 142.26 8 140.19	4 141.84 9 139.78	4 4	8 12 8 12	17 16	21	25 25	29 29	33 33	37 37
0.75	0 130.37 5 137.33	1 138.96 6 136.93	2 138.55 7 136.52	3 138.14 8 136.12	4 137.74 9 135.72	1 4	8 12 8 12	16 16	20 20	24 24	29 28	33 32	37 36
0.76	0 135.32 5 133.33	1 134.93 6 132.93	2 134.52 7 132.54	3 134.12 8 132.15	4 133.73 9 131.75	1 1	8 12 8 12		20 20	24 24	28 28	32 32	36 35
0.77	0 131.33	1 130.97	2 130.58	3 130.19	4 129.81	1	8 12	10	19	23	27	31	35
0.78	$ \begin{array}{c c} $	6 129.03 1 127.12	7 128.65 2 126.73	8 128.26 3 126.35	9 127.88 4 125.98	4	8 12 8 11	15 15		23 23	27 27	31	35 34
0.79	5 125.60 0 123.72	6 125.22 1 123.35	7 124.84 2 122.97	8 124.47 3 122.60	9 124.09 4 122.23	4	8 11 7 11	15 15		23 22	26 26	30 30	34 33
	5 121.86	6 121.49	7 121.13	8 120.76	9 120.39	4	7 11	15	18	22	26	29	33
0.80	- } -	1 119.66 6 117.85	2 119.30 7 117.49	3 118.94 8 117.14	4 118.57 9 116.78	4	7 11 7 11	$\begin{vmatrix} 15 \\ 14 \end{vmatrix}$		22 21	25 25	29 29	33 32
0.81		1 116.06 6 114.39	2 115.71 7 113.94	3 115.35 8 113.59	4 115.00 9 113.24	4 4	7 11 7 11	14 14		21 21	25 25	28 28	32 32
0.82	0 112.89	1 112.55	2 112.20	3 111.85	4 111.51	3	7 10	14	17	21	24	28	31
0.83	0 109.45	6 110.82 1 109.11	7 110.47 2 108.77	8 110.13 3 108.43	9 109.79 4 108.09	3	7 10	14	17	21 20	2424	27 27	31 30
0.84	5 107.76 0 106.08	6 107.42 1 105.75	7 107.08 2 105.42	8 106.75 3 105.08	9 106.42 4 104.76	3	7 10 7 10	13	17	20		27 26	30
1	5 10 4 .43	6 104.10	7 103.77	8 103.44	9 103.12	3	7 10	13	16	20	23	26	30
0.85	0 102.79 5 101.18	1 102.47 6 100.85	2 102.14 7 100.53	3 101.82 8 100.21	4 101.50 9 99.80	3 3	6 10 6 10	13	16 16	19 19		26 26	
0.86	0 99.58 5 98.00	1 99.26 6 97.68	2 98.94 7 97.37	3 98.63 8 97.06	4 98.31 9 96.75	3 3	$\begin{array}{c c} 6 & 9 \\ 6 & 9 \end{array}$	13 13	16 16	19 19	22 22	25 25	28 28
0.87	0 96.43	1 96.12	2 95.83	3 95.51 8 93.97	4 95.20 9 93.67	3 3	$\begin{bmatrix} 6 & 9 \\ 6 & 9 \end{bmatrix}$	12	15	18			28 28
0.88	0 93.36	6 94.58 1 93.06	7 94.28 2 92.76	3 92.46	4 92.16	3	$\begin{vmatrix} 6 & 9 \end{vmatrix}$	12	15	18	21	24	27
0.89	5 91.86 0 90.36	6 91.56 1 90.07	7 91.26 2 89.77	8 90.96 3 89.48	9 90.66 4 89.18	3	$\begin{bmatrix} 6 & 9 \\ 6 & 9 \end{bmatrix}$	12		18 18	21 21	24	27 26
0.00	5 88.89	6 88.60	7 88.30	8 88.01	9 87.72	3	6 9	1:	15	18	20	23	26
	0,5	1,6	2,7	3,8	4,9	1	2 3	4	5	6	7	8	9

CONVERSION TABLE FROM ANNUITY OR $\lambda(1+a)$ TO ANNUAL PREMIUM ON 1,000. INTEREST **4** PER CENT.

$\lambda(1+a)$	0	1	2	3	4	5	6	7	8	9	1	23	3 4	5	6	7	8	9
0.91 0.92 0.93	87.43 84.57 81.77 79.03 76.35	84.28 81.49 78.76	84.00 81.21 78.49	83.72 80.94 78.22	83.44 80.66 77.95	80.39 77.68	82.88 80.12 77.42	82.60 79.84 77.15	82.32	82.04 79.30 76.62	3 3 3	6 5 5	9 11 8 11 8 11 8 11 8 10	14 13	$\begin{array}{c} 17 \\ 16 \\ 16 \end{array}$	20 20 19 19 18	22 22 21	25 25 24
0.95 0.96 0.97 0.98	1	73.48 70.93 58.44 56.01	73.22 70.68 68.20 65.77	72.97 70.43 67.95 65.53	72.71 70.18 67.71 65.29	72.46 69.93 67.46 65.05	72.20 69.68 67.22 64.81	71.95 69.43 66.98 64.58	71.69 69.19 66.73 64.34	71.44 68.84	3 2 2 2	5 5 5	8 10 7 10 7 10 7 10 7 10	13 12 12	15 15 15 14	18 17 17 17 16	20 20 20 19	23 22 22 21
1.00 1.01 1.02 1.03	61.54 59.26 57.04 54.86 52.74	61.31 59.04 56.82 54.65	61.08 58.81 56.60 54.44	60.85 58.59 56.38 54.22	60.62 58.37 56.16 54.01	60.39 58.14 55.95	60.17 57.92 55.73 53.58	59.94 57.70 55.51 53.37	59.71 57.48 55.30 53.16	59.49 57.25 55.08 52.95	2 2	5 4 4 4	7 9 7 9 7 9 6 8	11 11 11 11 11	14 13 13 13	16 16 15 15	18 18 17 17	21 20 20 19
1.05 1.06 1.07 1.08	50.66 48.64 46.65 44.72	50.46 48.44 46.46 44.52	50.25 48.24 46.26 44.33	50.05 48.04 46.07 44.14	49.85 47.84 45.87 43.95		49.44 47.44 45.49 43.57	49.24 47.24 45.29 43.39	49.04 47.05 45.10 43.20	48.84 46.85 44.91 43.01	2 2	4	6 8 6 8 6 8	10 10 10 10 10 9	12 12 12 11	14 14 14 14 13 13	16 16 15 15	18 18 17 17
1.10 1.11 1.12 1.13		40.79 38.99 37.22 35.50	$\begin{array}{c} 40.61 \\ 38.81 \\ 37.05 \\ 35.33 \end{array}$	40.43 38.63 36.87 35.16	40.24 38.45 36.70 34.99	40.06 38.28 36.53 34.82	39.88 38.10 36.36 34.65	39.70 37.92 36.18 34.48	39.52 37.75 36.01 34.32	39.34	2 2	4 3	5 7 5 7 5 7 5 7	9	11 11 10 10	13 12 12 12 12 12	14 14 14 14	16 16 16 15
1.15 1.16 1.17 1.18	32.33 30.72	32.17 30.56 28.99 27.46	32.01 30.40 28.84 27.30	31.85 30.25 28.68 27.15	31.68 30.09 28.53 27.00	31.52 29.93 28.37 26.85	31.36 29.77 28.22 26.70	31.20 29.62 28.07 26.55	31.04 29.46 27.91 26.40	30.88 29.30 27.76 26.25 24.78	2 2 2 2 1	3 3 3	5 6 5 6	8 8	10 9 9 9	11 11 11 11 11	13 13 12 12	14 14 14 14
1.20 1.21 1.22 1.23	24.63 23.20 21.79 20.42 19.08	24.49 23.06 21.66 20.29	$24.34 \\ 22.91 \\ 21.52 \\ 20.15$	24.20 22.77 21.38 20.02	24.06 22.63 21.24 19.88	23.91 22.49 21.10 19.75	23.77 22.35 20.97 19.61	23.63 22.21 20.83 19.48	23.48 22.07 20.69 19.35	23.34 21.93	1 1 1 1 1	3 3 3 3	4 6 4 6 4 5 4 5 4 5	7 7 7 7 7	9 8	10 10 10 9	11 11	13 13 12 12
1.25 1.26 1.27 1.28	17.77 16.49 15.24 14.02	17.64 16.37 15.12 13.90	17.51 16.24 14.99 13.78	17.39 16.11 14.87 13.66	17.26 15.99	17.13 15.86 14.63	17.00 15.74 14.50 13.30	16.87 15.61 14.38 13.18	$\begin{vmatrix} 16.75 \\ 15.49 \\ 14.26 \\ 13.06 \end{vmatrix}$	16.62 15.37 14.14 12.94	1 1 1 1 1	3 3 2 2	4 5 4 5 4 5 3 5	6 6 6 6	88777	9 9 9	10 10 10 10	12 11 11
1.30		$11.54 \\ 10.40$	$11.43 \\ 10.29 \\ 9.18$	11.31 10.18 9.07 7.99	11.20	11.08 9.96	10.97 9.84 8.74	10.86 9.73 8.64 7.56	10.74 9.62 8.53	10.63 9.51 8.42	1 1 1 1 1 1		3 5 3 4 3 4 3 4	6 6 5 5	7 7 6 6	8	9 9	10 10 10 10
1.35 1.36 1.37 1.38 1.39	6.21 5.19 4.20 3.23 2.28	6.10 5.09 4.10 3.13 2.18	6.00 4.99 4.00 3.03 2.09	5.90 4.89 3.90 2.94 2.00	$ \begin{array}{c c} 5.80 \\ 4.79 \\ 3.81 \\ 2.84 \end{array} $	5.70 4.69 3.71 2.75 1.81	5.59 4.59 3.61 2.65 1.72	5.49 4.49 3.51	5.39	5.29 4.29 3.32	1 1 1 1 1	2 2 2 2	3 4 3 4 3 4 3 4	5 5 5 5	6 6 6 6	7 7 7	8	9 9 9 9
	0	1	2	3	4	5	6	7	8	9		2			6	7	8	9

CONVERSION TABLE FROM ANNUITY OR $\lambda(1+a)$ TO SINGLE PREMIUM ON 1,000. INTEREST 4 PER CENT.

Applicable to ordinary Life and Endowment Insurance, to Joint Lives and Survivorships, and all cases under the annexed Formula:

For \$1,000 Insured, $A = 1,000 \{1 - (1-v)(1+a)\}$.

Example. Interest 3 per cent. $\lambda(1+a) = 0.368943$. Subtracting 0.120743, leaves 0.248200. With this, the Table gives the required Single Premium 931.89.

$\lambda(1+a)$.	0	1	2	3	4	5	6	7	8	9	* Ref.
0.00		961.45				961.09				960.73	1.39
$\begin{array}{c} 0.01 \\ 0.02 \end{array}$		960.55 959.63	960.46 959.54	960.37 959.45		960.19 959.26					1.39 1.38
0.03		958.69	958.60	958.50	958.41	958.31	958.21	958.12	958.02	957.92	1.37
0.04	957.83	957.73	957.63		957.44						1.36
$0.05 \\ 0.06$	956.85	956.75 955.74	956.65		956.45 955.43		956.25			955.94	1.35 1.34
0.07	954.81	954.71	954.60	•	954.39						1.33
0.08		953.65			953.33						1.32
0.09	952.68		952.46		952.24						1.31
0.10 0.11	951.58 950.45	951.47 950.34			951.13 949.99						1.30 1.29
0.12	949.30	949.18	949.06	948.95	948.83	948.71	948.59	948.47	948.36	948.24	1.28
0.13 0.14	948.12		947.88		947.64 946.42						1.27 1.26
0.14	946.91 945.67	945.55			945.17		944.92				1.25
0.16	944.41		944.15		943.89						1.24
0.17					942.58						1.23
0.18 0.19					$941.25 \\ 939.88$						1.22 1.21
0.20	939.04	938.90			938.48					937.77	1.20
0.21			937.33	937.19	937.05	936.90	936.75	936.61	936.46		1.19
$\begin{array}{c} 0.22 \\ 0.23 \end{array}$		936.02 934.53			935.58	935.43 933.93				934.83	1.18 1.17
0.24	933.16					932.39				931.76	1.16
0.25	931.60			931.13			930.65				1.15
0.26					929.36 927.72	929.20 927.55					1.14
$0.27 \\ 0.28$	928.58				926.03						1.13
0.29	925.01	924.83		924.49	924.31	924.14	923.96	923.79	923.61	923.44	1.11
0.30	923.26			922.73		922.37			921.83		1.10
$0.31 \\ 0.32$	921.47	921.29	921.11	920.93	920.74 918.90	920.56 918 71	920.38 918.52	920.20	920.01 918 15	919.83	1.09
0.33		917.58				916.82					1.07
0 34	915.86	915.66	915.47	915.27		914.88				914.09	1.06
0.35		913.70			913.10		912.70			912.09	1.05
0.36		911.69 909.63			$911.07 \\ 909.00$	910.87	908.58	908.37	908.16	907.95	1.04
0.38	907.74	907.52	907.31	907.10	906.88	906.67	906.45	906.24	906.02	905.81	1.02
0.39	905.59	905.37		904.93	904.71		904.27				1.01
0.40 0.41	903.39			902.72 900.45			$902.04 \\ 899.76$				1.00
0.41	898.84	898.60	898.37	898.13	897.90						0.99
	0	1	2	3	4	5	6	7	8	9	

^{*} Ref. This refers to Proportional Parts, common to both, on the preceding Page.

Conversion table from annuity or $\lambda(1+a)$ to single premium on 1,000. Interest **4** per cent.

$\lambda(1+a).$	0,5	1,6	2,7	3,8	4,9	1	2	3	4	5	6	7	8	9
0.43	0 896.48 5 895.28	1 896.24 6 895.04	2896.00 7894.80	3895.76 8894.55	4 895.52 9 894.31	2 2	5 5		10 10	12 12	14 15	17 17	19 19	
0.44	0 894.07	1893.82	2893.58	3 893.33	4 893.09 9 891.85	2 2	5 5	7	10 10	12 12	15 15	17	20 20	22
0.45	5 892.84 0 891.60	6 892.59 1 891.35	7 892.35 2 891.10	8 892.10 3 890.85	4 890.60	3	5 5	8	10	13 13	15 15	18		23
0.46	5 890.35 0 889.08	6 890.09 1 888.82	7 889.84 2 888.56	8 889.59 3 888.31	9 889.33 4 888.05	3 3	5	8	10	13	15	18	21	23
0.47	5 887.79 0 886.49	6 887.53 1 886.23	7 887.27 2 885.97	8 887.01 3 885.71	9886.75	$\begin{bmatrix} 3 \\ 3 \\ 0 \end{bmatrix}$	5 5	8	10	13 13	16 16	18 18	21	23
0.48	5 885.18 0 883.85	6 884.91 1 883.58	7 884.65 2 883.31	8 884.38 3 883.04	9884.12	3 3	5 5	8	11	13	16 16	19	22	
0.49	5 882.50 0 881.14	6 882.23 1 880.87	7 881.96 2 880.59	8 881.69 3 880.32	9881.42	3	5	8	11	14 14	16 16	19	22	25
0.50	5 879.77 0 878.37	6 879.49 1 878.09	7 879.21 2 877.81	8 878.93 3 877.53	9878.65	3 3	6 6	8	11 11	14	17 17	20	22	25
0.51	5 876.97 0 875.54	6 876.68 1 875.25	7 876.40 2 874.97	8 876.11 3 874.68	9 875.83 4 874.39	3 3	6	9	11 12	14 14	17 17	20	23	26
0.52	5 874.10 0 872.64	6 873.81 1 872.35	7 873.52 2 872.05	8 873.23 3 871.76	9 872.93 4 871.46	3 3	6	9	12 12	15 15	18 18	20 21	23 24	26
0.53	5 871.17 0 869.68	6 870.87 1 869.37	7 870.57 2 869.07	8 870.27 3 868.77	9 869.98 4 868.47	3	6	9	12 12	15 15	18 18	21 21	24 24	27
0.54	5 868.17 0 366.64	6 867.86 1 863.33	7 867.56 2 866.02	8 867.25 3 865.72	9 866.95 4 865.41	3	6	9	12 12	15 15	18 18	21 22	24 25	28
0.55	5 865.10 0 863.53	6 864.78 1 863.22	7 864.47 2 862.90	3 864.16 3 862.59	\$ 863.85 4 862.27	3	6		13 13	$\begin{array}{ c c }\hline 16 \\ 16 \\ \hline \end{array}$	$\begin{bmatrix} 19 \\ 19 \end{bmatrix}$	22 22	25 25	
0.56	5 861.95 0 860.35	6 861.63 1 860.03	7 861.32 2 859.71	8 861.00 3 859.39	9 860.68 4 859.06	3 3	6	10 10		16 16	$\begin{vmatrix} 19 \\ 19 \end{vmatrix}$	22 23	26 26	
0.57	5 858.74 0 857.10	6 858.41 1 856.77	7 858.09 2 856.44	8 857.76 3 856.11	9 857.43 4 855.78	3	7	10 10		16 17	20 20	23 23	26 26	
0.58	5 855.45 0 853.77	6 855.11 1 853.44	7 854.78 2 853.10	8 854.45 3 852.76	9 854.11 4 852.42	3	7	10 10		17 17	20 20	24 24	27	
0.59	5 852.08 0 850.37	6 851.74 1 850.02	7 851.40 2 849.68	8851.05 3849.33	9 850.71 4 848.98	3	2	10 10	14 14	17 17	21 21	24 24	27 28	
0.60	5 848.63 0 846.88	6 848.29 1 846.53	7 847.94 2 846.18	8 847.59 3 845.82	9 847.23 4 845.47	4 4	7	11 11	1 4 14	18 18	21 21	25 25	28 28	32
0.61	5 845.11 0 843.32	6 844. 75 1 842. 95	7 844.39 2 842.59	8 844.04 3 842.23	9 843.68 4 841.87	4	7	11	14 15	18 18	21 22	25 25		32
0.62	5 841.50 0 839.67		7 840.77 2 838.93	8 840.40	9 840.03 4 838.18	4	7	11 11	15	18 19	22	26 26	29	33
	5 837.81 0 835.93	6837.44 1835.55	7 837.06 2 835.17	8 836.68 3 834.79	9 836.31 4 834.41	4 4	8	11 11	15	19 19	23	26 27	30 30	34
0.63	5 834.03	6 833.65	7 833.27	8 832.88 3 830.95	9 832.50 4 830.56	4	8	$\begin{array}{c} 11\\12\\12\end{array}$	15	19 19	23	27	31 31	35
0.64	0 832.11 5 830.17	1 831.72 6 839.77	2 831.33 7 829.38	8 828.99	9 828.59	4 4	8	12	16	20	24	28		35
0.65	0 828.20 5 826.21	1 827.80 6 825.81	2 827.41 7 825.41	3 827.01 8 825.00	9 824.60	4	8	12 12	16	20 20	24	28 28	32	36
0.66	0 824.20 5 822.16	1 823.79 6 821.75	2 823.39 7 821.34	3 822.98 8 820.93	4 822.57 9 820.52	4	8	12 12		20 21	24 25	29 29	33 33	
	0,5	1,6	2,7	3,8	4,9	1	2	3	4	5	6	7	8	9

Conversion table from annuity or $\lambda(1+a)$ to single premium on 1,000. Interest **4** per cent.

							ROP	J1(L 1	0111			, , ,	, ,	
$\lambda(1+a)$.	0,5	1,6	2,7	3,8	4,9	1	2	3	4	5	6	7	8	9
0.67	0 820.10 5 818.02	1 819.69 6 817.60	2819.27 7817.18	3 818.85 8 816.76	4 818.44 9 816.33	$\frac{4}{4}$	8	12 13	17 17	21 21	25 25		33 34	
0.68	0 815.91 5 813.78	1 815.49 6 813.35	2 815.06 7 812.92	3 814.64 8 812.49	4 814.21 9 812.06	4 4	9 9	13 13	17 17	21 22	$\begin{bmatrix} 26 \\ 26 \end{bmatrix}$		$\frac{34}{35}$	38
0.69	0 811.62 5 809.44	1 811.19 6 809.00	2 810.75 7 808.56	3 810.32 8 808.12	4809.88 9807.68	4 4	9 9	13 13	17 18	22 22	26 26	31	35 35	39
0.70	0 807.24 5 805.00	1 806.79 6 804.55	2 806.35 7 804.10	3 805.90 8 803.65	4 805.45 9 803.20	4 5	9 9	13	18	22 23	27 27	31	36 36	40
0.71	0 802.75	1 802.29 6 800.00	2 801.84 7 799.54	3 801.38 8 799.08	4800.92 9798.62	5 5	9	14	18	23	27	32	37 37	41
0.72	5 ,800.46 0 ,798.15	1 797.69	2 797.22	3 796.75	4 796.28	5	9	14 14	18 19	23 23	28 28	33	37	42
0.73	5 795.81 0 793.45	6 795.34 1 792.97	7 794.87 2 792.50	8 794.40 3 792.02	9 793.92 4 791.54	5 5	9	14 14	19 19	24	28 29	33	38	43
0.74	5 791.06 0 788.64	6 790.58 1 788.15	7 790.09 2 787.66	8 789.61 3 787.17	9 789.12 4 786.68	5 5	10 10	15 15	19 20	24 25	29 29	34	39 39	44
0.75	5 786.19 0 783.71	6 785.70 1 783.22	7 785.20 2 782.72	8 784.71 3 782.22	9 784.21 4 781.71	5 5	10 10	15 15	$\begin{vmatrix} 20\\20 \end{vmatrix}$	25 25		35 35	40	45
0.76	5 781.21 0 778.68	6 780.71 1 778.17	7 780.20 2 777.66	3 777.14	9 779.19 4 776.63	5 5	$\begin{vmatrix} 10 \\ 10 \end{vmatrix}$	15 15	20 21	25 26	$\begin{vmatrix} 30 \\ 31 \end{vmatrix}$	35 36	40 41	46
0.77	5 776.11 0 773.52	6 775.60 1 773.00	7 775.08 2 772.48	8 774.56 3 771.95	9 774.04 4 771.43	5	$\begin{vmatrix} 10 \\ 10 \end{vmatrix}$	16 16	21 21	$\begin{vmatrix} 26 \\ 26 \end{vmatrix}$	31 31	$\begin{vmatrix} 36 \\ 37 \end{vmatrix}$	41 42	
0.78	5 770.90 0 768.25	6 770.37 1 767.71	7 769.84 2 767.18	8 769.31 3 766.64	9 768.78 4 766.10	5 5	11 11	16 16	21 22	27 27	32 32		42 43	
	5 765.56 0 762.85	6 765.02 1 762.30	7 764.48 2 761.75	8 763.94 3 761.20	9 763.39 4 760.65	5	11 11	$\begin{vmatrix} 16 \\ 17 \end{vmatrix}$	22 22	27 28	33 33		43 44	49
0.79	5 760.10	6 759.55	7 758.99	8 758.44	9 757.88 4 755.08	$\begin{bmatrix} 6 \\ 6 \end{bmatrix}$	11 11	17 17	22 22	$\begin{vmatrix} 28 \\ 28 \end{vmatrix}$	33	39 39	44 45	50
0.80	0 757.32 5 754.51	1 756.76 6 753.95	2 756.20 7 753.38	3 755.64 8 752.81	9 752.24	6	11	17	23	28	34	40 40	45	
0.81	0 751.67 5 748.80	1 751.10 6 748.22	2 750.53 7 747.64	3 749.95 8 747.05	4 749.37 9 746.47	6	11 12	17 17	23 23	29 29	34 35	41	47	52
0.82	0 745.89 5 742.94	1 745.30 6 742.35	2 744.71 7 741.76	3 744.13 8 741.16	4 743.54 9 740.57	6	12 12	18 18	24 24		35 36	41 42	48	53 53
0.83	0 739.97 5 736.96	1 739.37 6 736.35	2 738.77 7 735.74	3 738.17 8 735.13	4 737.56 9 734.52	6	12 12	18 18	24 24	$\begin{vmatrix} 30\\31 \end{vmatrix}$	36 37	42 43	49	
0.84	0 733.91 5 730.83	1 733.30 6 730.21	2 732.68 7 729.59	3 732.07 8 728.96	4 731.45 9 728.34	6	12 12	18 19	25 25	31 31	37 37	43 44	50	
0.85	0 727.71 5 724.56	1 727.09 6 723.93	2 726.46 7 723.29	3 725.83 8 722.65	4 725.19 9 722.01	$\begin{bmatrix} 6 \\ 6 \end{bmatrix}$	13 13	19 19	25 26	$\begin{array}{c} 32 \\ 32 \end{array}$	38 38	44 45	50 51	
0.86	0 721.37 5 718.14	1 720.73 6 717.49	2 720.08 7 716.84	3 719.44 8 716.19	4 718.79 9 715.54	6 7	13 13	19 20	26 26	32 33	39 39	$\begin{array}{c} 45 \\ 46 \end{array}$	52 52	
0.87	0 714.88 5 711.58	1 714.22 6 710.91	2 713.56 7 710.25	3 712.90 8 709.58	4 712.24 9 708.91	7 7	13 13	20 20	$\begin{vmatrix} 26 \\ 27 \end{vmatrix}$	33 33	40 40		53 53	
0.88	0 708.24 5 704.86	1 707.57 6 704.18	2 706.89 7 703.50	3 706.22 8 702.82	4 705.54 9 702.13	7	14	20 21	27 27	34	41 41		54 55	
0.89	0 701.44	1 700.76	2 700.07	3 699.37	4 698.68 9 695.19	7	14 14	21 21	28 28	35	41 42	48	55 56	62
0.90	5 697.99 0 694.49	6 697.29 1 693.78	7 696.59 2 693.08	8 695.89 3 692.37	4 691.66	7	14	21 21	28 29	35	42 43	50	57 57	64
	5 690.95	6 690.24	7 689.52	3,8	9 688.09 4,9	7	2	3	4	5	6	7	_	9
	0,5	1,6	2,7	0,0	1,0	1	~	0	*	, 0	10			

Conversion table from annuity or $\lambda(1+a)$ to single premium on 1,000 INTEREST 4 PER CENT.

PROPORTIONAL PARTS, SUBT.

$\lambda(1+a)$.	0,5	1,6	2,7	3,8	4,9	1	2	3	4	5	6	7	8	9
0.91	0 687,37 5 683,75	1 686.65 6 683.02	2 685.93 7 682.29	3 685.21 8 681.56	4 684.48 9 680.83	7		22 22		36 37	43 44		58 59	65
0.92	0 680.09 5 676.39	1 679.35 6 675.64	2 678.61 7 674.89	3 677.87 8 674.14	4 677.13 9 673.39	7 8	15	22 23	30	37 38	44 45		59 60	67 68
0.93	0 672.64	1 671.88	2 671.13	3 670.37 8 666.55	4 669.61 9 665.78	8 8	15	23 23	30	38 38	45 46	53	61 61	68 69
0.94	5 668.85 0 665.01	6 668.09 1 664.24	7 667.32 2 663.47	3 662.69	4 661.91	8	16	23	31	39 39	47	54	62 63	70 71
0.95	5 661.13 0 657.21	6 660.35 1 656.42	7 659.57 2 655.63	8 658.79 3 654.83	9 658.00 4 654.04	8 8	16	24	32	40	48	56	64	71
0.96	5 653.24 0 649.23	6 652.44 1 648.42	7 651.64 2 647.61	8 650.84 3 646.80	9 650.03 4 645.98	8	16	24 24	33	40	49		64 65	72 73
0.97	5 645.16 0 641.06	6 644.35 1 640.23	7 643.53 2 639.40	8 642.71 3 638.57	9 641.88 4 637.73	8		25 25		41 42	49 50		66 67	74 75
0.98	5 636.90 0 632.70	6 636.06 1 631.85	7 635.22 2 631.00	8 634.38 3 630.15	9 633.54 4 629.30	- 8 9		25 26		$\begin{vmatrix} 42 \\ 43 \end{vmatrix}$	1	59 60	67 68	76
	5 628.44 0 634.14	6 627.59	7 626.73 2 622.40	8 625.87 3 621.53	9 625.00 4 620.66	9	17	26 26	34	43		60	69 70	77
0.99	5 619.79	1 623.27 6 618.91	7,618.03	8 617.15	9 616.27	9	18	26	35	44	53	62	71	79
1.00	0 615.38 5 610.93	1 614.50 6 610.03	2 613.61 7 609.14	3 612.72 8 608.23	4 611.83 9 607.33	9	18	27 27	36	45 45	54	62 63	71 72	80 81
1.01	0 606.43 5 601.87	1 605.52 6 600.95	2 604.61 7 600.03	3 603.70 8 599.11	4 602.78 9 598.18	9		27 28		46	55 55	64 65	73 74	82 83
1.02	0 597.26 5 592.59	1 596.33 6 591.66	2 595.40 7 590.71	3 594.47 8 589.77	4 593.53 9 588.82	9		28 28		47	56 57		75 75	84 85
1.03	0 587.88 5 583.10	1 586.93 6 582.14	2585.97 7581.18	3 585.02 8 580.22	4 584.06 9 579.25	10 10		29 29		48 48		67 67	76 77	86 87
1.04	0 578.28	1577.31	2576.33	3 575.35 8 570.44	4574.38 9569.45	10 10	20	29 30	39	49	59	68 69	78 79	88 89
1.05	5 573.39 0 568.45	6 572.41 1 567.46	7 5 7 1 . 4 3 2 5 6 6 . 4 6	3 565.46	4 564.46	10	20	30	40	50	60	70	80	90 91
1.06	5 563.46 0 558.40	6 562.45 1 557.38	7 561.44 2 556.36	8 560.43 3 555.34	9 559.42 4 554.32	10 10	20	30 31	41	51 51		72	81 82	92
1.07	5 553.29 0 548.12	6 552.26 1 547.07	7 551.23 2 546.03	8 550.19 3 544.98	9 549.16 4 543.94	10 10		31 31		52	1	72 73	83 84	$\begin{vmatrix} 93 \\ 94 \end{vmatrix}$
	5 542.88 0 537.59	6 541.83 1 536.52	7 540.77 2 535.46	8 539.72 3 534.39	9 538.65 4 533.31	11 11		32 32		53 54	63	74 75	85 86	95 96
1.08	5 532.24	6 531.16	7 530.08	8 528.99	9 527.91	11	22	33	43	54	65	76	87	98
1.09	0 526.82 5 521.34	1			4 522.44 9 516.91	11 11	22	33 33	44	55 55		78		100
1.10	0 515.80 5 510.19	1 514.68 6 509.06	2 513.56 7 507.93	3 512.44 8 506.80	4 511.32 9 505.66	11 11	23	$\frac{34}{34}$	45	56 57	68	79 79		101 102
1.11	0 504.52 5 498.78	1 503.38 6 497.63	2 502.23 7 496.47	3 501.08 8 495.31	4 499.93 9 494.14	11 12		$\begin{array}{c} 34 \\ 35 \end{array}$		57 58		80 81		103 104
1.12	0 492.98 5 487.11	1 491.81 6 485.92	2 490.64 7 484.74	3 489.46 8 483.55	4 488.29 9 482.36	12 12		35 36		59 59		82 83		106 107
1.13	0 481.17	1 479.97	2 478.77	3 477.57	4 476.37	12 12	24	36 36	48	60 61	72	84 85	96	108 109
1.14	5 475.16 0 469.08	6 473.95 1 467.86	7 472.74 2 466.63	8 471.52 3 465.40	9 470.30	12	25	37	49	61	74	86	98	111
	5 462.94	1 6	$\begin{array}{ c c c }\hline \bf{7} & \bf{460.46} \\ \hline \bf{2,7} & \\ \hline \end{array}$	$\frac{8 459.21}{3,8}$	9 457.97	$\frac{12}{1}$	25 2	37 3	$\frac{50}{4}$	62 5	$\frac{75}{6}$	87 -7	100 8	9
	0,5	1,6	2,1	0,0	1,0	1	~	0				-		

TABLE XLIX.

Conversion table from annuity or $\lambda(1+a)$ to single premium on 1,000. Interest 4 per cent.

							PF	ROP	ORT	IONAI	PAI	RTS,	SUBT	
$\lambda(1+a).$	0,5	1,6	2,7	3,8	4,9	1	2	3	4	5	6	7	8	9
1.15	0 456.72 5 450.43	1 455.46 6 449.16	2 454.21 7 447.89	3 452.95 8 446.62	4 451.69 9 445.34		25 25			63 64	75 76		$\begin{array}{c} 101 \\ 102 \end{array}$	
1.16	0 444.06	1 442.78	2 441.50 7 435.03	3 440.21	4 438.92	13	26 26	39	52	64 65	77		103 104	1
1.17	0 431.11	1 429.80 6 423.20	2 428.49		4 425.85	13	26 27	40	53	66 67	79 80	92	105 107	119
1.18	0 417.86	1416.52	2 415.17	3 413.83	4412.47	13	27 27	40	54	67 68	81 82	94	108 109	121
1.19	0.404.30	1 402.93		3 400.17	4398.79	14	28	41	55	69 70	83	97	110 112	124
1.20	0 390.43	1 389.02	7 394.62 2 387.61	3 386.20	4 384.79	14	28	42	56	71	85	99	113	127
1.21	0 376.23	1374.79	7 380.52 2 373.35	3371.90	4 370.45	14	29	43	58	71	87	101	114	130
1.22	0 361.70	6 367.55 1 360.23	2 358.75	8 3 6 4 . 6 3 3 3 5 7 . 2 7	4355.79	15	29 3 0	44	59	73 74	89	103	117 118	133
1.23		6 352.82 1 345.32	7 351.33 2 343.81	8 349.83 3 342.30			$\begin{vmatrix} 30 \\ 30 \end{vmatrix}$			75 76	91	106	120 121	136
1.24	5 339.27		7 336.22				31 31			77	93	108	123 124	139
1.25	5 323.87	6 322.32 1 314.47	7 320.75				31 32			78 79			125 127	
	5 308.13		7 304.93	8 303.33	9 301.72	16	32 32	48	64	80 81	96	112	128 130	144
1.26	1 1	6 290.38	7 288.74	8 287.10	9 285.46	16	33	49	66	82 83	98	115	131 133	148
1.27			7 272.17	8 270.50	9 268.82	17	34	50	67	84	101	117	134 136	151
1.28	5 258.64	1 265.44 6 256.93	7 255.22	3 262.05 8 253.50	9 251.78	17	34 34	51	69	86	103	120	137	154
1.29	0 250.06 5 241.38	1 248.33 6 239.63	2 246.60 7 237.87	8 236.12	9 234.36	18	35 35	53	70	88	105	123	141	$\begin{array}{c} 156 \\ 158 \end{array}$
1.30	0 232.59 5 223.71		2 229.05 7 220.12	3 227.27 8 218.32	4 225.49 9 216.52	18	36 36	54	72	90	108	126	142 144	162
1.31	0 214.72 5 205.62	1 212.91 6 203.79	2 211.09 7 201.96	3 209.27 8 200.13	4 207.45 9 198.27		$\begin{array}{c} 36 \\ 37 \end{array}$						$\begin{array}{c} 146 \\ 147 \end{array}$	
1.32	0 196,42	1 194.57	2 192.71 7 183.37	3 190.85	4 188.99		37 38						$\frac{149}{151}$	
1.33	0 177.71	1 175.81	2 173.91 7 164.35	3 172.01	4 170.10		38 39						$\begin{array}{c} 152 \\ 154 \end{array}$	
1.34	0158.55	1 156.61	2 154.67 7 144.88	3.152.72	4 150.77		39 39		78 79				156 158	
1.35	0 138.95	1 136.97	2 134.98	3 132.98	4 130.99	20	40	60	80		120	140	160	179
1.36	0 118.90	1 116.87	7 124.96 2 114.83	3 112.79	4 110.74	20	41	61	82 83	102	123	143	163	184
1.37	0 98.37	1 96.29	7 104.58 2 94.21	3 92.12	4 90.03	21	42	63		104	125	146		188
1.38	5 87.93 0 77.37	1 75.24	2 73.11	8 81.61 3 70.98	4 68.83	21	43	64	85	107	128	150	171	192
			7 62.38		$\frac{9 58.05}{4,9}$				4	108 5	6	7	8	9
	0,5	1,6	2,7	3,8	π,υ	1	~					-		

SINGLE PREMIUM OR RESERVE BY MONTHS, ON PAID-UP INSURANCE OF 1,000 FOR THE WHOLE LIFE.

			1	1				
AGE.	0m.	<u>1</u> m.	1 1 2m.	2½m.	3½m.	$4\frac{1}{2}$ m.	$5\frac{1}{2}$ m.	AGE.
x+n.		* Dec.	Nov.	Oct.	Sept.	Aug.	July.	x+n.
10	202.630	202.753	203.000	203.246	203.493	203.739	203.986	10
11	205.587	205.716	205.972	206.228	206.485	206.741	206.997	11
12	208.665	208.799	209.067	209.334	209.602	209.869	210.137	12
13	211.878	212.017	212.296	212.575	212.854	213.133	213.412	13
14	215.224	215.369	215.658	215.948	216.238	216.528	216.817	14
15	218.699	218.850	219.152	219.454	219.755	220.057	220.359	15
16	222.321	222.478	222.793	223.107	223.422	223.736	224.051	16
17	226.095	226.258	226.586	226.913	227.239	227.566	227.894	17
18	230.019	230.189	230.529	230.869	231.210	231.550	231.890	18
19	234.101	234.278	234.632	234.986	235.340	235.694	236.048	19
20	238.349	238.533	238.901	239.269	239.636	240.004	240.372	20
21	242.763	242.954	243.336	243.718	244.100	244.482	244.864	21
22	247.348	247.547	247.944	248.341	248.739	249.136	249.533	22
23	252.116	252.322	252.735	253.147	253.560	253.972	254.385	23
24	257.065	257.279	257.707	258.135	258.564	258.992	259.420	24
25	262.203	262.425	262.870	263.315	263.759	264.204	264.649	25
26	267.540	267.771	268.231	268.692	269.153	269.614	270.074	26
27	273.069	273.308	273.786	274.264	274.742	275.220	275.698	27
28	278.806	279.054	279.550	280.046	280.541	281.037	281.533	28
29	284.756	285.012	285.525	286.038	286.551	287.064	287.577	29
30	290.909	291.175	291.706	292.237	292.768	293.299	293.830	30
31	297.284	297.559	298.109	298.659	299.210	299.760	300.310	31
32	303.886	304.171	304.739	305.308	305.878	306.447	307.015	32
33	310.714	311.008	311.596	312.185	312.772	313.361	313.949	33
34	317.773	318.077	318.685	319.292	319.901	320.508	321.116	34
35	325.066	325.379	326.006	326.633	327.260	327.887	328.514	35
36	332.588	332.912	333.559	334.207	334.854	335.502	336.149	36
37	340.359	340.693	341.361	342.029	342.696	343.364	344.032	37
38	348.373	348.717	349.405	350.093	350.782	351.470	352.158	38
39	356.630	356.984	357.693	358.402	359.110	359.819	360.528	39
40	365.134	365.498	366.227	366.956	367.684	368.413	369.142	40
41	373.879	374.254	375.004	375.754	376.504	377.254	378.004	41
42	382.879	383.264	384.034	384.804	385.574	386.344	387.114	42
43	392.119	392.514	393.305	394.096	394.887	395.678	396.469	43
44	401.608	402.013	402.824	403.635	404.446	405.257	406.068	44
45	411.338	411.753	412.584	413.415	414.246	415.077	415.908	45
46	421.309	421.734	422.585	423.435	424.287	425.137	425.988	46
47	431.516	431.951	432.821	433.690	434.560	435.429	436.299	47
48	441.953	442.397	443.286	444.175	445.064	445.953	446.842	48
49	452.618	453.071	453.978	454.885	455.792	456.699	457.606	49
50	463.500	463.962	464.887	465.811	466.736	467.660	468.585	50
51	474.594	475.065	476.006	476.947	477.888	478.829	479.770	51
52	485.889	486.368	487.325	488.282	489.240	490.197	491.154	52
53	497.376	497.862	498.835	499.807	500.780	501.752	502.725	53
54	509.046	509.539	510.526	511.514	512.500	513.488	514.475	54
		* Mon	ths of Entry	for Annual	Valuation De	c 31		

^{*} Months of Entry for Annual Valuation Dec. 31.

SINGLE PREMIUM OR RESERVE BY MONTHS, ON PAID-UP INSURANCE OF 1,000 FOR THE WHOLE LIFE.

	T PER CE.							
AGE.	6m.	6½m.	$7\frac{1}{2}$ m.	8½m.	9½m.	10½m.	11½m.	AGE.
x+n		June.	May.	April.	March.	Feb.	Jan.	x+n.
10	204.109	204.232	204.479	204.725	204.971	205.217	205.464	10
11	207.126	207.255	207.511	207.767	208.024	208.280	208.536	11
12	210.271	210.405	210.673	210.940	211.209	211.476	211.744	12
13	213.551	213.690	213.969	214.248	214.527	214.806	215.085	13
14	216.962	217.107	217.396	217.686	217.975	218.265	218.554	14
15	220.510	220.661	220,963	221.265	221.566	221.868	222.170	15
16	224.208	224.365	224,680	224.994	225.309	225.623	225.938	16
17	228.057	228.220	228,548	228.875	229.201	229.528	229.856	17
18	232.060	232.230	232,570	232.910	233.251	233.591	233.931	18
19	236.225	236.402	236,756	237.110	237.464	237.818	238.172	19
20	240,556	240.740	241.108	241.476	241.843	242.211	242.579	20
21	245,055	245.246	245.628	246.010	246.393	246.775	247.157	21
22	249,732	249.931	250.328	250.725	251.123	251.520	251.917	22
23	254,591	254.797	255.210	255.622	256.034	256.446	256.859	23
24	259,634	259.848	260.276	260.704	261.133	261.561	261.989	24
25	264.871	265.093	265,538	265,983	266.428	266.873	267.318	25
26	270.305	270.536	270,996	271,457	271.917	272.378	272.838	26
27	275.937	276.176	276,654	277,132	277.611	278.089	278.567	27
28	281.781	282.029	282,525	283,021	283.516	284.012	284.508	28
29	287.833	288.089	288,602	289,115	289.627	290.140	290.653	29
30	294.096	294.362	294.893	295.424	295,956	296.487	297.018	30
31	300.585	300.860	301.410	301.960	302,511	303.061	303.611	31
32	307.300	307.585	308.153	308.722	309,292	309.861	310.429	32
33	314.243	314.537	315.125	315.714	316,302	316.891	317.479	33
34	321.420	321.724	322.332	322.939	323,547	324.154	324.762	34
35	328.827	329.140	329.767	330,394	331.021	331.648	332.275	35
36	336.473	336.797	337.444	338,092	338.740	339.388	340.035	36
37	344.366	344.700	345.368	346,036	346.703	347.371	348.039	37
38	352.502	352.846	353.534	354,222	354.910	355.598	356.286	38
39	360.882	361.236	361.945	362,654	363.362	364.071	364.780	39
40	369.506	369.870	370.599	371.328	372.057	372.786	373.515	40
41	378.379	378.754	379.504	380.254	381.004	381.754	382.504	41
42	387.499	387.884	388.654	389.424	390.194	390.964	391.734	42
43	396.864	397.259	398.050	398.841	399.631	400.422	401.213	43
44	406.473	406.878	407.689	408.500	409.311	410.122	410.933	44
45	416.323	416.738	417.569	418.400	419.232	420.063	420.894	45
46	426.413	426.838	427.689	428.539	429.390	430.240	431.091	46
47	436.734	437.169	438.039	438.908	439.779	440.648	441.518	47
48	447.286	447.730	448.619	449.508	450.396	451.285	452.174	48
49	458.059	458.512	459.419	460.326	461.233	462.140	.463.047	49
50	469.047	469.509	470.434	471.358	472.283	473.207	474.132	50
51	480.241	480.712	481.653	482.594	483.536	484.477	485.418	51
52	491.633	492.112	493.069	494.026	494.983	495.940	496.897	52
53	503.211	503.697	504.670	505.642	506.615	507.587	508.560	53
54	514.968	515.461	516.448	517.436	518.422	519.410	520.397	54

SINGLE PREMIUM OR RESERVE BY MONTHS, ON PAID-UP INSURANCE OF 1,000 FOR THE WHOLE LIFE.

+ PER CEN										
0m.	<u></u> ½m.	1½m.	2½m.	3½m.	4½m.	5½m.	AGE.			
	* Dec.	Nov.	Oct.	Sept.	Aug.	July.	x+n.			
520.890	521.390	522.389	523.388	524.388	525.387	526.386	55			
532.882	533.388	534.399	535.411	536.421	537.433	538.444	56			
545.019	545.530	546.551	547.573	548.594	549.616	550.637	57			
557.277	557.792	558.823	559.853	560.884	561.914	562.945	58			
569.642	570.161	571.200	572.238	573.276	574.314	575.353	59			
582.103	582.625	583.670	584.714	585.759	586.803	587.848	60			
594.636	595.160	596.208	597.256	598.305	599.353	600.401	61			
607.214	607.740	608.791	609.842	610.893	611.944	612.995	62			
619.829	620.355	621.408	622.460	623.513	624.565	625.618	63			
632.458	632.983	634.034	635.085	636.136	637.187	638.238	64			
645.069	645,593	646.641	647.689	648.736	649.784	650.832	65			
657.643	658,165	659.208	660.251	661.295	662.338	663.381	66			
670.162	670,680	671.716	672.753	673.789	674.826	675.862	67			
682.598	683,112	684.141	685.169	686.198	687.226	688.255	68			
694.941	695,450	696.467	697.484	698.502	699.519	700.536	69			
707.148	707.651	708.656	709.661	710.666	711.671	712.676	70			
719.211	719.706	720.697	721.688	722.678	723.669	724.660	71			
731.099	731.586	732.561	733.536	734.510	735.485	736.460	72			
742.795	743.274	744.232	745.189	746.148	747.105	748.063	73			
754.288	754.757	755.694	756.631	757.568	758.505	759.442	74			
765.535	765.994	766.910	767.828	768.744	769.662	770.578	75			
776.539	776.987	777.882	778.778	779.673	780.569	781.464	76			
787.285	787.721	788.592	789.464	790.335	791.207	792.078	77			
797.743	798.167	799.014	799.862	800.710	801.558	802.405	78			
807.914	808.325	809.148	809.970	810.792	811.614	812.437	79			
817.783	818.181	818.978	819.775	820.573	821.370	822.167	80			
827.346	827.732	828.505	829.277	830.049	830.821	831.594	81			
836.614	836.987	837.733	838.480	839.225	839.972	840.718	82			
845.569	845.931	846.655	847.379	848.103	848.827	849.551	83			
854.256	854.607	855.309	856.010	856.712	857.413	858.115	84			
862.677	863.019	863.704	864.389	865.073	865.758	866.443	85			
870.893	871.231	871.908	872.584	873.262	873.938	874.615	86			
879.012	879.349	880.022	880.695	881.367	882.040	882.713	87			
887.089	887.437	888.132	888.827	889.523	890.218	890.913	88			
895.433	895.740	896.354	896.969	897.583	898.198	898.812	89			
902.805	903.066	903.589	904.111	904.635	905.157	905.680	90			
909.076	909.321	909.811	910.301	910.792	911.282	911.772	91			
914.958	915.194	915.665	916.137	916.608	917.080	917.551	92			
920.617	920.841	921.288	921.735	922.183	922.630	923.077	93			
925.985	926.203	926.639	927.075	927.512	927.948	928.384	94			
931.219	931.457	931.934	932.410	932.887	933.363	933.840	95			
936.936	937.147	937.570	937.992	938.414	938.836	939.259	96			
942.005	942.305	942.906	943.506	944.108	944.708	945.309	97			
949.212	949.726	950.753	951.780	952.806	953.833	954.860	98			
961.537	963.140	966.345	969.550	972.756	975.961	979.166	99			
	520.890 532.882 545.019 557.277 569.642 582.103 594.636 607.214 619.829 632.458 645.069 657.643 670.162 682.598 694.941 707.148 719.211 731.099 742.795 754.288 765.535 776.539 787.285 797.743 807.914 817.783 827.346 836.614 845.569 854.256 862.677 870.893 879.012 887.089 895.433 902.805 909.076 914.958 920.617 925.985 931.219 936.936 942.005 949.212	* Dec. \$ 20.890	*Dec. Nov. 520.890 521.390 522.389 532.882 533.388 534.399 545.019 545.530 546.551 557.277 557.792 558.823 569.642 570.161 571.200 582.103 582.625 583.670 594.636 595.160 596.208 607.214 607.740 608.791 619.829 620.355 621.408 632.458 632.983 634.034 645.069 645.593 646.641 657.643 658.165 659.208 670.162 670.680 671.716 682.598 683.112 684.141 694.941 695.450 696.467 707.148 707.651 708.656 719.211 719.706 720.697 731.099 731.586 732.561 742.795 743.274 744.232 754.288 754.757 755.694 765.535 765.994 766.910 776.539 776.987 777.882 787.285 787.721 788.592 797.743 798.167 799.014 807.914 808.325 809.148 817.783 818.181 818.978 827.346 827.732 828.505 836.614 836.987 837.733 845.569 845.931 846.655 834.256 845.931 846.655 854.256 854.607 855.309 862.677 863.019 863.704 870.893 871.231 871.908 879.012 879.349 880.022 887.089 887.437 888.132 895.433 895.740 896.354 902.805 903.066 903.589 909.076 909.321 909.811 914.958 915.194 915.665 920.617 920.841 921.288 931.219 931.457 931.934 936.936 937.147 937.570 942.005 942.305 942.906 949.212 949.726 950.753	* Dec. Nov. Oct. 520.890 521.390 522.389 533.388 532.882 533.388 534.399 535.411 545.019 545.530 546.551 547.573 557.277 557.792 558.823 559.853 569.642 570.161 571.200 572.238 582.103 582.625 583.670 584.714 594.636 595.160 596.208 597.256 607.214 607.740 608.791 609.842 619.829 620.355 621.408 622.460 632.458 632.983 634.034 635.085 645.069 645.593 646.641 647.689 657.643 658.165 659.208 660.251 670.162 670.680 671.716 672.753 682.598 683.112 684.141 685.169 694.941 695.450 696.467 697.484 707.148 707.651 708.656 709.661 719.211 719.706	*Dec. Nov. Oct. Sept. 520.890 521.390 522.389 523.388 524.388 532.882 533.388 534.399 535.411 536.421 545.019 545.530 546.551 547.573 548.594 557.277 557.292 558.823 559.853 560.884 569.642 570.161 571.200 572.238 573.276 582.103 582.625 583.670 584.714 585.759 594.636 595.160 596.208 597.256 598.305 607.214 607.740 608.791 609.842 610.893 619.829 620.355 621.408 622.460 623.513 632.458 632.983 634.034 635.085 636.136 645.069 645.593 646.641 647.689 648.736 657.643 658.165 659.208 660.251 661.295 670.162 670.680 671.716 672.753 673.789 682.598 683.112 684.141 685.169 686.198 694.941 695.450 696.467 697.484 698.592 707.148 707.651 708.656 709.661 710.666 719.211 719.706 720.697 721.688 722.678 731.099 731.586 732.561 733.536 734.510 742.795 743.274 744.232 745.189 746.148 754.288 754.757 755.694 756.631 757.568 765.535 765.994 766.910 767.828 768.744 776.539 776.987 777.882 778.778 790.673 787.285 787.721 788.592 789.464 790.335 797.743 798.167 799.014 799.862 800.710 807.914 808.325 809.148 809.970 816.792 817.783 818.181 818.978 819.775 820.573 827.346 827.732 828.505 829.277 830.049 836.614 836.987 837.733 838.480 839.225 845.569 845.931 846.655 847.379 848.103 854.256 854.607 855.309 856.010 856.712 862.677 863.019 863.704 864.389 865.073 870.893 871.231 871.908 872.584 873.262 870.012 879.349 880.022 880.695 881.367 887.089 887.437 888.132 888.827 889.523 895.433 895.740 896.354 896.969 897.583 902.805 903.066 903.589 904.111 904.635 909.076 909.321 909.811 910.301 910.702 914.958 915.194 915.665 916.137 916.608 920.617 920.841 921.288 921.735 922.183 925.985 926.203 926.639 927.075 927.512	*Dec. Nov. Oct. Sept. Aug. 520,890 521,390 522,389 523,388 524,388 525,387 532,882 533,388 534,399 535,411 536,421 537,433 545,019 545,530 546,551 547,573 548,594 549,616 569,642 570,161 571,200 572,238 573,276 574,314 582,103 582,625 583,670 584,714 585,759 586,803 594,636 595,160 596,208 597,256 598,305 599,353 607,214 607,740 608,791 609,842 610,893 611,944 619,829 620,355 621,408 622,460 623,513 624,565 632,458 632,983 634,034 635,085 636,136 637,187 645,069 645,593 646,641 647,689 648,736 642,565 632,458 632,133 646,641 647,689 648,736 662,338 670,162 670,680 671,716 672,753 673,789 674,826 682,598 683,112 684,141 685,169 686,198 687,226 694,941 695,450 696,467 697,484 698,502 699,519 707,148 707,651 708,656 709,661 710,666 711,671 719,211 719,706 720,697 721,688 722,678 723,669 742,795 743,274 744,232 745,189 746,148 747,105 754,288 754,757 755,694 756,631 757,568 758,505 765,535 765,994 766,910 767,828 768,744 769,662 779,743 798,167 799,014 799,862 800,710 801,558 807,914 808,325 809,148 809,970 816,792 811,614 817,783 818,181 818,978 819,775 820,573 821,370 827,346 827,732 828,505 847,379 848,103 848,827 836,614 836,987 837,333 838,480 839,225 839,972 879,043 895,433 895,740 863,544 896,969 897,583 891,297 800,801 879,012 879,349 880,22 880,095 881,367 882,040 895,343 895,740 896,354 896,969 897,583 891,198 890,970 806,354 896,969 897,583 891,98 902,805 903,066 903,589 904,111 904,635 905,157 900,976 909,321 909,811 910,301 910,792 911,282 914,958 915,947 93,547 93,549 92,805 902,805 903,066 903,589 904,111 904,635 905,157 900,976 909,321 909,811 910,301 910,792 911,282 914,958 915,194 915,665 916,137 916,608 917,080 910,779 909,321 909,811 910,301 910,792 911,282 914,958 915,194 915,665 916,137 916,608 917,080 914,108 944,708	*Dec. Nov. Oct. Sept. Aug. July. 520.890 521.390 522.389 523.388 524.388 525.387 526.386 532.882 533.388 534.399 535.411 536.421 537.433 538.444 5451.01 545.50 546.551 547.573 538.401 545.501 545.503 546.551 547.573 538.504.91 545.503 546.551 547.573 538.504 546.50 547.573 558.277 557.792 558.823 559.853 560.884 561.914 562.945 569.642 570.161 571.200 572.238 573.276 574.314 575.353 582.103 582.625 583.670 584.714 585.759 586.803 587.848 594.636 595.160 596.208 507.256 598.305 599.953 600.401 607.214 607.740 608.791 609.842 610.893 611.944 612.995 619.829 620.355 621.408 622.460 623.513 624.565 625.618 632.458 632.983 634.034 635.085 636.136 637.187 638.238 645.069 645.593 646.641 647.689 648.736 649.784 658.258 683.193 684.141 685.169 686.195 687.226 662.338 663.386 6671.716 672.753 673.789 674.826 675.862 694.941 695.450 696.467 697.484 698.502 699.519 700.536 694.941 695.450 696.467 697.484 698.502 699.519 700.536 674.279 731.099 731.586 732.561 733.353 6734.510 735.485 736.460 742.795 743.274 744.232 745.189 746.148 747.105 748.603 742.795 743.274 744.232 745.189 746.148 747.105 748.603 757.6987 777.882 778.778 779.673 780.569 779.048 809.579 800.710 801.558 802.405 807.714 808.325 809.488 809.970 816.702 811.614 812.437 877.743 798.167 799.014 799.862 800.710 801.558 802.405 807.914 808.325 809.488 809.970 816.702 839.912 840.718 877.893 877.231 885.92 789.649 780.499 830.821 831.594 836.645 845.931 846.655 847.379 888.103 848.827 849.51 846.655 847.379 888.103 848.827 849.51 887.809 871.231 871.098 872.258 889.277 830.049 830.821 831.594 836.267 863.019 863.704 864.389 865.073 885.049 887.437 888.132 888.827 889.245 839.912 840.718 875.089 871.231 871.908 872.258 887.379 888.103 848.827 849.51 887.089 871.231 871.908 872.258 887.379 888.103 848.827 849.51 887.089 871.231 871.908 872.258 887.379 888.103 888.81 890.913 880.022 880.695 881.367 882.405 882.137 982.849 889.812 890.913 890.218 890.913 890.418 890.913 990.811 910.301 910.792 911.882 911.772 914.958 836.036 937.549 930.844 938.836 939.259 942.00			

^{*} Months of Entry for Annual Valuation Dec. 31.

SINGLE PREMIUM OR RESERVE BY MONTHS, ON PAID-UP INSURANCE OF 1,000 FOR THE WHOLE LIFE.

							4 PER C	1314 1.
AGE.	6m.	$6\frac{1}{2}$ m.	7 1 m.	8½m.	9½m.	10½m.	11½m.	AGE.
x+n.		June.	May.	April.	March.	Feb.	Jan.	x+n.
55	526.886	527.386	528.385	529.384	530.384	531.383	532.382	55
56	538.950	539.456	540.467	541.479	542.490	543.502	544.513	56
57	551.148	551.659	552.680	553.702	554.723	555.745	556.766	57
58 59	563.460	563.975	565.006	566.036	567.066 579.507	568.096	569.127	58 59
	575.872	576.391	577.430	578.468		580.545	581.584	
60	588.370	588.892	589.937	590.981	592.025	593.069	594.114	60
61	600.925	601.449	602.497	603.545	604.594	605.642	606.690	61
62	613.521	614.047	615.098	616.149	617.201	618.252	619.303	62
63	626.144	626.670	627.723	628.775	629.827	630.879	631.932	63 64
64	638.763	639.288	640,339	641.390	642.442	643.493	644.544	04
65	651.356	651.880	652.928	653.976	655.023	656.071	657.119	65
66	663.903	664.425	665.468	666.511	667.554	668.597	669.640	66
67	676.380	676.898	677.934	678.971	680.007	681.044	682.080	67
68	688.769	689.283	690.312	691.340	692.370	693.398	694.427	68
69	701.045	701.554	702.571	703.588	704.605	705.622	706.639	69
70	713.179	713.682	714.687	715.692	716.698	717.703	718.708	70
71	725.155	725.650	726,641	727.632	728.622	729.613	730.604	71
72	736.947	737.434	738.409	739.384	740.358	741.333	742.308	72
73	748.542	749.021	749.979	750.936	751.894	752.851	753.809	73
74	759.911	760.380	761.317	762.254	763.192	764.129	765.066	74
75	771.037	771.496	772.412	773.330	774.246	775.164	776.080	75
76	781.912	782.360	783.255	784.151	785.046	785.942	786.837	76
77	792.514	792.950	793.821	794.693	795.564	796.436	797.307	77
78	802.829	803.253	804.100	804.948	805.795	806.643	807.490	78
79	812.848	813.259	814.082	814.904	815.727	816.549	817.372	79
80	822.565	822.963	823.760	824.557	825.354	826.151	826.948	80
81	831.980	832.366	833.139	833.911	834.683	835.455	836.228	81
82	841.091	841.464	842.210	842.957	843.703	844.450	845.196	82
83	849.913	850.275	850.999	851.723	852.446	853.170	853.894	83
84	858.466	858.817	859.519	860.220	860.923	861.624	862.326	84
85	866.785	867.127	867.812	868.497	869.181	869.866	870.551	85
86	874.953	875.291	875.968	876.644	877.321	877.997	878.674	86
87	883.050	883.387	884.060	884.733	885.406	886.079	886.752	87
88	891.261	891.609	892.304	892.999	893.695	894.390	895.085	88
89	899.119	899.426	900.040	900.655	901.269	901.884	902.498	89
90	905.941	906.202	906.725	907.247	907.770	908.292	908.815	90
91	912.017	912.262	912.752	913.242	913.733	914.223	914.713	91
92	917.787	918.023	918.494	918.966	919.438	919.910	920.381	92
93	923.301	923.525	923.972	924.419	924.867	925.314	925.761	93
94	928.602	928.820	929.256	929.692	930.129	930.565	931.001	94
95	934.078	934.316	934.793	935.269	935.745	936.221	936.698	95
96	939.470	939.681	940.104	940.526	940.949	941.371	941.794	96
97	945.609	945.909	946.510	947.110	947.711	948.311	948.912	97
98	955.374	955.888	956.915	957.942	958.969	959.996	961.023	98
99	980.769	982.372	985.577	988.782	991.987	995.192	998.397	99
1								

LOGARITHM OF THE SINGLE PREMIUM BY MONTHS, ON 1 INSURED FOR THE WHOLE LIFE.

4 PER CENT.									
AGE.	0m.	½m.	1 1 2m.	2½m.	3½m.	4½m.	5½m.	AGE.	
x+n.	,	* Dec.	Nov.	Oct.	Sept.	Aug.	July.	x+n.	
10 11 12 13 14	1.306703 .312996 .319450 .326086 .332890	$egin{array}{l} ar{1}.306967 \\ .313267 \\ .319728 \\ .326371 \\ .333183 \\ \end{array}$	1.307496 .313808 .320286 .326942 .333766	T.308022 .314348 .320839 .327512 .334349	$ar{1.308549} \ .314889 \ .321395 \ .328082 \ .334932$	$ar{1}.309074 \\ .315427 \\ .321948 \\ .328651 \\ .335514$	$ar{1.309601} \\ .315964 \\ .322503 \\ .329219 \\ .336093$	10 11 12 13 14	
15 16 17 18 19	1.339847 .346980 .354290 .361763 .369403	1.340147 .347287 .354604 .362084 .369731	ī.340745 .347902 .355233 .362725 .370388	$ar{1}.341344 \\ .348513 \\ .355860 \\ .363366 \\ .371042$	1.341939 .349126 .356483 .364007 .371696	$ar{1}.342535 \\ .349736 \\ .357107 \\ .364645 \\ .372349$	1.343131 .350347 .357733 .365282 .373000	15 16 17 18 19	
20 21 22 23 24	1.377213 .385182 .393309 .401601 .410042	Ī.377548 .385524 .393658 .401955 .410404	Ī.378218 .386207 .394354 .402666 .411126	1.378886 .386887 .395049 .403373 .411847	$egin{array}{l} ar{1}.379552 \\ .387568 \\ .395744 \\ .404081 \\ .412568 \\ \end{array}$	Ī.380218 .388247 .396436 .404786 .413286	$ar{1.380884} \ .388925 \ .397128 \ .405492 \ .414003$	20 21 22 23 24	
25 26 27 28 29	1.418637 .427389 .436272 .445303 .454473	1.419005 .427764 .436653 .445688 .454863	$ar{1}.419741 \\ .428509 \\ .437412 \\ .446459 \\ .455645$	1.420476 .429255 .438168 .447230 .456424	$\begin{array}{c} \overline{1.421207} \\ .429999 \\ .438925 \\ .447997 \\ .457202 \end{array}$	1.421939 .430742 .439680 .448764 .457979	$egin{array}{l} ar{1}.422670 \\ .431482 \\ .440434 \\ .449530 \\ .458754 \\ \hline \end{array}$	25 26 27 28 29	
30 31 32 33 34	$egin{array}{l} ar{1}.463757 \\ .473172 \\ .482711 \\ .492361 \\ .502117 \\ \hline \end{array}$	1.464155 .473573 .483118 .492771 .502532	$egin{array}{l} 1.464945 \\ .474376 \\ .483928 \\ .493592 \\ .503362 \\ \end{array}$	1.465736 .475176 .484738 .494412 .504188	1.466524 .475976 .485548 .495228 .505015	1.467311 .476774 .486356 .496045 .505839	$ar{1}.468096 \\ .477570 \\ .487160 \\ .496859 \\ .506662$	30 31 32 33 34	
35 36 37 38 39	Ī.511971 .521906 .531937 .542045 .552218	$ar{1.512390} \ .522330 \ .532363 \ .542473 \ .552649$	1.513226 .523173 .533214 .543329 .553511	Ī.514060 .524015 .534063 .544184 .554370	$ar{1.514893} \ .524855 \ .534909 \ .545037 \ .555227$	1.515724 .525695 .535755 .545888 .556084	1.516554 .526532 .536599 .546738 .556939	35 36 37 38 39	
40 41 42 43 44	1.562452 .572731 .583062 .593418 .603802	1.562885 .573166 .583498 .593855 .604240	1.563750 .574036 .584369 .594730 .605115	1.564614 .574904 .585239 .595602 .605989	Ī.565475 .575770 .586107 .596473 .606861	$ar{1.566335} \ .576634 \ .586974 \ .597342 \ .607731$	Ī.567193 .577496 .587839 .598209 .608599	40 41 42 43 44	
45 46 47 48 49	1.614199 .624601 .634997 .645376 .655732	ī.614637 .625038 .635434 .645812 .656166	Ī.615512 .625914 .636308 .646684 .657035	T.616386 .626787 .637179 .647554 .657901	Ī.617259 .627660 .638050 .648423 .658767	$ar{1}.618129 \\ .628529 \\ .638917 \\ .649289 \\ .659630$	Ī.618997 .629397 .639784 .650154 .660492	45 46 47 48 49	
50 51 52 53 54	1.666050 .676322 .686537 .696685 .706757	Ī.666483 .676753 .686965 .697109 .707177	Ī.667347 .677612 .687819 .697957 .708018	1.668210 .678470 .688671 .698802 .708858	1.669071 .679326 .689522 .699647 .709694	1.669930 .680180 .690370 .700489 .710530	1.670789 .681033 .691218 .701331 .711364	50 51 52 53 54	

^{*} Months of Entry for Annual Valuation Dec. 31.

LOGARITHM OF THE SINGLE PREMIUM BY MONTHS, ON 1 INSURED FOR THE WHOLE LIFE.

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AGE.	6m.	6½m.	$7\frac{1}{2}$ m.	8½m.	9½m.	10½m.	11½m.	AGE.
x+n.		June.	May.	April.	March.	Feb.	Jan.	x+n.
10	1.309862	Ĩ.310124	$ar{1}.310649 \\ .317041 \\ .323609 \\ .330351 \\ .337252$	Ī.311171	1.311692	1.312214	1.312735	10
11	.316235	.316505		.317577	.318113	.318648	.319181	11
12	.322779	.323056		.324159	.324712	.325261	.325811	12
13	.329502	.329784		.330917	.331482	.332046	.332610	13
14	.336384	.336674		.337830	.338407	.338984	.339559	14
15 16 17 18 19	1.343428 .350651 .358043 .365600 .373326	1.343726 .350955 .358354 .365918 .373651	$egin{array}{l} ar{1}.344320 \\ .351564 \\ .358977 \\ .366544 \\ .374301 \\ \end{array}$	1.344913 .352171 .359599 .367188 .374950	$egin{array}{l} ar{1}.345503 \\ .352778 \\ .360217 \\ .367824 \\ .375598 \\ \end{array}$	1.346095 .353384 .360835 .368456 .376244	$egin{array}{l} ar{1}.346685 \\ .353989 \\ .361456 \\ .369088 \\ .376891 \\ \hline \end{array}$	15 16 17 18 19
20	Ī.381216	Ī.381548	1.382211	1.382874 .390953 .399198 .407598 .416148	Ī.383533	1.384194	Ī.384853	20
21	.389264	.389602	.390278		.391628	.392301	.392973	21
22	.397474	.397820	.398510		.399886	.400573	.401258	22
23	.405843	.406194	.406898		.408298	.408996	.409694	23
24	.414362	.414720	.415434		.416862	.417573	.418283	24
25	ī.423035	1.423398	1.424127 .432963 .441937 .451057 .460299	1.424854	1.425580	1.426305	1.427028	25
26	.431854	.432225		.433701	.434436	.435172	.435905	26
27	.440810	.441186		.442687	.443437	.444184	.444930	27
28	.449912	.450294		.451819	.452578	.453337	.454095	28
29	.459141	.459527		.461071	.461840	.462608	.463375	29
30 31 32 33 34	1.468489 .477967 .487563 .497265 .507073	1.468882 .478364 .487965 .497672 .507484	$ar{1}.469665 \\ .479158 \\ .488766 \\ .498483 \\ .508304$	Ī.470446 .479949 .489568 .499294 .509121	Ī.471227 .480741 .490369 .500102 .509937	$egin{array}{l} ar{1}.472006 \\ .481530 \\ .491167 \\ .500910 \\ .510751 \\ \hline \end{array}$	Ĩ.472783 .482317 .491963 .501715 .511566	30 31 32 33 34
35	Ī.516967	Ī.517381	Ī.518207	Ī.519032	$egin{array}{l} ar{1.519855} \\ .529866 \\ .539958 \\ .550118 \\ .560339 \\ \hline \end{array}$	Ī.520677	Ī.521498	35
36	.526950	.527368	.528202	.529035		.530696	.531524	36
37	.537020	.537441	.538282	.539121		.540793	.541628	37
38	.547161	.547585	.548431	.549275		.550960	.551799	38
39	.557365	.557791	.558643	.559493		.561186	.562031	39
40	T.567621	1.568049	Ī.568904	1.569758	T.570609	T.571460	$ar{1}.572308 \ .582636 \ .592991 \ .603375 \ .613771$	40
41	.577927	.578357	.579216	.580074	.580929	.581783		41
42	.588271	.588702	.589563	.590422	.591280	.592136		42
43	.598641	.599074	.599938	.600800	.601659	.602518		43
44	.609031	.609464	.610329	.611192	.612053	.612913		44
45	1.619430	$\overline{1}$. 619863	1.620728	Ī. 621592	$\begin{array}{c} 1.622454 \\ .632852 \\ .643234 \\ .653594 \\ .663921 \end{array}$	1.623314	$\overline{1}$.624173	45
46	.629830	.630263	.631128	.631990		.633711	.634569	46
47	.640217	.640649	.641513	.642373		.644092	.644948	47
48	.650585	.651016	.651878	.652737		.654451	.655306	48
49	.660921	.661351	.662209	.663065		.664774	.665625	49
50	1.671216	1.671644	1.672499	1.673351	1.674203	1.675051	7.675899	50
51	.681459	.681885	.682735	.683582	.684428	.685273	.686116	51
52	.691641	.692064	.692908	.693750	.694590	.695429	.696266	52
53	.701750	.702169	.703007	.703843	.704678	.705511	.706342	53
54	.711780	.712196	.713026	.713857	.714684	.715510	.716335	54

LOGARITHM OF THE SINGLE PREMIUM BY MONTHS, ON 1 INSURED FOR THE WHOLE LIFE.

	T PER CENT.											
AGE.	0m.	<u>1</u> m.	1½m.	2 <u>1</u> m.	3½m.	$4\frac{1}{2}$ m.	5½m.	AGE.				
x+n.		* Dec.	Nov.	Oct.	Sept.	Aug.	July.	x+n.				
55	Ī.716746	Ī.717163	Ī.717994	Ī.718823	Ī.719652	1.720480 .730324 .740060 .749670 .759149	1.721304	55				
56	.726631	.727043	.727865	.728687	.729506		.731140	56				
57	.736412	.736819	.737631	.738442	.739251		.740866	57				
58	.746071	.746473	.747274	.748074	.748873		.750466	58				
59	.755602	.755998	.756788	.757577	.758364		.759934	59				
60	7.765000	7.765389	Ī.766167	T.766944	Ī.767719	1.768492	7.769265	60				
61	.774251	.774634	.775398	.776160	.776923	.777683	.778442	61				
62	.783342	.783718	.784469	.785217	.785965	.786712	.787457	62				
63	.792272	.792641	.793377	.794111	.794845	.795578	.796310	63				
64	.801032	.801392	.802113	.802832	.803550	.804267	.804983	64				
65	Ī.809606	1.809959	Ī.810664	Ī.811366	Ī.812068	1.812769	I.813469	65				
66	.817990	.818335	.819023	.819709	.820396	.821080	.821763	66				
67	.826180	.826515	.827186	.827856	.828524	.829192	.829858	67				
68	.834165	.834492	.835146	.835797	.836450	.837100	.837750	68				
69	.841948	.842266	.842900	.843534	.844167	.844799	.845431	69				
70	Ī.849510	T.849820	Ī.850436	1.851051	Ī.851666	1.852280	1.852892	70				
71	.856856	.857156	.857753	.858350	.858945	.859540	.860134	71				
72	.863976	.864266	.864844	.865422	.865998	.866574	.867149	72				
73	.870869	.871149	.871708	.872266	.872825	.873382	.873938	73				
74	.877537	.877807	.878346	.878885	.879422	.879959	.880494	74				
75	Ī.883965	Ī.884225	Ī.884744	1.885264	Ī.885781	Ī.886300	1.886817	75				
76	.890163	.890414	.890914	.891414	.891913	.892411	.892909	76				
77	.896132.	.896373	.896852	.897332	.897811	.898290	.898768	77				
78	.901863	.902094	.902554	.903015	.903475	.903935	.904394	78				
79	.907365	.907586	.908028	.908469	.908909	.909349	.909790	79				
80	Ī.912638	Ī.912850	1.913272	Ī.913695	1.914118	Ī.914539	$ar{1}.914960 \\ .919911 \\ .924650 \\ .929190 \\ .933546$	80				
81	.917687	.917890	.918296	.918700	.919104	.919508		81				
82	.922525	.922719	.923106	.923493	.923879	.924265		82				
83	.927149	.927335	.927707	.928078	.928449	.928820		83				
84	.931588	.931767	.932123	.932479	.932835	.933191		84				
85	1.935848	1.936021	Ĭ.936365	1.936710	1.937053	1.937397	1.937740	85				
86	.939965	.940134	.940471	.940807	.941145	.941481	.941817	86				
87	.943995	.944162	.944494	.944826	.945157	.945488	.945820	87				
88	.947967	.948138	.948478	.948818	.949158	.949496	.949836	88				
89	.952033	.952182	.952480	.952778	.953075	.953372	.953669	89				
90 91 92 93 94	1.955594 .958600 .961401 .964079 .966604	Ī.955719 .958718 .961513 .964185 .966706	1.955971 .958951 .961737 .964395 .966911	Ī.956222 .959185 .961961 .964606 .967115	Ī.956474 .959419 .962184 .964817 .967320	$egin{array}{l} ar{1}.956724 \\ .959653 \\ .962407 \\ .965028 \\ .967524 \\ \end{array}$	1.956975 .959886 .962630 .965238 .967728	92 93				
95 96 97 98 99	1.969052 .971710 .974053 .977363 .982966	1.969163 .971808 .974191 .977598 .983689	1.969385 .972004 .974468 .978068 .985132	T.969607 .972119 .974745 .978537 .986570	T.969829 .972395 .975022 .979004 .988004	1.970051 .972590 .975298 .979473 .989432	$ar{1.970272} \ .972786 \ .975574 \ .979940 \ .990856$	96 97				

^{*} Months of Entry for Annual Valuation Dec. 31.

LOGARITHM OF THE SINGLE PREMIUM BY MONTHS, ON 1 INSURED FOR THE WHOLE LIFE.

	T PER CE								
AGE.	6m.	6½m.	$7\frac{1}{2}$ m.	8½m.	9½m.	10½m.	11½m.	AGE.	
x+n		June.	May.	April.	March.	Feb.	Jan.	x+n.	
55	Ī.721717	Ī.722129	7.722951	ī.723771	1.724590	1.725407	1.726224	55	
56	.731548	.731956	.732770	.733581	.734392	.735202	.736008	56	
57	.741268	.741670	.742474	.743276	.744076	.744876	.745673	57	
58	.750863	.751260	.752053	.752844	.753634	.754422	.755209	58	
59	.760326	.760717	.761499	.762279	.763059	.763836	.764612	59	
60 61 62 63 64	1.769651 .778831 .787830 .796674 .805340	7.770036 .779199 .788202 .797039 .805697	1.770806 .779955 .788945 .797768 .806410	1.771574 .780710 .789685 .798496 .807122	1.772340 .781464 .790427 .799221 .807834	7.773105 .782216 .791165 .799946 .808544	1.773870 .782967 .791903 .800670 .809253	60 61 62 63 64	
65	Ī.813818	Ī.814168	Ī.814866	Ī.815562	Ī.816257	ī.816951	Ī.817644	65	
66	.822105	.822446	.823127	.823808	.824486	.825164	.825841	66	
67	.830191	.830524	.831187	.831852	.832513	.833175	.833835	67	
68	.838073	.838398	.839045	.839692	.840338	.840983	.841626	68	
69	.845746	.846061	.846691	.847319	.847946	.848572	.849197	69	
70	1.853198	1.853505	T.854116	1.854726	1.855336 .862502 .869442 .876156 .882634	1.855945	1.856553	70	
71	.860431	.860727	.861320	.861912		.863093	.863682	71	
72	.867436	.867723	.868297	.868870		.870014	.870584	72	
73	.874216	.874494	.875049	.875603		.876709	.877261	73	
74	.880763	.881031	.881566	.882099		.883167	.883699	74	
75	1.887075	Ī.887334	Ī.887849	Ī.888365	ī.888879	ī.889393	1.889906 .895885 .901626 .907137 .912420	75	
76	.893158	.893407	.893903	.894400	.894895	.895390		76	
77	.899007	.899246	.899723	.900200	.900675	.901151		77	
78	.904623	.904853	.905310	.905768	.906225	.906682		78	
79	.910009	.910229	.910668	.911106	.911545	.911982		79	
80 81 82 83 84	1.915171 .920113 .924843 .929375 .933723	Ī.915381 .920314 .925035 .929560 .933901	$ar{1.915801}$ $.920718$ $.925420$ $.929929$ $.934256$	$ar{1.916221} \ .921120 \ .925806 \ .930299 \ .934610$	Ī.916640 .921522 .926190 .930667 .934965	Ī.917060 .921923 .926574 .931036 .935318	Ī.917478 .922325 .926957 .931404 .935671	80 81 82 83 84	
85	Ī.937912	Ī. 938083	Ī. 938426	I.938769	1.939111	Ī.939452	1.939795	85	
86	.941985	.942153	.942488	.942823	.943159	.943494	.943828	86	
87	.945985	.946151	.946482	.946813	.947142	.947473	.947802	87	
88	.950005	.950175	.950513	.950851	.951190	.951527	.951865	88	
89	.953818	.953965	.954262	.954559	.954855	.955151	.955446	89	
90	1.957100	I.957225	T.957476	T.957726	Ī.957976	T. 958226	1.958476	90	
91	.960003	.960120	.960353	.960586	.960820	.961052	.961285	91	
92	.962742	.962854	.963076	.963299	.963522	.963745	.963968	92	
93	.965344	.965449	.965659	.965869	.966080	.966289	.966499	93	
94	.967830	.967932	.968135	.968339	.968544	.968747	.968950	94	
95	I.970383	Ī.970494	1.970716	1.970937	T.971158	1.971379	7.971600	95	
96	.972883	.972981	.973176	.973371	.973567	.973761	.973956	96	
97	.975712	.975850	.976125	.976400	.976676	.976951	.977226	97	
98	.980174	.980407	.980874	.981339	.981805	.982269	.982734	98	
99	.991567	.992276	.993691	.995101	.996506	.997907	.999304	99	

In the order of time, x denotes the Age of Entry; x+n the Present Age; m the unexpired Policy Years; and n+m the whole Period of Insurance.

4 PER CENT.

rears; ar	nd n+m t	4	CENT.							
PRESENT AGE.	m=1.	$1\frac{1}{3}$.	1/2 m. d.	2.	$2\frac{1}{2}$.	$\frac{1}{2}$ m. d.	3.	$3\frac{1}{2}$.	$\frac{1}{2}$ m. d.	PRESENT AGE.
15 16 17 18	6.339 6.361 6.393 6.426	9.376 9.414 9.462 9.510	.253 .254 .256 .257	12.594	15.330 15.398 15.476 15.560	.243 .244 .246 .247	18.247 18.329 18.422 18.526	21.047 21.143 21.255 21.377	.233 .235 .236 .238	15 16 17 18
19 20 21 22 23	6.459 6.502 6.547 6.591 6.647	9.564 9.628 9.694 9.765 9.848	.259 .261 .262 .265 .267	12.755 12.841 12.939 13.049	15.655 15.760 15.873 15.996 16.132	.249 .250 .253 .255 .257	18.640 18.766 18.904 19.053 19.215	21.511 21.661 21.823 21.997 22.193	.239 .241 .243 .245 .248	19 20 21 22 23
24 25 26 27 28 29		9.933 10.028 10.142 10.251 10.385	.269 .272 .275 .278 .283	13.295 13.441 13.590 13.774	17.052	.260 .263 .266 .270 .273	19.398 19.595 19.817 20.061 20.331	22.406 22.639 22.905 23.192 23.508	.251 .254 .257 .261 .265	24 25 26 27 28
30 31 32 33 34	7.198 7.308	10.536 10.685 10.853 11.042 11.249 11.485	.286 .291 .295 .301 .307 .314	14.172 14.399 14.652 14.931	17.300 17.556 17.844 18.164 18.524 18.918	.277 .282 .287 .293 .299 .306	20.628 20.940 21.289 21.677 22.116 22.586	23.857 24.228 24.641 25.104 25.616 26.169	.269 .274 .279 .286 .292 .299	29 30 31 32 33 34
35 36 37 38 39	7.896 8.065 8.262 8.486	11.741 12.004 12.307 12.645 13.015	.320 .328 .337 .347 .357	15.587	19.343 19.799 20.316	.313 .321 .330 .341 .351	23.099 23.656 24.281 24.976 25.722	26.777 27.436 28.176 28.988 29.876	.307 .315 .325 .334 .346	35 36 37 38 39
40 41 42 43 44	8.999 9.277 9.612	13.417 13.854 14.350 14.877	.368 .381 .395 .410 .427	17.836 18.430 19.088 19.800	22.196 22.942 23.774	.363 .376 .391 .406 .423	26.555 27.455	30.853 31.917 33.101 34.387 35.808	.358 .372 .387 .403	40 41 42 43 44
45 46 47 48 49	10.773 11.239	16.115 16.826 17.609 18.463	.445 .466 .488 .512 .539	21.458	26.770 27.972 29.294 30.741	.443 .463 .486 .511 .539		37.368 39.076 40.956 43.014	.441 .462 .486 .511 .540	45 46 47 48 49
50 51 52 53 54	13.628 14.381 15.206 16.108 17.095	20.444 21.582 22.828 24.189	.568 .600 .635 .673	27.260 28.783 30.450 32.271	34.086 36.002 38.097 40.397 42.926	.569 .602 .637 .677 .720	40.912 43.221 45.744 48.523		.570 .604 .641 .681	50 51 52 53 54
55 56 57 58 59	18.202 19.396 20.731 22.175 23.756	27.350 29.162 31.162 33.333 35.715	.762 .814 .869 .930	36.499 38.928 41.593 44.490 47.675	45.711 48.756	.768 .819 .875 936 1.003	54.924 58.583 62.587 66.959 71.754	64.195 68.472 73.157 78.268 83.857	.773 .824 .881 .942	55 56 57 58 59
60 61 62 63 64	25.506 27.432 29.521 31.833 34.366	38.345 41.219 44.356	1.070 1.149 1.236 1.331	51.183 55.007 59.190 63.783	64.089 68.864 74.079	1.076 1.155 1.241 1.334	76.995 82.721 88.968 95.809 103.254	89.966 96.629 103.892 111.819	1.081 1.159 1.244	60 61 62 63 64
65*		55.727	1.548		92.841		111.382	129.816		65

^{*} Ages, 66, 67, ..., continued on Page *117.

FORMULA, $A_{x+n}^m = 1,000 \frac{M_{x+n} - M_{x+n+m}}{D_{x+n}}$.

								4	PER C	ENT.
PRESENT AGE.	4.	$4\frac{1}{2}$.	½m.d.*	5.	$5\frac{1}{2}$.	$\frac{1}{2}$ m.d.	6.	$6\frac{1}{2}$.	½m.d.	PRESENT AGE.
15 16 17	23.847 23.957 24.088	26.535 26.663 26.811	.226 .227	29.223 29.369 29.535	31.808 31.970 32.154	.215 .217 .218	34.392 34.572 34.773	36.877 37.073 37.296	.207 .208 .210	15 16 17
18 19 20	24.229 24.382 24.556	26.971 27.147 27.344	.229 .230 .232	29.713 29.911 30.132	32.354 32.574 32.816	.220 .222 .224	34.994 35.237 35.501	37.537 37.801 38.095	.212 .214 .216	18 19 20
21 22 23	24.742 24.940 25.171	27.553 27.784 28.043	.234 .237 .239	30.364 30.628 30.916	33.080 33.371 33.691	.226 .229 .231	35.796 36.114 36.466	38.416 38.764 39.155	.218 .221 .224	21 22 23
24 25 26 27	25.415 25.682 25.994 26.322	28.321 28.632 28.982 29.355	.242 .246 .249 .253	31.227 31.581 31.971 32.387	34.043 34.434 34.867 35.330	.235 .238 .241 .245	36.859 37.287 37.762 38.273	39.583 40.051 40.572 41.132	.227 .230 .234 .238	24 25 26 27
28 29	26.685 27.087	29.768 30.225	.257	32.851 33.363	35.846 36.416	.250	38.841 39.469	41.755 42.448	.243	28 29
30 31 32 33	27.515 27.993 28.532 29.115	30.714 31.263 31.871 32.533	.267 .273 .278 .285	33.913 34.534 35.210 35.950	37.034 37.720 38.471 39.296	.260 .266 .272 .279	40.156 40.906 41.731 42.643	43.196 44.018 44.924 45.923	.253 .259 .266 .273	30 31 32 33
34 35 36 37	$ \begin{array}{c} 29.752 \\ 30.455 \\ 31.216 \\ 32.071 \end{array} $	33.260 34.060 34.930 35.896	.292 .300 .310 .319	36.768 37.665 38.644 39.721	40.206 41.207 42.291 43.494	.287 .295 .304 .314	43.644 44.748 45.938 47.268	47.022 48.226 49.536 50.989	.282 .290 .300 .310	34 35 36 37
38 39	33.001 34.029	$36.959 \\ 38.124$.330 .341	40.918 42.219	$\begin{array}{c} 44.821 \\ 46.269 \end{array}$.325	48.724 50.319	52.583 54.330	.322	38 39
40 41 42 43 44	35.151 36.379 37.742 39.223 40.861	39.401 40.799 42.345 44.031 45.889	.354 .368 .384 .401 .419	$\begin{array}{c} 43.651 \\ 45.218 \\ 46.949 \\ 48.838 \\ 50.918 \end{array}$	47.861 49.602 51.525 53.623 55.932	.351 .365 .381 .399 .418	52.071 53.985 56.102 58.408 60.946	56.247 58.343 60.657 63.179 65.954	.348 .363 .380 .398 .417	40 41 42 43 44
45 46 47 48	42.654 44.621 46.783 49.151	47.926 50.159 52.612 55.297	.439 .462 .486 .512	53.197 55.697 58.441 61.444	58.462 61.236 64.279 67.605	.439 .462 .487 .513	63.727 66.775 70.116 73.767	68.994 72.322 75.968 79.950	.439 .462 .488 .515	45 46 47 48
50 51 52 53	61.125 64.861	58.243 61.464 64.992 68.855 73.087	.541 .572 .607 .644 .686	64.734 68.330 72.276 76.586 81.312	71.247 75.235 79.597 84.370 89.590	.543 .575 .610 .649 .690		106.198	546 .578 .614 .653 .694	49 50 51 52 53
54 55 56 57	73.465 78.362 83.726	77.723 82.794 88.320 94.367	.830	98.278 105.007	95.290 101.518 108.303 115.703	.734 .783 .835 .891	104.101 110.912 118.327 126.399	120.368 128.405 137.148	.739 .788 .840 .896	54 55 56 57
58 59	95,960	100.947			123.742 132.495 142.022		135.168 144.704 155.071	156.942		58 59 60
61 62 63	102.936 110.537 118.817 127.829	124.479° 133.738 143.812	$ \begin{array}{c c} 1.162 \\ 1.243 \\ 1.332 \end{array} $	138.420 148.660 159.794	152.358 163.556 175.684	1.162 1.241 1.324	166.296 178.452 191.574	180.211 193.262 207.348	$1.160 \\ 1.234 \\ 1.315$	61 62 63
	137.636 148.250			171.819 184.850	188.786 202.929	1.414	205.754 221.007			64 65

^{*} Note that $\frac{1}{2}$ m. d. is $\frac{1}{\sqrt{4}}$ of the difference of the integer or m columns, 5-4, etc.

								4	PER (JENT.
PRESENT AGE.	m=7.	$7\frac{1}{2}$.	½m.d.	8.	8 1 / ₂ .	$\frac{1}{2}$ m. d.	9.	$9\frac{1}{2}$.	½m. d.	PRESENT AGE.
15 16 17 18 19	39.362 39.575 39.818 40.081 40.365	42.247 42.530	.202	44.141 44.394 44.676 44.979 45.320	46.442 46.714 47.015 47.345 47.709	.192 .193 .195 .197 .199	48.743 49.034 49.354 49.711 50.099	50.959 51.269 51.614 51.993 52.407	.190	15 16 17 18 19
20 21 22 23 24	40.689 41.035 41.414 41.844 42.307	43.191 43.566 43.982	.209	45.693 46.097 46.550 47.046 47.587	48.110 48.549 49.034	.201 .204 .207 .210 .213	50.526 51.001 51.518 52.087 52.709	52.868 53.373 53.925 54.533 55.198	.195 .198 .201	20 21 22 23 24
25 26 27 28 29	42.816 43.381 43.991 44.670 45.427	45.499 46.110	.224 .227 .232 .237 .242	48.181 48.840 49.556 50.357 51.231	50.788 51.496 52.271 53.127 54.065	.217 .221 .226 .231 .236	53.394 54.153 54.985 55.897 56.899	55.930 56.744 57.630 58.602 59.675	.211	25 26 27 28 29
30 31 32 33 34	46.236 47.129 48.117 49.203 50.401	49.206 50.176 51.246	.248 .254 .261 .269 .276	52.175 53.223 54.376 55.649 57.035	55.083 56.209 57.451 58.813	.242 .249 .256 .264 .273	57.991 59.195 60.526 61.978 63.581	60.841 62.129 63.545 65.100 66.808	.238	30 31 32 33 34
35 36 37 38 39	51.704 53.134 54.709 56.443 58.341	55.135	.286 .296 .307 .319 .332	58.566 60.228 62.067 64.088 66.298	61.949 63.737 65.711 67.880 70.254	.282 .292 .304 .316 .330	$\begin{array}{c} 65.332 \\ 67.245 \\ 69.356 \\ 71.672 \\ 74.209 \end{array}$	68.677 70.720 72.970 75.442 78.145	.279 .290 .301 .314 .328	35 36 37 38 39
40 41 42 43 44	60.422 62.701 65.212 67.951 70.962	64.573 67.039 69.753 72.717 75.971	.346 .362 .378 .397 .417	68.724 71.376 74.295 77.482 80.981	72.856 75.701 78.832 82.249 85.998	.344 .360 .378 .397 .418	76.988 80.026 83.369 87.016 91.015	81.108 84.346 87.906 91.790 96.045	.343 .360 .378 .398 .419	40 41 42 43 44
45 46 47 48 49	74.260 77.870 81.820 86.132 90.859	79.535 83.431 87.692 92.349	.440 .463 .489 .518 .549	84.809 88.993 93.564	90.096 94.573 99.469 104.816	.441 .465 .492 .521 .552	$\begin{array}{c} 95.384 \\ 100.153 \\ 105.374 \\ 111.065 \\ 117.286 \end{array}$	111.309 117.358		45 46 47 48 49
50 51 52 53		103.009 109.085 115.704 122.916	.582 .618 .657 .699	109.998 116.504 123.588 131.304 139.707	117.031 123.971 131.526 139.748	.586 .622 .662 .704 .748	124.064 131.438 139.463 148.192 157.663	131.142 138.956 147.453 156.680	.590 .627 .666 .707 .752	50 51 52 53 54
55 56 57 58 59	129.825 138.482 147.898 158.104 169.179	139.331 148.609 158.687 169.600	.792 .844 .899 .958	148.837 158.737 169.476 181.095	158.391 168.902 180.291	.796 .847 .901 .958	167.945 179.067 191.106 204.081 218.076	177.534 189.257 201.919 215.554	.799 .849 .901 .956	55 56 57 58 59
60 61 62 63 64	181.164 194.125 208.072 223.123 239.277 256.596	194.189 207.959 222.774 238.706 255.776	1.085 1.153 1.225 1.299 1.375	207.213 221.793 237.476 254.290 272.275	220.162 235.526 252.000 269.629 288.432 308.421	1.079 1.144 1.210 1.278 1.346	233.111 249.259 266.524 284.968 304.590 325.392	245.966 262.826 280.820 299.989 320.325	1.071 1.131 1.191 1.252 1.311	60 61 62 63 64 65

^{*} Ages 66, 67, . . . continued on Page *117.

1	1	1	1 /							
PRESENT AGE.	10.	$10\frac{1}{2}$.	½m. d.	11.	$11\frac{1}{2}$.	½m.d.	12.	$12\frac{1}{2}$.	$\frac{1}{2}$ m.d.	PRESENT AGE,
15	53.176	55.310		57.444	59.506	.172	61.568	63.557	.166	15
16	53.503			57.820	59.902	.174	61.984	63.995	.168	16
17	53.874	56.054		58.234	60.340	.176	62.446	64.487	.170	17
18	54.275	56.480		58.685	60.821	.178	62.958	65.024	.172	18
19	54.715	56.952		59.189	61.353	.180	63.517	65.614	.175	19
20	55.210	57.476	.189	59.742	61.937	.183	64.132	66.262	.178	20
21	55.746	58.045	.192	60.343	62.574	.186	64.804	66.971	.181	21
22	56.332	58.667	.195	61.003		.189	65.542	67.750	.184	22
23	56.979	59.356		61.732	64.044	.193	66.356	68 612	.188	23
24	57.686	60.107	.202	62.529	64.892	.197	67.255	69.557	.192	24
25	58.466	60.941	.206	63.415	65.825	.201	68.235	70.589	.196	25
26	59.336	61.860	.210	64.385	66.851	.206	69.316	71.730	.201	26
27	60.274	62.857	.215	65.439	67.968		70.497	72.976	.207	27
28	61.308	63.957	.221	66.606	69.202	.216	71.799	74.350	.213	28
29	62.450	65.170	.227	67.890	70.563	.223	73.235	75.859	.219	29
30	63.691	66.491	.233	69.291	72.040		74.790	77.503	.226	30
31	65.063			70.826			76.511	79.313		31
32	66.565	69.544		72.522	75.459		78.396	81.301	.242	32
33	68.222	71.300		74.378		.254	80.467	83.482		33
34	70.034	73.225	.266	76.416		.263	82.737	85.872		34
35	72.023	75.336		78.650	81.937		85.224	88.491	.272	35
36	74.194	77.641	.287	81.087	84.513		87.939		.284	36
37	76.585	80.178	.299	83.772	87.348		90.925	94.491	.297	37
38	79.211	82.963		86.715			94.197			38
39	82.082	86.008		89.933	93.854			101.696		39
40	85.227	89.342		93.457	97.573			105.812		
41	88.666		.360		101.636			100.812 110.302		40
42	92 444	96.988	.379	101.533			110.645		!	41 42
43		101.350	.399	106.136				120.569		43
44	101.074		.421	111.167		.423	121.316		.425	44
45	105.994		.445	116.665						
46	103.334 111.375		.470	122.657		.473	127.390		.450	45
47	117.245		.498	122.057 129.199		.501	134.016 141.228		.476	46
	123.650		.528	136.316		.531	149.062	155 400	.504	47
49	130.629	137.343	.560	144.057		.563	157.577		.535	48
50		145.346		1						49
51		145.340 154.042	.594	152.472		.598	166.821		.601	50
52	155.444		.631	161.611 171.509		.634 $.673$	176.827		.637	51
53		173.698		182.229		.714	187.655 199.353		.675	52
54	175.709			193.821		.757	211.977		.715	53
55									.756	54
56	100, 140	196.735	.801	206.347		.801	225.566			55
	$199.446 \\ 212.732$	209.033	.849	219.820		.848	240.159		.843	56
58	227.028	938 425	$.900 \\ .951$	234.320		.894	255.784			57
59	242.363			249.842 266.473		.944	272.490 290.291		.932	58
										59
60		271.520		284.219			309.219			60
61 62	276.393			303.102			329.258			61
63		309.117		323.118			350.387			62
64		329.640 351.307		344.269			372.620			63
65		351.307 374.094		366.555			395.876			64
00	000.48%	974.094	1.518	389.906	404.994	1.257	420.081	434.369	1.191	65

								-1	PER (JENT.
PRESENT AGE.	m=13.	$13\frac{1}{2}$.	$\frac{1}{2}$ m. d.	14.	$14\frac{1}{2}$.	$\frac{1}{2}$ m.d.	15.	$15\frac{1}{2}$.	$\frac{1}{2}$ m.d.	PRESENT AGE.
15 16 17 18 19	65.546 66.007 66.527 67.091 67.710	67.467 67.956 68.501 69.094 69.744	$165 \\ .167$	69.389 69.905 70.475 71.096 71.779	71.250 71.791 72.388 73.039 73.756	.162	73.112 73.677 74.300 74.983 75.732	74.913 75.504 76.156 76.871 77.656	.152 .155 .157	15 16 17 18 19
20 21 22 23 24	68.393 69.138 69.958 70.868 71.858	70.463 71.247 72.112 73.066 74.106	.176 .180 .183	72.532 73.356 74.267 75.264 76.353	74.546 75.413 76.366 77.410 78.554	.171	76.560 77.471 78.464 79.557 80.755	78.525 79.475 80.514 81.658 82.912	.171	20 21 22 23 24
25 26 27 28 29	72.943 74.145 75.454 76.901 78.484	75.248 76.512 77.889 79.406 81.073	.192 .197 .203 .209 .216	77.554 78.878 80.324 81.911 83.662	79.813 81.203 82.715 84.383 86.214	.206	82.072 83.527 85.107 86.854 88.767	84.292 85.811 87.466 89.291 91.292	.190	25 26 27 28 29
30 31 32 33 34	80.215 82.116 84.205 86.497 89.007	82.890 84.887 87.082 89.487 92.124	.223 .231 .240 .249	85.565 87.659 89.958 92.478 95.240	88.210 90.404 92.811 95.451	.220 .229 .238 .248	90.854 93.149 95.665 98.424	93.474 95.871	.218 .227 .236 .247	30 31 32 33 34
35 36 37 38 39	98.058 101.670	95.011 98.160 101.620 105.408 109.545	.297	98.263 101.560 105.182 109.146 113.473	108.745	.270 .283 .297	104.748	107.987 111.750 115.876 120.385	.270 .283 .297 .313	35 36 37 38 39
40 41 42 43 44	114.641 119.787 125.398	114.067 118.993 124.384 130.252 136.655	.363	118.199 123.346 128.981 135.106 141.792	133.602	.365 $.385$	144.882	130.661 136.501 142.875 149.801 157.332	.410	40 41 42 43 44
45 46 47 48 49		168.356	.453 $.479$ $.508$ $.538$ $.570$	149.060 156.952 165.523 174.815 184.870	162.744 171.659	.483 .511 .541	159.997 168.536 177.794 187.803 198.621	174.366 183.962 194.329	.486 $.514$ $.544$	45 46 47 48 49
1	181.244 192.119 203.860 216.518		.604 .640 .677 .715	195.740 207.468 220.104 233.680	203.015 215.161	.606 .641 .677 .714	210,290 222,854 236,345 250,812 266,266	217.582 230.545 244.451 259.328	.608 .641 .676 .710	50 51 52 53 54
55 56 57 58 59	244.753 260.381	254.291 270.419 287.616 305.875	.795 .837	263.830 280.456 298.141 316.887	273.298 290.372 308.501	.789 .826 .863 .899 .932	282.767 300.288 318.860 338.455 359.055	292.121 310.048 329.006 348.957	.779 .813	55 56 57 58 59
60		345.624 367.071 389.514 412.885	.994 1.028 1.059 1.084	357.545 379.413	369.097 391.279 414.338 438.206	.963 .989 1.010 1.026	380.648 403.145 426.459 450.523 475.192	391.755 414.468 437.938 462.071	.926 .944 .957 .962	60 61 62 63 64
	448.657			475.452	487.886		500.319		.961	65

^{*} Ages 66, 67, continued on Page *117.

SINGLE PREMIUM OR RESERVE (A), FOR TEMPORARY INSURANCE OF 1,000 CONTINUING m YEARS FROM THE PRESENT AGE.

PRESENT AGE.	m=1.	2.	3.	4.	5.	6.	7.	PRESENT AGE.
66	40.184	80.300	120.184	159.777	198.892	237.392	275.097	66
67	43.540	86.829	129.802	172.255	214.042	254.965	294.818	67
68	47.155	93.967	140.213	185.732	230.311	273.724	315.790	68
69	51.195	101.770	151.552	200.305	247.783	293.788	338.024	69
70	55.557	110.241	163.796	215.949	266.485	315.078	361.442	70
71	60.360	119.471	177.037	232.818	286.453	337.628	386.094	71
72	65.594	129.472	191.369	250.886	307.673	361.453	411.880	72
73	71.297	140.383	206.812	270.195	330.221	386.505	438.740	73
74	77.604	152.223	223.420	290.846	354.069	412.745	466.583	74
75	84.417	164.963	241.243	312.767	379.147	440.055	495.220	75
76	91.830	178.796	260.341	336.020	405.461	468.353	524.567	76
77	99.995	193.756	280.772	360.616	432.931	497.565	554.382	77
78	108.829	209.830	302.505	386.441	461.463	527.411	584.471	78
79	118.447	227.130	325.565	413.546	490.885	557.801	614.568	79
80	128.910	245.665	350.020	441.753	521.122	588.455	644.371	80
81	140.224	265.556	375.719	471.043	551.910	619.066	673.718	81
82	152.600	286.742	402.805	501.266	583.033	649.575	702.195	82
83	165.825	309.300	431.016	532.095	614.353	679.402	731.612	83
84	180.310	333.275	460.305	563.681	645.430	711.044	761.097	84
85	195.801	358.404	490.730	595.372	679.361	743.431	788.654	85

PRESENT AGE.	m=8.	9.	10.	11.	12.	13.	14.	PRESENT AGE.
66	311.816	347.395	381.607	414.250	445.163	474.150	501.052	66
67	333.435	370.566	405.995	439.548	471.009	500.207	526.998	67
68	356.239	394.832	431.382	465.653	497.459	526.643	553.076	68
69	380.231	420.203	457.683	492.467	524.384	553.291	579.128	69
70	405.351	446.522	484.732	519.792	551.547	579.928	604.877	70
71	431.538	473.713	512.411	547.460	578.788	606.326	630.152	71
72	458.680	501.622	540.515	575.278	605.835	632.275	654.704	72
73	486.669	530.079	568.879	602.986	632.496	657.530	678.320	73
74	515.345	558.929	597.240	630.389	658.509	681.863	700.867	74
75	544.526	587.868	625.369	657.183	683.602	705.102	722.104	75
76	573.981	616.735	653.006	683.126	707.638	727.022	742.581	76
77	603.542	645.245	679.879	708.063	730.351	748.240	761.886	77
78	632.877	673.076	705.800	731.669	752.433	768.263	779.443	78
79	661.711	700.075	730.413	754.764	773.339	786.450	795.241	79
80	689.875	725.860	754.742	776.775	792.326	802.752	809.424	80
81	716.936	751.624	778.085	796.763	809.285	817.298	822.118	81
82	744.430	776.649	799.389	814.636	824.392	830.261	833.541	82
83	771.440	799.552	818.399	830.460	837.715	841.770	843.949	83
84	796.426	820.113	835.270	844.388	849.484	852.222	853.469	84
85	818.973	838.374	850.046	856.569	860.073	861.670	862.352	85

TABLE LIII.

ANNUAL PREMIUM (P) OF TEMPORARY INSURANCE OF 1000 FOR m YEARS. ALSO $\lambda(\pi-P)$.*

AGE,	m=	=1.		2.		3.		t.	AGE.
x.	P.	$\lambda(\pi-P)$.	P.	$\lambda (\pi - P)$.	P.	$\lambda (\pi - P)$.		$\lambda (\pi - P)$.	x.
15 16 17 18 19	6.339 6.361 6.393 6.426 6.459	0.646159 .666022 .685150 .704502 .724063	6.349 6.377 6.409 6.442 6.480	0.645088 .664539 .683844 .703069 .722280	$\begin{array}{r} 6.363 \\ 6.392 \\ 6.425 \\ 6.461 \\ 6.501 \end{array}$	0.643740 0.663059 0.682346 0.701461 0.720520		0.642295 .661562 .680708 .699713 .718763	15 16 17 18 19
20 21 22 23 24	6.502 6.547 6.591 6.647 6.704	0.743023 .762213 .781648 .800593 .819800	6.524 6.568 6.619 6.675 6.733	0.741335 .760500 .779692 .798740 .817846	$\begin{array}{c c} 6.545 \\ 6.594 \\ 6.646 \\ 6.703 \\ 6.767 \end{array}$	$\begin{bmatrix} 0.739587 \\ .758675 \\ .777720 \\ .796760 \\ .815632 \end{bmatrix}$	6.569 6.619 6.673 6.735 6.801	0.737749 .756706 .775721 .794541 .813358	20 21 22 23 24
25 26 27 28 29	6.762 6.842 6.913 6.995 7.101	0.839277 .857724 .877101 .896179 .914412	6.801 6.876 6.953 7.047 7.148	$\begin{array}{c} 0.836814\\ .855689\\ .874716\\ .893342\\ .911939 \end{array}$	6.836 6.914 7.000 7.095 7.199	0.834539 .853366 .872014 .890663 .909193	6.873 6.958 7.046 7.145 7.253	0.832188 0.850718 0.869338 0.887858 0.887858	25 26 27 28 29
30 31 32 33 34	7.198 7.308 7.431 7.568 7.719	0.933538 .952468 .971234 .989881 1.008430	7.252 7.368 7.498 7.641 7.805	0.930807 .949558 .968128 .986585 1.004747	7.309 7.432 7.568 7.722 7.888	0.927915 .946425 .964853 .982942 1.001140	7.369 7.498 7.644 7.802 7.975	0.924798 $.943141$ $.961235$ $.979305$ $.997379$	30 31 32 33 34
35 36 37 38 39	7.896 8.065 8.262 8.486 8.728	1.026460 .045362 .063840 .081934 .100102	7.979 8.161 8.371 8.604 8.860	1.023012 .041571 .059760 .077663 .095477	8.068 8.264 8.485 8.730 8.993	1.019327 .037507 .055417 .073089 .090880	$\begin{array}{c c} 8.166 \\ 8.372 \\ 8.604 \\ 8.857 \\ 9.136 \end{array}$	1.015296 .033181 .050823 .068422 .085754	35 36 37 38 39
40 41 42 43 44	8.999 9.277 9.612 9.955 10.346	1.117984 .136381 .153845 .171864 .189423	$\begin{array}{c} 9.135 \\ 9.440 \\ 9.779 \\ 10.146 \\ 10.554 \end{array}$	1.113515 .131161 .148674 .166291 .183514	$\begin{array}{c} 9.286 \\ 9.604 \\ 9.959 \\ 10.344 \\ 10.771 \end{array}$	1.108366 .125917 .143115 .160342 .177300	$ \begin{vmatrix} 9.442 \\ 9.776 \\ 10.147 \\ 10.551 \\ 10.999 \end{vmatrix} $	1.103102 .120288 .137178 .154077 .170673	40 41 42 43 44
45 46 47 48 49	10.773 11.239 11.758 12.321 12.943	1.206904 $.224347$ $.241475$ $.258627$ $.275547$	11.000 11.492 12.032 12.624 13.276	1.200718 $.217759$ $.234588$ $.251332$ $.267802$	11.240 11.754 12.320 12.941 13.625	1.194123 .210787 .227262 .243507 .259532	11.489 12.028 12.622 13.273 13.989	$\begin{array}{c} 1.187120 \\ .203401 \\ .219402 \\ .235204 \\ .250767 \end{array}$	45 46 47 48 49
50 51 52 53 54	13.628 14.381 15.206 16.108 17.095	1.292263 .308803 .325195 .341466 .357628	13.995 14.782 15.645 16.588 17.633	1.284037 .300163 .316105 .331851 .347236	14.377 15.200 16.101 17.095 18.187	1.275337 .290977 .306388 .321472 .336294	14.775 15.635 16.583 17.622 18.768	1.266078 .281179 .295944 .310432 .324502	50 51 52 53 54
55 56 57 58 59	18.202 19.396 20.731 22.175 23.756	1.373155 .388816 .403844 .418941 .433834	18.781 20.044 21.431 22.940 24.603	1.362382 $.377181$ $.391695$ $.406085$ $.420046$	19.393 20.711 22.158 23.742 25.485	1.350687 .364847 .378680 .392188 .405246	20.027 21.404 22.918 24.577 26.395	1.338234 .351666 .364650 .377242 .389423	55 56 57 58 59
60 61 62 63 64 65	25.506 27.432 29.521 31.833 34.366 37.154	$\begin{array}{c} \textbf{1.448213} \\ \textbf{.462217} \\ \textbf{.476214} \\ \textbf{.489607} \\ \textbf{.502669} \\ \textbf{.515179} \end{array}$	26.437 28.441 30.637 33.054 35.708 38.610	1.433548 .446845 .459719 .472085 .483974 .495002	27.397 29.494 31.791 34.319 37.085 40.122	1.417933 .430164 .441965 .453137 .463577 .473918	28.394 30.584 32.988 35.622 38.511 41.668	1.401053 .412207 .422773 .432525 .442041 .450779	60 61 62 63 64 65

FORMULA, $\Gamma_x^m = 1000 \frac{M_x - M_{x+m}}{N_x - N_{x+m}}; \quad \pi_x = \frac{1000 M_x}{N_x}.$

ANNUAL PREMIUM (P) OF TEMPORARY INSURANCE OF 1,000 FOR m YEARS. ALSO λ $(\pi-P)$.*

		1	k	4 PER O	CENI.
AGE.	5.	6.	7.	8.	AGE.
x.	P. $\lambda (\pi - P)$	P. $ \lambda (\pi - P)$.	P. $\lambda (\pi - P)$.	P. $\lambda (\pi - P)$.	x.
15	6.393 0.640832	6.409 0.639220	6.426 0.637504	6.443 0.635731	15
16	6.425 .659952	6.443 .658221	6.461 .656452	6.481 .654585	16
17	6.462 .678969	6.481 .677201	6.502 .675334	6.523 .673364	17
18	6.501 .697950	6.523 .696094	6.545 .694120	6.568 .692079	18
19	6.545 .716909	6.569 .714943	6.593 .712909	6.619 .710715	19
20	6.594 0.735785	6.619 0.733765	6.646 0.731583	6.675 0.729294	20
21	6.645 .754701	6.674 .752516	6.704 .750229	6.735 .747838	21
22	6.704 .773521	6.735 .771232	6.767 .768846	6.802 .766238	22
23	6.768 .792264	6.801 .789893	6.838 .787280	6.876 .784583	23
24	6.836 .810996	6.876 .808378	6.915 .805678	6.957 .802847	24
25	6.915 0.829545	6.957 0.826847	7.000 0.824014	7.046 0.821056	25
26	7.002 .848043	7.047 .845218	7.094 .842270	7.144 .839126	26
27	7.094 .866511	7.144 .863582	7.196 .860440	7.251 .857136	27
28	7.197 .884938	7.252 .881811	7.309 .878511	7.371 .874936	28
29	7.310 .903209	7.371 .899934	7.436 .896365	7.502 .892676	29
30	7.433 0.921515	7.501 0.917931	7.571 0.914245	7.644 0.910386	30
31	7.571 .939550	7.644 .935869	7.720 .932026	7.801 .927918	31
32	7.721 .957574	7.801 .953739	7.885 .949646	7.974 .945294	32
33	7.886 .975510	7.974 .971437	8.037 .967094	8.165 .962484	33
34	8.068 .993329	8.165 .988999	8.268 .984402	8.374 .979615	34
35	8.267 1.010988	8.375 1.006399	8.486 1.001641	8.604 0.996488	35
36	8.486 .028590	8.602 .023843	8.727 .018690	8.855 1.013311	36
37	8.726 .046103	8.856 .040956	8.991 .035596	9.133 .029884	37
38	8.993 .063290	9.135 .057964	9.284 .052274	9.439 .046233	38
39	9.284 .080462	9.440 .074798	9.604 .068780	9.774 .062407	39
40	9.605 1.097463	9.776 1.091462	9.955 1.085120	10.143 1.078367	40
41	9.956 .114305	10.144 .107983	10.341 .101252	10.547 .094105	41
42	10.345 .130901	10.551 .124215	10.767 .117103	10.993 .109558	42
43	10.769 .147405	10.996 .140321	11.233 .132806	11.481 .124785	43
44	11.237 .163630	11.486 .156159	11.747 .148180	12.019 .139689	44
45	11.751 1.179693	12.025 1.171750	12.311 1.163306	12.610 1.154311	45
46	12.316 .195498	12.617 .187096	12.930 .178153	13.257 .168630	46
47	12.937 .211053	13.267 .202162	13.610 .192696	13.968 .182614	47
48	13.619 .226367	13.980 .216961	14.356 .206942	14.749 .196212	48
49	14.368 .241427	14.763 .231474	15.176 .220813	15.606 .209439	49
50	15.189 1.256204	15.624 1.245613 16.568 .259449 17.606 .272856 18.746 .285880 19.995 .298493	16.076 1.234321	16.548 1.222199	50
51	16.093 .270661		17.065 .247406	17.581 .234542	51
52	17.083 .284815		18.150 .260083	18.713 .246429	52
53	18.174 .298553		19.339 .272329	19.955 .257783	53
54	19.370 .311934		20.645 .284063	21.319 .268563	54
55	20.685 1.324922	21.369 1.310618	22.080 1.295250	22.814 1.278781	55
56	22.125 .337489	22.875 .322259	23.649 .305935	24.452 .288353	56
57	23.708 .349562	24.526 .333402	25.372 .315984	26.247 .297240	57
58	25.439 .361242	26.334 .343990	27.258 .325424	28.212 .305386	58
59	27.339 .372347	28.317 .353971	29.326 .334127	30.362 .312640	59
60	29.426 1.382882	30.494 1.363248	31.591 1.341971	32.720 1.319205	60
61	31.715 .392792	32.876 .371730	34.072 .349229	35.294 .324817	61
62	34.218 .401931	35.486 .379712	36.782 .355582	38.110 .329362	62
63	36.967 .410631	38.341 .386804	39.752 .360895	41.188 .332839	63
64	39.969 .418541	41.470 .392957	42.996 .365247	44.549 .335136	64
65	43.262 .425541	44.887 .398203	46.541 .368478	48.217 .336167	65

^{*} In valuing Term Policies by Table LXIII, $(\pi-P)$ Bf will be subtractive,

ANNUAL PREMIUM (P) OF TEMPORARY INSURANCE OF 1000 FOR m YEARS. ALSO $\lambda(\pi-P).*$

AGE,	m=9.	10.	11.	12.	AGE.
x.	. P. λ(π—P	P. $ \lambda (\pi - P) $	P. $\lambda (\pi - P)$.	P. $\lambda (\pi - P)$.	x.
15 16 17 18 19	6.462 0.63387 6.501 .65260 6.545 .67131 6.593 .68988 6.646 .70841	$egin{array}{c cccc} 6.522 & .650560 \\ 6.569 & .669115 \\ 6.619 & .687584 \\ \hline \end{array}$	6.502 0.629841 6.545 .648358 6.593 .666813 6.646 .685183 6.705 .703421	6.523 0.627645 6.569 .646055 6.619 .664401 6.675 .682581 6.736 .700709	15 16 17 18 19
20 21 22 23 24	6.704 0.72690 6.768 .74523 6.838 .76353 6.916 .78173 7.000 .79988	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	6.769 0.721592 6.839 .739681 6.916 .757714 7.001 .775606 7.094 .793392	6.803 0.718741 6.877 .736702 6.957 .754542 7.046 .772270 7.145 .789811	20 21 22 23 24
25 26 27 28 29	7.094 0.81790 7.197 .83581 7.310 .85356 7.435 .87123 7.571 .88880	$7.253 \ \ $	7.197 0.811003 7.311 .828519 7.434 .845953 7.571 .863218 7.721 .880305	7.252 0.807277 7.371 .824619 7.501 .841813 7.644 .858826 7.802 .875655	25 26 27 28 29
30 31 32 33 34	7.720 0.90627 7.885 92355 8.067 94066 8.266 95767 8.486 97444	7.974 .918920 8.164 .935843 8.373 .952498	7.886 0.897254 8.066 .914081 8.266 .930648 8.485 .947064 8.726 .963270	7.974 0.892401 8.164 .908872 8.372 .925198 8.602 .941282 8.854 .957146	30 31 32 33 34
35 36 37 38 39	8.727 0.99109 8.990 1.00757 9.282 .02381 9.602 .03983 9.953 .05563	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$ \begin{array}{c} 8.990 & 0.979248 \\ 9.280 & .995046 \\ 9.599 & 1.010559 \\ 9.950 & .025796 \\ 10.335 & .040775 \end{array} $	$ \begin{array}{c} 9.132 & 0.972783 \\ 9.435 & .988189 \\ 9.769 & 1.003301 \\ 10.137 & .018117 \\ 10.540 & .032621 \end{array} $	35 36 37 38 39
40 41 42 43 44	10.339 1.07119 10.762 .08651 11.229 .10150 11.741 .11625 12.303 .13065	10.988 .078425 11.476 .092935 12.011 .107164	10.759 1.055448 11.223 .069814 11.734 .083808 12.293 .097490 12.908 .110770	10.982 1.046804 11.468 .060645 12.002 .074092 12.587 .087184 13.230 .099802	40 41 42 43 44
45 46 47 48 49	12.921 1.14473 13.597 15848 14.342 .171819 15.158 .18476 16.055 .19723	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	13.583 1.123621 14.323 .136048 15.136 .147960 16.027 .159378 17.003 .170264	13.934 1.111980 14.708 .123637 15.556 .134772 16.485 .145355 17.504 .155314	45 46 47 48 49
50 51 52 53 54	17.038 1.20924 18.116 .220788 19.298 .23177 20.595 .24216 22.016 .25195	18.672 .206028 19.905 .216038 21.255 .225422	18.073 1.180543 19.247 .190187 20.531 .199176 21.938 .207409 23.478 .214850	18.620 1.164597 19.841 .173207 21.178 .181035 22.641 .188040 24.243 .194125	50 51 52 53 54
55 56 57 58 59	23.574 1.26104 25.280 .26944 27.149 .27701 29.191 .28370 31.428 .28962	$ \begin{array}{c cccccccccccccccccccccccccccccccc$	25.166 1.221407 27.008 .226989 29.024 .231688 31.223 .235299 33.625 .237667	25.993 1.199187 27.906 .203328 29.992 .206313 32.269 .208025 34.750 .208422	55 56 57 58 59
60 61 62 63 64 65	33.872 1.29452 36.544 .29831 39.460 .30097 42.646 .30236 46.119 .30241 49.902 .30103	37.815 .269622 40.830 .270165 44.118 .269269 47.697 .266860	36.245 1.238777 39.102 .238491 42.211 .236713 45.595 .233311 49.277 .228062 53.272 .220883	37.455 1.207347 40.398 .204706 43.595 .200380 47.073 .194101 50.844 .185804 54.929 .175306	60 61 62 63 64 65

^{*} In valuing Term Policies by Table LXIII, $(\pi - P)$ Bf will be subtractive.

ANNUAL PREMIUM (P) OF TEMPORARY INSURANCE OF 1000 FOR m YEARS. ALSO λ $(\pi-P)$.*

AGE.	m=	=13.		14.		15.	AGE.
x.	P.	λ (π-P).	P.	$\lambda (\pi - P)$.	P.	λ (π-P).	x.
15	$\begin{array}{r} 6.546 \\ 6.593 \\ 6.647 \\ 6.705 \\ 6.769 \end{array}$	0.625336	6.569	0.622924	6.594	0.620319	15
16		.643643	6.620	.641039	6.647	.638319	16
17		.661795	6.675	.659077	6.705	.656216	17
18		.679867	6.736	.677006	6.769	.674007	18
19		.697854	6.803	.694858	6.839	.691677	19
20	6.839	0.715751	6.877	0.712573	6.917	0.709226 $.726594$ $.743870$ $.761015$ $.777990$	20
21	6.916	.733532	6.958	.730182	7.002		21
22	7.001	.751204	7.047	.747616	7.095		22
23	7.095	.768685	7.145	.764946	7.198		23
24	7.198	.786078	7.252	.782156	7.310		24
25	7.310	0.803363	7.371	0.799202	7.434	0.794785	25
26	7.435	.820466	7.501	.816058	7.572	.811378	26
27	7.571	.837412	7.644	.832740	7.721	.827846	27
28	7.721	.854168	7.801	.849285	7.886	.844048	28
29	7.886	.870786	7.975	.865563	8.067	.860072	29
30	8.067	0.887182	8.164	0.881705 0.897595 0.913241 0.928636 0.943764	8.265	0.875876	30
31	8.265	.903407	8.372		8.483	.891421	31
32	8.484	.919399	8.601		8.723	.906715	32
33	8.725	.935143	8.853		8.987	.921720	33
34	8.989	.950662	9.130		9.276	.936437	34
35 36 37 38 39	$\begin{array}{c} 9.279 \\ 9.596 \\ 9.946 \\ 10.331 \\ 10.753 \end{array}$	0.965909 .980904 .995592 1.009931 .023943	$\begin{array}{c} 9.433 \\ 9.765 \\ 10.132 \\ 10.534 \\ 10.975 \end{array}$	0.958602 .973169 .987375 1.001221 .014702	9.594 9.942 10.325 10.746 11.207	0.950845 .964925 .978631 .991945 1.004864	35 36 37 38 39
40	11.216	1.037598	11.460	1.027799 $.040486$ $.052671$ $.064406$ $.075567$	11.713	1.017357	40
41	11.724	.050885	11.989		12.267	.029368	41
42	12.282	.063739	12.573		12.876	.040863	42
43	12.893	.076163	13.211		13.543	.051815	43
44	13.564	.088101	13.913		14.274	.062175	44
45 46 47 48 49	14.301 15.108 15.992 16.961 18.022	1.099505 .110376 .120667 .130316 .139272	14.681 15.522 16.444 17.453 18.557	$\begin{array}{c} \textbf{1.086178} \\ \textbf{.096198} \\ \textbf{.105546} \\ \textbf{.114180} \\ \textbf{.122080} \end{array}$	$15.074 \\ 15.951 \\ 16.911 \\ 17.961 \\ 19.109$	1.071927 .080996 .089324 .096891 .103598	45 46 47 48 49
50 51 52 53 54	$19.184 \\ 20.455 \\ 21.845 \\ 23.365 \\ 25.026$	1.147512 $.154948$ $.161532$ $.167167$ $.171744$	19.765 21.086 22.530 24.106 25.827	$egin{array}{c} 1.129137 \\ .135317 \\ .140519 \\ .144633 \\ .147716 \\ \end{array}$	20.364 21.735 23.231 24.864 26.643	1.109387 .114174 .117843 .120438 .121755	50 51 52 53 54
55	26.842	1.175338	27.704	$egin{array}{c} 1.149560 \\ .150034 \\ .149081 \\ .146556 \\ .142323 \\ \end{array}$	28.583	1.121651	55
56	28.820	.177745	29.750		30.692	.120077	56
57	30.979	.178815	31.977		32.985	.116863	57
58	33.329	.178529	34.399		35.475	.111893	58
59	35.888	.176713	37.031		38.174	.105012	59
60	38.672	1.173251	39.890	1.136245	41.102	1.095957	60
61	41.696	.168027	42.989	.128075	44.269	.084614	61
62	44.978	.160787	46.346	.117699	47.688	.070781	62
63	48.537	.151417	49.975	.104913	51.381	.054124	63
64	52.387	.139747	53.896	.089416	55.358	.034441	64
65	56.552	.125466	58.126	.070998	59.636	.011425	65

4 PER CENT.

$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	PRESENT AGE. 15 16 17 18 19
16 961.538 943.169 1.531 924.801 907.256 1.462 961.538 943.170 1.531 924.802 907.258 1.462 989.711 872.953 1.397 961.538 943.171 1.531 924.803 907.261 1.462 889.715 872.959 1.396 961.538 943.171 1.531 924.805 907.264 1.462 889.723 872.971 1.396 961.538 943.172 1.531 924.806 907.267 1.462 889.723 872.971 1.396 961.538 943.173 1.530 924.808 907.270 1.462 889.733 872.986 1.396 961.538 943.174 1.530 924.810 907.274 1.461 889.738 872.986 1.396 924.810 907.274 1.461 889.738 872.994 1.395	16 17 18 19
20 961.538 943.172 1.531 924.806 907.267 1.462 889.727 872.978 1.396 21 961.538 943.173 1.530 924.808 907.270 1.462 889.733 872.986 1.396 22 961.538 943.174 1.530 924.810 907.274 1.461 889.738 872.994 1.395	
24 961.538 943.176 1.530 924.814 907.282 1.461 889.751,873.013 1.395	20 21 22 23 24
25 961.538 943.177 1.530 924.816 907.287 1.461 889.758 873.024 1.395 26 961.538 943.178 1.530 924.819 907.292 1.461 889.766 873.037 1.394 27 961.538 943.180 1.530 924.822 907.299 1.460 889.775 873.049 1.394 28 961.538 943.181 1.530 924.822 907.305 1.460 889.785 873.064 1.393 29 961.538 943.184 1.530 924.829 907.312 1.460 889.796 873.082 1.393	25 26 27 28 29
30 961.538 943.185 1.530 924.833 907.320 1.459 889.808 873.099 1.392 31 961.538 943.188 1.529 924.838 907.329 1.459 889.821 873.118 1.392 32 961.538 943.190 1.529 924.842 907.339 1.459 889.835 873.139 1.391 33 961.538 943.192 1.529 924.847 907.349 1.458 889.851 873.163 1.391 34 961.538 943.196 1.529 924.853 907.361 1.458 889.868 873.190 1.390	30 31 32 33 34
35 961.538 943.199 1.528 924.860 907.374 1.457 889.888 873.219 1.389 36 961.538 943.202 1.528 924.867 907.388 1.457 889.908 873.249 1.388 37 961.538 943.206 1.528 924.874 907.402 1.456 889.931 873.283 1.387 38 961.538 943.210 1.527 924.883 907.420 1.455 889.957 873.322 1.386 39 961.538 943.215 1.527 924.892 907.438 1.455 889.985 873.364 1.385	35 36 37 38 39
40 961.538 943.220 1.527 924.902 907.458 1.454 890.015 873.410 1.384 41 961.538 943.225 1.526 924.913 907.480 1.453 890.048 873.460 1.382 42 961.538 943.232 1.526 924.926 907.506 1.452 890.086 873.516 1.381 43 961.538 943.239 1.525 924.939 907.532 1.451 890.126 873.576 1.379 44 961.538 943.246 1.524 924.954 907.562 1.449 890.171 873.644 1.377	40 41 42 43 44
45 961.538 943.254 1.524 924.971 907.595 1.448 890.220 873.717 1.375 46 961.538 943.263 1.523 924.989 907.631 1.447 890.274 873.798 1.373 47 961.538 943.273 1.522 925.008 907.670 1.445 890.333 873.887 1.371 48 961.538 943.284 1.521 925.030 907.714 1.443 890.399 873.985 1.368 49 961.538 943.296 1.520 925.054 907.762 1.441 890.470 874.091 1.365	45 46 47 48 49
50 961.538 943.309 1.519 925.080 907.814 1.439 90.549 874.210 1.362 961.538 943.323 1.518 925.109 907.872 1.436 890.635 874.338 1.358 961.538 943.339 1.517 925.141 907.935 1.434 890.730 874.480 1.354 961.538 943.357 1.515 925.176 908.004 1.431 890.833 874.635 1.350 961.538 943.376 1.514 925.214 908.080 1.428 890.947,874.805 1.345	50 51 52 53 54
55 961.538 943.397 1.512 925.256 908.164 1.424 891.073 874.994 1.340 56 961.538 943.420 1.511 925.302 908.256 1.421 891.211 875.199 1.334 57 961.538 943.446 1.508 925.354 908.359 1.416 891.363 875.425 1.328 58 961.538 943.473 1.505 925.409 908.469 1.412 891.528 875.670 1.322 59 961.538 943.504 1.503 925.470 908.589 1.407 891.709 875.940 1.314	55 56 57 58 59
60 961.538 943.537 1.500 925.537 908.722 1.401 891.908 876.237 1.306 61 961.538 943.575 1.497 925.611 908.868 1.395 892.126 876.560 1.297 62 961.538 943.615 1.494 925.692 909.028 1.389 892.365 876.915 1.288 63 961.538 943.659 1.490 925.781 909.204 1.381 892.627 877.303 1.277 64 961.538 943.708 1.486 925.878 909.396 1.374 892.914 877.728 1.266	60 61 62 63 64
65 961.538 943.761 1.481 925.985 909.606 1.365 893.228 878.192 1.253	65

FORMULA, $A_x^{(m)} = 1000 \left\{ \frac{M_x - M_{x+m} + D_{x+m}}{D_{\omega}} \right\} = 1000 \left\{ 1 - (1-v) \left(1 + a_{\omega}^{m-1}\right) \right\}$

4 PER CENT.

								-11	PER (JEINT.
PRESENT AGE.	4.	$4\frac{1}{2}$.	$\frac{1}{2}$ m.d.	5.	$5\frac{1}{2}$.	$\frac{1}{2}$ m.d.	6.	$6\frac{1}{2}$.	$\frac{1}{2}$ m.d.	PRESENT AGE.
15 16 17 18 19	856.196 856.203 856.211	840.184 840.191 840.201 840.211 840.223	1.334 1.334 1.333	824.187 824.199 824.212	808.889 808.902 808.917 808.933 808.950	1.274 1.274 1.273	793.617	779.041 779.064	1.216 1.216 1.216	15 16 17 18 19
20 21 22 23 24	856.239 856.250 856.262	840.235 840.248 840.263 840.279 840.297	1.333 1.332 1.332	824.258 824.277 824.297	808.970 808.991 809.014 809.039 809.068	1.272 1.272 1.272	793.699 793.724 793.752 793.782 793.816	779.149 779.182 779.218	1.215 1.214 1.214	20 21 22 23 24
25 26 27 28 29	856.324 856.344	840.317 840.339 840.363 840.389 840.419	1.331 1.330 1.330	824.372 824.401 824.434	809.099 809.133 809.170 809.211 809.258	1.270 1.269 1.269	793.853 793.894 793.939 793.989 794.044	779.353 779.407 779.467	1.212 1.211 1.210	25 26 27 28 29
30 31 32 33 34	856.390 856.416 856.444 856.476	840.450 840.485 840.522 840.566 840.612	1.328 1.328 1.327 1.326	824.510 824.553 824.601 824.655	809,306 809,360 809,420 809,488 809,560	1.267 1.266 1.265 1.264	794.102 794.168 794.240 794.320 794.408	779.603 779.682 779.769 779.864	1.208 1.207 1.206 1.205	30 31 32 33 34
35 36 37 38 39	856.550 856.591 856.636 856.688	840.663 840.718 840.779 840.848 840.922	1.324 1.323 1.321 1.320	824.777 824.846 824.922 825.008	809.640 809.726	1.261 1.260 1.258 1.257	794.504 794.607 794.722	780.085 780.209 780.348 780.501	1.202 1.200 1.198 1.196	35 36 37 38 39
40 41 42 43 44	856.805 856.872 856.947 857.037	841.004 841.093 841.193 841.300 841.419	1.317 1.315 1.313 1.311	825.203 825.314 825.439 825.573	810.173	1.253 1.250 1.248 1.245	795.143 795.310 795.497 795.698 795.922	781.054 781.278 781.519	1.188 1.185 1.182	40 41 42 43 44
45 46 47 48 49	857.215 857.322 857.441 857.571	841.550 841.693 841.851 842.025 842.214	1.305 1.302 1.299 1.296	826.262 826.478	811.250 811.496	1.235 1.231 1.226	796.730 797.054	782.081 782.403 782.757 783.144 783.568	1.169 1.164 1.159	45 46 47 48 49
50 51 52 53 54	858.230 858.437	842.423 842.651 842.901 843.176 843.477	1.283 1.277 1.272	826.976 827.260 827.572 827.915 828.291	812.741 813.130	1.210 1.204 1.197	798.688	784.544 785.101 785.712	1.140 1.132 1.124	50 51 52 53 54
55 56 57 58 59	858.914 859.187 859.487 859.813	843.809 844.171 844.568 845.001 845.475	1.259 1.251 1.243 1.234	828.704 829.155 829.650 830.189 830.779	815.099 815.714 816.383	1.171 1.161 1.151	801.044 801.779 802.578	787.115 787.915 788.791 789.743 790.784	1.094 1.082 1.070	55 56 57 58 59
60 61 62 63 64	860.566 860.995 861.465 861.980	845.996 846.563 847.183 847.862 848.601	1.214 1.203 1.190 1.177	831.426 832.132 832.901 833.744 834.661	817.917 818.791 819.742 820.783	1.126 1.112 1.097 1.080	804.409 805.450 806.584 807.823 809.167	794.504 795.972	1.024 1.007 .988	60 61 62 63 64
65	863.157	849.409	1.146	835.661	23.145	1.043	810.629			65

Note that $\frac{1}{2}$ m. d. is $\frac{1}{24}$ of the difference of the integer or m columns, 4-5, etc.

								Ť	PER	CENT.
PRESENT AGE.	m = 7.	7½.	$\frac{1}{2}$ m.d.	8.	$8\frac{1}{2}$.	½m.d.	9.	$9\frac{1}{2}$.	½m.d.	PRESENT AGE,
15 16 17 18 19	764.423 764.448 764.475	750.459 750.483 750.512 750.544 750.579	1.162 1.161 1.161	736.544 736.577 736.614	723.201 723.233 723.272 723.313 723.358	1.109 1.109 1.108	709.923 709.966 710.013	697.171 697.213 697.262 697.314 697.371	1.059 1.059 1.058	15 16 17 18 19
20 21 22 23 24	764.573 764.612 764.654	750.617 750.659 750.704 750.754 750.810	1.160 1.159 1.158	736.745 736.797 736.854	723.408 723.463 723.523 723.588 723.661	1.107 1.106 1.106	710.181 710.249 710.323	697.435 697.504 697.581 697.664 697.757	1.056 1.056 1.055	20 21 22 23 24
25 26 27 28 29	764.812 764.875 764.945	750.870 750.938 751.012 751.093 751.183	$1.156 \ 1.155 \ 1.154$	737.065 737.149 737.242	723.741 723.830 723.926 724.032 724.150	1.103 1.102 1.101	710.595 710.703 710.823	697.858 697.971 698.093 698.228 698.378	1.052 1.051 1.050	25 26 27 28 29
30 31 32 33 34	765.197 765.297 765.409	751.280 751.388 751.505 751.636 751.779	1.151 1.149 1.148	737.456 737.579 737.713 737.863	724.277 724.418 724.572 724.743 724.931	1.098 1.097 1.095 1.093	711.099 711.257 711.431 711.624	698.539 698.718 698.913 699.131 699.368	1.047 1.045 1.043 1.041	30 31 32 33 34
35 36 37 38 39	765.812 765.974 766.153	751.937 752.107 752.295 752.505 752.733	1.142 1.140 1.137	738.402 738.617 738.857	725.137 725.360 725.606 725.880 726.179	1.087 1.084 1.081	712.318 712.596 712.904	699.629 699.913 700.226 700.572 700.951	1.034 1.031 1.028	35 36 37 38 39
40 41 42 43 44	766.798 767.059 767.341	752.984 753.257 753.562 753.891 754.256	1.128 1.125 1.121	739.717 740.065 740.441	726.506 726.864 727.261 727.692 728.168	1.071 1.067 1.062	714.012 714.458 714.943	701.366 701.820 702.322 702.868 703.469	1.016 1.011 1.006	40 41 42 43 44
45 46 47 48 49	768.371 768.783 769.235	754.655 755.092 755.572 756.098 756.674	1.107 1.101 1.095	741.813 742.362 742.962	728.689 729.259 729.885 730.569 731.319	1.046 1.040 1.033	716.705 717.408 718.177	704.127 704.848 705.638 706.502 707.447		45 46 47 48 49
50 51 52 53 54	770.272 770.865 771.514 772.225	757.305 757.995 758.751 759.577 760.481	1.081 1.073 1.064 1.054	745.126 745.987	732.140 733.037 734.018 735.090 736.262	1.007	719.941 720.948 722.049 723.251	708.482 709.611 710.845 712.192 713.663	.955 .945 .934 .922 .908	50 51 52 53 54
55 56 57 58 59	773.856 774.786 775.803 776.909	761.471 762.549 763.728 765.008 766.406	1.032 1.020	749.086 750.313 751.653 753.108	737.542	.962 .948 .933 .917 .899	725.999 727.560 729.261 731.108	715.267 717.012 718.912 720.973 723.212	.894	55 56 57 58 59
60 61 62 63 64	779.434 780.867 782.425 784.121	767.929 769.583 771.380 773.332 775.446	.959 .940 .920 .899	756.424 758.300 760.335 762.544	745.862 747.982 750.280 752.770 755.458	.880 .860 .838 .815	735.300 737.665 740.225 742.996	725.642 728.272 731.115	.805 .783 .759 .734	60 61 62 63 64
65		777.733	.852		758.360	.763	749.205	741.054	.679	65

10.	$10\frac{1}{2}$.	1 a	11	1	1 1			1_	DD DC
	102.	$\frac{1}{2}$ m.d.	11.	$11\frac{1}{2}$.	½m.d.	12.	$12\frac{1}{2}$.	$\frac{1}{2}$ m.d.	PRESENT AGE.
684.504 684.558 684.616	672.369 672.429 672.494	1.011 1.011 1.010	$\begin{bmatrix} 660.235 \\ 660.301 \\ 660.372 \end{bmatrix}$	648.650 648.722 648.801	.966 .965 .964 .964	637.065 637.144 637.231	626.006 626.092 626.187	.922 .922 .921 .920 .920	15 16 17 18 19
684.828 684.913 685.006	672.730 672.825 672.928	1.008 1.007 1.007	660.633 660.737 660.851	649.089 649.203 649.329	.963 .962 .961 .960 .959	637.545 637.670 637.808	626.530 626.667 626.818	.919 .918 .917 .916 .915	20 21 22 23 24
$\begin{array}{c} 685.347 \\ 685.483 \\ 685.634 \end{array}$	673.308 673.460 673.627	1.003 1.002	661.270 661.437 661.621	$\begin{array}{c} 649.791 \\ 649.975 \\ 650.178 \end{array}$.958 .957 .955 .954 .952	638.312 638.514 638.736	627.370 627.590 627.834	.913 .912 .910 .909 .907	25 26 27 28 29
685.979 686.178 686.396 686.638	674.012 674.233 674.476 674.745	.997 .995 .993 .991	662.557 662.852	651.210	.950 .948 .946 .943	639.541 639.863 640.219	$\begin{array}{c} 628.713 \\ 629.065 \\ 629.454 \end{array}$.905 .902 .900 .897 .894	30 31 32 33 34
687.192 687.508 687.856 688.241	675.362 675.713 676.101 676.529	.986 .983 .980 .976	663.532 663.919 664.346 664.817	652.284 652.710 653.181 653.699	.937 .934 .930 .927 .922	641.037 641.502 642.016 642.582	630.348 630.857 631.418 632.036	.887	35 36 37 38 39
689.628 690.186 690.792	678.071 678.691 679.364	.968 .963 .958 .952 .946	666.514 667.196 667.937	655.568 656.318 657.133	.917 .912 .907 .900 .894	644.621 645.440 646.329	634.262 635.155 636.125	.869 .863 .857 .850 .843	40 41 42 43 44
692.991 693.868 694.827	681.806 682.779 683.843	.939 .932 .924 .915	670.621 671.690 672.859	660.083 661.258 662.540	.886 .878 .869 .860	$649.546 \\ 650.825 \\ 652.222$	639.631 641.025 642.546	.835 .826 .817 .806 .795	45 46 47 48 49
697.023 698.275 699.641 701.133	686.276 687.663 689.176 690.826	.896 .884 .872 .859 .845	675.530 677.052 678.711 680.519	665.471 667.139 668.957 670.936	.838 .826 .813 .799 .783	$657.227 \\ 659.203 \\ 661.354$	647.988 650.134 652.469	.783 .770 .756 .740 .724	50 51 52 53 54
704.535 706.464 708.563 710.838	694.585 696.713 699.028 701.533	.829 .813 .795 .775	684.635 686.963 689.493 692.229	675.437 677.979 680.739 683.721	.767 .749 .730 .709 .687	668.996 671.986 675.214	$\begin{array}{c} 660.749 \\ 663.982 \\ 667.469 \end{array}$.706 .687 .667 .645 .623	55 56 57 58 59
715.985 718.880 722.006 725.379 729.007	707.193 710.371 713.797 717.488 721.450	.733 .709 .684 .658 .630	698.402 701.862 705.587 709.596 713.894	690.437 694.193 698.231 702.570 707.214	.664 .639 .613 .586 .557	686.525 690.876 695.545 700.535	679.654 684.328 689.335 694.676	.598 .573 .546 .518 .488 .458	60 61 62 63 64 65
	684.504 684.558 684.616 684.680 684.751 684.828 684.913 685.006 685.109 685.222 685.347 685.483 685.634 685.800 685.792 686.178 686.396 687.508 687.508 687.856 688.241 689.123 689.123 689.628 690.186 690.792 691.461 692.191 692.991 692.991 693.868 694.827 695.875 697.023 698.275 699.641 701.133 702.761 704.535 706.464 708.563 710.838 715.985 718.880 725.006 725.379 729.007	684.504 672.369 684.558 672.429 684.616 672.494 684.680 672.566 684.751 672.645 684.828 672.730 684.913 672.825 685.006 672.928 685.109 673.043 685.222 673.169 685.347 673.308 685.483 673.460 685.634 673 627 685.800 673.812 685.979 674.012 686.178 674.233 686.396 674.476 686.638 674.745 686.902 675.039 687.192 675.362 687.508 675.713 687.856 676.101 688.241 676.529 688.662 676.997 689.123 677.510 689.628 678.071 690.186 678.691 690.792 679.364 691.461 680.107	685.979 674.012 .997 686.178 674.233 .995 686.396 674.476 .993 686.638 674.745 .991 686.902 675.039 .989 687.192 675.362 .986 687.508 675.713 .983 687.856 676.101 .980 688.241 676.529 .976 688.662 676.997 .972 689.123 677.510 .968 689.628 678.071 .963 690.186 678.691 .958 690.792 679.364 .952 691.461 680.107 .946 692.191 680.918 .939 692.991 681.806 .932 693.868 682.779 .924 694.827 683.843 .915 695.875 685.005 .906 697.023 686.276 .896 698.275 687.663 .884 699.641 689.176 .872 701.133 690.826 .859 702.761 692.625 .845 704.535 694.585 .829 706.464 696.713 .813 708.563 699.028 .795 710.838 701.533 .775 713.308 704.251 .755 715.985 707.193 .733 718.880 710.371 .709 722.006 713.797 .684 725.379 717.488 .658 729.007 721.450 .630	684.504 672.369 1.011 660.235 684.558 672.429 1.011 660.301 684.616 672.494 1.010 660.372 684.680 672.566 1.009 660.451 684.751 672.645 1.009 660.538 684.828 672.730 1.008 660.633 684.913 672.825 1.007 660.737 685.006 672.928 1.007 660.851 685.109 673.043 1.006 660.977 685.222 673.169 1.004 661.116 685.347 673.308 1.003 661.270 685.483 673.460 1.002 661.437 685.890 673.812 .999 662.289 686.178 674.233 .995 662.289 686.396 674.4745 .991 662.852 686.902 675.733 .983 663.919 687.593 .986 663.532 687.594 .976 664.817	684.504 672.369 1.011 660.235 648.650 684.616 672.494 1.010 660.301 648.722 684.680 672.566 1.009 660.451 648.888 684.680 672.645 1.009 660.431 648.888 684.828 672.730 1.008 660.633 649.089 684.913 672.825 1.007 660.737 649.203 685.006 672.928 1.007 660.737 649.329 685.222 673.169 1.004 661.16 649.329 685.483 673.308 1.007 660.851 649.329 685.483 673.308 1.002 661.437 649.975 685.483 673.308 1.001 661.621 650.178 685.483 673.3812 .999 662.045 650.403 685.979 674.012 .997 662.289 650.917 686.386 674.4745 .993 662.352 651.532 687.192 675.362	684.504 672.369 1.011 660.235 648.650 .965 684.616 672.494 1.011 660.301 648.722 .965 684.680 672.566 1.009 660.372 648.801 .964 684.681 672.566 1.009 660.451 648.888 .964 684.828 672.730 1.008 660.633 649.089 .962 684.913 672.825 1.007 660.737 649.203 .961 685.006 673.928 1.007 660.977 649.469 .959 685.109 673.043 1.004 661.116 649.621 .958 685.347 673.308 1.003 661.270 649.791 .957 685.483 673.460 1.002 661.437 649.975 .958 685.347 673.381 .999 661.821 650.403 .952 686.178 674.275 .993 662.255 651.210 .946 686.396 674.745 .993 <th> 684.504 672.369 1.011</th> <th> 684.504 672.499 1.011 660.235 648.650 965 637.045 626.096 684.616 672.494 1.010 660.372 648.801 964 637.231 626.187 684.680 672.566 1.009 660.451 648.888 964 637.336 626.291 684.832 672.730 1.008 660.633 649.989 962 637.545 626.530 684.913 672.825 1.007 660.637 649.989 966 637.645 626.530 685.006 672.928 1.007 660.851 649.329 960 637.640 626.667 685.006 672.928 1.007 660.851 649.329 960 637.696 626.895 685.232 673.169 1.004 661.116 649.621 958 638.127 627.167 685.483 673.460 1.002 661.437 649.975 955 638.514 627.590 685.634 673.627 1.001 661.621 650.178 955 638.514 627.590 685.630 674.476 999 662.889 650.915 948 686.396 674.476 999 662.889 650.915 948 686.638 674.475 991 662.852 651.535 943 687.192 675.362 986 663.332 652.284 97 687.586 675.113 983 663.916 652.284 97 688.642 676.6997 972 664.332 653.691 927 688.642 676.6997 972 664.332 653.691 927 689.123 677.510 968 665.387 653.681 927 927 689.124 676.529 976 664.817 653.689 927 689.125 678.691 984 669.451 689.193 672.675 651.113 990 689.126 678.691 986 665.887 654.888 917 643.880 633.453 689.127 689.188 939 669.645 659.011 886 689.299 681.806 932 677.530 686.546 689.527 689.643 689.641 689.176 882 677.075 667.133 900 692.919 681.806 932 677.621 660.83 878 661.346 663.341 689.796 633.843 644.621 633.203 644.621 633.203 644.621 633.203 644.621 633.203 644.623 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 </th> <th> 684.504 672.369 .011</th>	684.504 672.369 1.011	684.504 672.499 1.011 660.235 648.650 965 637.045 626.096 684.616 672.494 1.010 660.372 648.801 964 637.231 626.187 684.680 672.566 1.009 660.451 648.888 964 637.336 626.291 684.832 672.730 1.008 660.633 649.989 962 637.545 626.530 684.913 672.825 1.007 660.637 649.989 966 637.645 626.530 685.006 672.928 1.007 660.851 649.329 960 637.640 626.667 685.006 672.928 1.007 660.851 649.329 960 637.696 626.895 685.232 673.169 1.004 661.116 649.621 958 638.127 627.167 685.483 673.460 1.002 661.437 649.975 955 638.514 627.590 685.634 673.627 1.001 661.621 650.178 955 638.514 627.590 685.630 674.476 999 662.889 650.915 948 686.396 674.476 999 662.889 650.915 948 686.638 674.475 991 662.852 651.535 943 687.192 675.362 986 663.332 652.284 97 687.586 675.113 983 663.916 652.284 97 688.642 676.6997 972 664.332 653.691 927 688.642 676.6997 972 664.332 653.691 927 689.123 677.510 968 665.387 653.681 927 927 689.124 676.529 976 664.817 653.689 927 689.125 678.691 984 669.451 689.193 672.675 651.113 990 689.126 678.691 986 665.887 654.888 917 643.880 633.453 689.127 689.188 939 669.645 659.011 886 689.299 681.806 932 677.530 686.546 689.527 689.643 689.641 689.176 882 677.075 667.133 900 692.919 681.806 932 677.621 660.83 878 661.346 663.341 689.796 633.843 644.621 633.203 644.621 633.203 644.621 633.203 644.621 633.203 644.623 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621 633.631 644.621	684.504 672.369 .011

				1		. 1			FER	DDDGDNM
PRESENT AGE.	m = 13.	$13\frac{1}{2}$.	½m.d.	14.	$14\frac{1}{2}$.	$\frac{1}{2}$ m.d.	15.	$15\frac{1}{2}$.	$\frac{1}{2}$ m.d.	PRESENT AGE.
15		604.299	.880	593.736		.840	573.569		.802	15
16	614.947				583.758		573.683		.801	16
17	615.040		.879	593.944		.839	573.810 573.950			17 18
18 19		604.603 604.726	.878	594.064	584.150	.837	574.104			19
20			.877	594.342		.836	574.273		.798	20
21	$615.380 \\ 615.516$.876	594.502		.835	574.458			21
22		605.170		594.676		.834	574.661			22
23		605.349	.873		584.876	.833		565.358		23
24	616.010	605.546	.872	595.081	585.105	.831	575.130	565,623	.792	24
25	616.208	605.761	.871	595.314			575.400	565.913	.791	25
26		605.999	.869		585.634		575.698			26
27		606.259			585.937	.826	576.023		.787	27
28 29	617.222	606.545	$.866 \\ .863$	596.160	586.638	.824	576.382 576.776		.785	28 29
30		607.204 607.582	.861 .859		587.038 587.479		577.205 577.679		.779	30 31
32		607.997	.856		587.962		578.198			32
33		608.455			588.495		578.769			33
34		608.957			589.079		579.396	570.204	.766	34
35	619,659	609.507	.846	599.355	589.719	.803	580.083	570.941	.762	35
36		610.106			590.416		580.831			36
37		610.767			591.184		581.655			37
38		611.494			592.029	.789	582.561		.747	38
39		612.289		602.354		.784	583.551			39
40		613.159 614.110	.822	603.292 604.317	593.963	.777	584.634 585.818			40 41
42		615.157	.810		596.281	.764	587.119			42
43		616.296	.802		597.602		588.534			43
44		617.547	.794	608.017		.747	590.086			44
45	628.339	618.913	.786	609.487	600.632	.738	591.778	583.474	.692	45
46		620.404			602.358	.728	593.625			46
47		622.035		612.845		.717	595.640			47
48	632.870 634.664	623.813	.755 $.743$	614.756	606,295	.705	597.835 600.224			48 49
				619.106			602.823		.644	
50 51	636.621 638.750		.730 .716	619.106 621.572		.679 $.664$	602.823 605.645		.629 .613	50 51
52	641.066		.701	624.251			608.707			52
53	643.585		.684	627.159			612.025			53
54	646.321	638.317	.667	630.313	622.966	.612	615.619	608,900	.560	54
55	649.290		.648	633.731	626.617	.593	619.504		.540	55
56	652.502		.628	637.421		.572	623.691		.518	56
57	655.978		.607	641.406		.550	628.203			57
58 59		652.709 657.034	.585	645.692 650.303		.527	633.045 638.242		.473	58 59
60	668.116					1				
61		666.667	.536 $.510$	$655.254 \\ 660.551$.477 $.451$	643.804 649.737		.395	60 61
62	677.780		.482		661.128		656.051			32
63		677.678		672.231		.395	662.756		.340	63
64	688.817		.425	678.626	674.236	.366	669.846	666.102		64
65	694.866	690.131	.395	685.396	681.358	.337	677.321	673.917	.284	65

								7	I LEIN	CENT.
PRESENT AGE.	16.	$16\frac{1}{2}$.	$\frac{1}{2}$ m.d.	17.	$17\frac{1}{2}$.	$\frac{1}{2}$ m.d.	18.	$18\frac{1}{2}$.	$\frac{1}{2}$ m.d.	PRESENT AGE.
15 16 17 18 19	554.452 554.598	545.433 545.605	.765 .765 .764 .763 .762	535.951 536.101 536.268 536.451 536.653	527.186 527.347 527.525 527.720 527.934	.730 .729 .728	518.593 518.782 518.989		.696 .695 .694	15 16 17 18 19
20 21 22 23 24	555.130 555.343 555.576 555.833 556.116	546.230 546.480 546.754	.761 .759 .758 .757 .755	536.874 537.117 537.384 537.676 537.999	528.171 528.430 528.713 529.027 529.369	.725 .724	519.469 519.744 520.043	511.172 511.464 511.782 512.138	.691 .690 .688 .687	20 21 22 23 24
25 26 27 28 29	556.426 556.768 557.142 557.554 558.007	547.755 548.155 548.595	.753 .751 .749 .747 .744	538.352 538.742 539.168 539.637 540.153	529.746 530.162 530.616 531.115 531.666		521.140 521.583 522.065 522.594	512.948 513.419 513.930	.683 .680 .678 .675 .672	25 26 27 28 29
30 31 32 33 34	558.499 559.043 559.639 560.295 561.013	549,606 550.188 550.826 551.526	.741 .738 .734 .731 .727	540.714 541.333 542.012 542.758 543.576	532.263 532.922 533.646	.704 .701 .697	523.813 524.511 525.280 526.122		.669 .665 .661	30 31 32 33 34
35 36 37 38 39	561.800 562.659 563.603 564.641 565.774	553.135 554.053 555.061 556.169	.722 .717 .712 .706 .700	544.471 545.447 546.520 547.698 548.985	536.264 537.302 538.445 539.697	.684 .679 .673	528.057 529.157 530.370 531.697	520.290 521.457 522.743 524.149 525.686	.647 .642 .636 .629	35 36 37 38 39
40 41 42 43 44	567.013 568.367 569.854 571.470 573.241	558.702 560.146 561.732	.693 .685 .677 .668 .658	550.391 551.926 553.610 555.441 557.445			534.730 536.459 538.351 540.410	527.363 529.194 531.196	.614 .605 .596	40 41 42 43 44
45 46 47 48 49	575.171 577.275 579.569	567.398	.648 .636 .624 .611 .597	559.626 562.003 564.591 567.403 570.456	552.366 554.886 557.628 560.606 563.837	.605 .593 .580 .566 .552	545.106 547.770 550.666	538.339 541.153 544.210 547.525	.564 .551	45 46 47 48 49
50 51 52 53 54	587.726 590.922 594.385 598.132	580.748 584.139	.582 .565 .548 .529 .510	573.770 577.357 581.238 585.429 589.950	567.340 571.131 575.227 579.647	.536 .519 .501 .482 .462	560.911 564.905 569.217	555.009 559.212 563.745 568.627	.492 .474 .456 .437 .416	50 51 52 53 54
55 56 57 58 59	606.552 611.253 616.305 621.705	$600.685 \\ 605.648$.489 .467 .444 .420	594.818 600.043 605.646 611.618 618.012	$595.022 \\ 600.900$.441 .418 .396 .371 .347	584.246 590.001 596.155	579.509 585.530 591.961 598.793	.395 .373 .350 .326 .302	55 56 57 58 59
60 61 62 63 64 65	$ \begin{vmatrix} 640.253 \\ 647.221 \\ 654.594 \\ 662.359 \end{vmatrix} $	629.243 636.128 643.417 651.113 659.203 667.679			628.452 636.369 644.699 653.420	.245	617.083 624.900 633.126 641.764 650.794 660.191	630.391 639.320 648.635	.277 .252 .228 .204 .180 .157	60 61 62 63 64 65

								4 PER CENT.		
PRESENT AGE.	m = 19.	$19\frac{1}{2}$.	$\frac{1}{2}$ m.d.	20.	$20\frac{1}{2}$.	$\frac{1}{2}$ m.d.	21.	$21\frac{1}{2}$.	$\frac{1}{2}$ m.d.	PRESENT AGE.
15 16 17 18 19	501.890 502.103 502.336	493.720 493.924 494.150 494.397 494.668	.663	486.197 486.458	478.134 478.362 478.614 478.890 479.193	.634 .633 .632 .631 .629	470.766 471.031 471.322	463.269 463.523 463.802 464.109 464.446	.605 .604 .602 .601	15 16 17 18 19
20 21 22 23 24	503.185 503.522 503.899	494.969 495.296 495.654 496.053 496.485	.657	487.408 487.786	479.528 479.894 480.293 480.738 481.221	.628 .626 .624 .622 .620	472.380 472.801 473.269	464.818 465.225 465.668 466.162 466.698	.596 .594 .592	20 21 22 23 24
25 26 27 28 29	505.255 505.796 506.391	496.962 497.489 498.062 498.692 499.389	$.645 \\ .642$	489.167 489.723 490.328 490.994 491.729	482.978 483.681	.618 .615 .613 .609 .606	474.956 475.629 476.369	467.288 467.939 468.648 469.428 470.288	.587 .585 .582 .578 .575	25 26 27 28 29
30 31 32 33 34	507.761 508.545 509.409 510.354	500.142 500.972 501.887 502.886 503.981	.635 .631 .627	492.524 493.399 494.364 495.418	485.297	.602 .598 .594 .589	478.070 479.043 480.114 481.285	471.219 472.244	.571 .567 .562	30 31 32 33 34
35 36 37 38 39	512.524 513.758 515.117 516.602	505.181 506.486 507.922 509.491 511.205	.612	497.838 499.214 500.728	490.903 492.354 493.949 495.692	.578 .572 .565 .557	483.968 485.494 487.171 489.002	477.426 479.031 480.794 482.718 484.816	.545 .539	35 36 37 38 39
40 41 42 43 44	519.997 521.929 524.042 526.340	513.076 515.116 517.345 519.769 522.410	.577 .568 .558 .548	506.156 508.303 510.648 513.197	499.666 501.926 504.392 507.072 509.990	.541 .531 .521 .510 .499	493.177 495.549 498.137 500.948	487.102 489.592 492.307 495.253 498.458	.506 .496 .486 .475 .462	40 41 42 43 44
45 46 47 48 49	531.573 534.536 537.754 541.242	525.282 528.401 531.786 535.453 539.422	.524 .511 .497	518.991 522.266 525.819 529.664	513.158 516.595 520.321 524.349 528.704		507.326 510.924 514.823 519.035		.449 .435 .421 .405 .388	45 46 47 48 49
50 51 52 53 54	549.107 553.519 558.273 563.388	543.710 548.336 553.315 558.667 564.407		538.313 543.153	533.401 538.458 543.890 549.717	.409 .391 .372 .353 .332	528.488 533.762 539.423 545.487	524.037 529.530 535.420 541.721 548.447	.371	50 51 52 53 54
55 56 57 58 59	581.060 587.767 594.883	570.554 577.108 584.088 591.482 599.326	.352 .329 .307 .283	566.337 573.157 580.410 588.082 596.207	569.691 577.210 585.152	.311 .289 .267 .244 .222	558.882 566.225 574.011 582.222	555.612 563.210 571.254 579.723 588.645	.273	55 56 57 58 59
60 61 62 63	610.431 618.840 627.657 636.877	607.595 616.285 625.380 634.870	.236 .213 .190 .167	604.759 613.731 623.103 632.864	$\begin{array}{c} 602.368 \\ 611.604 \\ 621.233 \\ 631.241 \end{array}$.199 .177 .156 .135	599.977 609.477 619.363 629.618	597.986 607.730 617.850 628.326	.166 .146 .126 .108	60 61 62 63
64 65	646.477 656.425	644.731 654.926	.146 $.125 $	$\begin{array}{c} 642.985 \\ 653.428 \end{array}$.116	$\frac{640.207}{651.087}$.091	64 65

								4	PER.	CENT.
PRESENT AGE.	22.	$22\frac{1}{2}$.	½ m d.	23.	$23\frac{1}{2}$.	$\frac{1}{2}$ m.d.	24.	$24\frac{1}{2}$.	$\frac{1}{2}$ m.d.	PRESENT AGE.
15		449.094	.577	442.176		.550		422.700	.524	15
16		449.375	.575	442.471	435.890	1		423.040	.523	16
17		449.685	.574	442.796		.547		423.415	.521	17
18 19		450.024 450.397	.573	443.152 443.543	436.605	.546	430.059		.520	18
							430.490		.518	19
20 21		450.808 451.259	.570				430.965		.516	20
22		451.749	1.568	444.447		.540 .538	431.484 432.050		.514	21 22
23		452.294	.563	445.534		.536	432.679		.509	23
24		452.887	.562	446.156		.533	433.363		.506	24
25	460.238	453.539	.558	446.840	1	.530	434.114	1	.503	25
26		454.259	.555	447.595		.527	434.943		.500	26
27		455.042	.552	448.417		.524	435.846		.497	27
28		455.903	.549	449.319		.520	436.837	430.926	.493	28
29	463.391	456.852	.545	450.314	444.121	.516	437.928	432.068	.488	29
30		457.880	.541	451.392		.512	439.112		.484	30
31		459.011	.536	452.577		.507	440.412		.479	31
32		460.253	.531	453.879			441.838		.473	32
33 34		461.612 463.097	.526	455.302		.496	443.397		.467	33
			.520	456.857		.490	445.100		.461	34
35 36		464.721 466.488	.514	458.558		.483	446.961		.454	35
37		468.426	.507	460.408 462.436		.476	$\frac{448.984}{451.200}$.446 .438	36 37
38		470.540	.490	464.647		.460	453.615		.429	38
39		472.845	.482		461.651	.451	456.244		.420	39
40		475.354	.473	469.680		.441	459.103		.410	40
41		478.083	.463	472.531	467.369	.430	462.208		.399	41
42	486.477	481.056	.452	475.636		.419	465.584		.387	42
43		484.279	.440	479.000		.407	469.240		.375	43
44	492.910	487.781	.427	1	477.928	.394	473.202	468.864	.362	44
45		491.574	.414	486.607		.380	477.486		.348	45
46		495.677	.400	490.881		.365	482.110		.333	46
47		500.113	.385	495.498		.350	487.095		.317	47
48 49	509.317 511.265	504.893 510.043	$\begin{array}{c} .369 \mid \\ .352 \end{array}$	500.470 505.821		.334	492.454 498.211		.301	48 49
50		515.575	.334	511.564		.299	504.377			
51		521.508	.316		514.342	.281	510.967		.267	50 51
52		527.854	.297	524.291		.263	517.992		.230	52
53		534.627	.277	531.299	528.380	.243	525.461	522.922	.212	53
54		541.839		538.751	536.066	.224	533.380		.193	54
55	552.343	549.499	.237	546.656		.204	541.756	539.667	.174	55
56	560.196	557.599	.216	555.002	552.787	.185	550.573		.156	56
57		566.147	.196	563.797		.165	559.833		.138	57
58		575.118	.176	573.012	571.259	.146	569.505		.120	58
59		584.536	.156		581.135	.128	579.602		.103	59
60		594.360	.136	592.725	591.402 602.033	.110	590.079 600.908		.088	60
61 62		$604.570 \\ 615.133$.118	603.157 613.930	602.033 612.989	.094	612.049		.073	61 62
63		626.026	.084		624.245	.064	623.472		.048	63
64		637.205	.069	636.374		.052	635.129	_	.038	64
65		648.622	.056	647.951		.041	646.970		.029	65
					1					

PRESENT AGE.	m = 25.	$25\frac{1}{2}$.	½m.d.	26.	261	½m.d.	27	$27\frac{1}{2}$	½m.d.	PRESENT AGE.
15		410.426	.499	404.437		.475	393.027		.453	15
16		410.798 $ 411.208 $.498 $.496$		399.139 399.586	.474	393.451 393.918		.451	16 17
17 18		411.208 411.658	.495	405.724		.471	394.431		.448	18
19		412.152	.493	406.240		.469	394.993		.446	19
20		412.697	.491	406.808	401.210	.467	395.612	390.292	.443	20
21	419.153	413.291	.489	407.430	401.859	.464	396.289		.441	21
22	419.775		.486	408.109		.462		391.770		22
23 24	420.463 421.212		.483	408.860 409.678		$.459 \\ .456$	397.846 398.738		.435 $.432$	23 24
	422.035		.478	410.576	1	.453	399.715		.429	25
25 26	422.942		.474	411.566		.449	400.791		.425	26
27	423.930		.470	412.644		.445	401.963		.421	27
28	425.015	419.421	.466	413.826		.441	403.249		.416	28
29	426.208		.462	415.126		.436	404.661		.411	29
30		422.019	.457	416.536		.431	406.192		.406	30 31
31 32		423.502	.452	418.083	412.977 414.744	.426	407.871 409.710		.400	32
33		425.129 426.904	.446	421.628		.413	411.716		.387	33
34		428.842	.433		418.775	.406	413.903		.380	34
35	436.067	430.959	.426	425.851	421.069	.398	416.288	411.822	.372	35
36	438.272	433.258	.418	428.244		.390	418.878		.364	36
37		435.772	.409		426.282	.382	421.704		.355	37 38
38	443.310 446.166		$.400 \\ .390$	433.705	432.453	.372 $.362$	424.776 428.110		.335	39
40		444.710	.380		435.938	.351	431.724		.324	40
41		448.212	.369		439.712	.340	435.636		.312	41
42		452.013	.357		443.803	.327	439.874		.299	42
43		456.119	.344		448.217	.315	444.443		.286	43
44		460.560	.331		452.983	.301	449.372		.273	44
45		465.350	.316		458.115	.287	454.676		.258	45 46
46 47		470.507 476.052	.301 $.286$	466.890 472.621		.272 $.256$	$\begin{vmatrix} 460.370 \\ 466.474 \end{vmatrix}$.243	47
48		481.995	.270	478.759		.240	472.998		.212	48
49	491.393		.253	485.323		.224	479.958		.196	49
50		495.150	.236	492.322		.207	487.361		.180	50
51	505.000		.218	499.766		.190	495.215		.163	51
52 53	512.466 520.383		.200 .182	507.661 516.008		.173 $.155$	503.520 512.277		.147	52 53
54	528.752		.164	524.806		.139	521.480		.115	54
55		535.817	.147	534.056	532.589		531.123		.100	55
56		545.284	.130	543.730	542.454	.106	541.177	540.144	.086	56
57		555.178	.113	553.823		.091	551.630	550.758	.073	57
58 59		565.459 576.134	.097	564.293 575.147		.077	562.439 573.605		.060	58 59
60		587.152	.069	586.330		.052	585.071		.039	60
61		598.478	.059	597.806		.032	596.798		.031	61
62		610.069	.045	609.530		.033	608.741	608.460	.023	62
63	622.314	621.891	.035	621.468	621.167	.025	620.865		.017	63
64		633.895	.027		633.350	.018	633.130		.012	64
65	046.271	646.033	.020	045.795	645.642	.013	645.488	045.394	.008	65

PRESENT AGE.	28	281	$\frac{1}{2}$ m.d.	29.	$29\frac{1}{2}$	$\frac{1}{2}$ m.d.	30	$30\frac{1}{2}$	$\frac{1}{2}$ m.d.	PRESENT AGE.
15 16 17 18 19	382.624 383.131 383.688	376.991 377.472 378.001 378.582 379.218	.431 .429 .428 .426 .423	371.820 372.320 372.871 373.475 374.137	367.420 367.993 368.622	.410 .408 .407 .404 .402	362.520	$358.480 \\ 359.160$.388 .386 .384	15 16 17 18 19
20 21 22 23	384.972 385.708 386.511 387.399	379.919 380.686 381.523 382.448	.421 .419 .416 .413	374.867 375.664 376.535 377.496 378.544	370.071 370.900 371.806 372.806	.400 .397 .394 .391 .387		360.725 361.621 362.599 363.678		20 21 22 23 24
24 25 26 27 28	389.427 390.595 391.866 393.259	383.455 384.559 385.775 387.097 388.547	.409 .406 .402 .397 .393	379.692 380.955 382.329 383.835	375.090 376.403 377.831 379.396	.384 .379 .375 .370	370.488 371.850 373.333 374.957	366.141 367.556 369.095 370.780	.362 .358 .353 .348 .343	25 26 27 28 29
29 30 31 32 33	396.447 398.264 400.252 402.420	395.818 398.069	.388 .382 .376 .370	385.486 387.278 389.239 391.383 393.719	382.972 385.007 387.232 389.655	.365 .359 .353 .346 .339	376.736 378.666 380.776 383.081 385.591	374.628 376.815 379.203 381.804	.337	30 31 32 33 34
34 35 36 37 38	407.356 410.148 413.191 416.497	$\begin{array}{c} 406.089 \\ 409.245 \\ 412.670 \end{array}$.355 .347 .338 .329 .319	396.262 399.031 402.031 405.299 408.843	395.161 398.268 401.651 405.318	.331 .323 .313 .304 .294	388.321 391.291 394.506 398.003 401.792 405.889	387.702 391.028 394.642 398.556	.299 .290 .280 .270	35 36 37 38 39
39 40 41 42 43		420.395 424.731 429.417 434.458	.308 .297 .285 .273 .259 .246	412.681 416.831 421.310 426.146 431.345 436.934	413.572 418.195 423.183 428.539	.283 .272 .260 .247 .234 .220	410.313 415.081 420.220 425.734 431.651	407.346 412.259 417.549 423.221	.247 .235 .223 .209	40 41 42 43 44
44 45 46 47 48	448.477 454.529 461.002 467.905	439.882 445.700 451.929 458.584 465.672	.231 .217 .202 .186 .171	$\begin{bmatrix} 430.334 \\ 442.923 \\ 449.329 \\ 456.166 \\ 463.438 \\ 471.160 \end{bmatrix}$	$440.451 \\ 447.031 \\ 454.045 \\ 461.496$.206 .192 .177 .162 .147	437.979 444.732 451.923 459.553	435.794 442.716 450.078	.182 .168 .154 .140	45 46 47 48 49
49 50 51 52 53	483.047 491.293 499.990 509.132	498.502 507.822	.155 .139 .124 .109	479.330 487.950 497.014 506.513 516.435	477.745 486.540 495.775 505.437	.132 .118 .103 .090 .077	476.160 485.131 494.535 504.362 514.594	474.824 483.957 493.518 503.492		50 51 52 53 54
54 55 56 57 58 59	539.111 549.886 560.990	517.575 527.740 538.289 549.205 560.435 571.982	.095 .081 .069 .057 .046 .037	526.766 537.468 548.523 559.881 571.540	525.990 536.826 548.001 559.466		525.215 536.184 547.479 559.050	524.609	.051 .041 .033 .025	55 56 57 58 59
60 61 62 63 64	584.127 596.061 608.179 620.456 632.845	583,783 595,799 607,988 620,324 632,757 645,244	.029 .022 .016 .011	583.438 595.537 607.798 620.191 632.670	583.193 595.358 607.675 620.109	.020 .015	582.947 595.180	582.780 595.065 607.475 619.980 632.538	.014 .010 .006 .004 .002	60 61 62 63 64 65

									PER (
PRESENT AGE.	m = 31.	$31\frac{1}{2}$.	½m.d.	32.	$32\frac{1}{2}$.	½m.d.	33.	$33\frac{1}{2}$.	$\frac{1}{2}$ m.d.	PRESENT AGE.
15 16 17 18 19	353.202 353.845 354.551	348.166 348.774 349.443 350.176 350.979	.371 .369 .367 .365 .362	343.716 344.347 345.041 345.801 346.634	340.142 340.862 341.651	.352 .350 .348 .346 .343	$\begin{vmatrix} 336.683 \\ 337.501 \end{vmatrix}$	331.241 331.945 332.719 333.567 334.495	.328	15 16 17 18 19
20 21 22 23 24	356.175 357.105 358.121	351.863 352.828 353.882 355.044	.359 .356 .353 .350	347.550 348.551 349.644 350.848	343, 465 344, 504 345, 637 346, 885 348, 244	.340 .337 .334 .330 .326	339.381 340.456 341.630 342.922	335.516 336.629 337.846 339.183 340.641	.322 .319 .315 .312	20 21 22 23 24
25 26 27 28 29	361.795 363.261 364.857 366.603	357.695 359.215 360.870 362.680 364.660	.342 .337 .332 .327 .321	353.594 355.169 356.883 358.757	349.730 351.363 353.138 355.077 357.199	.322 .317 .312 .307	345.866 347.557 349.393 351.398	342,233 343,981 345,880 347,955 350,221	3 .303 .298 .293 .287	25 26 27 28 29
30 31 32 33 34	$\begin{vmatrix} 370.589 \\ 372.854 \end{vmatrix}$	366.809 369.154 371.713 374.494	.315 .308 .301 .294 .285	363.029 365.454 368.099 370.973	359. 498 362. 006 364. 739 367. 708 370. 930	.294 .287 .280 .272	355.967 358.558 361.379 364.443	7 352.676 8 355.352 9 358.264 8 361.425 9 364.851	3 .274 2 .267 4 .260 5 .252	30 31 32 33 34
35 36 37 38 39	384.114 387.550 391.281 395.319 399.679	384.345 388.195 392.359	.276 .267 .257 .247 .236	381.141 385.111 389.400	374. 425 378. 199 382. 290 386. 706 391. 464	.255 .245 .235 .225	375.257 379.469 384.012	368.564 372.567 376.901 381.571 386.595	234 224 214 203	35 36 37 38 39
40 41 42 43 44	404.379 409.437 414.879 420.707 426.949	401.691 406.894 412.487 418.469	.224 .212 .199 .187 .173	399.003 404.351 410.094 416.232	396, 581 402, 072 407, 964 414, 255 420, 969	.202 .190 .178 .165	394.159 399.794 405.834 412.277	$ \begin{array}{c} 391.988 \\ 4397.760 \\ 403.951 \\ 7410.548 \\ 3417.560 $	3 .181 3 .169 1 .157 2 .145	40 41 42 43 44
45 46 47 48 49	433.609 440.701 448.233 456.206 464.627	431.692 438.948 446.643 454.779	.160 .146 .133 .119 .106	429.776 437.194 445.054 453.352	428.109 435.683 443.699 452.149 461.037	.139 .126	426.442 434.173 442.344 450.940	2425.000 3432.885 441.201 3449.945 459.114	3 .120 5 .107 .095 6 .083	45 46 47 48 49
50 51 52 53 54	473.488 482.783 492.500 502.622 513.130	472.375 481.819 491.677 501.930	.093 .080 .069 .058 .048	471.263 480.855 490.853	470.349 480.075 490.198 500.697	.076	469.435 479.296 489.543 500.156	6 468. 696 6 478. 675 6 489. 031 6 499. 742 0 510. 782	062 052 043 035	50 51 52 53 54
55 56 57 58 59	524.004 535.200 546.697 558.443	523.540 534.832 546.411 558.227 570.276	.039 .031 .024 .018 .013	534.464 546.126 558.010	522.729 534.194 545.922 557.863 570.018	.029 .023 .017 .012 .008	522.381 533.925 545.719 557.716	522.127 533.734 545.580 557.621 569.855	.021 .016 .012 .008	55 56 57 58 59
60 61 62 63 64	582.613 594.950 607.399 619.932	582.505 594.879 607.354 619.905 632.495	.009 .006 .004 .002	582.397 594.808 607.309 619.879	582.330 594.766 607.285 619.865 632.473	.006 .004 .002 .001 .001	582.264 594.724 607.260 619.851	582.225 594.701 607.247 619.844 632.463	.003 .002 .001	60 61 62 63 64
65	645.094	645.087			645.076	.000		645.072	.000	65

								4	PER (JENT.
PRESENT AGE.	34.	$34\frac{1}{2}$.	$\frac{1}{2}$ m.d.	35.	$35\frac{1}{2}$.	$\frac{1}{2}$ m.d.	36.	$36\frac{1}{2}$.	1/2 m.d.	PRESENT AGE.
15 16 17 18 19	327.953 328.755 329.633	323.411 324.167 324.997 325.906 326.902	.318 .316 .313 .311 .308	320.381 321.240 322.180	315.983 316.791 317.681 318.654 319.719	.299 $.297$ $.294$	313.202 314.122 315.128	308.937 309.803 310.754 311.794 312.932	.281	15 16 17 18 19
20 21 22 23 24	331.650 332.803 334.061 335.445	327.995 329.189 330.491 331.923 333.482	.305 .301 .298	324.340 325.574 326.922 328.401	320.888 322.165 323.559 325.087 326.753	.288 .284	$\begin{vmatrix} 317.437 \\ 318.756 \\ 320.195 \\ 321.774 \end{vmatrix}$	314.181 315.544 317.031 318.661 320.436	.271	20 21 22 23 24
25 26 27 28 29	338.600 340.405 342.368 344.511	335.186 337.052 339.081 341.294 343.710	.285 .279 .274 .268 .262	331.772 333.699 335.793	328.570 330.561 332.722 335.078	.267 .262 .256 .256 .243	$325.369 \\ 327.422$	322.372 324.490 326.789 329.293	.250 .244 .239 .232 .226	25 26 27 28 29
30 31 32 33	349.385	346.325 349.174 352.269 355.626	.255 .248 .240 .232 .223	343.266 346.201 349.390 352.845	340.429 343.453 346.737	.236 .229 .221 .213	337.592 340.705 344.084 347.740	334.969 338.174 341.648	.219 .211 .203 .195 .186	30 31 32 33 34
35 36 37 38		363.192 367.429 372.005 376.931	.214 .204 .194 .183 .172		358.292 362.762 367.581 372.761	.195 .185 .175 .164 .153	355.957 360.543 365.485 370.790	353.842 358.544 363.606	.176 .167 .157 .146 .136	35 36 37 38 39
40 41 42 43	389.818 395.738 402.068 408.807 415.974	387.886 393.945 400.417 407.298	.161 .149 .138 .126	385.954 392.152 398.765 405.790 413.242	384.246 390.579 397.329 404.490	.142 .131 .120 .108 .097	382.539 389.007	381.041 387.639 394.656 402.081	.125 .114	40 41 42 43 44
45 46 47 48	423.570 431.597 440.058 448.943 458.248	422.346 430.511 439.107 448.120	.102 .091 .079 .069	421.121 429.426 438.155 447.297 456.845	420.089 428.521 437.374 446.631	.086 .075 .065 .056	419.056 427.617 436.592 445.966 455.730	418.197 426.874 435.960 445.437	.072 .062 .053 .044	45 46 47 48 49
50 51 52 53	467.957 478.055 488.520 499.328 510.454	467.369 477.570 488.128 499.017	.049 .040 .033 .026	466.781 477.085 487.736 498.707 509.974	466.321 476.714 487.443 498.480	.038 .031 .024 .019 .014	465.862 476.343 487.149 498.254 509.632	465.510 476.065 486.934 498.092	.029 .023 .018 .014 .010	50 51 52 53 54
55 56 57 58	521.873 533.542 545.442 557.526 569.792	521.693 533.411 545.353 557.479	.015 .011 .007 .004	521.512 533.281 545.263 557.433 569.719	521.389 533.197 545.208 557.399	.010 .007 .005 .003 .002	521.266 533.113 545.153 557.364 569.679	533.061 545.120 557.345	.007 .004 .003 .002 .001	55 56 57 58 59
60 61 62 63 64	582.186 594.678 607.234 619.838 632.460 645.070	582.164 594.666 607.228 619.836 632.459	.002 .001 .001	582.143 594.654 607.222 619.833 632.458	582.132 594.648 607.219 619.831	.001 .001 .000 .000	582.121 594.643 607.217 619.830	594.641 607.216	.001 .000 .000	60 61 62 63 64 65

								•	1 1314	CENT.
PRESENT AGE.	m = 37.	$37\frac{1}{2}$.	1/2 m.d.	38.	$38\frac{1}{2}$.	$\frac{1}{2}$ m.d.	39.	$39\frac{1}{2}$.	$\frac{1}{2}$ m.d.	PRESENT AGE.
15 16 17 18 19	305.509 306.403 307.386 308.460 309.636	303.186 304.202 305.311	.271 .268 .265 .262 .259	299.014 299.969 301.017 302.163 303.417	296.928 298.010 299.193	.256 .253 .251 .248 .244	293.886 295.003 296.223	289.963 291.014 292.166 293.425 294.800	.239 .236 .233	15 16 17 18 19
20 21 22 23 24	310.925 312.332 313.866 315.548 317.379	309.310 310.894 313.629	.256 .252 .248 .243 .239	304.790 306.288 307.921 309.710 311.656	303.449 305.134 306.978	.232 .228	300.611 302.346 304.246	296.307 297.949 299.737 301.694 303.820	.226 .222 .217 .213 .208	20 21 22 23 24
25 26 27 28 29	$\begin{array}{c} 319.376 \\ 321.558 \\ 323.927 \\ 326.506 \\ 329.313 \end{array}$	318.825 321.266 323.922	.233 .228 .222 .215 .209	313.777 316.093 318.605 321.337 324.307	313.553 316.137 318.948	.217 .212 .206 .199 .192	311.012 313.670 316.559	306.133 308.657 311.389 314.358 317.578	.196 .190 .183	25 26 27 28 29
30 31 32 33 34	332.347 335.642 339.213 343.072 347.237	333.318 336.986 340.947	.201 .194 .186 .177 .168	327.515 330.994 334.759 338.822 343.201	328.869 332.732 336.897	.185 .177 .169 .160 .152	$\begin{vmatrix} 330.704 \\ 334.972 \end{vmatrix}$	321.051 324.809 328.867 333.237 337.935	.153 .145	30 31 32 33 34
35 36 37 38 39	351.726 356.545 361.727 367.281 373.215	354.754 360.055 365.730	.159 .149 .139 .129 .119	347.913 352.962 358.383 364.179 370.361	351.367 356.905 362.819	.142 .133 .123 .113 .104	349.773 355.426 361.459	342.975 348.364 354.129 360.276 366.809	.108	35 36 37 38 39
40 41 42 43 44	379.543 386.272 393.418 400.973 408.949	385.093 392.363 400.039	.109 .098 .088 .078 .068	376.937 383.915 391.308 399.104 407.313	382.911 390.418 398.326	.094 .084 .074 .065 .056	381.906 389.529	373.736 381.058 388.788 396.909 405.427	.071	40 41 42 43 44
45 46 47 48 49	417.337 426.132 435.328 444.907 454.858	425.531 434.825 444.493	.059 .050 .042 .035 .028	415.925 424.931 434.322 444.079 454.190	424.453 433.929 443.763	.048 .040 .033 .026 .021	423.975 433.536	433.235 443.209	.031	45 46 47 48 49
50 51 52 53 54	465.158 475.787 486.719 497.931 509.400	475.583 486.567 497.821	.022 .017 .013 .009 .006	464.631 475.380 486.414 497.711 509.250	475.235 486.310 497.640	.016 .012 .009 .006 .004	475.091 486.206 497.569	464.108 474.993 486.139 497.525 509.130	.008 .006 .004	50 51 52 53 54
55 56 57 58 59	521.107 533.009 545.088 557.326 569.658	$545.071 \\ 557.316$.004 .003 .001 .001 .000	521.009 532.948 545.053 557.306 569.648	532.931 545.043 557.302	.002 .001 .001 .000 .000	520.951 532.914 545.034 557.297 569.643	545.029 557.295	.001	55 56 57 58 59
60 61 62	594.638	582.107 594.637 607.215	.000	582.105 594.636		.000	582.103	582.103	.000	60 61 62

TABLE LV.

CONTINUED ANNUAL PREMIUM (P), ALSO λ (P — π), FOR ENDOWMENT INSURANCE OF 1,000, PAYABLE AT DEATH OR AGE 30, 35, 75.

	D or 3	30.		D or 4	ŁO.		D or 4	5.	
AGE.	P.	$\lambda (P - \pi).$	AGE.	Р.	$\lambda (P - \pi).$	AGE.	Р.	$\lambda (P-\pi).$	
10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26	36,209 38,628 41,333 44,374 47,814 51,732 56,232 61,449 67,560 74,811 83,542 94,247 107,667 124,964 148,078 180,498 229,202	1.422188 1.457505 1.494033 1.531914 1.571314 1.612430 1.655497 1.700814 1.748737 1.799719 1.854341 1.913374 1.977848 2.049214 2.129593 2.222272 2.332749	10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26	21.626 22.610 23.674 24.828 26.080 27.444 28.933 30.564 32.357 34.333 36.521 38.955 41.674 44.730 48.186 52.122	1.073792 1.102321 1.131372 1.160996 1.191238 1.222149 1.253772 1.286187 1.319456 1.353668 1.388905 1.425278 1.462912 1.501943 1.542552 1.584929 1.629316	27 28 29 30 31 32 33 34 35 36 37 38 39 40 41 42 43	42.013 45.085 48.557 52.508 57.043 62.294 68.441 75.728 84.494 95.233 108.685 126.012 149.147 181.574 230.259 311.463 473.944	1.440353 1.480236 1.521718 1.565008 1.610358 1.658046 1.708448 1.762024 1.819347 1.881195 1.948607 2.023045 2.106622 2.202634 2.316583 2.458789 2.652376	
27 28	310.474 473.167 D or 3	2.471330 2.661148 35.	27 28 29 30 31	61.873 68.002 75.271 84.019 94.742	$egin{array}{c} 1.676005 \\ 1.725368 \\ 1.777851 \\ 1.834038 \\ 1.894707 \\ \hline \end{array}$	10	D or 5	0.732305	
10 11 12 13 14 15 16	27.291 28.773 30.397 32.181 34.150 36.329 38.753	1.243468 1.274618 1.306530 1.339279 1.372945 1.407614 1.443390	32 33 34 35 36 37 38	108.178 125.490 148.615 181.039 229.732 310.967 473.559	1.960887 2.034036 2.116277 2.210894 2.323388 2.464075 2.656095	11 12 13 14 15 16 17 18	15.680 16.219 16.795 17.410 18.066 18.769 19.522 20.330	0.757859 0.783718 0.809903 0.836438 0.863341 0.890617 0.918329 0.946482	
17 18 19 20	41.464 44.510 47.956 51.882	$\begin{array}{c} 1.480401 \\ 1.518786 \\ 1.558715 \\ 1.600380 \end{array}$	10	D or 4	0.905510	19 20 21 22	21.199 22.134 23.142 24.232		
21 22 23 24 25 26 27 28 29 30 31 32 33	56.388 61.611 67.730 74.987 83.725 94.437 107.863 125.166 148.285 180.704 229.405 310.663 473.316	1.644025 1.689944 1.738495 1.790134 1.845446 1.905194 1.970416 2.042566 2.123761 2.217287 2.328653 2.468160 2.658944	11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26	18.510 19.250 20.045 20.901 21.821 22.814 23.888 25.052 26.315 27.690 29.191 30.834 32.639 34.628 36.830 39.279	0.932276 0.959437 0.987018 1.015049 1.043559 1.072577 1.102152 1.132321 1.163126 1.194622 1.226870 1.259935 1.293878 1.328793 1.364772 1.401919	23 24 25 26 27 28 29 30 31 32 33 34 35 36 37 38	25.412 26.692 28.085 29.605 31.268 33.093 35.105 37.328 39.799 42.558 45.655 49.153 53.132 57.693 62.972 69.148	1.095030 1.126579 1.158863 1.191915 1.225823 1.260654 1.296492 1.333431 1.371589 1.411076 1.452050 1.494684 1.539172 1.585758 1.634744 1.686510	
FORM	CORMULA, $P_x^m = 1000 \frac{M_x - M_{x+m} + D_{x+m}}{N_x - N_{x+m}} = 1000 \left\{ \frac{1}{1 + a_x^{m-1}} - (1 - v) \right\}; \ \pi_x = \frac{1000 M_x}{N_x}.$								

TABLE LV.

CONTINUED ANNUAL PREMIUM (P), ALSO λ (P — π), FOR ENDOWMENT INSURANCE OF 1,000, PAYABLE AT DEATH OR AGE 30, 35, 75.

						4 PER CENT.			
	D or 8	50.		D or 5	5.		D or 6	80.	
AGE.	Р.	$\lambda (P - \pi).$	AGE.	Р.	λ (P — π).	AGE.	Р.	$\lambda (P - \pi).$	
39 40 41 42 43 44 45 46	76.463 85.258 96.025 109.504 126.851 150.003 182.437 231.108	1.741492 1.800288 1.863669 1.932686 2.008777 2.094087 2.191901 2.307724	46 47 48 49 50 51 52 53	97.304 110.824 128.208 151.386 183.827 232.476 313.525 475.564	1.840747 1.911844 1.990107 2.077669 2.177823 2.296083 2.442754 2.640983	48 49 50 51 52 53 54	72.131 79.567 88.483 99.369 112.954 130.395 153.615 186.071	1.619831 1.679106 1.742373 1.810412 1.884252 1.965369 2.055898 2.159133	
47 48	312.252 474.564	2.451875 2.647485		D or 6	80.	56 57 58	$\begin{array}{c} 234.677 \\ 315.575 \\ 477.171 \end{array}$	2.280580 2.430562 2.632212	
10	D or 8	1	10 11	11.984 12.290	0.344432 0.368547		D or 6	5.	
10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29	13.304 13.690 14.100 14.534 14.996 15.486 16.008 16.563 17.156 17.788 18.463 19.185 19.958 20.787 21.678 22.636 23.669 24.783 25.990 27.299	0.547799 0.572500 0.597443 0.622659 0.648155 0.673960 0.700054 0.726491 0.753284 0.780440 0.807995 0.835969 0.864398 0.893296 0.922710 0.952662 0.983189 1.014332 1.046160 1.078678	12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31	12.613 12.954 13.316 13.698 14.103 14.533 14.988 15.472 15.985 16.532 17.113 17.732 18.392 19.096 19.849 20.655 21.518 22.445 23.440 24.512	0.392838 0.417355 0.442119 0.467164 0.492439 0.518014 0.543869 0.570029 0.623363 0.650570 0.678154 0.706146 0.734600 0.763488 0.792868 0.822782 0.853236 0.884274 0.915959	10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28	11.069 11.321 11.586 11.867 12.163 12.474 12.804 13.152 13.520 13.909 14.320 14.756 15.217 15.706 16.225 16.776 17.362 17.984 18.646	0.112203 0.135832 0.159718 0.183754 0.208038 0.232590 0.257270 0.282237 0.307475 0.332963 0.358715 0.384801 0.411199 0.437893 0.464966 0.492453 0.520248 0.548488 0.577170	
30 31 32 33 34 35 36 37 38 39 40 41 42 43 44	28.720 30.271 31.965 33.824 35.870 38.130 40.638 43.436 46.574 50.113 54.135 58.741 64.067 70.288 77.650 86.492	1.078076 1.111975 1.146109 1.181126 1.217123 1.254188 1.292396 1.331870 1.372737 1.415162 1.459295 1.505350 1.553575 1.604276 1.657804 1.714635 1.775362	31 32 33 34 35 36 37 38 39 40 41 42 43 44 45 46 47	25.668 26.918 28.271 29.741 31.340 33.086 34.999 37.101 39.420 41.990 44.852 48.055 51.663 55.756 60.435 65.834	0.948305 0.981366 1.015213 1.049865 1.085416 1.121911 1.159474 1.198149 1.238041 1.279284 1.322000 1.366328 1.412456 1.460599 1.510991 1.563945	29 30 31 32 33 34 35 36 37 38 39 40 41 42 43 44	19.352 20.103 20.906 21.764 22.683 23.668 24.724 25.859 27.082 28.402 29.829 31.376 33.056 34.888 36.888 39.083	0.606274 0.635896 0.606059 0.696715 0.727972 0.759872 0.792378 0.825595 0.859529 0.894311 0.929894 0.966381 1.003848 1.042375 1.082002 1.122855	

TABLE LV.

CONTINUED ANNUAL PREMIUM (P), ALSO λ (P — π), FOR ENDOWMENT INSURANCE OF 1,000, PAYABLE AT DEATH OR AGE 30, 35, 75.

			14			4 PER CENT.			
	D or	35.		D or 7	70.		D or 7	'5.	
AGE.	Р.	$\lambda (P - \pi).$	AGE.	Р.	$\lambda (P - \pi).$	AGE.	Р.	$\lambda (P - \pi).$	
45 46 47 48 49 50 51 52 53 54 55 56 60 62 63	41.499 44.169 47.135 50.447 54.167 58.375 63.174 68.694 75.113 82.673 91.711 102.713 116.408 133.941 157.224 189.696 238.231 318.870 479.753	1.165036 1.208648 1.253832 1.300737 1.349551 1.400484 1.453807 1.509788 1.568822 1.631384 1.698067 1.769645 1.847174 1.932106 2.026593 2.133927 2.259621 2.413989 2.620184	37 38 39 40 41 42 43 44 45 46 47 48 50 51 52 53 54	23.520 24.528 25.607 26.762 28.001 29.335 30.769 32.317 33.991 35.804 37.775 39.922 42.270 44.845 47.682 50.821 54.313 58.220 62.621	0.565210 0.598353 0.632133 0.666658 0.701982 0.738154 0.775181 0.813167 0.852175 0.892256 0.933497 0.975974 1.019810 1.065076 1.111954 1.160505 1.210926 1.263428 1.318189	24 25 26 27 28 29 30 31 32 33 34 35 36 37 38 39 40 41 42	14.001 14.405 14.831 15.281 15.756 16.258 16.789 17.350 17.943 18.571 19.237 19.942 20.689 21.483 22.326 23.222 24.175 25.189 26.271	Ī.840420 Ī.866996 Ī.893595 Ī.920697 Ī.948119 Ī.975891 0.004106 0.032780 0.061754 0.091210 0.121330 0.151737 0.182472 0.214208 0.246474 0.279233 0.312622 0.346764 0.381638	
	D or	1	56 57 58	67.616 73.338 79.960	$\begin{array}{c} 1.375481 \\ 1.435614 \\ 1.498957 \end{array}$	43 44 45	27.424 28.655 29.973	$ \begin{vmatrix} 0.417239 \\ 0.453639 \\ 0.490983 \end{vmatrix} $	
10 11 12 13 14 15 16 17 18	10.461 10.678 10.907 11.148 11.402 11.669 11.950 12.247 12.560	Ī.836830 Ī.860158 Ī.883718 Ī.907411 Ī.931356 Ī.955688 Ī.979912 0.004536 0.029343	59 60 61 62 63 64 65 66 67 68	87.723 96.960 108.151 122.019 139.702 163.086 195.577 243.984 324.205 483.901	1.566005 1.637343 1.713757 1.796305 1.886456 1.986335 2.099251 2.230711 2.391049 2.603346	46 47 48 49 50 51 52 53 54 55	31.383 32.896 34.520 36.268 38.152 40.187 42.389 44.781 47.384 50.228	0.529174 0.568331 0.608526 0.649812 0.692256 0.735998 0.780987 0.827415 0.875339 0.924925	
19 20 21	12.889 13.237 13.605	$\begin{array}{c} 0.054422 \\ 0.079651 \\ 0.105272 \\ \end{array}$		D or 7	75.	56 57 58	53.345 56.777 60.571	$\begin{array}{c} 0.976281 \\ 1.029538 \\ 1.084855 \end{array}$	
22 23 24 25 26 27 28 29 30 31 32 33 34 35 36	13.992 14.402 14.835 15.293 15.777 16.289 16.833 17.409 18.018 18.666 19.354 20.086 20.865 21.694 22.577	$\begin{array}{c} 0.131137 \\ 0.157275 \\ 0.183754 \\ 0.210586 \\ 0.237695 \\ 0.265195 \\ 0.293097 \\ 0.321391 \\ 0.350112 \\ 0.379324 \\ 0.408935 \\ 0.439064 \\ 0.469793 \\ 0.500991 \\ 0.532818 \\ \end{array}$	10 11 12 13 14 15 16 17 18 19 20 21 22 23	10.088 10.285 10.492 10.709 10.938 11.178 11.431 11.697 12.272 12.583 12.910 13.254 13.618	1.497206 1.520221 1.543571 1.567026 1.590842 1.614897 1.638988 1.663324 1.687975 1.712734 1.737670 1.762978 1.788593 1.814248	59 60 61 62 63 64 65 66 67 68 69 70 71	64.792 69.517 74.844 80.903 87.867 95.969 105.537 117.041 131.194 149.103 172.639 205.135 253.307 332.796	1.142461 1.202557 1.265398 1.331322 1.400704 1.474015 1.551885 1.635077 1.724712 1.822091 1.929527 2.050237 2.189751 2.358365	

TABLE LVI.

FIVE ANNUAL PREMIUM (P), ALSO λ (P — π), FOR ENDOWMENT INSURANCE OF 1,000, PAYABLE AT DEATH OR AGE 30, 35, 75.

4 PER CENT

			11			4 PER CENT		
	D or 3	30.		D or 4	ŁO.		D or 4	5.
AGE.	P.	$\lambda (P - \pi).$	AGE.	Р.	$\lambda (P - \pi).$	AGE.	Р.	$\lambda (P - \pi).$
10 11 12 13 14 15 16 17 18 19 20 21 22 23 24	106.053 109.592 113.295 117.171 121.226 125.469 129.909 134.558 139.423 144.514 149.845 155.425 161.267 167.383 173.788	1.983531 1.998426 2.013483 2.028696 2.044062 2.059574 2.075234 2.091037 2.106984 2.123062 2.139278 2.155624 2.172098 2.188697 2.205423	10 11 12 13 14 15 16 17 18 19 20 21 22 23 24	78.712 80.971 83.332 85.805 88.386 91.092 93.919 96.874 99.967 103.201 106.584 110.123 113.825 117.697 121.750	1.838461 1.851367 1.864452 1.877745 1.891195 1.904855 1.918679 1.932666 1.946830 1.961159 1.975654 1.990308 2.005115 2.020079 2.035195	31 32 33 34 35 36 37 38 39 40	130.936 135.574 140.430 145.515 150.839 156.415 162.261 168.393 174.824 181.574 D or §	1.716798
25	D or 3	2.222272 35.	25 26 27 28	125.989 130.427 135.068 139.927	2.050457 2.065872 2.081421 2.097112	11 12 13 14	63.338 64.876 66.482 68.161 69.913	1.727415 1.738256 1.749286 1.760517
10 11 12 13 14 15	90.774 93.597 96.551 99.642 102.876 106.257	1.908484 1.922434 1.936559 1.950861 1.965331 1.979964 1.994759	29 30 31 32 33 34 35	145.018 150.343 155.922 161.763 167.890 174.310 181.039	2.112958 2.128929 2.145044 2.161289 2.177688 2.194224 2.210894	15 16 17 18 19 20 21 22	71.744 73.659 75.659 77.749 79.934 82.215	1.771933 1.783539 1.795342 1.807330 1.819498 1.831855 1.844383
17 18 19	109.796 113.499 117.373 121.427	2.009715 2.024826 2.040090		D or 4	L 5.	23 24 25	84.598 87.089 89.690 92.409	1.857078 1.869954 1.882991 1.896195
20 21 22 23 24 25 26 27 28 29 30	121.427 125.669 130.108 134.754 139.616 144.707 150.036 155.616 161.458 167.578 173.989 180.704	2.040090 2.055504 2.071064 2.086765 2.102608 2.118590 2.134709 2.150963 2.167347 2.183865 2.200512 2.217287	10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25	69.242 71.058 72.955 74.940 77.015 79.184 81.451 83.821 86.298 88.890 91.600 94.431 97.391 100.488 103.723 107.108	1.774283 1.786070 1.798052 1.810234 1.822608 1.835168 1.847914 1.860843 1.873951 1.887247 1.900715 1.914349 1.928147 1.942117 1.956242 1.970529	25 26 27 28 29 30 31 32 33 34 35 36 37 38 39 40 41	95.250 95.250 98.217 101.318 104.560 107.945 111.483 115.184 119.051 123.098 127.329 131.752 136.383 141.234 146.311 151.632 157.208	1.909563 1.923083 1.936761 1.950596 1.964569 1.978692 1.992966 2.007377 2.021947 2.036649 2.051484 2.066468 2.081604 2.096879 2.112306
			25 26 27 28 29 30	107.108 110.648 114.348 118.219 122.269 126.504	1.970329 1.984974 1.999566 2.014313 2.029209 2.044246	41 42 43 44 45	167.208 163.061 169.200 175.653 182.437	2.127887 2.143633 2.159538 2.175626 2.191901

FORMULA, $P_x = 1000 \frac{M_x - M_{x+m} + D_{x+m}}{N_x - N_{x+5}} = \frac{A_x^{(m)}}{1 + a_x^4}$.

TABLE LVI.

FIVE ANNUAL PREMIUM (P), ALSO λ (P — π), FOR ENDOWMENT INSURANCE OF 1,000, PAYABLE AT DEATH OR AGE 30, 35, 75.

4 PER CENT.								
D or	55.		D or 6	80.		D or 6	35.	
AGE. P.	$\lambda (P - \pi).$	AGE.	Р.	λ (P — π).	AGE.	Р.	$\lambda (P - \pi).$	
10	1.625114	16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33 34 40 41 42 43 44 45 46 47 48 49 50 51 51 51 51 51 51 51 51 51 51 51 51 51	58.694 59.996 61.353 62.770 64.248 65.790 67.396 69.074 70.822 72.645 74.546 76.528 78.594 80.748 82.991 85.328 87.768 90.309 92.957 95.717 98.591 101.589 104.715 107.974 111.372 114.916 118.616 122.476 126.509 130.723 135.128 139.738 144.566 149.628 154.940 160.524 166.399 172.594 179.140 186.071	1.592176 1.599683	17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33 34 40 41 42 43 44 45 46 47 48 49 50 50 50 50 50 50 50 50 50 50 50 50 50	55.747 56.906 58.113 59.371 60.682 62.049 63.472 64.955 66.500 68.110 69.781 71.528 73.345 75.232 77.198 79.243 81.372 83.586 85.889 88.281 90.771 93.362 96.055 101.767 104.798 107.949 111.225 114.644 118.200 121.904 125.766 129.794 134.001 138.398 142.996 147.814 152.872 158.191 163.792 169.708 175.966 182.614 189.696	1.648466 1.657208 1.666112 1.675182 1.684414 1.693804 1.703346 1.713045 1.722890 1.732886 1.742988 1.753272 1.763670 1.774175 1.784805 1.795555 1.806412 1.817376 1.828432 1.839568 1.850807 1.862128 1.873523 1.884991 1.896527 1.908140 1.918805 1.931540 1.918805 1.931540 1.918805 1.931540 1.918805 1.931540 1.918805 1.931540 1.918805 1.931540 1.918805 1.931540 1.918805 1.931540 1.918805 1.931540 1.918805 1.931540 1.918805 1.931540 1.918805 1.931540 1.943338 1.955198 1.967124 1.979119 1.991187 2.003344 2.015592 2.027943 2.040421 2.053054 2.065863 2.078876 2.092141 2.105692 2.119599 2.133927	
12 54.012 13 55.109 14 56.254 15 57.448	1.642170 1.650978 1.659974 1.669149	13 14 15 16	51.573 52.553 53.573 54.637	1.615248 1.623298 1.631514 1.639898				
10 51.9 11 52.9 12 54.0 13 55.1 14 56.2	55 62 12 09 54	55 1.625114 62 1.633556 12 1.642170 09 1.650978 54 1.659974	55 1.625114 11 62 1.633556 12 12 1.642170 13 09 1.650978 14 54 1.659974 15	55 1.625114 11 49.735 62 1.633556 12 50.635 12 1.642170 13 51.573 09 1.650978 14 52.553 54 1.659974 15 53.573	55 1.625114 11 48.874 1.592176 62 1.633556 12 50.635 1.607377 12 1.642170 13 51.573 1.615248 09 1.650978 14 52.553 1.623298 54 1.659974 15 53.573 1.631514	10 48.874 1.592176 55 1.625114 11 49.735 1.599683 62 1.633556 12 50.635 1.607377 12 1.642170 13 51.573 1.615248 09 1.650978 14 52.553 1.623298 54 1.659974 15 53.573 1.631514	55 1.625114 11 49.735 1.592176 62 1.633556 12 50.635 1.607377 12 1.642170 13 51.573 1.615248 09 1.650978 14 52.553 1.623298 54 1.659974 15 53.573 1.631514	

TABLE LVI.

FIVE ANNUAL PREMIUM (P), ALSO $\lambda(P-\pi)$, FOR ENDOWMENT INSURANCE OF 1,000, PAYABLE AT DEATH OR AGE 30, 35, 75.

								PER CENT.
	D or 7	'O.		D or 7	'O.		D or 7	5.
AGE.	Р.	$\lambda (P - \pi).$	AGE.	Р.	$\lambda (P - \pi).$	AGE.	Р.	$\lambda (P - \pi).$
10 11 12 13 14 15 16 17 18 19 20 21 22 23 24	46.763 47.526 48.322 49.152 50.017 50.919 51.858 52.838 53.859 54.923 56.031 57.185 58.386 59.638 60.938	1.568076 1.574872 1.581829 1.588960 1.596258 1.603719 1.611327 1.619113 1.627054 1.635154 1.643405 1.651808 1.660356 1.669058 1.677877	51 52 53 54 55 56 57 58 59 60 61 62 63 64 65	123.245 126.967 130.845 134.884 139.099 143.499 148.107 152.933 158.008 163.357 169.011 175,008 181.398 188.230 195.577	1.946960 1.957208 1.967477 1.977748 1.988038 1.998360 2.008743 2.019199 2.029783 2.040535 2.051507 2.062769 2.074414 2.086527 2.099251	32 33 34 35 36 37 38 39 40 41 42 43 44 45 46	69,756 71,425 73,156 74,950 76,805 78,730 80,725 82,788 84,923 87,132 89,418 91,780 94,224 96,749 99,358	1.723993 1.733094 1.742266 1.751476 1.760717 1.770005 1.779325 1.778652 1.797979 1.807300 1.816611 1.825882 1.835122 1.844309 1.853434
25 26 27 28	62.292 63.702 65.165 66.690	$\begin{array}{c} 1.686848 \\ 1.695946 \\ 1.705159 \\ 1.714506 \end{array}$.D or 7	1	47 48 49 50	$\begin{array}{c} 33.335 \\ 102.055 \\ 104.841 \\ 107.720 \\ 110.695 \end{array}$	1.862490 1.871459 1.880339 1.889115
29 30 31 32	68.275 69.919 71.629 73.404	1.723966 1.733517 1.743179 1.752924	10 11 12 13	45.444 46.145 46.875 47.638	$\begin{array}{c} \textbf{1.552301} \\ \textbf{1.558602} \\ \textbf{1.565061} \\ \textbf{1.571681} \end{array}$	51 52 53 54	113.771 116.948 120.235 123.637	1.897785 1.906322 1.914738 1.923025
33 34 35 36	75.252 77.169 79.158 81.220	$\begin{array}{c} 1.762785 \\ 1.772715 \\ 1.782714 \\ 1.792769 \end{array}$	14 15 16 17	48.432 49.259 50.121 51.019	$\begin{array}{c} 1.578460 \\ 1.585385 \\ 1.592460 \\ 1.599695 \end{array}$	55 56 57 58	127.161 130.811 134.600 138.529	1.931181 1.939194 1.947074 1.954800
37 38 39 40	83.362 85.586 87.892 90.283	1.802892 1.813074 1.823293 1.833548	18 19 20 21	51.955 52.929 53.943 54.998	$\begin{array}{c} 1.607081 \\ 1.614612 \\ 1.622288 \\ 1.630102 \\ 1.622074 \end{array}$	59 60 61 62	142.623 146.889 151.343 156.006	1.962432 1.969949 1.977375 1.984743
41 42 43 44 45	92.762 95.335 98.000 100.766 103.634	1.843827 1.854139 1.864456 1.874787 1.885123	22 23 24 25 26	$\begin{array}{c} 56.096 \\ 57.238 \\ 58.426 \\ 59.661 \\ 60.945 \end{array}$	$\begin{array}{c} 1.638054 \\ 1.646131 \\ 1.654345 \\ 1.662689 \\ 1.671141 \end{array}$	63 64 65 66 67	160.907 166.068 171.528 177.323 183.513	1.992106 1.999498 2.007005 2.014694 2.022728
46 47 48 49 50	106.607 109.692 112.891 116.212 119.661	1.895453 1.905778 1.916089 1.926390 1.936679	27 28 29 30 31	$\begin{array}{c} 60.348 \\ 62.278 \\ 63.665 \\ 65.104 \\ 66.597 \\ 68.147 \end{array}$	1.679703 1.688381 1.697159 1.706013 1.714968	68 69 70	190.152 197.334 205.135	2.031155 2.040271 2.050237

TABLE LVII.

TEN ANNUAL PREMIUM (P), ALSO λ (P — π), FOR ENDOWMENT INSURANCE OF 1,000, PAYABLE AT DEATH OR AGE 30, 35, 75.

4 PER CENT.

						FER CENT.			
	D or 3	80.		D or 4	0.		D or 5	0.	
AGE.	P.	$\lambda (P - \pi).$	AGE.	Р.	$\lambda (P - \pi).$	AGE.	Р.	λ (P $-\pi$).	
10 11 12 13 14 15 16 17 18 19 20	59.073 61.047 63.114 65.278 67.543 69.912 72.393 74.991 77.711 80.559 83.542	1.692836 1.708370 1.724049 1.739872 1.755833 1.771927 1.788154 1.804513 1.821000 1.837609 1.854341	24 25 26 27 28 29 30	67.925 70.306 72.800 75.410 78.146 81.015 84.019 D or 4	1.737328 1.753103 1.769018 1.785063 1.801246 1.817579 1.834038	18 19 20 21 22 23 24 25 26 27 28	42.171 43.341 44.565 45.844 47.180 48.578 50.039 51.567 53.165 54.835 56.584	1.486872 1.499481 1.512267 1.525216 1.538324 1.551600 1.565032 1.578620 -1.592361 1.606247 1.620290	
20	D or 35.		10 38.568 1.459311 11 39.582 1.471713 12 40.642 1.484297		29 30 31	58.413 60.325 62.326	1.634480 1.648805 1.663279		
10 11 12 13 14 15 16 17	50.562 52.138 53.786 55.512 57.318 59.207 61.185 63.255	1.610534 1.625153 1.639928 1.654872 1.669970 1.685216 1.700611 1.716155	13 14 15 16 17 18 19 20 21	$41.750 \\ 42.910 \\ 44.122 \\ 45.389 \\ 46.715 \\ 48.101 \\ 49.552 \\ 51.069 \\ 52.655$	1.497075 1.510035 1.523169 1.536479 1.549963 1.563619 1.577441 1.591429 1.605572	32 33 34 35 36 37 38 39 40	64.422 66.616 68.916 71.325 73.848 76.496 79.275 82.193 85.258	1.677900 1.692658 1.707581 1.722638 1.737844 1.753204 1.768732 1.784423 1.800288	
18 19 20	65.421 67.689 70.063	$\begin{array}{c c} 1.731841 \\ 1.747668 \\ 1.763631 \\ 1.779731 \end{array}$	22 23 24 25	54.315 56.052 57.868 59.770	$\begin{array}{c} 1.619876 \\ 1.634337 \\ 1.648946 \\ 1.663709 \end{array}$		D or E	55.	
21 22 23 24 25	72.549 75.152 77.878 80.733 83.725	1.7795963 1.812326 1.828821 1.845446	26 27 28 29 30	61.760 63.842 66.023 68.306 70.696	1.678621 1.678621 1.693674 1.708878 1.724224 1.739709	10 11 12 13 14	31.308 31.982 32.685 33.420 34.188	1.333133 1.342979 1.353008 1.363236 1.373646	
	D or 4	0.	31 32 33	73.202 75.827 78.579	$\begin{array}{c} 1.755344 \\ 1.771120 \\ 1.787046 \end{array}$	15 16 17	34.990 35.827 36.703	$\begin{array}{c} 1.384237 \\ 1.395008 \\ 1.405966 \end{array}$	
10 11 12 13 14	43.844 45.105 46.423 47.803 49.246	1.532368 1.545939 1.559682 1.573607 1.587684	34 35	81.466 84.494 D or 5	1.803123 1.819347	18 19 20 21 22	37.616 38.572 39.571 40.613 41.702	1.417076 1.428400 1.439877 1.451521 1.463319	
15 16 17 18 19	50.757 52.337 53.990 55.719 57.529	$ \begin{array}{c c} 1.601961 \\ 1.616392 \\ 1.630969 \\ 1.645712 \\ 1.660609 \end{array} $	10 11 12 13	34.462 35.283 36.141 37.038	1.392484 1.403625 1.414955 1.426482	23 24 25 26 27	42.839 44.027 45.269 46.566 47.920	1.475290 1.487409 1.499686 1.512117 1.524686	
20 21 22 23	59.423 61.405 63.480 65.651	$ \begin{vmatrix} 1.675660 \\ 1.690861 \\ 1.706204 \\ 1.721694 \end{vmatrix} $	14 15 16 17	37.976 38.956 39.980 41.051	1.438201 1.450095 1.462172 1.474435	28 29 30 31	49.336 50.816 52.361 53.976	$\begin{array}{c} 1.537405 \\ 1.550270 \\ 1.563263 \\ 1.576399 \end{array}$	

FORMULA, $P_x = 1000 \frac{M_x - M_{x+m} + D_{x+m}}{N_x - N_{x+10}} = \frac{A_x^{(m)}}{1 + a_x^9}$

TEN ANNUAL PREMIUM (P), ALSO λ (P — π), FOR ENDOWMENT INSURANCE OF 1,000, PAYABLE AT DEATH OR AGE 30, 35, 75.

	D or 5	5.		D or 6	30.		D or 6	5.
AGE.	P.	$\lambda (P-\pi).$	AGE.	Р.	$\lambda (P-\pi).$	AGE.	Р.	λ (P $-\pi$).
32 33 34 35 36 37 38 39	55.665 57.432 59.279 61.212 63.233 65.351 67.569 69.894	1.589673 1.603081 1.616620 1.630306 1.644112 1.658064 1.672161 1.686402	43 44 45 46 47 48 49 50	69.090 71.458 73.944 76.557 79.305 82.200 85.255 88.483	1.646207 1.659392 1.672733 1.686238 1.699929 1.713828 1.727968 1.742373	49 50 51 52 53 54 55	73.955 76.525 79.233 82.090 85.110 88.311 91.711	1.624815 1.636458 1.648277 1.660296 1.672563 1.685133 1.698067
40 41	72.331 74.887	1.700792 1.715340		D or 6		8	D or 7	0.
42 43 44 45	77.572 80.395 83.364 86.492	$ \begin{vmatrix} 1.730049 \\ 1.744960 \\ 1.760054 \\ 1.775362 \end{vmatrix} $	10 11 12	27.223 27.705 28.207	1.241780 1.249228 1.256850	10 11 12 13	26.048 26.474 26.919 27.383	1.211486 1.218028 1.224712 1.231551
	D or 6		13 14 15	28.732 29.280 29.851	1.264638 1.272591 1.280697	14 15 16	27.868 28.372 28.898	$\begin{array}{c c} 1.238538 \\ 1.245673 \\ 1.252928 \end{array}$
10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32	28.939 29.502 30.089 30.702 31.343 32.010 32.708 33.437 34.197 34.991 35.820 36.685 37.587 38.529 39.512 40.538 41.609 42.726 43.893 45.110 46.379 47.704 49.088	1.282518 1.291120 1.299878 1.308825 1.317950 1.327245 1.336710 1.346357 1.356167 1.366141 1.376278 1.386574 1.397017 1.407620 1.418368 1.429258 1.440287 1.451455 1.462753 1.474183 1.485723 1.497390 1.509178	15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33 34 35 36 37 38	29.851 30.447 31.069 31.718 32.395 33.101 33.837 34.604 35.405 36.239 37.109 38.016 38.962 39.947 40.974 42.043 43.159 44.321 45.532 46.796 48.112 49.482 50.912 52.404	1.280697 1.288951 1.297377 1.305959 1.314682 1.323553 1.332570 1.341721 1.351001 1.360423 1.369963 1.379632 1.389409 1.399291 1.409287 1.419366 1.429547 1.439816 1.450171 1.460606 1.471107 1.481668 1.492299 1.503000	16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33 34 35 36 37 38	28.898 29.448 30.020 30.617 31.239 31.887 32.562 33.266 33.998 34.761 35.556 36.383 37.245 38.142 39.074 40.045 41.055 42.108 43.202 44.341 45.525 46.757 48.040 49.375	1.252928 1.260341 1.267882 1.275560 1.283360 1.291287 1.299331 1.307502 1.315752 1.324126 1.332590 1.341134 1.349779 1.358495 1.367263 1.376104 1.384977 1.393931 1.402908 1.411908 1.429943 1.429943 1.438980 1.448010
33 34 35 36 37 38 39 40 41 42	50.533 52.042 53.617 55.261 56.980 58.777 60.656 62.621 64.678 66.833	1.521081 1.533097 1.545218 1.557442 1.569782 1.582234 1.594795 1.607464 1.620253 1.633167	39 40 41 42 43 44 45 46 47 48	53,960 55,583 57,277 59,047 60,895 62,828 64,850 66,966 69,184 71,511	1.513757 1.524562 1.535424 1.546353 1.557327 1.568371 1.579485 1.590670 1.601943 1.613318	40 41 42 43 44 45 46 47 48 49	50.764 52.209 53.716 55.283 56.917 58.621 60.398 62.253 64.190 66.216	$egin{array}{lll} 1.457022 \\ 1.466010 \\ 1.474987 \\ 1.483916 \\ 1.501682 \\ 1.510501 \\ 1.519279 \\ 1.528014 \\ 1.536723 \\ \hline \end{array}$

TABLE LVII.

TEN ANNUAL PREMIUM (P), ALSO λ (P — π), FOR ENDOWMENT INSURANCE OF 1,000, PAYABLE AT DEATH OR AGE 30, 35, 75.

	D or 7	70.		D or 7	75.		D or 7	' 5.
AGE.	Р.	$\lambda (P - \pi).$	AGE.	P.	$\lambda (P - \pi).$	AGE.	Р.	$\lambda (P - \pi).$
50 51 52 53 54 55 56 57 58 59	68.336 70.559 72.887 75.339 77.920 80.643 83.519 86.571 89.810 93.265	1.545404 1.554086 1.562734 1.571470 1.580248 1.589137 1.598159 1.607430 1.616970 1.626906	19 20 21 22 23 24 25 26 27 28	29,505 30,074 30,667 31,285 31,927 32,596 33,293 34,017 34,771 35,555	1.249176 1.256198 1.263328 1.270560 1.277873 1.285289 1.292792 1.300356 1.307984 1.315681	43 44 45 46 47 48 49 50 51 52	51.774 53.222 54.727 56.291 57.919 59.613 61.377 63.216 65.133 67.138	1.430786 1.437888 1.444843 1.451631 1.458248 1.464674 1.470913 1.476939 1.482745 1.488374
60	96.960 D or 7	1.637343	29 30 31 32 33	36.371 37.217 38.099 39.014 39.966	$\begin{array}{c} 1.323421 \\ 1.331190 \\ 1.339006 \\ 1.346826 \\ 1.354664 \end{array}$	53 54 55 56 57	69.230 71.422 73.722 76.135 78.676	$ \begin{array}{c} 1.493740 \\ 1.498907 \\ 1.503878 \\ 1.508644 \\ 1.513255 \end{array} $
10 25.313 1.19 11 25.705 1.19 12 26.113 1.20 13 26.540 1.20 14 26.985 1.21 15 27.448 1.22 16 27.930 1.228 17 28.434 1.233		1.191417 1.197311 1.203340 1.209510 1.215815 1.222238 1.228785 1.235465 1.242263	34 35 36 37 38 39 40 41 42	40.956 41.984 43.050 44.159 45.311 46.508 47.750 49.040 50.382	1.362511 1.370324 1.378103 1.385851 1.393554 1.401190 1.408741 1.416198 1.423557	58 59 60 61 62 63 64 65	81,351 84,183 87,185 90,374 93,773 97,414 101,322 105,537	1.517700 1.522105 1.526473 1.530890 1.535485 1.540400 1.545788 1.551885

CONTINUED ANNUAL PREMIUM (P), ALSO $\lambda(P-\pi)$, FOR ENDOWMENT INSURANCE OF 1,000, PAYABLE AT DEATH OR AT THE END OF m YEARS. 4 PER CENT.

ACT	m=5.	10.	15.	20.	4.07
AGE.	$\frac{m-0}{P. \lambda(P-\pi) }$	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	AGE.
15 16 17 18 19	180.291 2.229234 180.303 .228678 180.317 .228095 180.333 .227483 180.350 .226842	83.428 1.861309 83.447 .860046 83.468 .858725	51.732 1.612429 51.757 .610247 51.783 .607961 51.813 .605559 51.845 .603035	36.329 1.407614 36.361 .404235 36.395 .400686 36.433 .396956 36.475 .393033	15 16 17 18 19
20 21 22 23 24	180.370 180.391 180.414 180.439 180.467 .223129	83.543 1.854341 83.572 .852734 83.605 .851045 83.641 .849268 83.682 .847402	51.881 1.600380 51.921 .597591 51.964 .594660 52.012 .591575 52.064 .588336	36.522 1.388904 36.572 .384560 36.628 .379985 36.689 .375175 36.755 .370093	20 21 22 23 24
25	180,498 2,222271	83.724 1.845446	52.122 1.584928	36.831 1.364770	25
26	180,532 ,221370	83.774 .843387	52.186 .581343	36.912 .359150	26
27	180,569 ,220425	83.826 .841222	52.254 .577567	37.002 .353220	27
28	180,611 ,219432	83.884 .838949	52.331 .573597	37.101 .346973	28
29	180,657 ,218388	83.950 .836557	52.416 .569415	37.210 .340389	29
30 31 32 33 34	180.705 2.217289 180.759 .216135 180.819 .214920 180.886 .213646 180.960 .212308	84.277 .825679 84.380 .822599	52.509 1.565009 52.610 .560372 52.722 .555482 52.846 .550330 52.982 .544901	37.328 1.333433 37.459 .326094 37.605 .318354 37.763 .310173 37.938 .301516	30 31 32 33 34
35	181.039 2.210894		53.131 1.539171	38.130 1.292396	35
36	181.125 .209405		53.295 .533121	38.341 .282731	36
37	181.221 .207839		53.476 .526732	38.574 .272498	37
38	181.329 .206197		53.676 .520002	38.829 .261674	38
39	181.446 .204462		53.894 .512879	39.111 .250205	39
40	181.574 2.202633	85.259 1.800288	54.135 1.505348	39.420 1.238041	40
41	181.714 .200706	85.459 .795826	54.400 .497389	39.760 .225149	41
42	181.871 .198679	85.682 .791126	54.693 .488973	40.136 .211460	42
43	182.041 .196538	85.925 .786154	55.014 .480051	40.547 .196922	43
44	182.229 .194281	86.195 .780906	55.367 .470606	41.001 .181469	44
45	182.437 2.191901	86.491 1.775361	55.756 1.460599	41.498 1.165036	45
46	182.665 .189389	86.818 .769493	56.184 .449981	42.047 .147534	46
47	182.915 .186730	87.177 .763284	56.655 .438712	42.650 .128887	47
48	183.190 .183924	87.571 .756711	57.174 .426745	43.313 .108998	48
49	183.494 .180960	88.006 .749750	57.746 .414025	44.042 .087771	49
50	183,828 2,177825	88.483 1.742373	58.375 1.400488	44.845 1.065079	50
51	184,196 .174508	89.010 .734554	59.069 .386092	45.728 .040832	51
52	184,598 .170989	89.590 .726243	59.832 .370731	46.698 .014843	52
53	185,041 .167261	90.230 .717419	60.672 .354350	47.765 0.986987	53
54	185,531 .163316	90.935 .708040	61.600 .336868	48.938 .957080	54
55	186.071 2.159134	91.711 1.698067	62.621 1.318187	50.228 0.924935	55
56	186.664 .154692	92.566 .687439	63.746 .298183	51.645 .890354	56
57	187.318 .149973	93.510 .676122	64.986 .276765	53.203 .853083	57
58	188.034 .144951	94.550 .664036	66.351 .253779	54.911 .812780	58
59	188.825 .139615	95.695 .651135	67.856 .229103	56.790 .769348	59
	$\begin{array}{c} 189.696 \\ 190.655 \\ 191.711 \\ 192.878 \\ 194.161 \\ 195.578 \\ \end{array} \begin{array}{c} .133925 \\ .127866 \\ .121406 \\ .107135 \\ .099252 \\ \end{array}$	96.959 1.637341 98.354 .622568 99.892 .606746 101.592 .589771 103.467 .571521 105.537 .551884	69.517 1.202557 71.346 .173961 73.362 .143121 75.586 .109825 78.035 .073755 80.733 .034697	58,850 0.722272 61,110 .671219 63,586 .615708 66,299 .555336 69,269 .489396 72,515 .417223	60 61 62 63 64 65

FORMULA, $P_x^m = 1000 \frac{M_x - M_{x+m} + D_{x+m}}{N_x - N_{x+m}} = 1000 \left\{ \frac{1}{1 + a_x^{m-1}} - (1 - v) \right\}$

CONTINUED ANNUAL PREMIUM (P), ALSO λ (P — π). FOR ENDOWMENT INSURANCE OF 1,000, PAYABLE AT DEATH OR AT THE END OF m YEARS.

AGE.	2	25.	3	30.	3	35.	4	ł0.	AGE.
x.	P.	$\lambda (P-\pi).$	Р.	λ (P $-\pi$).	Р.	λ (Ρ-π)·	Р.	$\lambda (P-\pi).$	x.
15 16 17 18 19	27.444 27.484 27.528 27.577 27.631	1.222149 .217189 .211979 .206491 .200711	21.821 21.872 21.929 21.991 22.059	1.043559 .036501 .029067 .021231 .012960	18.066 18.131 18.203 18.281 18.368	0.863341 .853449 .843015 .831985 .820320	15.486 15.568 15.658 15.758 15.866	0.673951 .660192 .645629 .630204 .613842	15 16 17 18 19
20 21 22 23 24	27.690 27.755 27.826 27.904 27.990	1.194625 .188205 .181440 .174316 .166791		$\begin{array}{c} 1.004235 \\ 0.995016 \\ .985287 \\ .975013 \\ .964146 \end{array}$	18.463 18.567 18.681 18.807 18.945	0.807995 $.794948$ $.781138$ $.766517$ $.751017$	15.985 16.116 16.259 16.416 16.588	0.596520 .578146 .558613 .537882 .515847	20 21 22 23 24
25 26 27 28 29	28.085 28.190 28.304 28.430 28.569	1.158857 .150480 .141635 .132292 .122425	22.636 22.768 22.913 23.073 23.248	0.952657 .940507 .927642 .914015 .899585	19.096 19.262 19.444 19.644 19.864	0.734592 $.717163$ $.698666$ $.679001$ $.658126$	16.776 16.982 17.208 17.455 17.725	0.492411 $.467475$ $.440909$ $.412578$ $.382395$	25 26 27 28 29
30 31 32 33 34	28.720 28.888 29.072 29.274 29.496	1.111978 .100936 .089248 .076870 .063765	23.440 23.651 23.883 24.138 24.417	.868050 .850818 .832515 .813067	20.103 20.366 20.655 20.970 21.316	.612265 .587082 .560218 .531581	18.019 18.340 18.690 19.073 19.489	.315656 .278799 .239325 .197087	30 31 32 33 34
35 36 37 38 39	30.009 30.303 30.628	1.049865 035121 $.019461$ $.002853$ 0.985184	$\begin{array}{c} 24.724 \\ 25.059 \\ 25.428 \\ 25.833 \\ 26.277 \end{array}$	0.792378 .770351 .746875 .721868 .695175	21.694 22.106 22.557 23.050 23.588	0.500991 $.468288$ $.433290$ $.395868$ $.355739$	19.943 20.434 20.969 21.550 22.178	0.151737 $.103051$ $.050650$ $\overline{1.994405}$ $.933740$	35 36 37 38 39
40 41 42 43 44	31.375 31.805 32.278 32.796 33.366	0.966381 .946383 .925070 .902340 .878079	26.762 27.294 27.877 28.513 29.211	0.666658 .636187 .603577 .568636 .531159	24.175 24.814 25.509 26.266 27.088	0.312622 $.266373$ $.216641$ $.163072$ $.105272$	22.859 23.594 24.389 25.245 26.167	1.868292 .797683 .721233 .638589 .548635	40 41 42 43 44
45 46 47 48 49	33.991 34.677 35.429 36.254 37.160	0.852175 .824464 .794802 .763008 728914	29.973 30.805 31.714 32.705 33.785	0.490969 .447732 .401245 .351120 .297082		$\begin{array}{c} 0.043087 \\ \overline{1}.975707 \\ .902818 \\ .823670 \\ .737908 \end{array}$	27.158 28.223 29.364 30.586 31.894	$egin{array}{l} \overline{1}.451172 \\ .344785 \\ .228400 \\ .099681 \\ \overline{2}.959041 \\ \hline{\end{array}$	45 46 47 48 49
50 51 52 53 54	39.238 40.429 41.730 43.155	0.692256 $.652894$ $.610479$ $.564737$ $.515344$	$\begin{array}{c} 36.240 \\ 37.630 \\ 39.138 \\ 40.775 \end{array}$	$\begin{array}{c} 0.238648 \\ .175599 \\ .107108 \\ .032820 \\ \overline{1}.952066 \end{array}$	35.091 36.620 38.263 40.028	.171141	34.784 36.377 38.076 39.888	$egin{array}{l} ar{2}.797960 \\ .624282 \\ .426511 \\ .206826 \\ ar{3}.963788 \end{array}$	50 51 52 53 54
55 56 57 58 59	44.713 46.412 48.268 50.289 52.490	0.461934 .404115 .341355 .272978 .198904	42.547 44.462 46.533 48.764 51.171	Ī.864096 .767823 .662286 .544564 .415808	41.920 43.947 46.118 48.442 50.926		43.879	$ \begin{array}{r} 3.681241 \\ .397940 \\ \overline{4.954243} \\ .477121 \\ -\infty \end{array} $	55 56 57 58 59
60 61 62 63 64 65	57.488	0.117735 .028815 T.931305 .823148 .702344 .566084	56.547	Ī.269513 .105851 \bar{2}.924279 .724276 .495544 .240549	56.424 59.461	278754 $\overline{4.845098}$			60 61 62 63 64 65

FIVE ANNUAL PREMIUM (P), ALSO $\lambda(P-\pi)$, FOR ENDOWMENT INSURANCE OF 1,000, PAYABLE AT DEATH OR AT THE END OF m YEARS.

4 PER CENT.

	1						1	4 PER CI	32,1.
AGE.	m=	=10.		15.		20.		25.	AGE.
x.	P.	$\lambda(P-\pi)$.	Р.	$\lambda (P-\pi).$	P.	$\lambda (P-\pi).$	P.	$\lambda (P-\pi).$	<i>x</i> ,
15 16 17 18 19	149.726 149.745 149.767 149.790 149.816	2.142890 .142233 .141547 .140822 .140068	125.469 125.501 125.537 125.577 125.621	2.059574 .058828 .058050 .057237 .056390	$ \begin{array}{r} 106.257 \\ 106.310 \\ 106.370 \\ 106.434 \\ 106.506 \end{array} $.978331 .977471	$\begin{array}{c} 91.092 \\ 91.174 \\ 91.266 \\ 91.367 \\ 91.477 \end{array}$.903252 .902423	15 16 17 18 19
20 21 22 23 24		2.139278 .138451 .137579 .136667 .135711		2.055504		1.975654 .974696 .973702 .972680		1.900715 .899833 .898937 .898035	20 21 22 23 24
25 26 27 28 29	150.036; 150.087 150.142 150.203 150.271	2.134709 .133661 .132561 .131407 .130199	125,989 126,074 126,167 126,269 126,382		107.108 107.247 107.397 107.563 107.747	1.970529 .969407 .968243 .967053 .965833	92.409 92.622 92.853 93.109 93.390	.894347 .893429	25 26 27 28 29
30 31 32 33 34	150.343 150.424 150.513 150.612 150.721	2.128929 .127601 .126206 .124745 .123218	126.504 126.639 126.788 126.951 127.132	.041385	107.945 108.163 108.405 108.669 108.957	.961964	93.694 94.028 94.396 94.798 95.237	.889892	30 31 32 33 34
35 36 37 38 39	$\begin{array}{c} 150.839 \\ 150.967 \\ 151.110 \\ 151.269 \\ 151.442 \end{array}$	2.121609 .119918 .118149 .116299 .114351	127.329 127.543 127.780 128.042 128.327	.033162	109.276 109.621 110.001 110.419 110.874	1.957855 .956430 .954995 .953548 .952086	95.717 96.239 96.810 97.435 98.115	.886293 $.885774$	35 36 37 38 39
40 41 42 43 44	$\begin{array}{c} 151.632 \\ 151.839 \\ 152.071 \\ 152.321 \\ 152.599 \end{array}$	2.112306 .110159 .107915 .105547 .103071	128.640 128.983 129.361 129.773 130.226	2.027427 .025372 .023244 .021036 .018755	111.372 111.916 112.512 113.161 113.871	1.950617 .949142 .947677 .946212 .944766	98.855 99.659 100.536 101.485 102.517	.884754 .884646 .884657	40 41 42 43 44
45 46 47 48 49	$\begin{array}{c} 152.904 \\ 153.238 \\ 153.606 \\ 154.010 \\ 154.453 \end{array}$	2.100467 .097733 .094859 .091843 .088668	130.723 131.266 131.861 132.511 133.223	2.016394 .013953 .011427 .008817 .006124	114.644 115.486 116.404 117.401 118.485		$103.634 \\ 104.841 \\ 106.146 \\ 107.552 \\ 109.067$.886215 .887010	45 46 47 48 49
50 51 52 53 54	$\begin{array}{c} 154.940 \\ 155.476 \\ 156.062 \\ 156.705 \\ 157.413 \end{array}$.081829 .078137 .074250 .070164	134,852 135,778 136,789 137,894	1.997507 .994446 .991293	120.937 122.316 123.809 125.421	.933228 .932178	110.695 112.442 114.310 116.307 118.436	.891873 .893467	50 51 52 53 54
55 56 57 58 59	$\begin{array}{c} 158.191 \\ 159.043 \\ 159.979 \\ 161.002 \\ 162.125 \end{array}$.061328 .056547 .051496 .046164	139.099 140.409 141.836 143.382 145.063	.981196 $.977582$	129.032 131.045 133.198 135.510	.928319 .927370	$\begin{bmatrix} 120.704 \\ 123.107 \\ 125.654 \\ 128.338 \\ 131.172 \end{bmatrix}$.900809	55 56 57 58 59
60 61 62 63 64 65	163.3579 164.707 166.186 167.809 169.583 171.528	$\begin{array}{c} .034576 \\ .028279 \\ .021607 \\ .014521 \end{array}$	146.889 148.866 151.005 153.322 155.821 158.520	.965889 .961643 .957195 .952491	137.980 140.616 143.421 146.406 149.573 152.928	.924088 .922718 .921111	134.151 137.276 140.545 143.966 147.533 151.253	.908951 .909865 .910359	60 61 62 63 64 65
00	171.328	007003	198.920			$+ D_{m+m}$)			00

FORMULA, $P_x = 1000 \left\{ \frac{M_x - M_{x+m} + D_{x+m}}{N_x - N_{x+5}} \right\} = \frac{A_r^{(m)}}{1 + a_x^4}$

FIVE ANNUAL PREMIUM (P) ALSO λ (P $-\pi$), FOR ENDOWMENT INSURANCE OF 1,000, PAYABLE AT DEATH, OR AT THE END OF m YEARS.

AGE.	5	30.	3	5.	4	10.	AGE.
x.	P.	$\lambda (P-\pi).$	P.	$\lambda (P-\pi).$	P.	$\lambda (P-\pi).$	x.
15	79.184	1.835168	69.913	1.771933	62.795	1.716242	15
16	79.306	834492	70.088	.771532	63.035	.716335	16
17	79.442	.833820	70.281	.771177	63.299	.716526	17
18	79.591	.833154	70.491	.770865	63.588	.716821	18
19	79.754	.832495	70.722	.770603	63.903	.717227	19
20	79.934	1.831855	70.976	1.770409	$\begin{array}{c} 64.248 \\ 64.625 \\ 65.034 \\ 65.482 \\ 65.969 \end{array}$	1.717770	20
21	80.130	.831226	71.253	.770280		.718453	21
22	80.344	.830618	71.555	.770228		.719284	22
23	80.581	.830045	71.887	.770273		.720297	23
24	80.839	.829502	72.249	.770416		.721491	24
25	81.122	1.829002	72.645	1.770675	$\begin{array}{c} 66.500 \\ 67.078 \\ 67.704 \\ 68.385 \\ 69.123 \end{array}$	1.722890	25
26	81.433	.828559	73.078	.771070		.724518	26
27	81.771	.828166	73.549	.771595		.726372	27
28	82.143	.827845	74.063	.772279		.728482	28
29	82.550	.827609	74.625	.773145		.730870	29
30	82.991	1.827444	75.232 75.894 76.614 77.396 78.242	1.774175	69.919	1.733517	30
31	83.474	.827388		.775415	70.781	.736471	31
32	84.002	.827446		.776876	71.711	.739740	32
33	84.578	.827632		.778571	72.714	.743326	33
34	85.206	.827958		.780516	73.793	.747239	34
35	85.889	1.828432	79.158	1.782714	$74.950 \\ 76.186 \\ 77.511 \\ 78.925 \\ 80.429$	1.751476	35
36	86.628	.829058	80.145	.785175		.756027	36
37	87.434	.829875	81.212	.787932		.760918	37
38	88.310	.830894	82.362	.790987		.766137	38
39	89.258	.832112	83.598	.794336		.771652	39
40	90.283	1.833548	84.923	1.797979	82.025	1.777457	40
41	91.391	.835208	86.342	.801922	83.713	.783522	41
42	92.588	.837119	87.861	.806168	85.499	.789839	42
43	93.875	.839260	89.478	.810687	87.378	.796356	43
44	95.261	.841661	91.199	.815480	89.354	.803052	44
45	$\begin{array}{c} 96.749 \\ 98.341 \\ 100.045 \\ 101.861 \\ 103.794 \end{array}$	1.844309	93.025	1.820524	91.424	1.809883	45
46		.847203	94.957	.825787	93.587	.816806	46
47		.850342	96.997	.831245	95.841	.823778	47
48		.853702	99.144	.836855	98.185	.830749	48
49		.857277	101.399	.842585	100.618	.837683	49
50	105.845	1.861037	$\begin{array}{c} 103.760 \\ 106.226 \\ 108.794 \\ 111.462 \\ 114.230 \end{array}$	1.848385	103.136	1.844523	50
51	108.018	.864963		.854213	105.739	.851239	51
52	110.311	.869000		.860000	108.423	.857772	52
53	112.726	.873125		.865709	111.188	.864088	53
54	115.265	.877293		.871289	114.035	.870148	54
55	117.928	1.881455	117.097	1.876686	116.963	1.875917	55
56	120.709	.885543	120.055	.881833	119.969	.881341	56
57	123.610	.889507	123.109	.886696	123.056	.886392	57
58	126.622	.893259	126.256	.891219	126.224	.891042	58
59	129.756	.896782	129.489	.895309	129.472	.895215	59
60 61 62 63 64 65	133.004 136.366 139.842 143.437 147.149 150.985	1.899981 .902797 .905166 .907030 .908303 .908931	132.820 136.245 139.765 143.392 147.124	1.898975 .902142 .904755 .906786 .908167			60 61 62 63 64 65

TEN ANNUAL PREMIUM (P) ALSO $\lambda(P-\pi)$, FOR ENDOWMENT INSURANCE OF 1,000, PAYABLE AT DEATH OR AT THE END OF m YEARS.

4 PER CENT.

17 69.964 .768843 59.281 .681649 50.864 .598	
$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$	1961 15 0017 16 8000 17 5895 18
16 69.937 .770420 59.243 .683472 50.808 .600 17 69.964 .768843 59.281 .681649 50.864 .598	0017 16 8000 17 5895 18
17 69.964 .768843 59.281 .681649 50.864 .598	8000 17 5895 18
1. 05.501	5895 18
20 00.001	
20 70.063 1.763631 59.423 1.675660 51.069 1.59	1429 20
21 70.103 .761723 59.480 .673478 51.151 .589	9058 21
10.11	3594 22
10.100	4037 23 1376 24
100011	
	5763 26
	2794 27
28 70.518 .745459 60.071 .655162 51.999 .569	0729 28
10.001	6555 29
30 70.696 1.739709 60.325 1.648805 52.361 1.563	
32 10.100	9867 31 6367 32
	2757 33
11.00	0045 34
35 71.325 1.722638 61.212 1.630306 53.617 1.548	
36 71.489 .718687 61.443 .626103 53.943 .54	1282 36
111010	7246 37
	3119 38 8888 39
40 72.331 1.700792 62.621 1.607464 55.583 1.524	
	0146 41
	5653 42
20 10.000	1067 43
	3410 44
45 73.944 1.672733 64.850 1.579485 58.621 1.501 46 74.369 .666212 65.429 .573190 59.398 .496	1682 45 5877 46
46 74.369 .666212 65.429 .573190 59.398 .496 47 74.835 .659343 66.062 .566645 60.241 .492	
	7056 48
49 75.908 644490 67.511 .552765 62.145 .485	
50 76.525 1.636458 68.336 1.545404 63.216 1.476	
	1757 51
	3457 52 1029 53
	5442 54
55 80.643 1.589137 73.722 1.503878 69.978 1.449	- 1
56 81.721 .578003 75.099 .494476 71.651 .448	3648 56
	7335 57
58 84.201 .553741 78.221 .474329 75.367 .436 59 85.624 .540512 79.985 .463526 77.424 .425	0617 58 59 59
60 87.185 1.526473 81.897 1.452135 79.624 1.415 61 88.894 .511543 83.968 .440093 81.973 .407	
62 90.767 .495666 86.209 .427329 84.480 .398	8315 62
63 92.822 .478764 88.635 .413754 87.157 .388	8268 63
64 95.070 .460703 91.258 .399238 90.014 .377	
65 97.534 .441409 94.093 .383658 93.062 .364	1752 65

FORMULA, $P_x = 1000 \left\{ \frac{M_x - M_{x+m} + D_{x+m}}{N_x - N_{x+10}} \right\} = \frac{A_x^{(m)}}{1 + a_x^9}$

TEN ANNUAL PREMIUM (P), ALSO λ (P $-\pi$), FOR ENDOWMENT INSURANCE OF 1,000 PAYABLE AT DEATH OR AT THE END OF m YEARS.

		30.	6	35.	4	10,	
AGE.	P.	$\lambda (P - \pi).$	P.	$\lambda (P - \pi).$	P.	$\lambda (P - \pi).$	AGE.
15 16 17 18 19	44.122 44.194 44.274 44.362 44.459	1.523169 .521124 .519013 .516833 .514582	38.956 39.057 39.169 39.290 39.424	1.450095 .448114 .446104 .444056 .441976	34.990 35.127 35.278 35.442 35.622	1.384237 .382584 .380957 .379355 .377787	15 16 17 18 19
20 21 22 23 24	44.565 44.681 44.808 44.948 45.101	1.512267 $.509880$ $.507425$ $.504910$ $.502328$	39.571 39.731 39.906 40.099 40.308	1.439877 $.437760$ $.435626$ $.433496$ $.431367$	35.820 36.035 36.269 36.526 36.805	1.376278 .374833 .373455 .372179 .371008	20 21 22 23 24
25 26 27 28 29	45.269 45.453 45.654 45.875 46.117	1.499686 .496993 .494238 .491442 .488608	40.538 40.790 41.063 41.362 41.689	1.429258 .427181 .425131 .423140 .421222	37.109 37.441 37.800 38.191 38.616	1.369963 .369069 .368328 .367770 .367421	25 26 27 28 29
30 31 32 33 34	$\begin{array}{c} 46.379 \\ 46.667 \\ 46.982 \\ 47.327 \\ 47.702 \end{array}$	1.485723 .482818 .479895 .476963 .474033	42.043 42.430 42.850 43.307 43.804	1.419366 .417615 .415977 .414470 .413112	39.074 39.571 40.108 40.688 41.313	1.367263 .367350 .367691 .368294 .369173	30 31 32 33 34
35 36 37 38 39	48.112 48.556 49.041 49.569 50.142	1.471107 $.468193$ $.465316$ $.462496$ $.459726$	44.341 44.922 45.541 46.230 46.963	1.411908 .410868 .409858 .409390 .408964	41.984 42.703 43.475 44.301 45.182	1.370324 .371747 .373458 .375458 .377712	35 36 37 38 39
40 41 42 43 44	50.764 51.437 52.168 52.956 53.808	1.457022 .454392 .451863 .449417 .447077	47.750 48.596 49.504 50.475 51.513	1.408741 .408730 .408944 .409344 .409933	46.120 47.116 48.174 49.291 50.471	1.380204 .382904 .385801 .388829 .391960	40 41 42 43 44
45 46 47 48 49	54.727 55.715 56.778 57.918 59.140	1.444843 .442699 .440651 .438669 .436753	52.620 53.798 55.049 56.374 57.776	1.410688 .411560 .412525 .413523 .414515	51.715 53.021 54.393 55.828 57.330	1.395134 .398287 .401363 .404288 .407009	45 46 47 48 49
50 51 52 53 54	$\begin{array}{c} 60.446 \\ 61.841 \\ 63.326 \\ 64.907 \\ 66.586 \end{array}$	1.434853 .432953 .430981 .428896 .426630	59.255 60.815 62.456 64.179 65.988	1.415426 $.416198$ $.416730$ $.416959$ $.416797$	58.899 60.536 62.243 64.021 65.876	1.409433 .411521 .413174 .414331 .414920	50 51 52 53 54
 55 56 57 58 59	$\begin{array}{c} 68.369 \\ 70.255 \\ 72.252 \\ 74.359 \\ 76.589 \end{array}$	1.424120 .421252 .417951 .414073 .409583	67.887 69.875 71.959 74.144 76.431	$\begin{array}{c} 1.416166 \\ .414943 \\ .413074 \\ .410457 \\ .406912 \end{array}$	67.810 69.824 71.928 74.126 76.421	1.414878 .414104 .412545 .410143 .406736	55 56 57 58 59
60 61 62 63 64 65	78.943 81.430 84.057 86.837 89.779 92.898	1.404301 .398116 .390910 .382544 .372844 .361648	78.834 81.358 84.011 86.810 89.764	1.402431 .396865 .390105 .382053 .372557			60 61 62 63 64 65

LIMITED OR m ANNUAL PREMIUMS (P), ALSO λ (P — π), FOR LIFE POLICIES OF 1,000. 4 PER CENT.

7	m=5.		10		1		4 PER CI	
AGE.	<i>m</i> =	= 5.	10.]	15.		20.	AGE.
x.	P.	$\lambda (P - \pi).$	P.	Р.	$\lambda (P - \pi).$	Р.	$\lambda (P - \pi).$	<i>x</i> .
15	47.841	1.569080	26.657	$19.725 \\ 20.057 \\ 20.404 \\ 20.765 \\ 21.141$	0.952279	16.357	0.747458	15
16	48.636	.575656	27.103		.957224	16.634	.751210	16
17	49.465	.582385	27.568		.962251	16.925	.754982	17
18	50.327	.589248	28.051		.967323	17.227	.758723	18
19	51.224	.596246	28.555		.972434	17.543	.762431	19
20	52.158	1.603385	29.079	21.533	0.977591	17.872	0.766115	20
21	53.129	.610649	29.625	21.942	.982773	18.215	.769739	21
22	54.139	.618034	30.193	22.367	.987966	18.573	.773296	22
23	55.188	.625547	30.784	22.810	.993176	18.947	.776774	23
24	56.279	.633170	31.398	23.271	.998377	19.336	.780144	24
25	57.412	1.640910	32.038	23.751	1.003564	19.742	0.783410	25
26	58.590	.648762	32.703	24.252	.008732	20.166	.786546	26
27	59.810	.656696	33.393	24.772	.013840	20.607	.789489	27
28	61.079	.664734	34.111	25.314	.018900	21.067	.792273	28
29	62.395	.672861	34.857	25.878	.023891	21.548	.794857	29
30	63.757	1.681044	35.631	26.464	1.028767	22.048	0.797184	30
31	65.171	.689305	36.435	27.074	.033544	22.570	.799272	31
32	66.636	.697631	37.270	27.710	.038195	23.115	.801067	32
33	68.154	.706006	38.136	28.371	.042690	23.684	.802534	33
34	69.726	.714424	39.036	29.058	.047022	24.278	.803655	34
35	71.352	1.722864	39.969	29.774	1.051141	24.897	0.804364	35
36	73.032	.731309	40.935	30.517	.055026	25.544	.804637	36
37	74.771	.739775	41.938	31.292	.058665	26.220	.804432	37
38	76.569	.748241	42.979	32.098	.062044	26.926	.803723	38
39	78.426	.756679	44.057	32.937	.065094	27.665	.802425	39
40	80.342	1.765086	45.174	33.810	1.067800	28.437	0.800490	40
41	82.319	.773437	46.331	34.719	.070119	29.246	.797884	41
42	84.361	.781742	47.532	35.667	.072033	30.093	.794523	42
43	86.463	.789955	48.775	36.653	.073469	30.981	.790341	43
44	88.631	.798083	50.063	37.682	.074407	31.912	.785266	44
45	90.864	1.806100	51.398	38.755 39.875 41.045 42.267 43.545	1.074798	32.891	0.779236	45
46	93.162	.813987	52.781		.074582	33.919	.772138	46
47	95.527	.821727	54.214		.073707	35.001	.763885	47
48	97.960	.829300	55.700		.072118	36.141	.754371	48
49	100.461	.836691	57.241		.069761	37.343	.743502	49
50	103.031	1.843872	58.839	44.884	$ \begin{array}{c} 1.066531 \\ .062413 \\ .057275 \\ .051033 \\ .043625 \end{array} $	38.613	0.731121	50
51	105.672	.850829	60.498	46.287		39.956	.717154	51
52	108.382	.857524	62.219	47.760		41.378	.701387	52
53	111.165	.863946	64.008	49.307		42.887	.683659	53
54	114.022	.870073	65.868	50.936		44.490	.663842	54
55	116.957	1.875879	67.806	52.653	1.034937	46.198	0.641682	55
56	119.965	.881320	69.822	54.464	.024810	48.016	.616969	56
57	123.054	.886386	71.927	56.381	.013174	49.959	.589480	57
58	126.221	.891022	74.124	58.410	0.999852	52.035	.558900	58
59	129.472	.895215	76.421	60.564	.984707	54.259	.524954	59
60	132.811	1.898927	78.829	62.855	0.967553	56.646	0.487280	60
61	136.241	.902120	81.355	65.296	.948227	59.209	.445480	61
62	139.764	.904747	84.010	67.901	.926461	61.965	.399033	62
63	143.391	.906781	86.809	70.689	.902085	64.934	.347603	63
64	147.124	.908167	89.764	73.679	.874801	68.135	.290458	64
65	150.971	.908858	92.889	76.889	.844309	71.588	.226806	65

Formula, $P_x = 1000 \frac{M_x}{N_x - N_{x+m}} = \frac{A_x}{1 + a_x^{m-1}}$.

NET VALUE OR RESERVE ON TEN PAYMENT LIFE POLICIES OF 1,000.

4 PER CENT.

Age of	1	st Year.		2	ed Year.		3	d Year.		Age of
Entry.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	$\frac{1}{2}$ m.d.	Entry.
15	23.965	21.272	.224	45.724	43.520	.184	68.478	66.779	.142	15
16	24.409	21.716	.224	46.619	44.418	.183	69.838	68.154	.140	16
17	24.869	22.169	.225	47.541	45.346	.183	71.247	69.580	.139	17
18	25.346	22.642	.225	48.504	46.315	.182	72.712	71.059	.138	18
19	25.845	23.135	.226	49.503	47.316	.182	74.231	72.590	.137	19
20	26.360	23.641	.227	50.535	48.349	.182	75.804	74.180	.135	20
21	26.896	24.166	.228	51.609	49.427	.182	77.439	75.826	.134	21
22	27.454	24.715	.228	52.724	50.541	.182	79.133	77.532	.133	22
23	28.030	25.277	.229	53.877	51.692	.182	80.887	79.299	.132	23
24	28.631	25.863	.231	55.076	52.891	.182	82.706	81.122	.132	24
25	29.255	26.472	.232	56.314	54.119	.183	84.583	83.010	.131	25
26	29.895	27.088	.234	57.591	55.390	.183	86.527	84.961	.131	26
27	30.566	27.739	.236	58.923	56.715	.184	88.539	86.969	.131	27
28	31.259	28.407	.238	60.290	58.062	.186	90.606	89.040	.130	28
29	31.969	29.080	.241	61.696	59.454	.187	92.744	91.177	.131	29
30	32.712	29.793	.243	63.164	60.904	.188	94.962	93.389	.131	30
31	33.479	30.524	.246	64.674	62.390	.190	97.244	95.662	.132	31
32	34.272	31.273	.250	66.231	63.918	.193	99.591	97.994	.133	32
33	35.090	32.044	.254	67.832	65.485	.196	102.000	100.380	.135	33
34	35.934	32.832	.258	69.475	67.082	.199	104.478	102.837	.137	34
35	36.801	33.633	.264	71.168	68.733	.203	$107.032 \\ 109.663 \\ 112.351 \\ 115.100 \\ 117.919$	105.363	.139	35
36	37.704	34.473	.269	72.922	70.437	.207		107.954	.142	36
37	38.633	35.328	.275	74.717	72.167	.213		110.597	.146	37
38	39.585	36.193	.283	76.551	73.932	.218		113.288	.151	38
39	40.568	37.079	.291	78.434	75.731	.225		116.050	.156	39
40	41.576	37.977 38.912 39.837 40.794 41.756	.300	80.364	77.577	.232	120.802	118.854	.162	40
41	42.621		.309	82.347	79.452	.241	123.752	121.720	.169	41
42	43.685		.321	84.360	81.351	.251	126.751	124.620	.178	42
43	44.784		.333	86.429	83.288	.262	129.818	127.572	.187	43
44	45.910		.346	88.531	85.244	.274	132.931	130.556	.198	44
45 46 47 48 49	47.063 48.247 49.458 50.701 51.968	42.729 43.713 44.701 45.702 46.696	.361 .378 .396 .417 .439	$\begin{array}{c} 90.675 \\ 92.855 \\ 95.072 \\ 97.326 \\ 99.606 \end{array}$	87.222 89.217 91.229 93.250 95.275	.288 .303 .320 .340 .361	$136.095 \\ 139.307 \\ 142.561 \\ 145.856 \\ 149.179$	133.570 136.616 139.679 142.762 145.841	.210 .224 .240 .258 .278	45 46 47 48 49
50	53.269	47.699	.464	101.918	97.297	.385	152.529	148.922	.301	50
51	54.593	48.688	.492	104.247	99.309	.411	155.900	151.994	.326	51
52	55.949	49.678	.523	106.608	101.319	.441	159.298	155.058	.353	52
53	57.336	50.665	.556	108.995	103.317	.473	162.703	158.080	.385	53
54	58.755	51.641	.593	111.391	105.273	.510	166.102	161.064	.420	54
55	$\begin{array}{c} 60.194 \\ 61.673 \\ 63.173 \\ 64.713 \\ 66.289 \end{array}$	52.583	.634	113.792	107.195	.550	169.489	163.977	.459	55
56		53.524	.679	116.210	109.074	.595	172.867	166.838	.502	56
57		54.418	.730	118.620	110.895	.644	176.221	169.620	.550	57
58		55.302	.784	121.053	112.680	.698	179.563	172.321	.603	58
59		56.158	.844	123.486	114.392	.758	183.858	174.904	.663	59
60 61 62 63 64	67.898 69.541 71.236 72.972 74.756	56.967 57.726 58.463 59.134 59.748	.911 .985 1.064 1.153 1.251	125.902 128.316 130.741 133.141 135.531		.825 .897 .978 1.067 1.165	186.106 189.308 192.458 195.525 198.523	177.374 179.709 181.898 183.901 185.734		60 61 62 63 64
65	76.592	60.295	1.358	137.914	122.644	1.272	201.446	187.359	1.174	65

NET VALUE OR RESERVE ON TEN PAYMENT LIFE POLICIES OF 1,000.

Age of	4	th Year.		5	th Year.		6	th Year.	-	Age of
Entry.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	$\frac{1}{2}$ m.d.	Entry.
15	92.268	91.100	.097	117.145	116.533	.051	143.157	143.124	.003	15
16	94.116	92.974	.095	119.500	118.923	.048	146.039	146.052	.001	16
17	96.031	94.914	.093	121.939	121.397	.045	149.028	149.091	.005	17
18	98.017	96.925	.091	124.474	123.971	.042	152.133	152.243	.009	18
19	100.080	99.015	.089	127.102	126.635	.039	155.350	155.510	.013	19
20	102.218	101.177	.087	129.826	129.396	.036	158.687	158.899	.018	20
21	104.434	103.417	.085	132.652	132.261	.033	162.144	162.402	.022	21
22	106.735	105.744	.083	135.579	135.221	.030	165.724	166.034	.026	22
23	109.112	108.141	.081	138.605	138.286	.027	169.432	169.794	.030	23
24	111.573	110.627	.079	141.743	141.461	.024	173.265	173.671	.034	24
25	114.124	113.199	.077	144.983	144.729	.021	177.224	177.681	.038	25
26	116.752	115.840	.076	148.325	148.107	.018	181.317	181.824	.042	26
27	119.470	118.578	.074	151.787	151.602	.015	185.549	186.104	.046	27
28	122.275	121.400	.073	155.357	155.203	.013	189.915	190.515	.050	28
29	125.171	124.308	.072	159.039	158.913	.010	194.414	195.059	.054	29
30 31 32 33 34	128.167 131.248 134.412 137.666 141.016	127.313 130.399 133.560 136.816 140.160	.071 .071 .071 .071 .071	162.842 166.749 170.768 174.906 179.157	162.740 166.664 170.706 174.860 179.119	.009 .007 .005 .004 .003	$\begin{array}{c} 199.053 \\ 203.824 \\ 208.739 \\ 213.791 \\ 218.977 \end{array}$	199.734 204.550 209.502 214.585 219.800	.057 .060 .064 .066	30 31 32 33 34
35	144.460	143.587	.073	183.522	183.487	.003	224.299	225.142	.070	35
36	147.996	147.104	.074	187.999	187.960	.003	229.761	230.627	.072	36
37	151.612	150.688	.077	192.583	192.539	.004	235.350	236.223	.073	37
38	155.312	154.358	.079	197.271	197.206	.005	241.064	241.943	.073	38
39	159.102	158.096	.084	202.065	201.977	.007	246.908	247.781	.073	39
40	162.970	161.912	.088	206.961	206.835	.010	252.869	253.730	.072	40
41	166.924	165.798	.094	211.956	211.784	.014	258.952	259.788	.070	41
42	170.945	169.737	.101	217.037	216.804	.019	265.135	265.934	.067	42
43	175.044	173.741	.109	222.209	221.902	.026	271.428	272.179	.063	43
44	179.204	177.789	.118	227.457	227.063	.033	277.812	278.498	.057	44
45	183.426	181.884	.129	232.781	232.279	.042	284.283	284.890	.051	45
46	187.705	186.014	.141	238.169	237.543	.052	290.831	291.338	.042	46
47	192.034	190.174	.155	243.613	242.839	.065	297.442	297.831	.032	47
48	196.406	194.350	.171	249.106	248.162	.079	304.112	304.362	.021	48
49	200.806	198.530	.190	254.634	253.497	.095	310.827	310.916	.007	49
50	205.238	202.715	.210	260.197	258.839	.113	317.571	317.464	.009	50
51	209.691	206.890	.233	265.770	264.153	.135	324.326	324.000	.027	51
52	214.154	211.032	.260	271.348	269.444	.159	331.080	330.497	.049	52
53	218.614	215.139	.290	276.911	274.676	.186	337.812	336.940	.073	53
54	223.054	219.177	.323	282.442	279.839	.217	344.509	343.311	.100	54
55 56 57 58 59	227.461 231.845 236.176 240.453 244.654	223.138 227.030 230.806 234.461 237.982	.360 .401 .447 .499	287.929 293.372 298.726 304.002 309.170	284.914 289.891 294.720 299.418 303.938	.251 .290 .334 .382 .436	351.148 357.717 364.181 370.545 376.764	349.577 355.720 361.716 367.548 373.168	.131 .166 .205 .250 .300	55 56 57 58 59
60 61 62 63 64	248.770 252.785 256.687 260.456 264.089	241.338 244.505 247.467 250.201 252.680	.619 .690 .768 .855	314.208 319.091 323.817 328.348 332.690	308.248 312.323 316.156 319.687 322.936	.497 .564 .638 .722 .813	382.812 388.672 394.325 399.742 404.905	378.548 383.666 388.484 392.987 397.110	.355 .417 .487 .563 .650	60 61 62 63 64
65	267.582	254.917		336.816	325.825	.916	409.779	400.845	.745	65

NET VALUE OR RESERVE ON TEN PAYMENT LIFE POLICIES OF 1,000.

Age of	7	th Year.		8	th Year.		91	th Year.*		Age of
Entry.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	$\frac{1}{2}$ m.d.	Entry.
15	170.354	170.927	.048	198.794	200.004	.101	228.535	230.408	.156	15
16	173.789	174.422	.053	202.805	204.084	.107	233.143	235.100	.163	16
17	177.351	178.043	.058	206.963	208.315	.113	237.928	239.972	.170	17
18	181.047	181.800	.063	211.280	212.709	.119	242.889	245.018	.177	18
19	184.882	185.700	.068	215.755	217.255	.125	248.030	250.251	.185	19
20	188.855	189.732	.073	220.390	221.969	.132	253.363	255.677	.193	20
21	192.970	193.912	.079	225.196	226.855	.138	258.882	261.284	.200	21
22	197.235	198.244	.084	230.169	231.902	.144	264.593	267.091	.208.	22
23	201.646	202.713	.089	235.311	237.125	.151	270.505	273.102	.216	23
24	206.203	207.338	.095	240.633	242.530	.158	276.622	279.316	.225	24
25	210.920	212.121	.100	246.136	248.113	.165	282.943	285.735	.233	25
26	215.792	217.057	.105	251.819	253.878	.172	289.472	292.363	.241	26
27	220.826	222.155	.111	257.688	259.828	.178	296.208	299.195	.249	27
28	226.017	227.409	.116	263.737	265.953	.185	303.156	306.248	.258	28
29	231.365	232.813	.121	269.971	272.273	.192	310.323	313.516	.266	29
30	236.878	$\begin{array}{c} 238.391 \\ 244.129 \\ 250.024 \\ 256.079 \\ 262.285 \end{array}$.126	276.404	278.785	.198	317.708	320.999	.274	30
31	242.557		.131	283.022	285.480	.205	325.307	328.699	.283	31
32	248.398		.135	289.828	292.363	.211	333.121	336.609	.291	32
33	254.400		.140	296.821	299.427	.217	341.153	344.743	.299	33
34	260.560		.144	304.003	306.684	.223	349.401	353.083	.307	34
35	266.885	268.658	.148	311.372	314.117	.229	357.863	361.639	.315	35
36	273.370	275.179	.151	318.925	321.736	.234	366.537	370.403	.322	36
37	280.007	281.852	.154	326.658	329.527	.239	375.418	379.371	.329	37
38	286.793	288.665	.156	334.566	337.488	.244	384.502	388.537	.336	38
39	293.729	295.620	.158	342.646	345.615	.247	393.784	397.896	.343	39
40	300.807	302.709	.159	350.891	353.898	.251	403.258	407.444	.349	40
41	308.022	309.926	.159	359.297	362.337	.253	412.918	417.169	.354	41
42	315.362	317.257	.158	367.850	370.911	.255	422.753	427.062	.359	42
43	322.827	324.700	.156	376.548	379.622	.256	432.755	437.114	.363	43
44	330.401	332.241	.153	385.377	388.450	.256	442.913	447.313	.367	44
45	338.077	339.866	.149	394.325	397.385	.255	453.216	457.648	.369	45
46	345.842	347.566	.144	403.381	406.416	.253	463.653	468.109	.371	46
47	353.687	355.328	.137	412.538	415.533	.250	474.207	478.668	.372	47
48	361.602	363.142	.128	421.773	424.705	.244	484.862	489.319	.371	48
49	369.566	370.975	.117	431.071	433.925	.238	495.601	500.036	.370	49
50	377.563	378.824	.105	440.415	$\begin{array}{c} 443.167 \\ 452.411 \\ 461.645 \\ 470.838 \\ 479.955 \end{array}$.229	506.405	510.803	.366	50
51	385.577	386.656	.090	449.782		.219	517.257	521.605	.362	51
52	393.588	394.459	.073	459.162		.207	528.140	532.417	.356	52
53	401.582	402.216	.053	468.531		.192	539.026	543.206	.348	53
54	409.537	409.895	.030	477.859		.175	549.892	553.961	.339	54
55	417.420	417.458	.003	487.124	488.984	.155	560.721	564.652	.328	55
56	425.224	424.906	.026	496.313	497.898	.132	571.484	575.247	.314	56
57	432.919	432.195	.060	505.387	506.653	.105	582.148	585.716	.297	57
58	440.485	439.297	.099	514.323	515.225	.075	592.693	596.038	.279	58
59	447.881	446.174	.142	523.091	523.587	.041	603.093	606.177	.257	59
60 61 62 63 64 65	455.090 462.076 468.830 475.305 481.476 487.316	452.802 459.132 465.165 470.815 476.078 480.897	.191 .245 .305 .374 .450	531.660 540.006 548.100 555.898 563.376 570.499	531.689 539.524 547.026 554.171 560.911 567.212	.002 .040 .090 .144 .205 .274	613.315 623.336 633.118 642.635 651.853 660.750	616.112 625.793 635.201 644.290 653.031 661.399	.233 .205 .174 .138 .098 .054	60 61 62 63 64 65

^{*} Note. The last Premium at the beginning of the 10th Year changes the Policy to the Paid-up class.

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000. INTEREST, 4 PER CENT.

I. COMMON LIFE POLICIES.—The Net Value or Reserve is already computed in the column (V, 6m.) for the *middle* of each Policy Year, and in the column (V, 12m.) for the *end* of each Policy Year, when the next Annual Premium is just due and unpaid. For any other time of year, a correction derived from the column of half monthly or 15 days difference (1 m.d.) is to be added or subtracted, according as the Reserve is increasing or decreasing in the direction of the given interval.

For example, if the Age of Entry, x, of a common Life Policy of \$1000 be 35 years, the 4 per cent. Reserve at the middle of the 24th Policy Year (V_{55}^{28} , 6m.) is given \$362.47, and at the end of the same Policy Year, \$362.37. Hence, at the end of 3 months in the same year, the Reserve is \$362.52, and at the end of the 9th month, \$362.42.

Formulas, (V, 12m.) =
$$1000 \left\{ 1 - \frac{1 + a_{x+n}}{1 + a_x} \right\}$$
. $\pi_x = \frac{1000 M_x}{N_x}$. (V, 6m.) = $\frac{1}{2} \left\{ (V_x^{n-1}, 12m.) + \pi_x + (V_x^n, 12m.) \right\}$. $B_x^n = \frac{N_x - N_{x+n}}{D_{x+n}}$.

II. General Valuation.—For Endowment Insurances and all other Annual Premium Policies, the Reserve V is first found from the Table, and corrected for the elapsed fraction of a year, when required, as if for a common Life Policy. The remaining part and process is thus indicated:

GENERAL FORMULA, Reserve = V +
$$(P_x - \pi_x) \cdot B_x^n \cdot f_{x+n}^h$$
.
Middle of Policy Year, Reserve = $(V, 6m.) + (P_x - \pi_x) \cdot (Bf)_{x^*}^n$.
End "" Reserve = $(V, 12m.) + (P_x - \pi_x) \cdot B_{x^*}^n$.
Pure Endowment, Reserve = $\frac{1000}{B_x^{n+m}} \cdot B_x^n \cdot f_{x+n^*}^h$.

Here n + m denotes the expired (n) added to the unexpired (m) years of the whole period of simple endowment. In all cases,

x= the Age of Entry or of original Insurance. h= fraction elapsed of the current Policy Year. $f=h+(1-h)vp_{x+n-1}$, Table LXIV. At 12 months, or the end of the year, f = 1, since h = 1.

Example 1. End of the Year.—A Ten Premium Endowment Insurance of \$1000, payable at Death or Age 50, is contracted at the Age of 30. Required the Net Value at the end of the 9th Year.

$$x=30\;;\;\;n+\hbar=8\;{
m yrs.}\;12{
m m.}$$
 1.648805 = $\lambda({
m P}-\pi)$, Table LVII.
$$V=\begin{array}{ccc} 92.685, & 1.060738 = \lambda {
m B}_{30}^{\rm s}, & {
m Table}\;{
m LXIII.} \\ +512.322 \ldots 2.709543 & {
m Sum.} & {
m Table}\;{
m LXXXII.} \end{array}$$

Reserve = \$605.007 on \$1000 Insured.

Example 2. Intermediate Months and Term Policies.—An Insurance of \$1000 is entered at the age of 38, for the Term of 7 years. Required the Net Value at the end of 4 years and 8½ months (5th year).

In this case, $(P - \pi)$ being negative, since P is less than π , the computed term is subtractive, which is a general characteristic of Simple *Term* Policies.

EXAMPLE 3. Middle of the Year.—A Fifteen Premium Insurance of \$1000 for the whole Life is entered at the Age of 42. Required the Net Value at the end of 7 years and 6 months, (8th Policy Year).

V, 6m.

$$1.07203 = \lambda (P - \pi)$$
,
 Table LXI.

 133.75
 $0.99521 = \lambda B$,
 Table LXIII.

 $+116.75 \dots 206724$
 Sum,
 Table LXXXII.

Reserve = \$250.50 on \$1000 Insured.

Note 1. Five, Ten, or Limited Premium Policies can be valued by this method only till one year after the last Annual Premium is paid. After the beginning of this year, the Policy being Paid-up, the Reserve is more easily found from the proper Single Premium Table.

Note 2. Although six decimals are given, yet in practice five, and in many cases, four decimals will be sufficient for logarithms or anti-logarithms. Thus the last of the six decimals can generally be omitted as in the last Examples.

omitted, as in the last Examples.

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

	icy			10.					11.			Policy Years.
	w. Policy	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (B f). 6m.	λB. 12m.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λB. 12m.	N.
	0 1	$ \begin{array}{ c c c c c } \hline 6.742 \\ 10.527 \\ 14.470 \end{array} $	3.709 7.570	.246	0.010042		$\begin{bmatrix} 6.914 \\ 10.873 \\ 14.999 \end{bmatrix}$	3.875 7.917 12.127	.253 .246 .239	0.010046 0.321126 0.507349	0.019866 $.330948$ $.517176$	1
	2 3 4	14.470 18.582 22.860	$ \begin{array}{c} 11.597 \\ 15.792 \\ 20.154 \end{array} $.239 .233 .226	.507337 $.642484$ $.749687$		19.293 23.762	16.505 21.065	.232	.642504	.652337 .759553	3
	5 6 7 8 9	27.312 31.947 36.774 41.797 47.020	24.696 29.425 34.349 39.470 44.796	.218 .210 .202 .194 .185	.916652 $.985188$	0.995039 0.056830	28.415 33.259 38.301 43.543 48.995	25.811 30.754 35.893 41.240 46.796	.217 .209 .201 .192 .183	0.839278 $.916692$ $.985238$ 1.047033 $.103520$	0.849122 .926543 .995096 1.056898 .113395	7 8
	10 11 12 13	52.450 58.094 63.959 70.051 76.377	50.331 56.083 62.060 68.268 74.712	.177 .168 .158 .149 .139	1.155649 .204335 .250088 .293356 .334498	.259984		52.568 58.568 64.799 71.267 77.983	.174 .165 .155 .145 .135	1.155734 $.204436$ $.250205$ $.293491$ $.334654$	1.165619 .214332 .260112 .303411 .344587	11 12 13
	15 16 17 18	82.944 89.759 96.824 104.151 111.741	81.403 88.340 95.534 102.995	.128 .118 .108 .096 .086	1.373803 $.411508$ $.447810$ $.482875$ $.516846$	1.383736 .421458	86.441 93.533 100.888 108.505 116.392		.125 .114 .103 .092 .080	1.373982 .411712 .448043 .483142 .517149	1.383932 $.421679$ $.458028$ $.493150$ $.527178$	16 17 18
6	21 22 23	119.598 127.735 136.156 144.865 153.864	$126.986^{\dagger} \\ 135.552^{\dagger} \\ 144.403^{\dagger}$.074 .062 .050 .039 .026	1.549843 .581968 .613315 .643964 .673992	1.559872 .592023 .623396 .654076 .684137	124.559 133.012 141.752 150.786 160.110	132.333 141.218 150.399	.069 .057 .045 .032 .020	1.550184 .582353 .613749 .644454 .674545	1.560239 .592434 .623861 .654599 .684729	21 22 23
000	26 27 28	163.155 172.742 182.640 192.845 203.354	172.727 182.779 193.137	.014 .001 .012 .024 .037	1.703464 .732434 .760957 .789082 .816861	1.713648 .742657 .771222 .799398 .827231	169.734 179.669 189.911 200.460 211.315	179.737 190.132 200.834	.007 .006 .018 .031 .044	1.704083 .733124 .761727 .789948 .817829		26 27 28
60 60 60	31 32 33	214.169 225.299 236.735 248.479 260.531	226.057 237.640 249.543	.050 .063 .075 .089 .101	1.844335 .871543 .898526 .925325 .951972	1.854765 .882034 .909093 .935967 .962702	222.486 233.965 245.752 257.850 270.248	234.802 246.748 258.997	.057 .070 .083 .096 .108	1.845413 .872745 .899867 .926815 .953634	.883312 $.910509$	31 32 33
60 60 60	35 36 37 38	272.884 285.536 298.483 311.714 325.225	274.248 287.050 300.141 813.513	.114 .126 .138 .150 .162	1.978511 2.004974 .031403 .057832 .084301	2.015903 $.042447$ $.069002$	282.948 295.942 309.222 322.785 336.618	297.534 310.957 324.659	.121 .133 .145 .156 .167	1.980356 2.007025 $.033681$ $.060360$ $.087107$	1.991285 2.018069 $.044851$ $.071668$ $.098568$	36 37 38
4	10 11 12	339.007 353.044 367.331 381.852	341.075 355.240 369.647		2.110852 .137527 .164369 .191422	2.122313 .149156 .176182		352.840 367.300 381.991	.178 .188 .197 .206	2.113964 .140976 .168190 .195652	2.125593 .152789 .180204 .207887	41 42
				10.	$\pi =$	9.7739.			11.	$\pi =$	9.9535.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

	11					1)			7 1	PER CEN	T.
Policy	22 23 24 25 25 25 25 25 25 25 25 25 25 25 25 25		x = 1	.2.				13.			Policy Years.
	4 .	V.	$\frac{1}{2}$ m.d.	λ (B f).	λB.	V.	V.	$\frac{1}{2}$ m.d.	λ (B f).	λB.	KAP
n.	6m.	12m.		6m.	12m.	6m.	12m.	2	6m.	12m.	n.
0			.254		0.019872				0.010055		
1 2			.247	321134 507365		$11.621 \\ 16.125$	8.657 13.253	.247	.321147	.330980 $.517221$	
3	20.039	17.257	.232	.642526	.652365	20.815	18.037	.232	.642549	.652393	3
5		22.022 26.984	.224	.749741 0.839313	.759585	$\begin{array}{ c c c c c c }\hline 25.698 \\ 30.779 \\ \hline \end{array}$.223	0.839352	.759622	
6	34.634	32.143	.208	.916736	.926594	36.065		.215	.916786	0.849210 $.926651$	5 6
8		37.510 43.088	.199	.985293	0.995158 1.056973	$\begin{vmatrix} 41.559 \\ 47.268 \end{vmatrix}$.197	0.985353 0.985353	.995228	
9		48.883	.181	.103600	.113485	53.201	51.055	.179	.103687	.113583	
10		54.906	.172	1.155828		59.365	57.336	.169	1.155932		
11 12		61.161 67.654	.162 $.152$.204546 .250333	.214453 .260253	65.766		.159	.204667	.214587 $.260407$	
13	76.096	74.396	.142	.293639	.303572	79.304	77.643	.138	.293803	.303753	13
14		81.386	.131	.334825	.344775	86.452		.128	.335013	.344980	1
15 16		88.636 96.153	.121	1.374178 $.406064$	1.384145	$\begin{vmatrix} 93.866 \\ 101.545 \end{vmatrix}$.116	1.374394 .412186	1.384379 .422194	
17	105.113	103.930	.099	.448301		109.494	108.369	.094	.448586	.458615	17
18	113.030 121.229	111.988 120.328	.087	.483436	.493465 $.527537$	$\begin{vmatrix} 117.726 \\ 126.246 \end{vmatrix}$.082	.483758 .517846	.493813	
	129.714		.063		1.560640	135.057		.058	1.550971	.527927	
21	138.488	137.877	.051	.582776	.592888	144.162	143.619	.045	.583243	.593388	
22 23			0.039 0.027	.614227 $.644995$	655170	153.561 163.261	153.163	.033	.614755	.624939	
24			.014	.675152	.685375	173.276	173.191	.007	.645589 .675816	.655812	
	176.553				1.715025			.006	1.705505	1.715821	25
	186.836 197.424		.012	.733883 .762581	.744199 .772951	$\frac{194.232}{205.175}$	194.456	.019	.734721	.745091	
28	208.322	208.777	.038	.790901	.801331	216.434	216.976	.032	.763519 .791949	.773949 .802440	
29	219.537		.051	.818892	.829383	228.006	228.695	.057	.820062	.830629	
30 31	231.060 2 242.893		.064	1.846599	1.857166	239.886 252.080		.071		1.858548	
32	255.038	256.115	.090	.901340	.912070	264.579	265.733	0.084	.875524	.886254 .913788	
	267.485		.102	.928458	.939283	277.379	278.685	.109	.930262	.941191	33
	280.234 x 293.278 x	1	.115	.955459	11	290.477	1	.121	.957467	.968511	
	306.610		.139	1.982387 2.0092831	1.993431 2.020453	303.864 317.534	305.459 319.270		1.984621 2.011765		
37	320.226 3	322.032	.151	.036186	.047494	331.477	333.344	.156	.038944	.050405	
	$\begin{vmatrix} 334.111 & 348.256 \\ 348.256 & 348.256 \\ 34$		$.162 \\ .172 \\ \bot$.063143	.074604	345.6803 360.1333	347.675 362.251	.166	.066204	.077833	
	362.652	1			2.129201				2.121154		
41	377.284	379.587	.192	.144770	.156784	389.742	392.085	.195	.148942	.161177	41
	$\begin{vmatrix} 392.140 \\ 407.201 \end{vmatrix}$.201	.172391	.184626			.203	.177014	.189496	
						100.110	100				10
			12.	$\pi = 1$	0.1419.			13.	$\pi = 1$	0.3400.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

Policy Years.			14.					15.			Policy Years.
Pol	V.	V.	j a	λ (Bf).	λB.	V.	V.	1 3	λ (Bf).	λB.	Pol
n.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	6m.	12m.	½m.d.	6m.	12m.	n.
0	7.490	4.432	.255	0.010062	0.019895	7.701	4.636	.255	0.010067	0.019906	0
1	12.013	9.047	.247	.321158	.330997	12.432	9.462	.248	.321169		
2 3	$\begin{array}{c} 16.724 \\ 21.627 \end{array}$	13.852 18.855	.239	.507400 .642573	.517244 .652424	$\begin{vmatrix} 17.358 \\ 22.483 \end{vmatrix}$	14.488 19.713	.239	.507417	.517268 .652458	
4	26.731	24.058	.223	.749805	.759663	27.815	25.150	.222	.749841	.759706	
5	32.038	29.470	.214		0.849260	33.357	30.799	.213		0.849317	5
6 7	37.556 43.289	35.094 40.937	.205	.916839 .985419	.926714 $.995304$	39.117 45.101	$\begin{vmatrix} 36.668 \\ 42.768 \end{vmatrix}$.204	0.916898 0.985492		
8	49.248	47.011	.186		1.057148	51.319	49.104	.185		1.057247	8
9	55.439	53.318	.177	.103783	.113690	57.775	55.680	.175	.103889	.113809	9
10	61.865	59.865	.167		1.165965	64.477	62.509	.164		1.166102 .214896	
11 12	$\begin{bmatrix} 68.539 \\ 75.462 \end{bmatrix}$	66.664 73.712	1.156 1.146	.204800 .250628	.214733 .260578	71.432 78.643	69.589 76.931	.154	.204946 .250798		
13	82.641	81.022	.135	.293982	.303949	86.121	84.545	.131	.294179	.304164	13
14	90.086	88.602	.124	.335220	.345205	93.867	92.422	.120	.335448		
15	97.797	96.444	.113	1.374633		101.885 110.190		.108	1.374897 $.412760$	1.384926 .422815	
16	114.048	104.569 112.979	.101	.412461 .448897		118.784		.084	.449239		
18	122.605	121.682	.077	.484112	.494193	127.671	126.805	.072	.484499		
19	131.452	130.675	.065	.518246		136.856		.060	.518687		
	140.596		.052		1.561570	$\begin{vmatrix} 146.338 \\ 156.122 \end{vmatrix}$.048	1.551927 .584324	1.562111 .594547	20 21
	150.035 159.777		.040	.583758 .615336	.593942 .625559	166.224		.021	.615971		
23	169.835	169.668	.014	.646239	.656504	176.639	176.541	.008	.646953		
	180.203		.001	.676545	.686861	187.365		.005	.677350		
	190.881		.012	1.706326	1.716696	198.401 209.760		.018	$\begin{bmatrix} 1.707231 \\ .736654 \end{bmatrix}$	1.717661 $.747145$	
	201.869 213.177		.025	.735643 .764549		221.432		.044	.765681		
28	224.798	225.408	.051	.793100	.803667	233.416	234.107	.058	.794368	.805010	28
29	236.728	237.501	.064	.821350	.831992	245.717		.070	.822764		
	248.975		.077	1.849341		258.324 271.237		.083	1.850922 $.878887$	1.861747 .889816	
	261.526 274.381		.090	.877126 .904746	.887951 .915675	284.448		.108	.906709		
	287.535		.115	.932249	.943293	297.953	299.394	.120	.934435	.945605	33
34	300.979	302.499	.127	.959679		311.742		.132	.962110		
	314.708			1.987078	1.998386	325.807	327.522	.143	$\begin{vmatrix} 1.989783 \\ 2.017502 \end{vmatrix}$	2.001244 .029131	
	328.710 342.972		.149	2.014495 .041978	2.025956 053607	354.713	356.681	.164	.045316		
38	357.488	359.533	.170	.069572	.081385	369.533	371.619	.174	.073276	.085290	38
	372.243		.180	.097325		384.581		.183	.101434	(
	387.223		.189		2.137529	399.834	402.127	.191		2.142332 .171332	
	402.409 $ 417.784 $.197	.153532 .182103	19,1851	415.278 430.888	433,348	.199	.158584		
	433.326			.211067		446.645	449.177	.211	.217272		
			14.		10.5480.			15.	$\pi =$	10.7660.	
	1										

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

						1				PER CEN	
Policy Years.		:	x = 1	6.				17.			Policy Years.
Po	V.	V.	$\frac{1}{2}$ m.d.	λ (B f).	λB.	V.	V.	$\frac{1}{2}$ m.d.	λ (B f).	λB.	
n.	6m.	12m.	2 111.41.	6m.	12m.	6m.	12m.	2111.00	6m.	12m.	n.
0	7.922	4.849	.256	0.010072	0.019916	8.155	5.073	.257		0.019930	1
1	12.871	9.898	.248	.321182	.331033	13.329	10.349	.248	.321196	331054 517327	1 2
2 3	18.021 23.376	15.148 20.609	.239	.507438 .642630	.517296 $.652495$	18.711 24.307	15.837 21.540	.239	.507462 $.642663$.652538	
4	28.944	26.285	.222	.749881	.759756	30.120	27.465	.221	.749926	.759811	4
5	34.731	32.181		0.839494		36,163	33.624	.212		0.849448	
6	40.743	38.310	.203	.916964 $.985573$.926860 $.995480$	42,440 48,958	$\frac{40.020}{46.660}$.202	0.917036 0.985661	0.926943 0.995581	
7 8	46.990 53.476	44.675 51.282	.183		1.057357	55.725	53.554	.181		1.057477	
9	60.210	58.143	.172	.104004	.113937	62.745	60.701	.170	.104131	.114081	9
10	67.196	65.255	.162	1.156306		70.026	68.114	.159		1.166423	
11	74.441	72.632	.151	.205106 .250985	.215073 $.260970$	77.575 85.394	75.800 83.752	.148	.205283 .251192		
12 13	81.954 89.736	80.281 88.195	.139	.294397	.304405	93.489		.125	.294639		
14	97.792	96.394	.117	.335702	.345731		100.519	.113	.335977	.346032	
15	106.134	104.880	.105	1.375185	1.385240	110.550	109.344	.101	1.375502	1.385583	15
16	114.769	113.663	.092	.413090	.423171	119.522		.088	.413451	.423563	
	123.699		.080	.449613		128.794		0.075 0.063	.450028 .485400		
	132.925 142.451		.067 $.055$.484927	.495072 $.529359$	138.365 148.245	147.646	.050	.519711	.529934	
	152.281		.042	1.552479		158.443		.037	1.553083	1.563348	20
	162.431		.029	.584944		168.957		.024	.585625	.595941	21
22	172.894	172.706	.016	.616668		179.786			.617439		
	183.669 194.758		.003	.647741 .678238		190.928 202.394		.003	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	$\begin{array}{r rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$	
								.029		1.719884	
	206.169 217.896		.024 $.037$	1.708224 .737768		226.277		.043	[.738994]		
	229.935		.050	.766929		238.696			.768299	.779029	27
	242.294		.063	.795761		251.422		.069	.797295		
	254.959		.076	.824322		264.458		.081	.826034		
	267.932		.089	1.852659	1.863588	277.797 291.429	278.922	.094	1.854571 $.882958$	1.865615 .894128	
	281.206 294.772		.101	.880825	.920039	305.352	306, 766	.118	.862938 $.911245$		
	308.627		.125	.936840	.948148	319.550	321.098	.129	.939484	.950945	33
34	322.756	324.390	.136	.964785		334.013		.140	.967730	.979359	34
	337.149				2.004387	348.733	350.536	.150	1.996032		
	351.797			2.020809	.032622	363.694 378.885	365.616	.160 $.169$	2.024446 0.053025		
	366.686 381.804		.167	048988 077349		394.285		.178	.053025		
	397.128		.185	.105954		409.875		.185	.110930		
40	412.644	414.950	.192	2.134865	2.147613	425.636	427.936	.192	2.140385	2.153433	
41	428.327	430.709	.198	.164146	.177194	441.543	443.915	.198	.170267	.183637	41
42	444.158 460.121	$\frac{446.612}{162.625}$.205	.193867		457.584 473.731	460.017	.203	$\begin{array}{c} .200646 \\ .231606 \end{array}$		
TO	400.121	±0%.000	.209	.224097	.201822	10.101	110.208	.200	.201000	PA I GEA.	10
			16.	$\pi =$	10.9953.			17.	$\pi = 1$	11.2364.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

No.			18.					19.			D. in
Policy Years.	77	177		2 (D C)	2.D	37	77		2 (D ()	2.D	Policy Years.
n.	V. 6m.	V. . 12m.	$\frac{1}{2}$ m.d.	λ (B f). 6m.	λΒ. 12m.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (B f).	λB. 12m.	n.
0 1	8.396 13.806	5.303 10.818	.258 .249	.321213		8.651 14.304	5.545 11.308	.259 .250	0.010096 .321231	.331106	
2 3 4	19.429 25.274 31.346	$ \begin{array}{c} 16.551 \\ 22.506 \\ 28.696 \end{array} $.240 .231 .221	$\begin{bmatrix} .507488 \\ .642700 \\ .749975 \end{bmatrix}$.517363 .652585 .759871	$\begin{array}{c} 20.180 \\ 26.284 \\ 32.628 \end{array}$	17.295 23.518 29.981	.240 .231 .221	.507516 .642741 .750030	.652637	
5 6 7	37.655 44.207 51.007	35.125 41.798 48.727	.211 .201 .190	0.839615 .917116 .985758	0.849522 0.927036 0.995691	39.213 46.051 53.145	36.690 43.656 50.878	.210 .200 .189	0.839685 .917202 .985865		6
8 9	58.064 65.381	55.911 63.361	.179 .168	1.047661 .104271	1.057611 .114238	60.501 68.130	58.368 66.135	.178 .166	1.047789 .104425	1.057756 .114410	8 9
10 11 12	72,969 80,829 88,965	71.087 79.080 87.361	.157 .146 .134	.205478 .251422	1.166607 $.215486$ $.261451$	76.031 84.211 92.683	74.171 82.496 91.113	.155 .143 .131	1.156805 .205695 .251671	1.166813 .215724 .261726	11
13 14	97.392 106.112	95.932 104.802	.123	.294902 .336281	.304957	101.449 110.516	109.245	.118	.295191		14
16	115.130 124.450 134.071	123.441	.097 .084 .072	1.375850 .413851 .450485	.423996 .460669	129.557 139.539	138.733	.093 .081 .067	1.376233 .414292 .450988	.424476 .461211	16 17
1	144.000 154.250	153.710	.058	.485920 .520298	.530563	149.844 160.468	159.981	.054	.486489 .520942 1.554477	.531258	19
21 22	164.817 175.701 186.901	175.477 186.834	.032 .019 .006	1.553745 .586377 .618288	.628718	171.409 182.668 194.255	182.500 194.254	.000	.587205 .619219	.597635 .629710	21 22
24	198.425 210.270 222.430	210.522	.009	.649563 .680282 1.710520	.690849	206.162 218.387 230.935	218.705	.013 .026	.650611 .681462	.661178 $.692104$ 1.722572	24
26 27	234.911 247.704	235.485 248.432	.048	.740340 .769808	.751070 .780633	243.795 256.968	244.426 257.754	.053 .065	.741823 .771467 .800838	.752648 .782396	26 27
29	260.806 274.212 287.915	275.245	.074	$.798981 \\ .827919 \\ 1.856675$		270.446 284.222 298.288	285.305	.078 .090 .102	.829993		29
31 32 33	301.907 316.179 330.715 345.510	303.231 317.636 332.305	.110 .121 .132 .143	.885303 .913859 .942396 .970969	.896611 .925320 .954025	312.636 327.250 342.123 357.241	313.999 328.746 343.744	.114 .125 .135	.887884 .916736 .945599 .974533	.899345	31 32 33
35 36	360.547 375.816 391.295	362.381 377.761	.153		2.011648 .040680		374.444 390.104	.154		2.015828 .045329	35 36
38	406.964 422.805	409.101	.178	.086766 .116406	.099514 .129454	419.830 435.904	421.953 438.100	.177 .183	.092197 .122435	.105245 .135805	38 39
41 42	438.794 454.916 471.145 487.451	457.263 473.537	.191 .196 .199	2.146461 .176999 .208106 .239874	.222224	452.113 468.428 484.821 501.270	470.730 487.155	.188 .192 .195 .197	2.153143 .184407 .216320 .248971	.230869	41 42
40	107.401	±00.074	.202		11.4897.	001.210		19.		11.7560.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

			x=20		- A			21.		en Cent.	
Policy Years.			<i>u</i> _ <i>a</i> (,				Ø1.			Policy Years.
n.	V. 6m.	V. · 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λB. 12m.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m. ·	λΒ. 12m.	n.
0 1 2 3 4	8.915 14.823 20.963 27.340 33.963	5.795 11.816 18.073 24.572 31.318	.260 .251 .241 .231 .220	0.010105 $.321250$ $.507547$ $.642785$ $.750089$.331135 .517443	9.193 15.368 21.783 28.445 35.360	6.056 12.350 18.887 25.672 32.718	.261 .252 .241 .231 .220	0.010115 .321271 .507581 .642834 .750153	.331167 .517488 .652754	1 2 3
5 6 7 8 9	40.839 47.972 55.370 63.041 70.986	38.323 45.586 53.118 60.928 69.008	.199 .188 .176 .165	0.839761 $.917298$ $.985981$ 1.047932 $.104596$.927248 .995948 1.057917 .114604	42.535 49.976 57.692 65.682 73.957	40.023 47.599 55.454 63.581 72.002	.209 .198 .186 .175 .163	.917402 .986110 1.048088 .104784	.996095 1.058096 .114813	6 7 8 9
14	79.212 87.731 96.546 105.663 115.085	113.855	.153 .141 .128 .115 .102	1.157008 .205930 .251946 .295508 .336981	.215985 .262027 .305620 .347126	119.821	99.058 108.689 118.622		.206189 .252246 .295859 .337387	.262358 $.306004$ $.347571$	11 12 13 14
16 17 18 19	124.810 134.848 145.211 155.894 166.896	133.930 144.455 155.297 166.459	.077 .063 .050 .036	.414777 .451538 .487113 .521653	$\begin{array}{c} .461803 \\ .497429 \\ .532023 \end{array}$	$\begin{array}{c} 129.917 \\ 140.340 \\ 151.086 \\ 162.152 \\ 173.540 \end{array}$	139.468 150.374 161.601 173.149	.073 .059 .046 .033	1.377124 .415307 .452142 .487803 .522437	.462458 $.498173$	16 17 18
21 22 23	178.218 189.869 201.842 214.136 226.754	189.761 201.888 214.348	.023 .009 .004 .018 .031	1.555284 $.588113$ $.620244$ $.651766$ $.682757$.630811 .662408	185, 259 197, 303 209, 667 222, 359 235, 372	197.236 209.769 222.619	.006 .009 .022	1.556169 .589113 .621372 .653034 .684184	.632014 $.663764$	21 22 23
26 27 28 29	239.687 252.932 266.485 280.337 294.482	253.615 267.319 281.319 295.610	.057 .070 .082	.743453 .773293 .802880 .832273	.784337 .814050 .843581	262. 321 276. 254 290. 482 304. 994	263.048 277.130 291.505 306.152	.061 .073 .085 .097	1.714898 .745248 .775303 .805126 .834784	.786473 .816434	26 27 28
31 32 33 34	308.910 323.606 338.562 353.764 369.200	325.003 340.085 355.408 370.956	.105 .116 .127 .137 .146	.890725 .919901 .949123 .978450	.931714 .961137 .990685	334. 818 350. 110 365. 635 381. 374	336.239 351.651 367.289 383.128	.118 .128 .138 .146	.893850 .923383 .952997 .982763	$\begin{array}{c} .935397 \\ .965232 \\ .995245 \end{array}$	31 32 33 34
36 37 38 39	384.848 400.689 416.702 432.867 449.165	402.639 418.730 434.967 451.328	.162 .169 .175 .180	037692 067741	.080789 .111545	$\begin{vmatrix} 413.415 \\ 429.672 \end{vmatrix}$	415.342 431.673 448.130	.161 .167		.118475	36 37 38
41 42	$\begin{bmatrix} 465.572 \\ 482.055 \\ 498.596 \\ 515.166 \\$	484.295 500.861	.187	.192564 $.225357$	2.174614 .207113 .240375 .274521	495.786 512.452	497.952 514.623	.178 .180 .181 .180	2.168593 .201539 .235303 .270003	.250842	41 42
			20	$\pi =$	12.0361.			21	$\pi =$	12.3304.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

	ļ									PER CEN	1.
Policy Years.			22.					23.			Policy Years.
MM	V.	V.	<u>1</u> m.d.	λ (Bf).	λB.	V.	v.	1m d	λ (Bf).	λB.	Pol
n.	6m.	12m.	2	6m.	12m.	6m.	12m.	1m.d.	6m.	12m.	n.
0	9.487	6.333	.263	0.010126	0.020022	9.792	6.619	261	0.010138	0.020045	0
1	15.941	12.909	.253	.321294	.331201	16.537	13.489	.254	.321320	.331240	1
2	22.642	19.736	.242	.507619	.517539	23.539	20.623	.243	.507659	.517592	2
3 4	$29.601 \\ 36.819$	$\begin{vmatrix} 26.825 \\ 34.174 \end{vmatrix}$.231	.642886 $.750225$	652819 760175	30.804 38.336	28.018 35.689	.232	$\begin{array}{c} .642946 \\ .750303 \end{array}$	$\begin{array}{c} .652896 \\ .760270 \end{array}$	3 4
5	44.305	41.796	.209		0.849903	46.149	43.643		0.840037		5
6	52.068	49.699	.197	.917517	.927502	54.241	51.872	.197	.917645	.927653	6
7 8	60.107	57.876	.186	.986253	0.996261 0.996261	62.618	60.398		.986411	1.058506	7
9	68.432 77.053	66.348 75.117	.174	1.048262 .104989	.115044	71.293 80.271	69.222 78.354	$.175 \\ .160$	$1.048451 \\ .105215$.115296	8 9
10	85.974	84.191	.149	1.157471	1.167552	89.556	87.792		1.157737	1.167849	10
11	95.199	93.568	.136	.206473	.216585	99.151	97.544	.134	.206786	.216931	11
	104.734 114.575		.123	.252579 .296246	.262724 $.306430$	$\begin{array}{c} 109.055 \\ 119.278 \end{array}$.121	.252947 $.296672$.306895	12 13
	124.733		.097	.337834	.348057	129.831		.094	.338322	.348587	14
	135.220		.083	1.377634	1.387899	140.711		.080	1.378193	1.388509	15
	146.031		.070	.415889		151.916		.067	.416533	.426903	16
17 18	157.164	156.492 168.112	0.056 0.042	.452809 $.488563$.463179 $.498993$	$\begin{vmatrix} 163.447 \\ 175.312 \end{vmatrix}$.053 $.039$.453544 $.489397$.463974 $.499888$	17 18
19	180.413		.028	.523297	.533788	187.505		.026	.524243	.534810	19
20	192.529	192.345	.015	1.557142	1.567709	200.026	199.888	.012	1.558215	1.568857	20
	204.969		.001	.590214	.600856	212,876		.002	.591423	.602153	
	217.738 230.825		.012 $.025$	$\begin{array}{c} .622611 \\ .654431 \end{array}$.633341 $.665256$	226.046 239.535		.015 $.028$	$\begin{array}{c} .623977 \\ .655966 \end{array}$	634802 666895	22 23
	244.229		.038	.685753	.696682	253.338		.041	.687479	.698523	24
25	257.944	258.558	.051	1.716659	1.727703	267.445	268.091	.054	1.718597	1.729767	25
	271.962		.064	.747223	.758393	281.851		.066	.749394	.760702	26
	286.277 300.877		.076 $.087$.777512 .807598	.788820 .819059	296.544 311.510		.078	.779944 .810319	.791405 .821948	27 28
	315.748		.099	.837546	.849175	326.742		.100	.840586	.852399	29
30	330.883	332.194	.109	1.867421	1.879234	342.223			1.870813		30
31	346.268	347.701	.119	.897288	.909302	357.944		.120	.901068 .931424	.913303	31
	361.888 377.722		.129	$\begin{array}{c} .927211 \\ .957261 \end{array}$.939446 $.969743$	373.879 390.012		.128	.931424 $.961956$.943906 $.974704$	32 33
	393.753		.145		2.000258	406.320		.143		2.005783	34
	409.958		.152		2.031077	422.782		.149	2.023842	2.037212	35
36	426.316	428.211	.158	.048896	.062266	439.381	441,229	.154	.055353	.069078	
	442.809		.163 $.167$.080185		$\begin{vmatrix} 456.089 \\ 472.876 \end{vmatrix}$.158	087359 119955		
	459.411 476.092		.170	.144395	.158944	489.722		.163	.153236		
	492.831			2.177503	2.192521	506.597	508.554	.163		2.202848	40
41	509.599	511.666	.172	.211417	.226956	523.469			.222292	.238401	41
	526.366 543.098		.172	.246253 $.282139$		540.309 557.069		$160 \\ .156$.275049 $.312921$	43
XU		040.101	.100	.202100				1200			
			22.	$\pi =$	12.6399			23	$\pi =$	12.9656	
						L					

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

						1					
Policy Years.		(x = 2	4.				25.			Policy Years.
Pol Ye	v.	V.		λ (B f).	λB.	V.	V.		λ (Bf).	λB .	Pol
n.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	n.
				0111.							
0	10.112	6.916	.266	0.010152	0.020072	10.450		.268		0.020100	
1	17.161	14.097	.255	.321348		17.814	14.728		.321380	.331330	
2 3	$24.473 \\ 32.057$	21.542 29.264	.244	.507704 $.643009$		$\begin{vmatrix} 25.450 \\ 33.370 \end{vmatrix}$	$22.504 \\ 30.567$.246	0.507754 0.643080		2 3
4	39.922	37.271	.221	.750390	.760375	41.572	38.908		.750486		4
5	48.067	45.555		0.840150	0.850158	50.064	47.550		0.840275	0.850304	5
6	56.500	54.137	.197	.917787		58.857	56.495	.197	.917941	.927996	
7	65.233	63.021	.184	.986583	.996638	67.958	65.752	.184	.986772		
8	74.271	72.214	.171		1.058740	77.370	75.319	.171		1.058998	
9	83.618	81.714	.159	.105462	.115574	87.096	85.205		.105735		
10	93.277		.146	1.158031	1.168176	97.137	95.399	.145		1.168541	
	103.247 113.537		.133	.207134 .253351	.217318 .263574		105.929 116.794		$\begin{bmatrix} .207515 \\ .253793 \end{bmatrix}$		
	124.161		.105	.297138	.307403	129.225	127.987	.103	.297648		
	135.114		.091	.338857	.349173	140.583			.339450		
15	146.394	145.461	.078	1.378811	1.389181	152.271	151.363	.076	1.379493	1.389923	15
16	158.000	157.232	.064	.417242	.427672	164.299	163.565	.061	.418019	.428510	16
	169.945		.050	.454350	.464841		176.084		.455238		
	182.220		.036	.490314	.500881 .535927	$189.350 \\ 202.376$.034	.491325 .526430		
	194.824		.022	.525285					l.		
	207.759 221.018		.009	$\begin{array}{c} 1.559392 \\ .592756 \end{array}$	1.570122 $.603581$	215.726 229.400			1.560689 1.594219	$\begin{bmatrix} 1.571514 \\ .605148 \end{bmatrix}$	
	234.596		.018	.625477	.636406				.627129		
	248.491		.031	.657656	.668700	257.691	258.083	.033	.659516		
	262.692		.044	.689379	.700549	272.295	272.837	.045	.691469	.702777	24
25	277.194	277.866	.056	1.720729	1.732037	287.188		.057	1.723075	1.734536	
	291.985		.068	.751784		302.359		.068	.754415		
	307.051		.079	.782621		317.798 333.493		.079	.785567 .816606		
	$322.384 \\ 337.969$.090	.813313 .843930		349.427		.099	.847607	0.859842	
	353.794		.110	1.874543	1.886778			.108		1.891131	30
	369.835		.118	.905229		381.934		.116	.909810		
32	386.076	387.591	.126	.936064	.948812	398.466	399.937	.123	.941170	.954218	32
	402.493		.133	.967123	.980171	415.152		.129	.972813		
	419.064		.139		2.011858			.134		2.018541	
	435.773				2.043962					2.051392	
	452.593		.148	.062461		465,931 483,008		.141		.084837	
	469.492 486.450		.151	0.095258 0.128724		500.113		.143	103951 138376		
	503.437			.162967		517.217			.173681	.189790	
	520.422				2.214215			.141		2.226734	1
	537.373		.151		.251006			.136	.247454		
42	554.246	556.002	.146	.271587	.289009	568.188	569.797	.134	.286206		
43	571.042	572.773	.144	.310212	.328393	584.997	586.528	.128	.326408	.345409	43
			24.	$\pi =$	13.3082.			25.	$\tau =$	13.6687.	
			~ T.		23.0000						

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

						11			T 1	PER CENT	1.
Policy Years.			26.					27.	1		Policy Years.
n.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λB. 12m.	V. 6m.	V. 12m.	1/2 m.d.	λ (Bf). 6m.	λΒ. 12m.	n.
0 1 2 3 4	10.800 18.492 26.469 34.731 43.284	7.551 15.384 23.505 31.907 40.613	.271 .259 .247 .235 .223	0.010184 .321413 .507809 .643160 .750593	.517794	$ \begin{array}{c c} 11.170 \\ 19.208 \\ 27.532 \\ 36.151 \\ 45.076 \end{array} $	7.892 16.075 24.541 33.313 42.391		0.010199 .321450 .507870 .643247 .750708	0.020166 .331435 .517878 .653276 .760763	1 2 3
5 6 7 8 9	52.143 61.309 70.790 80.586 90.700	49.623 58.947 68.583 78.541 88.810	.210 .197 .184 .170 .158	0.840410 .918111 .986978 1.049138 .106038	.928192	54.313 63.865 73.737 83.928 94.444	51.787 61.496 71.530 81.877 92.564	.210 .197 .184 .171 .157	0.840558 $.918295$ $.987207$ 1.049416 $.106371$.928407 $.997352$	
11 12 13	101.138 111.913 123.022 134.463 146.236	121.635 133.242	.143 .129 .116 .102 .088	1.158714 .207932 .254277 .298213 .340102	.218197 .264593 .308583	105.302 116.495 128.024 139.886 152.093	114.952 126.647 138.677	.143 .129 .115 .101 .086	1.159104 .208388 .254813 .298835 .340818	.265183 .309265	11 12 13
16 17 18	158.352 170.802 183.585 196.707 210.154	$170.082 \\ 183.040 \\ 196.324$.073 .060 .045 .032 .018	1.380240 .418875 .456215 .492434 .527690	.429442	$177.520 \\ 190.740 \\ 204.290$	190.209 203.923	.058	1.381062 .419817 .457288 .493657 .529076	.430459	16 17 18
21 22 23	223.927 238.021 252.424 267.134 282.136	238.121 252.679 267.540	.005 .008 .021 .034 .046	1.562115 .595831 .628947 .661562 .693769	1.573044 .606875 .640117 .672870 .705230	232.368 246.883 261.704 276.820 292.218	246.993 261.967 277.225	.004 .009 .022 .034 .045	1.563685 .597605 .630946 .663813 .696300	.608775 $.642254$ $.675274$	21 22 23
26 27 28	297.418 312.970 328.778 344.829 361.099	313.787 329.720 345.888	.057 .068 .079 .088 .097	1.725657 .757310 .788807 .820227 .851654	.800821 .832462	307.888 323.817 339.990 356.384 372.983	324.620 340.911 357.410	.057 .067 .077 .085 .094	1.728499 .760494 .792370 .824213 .856110	.772508 .804605	26 27 28
31 32 33	377.573 394.224 411.033 427.981 445.041	395.566 412.450 429.463	.105 .112 .118 .123 .127	.914853 $.946793$ $.979071$ 2.011781	$\begin{array}{c} .927901 \\ .960163 \\ .992796 \\ 2.025899 \end{array}$		$\begin{array}{c} 407.979 \\ 425.122 \\ 442.359 \\ 459.664 \end{array}$		$\begin{array}{c} .920406 \\ .952978 \\ .985959 \\ 2.019452 \end{array}$	0.966703 0.000077 0.034001	31 32 33 34
36 37 38	462.181 479.382 496.612 513.840 531.034	480.970 498.205 515.426	.130 .132 .133 .132 .130	2.045025 .078901 .113520 .149004 .185481	1.129059 1.165113	475.567 492.928 510.287 527.612 544.856	494.387 511.739 529.037	.121 .122 .121 .119 .114	2.053555 .088383 .124057 .160709 .198475	.103922 .140166 .177447	36 37 38
41 42	548.147 565.183 582.115 598.872	566.664	.123 .117	2.223088 .261976 .302300 .344246	.321301	562.020 579.081 595.966 612.658	580.347 597.137	.106 .098 .089	2.237507 .277963 .320028 .363895	.296964 .339946 .384806	41 42
			26.	$\pi = 1$	14.0485.			27.	$\pi = 1$	14.4479.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

										ER CENT	
Policy Years.			x = 2	8.				29.	•		Policy Years.
Po	V.	v.	1 1	λ (Bf).	λB.	v.	v.	1 3	λ (Bf).	λB.	Po
n.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	n.
		0.040		0.010000			0.004	0.1.0	0 010011	0.000000	
0	11.559 19.949	8.248 16.782	.276 $.264$	$0.010220 \\ .321494$		11.958 20.718	8.604 17.519	.279 $.267$	$\begin{vmatrix} 0.010244 \\ .321541 \end{vmatrix}$	0.020252 0.331570	
2	28.637	25.623	.251	.507938	.517967	29.788		.254	.508011	N.	
3	37.633	34.774	.238	.643342	.653397	39.177	36.295	.240	.643446		
4	46.944	44.244	.225	.750835	.760916	48.885	46.163	.227	.750973		
5	56.572 66.522	54.031 64.144	.212	0.840720		58.918	56.361	.213		$0.851045 \\ .928912$	
7	76.793	74.573	.185	.918500 $.987462$.928645 $.997646$	69.275 79.964	66.877	$.200 \\ .185$	0.918728 0.987740		
8	87.394	85.346	.171	1.049723	1.059946	90.998	88.946	.171	1.050056	1.060321	8
9	98.338	96.461	.156	.106733	.116998	102.375	100.492	.157	.107131		
10	109.620		.142		1.169848	114.091		.143		1.170376	
	121.240 133.197		.128	.208894 $.255403$.219264 $.265833$	126.148 138.554		.129	.209451 $.256051$.219881 $.266542$	
	145.502		.099	.299517		151.305		.100	.300268		
14	158.147	157.116	.086	.341605		164.397		.085	.342472	.353114	
	171.130		.071		1.392610	177.833		.071		1.393692	
	184.455 198.114		0.057	.420851 $.458471$		191.604		.057	.421991	.432816	
	212.102		.030	.495000		205.709 220.141		.043	.459769 .496479	.470698 $.507523$	
	226.415		.017	.530601	.541645			.017	.532280	.543450	
20	241.044	241.003	.003	1.565412	1.576582	249.956	249.909	.004	1.567312	1.578620	20
	255.984		.009	.599556		265.319		.008	.601703		
	271.221 286.741		.021	.633147 $.666291$		280.969 296.895		.020 $.031$.635569 $.669018$.647198 $.680831$	
	302.535		.044	.699086		313.084		.042	.702150		
25	318.591	319.248	.055	1.731624	1.743638	329.520	330.143	.052	1.735062	1.747297	25
26	334.893	335.668	.065	.763995	.776230	346.184	346.912	.061	.767850	.780332	26
	351.417 368.148		.073	.796292 $.828602$		363.053 380.105		.069	.800610 .833434	.813358 .846482	
	385.059		.089	.861016		397.318		.082	.866418	.879788	
	402.131			1.893624				.088	1.899651	1.913376	
31	419.344	420.549	.100	.926514	.940239	432.145	433.248	.092	.933238	.947356	31
32	436.670 454.079	437.923	.104	.959786		449.698		.095	.967285	.981834	
	471.548		.107	2.027894	$2.008095 \\ .042912$.097	2.001896 .037188	2.016914 0.052727	34
1 3	489.048			2.062946						2.089396	
36	506.544	507.855	.109	.098824		520.208		.097	.110325	2.089390	36
37	524.007	525.290	.107	.135663	.152401	537.733	538.813	.090	.148443	.165865	37
38	541.388 558.690	542.617 559.802	.102	0.173599 0.212786		555.179 572.518		.088	.187797	.205978 $.247544$	
			.100					.081	.228543		. 1
41	575.885 592.906	577.009 593.933	.094 $.086$	$2.253382 \\ .295574$		606.644		.073	.314975	2.290788 .335886	
42	609.730	610.658	.077	.339556	.360467	623.386	624.041	.055	.361067	.383074	42
43	626.334	627.142	.067	.385539	.407546	639.875	640.396	.043	.409383	.432587	43
			28.	$\pi - 1$	4.8689.			29.	$\pi = 1$	5.3125.	
			~0.	., — 1	1.0000.			20.			

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

_						11				PER CEN	7
Policy Years.			30.					31	•		Policy Years.
	٧.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf).	λB.	V.	V.	$\frac{1}{2}$ m.d.	λ (Bf).	λB.	
n.	6m.	12m.		6m.	12m.	6m.	12m.		6m.	12m.	n.
0 1	12.386 21.535	8.992	.283 .270	0.010266		12.832 22.387	9.392		0.010293 0.321644	$0.020348 \\ .331725$	
2	31.005	$18.300 \\ 27.931$.256	321589 508090		32.268	$\begin{array}{c} 19.111 \\ 29.155 \end{array}$	$\begin{array}{c} .273 \\ .259 \end{array}$.521044 $.508176$.518288	2
3 4	40.798 50.917	37.885 48.171	.243	0.643557 0.751126	.653669 $.761271$	42.480 53.022	$39.534 \\ 50.238$.246	0.643685 0.751298	.653830 $.761482$	
5	61.364	58.778			0.851284	63.901	61.293	.217	0.841319		5
6 7	72.146 83.276	69.734 81.039	.201	.918977	.929200 $.998308$	75.132 86.712	72.701 84.452	.203	0.919249 0.988376	.929514 $.998692$	
8	94.751	92.685	.172	1.050422		98.637	96.550		1.050828	1.061198	8
1		104.674	.158	.107571	.117941	110.908		.159	.108057	.118487	
	118.730 131.245		.144	1.160528 $.210061$	1.170958 $.220552$	123.536 136.514		.144	.210734	$1.171591 \\ .221301$	11
12	144.106	142.729	.115	.256763	.267330	149.839		.115	.257548	.268190	
	157.311 170.865	156.114 169.836	.100 $.086$.301095 $.343424$.311737 $.354154$	163.515 177.532		.101	302002 344474	$\begin{array}{r} .312732 \\ .355299 \end{array}$	
15	184.755	183.895	.072	1.384058	1.394883	191.888		.073		1.396191	
	$198.982^{\dagger} \\ 213.540$.058 $.044$.423244 $.461199$.434173 $.472243$	$\begin{vmatrix} 206.578 \\ 221.592 \end{vmatrix}$		0.059	.424624 $.462774$.435668 $.473944$	
	228.419		.031	.498107	.509277	236.924		.033	.499897	.511205	18
	243.613		.018	.534126	.545434	252.561		.020	.536159	.547620	1
	$259.109 \\ 274.895$.006	1.569403 $.604066$	1.580864 $.615695$	268.490 284.700		.008	1.571705 $.606667$	1.583334 $.618480$	
22	290.960	291.170	.017	.638235	.650048	301.178	301.346	.014	.641167	.653181	22
	307.289 323.868		.038	.672018 $.705520$.684032	317.907 334.868		0.024 0.033	.675317 $.709230$	$\begin{array}{c c} .687552 \\ .721712 \end{array}$	
	340.676	i	.047		1.751328	352.037			1.743013		1
26	357.691	358.361	.056	.772095	.784843	369.394	369.979	.049	.776768		
	374.893; 392.254;		$.063 \\ .069$.805364 .838755		386.914 404.580		.055 $.061$.810600 .844609		
	409.761		.075	.872360		422.362		.065	.878902	.893020	
	427.383		.079	1.906286		440.228		.068		1.928144 $.963813$	
	$445.089 \cdot 462.857$.082	.940644	.990193	458.157 476.116	456.999 476.963	.070	.948795 $.984625$	2.000164	
33	480.655 -	481.667	.084	2.011089	2.026628	494.074	494.913		2.021214	.037323	
2	498.450		.084	.047424		511.995		.068	058699 2.097223		
	516.211 = 533.889		.081	2.084677 122991	$2.101415 \\ 140413$	547.590	548.320	.063	.136945	155126	
37	551.485	552.382	.075	.162522	.180703	565.238	565.886	.054	.178025	.197026	
	568.975 . 586.285 .		$.068 \\ .060$.203430 $.245902$.222431 $.265820$	582.706 599.972	600.420	.046	$\begin{array}{c} .220653 \\ .265029 \end{array}$	$\begin{array}{c} .240571 \\ .285940 \end{array}$	
1 1	603.397				2.311049	617.014	617.337	.027		2.333371	
41	620.285	620.778	.041	.336347	.358354	633.796 650.297	633.984	.016	.359897	.383101 $.435387$	
	636.916 653.269		$.030 \\ .018$.384768		666.477		.003	.464594	.490558	
			<u>'</u>		15 MM01			31.	$\pi =$	16.2712.	
			30.	$\pi = 1$	15.7791.			01.			

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

			x = 3	ດ				33.		PER CEN	1
Policy Years.		1	$x = \mathbf{o}$					00.	1	1	Policy Years.
KA	V.	V.	1 m.d.	λ (Bf).	λB.	V.	V.	1m.d.	λ (Bf).	λB.	PIN
n.	6m.	12m.	2	6m.	12m.	6m.	12m.	2	6m.	12m.	n.
0	13.301	9.811	.291	0.010321	0.020402	13.789	10.240	.296	0.010352	0.020464	0
1	23.275	19.950	.277	.321703	.331815	24.200	20.821	.282	.321772	.331917	
2 3	33.584 44.226	30.428 41.233	.263 $.249$.508275 $.643826$.518420 $.654010$	34.946 46.037	31.733 43.004	.268	0.508385 0.643981	.518569 .654204	
4	55.208	52.394	.235	.751485	.761708	57.488	54.634	.238	.751688		
5	66.547	63.909		0.841558		69.294	66.615	.223	0.841819	0.852135	5
6	78.235	75.772	.205	.919547	.929863	81.450	78.948	.209	.919877	.930247	6
7	90.274	87.985	.191	.988745	.999115	93.961		.194	.989152	.999582	
8 9	102.661 115.410		.176 $.161$	1.051275 $.108589$.119080	106.836 120.066		.178	.1091765	1.062256 1.119741	8 9
	128.510		.147		1.172297	133.650		.149		1.173066	-
	120.910 141.961		.131	.211474	.222116	147.592	145.982	.134	.212287	.223017	
12	155.767	154.361	.117	.258409	.269139	161.883	160.445	.120	.259359	.270184	12
	169.916		.103	.303003	.313828	176.518		.105	.304103	.315032	
	184.409		.089	.345627	.356556	191.495		.091	.346896		1
	199.238 214.395		.075 $.061$	1.386588 $.426142$		206.801 222.432		.078	1.388047 $.427811$	1.399217 $.439119$	
	229.872		.048	.464505		238.374		.052	.466411	.477872	
18	245.657	245.229	.036	.501868	.513329	254.613		.040	.504037	.515666	18
19	261.737	261.455	.024	.538396	.550025	271.139	270.803	.028	.540858	.552671	19
	278.101		.012	1.574238		287.937		.017		1.589039	
	294.734		.001	.609529		304.994 322.284		.007	.612675		
	311.623 328.744		.009	.644392 $.678949$		339.788		.003	.647942 $.682949$		
	346.077		.027	.713315		357.483		.018	.717813	.730861	
25	363.598	364.006	.034	1.747600	1.760648	375.344	375.646	.025	1.752653	1.766023	25
26	381.284	381.771	.041	.781914				.031	.787576		
	399.117		.046	.816360		411.483		.035	.822702	.836820	
	417.068 435.103		0.050	.851053 $.886109$		429.697 447.975		.038	.858152 .894042	.872701 $.909060$	
	453.202		.056		1.936658			.041		1.946037	
	471.333		.056	.957771	.973310			.040	.967657		
32	489.460	490.125	.055	.994634	2.010743	502.863	503.315		2.005660	2.022398	32
	507.551			2.032368		521.048		.033	.044655		
	525.559		.048	.071118				.031	.084802		
	543.483 561.299		.046 $.039$	2.111045 152310	2.129226	557.143 574.951	575 135	.024 $.015$	2.126267 169242	$2.145268 \\ .189160$	
37	578.932	579.303	.031	.195106	.215024	592.554	592.635	.007	.213929		
38	596.362	596.631	.022	.239632	.260543	609.927	609.882	.004	.260544	.282551	38
	613.565		.012	.286102	.308109	627.037		.015	.309326	.332530	
	630.507				2.357959	643.858		.028		2.385037	
	647.164		.012	.385839		660.355 676.495	675 809	.043 $.057$	$\begin{array}{c} .414439 \\ .471378 \end{array}$.440403 $.498915$	
	663.497 679.481		.026	.439653 $.496504$.465617 $.524041$	692.273	691.399	.073	.531660		
				1200001							
			32	$\pi = 1$	16.7902.	1		33.	$\pi = 1$	17.3376.	
	1	n Page *				1					

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000,

						1				PER CEN	1.
Policy Years.			34.					35.			Policy Years.
	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λΒ. 12m.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m,	λΒ. 12m.	1
n.											$\frac{n}{n}$
0	14.303 25.161	10.691 21.716	.301 $.287$	0.010390 0.321849	0.020535 $.332033$	14.834 26.162	11.144 22.655	.308	$\begin{bmatrix} 0.010430 \\ .321929 \end{bmatrix}$	$\left egin{array}{c} 0.020614 \ .332152 \end{array} \right $	
2 3	36.367 47.936	33.103 44.853	.272	.508504	.518727 $.654412$	37.855 49.912	34.532 46.767	.277	.508630	.518895 $.654644$	
4	59.863	56.958	.242	.751910	.762226	62.327	59.363	.247	.752158	.762528	4
5	72.146 84.786	69.419 82.238	.227	0.842109 0.920241	0.852479 0.930671	75.103 88.252	72.320 85.659	.232	0.842429	0.852859 $.931132$	
7	97.793	95.434	.197	.989597	1.000088	101.763	99.344	,202	.990087	1.000654	7
	111.161 124.886		.182	1.052304 $.109819$		$115.637 \\ 129.876$.186	1.052897 1.10527	.063539 $.121257$	9
	138.973 153.411		.152	1.163186 .213183	1.173916	144.470 159.417		.156	1.164025 $.214167$	1.174850 $.225096$	
12	168.198	166.722	.123	.260402	.271331	174.711	173.182	.127	.261550	.272594	12
	183.329 198.794		.109	.305313		190.344 206.306		.114	306646 349830	317816 361138	
15	214.586	213.606	.082	1.389652	1.400960			.087		1.402879	
	230.693 247.101		.069 $.057$.429649		239.172 256.049		.075	.431673 .470818	.443302 $.482631$	
18	263.797	263.259	.045	.506425	.518238	273.205	272.589	.051	.509051	.521065 .558780	
	280.770 298.002		.034	$\begin{bmatrix} .543567 \\ 1.580090 \end{bmatrix}$	1.592325	290.624 308.282		.041	.546545 1.583463	1.595945	
21	315.471	315.304	.014	.616140	.628622	326.158	325.888	.022	.619955	.632703	21
	333.157 351.035		0.005	.651852 $.687352$		344.230 362.470		.015	.656156 $.692203$		
	369.080		.009	.722768	.736138	380.864	380.833	.003	.728218		
	387.276 405.593		.015	1.758212 .793810	1.771937	399.377 417.979	399,398 418,036	.002	$\begin{bmatrix} 1.764332 \\ .800678 \end{bmatrix}$	1.778450 .815227	
27	423,996	424.258	.022	.829689	.844238	436.646	436.731	.007	.837379	.852397	27
	$\frac{442.463}{460.962}$.024 $.025$.865967 $.902777$		455.345 474.041			.874572 .912399	.890111 .928508	
	479.458		.024	1.940256	1.956365	492.700	492.754	.004	1.951007	1.967745	
	497.918		.021 $.017$.978550	. 995288 2. 035229			.000	0.990549 0.031191	2.007971 $.049372$	
	516.292 534.582		.017	.058192	.076373	548.135	548.017	.010	.073102	.092103	33
1	552.760		.007	.099872		566.321		.018	$\begin{bmatrix} .116479 \\ 2.161527 \end{bmatrix}$.136397	
		570.739 588.420	.001 $.010$	$\begin{vmatrix} 2.143040 \\ .187901 \end{vmatrix}$	2.162958 $.208812$	602.041	601.586	.037	2.161527 208464	.230471	36
37	606.090	605.846	.020	.234671	.256678	619.514 636.694	618.918	$.050 \\ .062$.257533 .308985		
	623.377 640.372	622.997 639.838	.032	.283591 .334912		653.541		.002	.363125	.389089	
40	657.040	656.326			2.414899	670.026	668.915	.093	$2.420261 \\ .480714$	2.447798 .509970	
	673.347 689.288	$672.454 \\ 688.207$.074	.445970 $.506334$.535590	686.138 701.846	700.332	.108	.544876	.576033	42
		703.535	.108	.570419	.601576	717.128	715.399	.144	.613161	.646384	43
			34.	$\pi -$	17.9149.			35.	$\pi = 1$	18.5241.	
			197	,,		11					

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

				0				0.24			
Policy Years.		(v = 3	0.				37.			Policy Years.
Pc	V.	V.	$\frac{1}{2}$ m.d.	λ (B f).	λB.	V.	V.	$\frac{1}{2}$ m.d.	λ (B f).	λB.	KK
n.	6m.	12m.	2 m.u.	6m.	12m.	6m.	12m.	2 m.u.	6m.	12m.	n.
0	15.403	11.640	.314	0.010470	0.050603	15.999	12.152	.321	0.010514	0.090%%0	0
1	27.229	23.651	.298	.322014	.332279	28.334	24.671	.305	.322111	.332427	1
2	39.420	36.024	.283	.508769	.519085	41.037	37.559	.290	.508927	.519297	2
3	51.976	48.762	.268	.644531	.654901	54.111	50.817	.275	.644756	.655186	
4	64.897	61.866	.253	.752432	.762862	67.564		.258	.752730	.763221	
5	78.194 91.857	75.355 89.194	.237	0.842778 $.921079$	0.853269 0.931646	81.388 95.583	78.467 92.854	.243	0.843164 .921563		5 6
	105.887		.206		1.001269	110.152		.212		1.001949	
8	120.287	117.993	.191	1.053548	.064278	125.084	122.718	.197	1.054267	.065092	8
	135.044		.176	.111307	.122132	140.378	138.193	.182	.112164	.123093	9
	150.161		.161	1.164947	1.175876	156.027		.168		1.177007	
	165.627 181.436		.147	.215250 .262814		172.022 188.355		.153	$\begin{array}{c} .216443 \\ .264205 \end{array}$.227613 .275513	
	197.578		.119	.308111		205.013			.309724	.321185	
	214.043		.106	.351522		221.981			.353385	.365014	
15	230.814	229.693	.093	1.393363	1.404992	239.250		.101	1.395503	1.407316	15
	247.882		.081	.433899	.445712	256.804		.090	.436349		
	265.231 282.846		.070	.473358 .511939		274.626 292.693		.079	$\begin{array}{ c c c c c } .476151 \\ .515119 \end{array}$.488386 $.527601$	
	300.703		.050	.549824		310.985		.060	.553436	.566184	
20	318.781	318,291	.041	1.587179	1.599927	329.474	328.842	.053	1.591271	1.604319	20
21	337.055	336.654	.033	.624155	.637203	348.138	347.589	.046	.628783	.642153	21
	355.502		.026	.660898		366.957		.040	.666115	.679840	
	374.103 392.825		.021	.697539 .734219		385.901 404.933		0.035 0.032	.703415 .740831	0.717533 0.755380	
1	411.636		.013	1.771075		424.032		.030		1.793517	1
	430.514		.013	.808238		443.166		.029	.816565	.832104	
27	449.423	449.298	.010	.845849	.861388	462.295	461.933	.030	.855180		
	468.331		.011	.884053		481.387		.033	.894500	.911238	
	487.200		.014	.923002		1		.038	.934684	.952106	
	505.981 524.677		.018	$\frac{1.962852}{2.003772}$	1.980274 2.021953	519.305 538.106		.040	1.975906 2.018338	$\frac{1.994087}{2.037339}$	
	543.259		.028	.045934		556.714		.056	.062183	.082101	
33	561.650	561.211	.037	.089535	.109453	575.109	574.329	.065	.107650	.128561	33
1	579.830		.046	.134785		593.263		.076	.154962		
	597.774				2.203909				2.204363		
	615.443 632.817		.068	$\begin{array}{c} .231131 \\ .282725 \end{array}$		628.718 645.956		.101	.256110 .310510		
	649.853		.096	.336990		662.822		.132	.367873		
	666.523		.112	.394235		679.308		.148	.428524	.457780	
	682.817		.128	2.454784				.166		2.524014	
41	698.702	696.954	.146	.519028		711.016		.185	.561287		
43	714.156 729.168	712.191 726.980	.164	.587383		726.206 740.936		.203	$\begin{array}{c c} .634256 \\ .712260 \end{array}$	0.669739 0.750216	
			36.	I	19.1663.			37.		19.8452.	
					10,1000			- J.			

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

1	1							20		THE CHAIN	
Policy Years.			38.					39.			Policy Years.
KÄ	V.	V.	$\frac{1}{2}$ m.d.	λ (Bf).	λB.	V.	V.	$\frac{1}{2}$ m.d.	λ (Bf).	λΒ.	AA
n.	6m.	12m.	2 m.u.	6m.	12m.	6m.	12m.	2111.4.	6m.	12m.	n.
0	16.618	12.673	.329	0.010568	0.02088.1	17.267	13.214	.338	0.010624	0.020994	0
1	29.477	25.719	.313	.322221	.332591	30.671	26.807	.322	.322341	.332771	1
2	42.710	39.140	.298	.509102	.519532	44.463	40.800	.305	.509289	.519780	
3	56.329	52.956	.281	.645002	.655493	58.638	55.156	.290	.645272	.655839	
4	70.324	67.130	.266	.753060		73.192	69.908	.274	.753423	.764065	
5	84.694	81.695	.250		0.854231	88.130	85.032	.258	0.844054		5
6	99.442	96.627	.235		.932824	103.440 119.120		.243	.922678 .992591	0.933503 1.003520	_
8	114.557 130.040		.219	1.055056	1.002698 0.065985	135.165		.212	1.055925	.066969	
	145.881		.189	.113110		151.564		.198	.114148	.125318	
1	162.072		.175	1.167081		168.310		.183	1.168310	1.179618	10
11	178.606		.161	.217755	.229063	185.390	183.350	.170	.219199	.230660	11
12	195.469		.147	.265736	.277197	202.788		.157	.267421	.279050	
13	212.647		.135	.311500	.323129	220.493		.144	.313455	.325268	
	230.128		.122	.355434	.367247	238.491		.133			
	247.897		.110		1.409872	256.764 275.288		.121	1.400447 1.42008	1.412682 .454490	
	265.939 284.228		.100	1.439043 479227		294.042		.102	.482615		
	302.745		.081	.518622		312.999		.095	.522478		
	321.462		.073	.557414	.570462	332.135		.087	.561795	.575165	19
20	340,355	339,564	.066	1.595779	1.609149	351.431	350.455	.081	1.600738		
21	359.407	358.687	.060	.633875		370.853		.077	.639481	.653599	
	378.582		.055	.671860		390.367		.074	$\begin{array}{c c} .678190 \\ .717019 \end{array}$		
	397.850 417.183		.052 $.050$.709891 .748111	724440	$409.950 \\ 429.567$	198 717	.071	.756129		
						449.180		.071	1.795684		
100	436.552 455.916		.050 $.050$	1.786675 .825739		468.755		.074	.835850		
	475.244		.053	.865464		488.238		.079	.876794		
	494.480		.058	.906012	.923434	507.633	506.656	.081	.918699		
	513.628		.060	.947560	.965741	526.909		.089	.961745		
30	532.661	531.851	.068		2.009137	545.988		.098		2.026057	
	551.497		.076	2.034395	.054313	564.847		.107	0.052097 0.099845	.073008 .121852	31
	570.117		.085	.080097	.101008 .149626	583.461 601.791		.131	.149635	.172839	
	$588.496 \\ 606.593$.109	.177207	.200411	619.814			.201726		
					2.253632				2.256427		35
	624.388 641.837		.137	.283663		654.780	652,671	.176	.314055	.341592	36
	658.911		.153	.341154		671.683	669.375	.192	.374935		
38	675.600	673.565	.170	.401915	.431171	688.162	685.629	.211	.439466		
39	691.870	689,613	.188	.466343		704.192			.508066		1
	707.697		.207		2.568078	719.767	716.777	.249		$\begin{array}{c} 2.616661 \\ .697259 \end{array}$	
	723.073		.226	.607893		734.870 749.505	731.043	.269	659303 742974	.783620	
42	737.986 752.436	730.044	.245	685955 769575		763.667			.832813		
10		1111.200	.~01				-			24.04.0	
			38.	$\pi = 0$	20.5624.			39.	$\pi = 3$	21.3199.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

D. vi			x = 4	:0.				41.			No.
Policy Years.	77	77		1 (DC)	1 D	77	XT		1 2 (D (2)	2.70	Policy Years.
n.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λB. 12m.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λB.	
-		12111.		UIII.	12111.		12111.		0111.	12m.	n.
0	17.948	13.775		0.010687		18.673	14.379	.358	0.010752	0.021243	0
1 2	31.926 46.291	27.956 42.504	.331	322469 $.509497$.332960 $.520064$	33.238 48.193	$ \begin{array}{r} 29.130 \\ 44.288 \end{array} $.342	.322612	.333179	
3	61.039	57.453	.299	645569	.656211	63.542		.325 $.309$	$\begin{bmatrix} .509727 \\ .645894 \end{bmatrix}$	$\begin{array}{c} .520369 \\ .656624 \end{array}$	
4	76.177	72.780	.283	.753819	.764549	79.273	75.751	.294	.754258		
5	91.691	88.482	.267			95.386		.278		0.856060	
	107.582 123.842		.252 $.237$.923321	.934250 1.004425	111.873 128.723		.262	.924029	.935073 1.005421	6
8	140.461	137.798	.222	1.056883	.068053	145.931		.233	1.057934	.069242	
9	157.431	154.943	.207	.115290	.126598	163.481	160.855	.219	.116549		
	174.739			1.169663		181.358		.205		1.182782	
	192.370 210.312		.180	.220789 $.269276$.232418	199.551 218.044		.192	$\begin{array}{ c c c c } & .222539 \\ \hline & .271315 \end{array}$		
13	228.551	226.682	.156	.315604	.327618	236.822		169	.317968		
14	247.069	245.335	.145	.360168	.372403	255.856	253.950	.159	.362898	.375380	
	265.842		.135	1.403298		275.126		.149		1.419186	
	284.846 304.058		.125 $.117$.445275 $.486345$.458023	294.605 314.269		.141	.448873 $.490455$		
18	323.450	322.129	.110	.526728		334.095		.128	.531402		
19	343.004	341.757	.104	.566616		354.053		.123	.571924	.586042	19
	362.686		.099		1.620318			.120		1.626767	
	382.462 402.306		.096 $.094$	$\begin{array}{c} .645659 \\ .685160 \end{array}$		394.227 414.383		.117	0.652462 0.692837	667480 708376	
23	422.186	421.067	.093	.724871		434.538		.118	.733524	.749633	
24	442.061	440.935	.094	.764965	.781074	454.651	453,209	.120	.774703	.791441	24
	461.899		.096	1.805614				.125		1.833978	
1	481.643 501.297		.102	$.846991 \\ .889285$.864413 $.907466$	494,600 514,407	493.066 519 781	.128	$\begin{bmatrix} .859274 \\ .903047 \end{bmatrix}$.877455 .922048	
28	520.831	519.493	.112	.932678		534.011		.145	.948091	.968009	
	540.166		.121	.977383	.997301	553.390	551.540	.154	.994628	2.015539	
	559.277		.130	2.023618					2.042891		
	578.141 596.716		.141 $.154$.071613 $.121622$		591.352 609.871		.178 $.192$.093137	116341 170143	
33	614.979	612.970	.167	.173906		628.031		.208	.200684	.226648	
1 1	632.890		.184	.228776		645.801		.225	.258621	.286158	34
	650.414				2.314089					2.349025	
	667.544 684.244		.216 .235	.347561 $.412203$		680.103 696.574		.261	384531 453328	.415688 $.486551$	
38	700.490	697.438	.254	.480898	.514121	712.576	708.975	.300	.526608		
	716.271		.274	.554090		728.097		.321	.604873		
	731.577		.294		2.670238			.340		2.729307	
	746.408 760.760		.314	.716010 $.805894$		757.687		.361 $.379$	0.778594 0.875305		
43	774.657	770.439	.351	.902565		785.440		.397		3.029839	
						-			1	l	
			40.	$\pi = 5$	22.1206.			41.	$\pi = 3$	22.9667.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

D 02			42.					43.		EII OEMI	
Policy Years,	V.	1 77) (D4)) D	77			2 (D ()	2.D	Policy Years.
n.	6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λΒ. 12m.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	$\frac{\lambda(\mathrm{B}f)}{6\mathrm{m}}$.	λΒ. 12m.	n.
											-
0	19.415 34.587	14.966 30.345	.371	$0.010831 \\ .322771$	0.021398	20.212	15.613		0.010911		
1 2	50.160	46.113	.337	.509978	$\begin{array}{r} .333413 \\ .520708 \end{array}$	36.021 52.225	31.620 48.020	367 350	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$.333671 .521080	1 2
3	66.122	62.267	.321	.646255	.657080	68.821	64.812	.334	.646649	.657578	3
4	82.469	78.808	.305	.754740	.765669	85.802	81.982	.318	.755270	.766314	
5	99.196 116.293		.289 $.274$	0.845753 $.924809$	0.856797 0.935979	103.158 120.882		.303	0.846437 0.925665		
7	133.752	130.639	•259	.995207	1.006515	138.959	135.677	.274	.996260	1.007721	7
	151.557 169.696		.245 $.232$	1.059092 $.117934$.070553 $.129563$	157.372 176.112		.259	$1.060366 \\ .119458$.071995 $.131271$	8 9
	188.155		.219		1.184606	195.159		.234			
11	206.917	204.442	.206	.224464	.236478	214.500	211.835	.222	.226579	.238814	11
- 10	225.968 245.280		.195	.273558	.285793 .333053	234.105 253.953		.212	$\begin{array}{ c c c c c c } .276028 \\ .323439 \end{array}$.288510 .336187	
	264.832		.175	.365905	.378653	274.018		.194	369217	.382265	
15	284.595	282.594	.167	1.409896	1.422944	294.271		.186	1.413707	1.427077	
	304.546		.159	.452837	.466207	314.693		.180	.457198	.470923 $.514075$	
	$324.661 \\ 344.910$.153	.494977 $.536551$.508702	335.248 355.903		.175	.499957 $.542225$	0.514075 0.556774	
	365.255		.145	.577775	.592324	376.628		.169	.584217	.599235	19
10 0	385.669		.142	1.618845	7.000000	397.389		.168		1.641684	
	406.121 426.568		.142	.659955 $.701297$.675494 $.717406$	418.148 438.866		.169 $.172$.668214 $.710624$	0.684323 0.727362	21 22
	446.976		.145	.743062	.759800	459.486	457.360	.177	.753574	.770996	23
	467.288		.151	.785436	.802858	480.013		.180	.797270	.815451	
	487.508		.153	1.828620 $.872808$	1.846801 .891809	500.415 520.607		.188	1.841914 .887733	$1.860915 \\ .907651$	
	507.603 527.494		$.161 \\ .170$.918222	.938140	540.567		.207	.934959	.955870	
1000	547.155		.180	.965089	.986000	560.268	557.641	.219		2.005840	
	566.561		.192	2.013644		579.667			2.034619	.057823	
	585.670 604.460		.204	$2.064148 \\ .116868$	2.087352 $.141381$	598.742 617.447		.246	2.087587 $.143058$	2.112100 169022	30 31
32	622.885	620.067	.235	.172122	.198086	635.750	632.395	.280	.201358	.228895	32
	640.914 658.535		.251	.230233 $.291532$.257770	653.639 671.081		.297	.262822 $.327854$.292078 .359011	
	675.716				2.387581				2.396883		
	692.428		.308	.425333	.458556	704.530	700.243	.357	.470359	.505842	36
	708.664		.328	.498706		720.515	715.977	.378	.548788	.586744 $.673358$	
	724.410 739.667		.348	$\begin{array}{c} .577049 \\ .660903 \end{array}$		750.004 750.994		.420	.722756		
	754.432		:390		2.794496	765.507	760.249		2.819556	2.866348	
41	768.729	763.837	.408	.847643	.894435	779.578	774.098	.457	.923851	.974162	41
42 43	782.589 796.069	777.479 $ 790.795 $		0.951901 $0.3.064459$	3.002212 $.118563$	806.697	800.969	.477	3.036438 .158109	0.090542 0.216302	
10		100.110	. 110	5.001100	11.00 00						
			42.	$\pi = 3$	23.8627.			43.	$\pi = 3$	24.8099.	
1		n Paga *1	100								

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

			x = 4	1.		1		45.		ER CENT	
Policy Years.			<i>u</i> — T	T.				TU.	1		Policy Years.
n.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λB. 12m.	V. 6m.	V. 12m.	1 2m.d.	λ (Bf). 6m.	λB. 12m.	n.
0	21.037 37.498	16.261 32.921	.398 .381	0.011001 0.323134		21.906	16.936 34.276	.414 .397	0.011103		
2 3 4	54.356 71.607 89.239		.365 .349 .333	.510559 .647085 .755854	.521488 .658129 .767024	56.580 74.502 92.806	52.007 70.122 88.613	.381 .365 .349	.510895 .647564 .756496	.521939 $.658734$ $.767804$	2 3
5 6 7 8 9	107.243 125.607 144.313 163.349 182.700	103.432 121.969 140.844 160.041		0.847188 0.926608 0.997420 0.061769 0.121134	1	111.472 130.487 149.838 169.508 189.479	$\frac{146.157}{165.983}$.335 .320 .307 .294 .282	.927646	0.859477 .939275 1.010509 .075327 .135211	5 6 7
11 12 13	202.346 222.263 242.426 262.809 283.382	219.378 239.661 260.143	.251 .240 .230 .222 .214	1.176579 $.228909$ $.278749$ $.326597$ $.372866$.241391 $.291497$	271.855	227.093 247.913 268.921	.271 .261 .252 .245 .238	1.178762 $.231476$ $.281746$ $.330077$ $.376881$	1.191244 $.244224$ $.294794$ $.343447$ $.390606$	11 12 13
16 17 18	304.128 325.011 345.991 367.046 388.136	322.574 343.596 364.682	.208 .203 .200 .197 .197	1.417899 $.462001$ $.505445$ $.548473$ $.591314$	1.431624 $.476119$ $.519994$ $.563491$ $.606853$	356.902 378.341 399.778	332.746 354.181 375.626 397.053	.233 .229 .227 .226 .227	$\begin{array}{c} 1.422516 \\ .467295 \\ .511489 \\ .555356 \\ .599137 \end{array}$	1.436634 .481844 .526507 .570895 .615246	16 17 18
21 22 23	409.225 430.271 451.218 472.071 492.795	427.871 448.753 469.575	.197 .200 .205 .208 .216	1.634191 .677318 .720904 .765165 .810311	.694056 .738326 .783346	421.171 442.466 463.661 484.730 505.581	439.641 460.806 481.777	.230 .235 .238 .246 .256	1.643062 .687354 .732240 .777940 .824695	1.659800 .704776 .750421 .796941 .844613	21 22 23
26 27 28	513.308 533.586 553.598 573.306 592.683	530.758 550.625 570.174	.236	.904196 .953419		586.268	543.197 563.069 582.592	.266 .278 .292 .306 .324	1.872749 .922355 .973785 2.027320 .083286	1.893660 $.944362$ $.996989$ 2.051833 $.109250$	26 27 28
31 32 33 34	611.684 630.278 648.451 666.169 683.404	626.565 644.524 662.000 678.995	.292 .309 .327 .347 .367	2.113459 $.171965$ $.233606$ $.298793$ $.367953$.199502 .262862 .329950 .401176	$\begin{array}{c} 660.969 \\ 678.490 \\ 695.510 \end{array}$	638.648 656.414 673.689 690.456	.341 .359 .380 .400 .421	.203853 .269207 .338509 .412215	2.169554 $.233109$ $.300364$ $.371732$ $.447698$	31 32 33 34
36 37 38	700.148 716.388 732.122 747.349 762.093	726.959 741.926	.410 .430 .452 .471	.520060 .604061 .694168 .791019	.644707 .737774 .837811	728.012 743.491 758.478 773.009	722.446 737.660 752.420 766.722	.443 .464 .486 .505 .524	2.490838 $.574922$ $.665098$ $.762003$ $.866381$		36 37 38
41 42	776.387 790.289 803.937 817.466	784.248	.503 .510	2.895353 3.007972 .129666 .261533		801.015 814.766	794.471 808.186		2,979034 3,100754 ,232640 ,375628	.158947	41 42
		n Paga *1	44.	$\pi = 5$	25.8133.			45.	$\pi = \frac{5}{2}$	26.8757.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

			10		7			4 101		PER CEN	
Policy Years.			46.					47.			Policy Years.
P >	V.	V.	½m.d.	λ (Bf).	λB.	V.	V.	$\frac{1}{2}$ m.d.	λ (Bf).	λB.	Pc
n.	6m.	12m.	2 111.4.	6m.	12m.	6m.	12m.	2m.a.	6m.	12m.	n.
0	22.821	17.640	.432	0.011211	0.099140	23.778	10 961	451	0.011999	0.022376	_
1	$\frac{22.821}{40.658}$	35.676	.415	.323573	.334617	42.337	18.361 37.118	$.451 \\ .435$	0.011332 $.323827$	0.022376 $.334997$	0
2	58.890		.399	.511264		61.289	56.265	.419	.511668		
3	77.508		.383	.648090	.659398	80.618	75.776	.404	.648669		3
4	96.496	92.079	.368	.757202	.768663	100.308	95.645	.389	.757980	.769609	4
5	115.839			0.848927		120.346		.374	0.849929		5
	135.523 155.532		.340	.928788	0.940601 0.940601	140.714		.361	.930044		
	175.847		.314	.065008		182.359		.349 $.337$.066875	$\begin{bmatrix} 1.013874 \\ .079357 \end{bmatrix}$	7 8
	196.442		.303	.125005	.137487			.327	.127241	.139989	
10	217.292	213.778	.293	1.181167	1.193915	225.038		.318		1.196864	10
11	238.368	234.957	.284	.234303	.247351	246.694	242.974	.310	.237418	.250788	11
	259.642		.276	.285048		268.532		.303	.288680		
	281.095 302.687		.269 $.265$	333905 381302		290.512 312.597		.298	338120 386176		
											n
	$324.383 \\ 346.153$	> 10 E 1 10 10 10	$.261 \\ .258$	1.427604 $.473124$		334.759 356.959		.292 .291	1.433208 1.479546	$1.448226 \\ .495085$	
	367.963		.258	.518148		379.157		.292	525487	.541596	
	389.768		.258	.562943		401.310		.295	.571309		
19	411.531	408.395	.261	.607761	.624499	423.360	419.753	.301	.617269	.634691	19
	433.192		.267	1.652840	1.670262	445.309	441.670	.303	1.663624	1.681805	20
	454.753		.270	.698421		467.124		.312	.710620		
	476.184		.278	.744734		488.716		.322	.758517	.778435 .828489	
	497.395 518.363		.288	.792031 $.840563$		510.060 531.126		332 345	.858070	.880077	
	539.056]	1.890590		551.870		.359		1.933482)
	559.435		.324	.942391		572.266		.374	.964494		
	579.472		.339		2.020763			.392		2.047019	
	599.120			2.052499		611.839		.410	.080302		
29	618.347	613.853	.375	.111476		630.969		.429	.142583	.171839	
	637.138				2.202781			.450		2.239476	
	655,459		.414	.239061		667.761 685.385		.471	$\begin{array}{c} .277947 \\ .351928 \end{array}$.311170	
	673.281 690.596		$.434 \\ .456$.308519 $.382357$		702.479		.515	$\frac{.331328}{.430781}$.468737	
	707.387		.478	.461089		719.042		.537	.515055	.555701	
	723.658		1		2.585910				[2.605386]		
	739.403		.522	.635514	.679120	750.588	743.633	.580		.749208	
37	754.649	748.155	.541	.732479	.779271	765.636	758.443	.599	.806893		
	769.430		.560	.836904	.887215	780.267	772.897	.614	.919623		
	783.804		.575		3.003698				3.041402		
	797.917				3.129536	808.875	801.379	.625		3.236095	
	$811.906 \\ 826.090$.585 $.566$.203250 $.346253$	413786	823.313 837.140	829.032	.605 $.676$	$\begin{bmatrix} .316352 \\ .475762 \end{bmatrix}$	383885 551432	
	839.673		.636	.546255 .505651	.581321	849.151	840.075	.756		.741317	
			46.	$\pi = 3$	28.0014.			47.	$\pi = 2$	29.1948.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

	1					1			I 1	PER CEN	1.
Policy Years.			x = 4	:8.				49.			Policy Years.
Po	v.	V.	1 7	λ (B f).	λ B.	V.	V.	1 ,	λ (Bf).	λB.	Po
n.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	n.
	04 1104	40.100	180	0.011.404	0.000004	25 044	40.005	100	0.044.04.0	0.000010	
0	24.784 44.091	19.108 38.614	.473	0.011464 0.324105	0.022634 0.335413	$\begin{vmatrix} 25.844 \\ 45.919 \end{vmatrix}$	19.885 40.149	.497	0.011610 $.324412$	$0.022918 \\ .335873$	
2	63.782	58.490	.441	.512114	.523575	66.366		.465	.512607	.524236	
3	83.840	78.730	.426	.649307	.660936	87.177	81.769	.451	.650009		3
	104.253	99.315	.412	.758835	.770648	108.331		.437	.759776	.771790	
	125.001 146.069		.398	0.851031	0.863045 $.943658$	129.808		.424	$\begin{bmatrix} 0.852241 \\ .932943 \end{bmatrix}$	0.864476 $.945425$	
	167.425		.374	0.931423 1.003337	1.015819	151.581 173.624		.401		1.017956	
8	189.046	184.691	.363	.068933	.081681	195.905		.392	.071198		8
	210.902		.354	.129703	.142751	218.396	213.791	.384	.132416	.145786	9
	232.963		.346		1.200105	241.075		.377		1.203670	
	255.209 277.601		.339	.240843	254568	263.903 286.839	259.447	.371	.244617 .297088	$\begin{array}{c} .258735 \\ .311637 \end{array}$	
	300.099		.330	.342768	.357317	309.856		.365	.347885		
14	322.676	318.751	.327	.391542	.406560			.364	.397454	.412993	14
	345.291		.327	1.439382		355.965	351.585	.365	1.446188	1.462297	15
	367.904		.327	.486625	.502734			.368	.494432	.511170	
	390.471 412.934		.330	.533581 .580532		$\begin{vmatrix} 401.873 \\ 424.667 \end{vmatrix}$.374	.542504 $.590704$.559926	
	435.294		.339	.627755		447.324		.386	.639316	.658317	
20	457.517	453.347	.347	1.675512	1.694513	469.747	464.995	.396	1.688628		
21	479.512	475.218	.358	.724078		491.915	487.031	.407	.738930		
	501.256		.369	.773726	.794637	513.791		.420	.790508	.812515	
	522.715 543.848		.382	.824732 .877391	.846739 $.900595$	535.336 556.519		.435 .450	.843667 .898710	.866871 $.923223$	
	564.626		.411	1.932000				.469		1.981956	
	585.001		.429		2.014867			.488		2.043399	
27	604.938	599.567	.448	2.048447	.075984	617.484	611.399	.507	.078682	.107938	27
	624.425 643.424		.467	.110984		636.853 655.694		.529	.144877	.176034	
								.551	.214897	.248120	
	$661.906 \\ 679.860$.510	$2.246754 \\ .320892$	2.279977 .356375	673.999 691.751		.574	2.289207 .368335	$2.324690 \\ .406291$	
32	697.273	690.613	.555	.399876	.437832	708.952	701.515	.620	.452837	.493483	
	714.146		.577	.484258		725.598		.643	.543353	.586959	
	730.473		.600	.574678	1	741.715		.664	.640532	.687324	
	746.283		.620		2.718571	757.342	749.131		2.745128		
	761.612 776.517		.641 $.656$.776312 .889086		772.538 787.459		.700		0.912054 0.912054	
	791.153				3.069092	802.249	793.722		3.111782		_
39	805.660	797.664		.142855		817.243		.690	.254840		39
	820.368				3.353426	831.602	822.441	.763		3.489947	
	834.453			.445315		844.077		.847	.595252	.679851	
	846.689 857.576		.800 $.831$.626281 .828452		855.176 865.710		.878	.797429 4.020868	$.889806 \\ 4.121378$	
			!								
			48.	$\pi =$	30.4602.			49.	$\pi = 3$	31.8029.	
~	ntinued o										

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

1	1					1		F 1		ER CENT	
Policy Years.			50.					51.			Policy Years.
KH	V.	v.	$\frac{1}{2}$ m.d.	λ (B f).	λВ.	V.	V.	$\frac{1}{2}$ m.d.	λ (Bf).	λB.	KA
n.	6m.	12m.	2111.4.	6m.	12m.	6m.	12m.	2ш.а.	6m.	12m.	n.
0	26.952	20.675	.523	0.011770	0.023231	28.120	21.497	.552	0.011951	0.023580	0
1	47.815	41.727	.507	.324751	.336380	49.800	43.361	.537	.325123		1
2	69.047	63.139	.492	.513148	.524961	71.838	65.574	.522	.513741	.525755	
3	90.630 112.543	84.893	.478	.650780	.662794	94.215 116.897	88.113	.509	1 .651626 .761945	0.663861 0.774427	3 4
4			.465	.760807							
5	$\begin{vmatrix} 134.758 \\ 157.247 \end{vmatrix}$.453 .442	0.853574 $.934618$		139.862 163.076		.485	0.855044 $.936462$	0.867792 0.949510	5
	179.981		.433		1.020316	186.508		.467		1.022909	7
	202.928		.424	.073696		210.135		.459	.076441	.090166	
	226.068		.417	.135399	.149124	233.918	228.471	.454	.138685	.152803	9
10	249.358	244.422	.411	1.193480	1.207598	257.813	252.414	.450		1.211927	
11	272.760	267.870	.408	.248778	.263327	281.793	276.429	.447	.253358		
	296.244		.405	.301944		305.813		.446	.307294		
	319.768 343.288		.404	.353523		329.831 353.801		.447	.359739 .411161	.375848 .427899	
								.457		1.479390	
	366.763 390.127		.408	.503039	1.470431 .520461	401.407		.459	.512535		
	413.384		.417	.552346		425.011		.469	.563198		
18	436.501		.426	.601920	.620921	448.373	442.617	.480	.614295		
19	459.379	454.140	.437	.652071	.671989	471.467	465.575	.491	.666150	.687061	19
20	481.996	476.624	.448	1.703104		494.259		.505		1.741086	
	504.318		.461	.755319		516.704			.773414	.796618	
22	526.299	520.587	.476	.809033	.832237	538.774 560.414		.536	.829479 .887644	.853992 .913608	
	547.911 569.105		.492	.864560 .922260	.948224	581.591		.575	.948279	.975816	
				1.982493		602.288		.595		2.041008	
	589.843 610.114		.530 .550	2.045624	.074880	622.467		.618	.078508		
	629.875		.572	.112085	.143242	642.097		.641	.149002		27
	649.098		.595	.182329		661.167		.665	.223712	.259195	
29	667.775	660.359	.618	.256830	.292313	679.662		.689	.303173	.341129	
30	685.887	678.187	.642	2.336116		697.582		.713		2.428595	
31	703.437	695.459	.665	.420748	.461394	714.925 731.716		.737	.478689 .576049	.522295 .622841	
	720.420		.689	.511371 .608637	.554977	731.716		.780	.680786	.731097	
33	736.865 752.809		.731	.713299	.763610	763.829		.796	.793719	.847823	
					2.880278		1	.804	2.915653	2.973846	35
	768.313 783.537		.740 $.754$.948064	3.006257	794.781	785.094	.807		3.110462	36
	798.626		.757	3.080077	.142840	810.404	800.971	.786	.190804		
38	813.925	805.086	.737	.223157		825.363			.350273		
39	828.576	818.838	.811	.382610		838.360	ì		.531271		
	841.304				3.648195	849.922	838.140			3.825839	
	852.627		.928	.765780	.858157 4.089733	860.898	859 129	$\frac{.999}{1.022}$	$\frac{.950910}{4.204932}$	4.057420 .314823	
	863.376 873.655		.945	.989223	4.089733	881.483	869.091		.481379		
40		002.040		1.80 (848	.01(100		U			1	
			50.	$\pi = 1$	33.2283.			51.	$\pi = 1$	34.74 1 9.	
						1					1

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

icy trs.			x = 5	2.				53.			icy rrs.
w. Years.	V. 6m.	V. 12m.	½m.d.	λ (Bf). 6m.	λB. 12m.	V. 6m.	V. 12m.	½m.d.	λ (Bf). 6m.	λΒ. 12m.	E Policy
0 1 2 3 4	29.347 51.870 74.737 97.918 121.388	$\begin{array}{r} 22.344 \\ 45.045 \\ 68.079 \\ 91.408 \\ 115.017 \end{array}$.584 .569 .555 .543 .531	0.012143 .325528 .514390 .652558 .763199	0.023956 $.337542$ $.526625$ $.665040$ $.775947$	$\begin{bmatrix} 30.640 \\ 54.029 \\ 77.741 \\ 101.747 \\ 126.012 \end{bmatrix}$	70.642	.618 .604 .592 .580 .570	0.012355 $.325974$ $.515109$ $.653587$ $.764580$	0.024369 .338209 .527591 .666335 .777628	1 2 3
6 7 8 9	145.111 169.058 193.205 217.510 241.930	162.910 187.149 211.521 235.990	.521 .512 .505 .499 .495	0.856661 $.938495$ 1.012034 $.079464$ $.142307$	$.951865 \\ 1.025759 \\ .093582 \\ .156856$	150.507 175.205 200.066 225.045 250.110	$193.501 \\ 218.529$.561 .553 .547 .543 .540	0.858445 $.940729$ 1.014782 $.082798$ $.146295$	1.028900	6 7 8
11 12 13 14	266.437 290.985 315.529 340.026 364.408	285.087 309.622 334.080 358.386	.492 .491 .492 .496 .502	1.201669 .258404 .313191 .366593 .419086	.273943 .329300 .383331 .436508	275.220 300.326 325.382 350.321 375.147	293.843 318.861 343.722 368.511	.539 .540 .543 .550 .553	1.206397 $.263967$ $.319696$ $.374152$ $.427831$	$\begin{array}{c} .280076 \\ .336434 \\ .391574 \\ .446012 \end{array}$	11 12 13 14
16 17 18 19	388.679 412.801 436.676 460.277 483.571	406.631 430.371 453.834 476.957	.505 .514 .525 .537 .551	.523003 .575172 .627954 .681688	1.489278 $.542004$ $.595090$ $.648865$ $.703695$	399.820 424.240 448.382 472.207 495.670	$\begin{array}{c} 417.352 \\ 441.351 \\ 465.003 \\ 488.277 \end{array}$.563 .574 .586 .600 .616	1.481162 $.534556$ $.588392$ $.643034$ $.698847$.554474 .609303 .665041 .722051	16 17 18 19
21 22 23 24	506.509 529.063 551.179 572.821 593.973	522.065 543.944 565.347 586.250	.583 .603 .623 .644	.793385 .852069 .913151 .977007	1.759922 $.817898$ $.878033$ $.940688$ 2.006263	518.739 541.362 563.497 585.133 606.227	533.521 555.413 576.794 597.600	.633 .653 .674 .695	.815454 .877034 .941318	1.780702 .841418 .904571 .970574 2.039920	21 22 23
26 27 28 29	614.596 634.656 654.145 673.047 691.360	626.371 645.570 664.173 682.198	.690 .715 .739 .764	2.044089 .114858 .189801 .269455 .354390	.148081 .225284 .307411 .395036	626.746 646.681 666.013 684.747 702.874	637.469 656.498 674.935 692.754	.743 .768 .793 .818 .843	.155039 .234907 .320019 .411032	$.272863 \\ .360665 \\ .454638$	26 27 28 29
31 32 33 34	709.084 726.244 742.883 759.063 774.948	716.520 732.896 748.879 764.667	.789 .810 .832 .849 .857	2.445260 .542723 .647543 .760540 .882523	2.488866 .589515 .697854 .814644 .940716	$ \begin{vmatrix} 720.428 \\ 737.446 \\ 753.995 \\ 770.245 \\ 786.351 \end{vmatrix} $	726.791 743.140 759.289 775.353	.866 .888 .905 .913 .917	2.508611 .613522 .726589 .848626 .980750	2.555403 .663833 .780693 .906819 3.043513	31 32 33
36 37 38 39	790.694 806.660 821.949 835.231 847.048	796.598 810.950 823.162 834.584	.838 .917 1.006 1.039	3.014606 .157737 .317225 .498236 .700435	.225270 .392895 .582835 .792812	818.319 831.904 843.992 855.464	819.120 830.803 842.065	.974 1.065 1.099 1.117	.283420 .464444 .666653 .890112	.359090 .549043 .759030 .990622	36 37 38 39
41 42 43	868.991 879.301 889.949	856.038 866.214 877.334	1.079 1.091 1.051	3.923888 4.171913 .448362 .755976 5.111488	.568442 .886518		863.157 874.531	1.152 1.112	4.138140 .414590 .722205 5.077717	.852747	41 42
			52.	$\pi = 3$	36.3501.			53.	$\pi = 3$	88.0599.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

Policy	e la		54.	,				55.			Policy Years.
n.	V .	V. 12m.	½m.d.	λ (Bf). 6m.	λΒ. 12m.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λΒ. 12m.	n.
2 3 4	56.275 80.851 105.694	24.121 48.550 73.273 98.236 123.426	.657 .644 .632 .621 .612	0.012590 .326471 .515902 .654721 .766103	$\begin{matrix} 0.024825 \\ .338953 \\ .528650 \\ .667769 \\ .779473 \end{matrix}$	33.424 58.608 84.064 109.761 135.671	75.947 101.759	.699 .687 .676 .667	$\begin{matrix} 0.012851 \\ .327016 \\ .516776 \\ .655969 \\ .767775 \end{matrix}$		0 1 2 3 4
8	181.507 207.080 232.742	174.329 199.952 225.652	.598	0.860405 $.943189$ 1.017813 $.086468$ $.150690$.957307 1.032362 $.101486$	161.752 187.956 214.253 240.594 266.932	180.177 206.513 232.861	.653 .648 .645 .644 .645	0.862562 0.945901 1.021148 0.90511 0.155532	$\begin{array}{c} 0.876680 \\ .960450 \\ 1.036166 \\ .106050 \\ .171641 \end{array}$	5 6 7 8 9
12 13 14	309.803 335.334 360.750 386.010	302.669 328.121 353.499 378.642	.591 .595 601 .604 .614	.270105 .326868 .382491 .437472	.400672 .456473	345.425 371.309 396.929	311.514 337.520 363.284 388.758	.649 $.656$ $.659$ $.669$ $.681$.276869 .334781 .391685 .448111	.352962 .410686 .468029	11 12 13 14
16 17 18 19	$egin{array}{c} 411.011 \\ 435.726 \\ 460.118 \\ 484.139 \\ 507.756 \\ \hline \end{array}$	$\begin{array}{c} 428.071 \\ 452.286 \\ 476.112 \\ 499.521 \end{array}$.626 .638 .653 .669	$egin{array}{c} .547312 \\ .602984 \\ .659685 \\ .717790 \\ \end{array}$.624991 .682889 .742303	447.249 471.863 496.064 519.796	438.748 463.163 487.150 510.628	.693 .708 .725 .743 .764	1.504537 .561391 .619102 .678070 .738731	1.525448 .583398 .642306 .702583 .764695	16 17 18 19
21 22 23	530.916 553.577 575.729 597.323 618.331	544.844 566.734 588.034	.707 .728 .750 .774 .799	.839851 $.904610$	0.933866 0.003619	565.716 587.846 609.372 630.284	556.024 577.852 599.077 619.677	.785 .808 .833 .858 .884	.082711	2.040126 .118194	21 22 23 24
26 27 28	6 638.739 8 658.531 7 677.710 8 696.269 9 714.238	648.333 667.208 685.450	.824 .850 .875 .902 .924	2.119367 .199471 .284780 .375951 .473657	.237427	650.566 670.219 689.236 707.651 725.505	658,982 677.676	.910 .936 .963 .987 1.010	.248609 .339957 .437805 .542930	.383563 .484597 .593241	26 27 28 29
31	731.662 748.604 765.240 781.730 798.448	737.034 753.567 770.013	.947 .964 .973 .976 .954	2.578669 .691818 .813912 .946081 3.089275	.745922 $.872105$ 3.008844	759.912 776.810	730.534 747.476 764.328 781.739 797.139	1.036 1.040 1.017	$\begin{bmatrix} .778327 \\ .910546 \\ 3.053775 \\ .213334 \end{bmatrix}$	3.121308 .289004	31 32 33 34
36 37 38	8 828.366 7 840.740 8 852.485 9 863.718	814.820 826.781 838.310 849.247	1.129 1.163 1.181 1.206	.632067 $.855532$ 4.103563	.514447 .724444 .956042 4.213454	849.314 860.825 871.889	822.500 834.314 845.521 856.441	1.232 1.250 1.275 1.287	.596622 .820094 4.068129 .344586	$egin{array}{c} 3.478991 \\ .688999 \\ .920604 \\ 4.178020 \\ .464666 \\ \end{array}$	36 37 38 39
41	. 885.665	871.548	1.176	687632 5.043145	4.500097 .818174 5.190602 39.878.).	894.570	878.951	1.302	5.007715	$ \begin{vmatrix} 4.782744 \\ 5.155172 \\ 5.70149 \\ \hline 41.8154. $	41

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

icy rs.		:	v = 5	6.				57.			Policy Years.
Policy Years.	٧.	V.	¹ / ₂ m.d.	λ (B f).	λB.	V.	V.	$\frac{1}{2}$ m.d.	λ (Bf).	λB.	₩.
$\frac{n}{-}$	6m.	12m.		6m.	12m.	6m.	12m.	ļ	6m.	12m.	-
0	34.930 61.041	25.984 52.221	.745 .735	$\begin{array}{c} 0.013135 \\327616 \end{array}$	0.025883 $.340664$	36.505 63.564	26.937 54.118	.797	$\begin{bmatrix} 0.013452 \\ .328277 \end{bmatrix}$	0.026500 $.341647$	1
2 3	87.396 113.973	78.696	.725 .717	.517736 .657338	.531106 .671063	90.849 118.314		.779	.518790		
4	140.723		.711	.769614	.783732	145.907	136.695	.751	.771642		4
-	$167.600 \\ 194.572$	1	.706 .703	0.864939 $.948885$	0.879488 $.963903$	173.598 201.338	164.428 192.174	.768	$\begin{bmatrix} 0.867556 \\ .952172 \end{bmatrix}$	0.882574 $.967711$	5
7	221.589	213.164	.702	1.024822	1.040361	229.072	219.897	.765	1.028870	1.044979	7
	248.604 275.564		.703 .706	0.094965 0.160875		256.752 284.302		.768	.099880 .166762		_
	302.400			1.223696		311.727		.779	1.230688	1.248869 .311561	
	329.111 355.661		.717	.284333 .343503	302514 362504	338.985 365.963		.789	.292560 .353131	.373049	12
13	381.938	373.064	.740	.401831	.421749	392,632 418,952		.815	.413038 .472832	.433949 .494839	
	407.914 433.550		.752	1.518076		444.872		.848	1.533034		1
16	458.796	449.380	.785	.576944	.600148	470.357	459.950	.867	.594117	.618630	16
	$483.620 \\ 507.961$.803 $.825$	$\begin{bmatrix} .636897 \\ .698397 \end{bmatrix}$		495.348 519.801		.889	.656575 .720871	.682539 .748408	
1	531.779		.847	.761881		543.704		.936	.787461	.816717	19
	555.060 577.757		.870 .895	1.827783 1.896600	1.857039 .927757	567.006 589.674		.962	1.856856 0.929573	1.888013 .962796	20
22	599.836	588.783	.921	.968831	2.002054	611.696	599.506	1.016	2.006144	2.041627	22
	621.285 642.088		.948 $.975$	$2.044998 \\ 125667$.080481	633.053 653.748			.087148		
	662.245		1.002	2.211438		673.774				2.308568	
	681.751 700.638			.302984	.346590 .447783	693.165 711.966			.363147 .468538	.409939 .518849	
28	718.950	706.024	1.077	.506242	.556553	730.248	716.242	1.167	.581980	.636084	28
	736.758 754.241			0.619575 0.741811	.673679	748.198 765.992			.704299	2.899398	
31	771.573	758.277	1.108	.874085	.936848	784.032	770.163	1.156		3.047483	31
	789.144 805.971			3.017354 1.76942	3.084887 $.252612$	801.308 816.316			3.139570 .320669		
	820.589			.358020	.442619	829.668		1.382	.522925	.615302	34
	833.594 845.939			3.560262 $.783742$	3.652639 $.884252$	842.342				3.846923 4.104349	
37	857.745	841.554	1.349	4.031781	4.141672	866.114	848.827	1.441	4.270920	.391000	37
	869.093 880.812			.308241 .615858		878.146 889.998	861.392 872.531	1.396 1.456		5.081511	
40	892.357	875.843	1.376	4.971372	5.118829	903.488	888.371	1.260		5.496488	
	905.496 926.405				.533806 6.027960	924.955	915.465	0.791	.810356	.990643	41
			56.		43.8764.			57.	$\pi = \epsilon$	46.0730.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

									* *	ER CENT	-
Policy Years.			58.	$\pi = 4$	48.4132.			59.	$\pi = 8$	50.9095.	Policy Years.
n.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λΒ. 12m.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (B f). 6m.	λB. 12m.	n.
-			, , , ,								
0	38.173 66.213	27.933 56.080	.853	0.013795 .328998		39.933 68.969	58.071	.915 .908	.329795	$0.027898 \\ .343913$	0
2 3	94.438 122.797	84.383	.838	.519949		98.141 127.417		.903	.521229 .662336	.535778 .677354	2 3
	151.253		.830	.773873	.788891	156.742		.899	.776330	.791869	4
	179.761 208.263		.829 .830	0.870437 $.955794$	$0.885976 \\ .971903$	186.064 215.328		.900	0.873613 0.959790	0.889722 $.976528$	5
7	236.709	226.704	.834		1.050074	244.455		.911		1.055680	7
	265.023 293.206		.841 .845	105296 173258	.122718 .191439	273.449 302.265		.915	.111272	.129453 .199420	8
	321.218		.855	1.238395				.940		1.266821	
11	348.944	338.521	.869	.301642	.321560	358.982	347.541	.953	.311673	.332584	11
	$376.350 \\ 403.400$.882	363764 425408		386.808 414.211		.970	.375503 .439074	.462278	
	430.037		.916	.487160		441.154	429.051	1.009	.502984	.527497	
	456.227		.936	1.549549 .613109	1.574062	$ 467.575 \\ 493.428$			1.567818 .634113	1.593782 .661650	
	481.910 507.041		.982	.678334	.705871	518.697	505.728	1.081	.702384	.731640	17
	$531.604 \\ 555.552$.745707 .815760	.774963 .846917	$543.333 \\ 567.298$.773188 .847083	.804345	
	578.848			1.889028		590.580				1.960114	
21	601.479	588.419	1.088	.966056	2.001539	613.159	598.816	1.195		2.044398	
	623.427 644.695			2.047438 .133793	.085394	$\begin{bmatrix} 635.038 \\ 656.210 \end{bmatrix}$.093147	$ \begin{array}{r} .133793 \\ .229055 \end{array} $	
	665.276			.225812	.269418	676.710	661.350	1.280	.284061	.330853	
25	685.203	670.810		2.324197	2.370989 .480057	696.587 715.915			2.389788 .503491	2.440099 .557595	
	704.525 723.313			.429746 .543311		734.892	718.868	1.335	.626008	.684201	27
28	741.760			.665723	.723916 .860891	753.704	737.629 757.013	1.340 1.314	.758492	.821255 .969448	
	760.046 778.586			2.798128 2.941494			774.158			3.137281	
31	796.339	780.466	1.323	3.101150	.176820	806.907	788.746	1.513	.242761	.327360	31
32	$811.763 \\ 825.486$	794.647	1.426	.282273 .484545	.366872	821.024 834.422			.668560	.537428	
34	838.510	820.696	1.484	.708043	.808553	847.237	828.020	1.601	.916617	4.026508	34
35	850.966	832.824	1.512	3.956094	4.065985	859.554	840.178	1.615	4.193086	4.313166	35
36	$862.940 \\ 875.305$	844.642	1.525	4.232559 .540181	.352639	872.275 884.805	855.402	1.508	.500710	.631252 5.003682	30
38	887.485	869.002	1.540	.895695	5.043152		1				
			F 1					50.			
			51.				891.899	.991		5.324267	
	$902.165 \\ 891.902$		1.046	5.144503 4.788992	5.291960 4 919534	893.739 883.535	882.453 871.797	.941	$\begin{vmatrix} 4.821300 \\ .513687 \end{vmatrix}$	$\begin{vmatrix} 4.951842 \\ .633767 \end{vmatrix}$	1
44		019.911	1	<u> </u>				50.		33.2283.	
			51.	$\pi = 0$	34.7419.						

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

									4	PER CEN'	Γ.
Policy Years.			x = 6	$0. \pi = 8$	53.5745.			61.	$\pi = 8$	56.4196.	Policy Years.
n.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λB. 12m.	V. 6m.	V. 12m.	12 m.d.	λ (Bf). 6m.	λΒ. 12m.	N. Ke
	41.779 71.822 101.970 132.170 162.366		.983 .978 .974 .974 .975	0.014592 $.330676$ $.522636$ $.664348$ $.779039$	0.028710 $.345225$ $.537654$ $.679887$ $.795148$		62.159	1.054 1.053 1.054	0.015054 .331641 .524183 .666567 .782025	0.029603 $.346659$ $.539722$ $.682676$ $.798763$	1 2 3
6 7 8 9	311.405	210.662 240.477 270.015 299.221	1.015	0.877116 $.964193$ 1.043688 $.117859$ $.188323$	$.981615 \\ 1.061869 \\ .136860 \\ .208241$	229.841 260.436 290.715 320.648	277.560 307.316	1.070 1.082 1.096 1.111	$\begin{array}{c} .969050 \\ 1.049671 \\ .125128 \\ .197052 \end{array}$.217963	6 7 8 9
11 12 13 14	369.096 397.316 425.063 452.272	328.085 356.533 384.526 412.026 438.943	1.047 1.066 1.086 1.111	.322746 $.388471$ $.454167$ $.520487$.411675 $.478680$ $.546451$		$ \begin{array}{r} 365.501 \\ 393.852 \\ 421.600 \\ 448.744 \end{array} $	1.148 1.170 1.195 1.220	.334978 .402793 .470862 .539848	1.288679 $.358182$ $.427306$ $.496826$ $.567385$	11 12 13 14
16 17 18 19	504.918 530.288 554.968 578.944	465.273 490.989 516.014 540.348 563.966	1.161 1.190 1.218 1.248	1.588023 .657331 .728998 .803611 .881753	.686587 .760155 .836834 .917236	490.210 516.364 541.806 566.524 590.496	501.053 526.140 550.488 574.083	1.276 1.305 1.336 1.368	.683027 .758466 .837290 .920149	1.639616 $.714184$ $.791689$ $.872773$ $.958105$	16 17 18 19
21 22 23	624.729 646.531 667.643 688.112	586.854 609.029 630.460 651.252 671.398	1.308 1.339 1.366 1.393	1.964052 2.051156 $.143780$ $.242648$ $.348577$.091802 .187386 .289440	657.965 679.067 699.586	$\begin{array}{c} 619.038 \\ 640.472 \\ 661.241 \\ 681.512 \end{array}$	1.430 1.458 1.486 1.506	2.007708 .100699 .199859 .306018 .420055	2.048354 $.144305$ $.246651$ $.356329$ $.474159$	21 22 23
27 28	727.560 746.932 766.574	691.061 710.485 729.806 749.767 767.423	1.423 1.427 1.401	2.462436 .585071 .717644 .861132 3.020874	.643264 $.780407$	739.705 759.953 779.343	701.536 721.454 742.032 760.234 775.722	1.521 1.493 1.592	2.542825 .675498 .819059 .978853 3.160070	2.601018 .738261 .886592 3.054523 .244669	26 27 28
31 32 33 34	816.260 830.058 843.254 855.939	782.447 796.499 810.043 822.892 835.412	1.647 1.668 1.697 1.711		.496742 .728397 .985842 4.272503	825, 400 839, 005 852, 081 865, 586	817.417 830.325 844.427	1.769 1.799 1.813 1.763	.585938 .834011 4.110487 .418116		31 32 33 34
		849.092 8 61. 219			4.590591 $.963022$	878.888	856.929	1.830 48.	4.773633	4.921090	35
)	49.			906.763	896.073		5.239465	5.386922	48
46 45	895.469 885.469	894.049 884.790 874.346 864.788	.939 .890 .927 .916			897.099 887.290 877.791 867.908	886.992 876.747 867.372	.842 .879 .868	$4.883955 \\ .576344$	014497 4.696424 409792	47 46 45
			49.	$\pi = 3$	31.8029.			48.	$\pi = 3$	30.4602.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

Policy Years.			62.	$\pi = \xi$	59.4582.			63.	$\pi = 0$	32.7079.	cy fs.
n.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf).	λΒ. 12m.	V. 6m.	V. 12m.	1/2 m.d.	λ (Bf). 6m.	λΒ. 12m.	Policy Years.
3	45.791 77.922 110.048 142.110 174.024	32.123 64.263 96.375 128.388	1.138 1.139 1.144	0.015557 .332703 .525890 .669013		47.957 81.150 114.276 147.249	$\begin{array}{r} 33.206 \\ 66.385 \\ 99.460 \\ 132.329 \end{array}$	1.230 1.235 1.243	$\begin{bmatrix} -0.016117 \\ .333876 \\ .527773 \\ .671708 \end{bmatrix}$	0.031656 .349985 .544511 .689130	0 1 2 3
5 6 7 8	205.791 237.365 268.614 299.506 329.994	191.922 223.349 254.422 285.132	1.156 1.168 1.183 1.198	.785315 0.885232 .974401 1.056274 .133156 .206687		212.691 244.979 276.895 308.396 339.416	229.677 261.406 292.677	1.260 1.275 1.291 1.310	.788943 0.889920 .980304 1.063566 .142016 .217330	.807124 0.908921 1.000222 .084477 .164023 .240534	4 5 6 7 8 9
10 11 12 13	360.018 389.538 418.486 446.812 474.498	345.180 374.438 403.076 431.089	1.236 1.258 1.284 1.310		.444600 $.516868$	369.915 399.824	353.676 383.264 412.208 440.476	1.353 1.380 1.407 1.435		1.315295 .389397 .463700 .539009 .616107	10 11 12 13
16 17 18 19	501,490 527,748 553,257 577,996 601,968	510.964 536.092 560.442 584.035	1.399 1.430 1.463 1.494		$.744706 \\ .826578 \\ .912554 \\ 2.003327$	512.713 539.068 564.628 589.395 613.362	520.695 545.853 570.229 593.788	1.531 1.565 1.597 1.631	$\begin{array}{r} .742997 \\ .827247 \\ .915934 \\ 2.009829 \end{array}$	1.695692 $.778480$ $.865203$ $.956580$ 2.053435	16 17 18 19
21 22 23 24	625.165 647.626 669.403 690.580 711.374	628.957 650.391 671.312 691.977	1.606 1.616	2.056091 $.155586$ $.262008$ $.376247$ $.499172$.202378 .312319 .430351 .557365	636.569 659.069 680.950 702.432 723.727	638.788 660.403 681.754 702.992	1.690 1.712 1.723 1.728	.216433 .330904 .454006 .586925	.385008 .512199 .649688	21 22 23 24
26 27 28 29	731,984 752,881 772,892 790,276 805,743	733.771 752.555 768.539 783.489	1.593 1.695 1.811 1.854	3.116714 .319074	.843137 3.011127 .201313 .411451	783.954 799.934 815.103	744.343 760.857 776.304 791.193	1.804 1.925 1.969 1.993	.890586 3.071889 $.274279$ $.497847$.366656 $.598357$	26 27 28 29
31 32 33	820.423 834.464 847.959 861.897 875.625	811.570 824.890 839.445	1.908 1.922 1.871	3.542624 .790707 4.067188 .374819 .730338	.900598	829.608 843.552 857.951 872.136	$819.079 \\ 834.116$	2.039 1.986 2.057			31 32
			47.			909.402	899.781	.802	5.299758	5.447215	50
48 47 46 45	908.121 898.636 889.006 879.682 869.981 859.838	889.067 879.010 869.807 860.362	.797 .833 .823 .802	5.269889 4.914379 .606769 .330327 .082315 3.858883	.044921 4.726849 .440218 .182825	900.085 890.624	891.023 881.145 872.103 862.825 853.044	.755 .790 .780 .759 .744	4.944248 .636639 .360198 .112187	5.074790 4.756719 .470089 .212697 3.981136	49 48 47 46 45
		rom Page	47.		29.1948.			46.	$\pi = 3$	28.0014.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

										ER CENT	
Policy Years.		5	v = 6	4. π=	66.1832.			65.	$\pi = 0$	69.9017.	Policy Years.
N. Ye	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λΒ. 12m.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λΒ. 12m.	n.
0 1 2 3 4	152.569	34.318 68.530 102.528 136.427 170.012	1.332 1.341 1.345	0.016730 .335169 .529844 .674678 .792937	.547266 $.692859$	158.077	70.634 105.737 140.516	1.446 1.450 1.463	0.017409 .336590 .532128 .677946 .797339	0.034147 0.354012 0.550309 0.696947	1 2 3
6 7 8	219.707 252.720 285.302 317.387	203.219 236.038 268.383 300.209 331.478	1.374 1.390 1.410 1.432	0.895089	0.915007 1.007735 0.093619 0.175006	226.846	208.888 242.382 275.340 307.720	1.496 1.517 1.539 1.563	0.900800	0.921711 1.016023 .103702 .187117	5 6 7 8
11 12 13 14	410.142 439.730 468.576 496.636	362.082 392.019 421.258 449.711 477.379	1.510 1.539 1.572 1.605	.379966 .455545 .532361 .611199	.484801 .563518 .644422	420.503 450.374 479.431 507.661	400.691 $ 430.155 $ $ 458.806 $ $ 486.614$	1.651 1.685 1.719 1.754	1.320266 .398248 .477002 .557408 .640277	.508159 .590631 .675760	11 12 13 14
16 17 18	550.335 575.953 600.744	504.233 530.255 555.468 579.836 603.475	1.673 1.707 1.742	.777922 .867311	.815878 $.907957$ 2.005374	561.567 587.238	539.670 564.904 589.384	1.825 1.861 1.893	1.726422 .816633 .911746 2.012589 .120066	.857279 $.955352$ 2.059381	16 17 18
21 22 23 24	670.652 692.872 714.899 737.230	626.382 648.739 670.823 692.791 715.487	1.826 1.837 1.842 1.812	.283905 .407210 .540281 .684131	.465403 .603044 .751664	659.631 682.642 705.450 728.575 750.721	659.125 681.873 705.376	1.960 1.965 1.933	$egin{array}{c} [2.235117\\ .358659\\ .491905\\ .635882\\ .795971 \end{array}$.416852 .554668	21 22 23
26 27 28	777.195 793.723 809.412	735.562 752.644 768.620 784.021 798.629	2.046 2.092 2.116	2.844130 3.025486 .227910 .451500 .699606	3.110085 $.320287$ $.552010$	769.960 787.076 803.323 818.860 833.794	760.398 776.345 791.473	2.223 2.248 2.282	3.179852 .403466 .651587	.503976	26 27 28
31	853.734	812.865 828.419 842.207	2.110	3.976100 4.283737 $.639260$		849.219 864.411			4.235729 .591254	4.366271 .738711	
			45.					44.			1
-		901.478 892.869	.761	5.329103	5.476560 .104136		894.611	.723 .677 .711		5.505412 .132988 4.814917	51
48 47 46	883.147 873.778 863.983	883.157 874.269 865.148 855.533 845.557	.750 .740 .719	4.665985 .389545 .141536 3.918111	4.786065 .499436 .242046 .010488 3.800555	884.734 875.518 865.882 855.729	876.314 867.341 857.882 848.068	.702 .681 .667 .638 .562	3.946968 .744818 .563883	$\begin{array}{c} .270901 \\ .039345 \\ 3.829417 \\ .639553 \end{array}$	48 47 46 45
44	842.062	834.892		<u> </u>	3.610685	831.182	825.246		3.404507	1	44
			45.	$\pi = 2$	26.8757.			44.	$\pi = 2$	25.8133.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

									- I	ER CEN'	
Policy Years.			66.	$\pi =$	73.8817.			67.	$\pi = 1$	78.1464.	Policy Years.
≈ .	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λΒ. 12m.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.đ.	λ (Bf). 6m.	λΒ. 12m.	n.
3	163.714		1.562 1.576 1.593	0.018151 .338158 .534636 .681545 .802203	0.035573 .356339 .553637 .701463 .823114		75.193 112.194 148.762	1.697 1.714 1.732	.339877 .537400 .685527 .807566	0.037158 .358878 .557318 .706438 .829573	1 2 3
6 7 8 9	268.582 302.450 335.662 368.160	214.556 248.725 282.293 315.149 347.289	1.655 1.680 1.709 1.739	.090304 .174556 .256464	1.025162 .114817 .200520 .284001	311.225 344.955 377.922	255.105 289.206 322.563 355.142	1.804 1.835 1.866 1.898	0.914052 1.010719 .101154 .187778 .272364	1.035232 .127118 .215315 .301620	
11 12 13 14	430.893 461.018 490.284 518.668	378.679 409.225 438.929 467.758 495.695	1.806 1.841 1.877 1.914	.418490 .500777 .585157 .672514	.449647 .534000 .620640 .710470	441.329 471.705 501.164 529.707	417.674 447.596 476.591 504.684	1.971 2.009 2.048 2.085	1.356348 .440919 .527119 .615927 .708260 1.805057	1.387505 .474142 .562602 .653883 .748906	11 12 13 14
16 17 18 19	572.784 598.555 623.539 647.836	522.763 548.924 574.303 598.894 622.896	1.988 2.021 2.054 2.078	2.068979 .184394	.903185 2.007821 .119290 .238498	557.330 584.076 610.008 635.225 659.984 684.527	558.176 583.699 608.611 633.218	2.158 2.192 2.218 2.230	.907224 2.015731 .131572 .255712	.954016 2.066042 .185676 .313905 2.452163	16 17 18 19
21 22 23 24	695.338 719.313 742.272 762.217	646.605 670.189 694.555 716.107 734.445	2.096 2.063 2.180 2.314	2.308211 .441661 .585786 .745980 .927468 3.129977	.504424 .653319 .821650 3.012067	709.409 733.238 753.939 772.356	682.984 705.352	2.202 2.324 2.463 2.514	.533699 .694016 .875587	$\begin{array}{c} .601232 \\ .769686 \\ .960186 \\ 3.170526 \end{array}$	21 22 23 24
26 27 28 29	796.805 812.913 828.397 844.387	751.597 768.131 783.814 799.097 815.795 830.598	2.389 2.425 2.442 2.383	.353620 .601757 .878267	.454130 .711648 .998347 4.316455	806.556 822.625	775.625 791.486 808.817	2.578 2.595 2.534	.549982 .826502	.659873 .946582 4.264695	26 27 28
30	====		43.	=====				42.			
52 51	903.959 894.953	904.593 896.256 886.852 878.245	.686	5.386341 .030832 4.723224 .446786	.161374 4.843304	896.237 887.648	897.809 888.545 880.067	.608 .641 .632	4.751172 .474735 .226730	.189322 4.871252 .584626 .327240	53 52 51 50
48 47 46 45	867.676 857.681 846.448 833.518	850.440 840.112 827.974	.631 .603 .528 .462	.592286 .432918	0.067737 0.067737 0.067737 0.067956 0.00451	859.523 848.459 835.722 822.421	852.679 842.505 830.549 817.032	.598 .570 .496 .431 .449	.620248 .460889	3.885769 .695918 .528422 .380703	48 47 46 45
44	820.015	814.252	.480 43 .	$\pi = 3.289958$	3.352721 24.8099.	809.303	803.948	42.	1	23.8627.	44

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

r	<u> </u>				00 WH 10	1				TER CER	1
Policy Years.		x =	= 68.	$\pi = 8$	82.7146.			69.	$\pi = 0$	87.6177.	Policy Years.
	V .	V.	1/2 m.d.	λ (Bf).	λB.	V.	V.	1/2 m.d.	λ (Bf).	λB.	
n.	6m.	12m.	2111.4.	6m.	12m.	6m.	12m.	2111.43	6m.	12m.	n.
0	60.803	38.890	1.826	0.019871	0.038872	63.814	40.009	1.984	0.020877	0.040795	0
1	99.474			.341777	.361695				.343875	.364786	
	137.703 175.432			.540461 $.689912$.561372				.543830 $.694753$.565837 $.717957$	
	212.587			.813485	.836689		}		.820009	.844522	
				0.921718		256.786 293.256			$0.930202 \\ 1.031134$		5 6
7	319.994	295.970	2.002	.113155	.140692				.126416		7
	354.257 387.659			.202390 $.289970$.231646 $.321127$	363.660 397.469			.218572 $.309480$.249729 $.342703$	D
	420.153					430.313				1.436119	- 1
11	451.721	425.911	2.151	.465773	.501256	462.166	434.034	2.344	.493338	.531294	11
	482.335 512.001			.556332 $.650050$		493.032 522.901			.588735		
	540.707			.747937		551.821			.791977	.838769	
	568.503				1.897748						
	595.453 621,660			0.960123 0.076469	2.010434 $.130573$				2.018880 143853		
18	647.391	618.820	2.381	.200989	.259182	660.439	629.863	2.548	.278157	.340920	18
	672.896			.334959	.397722				.422901	.490434	
	698.757 723.520			2.479462 .639923	.715593	715.111 735.494				$2.659203 \\ \cdot .849917$	
	745.034			0.821592 0.3024217	.906191	755.410 774.312			0.968018 0.191778	3.060395 .292288	1
	782.341			0.024217 0.247932					.439984	.549875	
					3.606002						
					.892724 4.210844					$4.154740 \\ .527192$	
				.435835			000:000			1001100	
			4.1					40.			
			41.			515.718	908.649	.589	5.468963	5.616420	56
1 4	914.809				5.589278	907.224		.546	.113454	.243996	55
	$906.197 \\ 897.453$				5.216855 4.898785			.578	4.805847 .529411	4.925927 .639302	
52	888.988	881.792	.600	.502269	.612160	881.565	874.963	.550	.281409	.381919	52
	880.179 870.970		.580 $.566$	$.254265 \\ .030850$		872.483 862.913				3.940458	
49	861.267	854.797			3.913310	852.157	846.908	.437		3.750617	
48	850.362	844.770	.466	.647794	.723464	839.777	835.286	.374	.515604	.583137	48
46	837.807 824.698	819.662	.402	.488443 $.345505$.408268	814.096	809.429	392 389		.435440 $.299067$	
45	811.769	806.767	.417	.213688	.271881	801.232	796.643	.382	.119264	.173368	45
44	798.724	793.803	.410	3.092060	3.146164	788.130	783.700	.369	3.006757	3.057068	44
			41.	$\pi = 2$	22.9667.			40.	$\pi = 5$	22.1206.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

									T P	ER CENT	
Policy Years.			70.	$\pi = 9$	92.8725.			71.	$\pi = 1$	98.5145.	Policy Years.
n.	V. 6m.	V. 12m.	<u>1</u> 2m.d.	λ (Bf). 6m.	λB. 12m.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λB. 12m.	n.
		81.784 121.728 160.971	2.178 2.205 2.235	$\begin{bmatrix} 0.021969 \\ .346181 \\ .547542 \\ .700080 \\ .827224 \end{bmatrix}$	0.368188 0.570746 0.724593	70.427 112.426 153.720 194.215 233.837	83.999 124.928 164.987	2.369 2.399 2.436	0.023182 .348727 .551629 .705977 .835200	.731941	1
6 7 8	264.604 301.739 337.941 373.158 407.372	273.650 309.359 344.084	2.341 2.382 2.423		.269723	272.568 310.326 347.056 382.739 417.346	279.691 315.907 351.058	2.553 2.596 2.640	1.056082 .157363 .256364 .355071	.291847 .393027	6 7 8 9
11 12 13 14	440.553 472.705 503.818 533.944 563.153	442.090 472.673 502.342 531.091	2.551 2.595 2.633 2.672	1.426454 .523913 .624715 .729994 .840901	$\begin{array}{c} .564559 \\ .668321 \\ .776786 \\ .891212 \end{array}$	450.879 483.328 514.749 545.213 574.836	450.020 480.964 510.947 540.212	2.776 2.815 2.855 2.885	.557872 .664667 .776732 .895277	.827043 .949381	11 12 13 14
16 17 18 19	647.089 675.116 701.956	586.867 614.437 642.922 668.117	2.715 2.721 2.683 2.820	1.958570 2.084085 $.218790$ $.363822$ $.524658$.142278 .281553 .431355 .600328		597.874 627.583 653.860 676.219	2.907 2.867 3.010 3.173	.156634 .302013 .463094 .645183	.538764 .729782	16 17 18 19
21 22 23 24	746.018 765.707 784.539 802.640	709.607 728.935 747.270 765.136	3.034 3.064 3.106 3.125	3.133184 .381422 .657988	3.001746 .233694 .491313 .778068	756.469 776.109 794.986 814.483	736.413 755.046 775.406	3.265 3.308 3.328 3.256	3.071958 .320234 .596822 .904507	.716902 4.035049	21 22 23 24
25 26	821.333 839.746	784.657 801.962	3.149	3.965663 4.321204	$ \begin{array}{c} 4.096205 \\ .468661 \\ \end{array} $	833.688	793.455	3.353 38.	4.260054	4.407511	25
56	916.577 908.196 899.687	901.979	.518	5.495734	.270768		903.221 894.448	.533 .491 .522 .513	.166647	5.669612 .297189 4.979121 .692497	57 56
53 52 51	891.447 882.876 873.914 864.470 853.857	876.615 867.817 858.690	.522 .508	.308182	.177147 3.967237	875.267 865.944 855.465	869.492 860.480 850.846	.495 .481 .455 .385 .323	.111196 3.909066 .728163 .568832		53 52 51 50
48 47 46 45	841.640 828.882 816.299 803.605 790.675	824.497 811.947 799.331 786.558	$ \begin{array}{r} .374 \\ .363 \\ .356 \\ .343 \end{array} $.399476 $.267686$ $.146094$ $.033609$.325879 .200198 .083920	818.383 805.849 793.084 779.957	814.330 801.874 789.263 776.343	.338 .331 .318 .301	.294145 $.172570$ $.060106$ 2.955971	.226674 .110417 .002763	48 47 46 45
44	777.379	773.472	.325 39.		2.976239 21.3199.	766.418	763.009	38.	<u> </u>	$\frac{ 2.902977 }{20.5624}$	44

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

	1										
Policy Years.		6	x = 7	$2. \pi =$	104.570.			73.	$\pi = 1$	111.075.	Policy Years.
Pol	V.	v.	4	λ (Bf).	λB.	V.	V.	1 -	λ (B f).	λB.	Po
n.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	n.
											-
0	74.036	43.502			0.047719	77.879			0.025979		_
	117.156			.351524	.376037 .582116	122.086	88.415 131.196		.354626 .561148	380590 588685	
	$159.441 \\ 200.815$.556152 .712491	.740028	207.624			.719674	.748930	
	241.258			.844001	.873257	248.845			.853740	.884897	
5	280.685	247, 846	2.737	0.961393	0.992550	288.944	253.175	2.981	0.974085	1.007308	5
	319.040				1.103825				1.086682	.122165	6
	356.300			.175381		365.679			.195360	.233316	
	392.437 427.452			278392		402.287			.302827	.343473	
				.381666		437.713			.411211	.454817	
	461.337 494.146			1.486911 $.595585$	$\begin{bmatrix} 1.530517 \\ .642377 \end{bmatrix}$	472.014 505.271			1.522247 .637511	1.569039 .687822	
	525.956			.709074	.759385	537.611			.758458	.812562	
13	556.890	519.884	3.084	.828692	.882796	569.365	529.607	3.313	.886412	.944605	13
14	587.262	550.070	3.099	.955661	2.013854	600.840	560.998	3.320	2.022905	2.085668	14
7	617.368			2.091434			593.431		2.169222	2.236755	
	647.892			.237235	.304768				.330963		
	677.123 702.516			.398613	.474283 $.665501$	689.861 713.481			$\begin{bmatrix} .513497 \\ .716678 \end{bmatrix}$.598096 .809055	
	725.108			.783926	.876303	735.900				3.041244	
	746.552			3.007885	3 108395		712.242			3.299004	-
	767.061			.256208	.366099		732.584		$\frac{3.169113}{.465757}$.585837	
22	786.774	744.217	3.546	.532821	.652901	799.235	754.811	3.702	.773472	.904014	
	807.132			.840520	.971062	820.200	774.514	3.807	4.129033	4.276490	23
24	827.185	784.323	3.572	4.196073	4.0460900		* · · · · · · · · · · · · · · · · · · ·				
			37.					36.			
			o (.			918.890	913.103	.482	5.574024	5.721481	60
59	918.161	912 080	.507	5.548246	5.695703	910.810	905.510	.442	5.218516	5.349058	59
58	909.986	904.397	.466	.192738	.323280	902.607	896.944	.472	4.910910	.030990	58
	901.687		.496	4.885132		894.666		.463		4.744367	
	$893.651 \\ 885.291$.488	.608697 $.360698$	4.718588	886.402		.445	$\begin{array}{c} .386478 \\ .163071 \end{array}$.486988 .255448	
	876.550 867.339		.456	$\frac{4.137290}{3.935162}$	4.229667 $.019761$			$\frac{.407}{.338}$	3.960945	4.045544 3.855720	-
	856.988		.361		3.839933			.278		.688264	
	845.073		.300	.594939	.662472	834.354	830.819	.295		.540601	
50	832.629	828.827	.317	.452038		822.224		.292	.346082	.404275	50
19	820.357	816.587	.314	3.320271	3.378464	809.986	806.560	.286	3.224535		
	807.975		.308	.198711	.252815	797.523	794.247	.273		.162420	
	795.365		.295		.136578			.256		054815 2.955090	
	782.397 769.023		.280 $.261$.885589	028948 2.929195	757,836	755.195	.239		862411	
	755.211			1	2.836478						
11		102.012	.242	2.000002	≈.000±18	140.720	111.010	.201	~.100201	~.110199	**
			37.	$\pi =$	19.8452.			36.	$\pi =$	19.1663.	
L.											1

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

						1				ER CEN	
Policy Years.			74.	$\pi = 1$	118.069.			75.	$\pi = 1$	125.579.	Policy Years.
n.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (B f). 6m.	λΒ. 12m.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λB. 12m.	n.
-	81,924		2 010		0.053580			2 91414		0.056940	
	127.204	90.560	3.054	.358048	.385585	132.637	92.765	3.323	.361802		1
3	214.612	134.297 176.858	3.146	.566649	.758777	221.843	180.740	3.425	.736408	.769631	3
		218.244 258.413		0.988135		264.577 306.021			.876447 1.003701	0.911930 0.911930 0.911930	
6	336.910	297.339 335.053	3.298	1.104508 .217518	.142464	$346.180 \\ 385.041$	303.152	3.586	.124270 .242130		6
8	412.312	371.503 406.864	3.401	.329973	.373579	$\begin{array}{c} 422.669 \\ 459.152 \end{array}$	378.409	3.688	.360118	.406910	8
		441.128		1.561535	1.611846	494.629	449.363	3.772	1.605247	1.659351	10
		474.571 507.606		.684149 .813330	1	529.463 563.990			.735978 .874485	.937248	12
13	583.070	540.466 574.415	3.550	0.950716 0.97673	2.013479 165206	$\begin{bmatrix} 598.998 \\ 632.522 \end{bmatrix}$	553.998 585.467	$3.750 \\ 3.921$	2.022241 .184988	2.089774 .260658	
15	648.464	604.444	3.668	2.259861	$\begin{bmatrix} 2.335531 \end{bmatrix}$	661.645	612.244	4.117		2.452800	
17	700.979	629.995 653.894	3.924	.442697 .646072	.738449	687.557 712.150	661.431	4.227	.571816	.896648	17
		676.931 698.783		3.118695	.970757 3.228586	735.671 758.279			.321402	3.154563 .441482	
		720.076 743.342		3.395377 .703111		781.627 804.626				3.759703 4.132200	
		763.968			4.206139						
			35.				101 1 000	34.		WWO = 0.4	00
61	919.579	914.071		5.599505		920.234 912.330	907.562	.397	5.624707	.399741	61
	911.590		.419	$\begin{array}{c} .243997 \\ 4.936392 \end{array}$.374539	904.305 896.535			4.961593 4.685161	0.081673 4.795052	
58	903.478 895 625	890.341	.449	.659958	4.769849		883.643	.401	.437164	.537674	58
56	887.454 878.911	873.999	.422	.411961	.280932	871.094	866.738	.363	.011639 3.830750	.096238	56
	869.909 859.792			3.986432 3.805540	3.881210	861.085 849.564	846.720	.237		3.738974	
53	848.146 835.986	845.064	.257 .273	.646226 .503341	.713759	837.533	834.493	.253	.528561 .396824	.591324 .455017	
51	823.990	820.742	.271	.371594	.429787	813.695 801.503	810.760	.245	.275303 .162910		51
	811.890 799.565		.265 $.252$	3.137652	3.187963	788.965	786.375	.216	3.058866	3.105658	49
48	786.891 773.820	784.066	.235	033587 2.937076	080379 2.980682	776.032 762.677	773.639 760.511	.199		2.913372	47
46	760.320 746.370	757.923	.200	.847391 .763905	.888037	748.876 734.632	746.928	.162	.789280 .711426	.827236 .746909	
1		730.022		2.686005				1	2.638638	2.671861	44
			35.	$\pi = 1$	18.5241.			34.	$\pi = 1$	17.9149.	
	1										

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000,

										PER CEN	1.
Policy Years.			x = 7	6. $\pi = 1$	133.656.			77.	$\pi = 1$	142.352.	Policy Years.
n.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λΒ. 12m.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λΒ. 12m.	n.
2 3	90.874 138.320 184.473 229.311 272.797	184.568	3.619 3.673 3.729	0.031370 $.365966$ $.579461$ $.746131$ $.889659$.612684 .781614	95.758 144.242 191.347 237.029 281.293	$96.970 \\ 143.371 \\ 188.335$	3.939 3.998 4.058	0.033566 .370572 .586900 .756894 .904298	.622383 $.794850$	1 2 3
6 7 8	314.932 355.707 395.188 433.467 470.691	308.919 347.801 385.477	3.899 3.949 3.999	1.020957 .146221 .269462 .393642 .521119	1.061603 .189827 .316254 .443953	324.128 365.604	274.004 314.851 354.431 393.061	4.177 4.229 4.282 4.322	1.040118 .170591 .299854 .430952 .566257		6 7 8
11 12 13	507.240 543.468 580.199 615.374 645.931	494.706 532.036 565.055	4.064 4.014 4.193	.793770	1.712029 .856533 2.010071 .181660 .374274	559.962 596.914 629.015	$\begin{bmatrix} 469.178 \\ 508.394 \\ 543.081 \\ 572.597 \\ 600.203 \end{bmatrix}$	4.297 4.486 4.702	1.708034 $.858101$ 2.022455 $.206741$ $.411044$.925634 2.098125 $.291340$	11 12 13
16 17 18 19	673.118 698.923 723.602 747.323 771.822	644.760 668.788 692.202 717.785	4.514 4.568 4.593 4.503	.718100 .966743 3.243532 .551322	3.076634 $.363612$ $.681864$	710.610 735.529	626,813 652,055 676,651 703,527 727,352	4.880 4.906 4.812	.884565		16 17 18
20	795.952	740.464	33.	3.906919	4.054376			32.			
62 61	920.854 913.030 905.088 897.398	908.508 900.214	.406	294135 4.986529	.424677	921.441 913.694 905.830 898.216 890.293	$901.193 \\ 893.677$.357 .386 .378	$\begin{bmatrix} 5.674326 \\ .318819 \\ .011214 \\ 4.734781 \\ .486786 \end{bmatrix}$.449361 $.131294$ 4.844672	63 62 61
58 57 56	889.397 881.031 872.218 862.311 850.908	876.622 868.103 858.994	.367 .343	0.238698 0.036579	.121178 3.931363	882.010 873.283 863.473 852.181 840.391	860.378 849.778	.200	4.263384 .061267 3.880384 .721083 .578216	$egin{array}{c} .145866 \ 3.956054 \ .788616 \end{array}$	58 57 56
53 52 51	839,000 827,255 815,406 803,339 790,929	824.474 812.698 800.777	$ \begin{array}{r} .232 \\ .226 \\ .214 \end{array} $	3.553515 .421786 .300276 .187898 .083873	.479979 .354380 .238209	828.761 817.028 805.079 792.791 780.117	814.536 802.731 790.637	.214 .208 .196 .180 .163	3.446495 .324996 .212632 .108624 .012186	.379100 $.262943$ $.155416$	53 52 51
48 47 46 45	778.130 764.910 751.250 737.153 722.616	762.964 749.519 735.643 721.324	.162 .144 .126 .108	.897788 .814377 .736568 .663831	2.938434 .852333 .772051 .697054	739.543 725.149 710.333	751.977 738.237 724.058 709.450	.145 .127 .109 .091 .074	2.922589 .839212 .761444 .688756 .620655	.877168 .796927 .721979 .651812	48 47 46 45
44	707.654	706.571	33.		$\frac{ 2.626831 }{17.3376}$	695.103	694.427	32.		2.585964 $16.7902.$	44

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

			78.		124 204	1		PO.		CA WOO	
Policy Years.			10.	" = .	151.701.			79.	$\pi = 1$	61.769.	Policy Years.
	V.	V.	½m.d.	λ (Bf).	λB.	V.	V.	$\frac{1}{2}$ m.d.	λ (Bf).	70D.	A'A
n.	6m.	12m.	2	6m.	12m.	6m.	12m.		6m.	12m.	n.
0	100.990	50.279	4.226	0.035976	0.069199	106.576	51.383	4.599	0.038642	0.074125	0
	150.529	99.078	4.288	.375648	.411131	157.164	101.175	4.666	.381265	.419221	1
	198.573 245.127			0.595120 0.768806		206.181			.604219 $.782023$.644865 $.825629$	3
_	290.176			.920540		299.545			.938556	.985348	4
5	333.797	279.425	4.531	1.061377	1.108169	344.077	285.107	4.914	1.085004	1.135315	5
6	376.088	321.051	4.586	.197679	.247990	387.381	327.886	4.958	.227823	.281927	6
	417.216 457.596			$\begin{array}{ c c c c c c c c c c c c c c c c c c c$		$\frac{429.899}{472.044}$.371259 $.518708$.429452 $.581471$	7 8
	497.622			.616620		514.774			.672714	.740247	9
10	538.205	482.976	4.602	1.768380	1.835913	555.695	494.016	5.140	1.839770		10
	577.066				2.009571				2.025850 $.231294$		11
	610.828 640.865		4	$\begin{bmatrix} 2.118963 \\ .323761 \end{bmatrix}$		622.870 652.889			.251294 $.456730$.557240	13
	669.374			.548804		681.599			.705916	.815807	14
15	696.641	634.064	5.215		2.907652				2.983005		15
	722.849 749.916			3.074724 382603	3.194804 .513145		$671.691 \\ 698.074$		$3.290950 \\ .646620$		
	776.577			.738242		100.101	030.014	0.041	.010020	.,010,,	
			1					30.			
			31.			022 508	010 911	260	5.722991	5 970149	G.G.
65	921.998	917.469	.377	5.698772	5.846229		918.211 911.064			.498026	
	914.325				5.473806		903.002	.350	5.059879		
	906.534 898.991		.368 $.360$	$\begin{bmatrix} .035659 \\ 4.759227 \end{bmatrix}$	155739 4.869118	899.727 891 949	895.623 888 051	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	4.783447		
	891.143		.342	.511233	.611743	883.817	880.068	.312	.312053	.404430	61
60	882.937	878.980	.330	.287832		875.249		.288	.109939		1
	874.292		.306	4.085716	4.170315	865.620	862.933	.224 $.167$	3.929062	$\begin{bmatrix} 4.004732 \\ 3.837301 \end{bmatrix}$	
	864.575			3.904836 $.745539$	$3.980506 \\ .813072$.626912		
	841.709		.199	.602677	.665440	831.543	829.377	.181	.495205	.553398	56
	830.189		.197	.470964			817.930		.373725	.427829	
	818.566				3.403579		806.341		3.26 13 86	$\begin{vmatrix} 3.311697 \\ .204203 \end{vmatrix}$	
	806.729 794.557		.179	$\frac{.237124}{.133133}$.287435 $.179925$	783.789	782.215	.131	.061013	.104619	52
	782.001		.147	.036715	.080321	770.939	769.584	.113	2.971467	.012113	51
50	769.035	767.493			2.987790					2.926107	
	755.636			2.863799	$2.901755 \\ .821552$	743.957	743.027		$\begin{bmatrix} 2.810456 \\ .737856 \end{bmatrix}$		
	741.808 727.550		0.093	1.786069 $.713426$.746649	715.283	714.767	.043	.669860	.701017	47
46	712.874	712.179	.058	.645379	.676536	700.330	700.019	.026	.606033		
	697.786			.581495	1	684.994			.545968		
44	682.310	682.004	.026	2.521362	2.548899	669.304	669.346	.004	2.489277	2.515241	44
			31	$\pi =$	16.2712.			30	$\pi =$	15.7791.	
	l antinued :		V-1.0H			11					

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

										PER CEN	
Policy Years.		6	v = 8	0. $\pi =$	172.614.			81.	$\pi = 1$	184.307.	Policy Years.
n.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λB. 12m.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λB. 12m.	n.
	112.552	52.490		0.041593	0.079549	118.990	53.673			0.085491	0
2	164.225 214.229	152.497	5.144	.387468	.657917	171.764 222.864	155.873	5.583	.394354	.672268	2
4	262.645 309.589	246.384	5.267		1.008879	$\begin{vmatrix} 272.408 \\ 320.587 \end{vmatrix}$	252.230	5.696		1.863238 1.034924	4
6	355.239 400.060 444.488	336.026	5.336	1.111288 $.261311$ $.413224$	1.165392 .319504	414.780	346.009	5.731	.298706	1.198662	6
8	489.533 532.670	426.116	5.285	.413224 .570269 .739384	.637802	$ \begin{array}{r} 462.320 \\ 507.846 \\ 547.395 \end{array} $	437.060	5.899	.459969 .631901 .821168	$egin{array}{c} .527502 \\ .707571 \\ .905767 \end{array}$	8
10	570.143 603.484	501.064	5.757		2.011416 $.225495$	582.584 615.981	507.436	6.262	2.028623	2.121000	10
12	635.129 665.394	564.354	5.898	.359073	.459583	647.923 678.625	571.319	6.384	$egin{array}{c} .255275 \ .505169 \ .782647 \end{array}$	$egin{array}{c} .355785 \\ .615060 \\ .902727 \end{array}$	12
	694.484 724.528	622.534	5.996		3.005897	710.332	634.735	6.300		3.221334	14
	754.121			.549559		741.000		1		0.004010	10
-			29.			${923.504}$	010 583	28.		5.918255	CO
	923.028 915.488		.343 .305	5.746996 .391489	5.894453 $.522031$	916.027 908.436	912.556		.415291 .107686	.545833	67
	907.835 900.423		.333	.083884 4.807453	.203964	901.087		.309		4.941146 4.683772	
62	892.713 884.651	881.100	.308 .296	.559460 .336060	.659970 .428437	885.445 877.020	882.081 873.939	.280 .257	.359864 $.157753$.452241 .242352	63 62
60	876.157 866.610	864.112	.272	0.133948 $0.3.953072$.218547	867.552 856.654		.193	3.976880 .817593	.052550 3.885126	
58	855.621 844.145	842.133	.168	3.793783 .650931	.713694	845.272 834.047	832.240	.153	.543052		58
56	832.826 821.408 809.779	819.496	.165 .159 .148	.519231 .397759 .285432	.577424 .451863 .335743	822.723 811.188 799.328	809.591	.145 .133 .118	.421588 $.309272$ $.205325$.359583	56
54	797.819 785.484	796.237	.132	3.181471	3.228263	787.095	785.870	.102	3.108962	3.152568	54
52	772.745 759.580	771.567	.116 .098 .081		036214 2.950236		760.602	.084 .067 .049		060106 2.974155 0.894052	52
50	745.995 731.986	745.238	.063	.834619 2.762059	.870102	734.038	733.654	.032	.786046	.819269	50
48	717.566 702.744	717.221	.046	.694109 .630337	.725266	719.738 705.037 689.958	705.053	.015	.654419 .594476		48
46	687.539 671.983	687.575	.003	.570335	.597872		674.895	.030	.537926 .484453	.563890	46
44	656.086	656.464	.032	2.460167	2.484680	642.687	643.362	.056	2.433756	2.456960	44
			29.	$\pi = 1$	15.3125.			28.	$\pi = 1$	14.8689.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

D 10			82.	$\pi = 1$	196.942.			83.	$\pi = 1$	210.594.	No.
Policy Years.	V.	V.		2 (D f)	λB.	V.	V.		λ (Bf).	λB.	Policy Years.
n.	6m.	12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	12m.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	n.
_	105 000	F4 018	= 0.2.2	0.010180	0.002004	133.429	56.263	C 491	0.050451	0.099243	0
	125.880 179.877			0.048478 $.401959$		188.818			.410393		1
2	232.232	159.525	6.059	.637870		242.683			.651621	.705725	
	283.142 333.129			.830995 1.005502	0.885099 1.063695	295.568 347.991			.851002 1.033065	0.909195 0.909195 0.909195	
	382.678			1.173060		401.142				1.276870	
6	432.915	359.972	6.079	.340355	.407888	452.039	370.631	6.784	.390937	.466607	6
	481.023			.516239		496.256 535.596			.586356		1 1
	522.815 560.000			.708048		572.936			$\frac{.797620}{2.026552}$	2.127062	
	595,291			2.144692		608.646				2.387656	1
11	629.045	547.005	6.837	.395138	.505029	642.971	554.614	7.363	.555967	.676047	11
	661.487 694.994			.672919	.792999 3.111762	678.421	591.633 621.450	7.232	.864483 3.220429		
13	727.998	645.036	6.914	3.337062		110.000	024.100	1.101	9.220120	0.001000	
								26.			
			27.			924.385	920.820	.297	5.817832	5.965289	70
69	923.956	920.218	.312	5.794407	5.941864	917.023		.260		5.592867	
68	916.538	913.246	.274	.438899		909.549		.288	.154720	274800 4.988181	
	909.007 901.715		.302	.131295	.251375 4.964755	902.313 894.783		.263	.630298		66
	894.129		.278	.606872	.707382			.251	.406901	.499278	65
64	886.196	883.012	.265	4.383474	4.475851	878.617	875.878	.228		4.289392	
63	877.839	874.933	.242	.181365		869.294 858.563		.166	.023923	.099593 3.932176	
	868.446 857.633		.179	.000493 3.841210		847.357		.126	.721803		
-	846.342		.139	.698366	.761129	836.304	834.821	.124	.590121	.648314	
59	835.205	833.564	.137	3.566678		825.154		.118		3.522776	
	823.970		.131	.445223 .332916	.499327 .383227	813.798 802.119		.106	$\begin{array}{c} .356375 \\ .252453 \end{array}$		58
	812.527 800.760		.119	.228982	.275774	790.075	789.164	.076	.156122	.199728	56
	788.623		.089	.132636	.176242	777.635	776.936	.058	.066659	.107305	55
	776.089		.071	3.043154	3.083800	764.780		.041		3.021401	
53	763.137	762.491	.054	2.959917	2.997873 .917799	751.514		.024 $.007$.905872 .833417	2.941355 .866640	52
	749.769 735.985		.036	.882316	.843051	723.753	723.868	.010	.765591	.796748	51
	721.798		.003	.741964	.773121	709.279	709.590	.026	.701964		
	707.213				2.707547	694.431	694.918	.041		2.669665 $.611665$	
	692.253		.029	.618404	587880	679.242 663.719	664.539	.055	.585701		
	676.947 $ 661.305 $		0.043 0.057	.561916 .508516	.533029	647.888	648.849	.080	.481830	.505034	46
	645.355		.068	.457901	.481105	631.787	632.878	.091	.433790		
44	629.132	630.085	.079	2.409775	2.431782	615.439	616.648	.101	2.388007	2.408918	44
			27.	$\pi =$	14.4479.			26.	$\pi =$	14.0485.	
			V4.00								

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

						1			4 PI	ER CENT.	
Policy Years.		а	= 84	$1. \pi = 2$	225.442.			85.	$\pi = 5$	241.622.	Policy Years.
n.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λΒ. 12m.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λΒ. 12m.	n.
								N PN4			
1	198.680	114.150	7.044	.419758	.473862	$\begin{vmatrix} 150.731 \\ 210.206 \\ 320.159 \end{vmatrix}$	118.949	7.605	.430060		1
3	310.266	$\frac{169.845}{225.246}$	7.085	.666832 .873363	.725025 $.936126$	269.158 328.931	238.493	7.537	.683828 .898194	.965727	3
		282.483 333.110		1.063734 1.253934	1.131267 1.329604	386.169 435.895				$\begin{vmatrix} 1.177716 \\ 1.395409 \end{vmatrix}$	
6	467.371	376.189 416.481	7.599	.454640	.539239	480.136	380.706	8.286	.530046	.622423	6
8	548.621	455.319 492.161	7.775		2.000445	562.286 600.888	461.026	8.438		2.127420	8
10	622.832	528.061	7.898	2.431031	2.551111	640.753	540.758	8.333	2.606442	2.736984	10
		567.287 602.061		$\begin{vmatrix} .739852 \\ 3.095944 \end{vmatrix}$.870394 3.243401	680.022	577.663	8.530	.962744	3.110201	11
			25.					24.			
71	924.793	921 393			5.988540	925.180		.270	5.864170	6.011627 5.639205	
70	917.484	914.524	.247	.485576	.616118	910.553	907.420	.261	.201059	.321139	70
68	910.064 902.879	899.684		4.901542	5.298052 $.011433$	895.996	893.151	.237		5.034520 4.777147	
	895.405 887.590	892.406 884.735	.250 .238	.653550 $.430154$		880.056	877.628	.225	.453242 .251136	.335735	66
	879.355	876.775 868.266	.215	.228047 4.047179		870.866 860.285		.141	.070270	145940 3.978527	
63	859.446	858.265		3.887901	3.955434	849.238 838.341	848.017	.102	.768162	.830925	63
61	848.322 837.349	836.015	.111	.745066	.671581 .546051	827.347 816.151	826.224	.094	.636489 $.515054$		61
		825.014 813.876	.105	.491947 3.379658		804.638			.402774 3.298874	3.345666	
58	803.412 791.453	802.465	.079 $.064$.275748 $.179431$.322540 .223037	792.762 780.498		.052 $.035$.202571 $.113142$.246177 $.153788$	
56	779.104 766.342	778.549	.046	.089986 $.006793$.130632 $.044749$	767.825 754.745	767.607 754.734	.018	029970 2.952448	067926 2.987931	56
54	753.171	753.026	.012	2.929246	2.964729	741.259	741.449	.016	2.880053	2.913276	54
52		725.865		.856822 $.789033$.890045 .820190	727.377	713.684	.032	.812297	.778008	52
	711.242 696.503	711.690 697.125	.037	.725447 $.665661$.754703 $.693198$	698.468 683.493	699.219 684.409	0.063 0.076	.689012	.716549 .658657	
	$681.422 \\ 666.011$.066	2.609289 $.556021$	2.635253 .580534	668.187 652.581	669.268 653,799	.090	2.579484 $.529085$		
47	650.295 634.311	651.388	.091	.505554 $.457595$.528758	636.707 620.588	638.054	.112	.481202 .435594	.503209	47
45	618.080	619.420	.112	.411902	.432813	604.256	605.816	.130	.392028	.411946	45
44	601.634	603.071	.120	2.368242	2.388160	587.734	589.388		2.350298	2.369299	44
			25.	$\pi = 1$	13.6687.			24.	$\pi = 1$	13.3082.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

	1				1					ER CEN	
Policy Years.			86.	$\pi = 5$	259.448.		_	87.	$\pi = 2$	279.436.	Policy Years.
P >	V.	V.	1 1	λ (Bf).	λB.	V.	V.	1 1	λ (Bf).	λB.	KA
n.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	n.
0	161 160	60 0M0	0 101	0.00%014	0.125407	1 1/2 000	CC MOE	0 000	0.089909	0.190155	
	223.866			.441636			135.683		.454427	0.130133 $.521960$	
	287.441			.702683					.727812	.803482	_
	348.324			.930001			248.561			1.056664	
				1.151718			297.096		1.210687	.303064	_
5	448.271	3.11 2.89	8 915	1 378303	1.470680	460 206	343,880	9 694	1 455169	1.555672	5
	492.934			.616135					.715063		6
	535.651			.872380		549.600				2.118019	7
				2.153307		594.848			2.308839	.439381	8
9	619.111	511.528	8.965	.463217	.593759	639.418	520.644	9.898	.665921	.813378	9
10	660.879	550.782	9.175	2.819828	2.967285					-	
								22.			
			23.			005 005	0.22.044	0.1.0	r 0000W0	0 0 5 8000	w 4
m O	005 540	000 450	.258	= 00M000	6.034556		922.944		5.909879		
	925.548 918.338		.222		5.662134			.210 $.237$.246768	$5.684914 \\ .366848$	
	911.018		.249	.223988		904.417			4.970339		
	903.930		.241	4.947558		897.089		.213		4.822858	
69	896.557	893.858	.225	4.699567	4.800077	889.428	887.009	.202	4.498954	4.591331	69
	888.846		.213	.476173		881.357		.179		.381449	
67	880.724	878.438	.191	.274068		872.284		.118	.115987		
	871.593		.129	.093203		861.841			3.956716		
65	861.083	860.177	.075	3.933930	.001463	850.936	849.979	.080	.813890	3.876653	65
64	850.108	849.023	.090	3.791101	3.853864	840.179	839.252	.077	3.682227	3.740420	64
	839.283		.088	.659433		829.328		.072	.560803		
	828.364		.083	.538004		818.277			.448538		0.0
	817.241		.071	.425732	.368634	806.911		0.046 0.031	344658 $.248379$		
	805.804		.056	.321842		795.190					
0 0	794.007			3.225551		783.084			3.158981		
	781.824		.024	.136138 $.052985$.176784 $.090941$		757.900		2.998369	033852	
	769.235 756.241			2.975486				.036		2.959250	
	742.841		.026		2.936341	730.648		.052	.858334		
1					2.866552				2.794862		
	729.054 714.877		.058	.771887		702.112	703, 102	.083		.762742	
	700.337		.073	.712190	.739727	687.331	688.483	.096		.704946	
	685.460		.086	.655921	.681885	672.223	673.538	.110	.625883		
	670.257		.100	.602768		656.817		.121	.575607	.598811	50
49	654.753	656,091	.112	2.552433	2.575637	641.148	642.726	.131	2.527863		
	638.984		.122	.504621	.526628	625.238	626.931	.141	.482409		
	622.972		.132	.459093	.480004	609.117	610.905	.149	.439015		
	606.748	1	.140	.415615		592.808		.157	.397476	.416477	
45	590.335	592.105	.147	.373984				.163	.357599		
44	573.754	575.600	.154	2.334006	2.352187	559.752	561.734	.165	2.319204	2.336626	44
			23.	$\pi = 1$	12.9656.			22.	$\pi = 1$	2.6399.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

	1				202 102	1					
Policy Years.			88.	$\pi = 3$	302.168.			89.	$\pi = 3$	329.342.	Policy Years.
K	V.	V.	1 1	λ (Bf).	λB.	v.	V.	1 ~	λ (Bf).	λB.	Po
n.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	6m.	12m.	$\frac{1}{2}$ m.d.	6m.	12m.	n.
	100.000	W0 0W0	0 27	0.00000	0.144500	100 071					_
	188.023 257.635	73.878		0.080000 472731	0.147538 $.548401$	199.951 265.249	70.559	10.78	$\begin{bmatrix} 0.091697 \\ .497892 \end{bmatrix}$		0
2	318.110	194.827	10.27	.761752	.846351	323.345	186.752	11.38	.800873		2
3	371.914	246.833	10.42	1.021673	1.114050	378.488	240.881	11.47		1.177023	3
	422.982			.277234					.352468		
6	471.823 518.769	344.516 390.853		1.543045	$\begin{array}{c} 1.652936 \\ .949102 \end{array}$	481.914				1.763697 2.089182	5
				2.141481	2.272023	585.833	445.393	11.70	2.317667	.465124	
8	615.009	486.367	10.72	.499301	.646758						
			0.1					20.			
1			21.			926.546	923.855	.224	5.955022	6.102479	76
75	926.229	923.411	.235	5.932518	6.079975	919.466		.189		5.730057	75
	919.109		.199	5.577011	5.707553		909.695	.215	5.291911	5.411991	74
	911.879 904.879		.226	$\begin{bmatrix} .269407 \\ 4.992978 \end{bmatrix}$		905.319		.208		.125373	73
	897.596		.202		0.102869 0.102869 0.102869	898.078 890.507		.192		4.868002	
70	889.982	887.694	.191		.613971		880.635	.158	.341997		
	881.958		.168		4.404090	873.566				4.236807	
	872.941 862.561		.108 $.055$.138629	.214299 $.046893$.045		$\begin{bmatrix} .069403 \\ 3.921813 \end{bmatrix}$	
	851.722		.069		3.899301	841.841		.058		-3.921613	
65	841.030	840.225	.067	.704878	.763071	831.117	830.494	.052	.605980	.660084	65
64	830.245	829.506	.062		3.637564			.041		3.544041	
62	819.260 807.964	818.654	.051 $.036$.471202 $.367331$		808.966		.026	$\begin{bmatrix} .389867 \\ .293610 \end{bmatrix}$		
61	796.313	796.062	.021	.271063		785.420		.005	.204239		
60	784.281	784.234	.004	.181679	.222325	773.057	773.318	.022	.121137	.159093	60
59	771.846	771.997	.013	3.098561			760.760			3.079182	
57	759.014 745.782	759.366 746.332	.029 $.046$	0.021104	056587 2.982009	747.144		.055 $.071$.004628 2.934924	
56	732.162	732.902	.062	.881122		719.683		.086		.869615	56
	718.161		.078	.817683	.846939	705.405	706.610	.100	.780778	.808315	55
54	703.800	704.900	.092			690.797				2.750604	
52	689.107 674.091	690.369 675.515	.105	.701886 .648837				.127	621472	$\begin{array}{c} .696151 \\ .644676 \end{array}$	
51	658.779	660.338	.130	.598617		645.161		.149	.573850		
	643.205		.140	.550936		629.439		.158	.528533		
49	627.391	629.190			2.526464					2.505209	4.0
48	611.367 595.157	597 143	.158 $.165$	120781	.482155 $.439785$	597.392 581.110		.174	$\frac{.443920}{401229}$	$\begin{array}{ c c c c } .462921 \\ .422410 \end{array}$	
46	578.780	580.842	.172	.381004				.182	366037		
	562.302		.174	.342714				.186	.329195		
44	545.749	547.886	.178	2.305763	2.322501	531.735	533.997	.188	2.293553	2.309662	44
			21.	$\pi = 1$	12.3304.			20.	$\pi = 1$	12.0361.	
	ntinued f										

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

	1					1			-	PER CEN	
Policy			90.	$\pi = 3$	357.261.			91.	$\tau = 3$	384.586.	Policy Years.
n.	V. 6m.	V. 12m.	½m.d.	λ (Bf). 6m.	λΒ. 12m.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λΒ. 12m.	n.
	210.928 273.435				$0.189764 \\ .616059$				0.117487 0.549523	0.209864 .650033	0
2 3	332.764 389.504	183.252 238.496	12.46 12.58	.841211 1.136222	0.941721 1.246113	348.673 406.976	185.909 243.458	13.56 13.63	0.885237 1.203501	0.995128 0.323581	2 3
5		351.147	12.44		1.886648 2.264670					0.661786 0.043568	
0		400.200	19.	×.111,×10	2.201010			18.			
	926.847 919.806			5.977398 .621891	$\begin{array}{c} 6.124855 \\ 5.752433 \end{array}$	927.133 920.130 913.019	918.097	.205 .169 .196	.644145	6.147109 5.774687 .456621	77 76
75	912.658 905.738	910.196	.205	.314287		906.136 898.973		.188	.060113 4.812123	.170004 4.912633	
73 72 71	898.537 891.008 883.076 874.161	896.354 888.964 881.297	.182 .170 .148 .089		4.890379 .658853 .448974	891.484	889.552 881.926 873.772	.161 .139 .079 .027	.588731 .386631 .205773 .046509	.681108 .471230 .281443 .114042	72 71
69 68 67 66	863.898 853.181 842.611 831.947 821.087	863.466 852.574 842.032 831.434			.682476	843.344 832.737	842.870 832.328 821.656	.042 .040 .034 .023 .008	3.903695 .772045 .650642 .538403 .434555		68 67 66
64 63 62 61	809.919 798.399 786.502 774.209 761.522	809.713 798.368 786.674 774.575		3.412273 $.316026$ $.226667$ $.143581$ $.066161$	3.459065 $.359632$ $.267313$ $.181537$	799.366 787.533 775.304 762.685 749.671	799.437 787.805 775.770 763.349		3.338318 $.248971$ $.165899$ $.088496$ $.016244$	$3.381924 \\ .289617$	64 63 62 61
58 57 56	748.439 734.974 721.131 706.932 692.406	735.923 722.269 708.237	.063 .079 .095 .109	2.993888 $.926276$ $.862898$ $.803350$ $.747252$	2.957433 .892154 .830887		723.741 709.784 695.494	.087 .103 .117 .130 .143	2.948656 $.885306$ $.825791$ $.769729$ $.716813$	2.979813 $.914562$ $.853328$ $.795693$ $.741326$	58 57 56
53 52 51	677.559 662.421 647.022 631.387 615.544	664.179 648.906 633.383	.135 .147 .157 .166 .174	.644178	.618619 .572269	648.793	650.767 635.328 619.662	.154 .165 .174 .182 .189	.574036 .530929 .489707	.641238 .594947 .550847 .508708	53 52 51 50
48 47 46	599.518 583.326 567.034 550.667 534.225	585.582 569.314 552.998	.182 .188 .190 .194 .196	2.466891 $.427285$ $.389186$ $.352445$ $.316914$.406608	569.228	571.597 555.369 539.038	.195 .197 .202 .204 .204	$\begin{array}{c} .412169 \\ .375524 \\ .340097 \\ .305761 \end{array}$.392262 $.356206$ $.321300$	48 47 46 45
	517.748			2.282464	2.298003	503.813	506.261		2.272391		44
			19.	$\pi = 1$	1.7560.			18.	$\pi = 1$	11.4897.	

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

									4 1	PER CEN'	Г.
Policy Years.		6	x = 9	2. $\pi =$	413.801.			93.	$\pi = $	446.049.	Policy Years.
n.	V. 6m.	V. 12m.	½m.d.	λ (Bf). 6m.	λB. 12m.	V. 6m.	V. 12m.	¹ / ₂ m.d.	λ (B f). 6m.	λΒ. 12m.	n.
1 2 3	240.180 305.028 367.358 431.731 495.139	191.219 258.442	14.61 14.68 14.44	.579510	0.231516 .689401 1.056807 .411395 .800340	256.844 323.619 392.582 460.511	133.549 205.566	15.84 15.59	0.147474 .61£040 .996003 1.382805	.735120 1.126545	1 2
			17.			00% 000	00= 101	16.	0.49010	0101085	00
78 77 76	927.405 920.436 913.363 906.514 899.388	918.512 911.125 904.365		6.021790 5.666283 .358680 .082251 4.834262	[5.796825]	927.663 920.729 913.690 906.874 899.783 892.368	918.907 911.556 904.829 897.924	.187 .152 .178 .170 .155	5.688311 .380708 .104280	.214171 4.956801	79 78 77 76
73 72 71	891.937 884.087 875.264 865.108 854.501	882.525 874.413 864.879	.152 .130 .071 .019 .033	4.610871 .408771 .227914 .068652 3.925840	4.703248 .493370 .303584 .136185 3.988603	884.555 875.775 865.668 855.114 844.703	875.021 865.534 854.807	.122 .063 .011 .026 .023	0.249945 0.090685 0.0906874	.158218	73 72 71
68 67 66	844.041 833.487 822.740 811.686 800.287	833.178 822.561 811.682	.031 .026 .015 .000 .014	3.794194 .672794 .560561 .456721 .360493	.726898 .610872	834.202 823.505 812.506 801.162 789.445	823.421 812.595 801.422	.018 .007 .007 .022 .038	3.694836 .582608 .478774 .382554 .293229	.525566	68 67 66
63 62 61	788.513 776.346 763.791 750.844 737.517	776.908 764.549 751.796	.031 .047 .063 .079 .095	3.271157 .188098 .110712 .038479 2.970914	3.311803 .226054 .146195 .071702 .002071	777.338 764.843 751.958 738.697 725.064	765.691 752.999 739.923 726.476	.054 .071 .087 .102 .118	.132812 .060597 2.993054 .929755	.024211 2.959011	63 62 61 60
58 57 56	723.818 709.766 695.390 680.697 665.714	711.257 697.039 682.504	.110 .124 .137 .151 .162	2.907590 .848105 .792078 .739201 .689177	.875642 .818042 .763714	711.080 696.774 682.152 667.243 652.078	698.508 684.044 669.266	.131 .145 .158 .169 .179	2.870299 .814305 .761465 .711483 .664068		58 57 56
53 52 51 50	650.477 635.002 619.324 603.464 587.438	637.178 621.591 605.821 589.870	.172 .181 .189 .196 .203	2.641714 .596574 .553529 .512375 .472924	.617485 .573447 .531376 .491105	636.679 621.076 605.293 589.346 573.302	623.426 607.732 591.859 575.838		.575994 .534904 .495523 .457672	.513704 .475094	53 52 51 50
48 47 46 45	571.316 555.119 538.846 522.540 506.232	557.625 541.377 525.078 508.766	.211	.398440 .363112 .328882 .295629	.379221 .344421 .310647	540.988 524.762 508.534 492.333	543.601 527.381 511.148 494.924		.385967 .351838 .318694 .286421	.402076 .367377 .333712 .300970	48 47 46 45
44	489.954	492.463	.209 17.	1	$\frac{ 2.277787 }{11.2364.}$	476.189	±78.748	.213 16.	$\frac{ 2.254918}{\pi = 1}$	$\frac{ 2.269036 }{10.9953.}$	44

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

			94.	π —	481.198.			95.	π —	520.729.	
Policy Years.							1	00.		020.120.	Policy Years.
HAM	٧.	V.	1 m.d.	λ (Bf).	λB.	V.	V.	$\frac{1}{2}$ m.d.	λ (Bf).	λB.	H,
n.	6m.	12m.	2111.01	6m.	12m.	6m.	12m.	2111.4.	6m.	12m.	n.
0	275.945	70.691	17 11	0.166535	0.286615	$ _{301.923}$	83.117	18 23	0.187522	0.318064	0
1	349.910	147.932	16.83	.655087		380.323			.713515	.860972	1
2	422.768	216.406	17.20	1.076479	1.223936						
								14.			
			15.			928 144	926.099	.170	6.087566	6.235023	82
	927.909			6.065742		921.272	919.641	.136		5.862601	81
80	921.008	919.283	.144	5.710235		914.297	912.356	.162	.424456	.544536	80
	914.001		.170	5.402632			905.689	.154		5.257919	
	907.216 900.158		.162 $.147$.126203	$\frac{.236094}{4.978725}$	$\begin{vmatrix} 900.516 \\ 893.167 \end{vmatrix}$.139		000550 4.769027	
	892.778		.135	.654825	.747202		884.152	.106	.474551	.559150	
	885.002		.114	.452725	.537324	876.725		.048	.293698		
74	876.262	875.601	.055	4.271871	4.347541		866.750	.003		4.201973	
	866.202		.004	.112612	.180145	856.250		.011		.054397	
1	$855.696 \\ 845.334$.018	3.969804	032567 3.896357		845.832 835.489	.009	$\begin{array}{c} .859997 \\ .738609 \end{array}$	3.918190 1.792713	
	834.882		.010	.716772	.770876	824.929		.008	.626391		
	824.235		.000	3.604549		814.029		.022		3.569361	
	813.286		.015	.500722	.547514	802.786		.036	.426365		
	801.995		.029	.404510	.448116		791.806	.052	.337059		
	790.332		.040	.315195	.355841		779.998	.068	$\begin{array}{c} .254037 \\ .176694 \end{array}$.291993 .212177	
	778.281		.062	.232161	.270117		767.811	.085			1
	765.844		.078	$3.154805 \\ .082607$	3.190288		755.234 742.276	.100	0.104513	3.137736 .068166	
	753.019 739.820		.109	.015084	.046241		728.950	.131	2.973756		
	726.249		.125	2.951809		713.520	715.256	.145		2.941890	
60	712.330	713.989	.138	.892380	.919917	699.342	701.235	.158	.858419	.884383	
	698.090			2.836417	2.862381	684.854		.171		2.830162	
	683.536 668.696		.164	.783613 .733670	.808126 $.756874$	670.079 655.052		.182	.755744 .708415	.778948 .730422	
	653.602		.175 $.185$.686299	.708306	639.793		.201	.663424	.684335	
	638.275		.195	.641262		624.331		.209	.620545	.640463	
54	622.744	625.172	.202	2.598329		608.690		.216		2.598574	
53	607.033	609.550	.210	.557301	.576302	592.888	595.552	.222	.540322	.558503	
	591.161		.216	.517987	.536168	576.987 561.015	563 759	.224	.502614	.520036 .483037	
	575.190 559.146		.218	.480209 .443819	.460557	544.968	547.730	.230	.431233	.447342	
	543.027			2.408671				l.	2.397289	2.412828	49
	526.876		.225	.374637	.390176	512.806	515.571	.230	.364345	.379363	48
	510.723		.224	.341595	.356613	496.752	499.493	.228	.332289		
	494.598		.222	.309435		$\begin{vmatrix} 480.754 \\ 464.831 \end{vmatrix}$.226	.301020		
		481.164	.220	.278052		1					
44	$\frac{462.535}{-}$	465.127	.216	2.247362	2.261087	449.013	451.618	.217	2.240494	2.200864	44
			15.	$\pi = 1$	10.7660.			14.	$\pi =$	10.5480.	
						1					

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

										ER CEN	
Policy Years.			v = 9	6. $\pi =$	571.434.				1		Policy Years.
NA PA	V.	V.	$\frac{1}{2}$ m.d.	λ (B f).	λΒ.	V.	V.	$\frac{1}{2}$ m.d.	λ (B f).	λB.	A A
n.	6m.	12m.	2111.01.	6m.	12m.	6m.	12m.	2 m.u.	6m.	12m.	n.
0	325.898	80 369	20.46	0.224964	0.372421						
	320.000	00.002	20.10	0.224504	0.012421			12.			
			13.					12.			
0.0	020 9/18	000 410	1	0.100.)0=	0.050050	928.580			6.130933		
	928.367 921.525		.163			921.766 914.848		.122	5.775427	0.905969 0.587903	
	914.579		.154	.446185		908.150		.140	.191395		
80	907.854	906.090	.147	169757	.279648	901.180	899.686	.125	4.943407	.043917	80
	900.856		.132		5.022278			.113	4.720017		
	893.539 885.831		.120	0.698378 0.496281	4.790755	886.216		.092 $.034$.517921 $.337069$.602520 $.412739$	
	877.167		.033	.315428		867.654		.017	.177814	.245347	
	867.194		.010	.156172		857.283		.002	.035011	.097774	
	856.779				4.076131					3.961572	74
	846.507		.002		3.939926			.010	.781997	.836101	
	836.144 825.590		.004	.760348 .648135		826.220 815.410		.021	.669788		
	814.736		.029	.544319		804.261		.049	.469788		
69	803.542	804.054	.043	3.448122	3.491728	792.747	793.531	.065	3.380499	3.421145	69
68	791.981	792.690	.059	.358825	.399471	780.849	781.821	.081	.297498	.335454	68
	780.034		.075	.275813		768.569			.220181		
	767.705 754.991		.091	.198484	.233967	755.907 742.875		.113	.148029 $.080561$.181252	
	741.906		.122	3.058832		729.476			3.017349		
	728.453			2.995601	.024857	715.734			2.957993		
	714.654		.151		2.963759	701.674			.902114		
	700.537 686.110		.164	.880317 .827578	.906281 .852091	687.306 672.653			.849405		
	671.397					657. 750		.203	1		
	656.434		.188	.730419					.707414	2.774325 .728325	
57	641.240	643.722	.207	.685473	.706384	627. 284	629.925	.220	.664630	.684548	57
	625.843		.214	.642643		611.772		.227	.623764		
	610.269		.222	.601725		596. 101			.584630]	
	594.534 578.701		.228	2.562534 $.524891$	2.580715	580. 333 564. 493			$\begin{vmatrix} 2.547049 \\ .510872 \end{vmatrix}$	2.564471 .527610	
	562.797		.234							.527610	
51	546.817	549.649	.236	.453660	.469769	532.631	535.537	.242	.442178	.457717	51
	530.806			.419800					.409412	4	
	514.792				2.401965					2.392097	
	498.806 482.877		.234		.369540				$\begin{array}{ c c c c c }\hline .346487 \\ .316143 \end{array}$		
	467.021		.228		.307101			.229	.286428		
	451.269		.223	.263543	.276913	437.861	440.534		.257261		
44	435.648	438.254	.217	2.234250	2.247298	422.448	425.046	.216	2.228576	2.24132	44
			13.	$\vec{\pi} =$	10.3400.			12.	$\pi =$	10.1419.	
											-

GENERAL VALUATION OF ANNUAL PREMIUM POLICIES OF 1,000.

					-	11			T 1	ER CENT	
Policy Years.			11.					10.			Policy Years.
n.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (B f). 6m.	λΒ. 12m.	V. 6m.	V. 12m.	$\frac{1}{2}$ m.d.	λ (Bf). 6m.	λΒ. 12m.	n.
	000 1100	020.005	7.40	0150405	0.000040	928.975		.142	6.173956		
84		920.616	.149	5.796979	5.927521	922.212 915.346 908.699	913.740	.109 .134 .127	5.818449 5.510846 .234418	5.630926	84
82 81	915.103 908.431 901.488 894.230	906.833 900.074	.140 .133 .118 .107	.489376 $.212948$ 4.964959 $.241571$.322839 .065469	901.783 894.551 886.932	900.445 893.346	.127 .111 .100 .079	4.986431	086941 4.855419	82 81
79	886.583 877.987	885.557	.086	4.539474 .358623	4.624073 .434293	878.368 868.511	878.108 868.855	.022	4.380096 .220843	4.455766 .288376	79 78
76	868.093 857.761 847.570	857.866	.023 .009 .011	0.199370 0.056569 0.924939		858.217 848.064 837.822	848.267	.015 .017 .022	.078044 3.946416 .825041		76
73	837.289 826.819 816.051	837.141	.016 .027 .041	3.803560 .691355 .587550	3.857664 .741666 .634342	827.389 816.662 805.598	817.223	.033 .047 .061	3.712840 .609040 .512862		73
71 70	804.945 793.476	805.605 794.331	.055 .071	.491366 .402085	.534972 .442731	794.170 782.362	795.094 783.472	.077	.423588 .340606	.464234 .378562	71 70
68	781.623 769.392 756.778	770.627	.087 .103 .119	3.319093 .241788 .169651	.277271 .202874	770.175 757.610 744.675	759.099 746.346	.109 .124 .139	.191188 .123751	.154908	68 67
65	743.796 730.450	732.237	.134	.102199	.133356	731.379	719.753		.060576		65
63	716.761 702.756 688.443	704.859	.162 .175 .188	.871137	2.949782 .895650	703.787 689.527 674.985	691.846 677.434	.204	.892777 .843004	.917290 .866208	63 62
60	673.848 659.002	661.508	.199	.821333	.844537 .796124	$\begin{array}{c} 660.196 \\ 645.177 \\ 629.959 \end{array}$	647.854	1	.795822		60
58 57	643.928 628.654 613.203	631.359 615.995	.225 .233	2.729253 .686513 .645696	.706431 .664697	614.566 599.013	617.419 601.939	.238 .244	.667526 .628495	.686527 .646676	58 57
55	597.591 581.885	584.773	.239	.569092	.586514	583.365 567.644 551.849	570.642	.246 .250 .252	.591028 .554976 2.520197		55
53 52	566.106 550.252 534.369	553.214 537.337	.245 .247 .247	.498136 .464430	2.549718 .514245 .479969	536.024 520.196	539.053 523.221	.252	.486563 .453956 .422264	.502102 .468974	53 52
50	518.481 502.623 486.818	505.563	.247	.431745 .399970		504.396 488.650 472.979	491.620	.248	.391388		50
48 47	471.089 455.462	473.955 458.269	.239 .234	.338763 .309158	.352488 .322528	457.410	460.278 444.769	.239 .233 .227	.331743 .302806 .274370	.345113 .315854	48 47
45	439.965 424.611 409.424		.228	.280110 .251553 2.223421		411.542	414.176	.219	.246367 2.218737	.258849	45
		111.000	11.		9.9535.			10.	$\pi =$	9.7739.	

TABLE LXIV.

VALUE OF f' AND LOG f FOR EVERY YEAR AND MONTH OF AGE.

·	1		1	1	1			
Year	h = 0m.	$\frac{1}{2}$ m.	$1\frac{1}{2}$ m.	$2\frac{1}{2}$ m.	$3\frac{1}{2}$ m.	$\frac{4\frac{1}{2}m}{}$.	$5\frac{1}{2}$ m.	Year
of Age.		* Dec.	Nov.	Oct.	Sept.	Aug.	July.	of Age.
x+n.	f' = .961538	.963141	.966346	.969551	.972756	.975962	.979167	x+n.
10	Log f. 1.980143 .980134 .980128 .980118 .980105	1.980989	1.982675	1.984355	Ī.986029	1.987696	1.989357	10
11		.980980	.982668	.984348	.986022	.987691	.989352	11
12		.980974	.982662	.984344	.986019	.987687	.989349	12
13		.980965	.982654	.984336	.986011	.987681	.989344	13
14		.980953	.982642	.984326	.986002	.987673	.989337	14
15	1.980094	1.980942	ī.982633	Ī.984317	Ī.985994	7.987666	7.989331	15
16	.980084	.980932	.982624	.984309	.985988	.987660	.989325	16
17	.980070	.980919	.982612	.984298	.985978	.987651	.989318	17
18	.980055	.980904	.982599	.984286	.985968	.987642	.989310	18
19	.980039	.980889	.982585	.984274	.985956	.987633	.989302	19
20	T.980020	1.980871	7.982568	1.984259 .984244 .984226 .984208 .984187	7.985943	7.987621	7.989292	20
21	.980000	.980852	.982551		.985929	.987608	.989281	21
22	.979978	.980831	.982532		.985914	.987595	.989269	22
23	.979955	.980809	.982512		.985898	.987580	.989257	23
24	.979928	.980783	.982488		.985879	.987564	.989243	24
25	T.979901	1.980758	1.982465	ī.984166	1.985860	7.987548	1.989229	25
26	.979866	.980724	.982434	.984138	.985835	.987526	.989210	26
27	.979833	.980692	.982406	.984112	.985813	.987505	.989193	27
28	.979795	.980656	.982373	.984083	.985786	.987483	.989173	28
29	.979748	.980611	.982332	.984045	.985753	.987454	.989148	29
30	7.979704	1.980569	1.982294	1.984011	1.985722	1.987426	Ī.989124	30
31	.979652	.980519	.982249	.983970	.985686	.987395	.989097	31
32	.979598	.980468	.982201	.983928	.985648	.987361	.989068	32
33	.979535	.980407	.982147	.983879	.985604	.987323	.989035	33
34	.979466	.980341	.982087	.983825	.985556	.987280	.988998	34
35	7.979386	7.980265	Ī.982017	1.983762	1.985500	1.987232	T.988956	35
36	.979307	.980189	.981948	.983700	.985445	.987182	.988914	36
37	.979220	.980106	.981873	.983632	.985384	.987130	.988868	37
38	.979117	.980008	.981783	.983551	.985312	.987066	.988813	38
39	.979006	.979901	.981686	.983464	.985235	.986998	.988754	39
40	T.978883	1.979784	1.981580	1.983368	1.985149	1.986923	1.988689	40
41	.978757	.979663	.981470	.983269	.985061	.986845	.988622	41
42	.978602	.979515	.981335	.983148	.984953	.986750	.988540	42
43	.978448	.979368	.981201	.983027	.984845	.986656	.988459	43
44	.978268	.979196	.981045	.982886	.984720	.986545	.988364	44
45	T. 978073	1.979009	7.980876	1.982733	ī.984583	1.986426	7.988260	45
46	.977861	.978807	.980691	.982567	.984435	.986296	.988149	46
47	.977624	.978580	.980485	.982382	.984271	.986151	.988023	47
48	.977365	.978332	.980260	.982179	.984090	.985992	.987886	48
49	.977082	.978062	.980013	.981957	.983892	.985819	.987736	49
50	7.976767	I.977760	1.979740	Ī.981711	7.983673	7.985626	7.987570	50
51	.976422	.977430	.979440	.981441	.983432	.985414	.987388	51
52	.976044	.977069	.979112	.981145	.983169	.985183	.987188	52
53	.975630	.976673	.978752	.980821	.982881	.984930	.986970	53

^{*} Months of Entry for Annual Valuation Dec. 31. x+n+h= Present Age in Years and Fraction; $f'=h+(1-h)v; f=h+(1-h)vp_{x+n-1}$.

TABLE LXIV.

VALUE OF f' AND LOG f FOR EVERY YEAR AND MONTH OF AGE.

							_	
Year	6m.	$6\frac{1}{2}$ m.	$7\frac{1}{2}$ m.	$8\frac{1}{2}$ m.	$9\frac{1}{2}$ m.	$10\frac{1}{2}$ m.	$11\frac{1}{2}$ m.	Year
of Age.		June.	May.	April.	March.	Feb.	Jan.	of Age.
x+n.	f' = .980769	.982372	.985577	.988782	.991987	.995192	.998397	x+n.
	$\operatorname{Log} f$.							
10	1.990185	Ī.991011	1.992660	$\bar{1}.994302$	$\bar{1}.995937$	1.997567	1.999190	10
11	.990180	.991007	.992656	.994300	.995936	.997566	.999190	11
12 13	.990178	.991004	.992654 $.992651$.994298	.995934 $.995932$.997565 $.997564$.999190	12 13
14	.990173	.990995	.992646	.994291	.995930	.997562	.999189	14
15	$\bar{1}.990161$	$\bar{1}.990990$	T.992642	Ī.994288	$\bar{1}.995928$	$\bar{1}.997561$	1.999188	15
16	.990156	.990985	.992638	.994285	.995926	.997560	.999188	16
17	.990149	.990979	.992633	.994281	.995923	.997558	.999187	17
18	.990142	.990972	.992628	.994277	.995919	.997556 $.997555$.999187	18 19
19	.990135	.990965						
20	1.990125	$\overline{1.990957}$ $.990948$	$\bar{1}.992614$ $.992608$	$\overline{1.994267}$ $.994261$	$\overline{1.995912}$ $.995908$	1.997552 .997550	$\overline{1.999185}$ $.999185$	20 21
21 22	.990115 .990104	.990948	.992600	.994255	.995904	.997547	.999184	22
23	.990093	.990928	.992591	.994249	.995900	.997545	.999183	23
24	.990080	.990916	.992581	.994241	.995894	.997541	.999182	24
25	1.990067	$\overline{1}.990903$	1.992571	$\overline{1}.994234$	1.995889	Ī.997538	1.999181	25
26	.990050	.990888	.992559	.994224	.995882	.997534	.999179	26 27
27 28	.990033 $.990015$.990873 $.990856$.992547 $.992533$.994204	.995868	.997525	.999176	28
29	.989992	.990835	.992516	.994191	.995858	.997519	.999175	29
30	$\bar{1}.989971$	ī.990815	1.992499	$\bar{1}.994178$	$ \bar{1}.995849 $	T.997514	$\overline{1.999173}$	30
31	.989945	.990792	.992481	.994163	.995839	.997508	.999171	31
32	.989919	.990768	.992461	.994148	.995828	.997501	.999169	32 33
33 34	.989888	.990740	.992439	.994130	.995815	.997494	.999163	34
		ī.990673	ī.992384	ī.994088	$\overline{1}.995785$	1.997476	1.999160	35
35 36	$\overline{1.989816}$ $.989777$.990638	.992355	.994065	.995769	.997466	.999157	36
37	.989735	.990599	.992324	.994041	.995752	.997456	.999154	37
38	.989684	.990553	.992286	.994012	.995732	.997444	.999150	38
39	.989630	.990504	.992246	.993981	.995709	.997431	.999146	39
40	1.989570	$\overline{1.990449}$	$\bar{1}.992201$	Ī.993946	1.995684	1.997416	$\overline{1.999140}$ $.999135$	40 41
41	.989509	.990392	.992155	.993911	.995660 $.995628$.997401	.999135	41
42 43	.989433 ·989358	.990323	.992099	.993824	.995597	.997364	.999123	43
44	.989270	.990175	.991977	.993773	.995562	.997343	.999116	44
45	1.989175	ī.990088	$\bar{1}.991907$	1.993718	1.995522	$\bar{1}.997319$	1.999108	45
46	.989071	.989993	.991829	.993659	.995480	.997293	.999099	46 47
47	.988956	.989887	.991743	.993592	.995432	.997265 .997234	.999080	48
48 49	.988830 .988692	.989772 .989646	.991649 .991547	.993440	.995324	.997200	.999069	49
			ī.991433	1.993351	T.995261	$\bar{1}.997164$	$\bar{1}.999057$	50
50 51	$\overline{1.988539}$ $.988371$	$\overline{1.989506}$ $.989352$	1.991433	.993254	.995192	.997122	.999042	51
52	.988187	.989332	.991170	.993149	.995117	.997077	.999028	52
53	.987986	.989000	.991021	.993032	.995035	.997028	.999012	53
		la la						

TABLE LXIV.

VALUE OF f' AND LOG f FOR EVERY YEAR AND MONTH OF AGE.

Year	h=0m.	$\frac{1}{2}$ m.	1½m.	$2\frac{1}{2}$ m.	$3\frac{1}{2}$ m.	$4\frac{1}{2}$ m.	$5\frac{1}{2}$ m.	Year
of Age.		* Dec.	Nov.	Oct.	Sept.	Aug.	July.	of Age,
x+n.	f' = .961538	.963141	.966346	.969551	.972756	.975962	.979167	x+n.
	$\operatorname{Log} f$.	T 0W2020	= ONOOPN	T 000 405	T 000 × 00	T 00 4 a F 4	T 0000000	
54	1.975175	1.976238	1.978357	1.980465	1.982563	1.984651	1.986729	54
55 56	$ar{1}.974667 \\ .974117$	1.975752 $.975227$	1.977916 $.977438$	$\overline{1.980068}$ $.979638$	$\overline{1}.982210$ $.981827$	1.984341	$\overline{1.986462}$ $.986172$	55 56
57	.973500	.974637	.976903	.979156	.981397	.983628	.985847	57
58 59	.972835 $.972102$.974001	.976325	.978636	.980935 $.980426$.983222	.985497 .985111	58 59
60	T.971290	1.972525	1.974984	Ī.977430	ī.979861	1.982280	ī.984685	60
61	.970397	.971672	.974210	.976733	.979242	.981736	.984216	61
62 63	.969425 .968344	.970743 $.969710$.973367	.975975	.978568	.981144	.983706 .983140	62 63
64	.967161	.968580	.971404	.974210	.976998	.979768	.982521	64
65	1.965853	1.967331	1.970271	1.973192	1.976093	1.978974	T.981838	65
66 67	.964427	.965969 $.964456$.969036 $.967664$.972082 .970850	.975107 $.974012$.978110	.981093 .980268	66
68	.961128	.962819	.966181	.969518	.972829	.976116	.979377	68
69	.959205	.960983	.964519	.968026	.971504	.974956	.978379	69
70 71	$\overline{1.957120}$ $.954811$	$\overline{1.958994}$ $.956791$	Ī.962718 .960724	1.966409 $.964621$	$\bar{1}.970070$ $.968484$	1.973700 $.972312$	1.977300 $.976108$	70 71
72	.952281	.954378	.958541	.962664	.966749	.970796	.974805	72
73 74	.949508 $.946420$.951734	.956150 $.953490$.960522 $.958140$.964851 $.962742$.969137 $.967295$	973381 .971800	73 74
75	1.943060	Ī.945588	ī.950599	Ī. 955554	1.960453	1.965297	1.970086	75
76	.939374	.942077	.947432	.952722	.957947	.963111	.968215	76
77 78	.935277	.938175	.943915 .940078	.949579	.955171	.960692 $.958059$.966143	77
79	.925875	.929230	.935863	.942396	.948832	.955174	.961425	79
80	1.920451	1.924073	1.931229	1.938268	Ī.945195	1.952013	1.958726	80
81 82	.914509 $.907916$.918428 $.912169$.926162 $.920552$.933761	.941228	.948569	.955790 $.952554$	81 82
83	.900757	.905378	.914475	.923386	.932117	.940677	.949070	83
84	.892777 1.884080	.897815 1.889581	.907720	.917403 7.910913	.926875	.936145	.945221	84
85 86	1.884080 $.874593$.889581	$\overline{1}.900378$ $.892397$	$\begin{bmatrix} 1.910913 \\ .903873 \end{bmatrix}$	$\overline{1}.921200$ $.915054$	1.931247 $.925954$	1.941068 $.936587$	85 86
87	.863845	.870458	.883388	.895945	.908148	.920018	.931573	87
88 89	.852462 $.832633$.859722 .841059	.873887 .857435	.887604 $.873216$.900902	.913804	.926334 .917386	88
90	Ī.810236	1.820041	1 .839009	T.857185	1.874629	Ī.891400	1.907548	90
91 92	.790136	.801236	.822619	.842998	.862464	.881095	.898959	91
93	.768484 .742635	.781043	.805122 .784456	.827936 .810256	.849610 $.834607$.870255 .857666	.889961 .879562	92 93
94	.713385	.729978	.761375	.790655	.818085	.843885	.868237	94
95	Ī.681936	Ī.701052	1.736932	1.770072	1.800862	1.829612	1.856578	95
96	.627579 $.585026$.651472	.695641 $.664207$.735731	.772430 .751358	.806268 .789146	.837660	96 97
98	.505846	.542608	.607936	.664711	.714914	.759910	.800679	98
		W 36 (1	4.77	er Annual V	1 0 0	0.4		,

^{*} Months of Entry for Annual Valuation Dec. 31.

TABLE LXIV.

VALUE OF f' AND LOG f FOR EVERY YEAR AND MONTH OF AGE.

Year	6m.	$6\frac{1}{2}$ m.	$7\frac{1}{2}$ m.	$8\frac{1}{2}$ m.	$9\frac{1}{2}$ m.	$10\frac{1}{2}$ m.	$11\frac{1}{2}$ m.	Year
of Age.		June.	May.	April.	March.	Feb.	Jan.	of Age.
x+n.	f' = .980769	.982372	.985577	.988782	.991987	.995192	.998397	x+n.
	$\operatorname{Log} f$.							
54	$\overline{1.987765}$	1.988798	1.990856	1.992905	1.994944	1.996973	Ī.998994	54
55 56	$\overline{1.987518}$ $.987252$	$\overline{1.988572}$ $.988328$	1.990673 .990474	$ar{1.992763} \\ .992609$	$\bar{1}.994843$ $.994734$	$\overline{1.996913}$ $.996848$	$\bar{1}.998974$ $.998952$	55 56
57	.986952	.988055	.990251	.992437	.994611	.996774	.998928	57
58 59	.986630 $.986275$.987760	.990011	.992251	.994479	.996696	.998901	58 59
60	$\overline{1.985882}$	$\frac{.987433}{1.987076}$	1.989455	$\overline{1.991821}$	$\bar{1}.994173$	$\bar{1}.996514$	ī.998841	60
61	.985451	.986682	.989134	.991573	.993997	.996408	.998806	61
62 63	.984982 .984461	.986253	.988785	.991302	.993805	.996294	.998768	62 63
64	.983891	.985256	.987974	.990676	.993360	.996028	.998680	64
65	$\overline{1}.983262$	1.984682	1.987507	1.990315	1.993104	1.995875	1.998630	65 66
66	.982578 $.981819$.984057	.986999	.989922	.992825	.995710	.998574	67
68	.980999	.982614	.985827	.989017	.992184	.995327	.998448	68
69	.980082	.981777	.985147	.988492	.991812	.995105	.998375	69
70 71	$\overline{1.979089}$ $.977993$	1.980871 $.979870$	$\overline{1.984412}$ $.983600$	1.987924 $.987299$	Ī.991409 .990966	1.994866 .994602	1.998295 .998208	70 71
72	.976796	.978777	.982714	.986615	.990482	.994314	.998113	72
73	.975487 $.974036$.977584 $.976260$.981746	.985870 $.985044$.989954 $.989370$.994000	.998009 $.997894$	73 74
74	$\overline{1.972463}$	$\overline{1.974825}$	$\bar{1}.979512$	1.984149	1.988737	1.993277	1.997771	75
76	.970744	.973259	.978245	.983174	.988048	.992869	.997636	76
77	.968843 .966777	.971526 $.969645$.976844	.982098	.987288	.992418	.997487 $.997326$	78
78 79	.964517	.967587	.973663	.979656	.985566	.991397	.997151	79
80	1.962044	$\overline{1}.965337$	1.971849	1.978264	1.984586	1.990817	1.996961	80
81	.959354 $.956394$.962891 .960200	.969878	.976755	.983524	.990190	.996754 $.996529$	81 82
82	.953208	.957305	.965386	.973320	.981112	.988766	.996287	83
84	.949689	.954111	.962824	.971365	.979741	.987958	.996023	84
85	1.945896	1.950671	1.960067 .957103	$\overline{1.969264}$ $.967008$	$\overline{1.978270}$ $.976693$	1.987093 .986167	$\overline{1.995740}$ $.995438$	85 86
86	.941807 .937237	.946966 $.942827$.953798	.964498	.974941	.985139	.995103	87
88	.932467	.938513	.950360	.961892	.973125 .970056	.984076	.994757 $.994174$	88
89	.924330	.931164	$.944518$ $\overline{1}.938145$	1.952672	$\overline{1.966729}$	1.980344	1.993546	90
90 91	$\overline{1.915401}$ $.907623$	$\overline{1.923115}$ $.916118$.932624	.948525	.963865	.978682	.993009	91
92	.899490	.908813	.926880	.944226	.960905 .957536	.976968	.992457	92
93 94	.890109 .879920	.900407	.920297 .913193	.939316	.953929	.972948	.991168	94
95	7.869458	1.881965	ī.905951	T.928681	T.950280	1.970856	1.990501	95
96	.852543	.866934	.894359	.920155	.944504	.967560 $.965238$.989454	96 97
97 98	.840299 .819713	.856093	.886056	.914085 $.904075$.940414	.963256 .961452	.987527	98
90	.019710	,0010±1	.0.2200		l	1	1	1

JOINT LIVES MALE. CORRECTION TO BE ADDED TO THE YOUNGEST AGE FOR REDUCING TWO LIVES x, y, AND ALSO THREE LIVES x, y, z TO THE CASE OF TWO EQUAL AGES.

Y.M. denote Years and Months. For Two Lives, the Correction is given in the Second Column only. For Three Lives, if x be the Youngest Age, enter the Table jointly with y-x, z-x to find the Correction of the $Age\ x$, to give u, that is, one of the two Equal Ages. With u, which increases uniformly with the age, proceed as before explained on Pages 258, 259.

Diff. Ages.	T	.wo							Di	fferen	ce o	of Yea	rs o	Age	s 2	x.							Diff. Ages.
y-x	Li	ves.		0		1	:	2		3	1	4		5		6		7		8		9	y-x
Yr.	Y.	м.	Y.	м.	Y.	м.	Υ.	м.	Υ.	м.	Υ.	М.	Y.	М.	Y.	м.	Y.	м.	Y.	М.	Y.	м.	Yr.
0	0	$0.0 \\ 6.1$	44	$\frac{3.2}{7.2}$	$\begin{array}{ c c } 4 \\ 4 \end{array}$	7.2 11.3	4 5	$\frac{11.7}{3.6}$	5 5	4.3 8.0	5 6	9.2 0.8	6	2.4 5.9		7.9 11.3	7	1.8 4.9	7	7.8 10.8	1	2.2 5.0	0
2	1	0.6		11.7	5	3.6	5	7.7	6	0.1	6	4.7	6	9.6	7	2.8	7	8.3	8	2.0	8	8.0	2
3 4	$\frac{1}{2}$	7.3 2.3	5 5	4.3 9.2	5	8.0	$\frac{6}{6}$	$0.1 \\ 4.7$	6	4.3 8.8	6 7	8.8 1.1	7	1.6 5.7		6.6 10.6		11.9 3.7		5.5 9.1	8	11.3 2.9	
5	2	9.5	6	2.4	6	5.9	6	9.6	7	1.6	7	5.7		10.1	8	2.8	8	7.8	9	1.1		6.7	5
6	3 4	5.0	6 7	7.9 1.8	6	11.3 4.9	7	2.8 8.3	7	$\begin{array}{c} 6.6 \\ 11.9 \end{array}$	7 8	$\frac{10.6}{3.7}$	8	2.8 7.8		$7.3 \\ 0.2$		0.2 4.8		5.3 9.7	9	$10.7 \\ 2.9$	6
8	4	8.9	7	7.8	17	10.8	8	2.0	8	5.5	8	9.1	9	1.1	9	5.3	9	9.7	10	2.4	10	7.4	8
9	$\begin{bmatrix} 5 \\ 6 \end{bmatrix}$	5.2 1.8	8 8	2.2 8.8	8	5.0 11.5	8 9	8.0 2.5	9	11.3 5.6	9	2.9 9.0	$\frac{9}{10}$	6.7 0.5		10.7 4.3		2.9 8.4		7.4		0.2	9
11	6	10.6	9	3.7	9	6.3	9	9.1	10	0.0	10	3.2	10	6.6	10	10.3	11	2.2	11	6.4	11	10.8	11
12 13	8	7.6 4.7		10.8 6.4		1.3 8.6		$\frac{4.0}{11.0}$		6.8 1.7		9.8 4.6	11 11	1.1 7.7		4.5 11.0		8.3 2.4		$0.2 \\ 6.2$		$\frac{4.4}{10.3}$	12 13
14	9	2.0		2.0		4.2		6.5				11.8		2.7	1	5.8		9.1		0.7			14
15 16	10	11.6 9.5		10.0 6.2		0.0 8.2		2.2 10.3		4.6 0.5		$7.1 \\ 2.9$	12 13	9.8 5.5		0.8 8.3		$\frac{4.0}{11.2}$		$7.4 \\ 2.4$		11.0 5.8	15 16
17	11	7.3	13	2.6	13	4.4	13	6.4	13	8.5	13	10.7	14	1.1	14	3.7	14	6.6	14	9.6	15	0.8 8.3	17
18 19	12 13	3.7		11.5 8.4		$\frac{1.2}{9.9}$		3.0 11.6		4.9 1.4		7.0 3.4	14 15	5.5	14 15	11.7 7.8		2.5 10.3		5.3 1.0		3.9	
20	14	2.0		5.5		7.0				10.2		0.0	16	2.0		4.2		6.5				11.8	20
21 22	15 15	$0.6 \\ 11.2$		$2.9 \\ 0.4$		4.2 1.6		$\frac{5.6}{2.9}$		7.2		8.9 6.0	17	10.8 7.7		$0.8 \\ 9.6$		$\begin{array}{c} 3.0 \\ 11.6 \end{array}$		5.4 1.8		8.0 4.1	21 22
23 24	16 17	10.0 8.8		10.1 7.9				$\begin{array}{c} 0.5 \\ 10.2 \end{array}$		1.9		3.4 0.8		5.0 2.3		6.7 4.0		8.6 5.7		10.7 7.6		$0.8 \\ 9.7$	23 24
25	18	7.7		6.0		7.0		8.0						11.8		1.3		3.0		4.8		6.7	25
26		6.7	20	4.2	20	5.1	20	6.1	20	7.2 5.3	20	8.4	$\begin{array}{c} 20 \\ 21 \end{array}$		20	11.0	21	0.5		2.2 11.8	21	4.0	
28	21	5.9 5.0		$2.5 \\ 1.1$		$\frac{3.4}{1.8}$		$\frac{4.3}{2.6}$	22	3.6		6.4 4.6	~ ~	5.6	22	6.8		8.1	22	9.5	22	11.0	28
	22	4.3		11.6		0.3		1.1		2.0		2.9	23	3.9	1	5.0		6.1		7.4		8.8	
31	23 24	$\frac{3.6}{3.0}$		10.3 9.1		$10.9 \\ 9.7$		$11.6 \\ 10.4$		$0.5 \\ 11.1$		1.3 11.9	24 25	2.2 0.8		3.2 1.7	25	4.3 2.7		5.5 3.8		6.8 5.1	
	$\frac{25}{26}$	2.4 1.9		8.0 7.1		8.5 7.6	25	9.1 8.2	25		25	$\frac{10.6}{9.4}$		$\frac{11.4}{10.1}$		$0.2 \\ 10.9$		1.2 11.8		2.2		3.2 1.8	
	27	1.4		6.1		6.6		7.1		7.7		8.3		9.0						11.3		0.3	
35 36	28	1.0		5.3		5.7 4.9		6.1		6.7	28	7.2 6.2	28 29	7.8 6.8		8.5						10.8 9.7	
37	30	0.2	30	$\frac{4.6}{3.8}$	30	4.2	30	5.3 4.6	30	5.7 5.0	30	5.4	30	5.9	30	6.5	30	7.1	30	7.8	30	8.6	37
		$\frac{11.9}{11.5}$		$\frac{3.1}{2.5}$		$\frac{3.4}{2.9}$		3.8 3.1	31 32	4.3 3.4	31 32	4.7 3.8		5.1 4.3		5.6 4.8		6.2 5.3		6.8 5.9		7.5 6.5	
		11.3		2.0		2.3		2.6		2.8		3.2	33	3.6		4.1		4.5		5.0		5.5	40
41	33	11.0 10.8	34		34	1.8 1.4	34	$\frac{2.0}{1.6}$	34	2.3 1.8	34	$\frac{2.6}{2.0}$		3.0 2.4		3.4 2.8		3.8 3.2		4.3 3.6		4.8 4.1	
43	35	10.6	36	0.6	36	0.9	36	1.1	36	1.3	36	1.6	36	1.9	36	.2.2	36	2.5	36	2.9	36	3.3	43
44	36	10.4		$\frac{0.4}{2}$		0.5	_		-	0.9		1.2	_	1.5	_	1.8		7.1		2.4		2.8	44
				0		1		2		3	- 4	4	-	5		6			- 2	3	6)	

q = 1.099713375; $2q^c = 1 + q^{y-x}$. For Three Lives, $2q^{c'} = 1 + q^{y-x} + q^{z-x}$; vs = v'.

JOINT LIVES MALE. CORRECTION TO BE ADDED TO THE YOUNGEST AGE FOR REDUCING TWO LIVES x, y, AND ALSO THREE LIVES x, y, z TO THE CASE OF TWO EQUAL AGES.

Diff.				Differen	ce of Yea	rs or Age	s z — x.				Diff Ages.
y-x.	10	12	14	16	18	20	25	30	35	40	<i>y</i> — <i>x</i> .
Years. 0 1 2 3 4	Y. M. 8 8.8 8 11.5 9 2.5 9 5.6 9 9.0	$\begin{bmatrix} 10 & 1.3 \\ 10 & 4.0 \\ 10 & 6.8 \end{bmatrix}$	11 4.2 11 6.5	12 8.2 12 10.3 13 0.5	14 3.0 14 4.9	15 8.5 15 10.2	19 7.0 19 8.0		28 5.7 28 6.1 28 6.7	33 2.3 33 2.6 33 2.8	Years. 0 1 2 3 4
5 6 7 8 9		11 4.5 11 8.3 12 0.2 12 4.4	12 5.8 12 9.1 13 0.7 13 4.5	13 8.3 13 11.2 14 2.4 14 5.8	14 11.7 15 2.5 15 5.3 15 8.3	16 4.2 16 6.5 16 9.0 16 11.8	20 3.0 20 4.8 20 6.7	24 3.2 24 4.3 24 5.5 24 6.8	28 8.5 28 9.2 28 10.0 28 10.8	33 4.1 33 4.5 33 5.0 33 5.5	5 6 7 8 9
10 11 12 13 14	12 9.0 13 2.6 13 8.6	13 1.7 13 6.7 14 0.0 14 5.6	14 1.1 14 5.6 14 10.4 15 3.6	15 1.4 15 5.6 15 10.1 16 2.8	16 6.8 16 10.8 17 3.0	17 5.9 17 9.2 18 0.7 18 4.5	20 11.2 21 1.5 21 4.1 21 6.8	24 9.8 24 11.5 25 1.3 25 3.3	29 2.0 29 3.1 29 4.5	33 7.0 33 7.7 33 8.4	10 11 12 13 14
15 16 17 18 19	$\begin{vmatrix} 14 & 9.6 \\ 15 & 4.3 \\ 15 & 11.5 \\ 16 & 7.0 \end{vmatrix}$	17 1.9	16 2.8 16 8.8 17 3.0 17 9.7	17 1.1 17 6.6 18 0.5 18 6.6	18 0.5 18 5.5 18 10.9 19 4.6		22 1.2 22 4.7 22 8.3 23 0.4	25 7.8 25 10.2 26 1.0 26 3.8	29 7.6 29 9.2 29 11.2 30 1.2	33 11.3 34 0.4 34 1.8 34 3.1	16 17 18 19 20
20 21 22 23 24	17 2.7 17 10.7 18 6.7 19 3.2 19 11.9	18 4.7 19 0.5 19 8.6 20 4.9	18 11.8 19 7.1 20 2.8 20 10.7	19 7.7 20 2.6 20 10.0 21 5.4	20 11.2 21 6.0 22 1.0	21 2.8 21 8.8 22 3.1 22 9.6	$\begin{array}{ccc} 23 & 9.0 \\ 24 & 1.7 \\ 24 & 6.8 \\ 25 & 0.1 \end{array}$	26 10.3 27 1.8 27 5.6 27 9.6	30 5.6 30 8.2 30 10.9 31 1.8	34 6.1 34 7.8 34 9.7 34 11.8	21 22 23 24 25
25 26 27 28 29	20 8.8 21 5.9 22 3.2 23 0.7 23 10.4	21 10.2 22 7.3 23 4.4	22 3.4 23 0.0 23 8.9 24 6.0	22 9.2 23 5.5 24 2.0 24 10.8	23 4.0 23 11.9 24 7.9 25 4.3		25 11.5 26 5.8 27 0.2 27 7.0	28 6.5 28 11.4 29 4.4 29 10.0	31 8.4 32 0.0 32 3.8 32 8.0	35 4.3 35 7.0 35 9.6 36 0.6	26 27 28 29
30 31 32 33 34	24 8.3 25 6.4 26 4.4 27 2.9 28 1.3	26 7.2 27 5.4	26 0.8 26 10.4 27 8.4	26 4.9 27 2.3 27 11.9 28 9.7	26 9.7 27 6.8 28 4.1 29 1.6	28 8.9 29 6.0	28 9.2 29 4.8 30 0.6 30 8.8	30 9.6 31 3.8 31 10.4 32 5.2	33 4.9 33 9.8 34 3.0 34 8.5	36 7.2 36 10.8 37 2.8 37 7.0	31 32 33 34
35 36 37 38 39	31 8.2	$ \begin{array}{r} 30 & 0.5 \\ 30 & 11.2 \\ 31 & 9.8 \end{array} $		$ \begin{array}{ccc} 30 & 5.6 \\ 31 & 3.8 \\ 32 & 2.2 \end{array} $	31 7.0 32 5.0 33 3.2	31 0.8 31 10.4 32 8.3 33 6.2	32 1.6 32 10.3 33 7.3 34 4.4	33 7.7 34 3.4 34 11.2 35 7.3	35 8.3 36 2.6 36 9.2 37 4.1	38 4.0 38 8.9 39 2.0 39 7.6	35 36 37 38 39
40 41 42 43 44	34 5.4 35 4.6 36 3.8		34 8.2 35 7.2 36 6.2	36 7.8 37 6.8	$\begin{array}{ccc} 35 & 0.2 \\ 35 & 10.8 \\ 36 & 9.6 \\ 37 & 8.5 \end{array}$	35 2.8 36 1.2 36 11.8 37 10.6	$ \begin{array}{cccc} 35 & 11.5 \\ 36 & 9.2 \\ 37 & 7.2 \\ \underline{38} & 5.4 \end{array} $	37 0.4 37 9.2 38 6.2 39 3.6	$\begin{array}{ccc} 39 & 2.4 \\ 39 & 10.3 \\ 40 & 6.6 \end{array}$	40 7.4 41 1.8 41 8.4 42 3.4	40 41 42 43 44
	10	12	14	16	18	20	25	30	35	40	

COMMUTATION COLUMNS FOR TWO EQUAL AGES. MALE LIFE.

Equal Ages.	D_{xx}	N_{xx} .	$\lambda \mathrm{D}_{xx}.$	λN_{xx} .	Equal Ages.	D_{xx} .	N_{xx}	λD_{xx} .	λN_{xx} .
-		0 100 N00 N			-	14 622 8	100 000 %	1.005000	
10 11		2,123,700.7 2,023,700.7		6.327093		11,622.5 $10,860.8$	120,383.7 108,761.2	$4.065300 \\ .035862$	036474
12	91,836.2	1,927,867.1	.963014			10,123.4	97,900.4		4.990785
13	88,003.5	1,836,030.9	.944500		58	9,409.27		3.973556	.943381
14	84,326.7	1,748,027.4	.925965	.242548	59	8,718.77	78,367.70	.940455	.894137
15		1,663,700.7			60	8,051.71			
16 17		1,582,901.9 1,505,487.6	.888821 .870221	.199454 $.177677$	61 62	7,407.95 6,787.68		.869698 .831721	.789562 .733913
18		1,431,318.8	.851589	.155737	63	6,191.56			.675793
19		1,360,264.7	.832927	.133624	64	5,619.78	41,210.03		.615003
20		1,292,199.2			65	5,073.05	35,590.25		
21		1,227,000.9	.795506		66	4,552.02	30,517.20		.484545
22 23		1,164,554.7 1,104,750.2	.776734 $.757921$.066160 $.043264$	67	4,057.79 3,590.89	25,965.18 21,907.39		.414391 .340591
24		1,047,481.0			69	3,152.73	18,316.50		.262843
25	52,498.3	992,645.9	4.720145	5.996794	70	2,743.64	15,163.77	3.438327	4.180807
26	50,254.7	940,147.6			71	2,364.81	12,420.13	.373796	.094127
27	48,099.2	889,892.9			72	2,016.73			.002396
28	46,029.1	841,793.7 795,764.6	$\begin{array}{r} .663032 \\ .643854 \end{array}$		73 74	1,699.97 $1,414.76$	8,038.59 6,338.62	.150684	3.905180 .801994
1	42,128.7	, , , , , , , , , , , , , , , , , , ,				ľ	1		1
30	42,128.7	751,723.9 709,595.2	.605216	5.876058 .851011	75 76	$\begin{bmatrix} 1,160.79 \\ 937.787 \end{bmatrix}$		3.064753 2.972104	
32	38,525.6	669,303.5	.585749	.825623	77	744.871	2,825.282	.872081	.451062
33	36,827.7	630,777.9	.566175	.799877	78	580.583	2,080.411	.763864	.318149
34	35,194.4	593,950.2	.546473	.773750	79	443.298	1,499.828	.646696	.176041
35	33,623.0	558,755.8			80	330.883	1056.530	2.519675	
36	32,109.7	525,132.8	.506636		81	240.883	725.647		2.860725
37	30,653.6 29,251.6	$\begin{array}{c} 493,023.1 \\ 462,369.5 \end{array}$.486481 $.466150$		82 83	$\begin{vmatrix} 170.630 \\ 117.251 \end{vmatrix}$	$484.764 \\ 314.134$.232055	.685531 .497115
39	27,900.6	433,117.9			84	77.9575	196.8833		.294209
40	26,598.4	405,217.3			85	49.9624	118.9258	1.698643	2.075276
41	25,342.5	378,618.9			86	30.7632	68.9634		1.838618
42 43	24,132.0 22,963.0	$\begin{bmatrix} 353,276.4 \\ 329,144.4 \end{bmatrix}$			87	18.1321 10.1711	38.2002 20.0681	.258447 $.007367$.582065
44	21,835.0	306,181.4			89	5.41405		0.733522	
45	20,745.2	284,346.4	4.316917	5.453848	90	2.63036	4.48294	0.420015	0.651563
46	19,692.3	263,601.2	.294296		91	1.15271	1.85258	.061718	.267777
47	18,674.3	243,908.9	.271245	.387228	92	.460488	.699874	$\overline{1.663218}$	$\bar{1}.845020$
48	17,689.8				93	.166501	.239386	.221417	379099
49	16,737.2	,			94	.053446		2.727916	
50	15,815.3				95	.0149939	.0194392		
51 52	14,922.4 14,057.7				96 97	0036393 0006877	.0044453		
53	13,220.0				98	.0001068	.0003080		.072985
54	12,408.5					.0000115	.0000115		
-					-	7 7	70		

$$\text{Formula,} \quad \mathbf{D}_{xx} = \frac{l_x \, l_x \, v^x}{l_{10} \, v^{10}} = \frac{l_x \, \mathbf{D}_x}{\mathbf{D}_{10}} \cdot$$

COMMUTATION COLUMNS FOR TWO EQUAL AGES. MALE LIFE.

 $3\frac{1}{2}$ PER CENT.

								- 2	E CENT.
Equal Ages.	D_{xx}	N_{xx}	λD_{xx} .	λN_{xx} .	Equal Ages.	D_{xx} .	N_{xx} .	λD_{xx} .	λN_{xx} .
10 11 12 13 14	95,370.3 90,950.9 86,733.9	1,961,020.2 1,861,020.2 1,765,649.9 1,674,699.0 1,587,965.1	4.979413 .958807	.269751 .246904	56 57 58	9,346.69 8,691.95 8,062.64 7,457.70 6,877.02	93,597.81 84,251.12 75,559.17 67,496.53 60,038.83	3.970658 .939117 .906477 .872605 .837400	4.971266 .925576 .878287 .829281 .778432
15 16 17 18 19	75,197.1 71,696.4 68,353.9	1,505,256.2 1,426,390.5 1,351,193.4 1,279,497.0 1,211,143.1	4.896888 .876201 .855497 .834763 .813998		61 62 63	6,320.19 5,786.79 5,276.63 4,789.97 4,326.61	53,161.81 46,841.62 41,054.83 35,778.20 30,988.23	3.800730 .762438 .722357 .680333 .636148	4.725599 .670632 .613364 .553618 .491197
20 21 22 23 24	59,206.6		.772370 .751495	034975 010579 5.985979	66 67 68	3,886.83 3,470.79 3,079.00 2,711.56 2,369.20	26,661.62 22,774.79 19,304.00 16,225.00 13,513.44	3.589596 .540428 .488410 .433219 .374601	4.425887 .357454 .285647 .210185 .130766
25 26 27 28 29	48,819.8 46,507.8 44,298.0 42,186.7 40,169.1	814,394.6 767,886.8	4.688596 .667526 .646384 .625175 .603892	5.936118 .910835 .885297 .859492 .833403	71 72 73	2,051.82 1,759.97 1,493.66 1,252.97 1,037.73	11,144.24 9,092.42 7,332.45 5,838.79 4,585.82	3.312139 .245504 .174252 .097942 .016083	4.047050 3.958680 .865249 .766323 .661417
30 31 32 33 34	38,239.7 36,395.5 34,632.2 32,946.0 31,332.6	641,233.0 602,993.3 566,597.8 531,965.6 499,019.6		.780312	75 76 77 78 79	847.323 681.234 538.481 417.686 317.380	3,548.091 2,700.768 2,019.534 1,481.053 1,063.367		
35 36 37 38 39	29,789.1 28,310.9 26,896.5 25,542.4 24,244.9	467,687.0 437,897.9 409,587.0 382,690.5 357,148.1	4.474057 .451954 .429696 .407262 .384621	5.669955 .641372 .612346 .582848 .552849	80 81 82 83 84	235.752 170.798 120.400 82.3353 54.4786	745.987 510.235 339.437 219.0374 136.7021	2.372455 .232483 .080628 1.915586 .736226	.707771 .530759 .340518 .135776
40 41 42 43 44	23,001.8 21,809.9 20,667.7 19,571.5 18,520.2	332,903.2 309,901.4 288,091.5 267,423.8 247,852.3	$\begin{array}{c} 4.361761 \\ .338653 \\ .315292 \\ .291624 \\ .267646 \end{array}$		85 86 87 88 89	34.7462 21.2909 12.4884 6.97143 3.69296	82.2235 47.4773 26.1864 13.69801 6.72658	.328193 .096505 0.843322	1.914996 .676486 .418076 .136657 0.827795
45 46 47 48 49	17,510.8 16,541.7 15,610.9 14,716.4 13,856.7	$\begin{array}{c} 211,821.3 \\ 195,279.6 \end{array}$	4.243307 $.218581$ $.193429$ $.167802$ $.141660$	5.360465 .325970 .290657 .254473 .217358	90 91 92 93 94	1.78552 .778687 .309572 .111393 .035584		T.891363 .490761 .046857 Z.551252	$egin{array}{l} ar{1}.671554 \\ .203685 \\ ar{2}.685267 \end{array}$
50 51 52 53 54	13,030.2 12,235.1 11,470.5 10,734.8 10,027.2	138,065.4 125,830.3 114,359.8	$ \begin{array}{c c} .087609 \\ .059581 \\ .030795 \end{array} $	$\begin{array}{c} .140085 \\ .099785 \\ .058273 \end{array}$	95 96 97 98 99	.0099346 .0023997 .0004513 .0000698 .0000075	.0000773	380147 $\overline{4.654431}$ $\overline{5.843611}$	

TABLE LXVIII.

COMMUTATION COLUMNS FOR TWO EQUAL AGES. MALE LIFE.

Equal Ages.	\mathbf{D}_{xx} .	N_{xx}	λD_{xx} .	λN_{xx} .	Equal Ages.	D_{xx} .	N_{xx} .	$\lambda \mathrm{D}_{xx}.$	λN_{xx} .
10 11 12 13 14	100,000 94,911.8 90,078.5 85,488.9 81,129.7	1,819,554.9 1,719,554.9 1,624,643.1 1,534,564.6 1,449,075.7	$\begin{array}{c} 4.977320 \\ .954621 \\ .931910 \end{array}$.235416 .210758 .185985	56 57 58	7,524.42 6,963.70 6,428.46 5,917.54 5,430.55	72,918.61 65,394.19 58,430.49 52,002.03 46,084.49	3.876473 .842840 .808107 .772141 .734844	.766639 .716029
15 16 17 18 19	76,988.0 73,054.0 69,318.0 65,768.7 62,396.8	1,367,946.0 1,290,958.0 1,217,904.0 1,148,586.0 1,082,817.3	.863644	$\begin{array}{c} 6.136069 \\ .110912 \\ .085613 \\ .060164 \\ .034555 \end{array}$	61 62 63	4,966.85 4,525.80 4,106.97 3,710.27 3,335.24	40,653.94 35,687.09 31,161.29 27,054.32 23,344.05	3.696081 .655695 .613522 .569405 .523127	.493615 .432237
20 21 22 23 24	59,193.5 56,149.6 53,257.4 50,509.1 47,897.5	1,020,420.5 961,227.0 905,077.4 851,820.0 801,310.9	.749347 .726380 .703370	5.982826 .956686 .930348	66 67 68	2,981.82 2,649.85 2,339.42 2,050.34 1,782.85	20,008.81 17,026.99 14,377.14 12,037.72 9,987.38	.423221 .369109 .311826	
25 26 27 28 29	45,415.3 43,056.4 40,813.4 38,681.4 36,654.4	753,413.4 707,998.1 664,941.7 624,128.3 585,446.9	.634038 .610803 .587502			1,536.59 1,311.69 1,107.87 924.875 762.311	8,204.53 6,667.94 5,356.25 4,248.381 3,323.506	.117832 .044487	.628223
30 31 32 33 34	34,726.0 32,892.4 31,148.3 29,489.2 27,910.4	548,792.5 514,066.5 481,174.1 450,025.8 420,536.6	4.540655 $.517096$ $.493434$ $.469663$ $.445766$	5.739408 .711019 .682303 .653237 .623804	75 76 77 78 79	619.448 495.632 389.888 300.973 227.595	2,561.195 1,941.747 1,446.115 1,056.227 755.254	.695159 .590940 .478527	.288193
35 36 37 38 39	26,407.8 24,976.8 23,614.8 22,318.1 21,082.6	392,626.2 366,218.4 341,241.6 317,626.8 295,308.7	397537 .373185 .348658	5.593979 $.563740$ $.533062$ $.501918$ $.470276$	80 81 82 83 84	168.247 121.306 85.1007 57.9159 38.1369	527.659 359.412 238.1057 153.0050 95.0891	2.225946 .083881 1.929933 .762798 .581345	.184706
40 41 42 43 44	19,905.4 18,783.2 17,714.0 16,693.8 15,721.1	274,226.1 254,320.7 235,537.5 217,823.5 201,129.7	4.298971 $.273770$ $.248317$ $.222555$ $.196484$	5.438109 .405392 .372060 .338105 .303476	85 86 87 88 89	24.2066 14.7613 8.61678 4.78706 2.52364	56.9522 32.7456 17.98425 9.36747 4.58041	0.935345	0.971622
45 46 47 48 49	14,792.9 13,907.0 13,061.3 12,253.8 11,482.4	185,408.6 170,615.7 156,708.7 143,647.4 131,393.6	.143233 $.115988$ $.088269$.232019 .195093 .157298	90 91 92 93 94	1.21430 .52702 .20851 .07467 .023738	2.05677 .84247 .31545 .10694 .032266	$ar{1}.721831 \\ .319136 \\ ar{2}.873138$	$\begin{array}{c} 0.313186 \\ \overline{1}.925554 \\ .498930 \\ .029140 \\ \overline{2}.508745 \end{array}$
50 51 52 53 54	10,745.6 10,041.5 9,368.61 8,725.61 8,111.27	89,755.4	001797 3.971675 0.940796	038086 4.996179 0.953061	95 96 97 98 99	$\begin{array}{c} .0065954 \\ .0015854 \\ .0002967 \\ .0000456 \\ .0000049 \end{array}$	$.008528 \\ .0019326 \\ .0003472 \\ .0000505 \\ .0000049$	$\frac{1.472341}{5.659427}$	$ \begin{array}{r} .286152 \\ \overline{4}.540637 \\ \overline{5}.703515 \end{array} $

FORMULA,
$$D_{xx} = \frac{l_x l_x v^x}{l_{10} v^{10}} = \frac{l_x D_x}{D_{10}}$$
.

TABLE LXIX.

COMMUTATION COLUMNS FOR TWO EQUAL AGES. MALE LIFE.

 $4\frac{1}{2}$ PER CENT.

1					1				
Equal Ages.	D_{xx} .	N_{xx}	$\lambda \mathrm{D}_{xx}.$	λN_{xx} .	Equal Ages.	D_{xx}	N_{xx} .	λD_{xx} .	$\lambda \mathbf{N}_{xx}$.
10	100,000	1,695,824.4	5.000000	6.229381	55	6,063.75	56,920.00	3.782741	4.755265
11		1,595,824.4		.202985		5,585.02	50,856.25	.747025	.706344
12	89,218.7	1,501,366.6	.950456	.176487		5,131.07	45,271.23	.710208	.655822
13		1,412,147.9	.925661	.149880		4,700.67	40,140.16	.672160	.603579
14		1,327,880.2	.900849	.123159	59	4,293.19	35,439.49	.632780	.549487
15	75,163.8	1,248,291.9	4.876009	6.096316	60	3,907.82	31,146.30	3.591934	4.493407
16		1,173,128.1	.851146	.069345		3,543.76	27,238.48	.549465	.435183
17		1,102,146.5	.826266	.042239		3,200.44	23,694.72	.505209	.374652
18	63,293.0	1,035,117.0	.801356	.014989		2,877.46	20,494.28	.459009	.311633
19	59,760.6	971,824.0	.776415	5.987588	64	2,574.23	17,616.82	.410648	.245927
20	56,421.6	912,063.4	4.751445	5.960025	65	2,290.45	15,042.59	3.359920	
21	53,264.1	855,641.8	.726435	.932292		2,025.70	12,752.14	.306576	.105583
22	50,278.7	802,377.7	.701384	.904379		1,779.84	10,726.44	.250382	.030456
23	47,456.1	752,099.0	.676292	.876275		1,552.44	8,946.60		3.951658
24	44,787.0	704,642.9	.651152	.847969	69	1,343.45	7,394.16	.128221	.868889
25	42,262.8	659,855.9	4.625958	5.819449	70	1,152.34	6,050.71		3.781806
26	39,875.9	617,593.1	.600711	.790702	71	978.976	4,898.367		.690051
27	37,617.8	577,717.2	.575393	.761715	72	822.894	3,919.391	.915344	.593219
28	35,482.1	540,099.4	.550009	.732474	73	683.688	3,096.497	.834858	.490871
29	33,461.9	504,617.3	.524551	.702962	74	560.821	2,412.809	.748824	.382523
30	31,549.8	471,155.4	4.498996	5.673164	75	453.537	1,851.988	2.656613	3.267638
31	29,740.9	439,605.6	.473354	.643063	76	361.148	1,398.451	.557685	
32	28,029.2	409,864.7	.447610	.612640	77	282.737	1,037.303	.451383	
33	26,409.2	381,835.5	.421755	.581876	78	217.213	754.566		2.877697
34	24,875.7	355,426.3	.395775	.550750	79	163.471	537.353	.213440	.730260
35	23,423.9	330,550.6	4.369659	5.519238	80	120.265	373.882	2.080140	
36	22,048.6	307,126.7	.343381	.487317	81	86.2963	253.6169		.404178
37	20,746.6	285,078.1	.316946	.454964	82	60.2506	167.3206	.779961	.223550
38	19,513.5	264,331.5	.290336	.422149	83	40.8078	107.0700	.610743	029668
39	18,345.1	244,818.0	.263520	.388843	84	26.7428	66.2622	.421201	1.821266
40	17,237.9	226,472.9	4.236483	5.355016	85	16.8932	39.5194		1.596810
41	16,188.2	209,235.0	.209199	.320634	86	10.2523	22.6262	.010822	.354612
42	15,193.7	193,046.8	.181663	.285663	87	5.95604	12.37393	0.774958	0.092508 0.807392
43	14,250.1	177,853.1	.153819	.250061	88	3.29306 1.727726	6.41789 3.124835	.237475	.494826
44	13,355.6	163,603.0	.125664	.213791	89				
	12,506.9	150,247.4	4.097150	5.176807	90		1.3971089		
46	11,701.7	137,740.5	.068248	.139062	91	.3573668	.5697594	.553113 $.148334$	1.755692 .327139
	10,937.5	126,038.8	.038919	.100504	92	.1407129 $.0501480$.2123926 $.0716797$		
	10,212.1	115,101.3	.009117	.061080	93	.0501480	.0215317	.200474	
49	9,523.53	104,889.19	5.978798		94				
50	8,869.78	95,365.66		4.979392	95	.0043873	.0056654 $.0012782$	3.642193	3.753234
51	8,248.90	86,495.88		.936995	96	.0010496 $.0001954$.0012782	$\frac{.021017}{1.021017}$	I 359081
52	7,659.35	78,246.98		.893468		.0001954 $.0000299$.0002280		
53	7,099.54			.848729	98	0000299.000031	.0000032		
54	6,568.09	63,488.09	.817439	.802692	ขข	.000001	.0000000		

COMMUTATION COLUMNS FOR TWO EQUAL AGES. MALE LIFE.

	i	1		1		1			
Equal Ages.	D_{xx}	N_{xx} .	$\lambda \mathrm{D}_{xx}.$	λN_{xx} .	Equal Ages.	D_{xx} .	N_{xx}	λD_{xx} .	λN_{xx} .
10 11 12 13 14	94,008.0 88,369.2 83,069.6	1,587,002.3 1,487,002.3 1,392,994.3 1,304,625.1 1,221,555.5		.172312 .143949 .115486	56 57 58	4,891.66 4,484.00 4,099.94 3,738.14 3,397.83	44,516.96 39,625.30 35,141.30 31,041.36 27,303.22	3.689456 .651666 .612777 .572656 .531202	4.648526 .597973 .545818 .491941 .436214
15 16 17 18 19	68,977.6	1,143,472.4 1,070,081.2 1,001,103.6 936,276.7 875,355.0	.838708 .811755	.029417 .000479 5.971404	61 62 63	3,078.10 2,778.06 2,496.97 2,234.29 1,989.33	23,905.39 20,827.29 18,049.23 15,552.26 13,317.97	3.488283 .443742 .397413 .349139 .298706	4.378496 .318633 .256459 .191792 .124438
20 21 22 23 24	53,791.7 50,539.6 47,479.7 44,600.8 41,891.9	818,107.3 764,315.6 713,776.0 666,296.3 621,695.5	.703632 .676508 .649343	.883273 .853562 .823667	66 67 68	1,761.59 1,550.55 1,355.88 1,177.01 1,013.71	11,328.64 9,567.05 8,016.50 6,660.62 5,483.61	3.245905 .190487 .132220 .070781 .005913	3.980778
25 26 27 28 29	39,342.6 36,943.9 34,685.8 32,560.8 30,560.7	579,803.6 540,461.0 503,517.1 468,831.3 436,270.5		.732764 .702014 .671017	70 71 72 73 74	865.370 731.675 612.094 506.125 413.191	4,469.901 3,604.531 2,872.856 2,260.762 1,754.637	.864318 .786818	.458314
30 31 32 33 34	28,677.1 26,904.3 25,235.0 23,663.3 22,183.1	405,709.8 377,032.7 350,128.4 324,893.4 301,230.1	4.457536 .429821 .402003 .374076 .346023	.576379 .544227 .511741	75 76 77 78 79	332.558 263.552 205.348 157.008 117.599	1,341.446 1,008.888 745.336 539.988 382.980	.420866 .312491 .195922	
35 36 37 38 39	20,789.0 19,475.2 18,237.9 17,072.3 15,973.9	279,047.0 258,258.0 238,782.8 220,544.9 203,472.6	4.317834 .289482 .260975 .232292 .203402	.412054 .378003 .343497	80 81 82 83 84	86.1051 61.4905 42.7273 28.8014 18.7847	265.3809 179.2758 117.7853 75.0580 46.2566	.788808 .630705	
40 41 42 43 44	14,938.0 13,961.6 13,041.5 12,173.3 11,354.9	187,498.7 172,560.7 158,599.1 145,557.6 133,384.3	4.174293 .144936 .115326 .085409 .055182	.236942 .200301 .163035	85 86 87 88 89	11.8096 7.13301 4.12417 2.26937 1.18497	$\begin{array}{c} 27.4719 \\ 15.66231 \\ 8.52930 \\ 4.40513 \\ 2.13576 \end{array}$.615336 .355905	.194856 0.930913 .643959
45 46 47 48 49	10,582.7 9,854.15 9,166.80 8,518.11 7,905.89	122,029.4 111,446.70 101,592.55 92,425.75 83,907.64	$3.993619 \\ .962218$	$.047067 \\ .006858 \\ 4.965793$.564739 .242772 .0951367 .0337438 .0106253	$egin{array}{c} .386049 \\ .1432769 \\ .0481402 \\ \end{array}$.586642
50 51 52 53 54	7,328.11 6,782.71 6,267.95 5,782.16 5,323.86	76,001.75 68,673.64 61,890.93 55,622.98 49,840.82	.831403 .797125	.836790 .791627 .745254	97 98	.0029241 .0006962 .0001291 .0000197 .0000021	.0037711 .0008470 .0001508 .0000217 .0000021	$\overline{4.842738}$ $\underline{.110773}$ $\overline{5.293704}$	$\begin{bmatrix} 4.927886 \\ .178401 \\ \overline{5}.337379 \end{bmatrix}$

COMMUTATION COLUMNS FOR TWO EQUAL AGES. MALE LIFE.

Equal Ages.	\mathbf{D}_{xx} .	N_{xx}	$\lambda \mathrm{D}_{xx}.$	λN_{xx} .	Equal Ages.	D_{xx} .	N_{xx} .	$\lambda \mathrm{D}_{xx}.$	$\lambda \mathrm{N}_{xx}.$
10 11 12 13 14	93,121.3 86,711.6 80,740.8	1,405,298.1 1,305,298.1 1,212,176.8 1,125,465.2 1,044,724.4		6.147768 .115710 .083566 .051332 .019002	56 57 58	3,193.08 2,899.38 2,626.03 2,371.71 2,135.46	27,382.81 24,189.73 21,290.35 18,664.32 16,292.61	3.504210 .462305 .419299 .375061 .329491	4.437478 .383631 .328183 .271012 .211991
15 16 17 18 19	69,994.0 65,164.2 60,665.1 56,472.8 52,566.6	969,546.4 899,552.4 834,388.2 773,723.1 717,250.3	4.845061 .814009 .782939 .751839 .720710	5.986569 $.954027$ $.921368$ $.888585$ $.855671$	61 62 63	1,916.26 1,713.16 1,525.29 1,351.95 1,192.37	14,157.15 12,240.89 10,527.73 9,002.44 7,650.49	.233797 .183351	4.150976 .087813 .022335 3.954360 .883689
20 21 22 23 24	48,927.2 45,535.5 42,375.0 39,430.1 36,685.8	664,683.7 615,756.5 570,221.0 527,846.0 488,415.9	4.689550 .658350 .627110 .595828 .564498	5.822615 .789409 .756043 .722507 .688790	65 66 67 68 69	1,045.91 911.927 789.907 679.235 579.477	6,458.12 5,412.212 4,500.285 3,710.378 3,031.143		.653240 .569418
25 26 27 28 29	34,128.3 $31,745.3$ $29,523.7$ $27,453.5$ $25,524.0$	451,730.1 417,601.8 385,856.5 356,332.8 328,879.3	4.533114 .501679 .470171 .438597 .406948	5.654879 $.620762$ $.586426$ $.551856$ $.517036$	70 71 72 73 74	490.013 410.402 340.088 278.558 225.264	2,451.666 1,961.653 1,551.251 1,211.163 932.605	.613209 .531591 .444915	.292622 .190682
30 31 32 33 34	23,724.9 22,048.2 20,485.1 19,028.1 17,669.6	303,355.3 279,630.4 257,582.2 237,097.1 218,069.0	4.375205 $.343373$ $.311439$ $.279395$ $.247226$	5.481952 $.446584$ $.410916$ $.374926$ $.338594$	75 76 77 78 79	179.594 140.985 108.813 82.4131 61.1449	707.341 527.747 386.762 277.9488 195.5357	.149173 .036681	.587444 .443965
35 36 37 38 39	16,402.9 15,221.3 14,119.8 13,092.7 12,134.5	200,399.4 183,996.5 168,775.2 154,655.4 141,562.7	$\begin{array}{c} 4.214920 \\ .182452 \\ .149828 \\ .117028 \\ .084022 \end{array}$.264810 $.227309$	80 81 82 83 84	44.3476 31.3713 21.5930 14.4180 9.314896	134.3908 90.0432 58.6719 37.0789 22.660866	.496532 .334312 .158904	.569127
40 41 42 43 44	11,240.8 10,406.9 9,629.35 8,903.55 8,226.57	129,428.2 118,187.4 107,780.51 98,151.16 89,247.61	.017323	032540 4.991895	85 86 87 88 89	5.800895 3.470683 1.987747 1.083460 .560401	4.074392 2.086645		0.877664 .610063 .319448
45 46 47 48 49	$\begin{array}{c} 7,594.78 \\ 7,005.24 \\ 6,455.13 \\ 5,941.73 \\ 5,462.67 \end{array}$	$\begin{array}{c} 73,426.26 \\ 66,421.02 \\ 59,965.89 \end{array}$	$egin{array}{c} .845423 \\ .809905 \\ .773913 \\ \end{array}$	$\begin{array}{c} .865851 \\ .822306 \\ .777904 \end{array}$.264559 .112657 .043731 .015364 .004792	.178224 .065567 .021836	$\overline{2.640789}$ $.186520$ $\overline{3.680550}$	$\begin{array}{c} .250966\\ \overline{2.816685}\\ .339173\\ \overline{3.811038} \end{array}$
50 51 52 53 54	5,015.68 4,598.58 4,209.50 3,846.61 3,508.31	43,545.81 38,947.23 34,737.73	.662624 $.624230$ $.585078$.638946 $.590477$ $.540801$	97 98	.001306 .000308 .000057 .0000085 .0000009		$\overline{\underline{4}}$.488714 $\overline{\underline{5}}$.752632 $\overline{6}$.931446	$\begin{array}{c} \overline{3.225309} \\ \underline{4.572872} \\ \underline{5.819544} \\ \overline{6.974733} \\ \overline{7.951898} \end{array}$

TABLÉ LXXII.

JOINT LIFE ANNUITIES. PRESENT VALUE (a_{xx}) OF 1, PAYABLE AT THE END OF EACH YEAR DURING THE JOINT CONTINUANCE OF TWO MALE LIVES.

Equal Ages.	3 Per Ct.	3½ Per Ct.	4 Per Ct.	$4\frac{1}{2}$ Per Ct.	5 Per Ct.	6 Per Ct.	Equal Ages.	3 Per Ct.	$3\frac{1}{2}$ Per Ct.	4 Per Ct.	$rac{4rac{1}{2}}{ ext{Per Ct.}}$	5 Per Ct.	6 Per Ct.
11 12	20.117 19.992 19.863	18.514 18.413 18.309	17.1956 17.1174 17.0359 16.9504 16.8612	15.8946 15.8279 15.7579	$14.818 \\ 14.763 \\ 14.705$	13.017 12.979 12.939	56 57	$9.014 \\ 8.671 \\ 8.329$	8.693 8.372 8.051	8.6909 8.3907 8.0893 7.7880 7.4862	8.1058 7.8230 7.5392	7.837 7.571 7.304	7.343 7.107 6.870
17	19.447 19.298 19.144	17.969 17.846 17.719	16.7683 16.6713 16.5698 16.4640 16.3537	15.5272 15.4427 15.3543	14.514 14.443 14.369	12.804 12.754 12.701	60 61 62 63 64	7.315 6.983 6.656	7.095 6.780 6.469	7.1851 6.8853 6.5874 6.2918 5.9992	6.6863 6.4036 6.1224	6.497 6.228 5.961	6.145 5.902 5.659
21 22	18.649 18.473 18.291	17.307 17.159 17.005	16.2387 16.1190 15.9944 15.8647 15.7297	15.0641 14.9586 14.8483	14.123 14.033 13.939	12.523 12.457 12.387	67 68	5.704 5.399 5.101	5.562 5.270 4.984	5.7103 5.4257 5.1456 4.8711 4.6019	5.2952 5.0266 4.7629	5.170 4.912 4.659	4.935 4.697 4.463
	17.708 17.501 17.288	16.511 16.335 16.152	15.5894 15.4435 15.2922 15.1351 14.9721	14.4878 14.3579 14.2218	13.629 13.517 13.399	$12.155 \\ 12.069 \\ 11.980$	71 72 73	4.252 3.986 3.729	4.166 3.909 3.660	4.3394 4.0835 3.8348 3.5935 3.3598	4.0036 3.7629 3.5291	3.926 3.693 3.467	3.780 3.561 3.348
31 32 33	$\begin{array}{c} 16.612 \\ 16.373 \\ 16.128 \end{array}$	15.568 15.360 15.147	14.8035 14.6287 14.4479 14.2607 14.0674	13.7812 13.6228 13.4584	13.014 12.875 12.730	11.683 11.574 11.460	76 77 78	3.013 2.793 2.583	2.965 2.750 2.546	3.1346 2.9177 2.7091 2.5094 2.3184	2.8722 2.6688 2.4739	2.828 2.630 2.439	2.743 2.554 2.373
36 37 38	15.354 15.084 14.807	14.467 14.228 13.983	13.8678 13.6623 13.4503 13.2318 13.0072	$12.9295 \\ 12.7410 \\ 12.5461$	$12.261 \\ 12.093 \\ 11.918$	11.088 10.953 10.812	81 82 83	2.012 1.841 1.679	1.987 1.819 1.660	2.1362 1.9629 1.7979 1.6419 1.4934	1.9389 1.7771 1.6238	1.916 1.757 1.606	1.870 1.717 1.572
41 42 43	13.940 13.639 13.334	13.209 12.939 12.664	12.7765 12.5401 12.2967 12.0482 11.7936	11.9251 11.7057 11.4808	$11.360 \\ 11.161 \\ 10.957$	$10.357 \\ 10.193 \\ 10.024$	85 86 87 88 89		$1.230 \\ 1.097 \\ .965$	1.3528 1.2183 1.0871 .9568 .8150	1.2069 1.0775 $.9489$	$1.196 \\ 1.068 \\ .941$	1.174
46	$12.386 \\ 12.061 \\ 11.733$	11.805 11.509 11.209	$11.5336 \\ 11.2684 \\ 10.9979 \\ 10.7227 \\ 10.4430$	$10.7710 \\ 10.5235 \\ 10.2710$	$10.310 \\ 10.083$	9.290 9.092	90 91 92 93 94	.704 .607 .520 .438 .364	.603		.6887 .5943 .5094 .4294 .3571	.684 .590 .506 .427 .355	.674 .582 .499 .421 .350
52	$ \begin{array}{c} 11.065 \\ 10.727 \\ 10.387 \\ 10.045 \\ 9.702 \end{array} $		9.5805 9.2864	9.7518 9.4857 9.2159 8.9426 8.6661	$9.125 \\ 8.874$	8.252	95 96 97 98 99	.296 .221 .172 .107	.295 .220 .171 .108 .001	.2930 .2190 .1703 .1069 .0000	.2913 .2178 .1694 .1063 .0000	.290 .217 .169 .106 .000	.286 .214 .167 .105 .000

FORMULA, $a_{xx} = \frac{N_{x+1} \cdot x+1}{D_{xx}}$.

TABLE LXXIII.

ANNUAL PREMIUM (π) FOR THE INSURANCE OF 1,000 ON TWO JOINT LIVES MALE, PAYABLE AT THE END OF THE YEAR OF THE FIRST DEATH.

77 .:	3	21		11	5	ß		3	$3\frac{1}{2}$	4	$4\frac{1}{2}$	5	6
Eque	Per Ct.	Per Ct.	Per Ct.	Per Ct.	Per Ct.	6 Per Ct.	Equal Ages.	Per Ct.	_	Per Ct.			Per Ct.
10				${15.91}$			55	67.42	CC 04	64.73	63.47	62.26	60.01
11				16.12			56	70.73	$66.04 \\ 69.35$	68.02	66.75	65.54	63.26
12	18.52	17.69	16.98	16.37	15.82	14.93	57	74.28	72.89	71.56	70.28	69.05	66.74
13 14				$16.61 \\ 16.87$			58 59	77.97 82.14	76.67 80.73	75.33 79.37	74.04 78.08	72.80 76.83	70.47 74.47
15	19.44	18.58	17.82	17.15	16.57	15.59	60	86.48	85.07	83.71	82.41	81.14	78.75
16	19.78						61	91.14		88.36	87.04		83.36
17 18	20.14 20.52			$17.76 \\ 18.08$			62	96.13 101.50	94.71 100.06	93.33 98.68	92.01 97.34	90.63 96.04	88.28 93.58
19	20.91						64			104.42		101.75	99.25
20				18.80			65			110.56			
21 22	21.77 22.23						66	120.05 127.15	118.58 125.69	117.16 124.25	115.79 122.87	121.52	111.88
23	22.71						68	134.80	133.31	131.87	130.46	129.09	126.46
24	23.22	22.22	21.31	20.50	19.77	18.51	69	143.01	141.51	140.05	138.63	137.25	134.57
25	23.76						70	202102		148.82			
26 27	$24.33 \\ 24.93$						71 72			158.25 168.38			
28	25.56						73	182.35	180.78	179.24	177.73	176.25	173.38
29	26.21	25.14	24.15	23.25	22.43	21.01	74	194.08					
30				23.90			75	206.63					
31 32	27.66 28.44						76	220.09 234.52					
33	29.26						78	249.94	248.20	246.49	244.80	243.14	[239.90]
34	30.13	28.98	27.91	26.93	26.02	24.42	79	266.44		1			
	31.05						80	284.06					
	$32.02 \\ 33.05$							302.84 322.87					
	34.14						83	344.13	342.08	340.06	338.07	336.11	332.24
39	35.30	34.07	32.93	31.87	30.88	29.12	84	366.84	364.70	362.61	360.52	358.47	354.46
	36.51							391.00					
	37.81 39.18							416.96 445.53					
43	40.64	39.37	38.18	37.06	36.01	34.11	88	477.71	475.14	472.57	470.04	467.55	462.62
	42.19						89	517.93	515.21	512.50	509.85	507.20	502.02
45	43.83	42.54	41.32	40.18	39.10	37.14		557.64					
	45.58	44.28	43.05	41.89 43.72	40.80	38.80 40.58	91	593.09 628.84	625.68	622.55	619.45	616.39	610.37
47 48	49.41	48.09	46.84	45.66	44.55	42.48	93	666.42	663.10	659.77	656.55	653.32	647.03
49	51.52	50.19	48.93	47.74	46.61	44.51	94	704.16					
50	53.76	52.43	51.15	49.95	48.79	46.69	95	742.21 789.56	738.53	734.92	731.33	727.78	721.03
51 52	56.15 58.70	54.80	[53.52]	52.31	51.14 53.65	49.00 51.48	97	824.12	819.89	816.03	812.10	808.19	800.62
53	61.41	60.05	58.75	57.51	56.33	54.13	98	873.91	868.65	865.01	860.83	856.70	848.53
54	64.32	62.95	61.64	60.40	59.20	56.97	99			961.54	956.94	952.38	943.40
		1		1									

FORMULA,
$$\pi_{xx} = 1000 \left\{ \frac{1}{1 + a_{xx}} - (1 - v) \right\} = 1000 \left\{ \frac{D_{xx}}{N_{xx}} - (1 - v) \right\}.$$

SINGLE PREMIUM (A) OR RESERVE, FOR THE INSURANCE OF 1,000 ON TWO JOINT LIVES, PAYABLE AT THE END OF THE YEAR OF THE FIRST DEATH.

Equal Ages.	3 Per Cent.	$3\frac{1}{2}$ Per Cent.	4 Per Cent.	$rac{4rac{1}{2}}{ ext{Per Cent.}}$	5 Per Cent.	Equal Ages.	3 Per Cent.	$3\frac{1}{2}$ Per Cent.	4 Per Cent.	$4rac{1}{2}$ Per Cent.	5 Per Cent.
10 11 12 13 14	381.45 384.95 388.57 392.34	336.85 340.12 343.51	300.17 303.17 306.32 309.60	269.75 272.48 275.35 278.37	244.29 246.77 249.38	55 56 57 58 59	698.32 708.33 718.33 728.29 738.20	$\begin{array}{c} 672.22 \\ 683.09 \\ 693.94 \end{array}$	$\begin{array}{c} 638.82 \\ 650.41 \\ 662.00 \end{array}$	607.88 620.06 632.28	591.84
15 16 17 18 19	400.27 404.45 408.79 413.28 417.92	358.55 362.69 367.00	320.33		261.27 264.63 268.17	60 61 62 63 64	748.05 757.81 767.47 777.01 786.42	726.27 736.89		669.01 681.18 693.29	$643.00 \\ 655.79$
20 21 22 23 24	432.83	380.94 385.94 391.13	346.37	308.25 312.79 317.54	284.14 288.61	65 66 67 68 69	795.66 804.73 813.63 822.31 830.78	778.10 787.99 797.65	741.91 752.87 763.64 774.19 784.54	728.91 740.48 751.83	730.53
25 26 27 28 29	449.28 455.12 461.13 467.33 473.72	407.84 413.81 419.98			303.37 308.74 314.35	70 71 72 73 74	839.02 847.03 854.78 862.27 869.50	825.30 833.99 842.42		784.54 794.89 804.97	765.40 776.51
30 31 32 33 34	480.29 487.05 493.99 501.13 508.46	439.74 446.75 453.98	392.17 398.89 405.84 413.05 420.48	363.49 370.31 377.39	339.30	75 76 77 78 79	876.45 883.12 889.52 895.63 901.46	865.93 873.17 880.09	849.32 857.34 865.02	833.25 842.02 850.40	807.93 817.72 827.16 836.23 844.92
35 36 37 38 39	515.97 523.66 531.54 539.61 547.86	476.95 485.03 493.34	436.06 444.22 452.62	$\frac{400.16}{408.29}$	368.53 376.54 384.85	80 81 82 83 84	907.00 912.26 917.25 921.97 926.44	898.98 904.66 910.04	886.04 892.38	873.45 880.42 887.02	861.17 868.73 875.90
40 41 42 43 44	556.27 564.85 573.61 582.51 591.58	519.49 528.63 537.93	479.23 488.59 498.14	434.25 443.42 452.86 462.55 472.50	411.44 420.89 430.62	85 86 87 88 89	930.67 934.71 938.64 942.53 946.76	924.59 929.09 933.55	914.68 919.73 924.74	904.96 910.54 916.08	901.51 907.56
45 46 47 48 49	619.58 629.15	576.98 587.14	528.13 538.54 549.12	482.69 493.12 503.57 514.65 525.73	461.44 472.25 483.31	90 91 92 93 94	953.19	945.80 948.72 951.48	934.85 938.52 941.81 944.91 947.72	931.35 935.00 938.44	924.28 928.28 932.06
50 51 52 53 54	658.44 668.35 678.31	618.40 629.04	581.86 593.06 604.37		517.87	95 96 97 98 99	964.42 965.86	958.73 960.39 962.53	950.26 953.11 954.99 957.43 961.54	947.56 949.64 952.36	947.34
				-						27)

FORMULA, $A_{xx} = 1000 \left\{ 1 - (1-v) \left(1 + a_{xx}\right) \right\} = 1000 \left\{ 1 - (1-v) \frac{N_{xx}}{D_{xx}} \right\}$.

TEN PAYMENT PREMIUM (P) ON 1,000, WITH VALUATION FACTORS FOR THE SAME,
ALSO FOR ORDINARY JOINT POLICIES ON TWO MALE LIVES.
FOR THE LATTER POLICIES P' IS 0.

4 PER CENT.

						4 PER CENT.			
Equal Ages.	Ord'y Joint.	Ten Pay	't Joint Life	Policies.	Equal Ages.	Ord'y Joint.	Ten Pay'	t Joint Life	Policies.
Eq.	λΡ".	Р.	λP'.	λP".	Eq.	λP".	Р.	λP'.	λΡ".
10	1.740034	37.562	7.583526	1.880948	50	1.952370	77.388	6.497778	2.063894
11	.741904	37.945	.561975	.883130	51	.963711	79.516	.452967	.071799
12	.743863	38.347	.540412	.885409	52	.975496	81.753	.406117	.079957
13	.745925	38.766	.518801	.887772	53	.987735	84.105	.357061	.088372
14	.748089	39.206	.497150	.890240	54	2.000444	86.584	.305615	.097068
15	1.750354	39.663	7,475422	1.892787	55	2.013635	89.206	6.251613	
16	.752732	40.142	.453635	.895442	56	.027301	91.975	.194806	.115399
17	.755233	40.646	.431800	.898218	57	.041468	94.911	.134988	.125066
18	.757855	41.171	.409867	.901091	58	.056112	98.023	.071871	.135084
19	.760607	41.718	.387814	.904064	59	.071289	101.34	.005232	.145512
20	1.763495	42.293	7.365674	1.907167	60	2.086978	104.88	5.934739	
21	.766521	42.891	.343382	.910371	61	.103184	108.66	.860049	.167676
22	.769694	43.516	.320956	.913695	62	.119907	112.71	.780822	.179470
23	.773022	44.169	.298355	.917141	63	.137168	117.06	.696641	.191790
24	.776512	44.849	.275557	.920700	64	.154951	121.74	.607041	.204667
25	1.780169	45.560	7.252567	1.924391	65	2.173261	126.79	5.511540	2.218145
26	.784006	46.303	.229347	.928214	66	.192083	132.25	.409582	.232263
27	.788020	47.076	.205861	.932157	67	.211436	138.16	.300568	.247044
28	.792228	47.885	.182120	.936245	68	.231282	144.55	.183770	.262479
29	.796638	48.726	.158035	.940455	69	.251664	151.51	.058521	.278689
30	1.801247	49.600	7.133591	1.944787	70	2.272505	159.05	4.923893	
31	.806077	50.513	.108792	.949266	71	.293840	167.27	.779012	.313301
32	.811131	51.463	.083556	.953878	72	.315626	176.21	.622795	.331774
33	.816426	52.457	.057905	.958653	73	.337860	185.93	.454064	.351006
34	.821962	53.489	.031737	.963554	74	.360535	196.53	.271559	.371052
35	1.827753	54.565	7 005041	1.968607	75	2.383562		4.073626	
36	.833797	55,681	6.977727	.973786	76	.406966		3.858577	.413252
37	.840123	56.847	.949802	.979132	77	.430737	234.06	.624217	.435400
38	.846740	58.062	.921192	.984633	78	.454770	248.69	.367287	.458111
39	.853649	59.327	.891826	.990288	79	.479070	264.49	.083312	.481373
40	1.860862	60.643	6.861641	1.996094	80	2.503593		2.762652	
41	.868378	62.013	.830568	2.002056	81	.528288	299.75	.402315	.529188
42	.876257	63.446	.798584	.008206	82	.553163	319.37	.003219	.553679
43	.884450	64.933	.765527	.014498	83	.578092	340.30	1.561001	.578366
44	.893008	66.490	.731399	.020988	84	.603214	362.73	.068323	.603352
45	1.901923	68.111	6.696056	2.027645	85	2.628422		0.518142	
46	.911214	69.802	.659409		86	.653973	412.35	$\overline{1.901420}$.653995
47	.920895	71.573	.621388	.041529	87	.680453	440.67	.184758	.680454
48	.930971	73.422	.581854	.048766	88	.708447	472.57	2.377984	.708447
49	.941459	75.358	.540687		89	.741123	512.50	$\overline{3}.397848$.741121

FORMULA, $P_{xx} = \frac{A_{xx}.D_{xx}}{N_{xx}-N_{x+n.x+n}}$. $P'_{xx} = (P_{xx}-\pi_{xx}) N_{xx}$. $P''_{xx} = P_{xx} + 1000(1-v)$.

GENERAL VALUATION OF JOINT LIFE POLICIES BY ANNUAL PREMIUM ON 1,000.

NOTE. Ten or Limited Premium Policies are valued by this Table only till the end of the year after Payment of the last Premium, and afterwards by Single Premium Table.

4 PER CENT.

							T PER C	
Equal	$h = \frac{1}{2}$ m	. *Dec.	$1\frac{1}{2}$ m.	Nov.	$2\frac{1}{2}$ m.	Oct.	$3\frac{1}{2}$ m.	Equal
Ages.	f'' = 1	963.141	966	.346	969	.551	972.756	Ages.
x+n.	λδ.	λδ'.	λδ.	λδ'.	λδ.	λδ'.	λδ.	x+n.
10 11 12 13 14	$\overline{5}.000969$ $.023650$ $.046350$ $.069062$ $.091793$	1.236385 .234408 .232335 .230153 .227862	$\overline{5}.002901$ $.025584$ $.048284$ $.070998$ $.093731$	1.238317 .236342 .234269 .232089 .229800	$\overline{5}.004824$ $.027508$ $.050209$ $.072925$ $.095660$	1.240240 .238266 .236194 .234016 .231729	5.006739 .029424 .052127 .074843 .097582	10 11 12 13 14
15 16 17 18 19	$ar{5}.114550 \\ .137330 \\ .160129 \\ .182957 \\ .205817$	1.225462 .222943 .220293 .217512 .214596	$egin{array}{l} \overline{5}.116491 \\ .139272 \\ .162074 \\ .184905 \\ .207766 \\ \hline \end{array}$	1.227403 .224885 .222238 .219460 .216545	$egin{array}{c} ar{5}.118422 \\ .141205 \\ .164010 \\ .186843 \\ .209707 \\ \end{array}$	1.229334 .226818 .224174 .221398 .218486	$egin{array}{l} \overline{5}.120346 \\ .143130 \\ .165937 \\ .188773 \\ .211639 \\ \hline \end{array}$	15 16 17 18 19
20 21 22 23 24	$egin{array}{l} \overline{5}.228706 \\ .251635 \\ .274604 \\ .297615 \\ .320675 \\ \hline \end{array}$	1.211532 .208321 .204952 .201416 .197708	$egin{array}{l} \overline{5}.230659 \\ .253591 \\ .276564 \\ .299580 \\ .322644 \\ \hline \end{array}$	1.213485 .210277 .206912 .203381 .199677	5.232604 .255539 .278515 .301536 .324605	1.215430 .212225 .208863 .205337 .201638	5.234540 .257479 .280459 .303482 .326556	20 21 22 23 24
25 26 27 28 29	5.343789 .366956 .390193 .413498 .436878	1.193821 .189739 .185467 .180986 .176286	$\overline{5}.345762$ $.368935$ $.392179$ $.415490$ $.438878$	1.195794 .191718 .187453 .182978 .178286	5.347727 .370907 .394156 .417473 .440870	1.197759 .193690 .189430 .184961 .180278	5.349683 .372868 .396124 .419448 .442852	25 26 27 28 29
30 31 32 33 34	$ar{5}.460353 \\ .483916 \\ .507583 \\ .531360 \\ .555263$	$\begin{array}{c} 1.171372 \\ .166219 \\ .160820 \\ .155164 \\ .149242 \end{array}$	5.462361 .485933 .509610 .533397 .557313	1.173380 .168236 .162847 .157201 .151292	$egin{array}{l} \overline{5}.464360 \\ .487941 \\ .511627 \\ .535425 \\ .559352 \\ \hline \end{array}$	1.175379 .170244 .164864 .159229 .153331	5.466350 .489939 .513635 .537444 .561383	30 31 32 33 34
35 36 37 38 39	$ar{5}.579303 \\ .603506 \\ .627865 \\ .652401 \\ .677144$	1.143043 .136568 .129783 .122677 .115253	$\overline{5}$. 581367 . 605583 . 629958 . 654512 . 679274	1.145107 .138645 .131876 .124788 .117383	$egin{array}{l} \overline{5}.583422 \\ .607650 \\ .632040 \\ .656613 \\ .681394 \\ \hline \end{array}$	1.147162 .140712 .133958 .126889 .119503	5.585466 .609708 .634113 .658703 .683502	35 36 37 38 39
40 41 42 43 44	5.702109 .727321 .752788 .778564 .804650	1.107501 .099381 .090893 .082040 .072780	5.704260 .729495 .754988 .780791 .806909	1.109652 .101555 .093093 .084267 .075039	5.706401 .731657 .757178 .783008 .809157	1.111793 .103717 .095283 .086484 .077287	5.708531 .733809 .759356 .785212 .811393	40 41 42 43 44
45 46 47 48 49	5.831099 .857937 .885203 .912945 .941206	1.063118 .053030 .042501 .031519 .020066	$\overline{5}.833392$ $.860268$ $.887575$ $.915363$ $.943674$	1.065411 0.055361 0.044873 0.033937 0.022534	5.835673 .862586 .889934 .917767 .946127	$\begin{array}{c} 1.067692 \\ .057679 \\ .047232 \\ .036341 \\ .024987 \end{array}$	$egin{array}{l} \overline{5}.837942 \\ .864892 \\ .892281 \\ .920158 \\ .948567 \\ \hline \end{array}$	45 46 47 48 49
50 51 52 53	$egin{array}{c} 5.970037 \\ .999501 \\ 4.029657 \\ .060573 \\ \end{array}$	$\begin{array}{c} 1.008123 \\ 0.995680 \\ .982718 \\ .969218 \end{array}$	$\overline{5.972560}$ $\overline{4.002085}$ $.032307$ $.063297$	1.010646 0.998264 .985368 .971942	5.975069 4.004653 .034942 .066003	1.013155 .000832 0.988003 .974648	$\overline{5.977563}$ $\overline{4.007207}$ $.037561$ $.068693$	50 51 52 53

FORMULA, $V = f'' + P_x' \cdot b_{x+n} - P_x'' \cdot b_{x+n}';$ $P_x' = (P_x - \pi_x) N_x.$ The suffix is not here repeated for equal Ages, Page 270. $P_x'' = P_x + 1000 (1 - v).$

GENERAL VALUATION OF JOINT LIFE POLICIES BY ANNUAL PREMIUM ON 1,000. 4 PER CENT.

							4 PER C	12111.
Equal	*Sept.	$4\frac{1}{2}$ m.	Aug.	$5\frac{1}{2}$ m.	July.	6r	n.	Equal
Ages.		975	.962	979.	167	980.	.769	Ages.
x+n.	λδ'.	. λδ.	λδ'.	λδ.	λδ'.	λδ.	λδ'.	x+n.
10 11 12 13 14	1.242155 .240182 .238112 .235934 .233651	$\overline{5.008645}$ $.031332$ $.054035$ $.076754$ $.099494$	1.244061 .242090 .240020 .237845 .235563	$\overline{5.010542}$ $.033232$ $.055936$ $.078656$ $.101398$	1.245958 .243990 .241921 .239747 .237467	$\overline{5}.011488$ $.034178$ $.056883$ $.079604$ $.102348$	1.246904 .244936 .242868 .240695 .238417	10 11 12 13 14
15 16 17 18 19	1.231258 .228743 .226101 .223328 .220418	$egin{array}{l} ar{5}.122260 \\ .145046 \\ .167855 \\ .190694 \\ .213563 \\ \end{array}$	1.233172 .230659 .228019 .225249 .222342	$egin{array}{l} \overline{5}.124166 \\ .146954 \\ .169766 \\ .192607 \\ .215479 \\ \hline \end{array}$	1.235078 .232567 .229930 .227162 .224258	$ar{5}.125116 \\ .147905 \\ .170718 \\ .193560 \\ .216433$	1.236028 .233518 .230882 .228115 .225212	15 16 17 18 19
20 21 22 23 24	1.217366 .214165 .210807 .207283 .203589	$ar{5.236467} \ .259409 \ .282393 \ .305421 \ .328499$	1.219293 .216095 .212741 .209222 .205532	5.238384 .261330 .284318 .307350 .330433	1.221210 .218016 .214666 .211151 .207466	5.239341 .262289 .285278 .308312 .331397	1.222167 .218975 .215626 .212113 .208430	20 21 22 23 24
25 26 27 28 29	1.199715 .195651 .191398 .186936 .182260	$ar{5.351630} \\ .374822 \\ .398082 \\ .421412 \\ .444825$	1.201662 .197605 .193356 .188900 .184233	$\overline{5}.353569$ $.376766$ $.400032$ $.423369$ $.446790$	1.203601 .199549 .195306 .190857 .186198	5.354535 .377735 .401004 .424344 .447769	1.204567 .200518 .196278 .191832 .187177	25 26 27 28 29
30 31 32 33 34	1.177369 .172242 .166872 .161248 .155362	$\overline{5}.468331$ $.491930$ $.515633$ $.539453$ $.563404$	$\begin{array}{c} 1.179350 \\ .174233 \\ .168870 \\ .163257 \\ .157383 \end{array}$	5.470302 .493910 .517623 .541453 .565415	1.181321 .176213 .170860 .165257 .159394	5.471285 .494897 .518614 .542450 .566418	1.182304 .177200 .171851 .166254 .160397	30 31 32 33 34
35 36 37 38 39	1.149206 .142770 .136031 .128979 .121611	$\overline{5.587500}$ $.611756$ $.636176$ $.660783$ $.685601$	1.151240 .144818 .138094 .131059 .123710	5.589525 .613795 .638229 .662853 .687690	1.153265 .146857 .140147 .133129 .125799	5.590534 .614810 .639252 .663885 .688731	1.154274 .147872 .141170 .134161 .126840	35 36 37 38 39
40 41 42 43 44	1.113923 .105869 .097461 .088688 .079523	5.710651 .735951 .761524 .787406 .813617	1.116043 .108011 .099629 .090882 .081747	5.712762 .738082 .763681 .789589 .815830	1.118154 .110142 .101786 .093065 .083960	5.713813 .739143 .764755 .790676 .816933	1.119205 .111203 .102860 .094152 .085063	40 41 42 43 44
45 46 47 48 49	$\begin{array}{c} 1.069961 \\ .059985 \\ .049579 \\ .038732 \\ .027427 \end{array}$	5.840200 .867186 .894615 .922536 .950993	1.072219 .062279 .051913 .041110 .029853	5.842446 .869467 .896937 .924901 .953406	$.064560 \\ .054235 \\ .043475 \\ .032266$	5.843564 .870604 .898093 .926079 .954607	.065697 .055391 .044653 .033467	45 46 47 48 49
50 51 52 53	$\begin{array}{c} 1.015649 \\ .003386 \\ 0.990622 \\ .977338 \end{array}$	$\begin{bmatrix} \overline{5}.980043 \\ \overline{4}.009745 \\ .040164 \\ .071367 \end{bmatrix}$	1.018129 .005924 0.993225 .980012	$\begin{bmatrix} 5.982508 \\ \overline{4.012269} \\ .042751 \\ .074024 \end{bmatrix}$	1.020594 .008448 0.995812 .982669	5.983736 4.013525 .044039 .075347	1.021822 .009704 0.997100 .983992	50 51 52 53

* Months of Entry corresponding to Annual Valuation, Dec. 31.

Here
$$x+n+h=$$
 Present Age in years and fraction; $f''=1000\ \{h+(1-h)\ v\}$; $b_{x+n}=\frac{h+(1-h)\ vp_{x+n-1}}{D_{x+n}}$; $b_{x+n}'=b_{x+n}\cdot N_{x+n}$.

GENERAL VALUATION OF JOINT LIFE POLICIES BY ANNUAL PREMIUM ON 1,000.

							4 PER C	MINI.
Equal	$h = 6\frac{1}{2}$ m	. June.	7 <u>1</u> m.	May.	$8\frac{1}{2}$ m.	April.	9½m.	Equal
Ages.	f'' = 0	82.372.	985.	577.	988	.782.	991.987.	Ages.
x+n.	λδ.	λδ'.	λδ.	λδ'.	λδ.	λδ'.	$\lambda b.$	x+n.
10 11 12 13 14	5.012432 .035122 .057828 .080549 .103294	1.247848 .245880 .243813 .241640 .239363	$\begin{bmatrix} 5.014313 \\ .037006 \\ .059712 \\ .082435 \\ .105182 \end{bmatrix}$	1.249729 .247764 .245697 .243526 .241251	$\overline{5}.016187$ $.038880$ $.061588$ $.084313$ $.107062$	1.251603 .249638 .247573 .245404 .243131	5.018052 .040747 .063456 .086182 .108933	10 11 12 13 14
15 16 17 18 19	5.126063 .148853 .171667 .194511 .217386	1.236975 $.234466$ $.231831$ $.229066$ $.226165$	5.127954 .150744 .173561 .196407 .219284	1.238866 .236357 .233725 .230962 .228063	$ar{5.129835} \\ 152628 \\ 175446 \\ .198295 \\ .221174$	1.240747 .238241 .235610 .232850 .229953	$egin{array}{c} ar{5}.131708 \\ .154502 \\ .177323 \\ .200175 \\ .223056 \\ \end{array}$	15 16 17 18 19
20 21 22 23 24	5.240295 .263244 .286235 .309271 .332358	1.223121 .219930 .216583 .213072 .209391	5.242196 .265149 .288143 .311183 .334275	1.225022 .221835 .218491 .214984 .211308	$ar{5}.244090 \\ .267046 \\ .290044 \\ .313087 \\ .336183$	1.226916 .223732 .220392 .216888 .213216	$ar{5}.245975$ $.268935$ $.291936$ $.314984$ $.338084$	20 21 22 23 24
25 26 27 28 29	5.355499 .378702 .401974 .425316 .448745	1.205531 .201485 .197248 .192804 .188153	5.357420 .380629 .403906 .427255 .450691	1.207452 .203412 .199180 .194743 .190099	$ar{5}.359333 \\ .382548 \\ .405830 \\ .429185 \\ .452630$	1.209365 .205331 .201104 .196673 .192038	$egin{array}{l} ar{5}.361238 \\ .384458 \\ .407746 \\ .431107 \\ .454559 \\ \hline \end{array}$	25 26 27 28 29
30 31 32 33 34	5.472265 .495881 .519604 .543444 .567418	1.183284 .178184 .172841 .167248 .161397	$\overline{5}$. 474218 $.497844$ $.521575$ $.545426$ $.569411$	1.185237 .180147 .174812 .169230 .163390	5.476164 .499797 .523537 .547399 .571394	1.187183 .182100 .176774 .171203 .165373	$ar{5}.478101 \\ .501742 \\ .525491 \\ .549363 \\ .573370$	30 31 32 33 34
35 36 37 38 39	$egin{array}{c} \overline{5}.591541 \\ .615823 \\ .640273 \\ .664913 \\ .689769 \\ \hline \end{array}$	1.155281 .148885 .142191 .135189 .127878	$ar{5}.593548 \\ .617843 \\ .642306 \\ .666965 \\ .691839$	1.157288 .150905 .144224 .137241 .129948	$egin{array}{l} 5.595544 \\ .619853 \\ .644330 \\ .669006 \\ .693898 \\ \hline \end{array}$	1.159284 .152915 .146248 .139282 .132007	$ar{5}.597533 \\ .621853 \\ .646346 \\ .671037 \\ .695947$	35 36 37 38 39
40 41 42 43 44	5.714861 .740202 .765827 .791761 .818032	$\begin{array}{c} 1.120253 \\ .112262 \\ .103932 \\ .095237 \\ .086162 \end{array}$	5.716950 .742313 .767962 .793922 .820223	1.122342 .114373 .106067 .097398 .088353	5.719030 .744412 .770088 .796073 .822403	1.124422 .116472 .108193 .099549 .090533	5.721099 .746502 .772202 .798212 .824572	40 41 42 43 44
45 46 47 48 49	5.844680 .871736 .899246 .927253 .955805	$\begin{array}{c} 1.076699 \\ .066829 \\ .056544 \\ .045827 \\ .034665 \end{array}$	5.846903 .873994 .901543 .929593 .958192	1.078922 .069087 .058841 .048167 .037052	5.849114 .876241 .903828 .931919 .960565	1.081133 .071334 .061126 .050493 .039425	5.851314 .878476 .906100 .934234 .962925	45 46 47 48 49
50 51 52 53	$ \begin{array}{r} \bar{5}.984960 \\ \bar{4}.014778 \\ .045323 \\ .076665 \end{array} $	1.023046 .010957 0.998384 .985310	$\begin{bmatrix} \overline{5}.987398 \\ \overline{4}.017273 \\ .047881 \\ .079291 \end{bmatrix}$	$1.025484 \\ .013452 \\ .000942 \\ 0.987936$	$\overline{5}.989822$ $\overline{4}.019753$ $.050422$ $.081900$	1.027908 .015932 .003483 0.990545		50 51 52 53

GENERAL VALUATION OF JOINT LIFE POLICIES BY ANNUAL PREMIUM ON 1,000,

		n ———					4 PER C	13211.
Equal	March.	$10\frac{1}{2}$ m	. Feb.	11½m	. Jan.	12	m.	Equal
Ages.		995.	192.	998.	397.	1000	.000.	Ages.
x+n.	λδ'.	<i>λb.</i>	λδ'.	λδ.	λδ'.	λδ.	λδ'.	x+n.
10 11 12 13 14	1.253468 .251505 .249441 .247273 .245002	5.019909 .042606 .065315 .088043 .110797	1.255325 .253364 .251300 .249134 .246866	5.021759 .044456 .067167 .089896 .112653	1.257175 .255214 .253152 .250987 .248722	$\overline{5}.022680$ $.045379$ $.068090$ $.090820$ $.113577$	1.258096 .256137 .254075 .251911 .249646	10 11 12 13 14
15 16 17 18 19	1.242620 .240115 .237487 .234730 .231835	5.133573 .156368 .179192 .202046 .224930	1.244485 .241981 .239356 .236601 .233709	5.135431 .158228 .181054 .203910 .226796	1.246343 .243841 .241218 .238465 .235575	5.136356 .159154 .181981 .204838 .227726	1.247268 .244767 .242145 .239393 .236505	15 16 17 18 19
20 21 22 23 24	1,328801 ,225621 ,222284 ,218785 ,215117	5.247853 .270815 .293819 .316872 .339976	1.230679 .227501 .224167 .220673 .217009	5.249722 .272687 .295695 .318751 .341860	1.232548 .229373 .226043 .222552 .218893	5.250653 .273620 .296630 .319687 .342798	1.233479 .230306 .226978 .223488 .219831	20 21 22 23 24
25 26 27 28 29	1.211270 .207241 .203020 .198595 .193967	5.363134 .386360 .409653 .433020 .456479	1.213166 .209143 .204927 .200508 .195887	$egin{array}{c} ar{5}.365022 \\ .388253 \\ .411552 \\ .434925 \\ .458392 \\ \end{array}$	1.215054 .211036 .206826 .202413 .197800	$egin{array}{ c c c c c c c c c c c c c c c c c c c$	1.215994 .211980 .207772 .203362 .198753	25 26 27 28 29
30 31 32 33 34	1.189120 .184045 .178728 .173167 .167349	$ar{5}.480028 \\ .503678 \\ .527436 \\ .551318 \\ .575336$	1.191047 .185981 .180673 .175122 .169315	5.481948 .505606 .529372 .553264 .577293	1.192967 .187909 .182609 .177068 .171272	5.482904 .506566 .530337 .554234 .578268	1.193923 .188869 .183574 .178038 .172247	30 31 32 33 34
35 36 37 38 39	1.161273 .154915 .148264 .141313 .134056	$ar{5}.599512$ $.623845$ $.648351$ $.673060$ $.697987$	1.163252 .156907 .150269 .143336 .136096	5.601481 .625828 .650347 .675072 .700018	1.165221 .158890 .152265 .145348 .138127	5.602463 .626815 .651342 .676075 .701029	1.166203 .159877 .153260 .146351 .139138	35 36 37 38 39
40 41 42 43 44	1.126491 .118562 .110307 .101688 .092702	5.723159 .748582 .774307 .800342 .826730	1.128551 .120642 .112412 .103818 .094860	5.725209 .750652 .776401 .802461 .828877	1.130601 .122712 .114506 .105937 .097007	5.726230 .751683 .777445 .803516 .829947	1.131622 .123743 .115550 .106992 .098077	40 41 42 43 44
45 46 47 48 49	1.083333 .073569 .063398 .052808 .041785	5.853504 .880698 .908362 .936537 .965272	1.085523 .075791 .065660 .055111 .044132	5.855683 .882910 .910611 .938827 .967608	1.087702 .078003 .067909 .057401 .046468	5.856767 .884012 .911731 .939967 .968770	1.088786 .079105 .069029 .058541 .047630	45 46 47 48 49 50
50 51 52 53	1.030320 .018399 .006011 0.993139	$\begin{bmatrix} \overline{5},994631 \\ \overline{4},024672 \\ .055463 \\ .087072 \end{bmatrix}$	1.032717 .020851 .008524 0.995717	$\begin{bmatrix} \overline{5}.997016 \\ \overline{4}.027111 \\ .057960 \\ .089635 \end{bmatrix}$	1.035102 .023290 .011021 0.998280	$ \begin{bmatrix} 5.998203 \\ 4.028325 \\ .059204 \\ .090911 \end{bmatrix} $	$\begin{bmatrix} 1.036289 \\ .024504 \\ .012265 \\ 0.999556 \end{bmatrix}$	50 51 52 53

GENERAL VALUATION OF JOINT LIFE POLICIES BY ANNUAL PREMIUM ON 1,000.

$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$				1		1		T I EII C	
x+n. λb. λb. λb'. λb. λb'. λb. λb'. λb'	Equal	$h = \frac{1}{2}$ m	*Dec.	$1\frac{1}{2}$ m.	Nov.	$2\frac{1}{2}$ m.	Oct.	$3\frac{1}{2}$ m.	Equal
54 I.092320 0.955158 I.095124 0.957962 I.097911 0.960749 I.10680 54 55 I.124982 0.940521 I.127877 0.943416 I.130752 0.946291 I.13680 56 56 1.158664 .925303 .161656 .938295 .164628 .931267 .167580 56 57 .193453 .909482 .196555 .912584 .19635 .915664 .0202094 57 58 .229479 .893034 .232700 .896255 .23588 .899453 .2309172 58 60 I.305679 0.858190 I.309178 0.861689 J.312648 0.865159 1.316091 60 61 .346147 .839702 .34986 6.843421 .354355 .447650 .357035 61 62 .38409 .820646 .392245 .824482 .396046 .828283 .398815 62 63 .459713 .738234 .83260 .784481 .487467	_	$f^{\prime\prime} =$	963.141	966	.346	969.	551	972.756	Ages.
55 \$\bar{1}\$24982 0.940521 \$\bar{1}\$127877 0.943416 \$\bar{1}\$130752 0.946291 \$\bar{1}\$13609 \$\bar{5}\$55 56 .158664 .925303 .161656 .928295 .164628 .931267 .167580 \$\bar{5}\$55 58 .229479 .893034 .232700 .890255 .235898 .899453 .239072 \$\bar{5}\$8 59 .266842 .875945 .270196 .879299 .273523 .882626 .270824 \$\bar{5}\$9 60 \$\bar{1}\$36177 .8858190 \$\bar{2}\$39072 \$\bar{2}\$8 .312648 .886266 .276824 \$\bar{9}\$9 61 .346147 .839762 .349806 .843421 .356435 .847650 .357035 61 62 .388409 .320466 .392245 .824482 .396046 .828283 .399815 62 63 .432626 .808089 .46857 .804833 .446651 .808827 .441610 63 64 .479013 .78868	x+n.	λδ.	λδ'.	λδ.	$\lambda b'$.	λδ.	$\lambda b'$.	λδ.	x+n.
56 .158664 .925303 .161656 .928295 .164628 .931267 .167580 57 58 .229479 .893034 .232700 .896255 .233898 .899453 .299072 58 59 .266842 .875945 .270196 .870299 .273523 .882626 .270824 59 60 J.306679 .858190 J.39906 .843212 .335335 .847050 .370685 .39245 .824482 .396046 .843221 .353335 .847050 .370055 61 62 .388409 .820646 .392245 .824482 .396046 .828283 .399815 62 63 .439026 .848421 .356708 .848527 .4446061 .888827 .444610 63 64 .479013 .780234 .483260 .784481 .457467 .786888 .40633 64 65 J.527780 0.758918 J.532266 0.763404 J.536708 0.767846 J.541105 65	54	1 .092320	0.955158	Ī.095124	0.957962	$\bar{4}.097911$	0.960749	4 .100680	54
57 .193453 .909482 .196555 .912584 .199635 .915664 .202079 58 59 .266842 .875945 .23700 .896255 .235898 .899453 .239072 58 60 J.305679 0.858190 J.309178 0.861689 .273523 .886262 .276824 59 61 .346147 .839762 .349806 .843421 .353435 .847050 .357035 61 62 .388409 .820646 .39245 .884482 .396046 .882828 .39815 62 63 .432626 .800802 .436657 .804833 .440651 .808827 .4441610 63 64 .479013 .736846 .832024 .741597 .588622 .746295 .593270 66 65 .527780 .758918 .532266 .763404 4.536708 .767846 4.541105 65 66 .75177 .665830 .757499 .67153 .763149 .672									
58 .226479 .893084 .232700 .896255 .235888 .899453 .239072 58 60 J.305679 .858190 J.309178 .861689 J.312648 0.865159 J.316091 60 61 .346147 .839762 .349806 .843421 .353435 .847050 .357035 61 62 .388409 .820646 .392245 .824482 .396046 .828283 .398156 62 63 .432626 .800802 .43657 .884833 .440651 .808827 .444610 63 64 .479013 .758846 .532266 .763444 .4536708 .767846 .454106 64 65 J.527780 0.755918 J.532266 0.763404 4.536708 0.767846 4.541106 65 66 .579173 .736846 .583924 .741597 .588622 .746295 .593270 66 67 .633435 .713979 .638147 .79092 .706775									
59 .26684z .875945 .270196 .879299 .273523 .882626 .276824 59 60 .3366147 .839762 .349806 .843421 .353435 .847050 .357035 61 62 .388409 .820646 .392445 .824482 .353435 .847050 .357035 61 62 .388409 .820646 .382445 .3396046 .828283 .399815 62 63 .43260e .40657 .804833 .440651 .808827 .444610 63 64 .479013 .736846 .583924 .741597 .588622 .746295 .593270 66 65 .579173 .736846 .583924 .741597 .638478 .719022 .643465 .724009 .64333 .690332 .696244 .695595 .701541 .700992 .766775 68 69 .75176 .665830 .757499 .671553 .763149 .672203 .768725 69 70									
61 .346147 .839762 .349806 .843421 .353435 .847050 .357035 61 62 .388409 .820666 .392245 .824482 .396046 .828283 .399815 62 64 .479013 .780234 .48360 .784481 .487467 .788688 .491633 64 65 J.527780 .0758918 J.532266 .763404 J.536708 0.767846 J.541105 65 66 .579173 .736846 .583924 .741597 .588622 .74695 .593270 66 67 .633435 .713979 .683478 .719022 .613465 .724009 .468393 67 68 .69081 .690332 .696244 .69595 .701541 .700992 .706775 68 69 .751776 .665830 .757499 .671553 .763149 .677203 .768725 69 71 .885485 .614346 .89243 .629044 .898503 .6236									
62 .388409 .820646 .392245 .824482 .306046 .828283 .399815 62 63 .432626 .800802 .436657 .804833 .440651 .808827 .444610 63 64 .479013 .780234 .483260 .784481 .487467 .788688 .9827 .444610 63 65 .527780 .0758918 .532266 .0763404 .4536708 .0767846 .4541105 65 66 .579173 .736846 .583924 .741597 .588622 .746295 .593270 66 67 .633435 .713979 .638478 .719022 .643465 .724009 .648393 67 69 .751776 .665830 .757499 .671553 .763149 .677203 .766725 68 71 .885485 .614346 .892043 .629044 .898503 .627364 .994869 71 72 .95079 .587392 .966124 .594347 .973									
63 .432626 .800802 .436657 .804833 .440611 .808827 .444610 63 65 4.527780 0.758918 4.53266 0.763404 4.536708 0.767846 4.541105 65 66 5.79173 .736846 5.83924 .741597 .588622 .746295 .593270 66 67 .633435 .713979 .638478 .719022 .643465 .724009 .648393 67 68 .699881 .690332 .696244 .696695 .701541 .700092 .706775 68 69 .751776 .665830 .757499 .671553 .763149 .677203 .768725 69 70 4.816533 .640525 4.822651 0.646643 4.828684 0.652676 4.834634 70 71 .885485 .614346 .892043 .620904 .898503 .627364 .904869 71 72 .959979 .587392 .966124 .594347 .973056									
64 .479013 .780234 .483260 .784481 .487467 .788688 .491633 64 65 Ī.527780 0.758918 Ī.532266 0.763404 Ā.536708 0.767846 Ā.541105 65 66 .579173 .736846 .583924 .741597 .688622 .746295 .593270 66 67 .633435 .713979 .683478 .719092 .643465 .724009 .648393 67 68 .690881 .690332 .696244 .695695 .701541 .700992 .706775 68 69 .751776 .665830 .757499 .671553 .763149 .677203 .768725 69 70 4.816533 .640225 4.822651 .646434 4.828684 .652676 4.834634 70 71 .885485 .614346 .892043 .620939 3.032795 .574392 3.060123 73 72 .3230779 .559366 3.045342 .566939 3.032795									
66 5.79173 .736846 .583924 .741597 .588622 .746295 .593270 66 67 .633435 .713979 .638478 .719022 .643465 .724009 .76848393 .706775 68 69 .751776 .665830 .757499 .671553 .763149 .677203 .768725 69 70 4.816533 0.640525 4.822651 0.646643 4.828684 0.652676 4.834634 70 71 .885485 .614346 .892043 .620904 .898503 .627364 .904869 71 72 .959079 .587302 .966124 .594347 .973056 .601279 .979879 .72 73 3.037759 .559356 3.045342 .566939 3.052795 .574392 3.060123 33 74 .122022 .530465 .130211 .538652 .138250 .546693 .146141 74 75 3.212493 .5050686 3.221349 0.509542									
67 .633435 .713979 .638478 .719022 .643465 .724009 .648393 67 68 .690881 .690332 .696244 .695695 .701541 .700992 .766775 68 69 .751776 .665830 .757499 .671553 .763149 .677203 .768725 69 70 4.816533 .640525 4.822651 .0.646643 4.828684 .652676 4.834634 70 71 .885485 .614346 .892043 .620904 .898303 .627364 .994869 71 72 .959079 .587302 .966124 .594347 .973056 .601279 .979879 72 73 3.037759 .559356 3.045342 .566939 3.052795 .574392 3.060123 73 74 .122022 .530465 .130211 .538654 .138250 .546693 .146141 74 75 3.21493 .0.509542 .3230029 .0.51822 .2328540									
68 .690881 .690332 .696244 .695695 .701541 .700992 .706775 68 69 .751776 .665830 .757499 .671553 .763149 .677203 .768725 69 70 4.816533 0.640525 4.822651 0.646643 4.828684 0.652676 4.834634 70 71 .885485 .614346 .892043 .620904 .898503 .627364 .904869 71 72 .959079 .587302 .966124 .594347 .973056 .601279 .979879 72 73 3.037759 .559356 3.045342 .566399 3.052795 .574392 3.060123 73 74 .122022 .530465 .130211 .538654 .138250 .518222 3.238540 75 76 .309721 .469924 .319320 .479523 .328712 .488915 .337904 76 77 .414374 .438134 .424529 .45566 .435000									
69 .751776 .665830 .757499 .671553 .763149 .677203 .768725 69 70 4.816533 0.640525 4.82651 0.646643 4.828684 0.652676 4.834634 70 71 .885485 .614346 .892043 .620904 .898503 .627364 .904869 71 72 .959079 .587302 .966124 .594347 .973056 .601279 .979879 72 73 3.037759 .559356 3.045342 .566939 3.052795 .574392 3.060123 73 74 .122022 .530465 .130211 .538654 .138250 .546693 .146141 74 75 3.212493 0.500686 3.221349 0.509542 3.230029 0.518222 3.238540 75 76 .309721 .469924 .319320 .479523 .328712 .488915 .344957 .4448566 .435000 .45875 .444897 .444806 .43506 .435000 <th< td=""><td></td><td></td><td></td><td></td><td></td><td></td><td></td><td></td><td></td></th<>									
71 .885485 .614346 .892043 .620904 .898503 .627364 .904869 71 72 .959079 .587302 .966124 .594347 .973056 .601279 .979879 72 73 3.037759 .559356 3.045342 .566939 3.052795 .574392 3.060123 73 74 .122022 .530465 .130211 .538654 .138250 .546693 .146141 74 75 3.212493 0.500686 3.221349 0.509542 3.230029 .518222 3.238540 75 76 .309721 .469924 .319320 .479523 .328712 .488915 .337904 76 77 .414374 .438131 .424809 .448566 .435000 .458757 .444957 .77 78 .527269 .405362 .538632 .416725 .549706 .427799 .560504 78 79 .649174 .371527 .661577 .383930 .673635									
72 .959079 .587302 .966124 .594347 .973056 .601279 .979879 72 73 3.037759 .559356 3.045342 .566939 3.052795 .574392 3.060123 73 74 .122022 .530465 .130211 .538654 .138250 .546693 .146141 74 75 3.212493 0.500686 3.221349 0.509542 3.230029 0.518222 3.238540 75 76 .309721 .469924 3.19320 .479523 .328712 .488915 .337904 76 77 .414374 .438131 .424809 .448566 .435000 .458757 .444957 .77 78 .527269 .405362 .538632 .416725 .549706 .427799 .560504 78 79 .649174 .371527 .661577 .383930 .673635 .395988 .685367 79 80 3.781001 0.336594 3.794569 0.350162 3.807726									
73 3.037759 .559356 3.045342 .566939 3.052795 .574392 3.060123 73 74 .122022 .530465 .130211 .538654 .138250 .546693 .146141 74 75 3.212493 0.500686 3.221349 0.509542 3.230029 0.518222 3.238540 75 76 .309721 .469924 .319320 .479523 .328712 .488915 .337904 76 77 .414374 .438131 .424809 .448566 .435000 .45757 .444957 .560504 78 79 .649174 .371527 .661577 .383930 .673635 .395988 .685367 79 80 3.781001 0.336594 3.794569 0.350162 3.807726 0.363319 3.820496 80 81 .923750 .300520 .938622 .315392 .953001 .329771 .966919 81 82 .078479 .226185 .2094829 .279535									
74 .122022 .530465 .130211 .538654 .138250 .546693 .146141 74 75 3.212493 0.500686 3.221349 0.509542 3.230029 0.518222 3.238540 75 76 .309721 .469924 .319320 .479523 .328712 .488915 .337904 76 77 .414374 .438131 .424809 .448566 .435000 .458757 .444957 77 8 .527269 .405362 .538632 .416725 .549706 .427799 .560504 78 79 .649174 .371527 .661577 .383930 .673635 .395988 .685367 79 80 3.781001 0.336594 3.794569 0.350162 3.8807726 0.363319 3.820496 80 81 .923750 .300520 .938622 .315392 .953001 .329771 .966919 81 82 .2078479 .263185 .264482 .242613 .281761									
76 .309721 .469924 .319320 .479523 .328712 .488915 .337904 76 77 .414374 .438131 .424809 .448566 .435000 .458757 .444957 77 78 .527269 .405362 .538632 .416725 .549706 .427799 .560504 78 79 .649174 .371527 .661577 .383930 .673635 .395988 .685367 79 80 3.781001 0.336594 3.794569 0.350162 3.807726 0.363319 3.820496 80 81 .923750 .300520 .938622 .315392 .953001 .329771 .966919 81 82 .2078479 .263185 .204482 .242613 .281761 .259892 .298379 83 84 .428946 .184457 .448823 .204334 .467831 .223342 .486042 84 85 2.627494 0.142647 2.649484 0.164637 2.670414									
77 .414374 .438131 .424809 .448566 .435000 .458757 .444957 77 78 .527269 .405362 .538632 .416725 .549706 .427799 .560504 78 79 .649174 .371527 .661577 .383930 .673635 .395988 .685367 79 80 3.781001 0.336594 3.794569 0.350162 3.807726 0.363319 3.820496 80 81 .923750 .300520 .938622 .315392 .953001 .329771 .966919 81 82 2.078479 .263185 .264482 .242613 .281761 .259892 .298379 83 84 .428946 .184457 .448823 .204334 .467831 .223342 .486042 84 85 2.627494 0.142647 2.649484 0.164637 2.670414 0.185567 2.690381 85 86 .843590 .098482 .867956 .122848 .891028									
78 .527269 .405362 .538632 .416725 .549706 .427799 .560504 78 79 .649174 .371527 .661577 .383930 .673635 .395988 .665367 79 80 3.781001 0.336594 3.794569 0.350162 3.807726 0.363319 3.820496 80 81 .923750 .300520 .938622 .315392 .953001 .329771 .966919 81 82 2.078479 .263185 2.094829 .279535 2.110586 .295292 2.125791 82 83 .246487 .224618 .264482 .242613 .281761 .259892 .298379 83 84 .428946 .184457 2.649484 0.164637 2.670414 0.185567 2.690381 85 86 .843590 .098482 .867956 .122848 .891028 .145920 .912936 86 87 I.078896 .050518 I.106049 .077671 I.131603									
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$									
81 .923750 .300520 .938622 .315392 .953001 .329771 .966919 81 82 2.078479 .263185 2.094829 .279535 2.110586 .295292 2.125791 82 83 .246487 .224618 .264482 .242613 .281761 .259892 .298379 83 84 .428946 .184457 .264482 .242613 .281761 .259892 .298379 83 85 .2627494 0.142647 .2649484 0.164637 .2670414 0.185567 .2690381 85 86 .843590 .098482 .867956 .122848 .891028 .145920 .912936 86 87 Ī.078896 .050518 Ī.106049 .077671 Ī.131603 .103225 Ī.155737 87 88 .335865 Ī.996769 .366080 .026984 .394328 .055232 .420851 88 89 .617059 .930245 .652886 Ī.966072 .685981									
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		$\overline{3}.781001$	0.336594	3.794569				$\bar{3}.820496$	80
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$									
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$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$					1.966072		1.999167		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		1.938654	1.864208	ī.981258	Ī. 906812		1.945607	0.055665	90
93 1.164049 .672794 1.230048 .738793 1.287328 .796073 1.337926 93 94 .669216 .600063 .746739 .677586 .812499 .743346 .869597 94 95 2.234475 1.520627 2.325331 1.611483 2.400428 1.686580 2.464435 95 96 .872089 .412726 .988191 .528828 3.079712 .620349 3.155262 96 97 3.617270 .320785 3.754903 .458418 .859255 .562770 .943328 97									
94 .669216 .600063 .746739 .677586 .812499 .743346 .869597 94 95 2.234475 T.520627 2.325331 T.611483 2.400428 T.686580 2.464435 95 96 .872089 .412726 .988191 .528828 3.079712 .620349 3.155262 96 97 3.617270 .320785 3.754903 .458418 .859255 .562770 .943328 97									
95 2.234475 \$\bar{1}\$.520627 2.325331 \$\bar{1}\$.611483 2.400428 \$\bar{1}\$.686580 2.464435 95 96 .872089 .412726 .988191 .528828 3.079712 .620349 3.155262 96 97 3.617270 .320785 3.754903 .458418 .859255 .562770 .943328 97									
97 3.617270 .320785 3.754903 .458418 .859255 .562770 .943328 97				2.325331					
96 4.870920 4.870920 4.870920 98									
	00	1.4/00/0	.108025	4.031200	.559419	1.110001	.400740	1.070020	30

^{*} Months of Entry corresponding to Annual Valuation Dec. 31.

GENERAL VALUATION OF JOINT LIFE POLICIES BY ANNUAL PREMIUM ON 1,000.

	<u> </u>			4		1	T PER C.	
Equal	Sept.	$4\frac{1}{2}$ m.	Aug.	$5\frac{1}{2}$ m.	July.	6r	n.	Equal
Ages.		975.	.962	979.	167	980.	769	Ages.
x+n.	λδ'.	λδ.	λδ'.	λδ.	λδ'.	λδ.	λδ'.	x+n.
54	0.963518	4.103431	0.966269	$\overline{4.106165}$	0.969003	$\overline{4}.107525$	0.9 70363	54
55 56 57 58	0.949148 $.934219$ $.918723$ $.902627$	4.136447 .170513 .205732 .242223	0.951986 .937152 .921761 .905778 .889204	$egin{array}{l} ar{4}.139266 \ .173425 \ .208748 \ .245352 \ .283353 \end{array}$	0.954805 .940064 .924777 .908907 .892456	4.140669 .174874 .210248 .246908 .284970	0.956208 .941513 .926277 .910463 .894073	55 56 57 58 59
59 60 61 62 63 64	.885927 0.868602 $.850650$ $.832052$ $.812786$ $.792854$	$ \begin{array}{r} .280101 \\ \overline{4.319507} \\ .360603 \\ .403551 \\ .448532 \\ .495759 \end{array} $	0.872018 .854218 .835788 .816708 .796980	4.322897 364144 407256 436819 499847	0.875408 .857759 .839493 .804995 .801068	4.324582 .365904 .409096 .454351 .501876	0.877093 .859519 .841333 .822527 .803097	60 61 62 63 64
65 66 67 68 69	0.772243 .750943 .728937 .706226 .682779	4.545457 .597869 .653267 .711947 .774231	0.776595 .755542 .733811 .711398 .688285	4.549766 .602420 .658087 .717057 .779669	0.780904 .760093 .738631 .716508 .693723	4.551904 .604678 .660477 .719590 .782362	0.783042 .762351 .741021 .719041 .696416	65 66 67 68 69
70 71 72 73 74	0.658626 .633730 .608102 .581720 .554504	$egin{array}{l} \overline{4.840504} \\ .911143 \\ .986597 \\ \overline{3.067329} \\ .153892 \\ \hline \end{array}$	$\begin{array}{c} 0.664496 \\ .640004 \\ .614820 \\ .588926 \\ .562335 \end{array}$	$\overline{4.846296}$ $.917328$ $.993212$ $\overline{3.074417}$ $.161508$	$\begin{array}{c} 0.670288 \\ .646189 \\ .621435 \\ .596014 \\ .569951 \end{array}$	$\begin{array}{c} 4.849162 \\ .920387 \\ .996482 \\ \overline{3.077918} \\ .165266 \end{array}$	0.673154 .649248 .624705 .599515 .573709	70 71 72 73 74
75 76 77 78 79	0.526733 $.498107$ $.468714$ $.438597$ $.407720$	$egin{array}{c} \overline{3.246886} \\ .346906 \\ .454690 \\ .571041 \\ .696791 \\ \hline \end{array}$	0.535079 .507109 .478447 .449134 .419144	3.255074 .355726 .464210 .581328 .707922	0.543267 .515929 .487967 .459421 .430275	3.259112 .360069 .468894 .586381 .713382	0.547305 .520272 .492651 .464474 .435735	75 76 77 78 79
80 81 82 83 84	$\begin{array}{c} 0.376089 \\ .343689 \\ .310497 \\ .276510 \\ .241553 \end{array}$	$ \begin{array}{r} 3.832902 \\ .980404 \\ \hline{2.140482} \\ .314384 \\ .503518 \end{array} $	0.388495 $.357174$ $.325188$ $.292515$ $.259029$	3.844963 .993484 2.154691 .329820 .520320	0.400556 .370254 .339397 .307951 .275831	$egin{array}{l} \overline{3}.850870 \\ .999879 \\ \overline{2}.161626 \\ .337337 \\ .528483 \\ \hline \end{array}$	0.406463 .376649 .346332 .315468 .283994	80 81 82 83 84
85 86 87 88 89	$\begin{array}{c} 0.205534 \\ .167828 \\ .127359 \\ .081755 \\ .029918 \end{array}$	$ \begin{bmatrix} \overline{2}.709470 \\ .933791 \\ \overline{1}.178600 \\ .445846 \\ .745449 $	0.224623 .188683 .150222 .106750 .058635	2.727757 .953691 1.200320 .469481 .772384	0.242910 .208583 .171942 .130385 .085570	$\begin{bmatrix} \overline{2}.736619 \\ .963309 \\ \overline{1}.210785 \\ .480833 \\ .785250 \end{bmatrix}$	0.251772 .218201 .182407 .141737 .098436	85 86 87 88 89
90 91 92 93 94	ī.981219 .937126 .892653 .846671 .800444	0.088577 .474848 .904153 1.383239 .920054	$\begin{array}{c} 0.014131 \\ \overline{1.973778} \\ .933293 \\ .891984 \\ .850901 \end{array}$	0.119169 .508647 .941312 1.424268 .965254	0.044723 .007577 1.970452 .933013 .896101	0.133694 .524609 .958764 1.443415 .986205	$\begin{array}{c} 0.059248 \\ .023539 \\ \overline{1}.987904 \\ .952160 \\ .917052 \\ -\end{array}$	90 91 92 93 94
95 96 97 98	1.750587 .695899 .646843 .565073	$ \begin{vmatrix} 2.520208 \\ 3.219597 \\ 4.013736 \\ .957048 \end{vmatrix} $	7.806360 .760234 .717251 .645201	2.569627 3.275620 4.074305 5.024669	1.855779 .816257 .777820 .712822	2.592377 3.301135 4.101691 5.054902	1.878529 .841772 .805206 .743055	95 96 97 98

GENERAL VALUATION OF JOINT LIFE POLICIES BY ANNUAL PREMIUM ON 1,000.

Equal	$h = 6\frac{1}{2}$ m	. June.	$7\frac{1}{2}$ m.	May.	$8\frac{1}{2}$ m.	April.	$9\frac{1}{2}$ m.	Equal
Ages.	f'' = 9	982.372	985.	577	988.	.782	991.987	Ages.
x+n.	λδ.	$\lambda b'$.	λδ.	$\lambda b'$.	· \lambda b.	λδ'.	$\lambda b.$	x+n.
54	4 .108881	0.971719	4 .111582	0.974420	4 .114264	0.977102	$\bar{4}.116932$	54
55	4.142067	0.957606	4.144851	0.960390	$\bar{4}.147616$	0.963155	$\overline{4.150365}$	55
56	.176318	.942957	.179191	.945830	.182047	.948686	.184883	56
57	.211743	.927772	.214718	.930747	$\begin{array}{c} .217673 \\ .254605 \end{array}$.933702	$\begin{array}{c} .220608 \\ .257646 \end{array}$	57 58
58 59	.248458	.912013 .895684	.251543 $.289786$.898889	.292967	.902070	.296123	59
60	$\overline{4.326260}$	0.878771	$\bar{4}.329597$	0.882108	4.332909	0.885420	4 .336195	60
61	.367656	.861271	.371139	.864754	.374595	.868210	.378023	61
62	.410929	.843166	.414572	.846809	.418184	.850421	.421766	62
63	.456273	.824449	.460092	.828268	.463877	.832053	.467630	63
64	.503897	.805118	.507909	.809130	.511884	.813105	.515824	64
65	$\overline{4}.554033$	0.785171	4.558258	0.789396	4.562443	0.793581	4.566588	65
66	.606924	.764597	.611381	.769054	.615793	.773466 .752776	$\begin{array}{c} .620160 \\ .676847 \end{array}$	66
67	.662853 $.722108$.743397 .721559	.667568	.748112 $.726552$	$\begin{array}{c c} .672232 \\ .732038 \end{array}$.731489	.736918	68
68 69	.785038	.699092	.790342	.704396	.795583	.709637	.800760	69
70	$\bar{4}.852011$	0.676003	$\bar{4}.857652$	0.681644	$\bar{4}.863221$	0.687213	4.868720	70
71	.923425	.652286	929438	.658299	935370	.664231	941221	71
72	.999728	.627951	$\bar{3}.006148$.634371	$\bar{3}.012474$.640697	$\bar{3}.018709$	72
73	$\bar{3}.081391$.602988	.088255	.609852	.095013 $.183583$.616610 $.592026$.101667	73 74
74	.168991	.577434	.176349	.584792				
75	$\bar{3}.263112$	0.551305	$\bar{3}.271004$	0.559197	3.278755	0.566948	3.286369	75
76	.364369	.524572 .497284	.372845	.533048	.381157 $.491580$	$.541360 \\ .515337$.389315	76 77
77 78	.473527 $.591376$.469469	.601198	.479291	.610802	.488895	.620199	78
79	.718776	.441129	.729363	.451716	.739700	.462053	.749795	79
80	3.856698	0.412291	3.868124	0.423717	$\bar{3}.879257$	0.434850	$\bar{3}.890112$	80
81	2.006181	.382951	$\bar{2}.018518$.395288	2.030514	.407284	2.042187	81
82	.168451	.353157	.181788	.366494	.194728 $.373087$.379424 $.351218$.207293 $.386601$	82
83 84	.344726 $.536495$.322857 $.292006$.359138	$\begin{bmatrix} .337269 \\ .307601 \end{bmatrix}$.567143	.322654	.581693	84
	$\overline{2.745303}$	0.260456	$\bar{2.762168}$	0.277321	2.778403	0.293556	$\overline{2}.794053$	85
85	.972718	.227610	.990948	.245840	1.008442	.263334	$\frac{2.134055}{1.025259}$	86
87	T. 221005	.192627	1.240749	.212371	.259635	.231257	.277733	87
88	.491896	.152800	.513211	.174115	.533528	.194432	.552937	88
89	.797745	.110931	.821707	.134893	.844416	.157602	.865997	89
90	0.147748	0.073302	0.174561	0.100115	0.199815	0.125369	0.223681	90
91	.540005	.038935	.569250	.068180	.596649	.095579	.622422	91
92	.975541	.004681	1.007268	.036408 $.005003$	1.036834	0.065974 0.036967	1.064516 $.557995$	92 93
93 94	$\begin{array}{c} 1.461753 \\ 2.006190 \end{array}$	$ar{1.970498} \ .937037$	0.496258 0.2043598	$\frac{.005005}{1.974445}$	2.078038	.008885	2.109946	94
					2.691078	$\overline{1.977230}$	2.725031	95
95	2.613993	1.900145	2.654244 3.369758	$\overline{1.940396}$ $.910395$	3.410138	.950775	3.447080	96
96 97	3.325234 4.127452	.865871	4.174798	.878313	4.217486	.921001	4.256352	97
98	5.083166	.771319	5.134712	.822865	5.180783	.868936	5.222432	98
	0.000100	.,,1010	3.23.1,270					

GENERAL VALUATION OF JOINT LIFE POLICIES BY ANNUAL PREMIUM ON 1,000.

$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$	m. 0.000 λb'.	Equal Ages.
$\begin{array}{ c c c c c c c c c c c c c c c c c c c$		
54 0.979770 \$\bar{4}\$.119582 0.982420 \$\bar{4}\$.122216 0.985054 \$\bar{4}\$.123527 55 0.965904 \$\bar{4}\$.153096 0.968635 \$\bar{4}\$.155809 0.971348 \$\bar{4}\$.157160 56 .951522 .187700 .954339 .190500 .957139 .191893 57 .936637 .223523 .939552 .226418 .942447 .227859 58 .921201 .260666 .924221 .263665 .927220 .265156- 59 .905226 .299259 .908362 .302371 .911474 .303919 60 0.888706 \$\bar{4}\$.339457 0.891968 \$\bar{4}\$.342695 0.895206 \$\bar{3}\$.384305 61 .871638 .381425 .875040 .384800 .878415 .386478 62 .854003 .425319 .857556 .428844 .861081 .476873 63 .835806 .471351 .839527 .475040 .843216 .476873 64 .817045 <	λδ'.	
$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$		x+n.
56 .951522 .187700 .954339 .190500 .957139 .191893 57 .936637 .223523 .939552 .226418 .942447 .227859 58 .921201 .260666 .924221 .263665 .927220 .265156- 59 .905226 .299259 .908362 .302371 .911474 .303919 60 0.888706 4.339457 0.891968 4.342695 0.895206 4.344305 61 .871638 .381425 .875040 .384800 .878415 .386478 62 .854003 .425319 .857556 .428844 .861081 .430595 63 .835806 .471351 .839527 .475040 .843216 .476873 64 .817045 .519727 .820948 .523596 .824817 .525518 65 0.797726 4.570693 0.801831 4.574760 0.805898 4.576779 66 .757391 .681414 .761958 .685933	0.986365	54
56 .951522 .187700 .954339 .190500 .957139 .191893 57 .936637 .223523 .939552 .226418 .942447 .227859 58 .921201 .260666 .924221 .263665 .927220 .265156 59 .905226 .299259 .908362 .302371 .911474 .303919 60 0.888706 4.339457 0.891968 4.342695 0.895206 4.344305 61 .871638 .381425 .875040 .384800 .878415 .386478 62 .854003 .425319 .857556 .428844 .861081 .430595 63 .835806 .471351 .839527 .475040 .843216 .476873 64 .817045 .519727 .820948 .523596 .824817 .525518 65 0.797726 4.570693 0.801831 4.574760 0.805898 4.576779 66 .757391 .681414 .761958 .685933 .	0.972699	55
58 .921201 .260666 .924221 .263665 .927220 .265156- 59 .905226 .299259 .908362 .302371 .911474 .303919 60 0.888706 4.339457 0.891968 4.342695 0.895206 4.344305 61 .871638 .381425 .875040 .384800 .878415 .386478 62 .854003 .425319 .857556 .428844 .861081 .430595 63 .835806 .471351 .839527 .475040 .843216 .476873 64 .817045 .519727 .820948 .523596 .824817 .525518 65 0.797726 4.570693 0.801831 4.574760 0.805898 4.576779 66 .7757391 .681414 .761958 .685933 .766477 .688174 68 .736369 .741744 .741195 .746518 .745969 .748885	.958532	56
59 .905226 .299259 .908362 .302371 .911474 .303919 60 0.888706 4.339457 0.891968 4.342695 0.895206 4.344305 61 .871638 .381425 .875040 .384800 .878415 .386478 62 .854003 .425319 .857556 .428844 .861081 .430595 63 .835806 .471351 .839527 .475040 .843216 .476873 64 .817045 .519727 .820948 .523596 .824817 .525518 65 0.797726 4.570693 0.801831 4.574760 0.805898 4.576779 66 .777833 .624484 .782157 .628766 .786439 .630891 67 .757391 .681414 .761958 .685933 .766477 .688174 68 .736369 .741744 .741195 .746518 .745969 .748885	.943888	57
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$.928711	58 59
61 .871638 .381425 .875040 .384800 .878415 .386478 62 .854003 .425319 .857556 .428844 .861081 .430595 63 .835806 .471351 .839527 .475040 .843216 .476873 64 .817045 .519727 .820948 .523596 .824817 .525518 65 0.797726 4.570693 0.801831 4.574760 0.805898 4.576779 66 .777833 .624484 .782157 .628766 .786439 .630891 67 .757391 .681414 .761958 .685933 .766477 .688174 68 .736369 .741744 .741195 .746518 .745969 .748885	0.896816	60
62 .854003 .425319 .857556 .428844 .861081 .430595 63 .835806 .471351 .839527 .475040 .843216 .476873 64 .817045 .519727 .820948 .523596 .824817 .525518 65 0.797726 4.570693 0.801831 4.574760 0.805898 4.576779 66 .777833 .624484 .782157 .628766 .786439 .630891 67 .757391 .681414 .761958 .685933 .766477 .688174 68 .736369 .741744 .741195 .746518 .745969 .748885	.880093	61
63 .835806 .471351 .839527 .475040 .843216 .476873 64 .817045 .519727 .820948 .523596 .824817 .525518 65 0.797726 4.570693 0.801831 4.574760 0.805898 4.576779 66 .777833 .624484 .782157 .628766 .786439 .630891 67 .757391 .681414 .761958 .685933 .766477 .688174 68 .736369 .741744 .741195 .746518 .745969 .748885	.862832	62
65 0.797726 4.570693 0.801831 4.574760 0.805898 4.576779 66 .777833 .624484 .782157 .628766 .786439 .630891 67 .757391 .681414 .761958 .685933 .766477 .688174 68 .736369 .741744 .741195 .746518 .745969 .748885	.845049	63
66 .777833 .624484 .782157 .628766 .786439 .630891 67 .757391 .681414 .761958 .685933 .766477 .688174 68 .736369 .741744 .741195 .746518 .745969 .748885	.826739	64
66 .777833 .624484 .782157 .628766 .786439 .630891 67 .757391 .681414 .761958 .685933 .766477 .688174 68 .736369 .741744 .741195 .746518 .745969 .748885	0.807917	65
68 .736369 .741744 .741195 .746518 .745969 .748885	.788564	66
	.768718 .748336	67 68
.714014 .000070 .713332 .010330 .7134303 .0101411	.727495	69
70 0 692712 4 874149 0 698141 4.879511 0 703503 4.882168	0.706160	70
0.000111	.684374	71
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$.662140	72
73 .623264 .108221 .629818 .114676 .636273 .117868	.639465	73
74 .599142 .197701 .606144 .204590 .613033 .207995	.616438	74
75 0.574562 3.293853 0.582046 3.301209 0.589402 3.304841	0.593034	75
76 .549518 .397321 .557524 .405183 .565386 .409060	.569263	76
77 .524091 .508913 .532670 .517327 .541084 .521473	.545230	77
78 .498292 .629396 .507489 .638403 .516496 .642837 79 .472148 .759662 .482015 .769310 .491663 .774054	$\begin{array}{c c} .520930 \\ .496407 \end{array}$	78 79
70		80
$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$	$0.471712 \\ .446837$	81
01 .410001 2.000000 .100000 41,0000 20,0000	.421908	82
82 .391999 .219505 .404211 .231383 .416089 .237202 83 .364732 .399708 .377839 .412431 .390562 .418655	.396786	83
84 .337204 .595771 .351282 .609406 .364917 .616067	.371578	84
85 0.309206 2.809158 0.324311 2.823756 0.338909 2.830874	0.346027	85
86 .280151 T.041449 .296341 T.057056 .311948 1.064655	.319547	86
87 .249355 .295107 .266729 .311813 .283435 .319931 88 .213841 .571515 .232419 .589332 .250236 .597973	.291553	87 88
THE THE CHAPTER OF CHAPTER	.228861	89
.110100	0.203723	90
0.110000 0.11100 0.00004	.179794	91
91 .121352 .646751 .145681 .669788 .168718 .680864 92 .093656 1.090538 .119678 1.115089 .144229 1.126862	.156002	92
93 066740 585856 094601 .612038 .120783 .624559	.133304	93
94 .040793 2.139669 .070516 2.167488 .098335 2.180756	.111603	94
95 0.011183 2.756522 0.042674 2.785883 0.072035 2.799850	0.086002	95
96 1.987717 3.481126 .021763 3.512695 .053332 3.527659	.068296	96
97 .959867 4.292022 1.995537 4.324985 .028500 4.340573	.044088	97
98 .910585 5.260434 .948587 5.295377 1.983530 5.311848	.000001	98

FEMALE LIFE TABLE. FROM THIRTY OFFICES' EXPERIENCE OF LOSSES AND AMOUNTS INSURED.

	ŧ	1	1	1	1			1
AGE.	Living.	Decre-	Expectation	Prob. of Dec.	Prob. Living.			AGE.
	l_x .	ment.	of Life,	$q_{\mathbf{x}} = \frac{d_{\mathbf{x}}}{2}$	$p_x = \frac{l_{\infty+1}}{l_x}.$	λp_x .	λl_x .	AUL.
x.		d_{∞} .	or Lite,	l_{∞}	l_x			x.
10	100,000	314	48.05	0.003140	0.996860	1.998634	5.000000	10
11	99,686	420	47.21	.004212	.995788	.998167	4.998634	11
12	99,266	510	46.40	.005140	.994860	.997762	4.996801	12
13	98,756	581	45.64	.005882	.994118	.997438	4.994563	13
14	98,175	631	44.91	.006426	.993574	.997200	4.992001	14
15	ON EAA	0.4.4	44.10	0.000000	0.00000#1			
16	97,544	644	44.19	0.006603	0.993397	1.997123	4.989201	15
17	$96,900 \\ 96,222$	678	43.48	.006998	.993002	.996950	4.986324	16
18		745	42.79	.007741	.992259	.996625	4.983274	17
19	95,477	792	42.12	.008296	.991704	.996382	4.979899	18
15	94,685	820	41.46	.008659	.991341	.996223	4.976281	19
20	93,865	856	40.82	0.009120	0.990880	$\bar{1}.996021$	4.972504	20
21	93,009	847	40.19	.009106	.990894	.996027	4.968525	21
22	92,162	943	39.56	.010233	.989767	.995533	4.964552	22
23	91,219	992	38.96	.010873	.989127	.995252	4.960085	23
24	90,227	990	38.38	.010973	.989027	.995208	4.955337	24
25	89,237	1,006	37.80	0.011274	0.988726	1.995076	4.950545	25
26	88,231	1,024	37.23	.011606	.988394	.994930	4.945621	26
27	87,207	998	36.66	.011442	.988558	.995002	4.940551	27
28	86,209	977	36.08	.011333	.988667	.995050	4.935553	28
29	85,232	975	35.49	.011440	.988560	.995003	4.930603	29
30	84,257	971	34.89	0.011524	0.988476	Ī.994966	4.925606	30
31	83,286	966	34.29	.011599	.988401	.994933	4.920572	31
32	82,320	916	33.69	.011126	.988874	.995141	4.915505	32
33	81,404	869	33.06	.010675	.989325	.995339	4.910646	33
34	80,535	903	32.42	.011212	.988788	.995103	4.905985	34
35	79,632	882	31.78	0.011076	0,988924	1.995163	4.901088	35
36	78,750	877	31.13	.011137	.988863	.995136	4.896251	36
37	77,873	878	30.47	.011274	.988726	.995076	4.891387	37
38	76,995	887	29.81	.011522	.988478	.994967	4.886463	38
39	76,108	863	29.16	.011338	.988662	.995048	4.881430	39
40	ĺ							
40	75,245	885	28.48	0.011763	0.988237	1.994861	4.876478	40
41	74,360	893	27.82	.012009	.987991	.994753	4.871339	41
42	73,467	821	27.15	.011174	.988826	.995120	4.866092	42
44	72,646	791	26.45	.010889	.989111	.995245	4.861212	43
	71,855	805	25.74	.011203	.988797	.995107	4.856457	44
45	71,050	799	25.02	0.011244	0.988756	1.995089	4.851564	45
46	70,251	792	24.30	.011274	.988726	.995076	4.846653	46
47	69,459	757	23.57	.010900	.989100	.995240	4.841729	47
48	68,702	766	22.83	.011149	.988851	.995131	4.836969	48
49	67,936	803	22.08	.011820	.988180	.994836	4.832100	49
50	67,133	821	21.33	0.012230	0.987770	$\overline{1}.994656$	4.826936	50
51	66,312	889	20.59	.013407	.986593	.994138	4.821592	51
52	65,423	955	19.87	.014597	.985403	.993614	4.815730	52
53	64,468	976	19.15	.015139	.984861	.993375	4.809344	53
54	63,492	1,009	18.44	.015891	.984109	.993043	4.802719	54
								1

FEMALE LIFE TABLE. FROM THIRTY OFFICES' EXPERIENCE OF LOSSES AND AMOUNTS INSURED.

	1	Ī	1	1	1	1 1		
AGE.	Living.	Decre- ment.	Expectation	Prob. of Dec.	Prob. Living.			AGE.
0	l_x .		of Life.	$q_x = \frac{d_x}{1}$	$p_x = \frac{l_{\infty+1}}{l_{\infty}}.$	λp_x .	λl_x .	
x.		d_{∞} .		<i>b</i> _w	l_x			x.
55	62,483	1,082	17.73	0.017318	0.982682	Ī.992413	4.795762	55
56	61,401	1,138	17.03	.018532	.981468	.991876	4.788175	56
57	60,263	1,221	16.35	.020262	.979738	.991110	4.780051	57
58	59,042	1,302	15.67	.022051	.977949	.990316	4.771161	58
59	57,740	1,360	15.02	.023554	.976446	.989648	4.761477	59
60	56,380	1 490	14.37	0.025345	0.974655	$\overline{1}.988851$	4 8844.08	60
61	54,951	1,429 $1,501$	13.73	.027315	.972685	.987972	4.751125 4.739976	61
62	53,450	1,617	13.10	.030254	.969746	.986658	4.727948	62
63	51,833	1,690	12.49	.032605	.967395	.985604	4.714606	63
64	50,143	1,771	11.90	.035318	.964682	.984384	4.700210	64
	, i							
65	48,372	1,856	11.31	0.038370	0.961630	1.983008	4.684594	65
66	46,516	1,940	10.74	.041705	.958295	.981499	4.667602	66
67	44,576	2,024	10.19	.045405	.954595	.979819	4.649101	67
68	42,552	2,107	9.65	.049515	.950485	.977945	4.628920	68
69	40,445	2,185	9.13	.054024	.945976	.975880	4.606865	69
70	38,260	2,257	8.62	0.058991	0.941009	$\bar{1}.973594$	4.582745	70
71	36,003	2,322	8.13	.064495	.935505	.971046	4.556339	71
72	33,681	2,376	7.65	.070544	.929456	.968229	4.527385	72
73	31,305	2,416	7.20	.077176	.922824	.965119	4.495614	73
74	28,889	2,442	6.76	.084532	.915468	.961643	4.460733	74
75	26,447	2,449	6.34	0.092599	0.907401	1.957799	4.422376	75
76	23,998	2,435	5.93	.101467	.898533	.953534	4.380175	76
77	21,563	2.397	5.55	.111163	.888837	.948822	4.333709	77
78	19,166	2,335	5.18	.121829	.878171	.943579	4.282531	78
79	16,831	2,246	4.82	.133445	.866555	.937796	4.226110	79
80	14.585	2,133	4.49	0.146245	0.853755	1.931333	4.163906	80
81	12,452	$\frac{2,135}{1,994}$	4.49	.160134	.839866	.924210	4.095239	81
82	10.458	1,833	3.88	.175273	.824727	.916310	4.019449	82
83	8,625	1,654	3.59	.191768	.808232	.907536	3.935759	83
84	6,971	1,462	3.33	.209725	.790275	.897778	3.843295	84
	1					T 000000	0 841080	05
35	5,509	1,262	3.08	0.229081	0.770919	1.887009	3.741073	85
86	4,247	1,062	2.84	.250059	.749941	.875027	3.628082	86
87 88	3,185	868	2.62	.272527	.727473 .703497	.861817 $.847262$	$\begin{vmatrix} 3.503109 \\ 3.364926 \end{vmatrix}$	88
89	$2,317 \mid 1,630 \mid$	$\begin{array}{c} 687 \\ 526 \end{array}$	2.42	.296503 $.322700$.677300	.830781	3.212188	89
00		320	2.23	.5 % % 100				
90	1,104	387	2.05	0.350544	0.649456	1.812550	3.042969	90
91	717	272	1.89	.379358	.620642	.792841	2.855519	91
92	445	183	1.73	.411236	.588764	.769941	2.648360	92
93	262	116	1.59	.442747	.557253	.746052	2.418301 2.164353	94
94	146	70	1.46	.479452	.520548		%.1 0 1 000	0 I
95	76	39	1.34	0.513158	0.486842	1.687388	1.880814	95
96	37	20	1.23	.540541	.459459	.662247	1.568202	96
97	17	10	1.09	.588235	.411765	.614649	1.230449	97
98	7	4	.93	.571429	.428571	.632023	0.845098	98
99	3	3	.50	1.000000	.000000	— ∞	0.477121	99
		1		1				

FEMALE LIFE. D, N, a_x , AND CORRECTION OF AGE.

Example. An actual Age, 32 years 3 months, added to its Correction, gives 34 years, the equivalent Age at which the equal Life Annuity and Premium are found in the preceding tables for Male Life.

4 PER CENT.

							4 PER C	ENI.
ACT						Life An'y.	Correction	AGE,
AGE.	D_x .	λD_x .	\mathbb{N}_{x} .	λN_x .	$\lambda N_x - \lambda D_x$		1	
x.		-				a_x .	(c).	x.
							Y. M.	
10	67,556.5	4.829667	1,372,039.3	6.137366	1.307699	19.3095	5 0.6	10
11	64,754.1	.811267	1,304,482.8	.115438	.304171	19.1452	5 9.1	11
12	62,001.3	.792401	1,239,728.7	.093327	.300926	18.9952	6 2.7	12
13	59,310.3	.773130	1,177,727.4	.071045	.297915	18.8571	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	13
14	56,693.6	.753534	1,118,417.1	.048604	.295070	18.7274	6 7.9	14
14	00,000.0	.100001	1,110, 111.1	.010001	.200010	10.1211	0	**
15	54,162.8	4.733701	1,061,723.5	6.026012	1.292311	18.6025	6 8.6	15
16	51,735.8	.713791	1,007,560.7	.003271	.289480	18.4751	6 9.1	16
17	49,397.7	.693707	955,824.9	5.980378	.286671	18.3496	6 8.9	17
18	47,130.2	.673299	906,427.2	.957333	.284034	18.2324	6 7.5	18
19	44,941.5	.652648	859,297.0	.934144	.281496	18.1204	6 5.4	19
10	11,011.0	.002040	000,201.0	.001111	.201430	10.1204	0 0.1	10
20	42,838.8	4.631837	814,355.5	5.910814	1.278977	18.0098	6 2.9	20
21	40,815.5	.610825	771,516.7	.887345	.276520	17.9025	5 11.8	21
22	38,888.3	.589819	730,701.2	.863740	.273921	17.7898	5 8.9	22
23	37,009.9	.568318	691,812.9	.839989	.271671	17.6927	5 4.5	23
24	35,199.5	.546537	654,803.0	.816111	.269574	17.6026	4 11.5	24
			2,000.0	1010111				
25	33,474.3	4.524712	619,603.5	5.792113	1.267401	17.5098	4 6.5	25
26	31,823.9	.502754	586,129.2	.767993	.265239	17.4179	4 1.3	26
27	30,244.8	.480651	554,305.3	.743749	.263098	17.3273	3 7.9	27
28	28,748.8	.458620	524,060.5	.719381	.260761	17.2289	3 2.9	28
29	27,329.6	.436633	495,311.7	.694879	.258246	17.1237	2 10.3	29
30	25,978.0	4.414606	467,982.1	5.670229	1.255623	17.0145	2 5.7	30
31	24,691.0	.392539	442,004.1	.645426	.252887	16.9014	2 1.3	31
32	23,465.9	.370438	417,313.1	.620462	.250024	16.7838	1 9.0	32
33	22,312.4	.348546	393,847.2	.595328	.246782	16.6515	1 5.5	33
34	21,225.2	.326852	371,534.8	.570000	.243148	16.5044	1 2.7	34
0.5	20 100 0	4.004031	250 200 6	F F 1 1 1 E O	1 000501	10 9509	0.11.0	95
35	20,180.0	4.304921	350,309.6		1.239531	16.3593	0 11.6	35
36	19,188.9	.283051	330,129.6	.518684	.235633	16.2041	0 8.8	36
37	18,245.4	.261153	310,940.7	.492678	.231525	16.0422	0 6.3	37
38	17,345.9	.239196	292,695.3	.466416	.227220	15.8741	0 3.8	38
39	16,486.6	.217130	275,349.4	.439884	.222754	15.7014	0 1.4	39
40	15,672.7	4.195144	258,862.8	5.413070	1.217926	15.5168	0 .0	40
41	14,892.7	.172972	243,190.1	.385946	.212974	15.3295	0 .0	41
42	14,147.9	.150692	228,297.4		.207809	15.1365	0 .0	42
43	13,451.7	.128778	214,149.5	.330717	.201939	14.9199	0 .0	43
44	12,793.5	.106990	200,697.8	.302542	.195552	14.6874	0 .0	44
11	12,100.0	.100000	200,001.0	.002042	.10000%	11.0071	0 .0	11
45	12,163.7	4.085064	187,904.3	5.273937	1.188873	14.4480	0.0	45
46	11,564.3	.063119	175,740.6	.244872	.181753	14.1968	0.0	46
47	10,994.2	.041162	164,176.3	.215310	.174148	13.9330	0.0	47
48	10,456.1	.019369	153,182.1	.185208	.165839	13.6500	0.0	48
49	9,941.82		142,725.97		.157037	13.3561	0.0	49
							0 0	50
50	9,446.46		132,784.15		1.147877	13.0565	0.0	50
51	8,972.06		123,337.69	.091096	.138204	12.7469	0.0	51
52	8,511.30		114,365.63	.058295	.128299	12.4369	0.0	52
53	8,064.49		105,854.33		.118132	12.1260	0.0	53
54	7,636.93	.882919	97,789.84	4.990293	.107374	11.8048	0.0	54

FORMULA, $D_x = v^x l_x$; $1 + a_x = \frac{N_x}{D_x}$; Female $a_x = a_{x+c}$ Male Life.

Female life. D, N, a_x , and correction of age.

	1				1		,	
ACIE						Life An'y.	Correction	AGE.
AGE.	D_{x}	λD_x .	N_x .	λN_x .	$\lambda N_x - \lambda D_x$		(0)	AUL.
x.						a_{x}	(c).	x.
							77 74	
55	7,226.50	3.858928	90,152.91	4.954980	1.096052	11.4753	Y. M. 0 .0	EE
55								55
56	6,828.23	.834308	82,926.41	.918693	.084385	11.1447	0.0	56
57	6,443.93	.809151	76,098.18	.881374	.072223	10.8093	0 .8	57
58	6,070.54	.783227	69,654.25	.842948	.059721	10.4742	0 1.4	58
59	5,708.34	.756510	63,583.71	.803346	.046836	10.1387	0 1.9	59
60	5,359.51	3.729125	57,875.37	4.762494	1.033369	9.7986	0 2.5	60
61	5,022.76	.700942	52,515.86	.720291	.019349	9.4556	0 3.1	61
62	4,697.65	.671881	47,493.10	.676631	.004750	9.1100	0 3.7	62
					0.989892			
63	4,380.32	.641506	42,795.45	.631398		8.76994		63
64	4,074.52	.610076	38,415.13	.584502	.974426	8.42814	0 4.7	64
0.4	S WWO 11	O MWW I SHI	04.040.07	4 505000	0.050001	0.00017	0 -0	0.5
65	3,779.44	3.577427	34,340.61	4.535808	0.958381	8.08617	0 5.2	65
66	3,494.64	.543402	30,561.17	.485170	.941768	7.74517	0 5.8	66
67	3,220.08	.507867	27,066.53	.432432	.924565	7.40553	0 6.3	67
68	2,955.65	.470653	23,846.45	.377424	.906771	7.06810	0 6.9	68
69	2,701.25	.431565	20,890.80	.319955	.888390	6.73375	0 7.5	69
00	~, 101.20	*101000	20,000.00	.010000	.000000	0.,00,0		00
70	2,457.03	3.390411	18,189.55	4.259822	0.869411	6.40306	0 8.1	70
71	2,223.17	.346972	15,732.52	.196799	.849827	6.07664	0 8.7	71
	'				.829649	5.75537	0 9.3	72
72	1,999.79	.300985	13,509.35	.130634				
73	1,787.23	.252180	11,509.56	.061059	.808879	5.43990	0 9.9	73
74	1,585.86	.200266	9,722.33	3.987770	.787504	5.13061	0 10.6	74
				2 2 4 2 4 2 2	0 80 2 2 00	1 00054	0.11.0	
75	1,395.97	3.144876	8,136.47	3.910436	0.765560	4.82854	0 11.2	75
76	1,217.98	.085641	6,740.50	.828692	.743051	4.53415	0 11.8	76
77	1,052.31	.022142	5,522.52	.742138	.719996	4.24803	1 .5	77
78	899.355	2.953931	4,470.212	.650328	.696397	3.97047	1 1.1	78
79	759.410	.880476	3,570.857	.552773	.672297	3.70216	1 1.7	79
10	100.410	OTTOO.	0,010.001	.00%110				
80	632.760	2.801239	2,811.447	3.448930	0.647691	3.44315	1 2.3	80
	1			.338194	.622655	3.19426	1 2.8	81
81	519.444	.715539	2,178.687		.597195	2.95544	1 3.2	82
82	419.484	.622715	1,659.243	.219910				
83	332.653	.521992	1,239.759	.093338	.571346	2.72689		83
84	258.520	.412495	907.106	2.957658	.545163	2.50884	1 3.5	84
					O MICHOC	9 901 69	1 91	05
85	196.444	2.293239	648.586	2.811968	0.518729	2.30163	1 3.1	85
86	145.618	.163215	452.142	.655275	.492060	2.10499	1 2.3	86
87	105.005	.021208	306.524	.486465	.465257	1.91915	1 .9	87
88	73.4501	1.865992	201.5189	.304316	.438324	1.74362	0 10.6	88
89	49.6845	.696221	128.0688	.107443	.411222	1.57764	0 8.8	89
00	10.0010	.000221	120.0000	.10,113				
90	32.3571	1.509969	78.3843	1.894229	0.384260	1.42248	0 7.7	90
91			46.0272	.663015	.357530	1.27788	0 6.8	91
	20.2062	.305485		.411973	.330680	1.14131	0 5.7	92
92	12.0585	.081293	25.8210		.304498	1.01604	0 4.1	93
93	6.82653		13.76251	.138698		.89622	0 2.5	94
94	3.65779	.563219	6.93598	0.841108	.277889	.03022	0 2.0	U.A.
	4 00000		0.04040	0 515004	0.252987	.79055	0.0	95
95	1.83083	0.262647	3.27819	0.515634				96
96	.857040	1.933001	1.447356		.227575	.68879		
97	.378630		.590316	7.771084	.192869	.55908	0.0	97
98	.149910		.211686	.325692	.149861	.41209	0.0	98
99	.061776		.061776		.000000	.00000	0.0	99
00	.001110	2.100020	.001.10		1			
-								

COMPARISON OF DIFFERENT LIFE TABLES.

AGE.	Carlisle.	17 Offices.	Am. 1858.) Eng	lish Life	Table, No	. 3.	20 Offices	. Нм.	AGE.
x.	l_x . d_x .	l_x .	l_x .	Males, l_x .	d_x .	Fem. l_x .	d_x .	l_x .	d_x .	x.
0 1 2 3 4 5	10,000 1,539 8,461 682 7,779 505 7,274 276 6,998 201 6,797 121			511,745 428,026 400,505 386,290 377,077 370,358	27,521 $14,215$ $9,213$ $6,719$	422,481	26,159 14,023		-	0 1 2 3 4 5
6 7 8 9	6,676 82 6,594 58 6,536 43 6,493 33			365,325 361,372 358,062 355,328	3,310 $2,734$	361,594 357,779 354,530 351,806	3,815 3,249 2,724 2,328			6 7 8 9
10 11 12 13 14	6,460 29 6,431 31 6,400 32 6,368 33 6,335 35	99,324 98,650 97,978 97,307	100,000 99,251 98,505 97,762 97,022	353,031 351,048 349,272 347,606 345,969	1,776 1,666 1,637 1,679	349,478 347,433 345,572 343,807 342,062	2,045 1,861 1,765 1,745 1,789	100,000 99,510 99,113 98,784 98,496	490 397 329 288 272	10 11 12 13 14
15 16 17 18 19	$ \begin{vmatrix} 6,300 & 39 \\ 6,261 & 42 \\ 6,219 & 43 \\ 6,176 & 43 \\ 6,133 & 43 \end{vmatrix} $	96,636 95,965 95,293 94,620 93,945	96,285 95,550 94,818 94,089 93,362	$\begin{vmatrix} 344,290 \\ 342,509 \\ 340,581 \\ 338,469 \\ 336,149 \end{vmatrix}$	1,928 2,112 2,320 2,541	340,273 338,385 336,356 334,151 331,751	1,888 2,029 2,205 2,400 2,609	98,224 97,942 97,624 97,245 96,779	282 318 379 466 556	17
20 21 22 23 24	6,090 43 6,047 42 6,005 42 5,963 42 5,921 42	93,268 92,588 91,905 91,219 90,529	92,637 91,914 91,192 90,471 89,751	333,608 330,844 328,043 325,207 322,339	2,801 2,836 2,868	329,142 326,323 323,456 320,544 317,592	2.819 2.867 2.912 2,952 2,989	96,223 95,614 94,971 94,321 93,683	609 643 650 638 622	22
25 26 27 28 29	5,879 43 5,836 43 5,793 45 5,748 50 5,698 56	89,835 89,137 88,434 87,726 87,012	89,032 88,314 87,596 86,878 86,160	319,442 316,516 313,562 310,581 307,572	2,954 2,981 3,009	314,603 311,579 308,524 305,440 302,328	3,024 3,055 3,084 3,112 3,138	93,061 92,444 91,826 91,192 90,538	617 618 634 654 673	
30 31 32 33 34	5,642 57 5,585 57 5,528 56 5,472 55 5,417 55	86,292 85,565 84,831 84,089 83,339	85,441 84,721 84,000 83,277 82,551	304,534 $301,466$ $298,366$ $295,232$ $292,061$	3,100 3,134 3,171	299,190 296,027 292,840 289,631 286,398	3,163 3,187 3,209 3,233 3,255	89,865 89,171 88,465 87,748 87,021	694 706 717 727 740	31 32 33
35 36 37 38 39	5,362 55 5,307 56 5,251 57 5,194 58 5,136 61	82,581 81,814 81,038 80,253 79,458	81,822 81,090 80,353 79,611 78,862	288,850 285,596 282,296 278,944 275,538	3,300 3,352 3,406 3,465	283,143 279,864 276,563 273,237 269,887	3,279 3,301 3,326 3,350 3,376	86,281 85,524 84,745 83,943 83,122	757 779 802 821 838	36 37 38
40 41 42 43 44	5,075 66 5,009 69 4,940 71 4,869 71 4,798 71	78,653 77,838 77,012 76,173 75,316	78,106 77,341 76,567 75,782 74,985	272,073 268,544 264,948 261,280 257,534	3,596 3,668 3,746	266,511 263,109 259,678 256,219 252,729	3,402 3,431 3,459 3,490 3,522	82,284 81,436 80,582 79,717 78,830	848 854 865 887 911	41 42
45 46 47 48 49	4,727 70 4,657 69 4,588 67 4,521 63 4,458 61	74,435 73,526 72,582 71,601 70,580	74,173 73,345 72,497 71,627 70,731	253,708 249,796 245,795 241,700 237,508	4,001 4,095 4,192	249,207 245,652 242,061 238,434 234,769	3,555 3,591 3,627 3,665 3,705	77,919 76,969 75,973 74,932 73,850	1,082	

COMPARISON OF DIFFERENT LIFE TABLES.

AGE.	Carli	sle.	17 Offices.	Am. 1858.	Eng	lish Life	Table, N	o. 3.	20 Office	s. HM.	AGE.
x.	l_x .	d_x .	l_x .	lx.	Males, l_x .	d_x .	Fem. l_x .	d_{x} .	l_x .	d_x .	x.
50 51 52 53	4,397 4,338 4,276 4,211	59 62 65 68	69,517 68,409 67,253 66,046	69,804 68,842 67,841 66,797	233,216 228,821 224,195 219,437	4,626 4,758 4,885	227,318 $223,530$ $219,698$	3,788 3,832 3,876	72,726 71,566 70,373 69,138	1,160 1,193 1,235 1,286	51 52 53
54 55 56 57 58	4,143 4,073 4,000 3,924 3,842	70 73 76 82 93	64,785 63,469 62,094 60,658 59,161	65,706 64,563 63,364 62,104 60,779	214,552 209,539 204,395 199,114 193,686	5,013 5,144 5,281 5,428 5,584	215,822 211,576 207,137 202,509 197,692	4,439 4,628 4,817	$\begin{bmatrix} 67,852 \\ 66,513 \\ 65,114 \\ 63,652 \\ 62,125 \end{bmatrix}$	$ \begin{vmatrix} 1,339 \\ 1,399 \\ 1,462 \\ 1,527 \\ 1,592 \end{vmatrix} $	55 56 57 58
59 60 61 62 63 64	3,749 3,643 3,521 3,395 3,268 3,143	122 126 127 125 125	57,600 55,973 54,275 52,505 50,661 48,744	59,385 57,917 56,371 54,743 53,030 51,230	188,102 182,350 176,421 170,303 163,989 157,474	6,314 6,515	192,683 187,477 182,068 176,449 170,614 164,557	5,409 5,619 5,835 6,057	60,533 58,866 57,119 55,289 53,374 51,373	1,667 1,747 1,830 1,915 2,001 2,076	60
65 66 67 68 69	3,018 2,894 2,771 2,648 2,525	124 123 123 123 124	46,754 44,693 42,565 40,374 38,128	49,341 47,361 45,291 43,133 40,890	150,754 143,833 136,718 129,421 121,963	6,921 7,115 7,297 7,458	158,275 151,766 145,035 138,088 130,939	6,509 6,731 6,947 7,149	49,297 47,156 44,960	2,141 2,196 2,243 2,274	65 66 67 68 69
70 71 72 73 74	2,401 2,277 2,143 1,997 1,841	124 134 146 156 166	35,837 33,510 31,159 28,797 26,439	38,569 36,178 33,730 31,243 28,738	114,370 106,675 98,919 91,149 83,416	7,695 7,756 7,770	123,607 116,118 108,505 100,807 93,071		33,320 30,823	2,371 2,433 2,497 2,554 2,578	70 71 72 73 74
75 76 77 78 79	1,675 1,515 1,359 1,213 1,081	160 156 146 132 128	24,100 21,797 19,548 17,369 15,277	26,237 23,761 21,330 18,961 16,670	75,777 68,294 61,026 54,036 47,381	7,483 7,268 6,990 6,655 6,266	85,347 77,694 70,173 62,844 55,773	7,521 7,329 7,071	$\begin{vmatrix} 23,164 \\ 20,700 \end{vmatrix}$	2,527 2,464 2,374 2,258 2,138	75 76 77 78 79
80 81 82 83 84	953 837 725 623 529	116 112 102 94 84	13,290 11,424 9,694 8,112 6,685	14,474 12,383 10,419 8,603 6,955	41,115 35,283 29,922 25,060 20,711	5,832 5,361 4,862 4,349 3,834	49,018 42,636 36,677 31,181 26,178	5,959 5,496 5,003	11,915 10,032 8,313	2,015 1,883 1,719 1,545 1,346	80 81 82 83 84
85 86 87 88 89	445 367 296 232 181	78 71 64 51 39	5,417 4,306 3,348 2,537 1,864	5,485 4,193 3,079 2,146 1,402	$\begin{array}{c} 16,877 \\ 13,549 \\ 10,709 \\ 8,325 \\ 6,360 \end{array}$	1,965 1,590	14,258 11,296 8,802	3,458 2,962 2,494 2,063	4,284 3,343 2,570 1,955	1,138 941 773 615 495	85 86 87 88 89
90 91 92 93 94	142 105 75 54 40	37 30 21 14 10	1,319 892 570 339 184	847 462 216 79 21	4,770 3,510 2,531 1,787 1,234	979 744 553 401	6,739 5,066 3,735 2,698 1,908	1,331 1,037 790 588	1,460 1,052 723 469 274	408 329 254 195 139	90 91 92 93 94
95 96 97 98 99	30 23 18 14 11	7 5 4 3 2	89 37 13 4 1	3	833 548 352 220 134	285 196 132 86 55	1,320 892 588 378 236	428 304 210 142 92	135 49 9	86 40 9	95 96 97 98 99
100	9	2			79	33	144	59			100

BEYOND 100 YEARS: Carlisle, l_x , 7, 5, 3, 1. English, No. 3, Males l_x , 46, 25, 14, 7, 4, 2, 1. Females l_x , 85, 49, 27, 15, 8, 4, 2, 1.

TABLE LXXX.

EXPECTATION OF LIFE BY VARIOUS TABLES—YEARS AND DECIMALS.

		Y.				X				Χ	
AGE.	North-		17	Am.	English l	Life, No. 3.	20 Offic	es. HM.	30 Am	. Offices.	AGE.
x.	ampton.	Carlisle.	Offices.	1858.	Males.	Females.	Males.	Females.	Males.	Females.	x.
0	25.18	38.72			39.91	41.85					0
$\frac{1}{2}$	32.74 37.79	44.68 47.55			46.65	47.31 49.40					1 2
3 4	39.55 40.58	49.82 50.76			49.61 49.81	50.20 50.43					3 4
5	40.84	51.25			49.71	50.33					5
6 7	41.07	51.17 50.80			49.39 48.92	50.00 49.53					6 7
8	40.79	50.24			48.37	48.98					8
9	40.36	49.57	10.90	10 140	47.74	48.35	70.00	40.00	40.00	40.0=	9
10 11	39.78 39.14	48.82 48.04	48.36 47.68	48.72 48.08	47.05 46.31	47.67 46.95	50.29 49.54	48.20 47.35	49.99 49.32	48.05 47.21	10 11
12 13	38.49 37.83	47.27 46.51	47.01 46.33	47.45 46.80	45.54 44.76	$46.20 \\ 45.44$	48.73 47.89	46.54	48.64 47.95	46.40	12 13
14	37.17	45.75	45.64	46.16	43.97	44.66	47.03	45.05	47.26	44.91	14
15	36.51 35.85	45.00 44.27	44.96 44.27	$45.50 \\ 44.85$	43.18 42.40	43.90 43.14	$46.16 \\ 45.29$	44.34 43.64	46.57 45.88	44.19 43.48	15 16
16 17	35.20	43.57	43.58	44.19	41.64	42.40	44.44	42.95	45.18	42.79	17
18	34.58	42.87 42.17	42.88 42.19	43.53 42.87	$\frac{40.90}{40.17}$	$41.67 \\ 40.97$	43.61 42.82	42.25	44.48 43.78	42.12 41.46	18 19
20	33.43	41.46	41.49	42.20	39.48	40.29	42.06	40.82	43.07	40.82	20
21 22	$32.90 \\ 32.39$	40.75 40.04	40.79 40.09	41.53 40.85	38.80 38.13	$39.63 \\ 38.98$	41.33 40.60	$40.09 \\ 39.39$	42.36 41.65	$\frac{40.19}{39.56}$	21 22
23	31.88	39.31	39.39	40.17	37.46	38.33	39.88	38.70	40.93	38.96	23
24 25	$ \begin{array}{c c} 31.36 \\ 30.85 \end{array} $	38.59 37.86	$38.68 \\ 37.98$	39.49 38.81	36.79 36.12	37.68 37.04	39.15 38.41	38.04	$\begin{vmatrix} 40.21 \\ 39.49 \end{vmatrix}$	38.38 37.80	24 25
26	30.33	37.14	37.27	38.12	35.44	36.39	37.66	36.81	38.77	37.23	26
27 28	29.82 29.30	$\frac{36.41}{35.69}$	36.56 35.86	37.43 36.73	34.77 34.10	35.75 35.10	$36.91 \\ 36.16$	36.23 35.66	38.04	$\frac{36.66}{36.08}$	27 28
29	28.79	35.00	35.15	36.03	33.43	34.46	35.42	35.09	36.58	35.49	29
30 31	28.27 27.76	34.34 33.68	$34.43 \\ 33.72$	$35.33 \\ 34.63$	$\begin{vmatrix} 32.76 \\ 32.09 \end{vmatrix}$	33.81 33.17	34.68 33.95	$34.50 \\ 33.91$	$35.85 \\ 35.12$	$34.89 \\ 34.29$	30 31
.32	27.24	33.03	33.01	33.92	31.42	32.53	33.21	33.31	34.38	33.69	32
33	26.72 26.20	$\begin{array}{c} 32.36 \\ 31.68 \end{array}$	$32.30 \\ 31.58$	$33.21 \\ 32.50$	$\begin{vmatrix} 30.74 \\ 30.07 \end{vmatrix}$	31.88 31.23	32.48 31.75	$\frac{32.69}{32.07}$	33.65 32.91	$\frac{33.06}{32.42}$	33 34
35	25.68	31.00	30.87	31.78	29.40	30.59	31.02	31.45	32.17	31.78	35
36	$25.16 \\ 24.64$	$\begin{vmatrix} 30.32 \\ 29.64 \end{vmatrix}$	30.15 29.44	31.07 30.35	28.73 28.06	29.94 29.29	$30.29 \\ 29.56$	30.81 30.18	$ \begin{array}{c} 31.43 \\ 30.70 \end{array} $	31.13 30.47	36 37
38	24.12	28.96	28.72	29.62	27.39	28.64	28.84	29.54	29.96	29.81	38
39 40	23.60 23.08	28.28	28.00 27.28		26.72 26.06	27.99 27.34	28.12 27.40	28.90 28.25	29.22 28.48	29.16 28.48	39
41	22.56	26.97	26.56	27.45	25.39	26.69	26.68	27.61	27.75	27.82	41
42 43	22.04 21.54	26.34 25.71		$26.72 \\ 26.00$	24.73 24.07	26.03 25.38	25.96 25.23	26.96 26.30	27.01 26.28	27.15 26.45	42 43
44	21.03	25.09	24.40	25.27	23.41	24.72	24.51	25.65	25.55	25.74	44
45 46	20.52 20.02	24.46 23.82	23.69 22.97	24.54 23.81	22.76 22.11	$24.06 \\ 23.40$	23.79 23.08	24.99 24.33	24.82 24.09	25.02 24.30	45 46
47	19.51	23.17	22.27	23.08	21.46	22.74	22.38	23.66	23.38	23.57	47
48 49	19.00 18.49	22.50 21.81	21.56 20.87	22.36 21.63	20.82 20.17	22.08 21.42	21.68	$\begin{vmatrix} 22.98 \\ 22.30 \end{vmatrix}$	$22.66 \\ 21.95$	22.83 22.08	48 49
<u> </u>	10.10	71.01	70.01	72100	70.11	71.10	1		71.00	3.3.00	

TABLE LXXX.

EXPECTATION OF LIFE BY VARIOUS TABLES—YEARS AND DECIMALS.

AGE.	North-		17	Am.	English I	Life, No. 3.	20 Offic	es. H ^M .	30 Am	. Offices.	AGE.
x.	ampton.	Carlisle.	Offices.	1858.	Males.	Females.	Males.	Females.	Males.	Females.	x.
50 51 52 53 54	17.99 17.50 17.02 16.54 16.06	21.11 20.39 19.68 18.97 18.28	20.18 19.50 18.82 18.16 17.50	20.91 20.20 19.49 18.79 18.09	19.54 18.90 18.28 17.67 17.06	20.75 20.09 19.42 18.75 18.08	20.31 19.63 18.95 18.28 17.62	21.62 20.93 20.24 19.55 18.87	21.24 20.54 19.84 19.15 18.47	21.33 20.59 19.87 19.15 18.44	50 51 52 53 54
55 56 57 58 59 60	15.58 15.10 14.63 14.15 13.68 13.21	17.58 16.89 16.21 15.55 14.92 14.34	16.86 16.22 15.59 14.97 14.37	17.40 16.72 16.05 15.39 14.74 14.10	16.45 15.86 15.26 14.68 14.10 13.53	17.43 16.79 16.17 15.55 14.94 14.34	16.96 16.32 15.68 15.05 14.44 13.83	18.19 17.52 16.85 16.18 15.52 14.85	17.80 17.13 16.47 15.83 15.19 14.56	17.73 17.03 16.35 15.67 15.02 14.37	55 56 57 58 59 60
61 62 63 64	12.75 12.28 11.81 11.35	13.82 13.31 12.81 12.30	13.18 12.61 12.05 11.51	$ \begin{array}{c} 13.47 \\ 12.86 \\ 12.26 \\ 11.67 \end{array} $	12.96 12.41 11.87 11.34	13.75 13.17 12.60 12.05	13.24 12.66 12.10 11.55	14.20 13.56 12.95 12.35 11.77	13.94 13.34 12.74 12.16 11.60	13.73 13.10 12.49 11.90	61 62 63 64 65
65 66 67 68 69	10.88 10.42 9.96 9.50 9.05	11.79 11.27 10.75 10.23 9.70	10.97 10.46 9.96 9.47 9.00	11.10 10.54 10.00 9.47 8.97	10.82 10.32 9.83 9.36 8.90	11.51 10.98 10.47 9.97 9.48	11.01 10.49 9.98 9.48 8.98	11.21 10.66 10.12 9.59	11.04 10.50 9.97 9.46 8.97	11.31 10.74 10.19 9.65 9.13 8.62	66 67 68 69 70
70 71 72 73 74	8.60 8.17 7.74 7.33 6.92	9.18 8.65 8.16 7.72 7.33	8.54 8.10 7.67 7.26 6.86	8.48 8.00 7.55 7.11 6.68	8.45 8.03 7.62 7.22 6.85	9.02 8.57 8.13 7.71 7.31	8.50 8.03 7.58 7.15 6.75	9.08 8.59 8.12 7.69 7.29	8.49 8.02 7.57 7.14	8.13 7.65 7.20 6.76	71 72 73 74 75
75 76 77 78 79	6.54 6.18 5.83 5.48 5.11	7.01 6.69 6.40 6.12 5.80	6.48 6.11 5.76 5.42 5.09	6.27 5.88 5.49 5.11 4.74	6.49 6.15 5.82 5.51 5.21	6.93 6.56 6.21 5.88 5.56	6.38 6.02 5.67 5.34 5.03	6.93 6.60 6.31 6.02 5.74	6.72 6.32 5.93 5.57 5.21	6.34 5.93 5.55 5.18 4.82	76 77 78 79
80 81 82 83 84	4.75 4.41 4.09 3.80 3.58	5.51 5.21 4.93 4.65 4.39	4.78 4.48 4.18 3.90 3.63	4.39 4.05 3.71 3.39 3.08	4.93 4.66 4.41 4,17 3.95	5.26 4.98 4.71 4.45 4.21	4.72 4.43 4.17 3.93 3.71	5.45 5.14 4.79 4.44 4.11	4.87 4.55 4.24 3.95 3.67	4.49 4.17 3.88 3.59 3.33	80 81 82 83 84
85 86 87 88 89	3.37 3.19 3.01 2.86 2.66	4.12 3.90 3.71 3.59 3.47	3.36 3.10 2.84 2.59 2.35	2.77 2.47 2.18 1.91 1.66	3.73 3.53 3.34 3.16 3.00	3.98 3.76 3.56 3.36 3.18	3.51 3.31 3.10 2.88 2.63	3.81 3.57 3.39 3.29 3.27	3.40 3.14 2.89 2.64 2.39	3.08 2.84 2.62 2.42 2.23 2.05	85 86 87 88 89
90 91 92 93 94	2.41 2.09 1.75 1.37 1.05	3.28 3.26 3.37 3.48 3.53	2.11 1.89 1.67 1.47 1.28	1.42 1.19 .98 .80 .64	2.84 2.69 2.55 2.41 2.29	3.01 2.85 2.70 2.55 2.42	2.36 2.08 1.80 1.50 1.20	3.30 3.37 3.42 3.30 2.91 2.47	2.17 1.98 1.81 1.64 1.49 1.34	1.89 1.73 1.59 1.46 1.34	91 92 93 94 95
95 96 97 98 99	.75	3.53 3.46 3.28 3.07 2.77 2.28	1.12 .99 .89 .75 .50	.50	2.17 2.06 1.95 1.85 1.76 1.68	$\begin{bmatrix} 2.29 \\ 2.17 \\ 2.06 \\ 1.96 \\ 1.86 \\ 1.76 \end{bmatrix}$.93	1.49 1.49 1.00 .50	1.34 1.18 1.03 .83 .50	1.34 1.23 1.09 .93 .50	96 97 98 99

PERCENTAGE OF MORTALITY BY SEVERAL LIFE TABLES.

			1		1	1	1	1	
AGE.	North-	Carlisle.	English I	Life, No. 3.	17	20 Offices.	American,	30 Offices,	AGE.
Aul.	ampton.	044 220101	Males.	Females.	Offices.	Нм.	1858.	Am. Males.	
0	25.7511	15.3900	18.326	14.749					0
1 2	$15.8035 \\ 6.8928$	8.0605 6.4918	6.680 3.624	6.436 3.603					1 2
3	4,9403	$\begin{bmatrix} 0.4918 \\ 3.7943 \end{bmatrix}$	2.416	2.450					3
4	3.0562	2.8723	1.799	1.785					4
5	2.9445	1.7810	1.369	1,337					5
6	2.3084	1.2283	1.088	1.061					6
8	1.8565	0.8796	0.920	0.912					7
9	1.3757 1.0462	$.6579 \\ .5082$.767	$.771 \\ .664$					9
10	0.9163	.4489	.563	.587	0.6760	0.4900	0.7490	0.6479	10
11	.8892	.4820	.507	.537	.6786	.3990	.7516	.6502	11
12 13	.8972	.5000	.478	.512	.6812	.3319	.7542	.6516	12
14	.9053 .9136	.5182 $.5525$.472	.509 $.524$.6848	.2915 $.2762$.7569 .7596	.6568	13 14
15	.9220	.6191	.519	.556	.6944	.2871	.7633	.6593	15
16	.9864	.6708	.564	.601	.7003	.3247	.7660	.6614	16
17	1.0902	.6914	.622	.658	.7062	.3882	.7688	.6648	17
18 19	1.1972 1.2887	.6962	.688	.721 .789	.7134 .7206	.4792 $.5745$.7726 .7765	.6683	18 19
20	1.4030	.7061	.832	.860	.7291	.6329	.7804	.6763	20
21	1.4822	.6946	.850	.882	.7377	.6725	.7855	.6808	21
22	1.5045	.6994	.868	.904	.7464	.6844	.7906	.6856	22
23	1.5275	.7043	.886	.925	.7564	.6764	.7958	.6911	23
24	1.5512	.7093	.903	.946	.7666	.6639	.8011	.6973	24
25 26	1.5756 1.6009	.7314 .7368	.920 .938	.966 .985	.7770	.6630	.8064 .8130	.7032	25 26
27	1.6269	.7768	.955	1.005	.8006	.6904	.8196	.7190	27
28	1.6538	.8699	.974	1.024	.8139	.7172	.8264	.7275	28
29	1.6816	.9828	.993	1.043	.8275	.7473	.8344	.7385	29
30	1.7104	1.0103	1.013	1.063	.8425	.7723	.8426	.7485	30
31 32	1.7401 1.7710	1.0206 1.0130	$1.034 \\ 1.056$	1.082 1.102	.8578	.7917 .8105	.8510 .8607	.7602 .7727	31 32
33	1.8029	1.0051	1.080	1.123	.8919	.8285	.8717	.7871	33
34	1.8360	1.0151	1.105	1.143	.9095	.8504	.8830	.8027	34
35	1.8704	1.0257	1.133	1.165	.9288	.8774	.8946	.8212	35
36	1.9060	1.0552	1.162	1.186	.9485	.9109	.9088	.8390	36
37 38	1.9430 1.9815	1.0855 1.1167	$egin{array}{c} 1.194 \ 1.229 \ \end{array}$	$1.210 \\ 1.234$.9687	.9464 $.9780$.9234	$\frac{.8591}{.8826}$	37 38
39	2.0216	1.1877	1.265	1.259	1.0131	1.0082	.9586	.9077	39
40	2.0908	1.3005	1.306	1.285	1.0362	1.0306	.9794	.9360	4.0
41	2.1635	1.3775	1.348	1.313	1.0612	1.0487	1.0008	.9647	41
42 43	2.2401 2.2914	1.4373 1.4582	1.394 1.444	$1.341 \ 1.371$	1.0894 1.1251	1.0734 1.1127	1.0252 1.0517	$\begin{array}{c c} .9998 \\ \hline 1.0351 \end{array}$	42 43
44	2.3452	1.4798	1.497	1.403	1.1697	1.1556	1.0829	1.0761	44
45	2.4015	1.4809	1.554	1.437	1.2212	1.2192	1.1163	1.1203	45
46	2.4606	1.4816	1.615	1.473	1.2839	1.2940	1.1562	1.1688	46
47	2.5227	1.4603	1.680	1.510	1.3516	1.3702	1.2000	1.2227	47
48	2.5879 2.6908	1.3935 1.3683	1.749 1.823	$1.549 \\ 1.591$	1.4260 1.5061	1.4440 1.5220	1.2509 1.3106	1.2814 1.3459	48 49
	2.0000	1.0000	1.0%0	1.001	1.0001	1.0000	1.0100	1.0100	10

PERCENTAGE OF MORTALITY BY SEVERAL LIFE TABLES.

	North-		English L	ife, No. 3.	17	90 Offices	Amoricon	30 Offices,	
AGE.	ampton.	Carlisle.	Males.	Females.	Offices.	HM.	1858.	Am.Males.	AGE.
50 51 52 53 54	2.8351 2.9539 3.0438 3.1394 3.2411	1.3418 1.4292 1.5201 1.6148 1.6896	1.902 2.042 2.145 2.251 2.364	1.634 1.680 1.729 1.780 1.987	1.5938 1.6898 1.7947 1.9093 2.0313	1.5950 1.6670 1.7549 1.8600 1.9734	1.4541 1.5389 1.6333	1.4175 1.4955 1.5814 1.6752 1.7779	50 51 52 53 54
55 56 57 58 59	3.3497 3.4658 3.5902 3.7239 3.8679	$egin{array}{c} 1.7923 \\ 1.9000 \\ 2.0897 \\ 2.4206 \\ 2.8274 \\ \end{array}$	2.485 2.617 2.763 2.925 3.105	2.120 2.259 2.407 2.566 2.738	2.1664 2.3126 2.4679 2.6386 2.8246	2.1033 2.2453 2.3990 2.5626 2.7539	1.8571 1.9885 2.1335	$ \begin{array}{c} 1.8930 \\ 2.0172 \\ 2.1560 \\ 2.3060 \\ 2.4707 \end{array} $	55 56 57 58 59
60 61 62 63 64	4.0235 4.1922 4.3223 4.5176 4.6729	3.3489 3.5785 3.7408 3.8250 3.9771	3.305 3.529 3.777 4.053 4.360	2.927 3.134 3.362 3.614 3.891	3.0336 3.2612 3.5121 3.7840 4.0826	2.9678 3.2038 3.4636 3.7490 4.0410	2.8880 3.1292 3.3943	2.6527 2.8529 3.0700 3.3108 3.5740	60 61 62 63 64
65 66 67 68 69	4.9020 5.1546 5.4348 5.7471 6.0975	4.1087 4.2502 4.4388 4.6450 4.9109	4.698 5.071 5.483 5.933 6.425	4.198 4.535 4.906 5.314 5.760	4.4082 4.7614 5.1474 5.5630 6.0087	4.3431 4.6569 4.9889 5.3234 5.7340	4.7647 5.2002	3.8640 4.1789 4.5282 4.9043 5.3242	65 66 67 68 69
70 71 72 73 74	6.4935 6.9444 7.4627 8.0645 8.7719	5.1645 5.8849 6.8129 7.8117 9.0168	6.962 7.545 8.176 8.861 9.599	6.247 6.778 7.355 7.980 8.659	6.4933 7.0158 7.5805 8.1884 8.8468	6.8050	7.3733	5.7778 6.2775 6.8216 7.4149 8.0709	70 71 72 73 74
75 76 77 78 79	9.6154 10.2393 10.8148 11.2957 12.1723	9.5522 10.2970 10.7432 10.8821 11.8409	10.391 11.246 12.158 13.136 14.178	9.389 10.175 11.024 11.930 12.903	9.5560 10.3180 11.1469 12.0444 13.0065	11.4686 12.3213	$ \begin{vmatrix} 9.4371 \\ 10.2311 \\ 11.1064 \\ 12.0827 \\ 13.1734 \end{vmatrix} $	8.7792 9.5503 10.3996 11.3181 12.3185	75 76 77 78 79
80 81 82 83 84	13.4328 14.7783 16.4740 19.0311 20.5128	12.1721 13.3811 14.0690 15.0883 15.8790	15.290 16.474 17.726 19.057 20.471	13.942 15.048 16.227 17.483 18.812	14.0406 15.1436 16.3194 17.5913 18.9678	15.8036 17.1352 18.5853		13.4068 14.5833 15.8704 17.2458 18.7523	80 81 82 83 84
85 86 87 88 89	22.0430 23.4483 25.2252 25.3012 25.8065	17.5281 19.3461 21.6216 21.9828 21.5470	21.966 23.529 25.196 26.947 28.799	20.227 21.716 23.292 24.960 26.726	20.5095 22.2480 24.2234 26.5274 29.2382	21.9655 23.1230 23.9300 25.3196	30.3020 34.6692 39.5863	20.3633 22.0841 23.9885 25.9550 29.2600	85 86 87 88 89
90 91 92 93 94	26.0869 29.4118 33.3333 43.7500 55.5556	26.0563 28.5714 28.0000 25.9259 25.0000	30.717 32.764 34.897 37.139 39.430	28.564 30.521 32.579 31.725 36.935	32.3730 36.0987 40.5263 45.7227 51.6304	31.2737 35.1314 41.5778 50.7300	73.4177 85.7143	32.8154 35.8544 38.9736 42.5000 46.2451	90 91 92 93 94
95 97 98 99	75.0000 100.0000	23.3333 21.7391 22.2222 21.4286 18.1818	42.035 44.144 47.312 50.000 53.398	39.338 41.873 44.397 47.333 49.730	58.4270 64.8649 69.2308 75.0000 100.0000	63.7036 81.6337 100.0000		55.8824 60.0000 66.6666 100. 0000	95 96 97 98 99
100		22.2222	55.000	53.153					100

ANTI-LOGARITHMS, OR NUMBERS TO LOGARITHMS.

Log.	0	1	2	3	4	5	6	7	8	9	
.000 .001 .002 .003	10000 10023 10046 10069 10093	10002 10025 10048 10072 10095	10005 10028 10051 10074 10097	10007 10030 10053 10076 10100	10009 10032 10055 10079 10102	10012 10035 10058 10081 10104	10014 10037 10060 10083 10106	10016 10039 10062 10086 10109	10018 10042 10065 10088 10111	10021 10044 10067 10090 10113	1 0 2 0 3 1 4 1
.004 .005 .006 .007 .008	10116 10139 10162 10186 10209	10118 10141 10165 10188 10212	10120 10144 10167 10191 10214	$ \begin{array}{c} 10123 \\ 10146 \\ 10170 \\ 10193 \\ 10216 \end{array} $	10102 10125 10148 10172 10195 10219	10127 10151 10174 10198 10221	10130 10153 10177 10200	10132 10155 10179 10202	10111 10134 10158 10181 10205 10228	10137 10160 10184 10207 10231	5 1 6 1 7 2 8 2 9 2
.009 .010 .011 .012 .013	10203 10233 10257 10280 10304 10328	10235 10259 10283 10306 10330	10238 10261 10285 10309 10332	10240 10264 10287 10311 10335	10242 10266 10290 10313 10337	$ \begin{array}{c} 10245 \\ 10268 \\ 10292 \\ 10316 \\ 10340 \end{array} $	10224 10247 10271 10294 10318 10342	10226 10249 10273 10297 10320 10344	10252 10275 10299 10323 10347	10254 10278 10301 10325 10349	1 0 2 0 3 1 4 1
.015 .016 .017 .018	10351 10375 10399 10423 10447	10354 10378 10402 10426 10450	10356 10380 10404 10428 10452	10359 10382 10406 10430 10454	10361 10385 10409 10433 10457	$ \begin{array}{c} 10363 \\ 10387 \\ 10411 \\ 10435 \\ 10459 \end{array} $	10366 10390 10414 10438 10462	10368 10392 10416 10440 10464	10371 10394 10418 10442 10466	10373 10397 10421 10445 10469	5 1 6 1 7 2 8 2 9 2
.020 .021 .022 .023	10471 10495 10520 10544 10568	$ \begin{array}{c} 10474 \\ 10498 \\ 10522 \\ 10546 \end{array} $	10476 10500 10524 10549	10479 10503 10527 10551	$ \begin{array}{c} 10481 \\ 10505 \\ 10529 \\ 10554 \end{array} $	10483 10508 10532 10556	$ \begin{array}{c c} 10486 \\ 10510 \\ 10534 \\ 10558 \end{array} $	10488 10512 10537 10561	10491 10515 10539 10563	10493 10517 10541 10566 10590	1 0 2 0 3 1 4 1
.024 .025 .026 .027 .028	10593 10617 10641 10666	10571 10595 10619 10644 10668	10573. 10597 10622 10646 10671	$ \begin{array}{c} 10575 \\ 10600 \\ 10624 \\ 10649 \\ 10673 \end{array} $	10578 10602 10627 10651 10676	10580 10605 10629 10654 10678	10583 10607 10632 10656 10681	10585 10610 10634 10659 10683	10588 10612 10637 10661 10686	10615 10639 10664 10688	5 1 6 1 7 2 8 2
.029 .030 .031 .032 .033	10691 10715 10740 10765 10789	$ \begin{vmatrix} 10693 \\ 10718 \\ 10742 \\ 10767 \\ 10792 \end{vmatrix} $	10695 10720 10745 10770 10794	$ \begin{array}{c c} 10698 \\ 10723 \\ 10747 \\ 10772 \\ 10797 \end{array} $	$ \begin{array}{c c} 10700 \\ 10725 \\ 10750 \\ 10775 \\ 10799 \end{array} $	10703 10728 10752 10777 10802	10705 10730 10755 10780 10804	10708 10732 10757 10782 10807	10710 10735 10760 10784 10809	10713 10737 10762 10787 10812	9 2 1 0 2 1 3 1
.034 .035 .036 .037 .038	10814 10839 10864 10889 10914	10817 10842 10867 10892 10917	10819 10844 10869 10894 10919	10822 10847 10872 10897 10922	10824 10849 10874 10899 10924	10827 10852 10877 10902 10927	10829 10854 10879 10904 10929	10832 10857 10882 10907 10932	10834 10859 10884 10909 10935	10837 10862 10887 10912 10937	4 1 5 1 6 2 7 2 8 2
.039 .040 .041 .042 .043	10940 10965 10990 11015 11041	10942 10967 10993 11018 11043	10945 10970 10995 11020 11046	10947 10972 10998 11023 11048	10950 10975 11000 11026 11051	10952 10977 11003 11028 11054	10955 10980 11005 11031 11056	10957 10982 11008 11033 11059	10960 10985 11010 11036 11061	10962 10988 11013 11038 11064	9 2 1 0 2 1 3 1
.044 .045 .046 .047 .048	11066 11092 11117 11143 11169 11194	11069 11094 11120 11146 11171 11197	11071 11097 11122 11148 11174 11200	11074 11099 11125 11151 11176 11202	11076 11102 11128 11153 11179 11205	11079 11105 11130 11156 11181 11207	11082 11107 11133 11158 11184 11210	11084 11110 11135 11161 11187 11212	11087 11112 11138 11163 11189 11215	11089 11115 11140 11166 11192 11218	4 1 5 1 6 2 7 2 8 2 9 2
Log.	0	1	2	3	4	5	6	7	8	9	

ANTI-LOGARITHMS, OR NUMBERS TO LOGARITHMS.

Log.	0	1	2	3	4	5	6	7	8	9	P. P.
.050	11220	11223	11225	11228	11231	11233	11236	11238	11241	11243	
.051	11246	11249	11251	11254	11256	11259	11262	11264	11267	11269	1 0
.052	11272 11298	$11275 \\ 11301$	11277 11303	$11280 \\ 11306$	11282 11308	11285 11311	11288 11314	11290	11293	11295	2 1
.054	11324	11327	11329	11332	11334	11337	11314	11316 11342	11319 11345	$\begin{vmatrix} 11321 \\ 11347 \end{vmatrix}$	3 1 4 1
.055	11350	11353	11355	11358	11361	11363	11366	11368	11371	11374	5 1
.056	11376	11379	11382	11384	11387	11389	11392	11395	11397	11400	6 2
.057	11402	11405	11408	11410	11413	11416	11418	11421	11424	11426	7 2
.058	11429	11431	11434	11437	11439	11442	11445	11447	11450	11452	8 2
.059	11455	11458	11460	11463	11466	11468	11471	11474	11476	11479	9 2
.060	11482	11484	11487	11489	11492	11495	11497	11500	11503	11505	
.061	11508	11511	11513	11516	11519	11521	11524	11527	11529	11532	$\begin{array}{c c} 1 & 0 \\ \hline \end{array}$
.062	$\frac{11535}{11561}$	11537 11564	11540	11543	11545	11548	11550	11553	11556	$11558 \\ 11585$	2 1 3 1
.064	11588	$11504 \\ 11590$	$11566 \\ 11593$	$11569 \\ 11596$	11572 11598	$11574 \\ 11601$	11577 11604	$11580 \\ 11606$	$11582 \\ 11609$	11612	4 1
.065	11614	11617	11620	11623	11625	11628			11636	11639	5 1
.066	11641	11644	11620 11647	11623 11649	$\frac{11625}{11652}$	11628 11655	$\frac{11631}{11657}$	11633 11660	11663	11665	6 2
.067	11668	11671	11673	11676	11679	11682	11684	11687	11690	11692	7 2
.068	11695	11698	11700	11703	11706	11708	11711	11714	11717	11719	8 2
.069	11722	11725	11727	11730	11733	11735	11738	11741	11744	11746	9 2
.070	11749	11752	11754	11757	11760	11763	11765	11768	11771	11773	
.071	11776	11779	11781	11784	11787	11790	11792	11795	11798	11800	1 0
.072	11803	11806	11809	11811	11814	11817	11820	11822	11825	11828	2 1
.073	11830	11833	11836	11839	11841	11844	11847	11849	11852	11855	3 1 4 1
.074	11858	11860	11863	11866	11869	11871	11874	11877	11880	11882	
.075	11885	11888	11890	11893	11896	11899	11901	11904	11907 11934	$11910 \\ 11937$	5 1 6 2
.076	$11912 \\ 11940$	$\frac{11915}{11943}$	11918 11945	$11921 \\ 11948$	11923 11951	$11926 \\ 11954$	$11929 \\ 11956$	$\frac{11932}{11959}$	11962	11965	7 2
.078	11967	11970	11943 11973	11976	11978	11934	11984	11987	11989	11992	8 2
.079	11995	11998	12001	12003	12006	12009	12012	12014	12017	12020	9 2
.080	12023	12025	12028	12031	12034	12036	12039	12042	12045	12048	
.081	12050	12053	12056	12059	12061	12064	12067	12070	12073	12075	1 0
.082	12078	12081	12084	12086	12089	12092	12095	12098	12100	12103	2 1
.083	12106	12109	12112	12114	12117	12120	12123	12126	12128	12131	3 1
.084	12134	12137	12139	12142	12145	12148	12151	12153	12156	12159	4 1
.085	12162	12165	12167	12170	12173	12176	12179	12181	12184 12212	12187 12215	5 1 6 2
.086	12190 12218	12193	12196	12198	12201	$12204 \\ 12232$	12207 12235	$12210 \\ 12238$	12241	12243	7 2
.087	12246	$12221 \\ 12249$	12224 12252	12226 12255	12229 12257	12260	12263	12266	12269	12272	8 2
.089	12274	12277	12280	12283	12286	12289	12291	12294	12297	12300	9 3
.090	12303	12306	12308	12311	12314	12317	12320	12323	12325	12328	
.091	12331	12334	12337	12340	12342	12345	12348	12351	12354	12357	1 0
.092	12359	12362	12365	12368	12371	12374	12377	12379	12382	12385	2 1
.093	12388	12391	12394	12397	12399	12402	12405	12408	12411	12414	3 1 4 1
.094	12417	12419	12422	12425	12428	12431	12434	12437	12439	12442	
.095	12445	12448	12451	12454	12457	12459	13462	12465	12468	$12471 \\ 12500$	5 1 6 2
.096	12474	12477	12480	12482	12485	$12488 \\ 12517$	$12491 \\ 12520$	$\begin{vmatrix} 12494 \\ 12523 \end{vmatrix}$	12497 12526	12529	7 2
.097	$12503 \\ 12531$	12505	12508	12511	12514 12543	12517 12546	12520 12549	12552	12555	12557	8 2
.099	12560	12534 12563	12537 12566	$12540 \\ 12569$	$\frac{12545}{12572}$	12575	12578	12581	12583	12586	9 3
Log.	0	1	2	3	4	5	6	7	8	9	

ANTI-LOGARITHMS, OR NUMBERS TO LOGARITHMS.

Log.	0	1	2	3	4	5	6	7	8	9	P, P.
.100 .101 .102 .103 .104	12589 12618 12647 12677 12706	12592 12621 12650 12679 12709	12595 12624 12653 12682 12712	12598 12627 12656 12685 12715	12601 12630 12659 12688 12717	12604 12633 12662 12691 12720	12607 12636 12665 12694 12723	12610 12639 12668 12697 12726	12612 12642 12671 12700 12729	12615 12644 12674 12703 12732	1 0 2 1 3 1 4 1
.105 .106 .107 .108 .109	12735 12764 12794 12823 12853	12738 12767 12797 12826 12856	12741 12770 12800 12829 12859	12744 12773 12803 12832 12862	12747 12776 12806 12835 12865	12750 12779 12809 12838 12868	12753 12782 12812 12841 12871	12756 12785 12814 12844 12874	12759 12788 12817 12847 12877	12761 12791 12820 12850 12880	5 1 6 2 7 2 8 2 9 3
.110 .111 .112 .113 .114	12882 12912 12942 12972 13002	12885 12915 12945 12975 13005	12888 12918 12948 12978 13008	12891 12921 12951 12981 13011	12894 12924 12954 12984 13014	12897 12927 12957 12987 13017	12900 12930 12960 12990 13020	12903 12933 12963 12993 13023	12906 12936 12966 12996 13026	12909 12939 12969 12999 13029	1 0 2 1 3 1 4 1
.115 .116 .117 .118 .119	13032 13062 13092 13122 13152 13183	13035 13065 13095 13125 13155 13186	13038 13068 13098 13128 13158 13189	13041 13071 13101 13131 13161 13192	13044 13074 13104 13134 13164	13047 13077 13107 13137 13167	13050 13080 13110 13140 13170	13053 13083 13113 13143 13173	13056 13086 13116 13146 13176	13059 13089 13119 13149 13180	5 2 6 2 7 2 8 2 9 3
.120 .121 .122 .123 .124 .125	13213 13243 13274 13305 13335	13216 13246 13277 13308 13338	13189 13219 13250 13280 13311 13341	13192 13222 13253 13283 13314 13344	$\begin{array}{c} 13195 \\ 13225 \\ 13256 \\ 13286 \\ 13317 \\ 13348 \end{array}$	13198 13228 13259 13289 13320 13351	13201 13231 13262 13292 13323 13354	13204 13234 13265 13295 13326 13357	13207 13237 13268 13298 13329 13360	13210 13240 13271 13301 13332 13363	1 0 2 1 3 1 4 1 5 2
.126 .127 .128 .129	13366 13397 13428 13459 13490	13369 13400 13431 13462 13493	13372 13403 13434 13465 13496	13375 13406 13437 13468 13499	13378 13409 13440 13471 13502	13381 13412 13443 13474 13505	13384 13415 13446 13477 13508	13388 13418 13449 13480 13511	13391 13421 13452 13483 13515	13394 13425 13456 13487 13518	6 2 7 2 8 2 9 3
.131 .132 .133 .134	13521 13552 13583 13614 13646	13524 13555 13586 13618 13649	13527 13558 13589 13621 13652	13530 13561 13593 13624 13655	$ \begin{array}{c} 13502 \\ 13533 \\ 13564 \\ 13596 \\ 13627 \\ 13658 \end{array} $	13536 13536 13568 13599 13630	13539 13571 13602 13633 13665	13543 13574 13605 13636 13668	13546 13577 13608 13640 13671	13549 13580 13611 13643 13674	1 0 2 1 3 1 4 1 5 2
.136 .137 .138 .139	13677 13709 13740 13772 13804	13680 13712 13744 13775 13807	13684 13715 13747 13778 13810	13687 13718 13750 13782 13813	13690 13721 13753 13785 13817	13693 13725 13756 13788 13820	13696 13728 13759 13791 13823	13699 13731 13763 13794 13826	13703 13734 13766 13797 13829	13706 13737 13769 13801 13832	6 2 7 2 8 3 9 3
.141 .142 .143 .144	13836 13868 13900 13932 13964	13839 13871 13903 13935 13967	13842 13874 13906 13938 13970	13845 13877 13909 13941 13973	13848 13880 13912 13944 13977	13852 13884 13916 13948 13980	13855 13887 13919 13951 13983	13858 13890 13922 13954 13986	13861 13893 13925 13957 13989	13864 13896 13928 13960 13993	1 0 2 1 3 1 4 1 5 2
.146 .147 .143 .149	13996 14028 14030 14093	$13999 \\ 14031$	14002 14035 14037 14099	14006 14038 14070 14103	14009 14041 14073 14106	14012 14044 14077 14109	14015 14048 14000 14112	14018 14051 14063 14116	14022 14054 14056 14119	14025 14057 14057 14122	6 2 7 2 0 3 9 3
Log.	0	1	2	3	4	5	6	7	8	9	

Log.	0	1	2	3	4	5	6	7	8	9	Р.	Р.
.150	14125 14158	14129 14161	14132 14164	14135 14168	14138 14171	14142 14174	14145 14178	14148 14181	14151 14184	14155 14187	1	0
.151	14191	14194	14197	14200	14204	14207	14210	14213	14217	14220		1
.153	14223	14227	14230	14233	$14236 \\ 14269$	14240	14243	14246	14250	14253		1
.154	14256 14289	14259 14292	$14263 \\ 14296$	$14266 \\ 14299$	14302	$\begin{vmatrix} 14272 \\ 14305 \end{vmatrix}$	14276 14309	14279 14312	14282 14315	14286 14319		2
.156	14322	14325	14328	14332	14335	14338	14342	14345	14348	14352	6	2
.157	14355	14358	14362	14365	14368	14371	14375	14378	14381	14385		2
.158	$14388 \\ 14421$	$14391 \\ 14424$	$14395 \\ 14428$	$14398 \\ 14431$	$14401 \\ 14434$	$\begin{vmatrix} 14405 \\ 14438 \end{vmatrix}$	14408 14441	14411 14444	14415 14448	14418 14451		3
.160	14454	14458	14461	14464	14468	14471	14474	14478	14481	14484		
.161	14488	14491	14494	14498	14501	14504	14508	14511	14514	14518		0
.162	$14521 \\ 14555$	14524 14558	$14528 \\ 14561$	$14531 \\ 14565$	$14534 \\ 14568$	14538 14571	$14541 \\ 14575$	$14545 \\ 14578$	$14548 \\ 14581$	$14551 \\ 14585$		1 1
.164	14588	14592	14595	14598	14602	14605	14608	14612	14615	14618	4	1
.165	14622	14625	14629	14632	14635	14639	14642	14645	14649	14652		2
.166	$14655 \\ 14689$	$14659 \\ 14693$	$14662 \\ 14696$	$14666 \\ 14699$	$\begin{vmatrix} 14669 \\ 14703 \end{vmatrix}$	14672 14706	$14676 \\ 14710$	$14679 \\ 14713$	$14682 \\ 14716$	$14686 \\ 14720$	6 7	2 2
.168	14723	14727	$14030 \\ 14730$	14733	14737	14740	14743	14747	14750	14754	8	3
.169	14757	14760	14764	14767	14771	14774	14777	14781	14784	14788	9	3
.170	14791	14794	14798	14801	14805	14808	14812	14815 14849	14818 14853	$14822 \\ 14856$	1	0
.171	$\begin{vmatrix} 14825 \\ 14859 \end{vmatrix}$	$14829 \\ 14863$	14832 14866	$\begin{vmatrix} 14835 \\ 14870 \end{vmatrix}$	14839 14873	14842 14876	14846 14880	14883	14887	14890	-	1
.173	14894	14897	14900	14904	14907	14911	14914	14918	14921	14925		1
.174	14928	14931	14935	14938	14942	14945	14949	14952	14955	14959		1
.175	$\begin{vmatrix} 14962 \\ 14997 \end{vmatrix}$	$14966 \\ 15000$	$14969 \\ 15004$	$14973 \\ 15007$	$\begin{vmatrix} 14976 \\ 15011 \end{vmatrix}$	14980 15014	14983 15018	$14986 \\ 15021$	$14990 \\ 15024$	14993 15028	5	2 2
.177	15031	15035	15038	15042	15045	15049	15052	15056	15059	15063	7	2
.178	15066	15070	15073	15076	15080	15083	15087	15090	15094 15129	15097 15132		3
.179	15101	15104	15108	15111	15115	15118 15153	15122 15157	15125 15160	15129 15164	15167		
.180	15136 15171	$15139 \\ 15174$	$15143 \\ 15177$	$15146 \\ 15181$	$15150 \\ 15184$	15188	15191	15195	15198	15202		0
.182	15205	15209	15212	15216	15219	15223	15226	15230	15234	15237		$\begin{bmatrix} 1 \\ 1 \end{bmatrix}$
.183	15241 15276	$15244 \\ 15279$	15248 15283	15251 15286	$\begin{vmatrix} 15255 \\ 15290 \end{vmatrix}$	15258 15293	15262 15297	$15265 \\ 15300$	15269 15304	$15272 \\ 15307$		$\frac{1}{1}$
.185	15311	15314	15318	15321	15325	15329	15332	15336	15339	15343		2
.186	15346	15350	15353	15357	15360	15364	15367	15371	15374	15378		2
.187	$ 15382 \\ 15417 $	15385	15389	15392 15428	15396 15431	$15399 \\ 15435$	$15403 \\ 15438$	$15406 \\ 15442$	$15410 \\ 15445$	$15413 \\ 15449$		2 3
.189	15453	$15421 \\ 15456$	$15424 \\ 15460$	15463	15467	15470	15474	15477	15481	15485		3
.190	15488	15492	15495	15499	15502	15506	15510	15513	15517	15520	1	
.191	15524	15527	15531	15535	15538	15542 15578	$15545 \\ 15581$	15549 15585	15552 15588	$15556 \\ 15592$		$0 \\ 1$
.192	$15560 \\ 15596$	15563 15599	$15567 \\ 15603$	$15570 \\ 15606$	$15574 \\ 15610$	15613	15617	15621	15624	15628	3	1
.194	15631	15635	15639	15642	15646	15649	15653	15657	15660	15664		1
.195	15668	15671	15675	15678	15682	15686	15689	15693	15696 15733	$15700 \\ 15736$	5	2 2
.196	15704 15740	15707 15743	15711 15747	15714 15751	15718 15754	15722 15758	$15725 \\ 15762$	15729 15765	15769	15772	7	3
.198	15776	15780	15783	15787	15791	15794	15798	15802	15805	15809	8	3
.199	15812	15816	15820	15823	15827	15831	15834	15838	15842	15845	9	<u> </u>
Log.	0	1	2	3	4	5	6	7	8	9		

Log.	0	1	2	3	4	5	6	7	8	9	P. P.
.200 .201 .202	15849 15885 15922	15853 15889 15926	15856 15893 15929	15860 15896 15933	15864 15900 15937	$ \begin{array}{c} 15867 \\ 15904 \\ 15940 \end{array} $	15871 15907 15944	15874 15911 15948	15878 15915 15951	15882 15918 15955	1 0 2 1
.203 .204 .205	15959 15996 16032	$ \begin{array}{c} 15962 \\ 15999 \\ 16036 \end{array} $	$ \begin{array}{c} 15966 \\ 16003 \\ 16040 \end{array} $	$ \begin{array}{c} 15970 \\ 16007 \\ 16044 \end{array} $	$ \begin{array}{c} 15973 \\ 16010 \\ 16047 \end{array} $	15977 16014 16051	$ \begin{array}{c} 15981 \\ 16018 \\ 16055 \end{array} $	$ \begin{array}{c} 15985 \\ 16021 \\ 16058 \end{array} $	$ \begin{array}{c} 15988 \\ 16025 \\ 16062 \end{array} $	$ \begin{array}{c} 15992 \\ 16029 \\ 16066 \end{array} $	3 1 4 1 5 2
.206	16069 16106 16144	16073 16110 16147	16077 16114 16151	16081 16118 16155	16084 16121 16158	16088 16125 16162	16092 16129 16166	16095 16132 16170	16099 16136 16173	16103 16140 16177	6 2 7 3 8 3
.209 .210 .211 .212	$ \begin{array}{c c} 16181 \\ 16218 \\ 16255 \\ 16293 \end{array} $	16185 16222 16259 16297	16188 16226 16263 16300	16192 16229 16267 16304	16196 16233 16270	16199 16237 16274	16203 16241 16278	16207 16244 16282	16211 16248 16285	16214 16252 16289	9 3
.213 .214 .215	16331 16368 16406	$ \begin{array}{c} 16334 \\ 16372 \\ 16410 \end{array} $	16338 16376 16413	16342 16379 16417	$ \begin{array}{c} 16308 \\ 16346 \\ 16383 \\ 16421 \end{array} $	$ \begin{array}{c} 16312 \\ 16349 \\ 16387 \\ 16425 \end{array} $	16315 16353 16391 16429	16319 16357 16395 16432	16323 16361 16398 16436	16327 16364 16402 16440	2 1 3 1 4 2
.216 .217 .218	$\begin{array}{c} 16444 \\ 16482 \\ 16520 \end{array}$	$\begin{array}{c} 16448 \\ 16485 \\ 16523 \end{array}$	$16451 \\ 16489 \\ 16527$	$ \begin{array}{c} 16455 \\ 16493 \\ 16531 \end{array} $	$16459 \\ 16497 \\ 16535$	16463 16501 16539	16466 16504 16542	$16470 \\ 16508 \\ 16546$	16474 16512 16550	16478 16516 16554	5 2 6 2 7 3 8 3
.219 .220 .221 .222	16558 16596 16634	16562 16600 16638	16565 16604 16642	16569 16607 16646	16573 16611 16649	$ \begin{array}{c c} 16577 \\ 16615 \\ 16653 \\ 16653 \end{array} $	16581 16619 16657	16584 16623 16661	16588 16626 16665	16592 16630 16669	9 3
.223	16672 16711 16749 16788	$ \begin{array}{c} 16676 \\ 16715 \\ 16753 \\ 16792 \end{array} $	16680 16719 16757 16796	16684 16722 16761 16800	$ \begin{array}{c} 16688 \\ 16726 \\ 16765 \\ 16804 \end{array} $	$ \begin{array}{c} 16692 \\ 16730 \\ 16769 \\ 16807 \end{array} $	$ \begin{array}{c} 16696 \\ 16734 \\ 16773 \\ 16811 \end{array} $	16699 16738 16776 16815	16703 16742 16780 16819	16707 16746 16784	2 1 3 1 4 2 5 2
.226 .227 .228 .229	$ \begin{array}{r} 16827 \\ 16866 \\ 16904 \\ 16943 \end{array} $	16831 16869 16908 16947	16834 16873 16912 16951	16838 16877 16916 16955	16842 16881 16920 16959	16846 16846 16885 16924 16963	16811 16850 16889 16928 16967	16813 16854 16893 16932 16971	$ \begin{array}{c} 16819 \\ 16858 \\ 16897 \\ 16936 \\ 16975 \end{array} $	$ \begin{vmatrix} 16823 \\ 16862 \\ 16901 \\ 16939 \\ 16979 \end{vmatrix} $	6 2 7 3 8 3 9 3
.230 .231 .232	16982 17022 17061	16986 17026 17065	$16990 \\ 17029 \\ 17069$	16994 17033 17073	16998 17037 17077	17002 17041 17080	17006 17045 17084	17010 17049 17088	17014 17053 17092	17018 17057 17096	1 0 2 1
.233	17100 17140 17179	17104 17144 17183	17108 17147 17187	17112 17151 17191	17116 17155 17195	17120 17159 17199	17124 17163 17203	17128 17167 17207	17132 17171 17211	17136 17175 17215	3 1 4 2 5 2
.236 .237 .238 .239	17219 17258 17298 17338	17223 17262 17302 17342	17227 17266 17306 17346	17231 17270 17310 17350	17235 17274 17314 17354	17239 17278 17318 17358	17242 17282 17322 17362	$ \begin{array}{r} 17246 \\ 17286 \\ 17326 \\ 17366 \end{array} $	17250 17290 17330 17370	17254 17294 17334 17374	6 2 7 3 8 3 9 4
.240 .241 .242	17378 17418 17458	17382 17422 17462	17386 17426 17466	17390 17430 17470	17394 17434 17474	17398 17438 17478	17402 17442 17482	17406 17446 17486	17410 17450 17490	17414 17454 17494	1 0 2 1
.243	17498 17539 17579	17502 17543 17583	17507 17547 17587	17511 17551 17591	17515 17555 17595	17519 17559 17599	17523 17563 17604	17527 17567 17608	17531 17571 17612	17535 17575 17616	3 1 4 2 5 2
.246 .247 .248 .249	17620 17660 17701 17742	17624 17664 17705 17746	17628 17669 17709 17750	17632 17673 17713 17754	17636 17677 17717 17758	17640 17681 17721 17762	17644 17685 17726 17766	17648 17689 17730 17771	17652 17693 17734 17775	$ \begin{array}{r} 17656 \\ 17697 \\ 17738 \\ 17779 \end{array} $	6 2 7 3 8 3 9 4
Log	0	1	2	3	4	5	6	7	8	9	

Log.	0	1	2	3	4	5	6	7	8	9	P, P
.250 .251 .252 .253 .254	17783 17824 17865 17906 17947	17787 17828 17869 17910 17951	17791 17832- 17873 17914 17956	17795 17836 17877 17918 17960	17799 17840 17881 17923 17964	17803 17844 17885 17927 17968	17807 17848 17890 17931 17972	17811 17853 17894 17935 17976	17816 17857 17898 17939 17980	17820 17861 17902 17943 17985	1 0 2 1 3 1 4 2
.255 .256 .257 .258 .259	17989 18030 18072 18113 18155	17993 18034 18076 18118 18159	17997 18038 18080 18122 18164	18001 18043 18084 18126 18168	18005 18047 18088 18130 18172	18009 18051 18093 18134 18176	18014 18055 18097 18138 18180	18018 18059 18101 18143 18184	18022 18063 18105 18147 18189	18026 18068 18109 18151 18193	5 2 6 2 7 3 8 3 9 4
.260 .261 .262 .263 .264	18197 18239 18281 18323 18365	18201 18243 18285 18327 18370	18205 18247 18289 18332 18374	18210 18252 18294 18336 18378	18214 18256 18298 18340 18382	18218 18260 18302 18344 18387	18222 18264 18306 18348 18391	18226 18268 18310 18353 18395	18231 18273 18315 18357 18399	18235 18277 18319 18361 18403	1 0 2 1 3 1 4 2
.265 .266 .267 .268 .269	18408 18450 18493 18535 18578	18412 18454 18497 18540 18582	18416 18459 18501 18544 18587	18420 18463 18505 18548 18591	18425 18467 18510 18552 18595	18429 18471 18514 18557 18599	18433 18476 18518 18561 18604	18437 18480 18523 18565 18608	18442 18484 18527 18569 18612	18446 18488 18531 18574 18617 18659	5 2 6 3 7 3 8 3 9 4
.270 .271 .272 .273 .274	18621 18664 18707 18750 18793	18625 18668 18711 18754 18797	18629 18672 18715 18759 18802	18634 18677 18720 18763 18806	18638 18681 18724 18767 18810	18642 18685 18728 18772 18815	18647 18690 18733 18776 18819	18651 18694 18737 18780 18823 18867	18655 18698 18741 18785 18828 18871	18746 18746 18789 18832 18876	1 0 2 1 3 1 4 2 5 2
.275 .276 .277 .278 .279	18836 18880 18923 18967 19011	18841 18884 18928 18971 19015	18845 18889 18932 18976 19020	18850 18893 18937 18980 19024	18854 18897 18941 18985 19028	18858 18902 18945 18989 19033	18863 18906 18950 18993 19037 19081	18910 18954 18998 19041 19085	18915 18958 19002 19046 19090	18919 18963 19006 19050 19094	6 3 7 3 8 3 9 4
.280 .281 .282 .283 .284	19055 19099 19143 19187 19231	19059 19103 19147 19191 19235	19063 19107 19151 19196 19240	19068 19112 19156 19200 19244	19072 19116 19160 19204 19249	19077 19121 19165 19209 19253	19125 19169 19213 19258 19302	19129 19173 19218 19262 19306	19134 19178 19222 19266	19138 19182 19226 19271 19315	1 0 2 1 3 1 4 2 5 2
.285 .286 .287 .288 .289	19275 19320 19364 19409 19454	19280 19324 19369 19413 19458	19284 19329 19373 19418 19463	19289 19333 19378 19422 19467	19293 19337 19382 19427 19472	19297 19342 19387 19431 19476	19346 19391 19436 19480 19525	19351 19395 19440 19485	19355 19400 19445 19489 19534	19360 19404 19449 19494 19539	6 3 7 3 8 4 9 4
.290 .291 .292 .293 .294	19498 19543 19588 19634 19679	19503 19548 19593 19638 19683	19507 19552 19597 19643 19688	19512 19557 19602 19647 19692	19516 19561 19606 19652 19697	19521 19566 19611 19656 19702 19747	19570 19616 19661 19706	19575 19620 19665 19711 19756	19579 19625 19670 19715	19584 19629 19674 19720 19765	1 0 2 1 3 1 4 2 5 2
.295 .296 .297 .298 .299	19724 19770 19815 19861 19907	19729 19774 19820 19866 19911	19733 19779 19824 19870 19916	19738 19783 19829 19875 19920	19742 19788 19834 19879 19925	19792 19838 19884 19930	19797 19843 19888 19934	19802 19847 19893 19939	19806 19852 19898 19943	19811 19856 19902 19948	6 3 7 3 8 4 9 4
Log.	0	1	2	3	4	5	6	7	8	9	

Log.	0	1	2	3	4	5	6	7	8	9	Р. Р.
.300 .301 .302 .303	19953 19999 20045 20091	19957 20003 20049 20096	19962 20008 20054 20100	19966 20012 20059 20105	19971 20017 20063 20109	19976 20022 20068 20114	19980 20026 20072 20119	19985 20031 20077 20123	19989 20035 20082 20128	19994 20040 20086 20133	1 0 2 1 3 1
.304 .305 .306 .307 .308	20137 20184 20230 20277 20324	20142 20188 20235 20281 20328	20147 20193 20240 20286 20333	20151 20198 20244 20291 20338	20156 20202 20249 20296 20342	20160 20207 20253 20300 20347	20165 20212 20258 20305 20352	20170 20216 20263 20310 20356	20174 20221 20267 20314 20361	20179 20226 20272 20319 20366 20413	4 2 5 2 6 3 7 3 8 4 9 4
.309 .310 .311 .312 .313	20370 20417 20464 20512 20559	20375 20422 20469 20516 20564	20380 20427 20474 20521 20568	20384 20431 20479 20526 20573	20389 20436 20483 20531 20578	20394 20441 20488 20535 20583	20399 20446 20493 20540 20587	20403 20450 20497 20545 20592	20408 20455 20502 20549 20597 20644	20413 20460 20507 20554 20602 20649	1 0 2 1 3 1 4 2
.314 .315 .316 .317 .318	20606 20654 20701 20749 20797	20611 20659 20706 20754 20802	20616 20663 20711 20759 20807	20621 20668 20716 20763 20811	20625 20673 20720 20768 20816	20630 20678 20725 20773 20821	20635 20682 20730 20778 20826	20640 20687 20735 20783 20831 20879	20692 20740 20787 20835 20883	20697 20744 20792 20840 20888	5 2 6 3 7 3 8 4 9 4
.319 .320 .321 .322 .323	20845 20893 20941 20989 21038	20850 20898 20946 20994 21043	20855 20903 20951 20999 21047	20859 20907 20956 21004 21052	20864 20912 20960 21009 21057	20869 20917 20965 21014 21062	20874 20922 20970 21018 21067	20927 20975 21023 21072 21120	20931 20980 21028 21077 21125	20936 20985 21033 21081 21130	1 0 2 1 3 1 4 2
.324 .325 .326 .327 .328	21086 21135 21184 21232 21281	21091 21140 21188 21237 21286	21096 21145 21193 21242 21291	21101 21149 21198 21247 21296	21106 21154 21203 21252 21301	21111 21159 21208 21257 21306	21115 21164 21213 21262 21311	21169 21218 21267 21316 21365	21174 21223 21272 21321 21370	21179 21228 21276 21326 21375	5 2 6 3 7 3 8 4 9 4
.329 .330 .331 .332 .333	21330 21380 21429 21478 21528	21335 21385 21434 21483 21533	21340 21389 21439 21488 21538	21345 21394 21444 21493 21543	21350 21399 21449 21498 21548	21355 21404 21454 21503 21553	21360 21409 21459 21508 21558	21414 21463 21513 21563	21419 21468 21518 21568	21424 21473 21523 21572	1 0 2 1 3 1
.334 .335 .336 .337 .338	21577 21627 21677 21727 21777	$\begin{bmatrix} 21582 \\ 21632 \\ 21682 \\ 21732 \\ 21782 \end{bmatrix}$	21587 21637 21687 21737 21787	21592 21642 21692 21742 21792	21597 21647 21697 21747 21797	21602 21652 21702 21752 21802	21607 21657 21707 21757 21807	21612 21662 21712 21762 21812	21617 21667 21717 21767 21817	21622 21672 21722 21772 21822	4 2 5 2 6 3 7 3 8 4
.339 .340 .341 .342 .343	21827 21878 21928 21979 22029	21832 21883 21933 21984 22034	21837 21888 21938 21989 22039	21842 21893 21943 21994 22044	$\begin{array}{c} 21847 \\ 21898 \\ 21948 \\ 21999 \\ 22050 \end{array}$	21852 21903 21953 22004 22055	21857 21908 21958 22009 22060	21863 21913 21963 22014 22065	21868 21918 21968 22019 22070	21873 21923 21974 22024 22075	9 4 1 1 2 1 3 2
.344 .345 .346 .347	22080 22131 22182 22233	22085 22136 22187 22238	22090 22141 22192 22243	22095 22146 22197 22248	22100 22151 22202 22254 22305	22105 22156 22208 22259 22310	22111 22162 22213 22264 22315	22116 22167 22218 22269 22320	22121 22172 22223 22274 22325	22126 22177 22228 22279 22331	4 2 5 3 6 3 7 4 8 4
.348 .349	22284 22336 0	22289 22341 1	22295 22346 2	22300 22351 3	22356 	22361 5	22367	22372	22377	9	9 5

Log.	0	1	2	3	4	5	6	7	8	9	Р.	Р.
.350	22387	22392	22398	22403	22408	22413	22418	22423	22428	22434		4
.351	22439 22491	22444 22496	22449 22501	$\begin{vmatrix} 22454 \\ 22506 \end{vmatrix}$	22459 22511	$22465 \\ 22516$	22470 22522	22475 22527	22480 22532	22485 22537	1 2	1
.353	22542	22548	22553	22558	22563	22568	22574	22579	22584	22589	3	2
.354	22594	22600	22605	22610	22615	22620	22626	22631	22636	22641	4	2
.355	22646 22699	22652 22704	22657	22662 22714	22667 22720	22673 22725	22678 22730	22683 22735	22688 22740	22693 22746	5	3
.356	22751	22756	22709 22761	22767	22772	22777	22782	22788	22793	22798	7	4
.358	22803	22809	22814	22819	22824	22830	22835	22840	22845	22851	8	4
.359	22856	22861	22867	22872	22877	22882	22888	22893	22898	22903 22956	ð	5
.360	$22909 \\ 22961$	22914 22967	22919 22972	22925 22977	22930 22983	22935 22988	22940 22993	22946 22999	22951 23004	23009	1	1
.362	23014	23020	23025	23030	23036	23041	23046	23052	23057	23062	2	1
.363	23067	23073	23078	23083	23089	23094	23099	23105	23110	$23115 \\ 23169$	3 4	2 2
.364	23121	23126	23131	23137	23142	23147	23153	23158	23163 23217	23222	5	3
.365	23174 23227	23179 23233	23185 23238	23190 23243	23195 23249	23201 23254	23206 23259	23211 23265	23270	23276	6	3
.367	23281	23286	23292	23297	23302	23308	23313	23318	23324	23329	7	4
.368	23335	23340	23345	23351	23356	23361	23367	23372	23378 23432	23383 23437	8	4 5
.369	23388	23394	23399	23405	23410	23415	23421	23426	23486	23491		U
.370 .371	23442 23496	23448 23502	23453 23507	23458 23513	23464 23518	23469 23523	23475 23529	23480 23534	23540	23545	1	1
.372	23550	23556	23561	23567	23572	23578	23583	23588	23594	23599	2	1
.373	23605	23610	23616	23621	23627	23632	23637	23643	23648	23654	3 4	2 2
.374	23659	23665	23670	23676	23681	23686	23692	23697	23703	23708 23763	5	3
.375	23714 23768	23719	23725	23730 23785	23736 23790	23741 23796	23747 23801	23752 23807	23812	23818	6	3
.376	23823	23774 23829	23779 23834	23840	23845	23851	23856	23862	23867	23873	7	4
.378	23878	23884	23889	23895	23900	23906	23911	23917	23922	23928 23983	8	4 5
.379	23933	23939	23944	23950	23955	23961	23966	23972 24027	23977 24033	24038		0
.380	23988 24044	$\begin{vmatrix} 23994 \\ 24049 \end{vmatrix}$	23999 24055	24005 24060	24010 24066	$\begin{vmatrix} 24016 \\ 24071 \end{vmatrix}$	$24021 \\ 24077$	24027	24088	24094	1	1
.381	24099	24105	24110	24116	24121	24127	24132	24138	24143	24149	2	1
.383	24155	24160	24166	24171	24177	24182	24188	24194	24199 24255	24205 24261	3 4	2 2
.384	24210	24216	24221	24227	24233	24238	24244	24249 24305	24311	24316	5	3
.385	$24266 \\ 24322$	24272 24328	24277 24333	24283 24339	24288 24344	24294 24350	24356	24361	24367	24373	6	3
.386	24378	24384	24389	24395	24401	24406	24412	24417	24423	24429	7	4
.388	24434	24440	24446	24451	24457	24462	24468	$24474 \\ 24530$	24479 24536	24485 24541	8 9	4 5
.389	24491	24496	24502	24508	24513	24519	24524	24587	24592	24598		
.390	24547	24553	24558	24564	$24570 \\ 24626$	$24575 \\ 24632$	24581 24638	24643	24649	24655	1	1
.391	24604 24660	24609 24666	$24615 \\ 24672$	$24621 \\ 24677$	24683	24689	24694	24700	24706	24712	2	1
.393	24717	24723	24729	24734	24740	24746	24751	24757 24814	24763 24820	24769 24826	3 4	2 2
.394	24774	24780	24786	24791	24797	24803	24808	24871	24877	24883	5	3
.395	24831	24837	24843	24848	24854 24912	24860 24917	24866 24923	24929	24934	24940	6	3
.396	24889 24946	24894 24952	$24900 \\ 24957$	$24906 \\ 24963$	24969	24975	24980	24986	24992	24998	7	4
.398	25003	25009	25015	25021	25026	25032	25038	25044	$25050 \\ 25107$	$25055 \\ 25113$	8	5
.399	25061	25067	25073	25078	25084	25090	25096	25102	20101	70110		
Log.	0	1	2	3	4	5	6	7	8	9		

Log.	0	1	2	3	4	5	6	7	8	9	P.	Р.
.400 .401 .402 .403 .404	25119 25177 25235 25293 25351	25125 25183 25241 25299 25357	25130 25188 25246 25305 25363	25136 25194 25252 25310 25369	25142 25200 25258 25316 25375	25148 25206 25264 25322 25380	25154 25212 25270 25328 25386	25159 25217 25276 25334 25392	25165 25223 25281 25340 25398	25171 25229 25287 25345 25404	1 2 3 4	1 1 2 2
.405 .406 .407 .408 .409	25410 25468 25527 25586 25645	25416 25474 25533 25592 25651	25421 25480 25539 25598 25657	25427 25486 25545 25604 25663	25433 25492 25551 25609 25668	$\begin{bmatrix} 25439 \\ 25498 \\ 25556 \\ 25615 \\ 25674 \end{bmatrix}$	25445 25504 25562 25621 25680	25451 25509 25568 25627 25686	25457 25515 25574 25633 25692	25462 25521 25580 25639 25698	5 6 7 8 9	3 4 4 5 5
.410 .411 .412 .413 .414	25704 25763 25823 25882 25942	25710 25769 25829 25888 25948	25716 25775 25834 25894 25954	25722 25781 25840 25900 25960	25728 25787 25846 25906 25966	25734 25793 25852 25912 25972	25739 25799 25858 25918 25978	25745 25805 25864 25924 25984	25751 25811 25870 25930 25990	25757 25817 25876 25936 25996	1 2 3 4	1 1 2 2
.415 .416 .417 .418 .419	26002 26062 26122 26182 26242	26008 26068 26128 26188 26248	26014 26074 26134 26194 26254	26020 26080 26140 26200 26260	26026 26086 26146 26206 26266	26032 26092 26152 26212 26272	26038 26098 26158 26218 26278	26044 26104 26164 26224 26285	26050 26110 26170 26230 26291	26056 26116 26176 26236 26297	5 6 7 8 9	3 4 5 5
.420 .421 .422 .423 .424	26303 26363 26424 26485 26546	26309 26369 26430 26491 26552	26315 26375 26436 26497 26558	26321 26382 26442 26503 26564	26327 26388 26448 26509 26571	26333 26394 26455 26516 26577	26339 26400 26461 26522 26583	26345 26406 26467 26528 26589	26351 26412 26473 26534 26595	26357 26418 26479 26540 26601	2 3 4	1 1 2 2
.425 .426 .427 .428 .429	26607 26669 26730 26792 26853	26613 26675 26736 26798 26860	26620 26681 26742 26804 26866	26626 26687 26749 26810 26872	26632 26693 26755 26816 26878	26638 26699 26761 26823 26884	26644 26705 26767 26829 26891	26650 26712 26773 26835 26897	26656 26718 26719 26841 26903	26662 26724 26786 26847 26909	7 8	3 4 4 5 6
.430 .431 .432 .433 .434	26915 26977 27040 27102 27164	26922 26984 27046 27108 27171	26928 26990 27052 27114 27177	26934 26996 27058 27121 27183	26940 27002 27064 27127 27189	26946 27008 27071 27133 27196	26953 27015 27077 27139 27202	26959 27021 27083 27146 27208	26965 27027 27089 27152 27214	26971 27033 27096 27158 27221	2 3 4	1 1 2 3
.435 .436 .437 .438 .439	27227 27290 27353 27416 27479	27233 27296 27359 27422 27485	27240 27302 27365 27428 27492	27246 27309 27372 27435 27498	27252 27315 27378 27441 27504	27258 27321 27384 27447 27511	27265 27328 27391 27454 27517	27271 27334 27397 27460 27523	27277 27340 27403 27466 27530	27283 27346 27409 27473 27536	6 7 8	3 4 4 5 6
.440 .441 .442 .443 .444	27542 27606 27669 27733 27797	27549 27612 27676 27740 27804	27555 27618 27682 27746 27810	27561 27625 27689 27752 27816	27568 27631 27695 27759 27823	27574 27638 27701 27765 27829	27580 27644 27708 27772 27836	27587 27650 27714 27778 27842	27593 27657 27720 27784 27848	27599 27663 27727 27791 27855	3 4	1 1 2 3
.445 .446 .447 .448 .449	27861 27925 27990 28054 28119	27868 27932 27996 28061 28125	27874 27938 28003 28067 28132	27880 27945 28009 28074 28138	27887 27951 28016 28080 28145	27893 27958 28022 28087 28151	27900 27964 28029 28093 28158	27906 27970 28035 28100 28164	27913 27977 28041 28106 28171	27919 27983 28048 28113 28177	6 7 8 8	3 4 4 5 6
Log.	0	1	2	3	4	5	6	7	8	9		

Log.	0	1	2	3	4	5	6	7	8	9	P.	Р.
.450	28184	28190	28197	28203	28210	28216	28223	28229	28236	28242		
.451	28249	28255	28262	28268	28275	28281	28288	28294	28301	28307	1	1 .
.452	28314 28379	28320 28386	28327 28392	28333 28399	$28340 \\ 28405$	28347 28412	28353 28418	28360 28425	28366 28432	28373 28438	2 3	$\frac{1}{2}$
.454	28445	28451	28458	28464	28471	28477	28484	28490	28497	28504	4	3
.455	28510	28517	28523	28530	28536	28543	28550	28556	28563	28569	5	3
.456	28576	28582	28589	28596	28602	28609	28615	28622	28629	28635	6	4
.457	28642	28648	28655	28662	28668	28675	28681	$28688 \\ 28754$	$28695 \\ 28761$	$28701 \\ 28767$	8	5 5
.458	28708 28774	28714 28781	28721 28787	28728 28794	28734 28800	28741 28807	28747 28814	28820	28827	28834	9	6
.460	28840	28847	28854	28860	28867	28874	28880	28887	28893	28900		
.461	28907	28913	28920	28927	28933	28940	28947	28953	28960	28967	1	1
.462	28973	28980	28987	28993	29000	29007	29013	29020	29027	29034	2	1
.463	29040	29047	29054	29060	29067	29074	29080	29087	29094	$29100 \\ 29168$	3 4	2 3
.464	29107	29114	29121	29127	29134	29141	29147	29154	29161		5	3
.465	29174	29181	29188	29194	29201	29208 29275	$29215 \\ 29282$	29221 29289	29228 29295	29235 29302	6	4
.466	29242	$\begin{vmatrix} 29248 \\ 29316 \end{vmatrix}$	29255 29322	29262 29329	$\begin{bmatrix} 29268 \\ 29336 \end{bmatrix}$	29343	29349	29356	29363	29370	7	5
.468	29376	29383	29390	29397	29404	29410	29417	29424	29431	29437	8	5
.469	29444	29451	29458	29465	29471	29478	29485	29492	29499	29505	9	6
.470	29512	29519	29526	29532	29539	29546	29553	29560	29567	29573	4	4
.471	29580	29587	29594	29601	29607	29614	29621	29628	29635 29703	$29641 \\ 29710$	1 2	1 1
.472	29648	29655	29662	29669 29737	29676	$29682 \\ 29751$	29689 29758	29696 29765	29771	29778	3	2
.473	$29717 \\ 29785$	29724 29792	29730 29799	29806	29744 29813	29819	29826	29833	29840	29847	4	3
.475	29854	29861	29868	29874	29881	29888	29895	29902	29909	29916	5	3
.476	29923	29930	29936	29943	29950	29957	29964	29971	29978	29985	6	4
.477	29992	29999	30005	30012	30019	30026	30033	30040	30047	30054	7 8	5 5
.478	30061	30068	30075	30082	30088	30095	$\frac{30102}{30172}$	30109 30179	$\begin{vmatrix} 30116 \\ 30186 \end{vmatrix}$	$30123 \\ 30193$	9	6
.479	30130	30137	30144	30151	30158	30165	30241	30248	30255	30262		
.480	30200 30269	$\begin{vmatrix} 30206 \\ 30276 \end{vmatrix}$	30213 30283	30220 30290	30227 30297	30234	30311	30318	30325	30332	1	1
.482	30339	30346	30353	30360	30367	30374	30381	30388	30395	30402	2	1
.483	30409	30416	30423	30430	30437	30444	30451	30458	30465	30472	3	2 3
.484	30479	30486	30493	30500	30507	30514	30521	30528	30535	30542	4	
.485	30549	30556	30563	30570	30577	30584	30591	30598	30606	30613 30683	5	$\begin{vmatrix} 4 \\ 4 \end{vmatrix}$
.486	30620	30627	30634	30641	30648 30718	$30655 \\ 30726$	30662 30733	30740	30747	30754	7	5
.487	30690 30761	30697 30768	30704 30775	30711	30789	30796	30803	30811	30818	30825	8	6
.489	30832	30839	30846	30853	30860	30867	30875	30882	30889	30896	9	6
.490	30903	30910	30917	30924	30931	30939	30946	30953	30960	30967	1	1
.491	30974	30981	30988	30996	31003	31010	31017	31024	31031	31038 31110	1 2	1
.492	31046	31053	31060	31067	31074	31081	31089 31160	31096 31167	31103	31182	3	2
.493	31117 31189	31124 31196	31131 31203	31139 31210	31146 31218	31153 31225	31232	31239	31246	31254	4	3
.494		31268		31282	31290	31297	31304	31311	31318	31326	5	4
.495	31261 31333	31340	31275 31347	31355	31362	31369	31376	31383	31391	31398	6	4
.497	31405	31412	31420	31427	31434	31441	31449	31456	31463	31470	8	5
.498	31477	31485	31492	31499	31506	31514	31521	31528	31536 31608	31543	9	6
.499	31550	31557	31565	31572	31579	31586	31594	51001	51000	01010		
Log.	0	1	2	3	4	5	6	7	8	9		

Log.	0	1	2	3	4	5	6	7	8	9	P.	Р.
.500	31623	31630	31637	31645	31652	31659	31666	31674	31681	31688		4
.501	$\begin{vmatrix} 31696 \\ 31769 \end{vmatrix}$	31703 31776	$\frac{31710}{31783}$	$\frac{31718}{31791}$	31725 31798	31732 31805	31739 31813	31747	$\begin{vmatrix} 31754 \\ 31827 \end{vmatrix}$	31761	1 2	1
.503	31842	31849	31857	31864	31871	31879	31886	31893	31901	31908	3	2
.504	31915	31923	31930	31937	31945	31952	31960	31967	31974	31982	4	3
.505	31989	31996	32004	32011	32018	32026	32033	32041	32048	32055	5	4
.506	32063	32070	32077	32085	32092	32100	32107	32114	32122	32129	6	4
.507	32137	32144	32151	32159	32166	32174	32181	32188	32196	32203	7	5
.508	$\frac{32211}{32285}$	$\frac{32218}{32292}$	32226 32300	32233 32307	32240 32315	32248 32322	32255	32263	$\begin{vmatrix} 32270 \\ 32344 \end{vmatrix}$	32278 32352	8	6
.510	32359	32367	32374	32382	32389			32337	1		J	•
.511	32434	32441	32449	32456	$\frac{32389}{32464}$	$\begin{vmatrix} 32397 \\ 32471 \end{vmatrix}$	32404 32479	32412	32419 32494	32426 32501	1	1
.512	32509	$\frac{32516}{32516}$	32524	32531	32539	32546	32554	32561	32569	32576	2	2
.513	32584	32591	32599	32606	32614	32621	32629	32636	32644	32651	3	2
.514	32659	32666	32674	32681	32689	32696	32704	32711	32719	32727	4	3
.515	32734	32742	32749	32757	32764	32772	32779	32787	32794	32802	5	4
.516	32810 32885	32817	32825	32832	32840	32847	32855	32862	32870	32878	6	5
.518	32961	32893 32969	$\begin{vmatrix} 32900 \\ 32976 \end{vmatrix}$	32908 32984	$\begin{vmatrix} 32915 \\ 32991 \end{vmatrix}$	32923 32999	$\begin{vmatrix} 32931 \\ 33007 \end{vmatrix}$	32938 33014	$\frac{32946}{33022}$	32953	7	5 6
.519	33037	33045	33052	33060	33067	33075	33083	33090	33098	33105	8 9	7
.520	33113	33121	33128	33136	33144	33151	33159	33167	33174	33182		ľ
.521	33189	33197	33205	33212	33220	33228	33235	33243	33251	33258	1	1
.522	33266	33274	33281	33289	33297	33304	33312	33320	33327	33335	2	2
.523	33343	33350	33358	33366	33373	33381	33389	33396	33404	33412	3	2
.524	33420	33427	33435	33443	33450	33458	33466	33473	33481	33489	4	3
.525	33497	33504	33512	33520	33527	33535	33543	33551	33558	33566	5	4
.526	33574 33651	33581 33659	33589 33667	33597 33674	33605 33682	33612 33690	33620	33628	33636 33713	33643 33721	6	5
.528	33729	33736	33744	33752	33760	33768	33775	33783	33791	33799	8	6
.529	33806	33814	33822	33830	33838	33845	33853	33861	33869	33877	9	7
.530	33884	33892	33900	33908	33916	33923	33931	33939	33947	33955		
.531	33963	33970	33978	33986	33994	34002	34009	34017	34025	34033		1
.532	34041	34049	34056	34064	34072	34080	34088	34096	34104	34111	2	2
.533	34119 34198	$\frac{34127}{34206}$	34135	$\frac{34143}{34222}$	34151	$\begin{vmatrix} 34159 \\ 34237 \end{vmatrix}$	$\begin{vmatrix} 34166 \\ 34245 \end{vmatrix}$	34174	34182	34190	3	2 3
.535			34214		34229			34253	34261	34269		
.536	$\frac{34277}{34356}$	34285 34364	$\frac{34293}{34372}$	34300 34380	$\frac{34308}{34387}$	34316 34395	34324 34403	34332 34411	34340 34419	34348 34427	5	4 5
.537	34435	34443	34451	34459	34467	34475	34483	34491	34498	34506	7	6
.538	34514	34522	34530	34538	34546	34554	34562	34570	34578	34586		
.539	34594	34602	34610	34618	34626	34634	34642	34650	34658	34666	9	7
.540	34674	34682	34690	34698	34706	34714	34722	34730	34738	34746		
.541	34754	34762	34770	34778	34786	34794	34802	34810	34818	34826	1	1
.542	34834 34914	$34842 \\ 34922$	34850 34930	$\frac{34858}{34938}$	34866 34946	34874 34954	$\frac{34882}{34962}$	$\frac{34890}{34970}$	34898 34978	34906 34986	2 3	2
.544	34995	35003	35011	35019	35027	35035	35043	35051	35059	35067	4	2 3
.545	35075	35083	35091	35099	35108	35116	35124	35132	35140	35148	5	4
.546	35156	35164	35172	35180	35188	35197	35205	35213	35221	35229		5
.547	35237	35245	35253	35261	35270	35278	35286	35294	35302	35310		6
.548	35318	35326	35335	35343	35351	35359	35367	35375	35383	35392		6
.549	35400	35408	35416	35424	35432	35441	35449	35457	35465	35473	9	7
Log	0	1	2	3	4	5	6	7	8	9		

Log.	0	1	2	3	4	5	6	7	8	9	P, P).
.550 .551 .552 .553 .554	35481 35563 35645 35727 35810	35490 35571 35653 35736 35818	35498 35580 35662 35744 35826	35506 35588 35670 35752 35834	35514 35596 35678 35760 35843	35522 35604 35686 35768 35851	35530 35612 35694 35777 35859	35539 35620 35703 35785 35867	35547 35629 35711 35793 35876	35555 35637 35719 35801 35884	1 1 2 2 3 2 4 3	3
.555 .556 .557 .558 .559	35892 35975 36058 36141 36224	35900 35983 36066 36149 36233	35909 35992 36074 36158 36241	35917 36000 36083 36166 36249	35925 36008 36091 36174 36258	35934 36016 36099 36183 36266	35942 36025 36108 36191 36274	35950 36033 36116 36199 36283	35958 36041 36124 36208 36291	35967 36050 36133 36216 36299	5 4 6 5 7 6 8 7 9 7) }
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.570 .571 .572 .573 .574	37154 37239 37325 37411 37497	37162 37248 37334 37420 37506	37171 37256 37342 37428 37515	37179 37265 37351 37437 37523	37188 37273 37359 37446 37532	37196 37282 37368 37454 37540	37205 37291 37377 37463 37549	37213 37299 37385 37471 37558	37222 37308 37394 37480 37566 37653	37231 37316 37402 37489 37575 37662	1 1 2 2 3 3 4 3 5 4	
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.580 .581 .582 .583 .584	38019 38107 38194 38282 38371	38028 38115 38203 38291 38380	38036 38124 38212 38300 38388	38045 38133 38221 38309 38397	38054 38142 38230 38318 38406	38063 38150 38238 38327 38415 38503	38072 38159 38247 38335 38424 38512	38168 38256 38344 38433 38521	38177 38265 38353 38441 38530	38186 38274 38362 38450 38539	1 1 2 2 3 3 4 4 5 4	
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.595 .596 .597 .598 .599	39355 39446 39537 39628 39719	39364 39455 39546 39637 39728	39373 39464 39555 39646 39737	39382 39473 39564 39655 39747	39482 39573 39664 39756	39491 39582 39673 39765	39500 39591 39683 39774	39509 39600 39692 39783	39518 39610 39701 39792	39528 39619 39710 39802	6 5 7 6 8 7 9 8	
Log	0	1	2	3	4	5	6	7	8	9		

Log.	0	1	2	3	4	5	6	7	8	9	P. 1	P.
.600 .601 .602 .603	39811 39902 39994 40087 40179	39820 39912 40004 40096 40188	39829 39921 40013 40105 40198	39838 39930 40022 40114 40207	39847 39939 40031 40124 40216	39857 39948 40041 40133 40225	39866 39958 40050 40142 40235	39875 39967 40059 40151 40244	39884 39976 40068 40161 40253	39893 39985 40077 40170 40262	3	1 2 3 4
.605 .606 .607 .608	40272 40365 40458 40551 40644	40281 40374 40467 40560 40654	40290 40383 40476 40570 40663	40300 40392 40486 40579 40672	40309 40402 40495 40588 40682	40318 40411 40504 40598 40691	40327 40420 40514 40607 40701	40337 40430 40523 40616 40710	40346 40439 40532 40626 40719	40355 40448 40542 40635 40729	6 7 8	5 6 7 8
.610 .611 .612 .613	40738 40832 40926 41020 41115	40747 40841 40935 41030 41124	40757 40851 40945 41039 41134	40766 40860 40954 41049 41143	40776 40870 40964 41058 41153	40785 40879 40973 41068 41162	40794 40888 40983 41077 41172	40804 40898 40992 41087 41181	40813 40907 41002 41096 41191	40823 40917 41011 41106 41200	2 3 4	1 2 3 4
.615 .616 .617 .618 .619	41210 41305 41400 41495 41591	41219 41314 41410 41505 41601	41229 41324 41419 41515 41610	41238 41333 41429 41524 41620	41248 41343 41438 41534 41629	41257 41352 41448 41543 41639	41267 41362 41457 41553 41649	41276 41371 41467 41562 41658	41286 41381 41476 41572 41668	41295 41390 41486 41581 41677	6 7 8	5 6 7 8 9
.620 .621 .622 .623 .624	41687 41783 41879 41976 42073	41697 41793 41889 41986 42082	41706 41802 41899 41995 42092	41716 41812 41908 42005 42102	41725 41822 41918 42015 42111	41735 41831 41928 42024 42121	41745 41841 41937 42034 42131	41754 41850 41947 42044 42141	41764 41860 41957 42053 42150	41773 41870 41966 42063 42160	2 3 4	1 2 3 4
.625 .626 .627 .628 .629	42170 42267 42364 42462 42560	42179 42277 42374 42472 42570	42189 42286 42384 42482 42579	42199 42296 42394 42491 42589	42209 42306 42403 42501 42599	42218 42316 42413 42511 42609	42228 42325 42423 42521 42619	42238 42335 42433 42530 42628	42247 42345 42442 42540 42638	42257 42355 42452 42550 42648	6 7 8	5 6 7 8 9
.630 .631 .632 .633	42658 42756 42855 42954 43053	42668 42766 42865 42964 43063	42678 42776 42875 42973 43072	42687 42786 42884 42983 43082	42697 42796 42894 42993 43092	42707 42806 42904 43003 43102	42717 42815 42914 43013 43112	42727 42825 42924 43023 43122	42737 42835 42934 43033 43132	42746 42845 42944 43043 43142	3	1 2 3 4
.635 .636 .637 .638	43152 43251 43351 43451 43551	43162 43261 43361 43461 43561	43172 43271 43371 43471 43571	43182 43281 43381 43481 43581	43192 43291 43391 43491 43591	43202 43301 43401 43501 43601	43212 43311 43411 43511 43611	43222 43321 43421 43521 43621	43231 43331 43431 43531 43631	43241 43341 43441 43541 43642	6 7 8	5 6 7 8 9
.640 .641 .642 .643	43652 43752 43853 43954 44055	43662 43762 43863 43964 44066	43672 43772 43873 43974 44076	43682 43782 43883 43985 44086	43692 43793 43893 43995 44096	43702 43803 43904 44005 44106	43712 43813 43914 44015 44116	43722 43823 43924 44025 44127	43732 43833 43934 44035 44137	43742 43843 43944 44045 44147	2 3	1 2 3 4
.645 .646 .647 .648 .649	44157 44259 44361 44463 44566	44167 44269 44371 44473 44576	44177 44279 44381 44484 44586	44188 44289 44392 44494 44596	44198 44300 44402 44504 44607	44208 44310 44412 44514 44617	44218 44320 44422 44525 44627	44228 44330 44432 44535 44638	44238 44340 44443 44545 44648	44249 44351 44453 44555 44658	6 7 8	5 6 7 8 9
Log.	0	1	2	3	4	5	6	7	8	9		

Log.	0	1	2	3	4	5	6	7	8	9	P.	P.
		4.4.0.210		11000	4.4.84.0	4.4.800	4.480.0	44840	44851	AABOI		
.650	44668	44679	44689	44699	44710	44720	44730	44740	44751	44761	1	1
.651	44771	44782	44792	44802	44813	44823	44833	44844	44854	$ \begin{array}{c} 44864 \\ 44968 \end{array} $	1	$\begin{vmatrix} 1\\2 \end{vmatrix}$
.652	44875	44885	44895	44906	44916	44926	44937	$\begin{vmatrix} 44947 \\ 45051 \end{vmatrix}$	$\begin{vmatrix} 44957 \\ 45061 \end{vmatrix}$	45071	2	3
.653	44978	44988	44999	45009	45019	45030	$45040 \\ 45144$	45154	45165	45175	4	4
.654	45082	45092	45102	45113	45123	45134						
.655	45186	45196	45206	45217	45227	45238	45248	45258	45269	45279	5	5
.656	45290	45300	45311	45321	45331	45342	45352	45363	45373	45384	6	6
.657	45394	45405	45415	45426	45436	45446	45457	45467	45478	45488	7	7
.658	45499	45509	45520	45530	45541	45551	45562	45572	45583	45593	8	8 9
.659	45604	45614	45625	45635	45646	45656	45667	45677	45688	45698	9	9
.660	45709	45719	45730	45740	45751	45761	45772	45783	45793	45804		
.661	45814	45825	45835	45846	45856	45867	45878	45888	45899	45909	1	.1
.662	45920	45930	45941	45952	45962	45973	45983	45994	46004	46015	2	2
.663	46026	46036	46047	46057	46068	46079	46089	46100	46111	46121	3	3
.664	46132	46142	46153	46164	46174	46185	46196	46206	46217	46227	4	4
.665	46238	46249	46259	46270	46281	46291	46302	46313	46323	46334	5	5
.666	46345	46355	46366	46377	46387	46398	46409	46419	46430	46441	6	6
.667	46452	46462	46473	46484	46494	46505	46516	46526	46537	46548	7	7
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.676	47424	47435	47446	47457	47468	47479	47490	47501	47512	47632	7	8
.677	47534	47544	47555	47566	47577	47588	47599	47610	47621	47742	8	9
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.680	47863	47874	47885	47896	47907	47918	47929	47940	47951	47962	1	
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.689	48865		48888		48910	48922	48933	48944	48955	48967	9	10
		1			49023	49034	49046	49057	49068	49079		
.690	48978	48989	49000	49012		49147	49159	49170	49181	49193	1	1
.691	49091	49102	49113	49125	49136	49261	49272	49283	49295	49306	2	2
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.694	49431	49442	49454	49465	49477			49625	49636	49648	5	6
.695	49545	49556	49568	49579	49591	49602	49614		49751	49762	6	7
.696	49659	49671	49682	49694	49705	49716	49728	49739 49854	49865	49877	7	8
.697	49774	49785	49797	49808	49820	49831	49843	49854	49980	49992	8	9
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.699	50003	50015	50026	50038	50050	50061	50073	30004				
Log.	0	1	2	3	4	5	6	7	8	9		

Log.	0	1	2	3	4	5	6	7	8	9	P	. P.
.700	50119	50130	50142	50153	50165	50176	50188	50200	50211	50223		
.701	50234 50350	$50246 \\ 50362$	50257	50269 50385	50281 50396	50292	50304 50420	50315	50327	50338 50455	$\begin{vmatrix} 1 \\ 2 \end{vmatrix}$	1
.703	50466	50478	50489	50501	50513	50524	50536	50548	50559	.50571	3	2 4
.704	50582	50594	50606	50617	50629	50641	50652	50664	50676	50687	4	5
.705	50699	50711	50722	50734	50746	50757	50769	50781	50793	50804	5	6
.706 .707	50816	50828 50945	50839 50957	50851 50968	50863 50980	50874 50992	50886 51004	50898 51015	50910 51027	50921 51039	6	7
.708	51050	51062	51074	51086	51098	51109	51121	51133	51145	51156	8	8 9
.709	51168	51180	51192	51204	51215	51227	51239	51251	51263	51274	9	11
.710	51286	51298	51310	51322	51333	51345	51357	51369	51381	51393		
.711	51404	51416	51428	51440	51452	51464	51475	51487	51499	51511	1	1
.712	51523	51535 5165 4	51547 51665	51558 51677	$51570 \\ 51689$	51582	51594	51606	51618	51630 51749	3	2
.714	51761	51773	51785	51796	51808	51820	51832	51844	51856	51868	4	$\begin{vmatrix} 4 \\ 5 \end{vmatrix}$
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.717	52119 52240	52131 52252	52143	52155	52167	52180	52192	52204	52216	52228	7	8
.719	52360	52372	52264 52384	52276 52396	52288 52408	52300 52420	52312 52432	52324 52445	52336 52457	52469	8	$\begin{vmatrix} 10 \\ 11 \end{vmatrix}$
.720	52481	52493	52505	52517	52529	52541	52553	52565	52578	52590		11
.721	52602	52614	52626	52638	52650	52662	52674	52687	52699	52711	1	1
.722	52723	52735	52747	52759	52772	52784	52796	52808	52820	52832	2	2
.723	52845	52857	52869	52881 53003	52893	52905	52918	52930	52942	52954 53076	3	4
.725	52966 53088	$52979 \\ 53101$	52991 53113	53125	53015 53137	53027	53040 53162	53052 53174	53186	53199	4	5
.726	53211	53223	53235	53248	53260	53272	53284	53297	53309	53321	5	6 7
.727	53333	53346	53358	53370	53383	53395	53407	53420	53432	53444	7	9
.728	53456	53469	53481	53493	53506	53518	53530	53543	53555	53567	8	10
.729	53580	53592	53604	53617	53629	53641	53654	53666	53678	53691	9	11
.730 .731	53703 53827	53716 53839	53728 53852	53740 53864	53753	53765 53889	53777 53901	53790 53914	53802 53926	53815 53939	1	1
.732	53951	53963	53976	53988	54001	54013	54026	54038	54051	54063	2	$\begin{vmatrix} 1 \\ 3 \end{vmatrix}$
.733	54075	54088	54100	54113	54125	54138	54150	54163	54175	54188	3	4
.734	54200	54213	54225	54238	54250	54263	54275	54288	54300	54313	4	5
.735	54325	54338	54350	54363	54375	54388	54400	54413	54425	54438	5	6
.736	$54450 \\ 54576$	54463 54588	$54475 \\ 54601$	54488 54613	54500 54626	$54513 \\ 54639$	$54526 \\ 54651$	$54538 \\ 54664$	$54551 \\ 54676$	54563 54689	6	8 9
.738	54702	54714	54727	54739	54752	54765	54777	54790	54802	54815	8	10
.739	54828	54840	54853	54866	54878	54891	54903	54916	54929	54941	9	11
.740	54954	54967	54979	54992	55005	55017	55030	55043	55055	55068		
.741	55081	55093	55106	55119	55132	55144	55157	55170	55182	55195	1	1
.742	55208 55335	55220 55348	55233 55360	55246 55373	55259 55386	55271 55399	55284 55412	55297 55424	55310 55437	$55322 \\ 55450$	2	3 4
.744	55463	55475	55488	55501	55514	55526	55539	55552	55565	55578	4	5
.745	55590	55603	55616	55629	55642	55654	55667	55680	55693	55706	5	6
.746	55719	55731	55744	55757	55770	55783	55796	55808	55821	55834	6	8
.747	55847	55860	55873	55886	55898	55911	55924	55937	55950	55963	7	9
.748 .749	55976 561 05	55989 56118	56002 56131	$56014 \\ 56144$	56027 56156	56040 56169	56053 56182	56066 56195	56079 56208	$56092 \mid 56221 \mid$	8	$\begin{vmatrix} 10 \\ 12 \end{vmatrix}$
					90100							1.70
Log.	0	1	2	3	4	5	6	7	8	9		

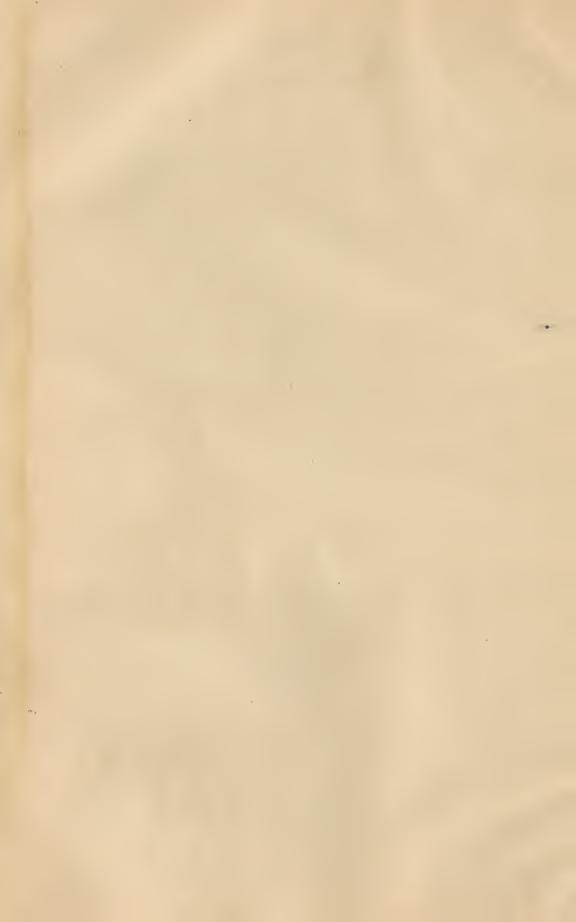
Log.	0	1	2	3	4	5	6	7	8	9	F	P. P.
.750 .751 .752 .753 .754	56234 56364 56494 56624 56754	56247 56377 56507 56637 56768	56260 56390 56520 56650 56781	56273 56403 56533 56663 56794	56286 56416 56546 56676 56807	56299 56429 56559 56689 56820	56312 56442 56572 56702 56833	56325 56455 56585 56715 56846	56338 56468 56598 56728 56859	56351 56481 56611 56741 56872	1 2 3 4	1 3 4 5
.755 .756 .757 .758 .759	56885 57016 57148 57280 57412	56898 57030 57161 57293 57425	56911 57043 57174 57306 57438	56925 57056 57187 57319 57451	56938 57069 57201 57332 57465	$\begin{array}{c} 56951 \\ 57082 \\ 57214 \\ 57346 \\ 57478 \end{array}$	56964 57095 57227 57359 57491	56977 57108 57240 57372 57504	56990 57122 57253 57385 57517	57003 57135 57266 57398 57531	5 6 7 8 9	7 8 9 10 12
.760 .761 .762 .763 .764	57544 57677 57810 57943 58076	57557 57690 57823 57956 58090	57570 57703 57836 57970 58103	57584 57717 57850 57983 58117	57597 57730 57863 57996 58130	57610 57743 57876 58010 58143	57624 57756 57890 58023 58157	57637 57770 57903 58036 58170	57650 57783 57916 58050 58184	57663 57796 57930 58063 58197	1 2 3 4	1 3 4 5
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.770 .771 .772 .773 .774	58884 59020 59156 59293 59429	58898 59034 59170 59306 59443	58911 59047 59183 59320 59457	58925 59061 59197 59334 59470	58939 59074 59211 59347 59484	58952 59088 59224 59361 59498	58966 59102 59238 59375 59511	58979 59115 59252 59388 59525	58993 59129 59265 59402 59539	59007 59143 59279 59416 59553	1 2 3 4	1 3 4 5
.775 .776 .777 .778 .779	$\begin{bmatrix} 59566 \\ 59704 \\ 59841 \\ 59979 \\ 60117 \end{bmatrix}$	59580 59717 59855 59993 60131	59594 59731 59869 60007 60145	59607 59745 59883 60021 60159	59621 59759 59896 60034 60173	59635 59772 59910 60048 60187	59649 59786 59924 60062 60200	59662 59800 59938 60076 60214	59676 59814 59951 60090 60228	59690 59827 59965 60104 60242	5 6 7 8 9	7 8 10 11 12
.780 .781 .782 .783 .784	60256 60395 60534 60674 60814	60270 60409 60548 60688 60828	60284 60423 60562 60702 60842	60298 60437 60576 60716 60856	60311 60451 60590 60730 60870	60325 60464 60604 60744 60884	60339 60478 60618 60758 60898	60353 60492 60632 60772 60912	60367 60506 60646 60786 60926	60381 60520 60660 60799 60940	1 2 3 4	1 3 4 6
.785 .786 .787 .788 .789	60954 61094 61235 61376 61518	60968 61108 61249 61390 61532	60982 61122 61263 61404 61546	60996 61136 61277 61419 61560	61010 61150 61291 61433 61574	61024 61165 61306 61447 61589	61038 61179 61320 61461 61603	61052 61193 61334 61475 61617	61066 61207 61348 61489 61631	61080 61221 61362 61504 61645	8	7 8 10 11 13
.790 .791 .792 .793 .794	61660 61802 61944 62087 62230	61674 61816 61958 62101 62244	61688 61830 61973 62116 62259	61702 61844 61987 62130 62273	61716 61859 62001 62144 62287	61731 61873 62015 62158 62302	61745 61887 62030 62173 62316	61759 61901 62044 62187 62330	61773 61916 62058 62201 62345	61787 61930 62073 62216 62359	1 2 3 4	1 3 4 6
.795 .796 .797 .798 .799	62373 62517 62661 62806 62951	62388 62532 62676 62820 62965	62402 62546 62690 62835 62980	62417 62560 62705 62849 62994	62431 62575 62719 62864 63009	62445 62589 62734 62878 63023	62460 62604 62748 62893 63038	62474 62618 62762 62907 63052	62488 62633 62777 62922 63067	62503 62647 62791 62936 63081	5 6 7 8 9	7 9 10 11 13
Log.	0	1	2	3	4	5	6	7	8	9		

Log.	0	1	2	3	4	5	6	7	8	9	Р	. P.
.800	63096	63110	63125	63139	63154	63168	63183 63329	63198 63343	63212 63358	63227 63372	1	1
.801	63241	$63256 \\ 63402$	$63270 \\ 63416$	63285 63431	63299 63445	63314	63475	63489	63504	63518	2	3
.803	63533	63548	63562	63577	63592	63606	63621	63636	63650	63665	3	4
.804	63680	63694	63709	63724	63738	63753	63768	63782	63797	63812	4	6
.805	63826	63841	63856	63870	63885	63900	63915	63929	63944	63959	5	7
.806	63973	63988	64003	64018	64032	64047	64062	64077	64091	64106	6	9
.807	$64121 \\ 64269$	$64136 \\ 64284$	$64150 \mid 64298 \mid$	$64165 \\ 64313$	$64180 \\ 64328$	64195	$64210 \\ 64358$	$64224 \\ 64372$	$\begin{vmatrix} 64239 \\ 64387 \end{vmatrix}$	$64254 \\ 64402$	8	12
.809	64417	64432	64447	64461	64476	64491	64506	64521	64536	64551	9	13
.810	64565	64580	64595	64610	64625	64640	64655	64670	64684	64699		
.811	64714	64729	64744	64759	64774	64789	64804	64819	64834	64849	1	2
.812	64863	64878	64893	64908	64923	64938	64953	64968	64983	64998	2	3
.813	65013	65028	65043	65058	65073	65088	65103	65118	65133	$65148 \\ 65298$	3 4	$\frac{5}{6}$
.814	65163	65178	65193	65208	65223	65238	65253	65268	65283		5	8
.815	65313	65328	65343	65358 65509	65373 65524	65388 65539	65403 65554	$65418 \\ 65569$	65433 65584	65449 65599	6	9
.816	$65464 \\ 65615$	$65479 \\ 65630$	$65494 \\ 65645$	65660	65675	65690	65705	65720	65736	65751	7	11
.818	65766	65781	65796	65811	65826	65842	65857	65872	65887	65902	8	12
.819	65917	65933	65948	65963	65978	65993	66009	66024	66039	66054	9	14
.820	66069	66085	66100	66115	66130	66145	66161	66176	66191	66206		
.821	66222	66237	66252	66267	66283	66298	66313	66328	66344	66359	1	2
.822	66374	66390	66405	66420	66435	66451	66466	66481	66497	66512	2 3	3
.823	$66527 \\ 66681$	66543	66558	$66573 \\ 66727$	$66589 \\ 66742$	$\begin{vmatrix} 66604 \\ 66757 \end{vmatrix}$	66619	66635	$66650 \\ 66804$	66665	4	$\begin{array}{c c} 5 \\ 6 \end{array}$
.824		66696	66711			66911	66927	66942	66958	66973	5	8
.825	66834 66988	$66850 \\ 67004$	66865 67019	$66881 \\ 67035$	$66896 \\ 67050$	67066	67081	67097	67112	67127	6	9
.827	67143	67158	67174	67189	67205	67220	67236	67251	67267	67282	7	11
.828	67298	67313	67329	67344	67360	67375	67391	67406	67422	67437	8	12
.829	67453	67468	67484	67499	67515	67531	67546	67562	67577	67593	9	14
.830	67608	67624	67639	67655	67671	67686	67702	67717	67733	67749	4	-5
.831	67764	67780	67795	67811	67827	67842	67858	67873	67889 68046	67905 68061	1 2	2 3
.832	67920	67936 68093	67952 68108	67967 68124	67983 68140	67999 68155	68014 68171	68030 68187	68202	68218	3	5
.834	68234	68250	68265	68281	68297	68312	68328	68344	68360	68375	4	6
.835	68391	68407	68423	68438	68454	68470	68486	68501	68517	68533	5	8
.836	68549	68565	68580	68596	68612	68628	68644	68659	68675	68691	6	9
.837	68707	68723	68738	68754	68770	68786	68803	68818	68834	68849	7	11
.838	68865	68881	68897	68913	68929	68945	68960	68976	68992	69008	8	13 14
.839	69024	69040	69056	69072	69088	69103	69119	69135	69151	69167	9	14
.840	69183	69199	69215	69231	69247	69263	69279 69438	69295 69454	69311 69470	69327 69486	1	2
.841	69343 69502	69359 69518	69375 69534	69390 69550	69406 69566	69422 69582	69599	69615	69631	69647	2	3
.843	69663	69679	69695	69711	69727	69743	69759	69775	69791	69807	3	5
.844	69823	69839	69855	69871	69888	69904	69920	69936	69952	69968	4	6
.845	69984	70000	70016	70033	70049	70065	70081	70097	70113	70129	5	8
.846	70146	70162	70178	70194	70210	70226	70243	70259	70275	70291	6	10
.847	70307	70323	70340	70356	70372	70388	70404	70421	70437	70453	7	11
.848	70469	70486	70502	70518	70534	70550	70567	70583 70746	70599 70762	70615	8	13 14
.849	70632	70648	70664	70681	70697	70713	10120	10740	10102	10110		1 T
Log.	0	1	2	3	4	5	6	7	8	9		

Log.	0	1	2	3	4	5	6	7	8	9	I	P. P.
.850 .851 .852 .853	70795 70958 71121 71285 71450	70811 70974 71138 71302 71466	70827 70990 71154 71318 71483	70843 71007 71170 71335 71499	70860 71023 71187 71351 71515	70876 71040 71203 71367 71532	70892 71056 71220 71384 71548	71072 71236	70925 71089 71252 71417 71581	70941 71105 71269 71433 71598	1 2 3 4	3 5
.855 .856 .857 .858 .859	71614 71779 71945 72111 72277	71631 71796 71961 72127 72294	71647 71812 71978 72144 72310	71664 71829 71995 72161 72327	71680 71846 72011 72177 72344	71697 71862 72028 72194 72360	71713 71879 72044 72210 72377	71730 71895 72061 72227 72394	71746 71912 72078 72244 72410	71763 71928 72094 72260 72427	5 6 7 8 9	10 12 13
.860 .861 .862 .863 .864	72444 72611 72778 72946 73114	72460 72627 72795 72963 73131	72477 72644 72812 72979 73148	72494 72661 72828 72996 73164	72510 72678 72845 73013 73181	72527 72694 72862 73030 73198	72544 72711 72879 73047 73215	72560 72728 72895 73063 73232	72577 72744 72912 73080 73249	72594 72761 72929 73097 73266	1 2 3 4	2 3 5 7
.865 .866 .867 .868 .869	73282 73451 73621 73790 73961	73299 73468 73638 73807 73978	73316 73485 73655 73824 73995	73333 73502 73672 73841 74012	73350 73519 73689 73858 74029	73367 73536 73706 73875 74046	73384 73553 73722 73892 74063	73401 73570 73739 73909 74080	73418 73587 73756 73926 74097	73434 73604 73773 73943 74114	5 6 7 8 9	8 10 12 13 15
.870 .871 .872 .873 .874	74131 74302 74473 74645 74817	74148 74319 74490 74662 74834	74165 74336 74508 74679 74851	74182 74353 74525 74696 74869	74199 74370 74542 74714 74886	74216 74388 74559 74731 74903	74234 74405 74576 74748 74920	74251 74422 74593 74765 74938	74268 74439 74611 74783 74955	74285 74456 74628 74800 74972	1 2 3 4	2 3 5 7
.875 .876 .877 .878 .879	74989 75162 75336 75509 75683	75007 75180 75353 75527 75701	75024 75197 75370 75544 75718	75041 75214 75388 75561 75736	75059 75232 75405 75579 75753	75076 75249 75422 75596 75770	75093 75266 75440 75614 75788	75110 75284 75457 75631 75805	75128 75301 75474 75648 75823	75145 75318 75492 75666 75840	5 6 7 8 9	9 10 12 14 16
.880 .881 .882 .883	75858 76033 76208 76384 76560	75875 76050 76225 76401 76577	75893 76068 76243 76419 76595	75910 76085 76261 76436 76613	75928 76103 76278 76454 76630	75945 76120 76296 76472 76648	75963 76138 76313 76489 76666	75980 76155 76331 76507 76683	75998 76173 76348 76524 76701	76015 76190 76366 76542 76718	1 2 3 4	2 4 5 7
.885 .886 .887 .888	76736 76913 77090 77268 77446	76754 76931 77108 77286 77464	76771 76948 77126 77304 77482	76789 76966 77144 77321 77500	76807 76984 77161 77339 77518	76825 77002 77179 77357 77535	76842 77019 77197 77375 77553	76860 77037 77215 77393 77571	76878 77055 77232 77411 77589	76895 77073 77250 77428 77607	5 6 7 8 9	9 11 12 14 16
.890 .891 .892 .893	77625 77804 77983 78163 78343	77643 77822 78001 78181 78361	77660 77839 78019 78199 78379	77678 77857 78037 78217 78397	77696 77875 78055 78235 78415	77714 77893 78073 78253 78433	77732 77911 78091 78271 78451	77750 77929 78109 78289 78469	77768 77947 78127 78307 78487	77786 77965 78145 78325 78505	1 2 3 4	2 4 5 7
.895 .896 .897 .898	78524 78705 78886 79068 79250	78542 78723 78904	78560 78741 78922 79104	78578 78759 78941 79122	78596 78777 78959 79141 79323	78614 78795 78977 79159 79341	78632 78813 78995 79177 79360	78650 78832 79013 79195 79378	78668 78850 79031 79214 79396	78686 78868 79050 79232 79415	8	9 11 13 14 16
Log.	0	1	2	3	4	5	6	7	8	9		

Log.	0	1	2	3	4	5	6	7	8	9	F	P. P.
.900 .901 .902 .903 .904	79433 79616 79799 79983 80168	79451 79634 79818 80002 80186	79469 79653 79836 80020 80205	79488 79671 79855 80039 80223	79506 79689 79873 80057 80242	79524 79708 79891 80076 80260	79543 79726 79910 80094 80279	79561 79744 79928 80112 80297	79579 79763 79947 80131 80316	79598 79781 79965 80149 80334	1 2 3 4	2 4 6 7
.905 .906 .907 .908 .909	80353 80538 80724 80910 81096	80371 80556 80742 80928 81115	80390 80575 80761 80947 81133	80408 80593 80779 80965 81152	80427 80612 80798 80984 81171	80445 80631 80816 81003 81190	80464 80649 80835 81021 81208	80482 80668 80854 81040 81227	80501 80686 80872 81059 81246	80519 80705 80891 81077 81264	5 6 7 8 9	9 11 13 15 17
.910 .911 .912 .913 .914	81283 81470 81658 81846 82035	81302 81489 81677 81865 82054	81320 81508 81696 81884 82073	81339 81527 81715 81903 82092	81358 81546 81733 81922 82111	81377 81564 81752 81941 82130	81395 81583 81771 81960 82149	81414 81602 81790 81979 82167	81433 81621 81809 81997 82186	81452 81639 81828 82016 82205	1 2 3 4	2 4 6 8
.915 .916 .917 .918 .919	82224 82414 82604 82794 82985	82243 82433 82623 82813 83004	82262 82452 82642 82832 83023	82281 82471 82661 82851 83042	82300 82490 82680 82871 83062	82319 82509 82699 82890 83081	82338 82528 82718 82909 83100	82357 82547 82737 82928 83119	82376 82566 82756 82947 83138	82395 82585 82775 82966 83157	5 6 7 8 9	9 11 13 15 17
.920 .921 .922 .923 .924	83176 83368 83560 83753 83946	83196 83387 83580 83772 83965	83215 83407 83599 83792 83985	83234 83426 83618 83811 84004	83253 83445 83637 83830 84023	83272 83464 83657 83849 84043	83291 83483 83676 83869 84062	83311 83503 83695 83888 84081	83330 83522 83714 83907 84101	83349 83541 83734 83927 84120	1 2 3 4	2 4 6 8
.925 .926 .927 .928 .929	84140 84333 84528 84723 84918	84159 84353 84547 84742 84938	84178 84372 84567 84762 84957	84198 84392 84586 84781 84977	84217 84411 84606 84801 84996	84236 84431 84625 84820 85016	84256 84450 84645 84840 85035	84275 84470 84664 84859 85055	84295 84489 84684 84879 85075	84314 84508 84703 84898 85094	5 6 7 8 9	10 12 14 16 17
.930 .931 .932 .933 .934	85114 85310 85507 85704 85901	85133 85330 85526 85724 85921	85153 85349 85546 85743 85941	85173 85369 85566 85763 85961	85192 85389 85585 85783 85981	85212 85408 85605 85803 86000	85231 85428 85625 85822 86020	85251 85448 85645 85842 86040	85271 85467 85664 85862 86060	85290 85487 85684 85882 86080	1 2 3 4	2 4 6 8
.935 .936 .937 .938 .939	86099 86298 86497 86696 86896	86119 86318 86517 86716 86916	86139 86338 86537 86736 86936	86159 86357 86557 86756 86956	86179 86377 86576 86776 86976	86199 86397 86596 86796 86996	86218 86417 86616 86816 87016	86238 86437 86636 86836 87036	86258 86457 86656 86856 87056	86278 86477 86676 86876 87076	5 6 7 8 9	10 12 14 16 18
.940 .941 .942 .943 .944	87096 87297 87498 87700 87902	87116 87317 87519 87720 87922	87136 87337 87539 87740 87943	87157 87357 87559 87761 87963	87177 87378 87579 87781 87983	87197 87398 87599 87801 88004	87217 87418 87619 87821 88024	87237 87438 87640 87842 88044	87257 87458 87660 87862 88064	87277 87478 87680 87882 88085	1 2 3 4	2 4 6 8
.945 .946 .947 .948 .949	88105 88308 88512 88716 88920	88125 88328 88532 88736 88941	88145 88349 88552 88756 88961	88166 88369 88573 88777 88982	88186 88389 88593 88797 89002	88206 88410 88614 88818 89023	88227 88430 88634 88838 89043	88247 88450 88654 88859 89064	88267 88471 88675 88879 89084	88288 88491 88695 88900 89105	5 6 7 8 9	10 12 14 16 18
Log.	0	1	2	3	4	5	6	7	8	9		

Log.	0	1	2	3	4	5	6	7	8	9	P	. P.
		007.40	001.00	004.08	00000	00000	00040	89269	89289	89310	_	
.950	89125 89331	89146 89351	89166	89187 89392	89207 89413	89228 89433	89248 89454	89475	89495	89516	1	2
.952	89536	89557	89578	89598	89619	89640	89660	89681	89702	89722	2	4
.953	89743	89764	89784	89805	89826	89846	89867	89888	89908	89929	3	6
.954	89950	89970	89991	90012	90033	90053	90074	90095	90116	90136	4	8
.955	90157	90178	90199	90219	90240	90261	90282	90303	90323	90344	5 6	$\begin{vmatrix} 10 \\ 12 \end{vmatrix}$
.956	90365	90386	90407	90427	90448	$\begin{vmatrix} 90469 \\ 90678 \end{vmatrix}$	90490 90698	$90511 \\ 90719$	$\begin{vmatrix} 90532 \\ 90740 \end{vmatrix}$	90552	7	15
.957	90573	$90594 \\ 90803$	90615 90824	90636 90845	90866	90887	90908	90928	90949	90970	8	17
.959	90991	91012	91033	91054	91075	91096	91117	91138	91159	91180	9	19
.960	91201	91222	91243	91264	91285	91306	91327	91348	91369	91390		
.931	91411	91432	91453	91474	91496	91517	91538	91559	91580	91601	1	2
.962	91622	91643	91664	91685	91706	91728	91749	91770	91791	$\begin{vmatrix} 91812 \\ 92024 \end{vmatrix}$	3	4 6
.963	91833	91854	91876	91897	91918 92130	91939 92151	$\begin{vmatrix} 91960 \\ 92172 \end{vmatrix}$	$91981 \\ 92193$	$\begin{vmatrix} 92003 \\ 92215 \end{vmatrix}$	92236	4	8
.964	92045	92066	92087	92109 92321	92342	92363	92385	92406	92427	92449	5	11
.965	92257	92278	$92300 \\ 92512$	92534	92555	92576	92598	92619	92640	92662	6	13
.967	92683	92704	92726	92747	92768	92790	92811	92832	92854	92875	7	15
.968	92897	92918	92939	92961	92982	93004	93025	93046	93068	93089	8	17
.969	93111	93132	93154	93175	93197	93218	93240	93261	93282	93304	9	19
.970	93325	93347	93368	93390	93411	93433	93454	93476	93498	93519	1	0
.971	93541	93562	93584	93605	93627	93648	93670	$93691 \\ 93907$	93713 93929	93735 93951	1 2	2 4
.972	93756	93778	$\begin{vmatrix} 93799 \\ 94016 \end{vmatrix}$	$93821 \\ 94037$	$\begin{vmatrix} 93843 \\ 94059 \end{vmatrix}$	$\begin{vmatrix} 93864 \\ 94081 \end{vmatrix}$	$93886 \\ 94102$	94124	94146	94167	3	7
.974	94189	94211	94232	94254	94276	94297	94319	94341	94363	94384	4	9
.975	94406	94428	94450	94471	94493	94515	94537	94558	94580	94602	5	11
.976	94624	94646	94667	94689	94711	94733	94755	94776	94798	94820	6	13
.977	94842	94864	94886	94907	94929	94951	94973	94995	95017	95039	8	15 17
.978	95060	95082	95104	95126	95148	95170	95192	95214	95236	95258	9	20
.979	95280	95302 95521	95324	95345 95565	95367 95587	95389	$95411 \\ 95631$	95653	95675	95697		
.980	$95499 \\ 95719$	95741	95543 95763	95786	95808	95830	95852	95874	95896	95918	1	2
.982	95940	95962	95984	96006	96028	96051	96073	96095	96117	96139	2	4
.983	96161	96183	96206	96228	96250	96272	96294	96316	96339	96361	3	7
.984	96383	96405	96427	96450	96472	96494	96516	96538	96561	96583	4	9
.985	96605	96627	96650	96672	96694	96716	96739	96761	96783	96805	5	11 13
.986	$96828 \\ 97051$	$96850 \\ 97073$	96872 97096	96895 97118	96917 97140	$96939 \\ 97163$	$96962 \\ 97185$	96984 97208	$97006 \\ 97230$	97029 97252	7	16
.988	97275	97297	97320	97342	97364	97387	97409	97432	97454	97477	8	18
.989	97499	97521	97544	97566	97589	97611	97634	97656	97679	97701	9	20
.990	97724	97746	97769	97791	97814	97836	97859	97881	97904	97926		
.991	97949	97972	97994	98017	98039	98062	98084	98107	98130	98152	1	2
.992	98175	98197	98220	98243	98265	98288	98311	98333	98356	98378 98605	2	5
.993	98401 98628	98424 98651	98446 98673	98469 98696	98492 98719	98514 98742	98537 98764	98560 98787	98583 = 98810	98833	4	9
.995	98855	98878	98901	98924	98946	98969	98992	99015	99038	99060	5	11
.996	99083	99106	99129	99152	99174	99197	99220	99243	99266	99289	6	14
.997	99312	99334	99357	99380	99403	99426	99449	99472	99495	99518	7	16
.998	99541	99563	99586	99609	99632	99655	99678	99701	99724	99747	8	18
.999	99770	99793	99816	99839	99862	99885	99908	99931	99954	99977	9	20
Log.	0	1	2	3	4	5	6	7	8	9		









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